

# Extracting longitudinal position and momentum with the skewed straws

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on behalf of the  $\bar{P}$ ANDA collaboration

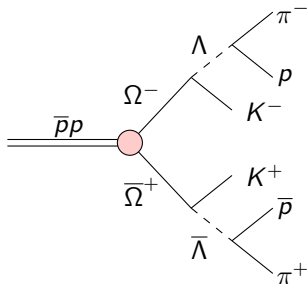
$\bar{P}$ ANDA collaboration meeting  
March 1, 2016  
Bochum, Germany



# Detecting hyperons with $\overline{\text{PANDA}}$

A track finder to detect hyperons:

- Ground state hyperons decay weakly  $\rightarrow$  displaced vertices
- Many excited hyperons decay into  $\Lambda$



$\overline{p}p \rightarrow \overline{\Omega}^+ \Omega^-$  characteristics

- 6 charged tracks from 4 displaced vertices
- Tracks from displaced vertex can miss MVD

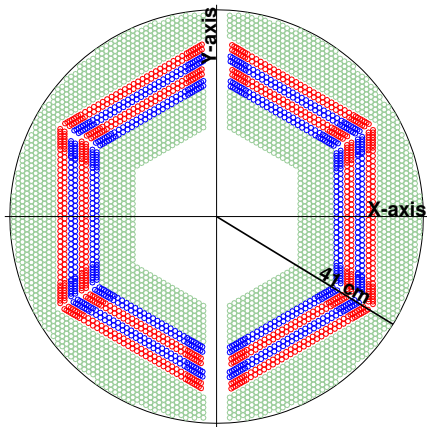
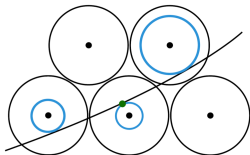
# The PANDA Straw Tube Tracker

## STT specifications

Total straws	4636
Axial layers	15-19
Stereo layers	8
Stereo angle	$\pm 2.9$ deg

**Isochrone radius**

Radial distance from track to wire



**Figure:** Cross sectional view of STT  
Green - parallel straw  
Red, blue - skewed straw

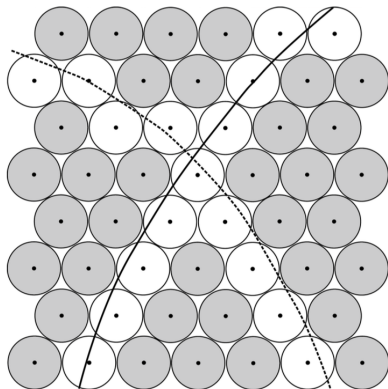
# SttCellTrackFinder

Track reconstruction algorithm using only STT.  
(J. Schumann, Forschungszentrum Jülich)

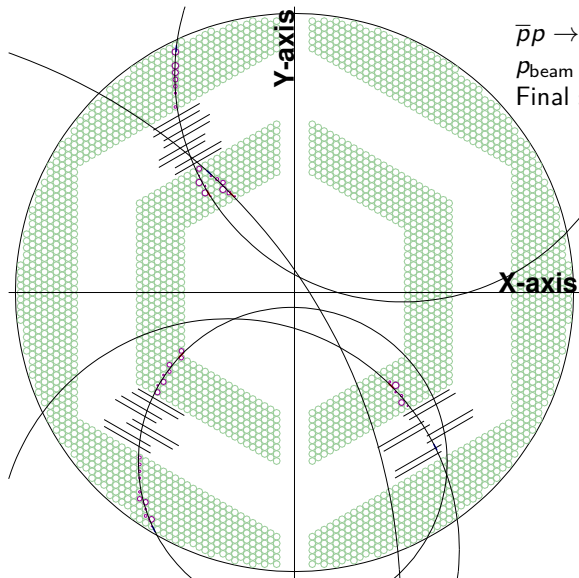
- 1 Cluster hits in parallel straws into tracklets  
(neighboring relations)
- 2 Refined circle fit using isochrones
- 3 Assign skewed straw hits to track

