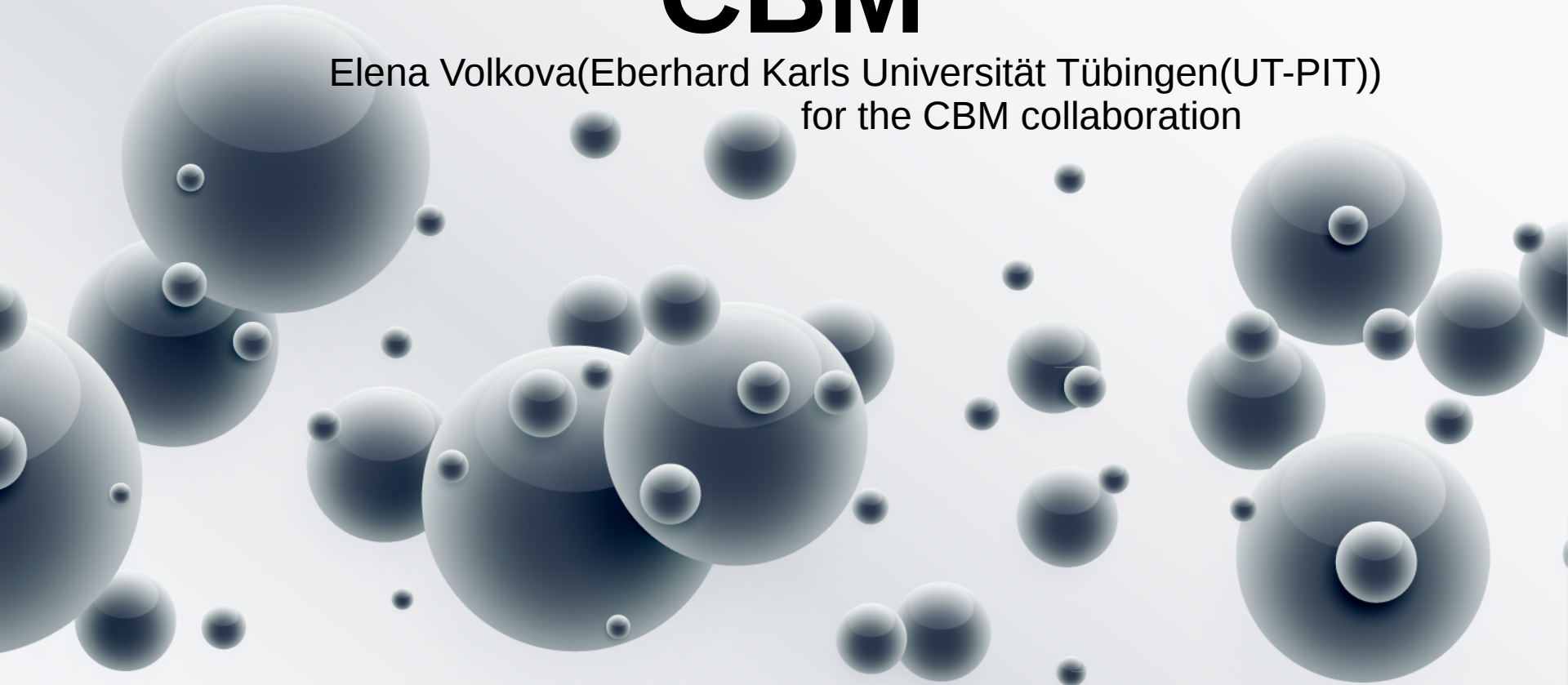


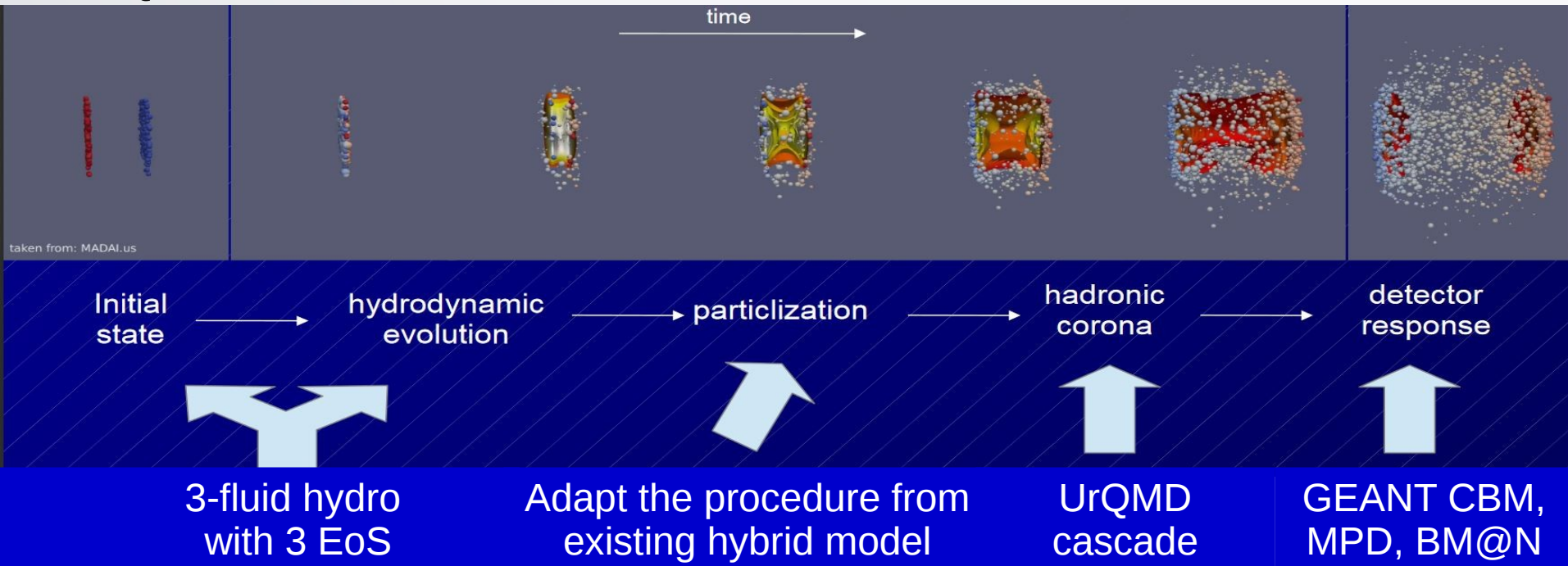
Application of the 3-Fluid Hydrodynamic Event Generator THESEUS to CBM

Elena Volkova(Eberhard Karls Universität Tübingen(UT-PIT))
for the CBM collaboration

