



The FOOT experiment:

enhancing the understanding of fragmentation processes
in hadrontherapy and space radiation protection

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Helsinki, 25 November 2019



Trento Institute for
Fundamental Physics
and Applications



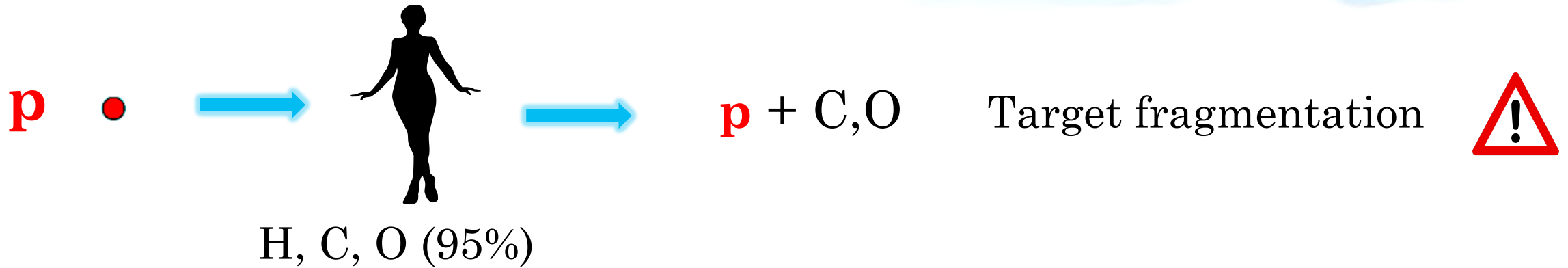
UNIVERSITÀ DEGLI STUDI DI TRENTO



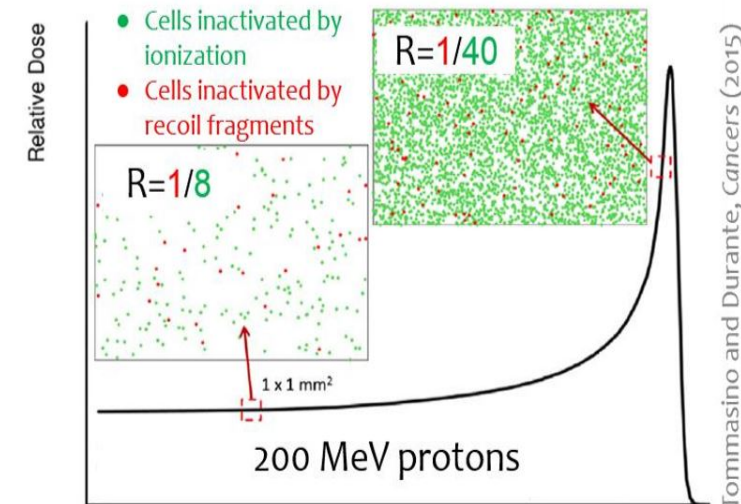
OUTLINE

- ❖ Nuclear fragmentation in proton therapy
- ❖ FOOT
 - Main goals
 - Experimental approaches
 - Experimental setups
 - Performances: charge and mass identification, isotopes separation
- ❖ Conclusion and future perspectives

NUCLEAR FRAGMENTATION IN PROTON THERAPY



- **Target fragmentation** gives **higher contribution** in **healthy tissue** where beam is still energetic ($\sim 200\text{MeV}$)
- Low energy fragments: **short range** (\sim tens of μm)
- The contribution to biological effects of the fragmentation of target is **not considered in treatment planning**



Tommasino and Durante, Cancers (2015)

Depth

3

FOOT GOAL

Characterization of the fragments generated in the target
to improve the knowledge of the $p \rightarrow \text{patient}$ ($p \rightarrow \text{H,C,O}$) interaction
at therapeutic energies (200 – 400 MeV/u)

FOOT GOAL

Characterization of the fragments generated in the target
to improve the knowledge of the p -> patient (p -> H,C,O) interaction
at therapeutic energies (200 – 400 MeV/u)

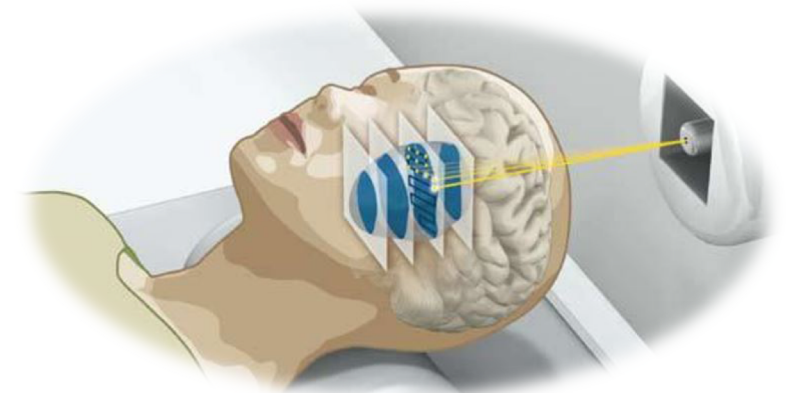
Fragmentation double
differential cross-section
(5% precision)

$$\frac{d^2\sigma}{d\Omega dE}$$

- Charge ID
- Mass ID
- Fragment momentum
- Fragment generation angle

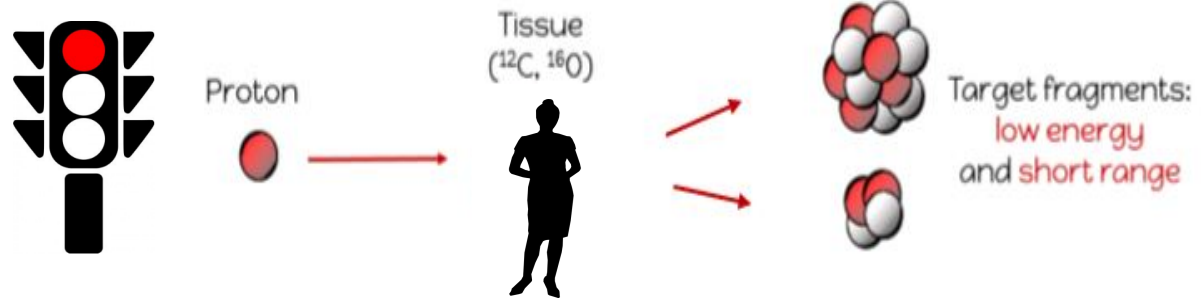
Particle therapy

Data used to improve the accuracy of the TPS
(Treatment Planning System)

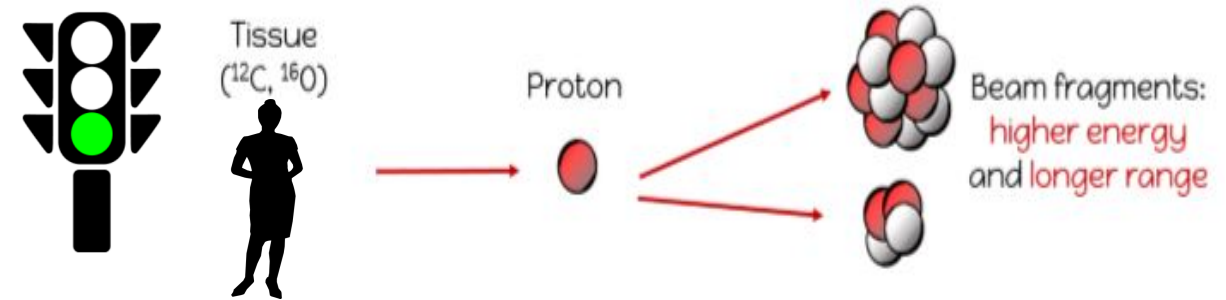


EXPERIMENTAL APPROACHES

Direct kinematics

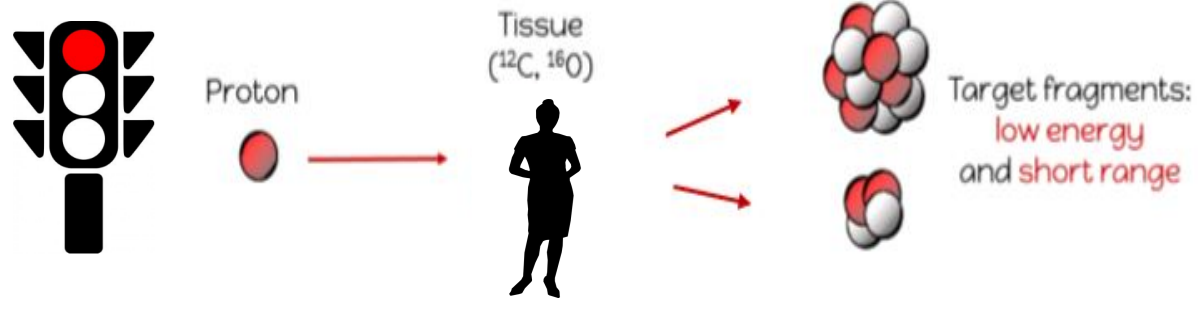


Inverse kinematics

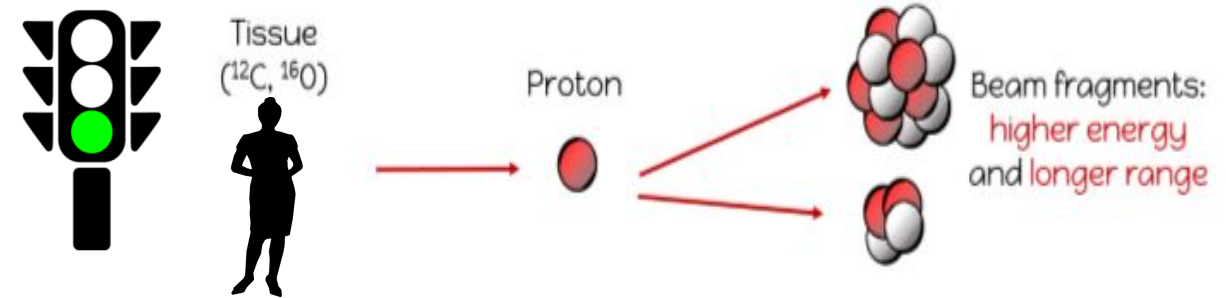


EXPERIMENTAL APPROACHES

Direct kinematics



Inverse kinematics



Ideal target choice

Hydrogen gas target



Hydrogenated target $(\text{C}_2\text{H}_4)_n$

&

Graphite target (C)

Fragmentation cross sections on H can be measured by subtracting the cross sections of $(\text{C}_2\text{H}_4)_n$ and C

$$\frac{d\sigma}{dE_{\text{kin}}}(\text{H}) = \frac{1}{4} \left(\frac{d\sigma}{dE_{\text{kin}}}(\text{C}_2\text{H}_4) - 2 \frac{d\sigma}{dE_{\text{kin}}}(\text{C}) \right)$$

DIFFERENT EXPERIMENTAL SETUPS

Electronic Setup

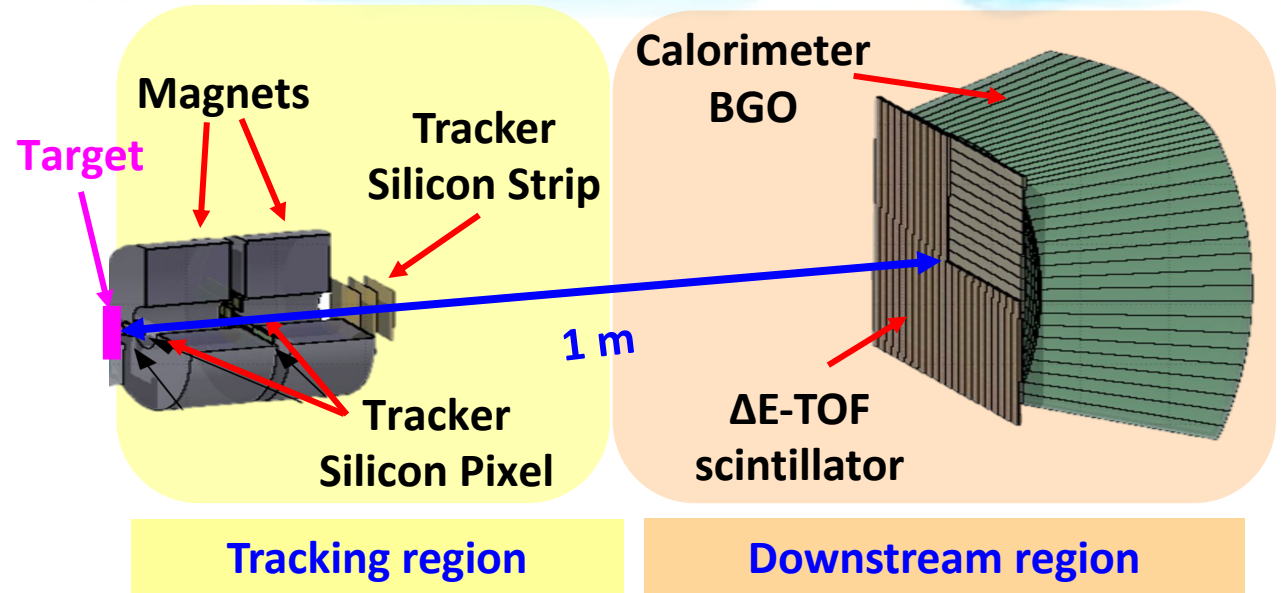
Heavy fragments
Angular open $\pm 10^\circ$

