

T0 online algorithm using TOF counters

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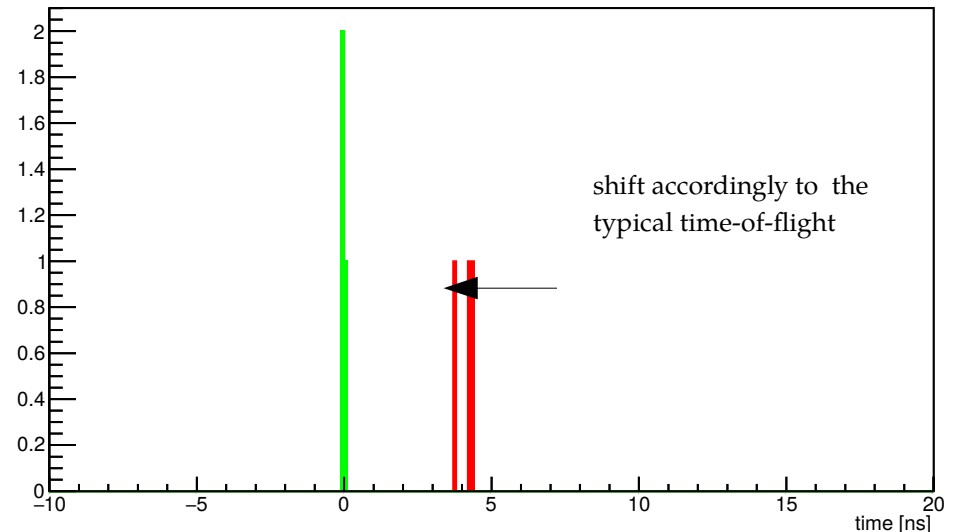
GSI Darmstadt, 8.6.2016

Motivation

- Decent time information of pbar annihilation with target ($=t_0$) is necessary
 - for TOF, PID, pattern recognition, event sorting, ..
- T_0 is needed online even with a limited precision for an event selection
- TOF counters (SciTil and FTOF) have the best time resolutions hence they have a high potential to play an indispensable role to deduce (online) t_0 .

Basic principle

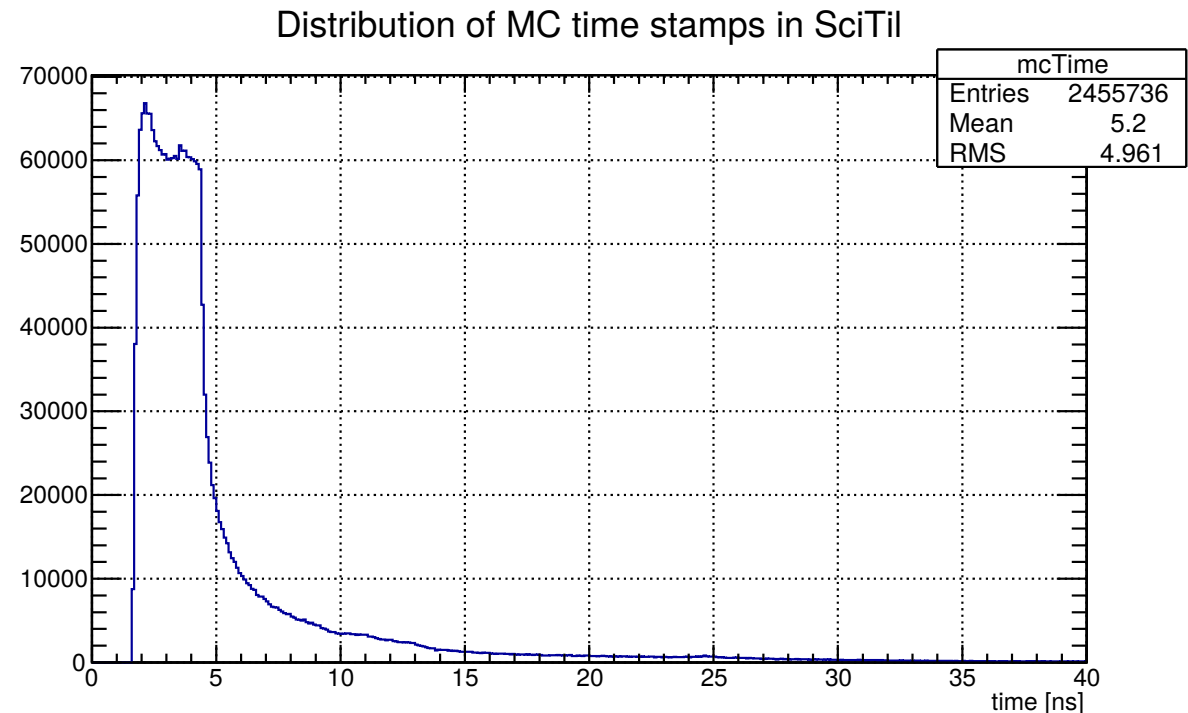
- For calculation of t_0 it needs:
 - tracking information, PID, mass and momentum
- Assuming average values
 - $\Delta t_0 \sim 1$ ns
- Calculating t_0 using the most typical path length and momentum is equivalent to shifting the time stamp distribution by a typical time-of-flight to t_0 .
 - SciTil
 - Flight path $\sim 0.5 - 1.5$ m
 - Flight time $\sim 2 - 6$ ns



We study the potential performance of the online t_0 calculation using TOF counter, also taking into account the influence of secondary particles

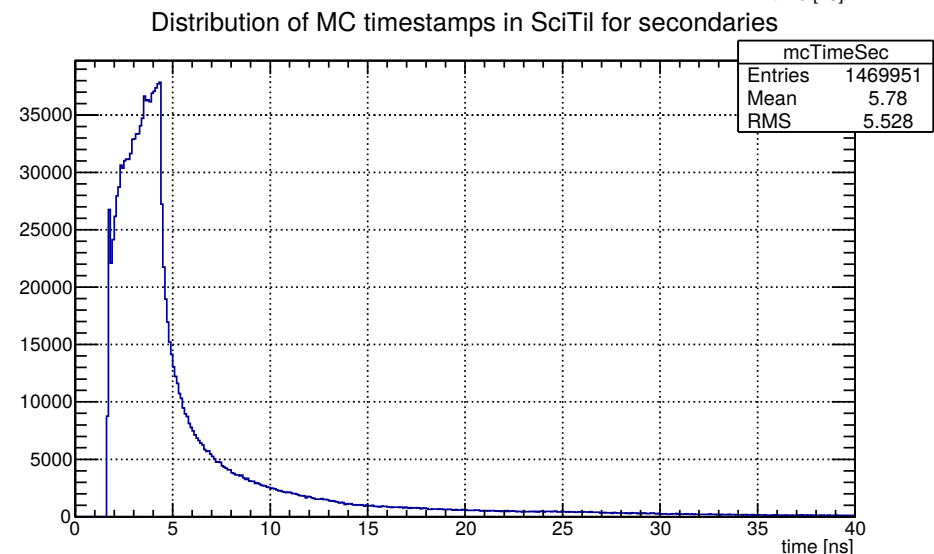
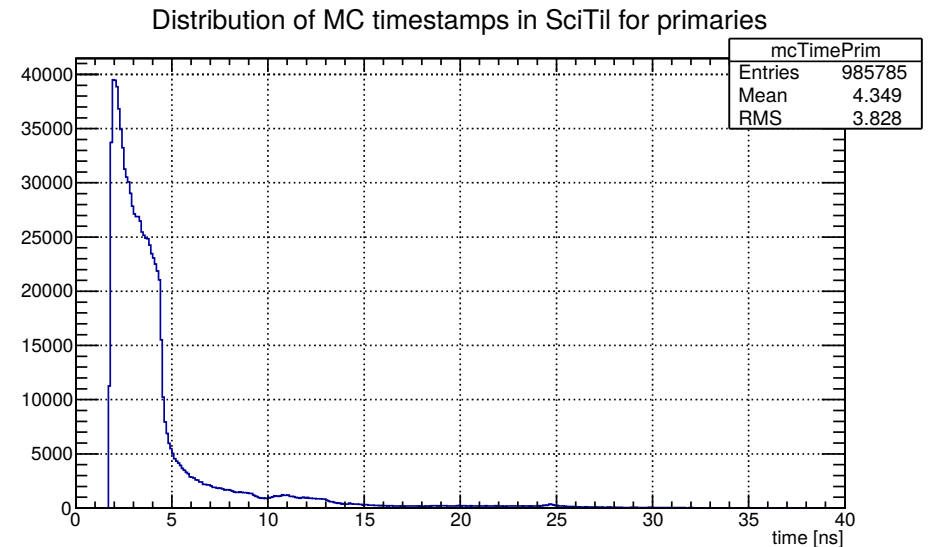
Time stamp distribution of SciTil

