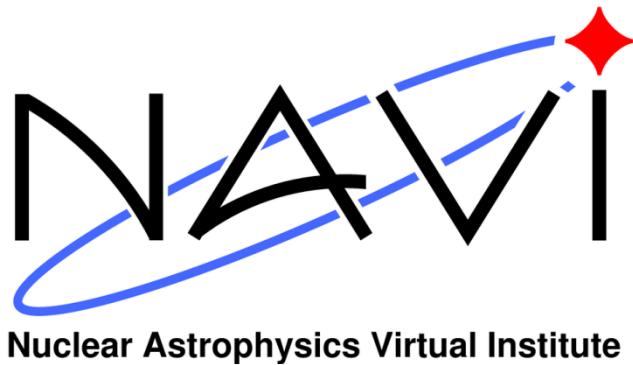


# Coulomb dissociation of $^{17}\text{Ne}$ – a tool for nuclear structure and astrophysics

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# outline

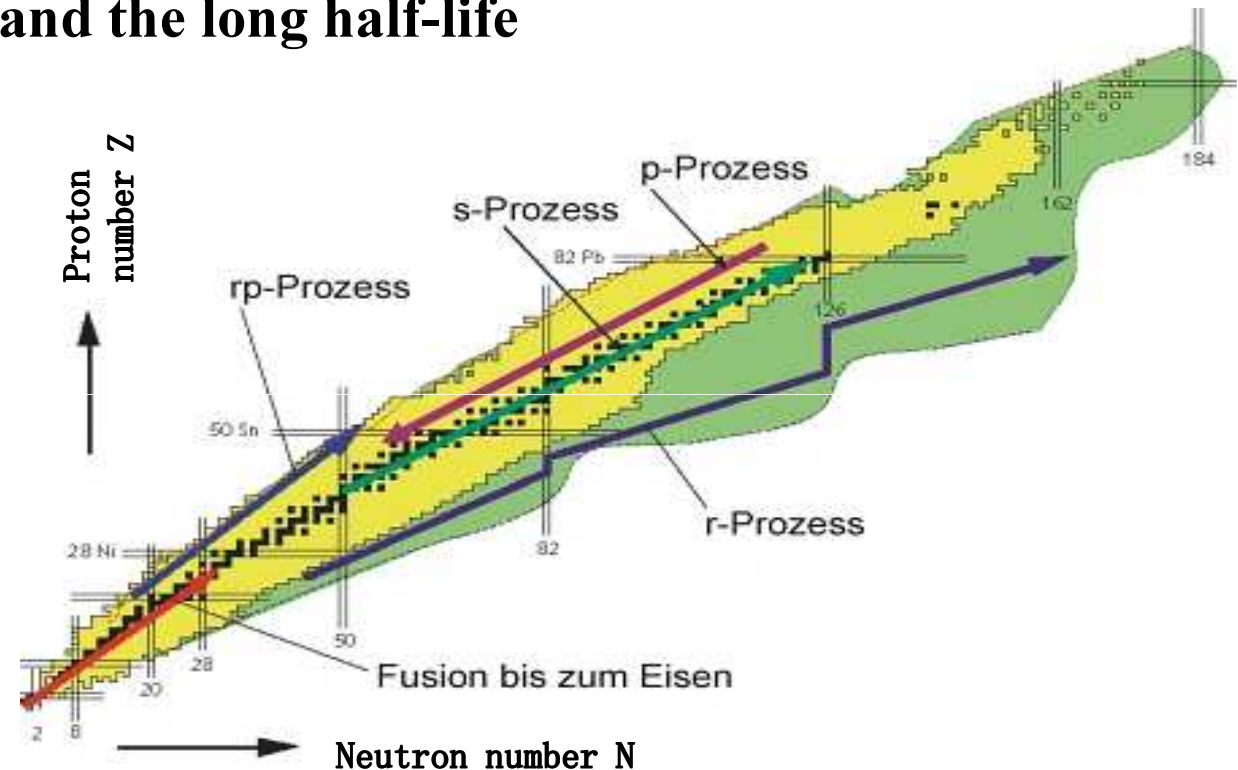
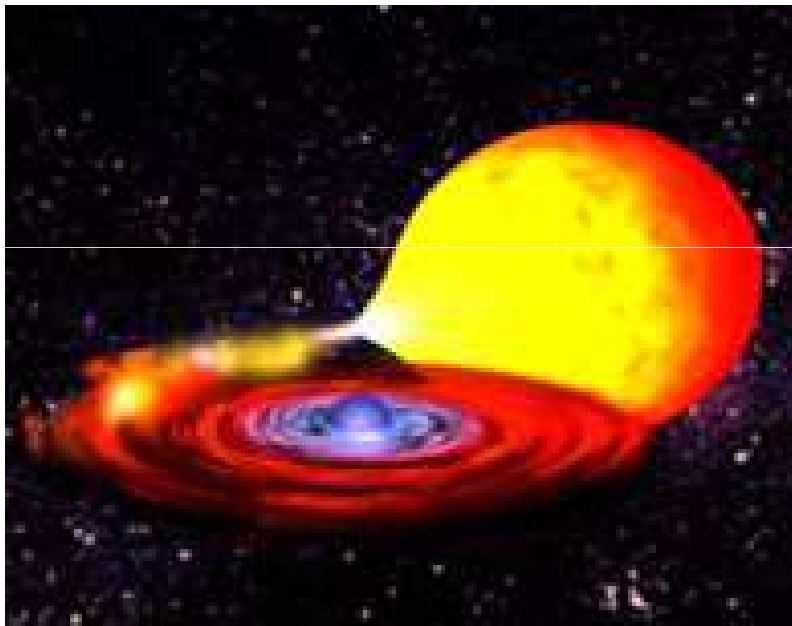


- **the rp process and the nuclear astrophysical motivation;**
- **the doubts of  $^{17}\text{Ne}$  nuclear structure;**
- **Coulomb dissociation as a source of information on radiative capture processes;**
- **experimental setup;**
- **necessary corrections (efficiency, acceptance, ect.);**
- **preliminary results;**
- **future work;**
- **summary.**

# *rp* process



- in cataclysmic binary systems (X-ray bursts);
- sequence of proton captures and  $\beta^+$  decays;
- the proton capture is inhibited and the long half-life  
=> the waiting points.



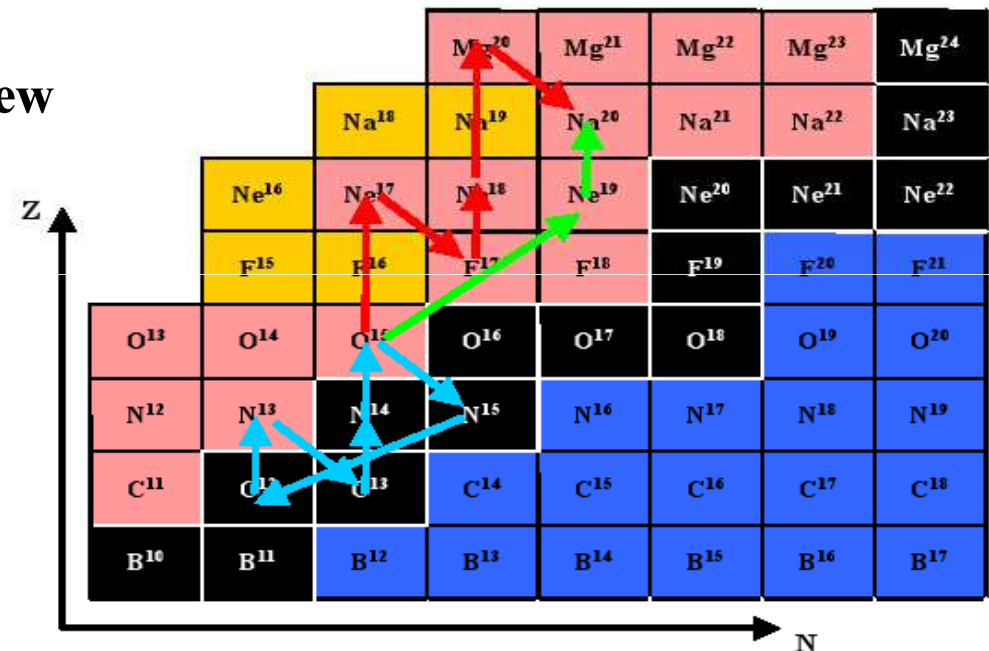
# motivation



1. the nucleus  $^{15}\text{O}$  => a waiting point for the break-out of the CNO cycle



2. the reaction rate can be enhanced by a few orders of magnitude by taking into account the three-body continuum states;

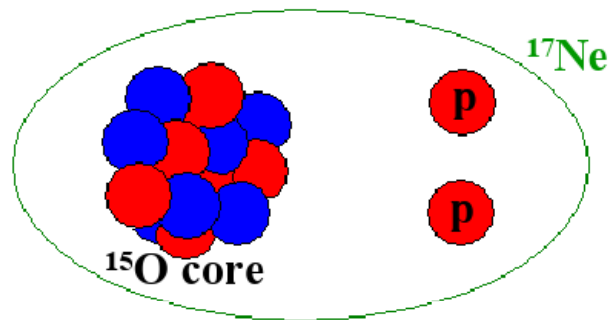


# $^{17}\text{Ne}$ ground state

The uncertain part  $\Rightarrow$  the configuration of the two protons outside the  $^{15}\text{O}$  core, which occupy either  $s$ -wave ( $[s^2]$ ) or  $d$ -wave ( $[d^2]$ ) orbitals

$$\Psi_{g.s.} \sim \alpha [s^2] + \beta [d^2]$$

$[s^2]$  – dominant

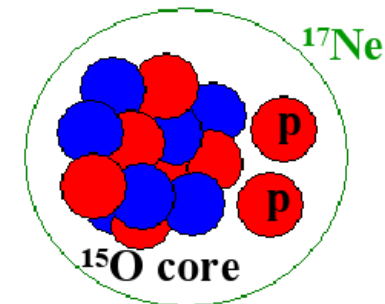


large  $\sigma_{\text{CD}}$



large  $\sigma_{(2p,\gamma)}$

$[d^2]$  – dominant



small  $\sigma_{\text{CD}}$



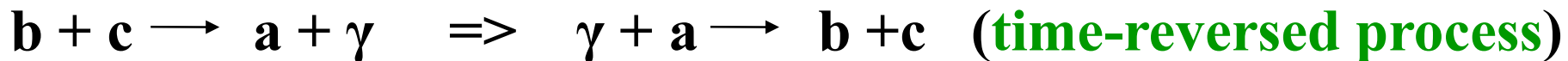
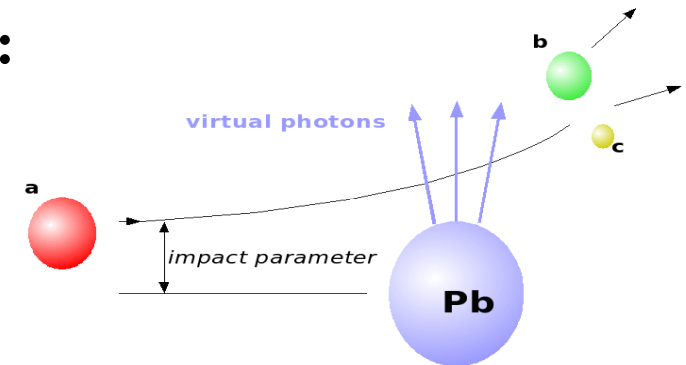
small  $\sigma_{(2p,\gamma)}$

# Coulomb dissociation method



Useful to measure radiative-capture reactions with:

- small cross sections;
- unstable nuclei;
- three particles in entrance channel.



the nuclear Coulomb field  $\Rightarrow$  a source of the photodisintegration processes



$$\frac{d\sigma_{\text{CD}}}{dE_{\gamma}} = \frac{1}{E_{\gamma}} n \sigma_{(\gamma, b)} \quad \longleftarrow \quad \text{virtual photon theory}$$

$$\text{detailed balance theorem} \longrightarrow \sigma_{(b, \gamma)} = \frac{2(2j_a + 1)}{(2j_b + 1)(2j_c + 1)} \frac{k_{\gamma}^2}{k^2} \sigma_{(\gamma, b)}$$

# Coulomb dissociation method



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## advantages:

- high virtual photon flux;
- large cross section at low  $E_{\text{cm}}$ ;
- charged particle detection;
- kinematically focused;
- experiments with radioactive ion beams possible.

