

Update on Spin Observable Measurements in $\bar{Y}Y$ Reactions

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GSI



Outline

- Recap on Spin observables
 - Accessible observables
 - Analysis methods
- $\bar{\Lambda}\Lambda$ @ 1.642 GeV/c
 - Acceptance functions
 - Reconstructed Polarisation
- $\Xi\Xi$ @ 4.6 GeV/c
 - Acceptance functions
 - Reconstructed Polarisation
- Outlook

Spin observables in $\bar{p}p \rightarrow \bar{Y}Y$

Spin observables can be used to test theoretical model. Angular distribution related to

$$I \propto \sum_{\mu, \nu=0}^3 \sum_{k, l=0}^3 \bar{\alpha} \alpha \chi_{kl\mu\nu} P_k^B P_l^T \bar{k}_\mu k_\nu$$

With **unpolarised** beam and **unpolarised** target, differential cross section χ_{0000} , polarisation $\chi_{00\mu 0} = P_i$, $\chi_{000\nu} = P_i$ and the spin correlations $\chi_{00\mu\nu} = C_{ij}$ are accessible.

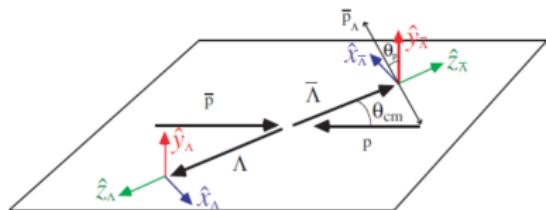
Polarisation

- 3 polarisation parameters for spin- $\frac{1}{2}$ hyperons: P_x, P_y, P_z
- $P_x = P_z = 0$ due to strong production
- $P_y = P_{\bar{y}}$ due to rotational invariance

Spin correlation

- 9 spin correlation parameters for spin- $\frac{1}{2}$ hyperons: $C_{i,j}$
- $C_{xy} = C_{yx} = C_{yz} = C_{zy} = 0$ due to strong production
- $C_{xz} = C_{zx}$ due to rotational invariance

Spin observables in $\bar{p}p \rightarrow \bar{Y}Y$



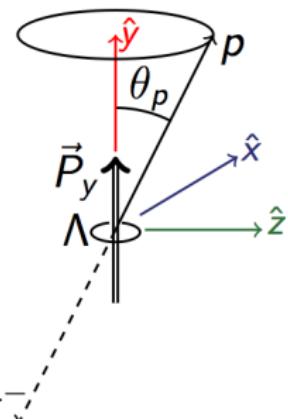
$$\hat{z} = \frac{\vec{p}_\Lambda}{|\vec{p}_\Lambda|}, \hat{y} = \frac{\vec{p}_i \times \vec{p}_f}{|\vec{p}_i \times \vec{p}_f|}, \hat{x} = \hat{y} \times \hat{z}$$

Polarisation

Proton angular distribution:

$$I(\theta_p) \propto \frac{1}{4\pi} (1 + \alpha P_y \cos \theta_p)$$

$\bar{\alpha}, \alpha$ - decay asymmetry parameter



Spin correlation

Nucleon angular distribution:

$$I(\theta_i, \theta_j) \propto \frac{1}{16\pi^2} (1 +$$

$$\bar{\alpha} \alpha \sum_{i,j} C_{ij} \cos \theta_i \cos \theta_j)$$

Reconstructing the Spin Observables

Spin observables can be extracted using Method of Moments:

$$\langle \cos \theta_y \rangle = \langle k_y \rangle = \int_{-1}^1 \int_{-1}^1 I(k_y, k_{\bar{y}}) \times k_y dk_y dk_{\bar{y}}$$

Polarisation and Spin Correlation is given by:

$$P_y = \frac{3}{\alpha} \langle k_y \rangle = \frac{3}{\alpha} \frac{\sum_{m=1}^N k_{y,m}}{N}$$

$$C_{ij} = \frac{9}{\bar{\alpha}\alpha} \langle \bar{k}_i k_j \rangle = \frac{9}{\alpha\bar{\alpha}} \frac{\sum_{m=1}^N \bar{k}_{i,m} k_{j,m}}{N}$$

Erik Thomé, Elisabetta Perotti, Uppsala University

Reconstructing the Spin Observables

If $\cos \theta_y$ is symmetric around 0 i.e.

$$A_y(\cos \theta_y) = A_y(-\cos \theta_y)$$

$$A_{\bar{y}}(\cos \theta_{\bar{y}}) = A_{\bar{y}}(-\cos \theta_{\bar{y}}),$$

the spin observables are obtainable without acceptance correction:

$$P = \frac{1}{\alpha} \frac{\langle k_y \rangle}{\langle k_y^2 \rangle}$$

$$C_{yy} = \frac{1}{\alpha \bar{\alpha}} \frac{\langle \bar{k}_y k_y \rangle}{\langle \bar{k}_y^2 \rangle \langle k_y^2 \rangle}$$

