# Machine Learning For Particle Identification

05.June.2018 | Waleed Esmail

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### Outlines:

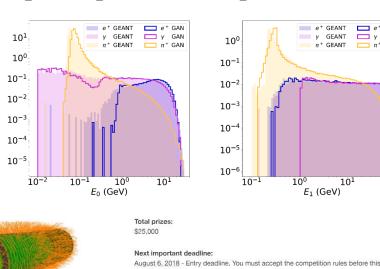
- ➤ Whetting Your Appetite.
- ➤ Introduction to Machine Learning.
- ➤ Motivating the Key Concepts.
- ➤ Boosted Decision Trees.
- Artificial Neural Networks.
- ► Integration to PandaRoot.
- Conclusion.

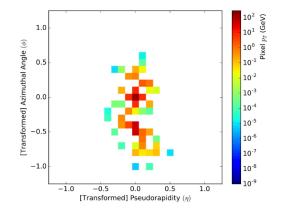


# Whetting your Appetite:

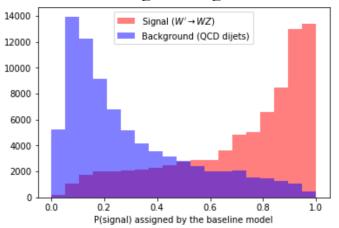
- Why Multivariate Analysis (Machine Learning Techniques)?
  - Classification (Higgs discovery).
  - Clustering (Tracking).
  - Pattern Recognition (Tracking and Jet Images).
  - Generative Learning GAN (Simulation "GeantV").

### speed-up factors of up to 100,000x





#### Jet Image using CNN.





# Introduction to Machine Learning:

- Machine Learning (ML) is about modeling your data.
- Developing *self-learning* algorithms to gain knowledge from data in order to make predictions.
- There are *three* types of ML *algorithms*:

#### **Supervised Learning:** 1.

- Learn a model from labeled training data.
- Classification (discrete labels), and Regression (continuous response variable).

#### **Unsupervised Learning:** 2.

- We deal with unlabeled data to explore its structure.
- Clustering (subgrouping), and Dimensionality Reduction (feature preprocessing.)

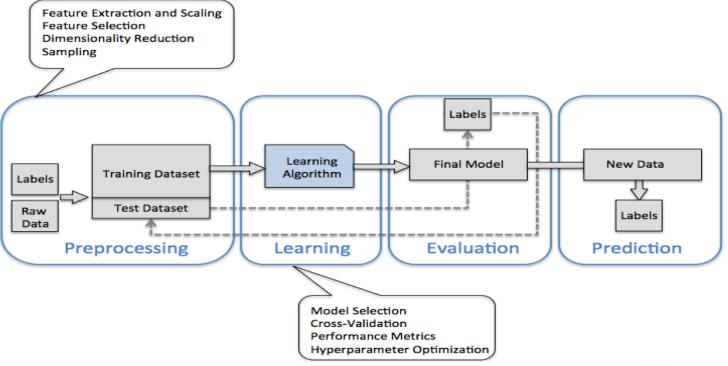
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#### Reinforcement learning: 3.

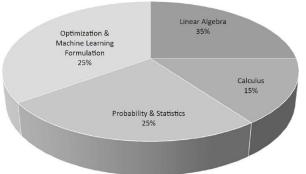
• Develop a system (agent) to improve performance via reward maximization.



# Introduction to Machine Learning:



Strong grasp of the core concepts of mathematics enables one to *select the right algorithm*, Also, it enables one to *tune* machine-learning/deep-learning models better.





A simple regression problem.

• We observe a real-valued input variable (x), and we wish to **predict** the value of a real-

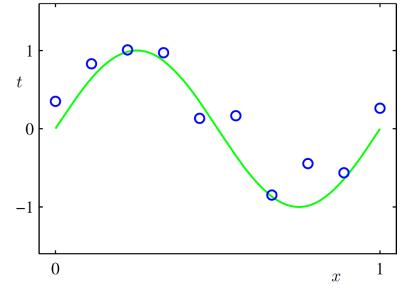
valued target variable (t).