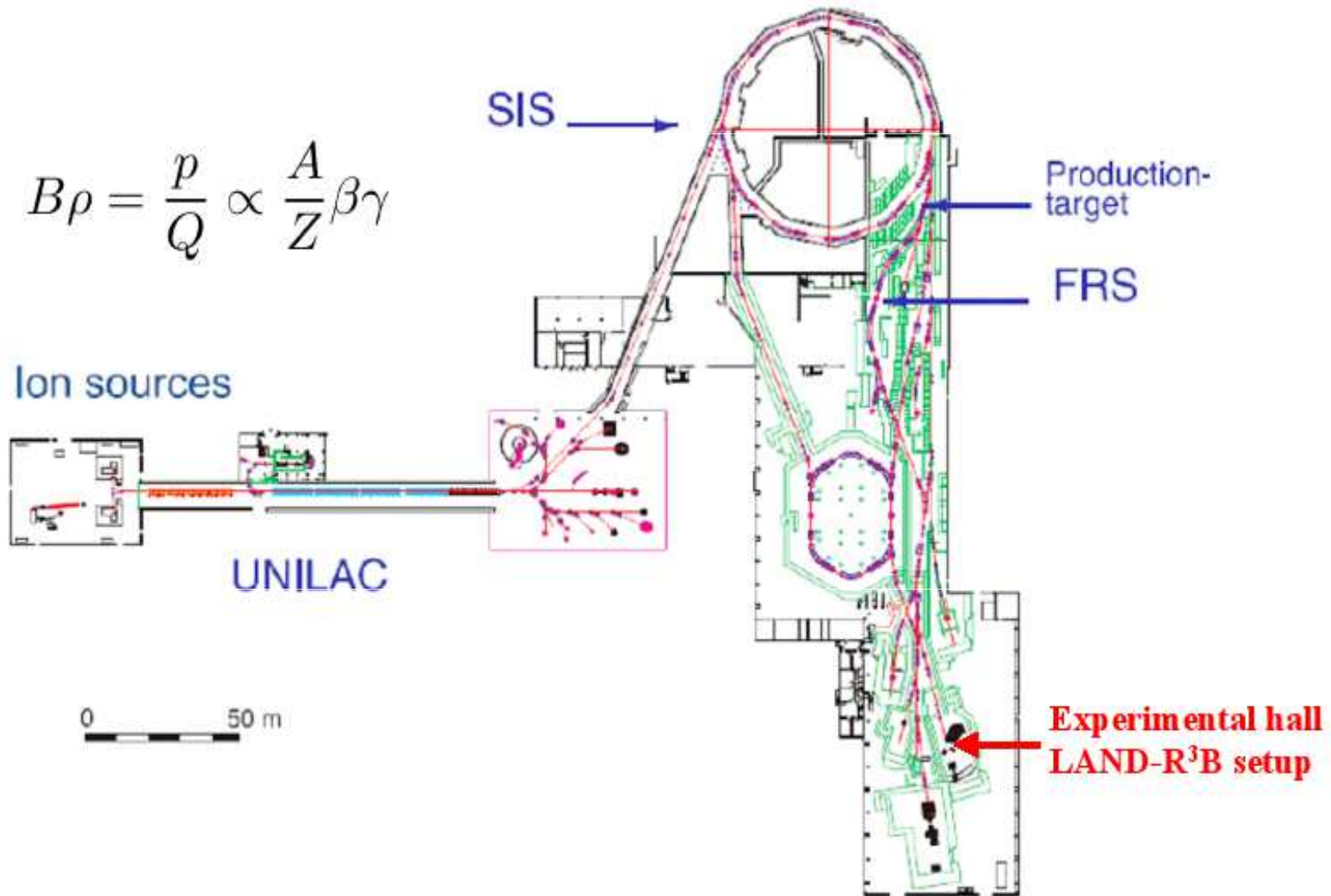
## disadvantages:

- indirect method;
- multipole admixtures must be clarified;
- nuclear contributions.

# production of exotic beam setup



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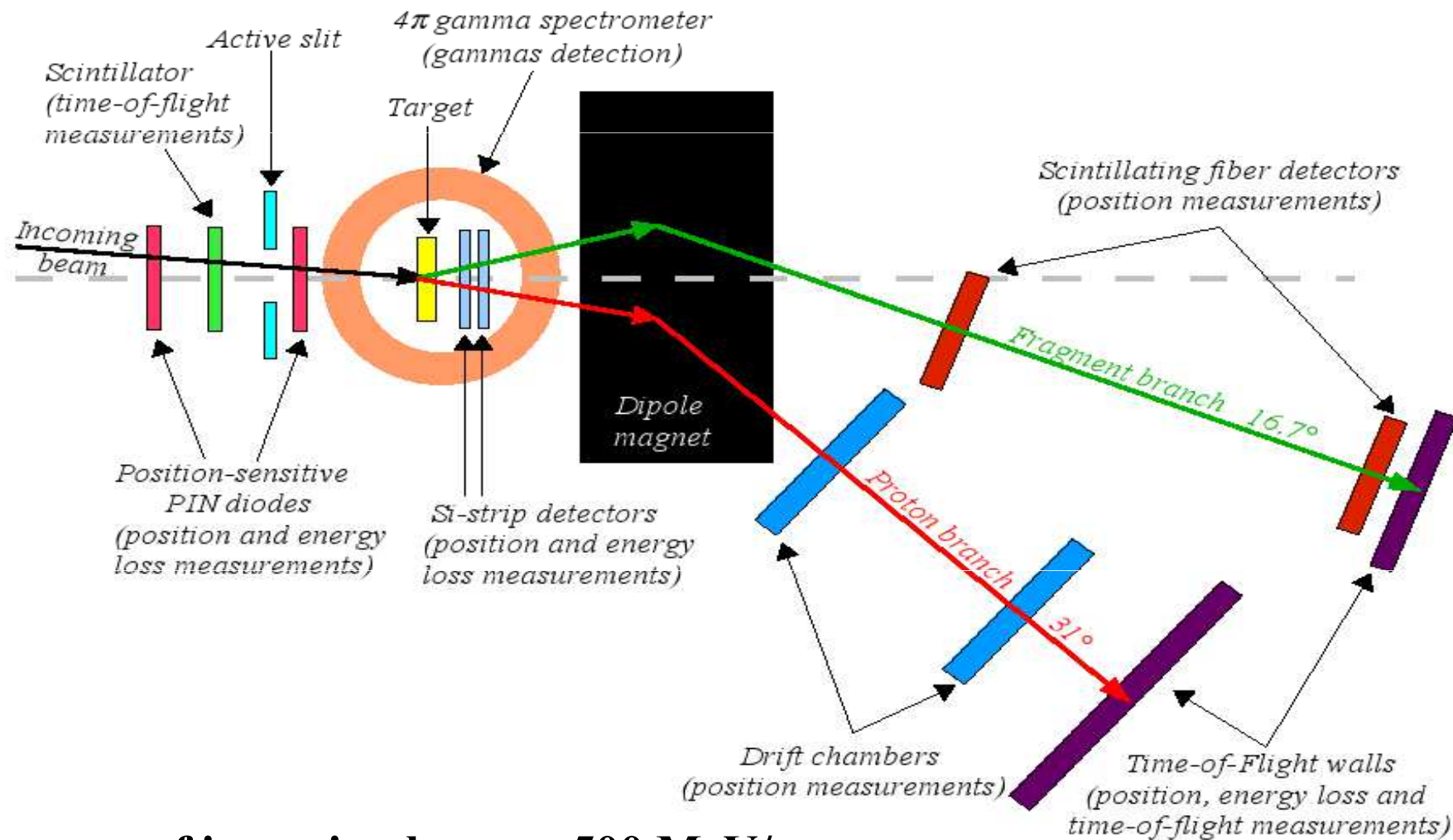




# LAND-R<sup>3</sup>B experimental setup



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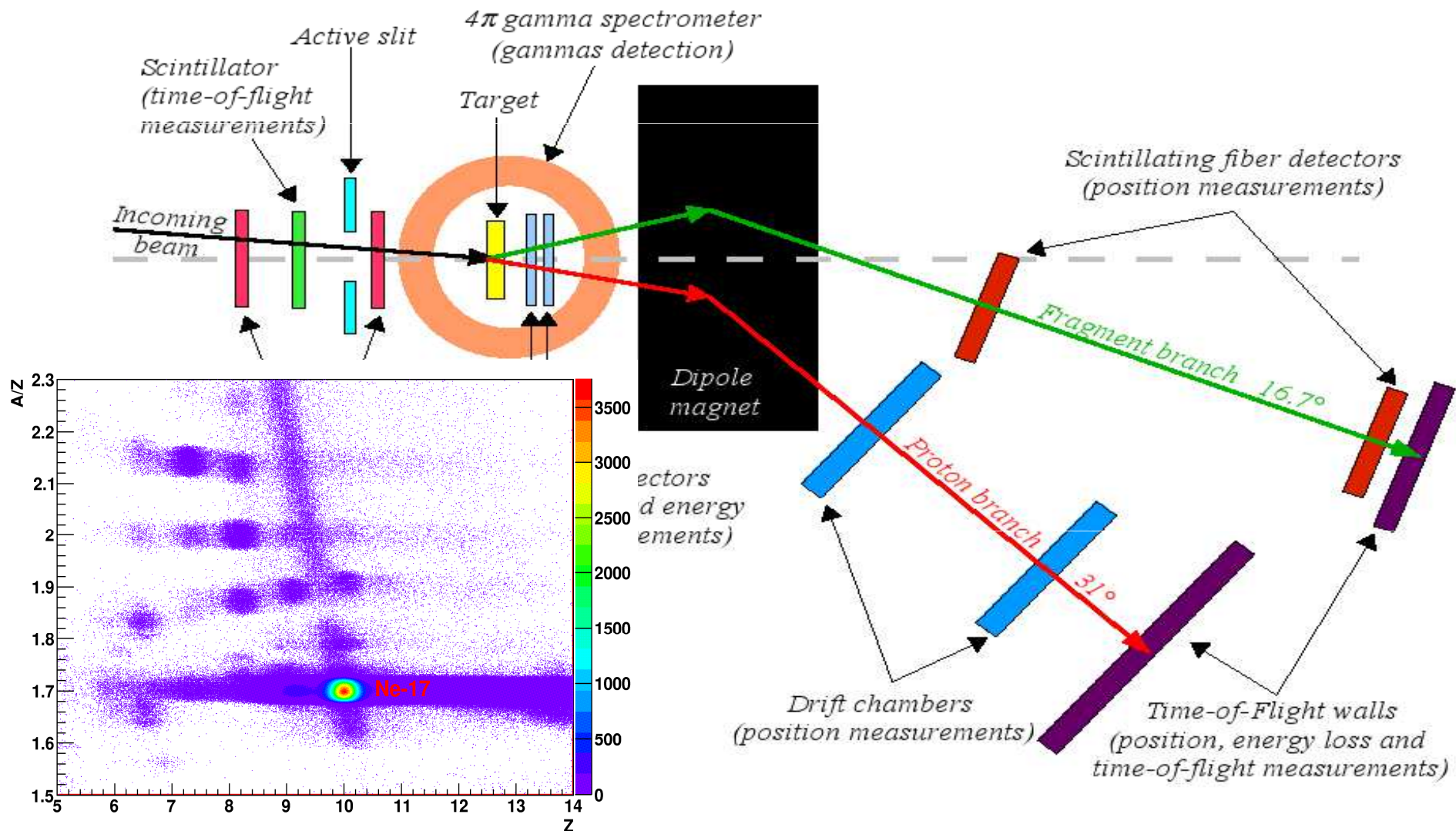


The energy of incoming beam = 500 MeV/u

# LAND-R<sup>3</sup>B experimental setup



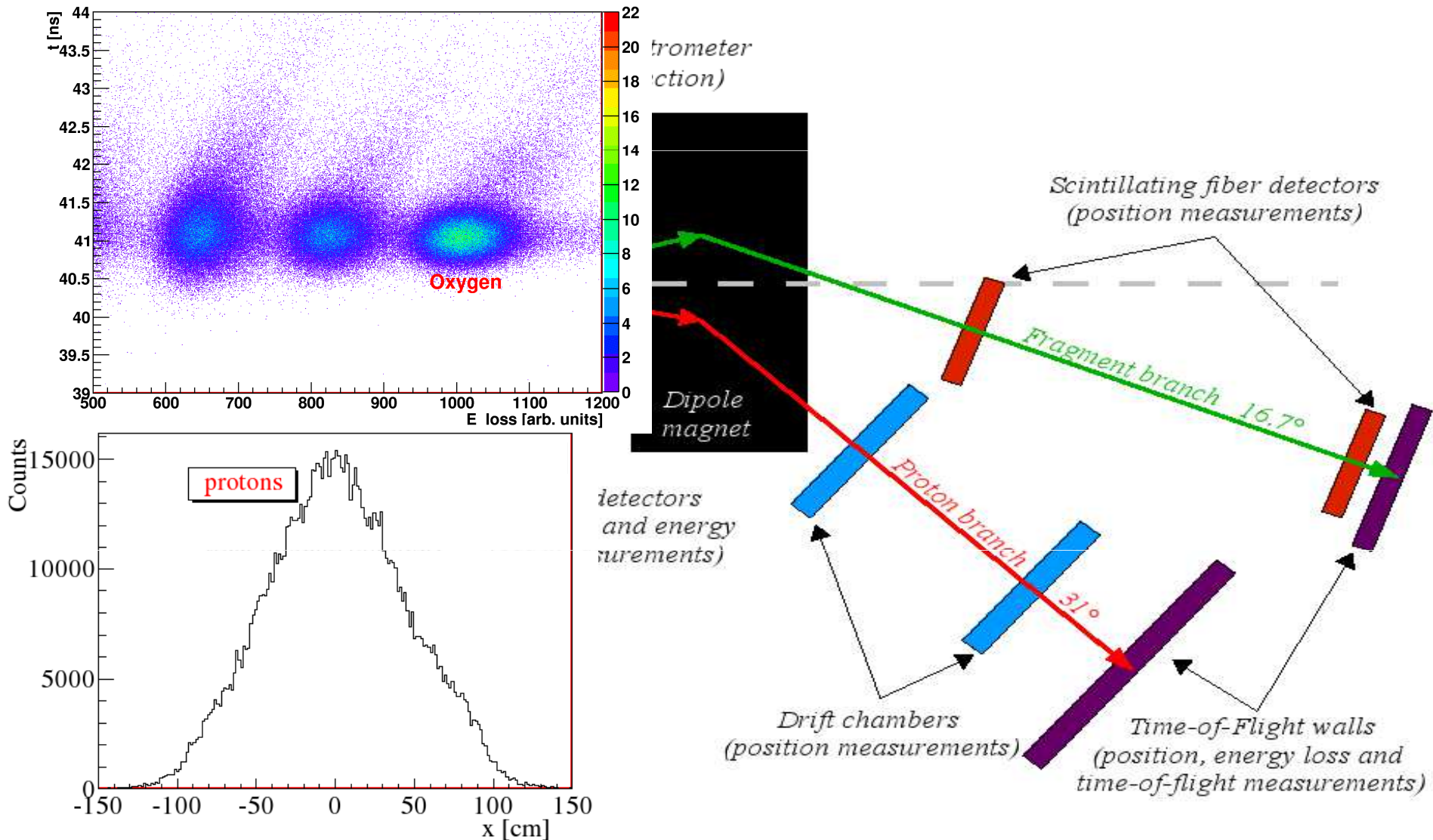
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# LAND-R<sup>3</sup>B experimental setup