- For this study the MC data were generated using
 - Pandaroot, trunk 28975
 - DPM generator (beam momentum = 6.2 GeV/c)
 - Full geometry
- The right sided plot shows the distribution of the MC time stamps in the SciTil
 - Mean = 5.2 ns, $\sigma = 5.0$ ns, FWHM = 2.9 ns
 - 80% of the time stamps are located in the interval from 1.8 to 6 ns
 - Slow primaries and secondaries cause a long tail down to > 30 ns

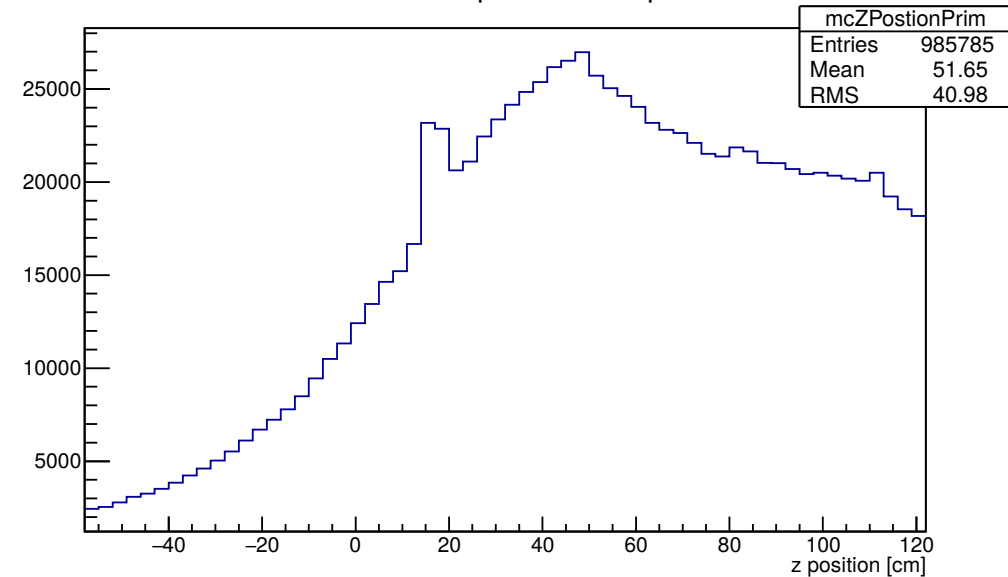


Time stamp distribution of primaries and secondaries

- Time stamp distribution for primary particles
 - Mean = 4.3 ns, $\sigma = 3.8$ ns, FWHM = 2.6 ns
 - Slow primaries also cause a long tail
- Time stamp distribution for secondary particles
 - Mean = 5.8 ns, $\sigma = 5.5$ ns, FWHM = 3.0 ns
 - ~ 50 % more secondaries than primaries due to the tail
 - Nevertheless the dominant part of the secondaries is also located at 1.7 – 6 ns
- Secondary particles will be useful rather than disturbing for t_0 calculation
 - Major part are “fast secondaries”
 - Provide a higher statistic per event

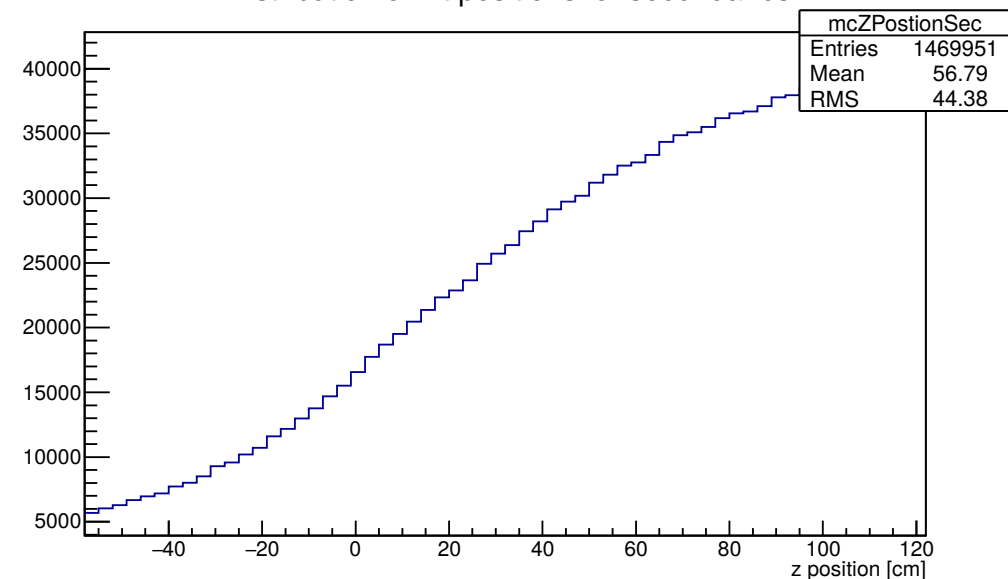


Distribution of hit positions for primaries



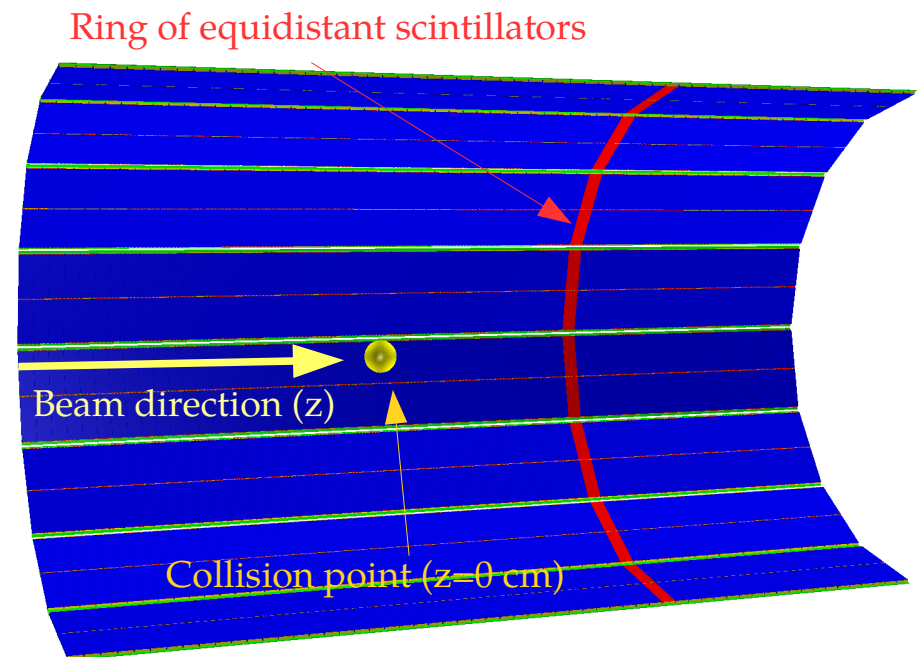
- The difference in the time stamp distribution originates in the different hit position distribution of the particle types.
- Secondaries have a higher probability to hit a SciTil tile located in a more forward position.

