

Cherenkov angle reconstruction

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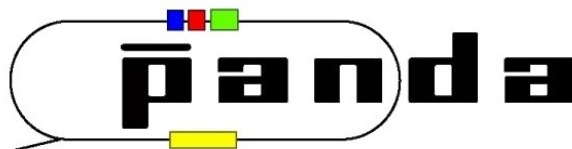
for the GSI PANDA barrel DIRC Group



GSI, Darmstadt
Goethe University Frankfurt



PANDA Collaboration Meeting
March 8-12, 2010
at GSI

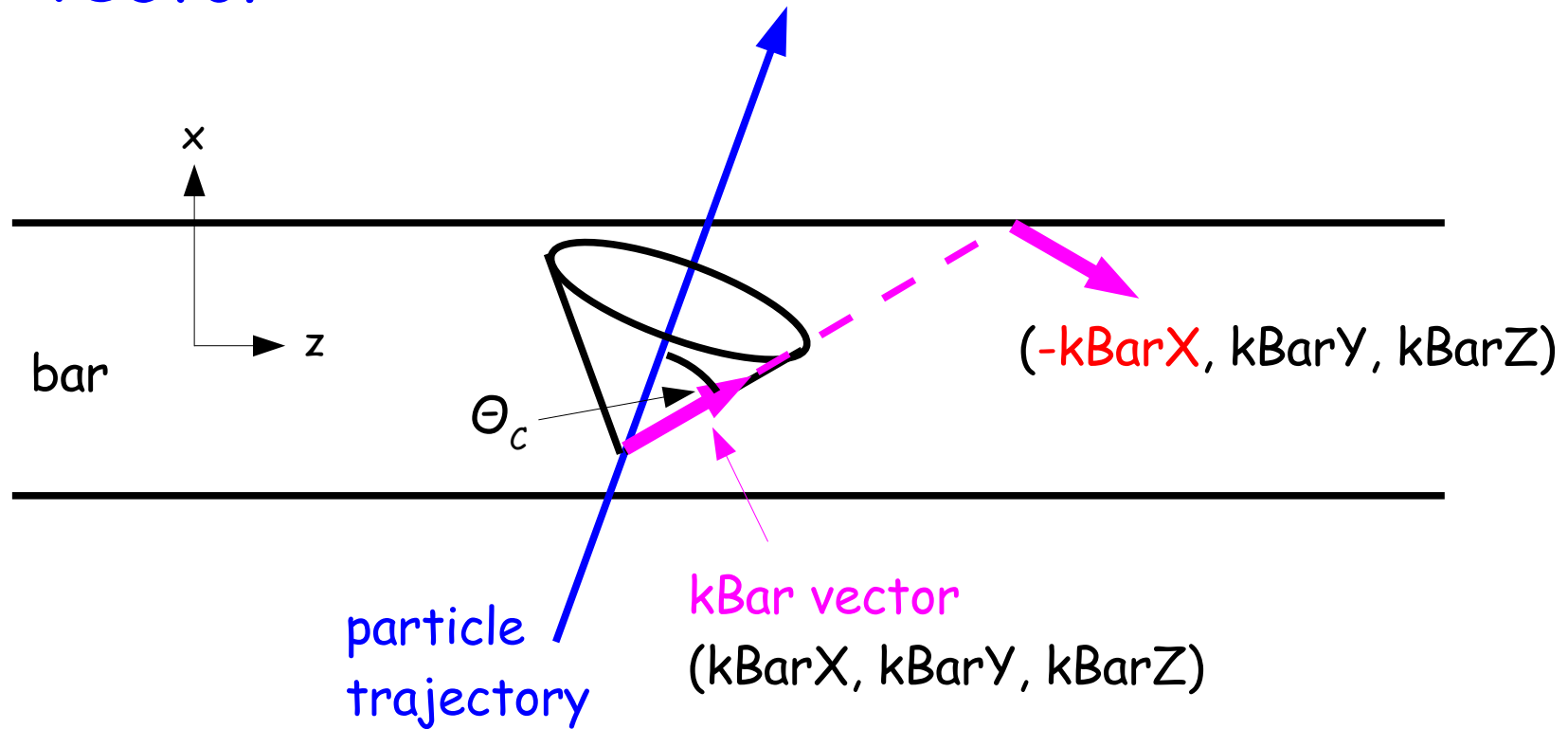


Outline

- Cherenkov angle reconstruction via BaBar ("kBar") method
 - Pixel & bar information (position, time)
 - Look-up table (kBar map)
 - Particle track

$\Rightarrow \Theta_c$
- This method could be a candidate for the PANDA reconstruction (see Dipanwita's talk in the Computing Session)
- **Only beamtest simulation are used**
 - 400 nm (Cherenkov photons)
 - [300, 700] nm

