

Screening masses and static quark free energy at non-zero baryon density from Lattice QCD

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Introduction

At high temperatures, the interaction between static color charges can be used to probe the screening effects in the Quark-Gluon Plasma (QGP) which are the basis of interesting phenomenology such as dissociation of heavy quark bound states. In our work we studied the effects of a non-zero baryon chemical potential on the screening masses and on the static quark free energy by means of Lattice QCD simulations on a $N_f=2+1$ theory [*].

Gauge-invariant screening masses

Screening masses of QCD can be extracted from the long-distance behaviour of suitable gauge-invariant correlators of the Polyakov loop L [1,2,3]. At zero chemical potential

$$C_{M^+}(\mathbf{r}, T) = \langle \text{TrRe}L(\mathbf{0})\text{TrRe}L(\mathbf{r}) \rangle - \langle \text{TrRe}L \rangle^2 \sim \exp(-m_M r)/r$$

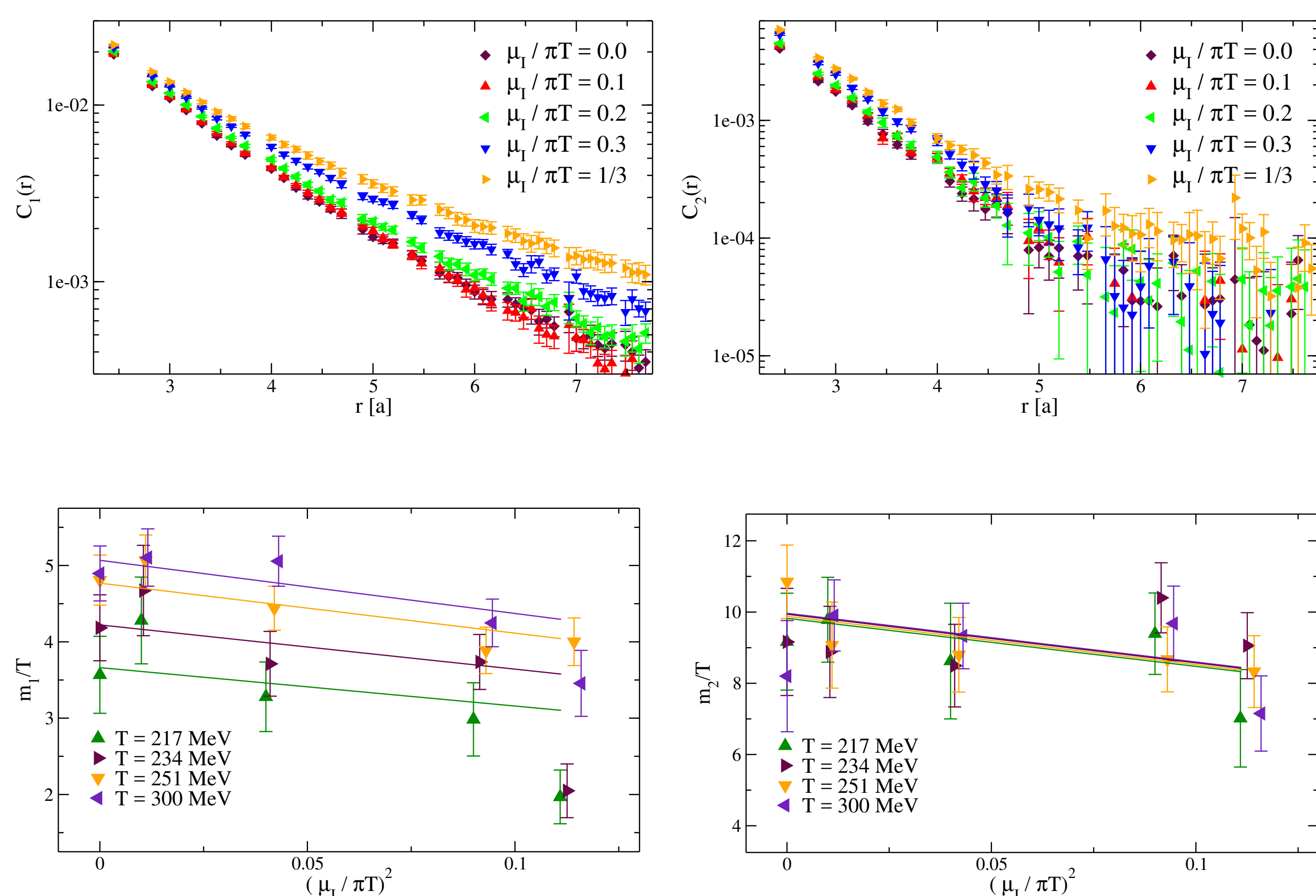
$$C_{E^-}(\mathbf{r}, T) = \langle \text{TrIm}L(\mathbf{0})\text{TrIm}L(\mathbf{r}) \rangle - \langle \text{TrIm}L \rangle^2 \sim \exp(-m_E r)/r$$

