

# Physics Program at the ENC

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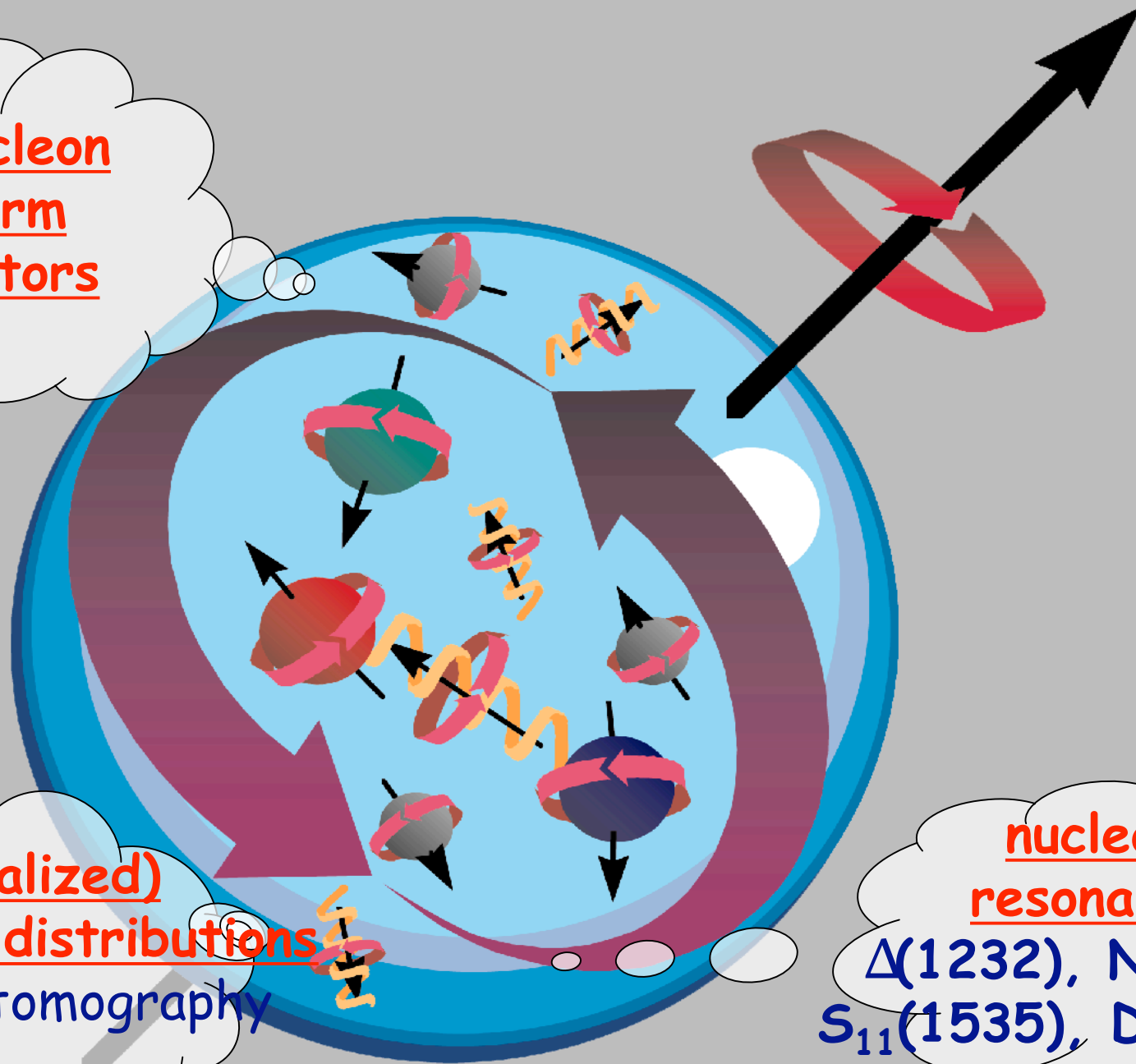
Common ENC/EIC Workshop at GSI

Darmstadt, May 28-30, 2009

nucleon  
form  
factors

(generalized)  
parton distributions  
spin, tomography

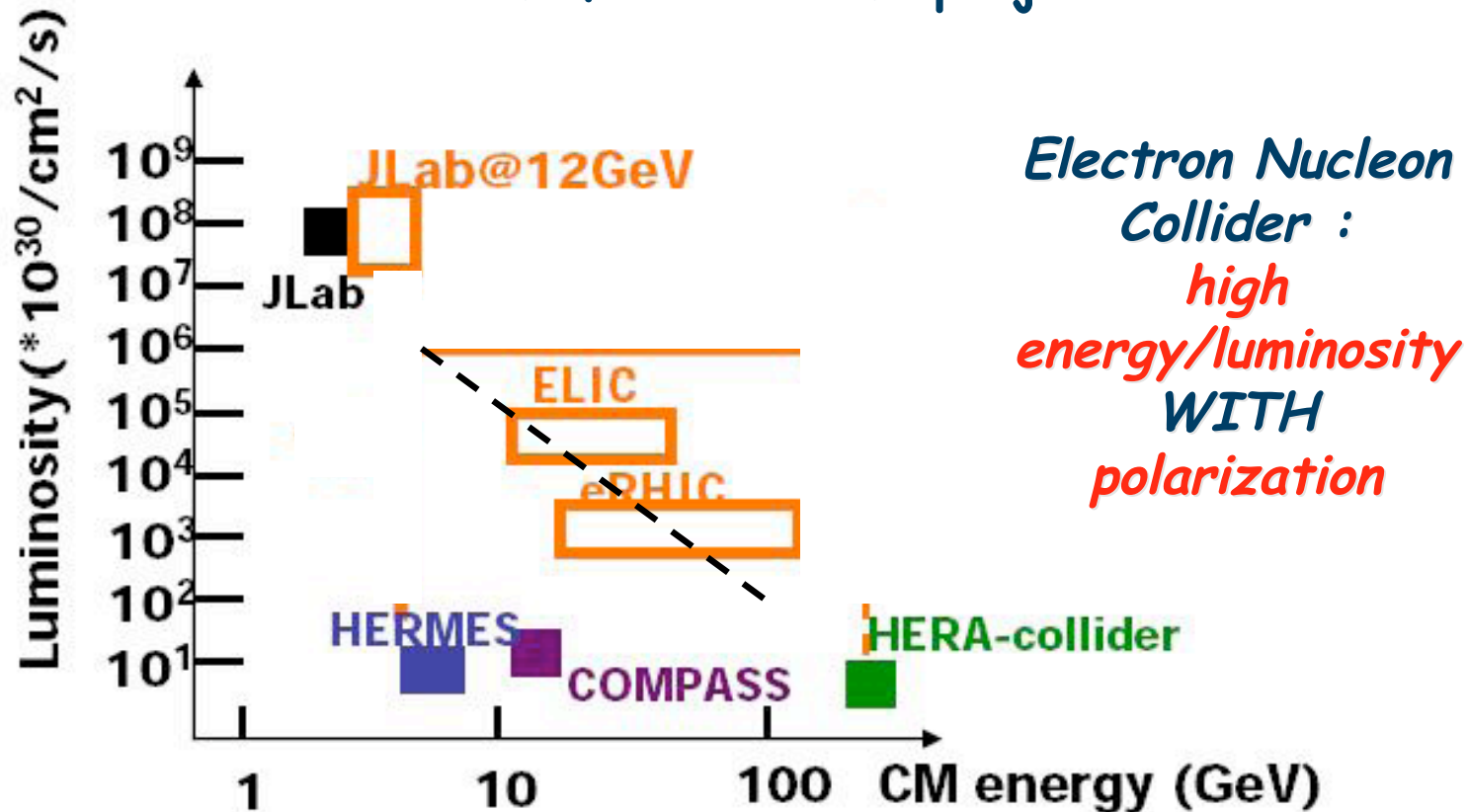
nucleon  
resonances  
 $\Delta(1232)$ ,  $N^*(1440)$ ,  
 $S_{11}(1535)$ ,  $D_{13}(1520)$



# Energy / Luminosity landscape

Hadron structure investigations with **electromagnetic probes** :

Present facilities and projects



# Understanding QCD origin of the nucleon spin

Quark spins      Gluon spins

$$\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta g + L$$

↑  
Orbital angular momenta

$\Delta\Sigma \neq 1$

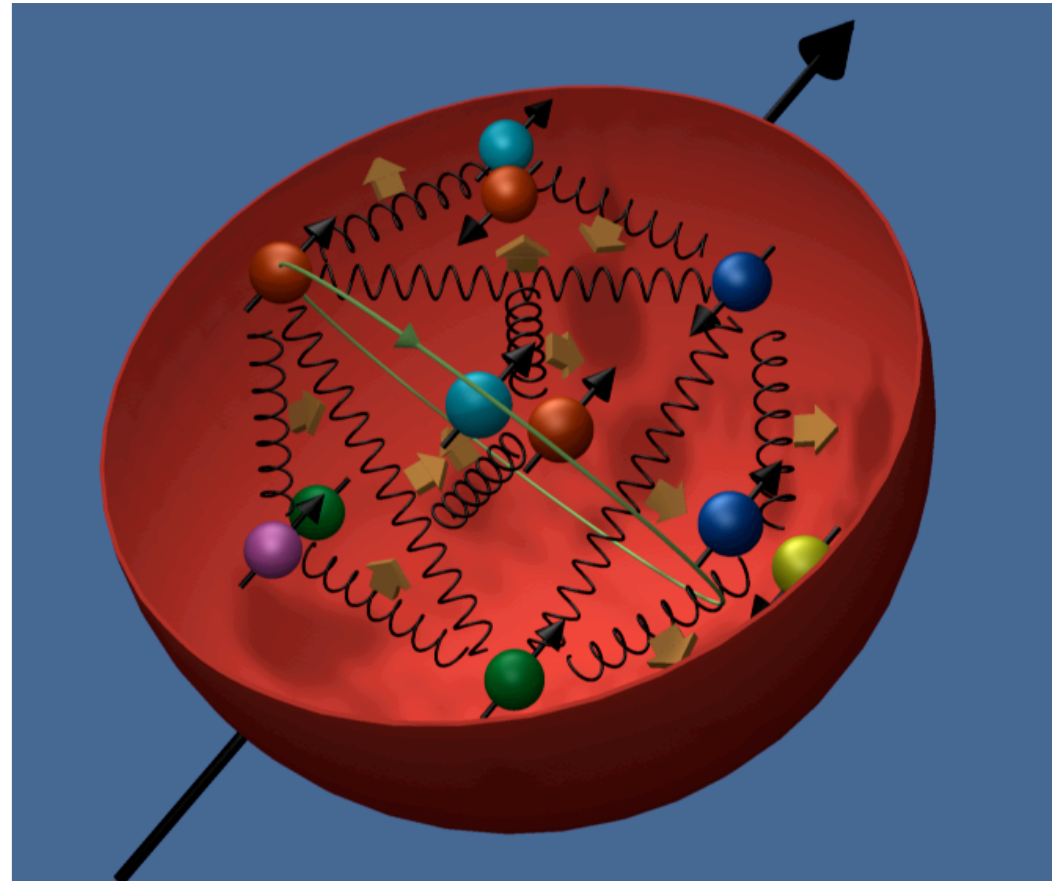
EMC : (1988)

