

Transition from Baryonic to Mesonic Freeze-Out.

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Outline

Chemical Equilibrium

Comparison of Chemical Freeze-Out Criteria

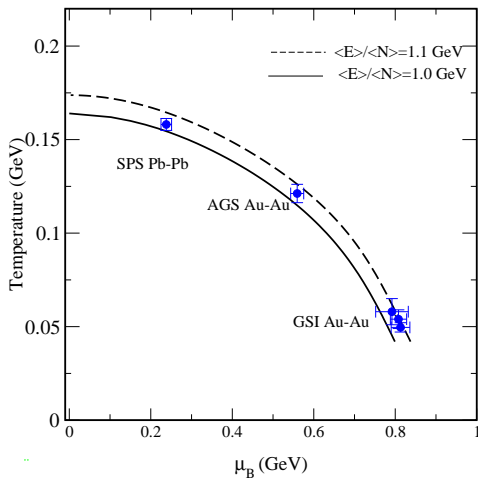
If everything is smooth why is there such a roller-coaster in the particle ratios?

The Horn

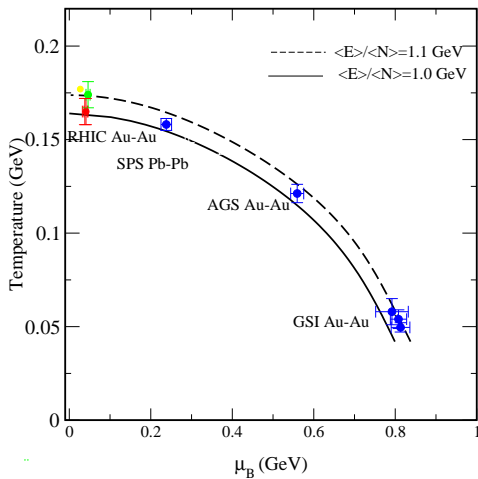
Summary



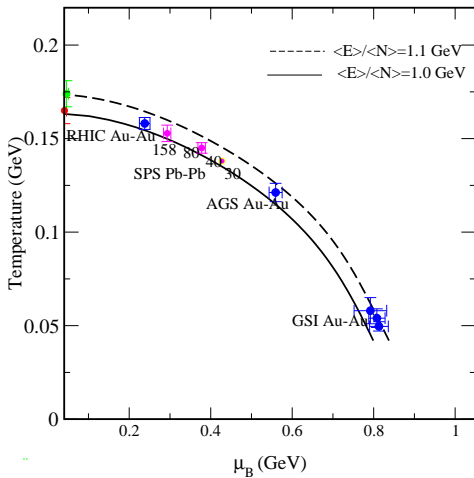
E/N in 1999



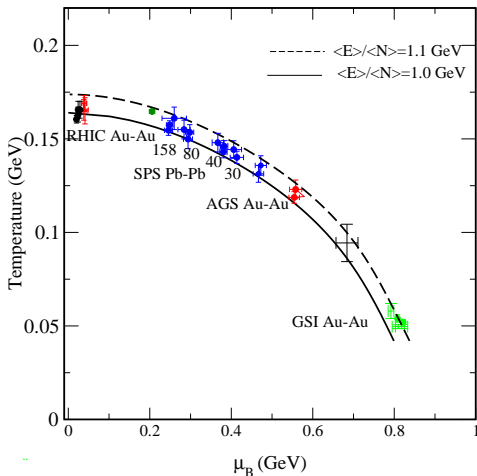
E/N in 2000



E/N in 2005



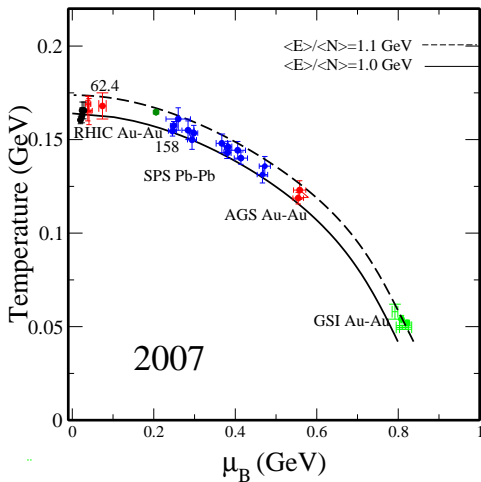
E/N in 2005



