Strange hadron production at SIS energies (in UrQMD)

Jan Steinheimer



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G. Agakishiev *et al.* [HADES Collaboration], Eur. Phys. J. A **52**, no. 6, 178 (2016)

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How we know what we know

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- Example I: The particle yields can be described by a thermal fit \rightarrow The system must reach chemial equilibrium.
- Example II: Transport simulations with "All" potentials best describe Kaon yields → their values for the Koan potential must be right

J. Adamczewski-Musch et al. [HADES Collaboration], arXiv:1812.07304 [nucl-ex].



P. Gasik *et al.* [FOPI Collaboration], arXiv:1512.06988 [nucl-ex]. J. Adamczewski-Musch *et al.* [HADES Collaboration], arXiv:1812.07304 [nucl-ex].



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- Example I: The particle yields can be described by a thermal fit \rightarrow The system must reach chemial equilibrium.
- Example II: Transport simulations with "All" potentials best describe Kaon yields → their values for the Koan potential must be right
- $\bullet~$ Example III: K^+ and K^- production seems correlated \rightarrow Strangeness exchange is the main source of K^-

UrQMD

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• We will use it in cascade mode.



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- Particles follow a straight line until they scatter.



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- Particles follow a straight line until they scatter.
- No long range interactions like potentials.



Nuclear Potentials in UrQMD

- Long range interaction between electric charges described by Coulomb potential.
- Yukawa potential for two particle interaction.
- The stiffness of the EoS is detremined by the density dependent Skyrme potential:

$$V_{Sk} = \alpha \cdot \left(\frac{\rho_{int}}{\rho_0}\right) + \beta \cdot \left(\frac{\rho_{int}}{\rho_0}\right)^{\gamma}$$

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- NO momentum dependent potentials.
- NO hyperon potentials.
- NO isospin dependent potentials.
- NO kaon potentials.

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- Resonance decays according to PDG values + guesstimates.
- Detailed balance. (Violated in string excitations, annihilations and some dacays)

Strange particle production goes ONLY via

Resonance excitation:

- $N+N \rightarrow X$
- $N+M \rightarrow X$
- $M+M \rightarrow X$

Relevant channels:

- $NN \to N\Delta_{1232}$
- $2 NN \to NN^*$
- $\bigcirc NN \to N\Delta^*$
- $NN \to \Delta_{1232} \Delta_{1232}$
- $NN \to \Delta_{1232}N^*$
- $NN \to \Delta_{1232} \Delta^*$
- $\bigcirc NN \to R^*R^*$

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N*(1650)	$\Delta(1232)$
N*(1710)	$\Delta(1600)$
N*(1720)	$\Delta(1620)$
N*(1875)	$\Delta(1700)$
N*(1900)	$\Delta(1900)$
N*(1990)	$\Delta(1905)$
N*(2080)	$\Delta(1910)$
N*(2190)	$\Delta(1920)$
N*(2220)	$\Delta(1930)$
N*(2250)	$\Delta(1950)$
N*(2600)	$\Delta(2440)$
N*(2700)	$\Delta(2750)$
N*(3100)	$\Delta(2950)$
N*(3500)	$\Delta(3300)$
N*(3800)	$\Delta(3500)$
N*(4200)	$\Delta(4200)$



N+N Cross section

$$\sigma_{1,2\to3,4}(\sqrt{s}) \propto (2S_3+1)(2S_4+1)\frac{\langle p_{3,4}\rangle}{\langle p_{1,2}\rangle} |M(m3,m4)|^2$$

with

$$|M(m3, m4)|^2 = \frac{A}{(m_4 - m_3)^2(m_4 + m_3)^2}$$

Strangeness exchange reactions

In addition Strange hadrons may be created in strangeness exchange reactions.



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- As Kaon+anti-Kaon pair in a string. (not relevant at is beam energy!)
- From a Y* decay: $Y^* \rightarrow B + K^-$ Need to produce heavy hyperon first!
- From a N* decay: N* \rightarrow B + M \rightarrow B + K⁻ + K⁺
- Where M could be a ϕ or other meson (e.g. a_0 , f_0).

equilibrium in an non-equilibrium Model

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- At SIS18 energies the dominant process for resonance creation is $B+B \rightarrow B+B$.
- As a test case we will study the Ar+KCl at $E_{lab} = 1.76$ A GeV.
- Shown is the average number of total scatterings per participant as function of time. It is < 2!!



Equilibrium in an non-equilibrium Model?



So how can we accumulate enough energy to go above the threshold

- Let us compare the available energy per collision $\sqrt{s} m_N$, for two different centralities.
- Central system more rescatterings, peripheral system less rescatterings

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- Let us compare the available energy per collision $\sqrt{s} m_N$, for two different centralities.
- Central system more rescatterings, peripheral system less rescatterings
- Already less then two rescatterings create a tail of high mass states with enough energy.

Looking at the time dependence of particle multiplicity we can learn something about the production mechanisms.