Light fragments
Angular open $\pm 70^\circ$

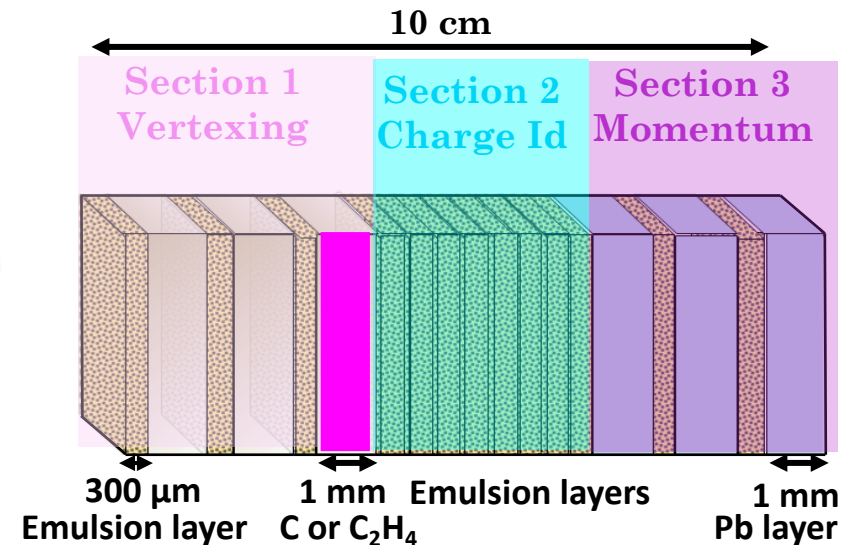
Beam Monitor

Start Counter

Pre-target region



Emulsion Chamber Setup



... ONE MORE GOAL



Background radiation in space:

- 2% electrons and positrons
- 98% nuclei
 - **87% protons**
 - 12% helium
 - 1% of heavier ions

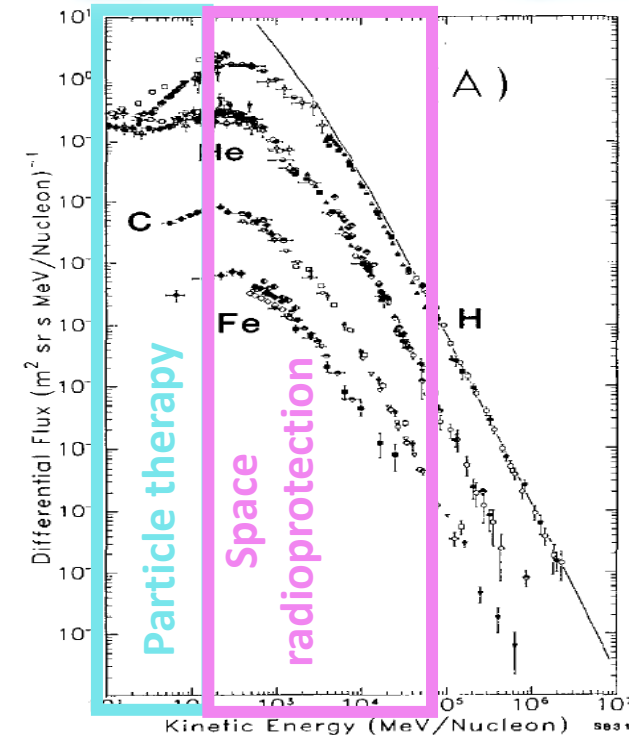
Fragmentation of GCR can occur in:

- spacecraft structure
- shielding materials
- astronaut's body

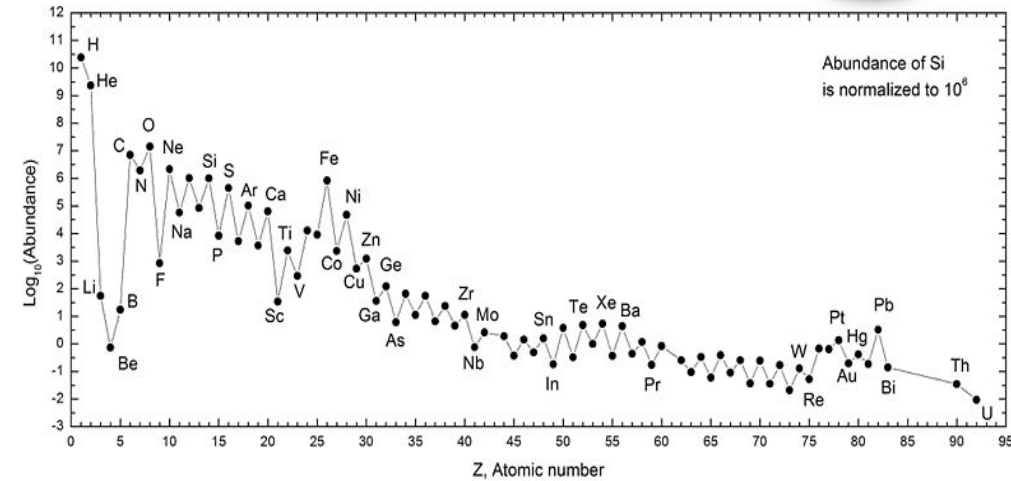
Changing in the composition of the radiation field and thus in the dose

Radioprotecion in space

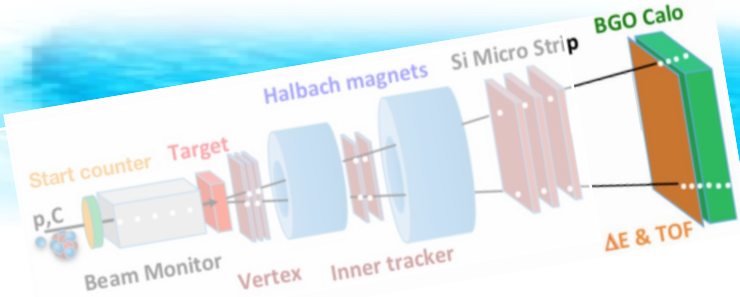
700 MeV/u for p, He, Li, C, O beams : detailed knowledge of the fragmentation processes to optimize the spacecraft shielding (long term mission)



Galactic cosmic rays
Simpson et al., 1983



CHARGE IDENTIFICATION

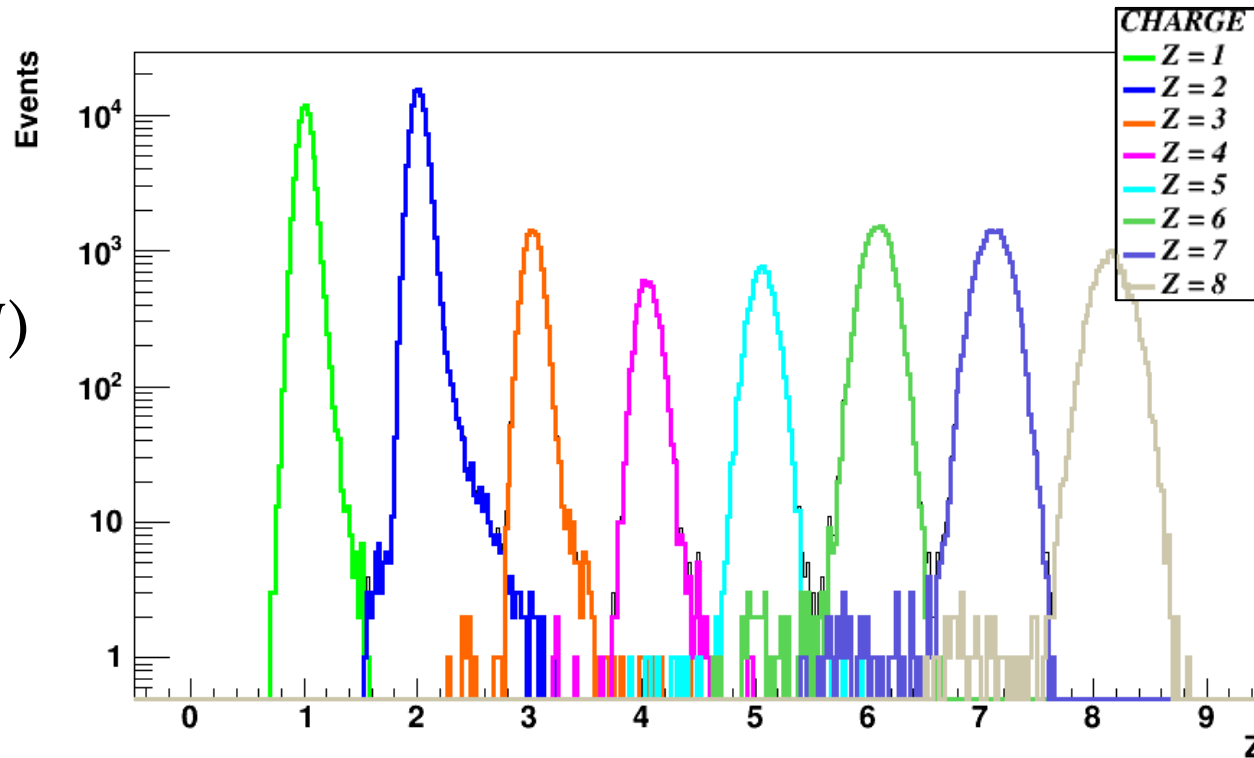


The Z determination is obtained by the mean **energy loss** of charged particle deposited in the **plastic scintillator (SCN)** and by the TOF measurement (Start Counter – SCN)

$$-\frac{dE}{dx} = \frac{\rho \cdot Z}{A} \frac{4\pi N_A m_e c^2}{M_U} \left(\frac{e^2}{4\pi\epsilon_0 m_e c^2} \right)^2 \frac{z^2}{\beta^2} \left[\ln \left(\frac{2m_e c^2 \beta^2}{I \cdot (1 - \beta^2)} \right) - \beta^2 \right]$$

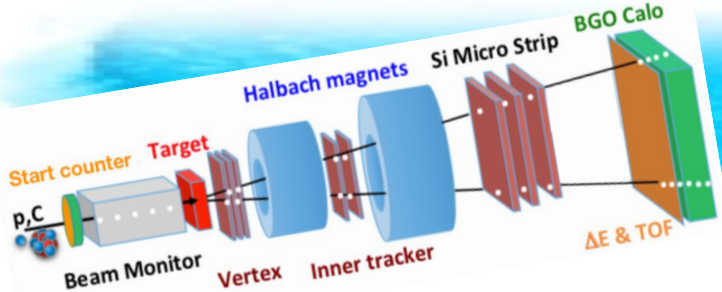
Charge and velocity of the fragment (divided by c)

- Resolution:
2% (^{16}O) – 6% (^1H)
- Wrong charge assignment < 1%



Fluka simulation

^{16}O (200 MeV/u) \rightarrow C_2H_4



MASS IDENTIFICATION

Combination of reconstructed quantities:

Momentum (**magnetic spectrometer**)
ToF (**scintillator**)
Kinetic energy (**calorimeter**)

$$A_1 = \frac{p}{U\beta\gamma c}$$

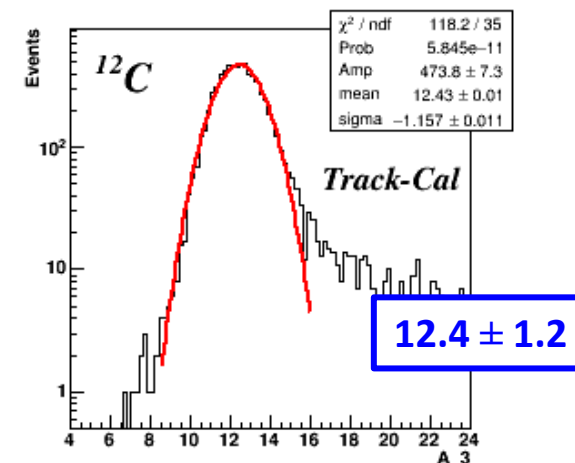
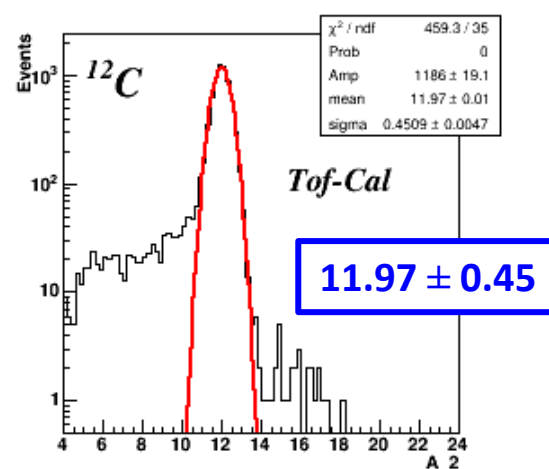
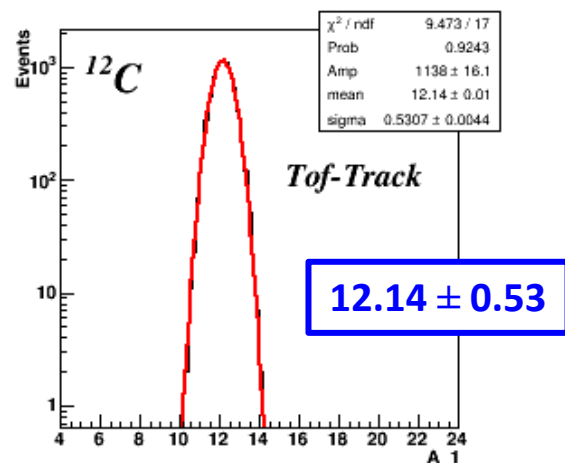
$$A_2 = \frac{E_k}{Uc^2(1 - \gamma)}$$

$$A_3 = \frac{pc^2 - E_k^2}{2Uc^2 E_k}$$

Fluka simulation

^{16}O (200 MeV/u) \rightarrow C_2H_4

(Example of ^{12}C)



Best determination of A through:

- Standard χ^2 fit
- Augmented Lagrangian Method (ALM)

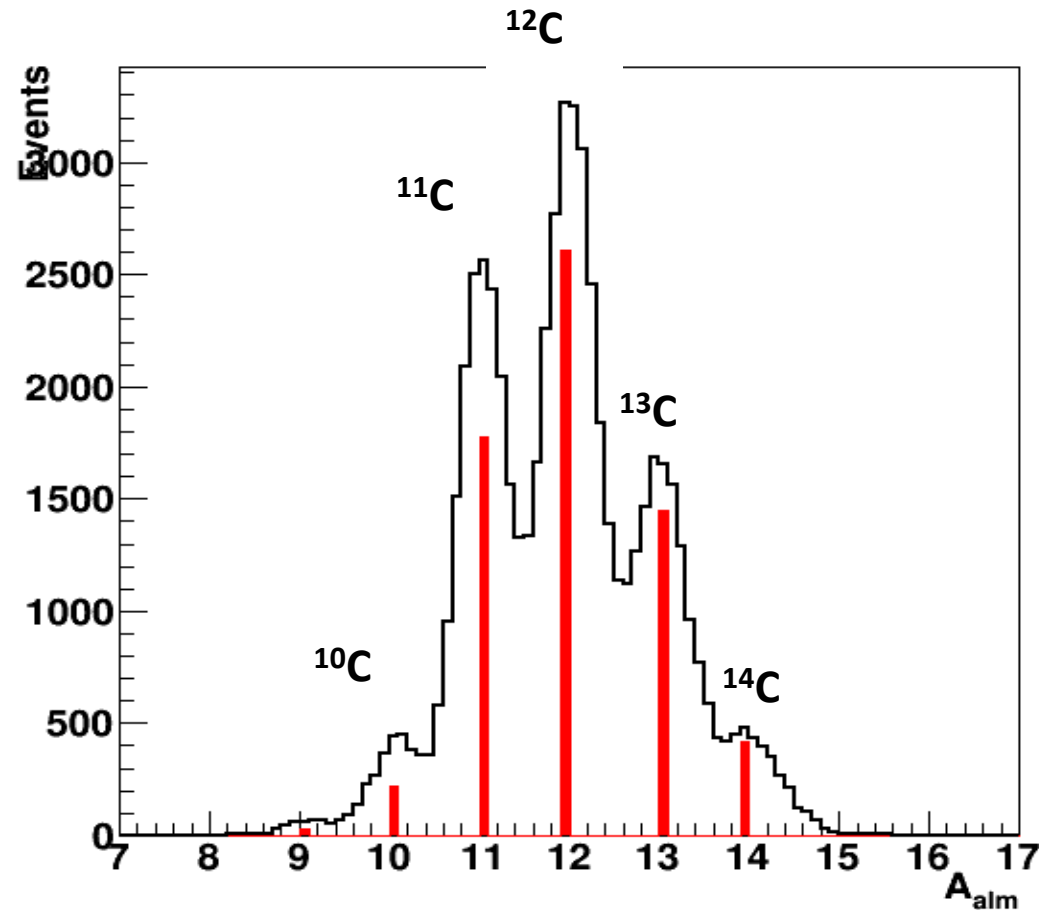
- Peak position centered around the expected values
- Resolution: 4% (^{16}O) – 6% (^1H)

ISOTOPES SEPARATION

Fluka simulation

^{16}O (200 MeV/u) \rightarrow C_2H_4

(Example of ^{12}C)

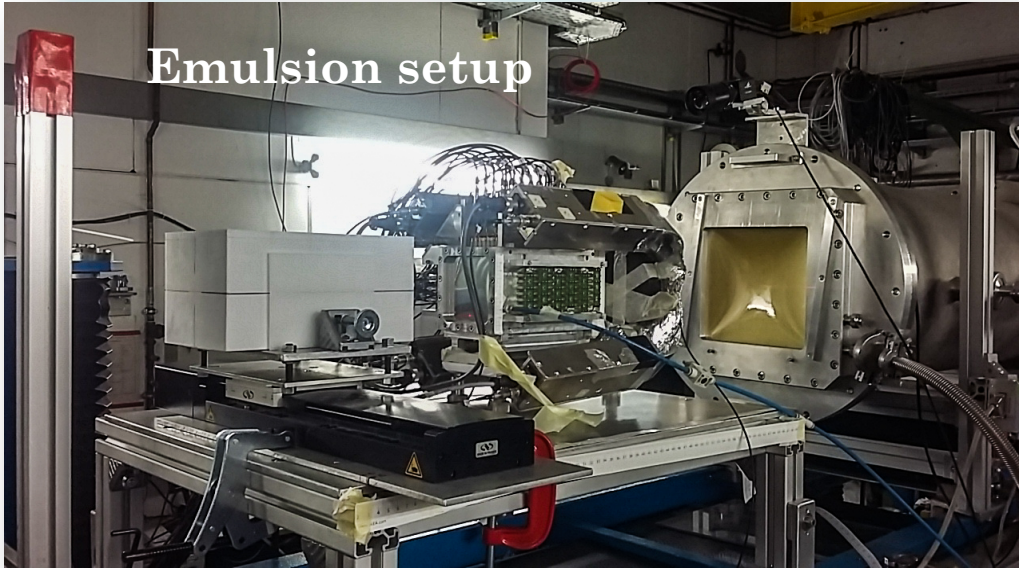


Resolutions from Test Beam

- $\Delta p/p \rightarrow 4\%$
- $\Delta E_{\text{kin}}/E_{\text{kin}} \rightarrow 1.0\%$
- $\Delta \text{tof} \rightarrow 50 - 100 \text{ ps}$
- $\Delta(dE)/dE \rightarrow 3-10\%$

1ST GLOBAL DATA TAKING @ GSI (Darmstadt, Germany)

Emulsion setup

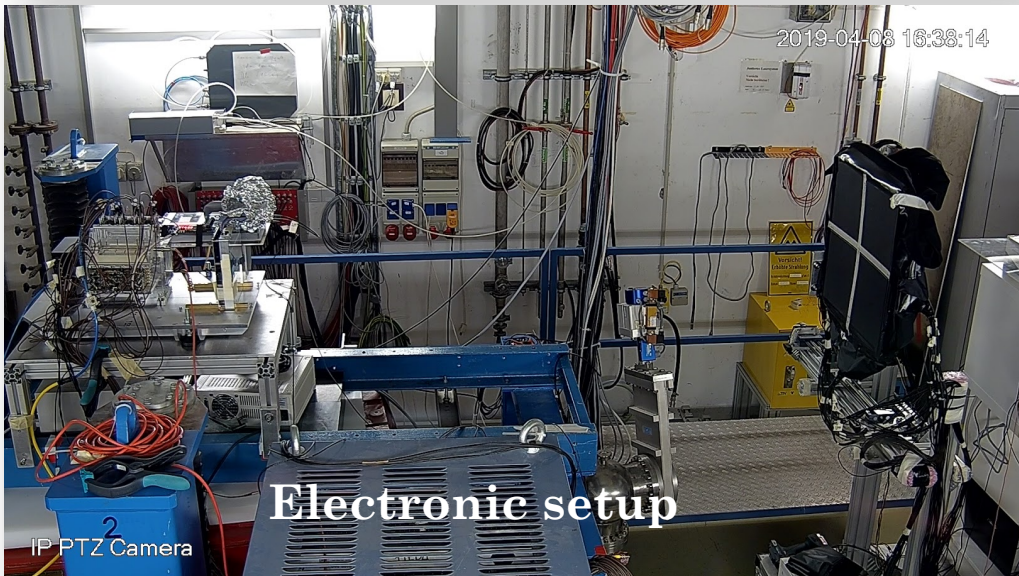


Beam: ^{16}O @ 200 MeV/u & 400 MeV/u
Target: C & C₂H₄

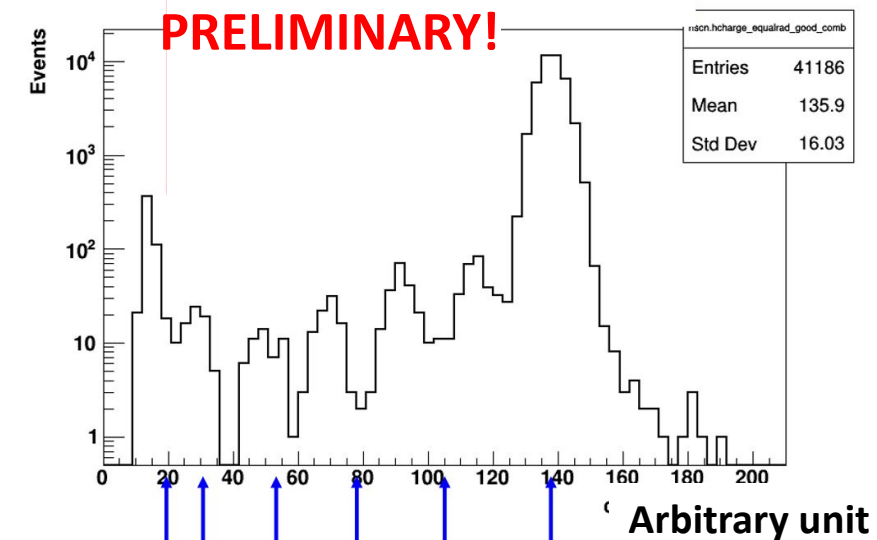
- Emulsion data taking -> emulsion layers have been developed and are currently under analysis
- Global data acquisition test beam (no MSD, no calorimeter, no magnets)

2019-04-03 16:38:14

Electronic setup



IP PTZ Camera



The FOOT experiment

CONCLUSIONS & FUTURE WORK

- The FOOT goal is the **experimental characterization of target fragment** production cross sections for beams, energy and targets relevant in hadrontherapy and radioprotection in space
- Simulation phase is done. **First emulsion setup data taking and first FOOT global data acquisition test beam** performed at GSI in March 2019. Data are still under analysis, but performances as expected
- Mass and charge of the fragments well reconstructed in almost all the events
- Next test beam with emulsion setup at GSI in February 2020