$$\Delta\Sigma = 0,12 \pm 0,09 \pm 0,14$$

HERMES (2007) :  $\Delta\Sigma = 0,330 \pm 0,025 \pm 0,011 \pm 0,028$

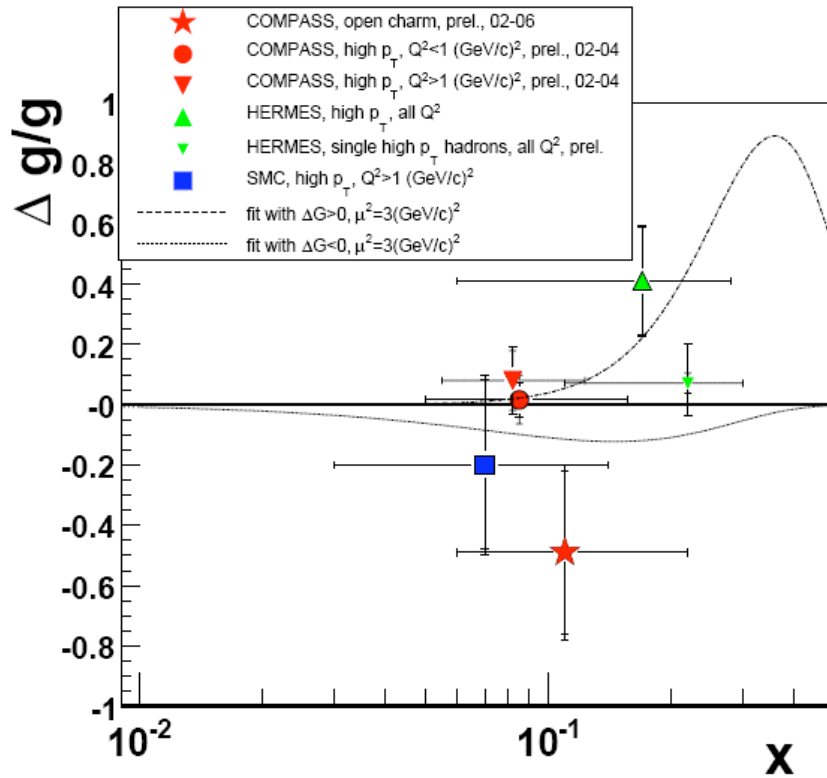
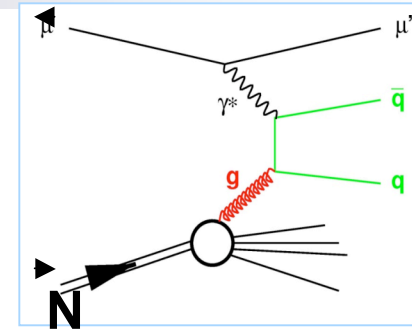
courtesy : K. Rith

COMPASS (2007) :  $\Delta\Sigma = 0,33 \pm 0,03 \pm 0,05$



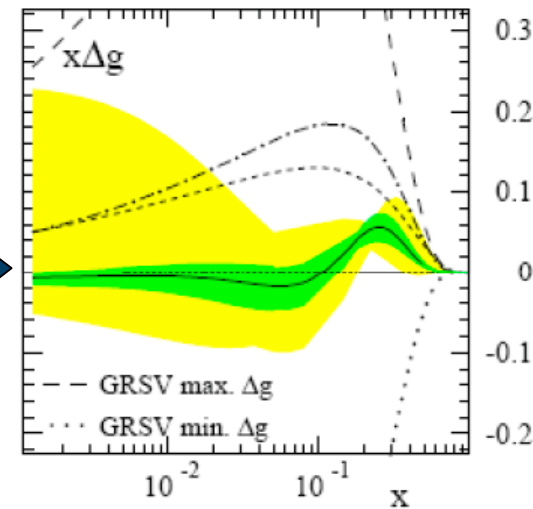
# Gluon helicity contribution

Photon-gluon fusion



Hadrons with high p<sub>T</sub>  
Charm production

NLO analysis of helicity parton densities De Florian et al. (2008)



$\pm 1\sigma$

$$\Delta g = -0.1 \pm 0.1$$

Gluon helicity contribution is small

# What have we learned from polarized DIS so far ?

Quark spins      Gluon spins

$$\frac{1}{2} = \underbrace{\frac{1}{2} \Delta\Sigma}_{0.175} + \underbrace{\Delta g}_{0} + \underbrace{L}_{?}$$

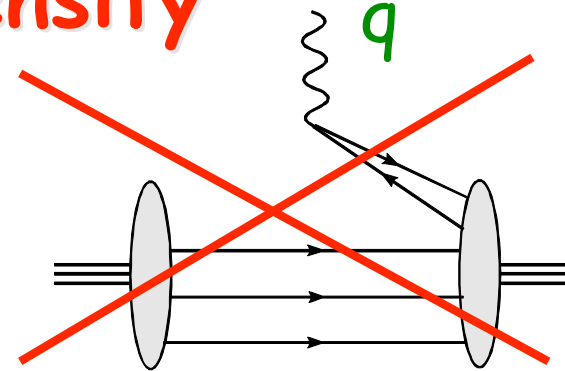
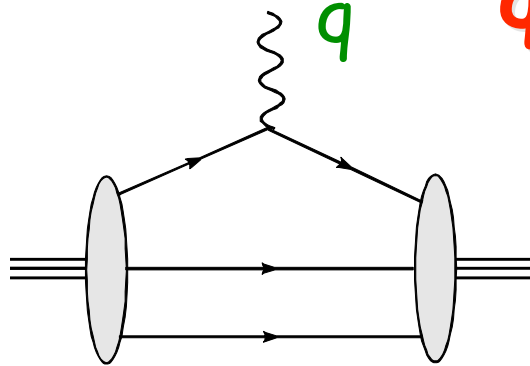
← Orbital angular momenta

Origin of nucleon spin still unclear:

- ➔ where do the remaining ~65% come from ?
- ➔ how accurate do we know  $\Delta g$  ?
- ➔ what is the contribution of orbital angular momenta  $L$  ?

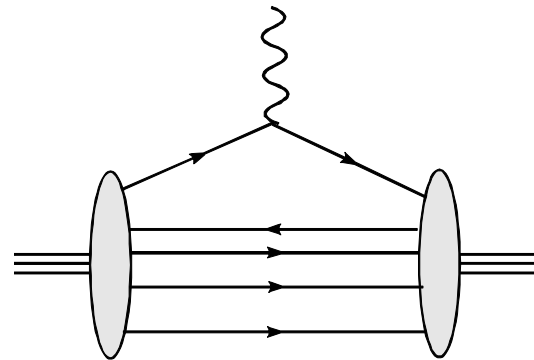
# interpretation of Form Factor as

**quark density**



overlap of wave function Fock components with **different** number of constituents

**NO probability/charge density interpretation**



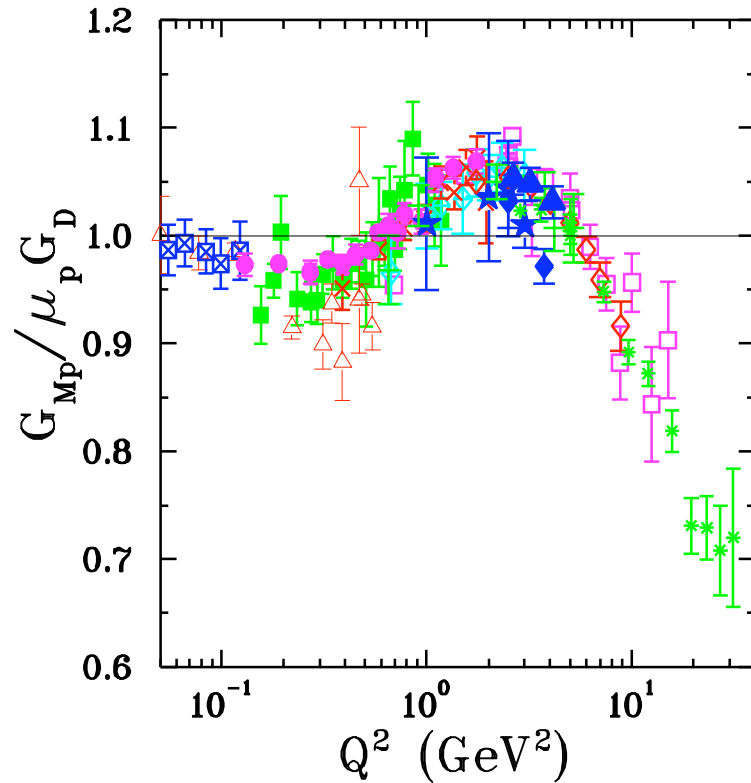
overlap of wave function Fock components with **same** number of quarks

interpretation as **probability/charge density**

absent in a **LIGHT-FRONT** frame !

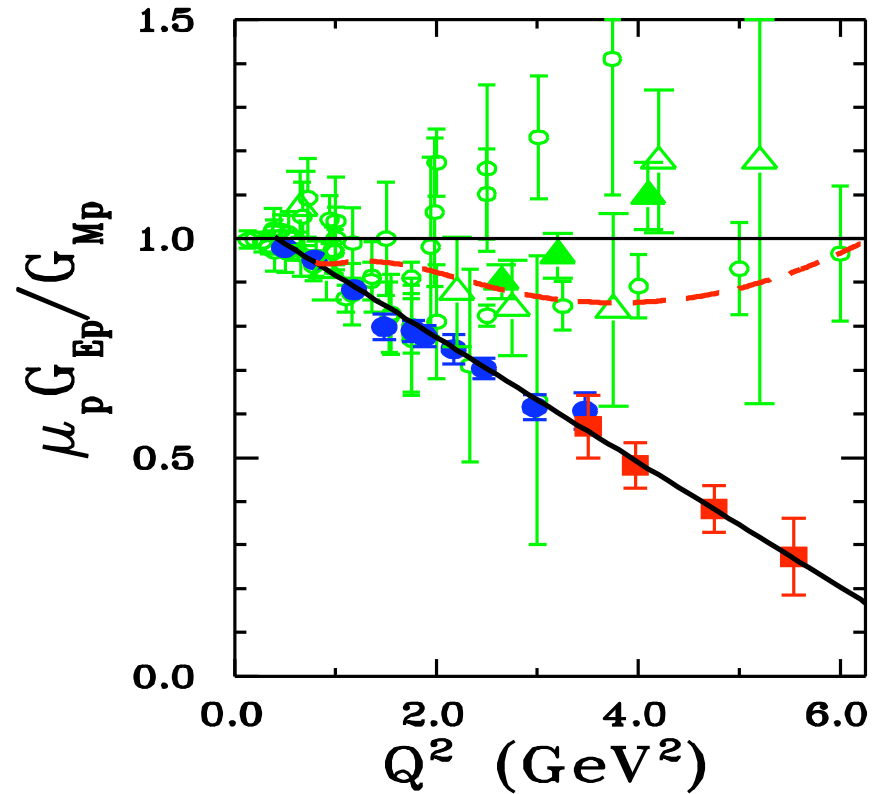
$$q^+ = q^0 + q^3 = 0$$

# proton e.m. form factor : status



- |                       |                        |
|-----------------------|------------------------|
| $\triangle$ Han63     | $\diamond$ Bar73       |
| $\blacksquare$ Jan66  | $\boxtimes$ Bor75      |
| $\square$ Cow68       | $*$ Sil93              |
| $\blacklozenge$ Lit70 | $\diamond$ And94       |
| $\bullet$ Pri71       | $\star$ Wal94          |
| $\times$ Ber71        | $+$ Chr04              |
| $\star$ Han73         | $\blacktriangle$ Qat05 |

new MAMI/A1 data up to  $Q^2 \approx 0.7 \text{ GeV}^2$



green : Rosenbluth data (SLAC, JLab)