• The *green* curve shows the function  $\sin(2\pi x)$  used to generate the data.

• The *blue* points are obtained by adding Gaussian noise.

• Fit the data using a *polynomial* function:

$$y(x, \mathbf{w}) = w_0 + w_1 x + w_2 x^2 + \ldots + w_M x^M = \sum_{j=0}^M w_j x^j$$



- Polynomial degree M (model selection).
- Weights can be determined by fitting polynomial to the training data, by minimizing an error function.



• One common choice is the *root-mean-square*.

$$E_{\text{RMS}} = \sqrt{2E(\mathbf{w})/N}$$

$$E(\mathbf{w}) = \frac{1}{2} \sum_{n=1}^{N} \{y(x_n, \mathbf{w}) - t_n\}^2$$

$$\begin{bmatrix} y(x_n, \mathbf{w}) - t_n \\ y(x_n, \mathbf{w}) - t_n \end{bmatrix}^2$$

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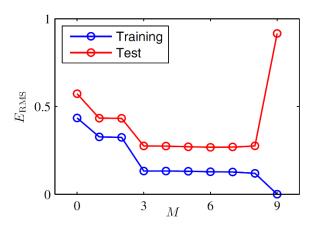


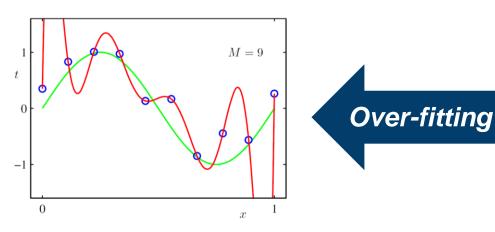
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• One common choice is the *root-mean-square*.

$$E_{\text{RMS}} = \sqrt{2E(\mathbf{w})/N}$$

$$E(\mathbf{w}) = \frac{1}{2} \sum_{n=1}^{N} \{y(x_n, \mathbf{w}) - t_n\}^2$$





• But how the weights of the model can be computed. *Probability* theory comes to rescue.



• Given (x), assume that the target variable (t) has a Gaussian distribution:

$$p(t|x, \mathbf{w}, \beta) = \mathcal{N}\left(t|y(x, \mathbf{w}), \beta^{-1}\right)$$
  $\beta^{-1} = \sigma^2$ 

• Determine the unknown parameters by *maximum likelihood method*.

$$p(\mathbf{t}|\mathbf{x}, \mathbf{w}, \beta) = \prod_{n=1}^{N} \mathcal{N}\left(t_n|y(x_n, \mathbf{w}), \beta^{-1}\right)$$

$$\ln p(\mathbf{t}|\mathbf{x}, \mathbf{w}, \beta) = -\frac{\beta}{2} \sum_{n=1}^{N} \left\{ y(x_n, \mathbf{w}) - t_n \right\}^2 + \frac{N}{2} \ln \beta - \frac{N}{2} \ln(2\pi)$$

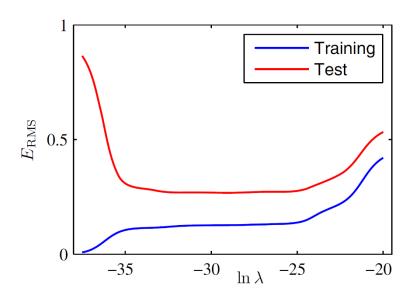
- By maximizing with respect to (w), we obtain the desired solution  $(w_{ML})$ .
- Finally make new predictions.



- Back to over-fitting issue, one technique to control it is called regularization.
- Regularization involves adding *penalty term* to the error function.

