

Some notes about comovers

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Motivation: the intriguing suppression of excited states in pA

The facts: data from RHIC & LHC

- PHENIX: relative $\psi(2S)/J/\psi$ suppression in dAu collisions @ 200 GeV
- ALICE & LHCb: relative $\psi(2S)/J/\psi$ suppression in pPb collisions @ 5 & 8 TeV
- CMS & ATLAS: relative $\psi(2S)/J/\psi$ suppression in pPb collisions @ 5 TeV
- CMS & ATLAS: relative $Y(nS)/Y(1S)$ suppression in pPb collisions @ 5 TeV
- LHCb & ALICE: relative $Y(nS)/Y(1S)$ suppression in pPb collisions @ 8 TeV
- **Initial-state effects** –modification of nPDFs / parton E loss- **identical** for the family
- Any difference among the states should be due to **final-state effects**
- At low E: relative suppression explained by nuclear absorption $\sigma_{\text{breakup}} \propto r_{\text{meson}}^2$
At high E: too long formation times $t_f = \gamma \tau_f \gg R$

Consensus: σ_{breakup} is getting **small** at high energies and may be **the same** for ground and excited states

A natural explanation would be a **final-state effect** acting over sufficiently long time
 \Rightarrow **interaction with a comoving medium?**

Comover-interaction model CIM: Bases

- In a comover model: suppression from scatterings of the nascent Q with comoving medium of partonic/hadronic origin Gavin, Vogt, Capella, Armesto, Ferreiro ... (1997)
- By essence of their comoving character, these can interact with the fully formed states after 0.3-0.4 fm/c
- Stronger suppression where the comover densities (multiplicities) are large. For asymmetric collisions as proton-nucleus, stronger in the nucleus-going direction

- Rate equation governing the quarkonium density:

$$\tau \frac{d\rho^Q}{d\tau}(b, s, y) = -\sigma^{co-Q} \rho^{co}(b, s, y) \rho^Q(b, s, y)$$

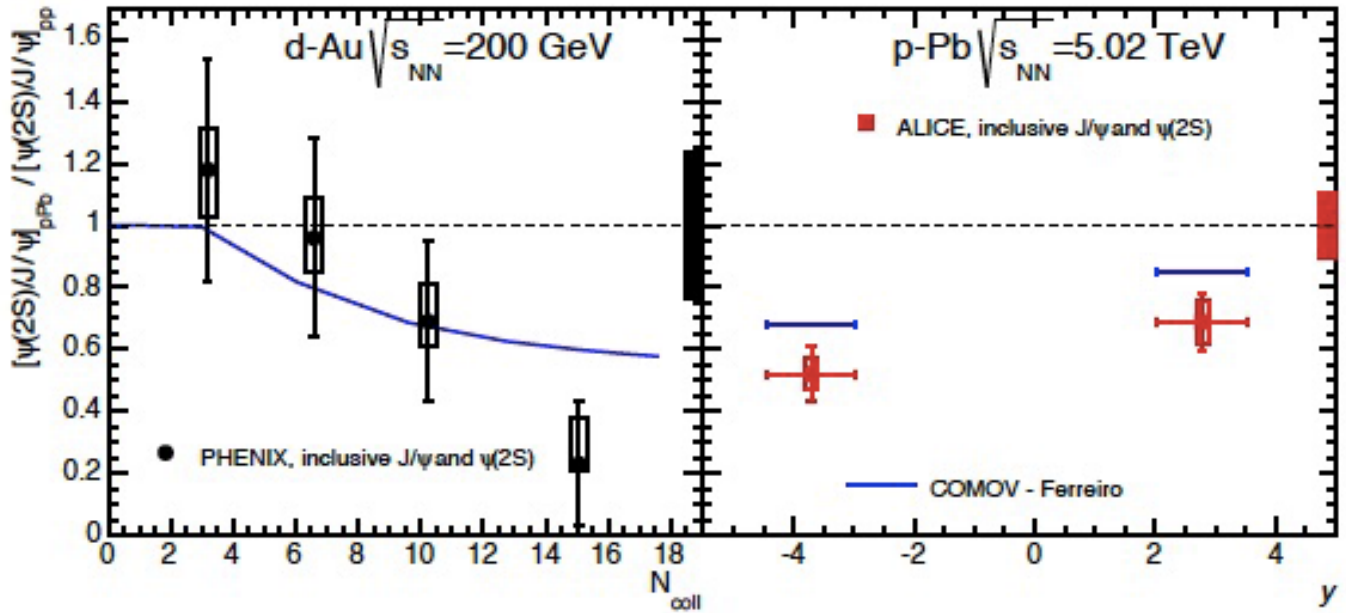
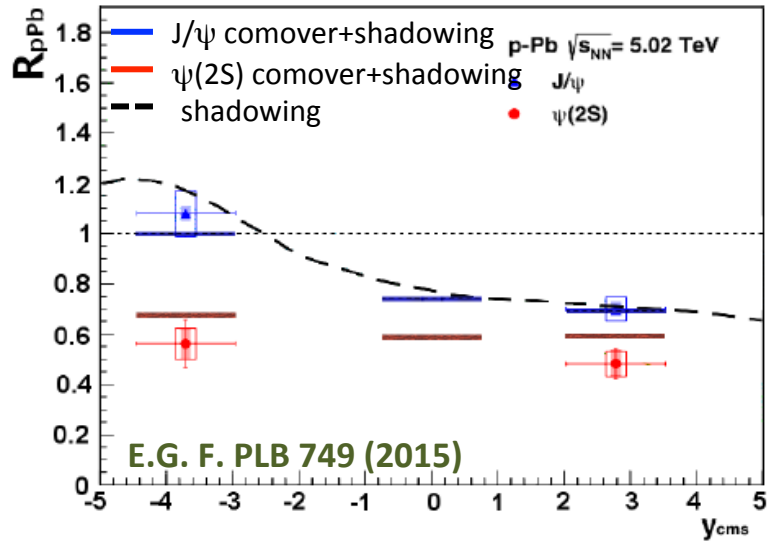
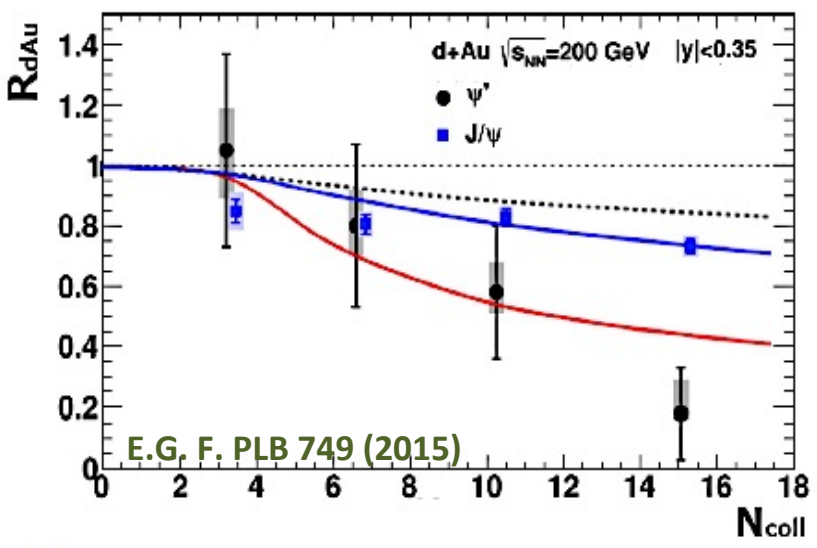
σ^{co-Q} cross section of quarkonium dissociation due to interactions with comoving medium