- |                      |                                  |
|----------------------|----------------------------------|
| $\bullet$ Pun05      | } JLab/HallA<br>recoil pol. data |
| $\blacksquare$ Gay02 |                                  |

new JLab/HallC recoil pol. exp. (spring 2008) :  
extension up to  $Q^2 \approx 8.5 \text{ GeV}^2$



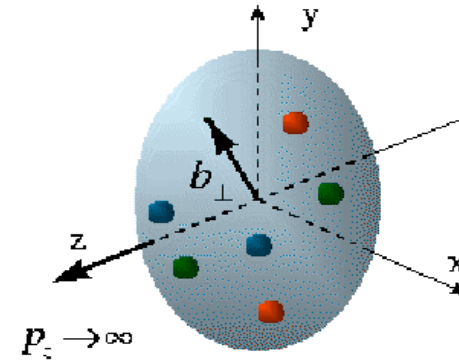
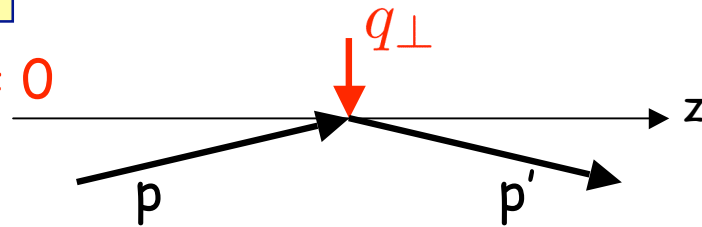
# quark transverse charge densities in nucleon (I)

light-front



$$q^+ = q^0 + q^3 = 0$$

$$Q^2 \equiv \vec{q}_\perp^2$$

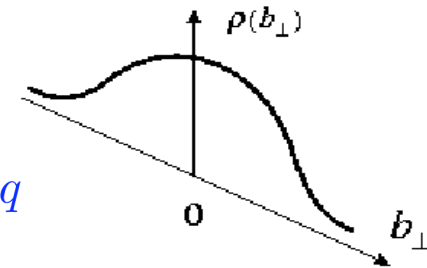


photon only couples to forward moving quarks



quark charge density operator

$$J^+ \equiv J^0 + J^3 = \bar{q}\gamma^+q = 2q_+^\dagger q_+, \quad \text{with} \quad q_+ \equiv \frac{1}{4}\gamma^-\gamma^+q$$



★ longitudinally polarized nucleon

$$\begin{aligned} \rho_0^N(\vec{b}) &\equiv \int \frac{d^2\vec{q}_\perp}{(2\pi)^2} e^{-i\vec{q}_\perp \cdot \vec{b}} \frac{1}{2P^+} \langle P^+, \frac{\vec{q}_\perp}{2}, \lambda | J^+(0) | P^+, -\frac{\vec{q}_\perp}{2}, \lambda \rangle \\ &= \int_0^\infty \frac{dQ}{2\pi} Q J_0(bQ) F_1(Q^2) \end{aligned}$$

Miller  
(2007)

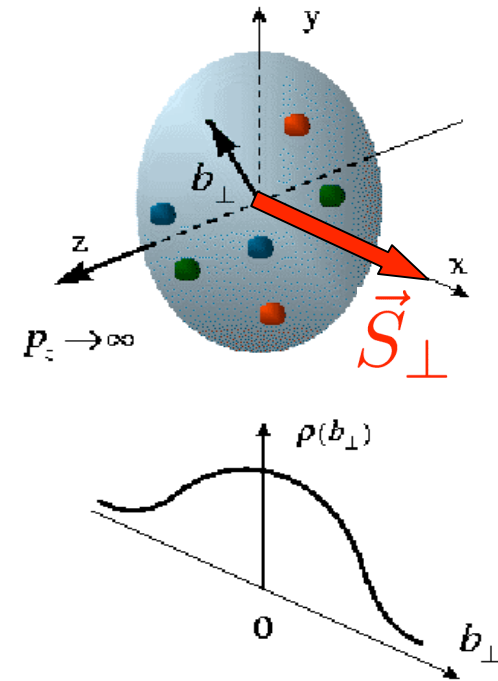
# quark transverse charge densities in nucleon (II)

## ★ transversely polarized nucleon

transverse spin  $\vec{S}_\perp = \cos \phi_S \hat{e}_x + \sin \phi_S \hat{e}_y$

e.g. along x-axis :  $\phi_S = 0$

$\vec{b} = b (\cos \phi_b \hat{e}_x + \sin \phi_b \hat{e}_y)$

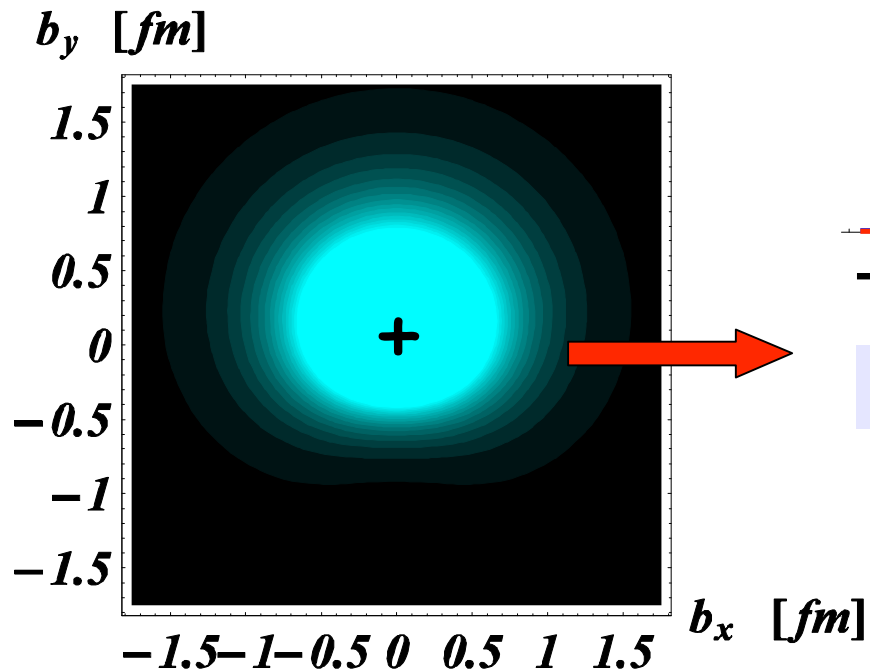
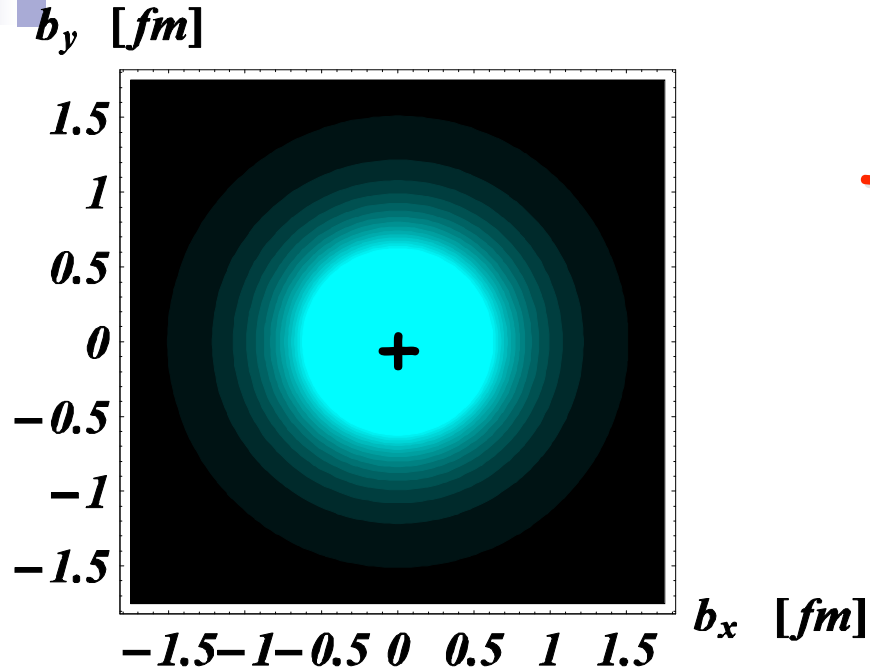


$$\begin{aligned} \rho_T^N(\vec{b}) &\equiv \int \frac{d^2 \vec{q}_\perp}{(2\pi)^2} e^{-i \vec{q}_\perp \cdot \vec{b}} \frac{1}{2P^+} \langle P^+, \frac{\vec{q}_\perp}{2}, s_\perp = +\frac{1}{2} | J^+(0) | P^+, -\frac{\vec{q}_\perp}{2}, s_\perp = +\frac{1}{2} \rangle \\ &= \rho_0^N(b) + \sin(\phi_b - \phi_S) \int_0^\infty \frac{dQ}{2\pi} \frac{Q^2}{2M_N} J_1(bQ) F_2(Q^2) \end{aligned}$$

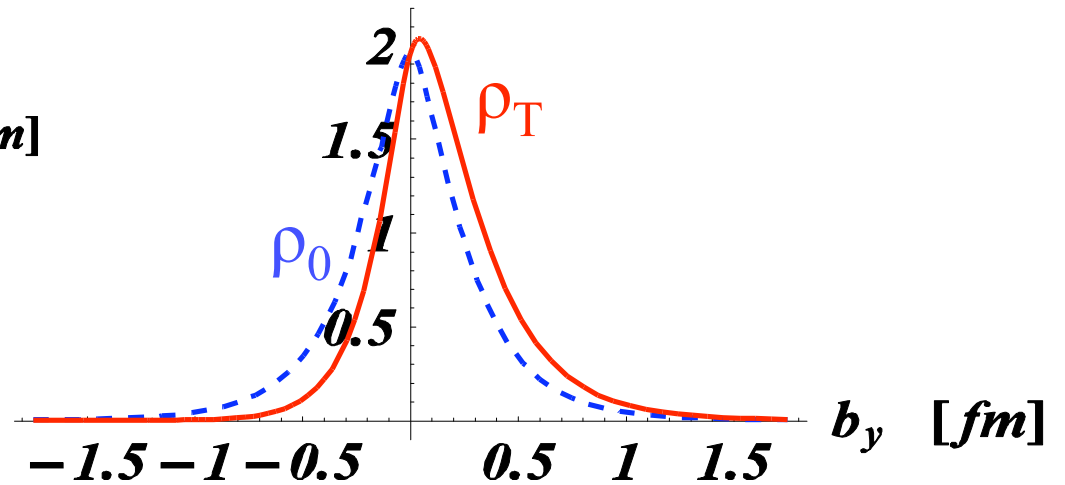
dipole field pattern

Carlson, Vdh (2007)

# empirical quark transverse densities in proton



$\rho_0^P, \rho_T^P$  [ $1/\text{fm}^2$ ]



