

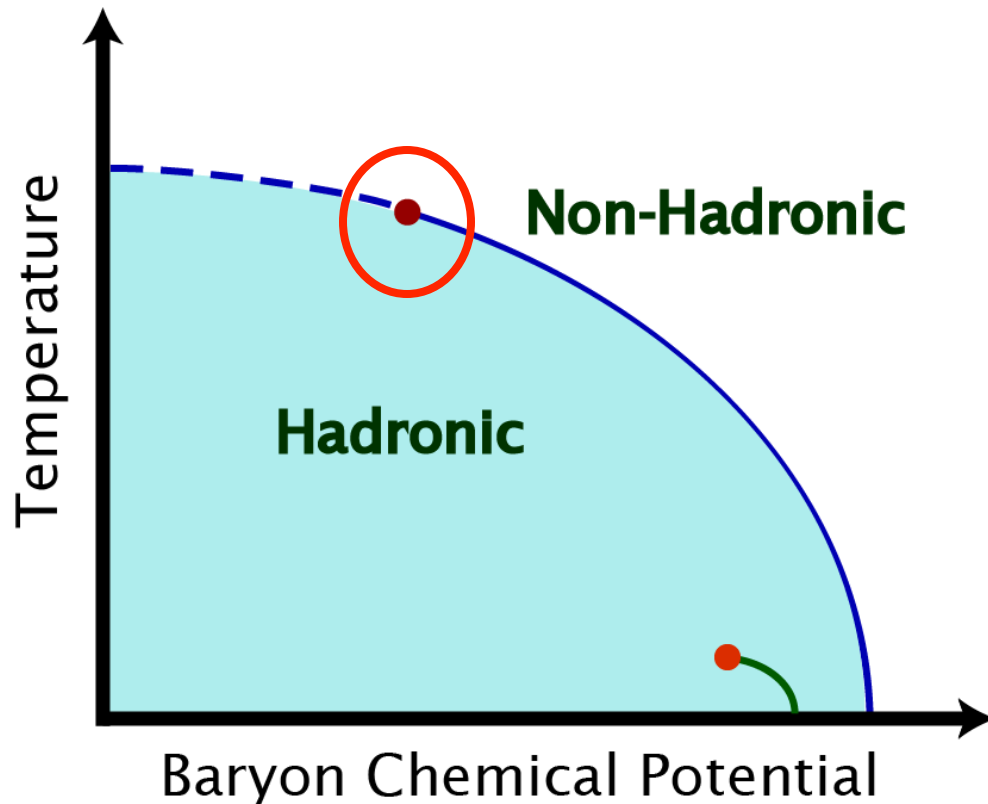


Search for the QCD Critical Point

Hans Georg Ritter
LBL

For the STAR Collaboration

QCD Critical Point



Critical Point:

Solid State Phys

- Susceptibilities diverge
- Correlation Length diverges

HI Reactions

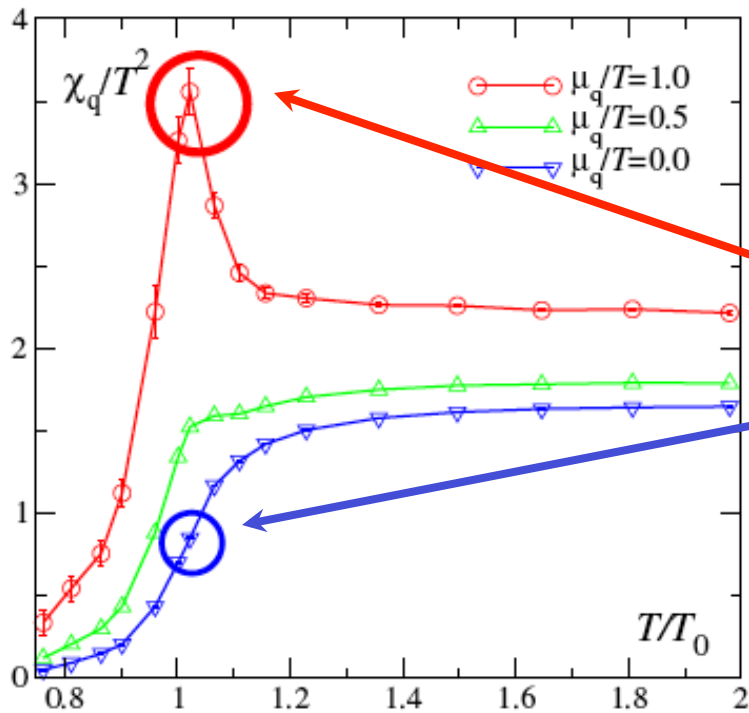
- Becomes Critical Region
- Correlation Length $\xi =$ System size

