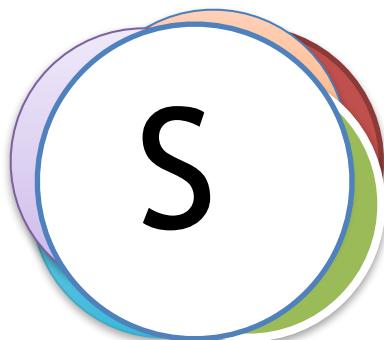


Sexaquark Dark Matter and ways to find it



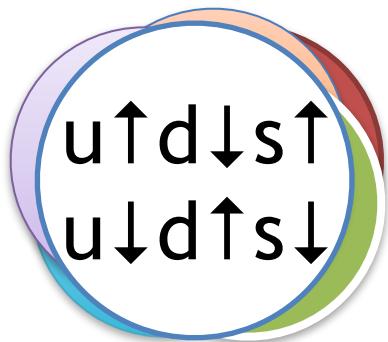
Glennys R. Farrar
New York University

Stable Sexaquark, arXiv:1708.08951v2 [hep-ph]
uds-DM, arXiv:1805.03723v2 [hep-ph]

&

Earth's DM atmosphere, Ap.J. 2018 (Neufeld,GF,Mckee)
Direct detection limits for non-perturbative DM-OM interactions
(Xingchen Xu + GRF in preparation)
Sexaquark dissociation bounds (GRF+Zihui Wang, in prep)
Dark Matter - nucleus hybridization and 7Li Problem (GF+Xu, in prep)

Sexaquark as Dark Matter



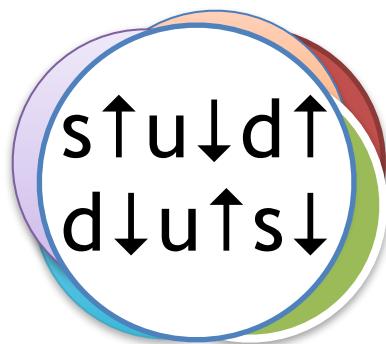
S

- *Properties of sexaquark (S)*
- *How could we have missed a stable particle made of quarks?*
- ***Dark-Matter to Ordinary-Matter:*** Ω_{DM} / Ω_b
- *BBN with SDM*
- *Constraints on SDM (direct detection, CMB...)*
- *Discovering a stable sexaquark in the lab*

Stable Sexaquark Hypothesis

Same quark content as H-dibaryon* (Jaffe 1977), but different physics: not a loosely bound di- Λ !

*mass ~ 2150 MeV in bag model – decays in 10^{-10} s



S

(Most-Attractive Channel)³

*Color singlet
Flavor singlet
Spin singlet (scalar)*



$m_S \approx 2$ GeV

S is STABLE

Why consider $m_S \sim 2 m_p$?

($2 m_p = 1.876 \text{ GeV}$)

- Light quarks almost massless, i.e. relativistic
 - $m_{u,d} \approx \text{few MeV}$, $m_s = 91 \text{ MeV}$
- S has same QNs as ground state glueball
 - $m_S \approx m_{\text{glueball}} + 180 \text{ MeV} = (1.5-1.7) + 0.18 \text{ GeV} \lesssim 2 m_p$
 - 3 x di-quark mass (F. Bucella: $m_S \approx 1890 \text{ MeV}$)
 - triple-singlet (color, flavor, spin): MAC, lattice, models $\Rightarrow m_S < 2 m_\Lambda$
- Chiral symmetry breaking does not (obviously) give S mass

mass $\lesssim 2 \text{ GeV} \rightarrow \tau > \tau_{\text{Univ}}$ or stable ($\Gamma \sim G_F^4 \times g_{\text{eff}}^2$)

- $m_S < 2 (m_p + m_e)$: S is absolutely stable
- $m_S > m_D - m_e$: nuclei are guaranteed stable ($d \not\rightarrow S e^+ \nu$)
- $2 m_p \pm 100 \text{ MeV}$: may also be stable enough

Interesting DM candidate

Stable Sexaquark Hypothesis

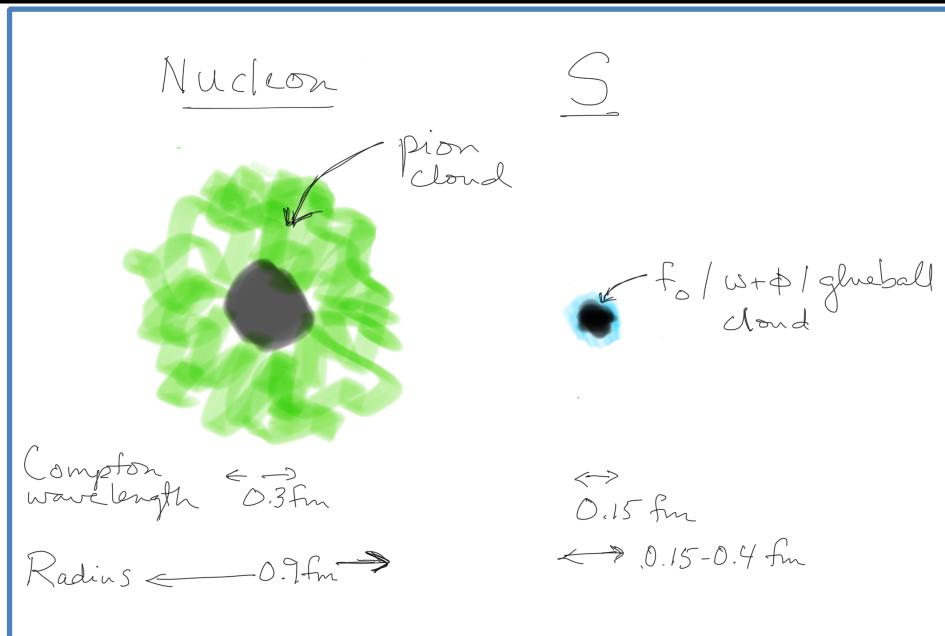
https://en.wikipedia.org/wiki/Numeral_prefix

6	sex <u>a</u> ^[19]	-	sen ^[20]	sext ^[21]	hex ^[22]	hexakis- hexaplo- hexad- e.g. hexahedron	hect ^[23] hectaio-	shat-
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^{a b} Sometimes Greek *hexa-* is used in Latin compounds, such as *hexadecimal*, due to taboo avoidance with the English word *sex*.

Crucial fact:

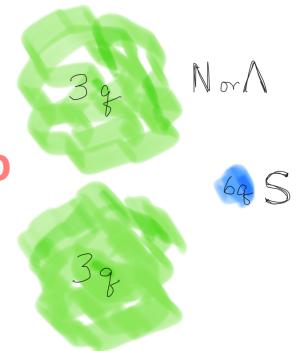
S does not couple to pions => much smaller than usual hadrons => hard to produce with hadrons



S would not have been discovered at accelerators because it is elusive

- Many negative searches, but all are inapplicable. They either*:
 - looked for H-dibaryon through decays (but S is stable)
 - restricted to mass > 2 GeV (but $m_S < 2$ GeV)
 - required $\Lambda\Lambda$ fusion in hypernuclei (but $S\Lambda\Lambda$ overlap is small)
- S is similar to (the much more copious) neutron
- Wavefunction overlap with baryons is very small. Extremely rare fluctuation is required to dissociate $S \Leftrightarrow \Lambda\Lambda^*$; $S \Leftrightarrow NN$ is G_F^4 smaller & GIM suppressed \Rightarrow
 - $g_{eff,SBB} \approx 10^{-6} (r_s / 0.2)^{10}$
 - nuclei can be stable ($\tau > 10^{29}$ yr) even for $m_S > 2 m_p$
 - hard to produce in fixed target experiments & hard to break-up
- S scatters with nucleons via ϕ_0 exchange ($m \approx 1$ GeV) \Rightarrow