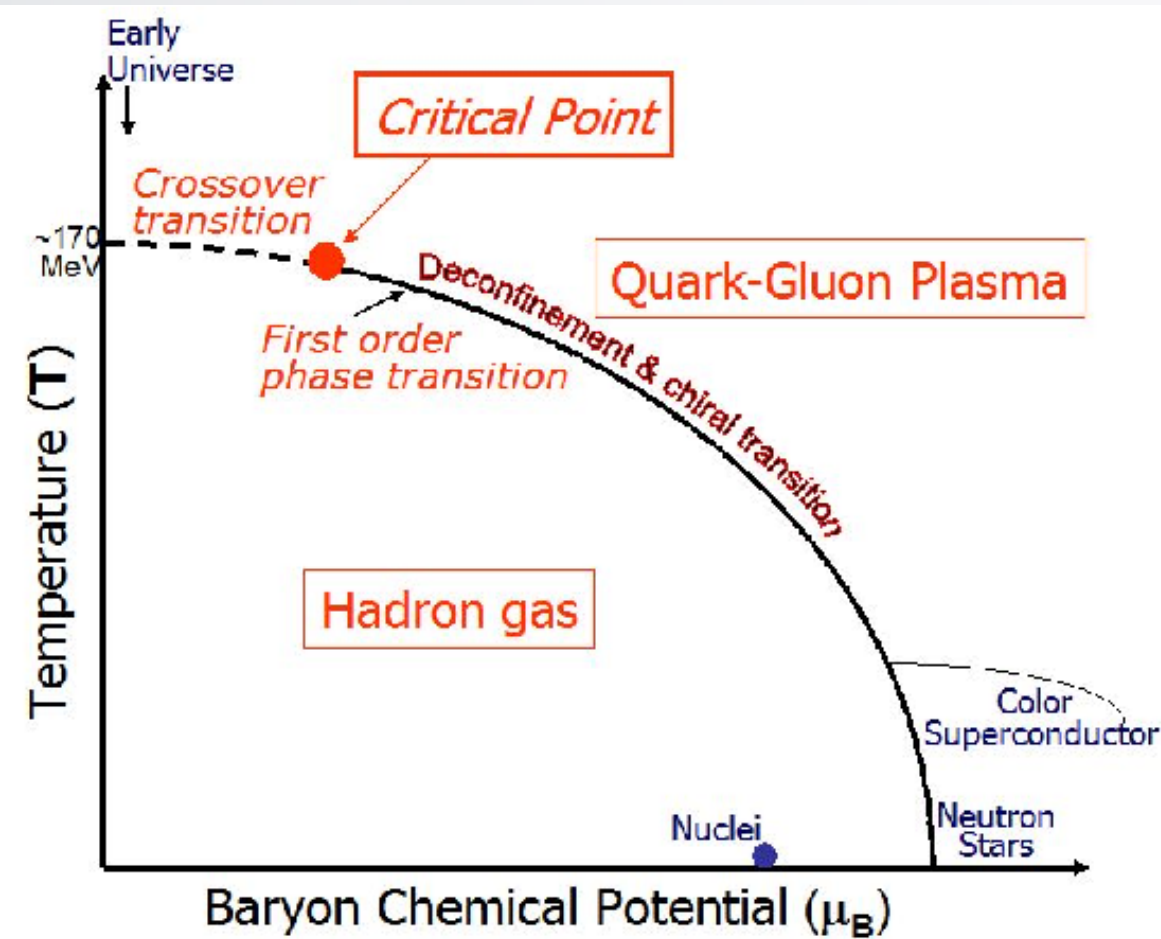


THESEUS

- Three-fluid hydrodynamics (3FH) was developed to simulate heavy-ion collisions at moderately relativistic energies.
- 3 ideal fluids: projectile, target and fireball nucleons
- Particlization is the process of changing from a fluid to a particle description. It allows to apply experimental cuts to particle distributions
- Final state hadronic rescattering processes are simulated using the UrQMD code.



Exploring QCD phase diagram



Where is critical point?

Is there phase transition between Hadron gas and QGP?

If yes, which type?

THESEUS EoS and rapidity distributions

Rapidity distribution of THESEUS output

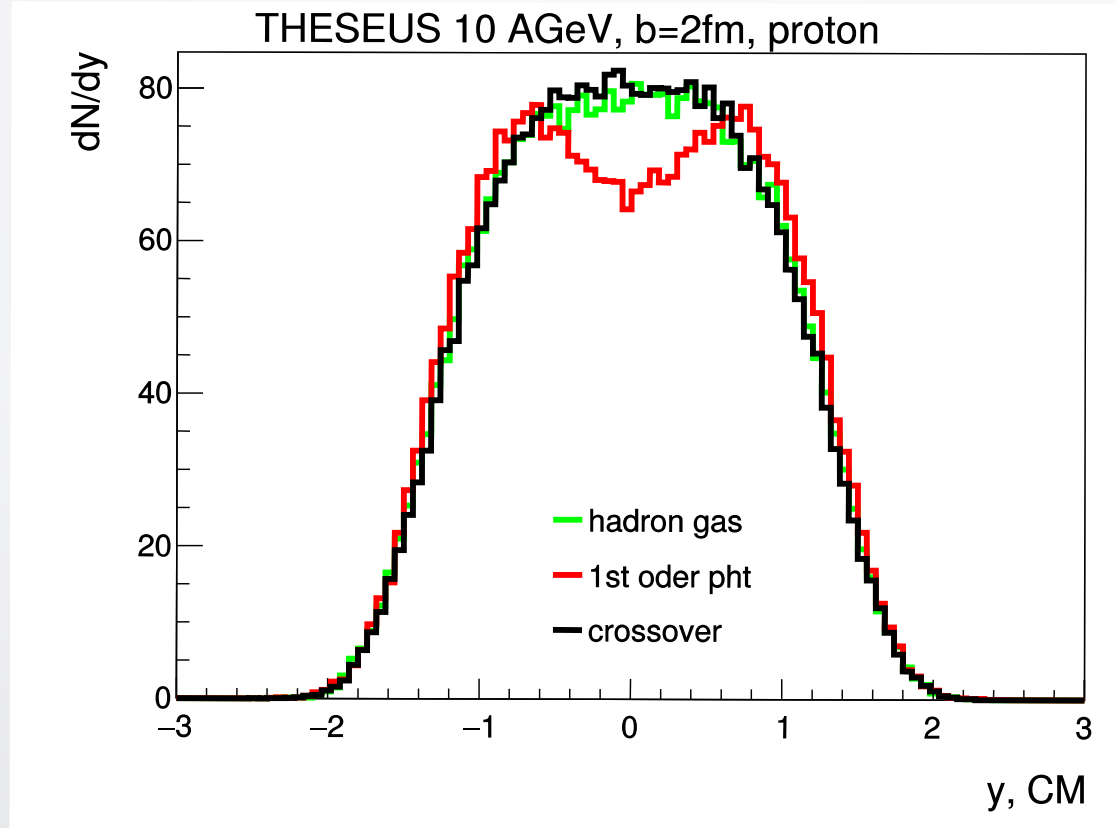
3 different equations of state:

purely hadronic, 1st order phase transition (2-phase)