$$\langle (dN)^2 \rangle \sim \xi^2$$

Mapping the phase diagram. Finding the landmark that would go in any future book on QCD. Can RHIC do this

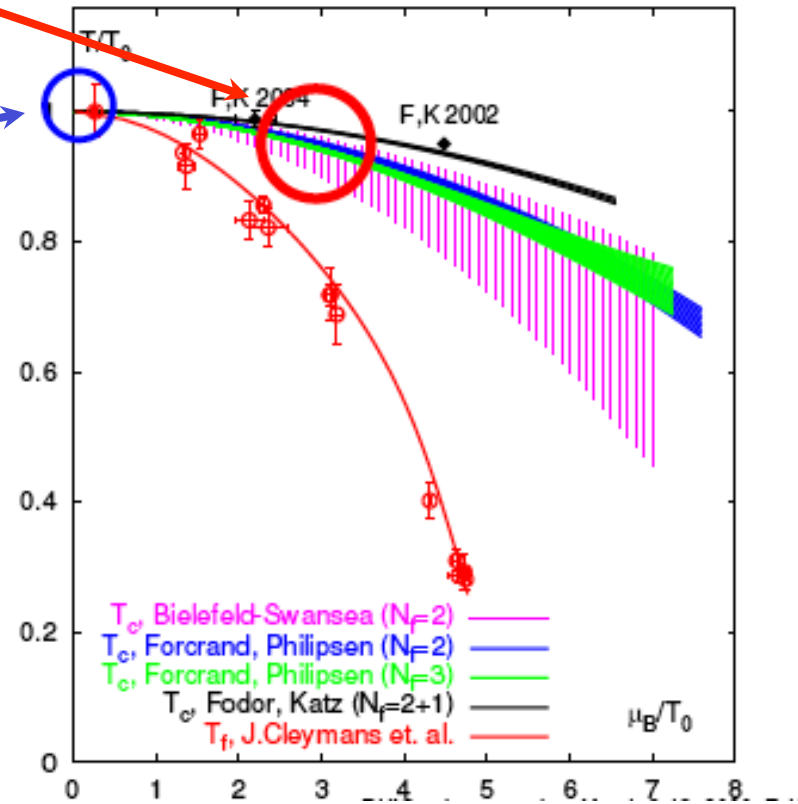
K. Rajagopal

Critical Point in LQCD

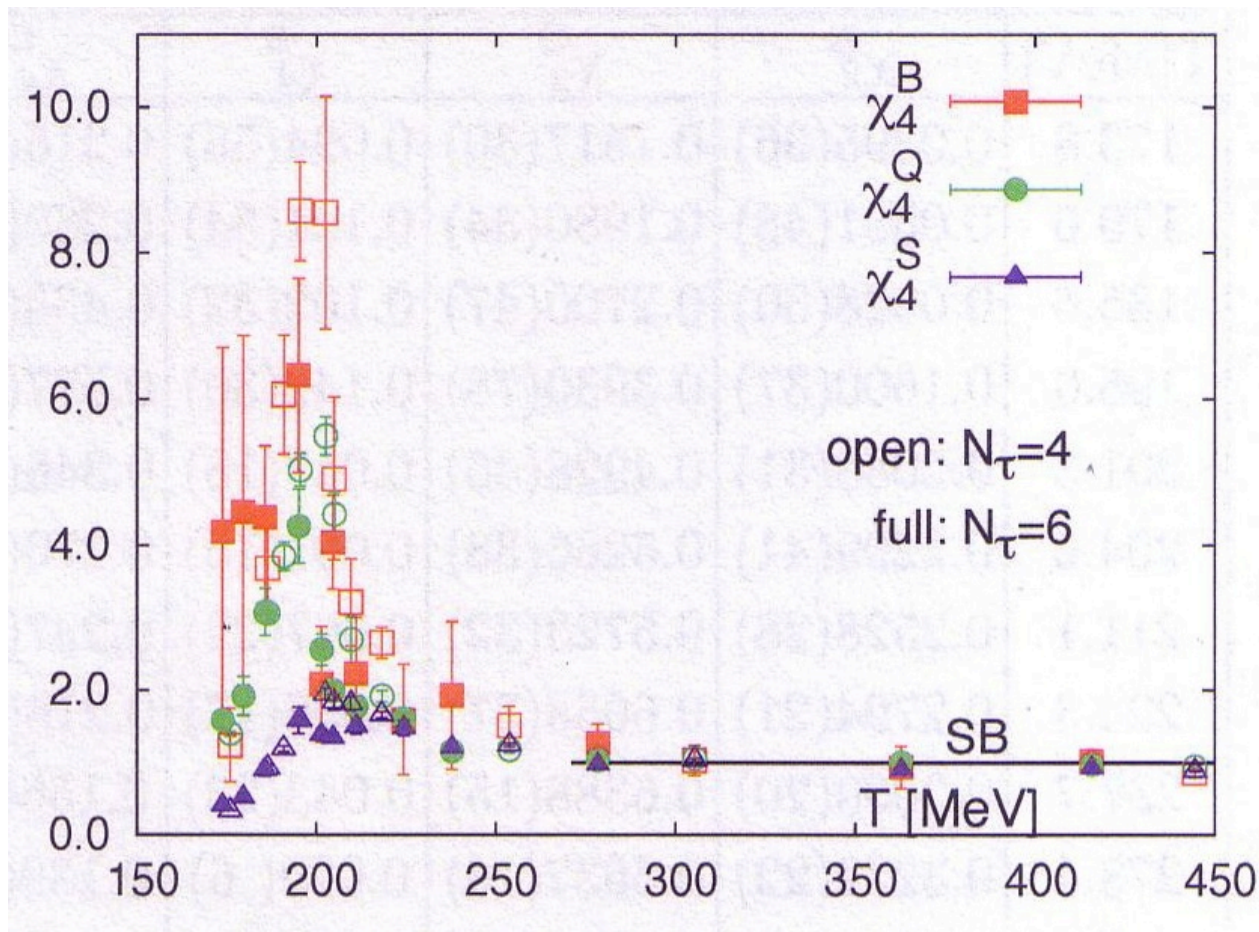


F.Karsch

Sudden changes in susceptibility taken as evidence for critical point



Critical Point in LQCD



Fluctuations of conserved quantities indicate nearby singularities

M. Cheng, et al., arXiv:1001.3796

CBM Physics Workshop, GSI, April 14, 2010

What to measure



Baryon number susceptibility:

$$\chi_B \sim \langle (\delta B)^2 \rangle$$

Similar for other conserved quantities,
e.g. charge

- Connection between lattice and fluctuations of conserved quantities
- Critical fluctuations are Non-gaussian

Experimentally:

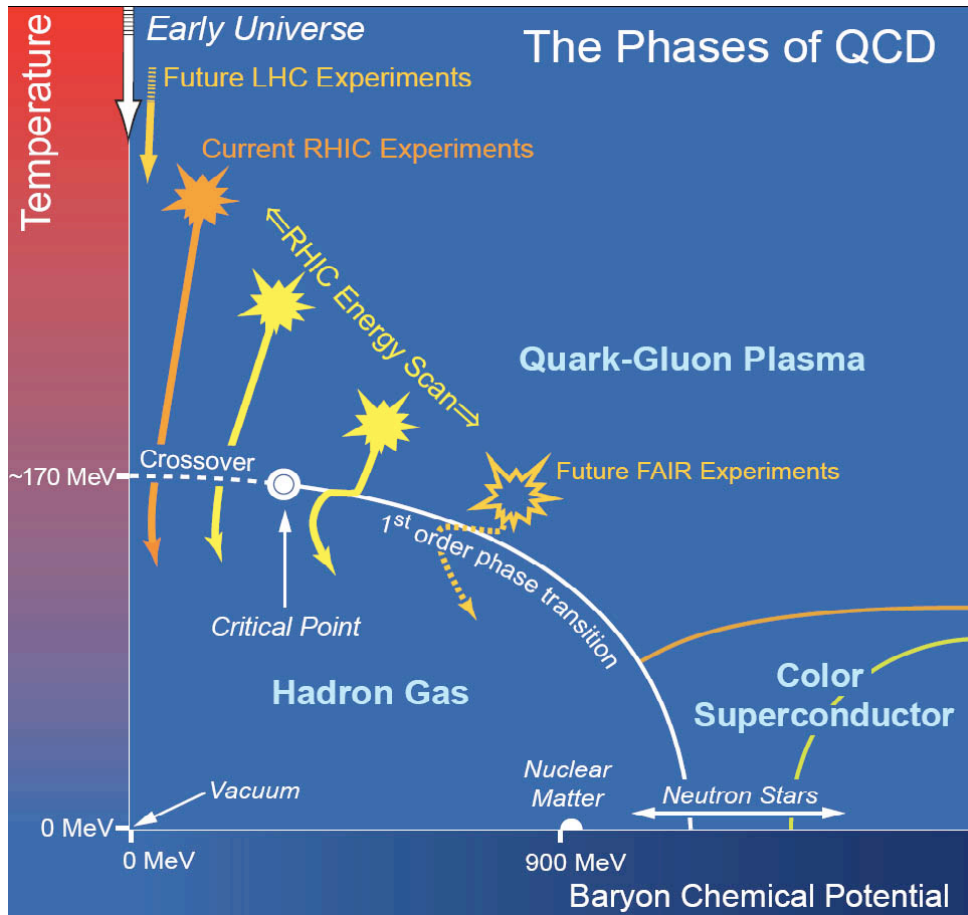
Net-proton distributions

What to measure



- Non-gaussian multiplicity fluctuations
- In particular, higher moments sensitive to non-gaussian behavior
 - Kurtosis
 - Skewness
- Higher moments amplify signal

Energy Scan at RHIC



μ_B up to ~ 550 MeV
Look for non-monotonic variations of higher moments of conserved quantity distributions as a function of beam energy
Challenging measurement
Caveats:
Critical slowing down
Dynamical effects

B. Berdnikov & K. Rajagopal, Phys. Rev. D 61, 105017 (2000)
Stephanov, Rajagopal, Shuryak, Phys. Rev. D 60, 114028 (1999)

Skewness and Kurtosis



Mean:

$$Y = \langle N \rangle$$

St. Deviation:

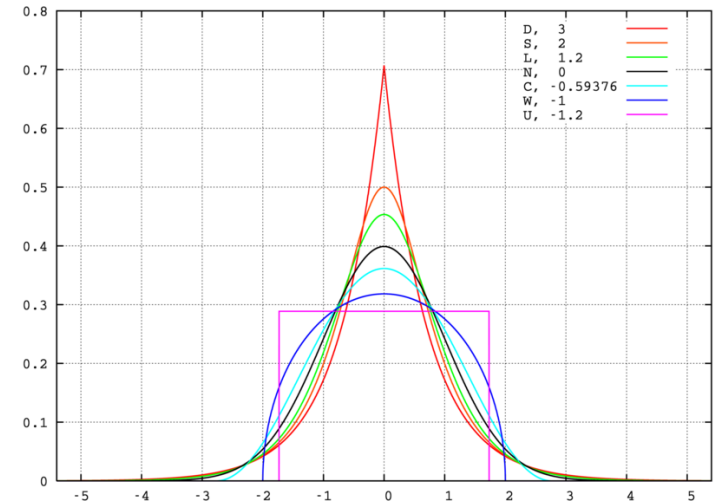
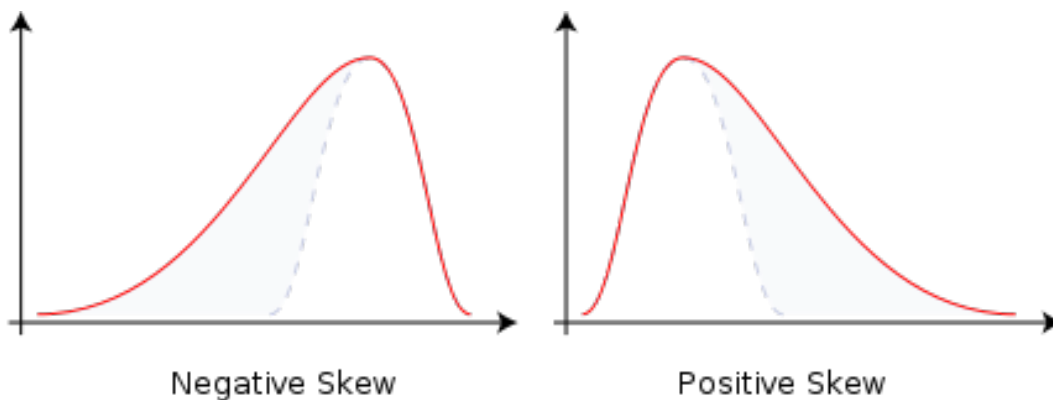
$$\sigma = \sqrt{\langle (N - \langle N \rangle)^2 \rangle}$$