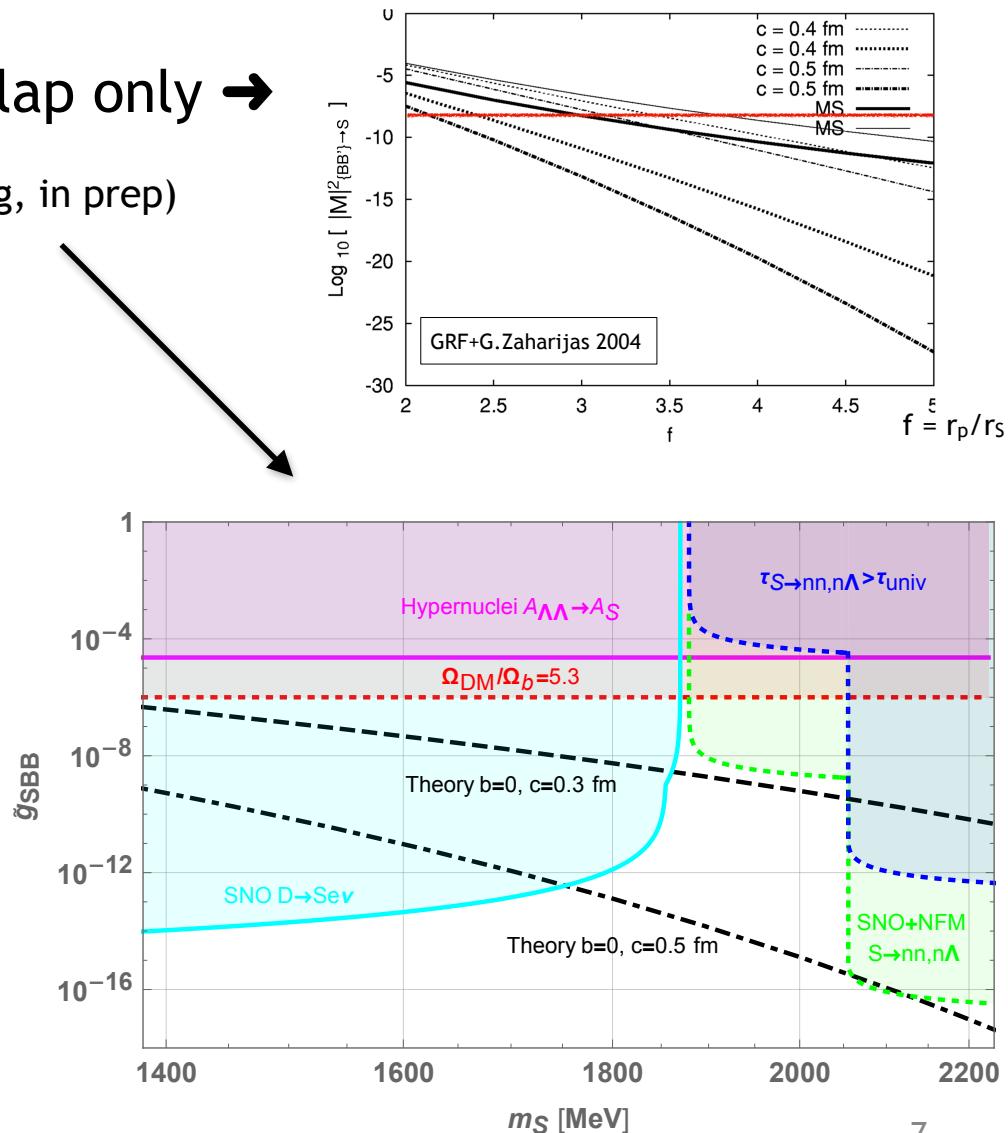
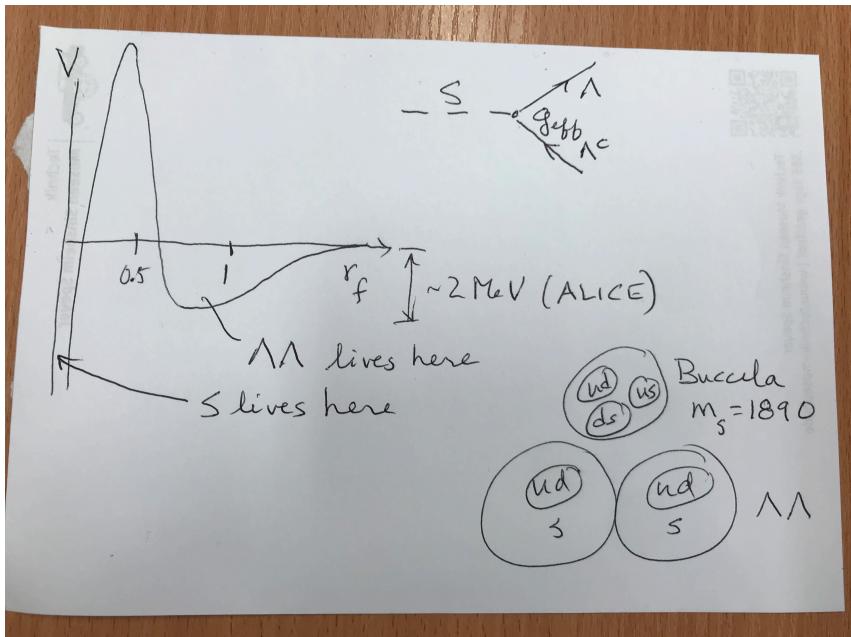
$$V(r) = \frac{\alpha}{r} e^{-r m_\phi} \quad \alpha : 0.01 - 1$$



*apart from BaBar
G. R. Farrar

Effective Yukawa coupling $S \rightarrow \Lambda\Lambda$ g_{eff}

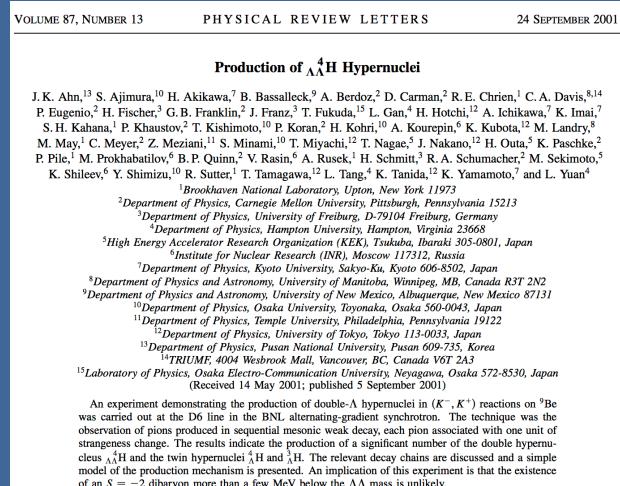
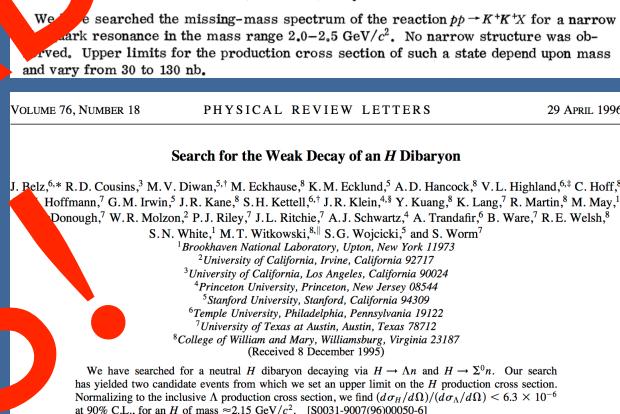
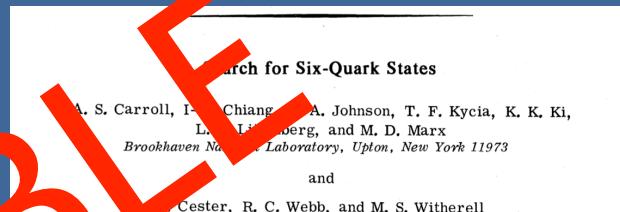
- prediction from spatial overlap only \rightarrow
- deuteron stability (GRF + Z. Wang, in prep)
- DM stability



H Experimental Searches

- Require $M > 2 \text{ GeV}$:
 - Gufstafson+ FNAL 1976 : Beam-dump + tof *Limit on production of neutral stable strongly interacting particle with mass > 2 GeV*
 - Carroll+ BNL 1978: No narrow missing mass peak above 2 GeV in $\text{pp} \rightarrow \text{K K X}$
- Require H-dibaryon decay:
 - Badier+ NA3 1986
 - Bernstein+ FNAL 1988: Limit on production of neutral with $10^{-8} < \tau < 2 \times 10^{-6} \text{ s}$
 - Belz+ BNL 1996: $\text{H} \rightarrow \Lambda n$ or Σn [c.f., issue raised by Littenberg]
 - Kim+ Belz 2013: no narrow resonance in $\Upsilon \rightarrow \Lambda p K$
- Limits from production in doubly-strange hypernuclei:
 - Arai+ BNL 2001
 - Takahashi+ KEK 2001