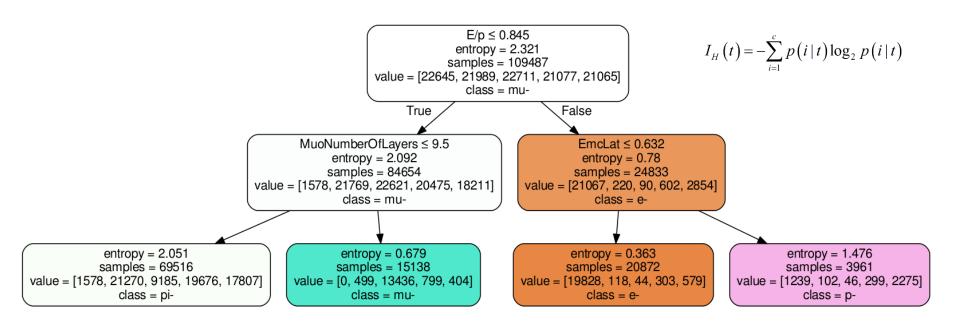
$$\widetilde{E}(\mathbf{w}) = \frac{1}{2} \sum_{n=1}^{N} \{y(x_n, \mathbf{w}) - t_n\}^2 + \frac{\lambda}{2} ||\mathbf{w}||^2$$

•  $\lambda$  governs the relative importance of the regularization term compared to the error term.





- Idea: **break down the data** by making decisions based on the features in the training set.
- The splitting is done by maximizing the **Information Gain**  $IG(D_p, f) = I(D_p) \sum_{j=1}^{m} \frac{N_j}{N_p} I(D_j)$
- **BDT** is an **ensemble method**. The key concept behind **boosting** is to focus on training samples that are hard to classify.





• Two event generators are used for training.

#### 1. BoxGenerator:

- momentum range: (0.2 5) GeV.
- **phi range**: 0 360°.
- theta range: 0 180°.
- particle species:  $[e^{\mp}, \pi^{\mp}, \mu^{\mp}, k^{\mp}, p^{\mp}]$ . One particle per event.

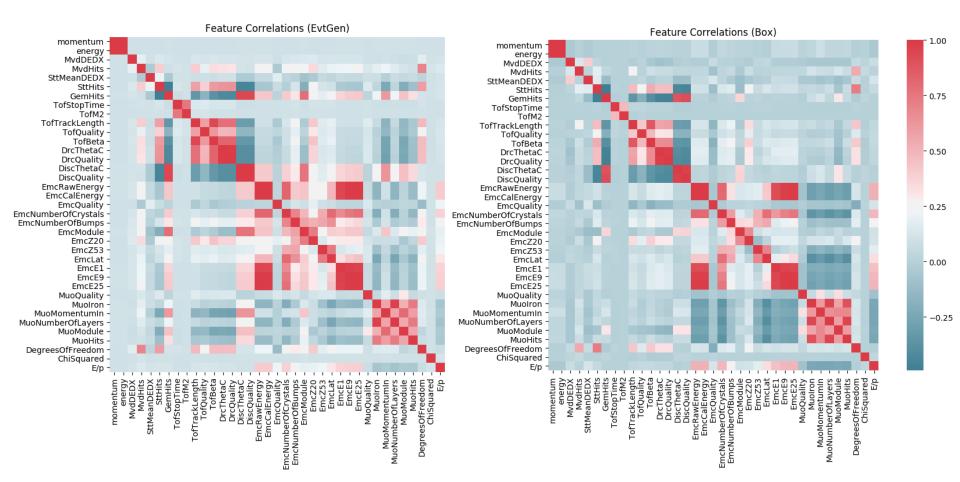
#### 2. EvtGen:

- $p\bar{p} \rightarrow X\bar{X}Y\bar{Y}$ , where X, and Y =  $e^{\mp}$ ,  $\pi^{\mp}$ ,  $\mu^{\mp}$ ,  $k^{\mp}$ ,  $p^{\mp}$
- Beam momentum: 15 GeV/c.

Particles are matched to their MC truth information.