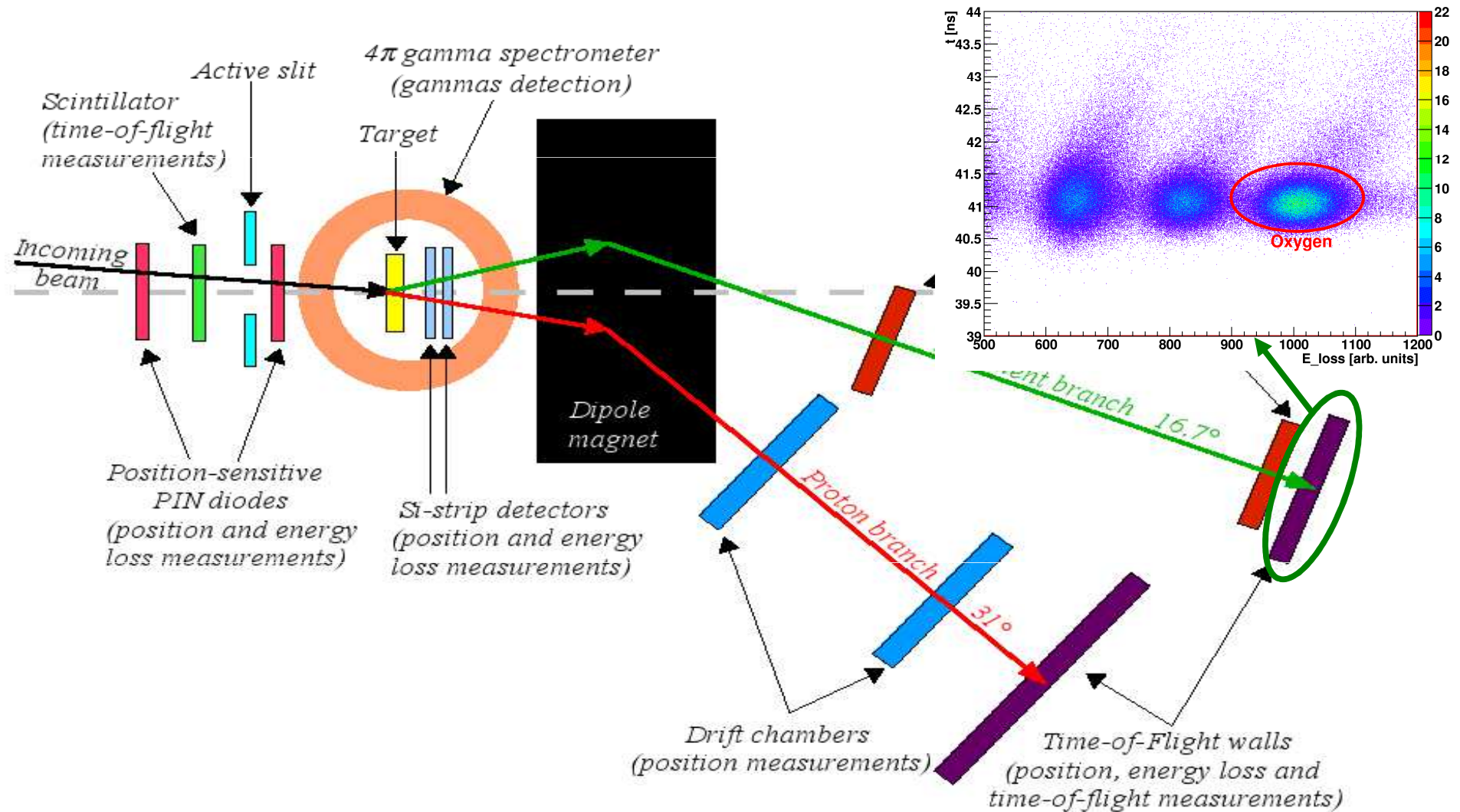
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# LAND-R<sup>3</sup>B experimental setup



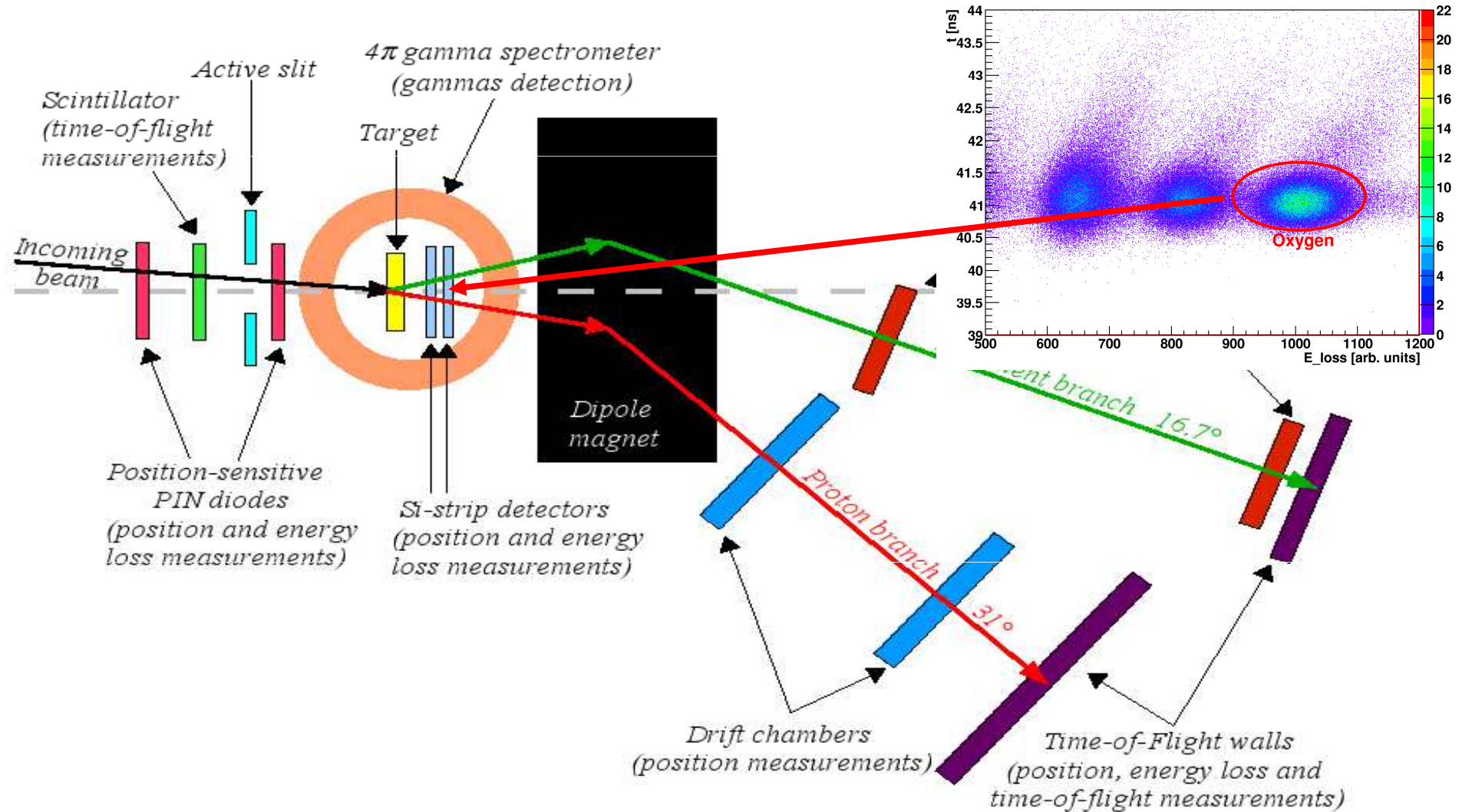
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# LAND-R<sup>3</sup>B experimental setup



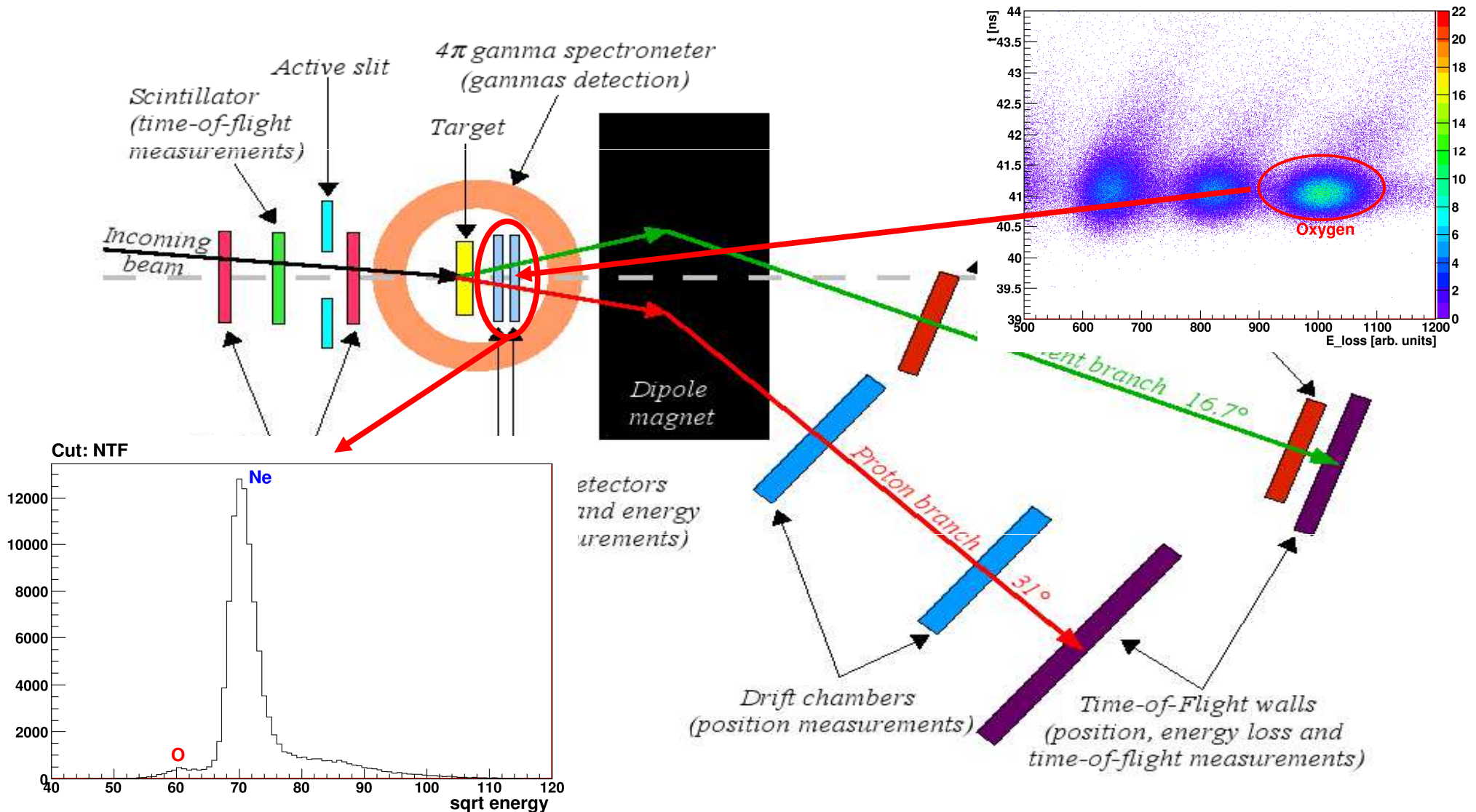
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# LAND-R<sup>3</sup>B experimental setup