NOT APPLICABLE

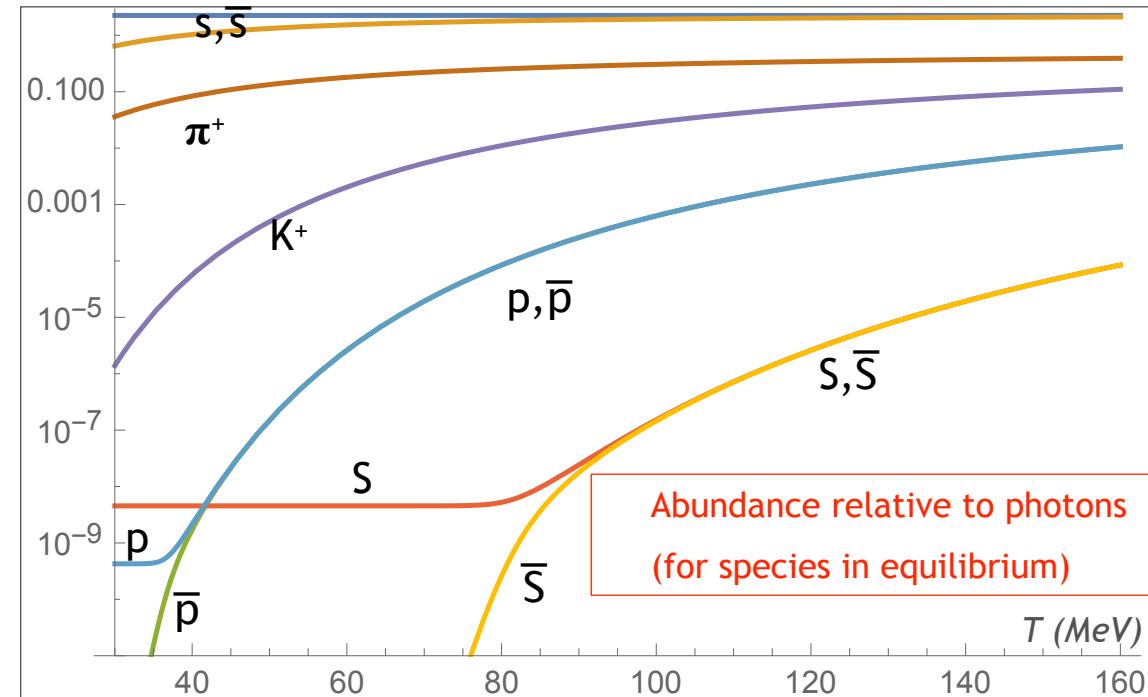
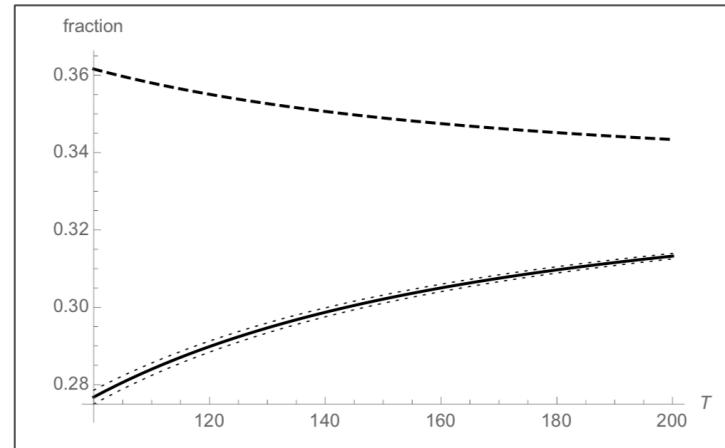


Quark-Gluon Plasma → Hadrons in the Early Universe

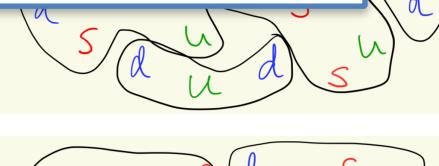
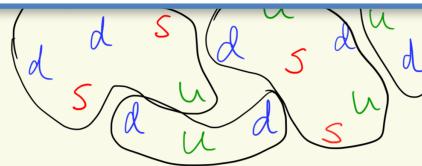
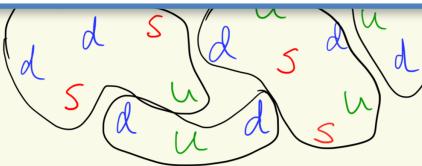
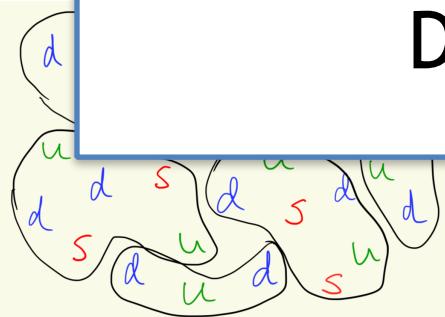
Cooling very slow: $\tau_{\text{Hubble}} \approx 10^{-5}$ s

GRF: uds-DM, arXiv:1805.03723v2 [hep-ph]

- Lattice QCD: crossover transition 160-140 MeV
 - $T > 160$ MeV: $u, \bar{u}, d, \bar{d}, s, \bar{s}$, gluons; NO vacuum condensates
 - $T < 140$ MeV: pions, kaons, p, \bar{p}, \dots ; $\langle q\bar{q} \rangle$ & $\langle GG \rangle$ condensates
- Baryogenesis for the net baryon-photon ratio $\eta_{\text{tot}} = \eta(1 + \Omega_{DM}/(y_b \Omega_b)) \approx 4.1 \times 10^{-9}$
- u, d, s ratio from q masses:
 $m_u = 2.118(38)$ MeV
 $m_d = 4.690(54)$ MeV
 $m_s = 92.52(69)$ MeV



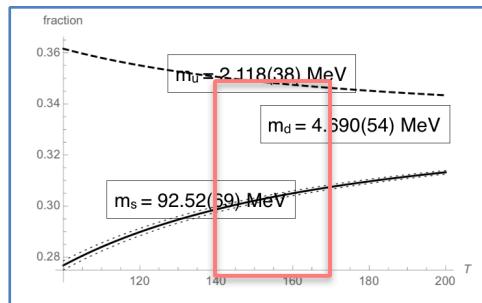
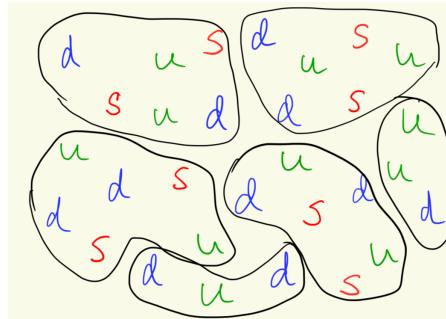
DM to (left-over) baryon ratio



- Hypothesis: DM has u,d,s in equal numbers**
(sexaquark DM, strange quark nuggets (Witten, 1984))



$$\frac{\Omega_{DM}}{\Omega_b} = \frac{y_b \kappa_s 3f_s}{1 - \kappa_s 3f_s}$$



- $y_b \equiv DM \text{ mass}/m_p$ (≈ 2)
- $f_s \equiv \text{fraction of quarks that are } s$
- $3 f_s$ is number uds per unit baryon # – 0.964 to 0.948 for $T=160-140$ MeV.
- κ_s is efficiency of uds \rightarrow DM (Boltzmann, from hyperon and S masses)

$$\kappa_s(m_S, T) = \frac{1}{1 + (r_{\Lambda,\Lambda} + r_{\Lambda,\Sigma} + 2r_{\Sigma,\Sigma} + 2r_{N,\Xi})}$$

$$r_{1,2} \equiv \exp[-(m_1 + m_2 - m_S)/T]$$

Correct relic density - no free parameters!

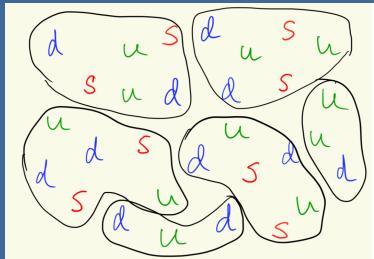
determined by *stat mech*, quark masses & temp of *QGP-hadronization transition*

$$\frac{\Omega_{DM}}{\Omega_b} = \frac{y_b \kappa_s 3f_s}{1 - \kappa_s 3f_s}$$

$$m_S/(2m_p)$$

$$\kappa_s(m_S, T) = \frac{1}{1 + (r_{\Lambda,\Lambda} + r_{\Lambda,\Sigma} + 2r_{\Sigma,\Sigma} + 2r_{N,\Xi})}$$

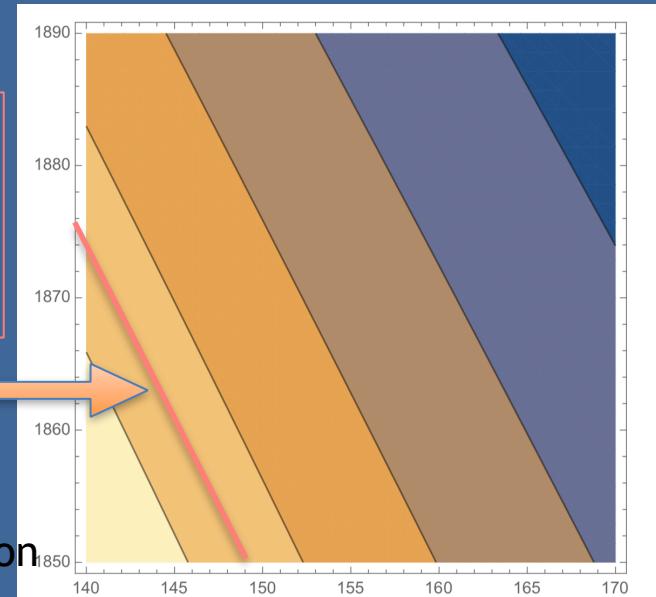
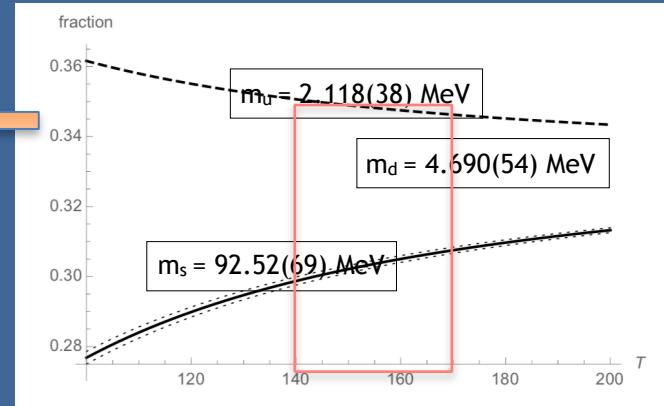
$$r_{1,2} \equiv \exp[-(m_1 + m_2 - m_S)/T]$$