EoS with

deconfinement and crossover EoS with deconfinement

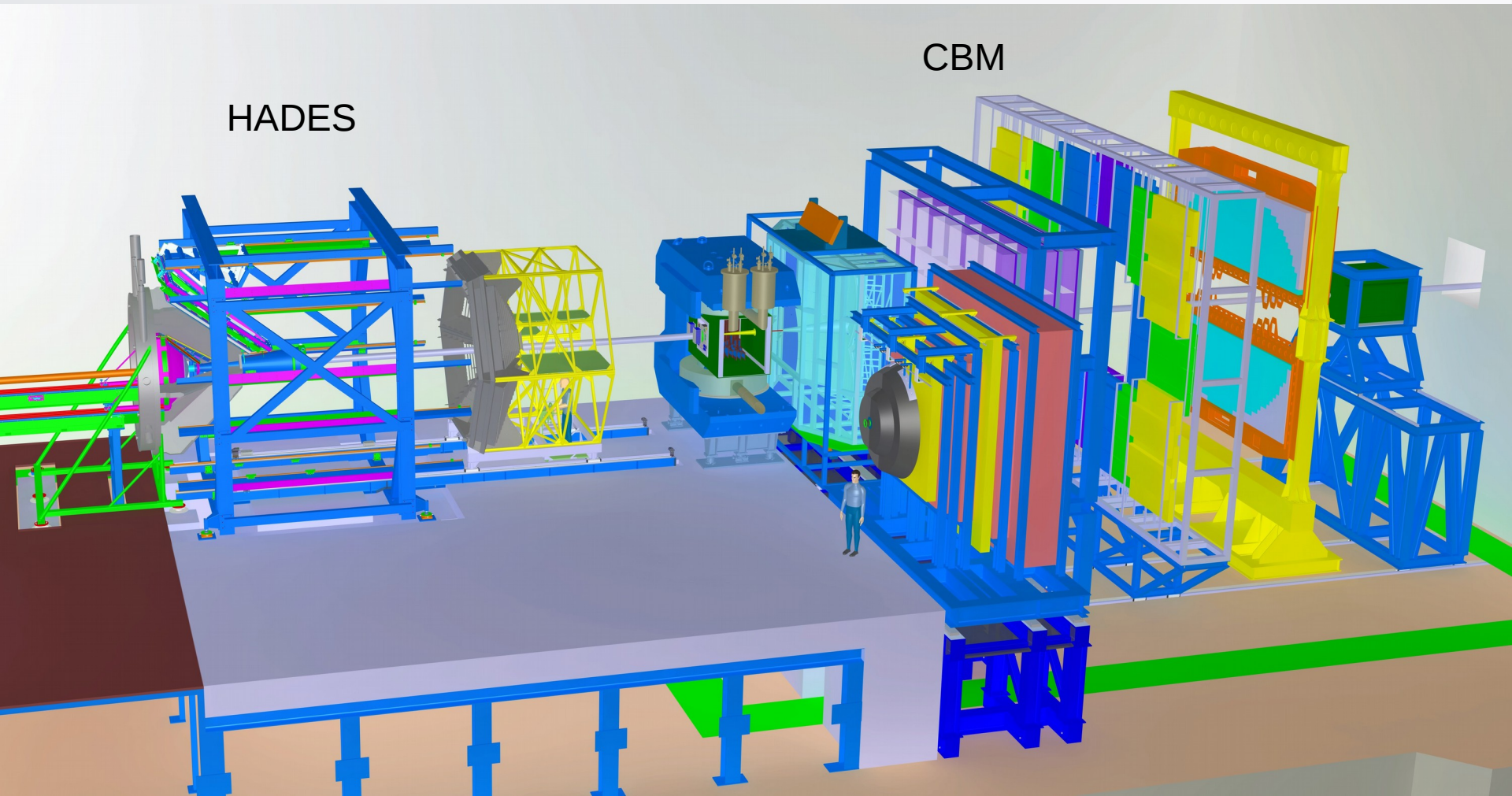
Will we see the difference after CBM acceptance cuts?



CBM setup

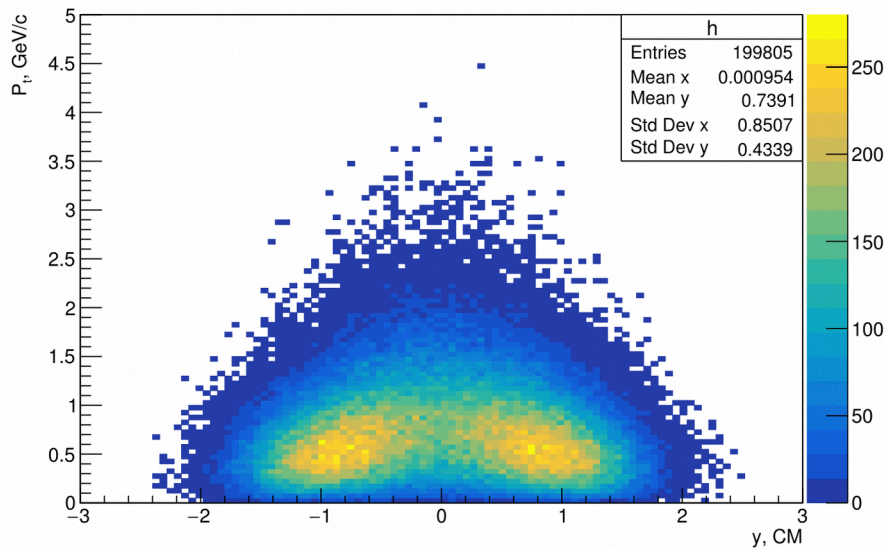
CBM is fixed target experiment with a polar angle acceptance between 2.5° — 25°

Energy range: 2-10 AGeV at SIS100 for AuAu collisions

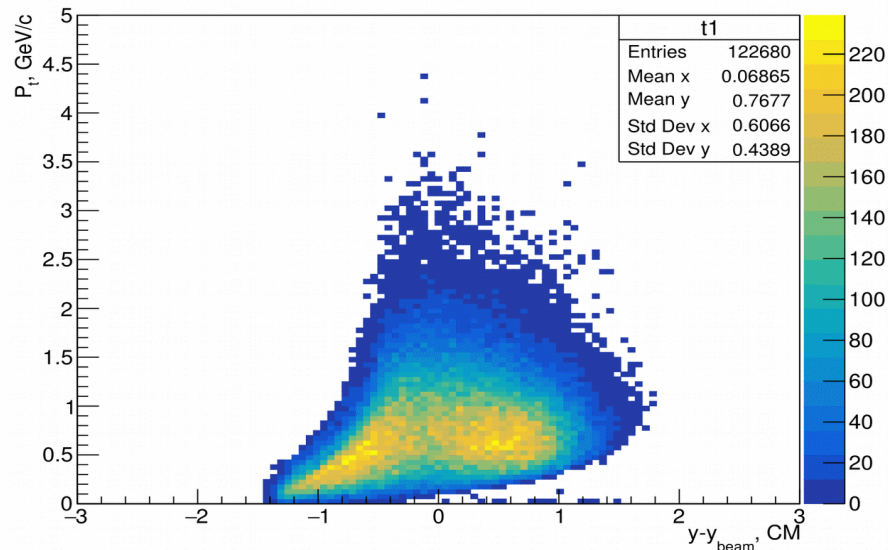


Effect of CBM acceptance cuts

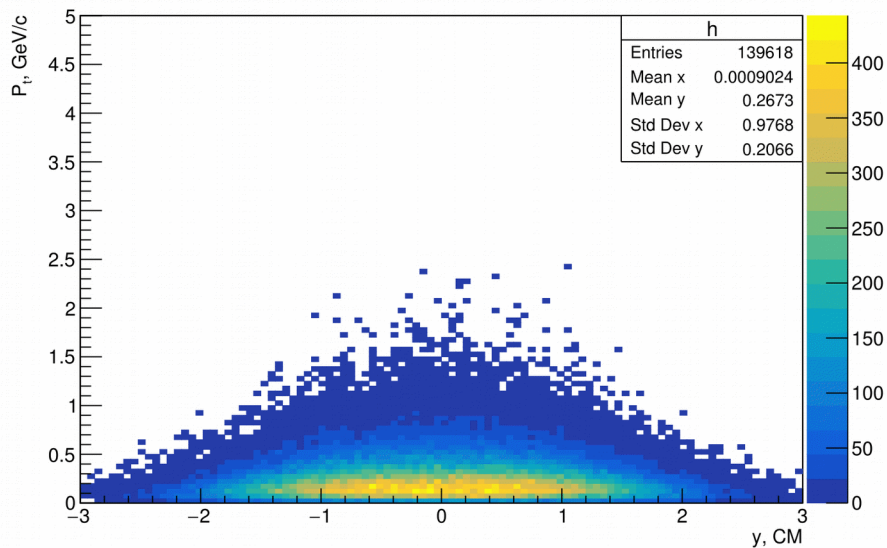
THESEUS, $b=2\text{fm}$, 1st order pht, p



