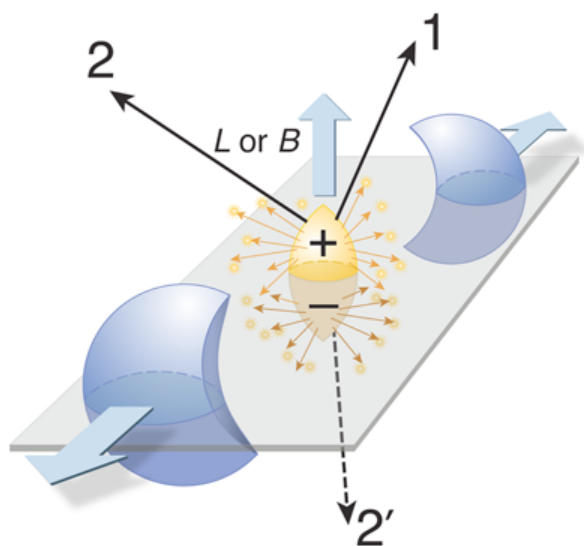
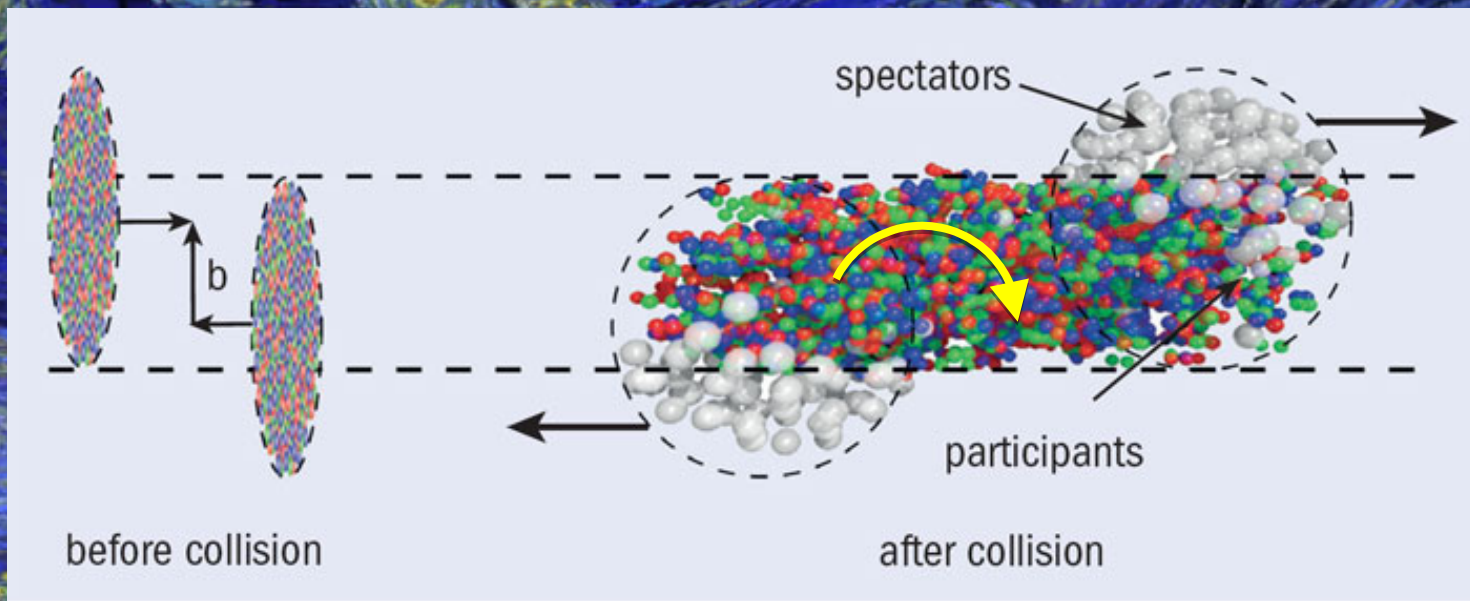




# Global polarization of Lambda hyperons in Au+Au Collisions at RHIC BES

Isaac Upsal (OSU)  
For the STAR collaboration  
03/18/17

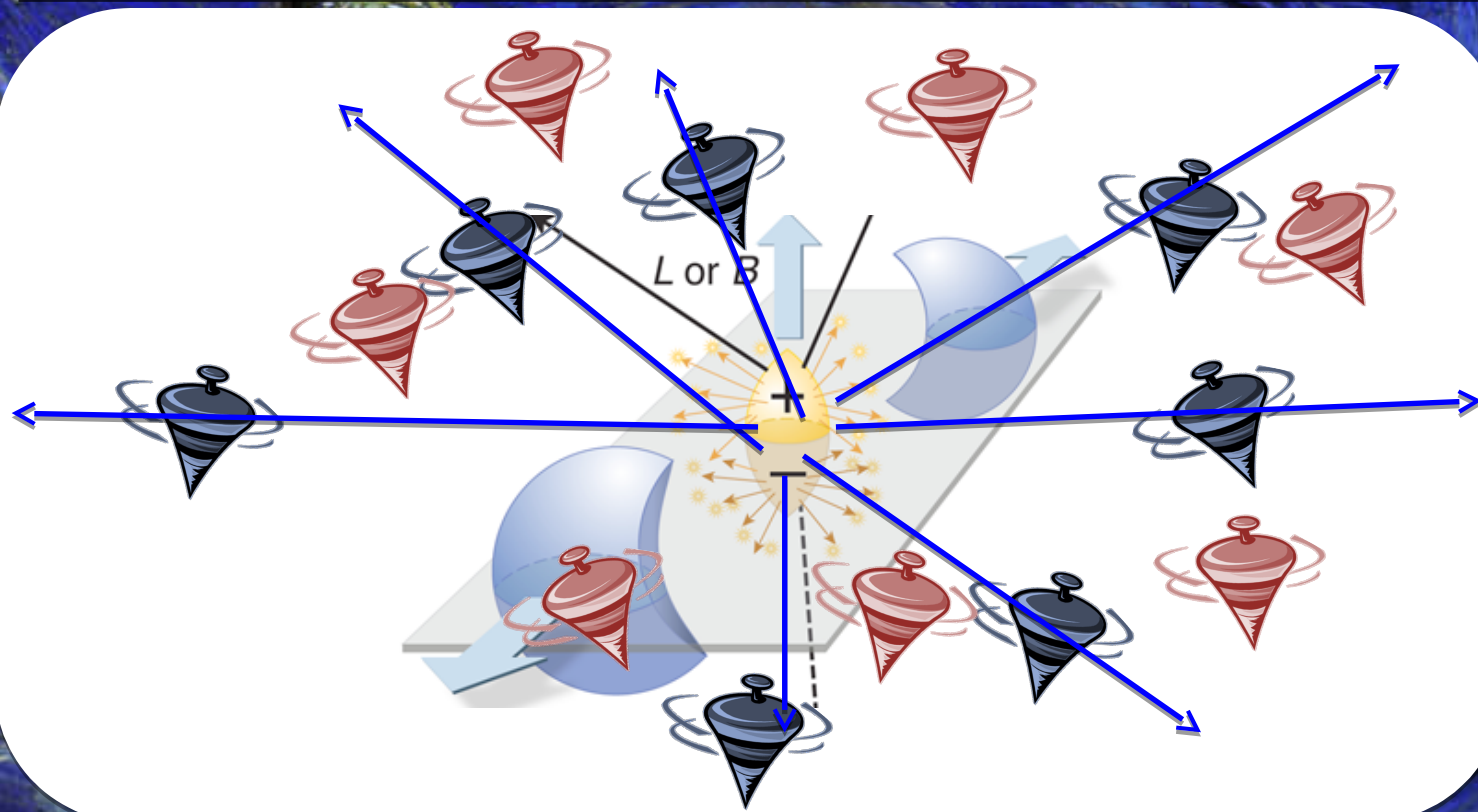




- $|L| \sim 10^3 \hbar$  in non-central collisions
- How much is transferred to particles at mid-rapidity?
- Does angular momentum get distributed thermally?
- Does it generate a “spinning QGP?”
  - consequences?
- How does that affect fluid/transport?
  - Vorticity:  $\vec{\omega} \equiv \frac{1}{2} \vec{\nabla} \times \vec{v}$
- How would it manifest itself in data?