Output: circle for each track in  
 $xy$ -plane

Must include skewed straws to  
reconstruct  $p_z$

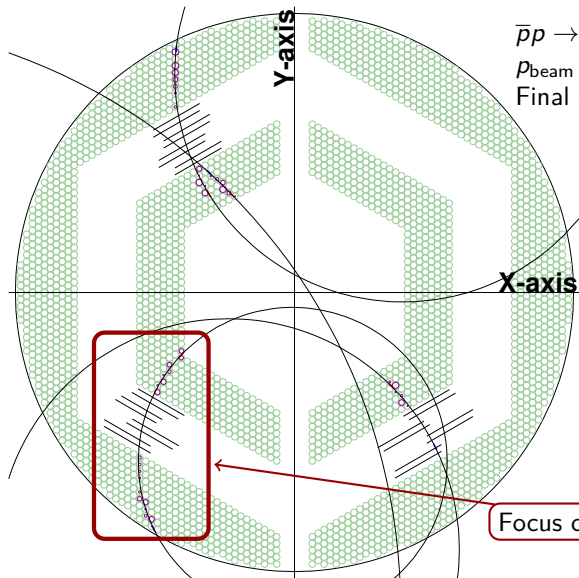


## Longitudinal position from skewed straws



$\bar{p}p \rightarrow \bar{\Lambda}\Lambda$  generated at  
 $p_{\text{beam}} = 1.64 \text{ GeV}/c$   
Final state:  $\bar{p}\pi^+ p\pi^-$

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Focus on this track!

# Longitudinal position from skewed straws

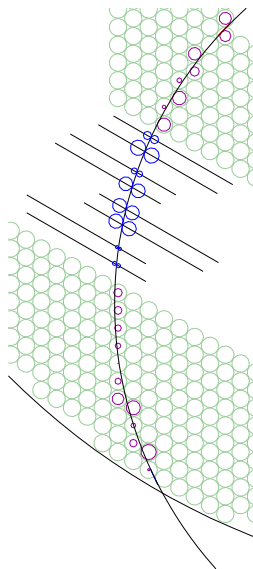
The method:

- 1 Extract isochrone radius in skewed straw
- 2 Center of isochrone gives  $z$ -position
- 3 Generate all possible isochrone positions
- 4 Calculate  $(z, \phi)$

**Ambiguity:** Each straw gives two possible  $(z, \phi)$

## Solve ambiguity

Use Hough transform or combinatoric method to reject fake positions



## Method 1: Hough transform

Find geometric shapes in images.

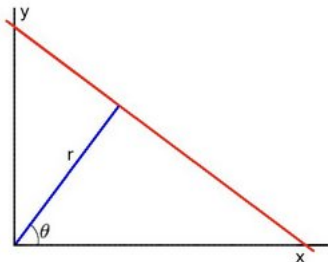
- Helix trajectory  $\rightarrow$  straight line in  $z - \phi$  space
- Line parameters in  $xy$ -plane, slope  $k$  and intercept  $m$ 
  - $y(x) = kx + m$

**Problem:** The intercept parameter  $m$  unbound.

### Hesse normal form

$$r = x \cos \theta + y \sin \theta$$

$$y = \left( -\frac{\cos \theta}{\sin \theta} \right) x + \left( \frac{r}{\sin \theta} \right)$$



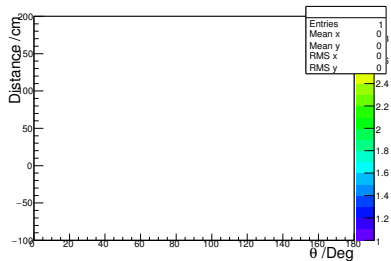
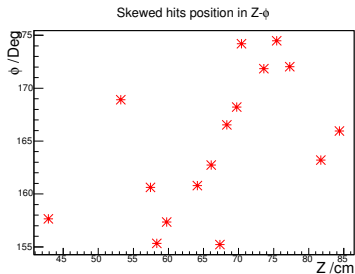
**Figure:** Blue line perpendicular to red line and crosses the origin



# Method 1: Hough transform

The method:

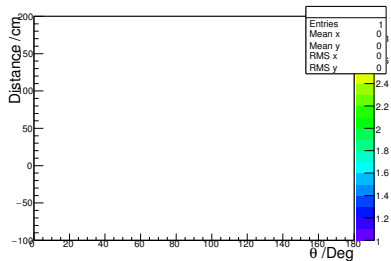
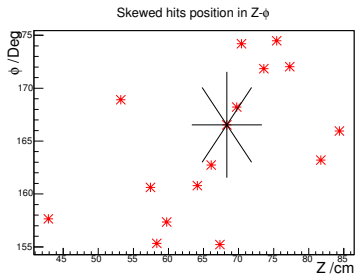
- 1 Isochrone centers in  $z - \phi$  space