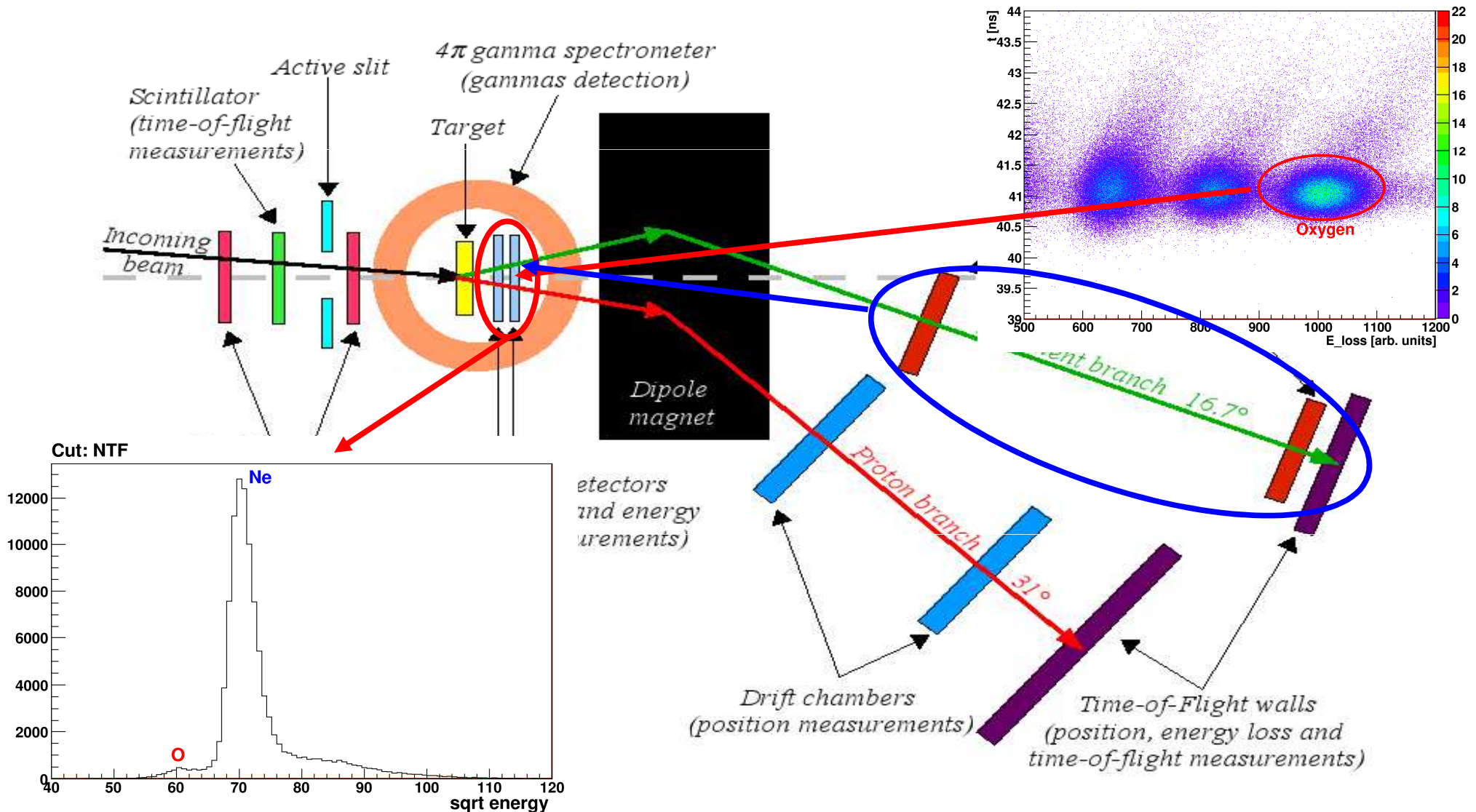
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# LAND-R<sup>3</sup>B experimental setup



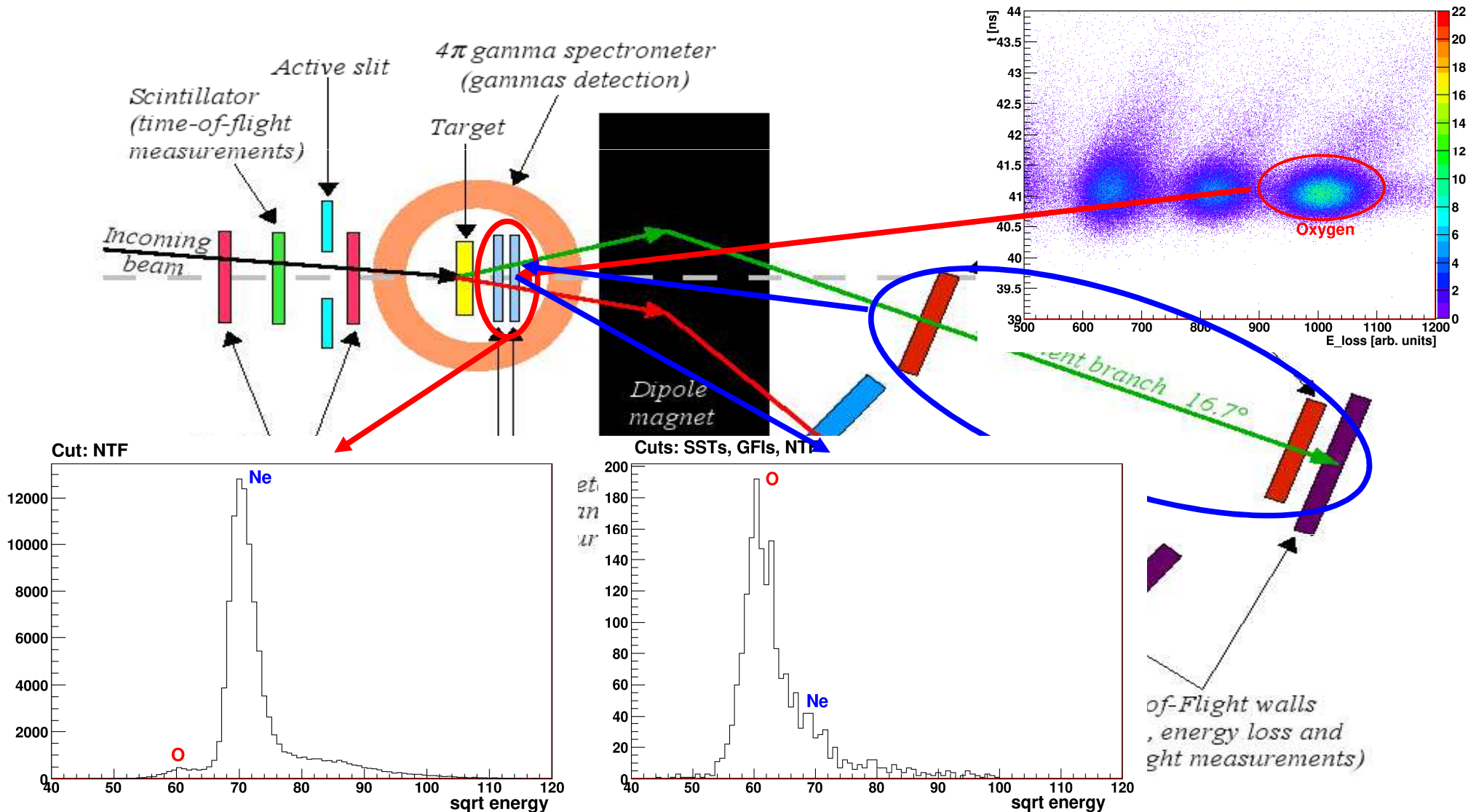
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# LAND-R<sup>3</sup>B experimental setup



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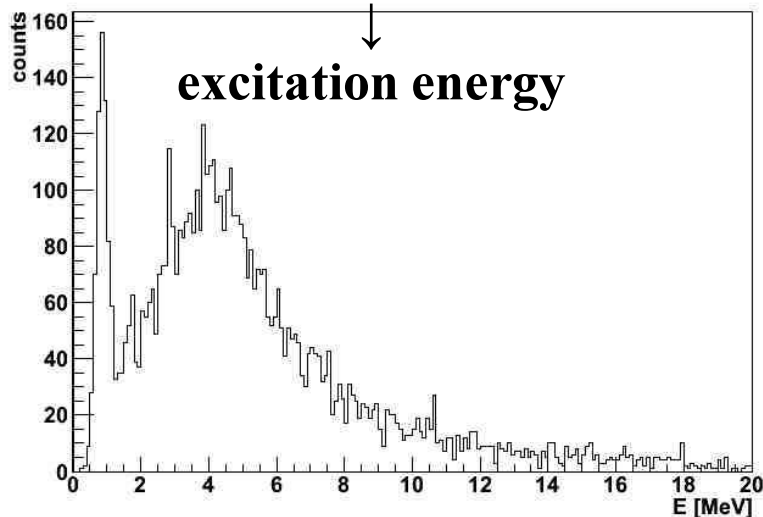


# tracking

$$B\rho = A/Z\beta\gamma$$

Precise position  
from two silicon  
strip detectors

**Output from tracker:**  
masses, velocities  $\rightarrow$  momenta



Precise position from fiber detectors

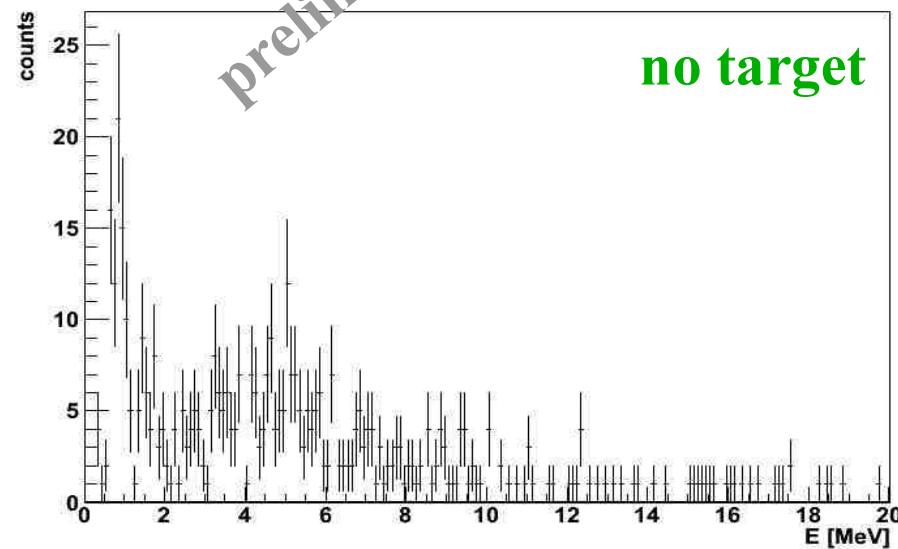
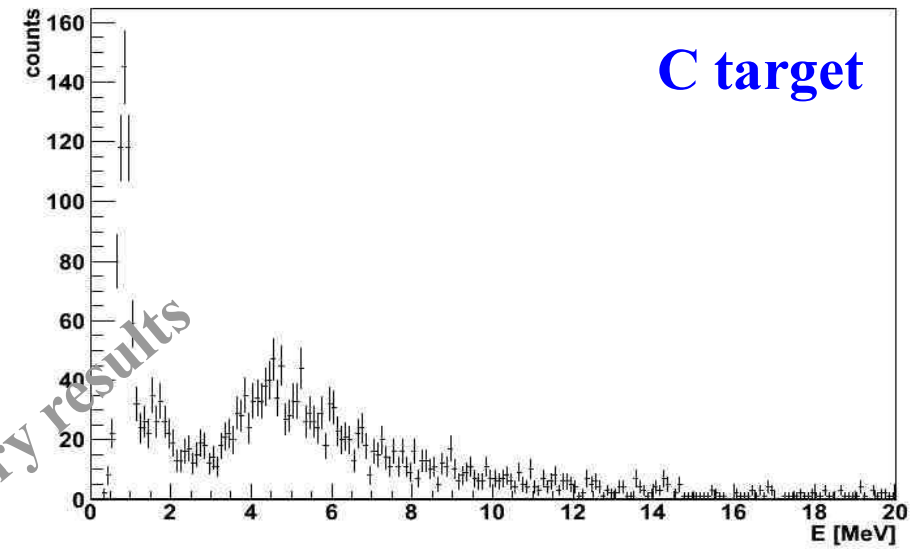
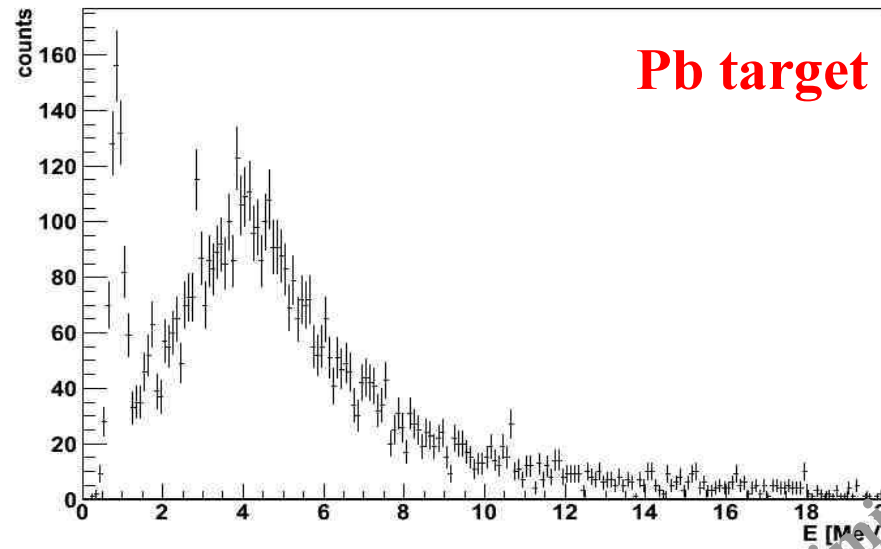
Mass ?