kBar vector

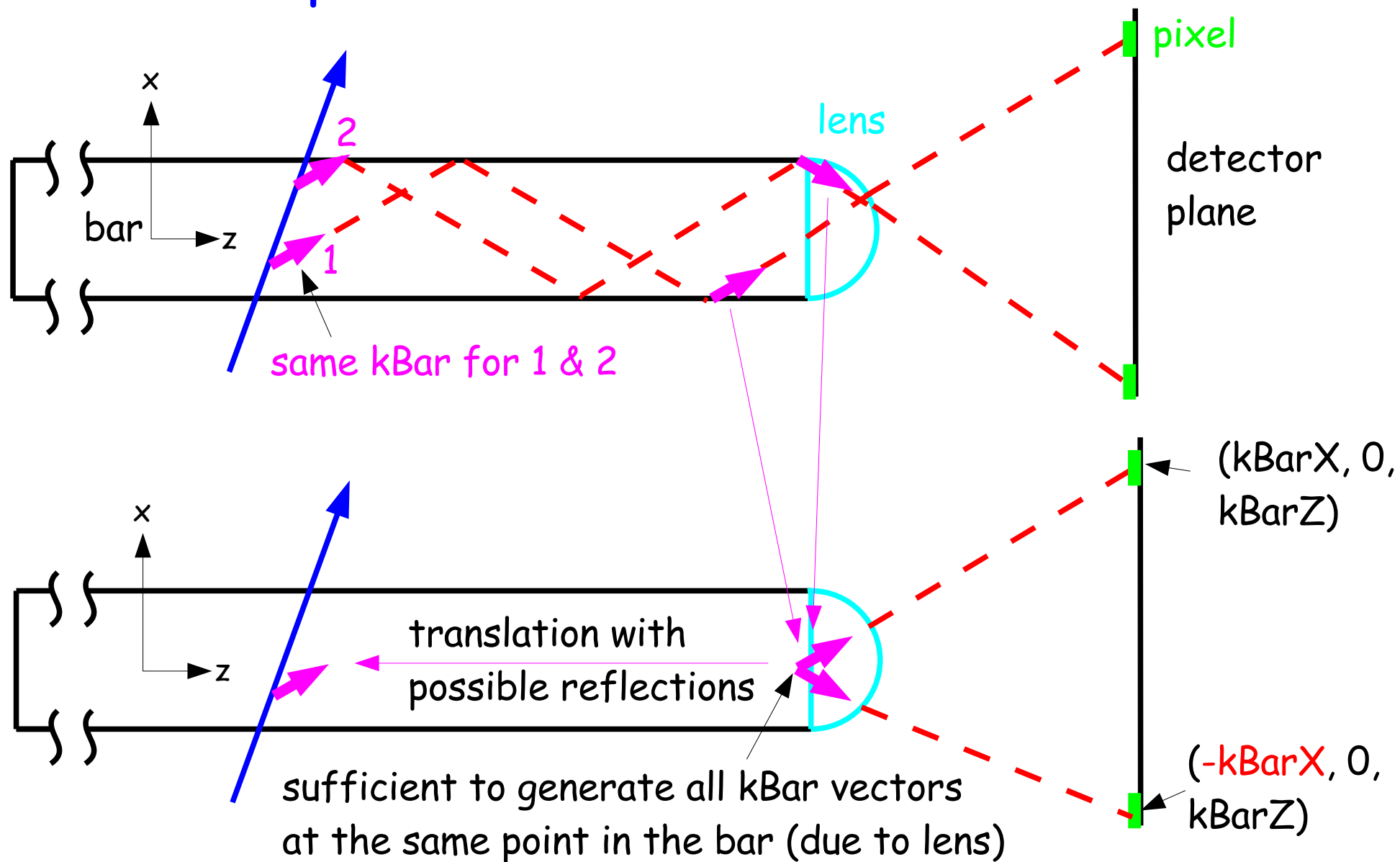


kBar vector: - photon direction at production
- unit vector in bar coordinate system

particle direction & kBar vector $\Rightarrow \Theta_c$
(known) (unknown)

