

# Low-momentum transfer measurements with the ACTAR TPC active target

Riccardo Raabe

KU Leuven, Instituut voor Kern- en Stralingsfysica



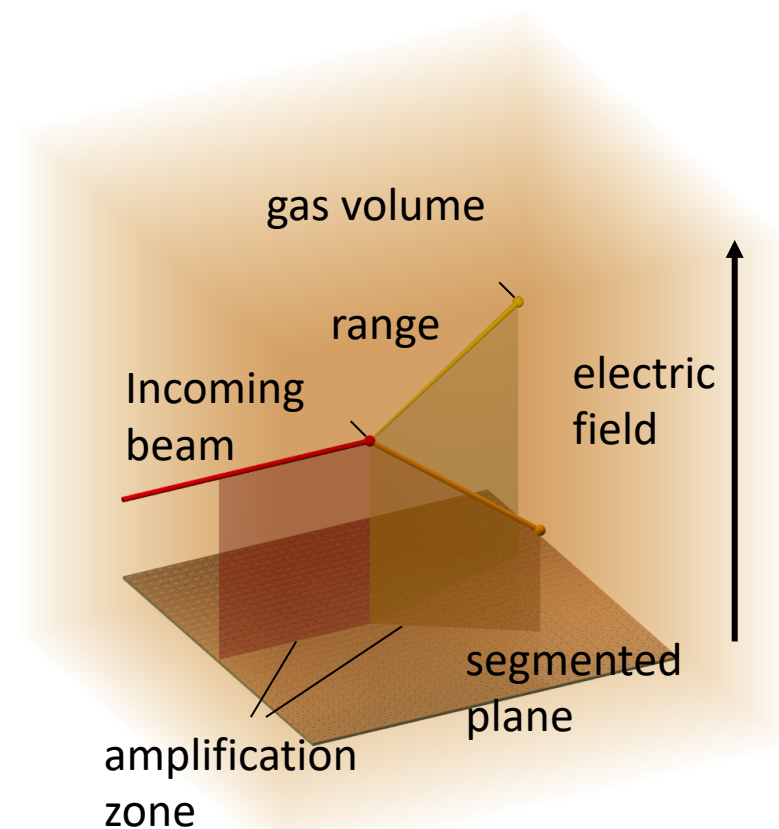
Credits: Simone Ceruti (Univ. Milano)  
Alex A. Arokiaraj (KU Leuven)  
Marine Vandebrouck (CEA Saclay)

**KU LEUVEN**

# Active targets

## Time-Projection Chamber (TPC) + gas is the target

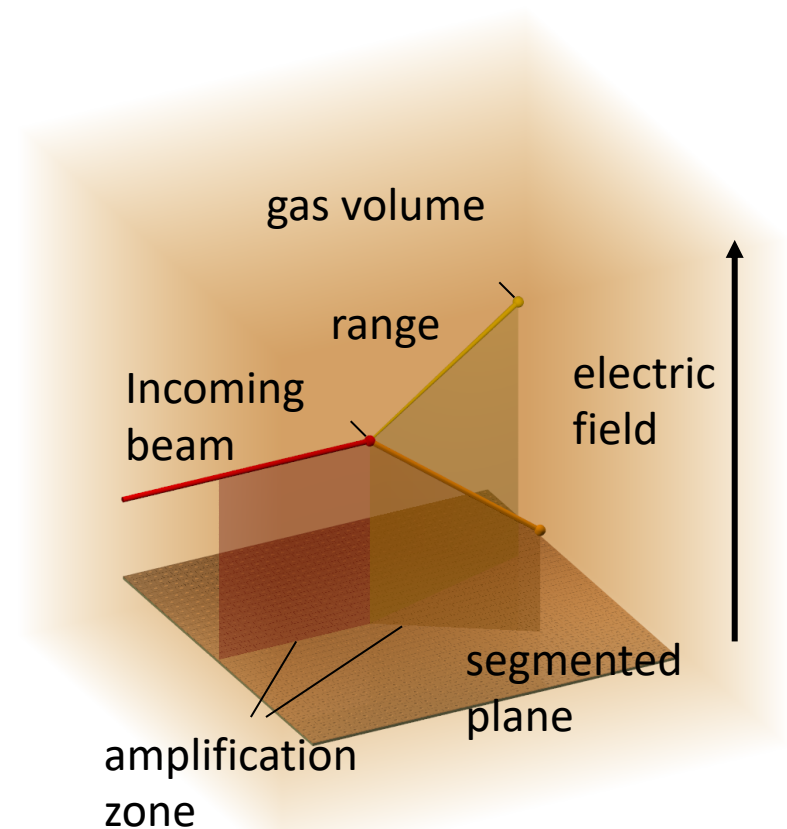
- Electrons produced by ionization drift to an amplification zone
- Signals collected on a segmented “pad” plane  $\Rightarrow$  2d-image of the track
- 3<sup>rd</sup> dimension from the drift time of the electrons
- Information:
  - angles
  - energy (from range or charge)
  - particle identification



# Active targets

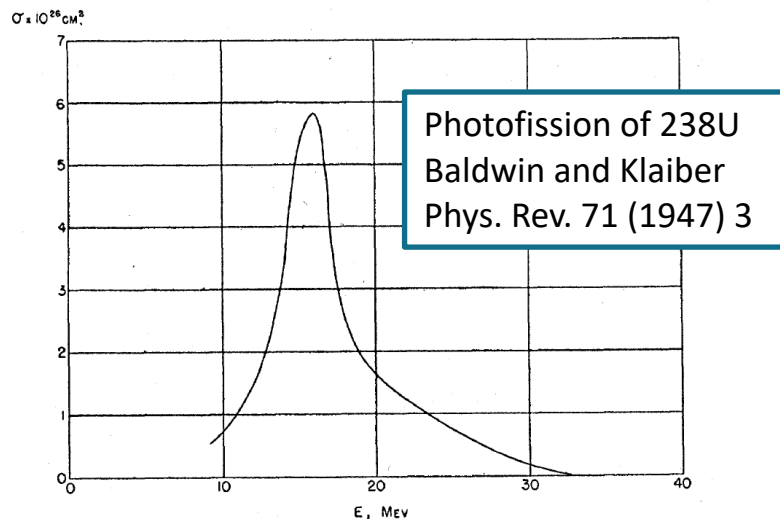
## Advantages

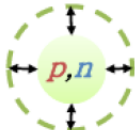
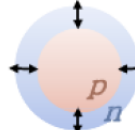
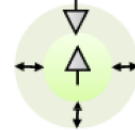
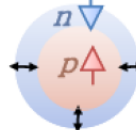
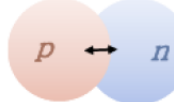

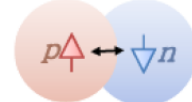
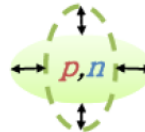
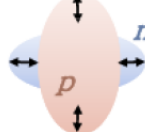
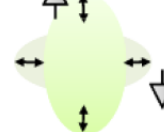

- Large target thickness  
→ high luminosity
- Efficient:
  - $4\pi$  geometry
  - Low thresholds
- Extremely versatile
  - different gases and pressures
  - variable shape
  - auxiliary detectors



# Collective excitations: Giant resonances

- Giant Resonances (GR) are nuclear collective excited states
- Many if not all nucleons are involved in the excitation
- They involve spin (S), isospin (T) and angular momentum (L)
- IVGDR known since 1947



$\Delta L=0$	 ISGMR	 IVGMR	 ISSMR	 IVSMR
$\Delta L=1$		 IVGDR	 ISSDR	 IVSDR
$\Delta L=2$	 ISGQR	 IVGQR	 ISSQR	 IVSQR
	$\Delta S=0$ $\Delta T=0$	$\Delta S=0$ $\Delta T=1$	$\Delta S=1$ $\Delta T=0$	$\Delta S=1$ $\Delta T=1$