- Survival probability from integration over time: $\tau_f/\tau_0 = \rho^{co}(b, s, y)/\rho_{pp}(y)$

$$S_Q^{co}(b, s, y) = \exp \left\{ -\sigma^{co-Q} \rho^{co}(b, s, y) \ln \left[\frac{\rho^{co}(b, s, y)}{\rho_{pp}(y)} \right] \right\}$$

Past CIM results for charmonia at RHIC and LHC

$\sigma^{CO-\psi}$ originally fitted from SPS data: 0.65 mb for J/ψ and 6 mb for $\psi(2S)$



Pretty encouraging since the data were not fitted

Note that temperature was not mentioned for the moment....

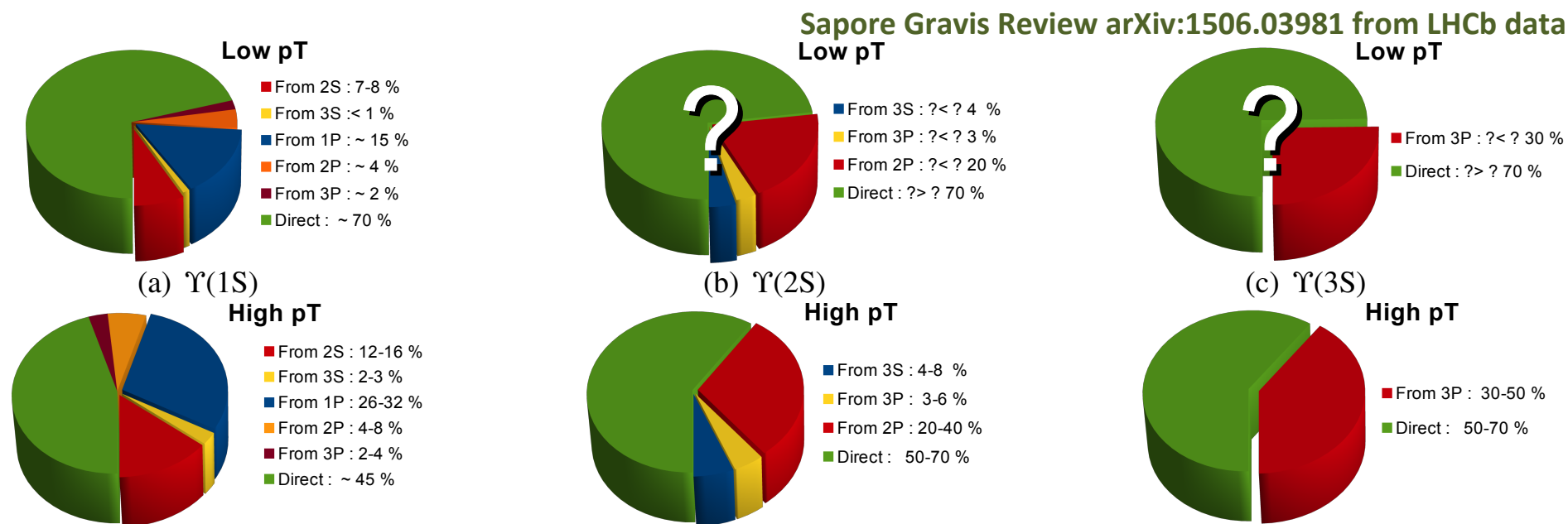
Setting the scene for the bottomonium family

- The bottomonium family is much richer than the charmonium one
- χ_b'' first particle discovered at the LHC ATLAS PRL 108 (2012) 152001
- It allows for a much finer studies with 3 Y states (decaying into dimuons)
- It comprises excited states which are not too fragile [as opposed to e.g. the ψ']

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Feed-down structure at **low** p_T is quite different than CDF measurement at $p_T > 8\text{GeV}$



- $\Upsilon(3S)$ is **far from being 100% direct**
- In the region of the Υ PbPb and pPb data, the $\Upsilon(1S)$ is **not 50% direct**