Distribution of hit positions for secondaries



Time stamp distribution for equidistant tiles

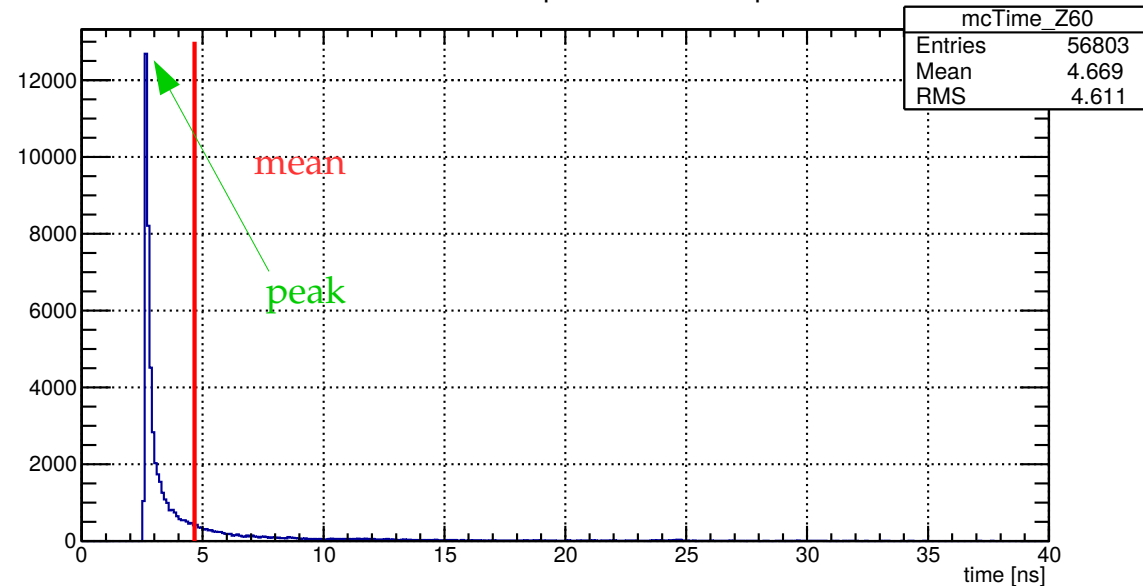
- Typical time-of-flight is correlated with the production theta angle at the collision point
 - corrected shift on the time stamps respective to z-position of the hit
- Evaluate the typical time-of-flight for every z-position
 - Detector is sliced into 60 rings of equidistant scintillating tiles
 - The time stamp distribution for every ring was simulated to receive the typical time of flight



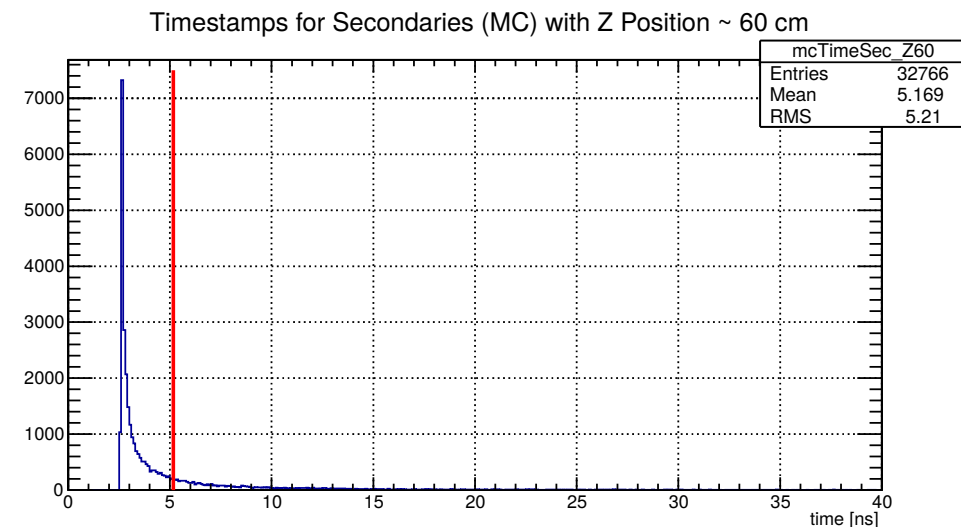
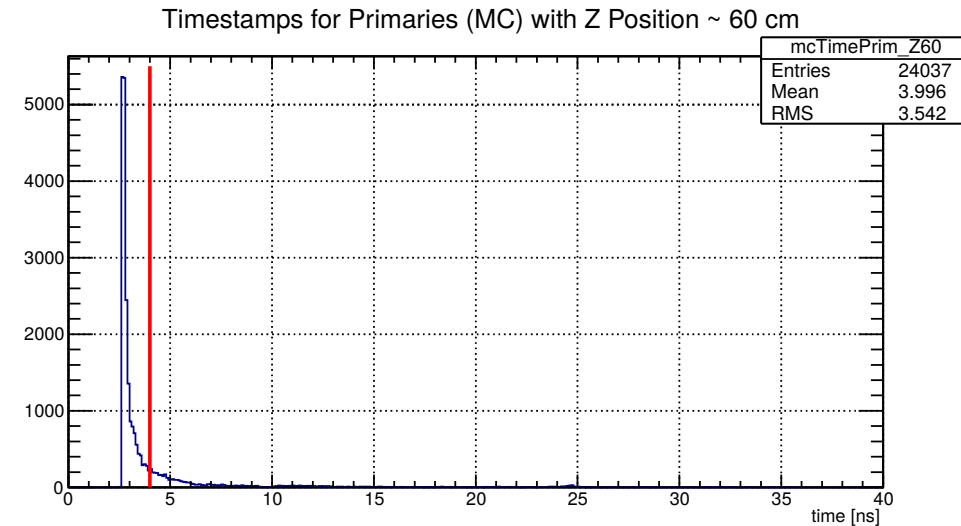
Time stamp distribution for equidistant tiles

- Typical distribution for an equidistant ring
 - Mean = 4.7 ns, Peak = 2.6 ns
 - $\sigma = 4.6$ ns, FWHM = 0.3 ns
- For the T0 calculation subtract a defined value from the time stamp accordingly to this z position
 - Mean, Peak position

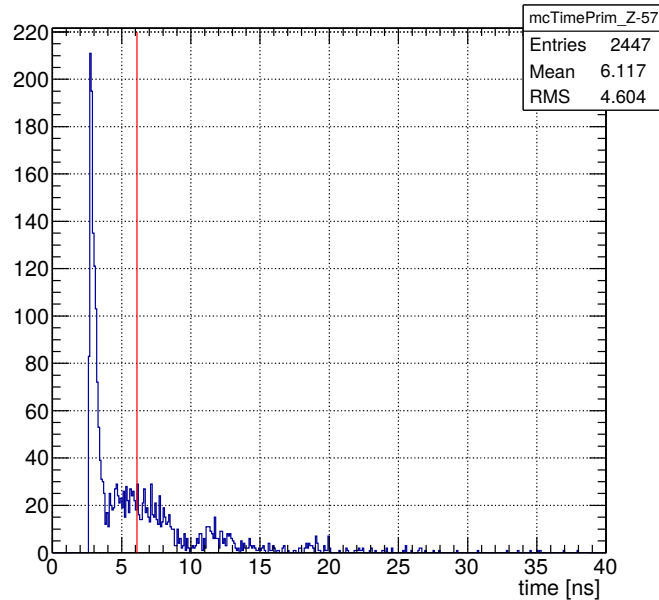
Distribution of MC timestamps in SciTil at Z position ~60 cm