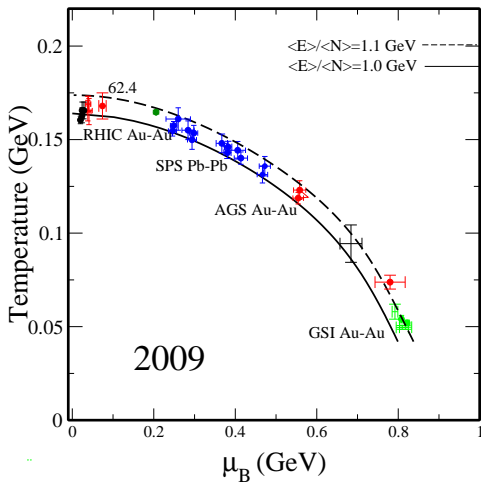
- A. Andronic, P. Braun-Munzinger, J. Stachel, Nucl. Phys. A772, 167, 2006
 J. Manninen, F. Becattini, M. Gazdzicki, Phys. Rev. C73 044905, 2006
 R. Picha, U of Davis, Ph.D. thesis 2002



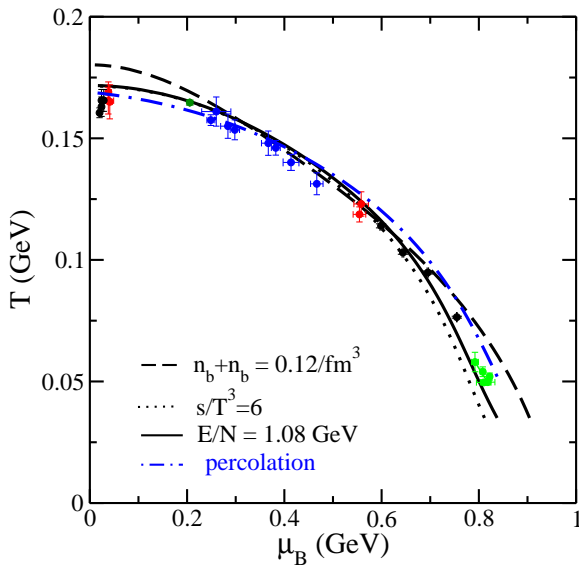
E/N in 2007



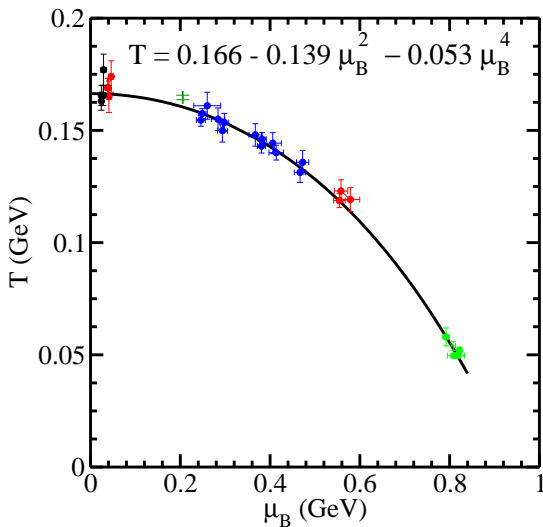
E/N in 2009



Chemical Freeze-Out: Criteria



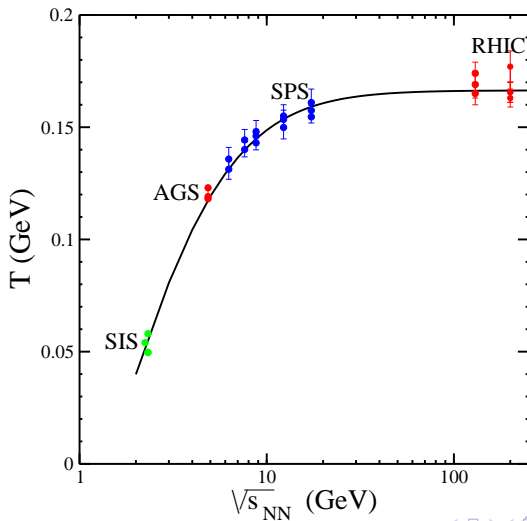
Chemical Freeze-Out



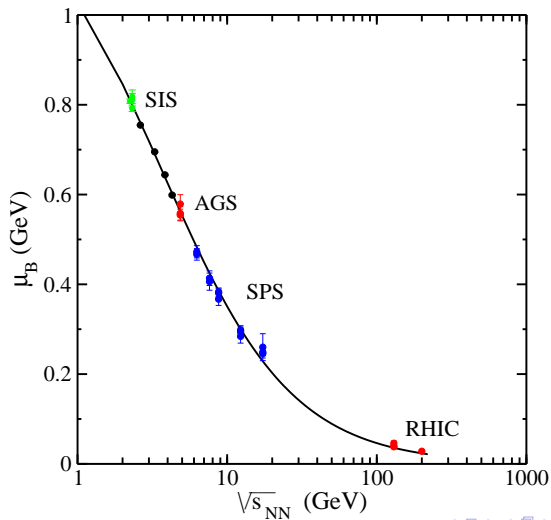
J.C., H. Oeschler, K. Redlich, S. Wheaton hep-ph/0511094