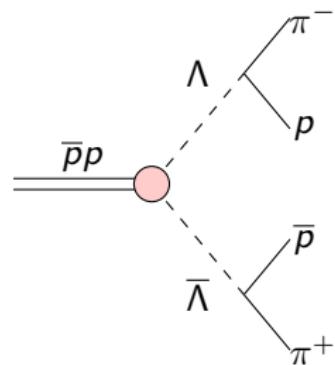
$$C_{ij} = \frac{1}{\alpha \bar{\alpha}} \frac{\langle \bar{k}_i k_j \rangle - \langle \bar{k}_i \rangle \langle k_j \rangle}{\langle \bar{k}_i^2 \rangle \langle k_j^2 \rangle}, \quad i, j = x, z$$

Simulation study

Simulation study of $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$

Simulation parameters

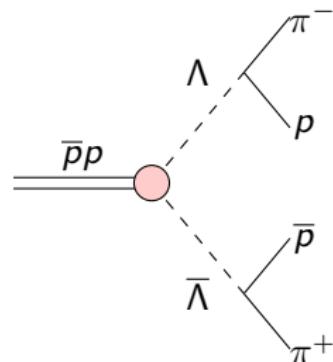
- $\sim 10^6 \bar{p}p \rightarrow \bar{\Lambda}\Lambda$ events
- Forward-peaking distribution
- Antiproton beam $p_{\bar{p}} = 1.642 \text{ GeV}/c$
- Full $\bar{\text{P}}\text{ANDA}$ Detector setup
- Ideal Pattern Recognition
- Ideal Particle Identification



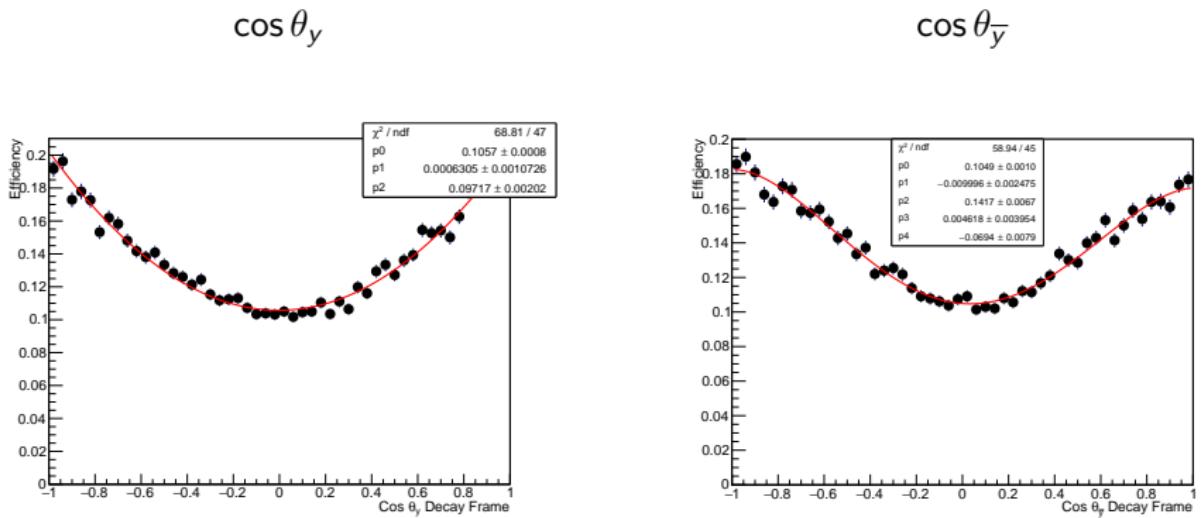
Event reconstruction

Event selection:

- Combine $p\pi^-$, $\bar{p}\pi^+$
- Select $|m_\Lambda - M(p\pi^-)| < 0.3$ GeV
- Vertex & Mass fit
Select combination based on χ^2
- Reject candidate if $P(\text{Vtx}) < 0.001$
- Tree fit



Symmetry in $\cos \theta_y$



Generating Spin Observables sample

How to generate $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$ sample:

- Simulate $\Lambda \rightarrow p\pi^-$ with flat phase space
- Use input polarisation

$$P_y = \sin \theta_\Lambda$$

- Evaluate

$$w_m = \frac{1}{4\pi} (1 + \alpha P_y k_{y,m}),$$

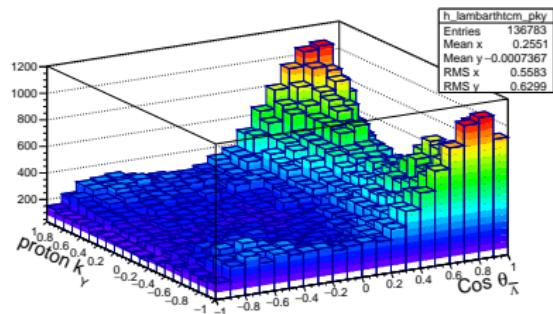
assign as weight to each event

Polarisation is reconstructed according to

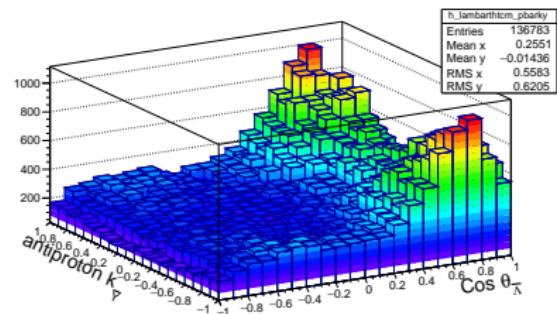
$$P_y = \frac{3}{\alpha} \frac{\sum_m w_m k_{y,m}}{\sum_m w_m}$$

Acceptance functions

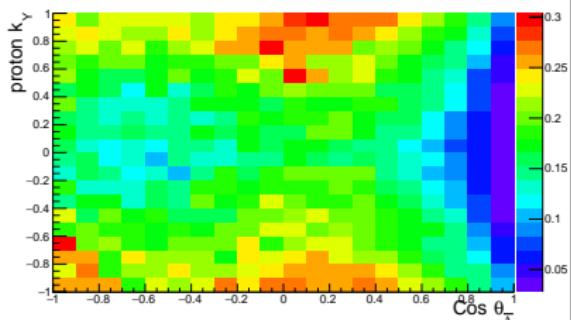
$\cos \theta_y$



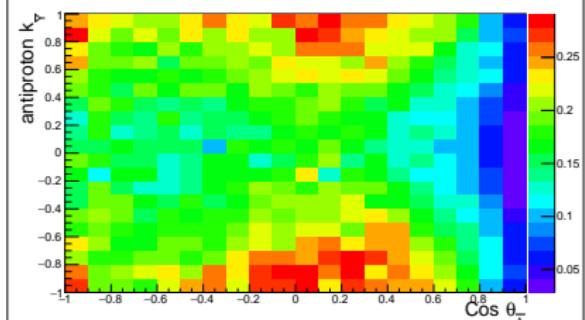
$\cos \theta_{\bar{y}}$



Efficiency



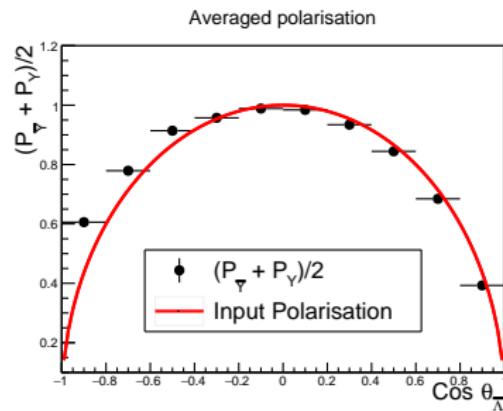
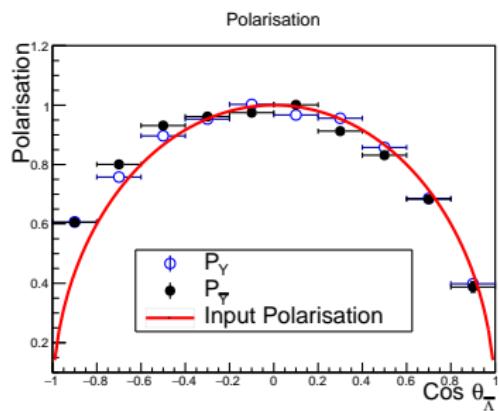
Efficiency



Polarisation

Correcting for acceptance, the Polarisation is given by

$$P_y = \frac{3}{\alpha} \langle k_y \rangle = \frac{3}{\alpha} \frac{\sum_{m=1}^N \frac{w_m k_{y,m}}{A(k_{y,m})}}{\sum_{m=1}^N \frac{w_m}{A(k_{y,m})}}$$