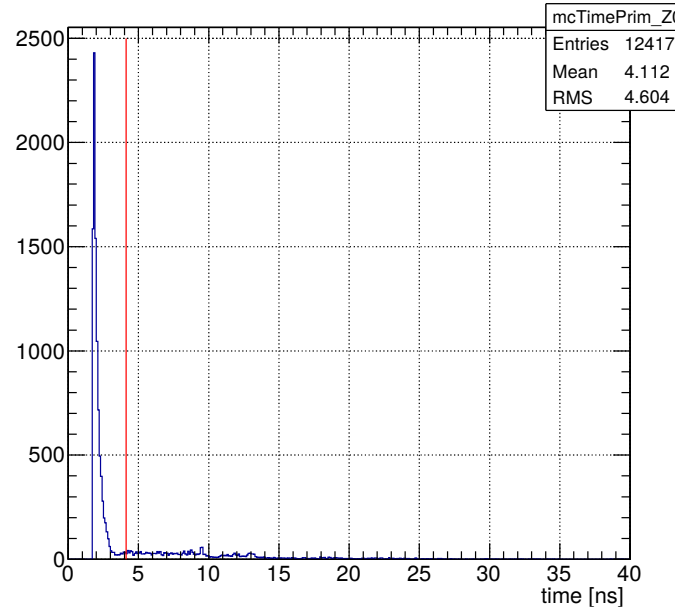
- Primaries
 - Mean = 4.0 ns, Peak = 2.6 ns
 - $\sigma = 3.5$ ns, FWHM = 0.2 ns
- Secondaries
 - Mean = 5.2 ns, Peak = 2.6 ns
 - $\sigma = 5.2$ ns, FWHM = 0.2 ns
- Identical Peak positions
- The secondary distribution is influenced by a higher amount of slow particles
 - The majority of the particles is fast and can support an t_0 algorithm



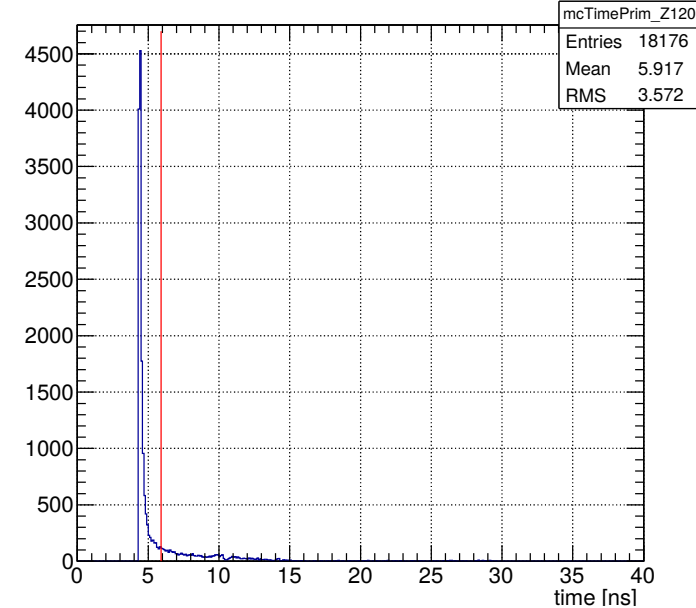
Timestamps for Primaries (MC) with Z Position ~ -57 cm



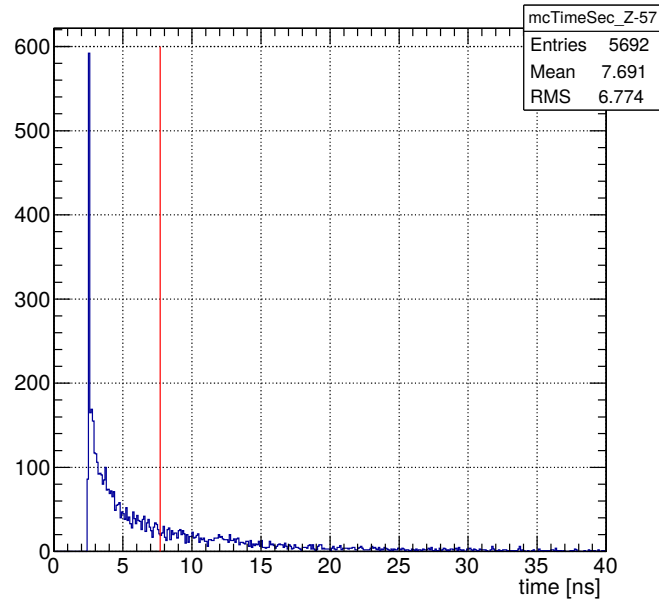
Timestamps for Primaries (MC) with Z Position ~ 0 cm



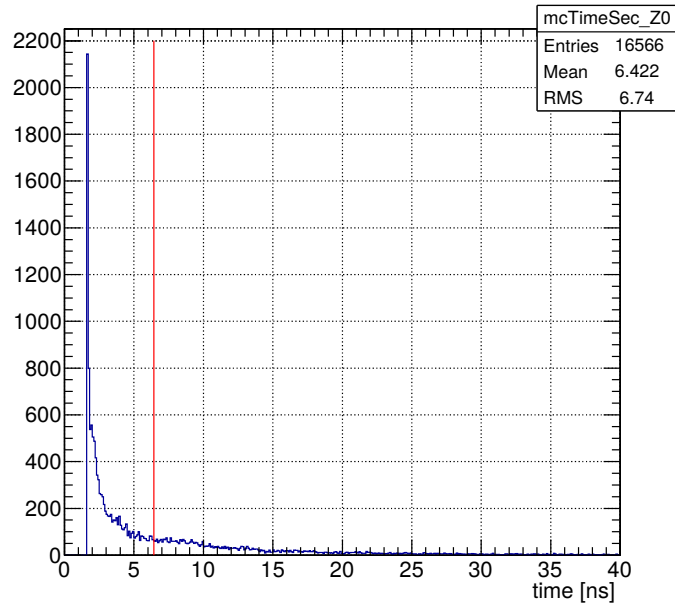
Timestamps for Primaries (MC) with Z Position ~ 120 cm



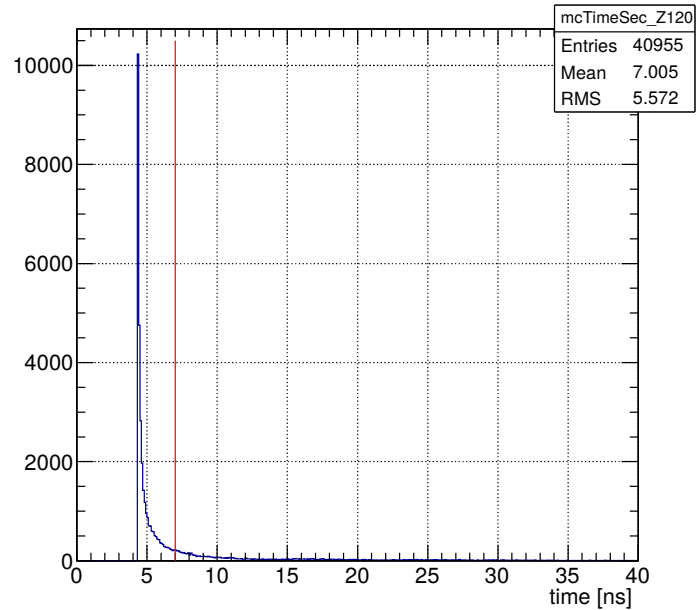
Timestamps for Secondaries (MC) with Z Position ~ -57 cm