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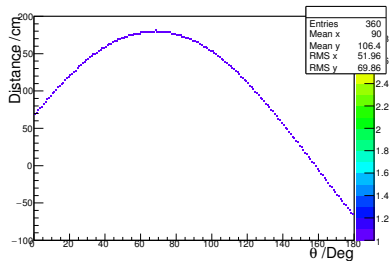
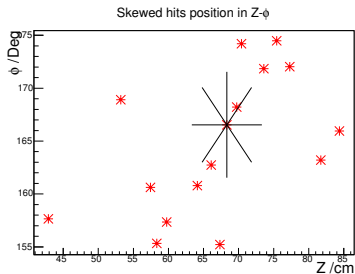
- 1 Isochrone centers in  $z - \phi$  space
- 2 Generate set of all lines



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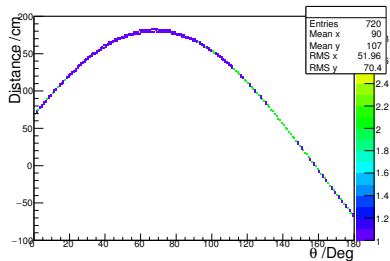
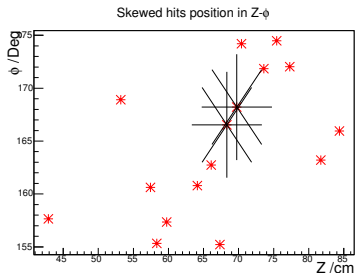
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- 2 Generate set of all lines
- 3 Parameters  $\rightarrow$  accumulator space



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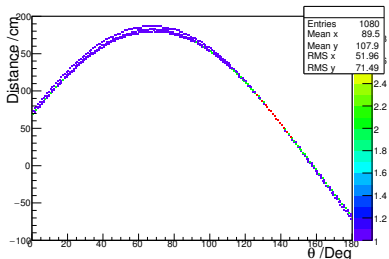
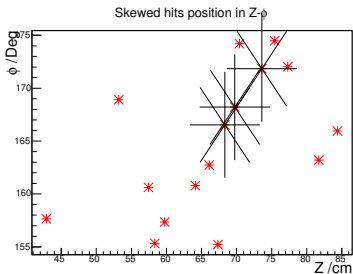
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- 4 Repeat for all points



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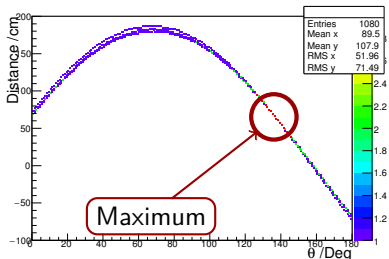
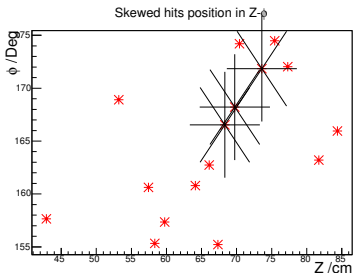


# Method 1: Hough transform

The method:

- 1 Isochrone centers in  $z - \phi$  space
- 2 Generate set of all lines
- 3 Parameters  $\rightarrow$  accumulator space
- 4 Repeat for all points
- 5 Voting procedure  $\rightarrow$  true line

True line found in maximum!



# Method 1: Hough transform

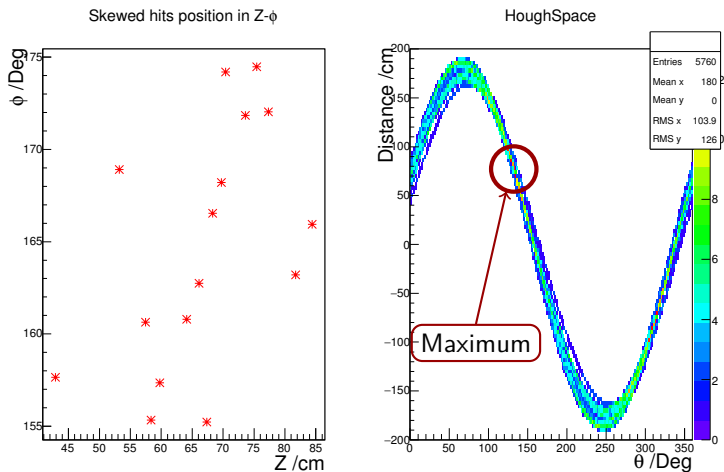


Figure: 360 lines generated for each data point in steps of  $1^\circ$  in  $\theta$