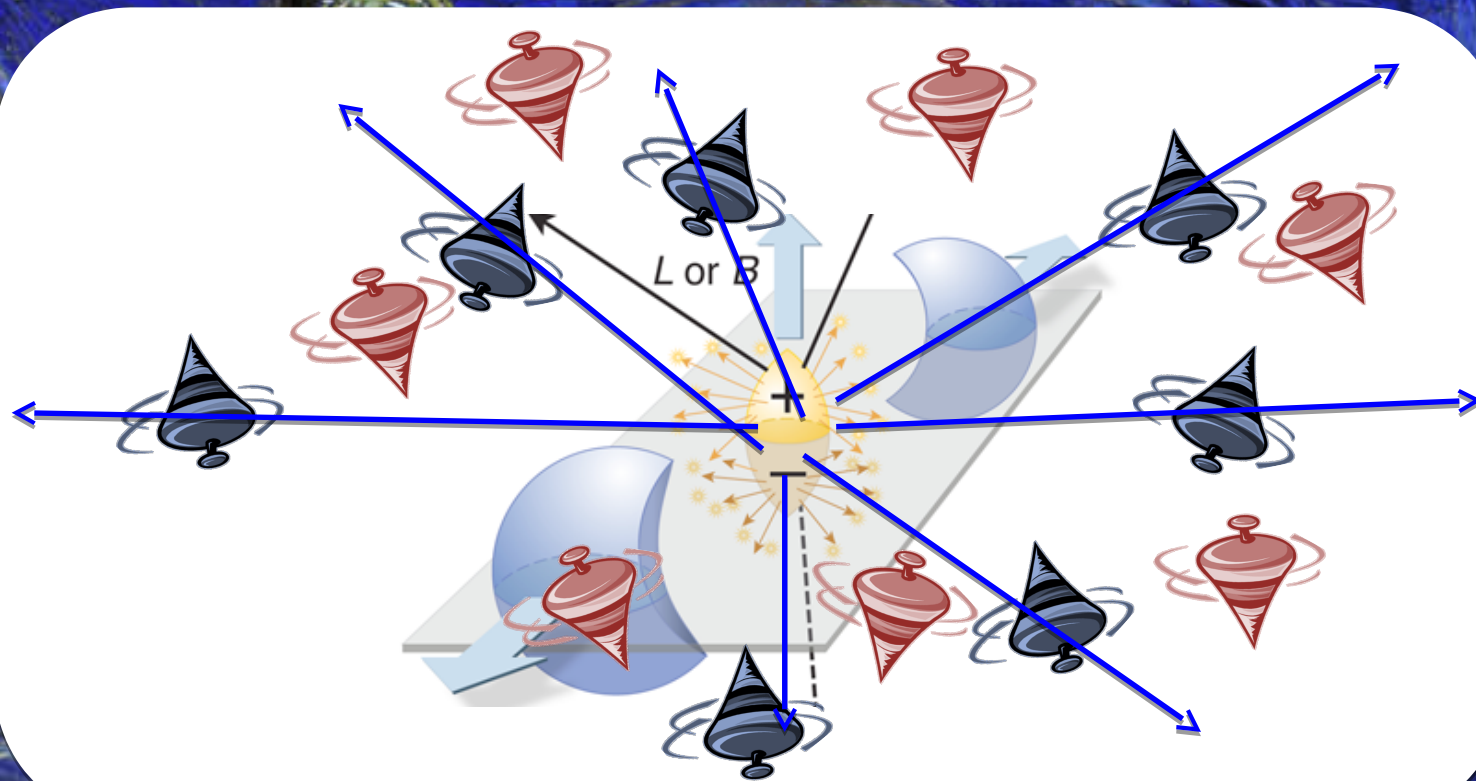


# Vorticity → Global Polarization



- Vortical or QCD spin-orbit: Lambda and Anti-Lambda spins aligned with L

# Magnetic field → Global Polarization



- Vortical or QCD spin-orbit: Lambda and Anti-Lambda spins aligned with L
- (electro)magnetic coupling: Lambdas *anti*-aligned, and Anti-Lambdas aligned

Both  
may  
contribute

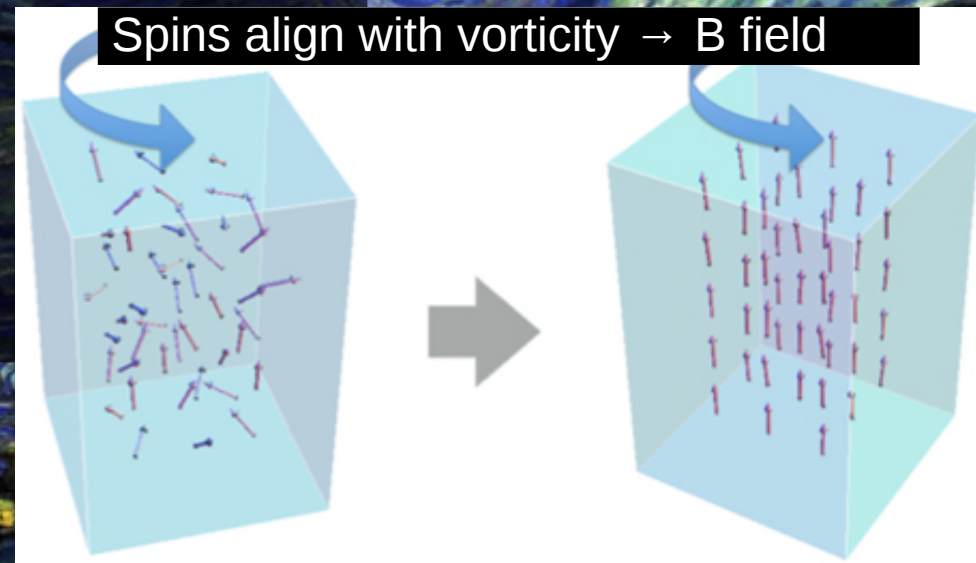


# Barnett effect

- Nice correspondence in Barnett effect
- BE: uncharged object rotating with angular velocity  $\omega$  magnetizes