\Rightarrow determine unique kBar vector for each detector pixel

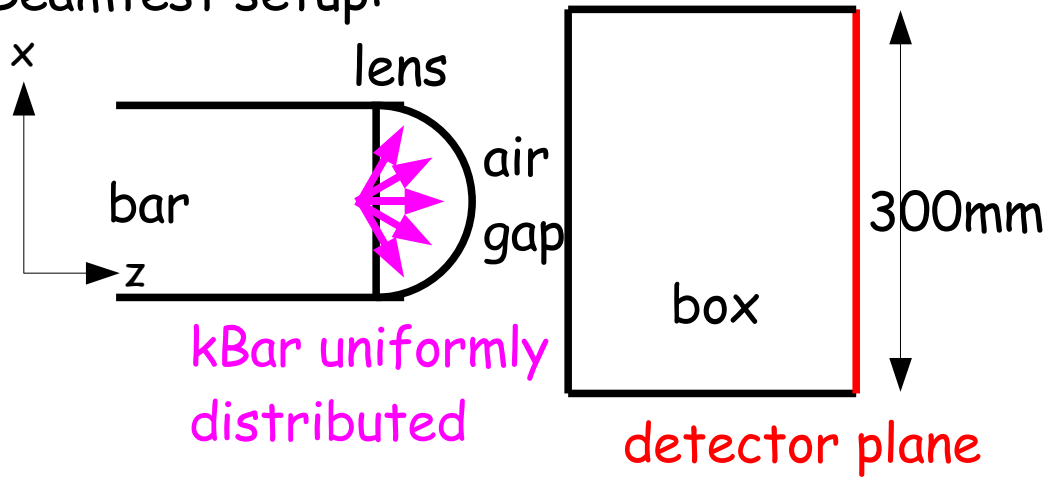
kBar vector production



generate $k\text{Bar}$ vectors \Rightarrow $k\text{Bar}$ map on detector plane

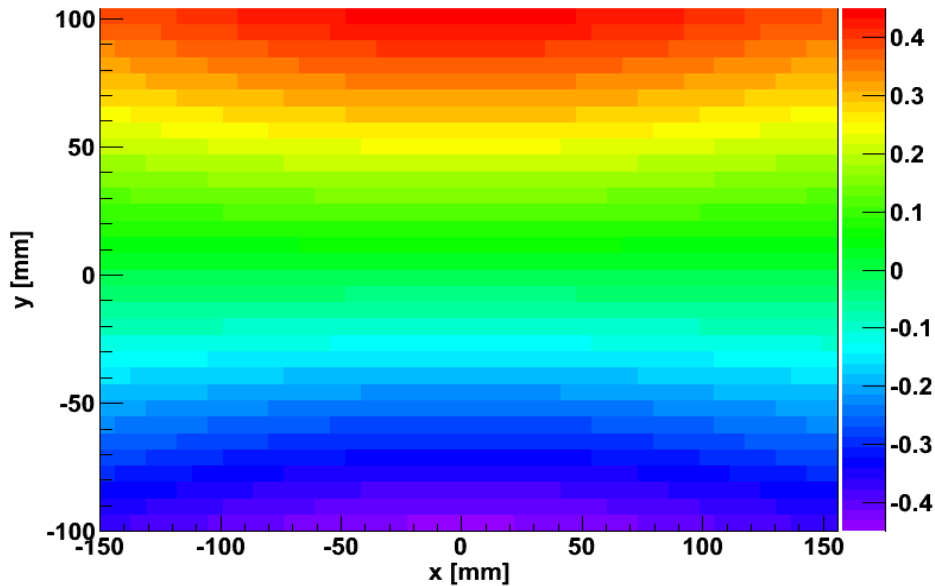
kBar map

Beamtest setup:

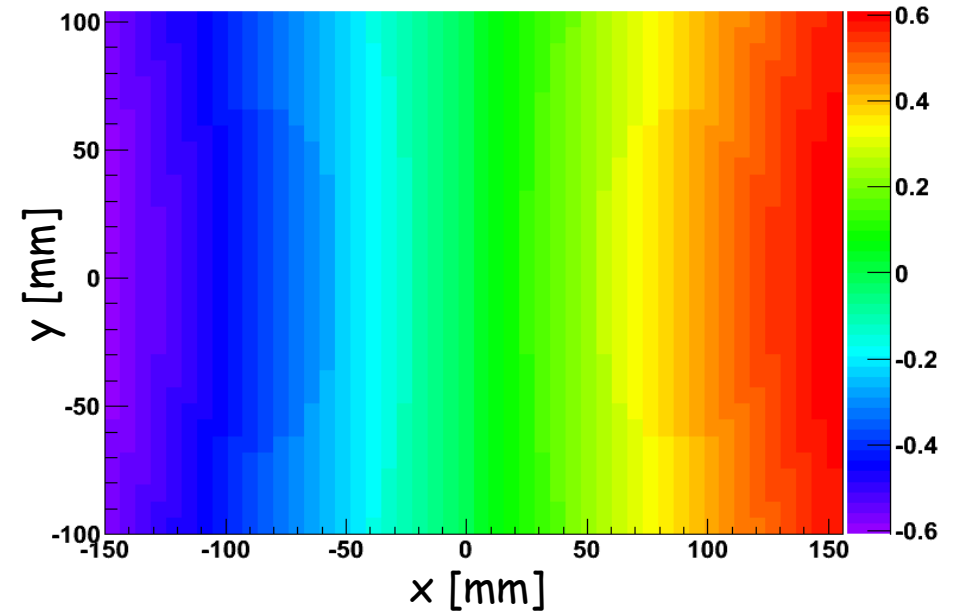


- $2 \cdot 10^7$ photons hit the detector plane
- averaged kBar component for each pixel