Setting the scene for the bottomonium family

- The relative suppression of the excited Υ is probably the cleanest observable to fix the comover suppression magnitude [without interference with other nuclear effect]
- However, not enough data to fit all the 6 $\sigma^{c\bar{c}} - Q_{b\bar{b}}$ [the feed-downs discussed above were used]
- We needed to develop a new strategy by going to a microscopic level accounting for the momentum of the comovers

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We take:

$$\sigma^{co-Q_{b\bar{b}}} = \sigma_{\text{geom}} \left(1 - \frac{E_{\text{Binding}}}{E_{co}} \right)^n$$

E. G. F., J.P. Lansberg, arXiv:1804.04474

$$\sigma_{\text{geom}} \equiv \pi r_{Q_{b\bar{b}}}^2$$

$E_{\text{Binding}} \equiv 2M_B - M_{Q_{b\bar{b}}}$, i.e. the threshold energy to break the bound state

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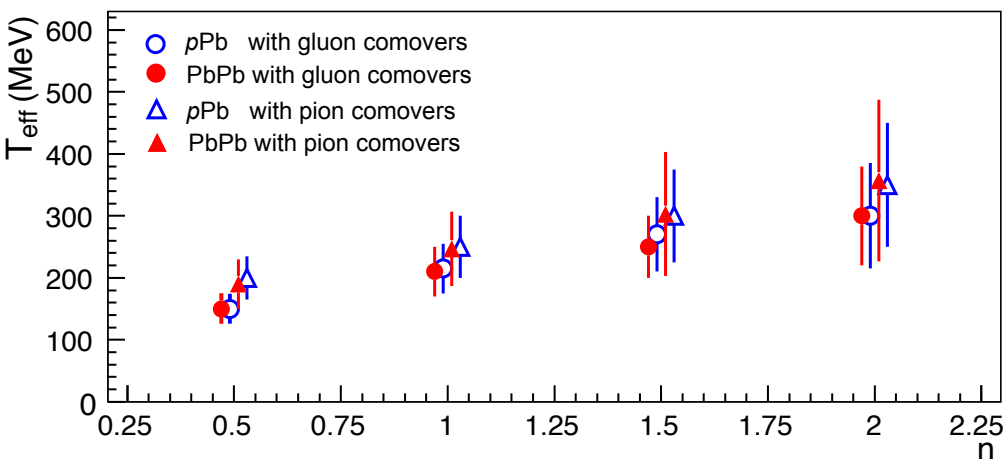
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- We average over BE distribution of the comovers $\mathcal{P}(E^{co}; T_{\text{eff}}) \propto 1/(e^{E^{co}/T_{\text{eff}}} - 1)$

- We derive the energy-averaged quarkonium-comover interaction cross section:

$$\langle \sigma^{co-Q} \rangle(T_{\text{eff}}, n) = \frac{\int_{E_{\text{thr}}^Q}^{\infty} dE^{co} \mathcal{P}(E^{co}; T_{\text{eff}}) \sigma^{co-Q}(E^{co})}{\int_{E_{\text{thr}}^Q}^{\infty} dE^{co} \mathcal{P}(E^{co}; T_{\text{eff}})}$$

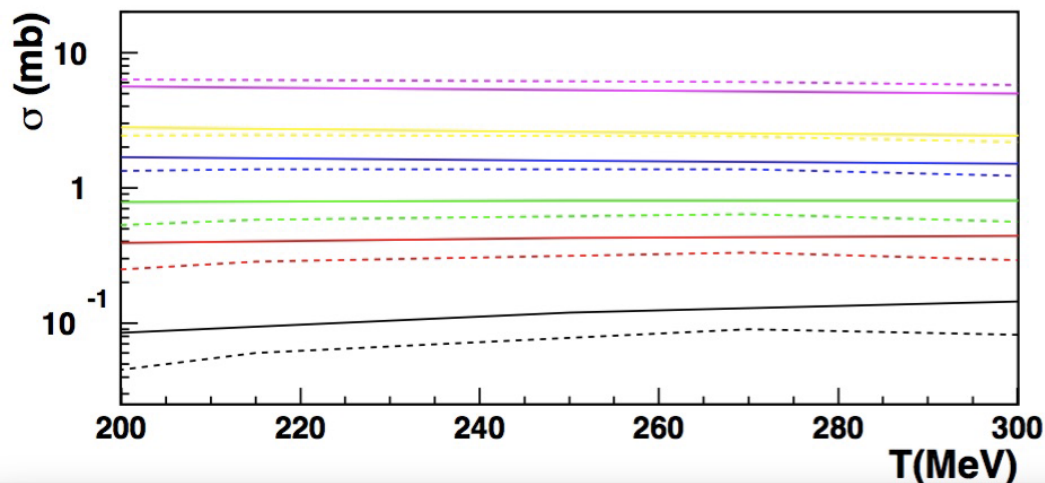
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Using pPb CMS and ATLAS data at 5.02 TeV we fit T_{eff} and n . Also with PbPb CMS data

By varying n between 0.5 and 2, we obtain T_{eff} in the range from 200 to 300 MeV both for **partons** or **hadrons**

- High stability in the mentioned temperature range with running n



The mean values for the dissociation cross-sections for the bottomonium family in a comover medium made of pions (continuous line) or gluons (discontinuous line).