Prediction is both correct AND accurate
to ~20% for entire range
(main uncertainties cancel)

$$\Omega_{DM} / \Omega_b \text{ (pred)} = 4.5 \pm 1$$

$$\Omega_{DM} / \Omega_b \text{ (obs)} = 5.3 \pm 0.1$$



Kolb+Turner, Gross et al, did not account for S-BB suppression

Non-Perturbative DM-hadron Interactions

(Xingchen Xu & GRF, to appear shortly)

$$V(r) = \frac{\alpha}{r} e^{-r/m_\phi}$$

$m_\phi = 1$ GeV (flavor-singlet $\omega\text{-}\varphi$ combo), sourced by p or A

- v/C (DM) $<\sim 10^{-3}$ 10^3 km/s (galaxy clusters), 300 km/s BBN & MW, ... 1 km/s (atm & $z = 17$)
 - must solve Schroedinger Eqn. **Born approximation generically fails badly**
 - point source cross section depends only on combos

$$a = \frac{v}{2\alpha} \text{ and } b = \frac{2\alpha\mu}{m_\phi}$$

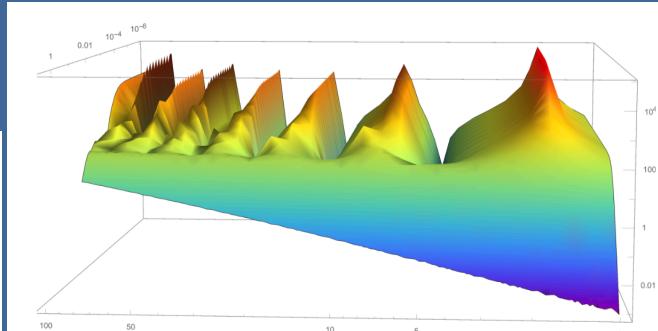
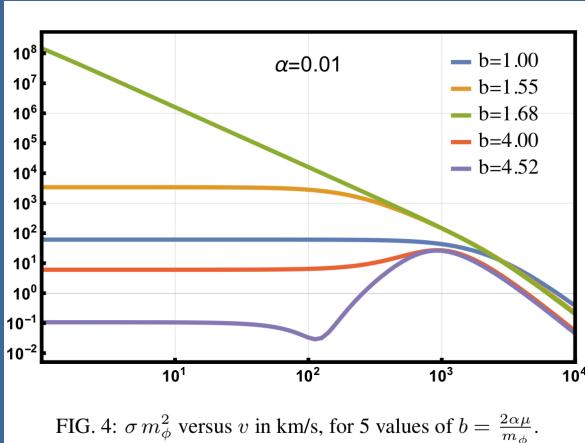
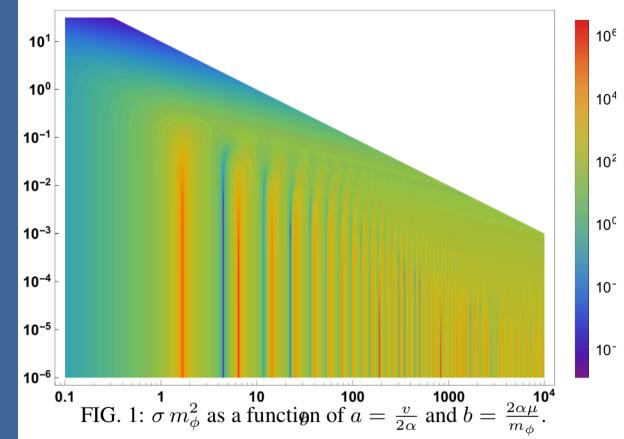


FIG. 2: 3D plot of σm_ϕ^2 in the a, b plane; b increases to the left and a decreases toward the back.

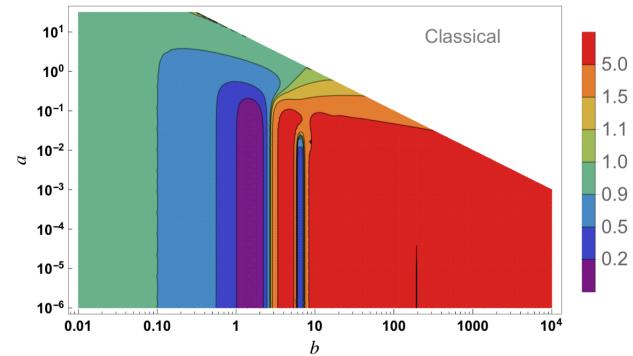


FIG. 3: Ratio of Born Approximation and Schrödinger Equation

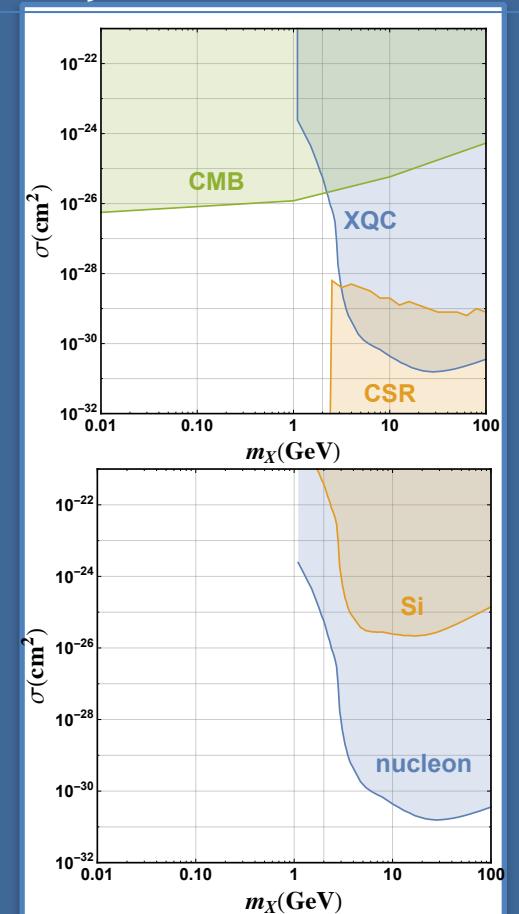
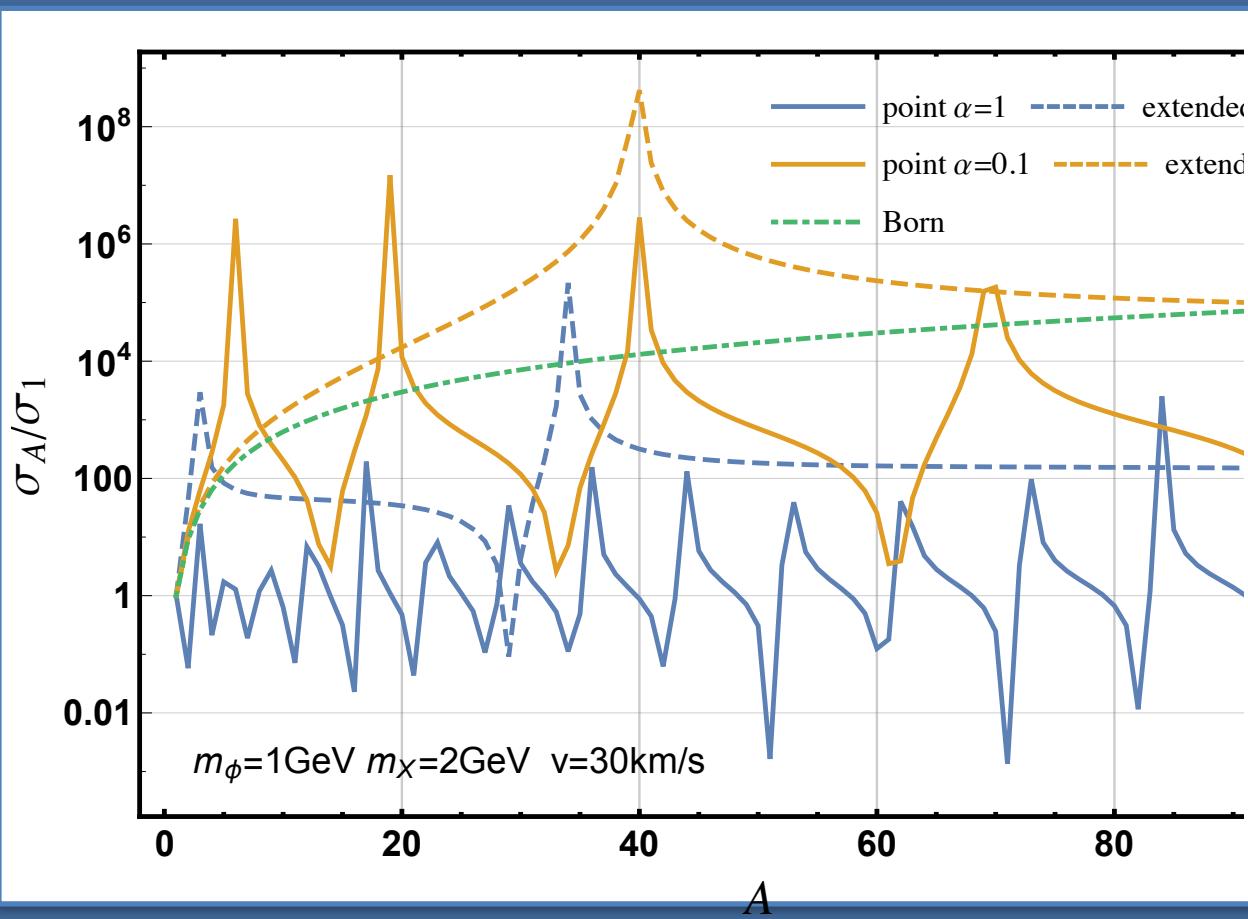
Non-Perturbative DM-baryon Interactions