$$M = \chi \omega / \gamma$$

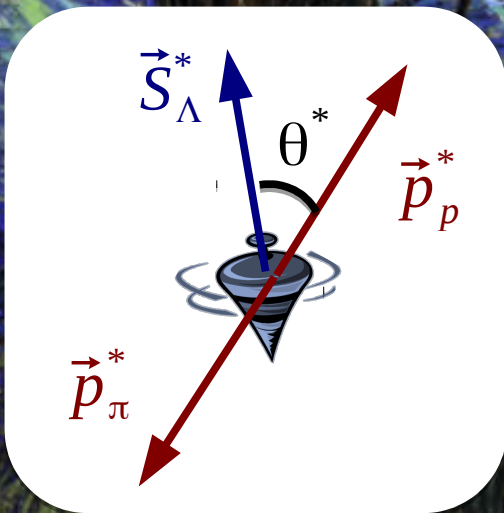
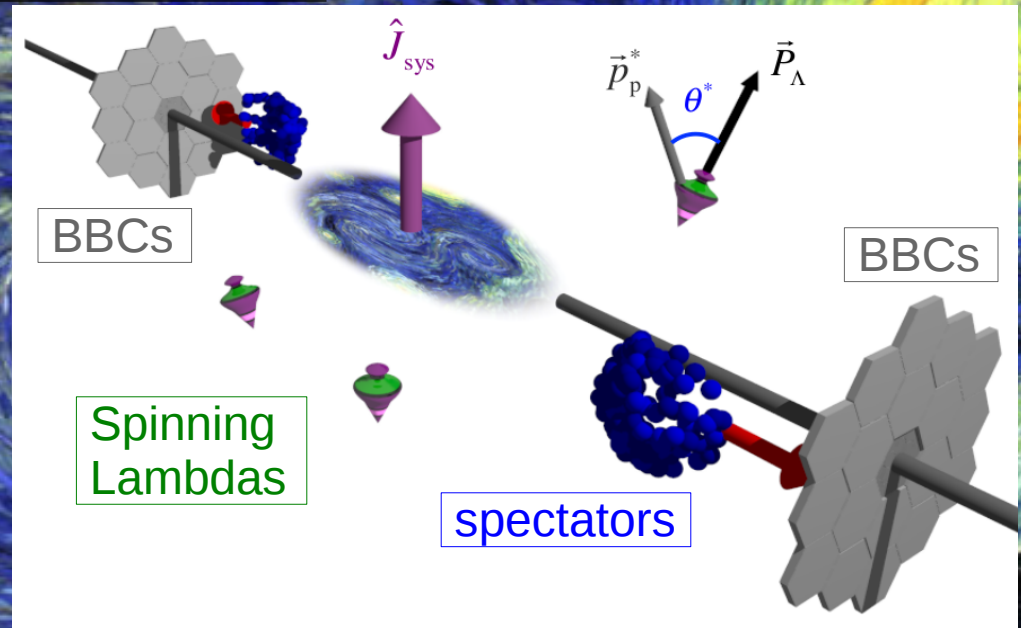
- $\gamma$  = gyromagnetic ratio,  
 $\chi$  = magnetic susceptibility



Barnett Science 42, 163, 459 (1915); Barnett Phys. Rev. 6, 239–270 (1915)

# How to quantify the effect (I)

- Lambdas are “self-analyzing”
- Reveal polarization by preferentially emitting daughter proton in spin direction



$\Lambda$ s with Polarization  $\vec{P}$  follow the distribution:

$$\frac{dN}{d\Omega^*} = \frac{1}{4\pi} (1 + \alpha \vec{P} \cdot \hat{p}_p^*) = \frac{1}{4\pi} (1 + \alpha P \cos \theta^*)$$

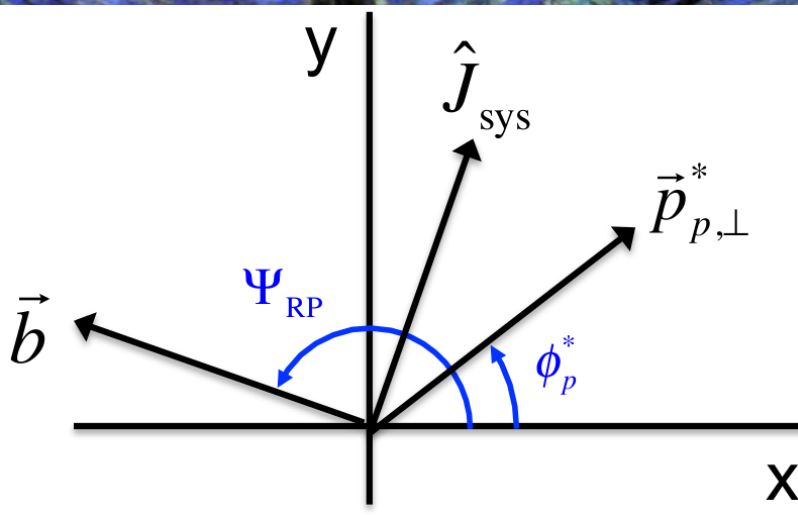
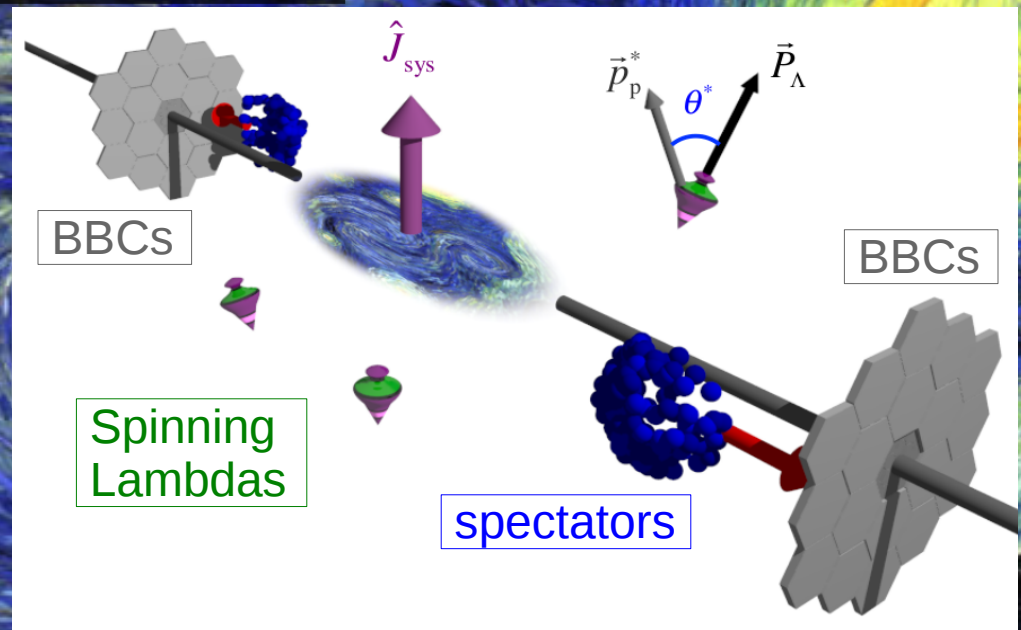
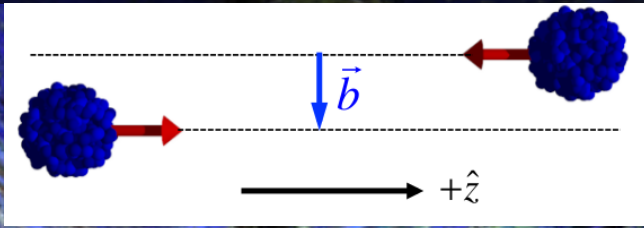
$$\alpha = 0.642 \pm 0.013 \quad [\text{measured}]$$

$\hat{p}_p^*$  is the daughter proton momentum direction *in the  $\Lambda$  frame* (note that this is opposite for  $\bar{\Lambda}$ )

$$0 < |\vec{P}| < 1: \quad \vec{P} = \frac{3}{\alpha} \overline{\hat{p}_p^*}$$



# How to quantify the effect (II)



Symmetry:  $|\eta| < 1$ ,  $0 < \varphi < 2\pi \rightarrow \|\hat{L}$

Statistics-limited experiment: we report acceptance-integrated polarization,  $P_{ave} \equiv \int d\vec{\beta}_\Lambda \frac{dN}{d\vec{\beta}_\Lambda} \vec{P}(\vec{\beta}_\Lambda) \cdot \hat{L}$