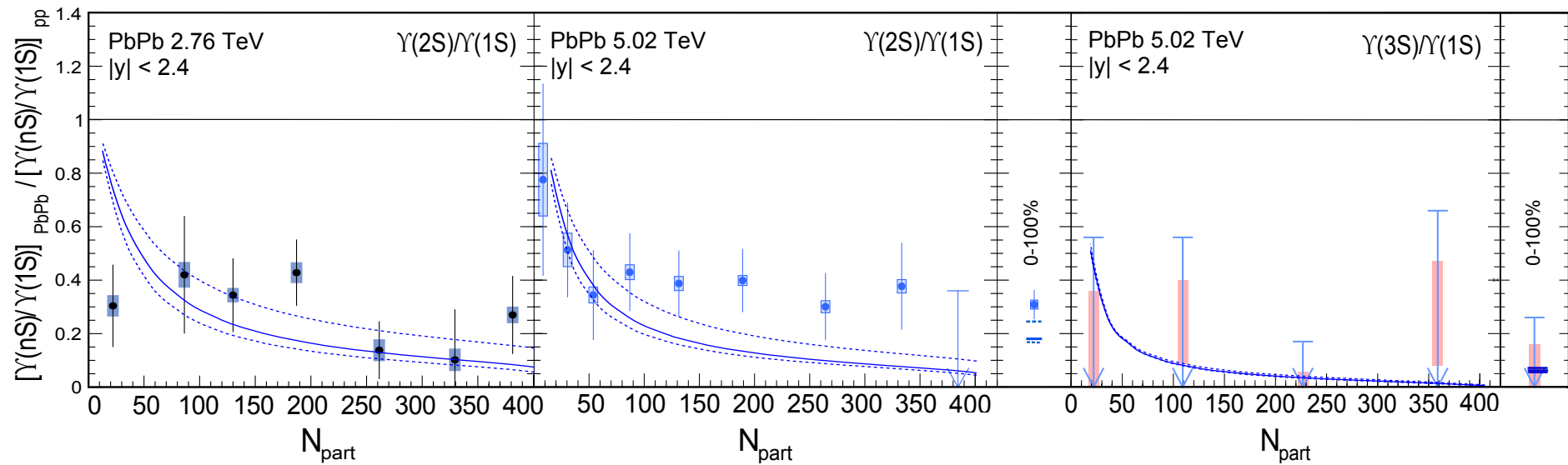
From down to up: 1S, 1P, 2S, 2P, 3S, 3P

Double ratio $Y(nS)/Y(1S)$ in pPb & PbPb @ 2.76 & 5.02 TeV

For $n=1$ and $T=250 \pm 50$ MeV:

Υ pPb at 5.02 TeV

	CIM	Exp
	$-1.93 < y < 1.93$	CMS data
$\Upsilon(2S)/\Upsilon(1S)$	0.91 ± 0.03	0.83 ± 0.05 (stat.) ± 0.05 (syst.)
$\Upsilon(3S)/\Upsilon(1S)$	0.72 ± 0.02	0.71 ± 0.08 (stat.) ± 0.09 (syst.)
	$-2.0 < y < 1.5$	ATLAS data
$\Upsilon(2S)/\Upsilon(1S)$	0.90 ± 0.03	0.76 ± 0.07 (stat.) ± 0.05 (syst.)
$\Upsilon(3S)/\Upsilon(1S)$	0.71 ± 0.02	0.64 ± 0.14 (stat.) ± 0.06 (syst.)

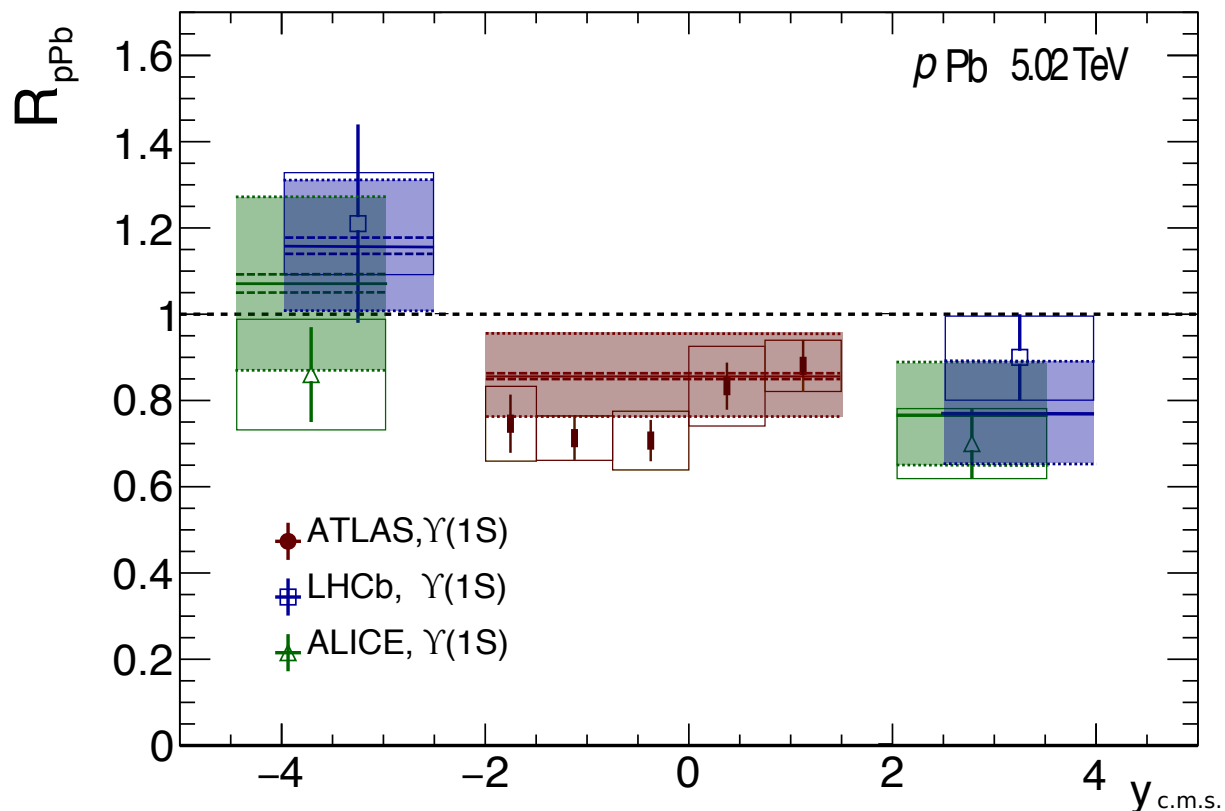


$Y(nS)/Y(1S)$ well reproduced in PbPb collisions without any other phenomena needed