## Method 1: Extracting helix angle

The method:

- 1 Calculate point of closest approach (POCA) from hits to true line
- 2 Accept hit with smallest POCA
- 3 Straight line fit with selected  $(z, \phi)$  coordinates

### Finish

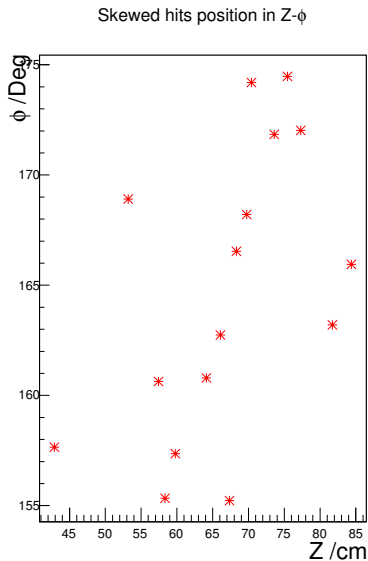
The slope of the fitted line yields the helix angle.  $z_0$  and  $p_z$  can now be extracted!

- z-position assigned to all skewed hits
- Extrapolate helix to first and last parallel hit → new FairTrackParP



## Method 2: Combinatorics

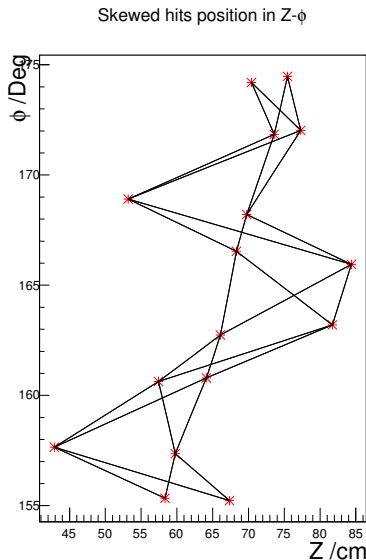
The method:



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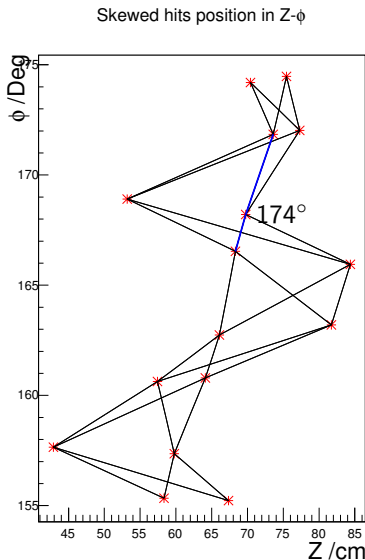
- 1 Calculate all lines between  $(z, \phi)$  points in neighboring skewed straws



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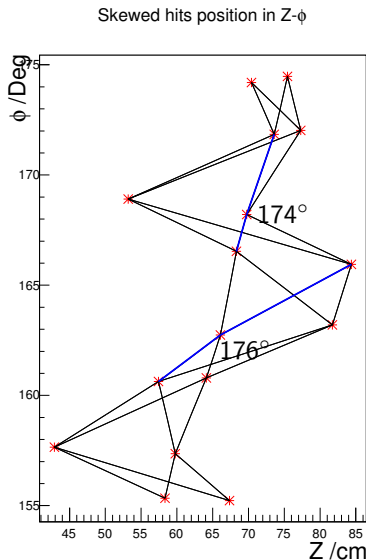
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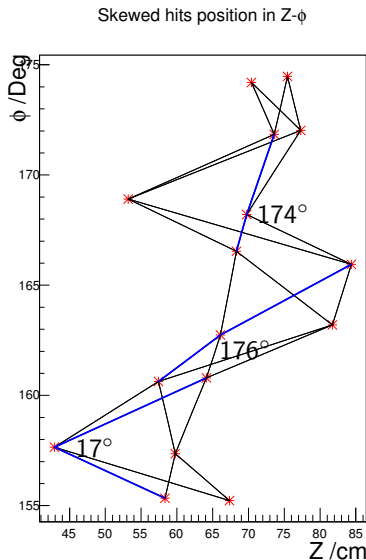
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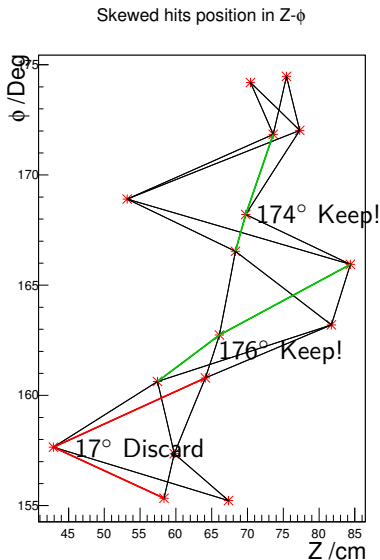
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## Method 2: Combinatorics