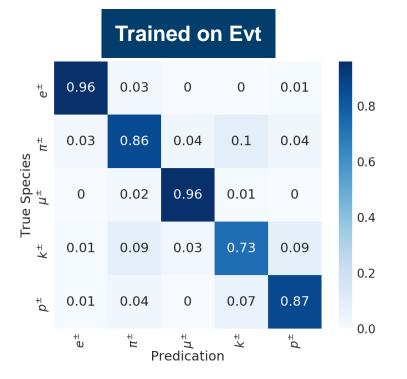
• Input Features:

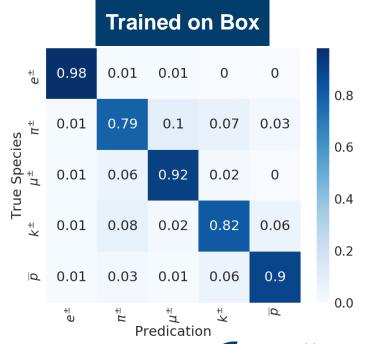




• Data are organized into python *DataFrame*. Data was splitted into **training** (70%) and **testing** (30%) sets.

+		++-				+			++
energy	momentum	charge	position	MvdHits	GemHits	SttHits	TofStopTime	TofTrackLength	EmcCalEnergy
++		++-							+ <b>-</b>
1.45992	2.1119	-1 1	1.53556E-4	3	Θ	26	0.0	0.0	0.250083
4.14557	17.1663	-1 6	5.65813E-6	5	0	17	3.95565	117.048	0.991413
3.51102	12.3078	-1 6	0.00648225	1	0	24	0.0	0.0	2.21215
3.45948	11.9486	-1	5.4671E-6	4	Θ	22	2.89786	86.4262	0.29421
4.78585	22.8849	j -1 €	5.36045E-5	3	Θ [	26	0.0	0.0	2.62603
÷		·							·

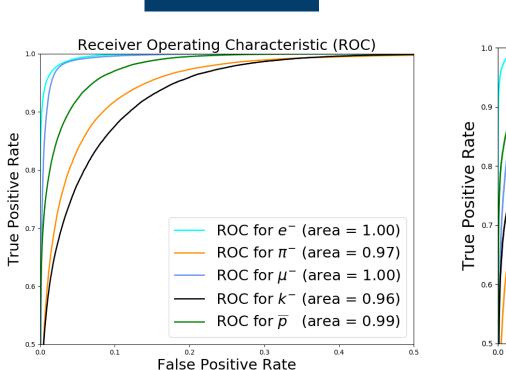




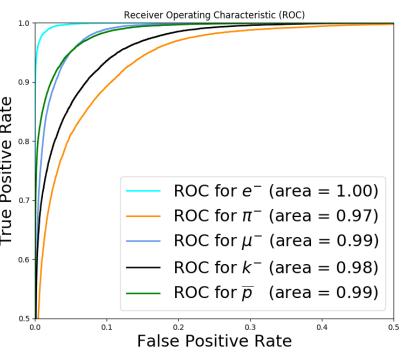


### 1. Receiver Operating Characteristic (ROC).

Trained on Evt



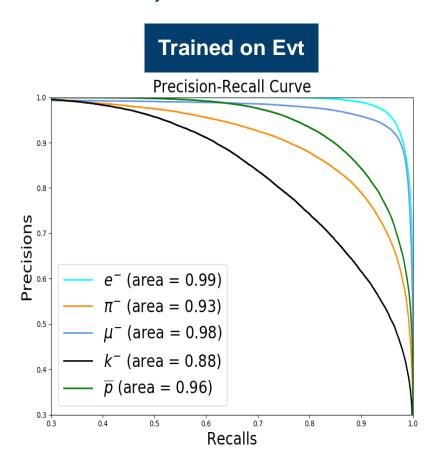
#### **Trained on Box**

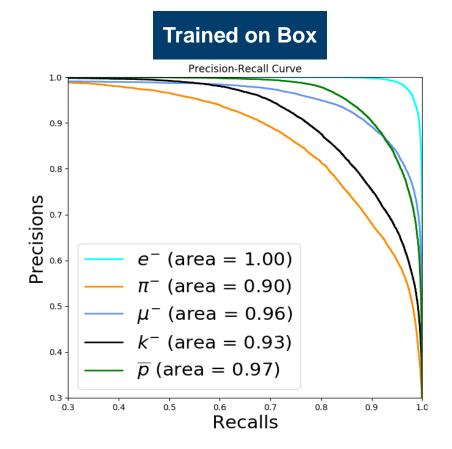


True Positives (TP) & True Negatives (TN). False Positives (FP) & False Negatives (FN).