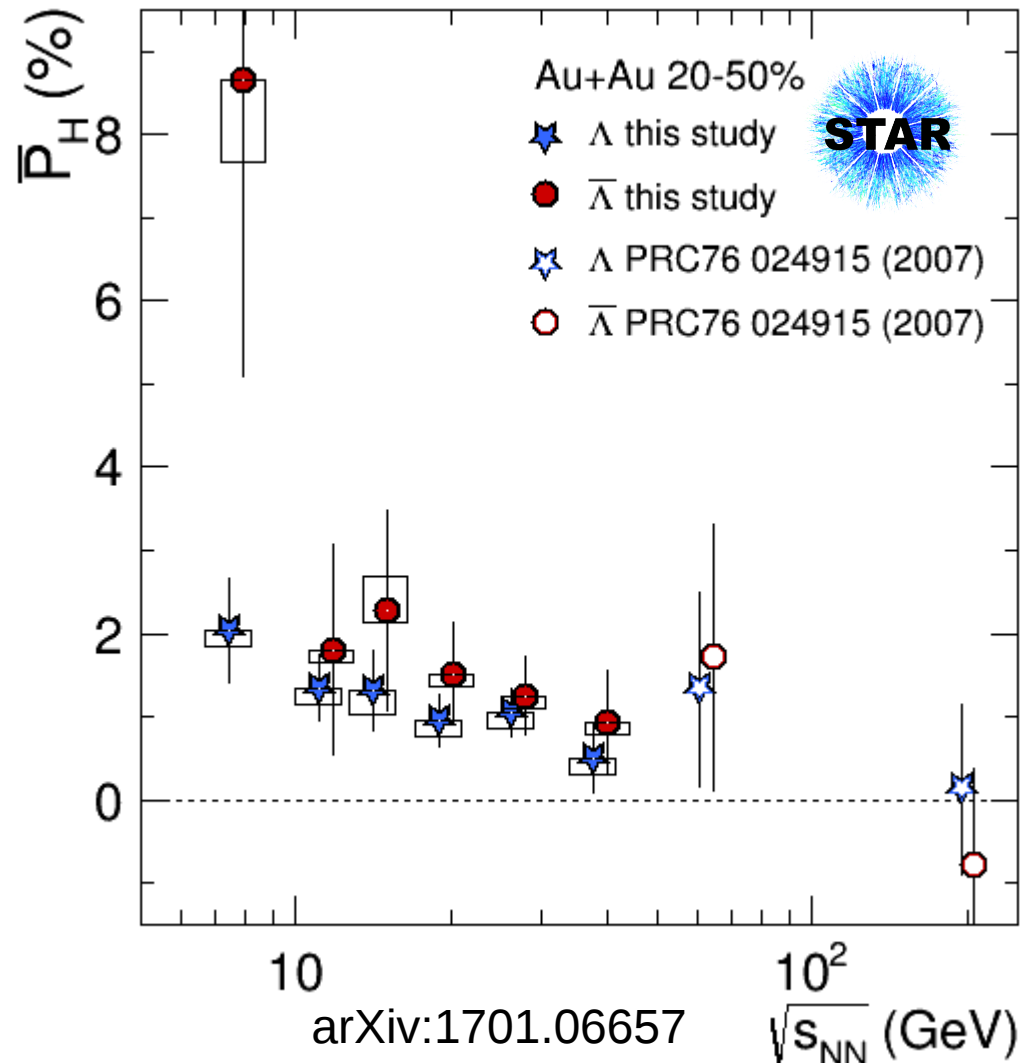
$P_{AVE} = \frac{8}{\pi\alpha} \frac{\langle \sin(\varphi_{\hat{b}} - \varphi_p^*) \rangle}{R_{EP}^{(1)}}$  \*\* where the average is performed over events and  $\Lambda$ s

$R_{EP}^{(1)}$  is the first-order event plane resolution and  $\varphi_{\hat{b}}$  is the impact parameter angle

\*\* if  $v_1 \cdot y > 0$  in BBCs  $\varphi_{\hat{b}} = \Psi_{EP}$ , if  $v_1 \cdot y < 0$  in BBCs  $\varphi_{\hat{b}} = \Psi_{EP} + \pi$

# Global polarization measure

- Measured Lambda and Anti-Lambda polarization
- Includes results from previous STAR null result (2007)
- $\bar{P}_H(\Lambda)$  and  $\bar{P}_H(\bar{\Lambda}) > 0$  implies positive vorticity
- $\bar{P}_H(\bar{\Lambda}) > \bar{P}_H(\Lambda)$  would imply magnetic coupling