FOOTERS AROUND THE WORLD

INFN &
University of Milano

CNAO

TIFPA &
University of Trento

INFN &
University of Torino

INFN &
University of Bologna

INFN &
University of Pisa

INFN &
University of
Perugia

INFN & Roma
1 & Roma 2
University

INFN &
University of
Napoli

INFN Bari

Centro Fermi

LNS



FOOTERS AROUND THE WORLD

INFN &
University of

INFN &
University of

INFN &
1 & Roma
University

Centro Fermi

CNAO

TIEPA &

University of
Napoli

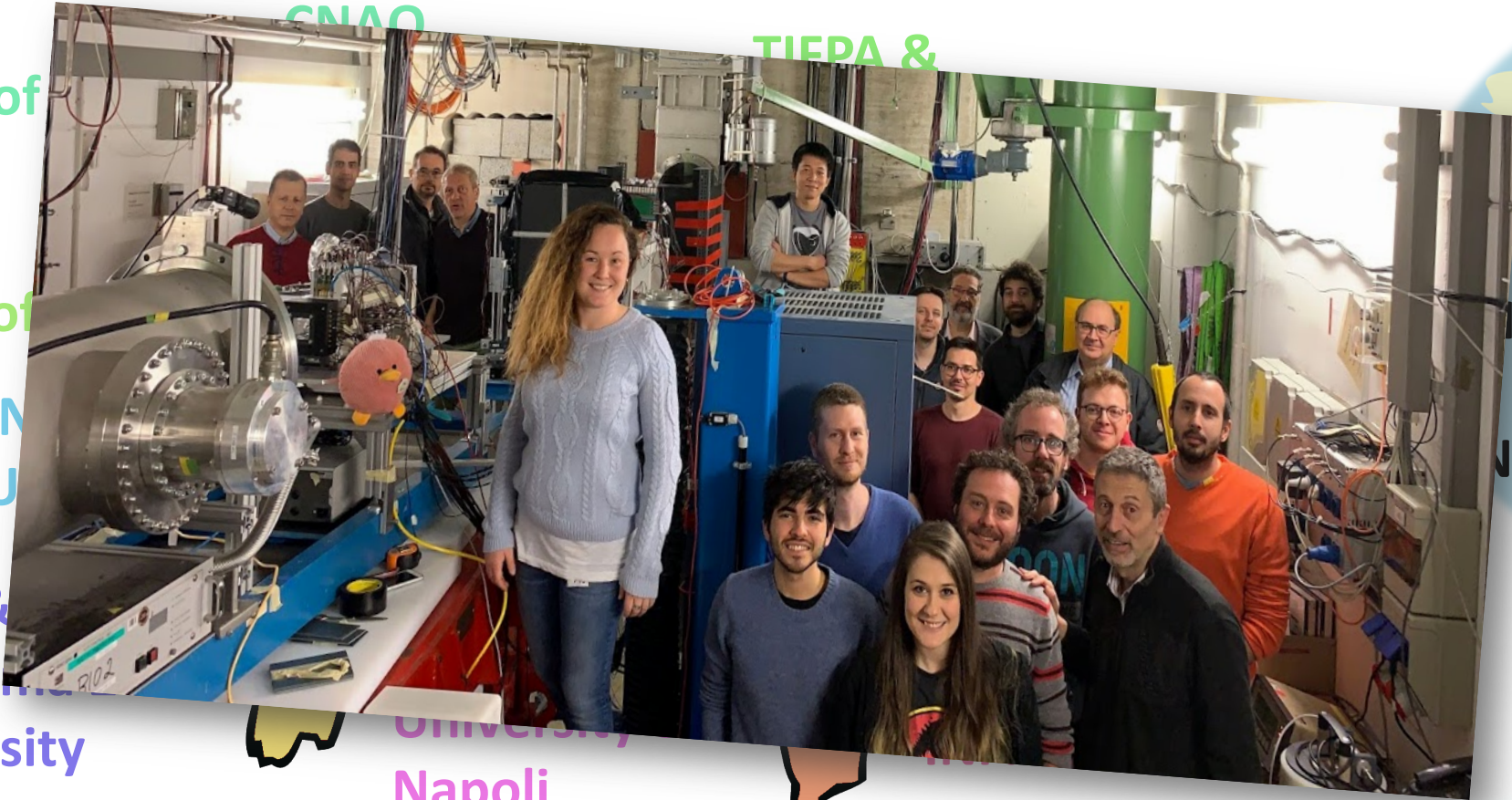
LNS

GSI

Aachen University

IPHC Strasbourg

Nagoya University



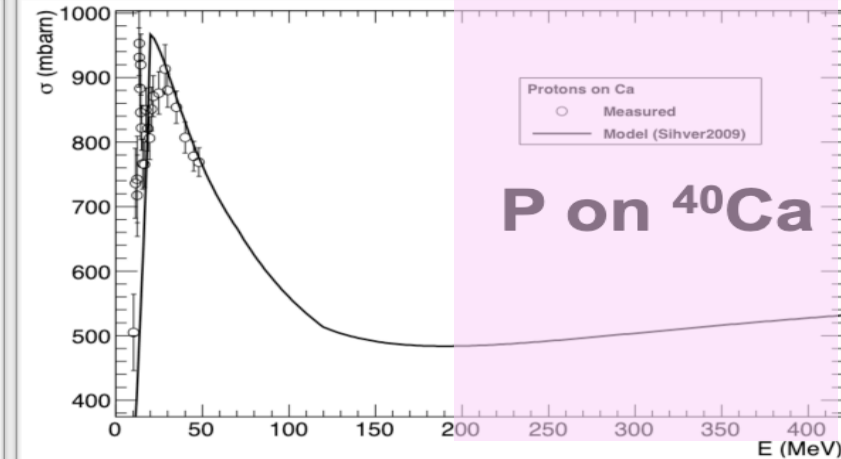
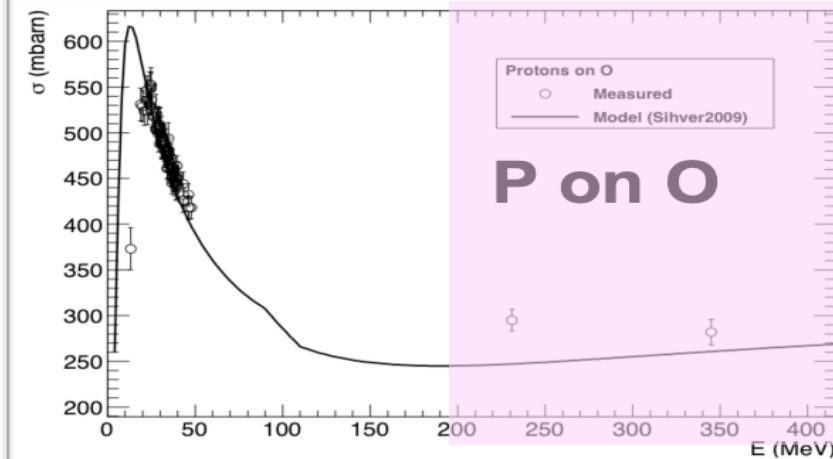
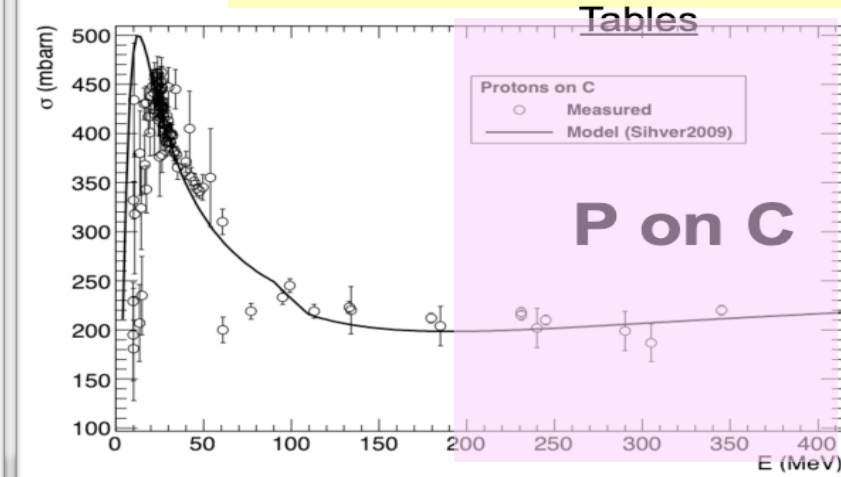
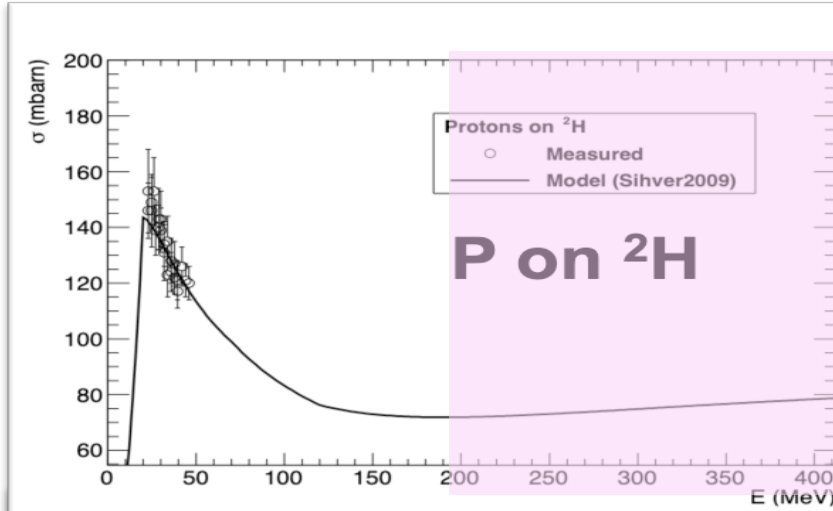
Thank you!

BACKUP SLIDES

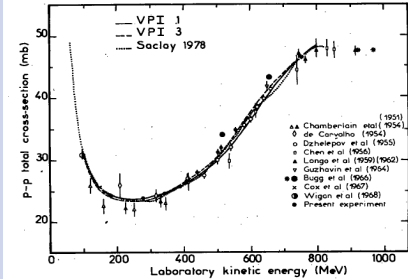
PROTON CROSS SECTION: WHAT'S ON THE MARKET

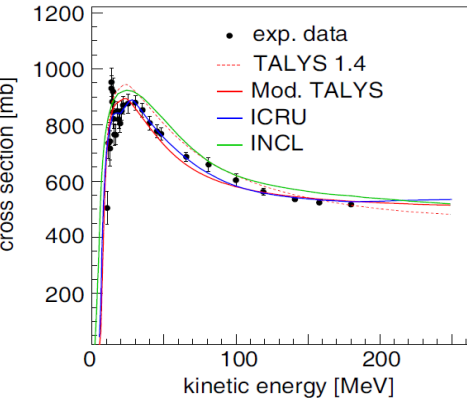
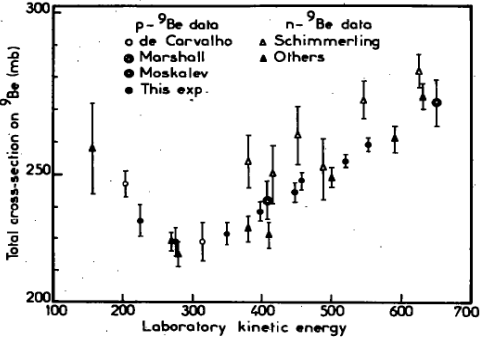
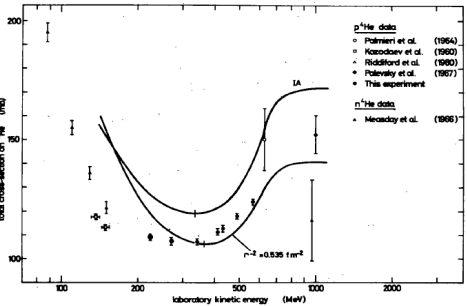
Experimental data taken from Carlson
1996 Atomic Data and Nuclear Data