Skewness:

$$s = \frac{\langle (N - \langle N \rangle)^3 \rangle}{\sigma^3}$$

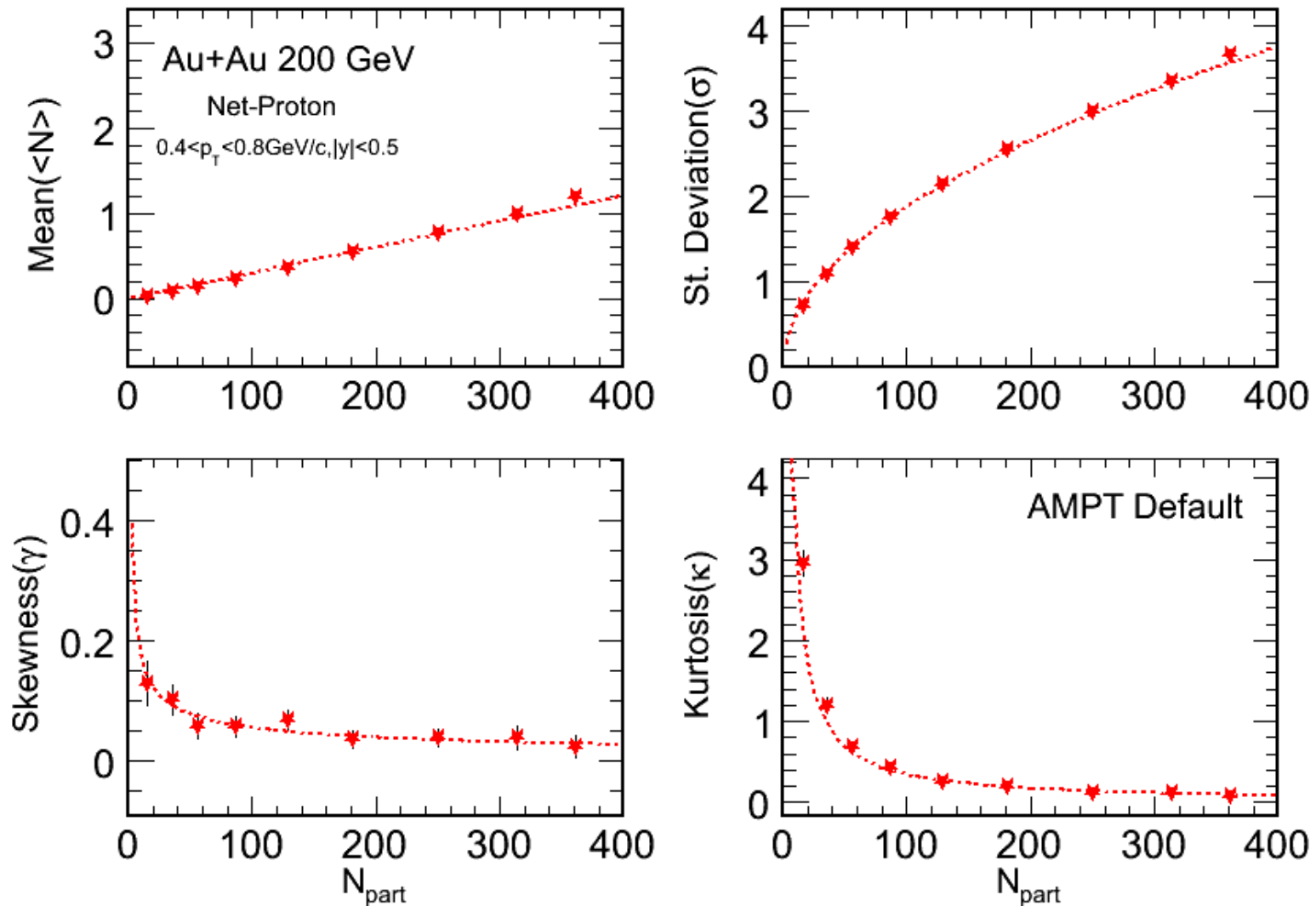
Kurtosis:

$$\kappa = \frac{\langle (N - \langle N \rangle)^4 \rangle}{\sigma^4} - 3$$

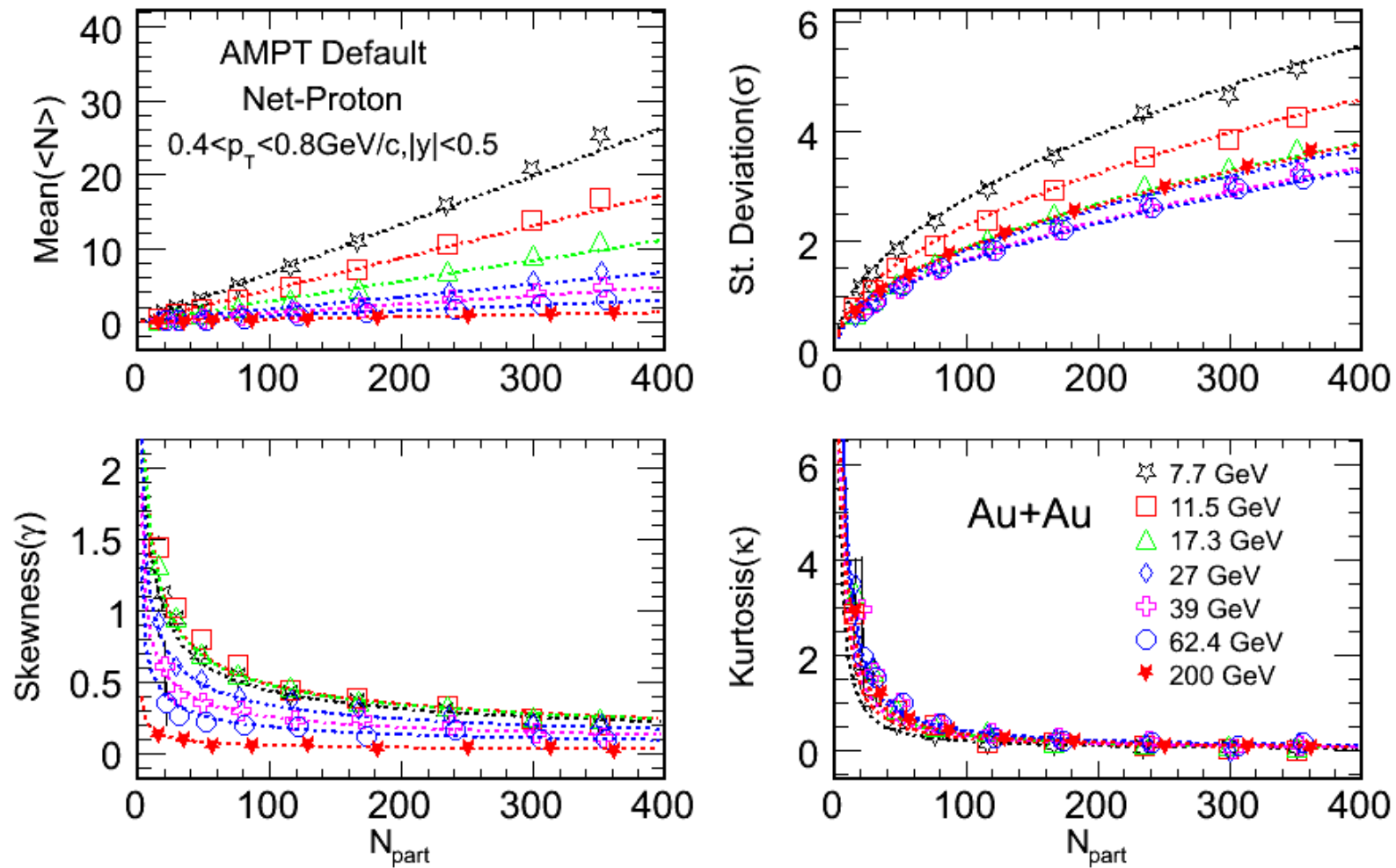


- Skewness describes the **asymmetry** of the distribution.
- Kurtosis describes the **peakness** of the distribution.