Timestamps for Secondaries (MC) with Z Position ~ 0 cm

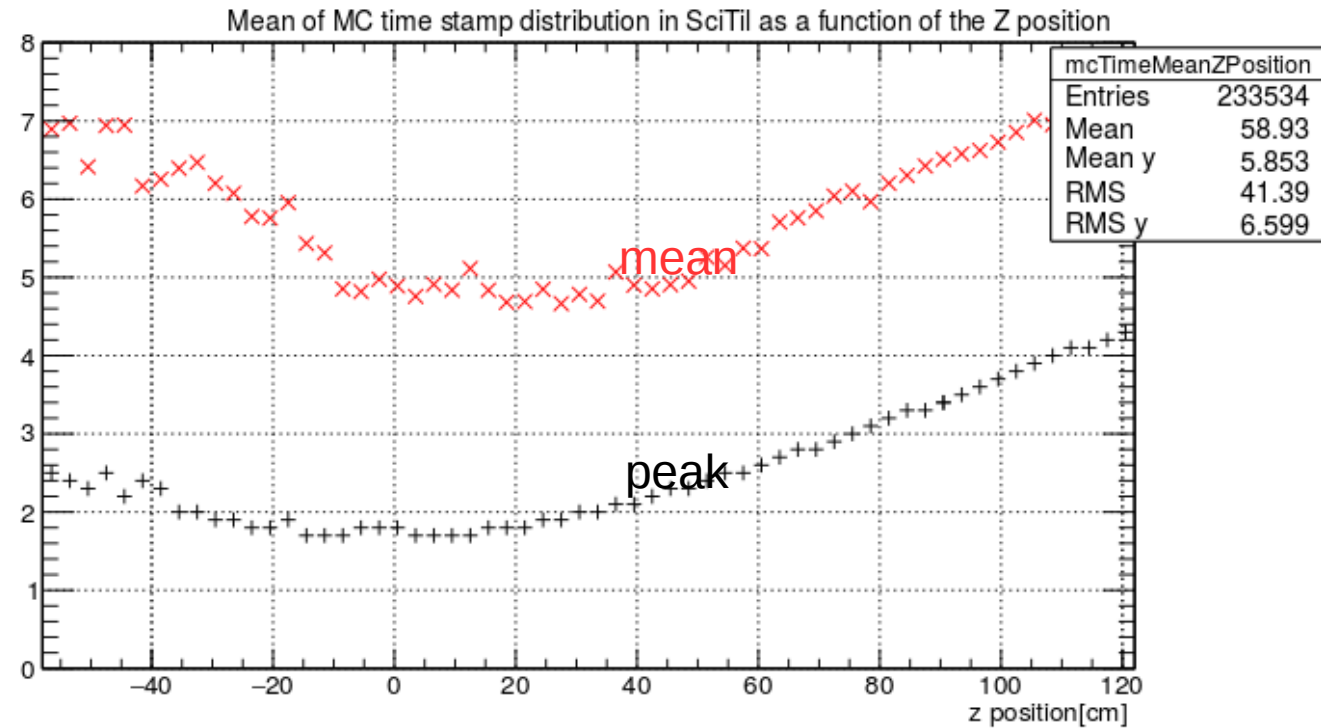


Timestamps for Secondaries (MC) with Z Position ~ 120 cm



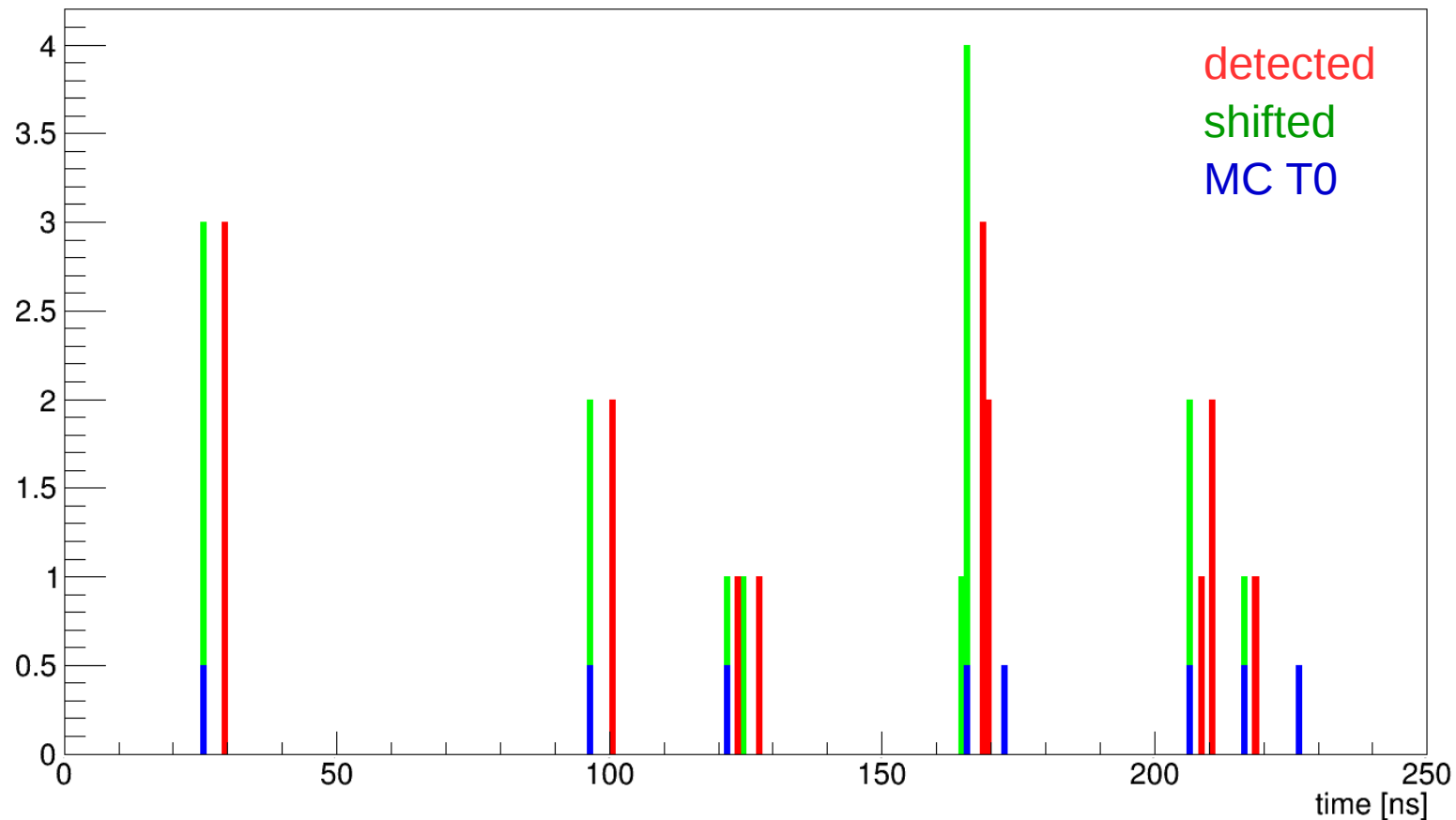
Time shift parameters

- Mean and peak position as a function of the z position
- The used value of central tendency must be chosen accordingly to the used algorithm to determine t_0