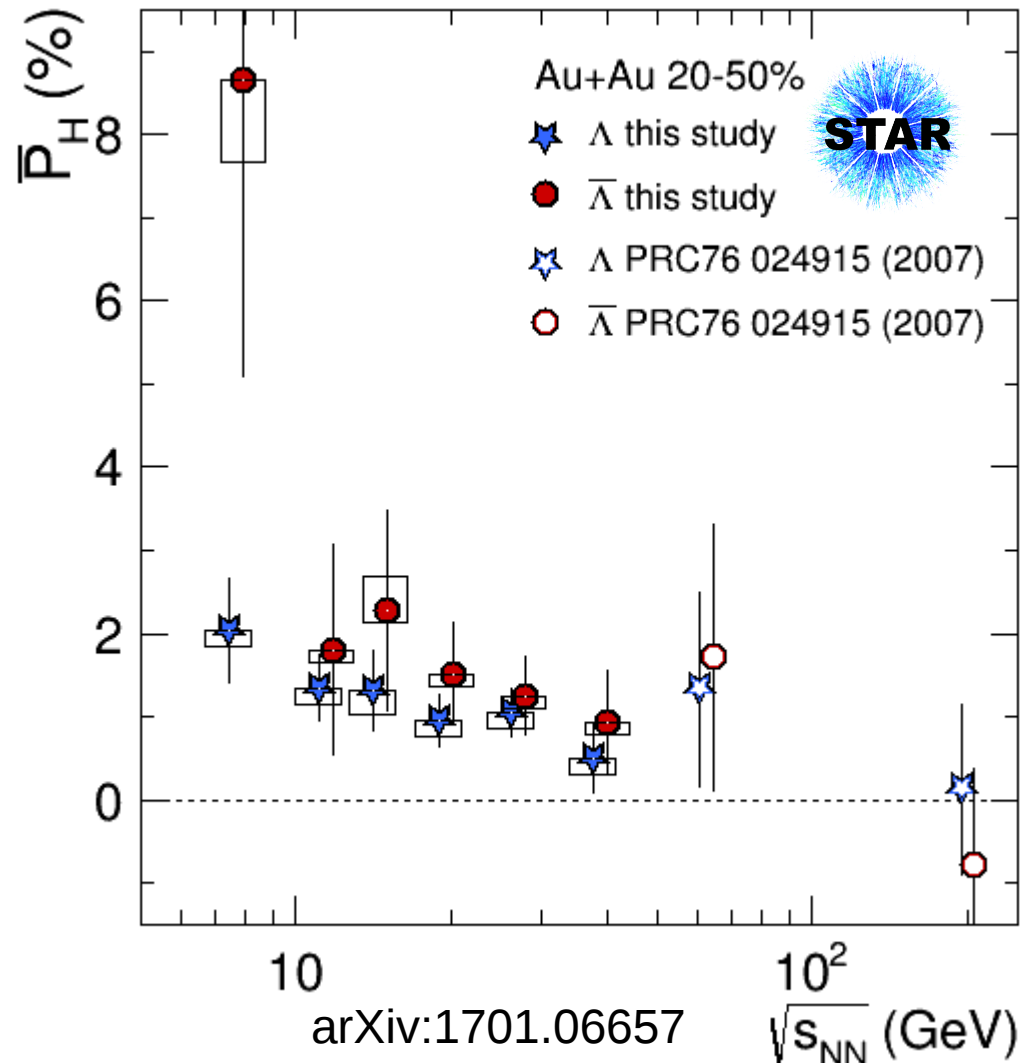
# Global polarization measure

- Measured Lambda and Anti-

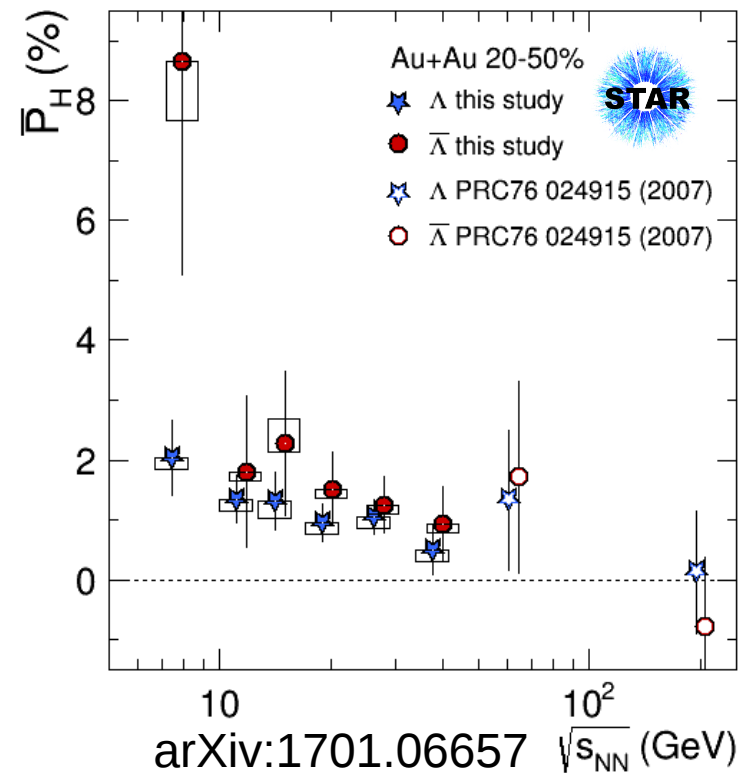
We can study more  
fundamental properties  
of the system

previous STAR null result  
(2007)

- $\bar{P}_H(\Lambda)$  and  $\bar{P}_H(\bar{\Lambda}) > 0$   
implies positive vorticity
- $\bar{P}_H(\bar{\Lambda}) > \bar{P}_H(\Lambda)$  would  
imply magnetic coupling



# Vortical and Magnetic Contributions



- Magneto-hydro equilibrium **interpretation**

$$P \sim \exp(-E/T + \mu_B B/T + \vec{\omega} \cdot \vec{S}/T + \vec{\mu} \cdot \vec{B}/T) \quad **$$

- for small polarization:

$$P_{\Lambda} \approx \frac{1}{2} \frac{\omega}{T} - \frac{\mu_{\Lambda} B}{T} \quad P_{\bar{\Lambda}} \approx \frac{1}{2} \frac{\omega}{T} + \frac{\mu_{\Lambda} B}{T}$$

- vorticity from addition:

$$\frac{\omega}{T} = P_{\bar{\Lambda}} + P_{\Lambda}$$

- B from the difference:

$$\frac{B}{T} = \frac{1}{2\mu_{\Lambda}} (P_{\bar{\Lambda}} - P_{\Lambda})$$

$$** \quad \hbar = k_B = 1$$

**But** even with topological cuts, significant feeddown from  $\Sigma^0$ ,  $\Xi^{0/-}$ ,  $\Sigma^{*\pm/0}$  ...

... which themselves will be polarized...



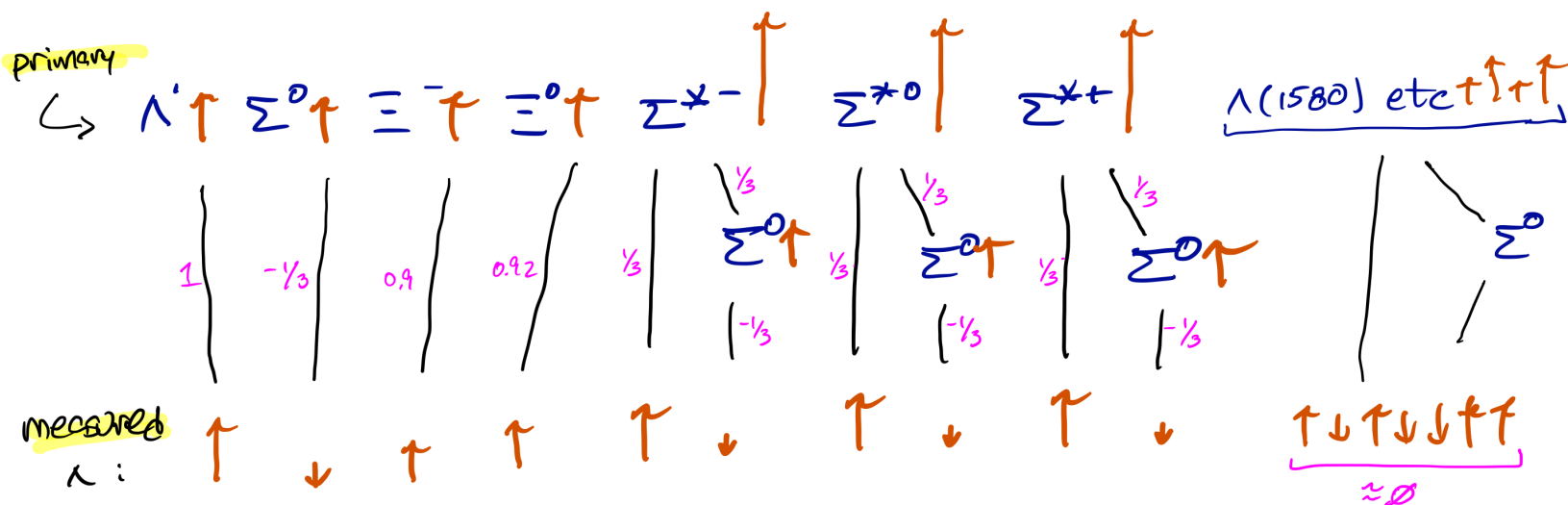
# Accounting for polarized feeddown

PRIMARY + FEED-DOWN POLARIZATION  
VERTICAL COMPONENT

primary  
↳  $\Lambda' \uparrow \Sigma^0 \uparrow \Xi^- \uparrow \Xi^0 \uparrow \Sigma^{*-} \uparrow \Sigma^{*0} \uparrow \Sigma^{*+} \uparrow \underline{\Lambda(1580) \text{ etc } \uparrow \uparrow \uparrow}$