(Xingchen Xu & GRF, to appear shortly)

- Must solve Schroedinger Eqn
- Born approximation fails by orders of magnitude.
- A-dependence of cross section sensitive to nuclear size.

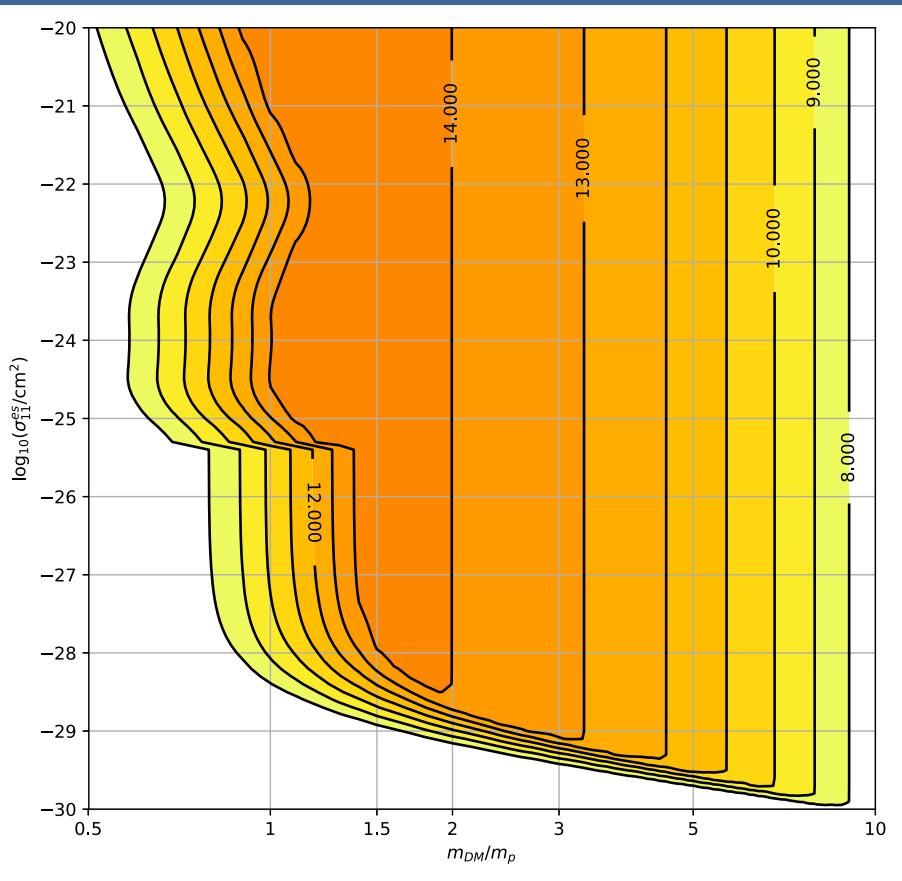
$$V(r) = \frac{\alpha}{r} e^{-r/m_\phi}$$

std. form factor & Born approx
relation $\sigma_A \Leftrightarrow \sigma_p$ are wrong.
Analyses must be redone

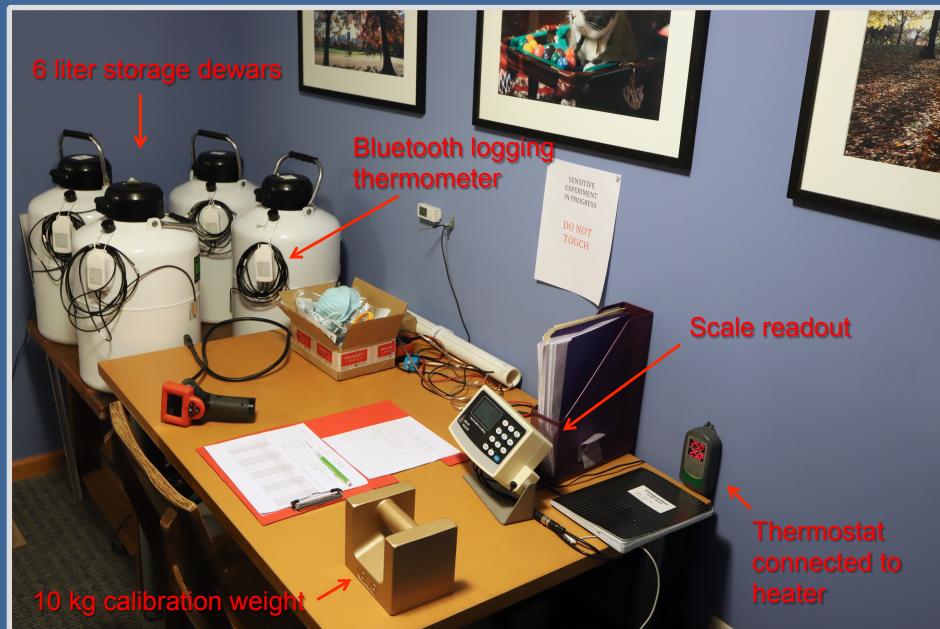


DM capture by Earth [⇒] DM atmosphere dewar & HST drag constraints

Neufeld, GRF, McKee, ApJ 2018



Neufeld, Branch-Neufeld, ApJ 2019

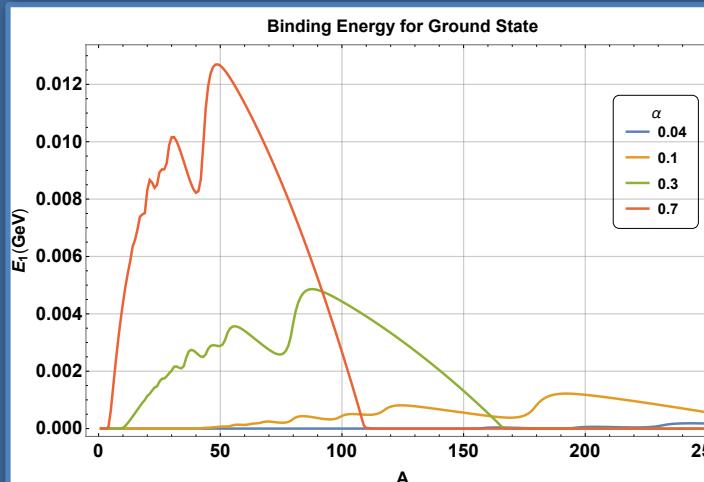
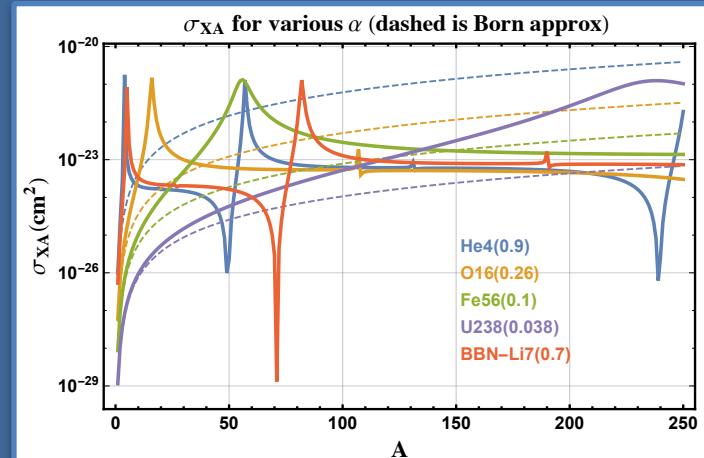
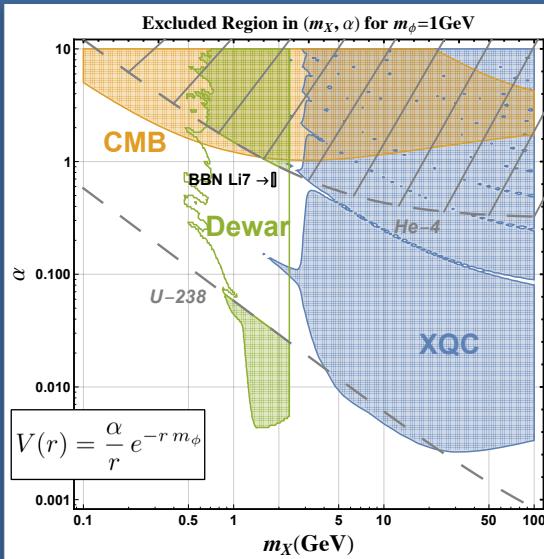