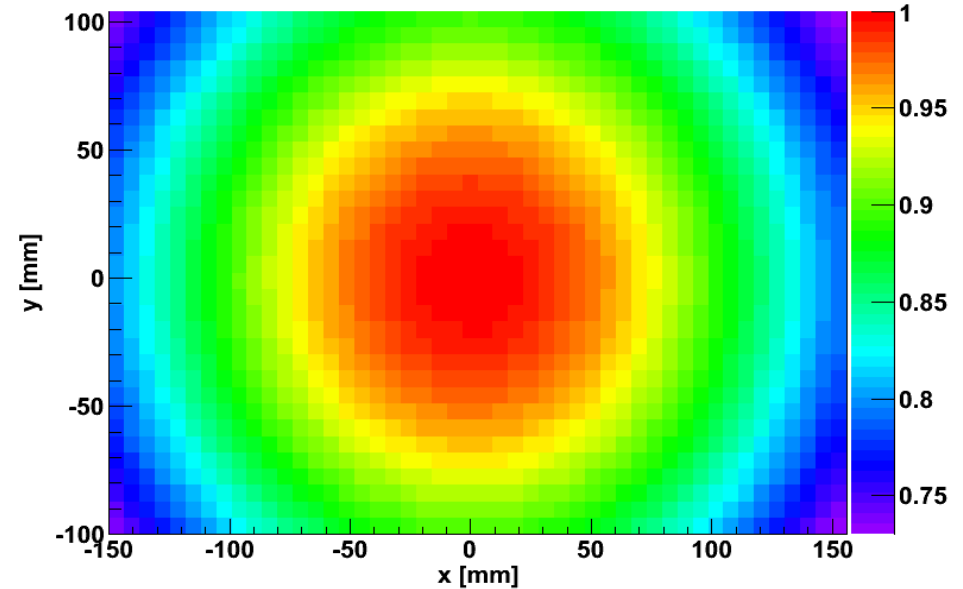
kBarY_direct



kBarX_direct



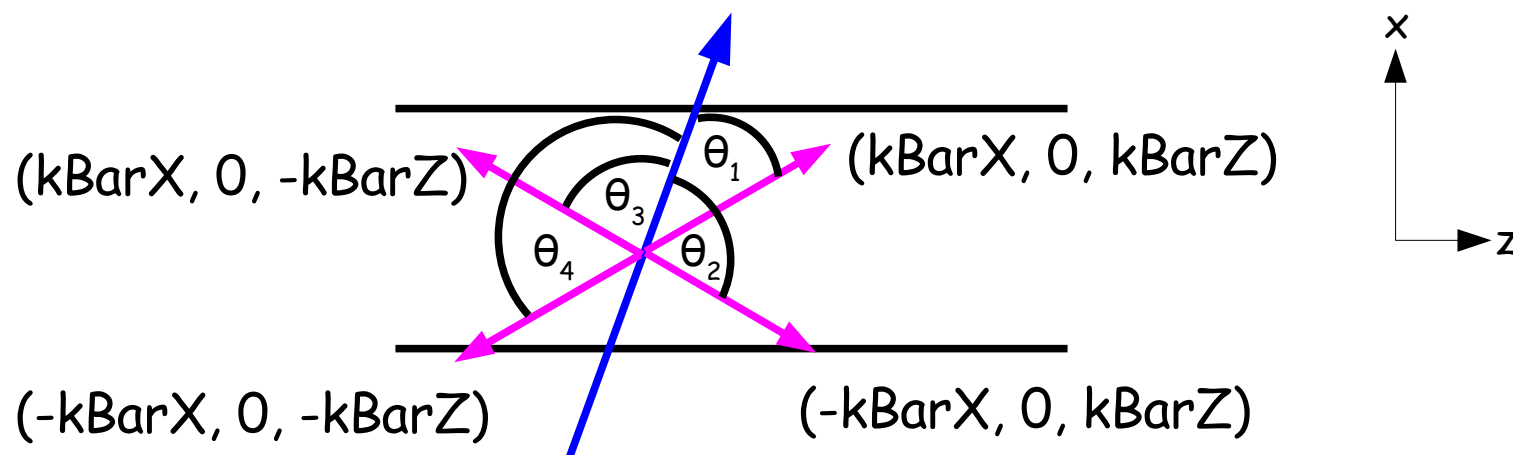
kBarZ_direct



Ambiguities

pixel hit => possible ambiguities => more than 1 solution

Example: pixel: $(k\text{Bar}X, 0, k\text{Bar}Z)$ from $k\text{Bar}$ map
left/right, back/forward => $2 \times 2 = 4$ solutions



Solution elimination:

- Symmetry: $\theta_1 = 180^\circ - \theta_4$ & $\theta_2 = 180^\circ - \theta_3 \Rightarrow \theta < 90^\circ$
- Time: can resolve back/forward ambiguity ($\theta_2 > 90^\circ$)
- Physics: Cherenkov angle e.g. $\theta_c(300\text{nm}) = 47.8^\circ$

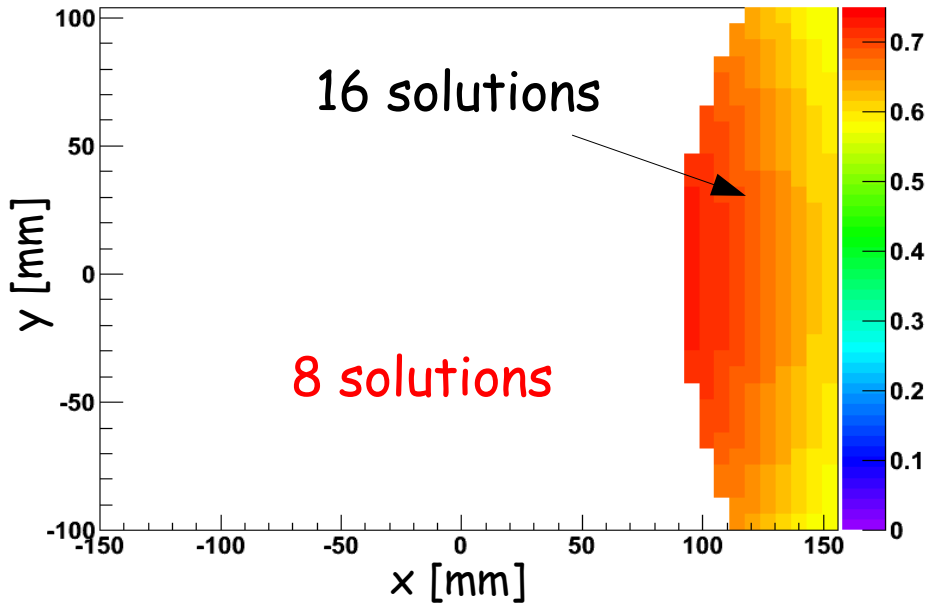
Additional kBar solutions in the box

left/right, back/forward, up/down, box(direct, left/right, up/down)