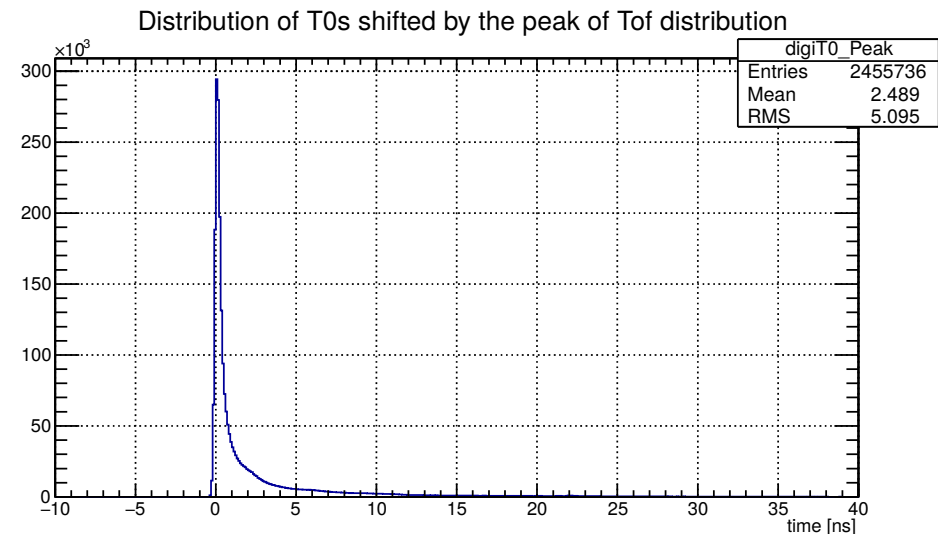
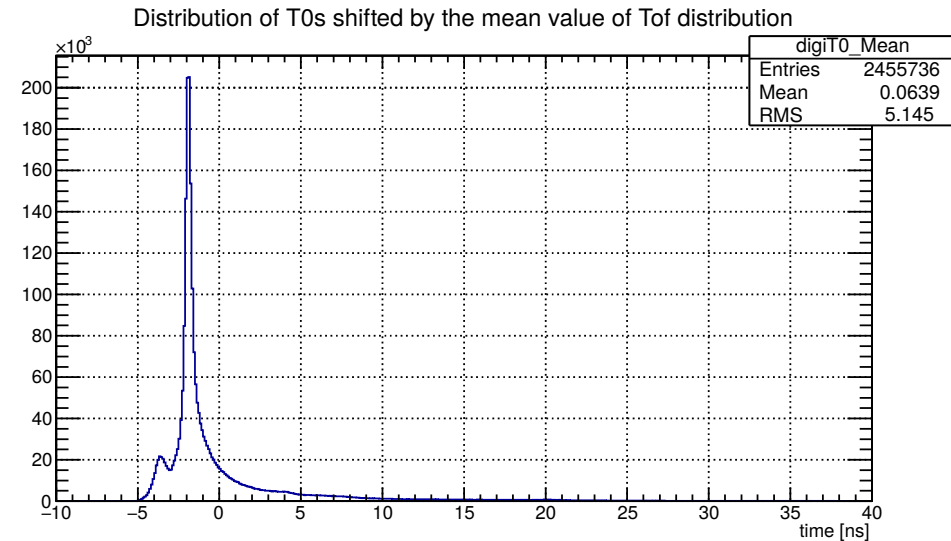
Time based simulation

Distribution of measured and peak aligned timestamps



Shifted time stamp distribution

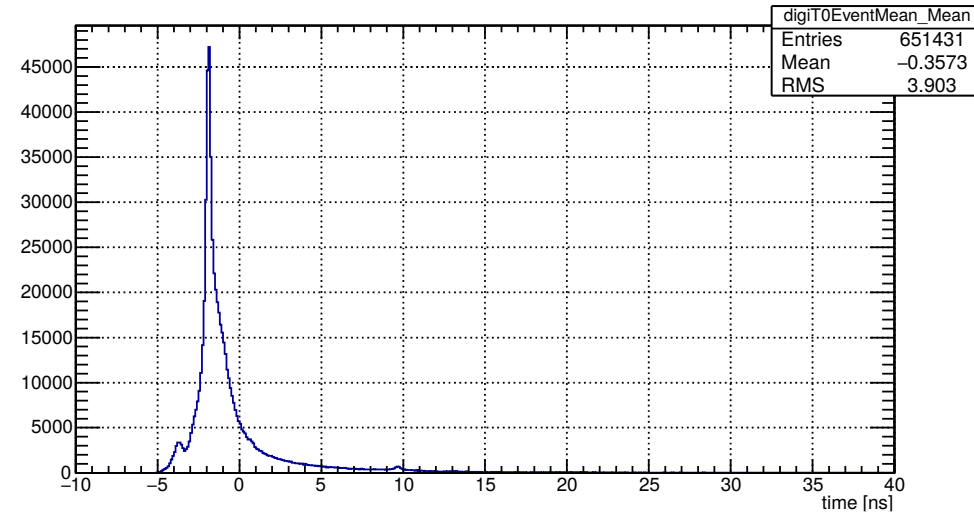
- “Mean-aligned” distribution
 - Mean = 0.06 ns, Peak = -1.9 ns
 - $\sigma = 5.1$ ns, FWHM = 0.4 ns
- “Peak-aligned” distribution
 - Mean = 2.5 ns, Peak = 0.0 ns
 - $\sigma = 5.1$ ns, FWHM = 0.4 ns



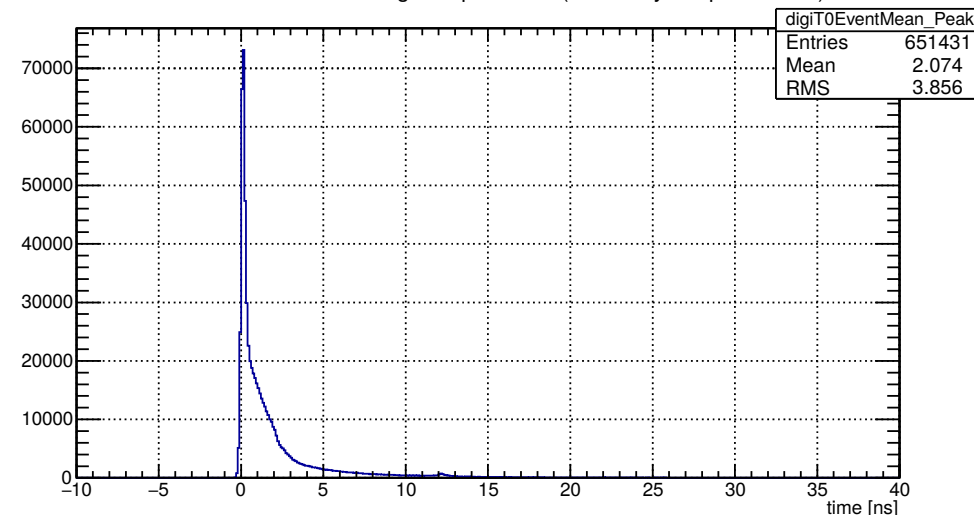
Average t_0 per event

- combine shifted time stamps of one event to t_0
 - mean-aligned
 - Mean = -0.35 ns, Peak = -1.9 ns
 - $\sigma = 3.9$ ns, FWHM = 0.5 ns
 - peak-aligned
 - Mean = 2.1 ns, Peak = 0.1 ns
 - $\sigma = 3.9$ ns, FWHM = 0.3 ns
- the parameter used to shift time stamps has to be related to the algorithm used to calculate the final t_0
- So far **only by using the SciTil** and a very **simple algorithm** we achieve a t_0 time resolution of **$\sigma = 3.9$ ns**

Distribution of the average T_0 per event (shifted by the mean value)