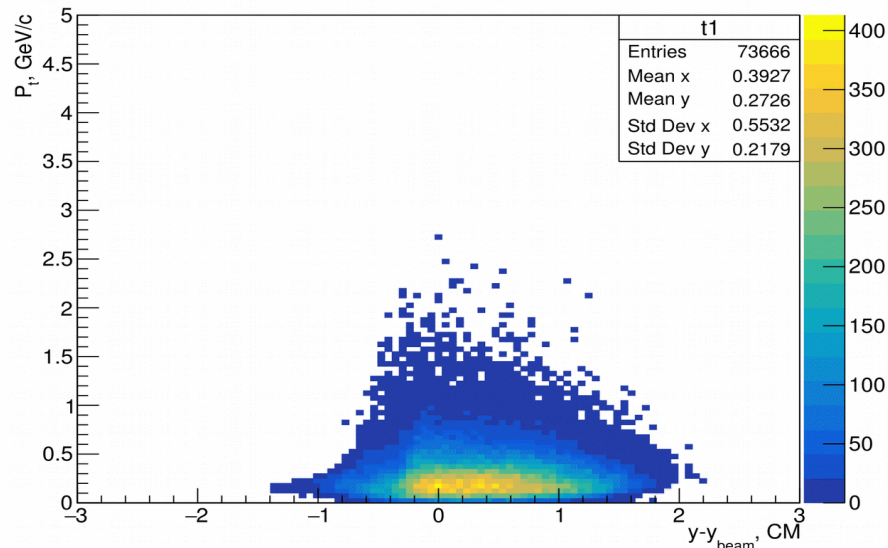
THESEUS + CBM, 10 AGeV, $b=2\text{fm}$, 1st order thp, p



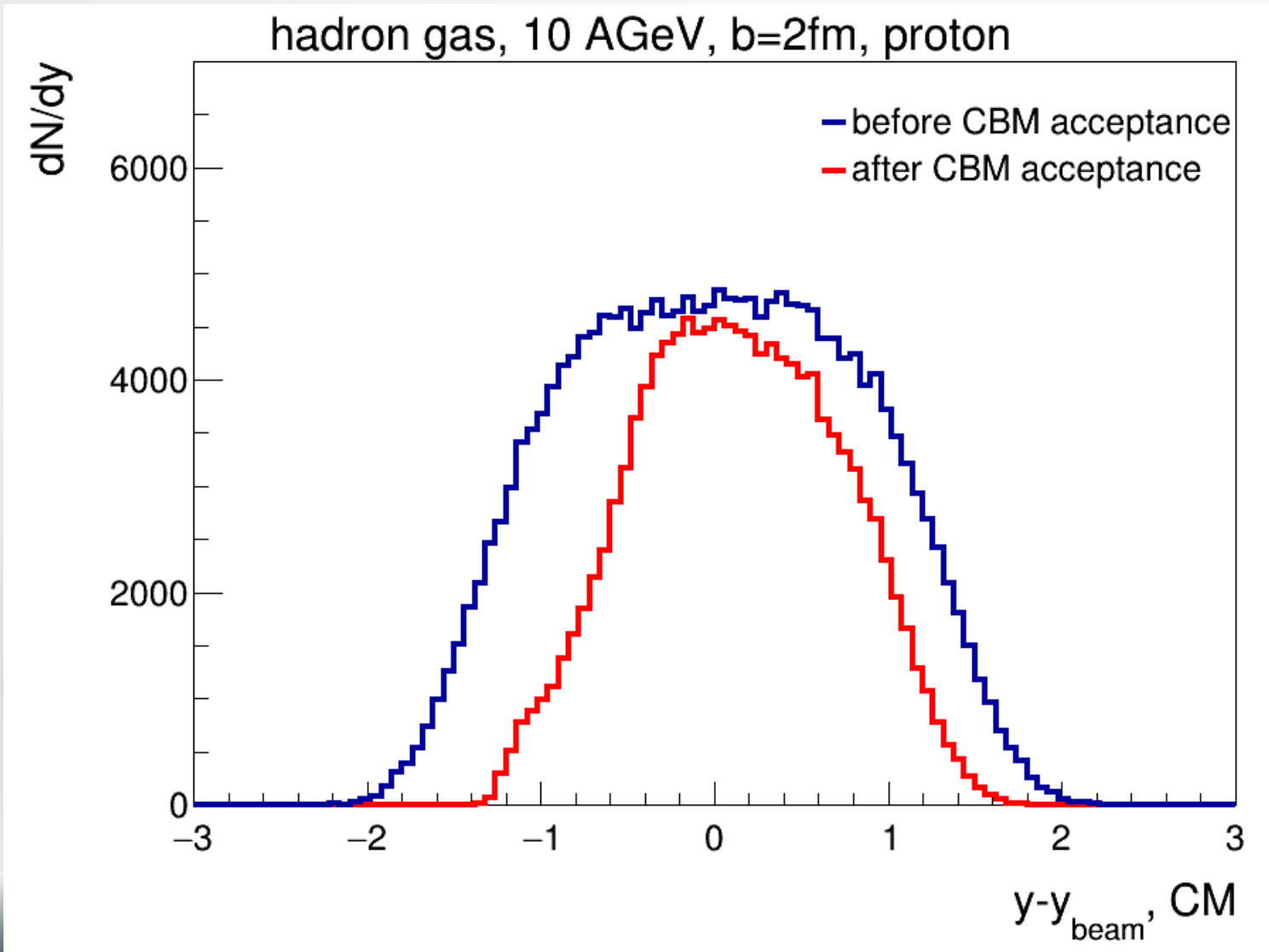
THESEUS, $b=2\text{fm}$, 1st order pht, π^-



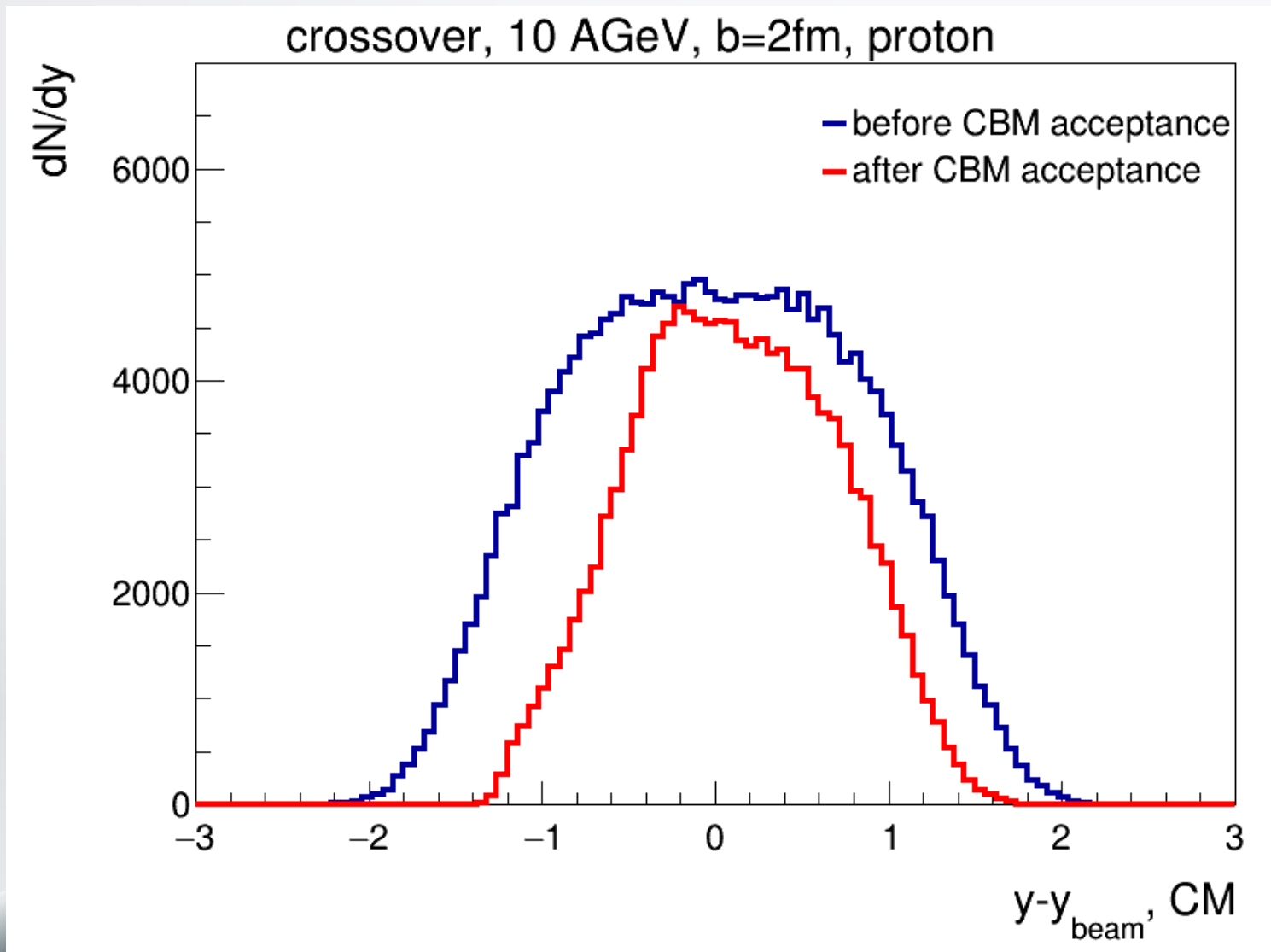
THESEUS + CBM, 10 AGeV, $b=2\text{fm}$, 1st order pht, π^-