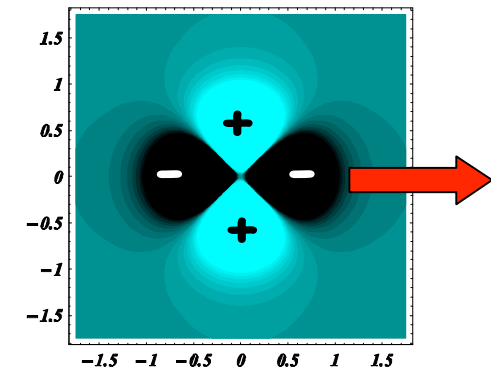
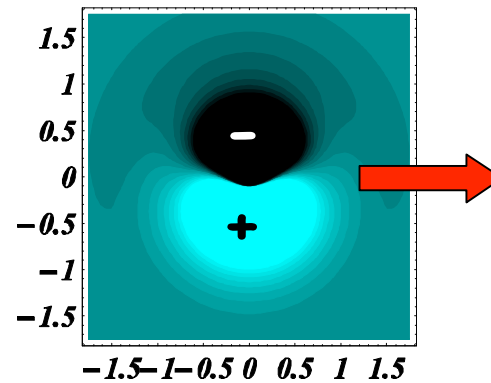
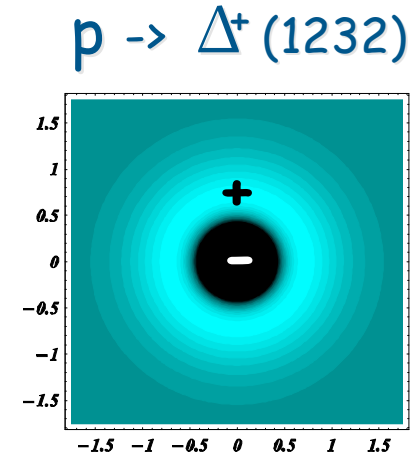
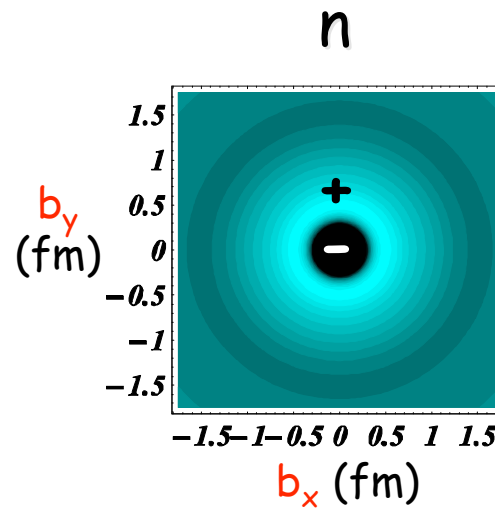
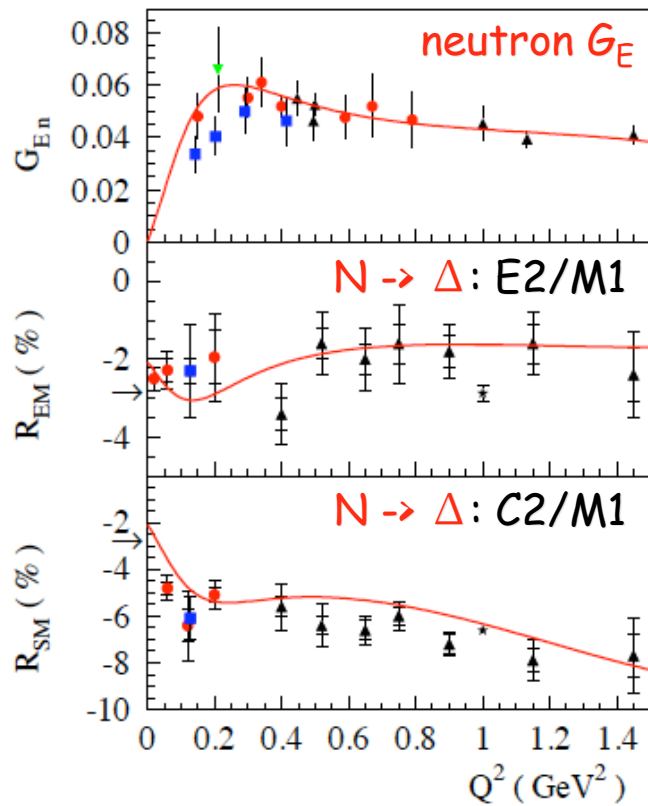
induced EDM :  $d_y = F_{2p}(0) \cdot e / (2 M_N)$

data : Arrington, Melnitchouk, Tjon (2007)

densities : Miller (2007); Carlson, Vdh (2007)

# Form Factors : transverse quark charge densities

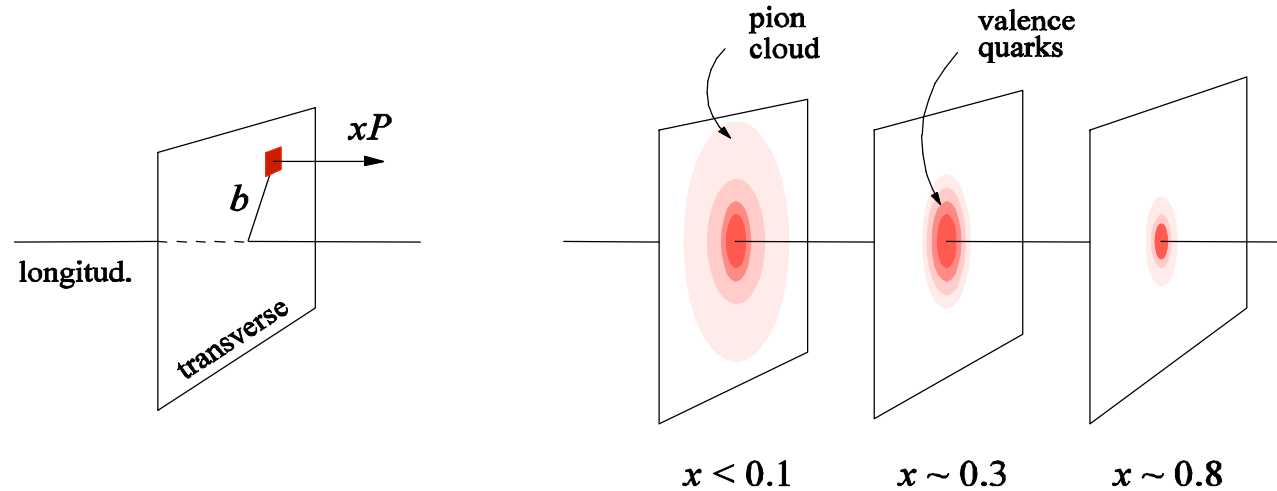
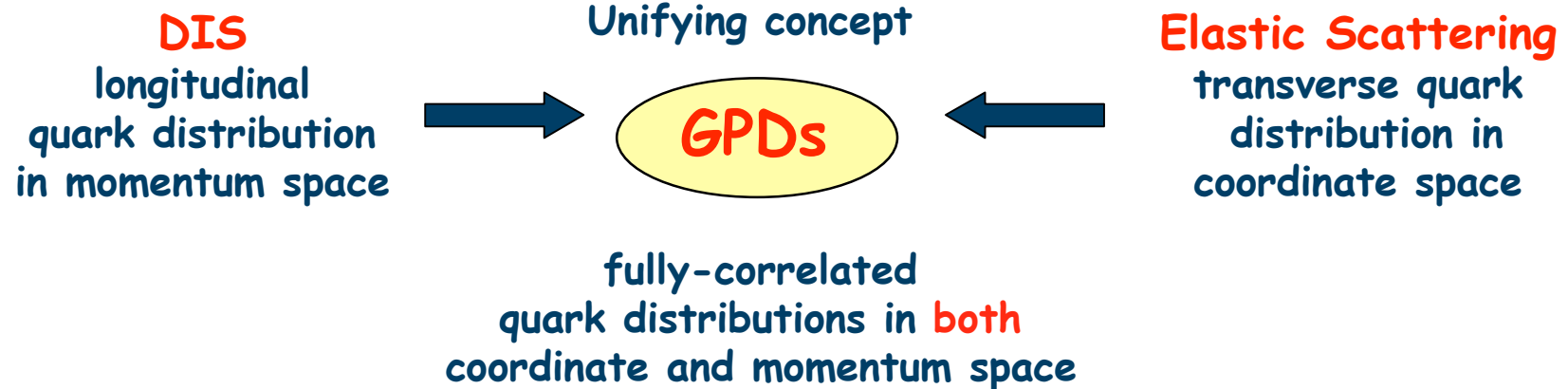
data : MAMI, NIKHEF, MIT-Bates, JLab



Miller (2007),  
Carlson, Vdh (2007)

quadrupole  
pattern

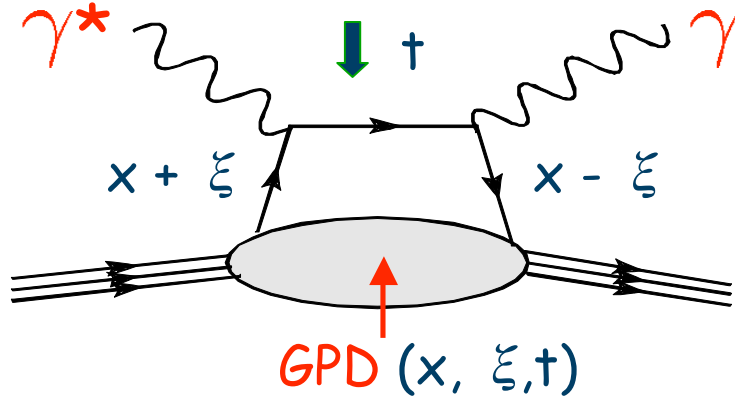
# Generalized Parton Distributions (GPDs) : 3D picture of nucleon



Burkardt (2000, 2003),  
Belitsky, Ji, Yuan (2004)

# QCD factorization : tool to access GPDs

$Q^2 \gg 1 \text{ GeV}^2$

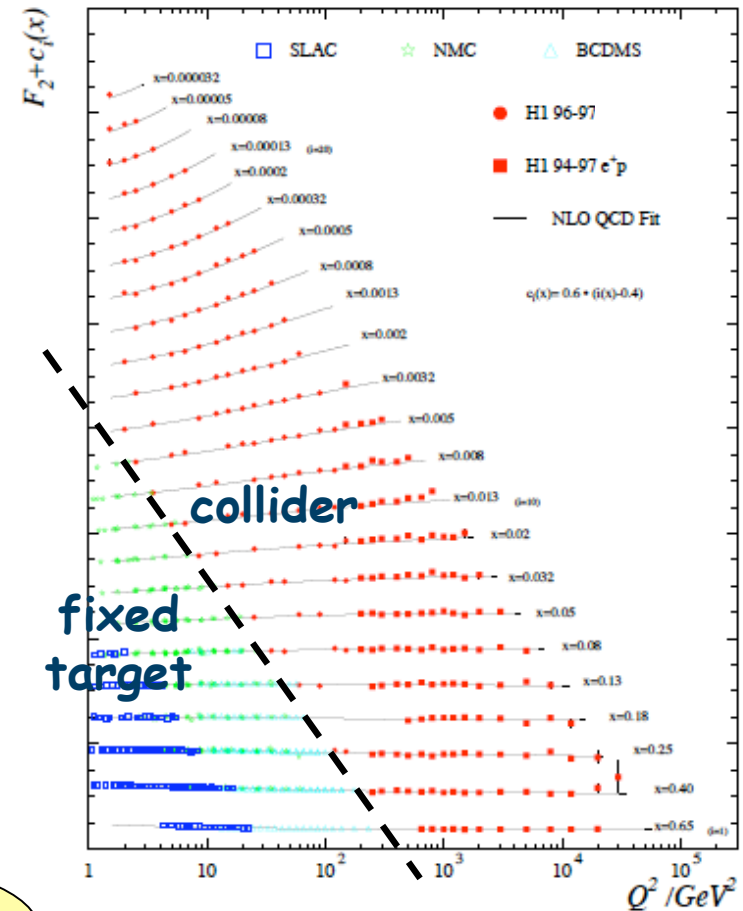


➔ at large  $Q^2$  : **QCD factorization theorem** :  
 hard exclusive process described by **GPDs**  
 model independent !