M. N. Harakeh and A. van der Woude,  
*Giant Resonances: Fundamental High-Frequency Modes of Nuclear Excitation*  
Oxford University Press



# Collective excitations: Giant resonances

## Why so important?

- **Robust test for self-consistent mean-field approaches based on density functionals**
  - GRs: harmonic oscillations, RPA response function derived from TDHF equations
  - GRs constrain the parameters of the functional to the nuclear dynamics
- **Provide information on features of finite nuclei and nuclear matter**  
Effective masses, neutron skin, vortex motions, **incompressibility**

# Isoscalar modes

- Isoscalar modes are compression modes  
→ tool to study incompressibility of nuclear matter  $K_\infty$   
through the nuclear incompressibility  $K_A$

$$E_{ISGMR} = \hbar \sqrt{\frac{K_A}{m\langle r^2 \rangle}}$$

$K_\infty$  can be extracted from

- an expansion of  $K_A$ :

$$K_A = K_{vol} + K_{surf}A^{-1/3} + K_{sym}\left(\frac{N-Z}{A}\right) + K_{Coul}\frac{Z^2}{A^{4/3}}$$

by fitting data and assuming  $K_{vol} = \lim_{A \rightarrow \infty} K_A = K_\infty$

- RPA calculations that provide  $K_\infty$  and  $E_{ISGMR}$

$$K_\infty = 230 \pm 40 \text{ MeV} \quad \text{Kahn et al, Phys. Rev. Lett. 109 (2012) 092501}$$

ISGMR (T=0, L=0)



ISGDR (T=0, L=1)



ISGQR (T=0, L=2)



# Equation of State

- $K_\infty$  is an ingredient of the nuclear Equation of State (EoS)
- EoS is used to describe
  - heavy-ion collision
  - core-collapse supernovas
  - neutron star and neutron-star mergers
  - black holes...
- Constrained by
  - astrophysical observations
  - properties of nuclei
- Kahn et al, Phys. Rev. Lett. 109 (2012) 092501:
  - Use  $E_{GMR}$  vs. derivative of  $K(\rho)$  at  $\rho_c$  instead of  $E_{GMR}$  vs.  $K_\infty$
  - **Measure  $E_{GMR}$  in nuclei far from stability to study the isospin dependence of  $K(\rho)$**

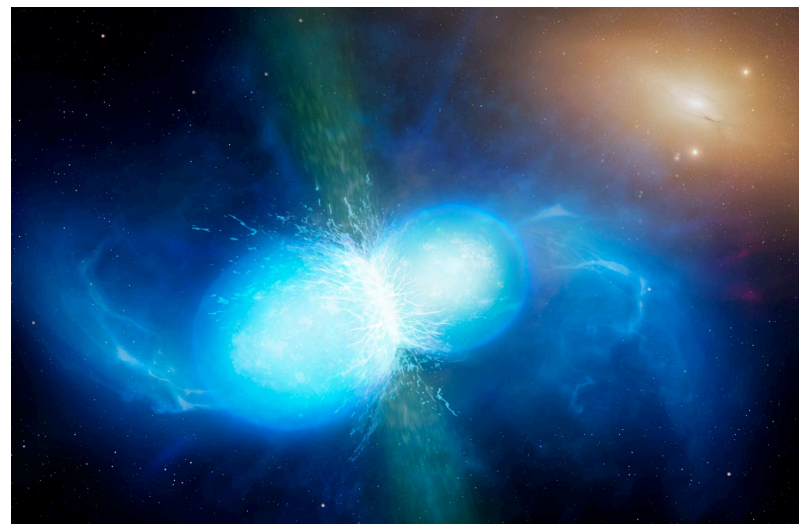
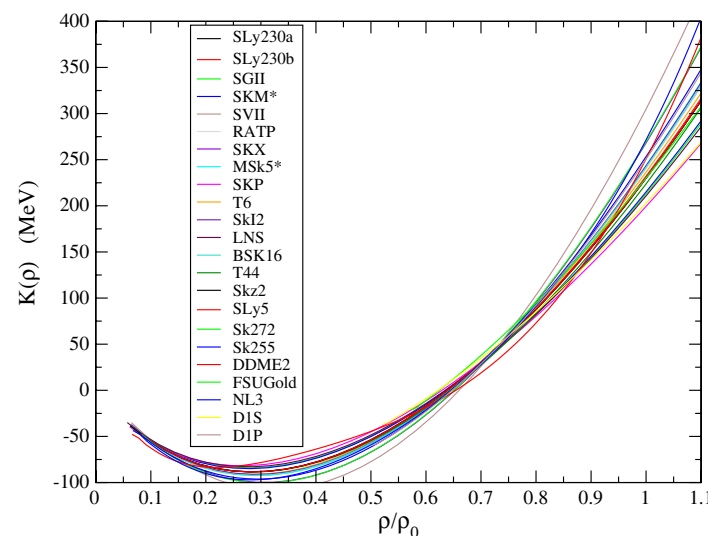


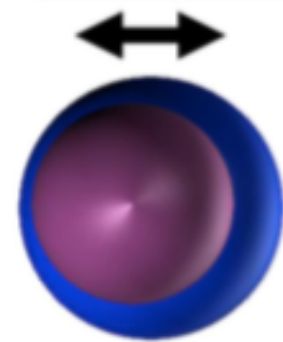
Image credit: Mark Garlick, University of Warwick