### 2. Precision, and Recall.



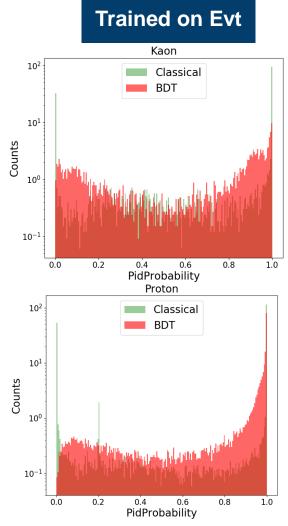


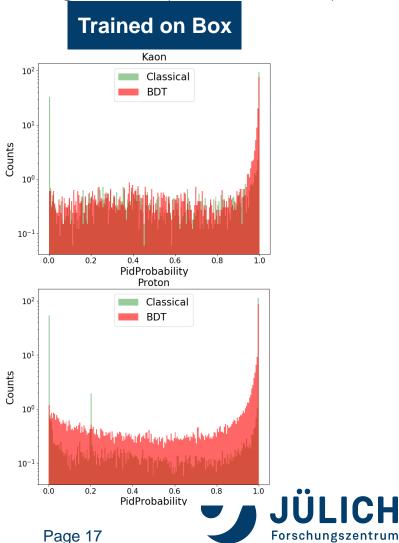
recall = 
$$\frac{TP}{TP + FN}$$
 precision =  $\frac{TP}{TP + FP}$ 



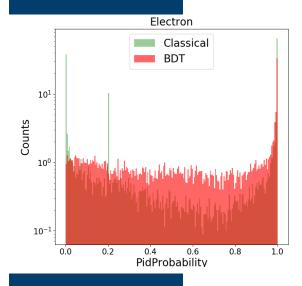
#### Particle Identification (PID) Probabilities.

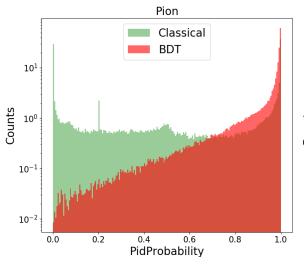
We tested the trained algorithm on data generated by **DPM generator** (elastic + inelastic).

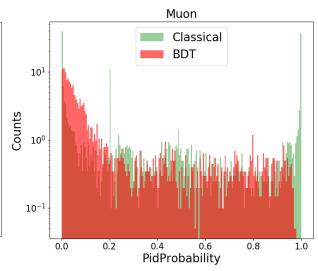




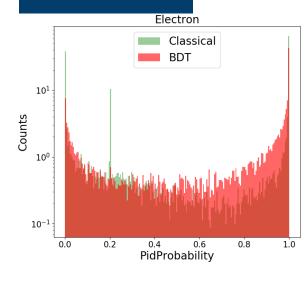
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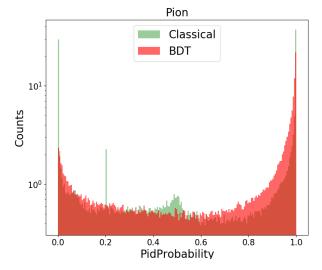