Charge, ToF and rough  
position from tof wall

Precise position  
from  
drift chambers

Rough ToF  
from tof wall

# relative energy

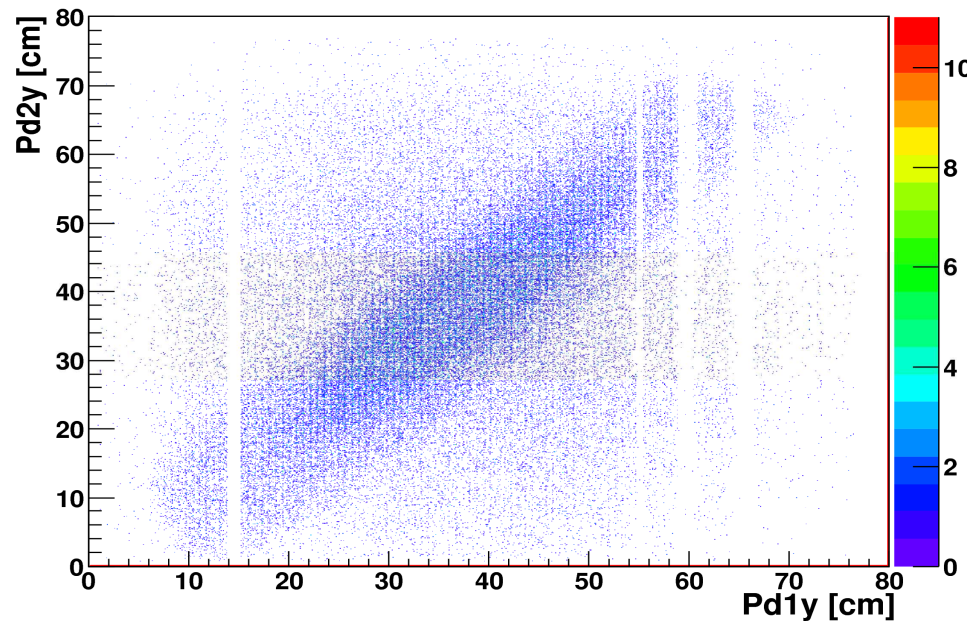
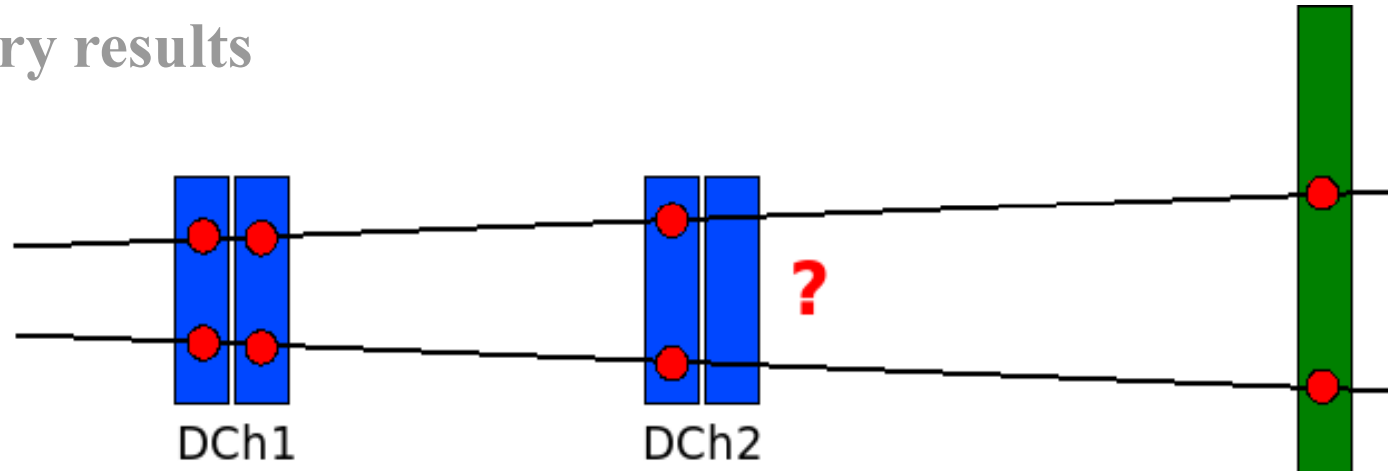


# proton arm efficiency



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## preliminary results

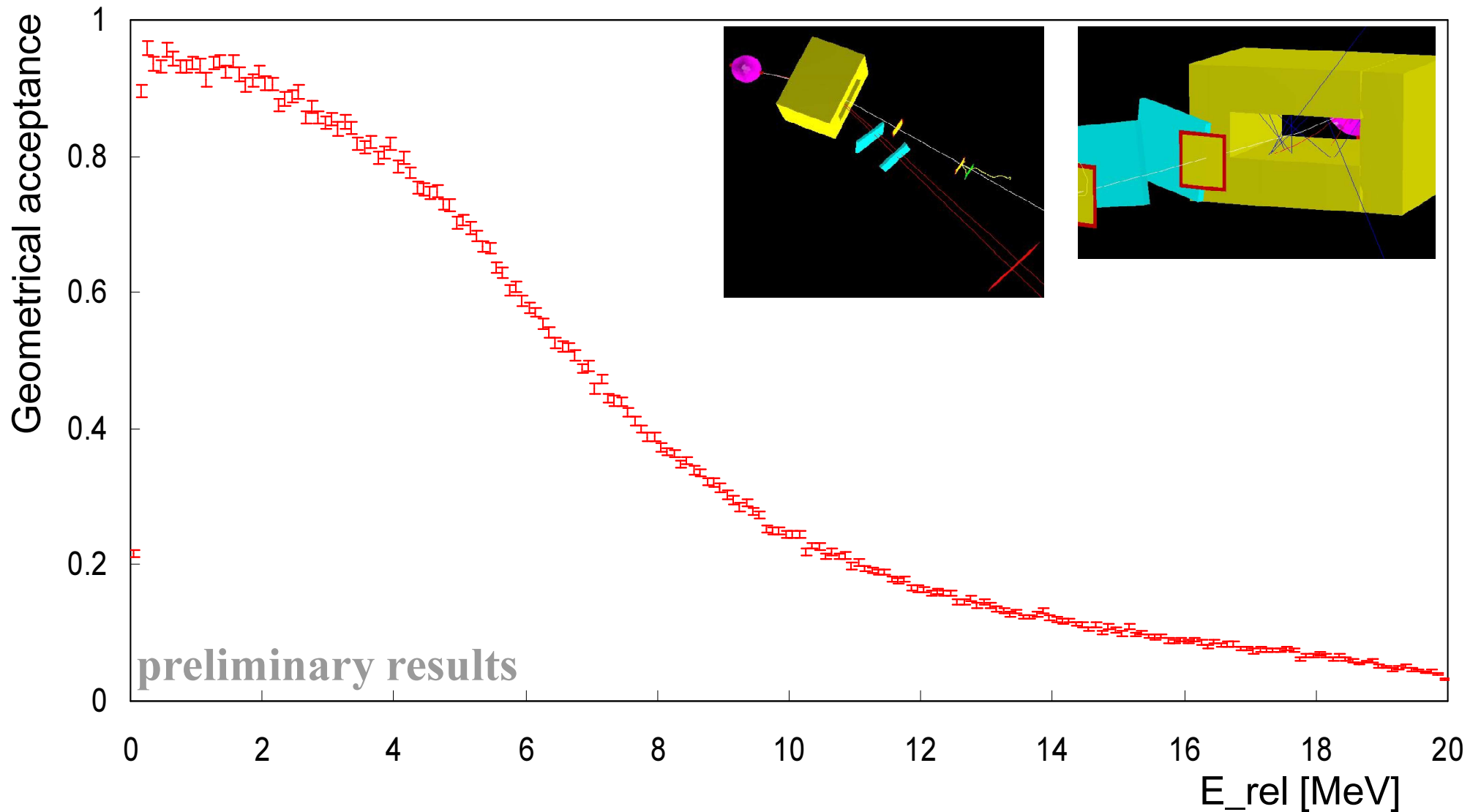


DCh1\_x 83.1%  
DCh1\_y 75.6%  
DCh2\_x 89.8%  
DCh2\_y 91.1%

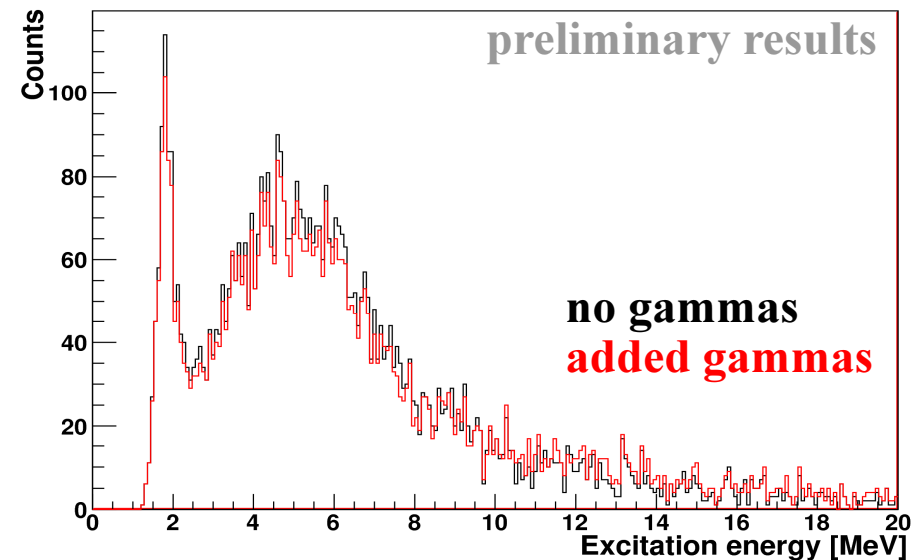
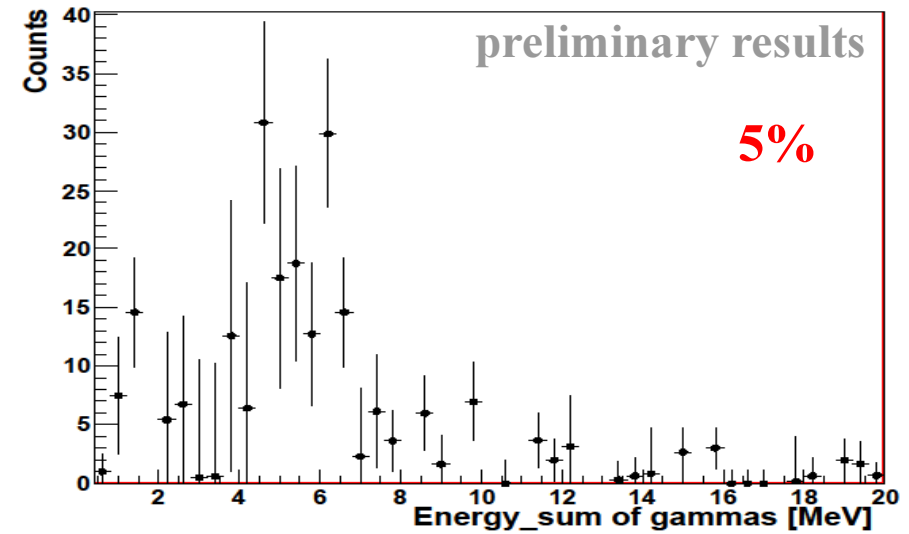
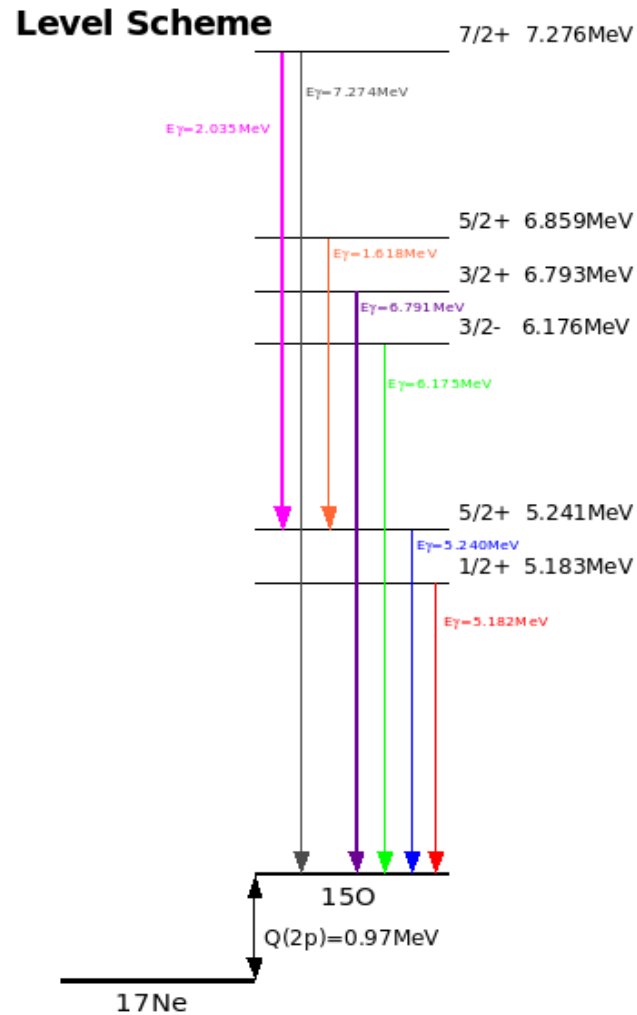
TFW  
DCh1 62.8%  
DCh2 81.8%