# Accounting for polarized feeddown

## PRIMARY + FEED-DOWN POLARIZATION VERTICAL COMPONENT



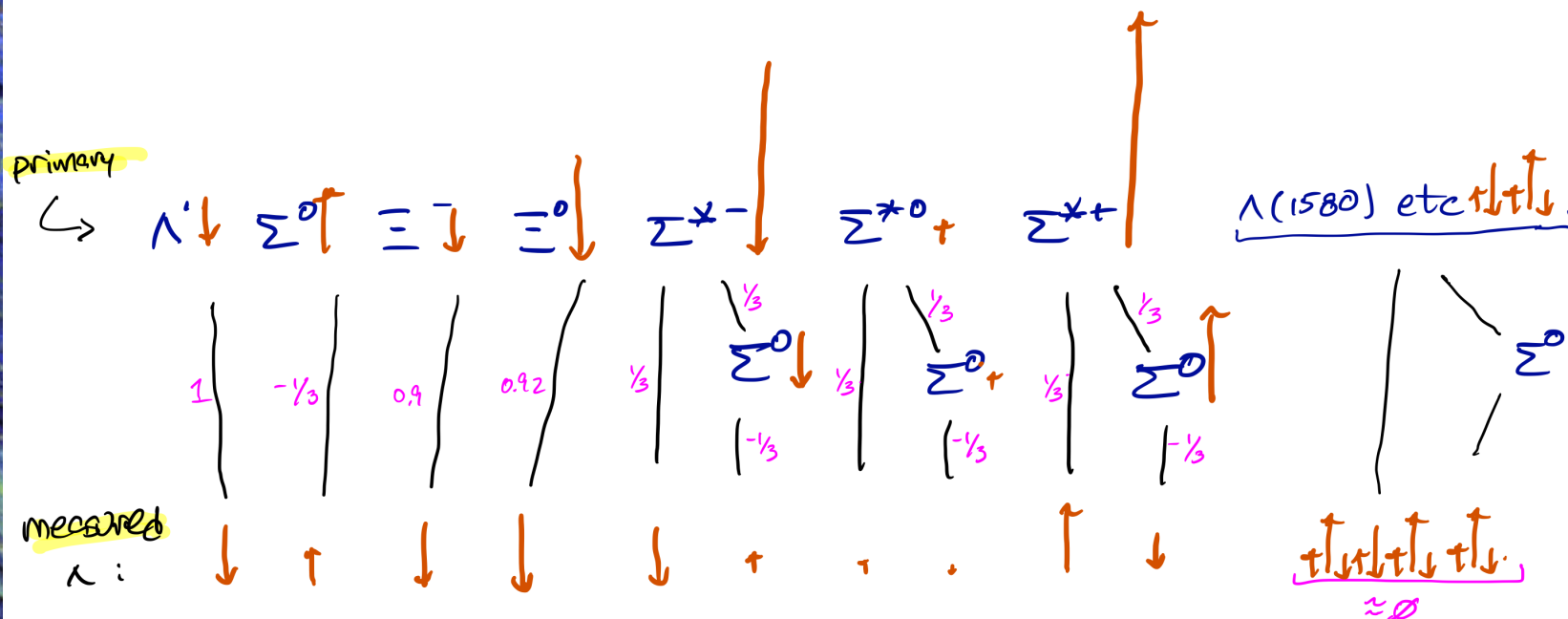
	$J^\pi$	$\mu$
$\Lambda$	$1/2^+$	-0.613
$\Sigma^0$	$1/2^+$	+0.79
$\Xi^-$	$1/2^+$	-0.651
$\Xi^0$	$1/2^+$	-1.25

	$J^\pi$	$\mu$
$\Sigma^{*-}$	$3/2^+$	-2.41
$\Sigma^{*0}$	$3/2^+$	+0.30
$\Sigma^{*+}$	$3/2^+$	+3.02



# Accounting for polarized feeddown

## PRIMARY + FEED-DOWN POLARIZATION MAGNETIC COMPONENT



	$J^P$	$\mu$		$J^P$	$\mu$
$\Lambda$	$\frac{1}{2}^+$	-0.613	$\Sigma^{*-}$	$\frac{3}{2}^+$	-2.41
$\Sigma^0$	$\frac{1}{2}^+$	+0.79	$\Sigma^{*0}$	$\frac{3}{2}^+$	+0.30
$\Xi^-$	$\frac{1}{2}^+$	-0.651	$\Sigma^{*+}$	$\frac{3}{2}^+$	+3.02
$\Xi^0$	$\frac{1}{2}^+$	-1.25			

# Accounting for polarized feeddown

$$\begin{pmatrix} \frac{\omega}{T} \\ \frac{B}{T} \end{pmatrix} = \begin{bmatrix} \frac{2}{3} \sum_R \left( f_{\Lambda R} C_{\Lambda R} - \frac{1}{3} f_{\Sigma^0 R} C_{\Sigma^0 R} \right) S_R (S_R + 1) & \frac{2}{3} \sum_R \left( f_{\Lambda R} C_{\Lambda R} - \frac{1}{3} f_{\Sigma^0 R} C_{\Sigma^0 R} \right) (S_R + 1) \mu_R \\ \frac{2}{3} \sum_{\bar{R}} \left( f_{\bar{\Lambda} \bar{R}} C_{\bar{\Lambda} \bar{R}} - \frac{1}{3} f_{\bar{\Sigma}^0 \bar{R}} C_{\bar{\Sigma}^0 \bar{R}} \right) S_{\bar{R}} (S_{\bar{R}} + 1) & \frac{2}{3} \sum_{\bar{R}} \left( f_{\bar{\Lambda} \bar{R}} C_{\bar{\Lambda} \bar{R}} - \frac{1}{3} f_{\bar{\Sigma}^0 \bar{R}} C_{\bar{\Sigma}^0 \bar{R}} \right) (S_{\bar{R}} + 1) \mu_{\bar{R}} \end{bmatrix}^{-1} \begin{pmatrix} P_{\Lambda}^{\text{meas}} \\ P_{\bar{\Lambda}}^{\text{meas}} \end{pmatrix}^{**}$$

- $f_{\Lambda R}$  = fraction of  $\Lambda$ s that originate from parent  $R \rightarrow \Lambda$
- $C_{\Lambda R}$  = coefficient of spin transfer from parent  $R$  to daughter  $\Lambda$
- $S_R$  = parent particle spin
- $\mu_R$  is the magnetic moment of particle  $R$
- overlines denote antiparticles

From THERMUS

Decay	$C$
parity-conserving: $1/2^+ \rightarrow 1/2^+ 0^-$	$-1/3$
parity-conserving: $1/2^- \rightarrow 1/2^+ 0^-$	$1$
parity-conserving: $3/2^+ \rightarrow 1/2^+ 0^-$	$1/3$
parity-conserving: $3/2^- \rightarrow 1/2^+ 0^-$	$-1/5$
$\Xi^0 \rightarrow \Lambda + \pi^0$	$+0.900$
$\Xi^- \rightarrow \Lambda + \pi^-$	$+0.927$
$\Sigma^0 \rightarrow \Lambda + \gamma$	$-1/3$