Polarisation without acceptance

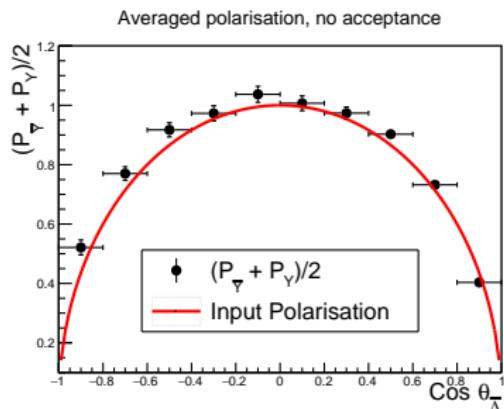
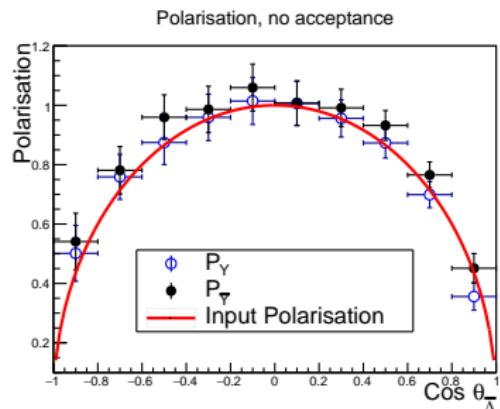
Polarisation is reconstructed according to

$$P_y = \frac{1}{\alpha} \frac{\langle k_y \rangle}{\langle k_y^2 \rangle} = \frac{1}{\alpha} \frac{\sum_m w_m k_{y,m}}{\sum_m w_m k_{y,m}^2}$$

Error of each expectation value given by

$$\sigma^2(\langle X \rangle) = \frac{1}{N-1} \left(\frac{\sum_m w_m X_m^2}{\sum_m w_m} - \left(\frac{\sum_m w_m X_m}{\sum_m w_m} \right)^2 \right)$$

Polarisation without acceptance

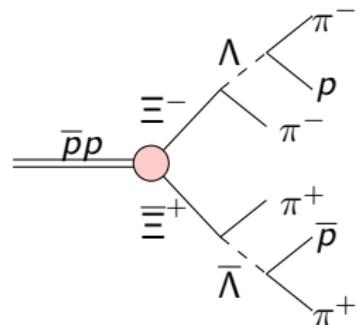


Simulation study

Simulation study of $\bar{p}p \rightarrow \Xi\bar{\Xi}$

Simulation parameters

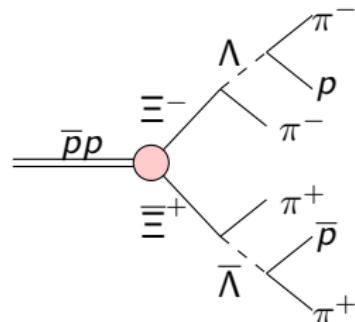
- $\sim 10^6 \bar{p}p \rightarrow \Xi\Xi$ events
- Flat phase-space distribution
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Event reconstruction

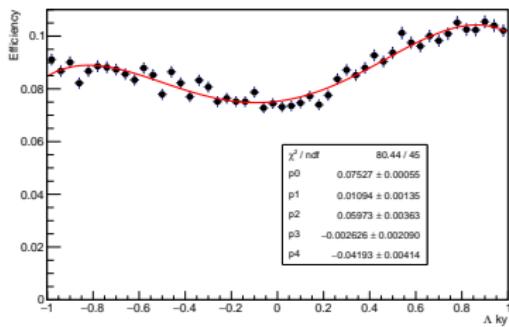
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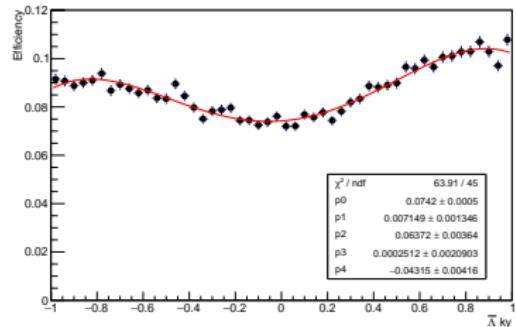