Müller et al. (1994),  
 Ji (1995), Radyushkin (1995),  
 Collins, Frankfurt, Strikman (1996)

➔ **KEY**  $Q^2$  leverage required to test  
**QCD scaling** ➔ **e N collider**

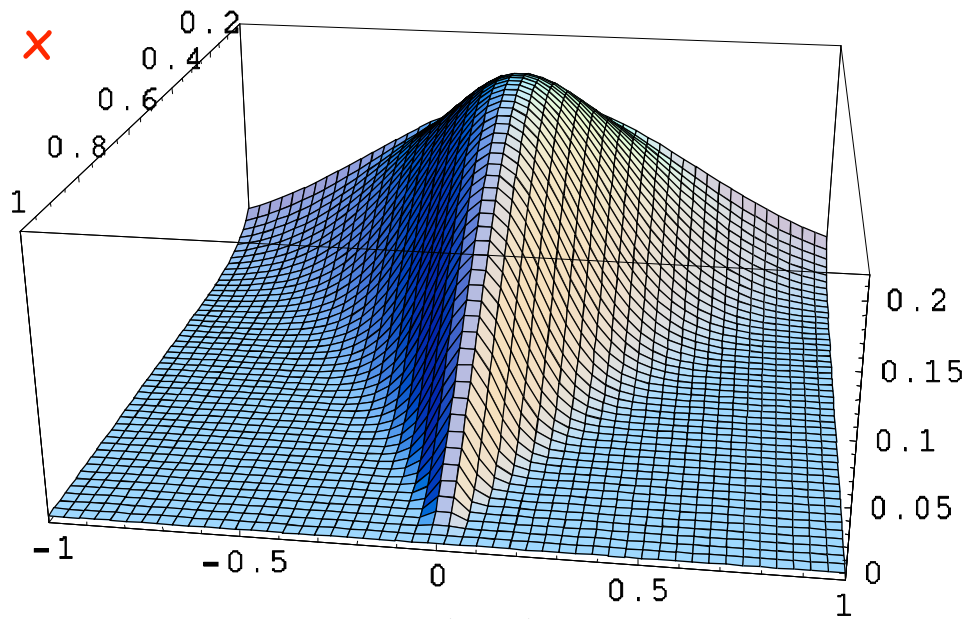
world data on proton  $F_2$



# GPDs : transverse image of nucleon

GPDs : quark distributions w.r.t.  
longitudinal momentum  $x$  and  
transverse position  $b_{\perp}$

$$H^u(x, b_{\perp})$$



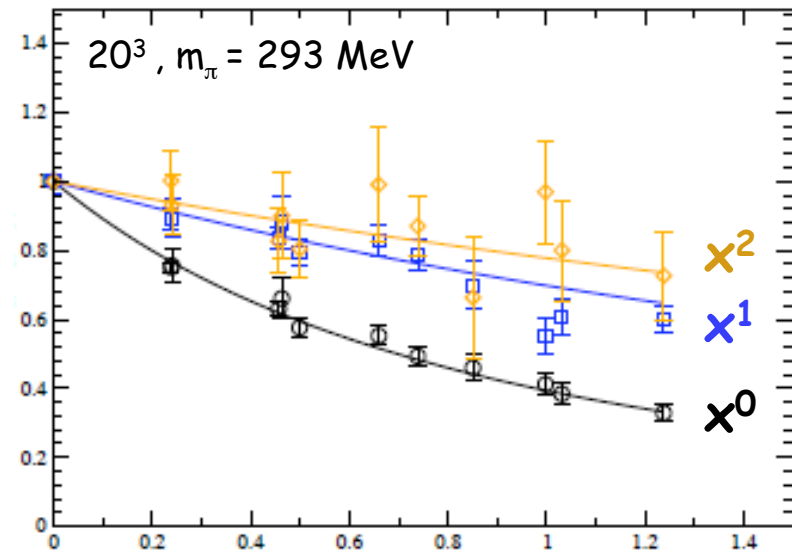
$b_{\perp}$  (fm)

Fourier transform

$-t$  ( $\text{GeV}^2$ )

lattice QCD : moments of GPDs

$x^n$  moment of  $H^{u-d}$



Guidal, Polyakov, Radyushkin, Vdh (2005),

Diehl, Feldmann, Jakob, Kroll (2005)

LHPC Coll.

# GPDs : total angular momentum sum rule

→ total angular momentum  $J^q = \frac{1}{2} \Delta q + L^q$  ← quark **orbital** angular momentum

x. Ji  
(1997)

$$2 J^q = M_2^q + \int_{-1}^1 dx x E^q(x, 0, 0)$$

with known  $M_2^q = \int_0^1 dx x [q(x) + \bar{q}(x)]$

→ parametrizations for GPD  $E^q$  : Goeke, Polyakov, Vdh (2001)

PROTON	$M_2^q$	$2 J^q$ GPD model	$2 J^q$ Lattice (QCDSF)
u	0.37	0.58	$0.66 \pm 0.04$
d	0.20	-0.06	$-0.04 \pm 0.04$
s	0.04	0.04	
<b>u + d + s</b>	<b>0.61</b>	<b>0.56</b>	<b><math>0.62 \pm 0.08</math></b>

lattice : full QCD,  
**no** disconnected diagrams so far



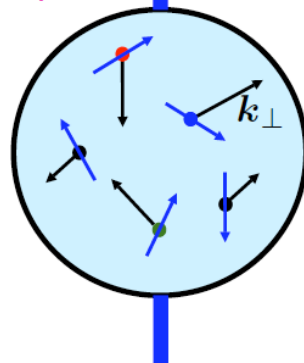
# Transverse Momentum Dependent Parton distributions

## Quark distribution functions

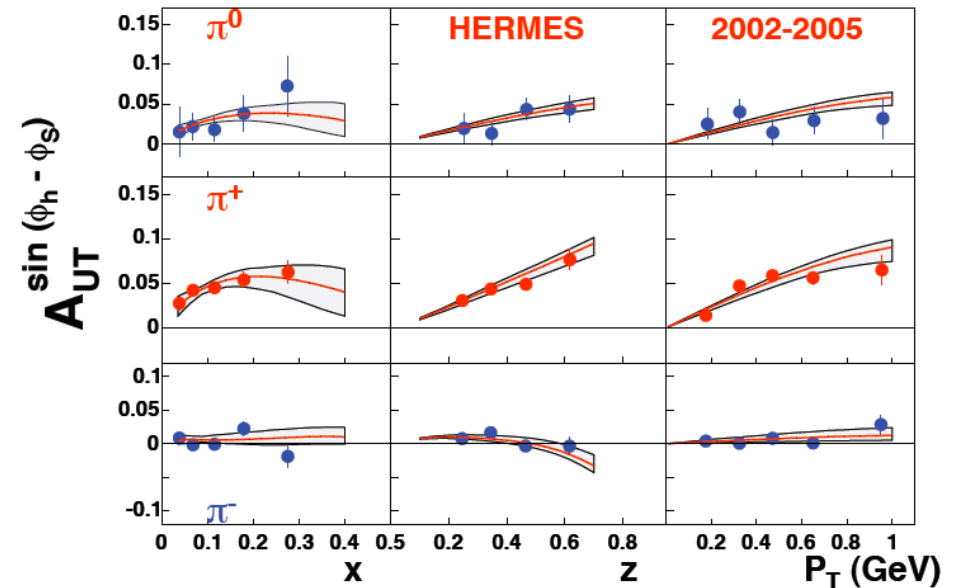
		quark		
		U	L	T
n o e - c u n	U	$f_1$		$h_1^\perp$ -
	L		$g_1$ -	$h_{1L}^\perp$ -
	T	$f_{1T}^\perp$ -	$g_{1T}^\perp$ -	$h_1$ - $h_{1T}^\perp$ -

Sivers DF

spin- $k_\perp$  correlations



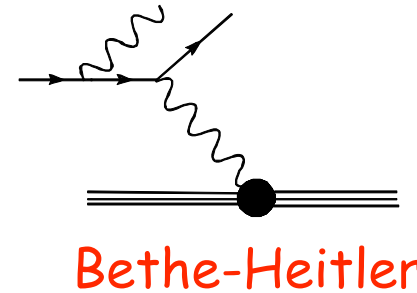
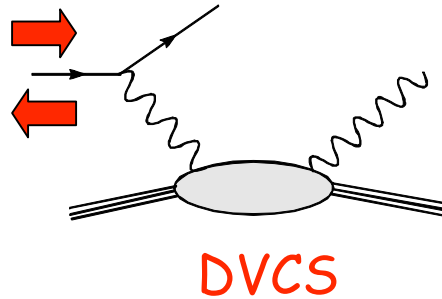
accessible in  
semi-inclusive DIS



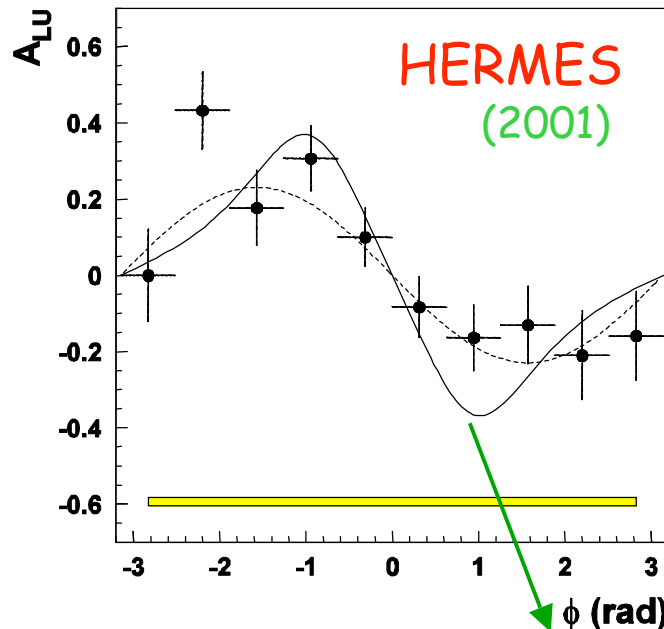
theory curves : Anselmino et al. (2009)