Tables

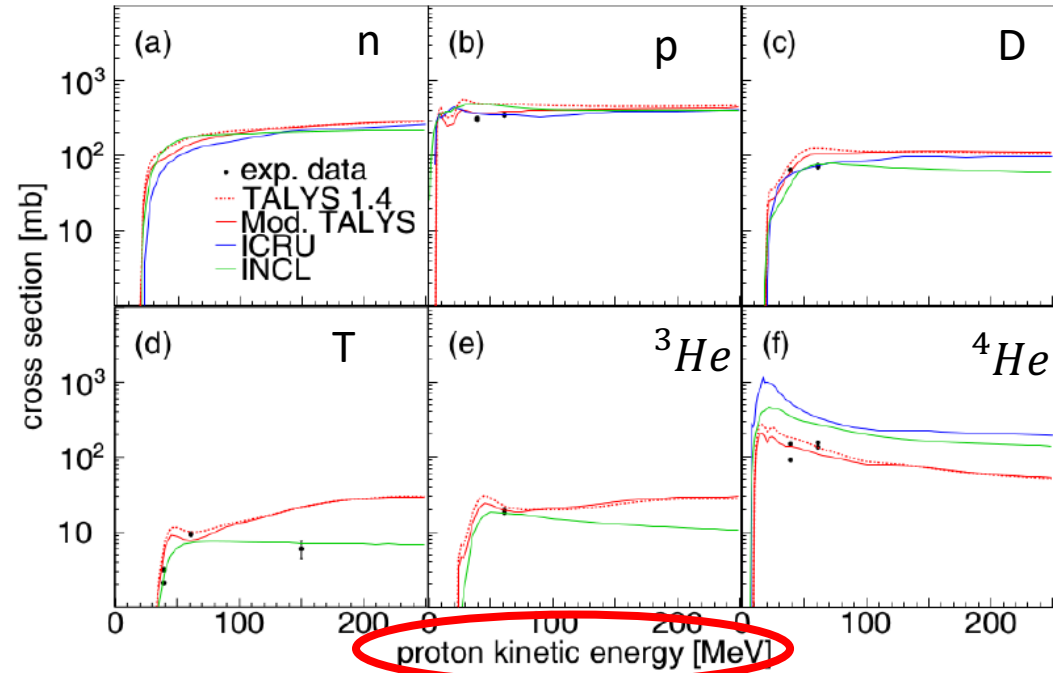


PROTON CROSS SECTION: WHAT'S ON THE MARKET

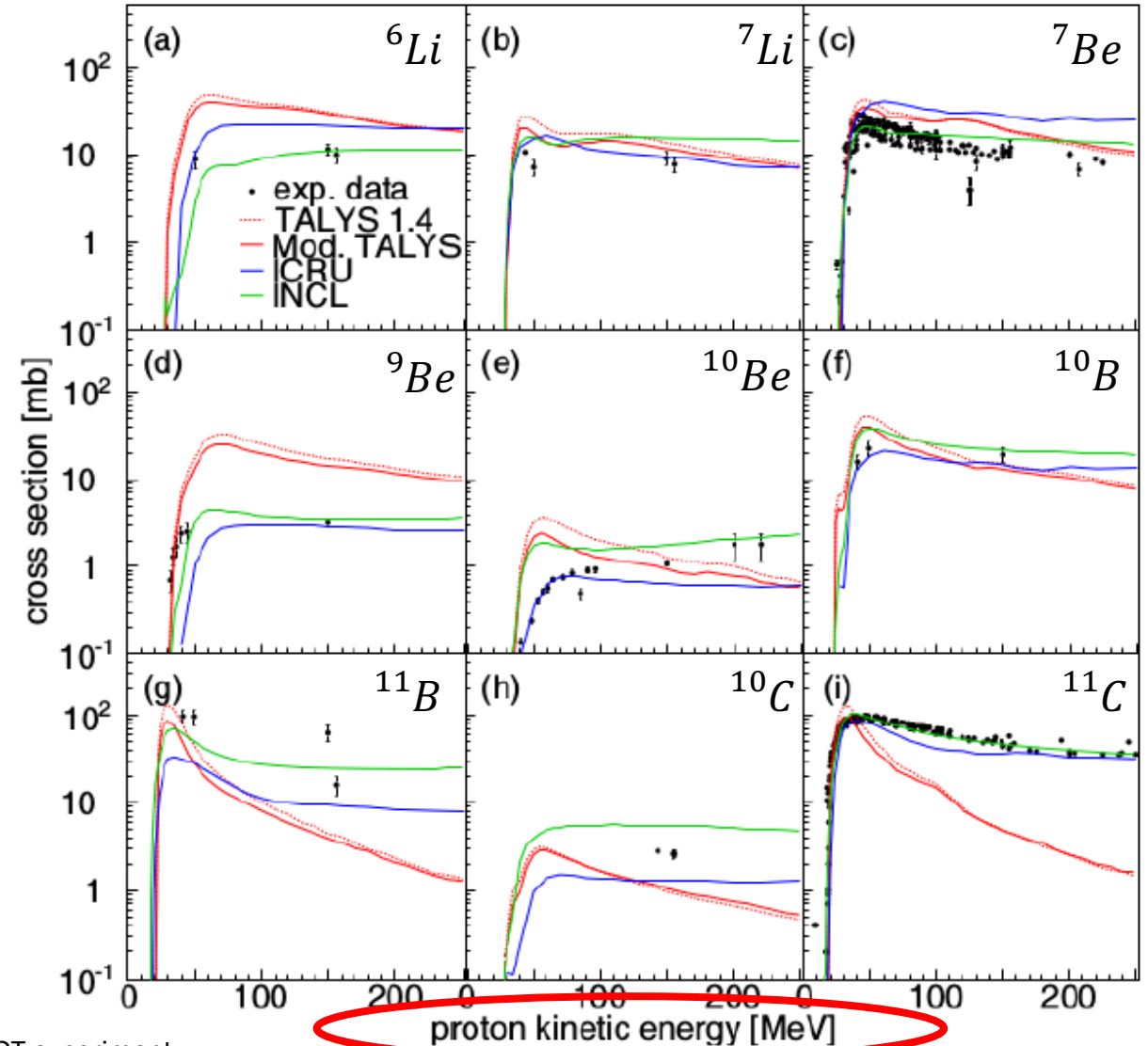
Reaction	E _{Kin} MeV	σ _{TOT} (mb)	
p → p	10	300	
	100	30	
	180-500	25-35	
	600-2000	45-50	
P → ⁴He	150-600	110-120	
P → ⁹Be	200-600	230-250	
P → ¹²C	50	450	
	100-200	230	
	200-1000	280-350	
P → ¹⁶O	20	550	
	50	400	
	200	350	
	200-600	350-400	
P → ⁴⁰Ca	30	900	
	100-200	500	



PROTON CROSS SECTION: WHAT'S ON THE MARKET

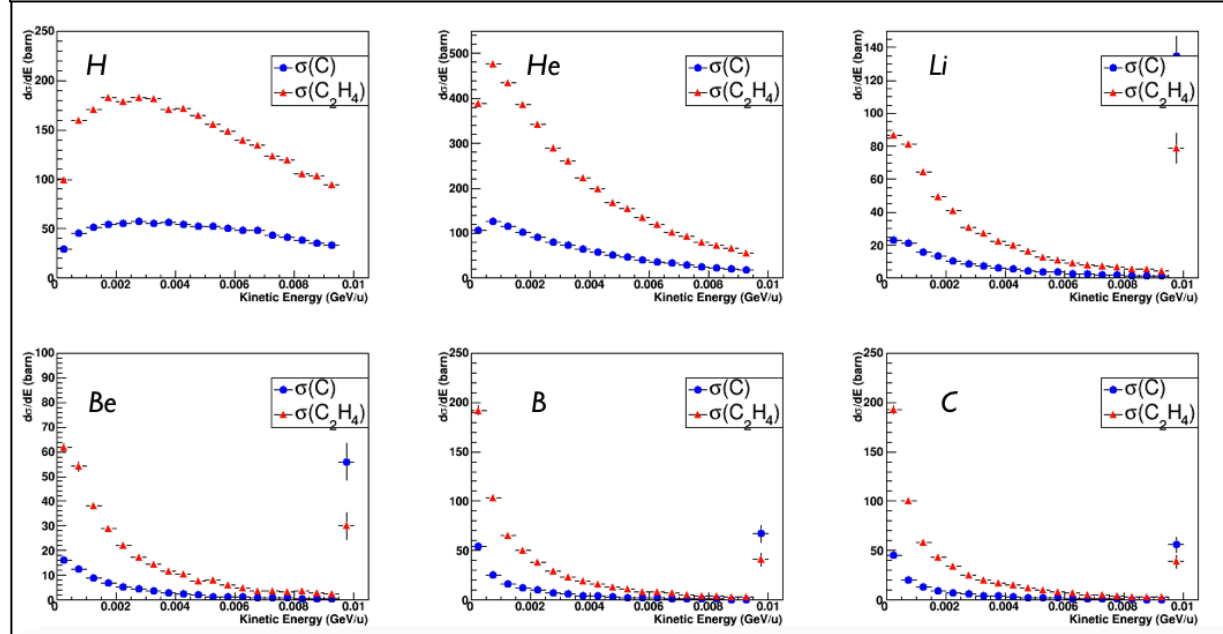


$p \rightarrow ^{12}\text{C}$ differential cross section



TARGET FRAGMENTATION CROSS-SECTIONS: INVERSE KINEMATICS

$d\sigma/dE_{\text{kin}}(\text{fragment})$ in C & C₂H₄ targets (inverse kinematic)

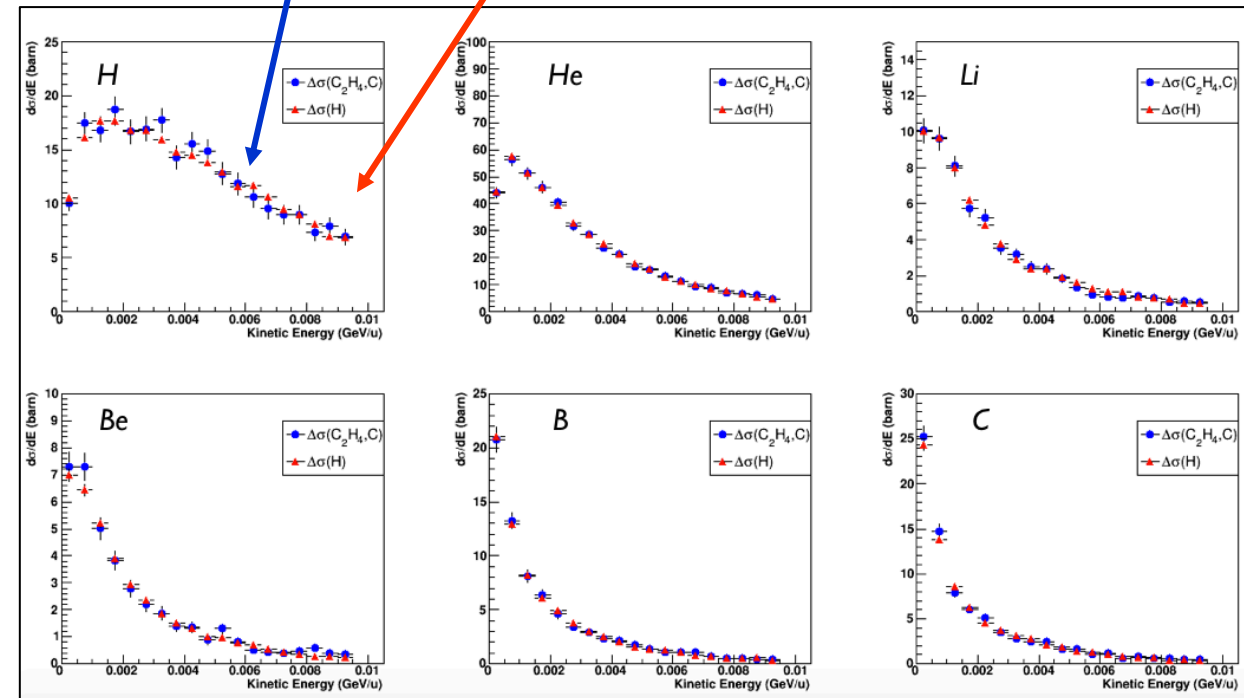


Fluka simulation

^{16}O (200 MeV/u) \rightarrow C₂H₄

$$\frac{d\sigma}{dE_{\text{kin}}}(H) = \frac{1}{4} \left(\frac{d\sigma}{dE_{\text{kin}}}(C_2H_4) - 2 \frac{d\sigma}{dE_{\text{kin}}}(C) \right)$$

$$\frac{d\sigma}{dE_{\text{kin}}}(H)$$



ELECTRONIC SETUP

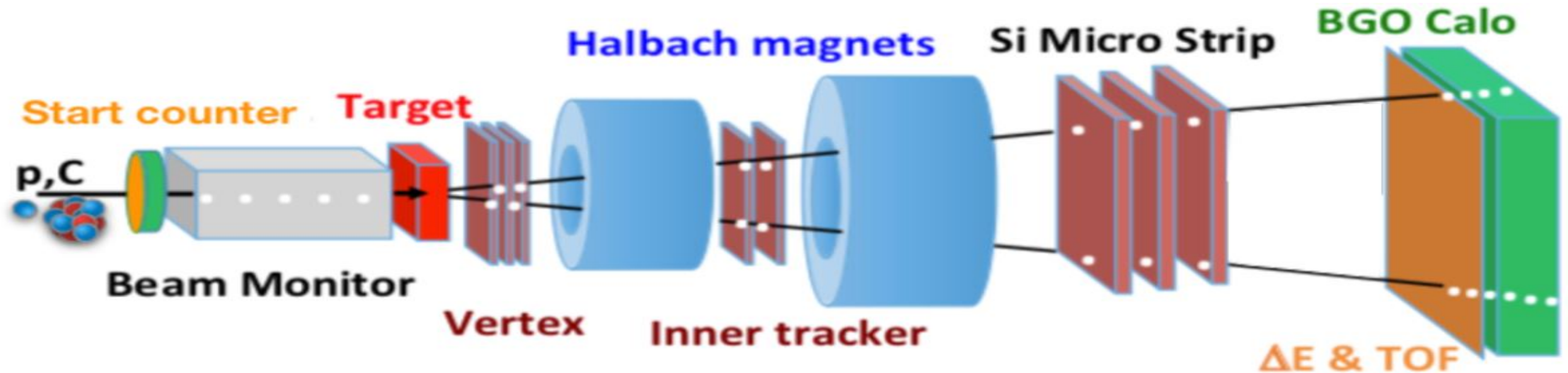
- ✓ Measures primaries position and direction
- ✓ Reject events fragmentated before the target