Symmetry in $\cos \theta_y$

$\cos \theta_y$

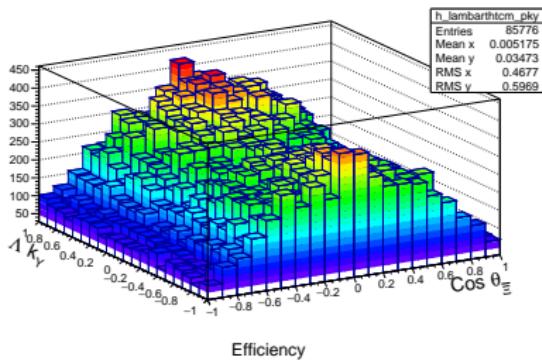


$\cos \theta_{\bar{y}}$

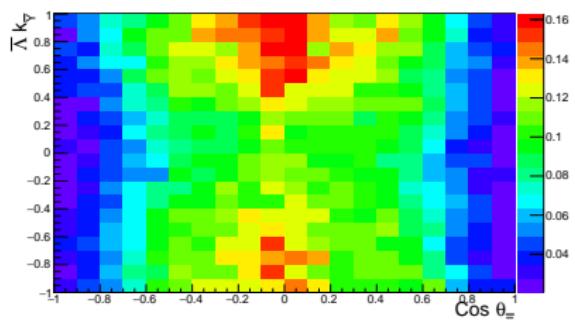
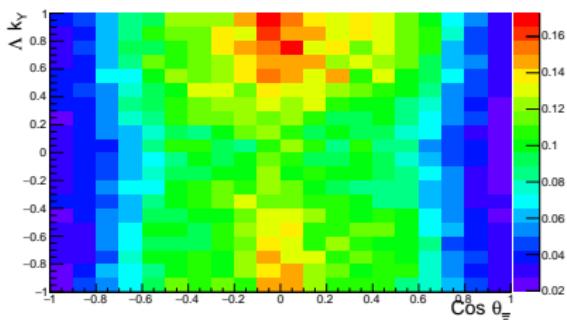
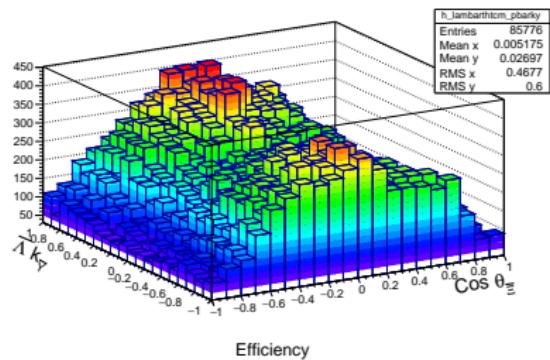


Acceptance functions

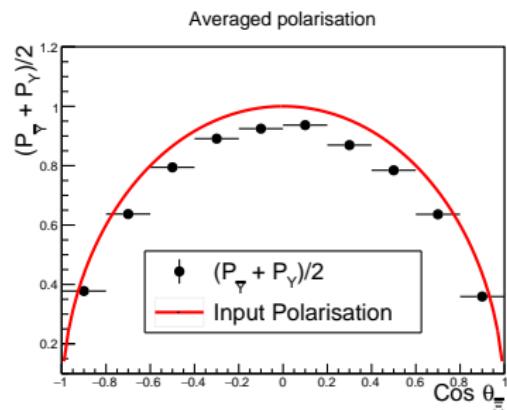
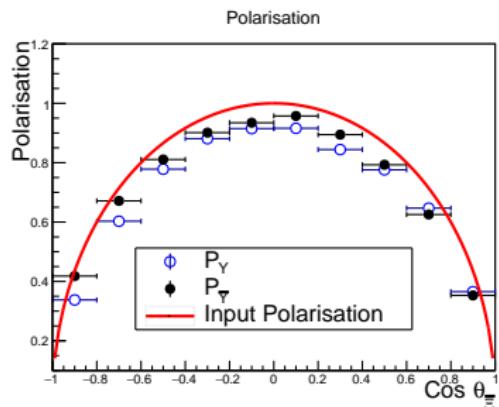
$\cos \theta_y$



$\cos \theta_{\bar{y}}$



Polarisation



Outlook

- Reconstruct Spin correlation
- Performance check of analysis tools:
 - Update to Feb17 release
 - DecayTreeFitter as alternative
- Realistic PID
- Background studies
- Efficiency studies of $\bar{p}p \rightarrow \bar{\Omega}\Omega$

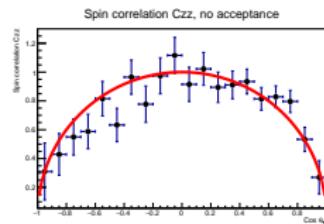
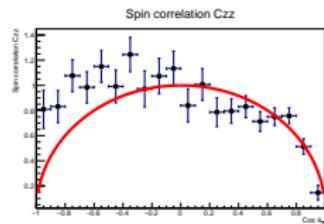
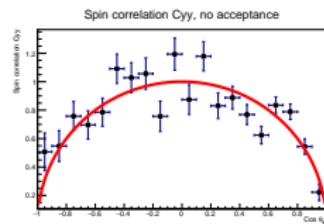
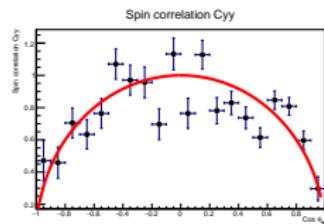
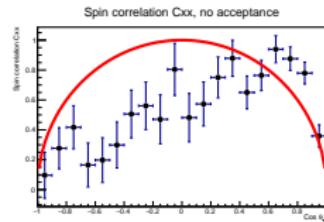
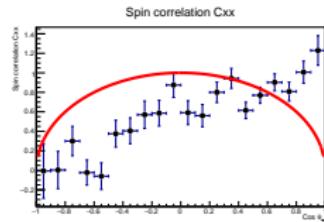
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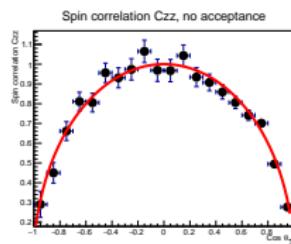
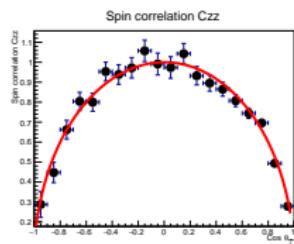
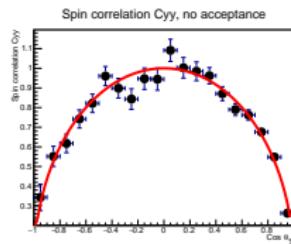
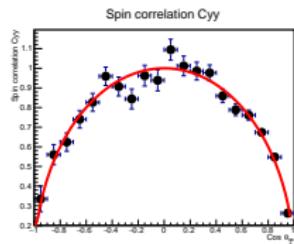
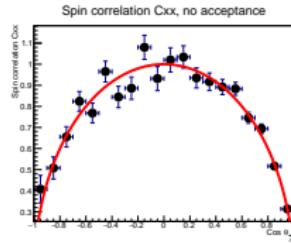
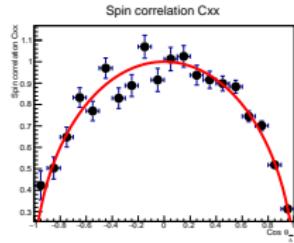
Thank you for your attention!