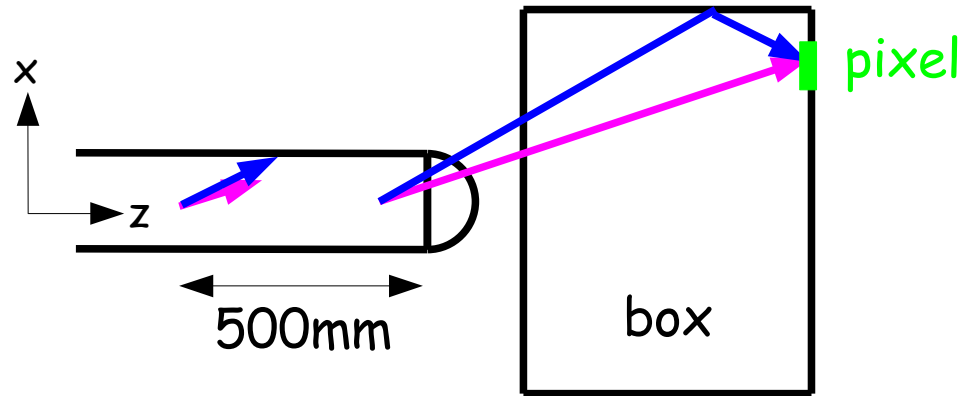
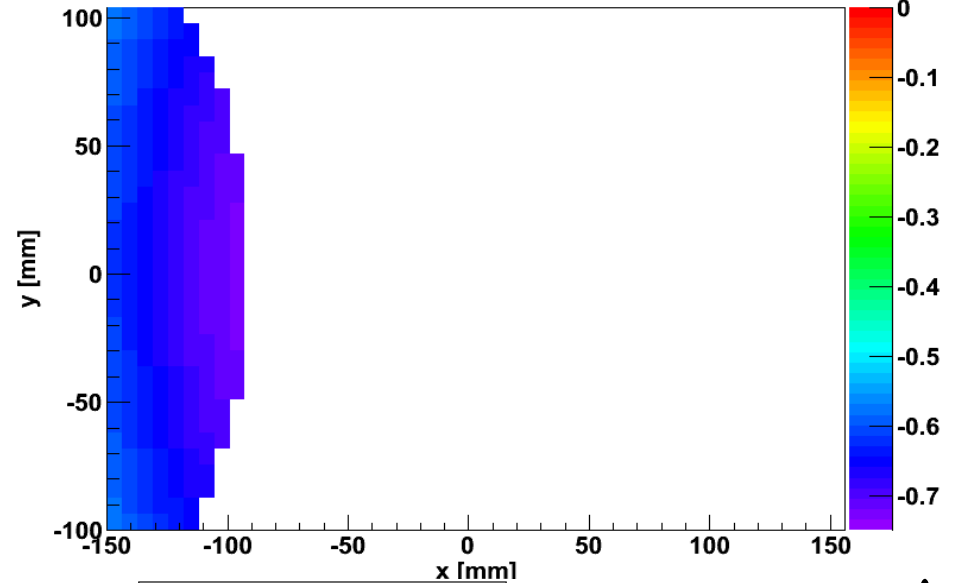
= > $2*2*2*2 = 16$ solutions (max.)

~~blackened~~

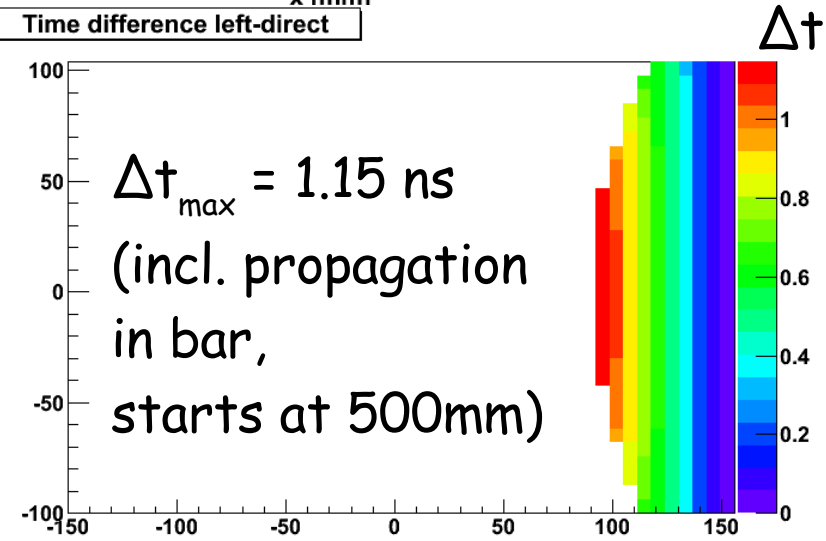
kBarX_left



kBarX_right



Time difference left-direct



Ideal Cherenkov angle resolution (400nm)

simulation: - protons with $T = 2 \text{ GeV}$ &

$\theta = 30^\circ$ & $\phi = 0^\circ$ (track in x-z plane)

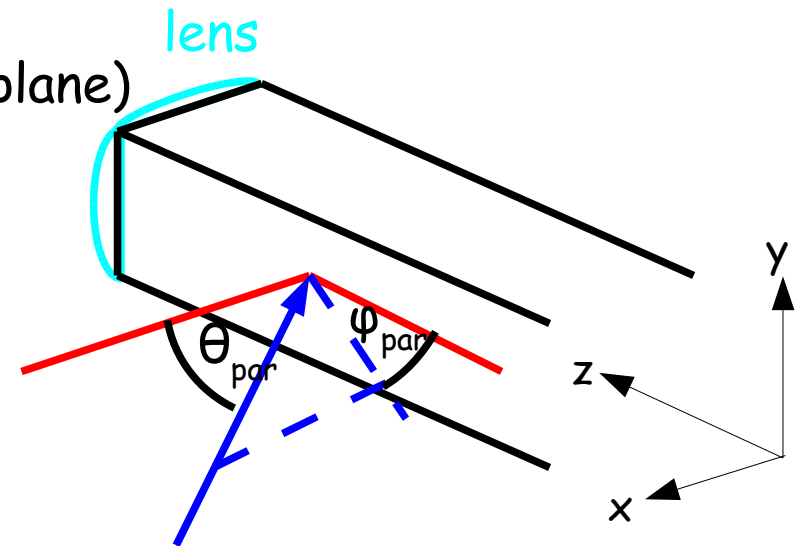
- box walls are blackened
(top/bottom, left/right)