**Total 51.4±1.4%**

# geometrical acceptance



# excitation state



# Coulomb dissociation cross section



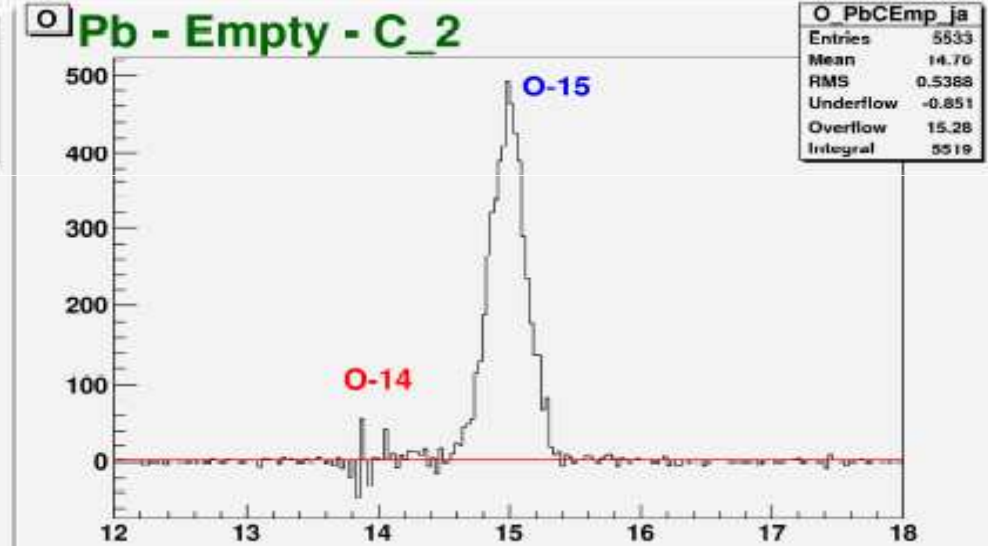
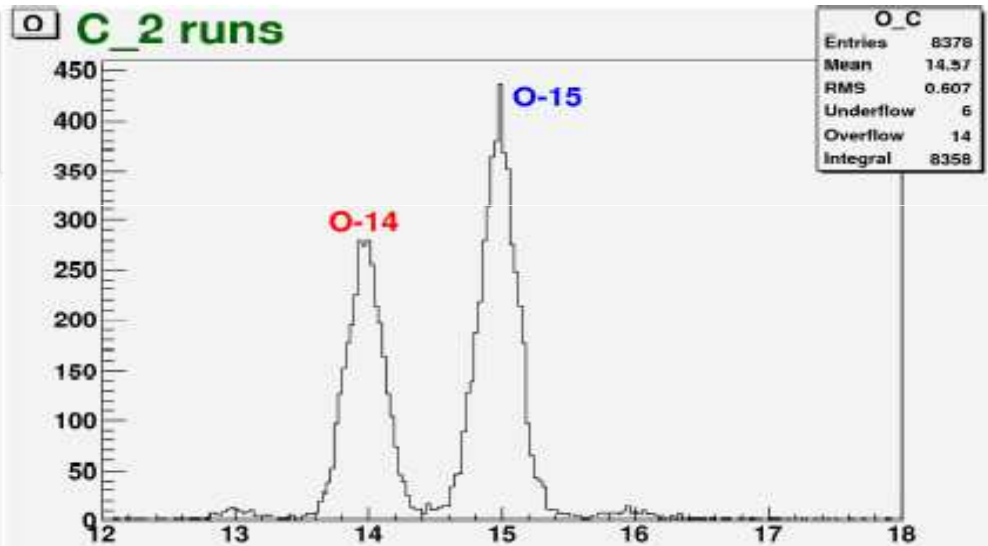
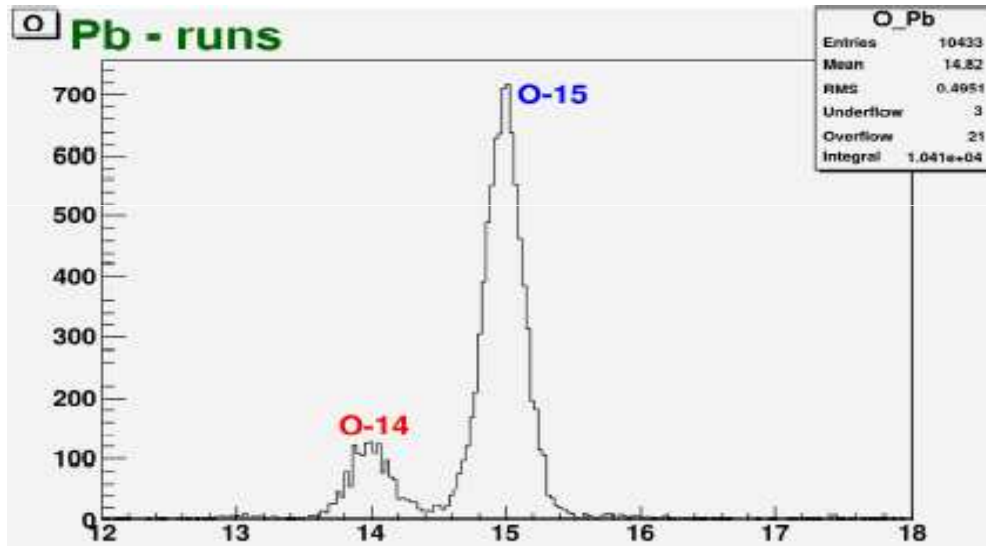
$$\sigma_{\text{Coul}} = p_{\text{Pb}} \cdot \left( \frac{M_{m(\text{Pb})}}{d_{\text{Pb}} \cdot N_{\text{Av}}} \right) - p_{\text{C}} \cdot \left( \frac{\alpha_{\text{Pb}} \cdot M_{m(\text{C})}}{d_{\text{C}} \cdot N_{\text{Av}}} \right) - p_{\text{Emp}} \cdot \left( \frac{M_{m(\text{Pb})}}{d_{\text{Pb}} \cdot N_{\text{Av}}} - \frac{\alpha_{\text{Pb}} \cdot M_{m(\text{C})}}{d_{\text{C}} \cdot N_{\text{Av}}} \right)$$

# Coulomb dissociation cross section



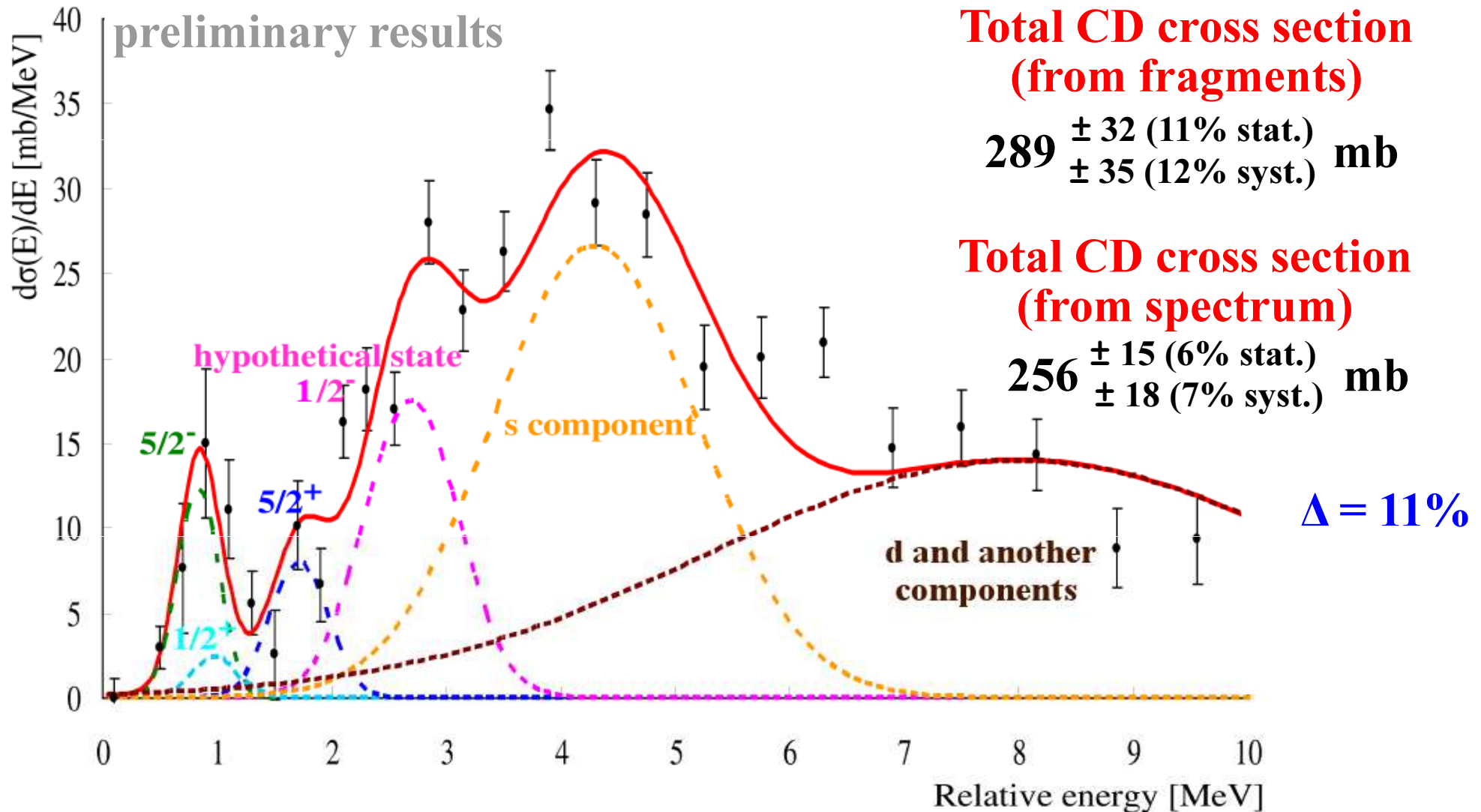
$$\sigma_{\text{Coul}} = p_{\text{Pb}} \cdot \left( \frac{M_{m(\text{Pb})}}{(d_{\text{Pb}} \cdot N_{\text{Av}})} \right) - p_{\text{C}} \cdot \left( \frac{\alpha_{\text{Pb}} M_{m(\text{C})}}{(d_{\text{C}} \cdot N_{\text{Av}})} \right) - p_{\text{Emp}} \cdot \left( \frac{M_{m(\text{Pb})}}{(d_{\text{Pb}} \cdot N_{\text{Av}})} - \frac{\alpha_{\text{Pb}} M_{m(\text{C})}}{(d_{\text{C}} \cdot N_{\text{Av}})} \right)$$