# Soft modes: PDR

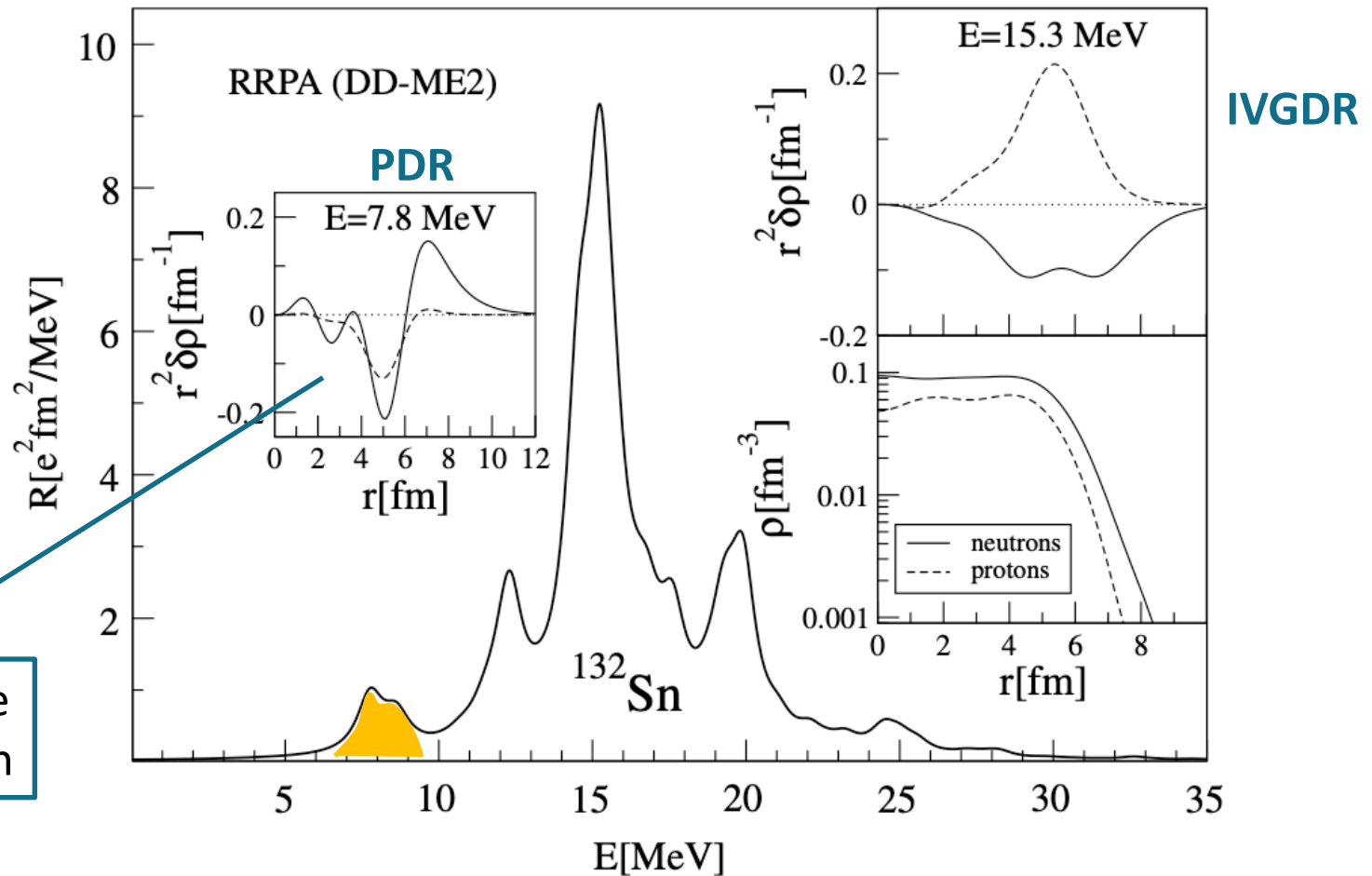
## Low-energy dipole strength

- First observation in 1961  
 $\gamma$  rays from neutron capture  
G.A. Bartholomew, Annu. Rev. Nucl. Sci. 11 (1961) 259
- First use of “pygmy resonance” (PDR)  
J.S. Brzoso et al., Can. J. Phys 47 (1969) 2849
- Description as a collective excitation  
Mohan et al., Phys. Rev. C 3 (1971) 1740  
“Three-Fluid Hydrodynamical Model of Nuclei”:  
Neutron excess oscillates against the N=Z core



# Soft modes: PDR

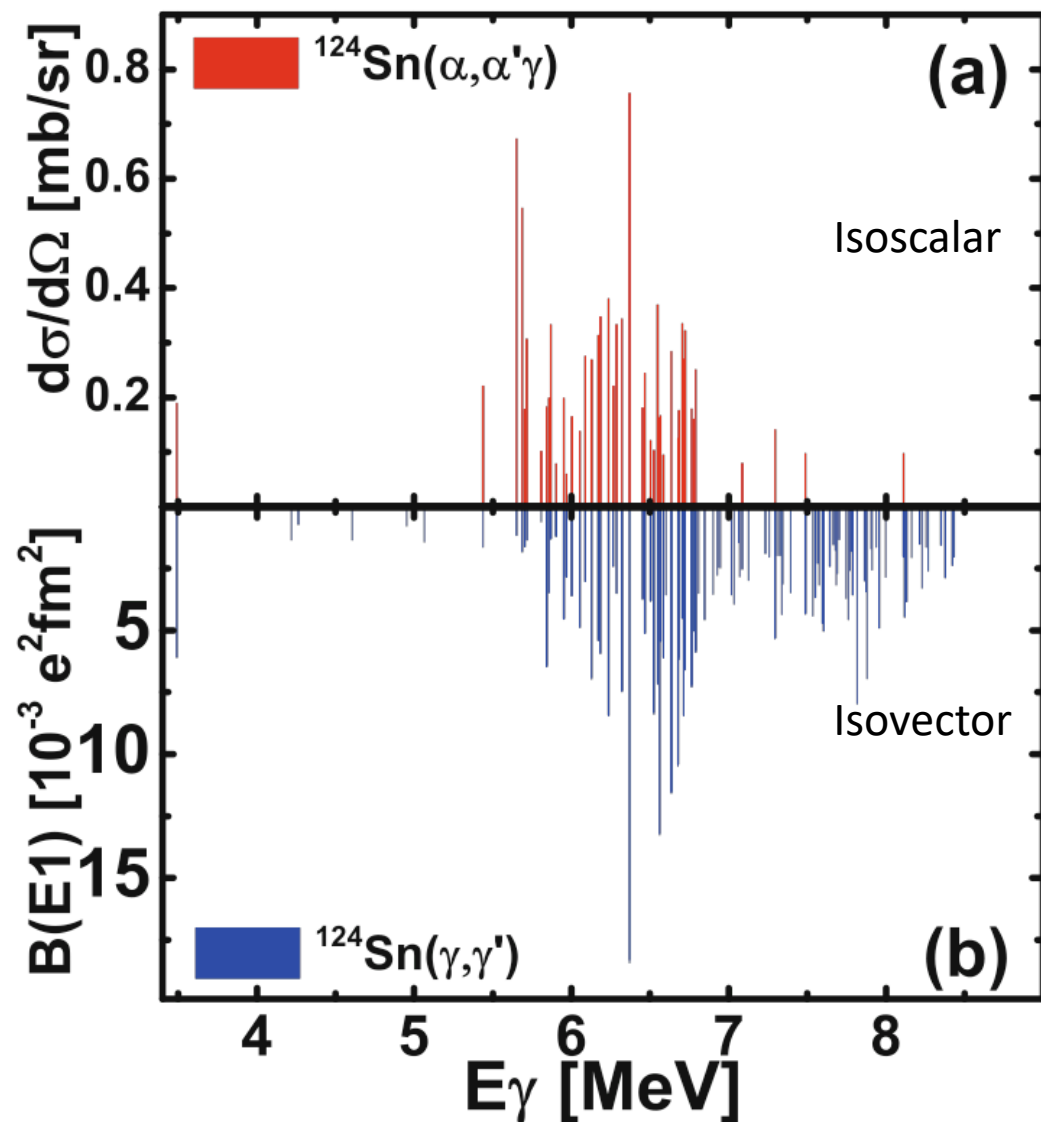
D. Vretenar et al., J. Phys. G 35 (2008) 014039



# Soft modes: PDR

- Different experimental probes to investigate the nature of these states

Figure A. Bracco et al.,  
Eur. Phys. J. A 51 (2015) 99  
Data from K. Govaert et al.,  
Phys. Rev. C 57 (1998) 2229  
and J. Endres et al.,  
Phys. Rev. C 85 (2012) 064331