Backup

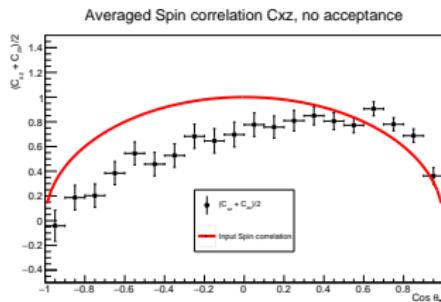
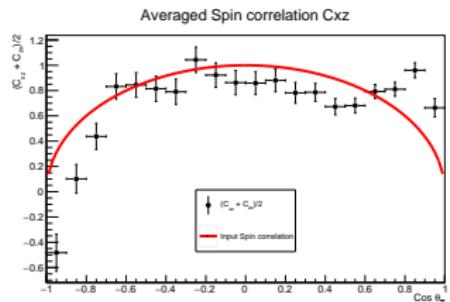
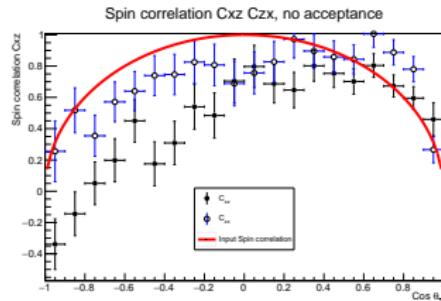
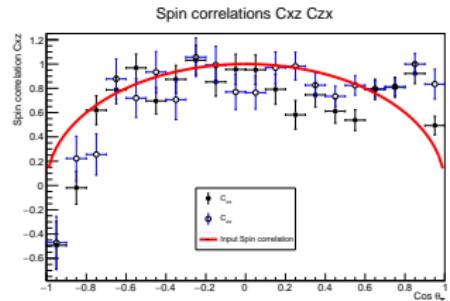
Spin Correlation Cii



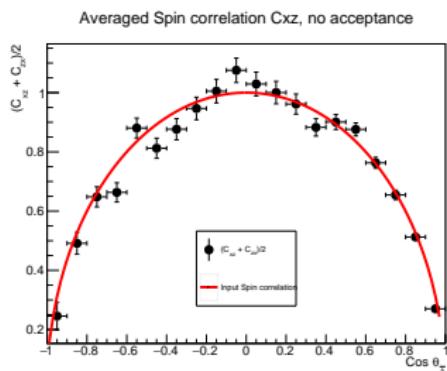
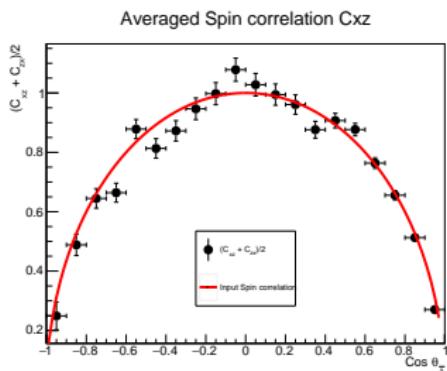
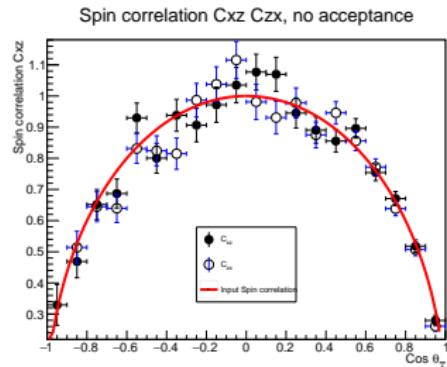
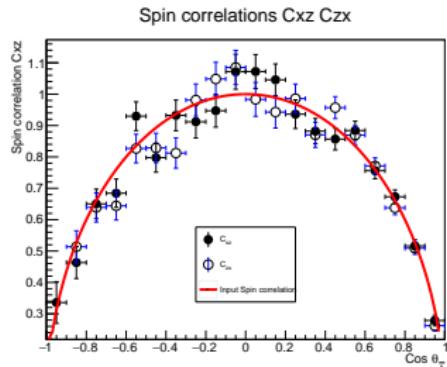
Spin Correlation Cii - Monte Carlo truth



