Imaging Charge Correlations

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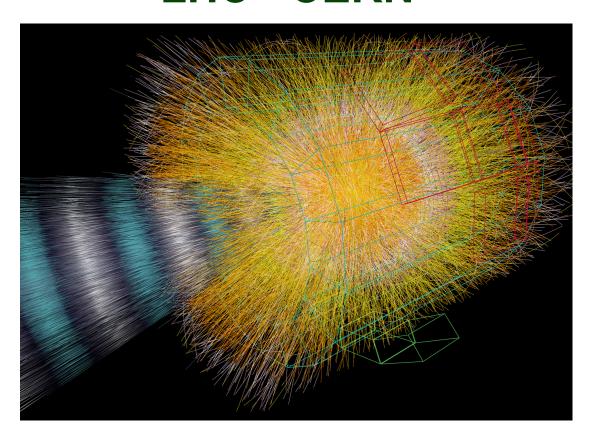


Relativistic Heavy-Ion Collisions

RHIC - Brookhaven



LHC - CERN



Mission: Determine properties of Quark-Gluon Plasma

Goal

From measured correlation in momentum space

$$B_{hh'}(\Delta y) = \frac{<(n_h(0) - n_{\bar{h}}(0))(n_{h'}(\Delta y) - n_{\bar{h}'}(\Delta y))>}{\bar{n}_h + \bar{n}_{\bar{h}}}$$