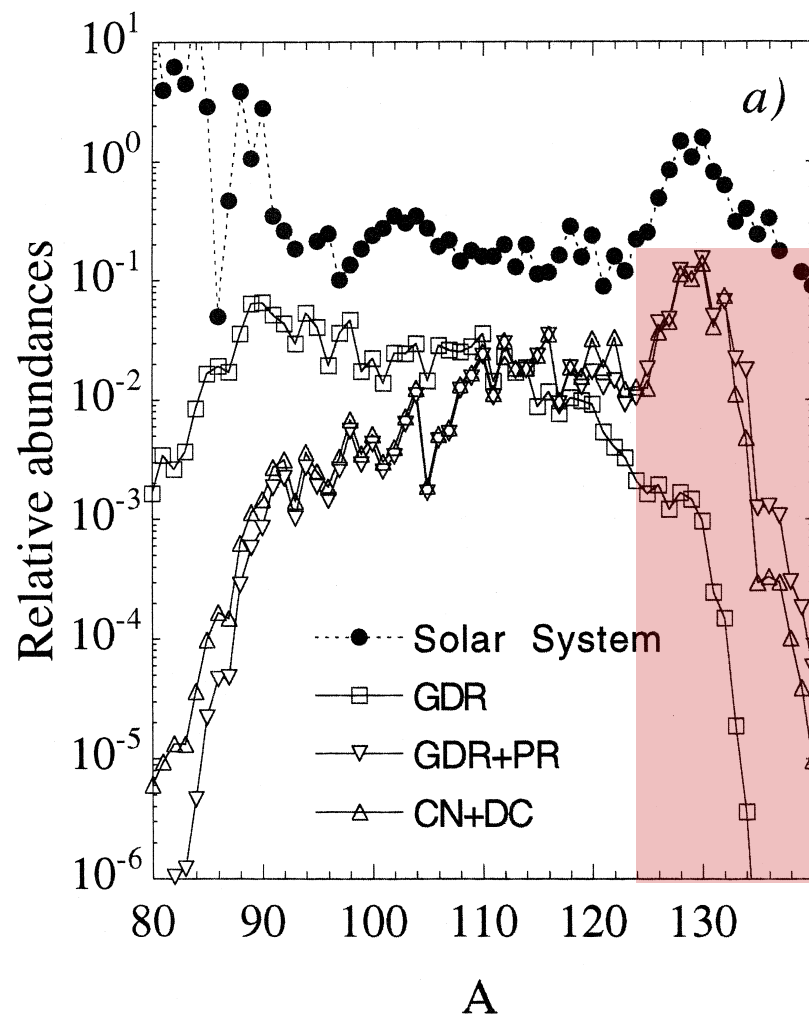


# Soft modes: PDR

## Impact: r-process abundances

- Calculation for  
 $T = 10^9$  K,  $N_n = 10^{20}$  cm $^{-3}$ ,  $\tau = 2.3$  s
- Under some conditions,  
PDR can enhance production  
in some regions

S. Goriely,  
Phys. Lett. B 436 (1998) 10



# Experimental techniques (isoscalar)

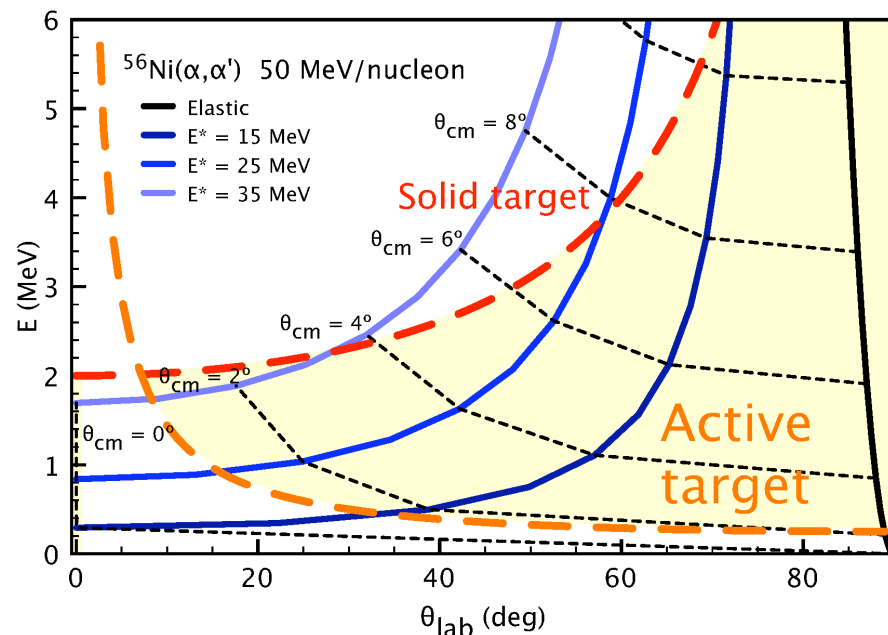
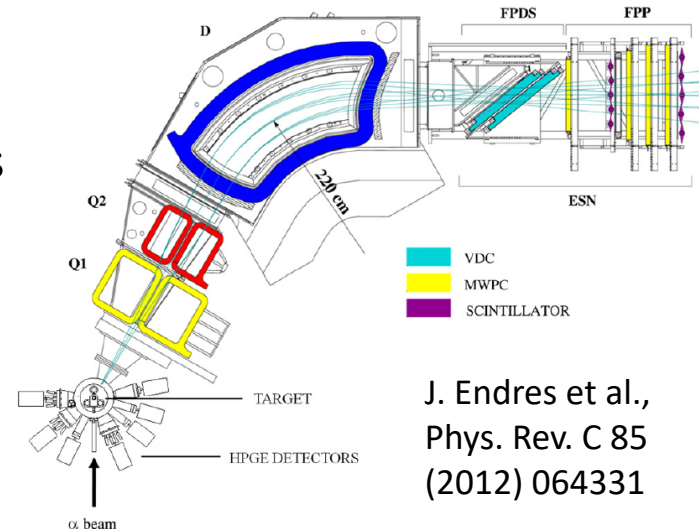
- Inelastic scattering, multipole expansion  
Maximum cross section at very forward angles

## Stable nuclei

- Direct kinematics  
 $\gamma$ -ray coincidence  
to determine multipolarity

## Unstable nuclei

- Inverse kinematics  
Low momentum transfer  
Very low energy of recoil nucleus





# Low momentum-transfer in storage rings

Physics Letters B 763 (2016) 16–19

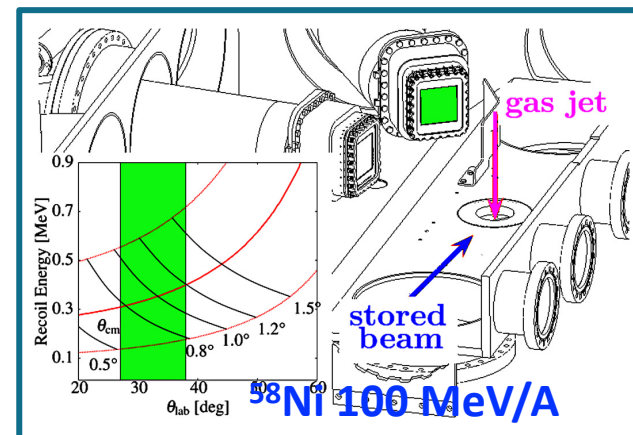


ELSEVIER

Contents lists available at ScienceDirect

Physics Letters B

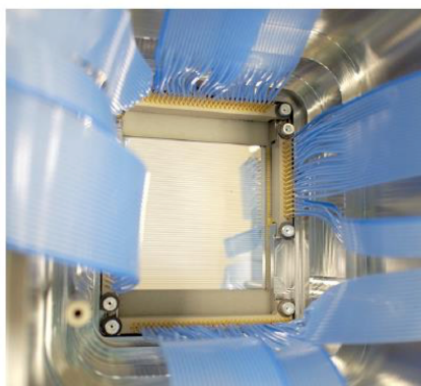
[www.elsevier.com/locate/physletb](http://www.elsevier.com/locate/physletb)