Spin Correlation C_{ij}



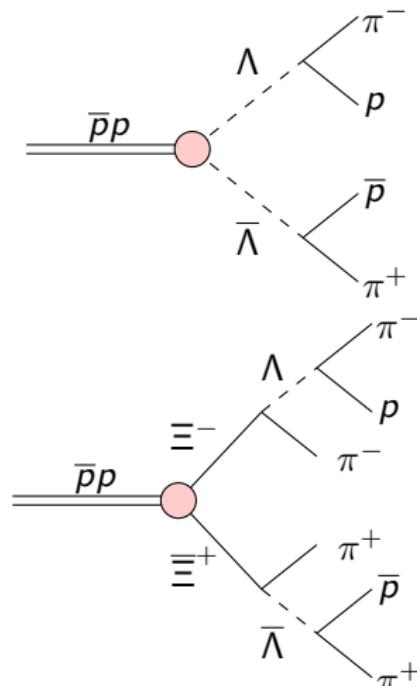
Spin Correlation Cij - Monte Carlo truth



Hyperon channels accessible with PANDA

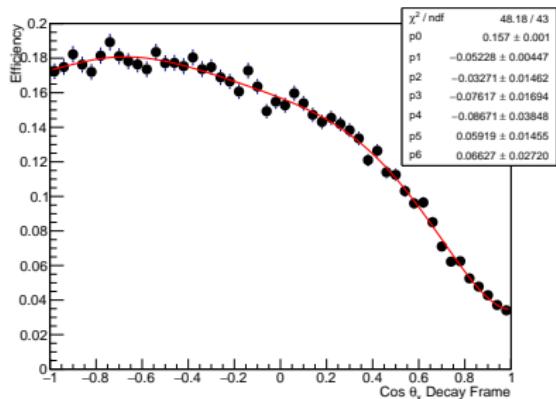
Why antihyperon-hyperon production?

- $\bar{p}p \rightarrow \bar{\Lambda}\Lambda$
 - Measured before @ LEAR
 - Comparison of polarisation & spin correlation
- $\bar{p}p \rightarrow \Xi^+ \Xi^-$
 - Scarce data
 - Potential to measure @ 7.0 GeV/c
- $\text{BR}(\Lambda \rightarrow p\pi^-) = 64\%$
- $\text{BR}(\Xi^- \rightarrow \Lambda\pi) \approx 100\%$