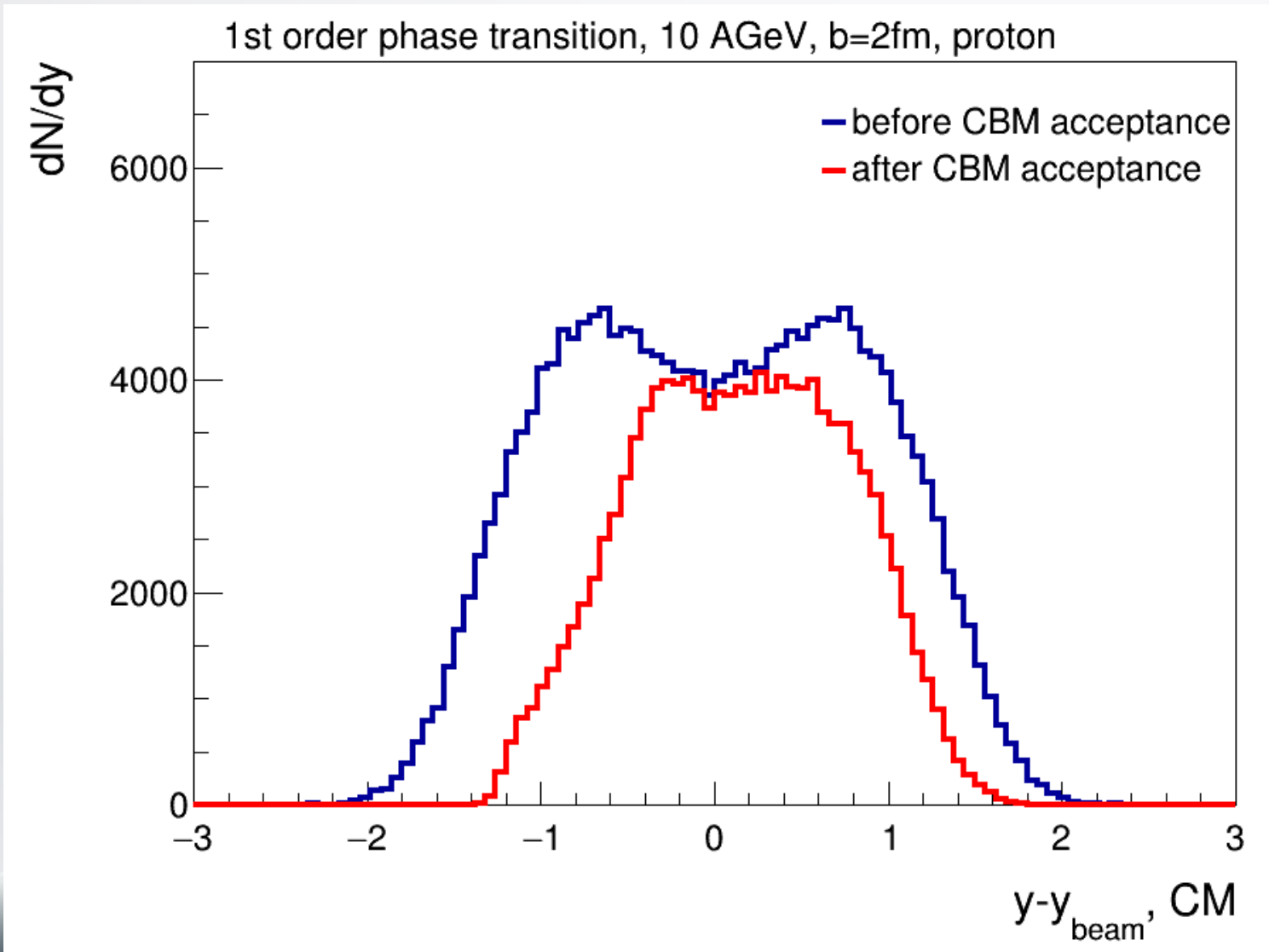
Rapidity distribution for **hadron gas** before and after CBM



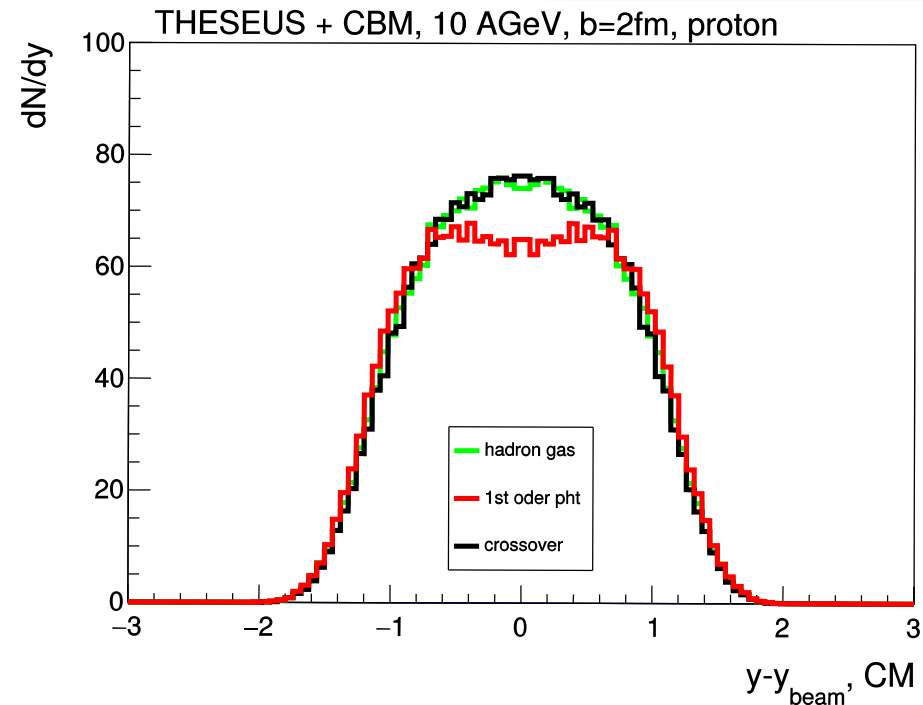
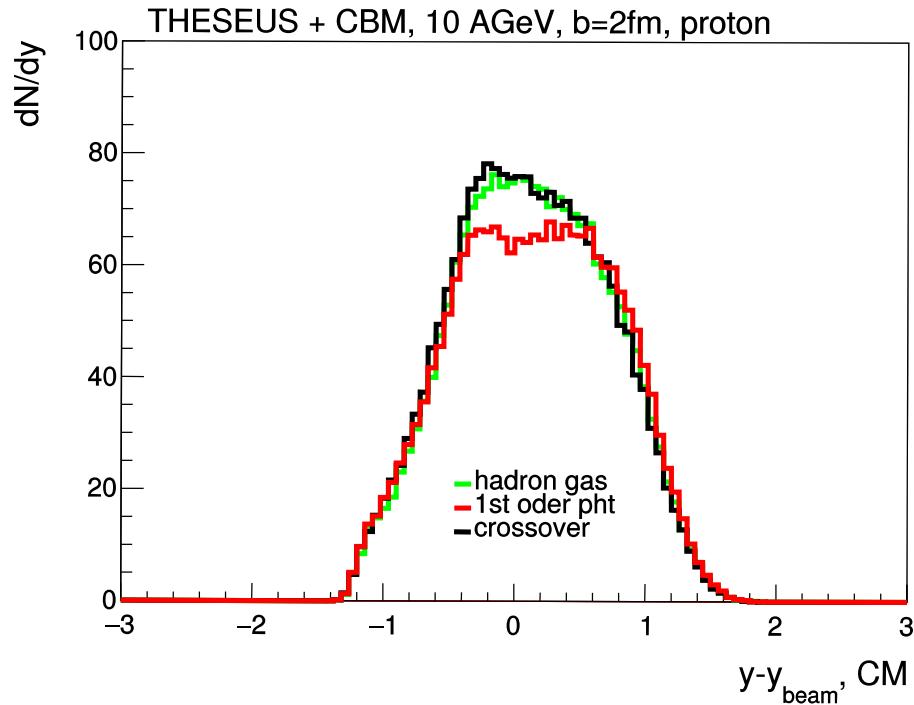
Rapidity distribution for **crossover** before and after CBM