Consistency check: $Y(1S)$ nuclear modification factor in pPb

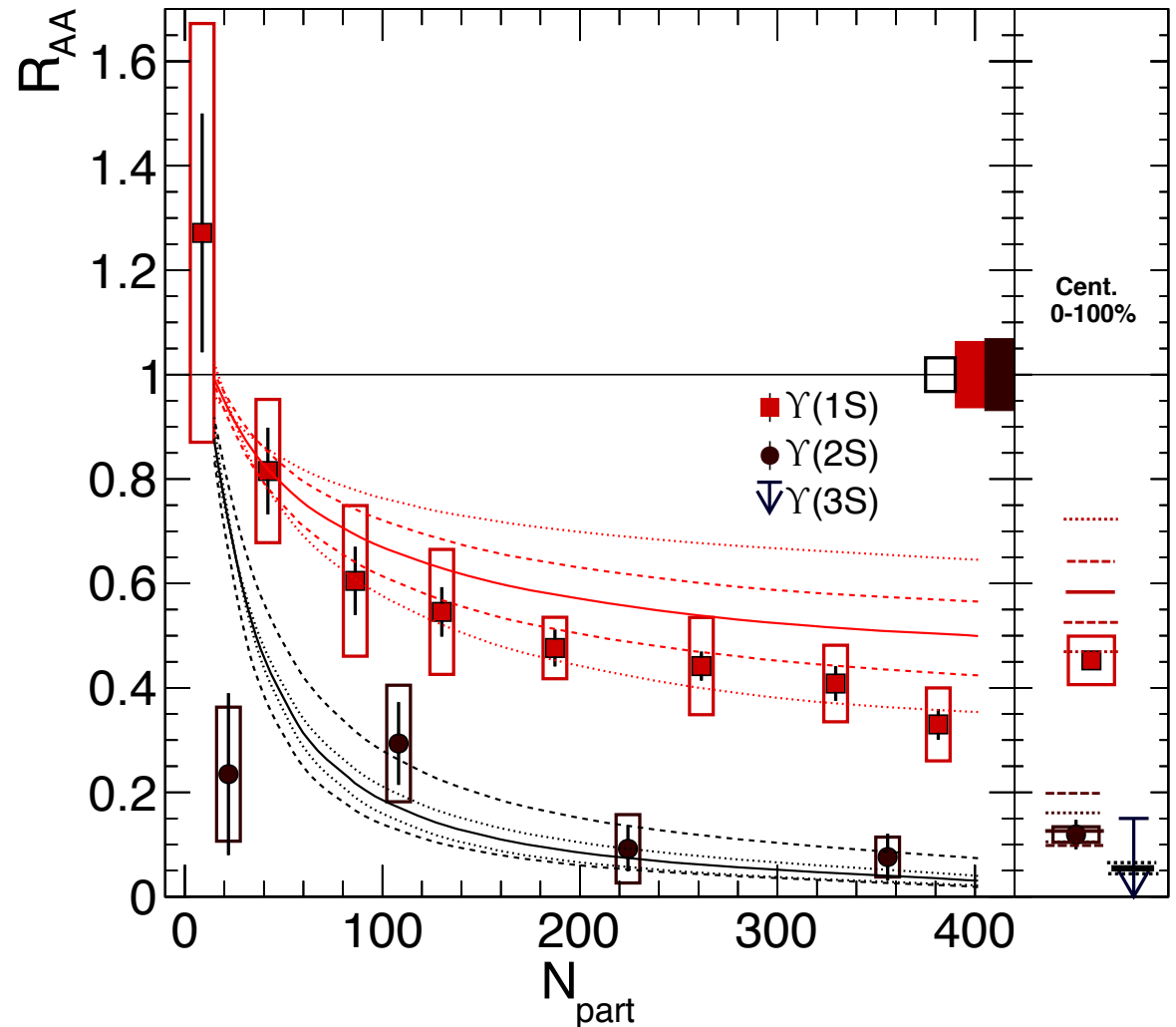
- Now that the $\sigma^{co-Q_{b\bar{b}}}$ are fixed, we need to check the consistency with the absolute suppression of $Y(1S)$
- Other nuclear effects which cancel in the double ratio, **do not cancel** anymore, i.e. shadowing
- We take into account **nCTEQ15**
- Comovers damp down the antishadowing peak
=> **better agreement with ALICE**

E. G. F., J.P. Lansberg,
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Consistency check: R_{pPb} for $Y(1S)$ and $Y(2S)$ @ 2.76 TeV