MOMENTUM

- ✓ Magnets to separate fragments of different charges

KINETIC ENERGY ToF & CHARGE

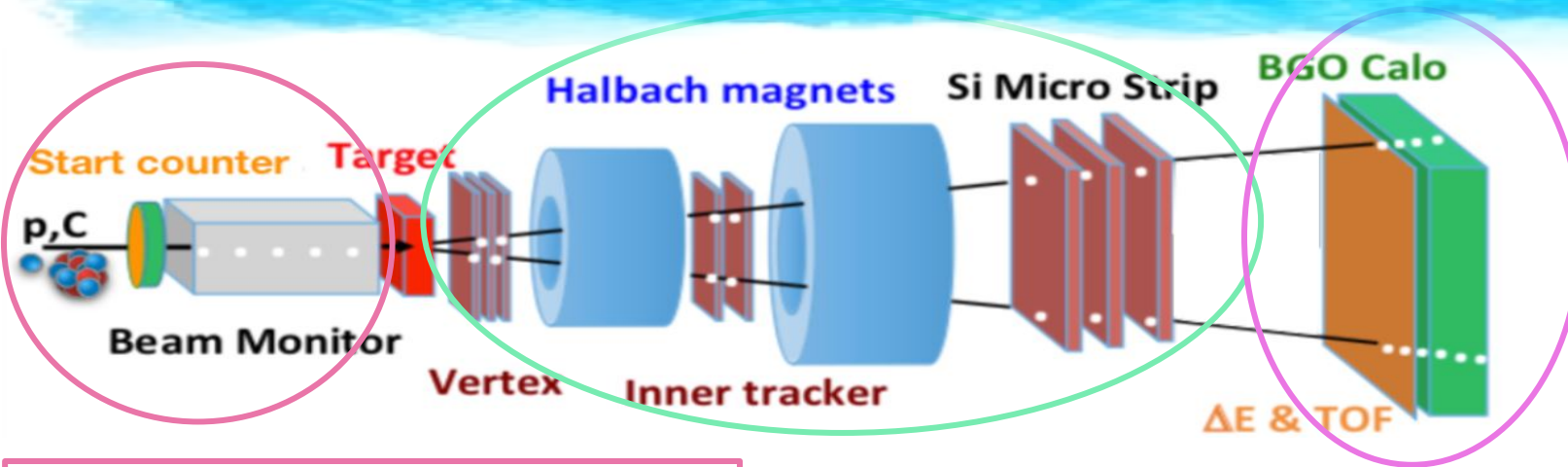
- ✓ ToF and energy release measurement



- ✓ Reconstruction of the particles track inside and outside the magnetic field

- ✓ Fragments kinetic energy measurement

ELECTRONIC SETUP



Pre-target region

- **Start counter**
 - ❖ Plastic scintillator 250 μm
 - ✓ Counts primaries
 - ✓ Starts ToF measurement
- **Beam monitor**
 - ❖ Ar-CO₂ drift chamber
 - ❖ 3 cells x 12 XY planes
 - ✓ Measures primaries position and direction

Magnetic spectrometer

- **Vertex**
 - ❖ 4 layers of silicon pixel detectors 50 μm
 - ✓ Reconstructs vertex position
- **Inner tracker**
 - ❖ 2 layers of silicon pixel detectors 50 μm
 - ✓ Tracking in magnetic field
- **Microstrip detector**
 - ❖ 3 layers of silicon microstrips 150 μm
 - ✓ Tracking in magnetic field

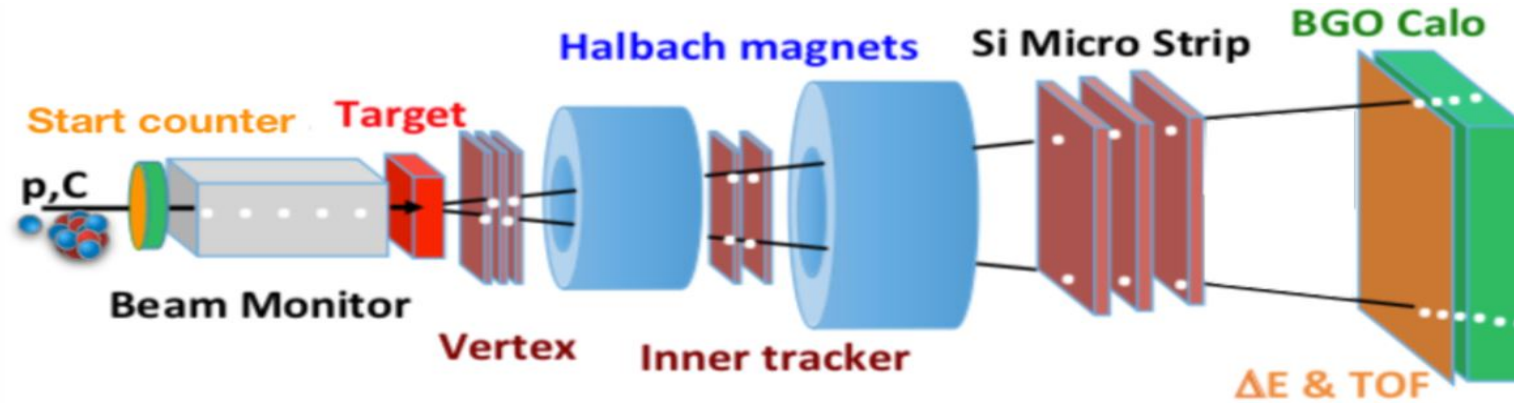
Calorimeter region

- **Scintillator**
 - ❖ 2 layers of 3 mm thick plastic scintillator bars orthogonally oriented
 - ✓ Measures ToF
 - ✓ Measures energy release
- **Calorimeter**
 - ❖ 360 BGO crystals 24 cm long
 - ✓ Measures kinetic energy

Magnets

- ❖ 2 magnets in Hallback configuration
- ❖ Max field 0.8 T

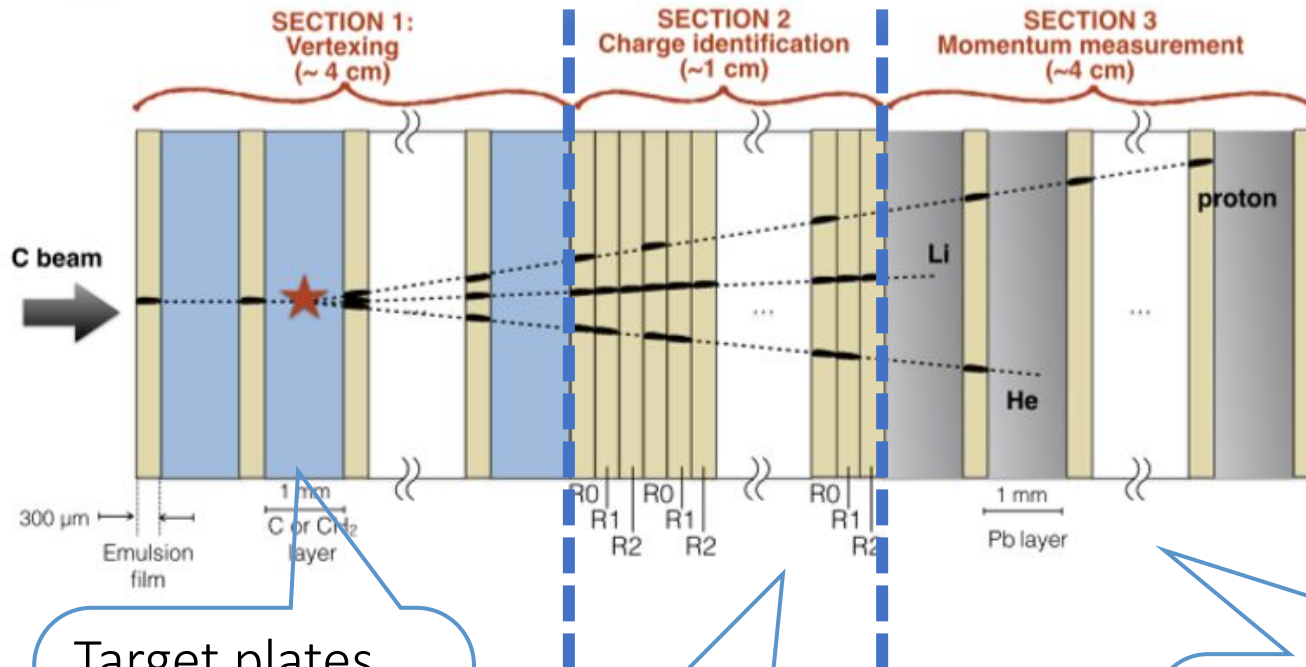
ELECTRONIC SETUP



Minimum required performances:

- 10° polar angle (optimized for $Z > 2$ fragments)
- $\sigma(\text{TOF}) \sim 100\text{ps}$
- $\sigma(p)/p \sim 5\%$
- $\sigma(E_k)/E_k \sim 2\%$
- $\sigma(\Delta E)/\Delta E \sim 2\%$

EMULSION SETUP

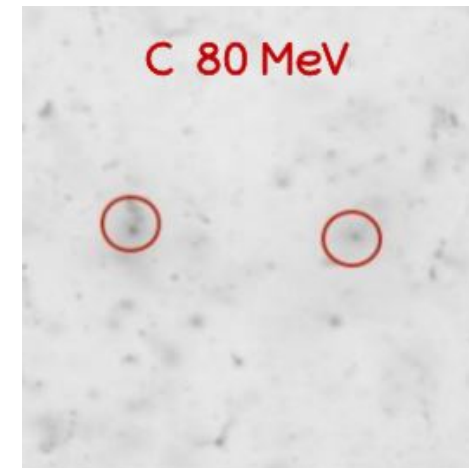


Target plates
(C/C₂H₄)
interleaved with
emulsion films

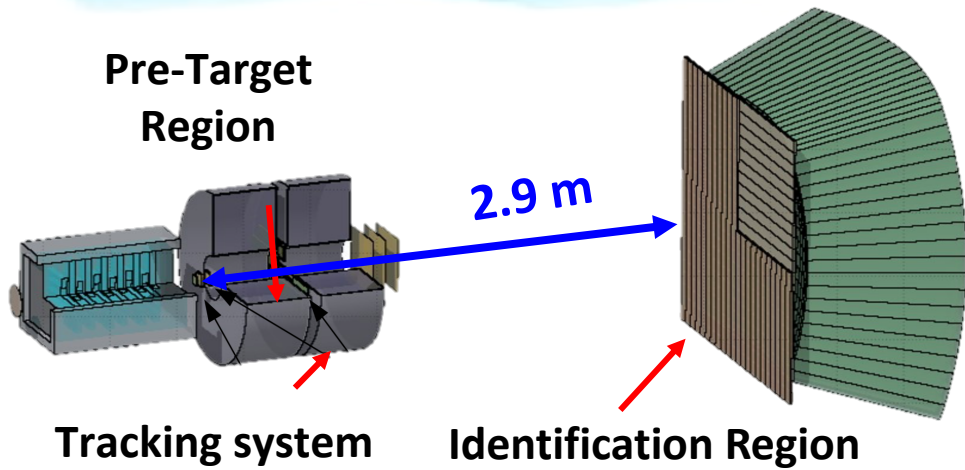
Emulsion films only ->
Charge identification
for low Z fragments
(H, He, Li)

Lead planes interleaved with
emulsion films -> Momentum
measurement and isotopic ID

- $Z < 3$ fragments emitted at large angles (up to 75° wrt the beam direction)
- The developed emulsions are scanned by an automated microscope
- Images are analyzed by a dedicated software to recognize tracks produced by ionizing particles