# DVCS : beam spin asymmetry

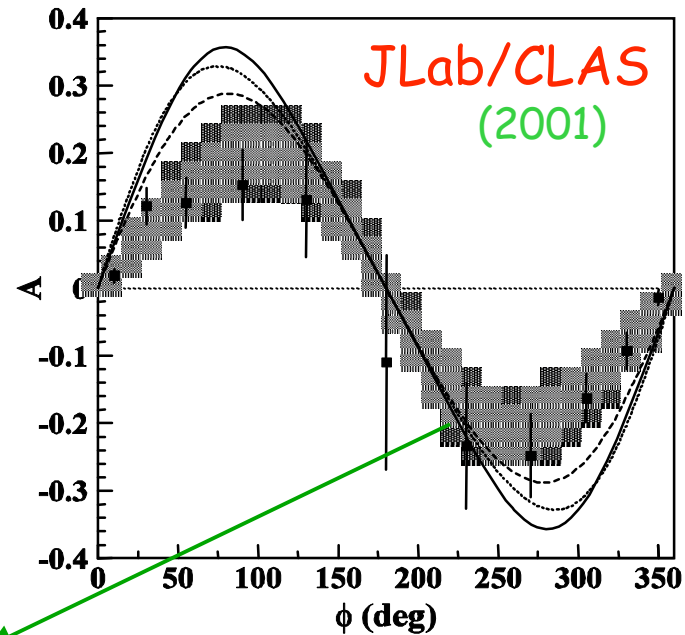
$$A_{LU} = (BH) * \text{Im}(DVCS) * \sin \Phi$$



$Q^2 = 2.6 \text{ GeV}^2$ ,  $x_B = 0.11$ ,  $-t = 0.27 \text{ GeV}^2$



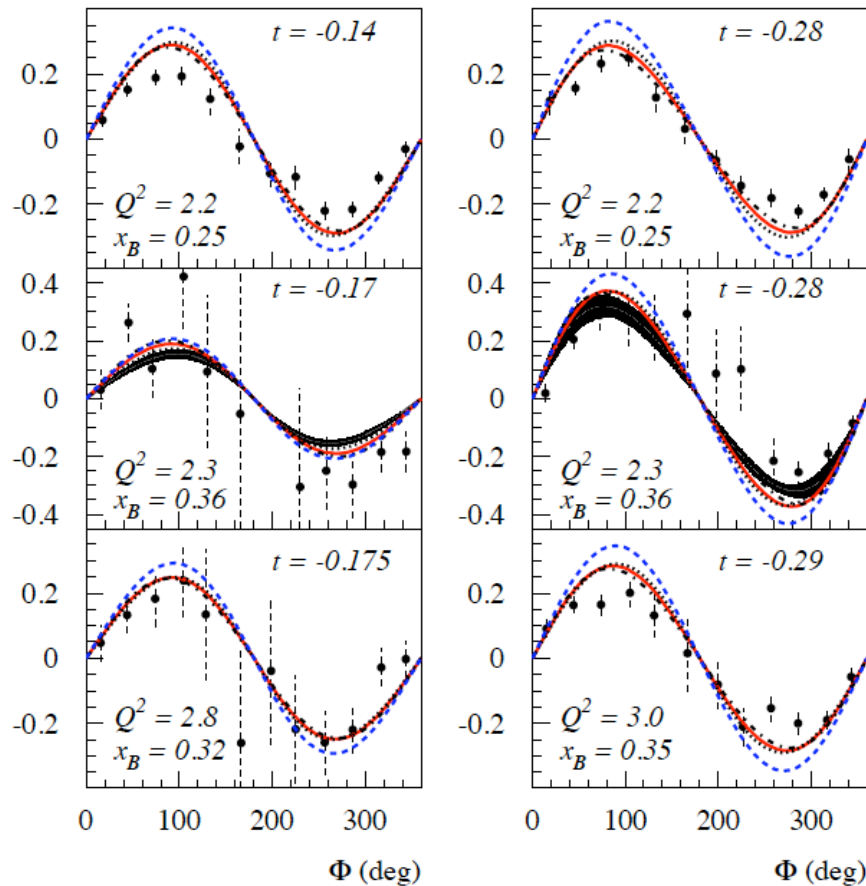
$Q^2 = 1 - 1.5 \text{ GeV}^2$ ,  $x_B = 0.15 - 0.25$ ,  
 $-t = 0.1 - 0.25 \text{ GeV}^2$



twist-2 + twist-3 : Kivel, Polyakov, Vdh (2000)

# DVCS : beam spin asymmetry (contd.)

→ data : JLab/CLAS  
 $e^- + p \rightarrow e^- + p + \gamma$  ( $E_e = 5.77$  GeV)



→ Harmonic analysis :  $\sim \sin(\Phi)$

**amplitude** gives **GPD** for one value of its arguments

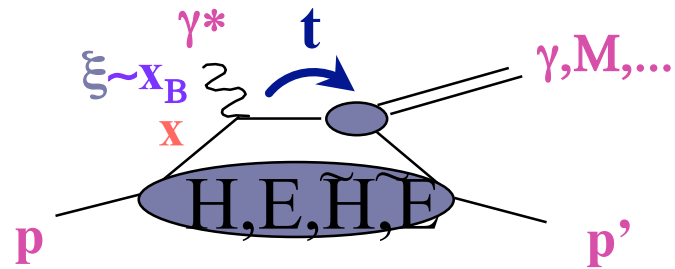
**GPD** ( $x_B/2, x_B/2, t$ )

→ Range in  $Q^2$  of existing data very limited

curves : dual GPD model

Moiseeva, Semenov,  
Polyakov, Vdh (2008)

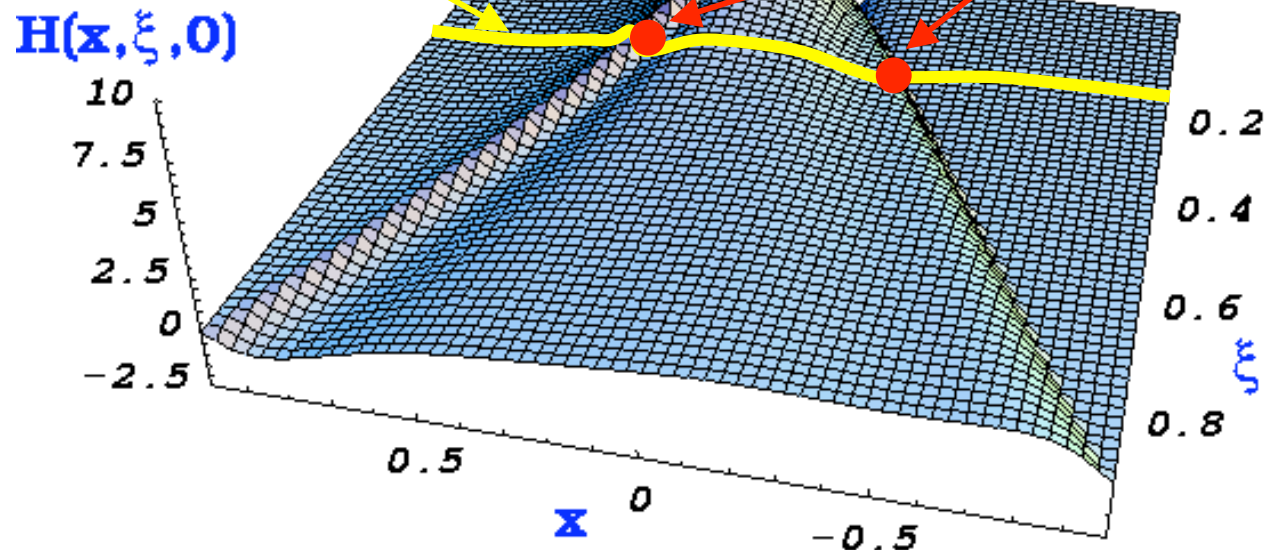
# link GPDs and observables



$$T^{DVCS} \sim \int_{-1}^{+1} \frac{H(x, \xi, t)}{x \pm \xi + i\epsilon} dx + \dots \sim P \int_{-1}^{+1} \frac{H(x, \xi, t)}{x \pm \xi} dx - i\pi H(\pm\xi, \xi, t) + \dots$$

Cross sections and charge asymmetries measurements ( $\text{Re } T$ )  
Integral of GPDs over  $x$

Beam or target spin asymmetries contain only  $\text{Im } T$ ,  
i.e. GPDs at  $x = \xi$  and  $-\xi$