Chemical Freeze-Out Temperature



Chemical Freeze-Out μ_B

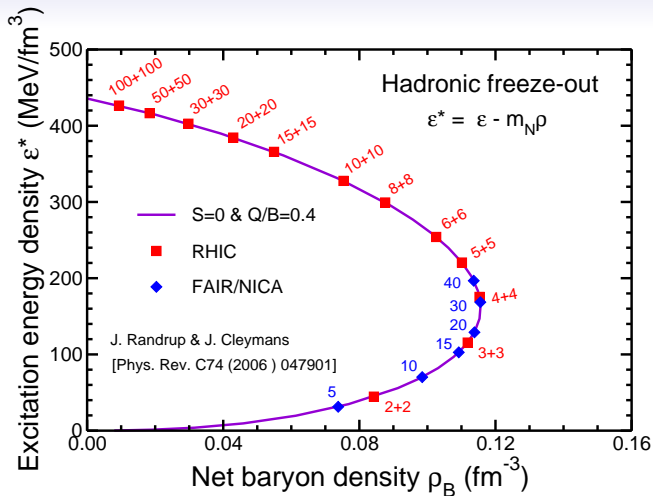


μ_B as a function of $\sqrt{s_{NN}}$

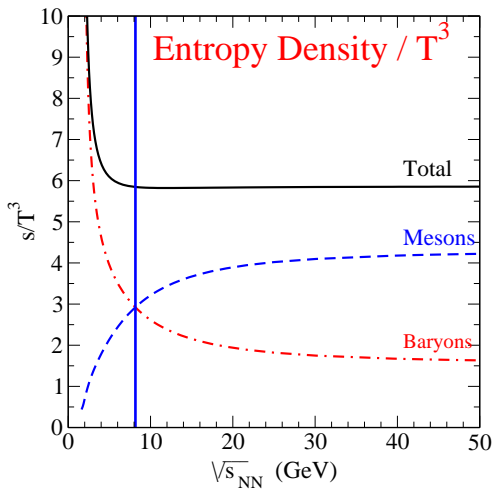
$$\mu_B(\sqrt{s}) = \frac{1.308 \text{ GeV}}{1 + 0.273 \text{ GeV}^{-1} \sqrt{s}}.$$

This predicts at LHC $\mu_B \approx 1 \text{ MeV}$.

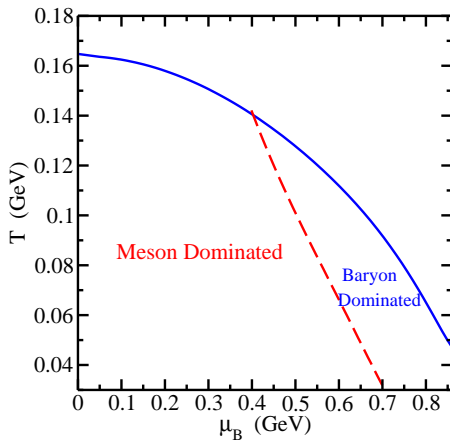
J. C., H. Oeschler, K. Redlich, S. Wheaton
Phys. Rev. C73 034905 (2006)



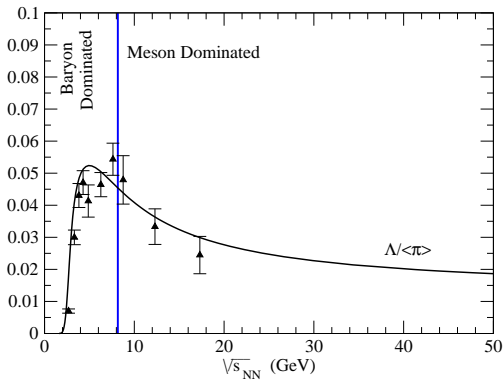
$$s/T^3$$



Transition



Λ/π Ratio



Strangeness in Heavy Ion Collisions vs Strangeness in pp - collisions

Use the Wroblewski factor

$$\lambda_s = \frac{2 \langle s\bar{s} \rangle}{\langle u\bar{u} \rangle + \langle d\bar{d} \rangle}$$