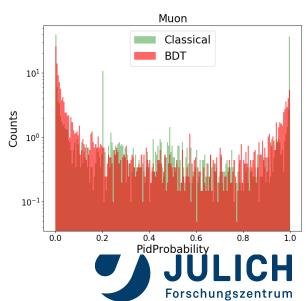




### **Trained on Box**







Mitglied der Helmholtz-Gemeinschaft

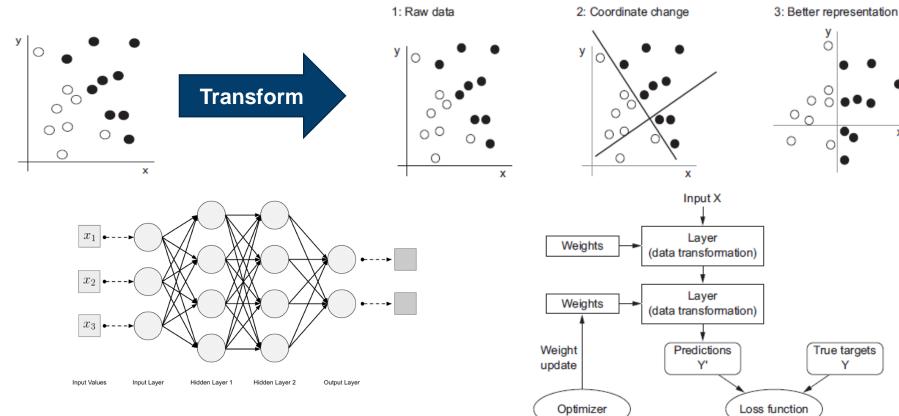
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### **Deep Learning:**

### Artificial Neural Networks (ANN):

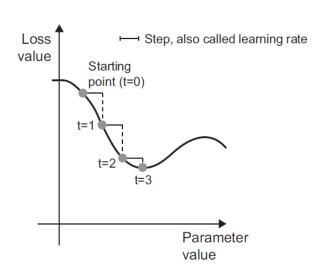
Neural Networks is about meaningfully transform the data.

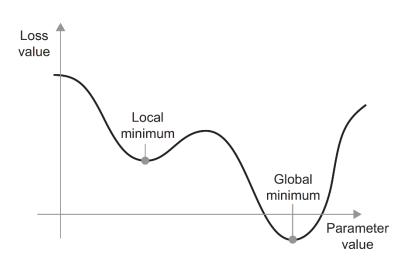


- Training loop of DNN:
  - *Input data*, parameterize by *weights* (transform the data), predict and compute the *loss score*, and update (epochs).

Loss score

True targets

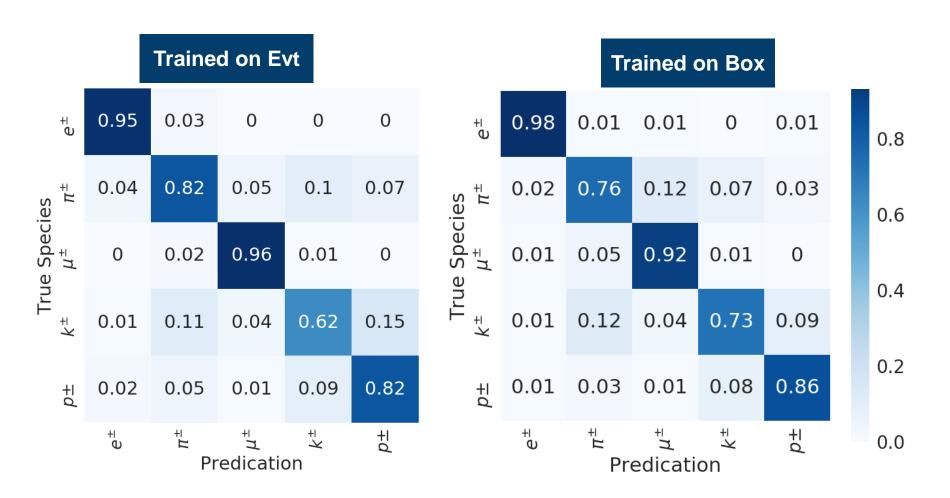




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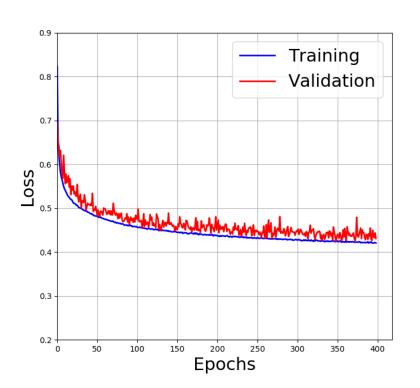
- The update step is guided by *minimizing the loss function* by calculating its gradient.
- Model parameters (weights) are updated through back-propagation algorithm.
- *Keras* Python Package was used.
- Keras is built on top of *tensor-flow*, and can run on GPUs.
- Deep net with *6 hidden layers*, about  $\sim 50,000$  trainable parameters.
- *L2 regularization* is used to avoid *overfitting*.