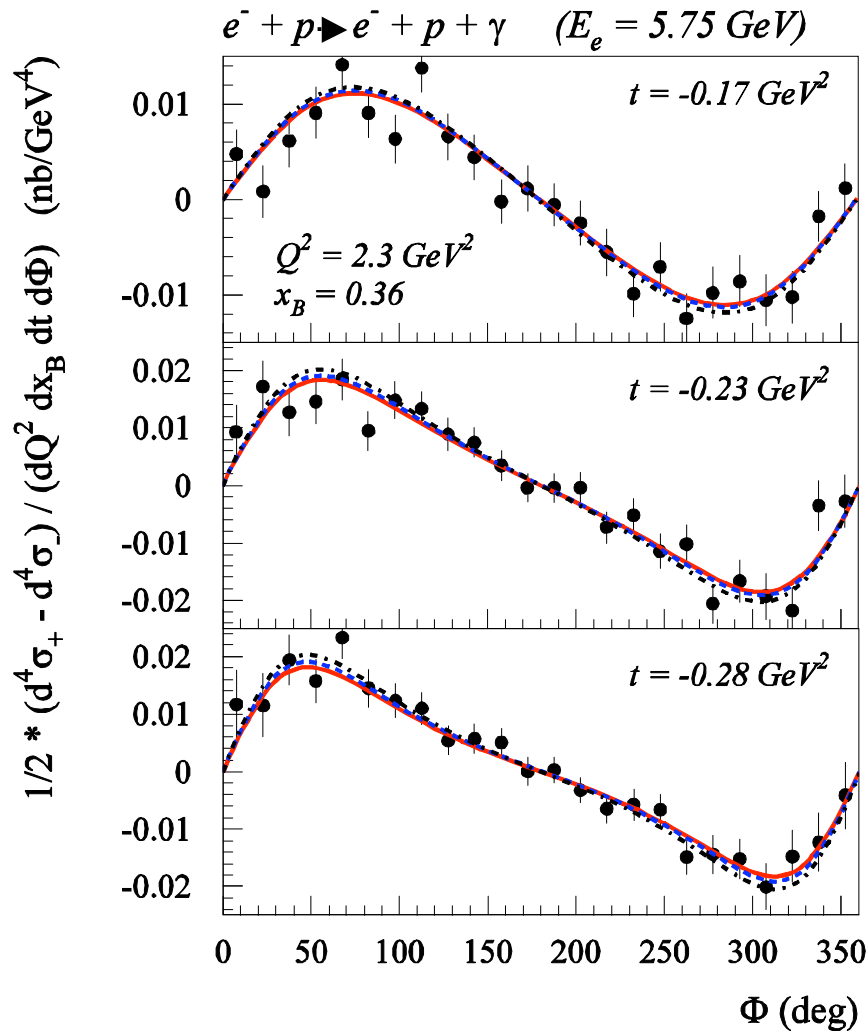


# DVCS : cross sections

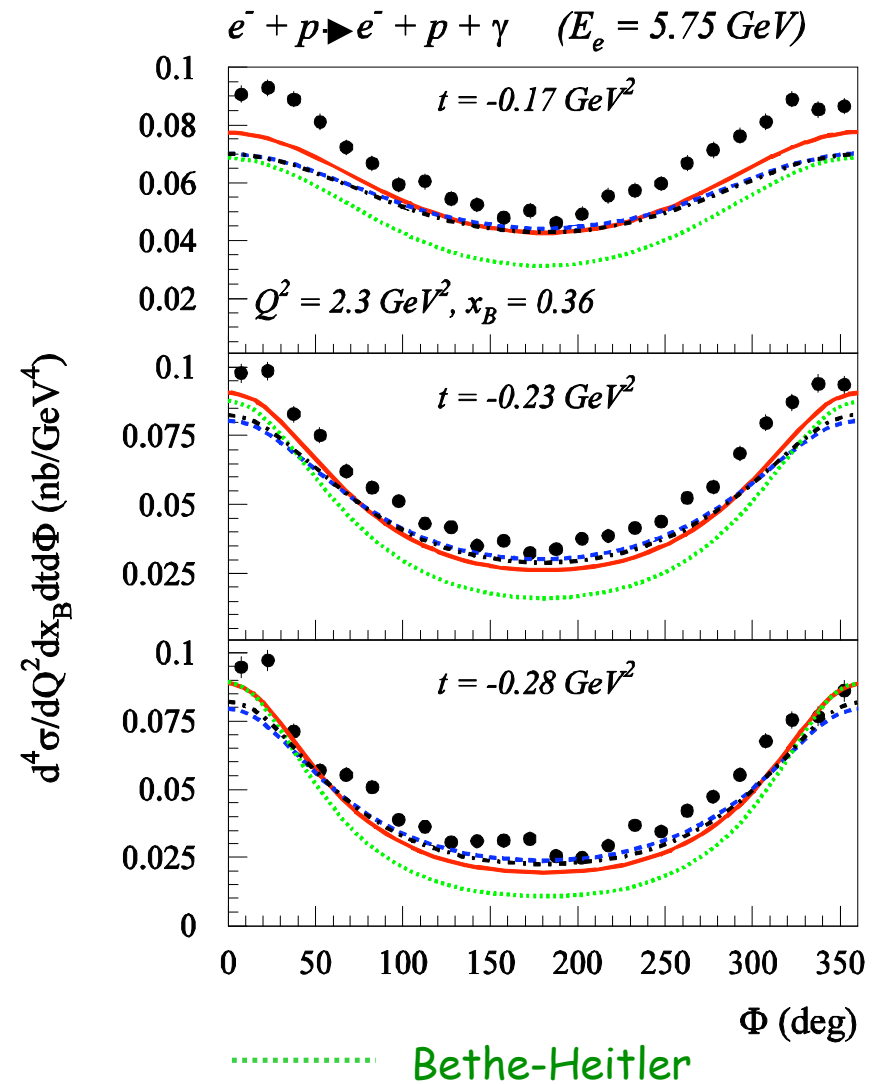
polarized

data : JLab/Hall A

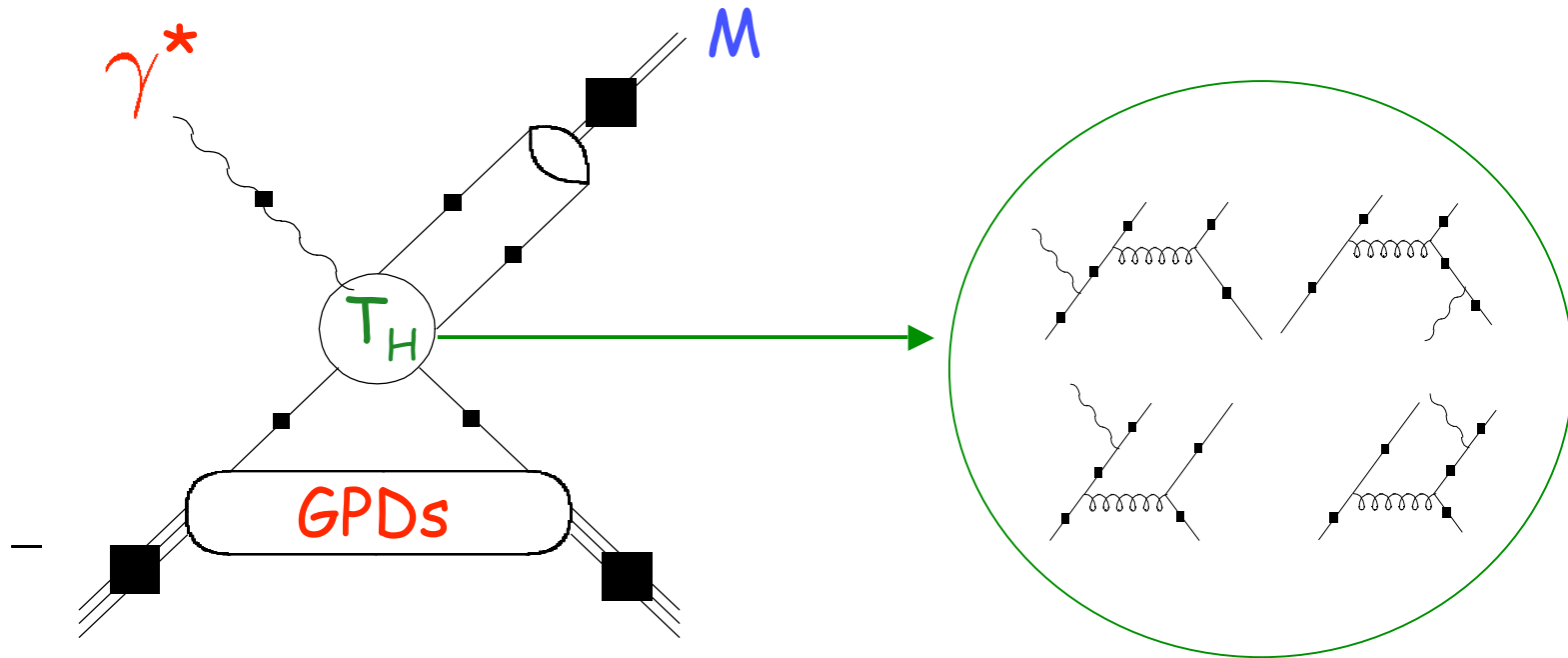
unpolarized



Moiseeva, Semenov, Polyakov, Vdh (2008)



# Hard electroproduction of mesons ( $\rho^{\rho,\pm}$ , $\omega$ , $\phi$ , $\pi$ , ...)



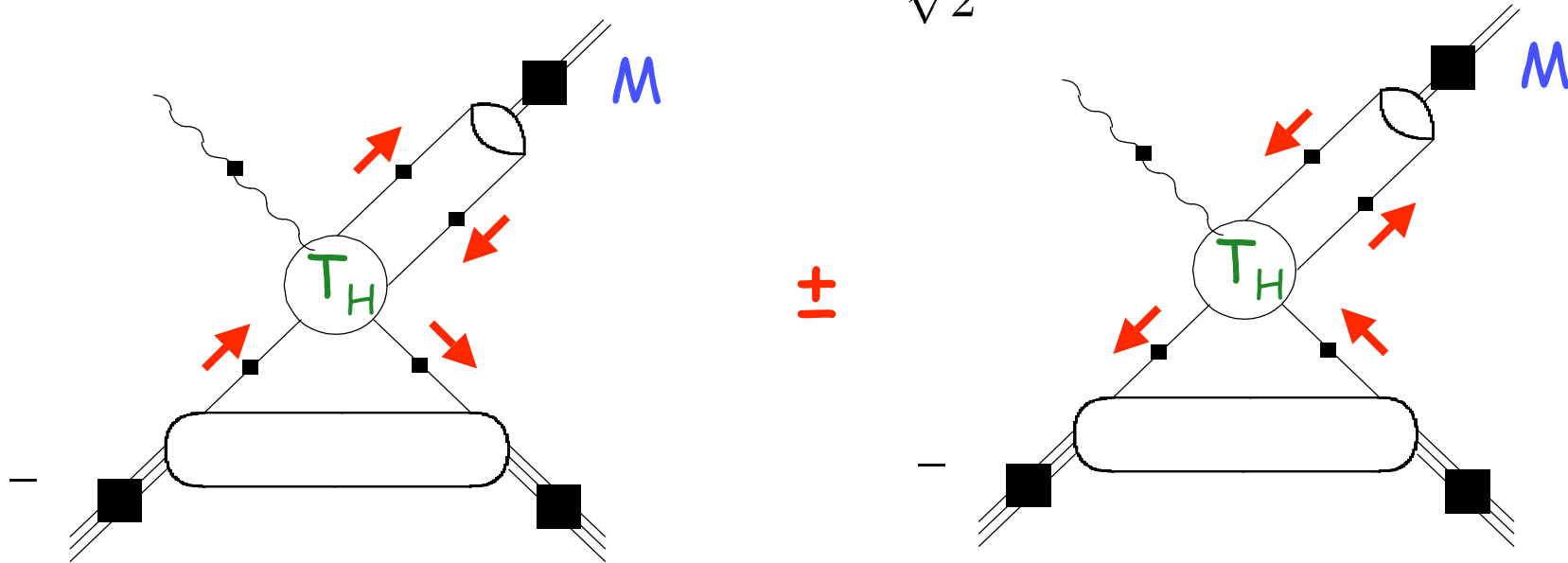
Factorization theorem shown for longitudinal photon

hard scattering amplitude

# Meson acts as helicity filter

longitudinally pol. Vector meson  $|\rho_L\rangle = \frac{1}{\sqrt{2}} |\uparrow\downarrow + \downarrow\uparrow\rangle$

PseudoScalar meson  $|\pi\rangle = \frac{1}{\sqrt{2}} |\uparrow\downarrow - \downarrow\uparrow\rangle$