strong constraints, if DM forms atmosphere

Dark Matter-Nucleus Hybridization

(GRF + Xingchen Xu, in prep)

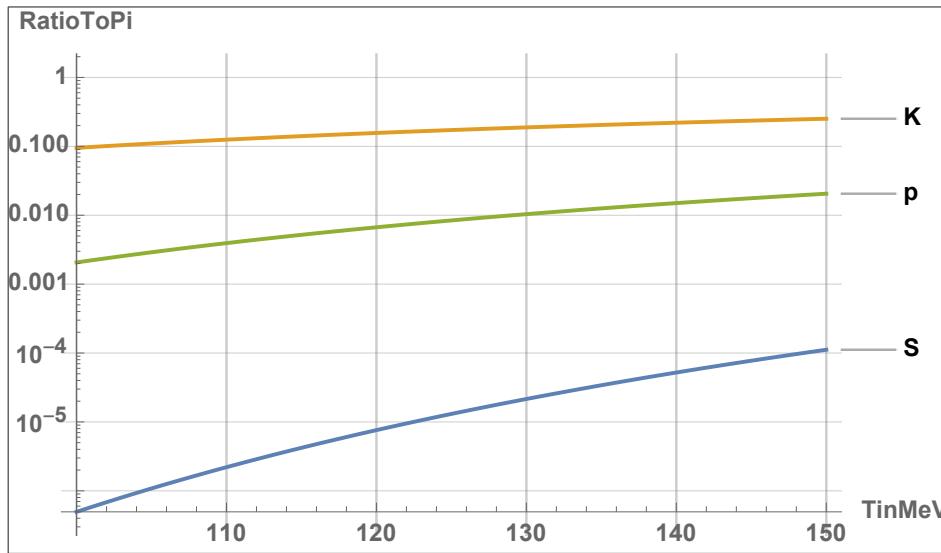
- For $A > A_{\text{res}}(\alpha)$, DM-nucleus potential has bound state A_S .
- $S + A \rightarrow A^*_S \rightarrow A_S + \gamma$ like $n p \rightarrow d \gamma$ and other neutron capture
- $\lambda_{\text{hyb}} = (n_A \sigma_{\text{hyb}})^{-1}$ $\sigma_{\text{hyb}} = K \sigma_{\text{scat}}$; $n_0 \approx 10^{23} \text{ cm}^{-3}$
- from neutron capture, $K \approx 10^{-4} \Rightarrow$
 $\lambda_{\text{hyb}} \approx 10 \text{ m } (10^{-4}/K) (10^{-23}/\sigma) (n_0/n_A)$
- no DM atmosphere!
- exotic isotopes \approx ppb



Sexaquark Discovery Strategy

- Apparent lack of B and S conservation:
 - **missing $B = \pm 2$ + missing $S = \mp 2$**
 - *inclusive: maximizes event rate, hermetic detector; ID!*
 - *Statistical correlation sufficient; do not have to ID everything.*
- Reconstruct missing mass, e.g.:
 - $\Upsilon \rightarrow \Lambda \bar{\Lambda} \bar{S}$ (+ pions) $M_S^2 = (p_\Upsilon - p_{\Lambda 1} - p_{\Lambda 2} - \sum p_{\pi i})^2$
 - *exclusive: big penalty in statistics, but gain from mass peak*
 - LHC: $\bar{S} + N \rightarrow \bar{\Lambda} K^+ \dots$ $M_S^2 = (p_{\bar{\Lambda}} + p_K + \dots - p_N)^2$
 - *compromise: potentially a sweet spot (tbd)*
- Time-of-flight \Rightarrow distinguish from neutron (SHiP?)
- Second exponential in interaction length
- “Missing energy” in heavy ion collisions
- Snolab nuclei: $d \rightarrow S e^+ \nu$ $\sin\theta_C^4 \times \text{GIM suppression} \times G_F^4$, $\tau > 10^{29} \text{ yr}$ ($m_S < \sim 1875 \text{ MeV}$)

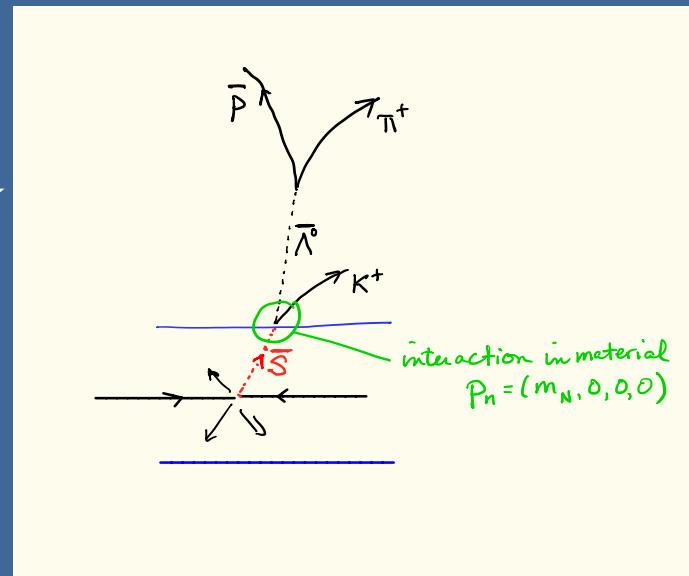
S, \bar{S} from cooling fireball at LHC?



- Fantasy: perfect equilibration $\rightarrow N_S/N_B = 2.5$ **net excess S's** ☺
- Reality (?):
 - no B excess in central region \rightarrow no S excess over \bar{S}
 - S, \bar{S} annihilate to maintain equilibrium, till freeze out \rightarrow
 - $N_{S+\bar{S}} \approx 10^{-4} N_\pi \rightarrow E_{S\text{miss}} \approx 10^{-4} (M_S/E_\pi) E_{\pi\text{tot}} \dots$ **1 ppm missing E** ☹
- **Can a statistical correlation be established between missing**
 $B = \pm 2$ & missing $S = \mp 2$? (question of ID systematics)

LHC I.

- Statistical examination of correlation $\Delta B = \pm 2, \Delta S = \mp 2$
- 2nd exponential in scattering-length distribution of n-like interactions, due to S?
- *Distinctive needle in a haystack*
(~few $\times 10^{11}$ events have been recorded!)

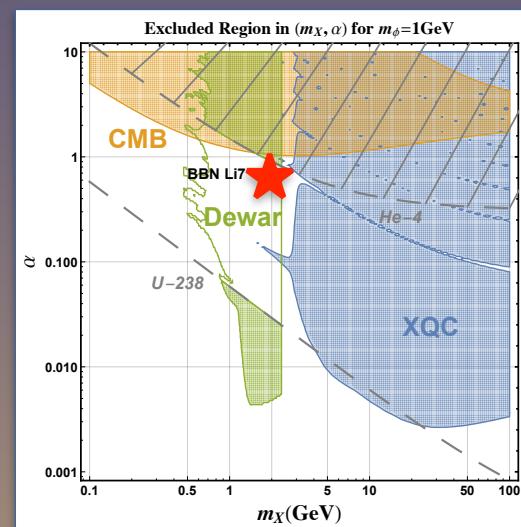


In sum...