use true kBar-vectors => no pixel effect

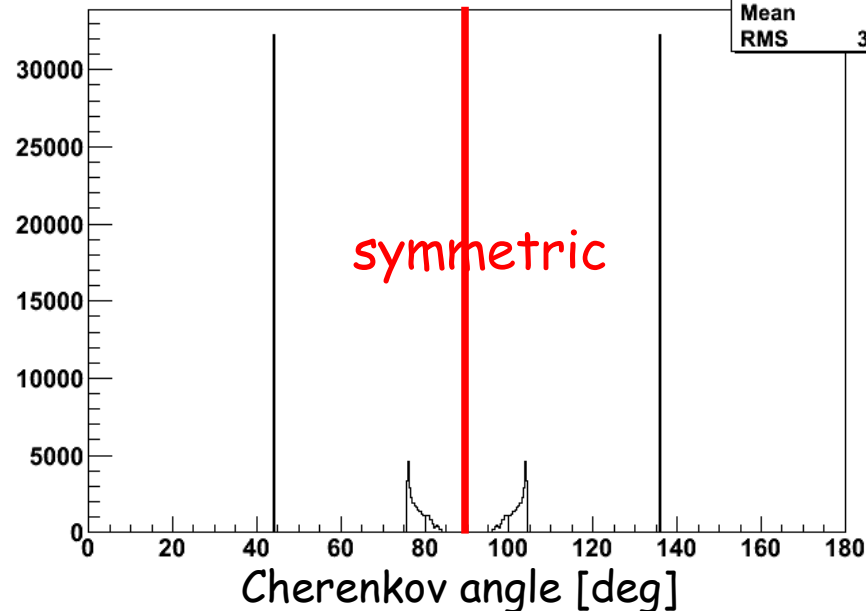
no box ambiguity => 8 solutions

$\phi = 0^\circ$ => same θ_c for up/down ambiguity

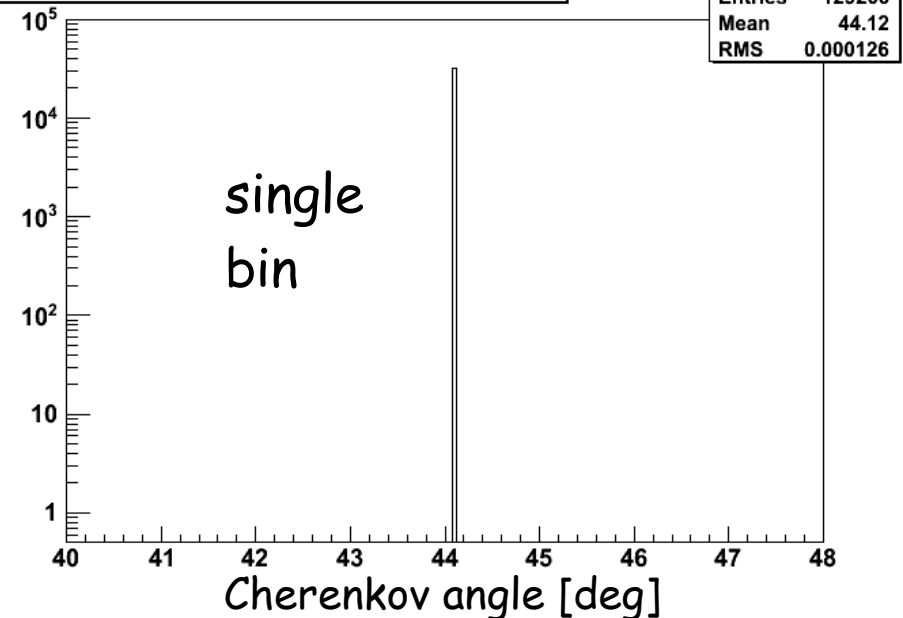
=> 4 solutions remain



Cherenkov angle (par: $\Theta = 30^\circ, \phi = 0^\circ$)

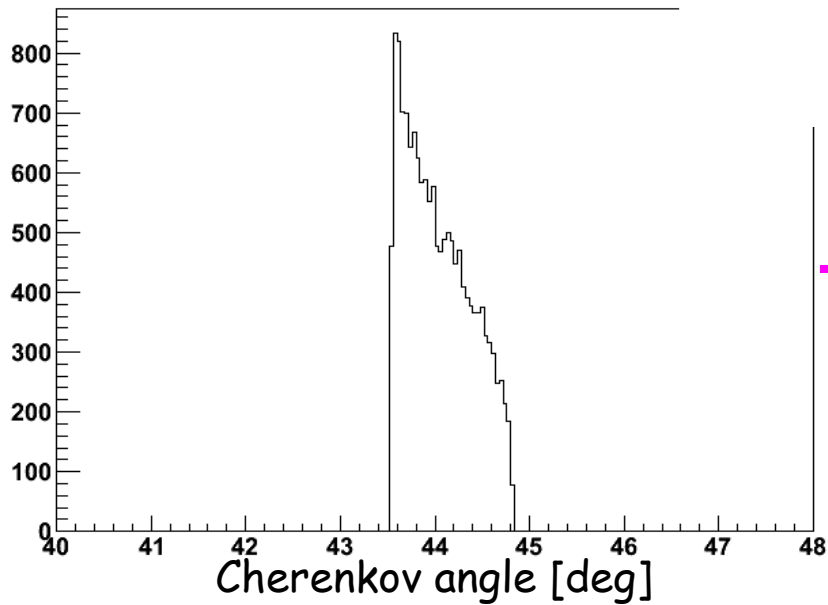


Cherenkov angle (par: $\Theta = 30^\circ, \phi = 0^\circ$)