➔ Vector meson : accesses unpolarized GPDs  $H$  and  $E$

➔ PseudoScalar meson : accesses polarized GPDs  $\tilde{H}$  and  $\tilde{E}$

# DVCS simulations for PANDA@ENC

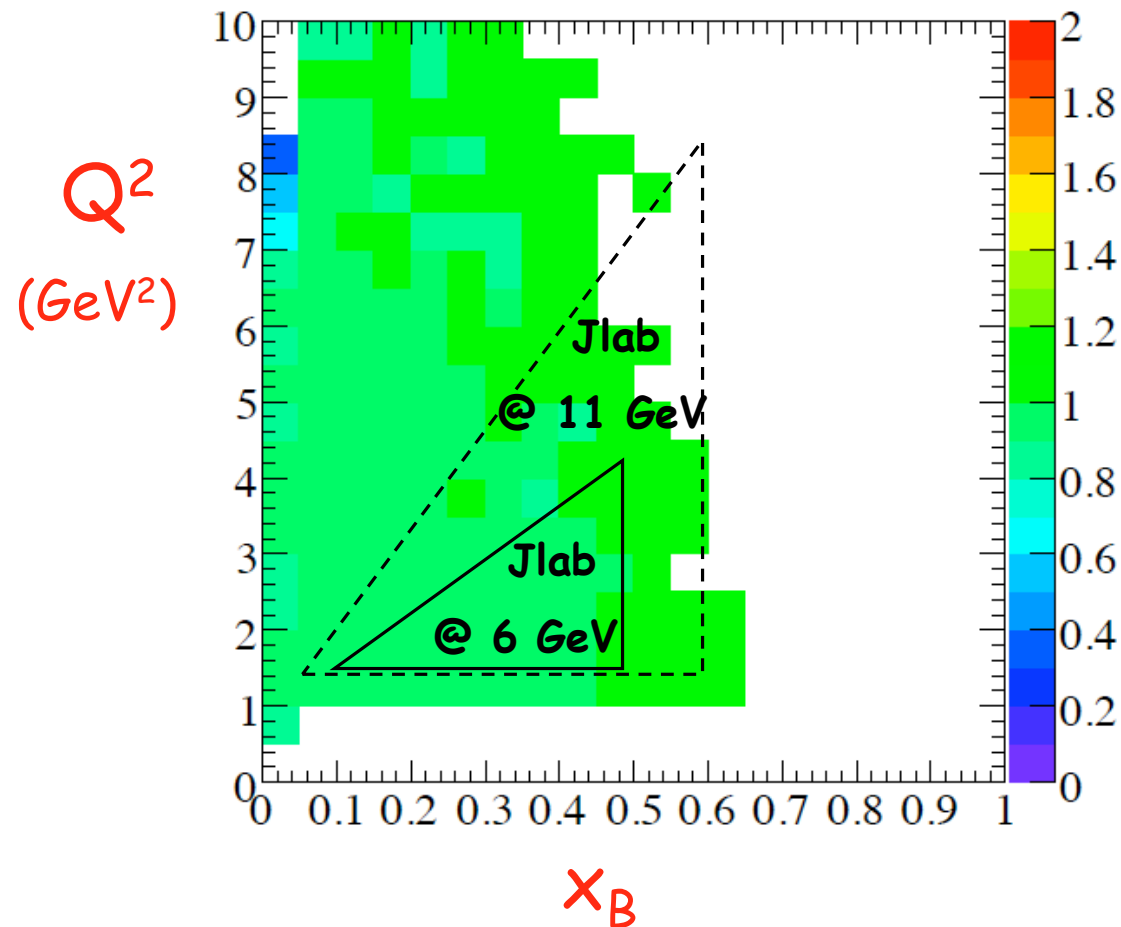
$e^- p \rightarrow e^- p \gamma$  : acceptance ( 3 GeV  $e^-$  on 15 GeV p )

Probability of **exclusive** reconstruction of all 3 particles in final state  
using **PANDA** detector (e.g. PANDA @ ENC )

DVCS generator

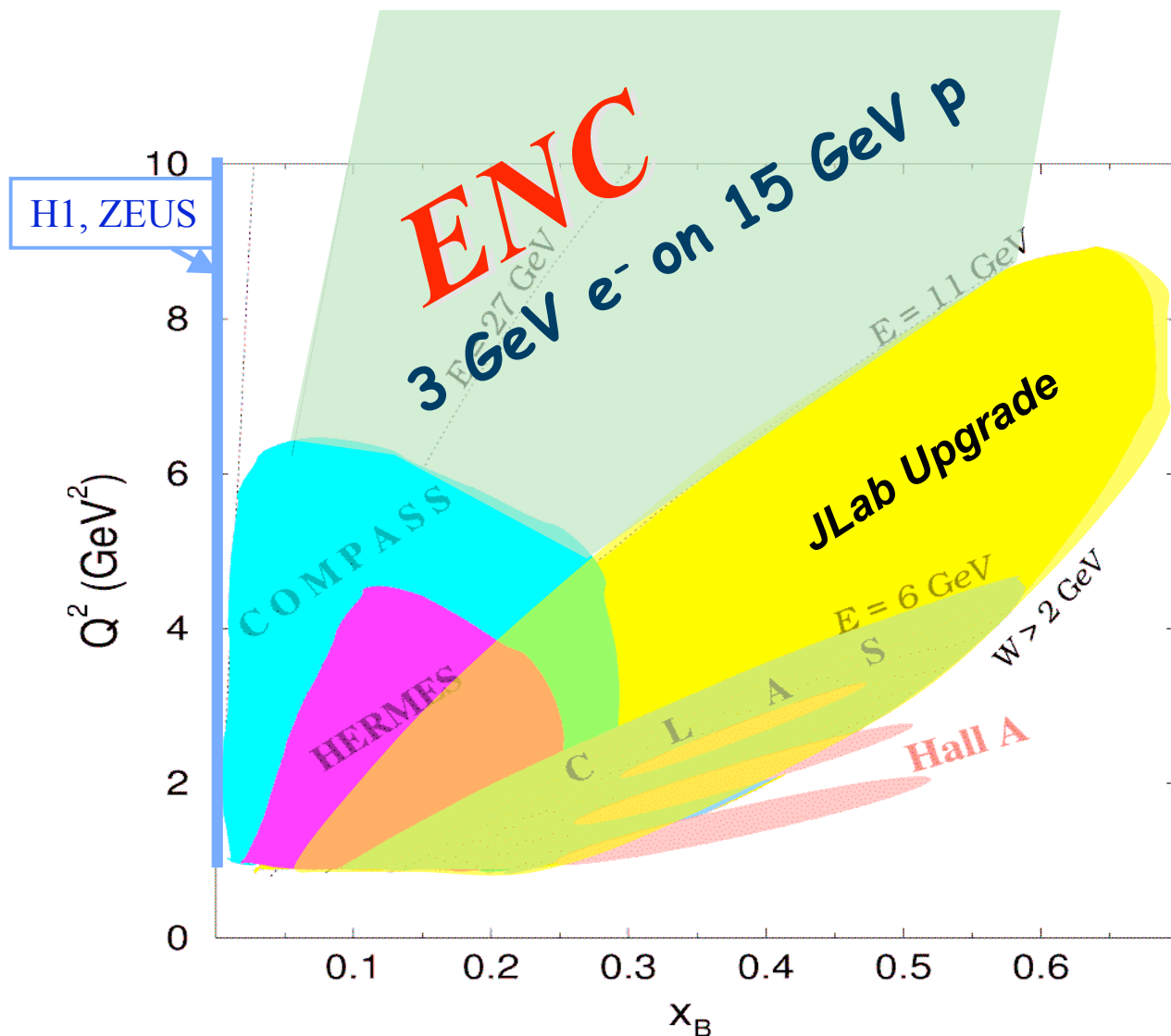
first simulation  
studies

see talks :  
Gratl, Kang



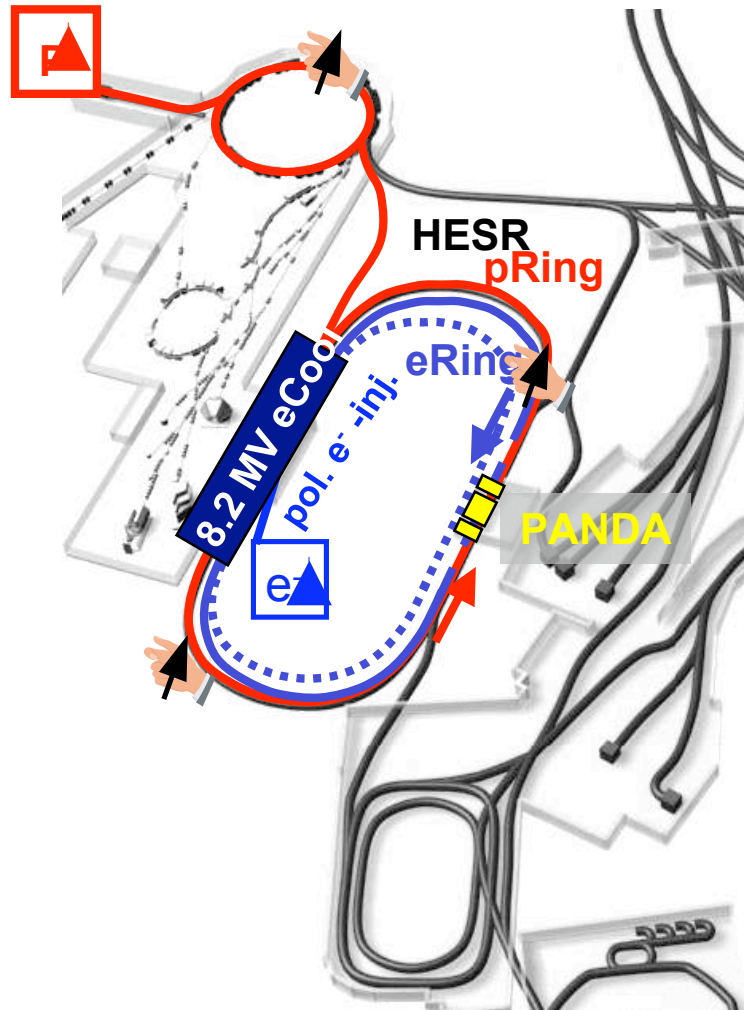


# ENC : The Energy / Luminosity Frontier

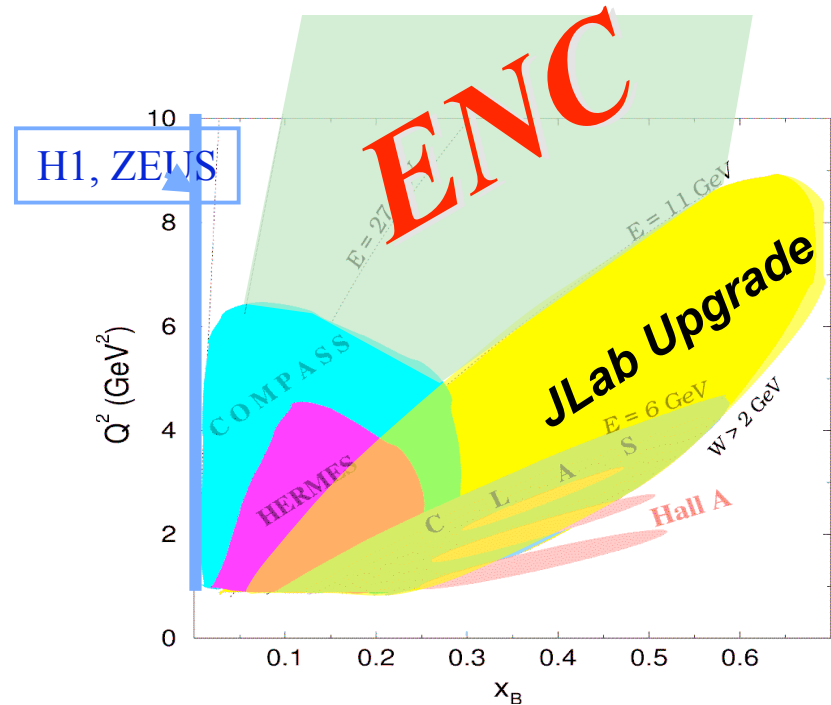


high energy  
and  
high luminosity  
required  
+  
polarization

# ENC @ FAIR



see next talk



$L > 4 \cdot 10^{32} / \text{cm}^2 \text{s}$   
 $s^{1/2} > 10 \text{ GeV}$  (3.3 GeV  $e^- \leftrightarrow 15 \text{ GeV p}$ )  
 polarised  $e^-$  (80%)  
 $\leftrightarrow$   
 polarised  $p / d$  (80%)  
 (transversal + longitudinal)