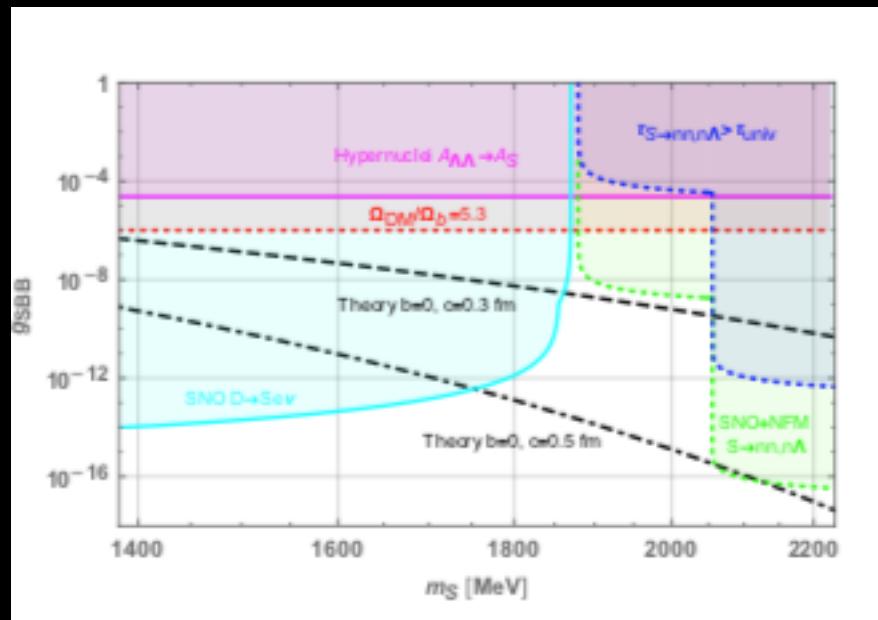
- ***There may a tightly bound 6-quark state $S=uuddss$***
 - Unique, symmetric structure \Rightarrow other hadrons don't provide guidance
 - Mass is not driven by chiral symmetry breaking (unlike baryons)
 - Most Attractive Channel \Rightarrow deepest binding
 - *S can naturally be absolutely or effectively stable*
- ***If S is stable, it is an excellent Dark Matter candidate***
 - No-parameter derivation of correct Dark Matter to baryon ratio
 - S-Be hybridization can produce exotic isotopes

Follow-up

- ~~Search for $\approx^9\text{Be}$ in Spite Plateau stars~~
- Weaker Katchri-Sunyaev neutrino lines from $\text{Be} \rightarrow \text{Li}$;)
- Search for exotic isotopes with $\Delta m \sim + 2 m_p$ at ppb (10^{-9}) level
- Extend sensitivity of DM direct detection to lower mass
- Accelerator searches



Backup Slides



$\Upsilon \rightarrow \Lambda\Lambda\bar{S} \text{ & } \bar{\Lambda}\bar{\Lambda}S$

High Energy Physics – Experiment

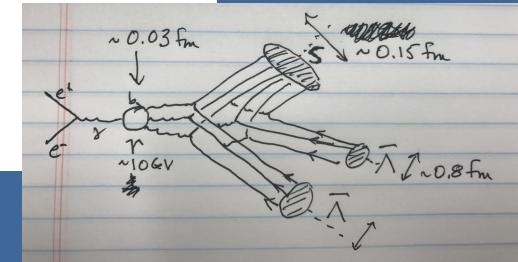
Search for a Stable Six-Quark State at BABAR

Bertrand Echenard (on behalf of The BABAR Collaboration)

(Submitted on 10 Oct 2018)

Recent investigations have suggested that the six-quark combination uuddss could be a deeply bound state (S) that has eluded detection so far, and a potential dark matter candidate. We report the first search for a stable, doubly strange six-quark state in $\Upsilon(2S,3S) \rightarrow S \bar{\Lambda}\bar{\Lambda}$ decays based on a sample of 90 million $\Upsilon(2S)$ and 110 million $\Upsilon(3S)$ decays collected by the BABAR experiment. No signal is observed, and 90% confidence level limits on the combined $\Upsilon(2S,3S) \rightarrow S \bar{\Lambda}\bar{\Lambda}$ branching fraction in the range $(1.2\text{--}1.4)\times 10^{-7}$ are derived for $m_S < 2.05$ GeV. These bounds set stringent limits on the existence of such exotic particles.

Comments: 7 pages, 4 figures, submitted to Phys. Rev. Lett
 Subjects: High Energy Physics – Experiment (hep-ex)
 Report number: BABAR-PUB-18/009, SLAC-PUB-17335
 Cite as: [arXiv:1810.04724 \[hep-ex\]](https://arxiv.org/abs/1810.04724)
 (or [arXiv:1810.04724v1 \[hep-ex\]](https://arxiv.org/abs/1810.04724v1) for this version)



- BaBar: **exclusive** $\text{BF}[\Upsilon(2S,3S) \rightarrow \Lambda\Lambda\bar{S} + \bar{\Lambda}\bar{\Lambda}S] < 1.4 \times 10^{-7}$
 - 2×10^8 events; main backgrounds $\Upsilon(2S,3S) \rightarrow \Lambda\Lambda\bar{\Lambda}\bar{\Lambda} + X$ & noise in E-cal
- Predicted **inclusive** $\text{BF}[\Upsilon(ggg) \rightarrow (\bar{S} \text{ or } S + X)] \sim 2.7 \times 10^{-7}$ (GRF arXiv:1708.08951)
 - SU(18) (color-flavor-spin) singlet: 5.4×10^{-4} ; α_s^3 ; $(1/2)^5$

Exclusive Penalty:

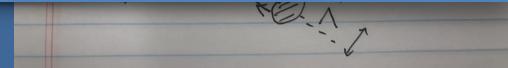
 - start with biggest exclusive 3-body channel: $\text{BF}[\Upsilon(2S,3S) \rightarrow \phi K K] = 2 \times 10^{-6}$
 - penalty of $S + \bar{S}$ relative to ϕ : 6×10^{-5}
- Predict Exclusive $\text{BF}[\Upsilon(ggg) \rightarrow \Lambda\Lambda\bar{S} + \bar{\Lambda}\bar{\Lambda}S] \sim 10^{-11}$

$\Upsilon \rightarrow \Lambda\Lambda\bar{S} \text{ & } \bar{\Lambda}\bar{\Lambda}S$

High Energy Physics – Experiment

Search for a Stable Six-Quark State at BABAR

BaBar exclusive limit far from constraining – need inclusive or semi-inclusive search



- BaBar: **exclusive** $\text{BF}[\Upsilon(2S,3S) \rightarrow \Lambda\Lambda\bar{S} + \bar{\Lambda}\bar{\Lambda}S] < 1.4 \times 10^{-7}$
 - 2×10^8 events; main backgrounds $\Upsilon(2S,3S) \rightarrow \Lambda\Lambda\bar{\Lambda}\bar{\Lambda} + X$ & noise in E-cal
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- Predict Exclusive $\text{BF} [\Upsilon(\text{ggg}) \rightarrow \Lambda\Lambda\bar{S} + \bar{\Lambda}\bar{\Lambda}S] \sim 10^{-11}$

LHC beam lifetime

- DM capture by Earth => DM atmosphere

Neufeld, GRF, McKee, ApJ2018

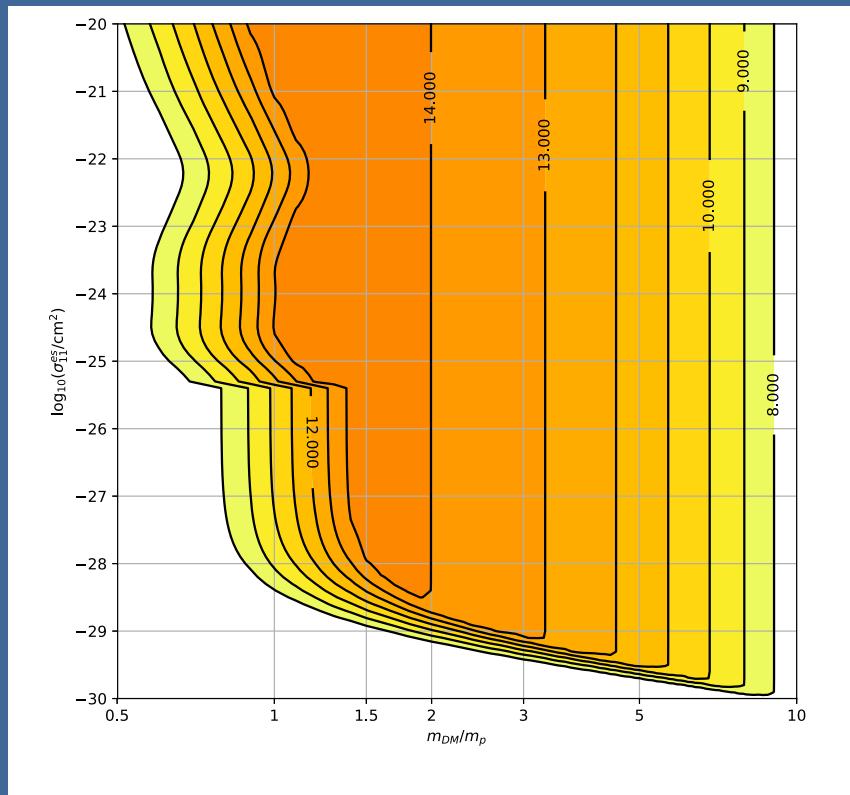


Fig. 6.— Number density of HIDM at the Earth’s surface, $n_{\text{DM}}(R_{\oplus})$, in the $m_{\text{DM}} - \sigma_{11}^{\text{es}}$ plane. Contours are labeled by $\log_{10}(n_{\text{DM}}/\text{cm}^{-3})$.