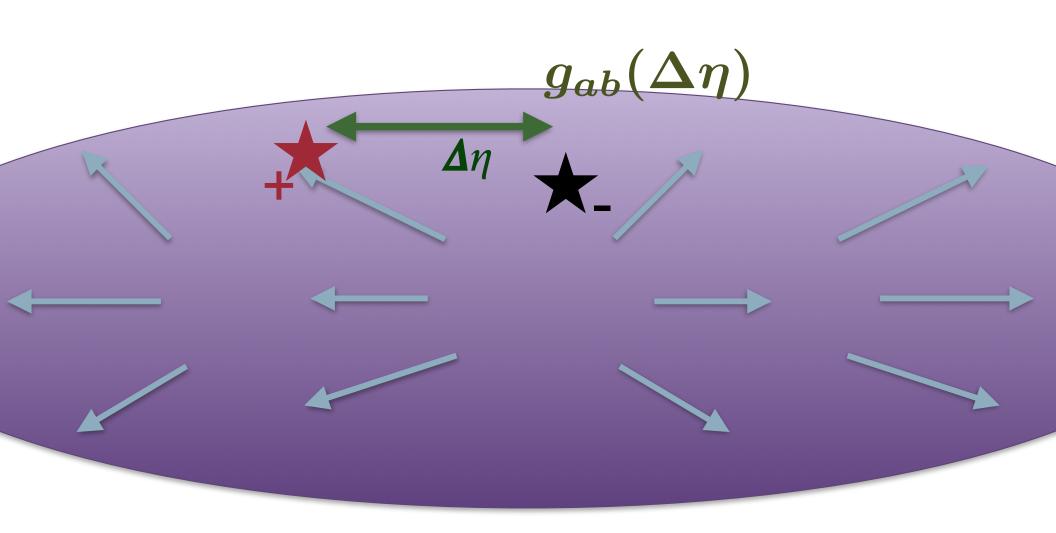
Hadron species

Determine charge correlations in coordinate space

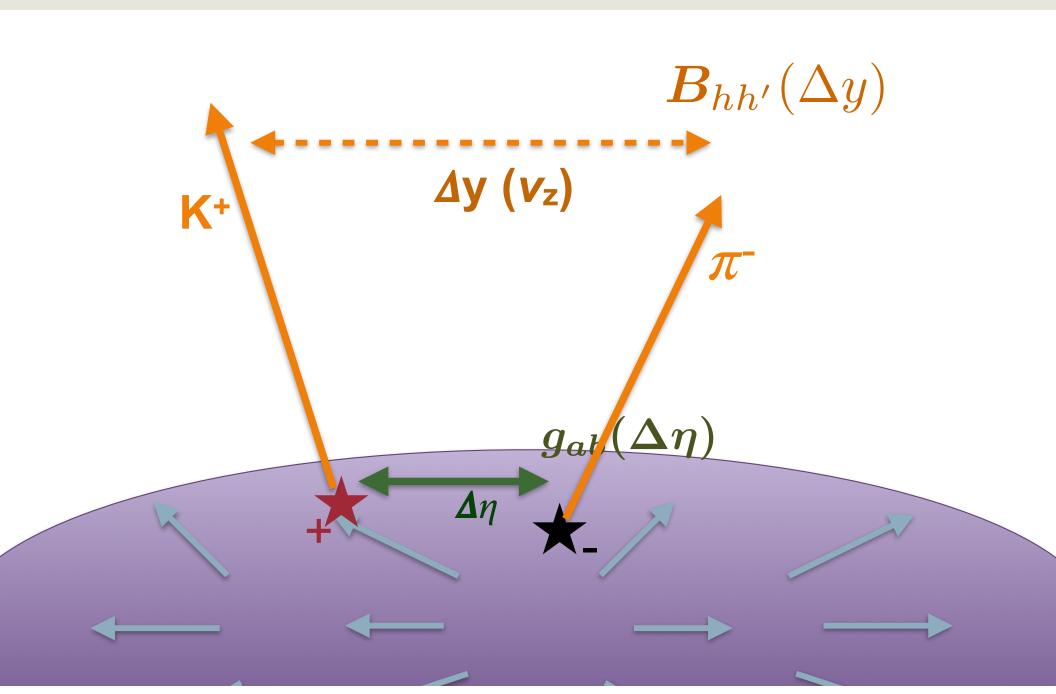
$$g_{ab}(\Delta\eta) = \langle \Delta\rho_a(0)\Delta\rho_b(\Delta\eta) \rangle$$
 Charge (uds)

Shape of g_{ab} tells us when charges were produced early production \rightarrow wider spread in g_{ab}

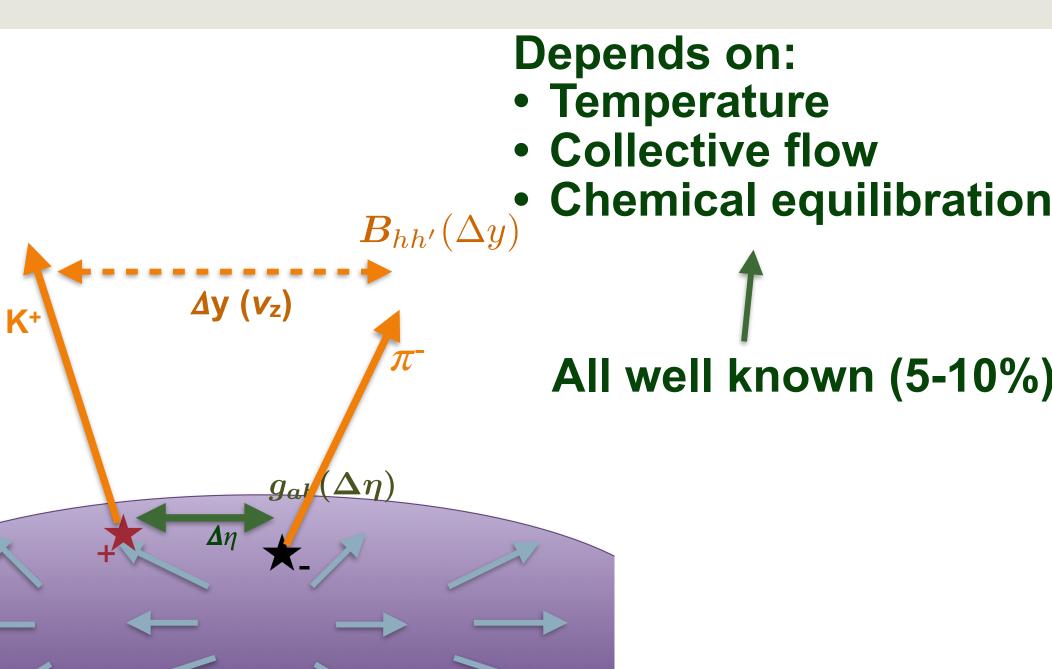
Visually



Visually



Mapping Blast-Wave Model to Bhh'