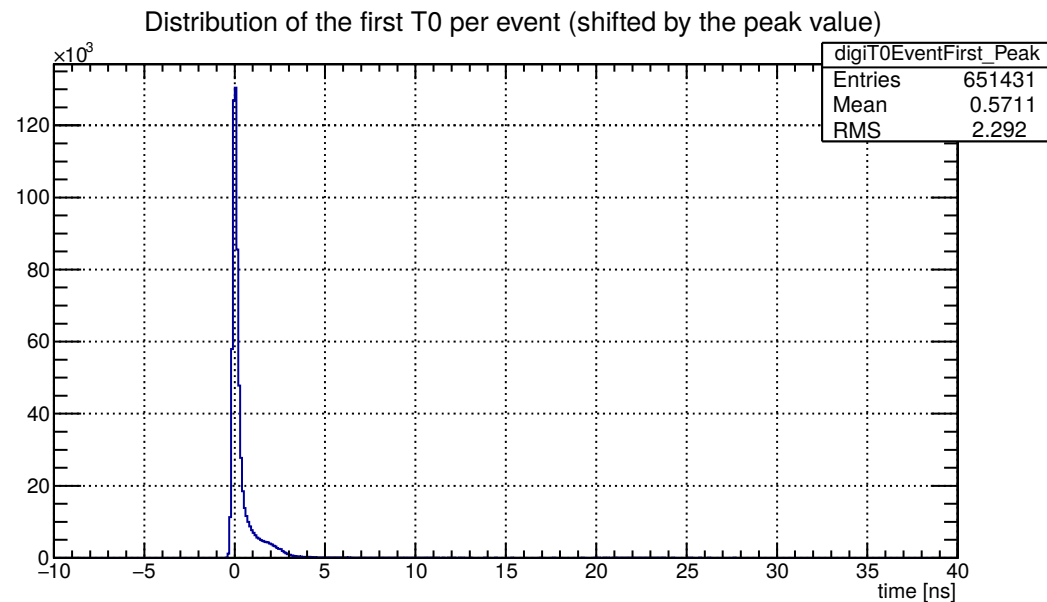


Distribution of the average T_0 per event (shifted by the peak value)



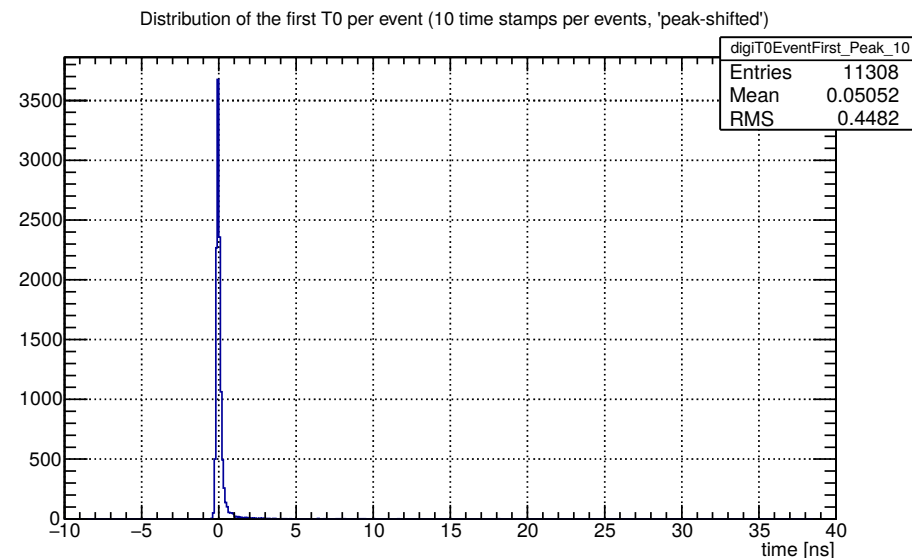
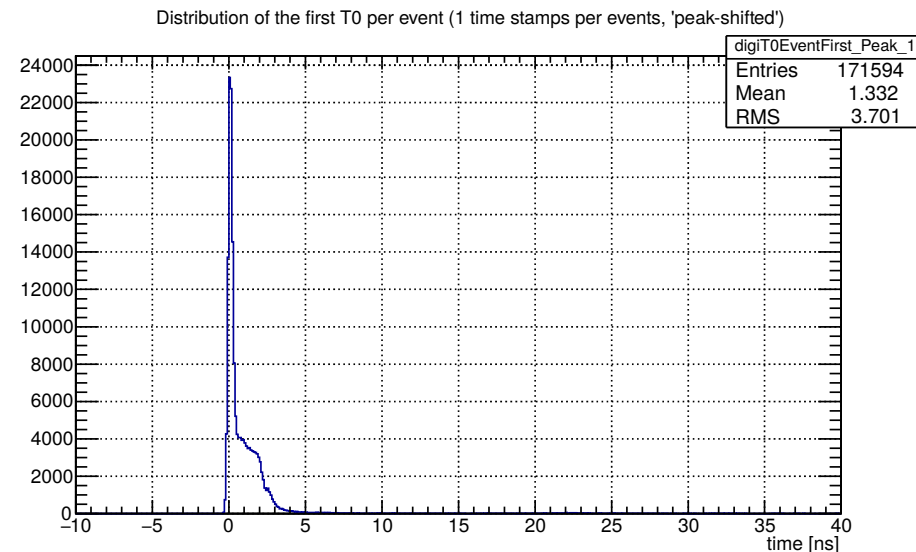
First time stamp method

- Estimate t_0 using first “peak-aligned” time stamp per event
 - Mean = 0.6 ns, Peak = 0.0 ns
 - $\sigma = 2.3$ ns, FWHM = 0.3 ns
- $\sigma = 2.3$ ns is achieved



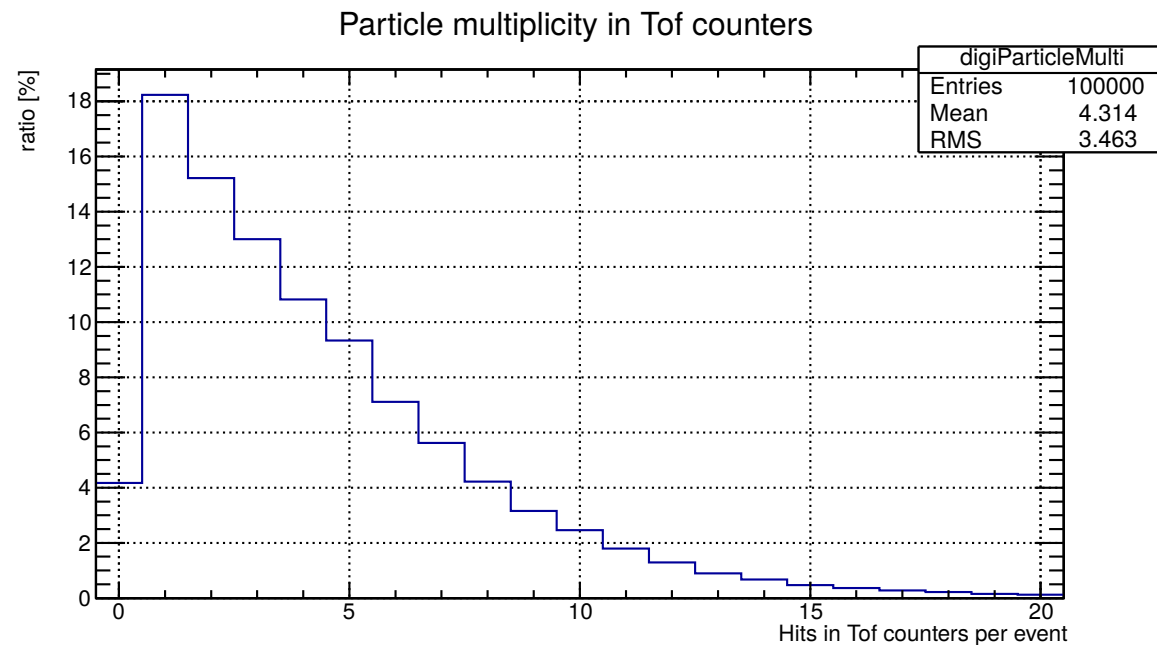
Influences of particle multiplicity in SciTil