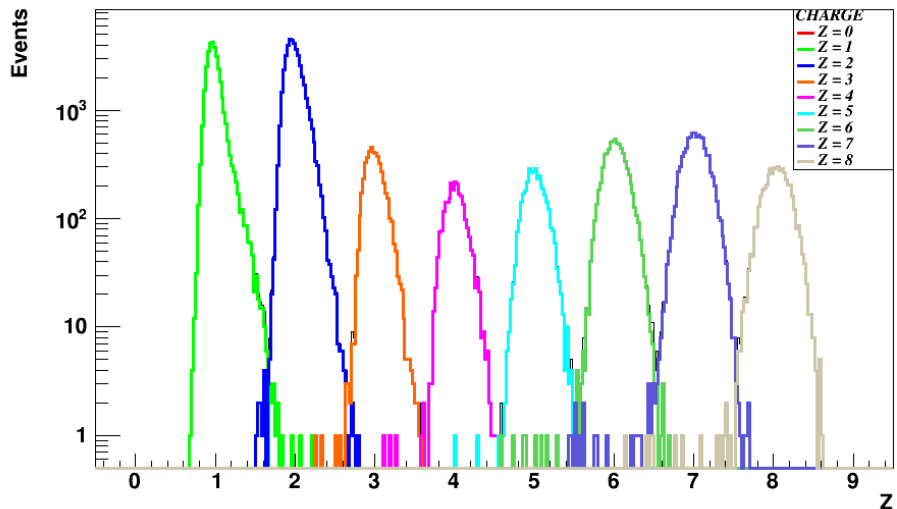


FOOT AT HIGHER ENERGIES



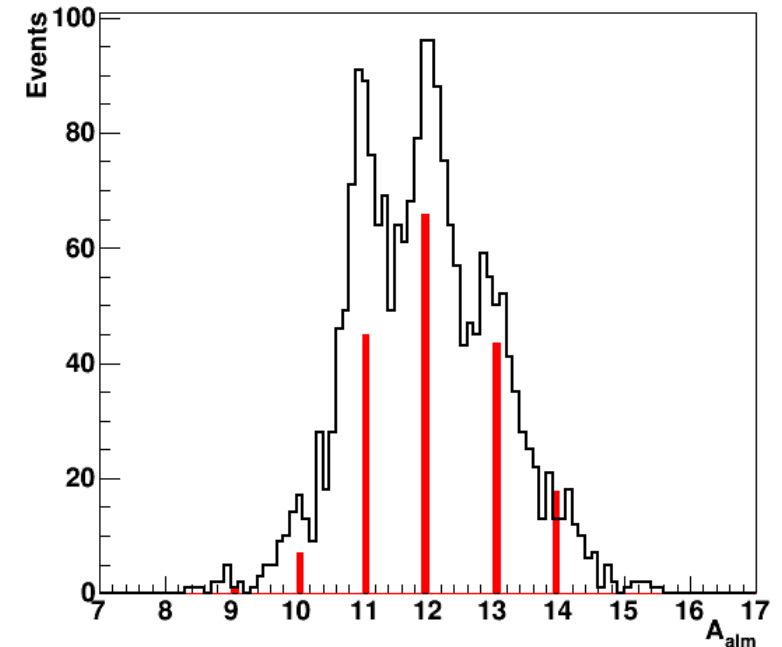
- $Z > 2$ fragments inside 4°
- Same acceptance as @ 200 MeV/u
- Fragments with larger energy
 - higher probability to fragment in the calorimeter
 - larger neutrons production

$$A_1 = \frac{p}{U\beta\gamma c}$$



Fluka simulation

^{16}O (700 MeV/u) \rightarrow C_2H_4



- Resolution: 2.1% (^{16}O) – 8% (^1H)
- Wrong charge assignment < 1%

MASS RECONSTRUCTION AND FIT

TOF (β) – TRACKER (p)

$$A_1 = \frac{m}{U} = \frac{p}{U \beta \gamma}$$

TOF (β) – CALO (E_{kin})

$$A_2 = \frac{m}{U} = \frac{E_{kin}}{U(\gamma - 1)}$$

TRACKER (p) – CALO (E_{kin})

$$A_3 = \frac{m}{U} = \frac{p^2 - E_{kin}^2}{2E_{kin}}$$

■ Standard χ^2 Fit

- Taking into account the correlation between A_1 , A_2 and A_3 (reconstructed quantities)
- Minimization method based on a function f defined by:

$$f = \left(\frac{(tof_{reco} - t)}{\sigma tof_{reco}} \right)^2 + \left(\frac{(p_{reco} - p)}{\sigma p_{reco}} \right)^2 + \left(\frac{(E_{kin, reco} - E_{kin})}{\sigma E_{kin, reco}} \right)^2 + (A_1 - A \quad A_2 - A \quad A_3 - A) \begin{pmatrix} C_{00} & C_{01} & C_{02} \\ C_{10} & C_{11} & C_{12} \\ C_{20} & C_{21} & C_{22} \end{pmatrix} \begin{pmatrix} A_1 - A \\ A_2 - A \\ A_3 - A \end{pmatrix}$$

$C = (A \cdot A^T)^{-1}$ Correlation matrix



$$A = \begin{pmatrix} \frac{\partial A_1}{\partial t} dt & \frac{\partial A_1}{\partial p} dp & 0 \\ \frac{\partial A_2}{\partial t} dt & 0 & \frac{\partial A_2}{\partial E_{kin}} dE_{kin} \\ 0 & \frac{\partial A_3}{\partial p} dp & \frac{\partial A_3}{\partial E_{kin}} dE_{kin} \end{pmatrix}$$

MASS RECONSTRUCTION AND FIT

TOF (β) – TRACKER (p)

$$A_1 = \frac{m}{U} = \frac{p}{U \beta \gamma}$$

TOF (β) – CALO (E_{kin})

$$A_2 = \frac{m}{U} = \frac{E_{kin}}{U(\gamma - 1)}$$

TRACKER (p) – CALO (E_{kin})

$$A_3 = \frac{m}{U} = \frac{p^2 - E_{kin}^2}{2E_{kin}}$$

■ Augmented LagrangianFit (ALM)

- The method minimizes a Lagrangian function L expressed by:

$$\tilde{\mathcal{L}}(\vec{x}; \lambda, \mu) \equiv f(\vec{x}) - \sum_a \lambda_a c_a(\vec{x}) + \frac{1}{2\mu} \sum_a c_a^2(\vec{x}).$$

- f is the analog of χ^2 fit

$$f = \left(\frac{(tof_{reco} - t)}{\sigma tof_{reco}} \right)^2 + \left(\frac{(p_{reco} - p)}{\sigma p_{reco}} \right)^2 + \left(\frac{(E_{kin, reco} - E_{kin})}{\sigma E_{kin, reco}} \right)^2$$

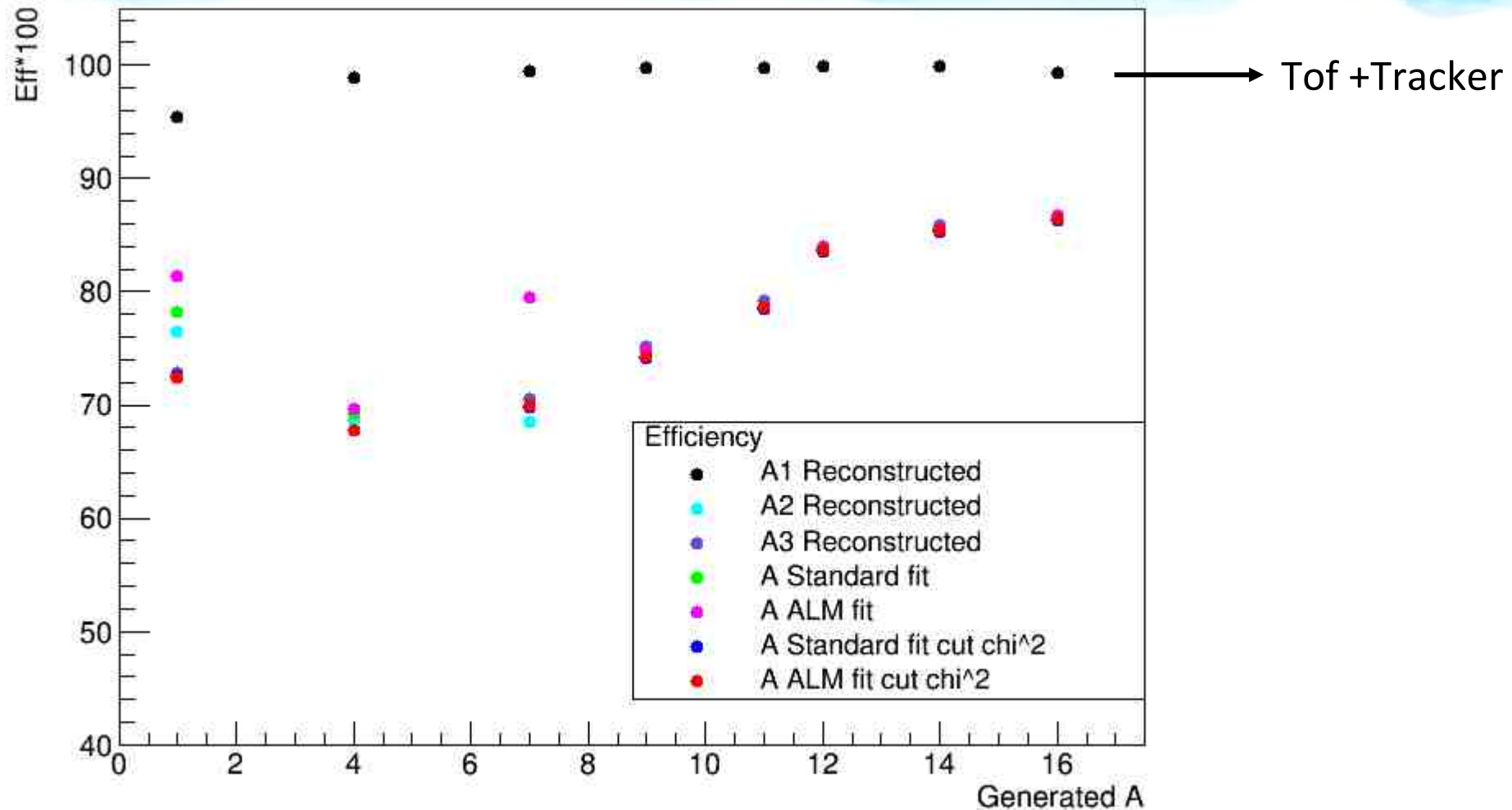
- Summations run over A_1 , A_2 and A_3 with the relation

$$\sum_a \lambda_a c_a(\vec{x}) + \frac{1}{2\mu} \sum_a c_a^2(\vec{x}) = (\lambda_1(A_1 - A) + \lambda_2(A_2 - A) + \lambda_3(A_3 - A) + \frac{1}{2\mu} ((A_1 - A)^2 + (A_2 - A)^2 + (A_3 - A)^2)^2$$

λ = variable Lagrangian multiplier parameters

μ = penalty term fixed at 0.1 -> the lower is μ the greater is the effect of A_1 , A_2 and A_3 (reconstructed quantities)