belong separately to the chromo-magnetic and -electric sectors. When $\mu_B > 0$, charge-conjugation symmetry is broken and true physical modes are obtained by diagonalizing the matrix

$$\begin{pmatrix} C_{M^+}(\mathbf{r}) & C_X(\mathbf{r}) \\ C_X(\mathbf{r}) & C_{E^-}(\mathbf{r}) \end{pmatrix}$$

where $C_X(\mathbf{r})$ is a mixed correlator. New screening masses m_1 and m_2 are defined from the large r decrease of the eigenvalues $C_{1,2}(\mathbf{r})$ with the ansatz $C_{1,2}(\mathbf{r}) \sim \exp(-m_{1,2}r)/r$.

The correlators obtained on a $32^3 \times 8$ lattice at $T \simeq 217$ MeV and the QCD screening masses for several values of T and μ_l/T are reported



In the range of temperatures and baryon density explored, our data suggests that

- The correlator C_X signals the presence of a mixing at $\mu_B > 0$
- Magnetic and electric correlators mix and share the same long-distance behaviour dominated by the largest mass
- Eigenvalues C_1 and C_2 determine two new well-distinct masses m_1 and m_2
- Masses are described by

$$\frac{m_{1,2}(\mu_B, T)}{T} = a_{1,2}(T) \left[1 + b_{1,2} \left(\frac{\mu_B}{3\pi T} \right)^2 \right]$$

References

- [1] E. Braaten and A. Nieto, Phys. Rev. Lett. 74 3530, (1995)
 - [2] P. Arnold and L. Yaffe, Phys. Rev. D52, 7208 (1995)
 - [3] Y. Maezawa et al. (WHOT-QCD), Phys. Rev. D81, 091501 (2010)
 - [4] S. Borsányi et al., J. High Energy Phys. 04 (2015) 138.
- [*] This work: Phys. Rev. D97, 054515 (2018) [arXiv:1712.09996]

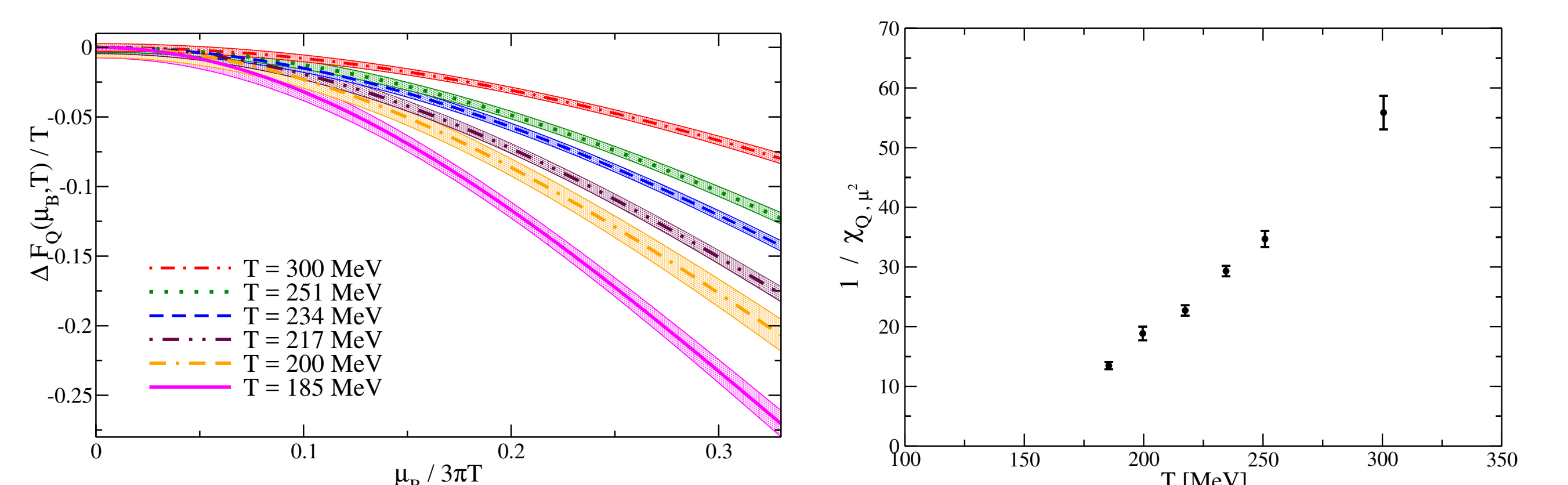
Static quark free energy

The free energy F_Q of an heavy quark in the thermal medium is related to the Polyakov loop L by $F_Q = -T \log |\langle \text{Tr}L \rangle|$ [4]. We computed the renormalized ratio