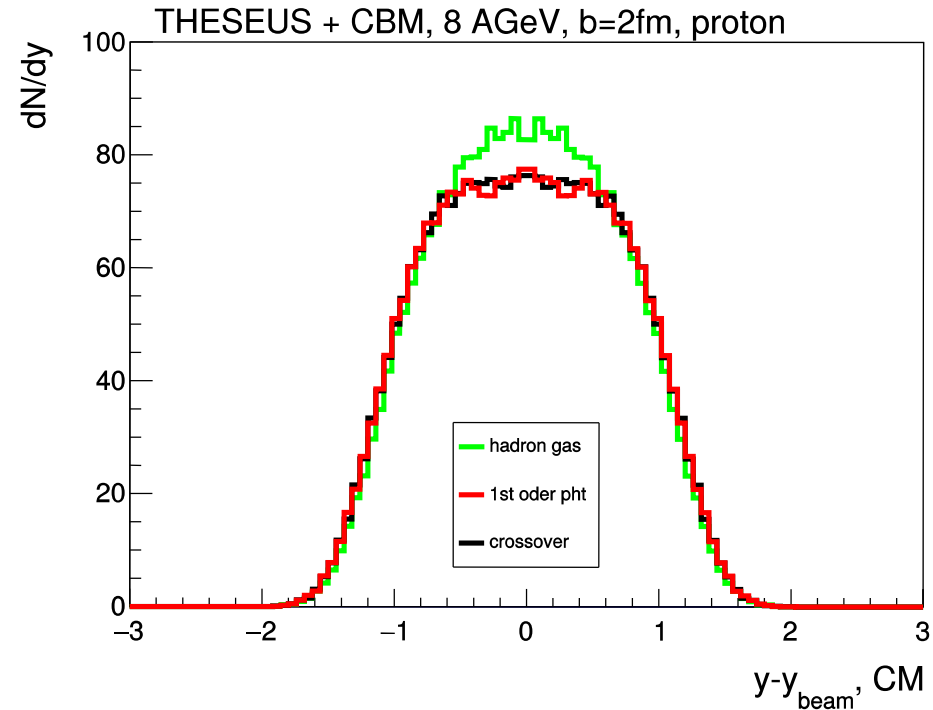
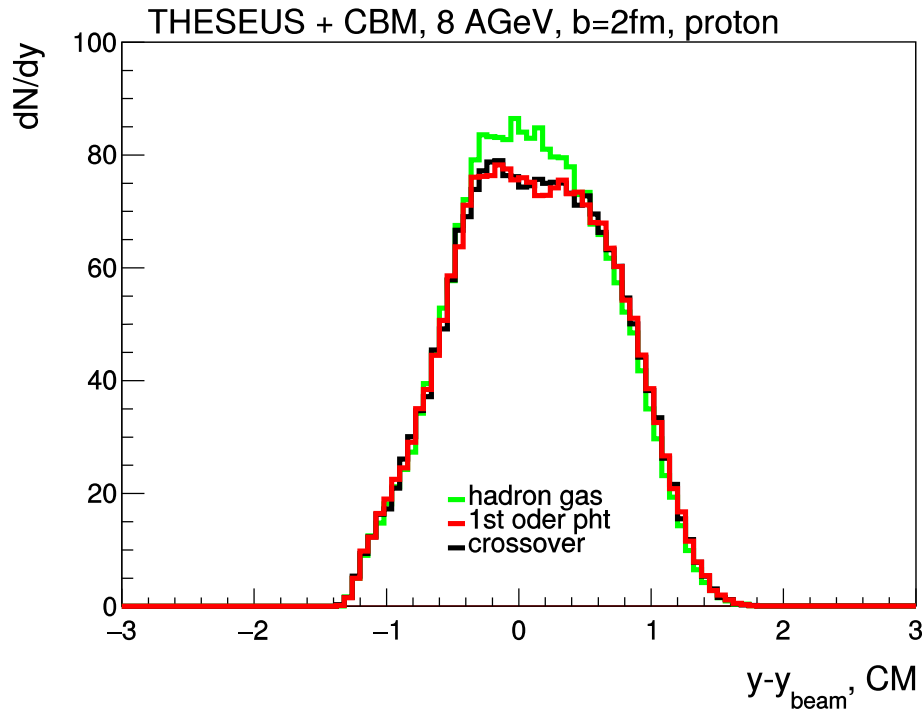
Rapidity distribution for 1st order pht before and after CBM