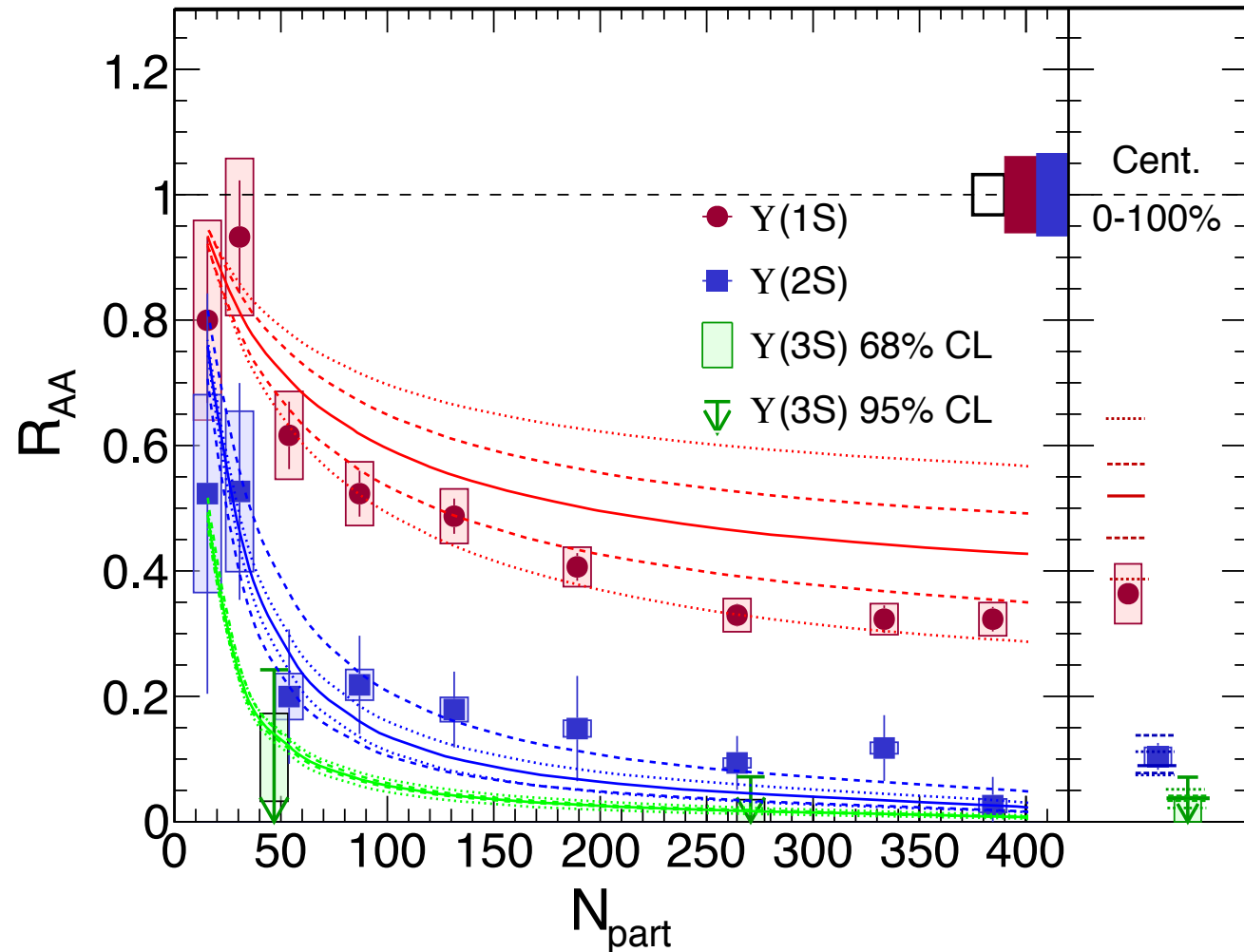
- We take into account **nCTEQ15** (as for R_{pPb})
- We do show the **significant uncertainty** of the barely known gluon nPDFs



The magnitude of suppression -taking into account nCTEQ15- is well reproduced without the need to invoke any other phenomena

Consistency check: R_{pPb} for $Y(1S)$, $Y(2S)$ and $Y(3S)$ @ 5.02 TeV

- We take into account **nCTEQ15** (as for R_{pPb})
- We do show the **significant uncertainty** of the barely known gluon nPDFs



The magnitude of suppression -taking into account nCTEQ15- is well reproduced without the need to invoke any other phenomena

Reaction rates (work in progress)

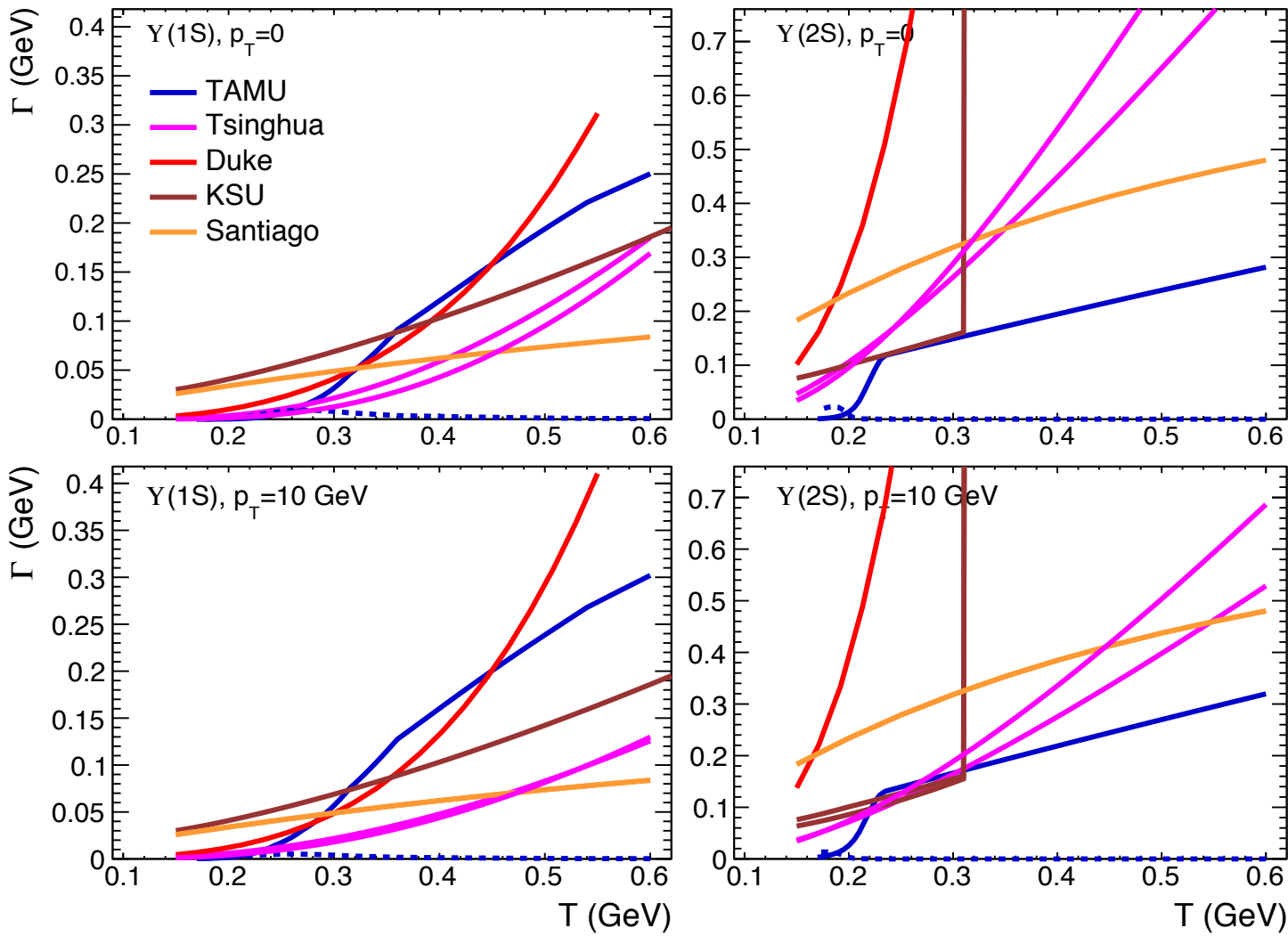
- In order to compare with other transport models, we are trying to obtain the temperature dependence of the inelastic reaction rate
- Let us convert our cross sections into dissociation widths $\Gamma^Q = \sigma^{\text{co}-Q}(E^{\text{co}}; T) \rho^{\text{co}}$.