The method:

- 1 Calculate all lines between  $(z, \phi)$  points in neighboring skewed straws
- 2 Calculate angle between all possible neighboring lines
- 3 Ignore paths where  $\theta < 160^\circ$   
→ reduces number of combinations

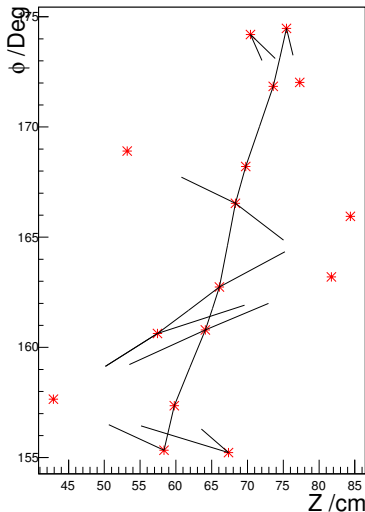


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Skewed hits position in Z- $\phi$



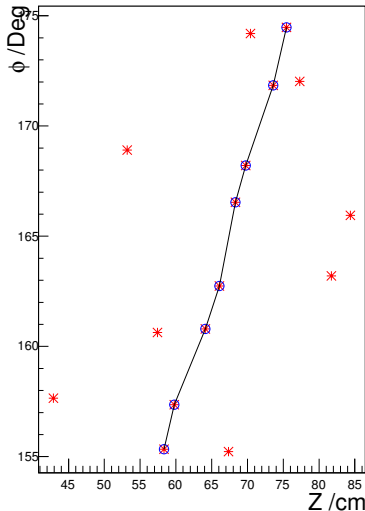
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- 4 Choose path with  $\min(\sum \theta_i - 180^\circ)$

Hits in final path chosen as true hits

Skewed hits position in Z- $\phi$





## Code structure

- PndSttSkewStrawPzFinderTask.cxx
  - PndTrack - Standard PANDA track object
  - PndTrackCand - PndSttHits belonging to track
  - PndRiemannTrack - Riemann circle parameters to track
- PndSttSkewStrawPzFinder.cxx
  - MoveSkewedHitstoCircle
    - Calculates all possible  $(z, \phi)$  in skewed straw
  - HoughTruelsoFinder
    - Fills accumulator space, find maximum, rejects fake hits with POCA
  - LineCombilsoFinder
    - Generates lines, calculates angles, find best path
  - PzLineFitExtract
    - Simple line fit to true  $(z, \phi)$  hits and extracts helix angle
- PndSttSkewStrawPzFinderAnaTask.cxx
  - Task for analysing and drawing output

# Summary and outlook

- Hyperons pose a challenge due to displaced vertices
- General class developed to extract longitudinal information from skewed straws
  - Input: Circle parameter of helix, list of hits
  - Output: Helix angle, modified FairTrackParP
- SttCellTrackFinder now reconstructs complete track helices
- Benchmarking SttCellTrackFinder
  - How does PndRecoKalmanTask deal with SttHits?
  - Standard ways of Quality assurance?

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Thank you for your attention!

# Backup

# Hyperon channels in $\overline{\text{PANDA}}$

Why antihyperon-hyperon production?

- Hyperons produced at scales where QCD is poorly understood
- $CP$  violation - needed to describe matter in the universe
- Never-before measured hyperon states
- Measure properties e.g. spin of hyperons

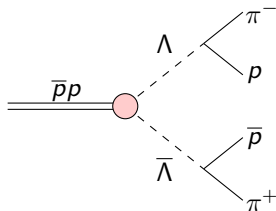


Figure:  $\Lambda\bar{\Lambda}$  production channel, scarce data above  $\sqrt{s} = 4$  GeV