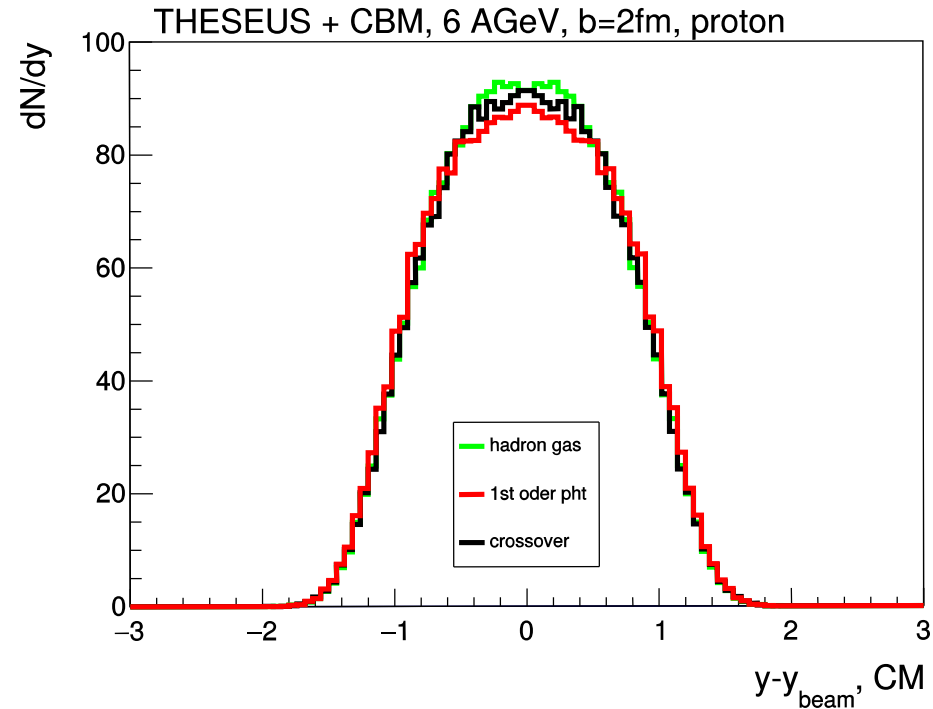
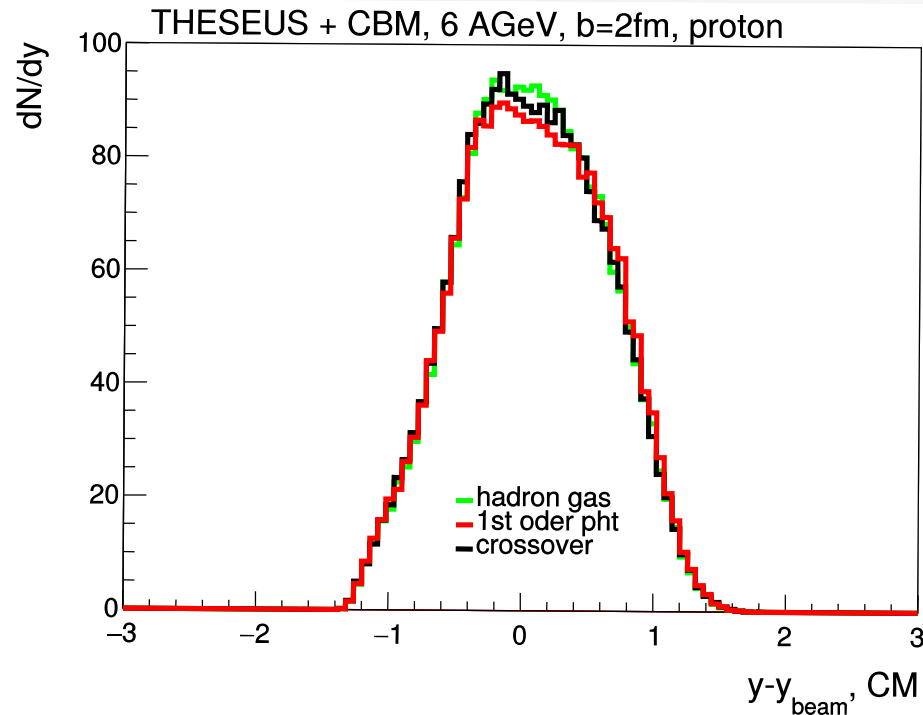
Rapidity distribution for different EoS at 10 AGeV after CBM



Rapidity distribution for different EoS at 8 AGeV after CBM



Rapidity distribution for different EoS at 6 AGeV after CBM

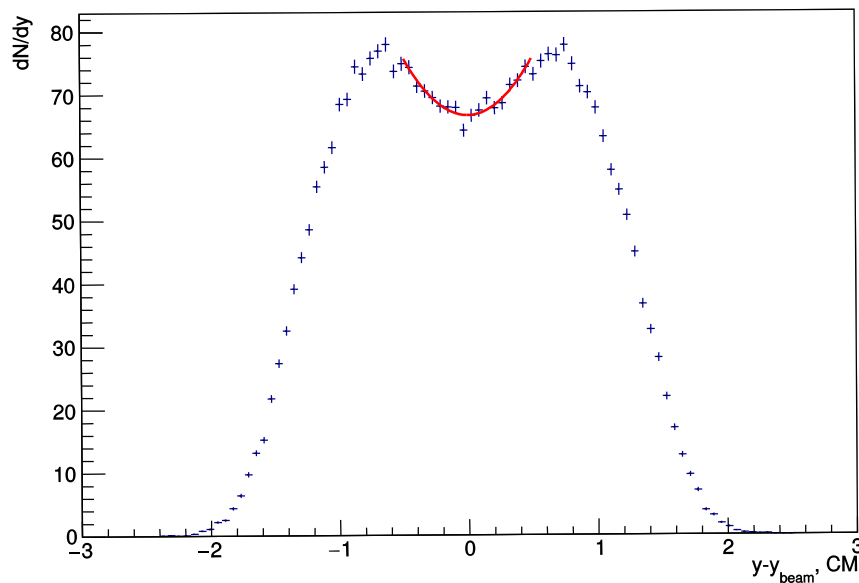


Quantitative analysis of rapidity distributions

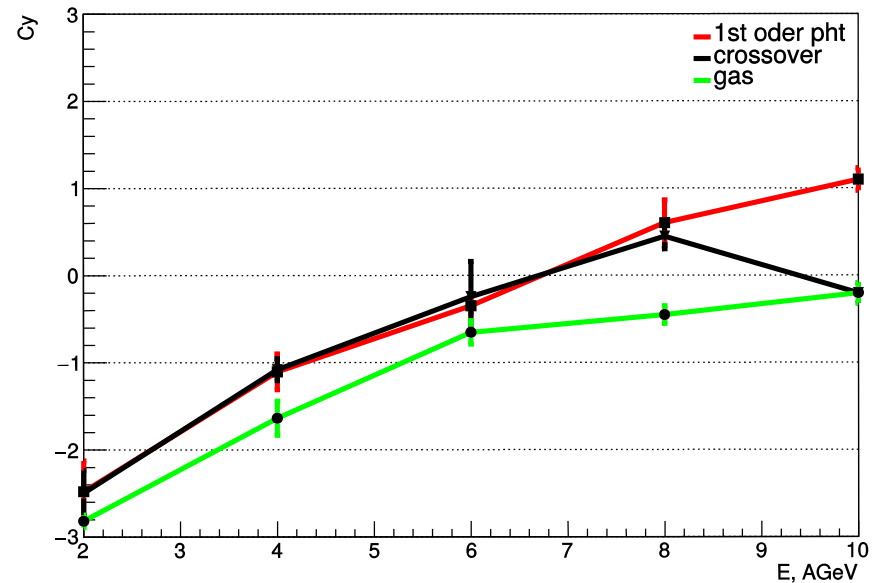
Rapidity distribution can be analyzed quantitatively by looking at the curvature at mid-rapidity for different energies.

$$C_y \equiv \left(y_{cm}^3 \frac{d^3 N}{dy^3} \right)_{y=y_{cm}} / \left(y_{cm} \frac{dN}{dy} \right)_{y=y_{cm}}$$