$$\frac{|\langle \text{Tr}L \rangle(T, \mu_B)|^2}{|\langle \text{Tr}L \rangle(T, 0)|^2} = \exp \left(-2 \frac{\Delta F_Q(T, \mu_B)}{T} \right) = 1 - \chi_{Q, \mu_B^2} \left(\frac{\mu_B}{T} \right)^2 + \mathcal{O}((\mu_B/T)^4)$$

where $\Delta F_Q(T, \mu_B) = F_Q(T, \mu_B) - F_Q(T, 0)$ and extracted the quadratic coefficient χ_{Q, μ_B^2} .

The results of ΔF_Q and the curvature χ_{Q, μ_B^2} obtained on a $32^3 \times 8$ lattice are shown



- The free energy is a decreasing function of μ_B which enhances deconfinement
- In the small baryon density range, the shape is quadratic
- The coefficient χ_{Q, μ_B^2} increases as the critical temperature is reached, signaling the deconfinement

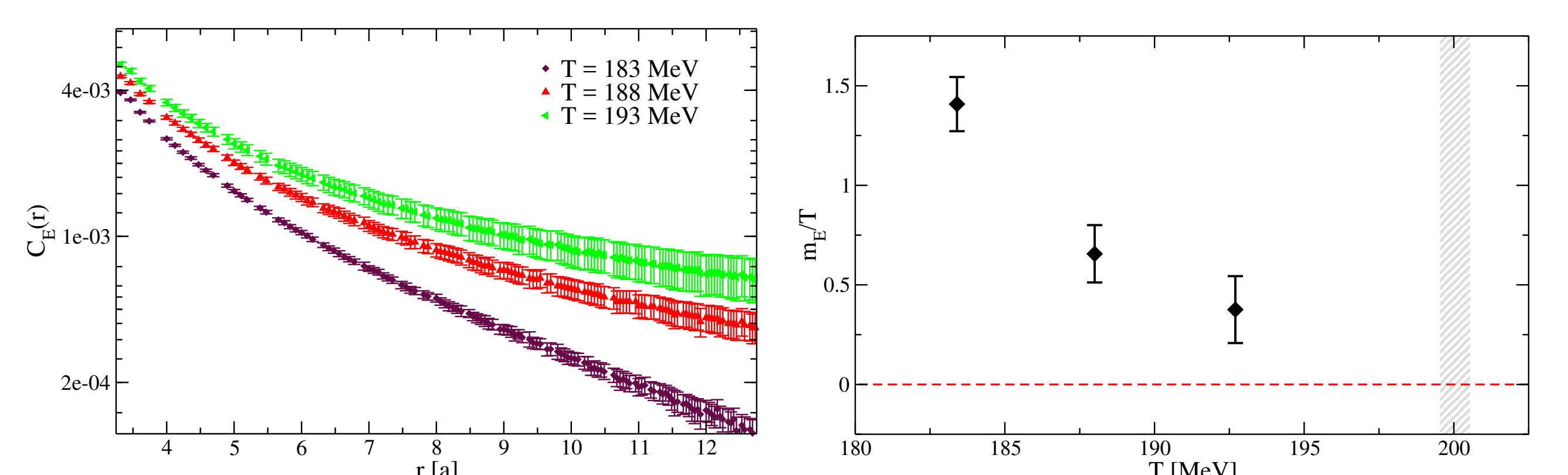
The case of the Roberge-Weiss point

Imaginary chemical potential makes the partition function of the system periodic with period

$$\mu_l/T = \pi(2k+1)/3 \quad k = 0, \pm 1, \dots$$

so that charge-conjugation is recovered at low temperatures but spontaneously broken above $T_{RW} \sim 200$ MeV, the Roberge-Weiss endpoint [*]. In our work we investigated the behaviour of the screening masses near this point.

Color-electric correlator and mass computed on a $40^3 \times 10$ lattice at $\mu_l/T = \pi$ at $T \lesssim T_{RW}$ are shown



- Definitions of color-electric and -magnetic masses are recovered with inverted hierarchy
- Significant growth of C_{E^-} due the Roberge-Weiss transition whose order parameter is $\text{ImTr}L$