$$\Gamma^Q(E^{\text{co}}, T) = \sigma^{\text{co}-Q}(E^{\text{co}}) \frac{\rho^{\text{co}}}{e^{E^{\text{co}}/T} - 1}$$

$$\Gamma^Q(T) = \int_{E_{\text{thr}}^Q}^{\infty} dE^{\text{co}} \sigma^{\text{co}-Q}(E^{\text{co}}) \frac{\rho^{\text{co}}}{e^{E^{\text{co}}/T} - 1}$$

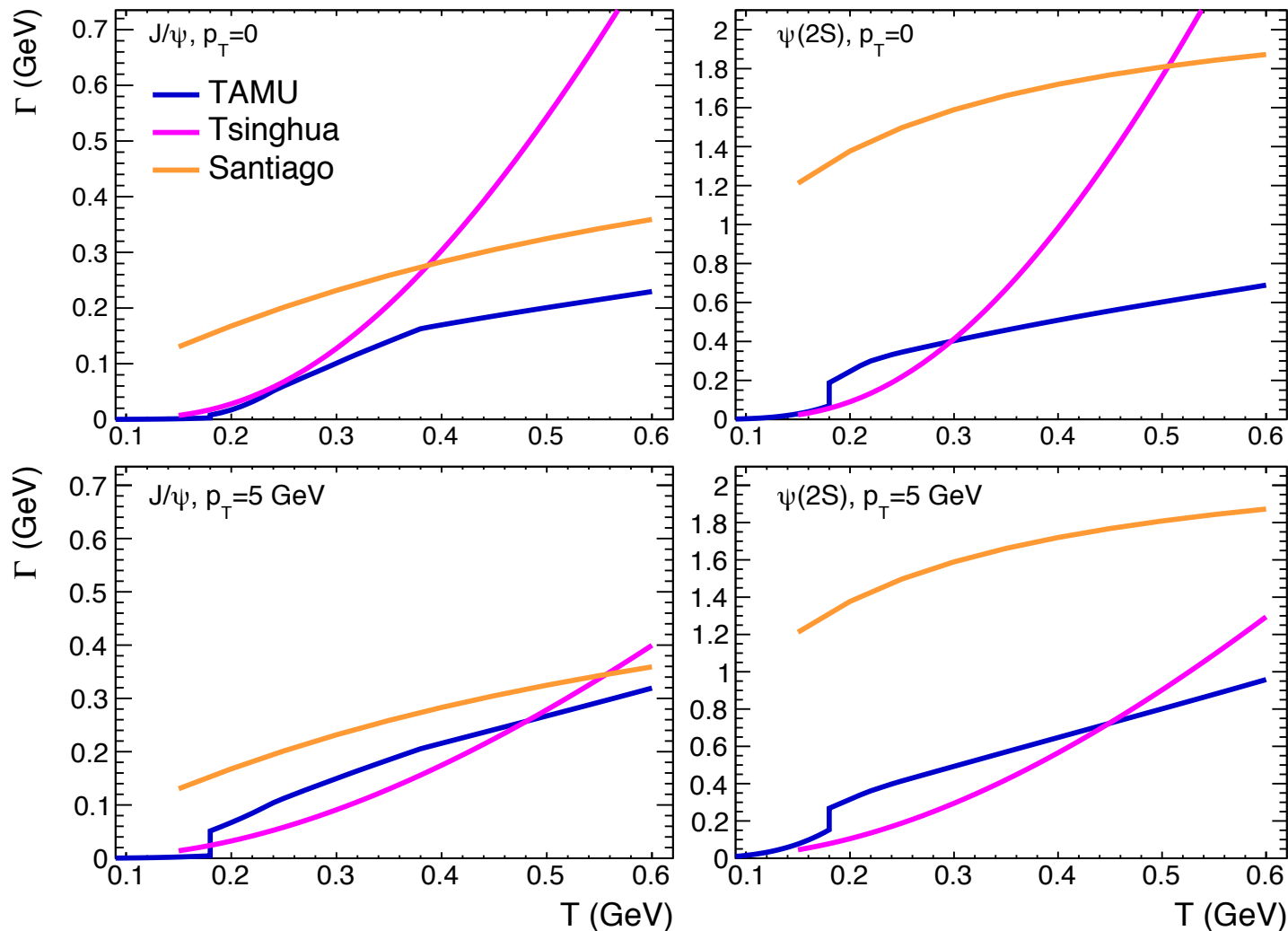
$$\Gamma^Q(T) = \pi a_0^2 \int_{E_{\text{thr}}^Q}^{\infty} dE^{\text{co}} \left(1 - \frac{E_{\text{thr}}^Q}{E^{\text{co}}} \right)^n \frac{\rho^{\text{co}}}{e^{E^{\text{co}}/T} - 1}$$