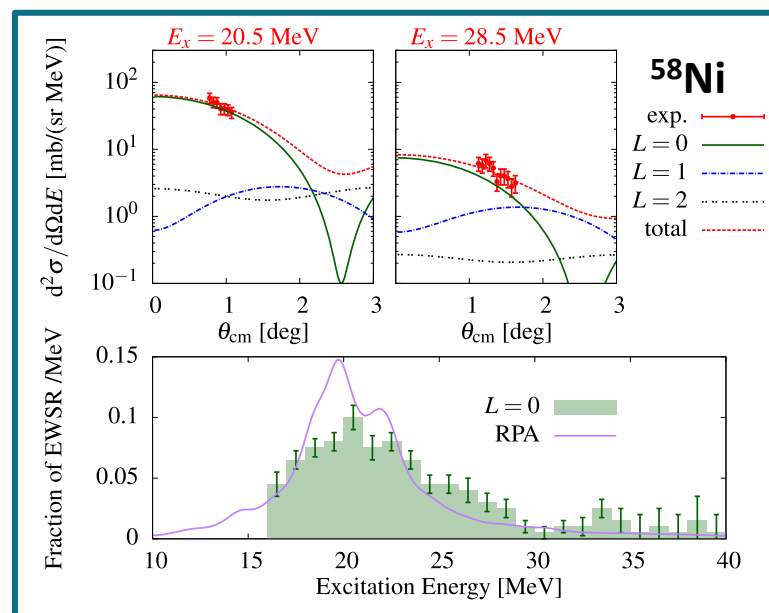
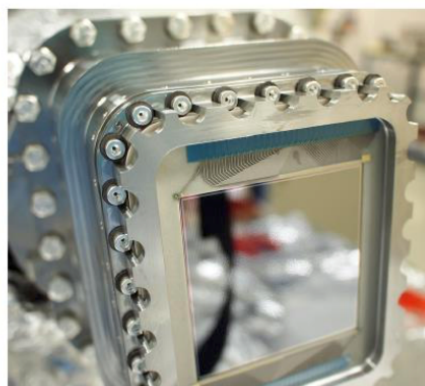
## First measurement of isoscalar giant resonances in a stored-beam experiment

J.C. Zamora<sup>a,\*</sup>, T. Aumann<sup>a,b</sup>, S. Bagchi<sup>c,b</sup>, S. Bönig<sup>a</sup>, M. Csatlós<sup>d</sup>, I. Dillmann<sup>b</sup>, C. Dimopoulou<sup>b</sup>, P. Egelhof<sup>b</sup>, V. Eremin<sup>e</sup>, T. Furuno<sup>f</sup>, H. Geissel<sup>b</sup>, R. Gernhäuser<sup>g</sup>, M.N. Harakeh<sup>c</sup>, A.-L. Hartig<sup>a</sup>, S. Ilieva<sup>a</sup>, N. Kalantar-Nayestanaki<sup>c</sup>, O. Kiselev<sup>b</sup>, H. Kollmus<sup>b</sup>, C. Kozhuharov<sup>b</sup>, A. Krasznahorkay<sup>d</sup>, Th. Kröll<sup>a</sup>, M. Kuilman<sup>c</sup>, S. Litvinov<sup>b</sup>, Yu.A. Litvinov<sup>b</sup>, M. Mahjour-Shafiei<sup>h,c</sup>, M. Mutterer<sup>b</sup>, D. Nagae<sup>i</sup>, M.A. Najafi<sup>c</sup>, C. Nociforo<sup>b</sup>, F. Nolden<sup>b</sup>, U. Popp<sup>b</sup>, C. Rigollet<sup>c</sup>, S. Roy<sup>c</sup>, C. Scheidenberger<sup>b</sup>, M. von Schmid<sup>a</sup>, M. Steck<sup>b</sup>, B. Streicher<sup>b</sup>, L. Stuhl<sup>d</sup>, M. Thürauf<sup>a</sup>, T. Uesaka<sup>j</sup>, H. Weick<sup>b</sup>, J.S. Winfield<sup>b</sup>, D. Winters<sup>b</sup>, P.J. Woods<sup>k</sup>, T. Yamaguchi<sup>l</sup>, K. Yue<sup>a,b,m</sup>, J. Zenihiro<sup>j</sup>

► Auxilliary vacuum side



► Ultra-high vacuum side



P. Egelhof (GSI), **EXL** Collaboration  
H. Moeini et al., NIMA 634 (2011) 77

**KU LEUVEN**

# Active targets: Maya

- Particles stopped inside the gas
- Mask to screen/collect electrons produced by the beam particles

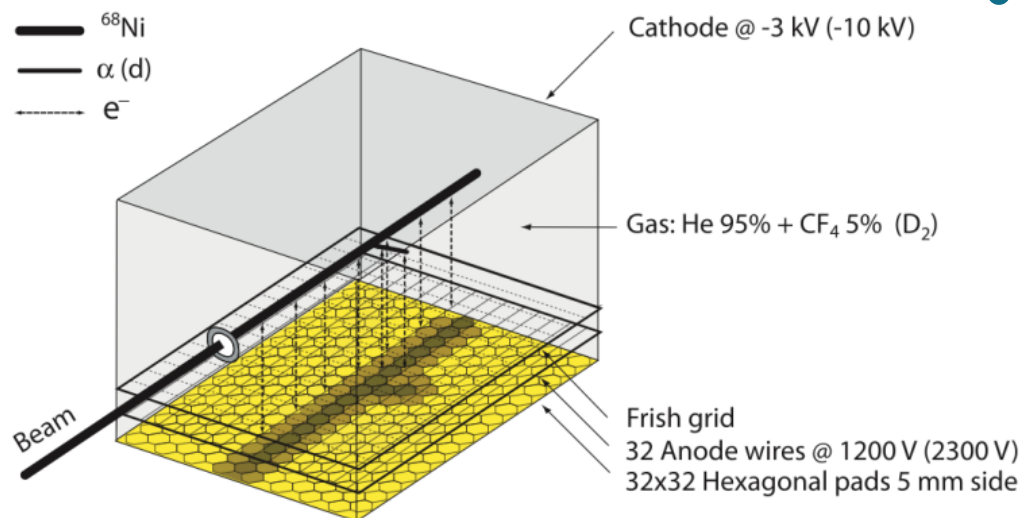


Figure: M. Vandebrouck, PRC 92 (2015) 024316

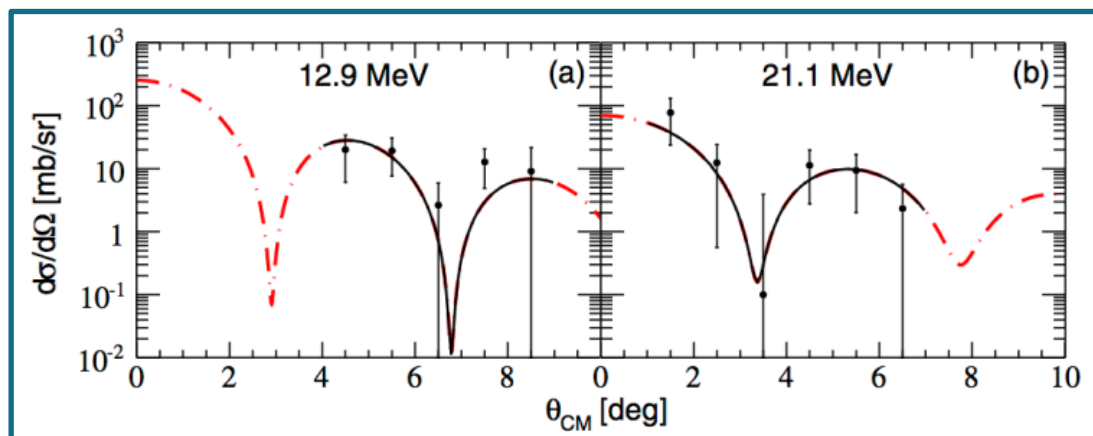
- $^{56}\text{Ni}(d,d')$  GMR and GQR  
C. Monrozeau et al., PRL 100 (2008) 042501
- $^{68}\text{Ni}(d,d')$  and  $(\alpha,\alpha')$   
GMR, GQR and soft monopole  
M. Vandebrouck, PRL 113 (2014) 032504  
M. Vandebrouck, PRC 92 (2015) 024316
- $^{56}\text{Ni}(\alpha,\alpha')$  GMR and GDR  
S. Bagchi, PLB 751 (2015) 371