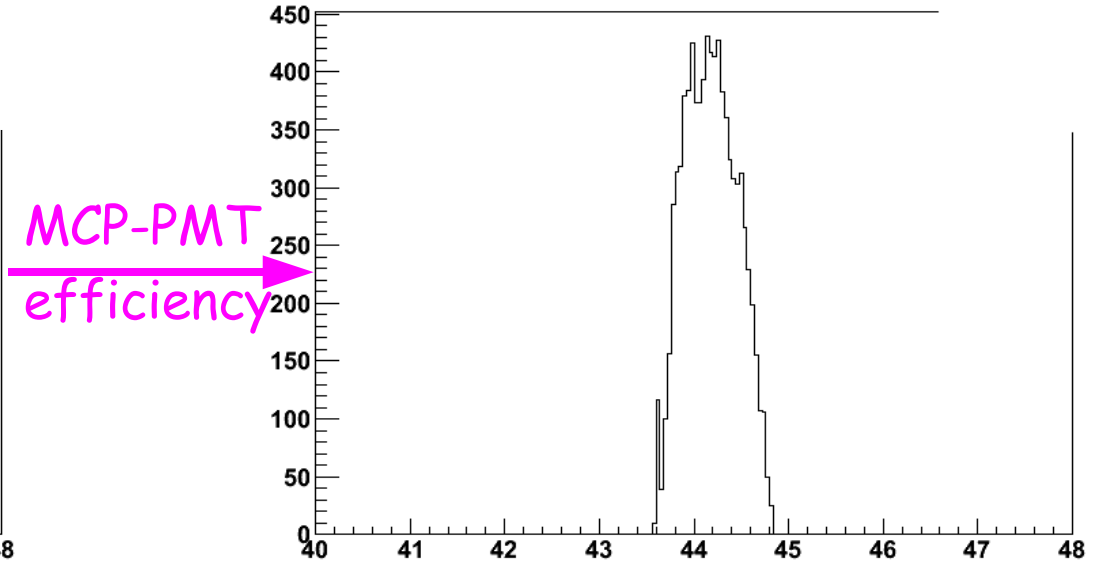


Ideal Cherenkov angle resolution (300-700nm)

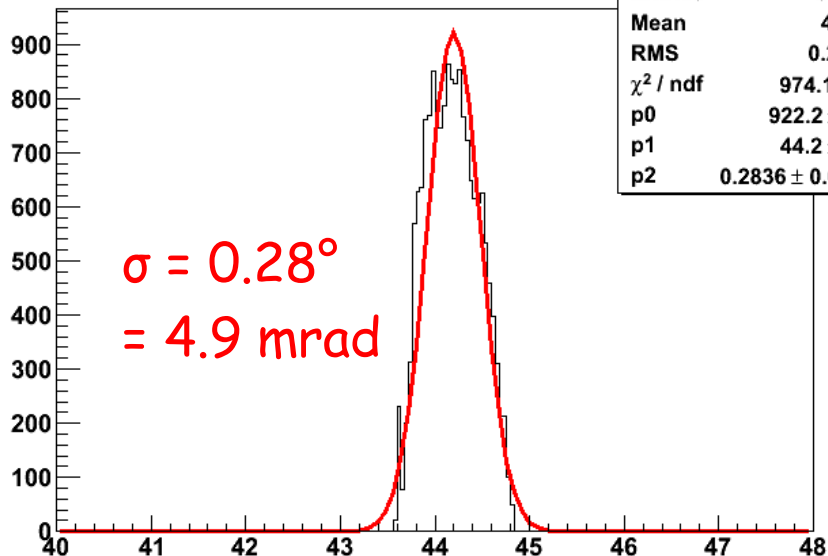
True Cherenkov angle



True Cherenkov angle



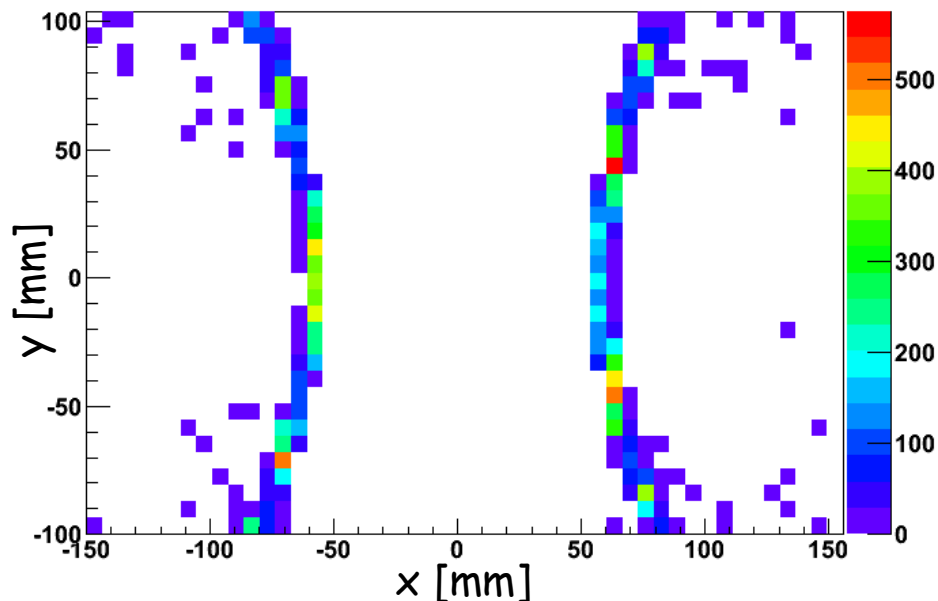
Cherenkov angle (par: $\Theta = 30^\circ, \phi = 0^\circ$)



same shape

dispersion (300-700 nm)
=> 4.9 mrad contribution
to the Cherenkov angle resolution

Angle resolution with pixelization (400nm)