Reaction rates (work in progress)



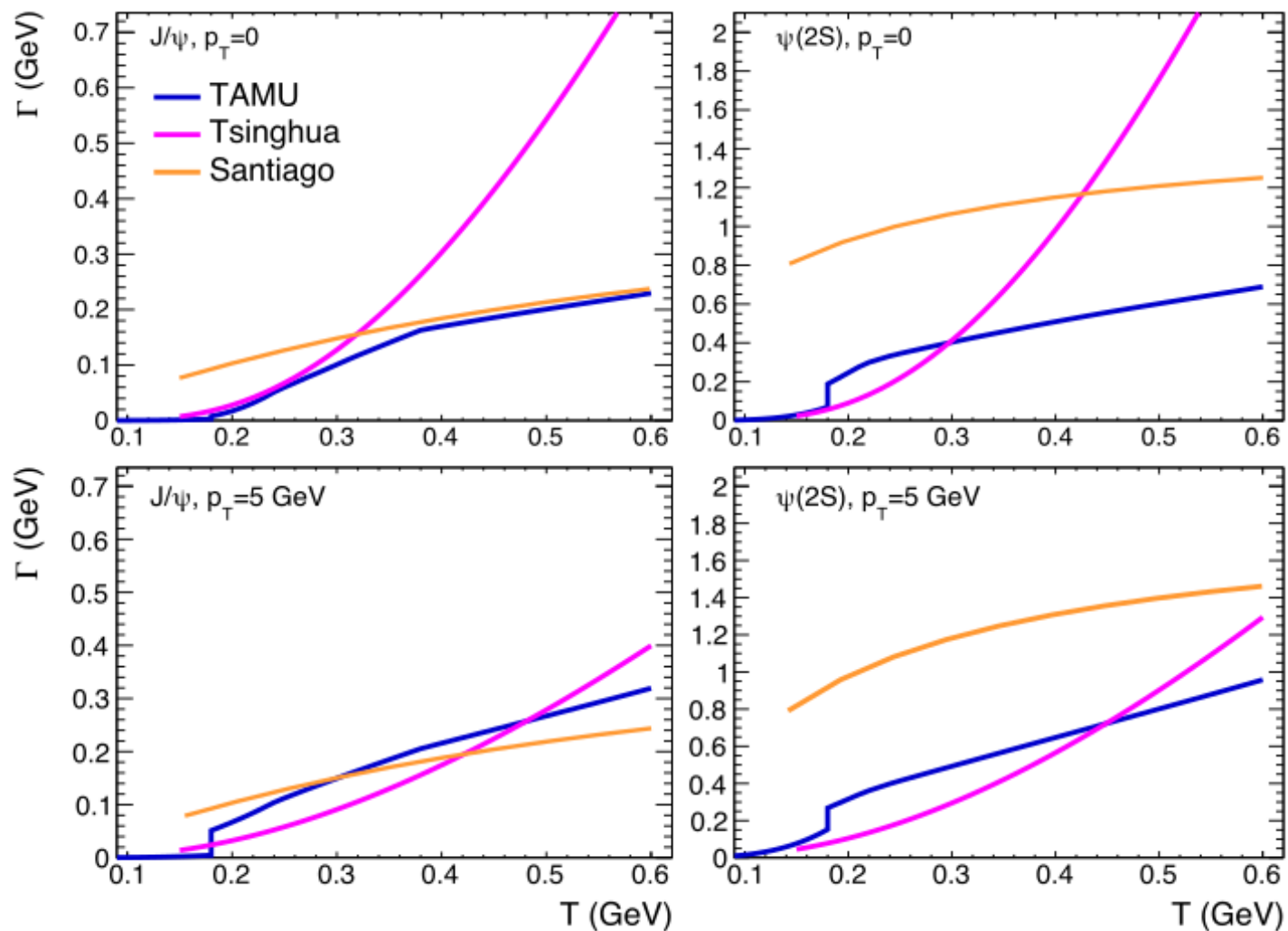
- Neither shadowing nor recombination included
- p_T integrated
- Formation time 0.3 fm

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Reaction rates (work in progress)



- Neither shadowing nor recombination included
- p_T integrated
- Formation time 0.45 fm

Physical interpretation: what the nature of the comovers is

- **Case I:** The medium is **hadronic in pPb** collisions, while it is **gluonic in PbPb**
 - The most common expectation: The relevant d.o.f. are hadrons in pPb collisions where the QGP is not produced whereas the gluons become relevant in the hotter PbPb environment with the presence of QGP
- **Case II:** Both in **pPb and PbPb** collisions, the medium is made of **hadrons**, i.e. the comovers can be identified with pions
 - Both in pA and AA collisions, Υ not affected by the hot (deconfined) medium
 - Possible interpretation: melting temperature of the $\Upsilon(1S)$ and $\Upsilon(2S)$ is too high to be observed and the $\Upsilon(3S)$ is fragile enough to be entirely broken by hadrons. Bottomonia unaffected by the presence of a possible QGP
- **Case III:** Both in **pPb and PbPb** collisions, the medium is made of **partons**, i.e. the comovers can be identified with gluons
 - Comovers are to be considered as partons in a (deconfined) medium
 - A QGP-like medium is formed following pPb collisions at LHC energies
 - CIM: **effective modelling** of bottomonium dissociation in the **QGP**