# Active targets: Maya

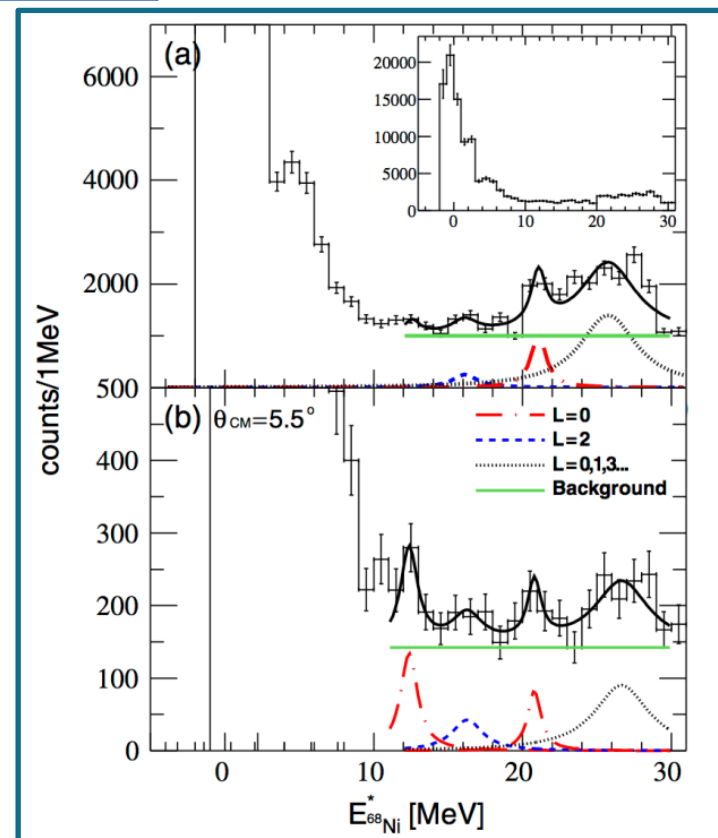
$^{56}\text{Ni}$	50 MeV/A	Monrozeau et al. 2008	$E_{\text{ISGMR}} = 19.3 \pm 0.5 \text{ MeV}$ $E_{\text{ISGQR}} = 16.2 \pm 0.5 \text{ MeV}$
$^{56}\text{Ni}$	50 MeV/A	Bagchi et al. 2015	$E_{\text{ISGMR}} = 19.1 \pm 0.5 \text{ MeV}$ $E_{\text{ISGDR}} = 17.4 \pm 0.7 \text{ MeV}$
$^{68}\text{Ni}$	50 MeV/A	Vandebrouck et al. 2015	$E_{\text{ISGMR}} = 21.1 \pm 1.9 \text{ MeV}$ $E_{\text{ISGQR}} = 15.9 \pm 1.3 \text{ MeV}$

## Example $^{68}\text{Ni} (\alpha, \alpha')$

- Beam intensity  $4 \times 10^4$  pps, purity 75%
- He + 5%  $\text{CF}_4$  pressure 500 mb
- Recoil threshold 600 keV



M. Vandebrouck, PRL 113 (2014) 032504

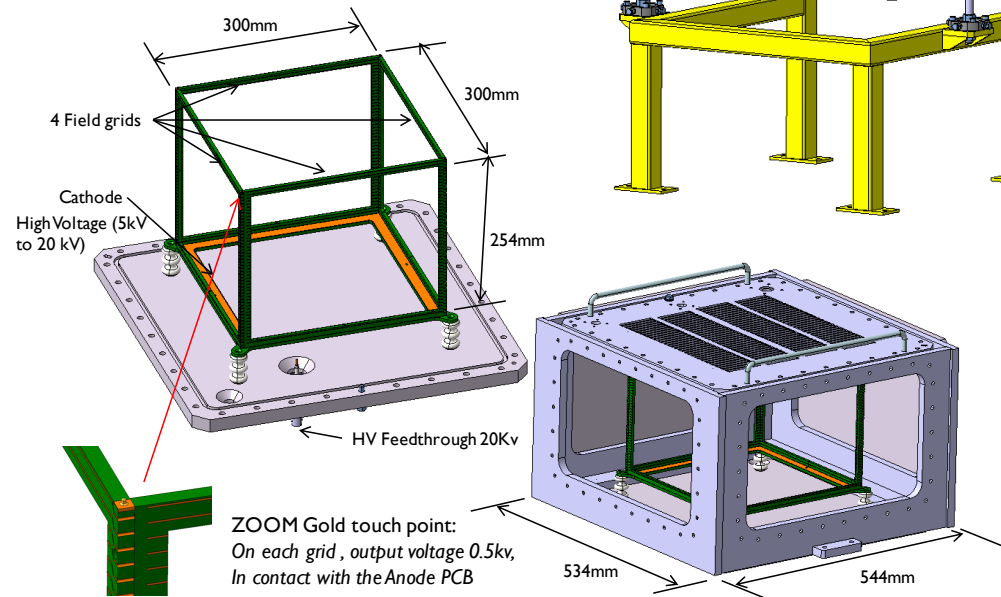
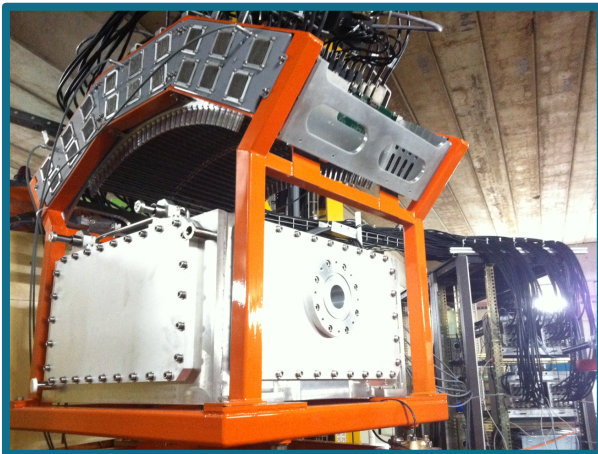


# Beyond Maya: ACTAR TPC

Work of P. Gangnant, GANIL

## Improvements

- Multi-particle detection
- Low energy threshold
- Spatial resolution (angular and range)
- Reconstruction efficiency
- New electronics (16k channels)
- Energy dynamics
  - pad polarization
  - electrostatic mask



# Isoscalar resonances in $^{68}\text{Ni}$

PhD of Alex Arokiaraj (KU Leuven)

- Measurement at LISE (GANIL)
- $^{58,68}\text{Ni}$  at 49 MeV/nucleon,  $\approx 10^4$  pps inelastic scattering on  $^4\text{He}$
- 98% He + 2%  $\text{CF}_4$   
400 mbar  
 $2.5 \times 10^{20}$  at/cm $^2$
- Resolution  $\approx 500$  keV