- Accuracy is strongly correlated with the particle multiplicity
- First time stamp method
 - $\sigma_1 = 3.7 \text{ ns} \Rightarrow \sigma_{10} = 0.4 \text{ ns}$
- Including time stamps of the FTOF (and other detectors) increase the accuracy further



Time stamp multiplicity in TOF counters

- For ~ 4% of the events no time stamps
- For about 1/3 of the events 1 to 2 hits in the TOF counters
- For 2/3 of the events 3 or more Hits are registered
- For this study the DPM generator was used
 - The particle multiplicity for wanted events may differ from the background
 - Interesting events may have a higher particle multiplicity
 - $p\bar{p} \rightarrow p\bar{p}$



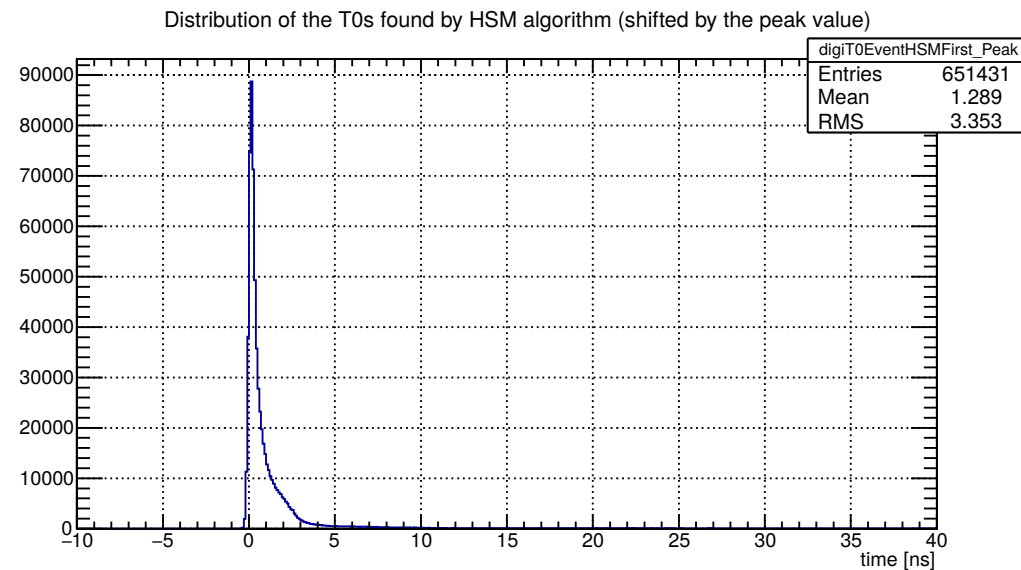
Half sample mode

- No previous event separation in online reconstruction
- Exploiting the Peak structure
 - deliver good results
 - Weakly effected by event mixing effects
- “half sample mode” (HSM)
 - Simple cluster finding algorithm
 - Search for the shortest interval which is containing half of the timestamps in a defined interval
 - Iteratively repeat on the so found intervals till only 2 time stamps are left
 - The first one is chosen as T0 for the event

Half sample mode

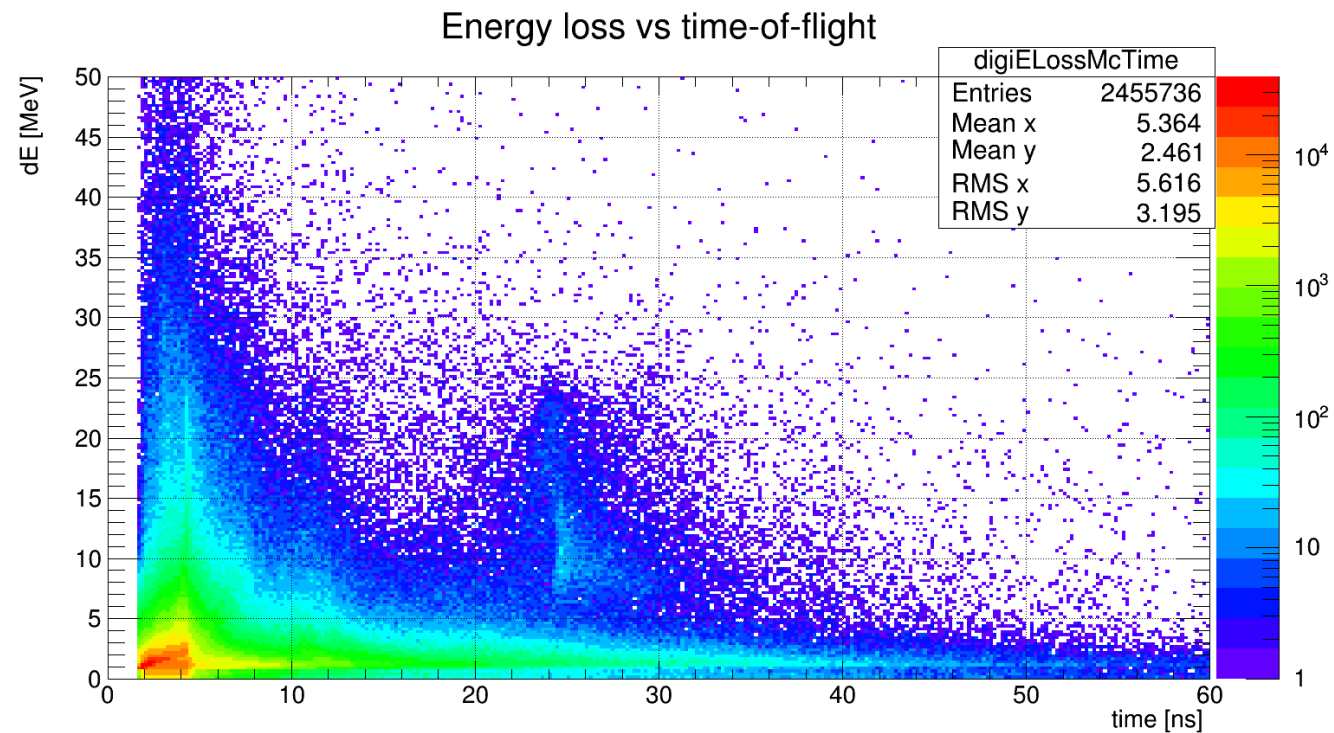
HSM for single events

- Mean = 1.3 ns, Peak = 0.1 ns
- $\sigma = 3.4$ ns, FWHM = 0.4 n
- Performance located between average and first time stamp method
- Advantage of HSM (and similar) is the **functionality in a continuously read out**



Suppress slow particles

- Distinguish between fast and slow particles by energy loss in SciTil
 - No correlation between the energy loss and the flight time of the particles is observed



Summary

- We studied a simple and fast algorithm to estimate t_0 based on the timing information of the TOF counters
 - Due to the limited scope of this study only the SciTil was taken into account
- It is evident that the secondaries provide an additional and useful information for the t_0 estimation
- It was shown that T_0 can be calculated by using the position information of the SciTil and the corresponding typical time of flight
 - Using the “first time stamp method” a t_0 resolution of $\sigma = 2.3 \text{ ns}$ was achieved.
- Using the additional energy loss information provided by the SciTil lead to no enhancement so far
- Increase in accuracy is expected once the FTOF information is taken into account

Thank you for your attention