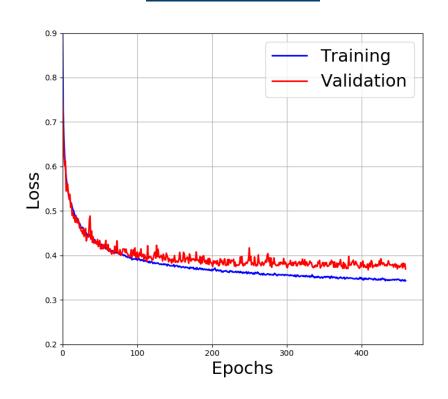




### **Trained on Evt**



#### **Trained on Box**

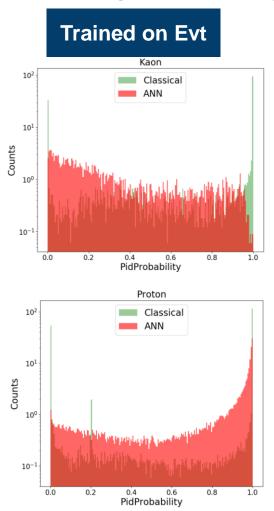


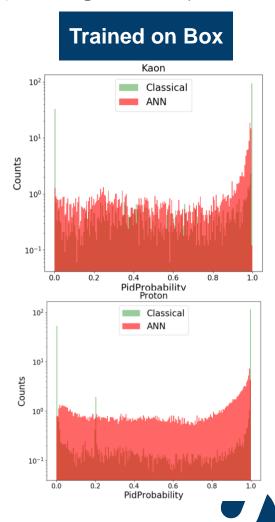


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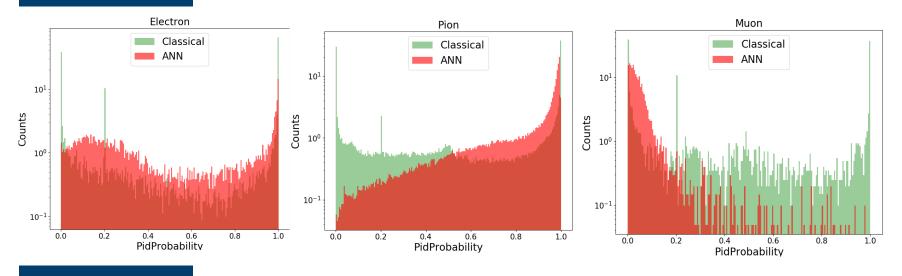
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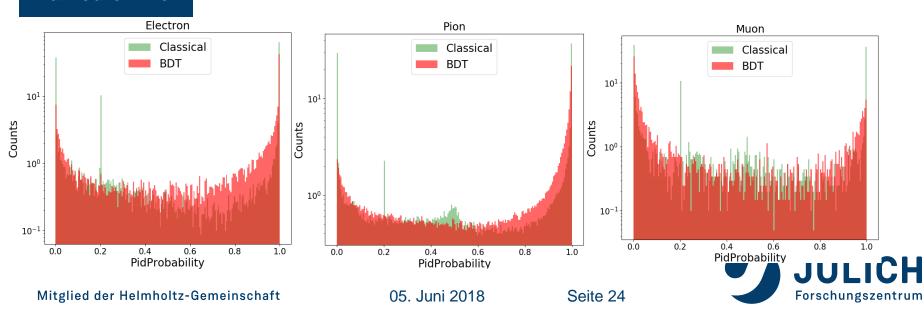




### **Trained on Evt**



### **Trained on Box**



### **Integration to PandaRoot:**

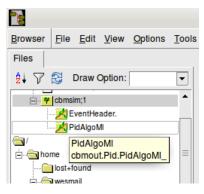
```
In [1]: from sklearn.externals import joblib
    clf = joblib.load('savedRF.pkl')

In [5]: entry_to_predict_on = s_df.iloc[:,0:-1]
    particles = clf.predict_proba(entry_to_predict_on)
    List = ['e-','pi-','mu-','k-','p-']
    particles = pd.DataFrame(particles, columns=List)
    particles['event'] = s_df.loc[:,'events']
```