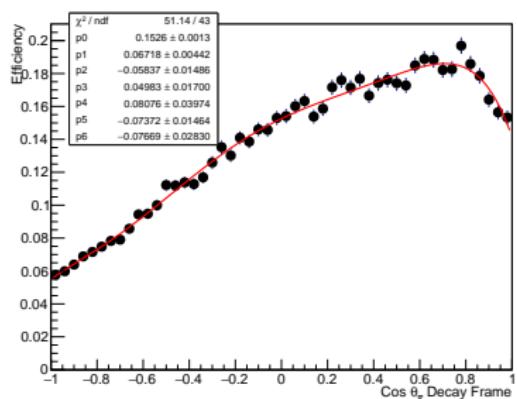


Acceptance Functions

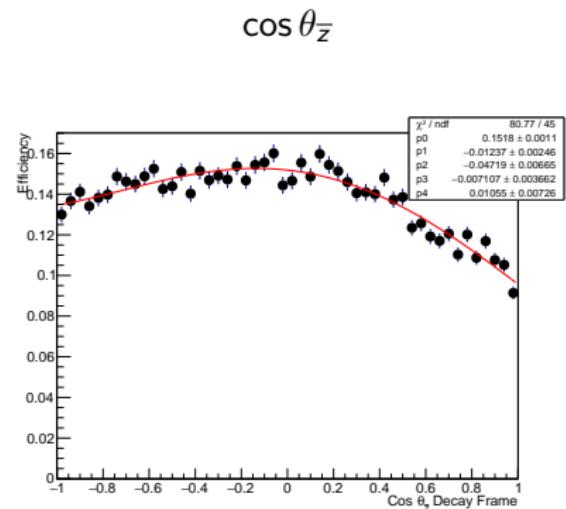
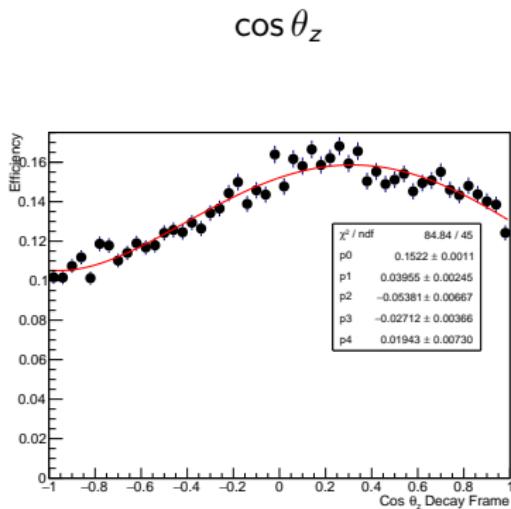
$\cos \theta_x$



$\cos \theta_{\bar{x}}$



Acceptance Functions



Hyperon production $\bar{p}p \rightarrow \bar{Y}Y$

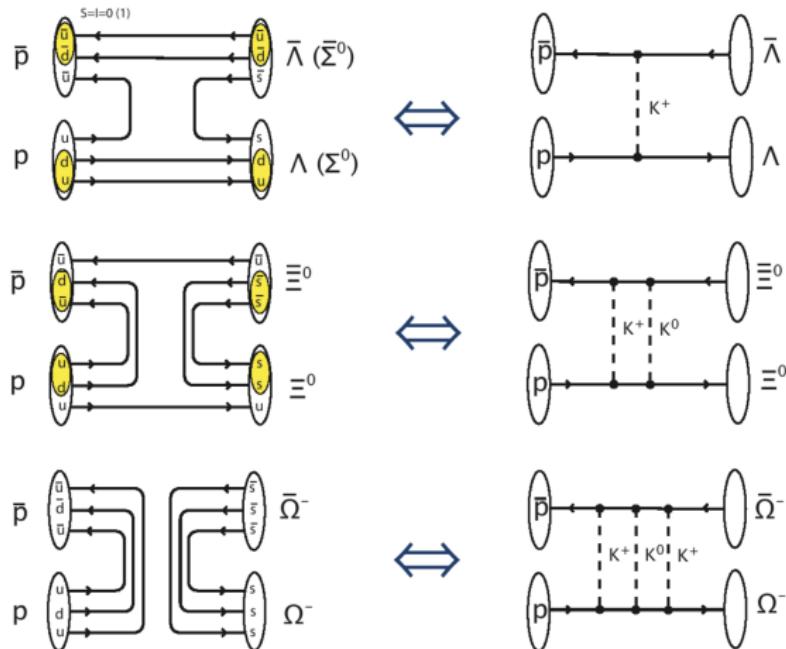


Figure: $\bar{p}p \rightarrow \bar{Y}Y$ in quark-gluon picture (left) and in Hadron picture (right).

Hyperons: Spin observables in $\bar{p}p \rightarrow \bar{Y}Y$

Polarised Particle	None	Beam	Target	Both
None	I_{0000}	A_{i000}	A_{0j00}	A_{ij00}
Scattered	$P_{00\mu 0}$	$D_{i0\mu 0}$	$K_{0j\mu 0}$	$M_{ij\mu 0}$
Recoil	$P_{000\nu}$	$K_{i00\nu}$	$D_{0j0\nu}$	$N_{ij0\nu}$
Both	$C_{00\mu\nu}$	$C_{i0\mu\nu}$	$C_{0j\mu\nu}$	$C_{C_{ij\mu\nu}}$

- In $\bar{p}p \rightarrow \bar{Y}Y$ there are 256 spin variables in total

Accessible hyperons at $\bar{\text{P}}\text{ANDA}$

$$\begin{array}{cccccccccc} \bar{p}p \rightarrow & \bar{\Lambda}\Lambda, & \bar{\Sigma}^-\Sigma^+, & \bar{\Sigma}^0\Sigma^0, & \bar{\Sigma}^-\Sigma^+, & \bar{\Xi}^0\Xi^0, & \bar{\Xi}^+\Xi^-, & \bar{\Omega}^+\Omega^-, & \bar{\Lambda}_c^-\Lambda_c^+ \\ \downarrow & \downarrow \\ p\pi^- & p\pi^0 & \Lambda\gamma & n\pi & \Lambda\pi^0 & \Lambda\pi & \Lambda K & \Lambda K & \Lambda\pi \\ 64\% & 52\% & \approx 100\% & \approx 100\% & \approx 100\% & \approx 100\% & 68\% & & \approx 1\% \end{array}$$