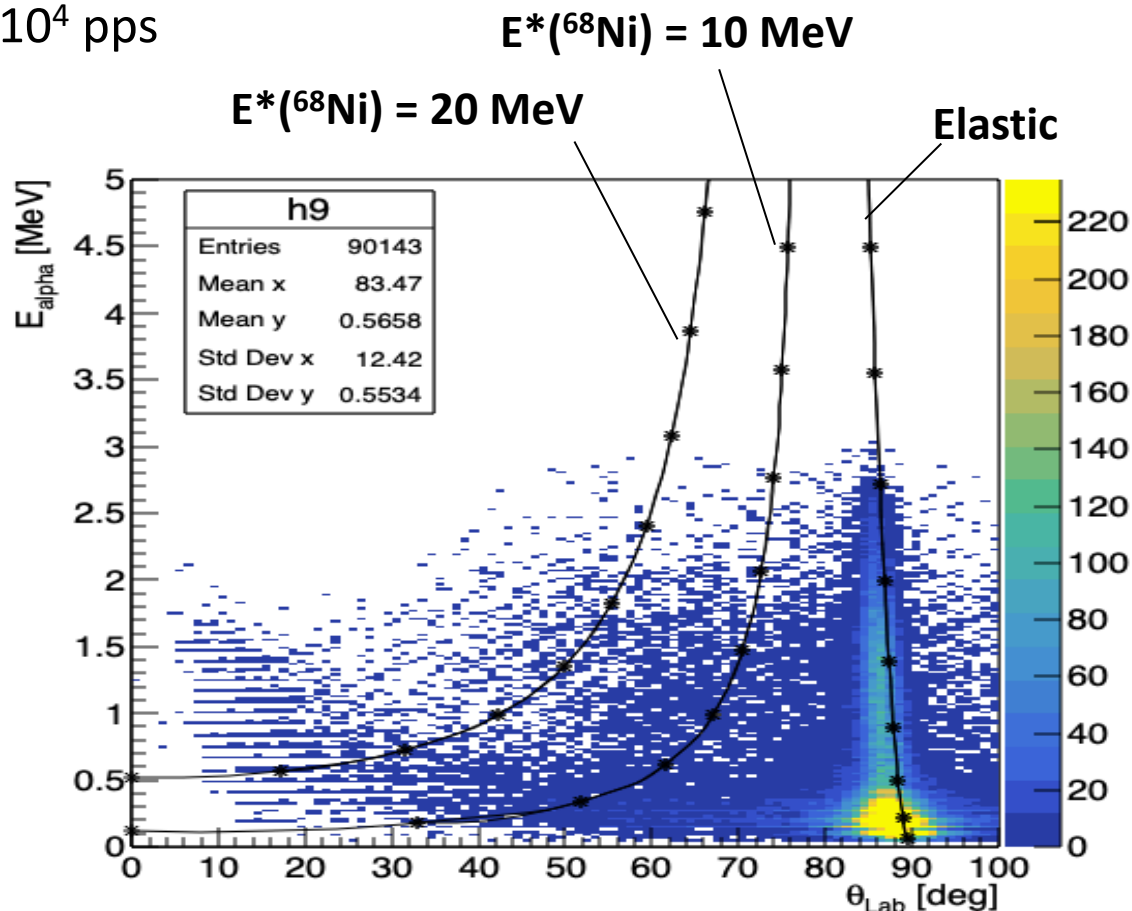
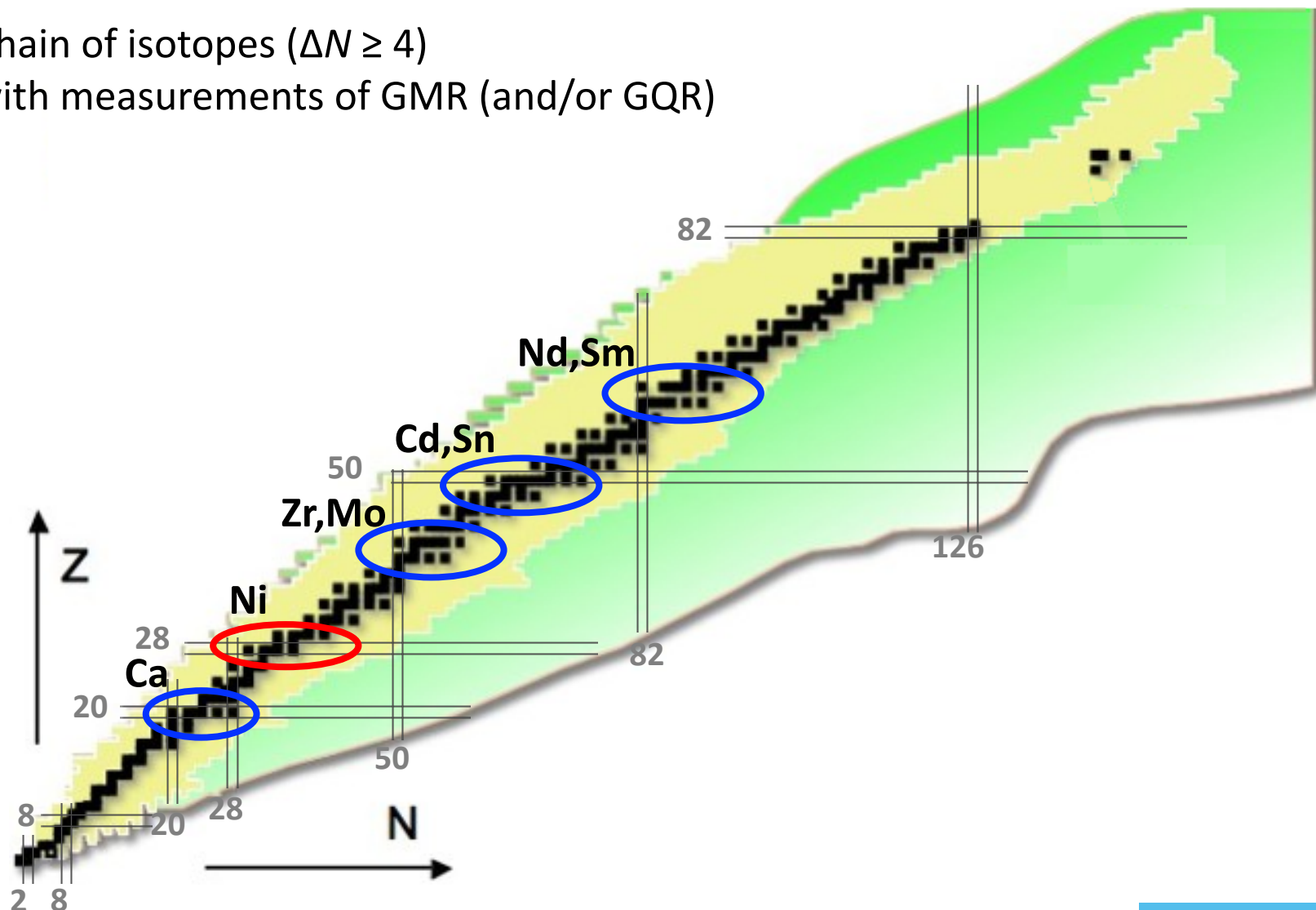


Figure: Marine Vandebrouck



# Where do we go from here

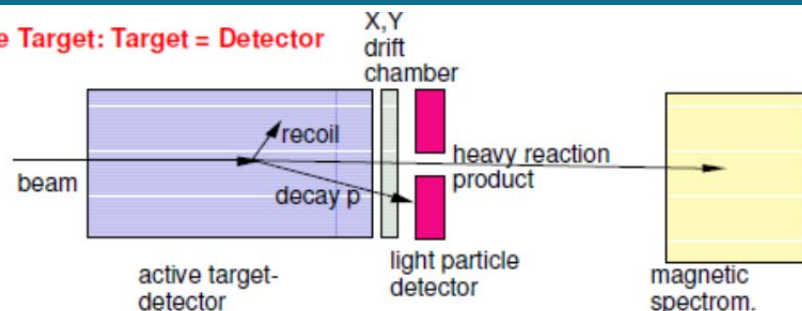
- Chain of isotopes ( $\Delta N \geq 4$ ) with measurements of GMR (and/or GQR)



# Active target in NUSTAR?

Maximum energy  $\approx 200$  MeV/nucleon  
 $\rightarrow B\rho(^{132}\text{Sn}) = 5.35$  Tm