#### **Associator Task**

PndPidMlAssociatorTask







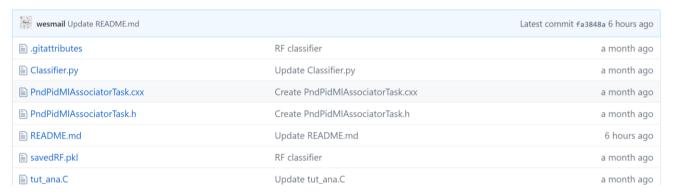
### **Integration to PandaRoot:**

```
FairRunAna* fRun = new FairRunAna();
               FairRuntimeDb* rtdb = fRun->GetRuntimeDb();
               fRun->SetInputFile(inPidFile);
               fRun->AddFriend("signal ml.root");
theAnalysis->FillList(muplus, "MuonTightPlus", "PidAlgoMl");
theAnalysis->FillList(muminus, "MuonTightMinus", "PidAlgoMl");
theAnalysis->FillList(piplus, "PionLoosePlus", "PidAlgoMl");
theAnalysis->FillList(piminus, "PionLooseMinus", "PidAlgoMl");
```



### Integration to PandaRoot:

- <a href="https://github.com/wesmail/MLPID\_For\_PANDARoot">https://github.com/wesmail/MLPID\_For\_PANDARoot</a>
- https://pandaatfair.githost.io/WEsmail/PandaRoot



To be able to use this code you have to be sure that Python interpreter is installed on your machine. If you do not have Python, Please navigate to Python website https://www.python.org/. It is preferable to install Python2 since we are using ROOT, and usually Python3 with ROOT have a lot of problems. 1. Having Python2 installed we can now install the necessary Python modules. The required packages are: · ROOT (Python bindings of ROOT https://root.cern.ch/building-root). o jupyter (optional) scipy o numpy root numpy pandas matplotlib · tensorflow (for deep learning) · tensorboard (for deep learning) keras (for deep learning) to install any of these modules use pip, e.g. pip install invthon. If you do not know the exact name of the module use pip search and to narrow the search use grep with pip, e.g pip search numpy | grep numpy. 2. The second step is to copy these two files PndPidMlAssociatorTask.cxx and PndPidMlAssociatorTask.h to: yourPandaRootDirectory/source/pid/PidClassifier/ . Then open CMakeLists.txt and add the following lines: PidClassifier/PndPidMlAssociatorTask.cxx and PidClassifier/PndPidMlAssociatorTask.h You can find easily where to paste these lines. Then open PidLinkDef.h and add the following line: #pragma link C++ class PndPidMlAssociatorTask+: Finally compile PANDARoot again from the build directory



# Available Multivariate packages:

- TMVA (ROOT).
- MLlib Apache Spark.
- Sci-Kit Learn.
- TensorFlow (Deep Learning).
- Keras (Deep Learning).
- PyTorch (Deep Learning).
- DL4J (Deep Learning, Java).
- R Implementations.

• . . .



### Conclusion and outlook:

- Boosted Decision Trees (BDT) showed good performance in classifying charged particles and outperformed the classical PID methods over the specified momentum range.
- *Deep Networks* also showed also good performance in the classifying task (needs more deep investigations).
- Interface between Python and PandaRoot by ZeroMQ.
- Write a release note of what have been done (*in progress* ...).



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### **THANK YOU**



### **BACK UP**



# **Boosting:**

- 1. Draw a random subset of training samples  $d_1$  without replacement from the training set D to train a weak learner  $C_1$ .
- 2. Draw second random training subset  $d_2$  without replacement from the training set and add 50 percent of the samples that were previously misclassified to train a weak learner  $C_2$ .
- 3. Find the training samples  $d_3$  in the training set D on which  $C_1$  and  $C_2$  disagree to train a third weak learner  $C_3$ .
- 4. Combine the weak learners  $C_1$ ,  $C_2$ , and  $C_3$  via majority voting.