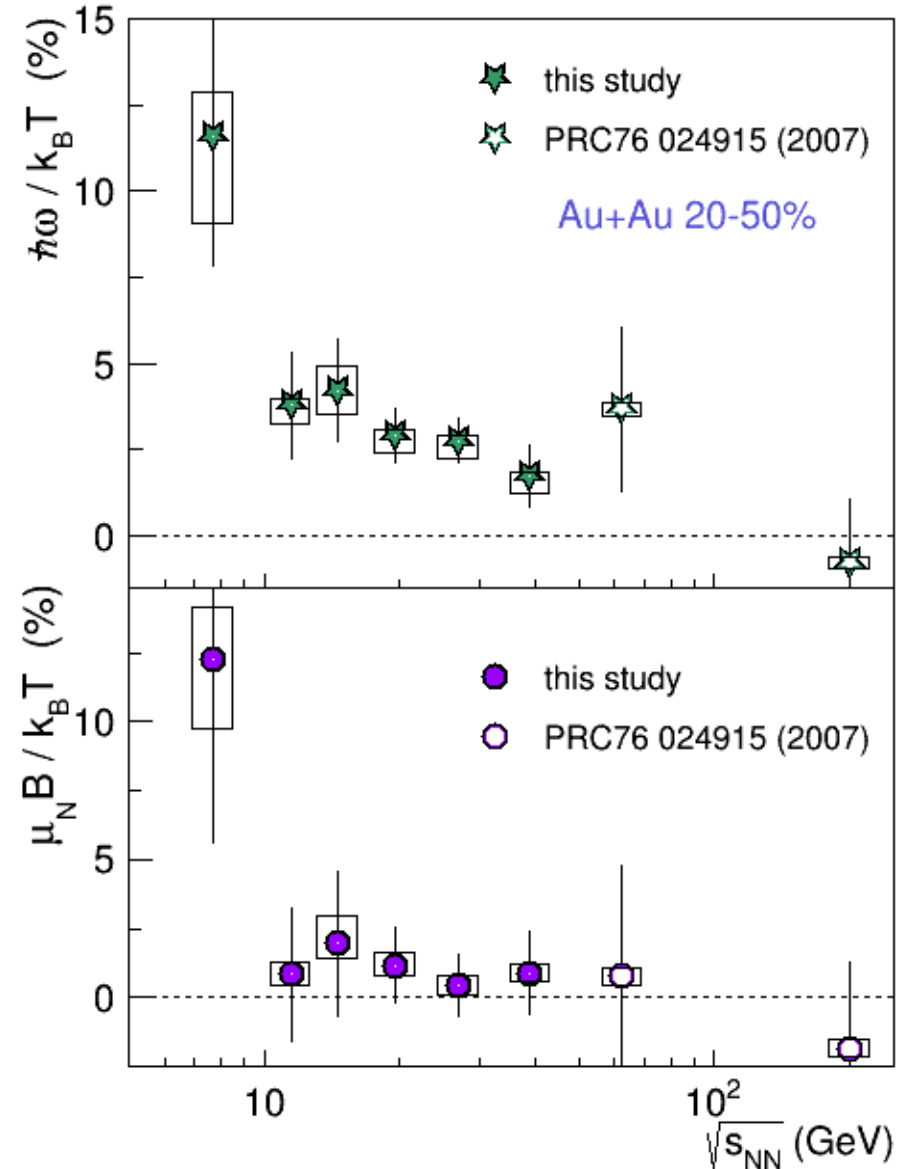
$** \hbar = k_B = 1$

TABLE I. Polarization transfer factors  $C$  (see eq. (31)) for



# Extracted Physical Parameters

- Significant vorticity signal
  - Hints at falling with energy, despite increasing  $J_{\text{collision}}$
  - $6\sigma$  average for 7.7-39GeV
  - $P_{\Lambda_{\text{primary}}} = \frac{\omega}{2T} \sim 5\%$
- Magnetic field
  - $\mu_N =$  nuclear magneton
  - positive value,  $2\sigma$  average for 7.7-39GeV



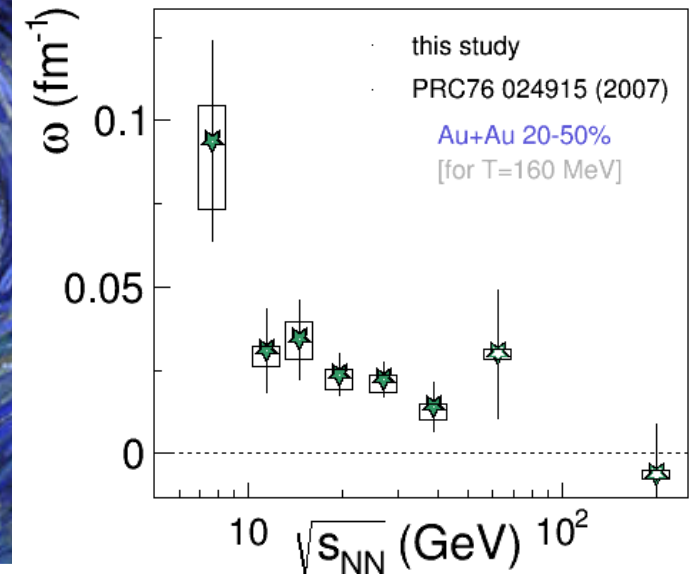
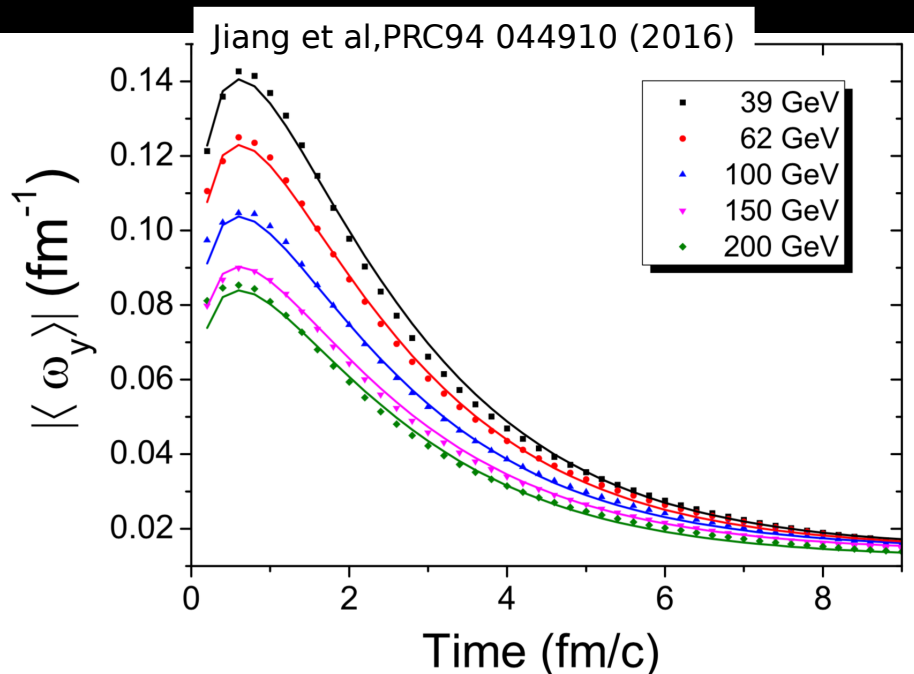
# Vorticity ~ theory expectation

- Thermal vorticity:

$$\frac{\omega}{T} \approx 2-10\%$$

$$\omega \approx 0.02-0.09 \text{ fm}^{-1} \quad (T_{\text{assumed}} = 160 \text{ MeV})$$

- Magnitude,  $\sqrt{s}$ -dep. in range of transport & 3D viscous hydro calculations with rotation



Csernai et al, PRC**90** 021904(R) (2014)

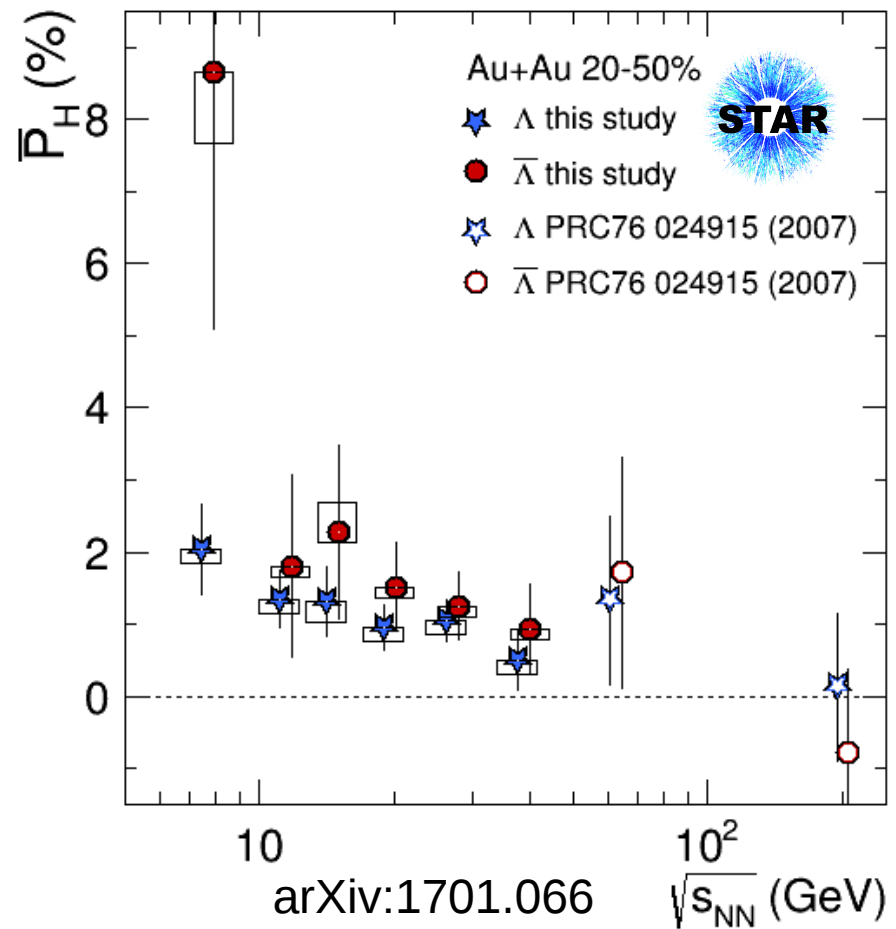
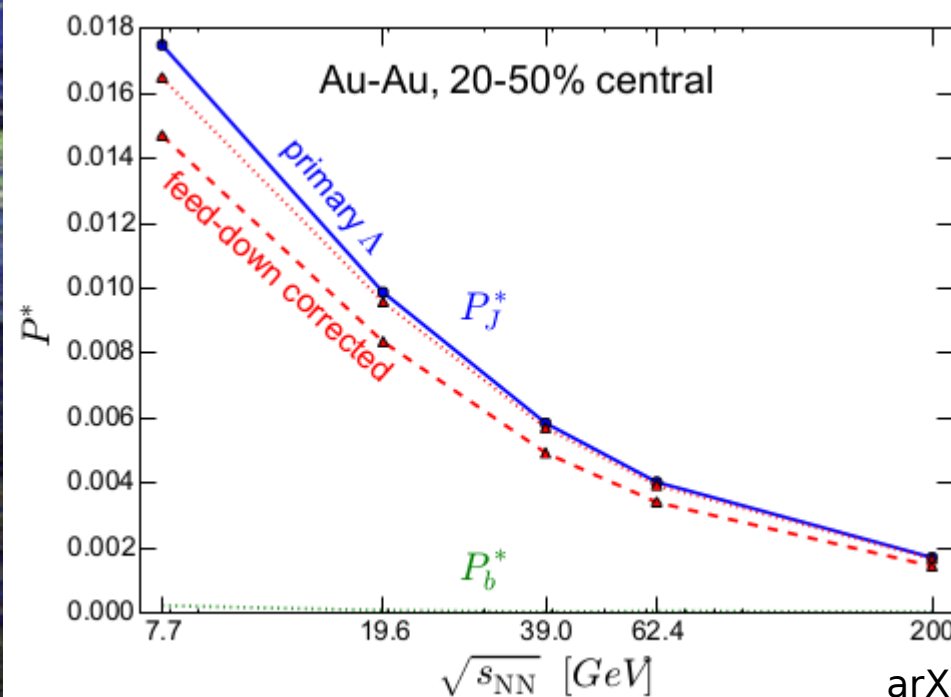
TABLE I. Time dependence of average vorticity projected to the reaction plane for heavy-ion reactions at the NICA energy of  $\sqrt{s_{NN}} = 4.65 + 4.65 \text{ GeV}$ .