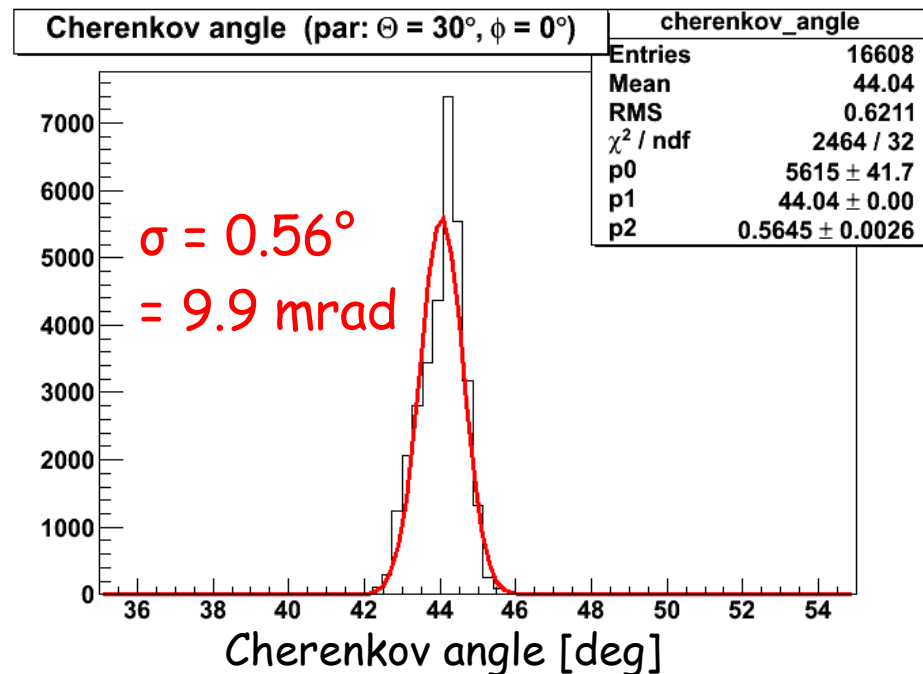


- pixel size: 6.375 mm (MCP-PMT pixel)
- same size for the kBar map

expected: $\sigma_{pixel} = \frac{6.375 \text{ mm}}{\sqrt{12}}$

$\sigma = \frac{\sigma_{pixel}}{200 \text{ mm}} = 9.2 \text{ mrad}$

box depth

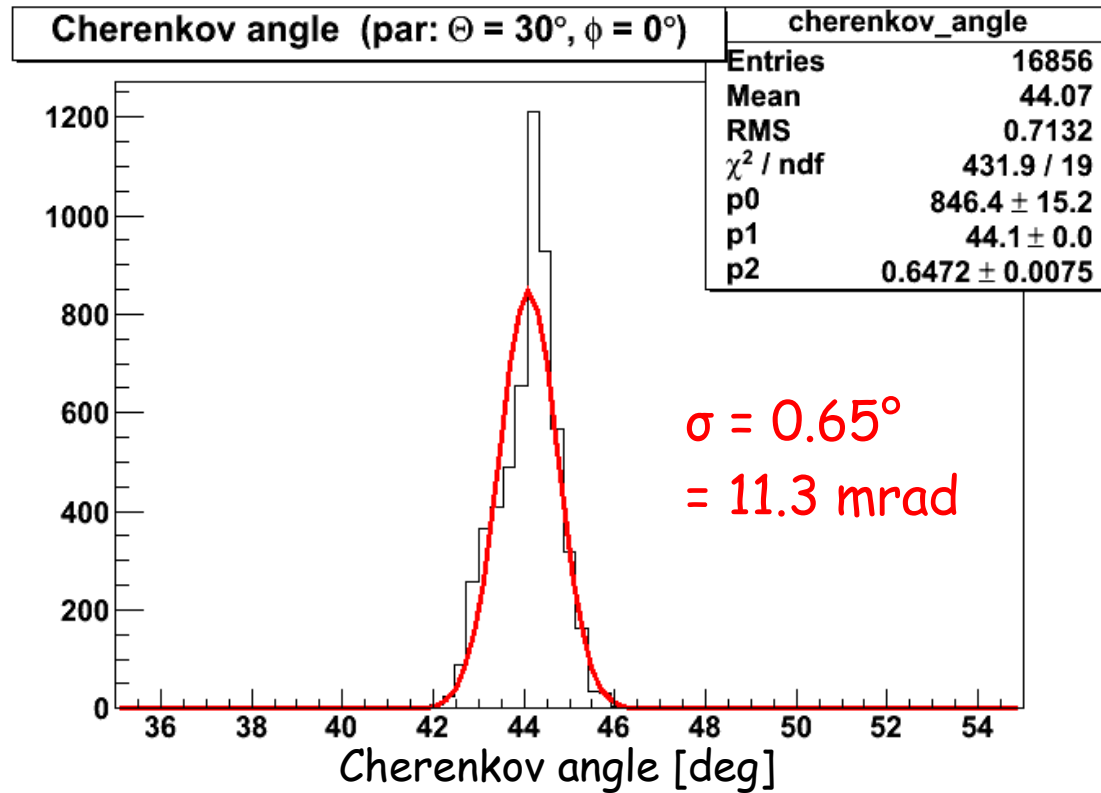


- w/o pixel effect => single bin

MCP-PMT pixelization + lens error => 9.9 mrad resolution

lens error contribution: 3.7 mrad

Angle resolution with pixelization (300-700nm)



expected:

$\underbrace{\text{MCP pixelization + lens}}_{9.9 \text{ mrad}} + \underbrace{\text{dispersion}}_{4.9 \text{ mrad}} \Rightarrow 11.0 \text{ mrad resolution}$

Conclusion & outlook

- First test of the kBar reconstruction method with beamtest simulation was successful
- kBar method useful as a performance check (Cherenkov angle resolution)
- In future apply method to real beamtest data