Inverse/Imaging Problem

1. MODEL

$$g'_{ab}(\Delta \eta) \rightarrow B_{hh'}(\Delta y)$$

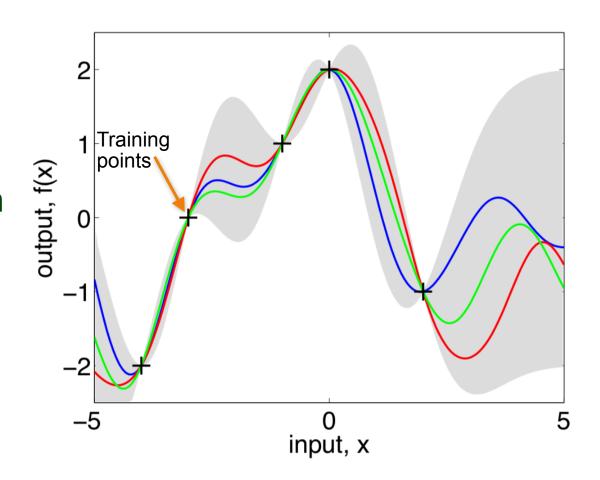
2. Parameterize

$$g_{ab}(\Delta \eta) = \frac{A_0}{\cosh(\Delta \eta/\Gamma)} + \frac{A_1}{\cosh^2(\Delta \eta/\Gamma)} + \frac{A_2}{\cosh^3(\Delta \eta/\Gamma)} + \frac{A_3}{\cosh^4(\Delta \eta/\Gamma)} + \frac{A_4}{\cosh^5(\Delta \eta/\Gamma)}$$