$t$ (fm/c)	Vorticity (classical) (c/fm)	Thermal vorticity (relativistic) (1)
0.17	0.1345	0.0847
1.02	0.1238	0.0975
1.86	0.1079	0.0846
2.71	0.0924	0.0886
3.56	0.0773	0.0739



# BES ~ theory expectation

- 3+1D viscous hydrodynamics
  - Not very sensitive to shear viscosity
  - Very sensitive to initial conditions
- Expectation: falling with  $\sqrt{s}$



arXiv:1610.04717 [nucl-th]

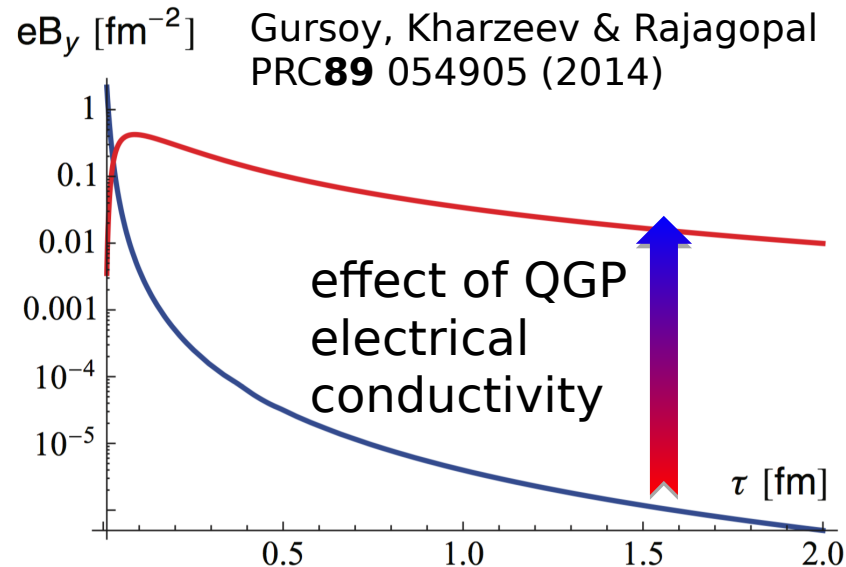
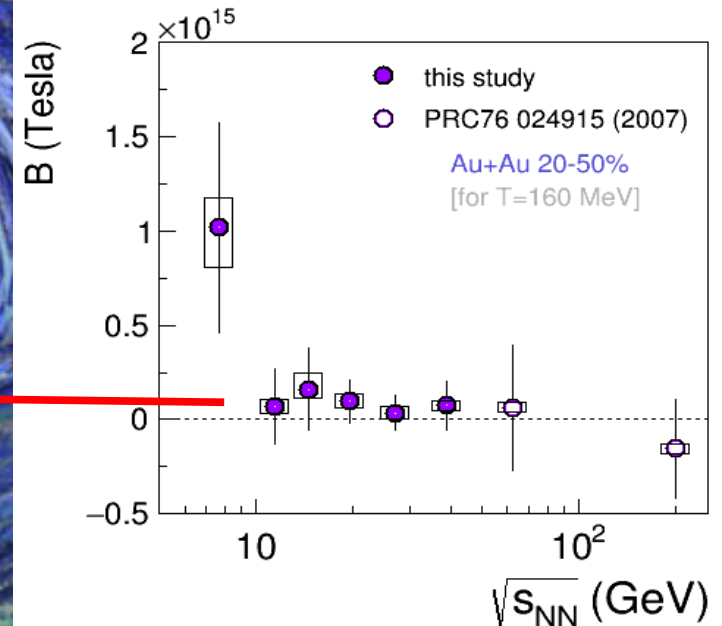
# B-Field ~ theory expectation

## Magnetic field:

- Expected sign

$$B \sim 10^{14} \text{ Tesla}$$
$$eB \sim 1 m_\pi^2 \sim 0.5 \text{ fm}^{-2}$$

- Magnitude at high end of theory expectation (expectations vary by orders of magnitude)
- But... consistent with zero
  - A definitive statement requires more statistics/better EP determination





# Summary I

- Non-central heavy ion collisions create QGP with high **vorticity**
  - *generated* by early **shear viscosity** (closely related to **initial conditions**), *persists* through low viscosity
  - fundamental feature of *any* fluid, unmeasured until now
    - an incomplete characterization of QGP
    - relevance for other hydro-based conclusions?
- Huge and rapidly-changing **B-field** in non-central collisions
  - not directly measured
  - theoretical predictions vary by orders of magnitude
  - sensitive to electrical conductivity, early dynamics
- Both of these extreme conditions must be established & understood to put recent claims of chiral effects on firm ground

# Summary II

- **Global hyperon polarization**: unique probe of vorticity & B-field
  - non-exotic, non-chiral
  - quantitative input to calibrate chiral phenomena
- STAR has made the **first observation** of global  $\Lambda$  polarization
  - statistics- & resolution-limited:  $1-5\sigma$  effect for any given  $\sqrt{s_{NN}}$ 
    - $\sim 6\sigma$  effect on average
- **Interpretation** in magnetic-vortical model:
  - clear vortical component of right sign, magnitude for  $\sqrt{s_{NN}} < 30$  GeV
  - magnetic component of right sign, magnitude *hinted at*, but consistent with zero at each  $\sqrt{s_{NN}}$
- **BES-II: Statistics & upgrades** will allow characterization & model discrimination