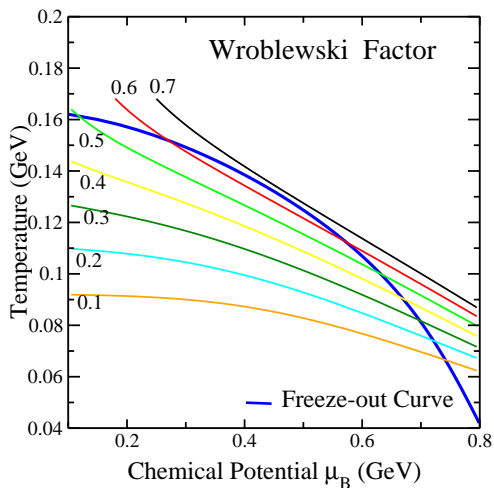
This is determined by the number of **newly** created quark – anti-quark pairs and **before** strong decays, i.e. before ρ 's and Δ 's decay.

Limiting values :

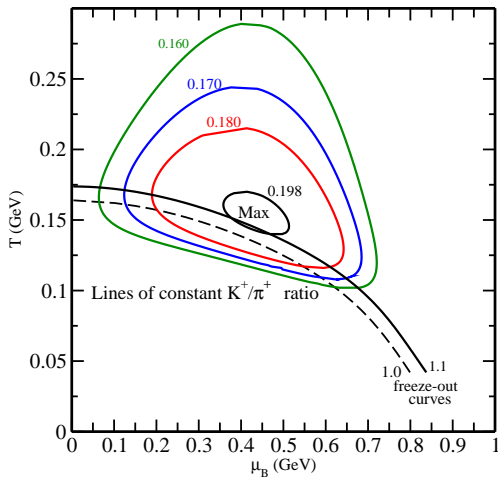
$\lambda_s = 1$ all quark pairs are equally abundant, SU(3) symmetry.

$\lambda_s = 0$ no strange quark pairs.

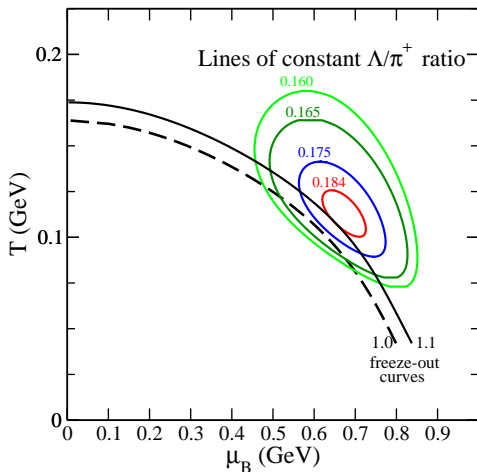


Maxima in particle ratios : K^+/π^+ 

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Maxima in particle ratios : K^+/π^+



J.C., H. Oeschler, K. Redlich, S. Wheaton,
Phys. Lett. B615 (2005) 50-54

In the statistical model a rapid change is expected as the hadronic gas undergoes a transition from a baryon-dominated to a meson-dominated gas. The transition occurs at a temperature $T = 140$ MeV and baryon chemical potential $\mu_B = 410$ MeV corresponding to an incident energy of $\sqrt{s_{NN}} = 8.2$ GeV.



In conclusion, the roller-coaster seen in the particle ratios corresponds to a transition from a baryon-dominated to a meson-dominated hadronic gas. This transition occurs at a

- temperature $T = 140$ MeV,
- baryon chemical potential $\mu_B = 410$ MeV,
- energy $\sqrt{s_{NN}} = 8.2$ GeV.

In the statistical model this transition leads to a peaks in the $\Lambda/\langle\pi\rangle$, K^+/π^+ , Ξ^-/π^+ and Ω^-/π^+ ratios.



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Thermal Model

The number of particles of type i is determined by:

$$E \frac{dN_i}{d^3p} = \frac{g_i}{(2\pi)^3} \int d\sigma_\mu p^\mu \exp\left(-\frac{p^\mu u_\mu}{T} + \frac{\mu_i}{T}\right)$$

Integrating this over all momenta

$$N_i = \frac{g_i}{(2\pi)^3} \int d\sigma_\mu \int \frac{d^3p}{E} p^\mu \exp\left(-\frac{p^\mu u_\mu}{T} + \frac{\mu_i}{T}\right)$$

or

$$N_i = \int d\sigma_\mu u^\mu n_i(T, \mu)$$

If the temperature and chemical potential are unique along the freeze-out curve

$$N_i = n_i(T, \mu) \int d\sigma_\mu u^\mu$$

i.e. integrated (4π) multiplicities are the same as for a single fireball at rest (apart from the volume).