MASS RECONSTRUCTION EFFICIENCY

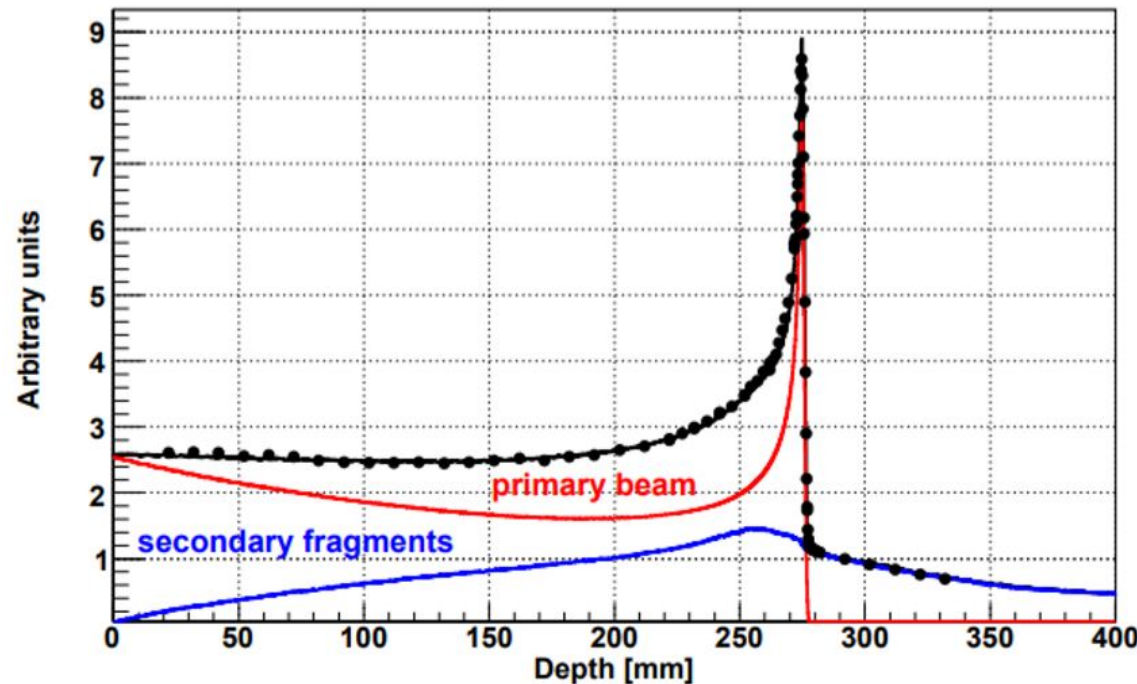


Reconstruction efficiency \sim 70-80 % depending on the fragment

NUCLEAR FRAGMENTATION IN HADRONTHERAPY

Ion Therapy

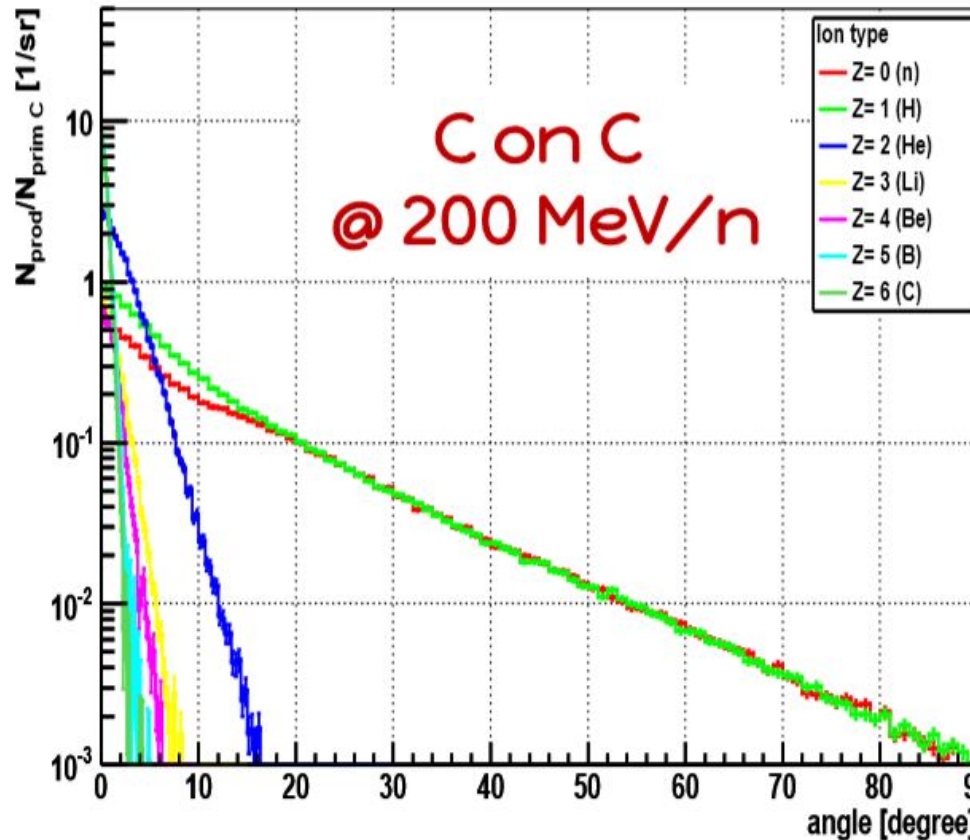
- Both **projectile** and target nuclei **fragmentation**
- Same velocity but lower mass wrt primary particles: **long range**
- **Mixed particle field** of different cell killing effectiveness: considered in ^{12}C treatment, but still scarce validation data



A. Mairani, PhD Thesis 2008

The FOOT experiment

STUDY OF TARGET FRAGMENTATION



- Heavy ($Z > 2$) fragments produced at small angle ($< 10^\circ$)
- Light fragments produced in a broader angle

STUDY OF TARGET FRAGMENTATION

200 MeV/u p on Oxygen

Estimation of the energy and range of target fragments obtained with an analytical model

No experimental data

Fragment	E (MeV)	LET (keV/ μm)	Range (μm)
^{15}O	1.0	983	2.3
^{15}N	1.0	925	2.5
^{14}N	2.0	1137	3.6
^{13}C	3.0	951	5.4
^{12}C	3.8	912	6.2
^{11}C	4.6	878	7.0
^{10}B	5.4	643	9.9
^8Be	6.4	400	15.7
^6Li	6.8	215	26.7
^4He	6.0	77	48.5
^3He	4.7	89	38.8
^2H	2.5	14	68.9

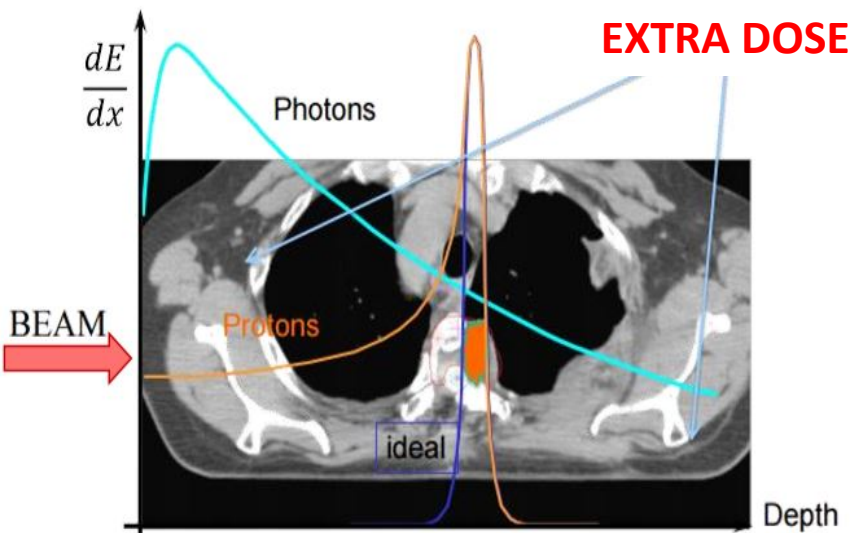
Tommasino and Durante, *Cancers* (2015)

HADRONTHERAPY

Radiotherapy employs different kinds of radiation to destroy cancer cells, by damaging their DNA and thus invalidating their duplicating capability

! Radiotherapy concern
~50% of all cancer patients

Particle Therapy (p & C)



Spatial selectivity

- higher conformity of dose to the target volume (Bragg Peak)
- smaller lateral scattering



Better sparing
of normal
tissues

Biological effectiveness

- greater biological effectiveness (increases with the charge)

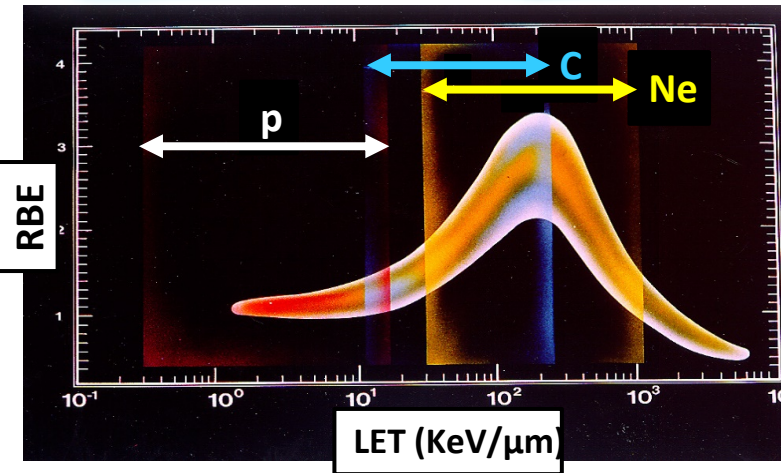


Radioresistant
tumors



- Sensitive to target motion

RELATIVE BIOLOGICAL EFFECTIVENESS (RBE)



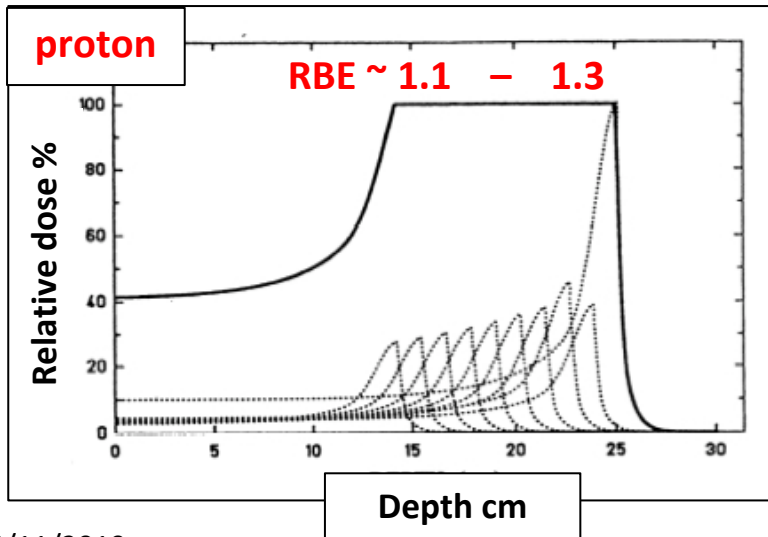
$$R.B.E = \left(\frac{D_{X-ray}}{D_H} \right)_{\text{Same effect}}$$

- Quantify the strength of different radiation types
- High RBE → high effect wrt radiation

RBE depends on

- LET
- Dose
- Depth in the body
- Beam energy
- Vivo/vitro
- Tissue type ...
- **Nuclear interaction**

not considered



proton RBE = 1.1

The FOOT experiment

NUCLEAR FRAGMENTATION IN HADRONTHERAPY

Hadrontherapy energies:

p \rightarrow 200 MeV

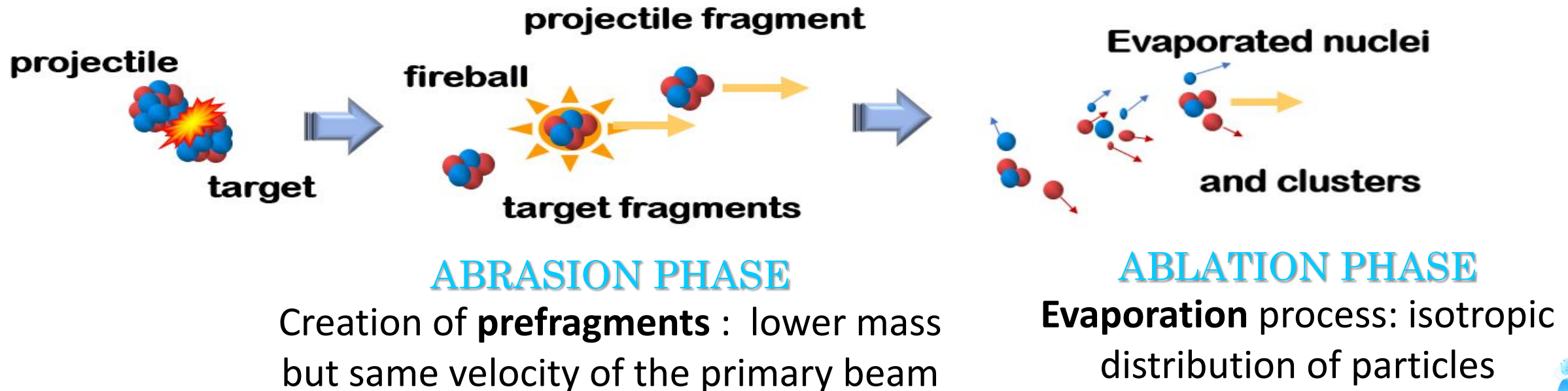
$^{12}\text{C} \rightarrow$ 400 MeV/u

Most probable nuclear process: fragmentation \rightarrow peripheral interaction between projectile (p, ^{12}C , ...) and target (H, C, O, ...)

Protons \neq photons * 1.1
due to Nuclear interaction

**No Standard Treatment
Planning for hadrontherapy**

Study of the
Target-Projectile
fragmentation



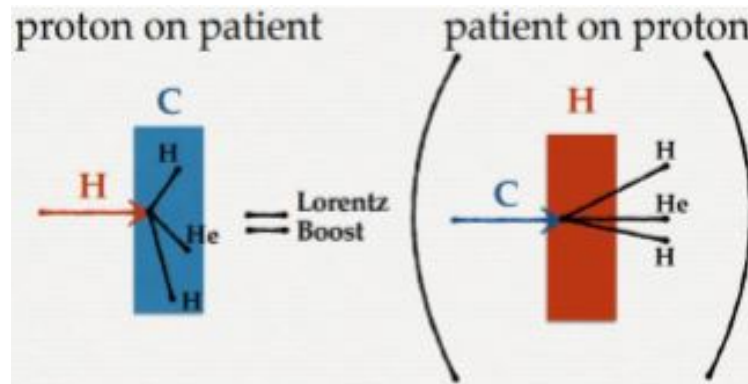
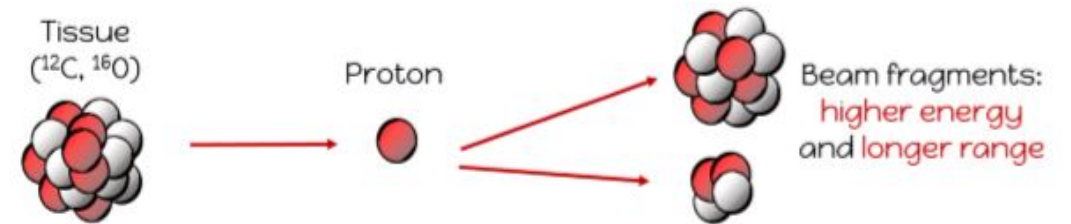
EXPERIMENTAL STRATEGIES

Shooting a proton on a patient (i.e., at 98% a C, O, H nucleus) could not be the right choice. A possible work around is to **shoot a patient** (i.e., O, C beam) **on** a target made of **protons** and measure the fragments

Direct kinematics



Inverse kinematics



By applying the Lorentz transformation it is possible to switch from *the laboratory frame* to the *patient frame*

MASS IDENTIFICATION