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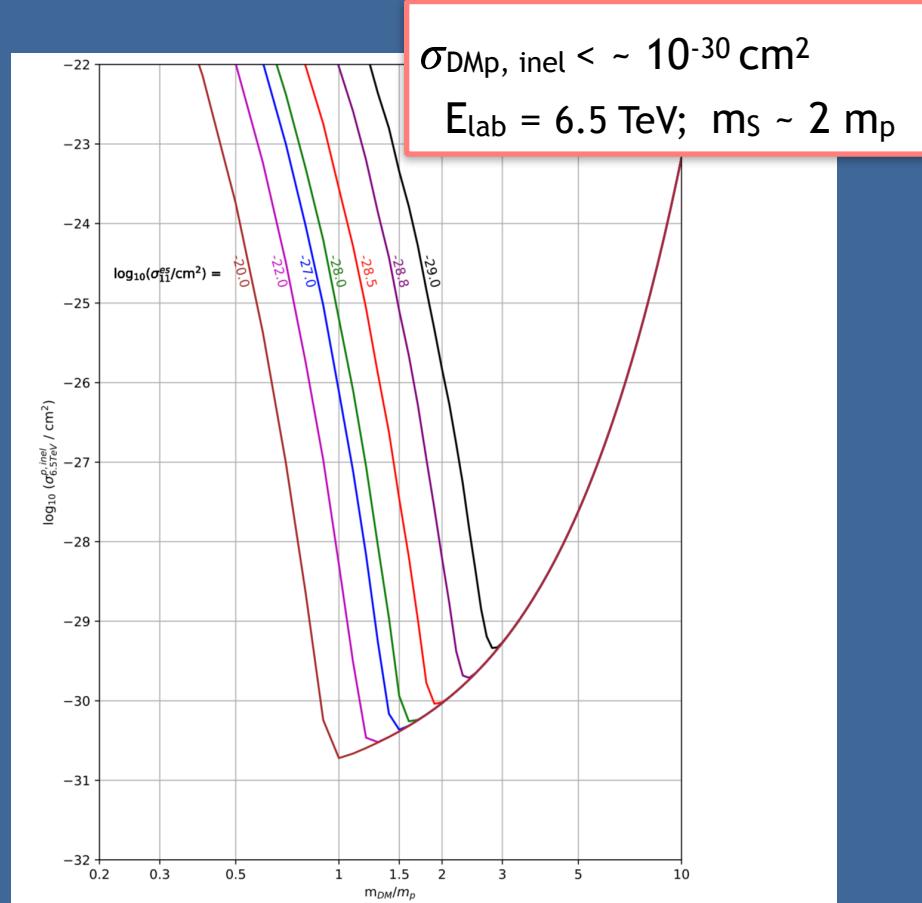


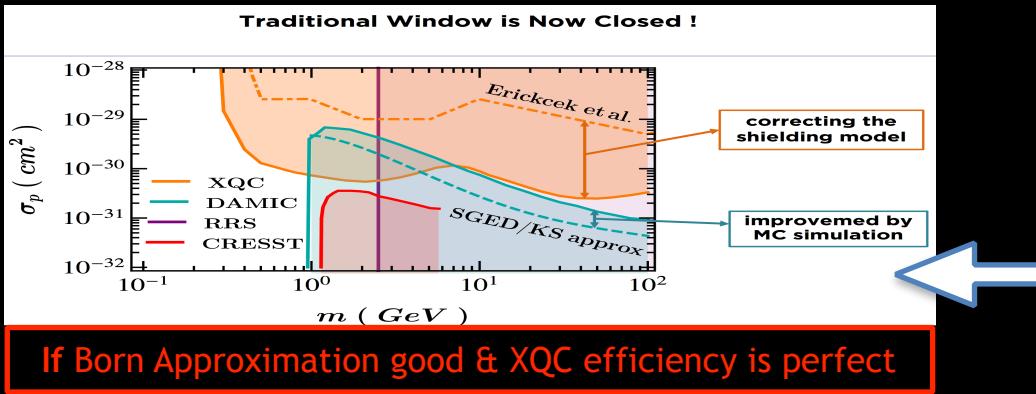
Fig. 7.— Upper limits on $\sigma_{\text{DMp, inel}}^{(p, 6.5 \text{ TeV})}$ implied by an LHC beam lifetime of 100 hr. Results are shown for five values of σ_{11}^{es} for which the LSS lies in the crust ($10^{-29.0}, 10^{-28.8}, 10^{-28.5}, 10^{-28}$, and 10^{-27} cm^2), and two values for which the LSS lies in the atmosphere (10^{-22} and 10^{-20} cm^2). The curves are labeled with $\log_{10}(\sigma_{11}^{\text{es}})$.

$10^{26} - 10^{25} \text{ cm}^2$



Stable S as Dark Matter

Traditional Window is Now Closed !



Closing the window on $\sim\text{GeV}$ Dark Matter with moderate ($\sim\mu\text{b}$) interaction with nucleons

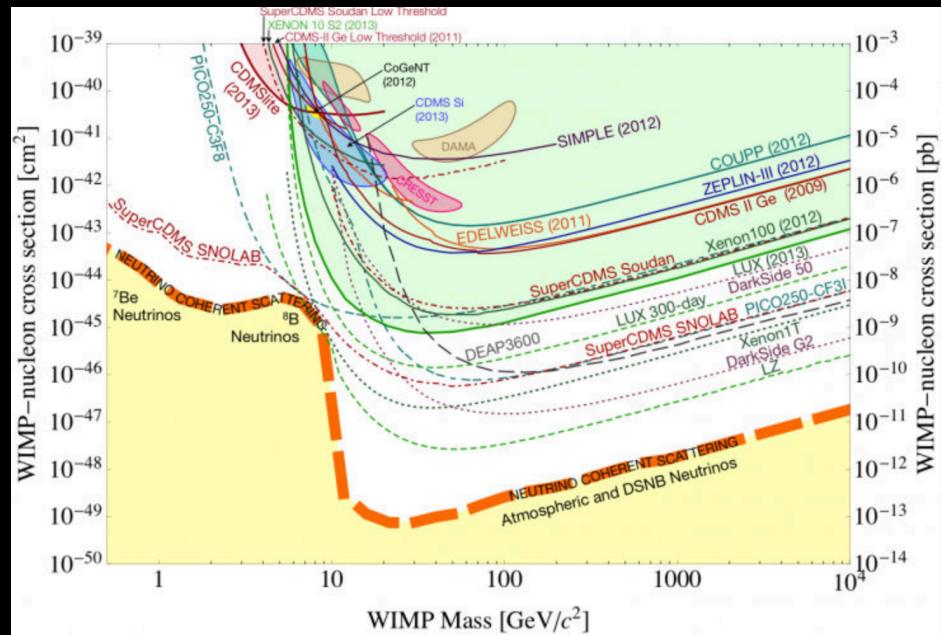
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Abstract. We improve limits on the spin-independent scattering cross section of Dark Matter on nucleons, for DM in the 300 MeV – 100 GeV mass range, based on the DAMIC and XQC experiments. Our results close the window which previously existed in this mass range, for a DM-nucleon cross section of order $\sim\mu\text{b}$, assuming the standard velocity distribution.

Shielded (e.g. underground) detectors are not sensitive (energy loss)



Cosmology & structure formation

- DM-baryon interaction: momentum transfer =>
slight drag on DM during structure formation
 - Dvorkin, Blum, Kamionkowski (2014), Gluscevic+Boddy (2017), Xu+18
 - **Ly-alpha forest:** $\sigma < \sim 10 \text{ mb}$ if **v-indept** — no problem for **S**
 - Buen-Abad, Marques-Tavares, Schmaltz (2015):
 - **momentum transfer helps reconcile H_0 & σ_8**
 - Boring or an opportunity? To be determined...
- S-S self interactions + S-baryon interactions:
 - could have similar benefits as Self Interacting DM
 - core-cusp, “too-big-to-fail” & missing sub-halos problems.

Earth's Dark Matter Atmosphere and limits on DM-baryon interactions for $0.6 < m_{\text{DM}} < 6 \text{ GeV}$

D. Neufeld, GRF & C. McKee, Ap. J. 2018

- **IF**

- DM-crust cross section is large enough for capture ($\sigma \gtrsim 10^{-28} \text{ cm}^2$)
- and $\sim 0.6 \text{ GeV} < m_{\text{DM}} < \sim 6 \text{ GeV}$
- and Earth's atmosphere has been ~same on Gyr timescale

- **THEN**

- NFM: strongest limits on many different DM-nuclei cross sections
- limits on DM-proton scattering at TeV energies (from LHC)