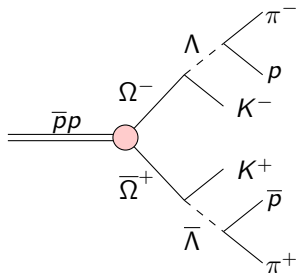
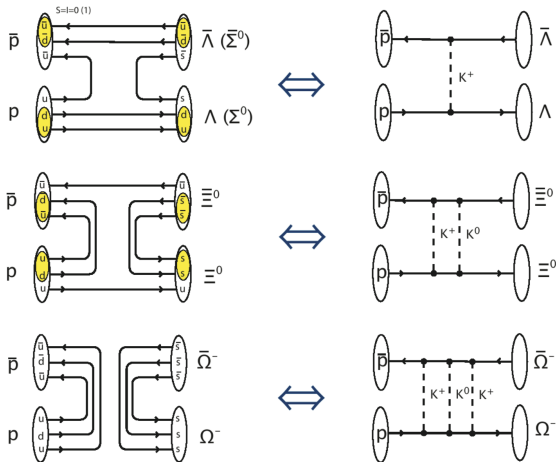


Figure:  $\bar{\Omega}^+\Omega^-$  production channel, never measured

# Hyperon production $\bar{p}p \rightarrow \bar{Y}Y$



**Figure:**  $\bar{p}p \rightarrow \bar{Y}Y$  in quark-gluon picture (left) and in Hadron picture (right).

# Hyperons: Spin observables in $\bar{p}p \rightarrow \bar{Y}Y$

Spin observables can be used to test theoretical model. Angular distribution related to

$$I \propto \sum_{\mu, \nu=0}^3 \sum_{k, l=0}^3 \bar{\alpha} \alpha \chi_{kl\mu\nu} P_k^B P_l^T \bar{k}_\mu k_\nu$$

With **unpolarised** beam and **unpolarised** target, differential cross section  $\chi_{0000}$ , polarisation  $\chi_{00\mu 0} = P_{\bar{i}}$ ,  $\chi_{000\nu} = P_i$  and the spin correlations  $\chi_{00\mu\nu} = C_{ij}$  are accessible.

## Polarisation

- 3 polarisation parameters for spin- $\frac{1}{2}$  hyperons:  $P_x, P_y, P_z$
- $P_x = P_z = 0$  due to strong production
- $P_y = P_{\bar{y}}$  due to rotational invariance

## Spin correlation

- 9 spin correlation parameters for spin- $\frac{1}{2}$  hyperons:  $C_{i,j}$
- $C_{xy} = C_{yx} = C_{yz} = C_{zy} = 0$  due to strong production
- $C_{xz} = C_{zx}$  due to rotational invariance

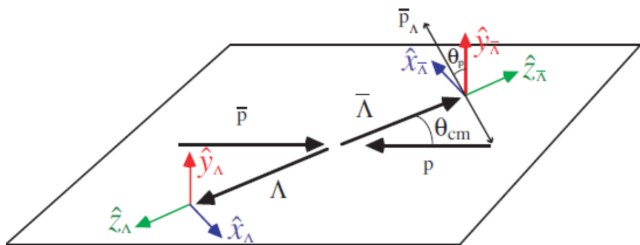
## Hyperons: Spin observables in $\bar{p}p \rightarrow \bar{Y}Y$

Polarised Particle	None	Beam	Target	Both
None	$I_{0000}$	$A_{i000}$	$A_{0j00}$	$A_{ij00}$
Scattered	$P_{00\mu 0}$	$D_{i0\mu 0}$	$K_{0j\mu 0}$	$M_{ij\mu 0}$
Recoil	$P_{000\nu}$	$K_{i00\nu}$	$D_{0j0\nu}$	$N_{ij0\nu}$
Both	$C_{00\mu\nu}$	$C_{i0\mu\nu}$	$C_{0j\mu\nu}$	$C_{Cij\mu\nu}$

- In  $\bar{p}p \rightarrow \bar{Y}Y$  there are 256 spin variables in total



## Hyperons: Spin observables in $\bar{p}p \rightarrow \bar{Y}Y$



### Polarisation

Proton angular distribution:

$$I(\theta_p) = \frac{1}{4\pi} (1 + \alpha P_Y \cos \theta_p)$$

$\bar{\alpha}, \alpha$  - decay asymmetry parameter

### Spin correlation

Nucleon angular distribution:

$$I(\theta_i, \theta_j) = \frac{1}{16\pi^2} (1 +$$

$$\bar{\alpha}\alpha \sum_{i,j} C_{ij} \cos \theta_i \cos \theta_j)$$

## Accessible hyperons at $\bar{P}$ ANDA