# $\alpha$ – factor estimation

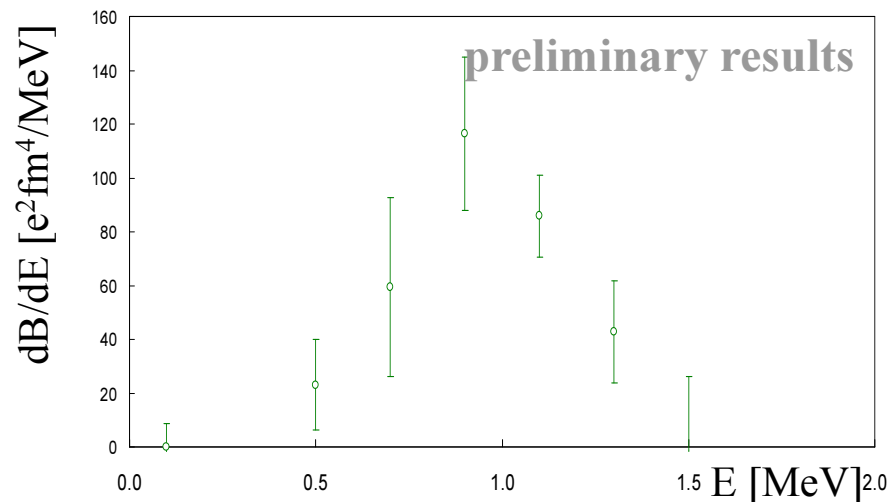
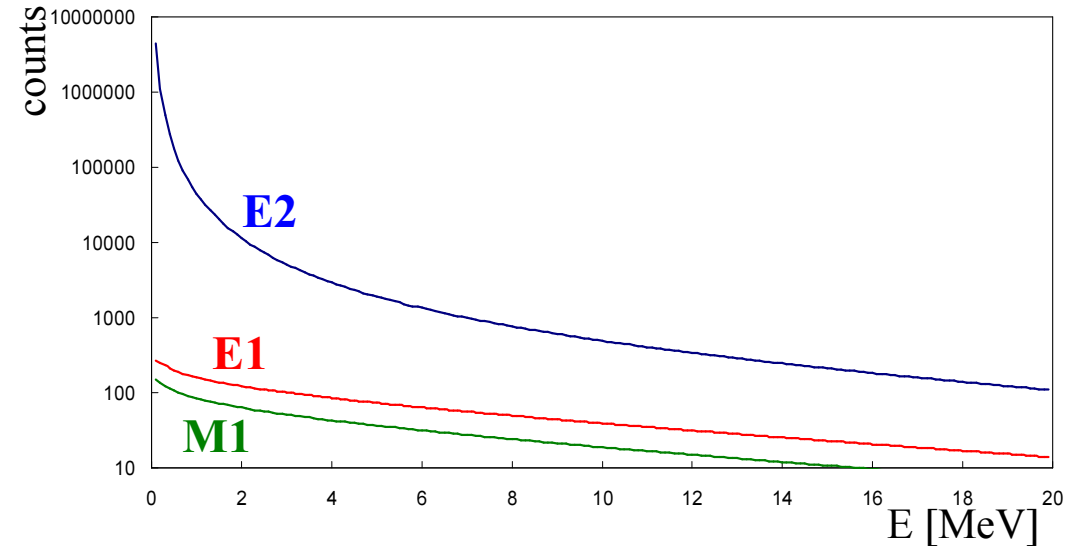
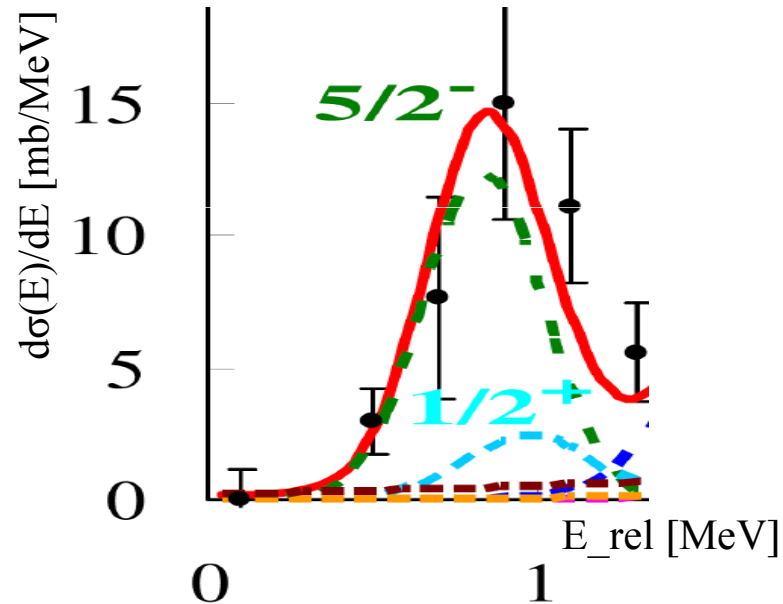




# Coulomb dissociation cross section



# E2 strength



**M.J. Chromik *et al.*, Phys. Rev. C 66,  
024313 (2002)**

(<sup>197</sup>Au target, 58.7 AMeV, assumption from a deflection angle  
– only Coulomb excitation contribution)

$$B(E2, ^{17}\text{Ne}, 1/2^- \rightarrow 5/2^-) = 124 \pm 18 \text{ e}^2\text{fm}^4$$

**This work**

$$B(E2, ^{17}\text{Ne}, 1/2^- \rightarrow 5/2^-) = 63 \pm 12 \text{ e}^2\text{fm}^4$$

# Jacobi coordinates



In order to understand the observed system the knowledge of their internal structure is needed. This information can be extracted from the correlations between decay products.

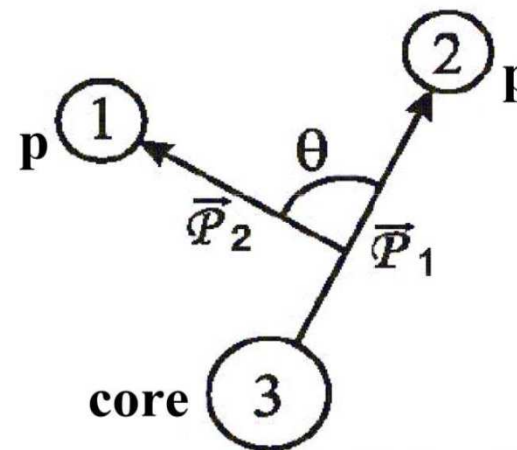
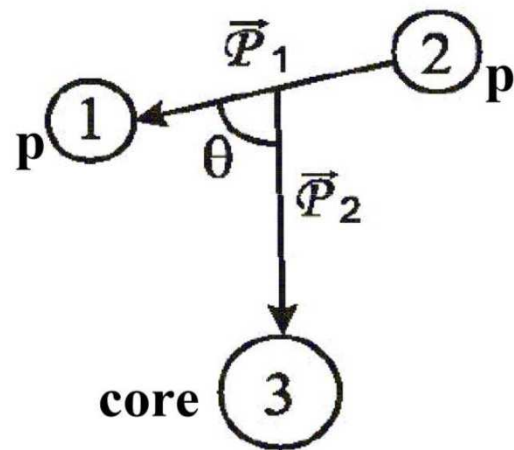
For the description of three-body systems, it is convenient to introduce a set of so called Jacobi coordinates. The Jacobi momenta are constructed as:

$$\left\{ \begin{array}{l} \vec{\mathcal{P}}_1 = \left( \frac{\vec{p}_i}{m_i} - \frac{\vec{p}_j}{m_j} \right) \frac{m_i m_j}{m_i + m_j} \\ \vec{\mathcal{P}}_2 = \left( \frac{\vec{p}_l}{m_l} - \frac{\vec{p}_i + \vec{p}_j}{m_i + m_j} \right) \frac{m_l (m_i + m_j)}{m_i + m_j + m_l} \\ \vec{\mathcal{P}}_{cm} = \vec{p}_i + \vec{p}_j + \vec{p}_l \end{array} \right.$$

Source:  
Y. Aksyutina  
PhD thesis

# Jacobi coordinates

In the case when two out of three particles are identical, there are two choices of Jacobi coordinate system, the so called „T” and „Y” systems, where  $(ijl)=(123)$  and  $(ijl)=231$ , respectively.

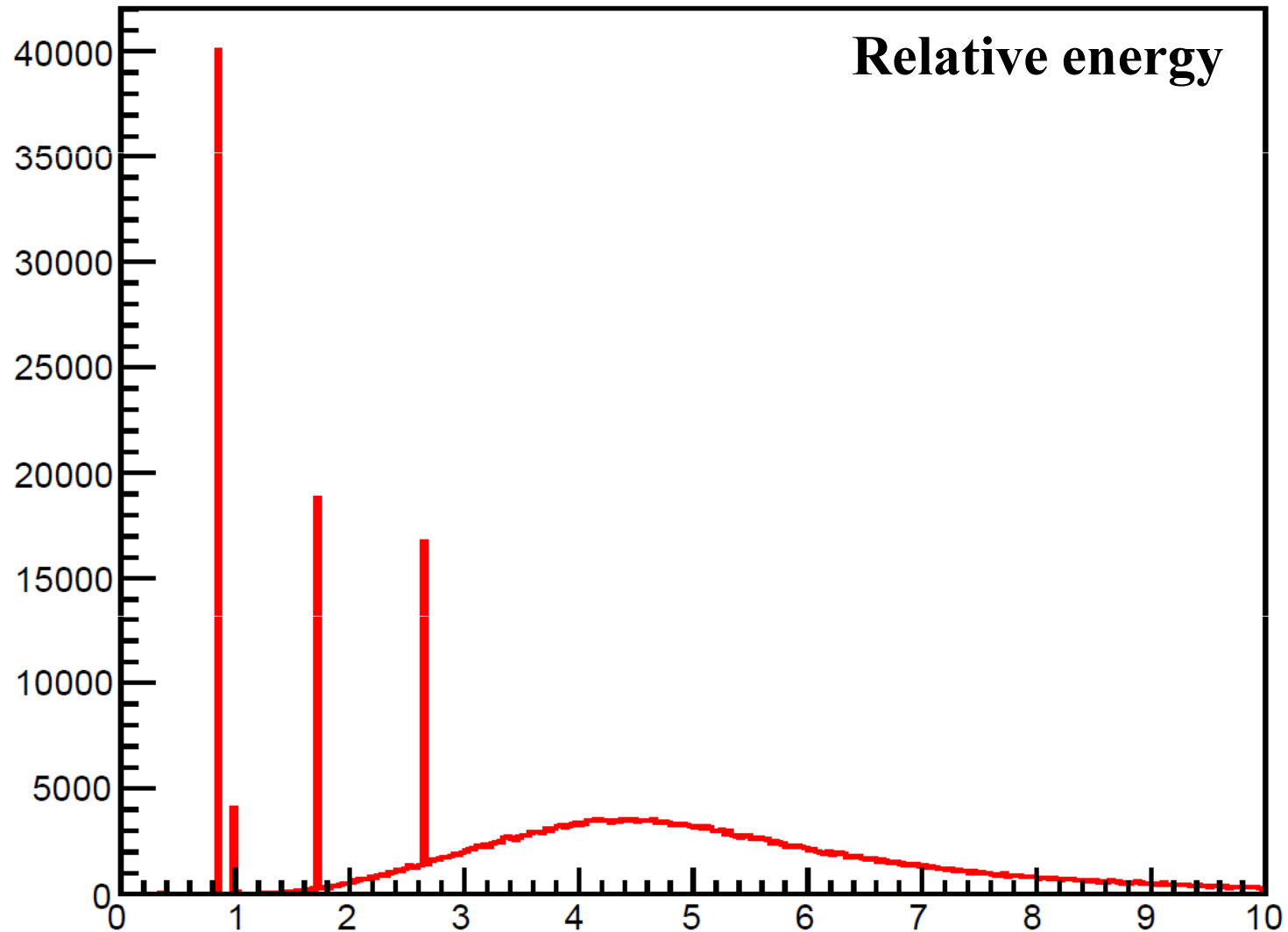


Source:  
Y. Aksyutina  
PhD thesis

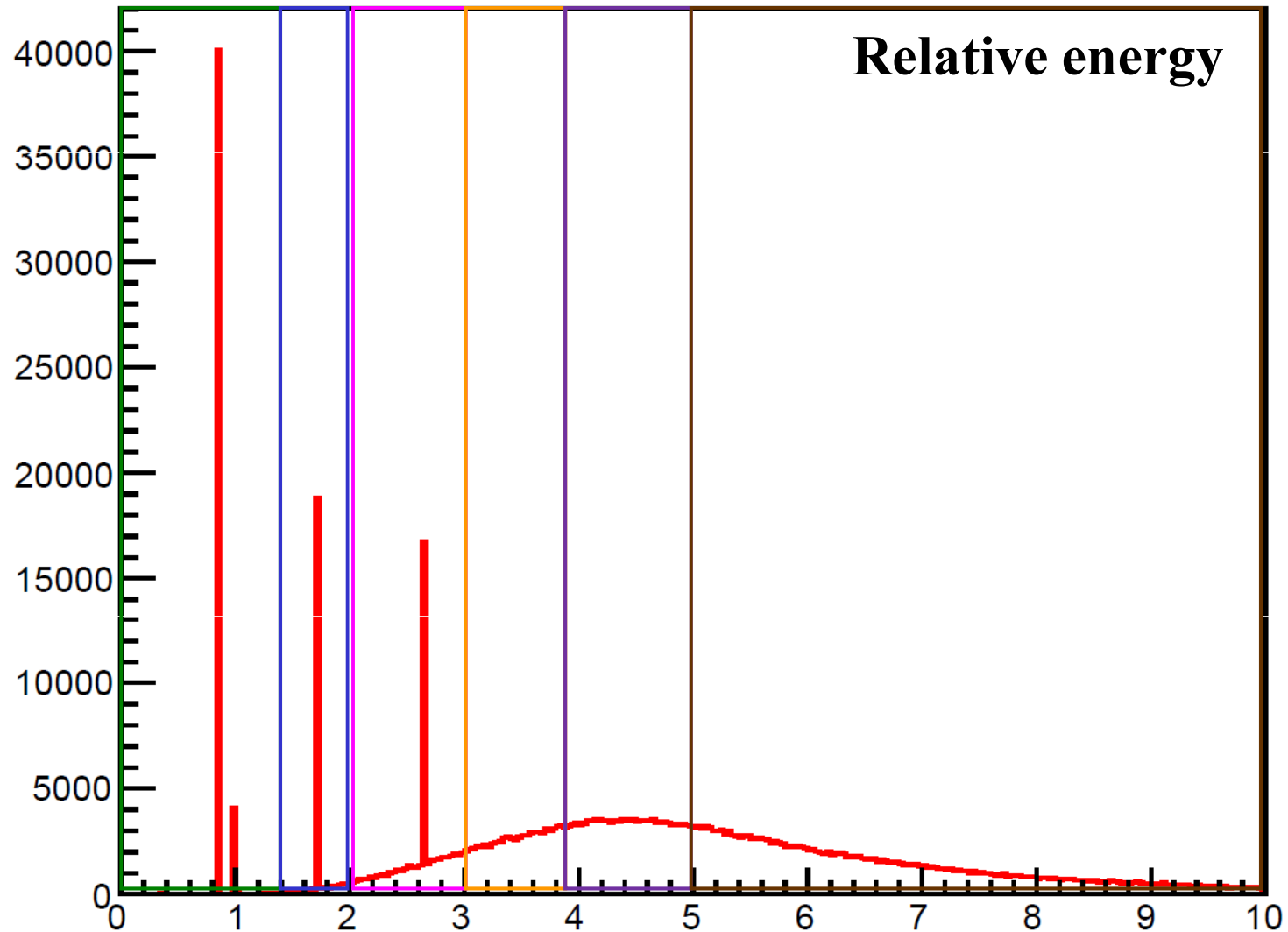
For each three-body system the energy and angular correlations in „T” and „Y” Jacobi coordinate systems can be obtained.