Active Target: Target = Detector



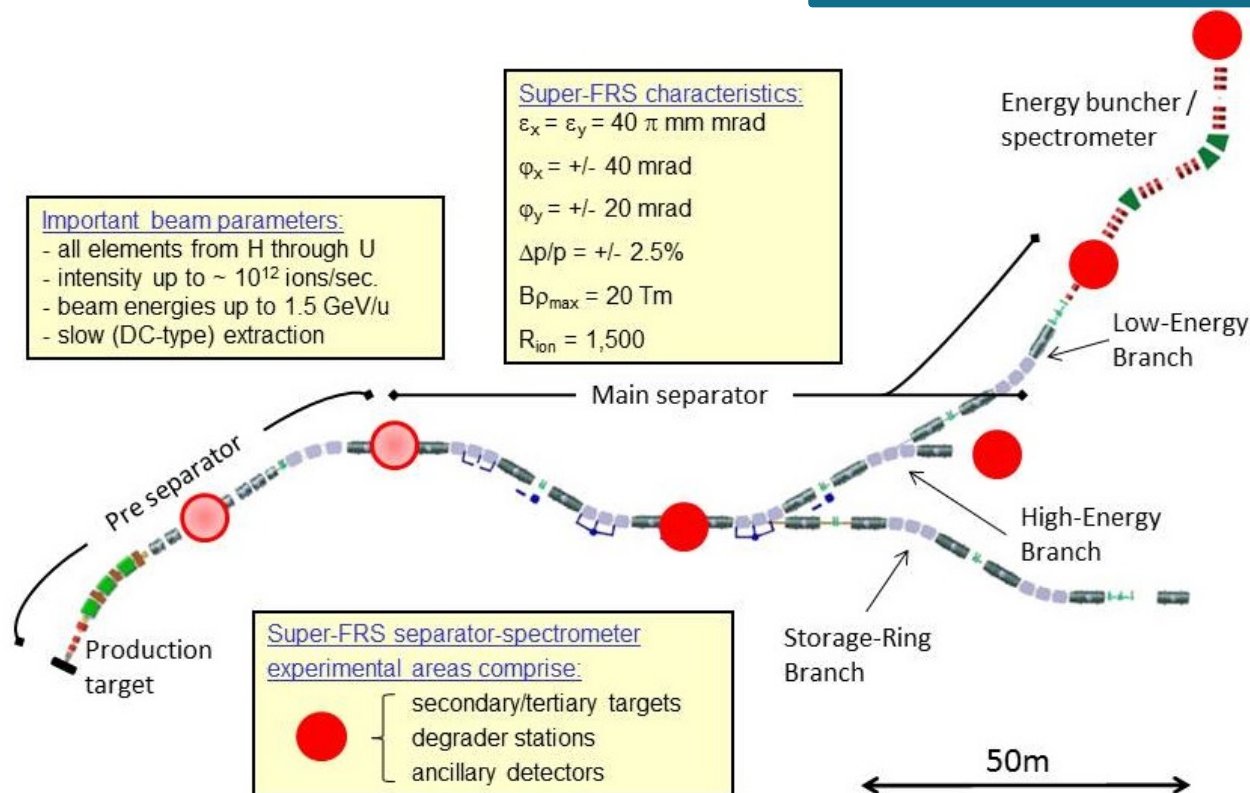
Important beam parameters:

- all elements from H through U
- intensity up to  $\sim 10^{12}$  ions/sec.
- beam energies up to 1.5 GeV/u
- slow (DC-type) extraction

Super-FRS characteristics:

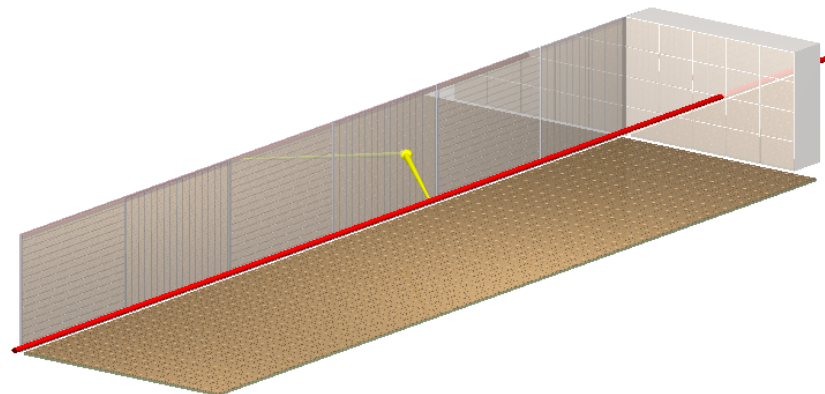
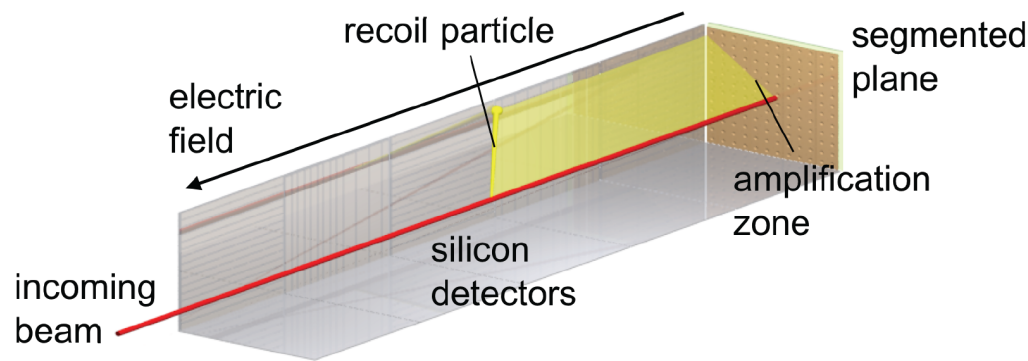
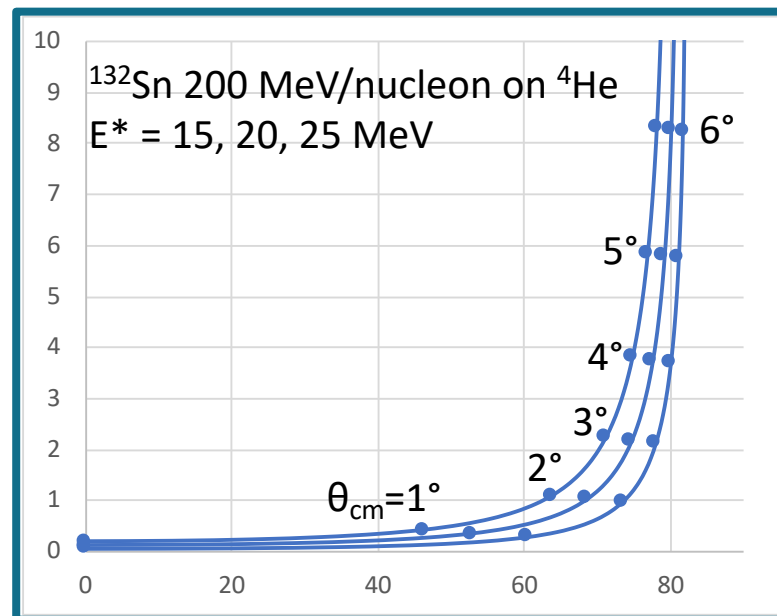
- $\epsilon_x = \epsilon_y = 40 \pi$  mm mrad
- $\phi_x = \pm 40$  mrad
- $\phi_y = \pm 20$  mrad
- $\Delta p/p = \pm 2.5\%$
- $B\rho_{\text{max}} = 20$  Tm
- $R_{\text{ion}} = 1,500$

CDR of Super-FRS  
(Nov 2016)



# Active target in NUSTAR?

- Elongated geometry (1m?)
- Track reconstruction in gas
- Particle angles from tracks
- Particle energy from ancillary detectors
- Decay particles at forward angles





# Summary

## Collective modes (still) very important for nuclear research and beyond

- GRs: constraints on density functionals
- IS-GRs (compression modes): related to incompressibility and Equation of State of nuclear matter  
→ nuclear physics, astrophysics implications
- Soft modes not well understood:  
Neutron skin?  
Nature of excitations?

## Opportunities at NUSTAR/FAIR

- Maximum energy  $\approx 200$  MeV/nucleon
- Location at Super-FRS, Low-Energy Branch...
- High luminosity, complete kinematic reconstruction