THESEUS, 10AGeV, 1st order pht

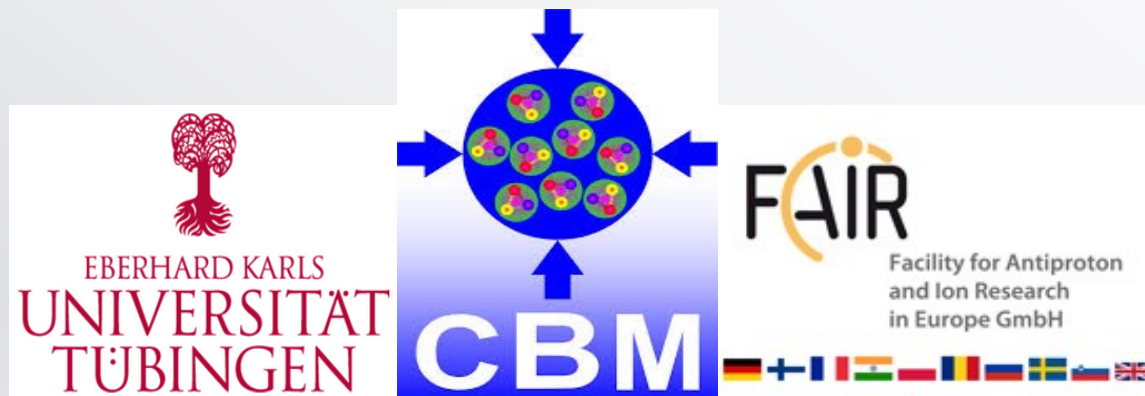


Rapidity curvature, x2 fit



Conclusions

- Features of different EoS are (partly) presented in this talk;
- Rapidity distributions allows in principle to distinguish 1st order phase transition EoS and crossover with gas EoS;
- This features are preserved to some extent also with CBM acceptance cuts.
- The midrapidity shape can be measured by its «curvature»;
- Energy scan for the curvature C_y of the net proton rapidity distribution is observable for differentiation EoS. («Event simulation based on three-fluid hydrodynamics for collisions at energies available at the NICA and at the FAIR»
P.Batyuk, D.Blaschke, Yu. B.Ivanov, Iu.Karpenko)

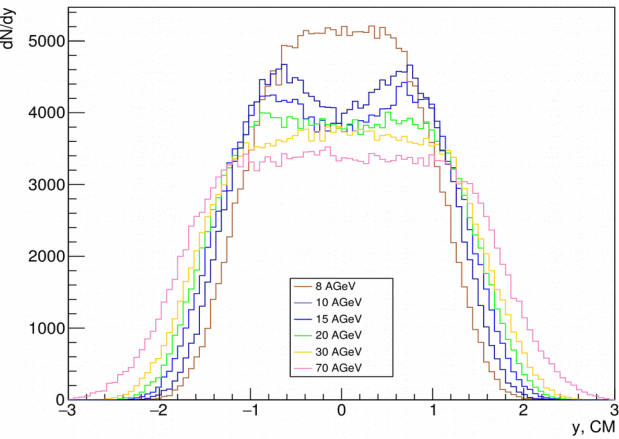


Backup

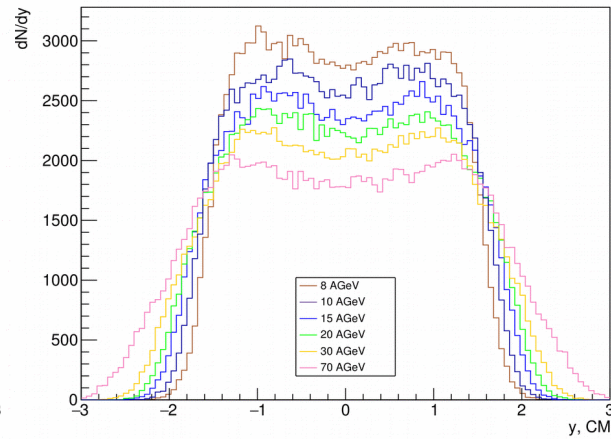


Rapidity evolution with energy

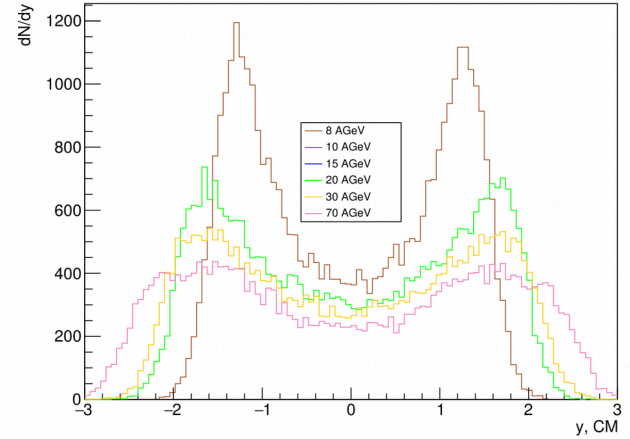
THESEUS, $b=2\text{fm}$, 1st order pht, p



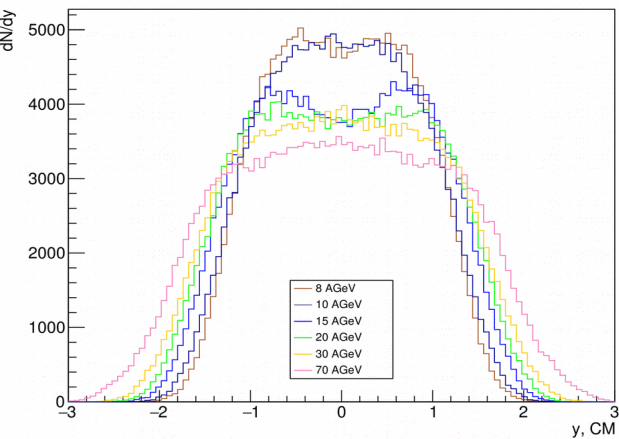
THESEUS, $b=6\text{fm}$, 1st order pht, p



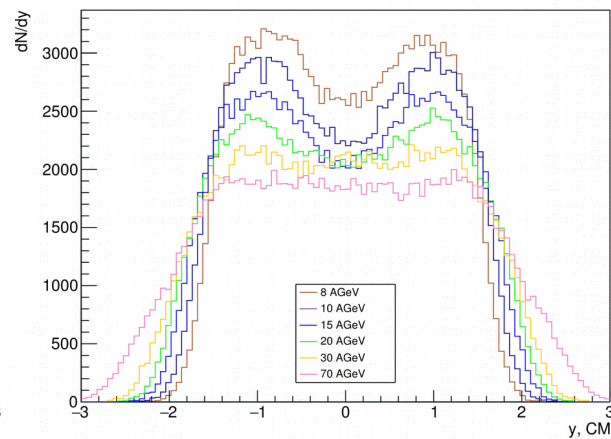
THESEUS, $b=11\text{fm}$, 1st order pht, p



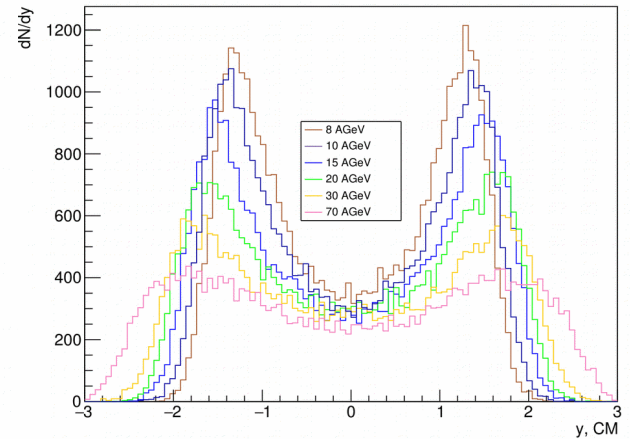
THESEUS, $b=2\text{fm}$, crossover, p



THESEUS, $b=6\text{fm}$, crossover, p



THESEUS, $b=11\text{fm}$, crossover, p



Particalization

- With density decrease the fluid approximation loses its applicability and individual particles get relevant degrees of freedom.
- Particalization is **not** Freez-out! Its only resonance decay after Freez-out.
- Output is set of droplets (or surface elements) with proper volume, temperature, baryon and strange chemical potentials and collective flow velocity parameters.
- The thermodynamic parameters of droplets correspond to a free hadron resonance gas.



$$Y = \frac{1}{2} \ln(E+pz/E-pz)$$

$$C_y \equiv \left(y_{cm}^3 \frac{d^3 N}{dy^3} \right)_{y=y_{cm}} / \left(y_{cm} \frac{dN}{dy} \right)_{y=y_{cm}}$$