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- K⁻ is delayed due to resonance production and gets reduced at late time due to exchange reactions.
- Pions mostly 'hidden' in resonances

Check for equilibrium the 'standard' way

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- Take the time depended hadron multiplicities after decays and fit them with a thermal model
- We can extract T, μ_B , γ_s or R_{CS} and $\chi^2/d.o.f$.



Result: The fit works well and the extracted thermal parameters correspond to the values obtained from a coarse-grained study assuming local equilibrium. J. Steinheimer, M. Lorenz, F. Becattini, R. Stock and M. Bleicher, Phys. Rev. C **93**, no. 6, 064908 (2016)

Motivation

Recent measurements on near and below threshold production.



ϕ production

HADES and FOPI reported unexpected large ϕ contribution to the K^- yield.

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Recent measurements on near and below threshold production.



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UrQMD does not have a channel for ϕ production at low beam energies. Doesn't man that is does not exist \rightarrow Use resonances.

G. Agakishiev et al. [HADES Collaboration], Phys. Rev. C 80, 025209 (2009)

Fixing the $N^* \rightarrow \phi + N$ decay with p+p data

We use ANKE data on the ϕ production cross section to fix the $N^* \to N + \phi$ branching fraction.



Y. Maeda *et al.* [ANKE Collaboration], Phys. Rev. C **77**, 015204 (2008) [arXiv:0710.1755 [nucl-ex]].

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- Qualitative behavior nicely reproduced
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- Qualitative behavior nicely reproduced
- Predicted maximum at 1.25 A GeV
- High energies: too low due to string production
- HADES results for 1.23 A GeV.

Note

As we will see later ${\rm K}^-$ production in UrQMD is to large. ϕ/K^- still within the errors.

Using UrQMD we can calculate the centrality dependence of strange particle yields at ${\sf E}_{\rm lab}=1.23$ A GeV.



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• Fitting the increase with A_{part} as $N_H \propto A_{part}^{\alpha}$: $\alpha = 1.55$

- When changing the branching ratios, α remains the same
- Including (nuclear) potentials changes the A_{part} dependence, $\alpha \approx 1.25$.

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Direct Comparison with data



• The standard cascade version overestimates strangeness production.

- The potential version works better, still peripheral are overestimated
- $\bullet~{\rm For}~A_{part}\approx 50$ the potentials are not important
 - \rightarrow this is where to gauge the parameters!

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• The K⁻ to K⁺ ratio is about 50% to large.

- Can be changed by decreasing the K⁻ production.
- What about the ϕ to K⁻ then?
- The data can accommodate a 50% increase of ϕ to K⁻!

Spectra shapes from resonances

Ratio [%]	$\Gamma_{\Lambda K}/\Gamma_{tot}$		$\Gamma_{\Sigma K}/\Gamma_{tot}$	
Resonance	I		I	
N*(1650)	7	7	2	2
N*(1710)	10	10	3	3
N*(1720)	10	10	2	2
N*(1900)	2	2	0	0
N*(1990)	3	3	0	0
N*(2080)	12	0	0	0
N*(2190)	12	0	0	0
N*(2220)	12	0	0	0
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$\Delta(1950)$	0	0	12	0

Unknown resonance branching ratios also accommodate for Kaon spectra.



ground for single meson channels.

- Strangeness production at the SIS energy regime is still not fully understood.
- A pseudo chemically equilibrated system can be created from resonance decays alone.
- To understand the effects of potential interaction a more systematic study of centrality dependence is necessary.
- PDG hadron properties have large uncertainties A more general approach to branching ratios should be useful.

Detailed balance \rightarrow absorption cross section

$$\frac{d\sigma_{b\to a}}{d\Omega} = \frac{\left\langle p_a^2 \right\rangle}{\left\langle p_b^2 \right\rangle} \frac{(2S_1 + 1)(2S_2 + 1)}{(2S_3 + 1)(2S_4 + 1)} \sum_{J=J_-}^{J_+} \frac{\left\langle j_1 m_1 j_2 m_2 \right| |JM \right\rangle^2}{\left\langle j_3 m_3 j_4 m_4 \right| |JM \right\rangle^2} \frac{d\sigma_{a \to b}}{d\Omega}$$

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$$N^* + N \to N'^* + N'^*$$

where the mass of $N^{\prime *} < N *$ so no ϕ can be produced.



Even centrality dependence works well:



Data from: K. Piasecki et al., arXiv:1602.04378 [nucl-ex].

Even centrality dependence works well:



- Centrality dependence nicely reproduced.
- Good indicator for multi step production.

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Kaon Potentials

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- K^-/K^+ ratio as function of Kaon energy.
- With and without the ϕ the ratio is much closer to the data already as in a comparable study with K^- potential.

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UrQMD results

- K^-/K^+ ratio as function of Kaon energy.
- With and without the ϕ the ratio is much closer to the data already as in a comparable study with K^- potential.
- Can we make robust quantitative statements?