3. Determine parameters by MCMC fit to data

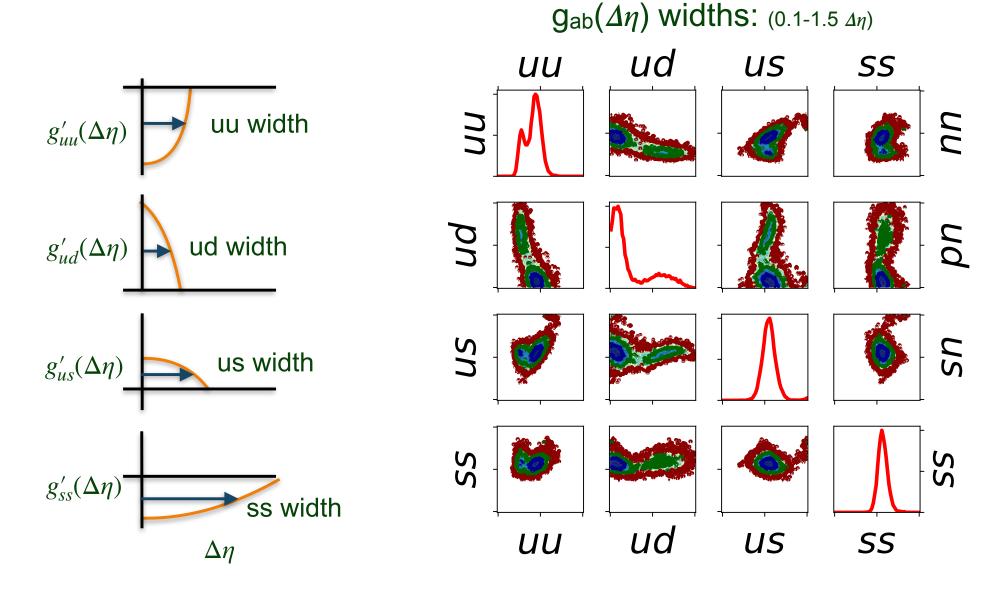
Gaussian Process Emulator

- Increases speed
- Few days → few hours
- Enables more thorough investigation

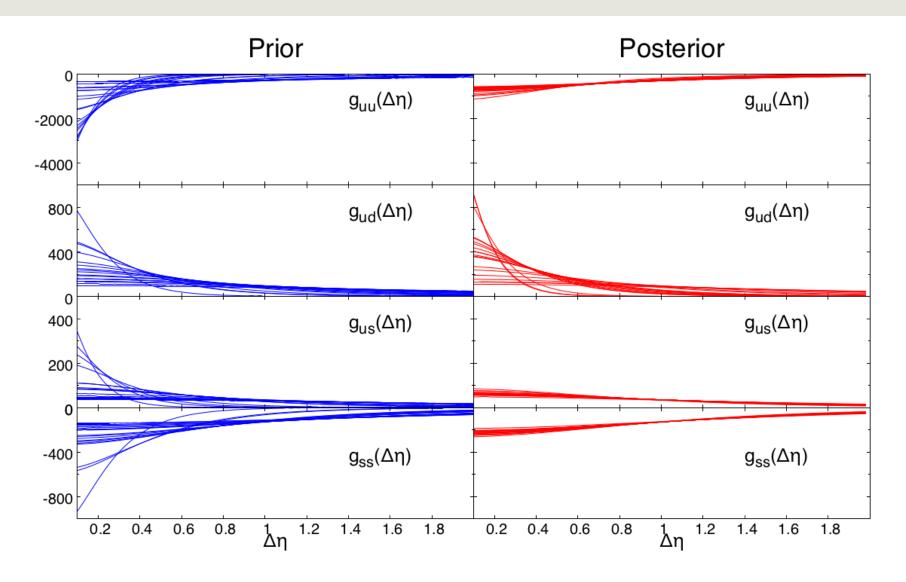


C. Rasmussen & C. Williams, Gaussian Processes for Machine Learning, the MIT Press, 2006

Preliminary Results (4 parameters)- MCMC

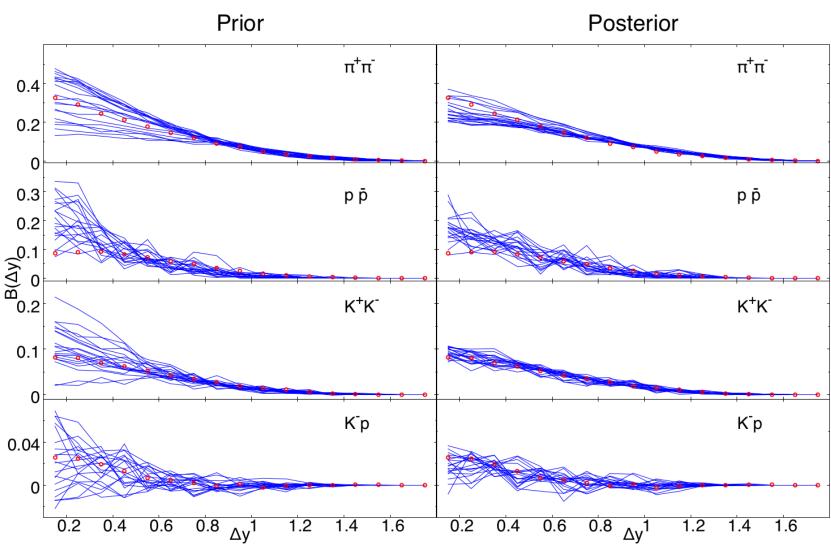


Preliminary Results - Charge Correlation



Suggests strangeness produced early, up/down produced continuously

Preliminary Results (4 parameters)



Model runs represented by blue lines, STAR data by red circles (G. Westfall, MSU).

0-5% Au+Au 100 GeV

Where we are headed

- Increase parameters (Currently trying 16)
- Understand uncertainties
 - correlated errors
 - sensitivity to representation (Hermite polynomials....)
 - model uncertainties
- Analyze RHIC and LHC data
- Compare to detailed model based on chemical equilibrium