The energy  $\varepsilon$  in the T-system characterizes the energy correlations between the two protons. In the Y-system describes the energy correlations between the core fragment and one of the protons.

# Jacobi coordinates



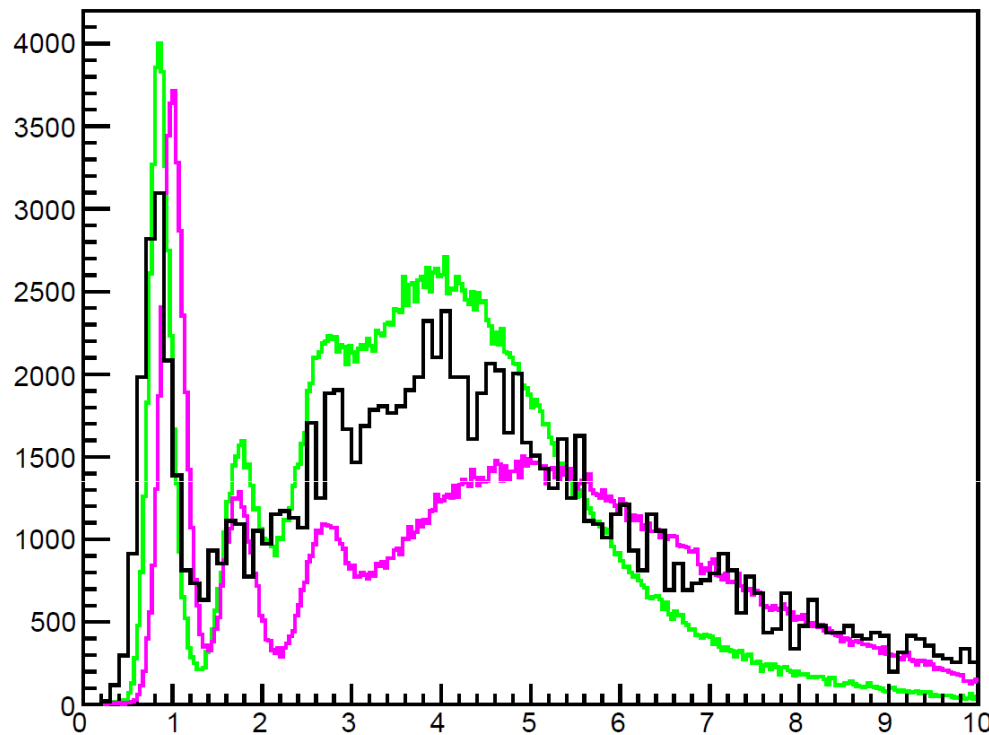
# Jacobi coordinates



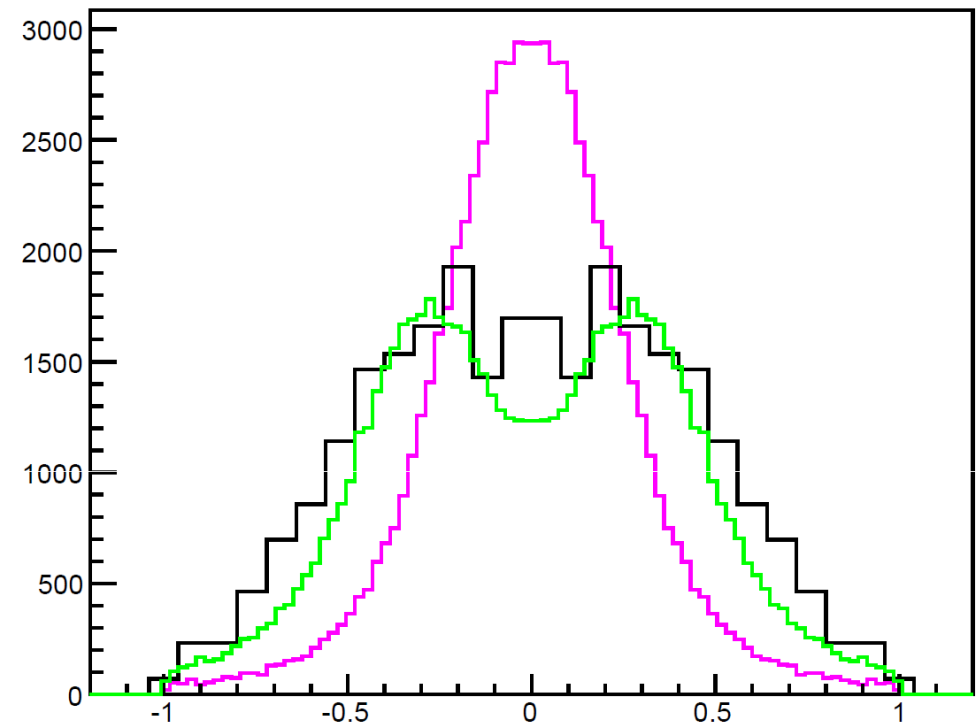
# Jacobi coordinates

100% of s – state    100% of d – state    experimental data

Relative energy



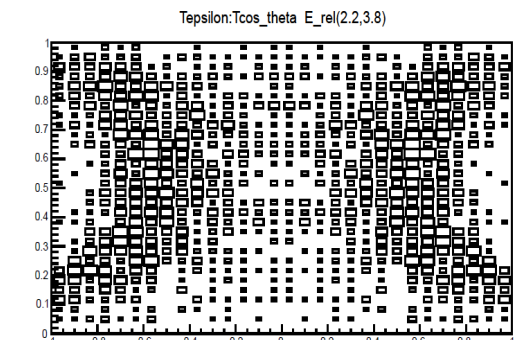
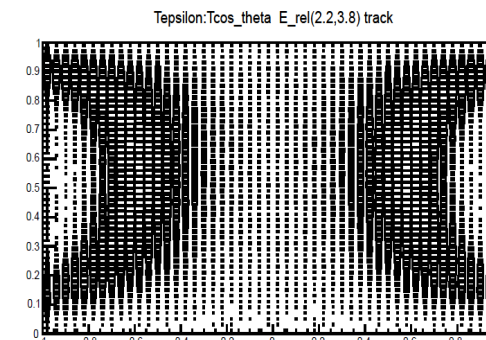
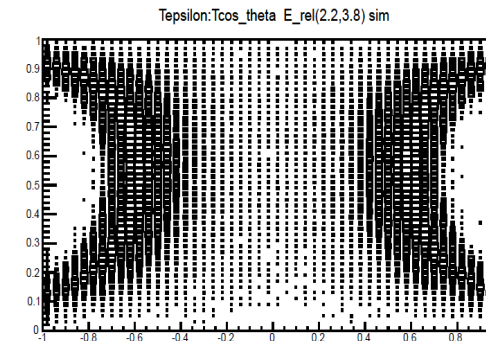
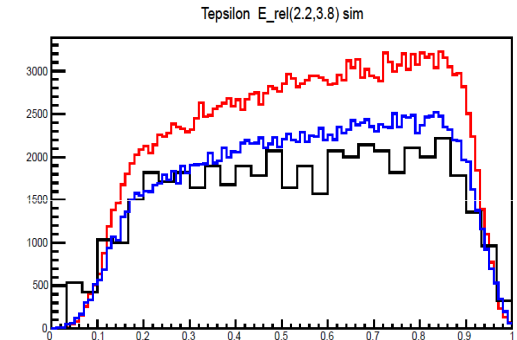
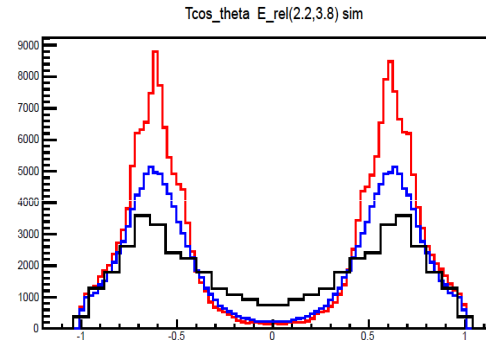
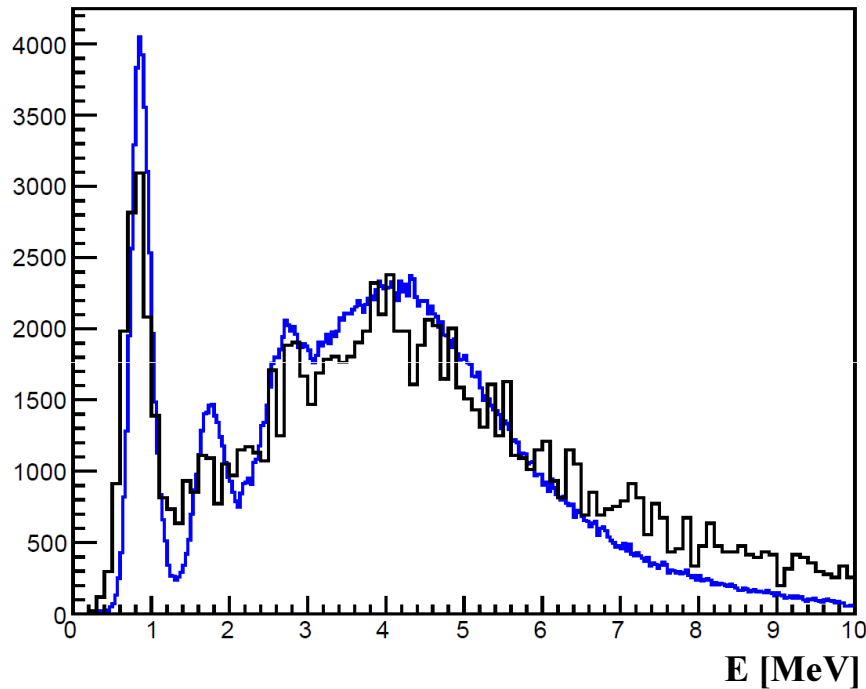
Tcos\_theta E\_rel(0,1.4) track



# Jacobi coordinates

preliminary results

Relative energy







## What has to be done:

- 1. a XB efficiency simulation;**
- 2. final estimation of  $s^2$  contribution and confirmation of  $^{17}\text{Ne}$  model;**
- 3. determine a radiative capture cross section;**
- 5. uncertainties calculation;**

- **the Coulomb dissociation method => usefull tool for nuclear structure and astrophysics (e.g. only one way to the three particles in entrance channel measurements);**
- **$^{15}\text{O}(2p,\gamma)^{17}\text{Ne}$  => maybe the alternative break-out reaction of CNO cycle;**
- **the coulomb dissociation cross section determined;**
- **the previous experimental E2 strength – twice bigger that in this work;**
- **the  $s^2$  contribution estimation and the calculation of  $^{15}\text{O}(2p,\gamma)^{17}\text{Ne}$  cross section => in progress.**



**T. Aumann<sup>1,2</sup>, I. Egorova<sup>3</sup>, L.V. Grigorenko<sup>3</sup>,  
M. Heil<sup>1</sup>, Yu. Parfenova<sup>3,4</sup>, R. Plag<sup>1</sup>, F. Wamers<sup>2,5</sup>  
for LAND-R<sup>3</sup>B collaboration**

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<sup>2</sup> Institut für Kernphysik, TU Darmstadt, Germany

<sup>3</sup> Flerov Laboratory of Nuclear Reactions, JINR, Dubna, Russia

<sup>4</sup> Institute of Nuclear Physics, Moscow State University, Russia

<sup>5</sup> ExtreMe Matter Institute EMMI, GSI Darmstadt, Germany

**Thank you!**

# outline



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