- For Gaussian Distribution, the skewness and kurtosis are equal to zero. **Ideal probe for non-Gaussian fluctuations.**

Moments in AMPT



Energy Dependence AMPT

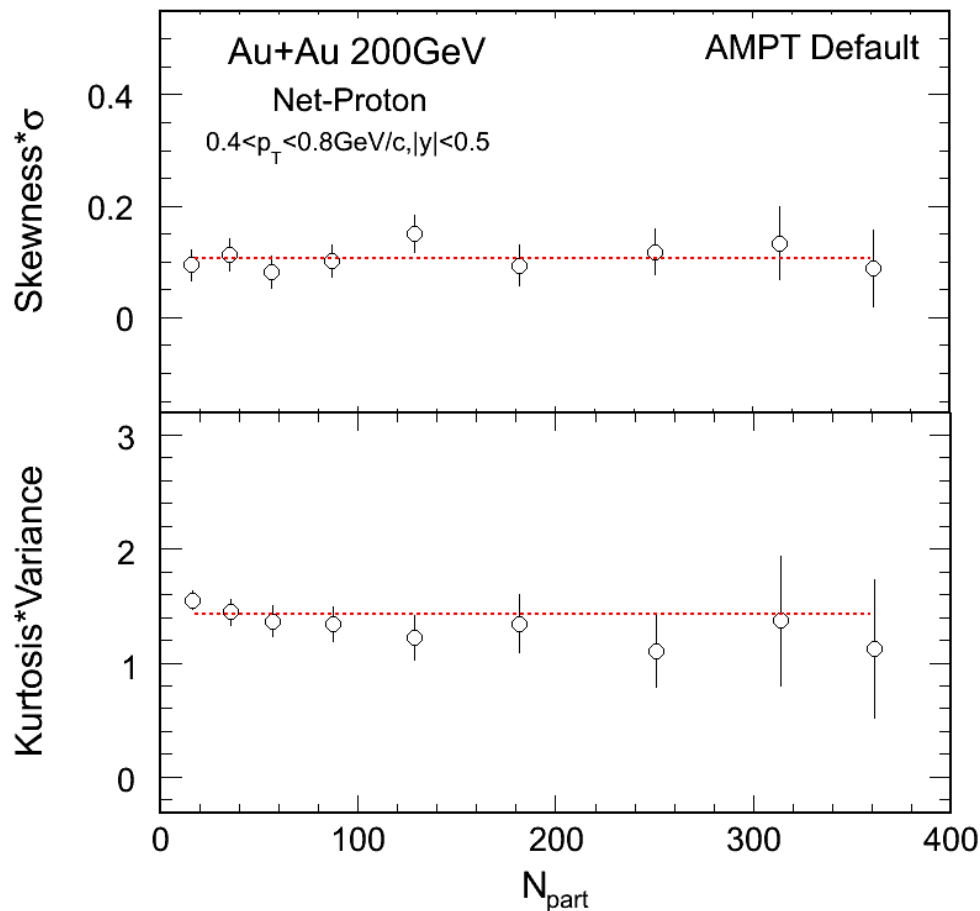


CLT, many sources



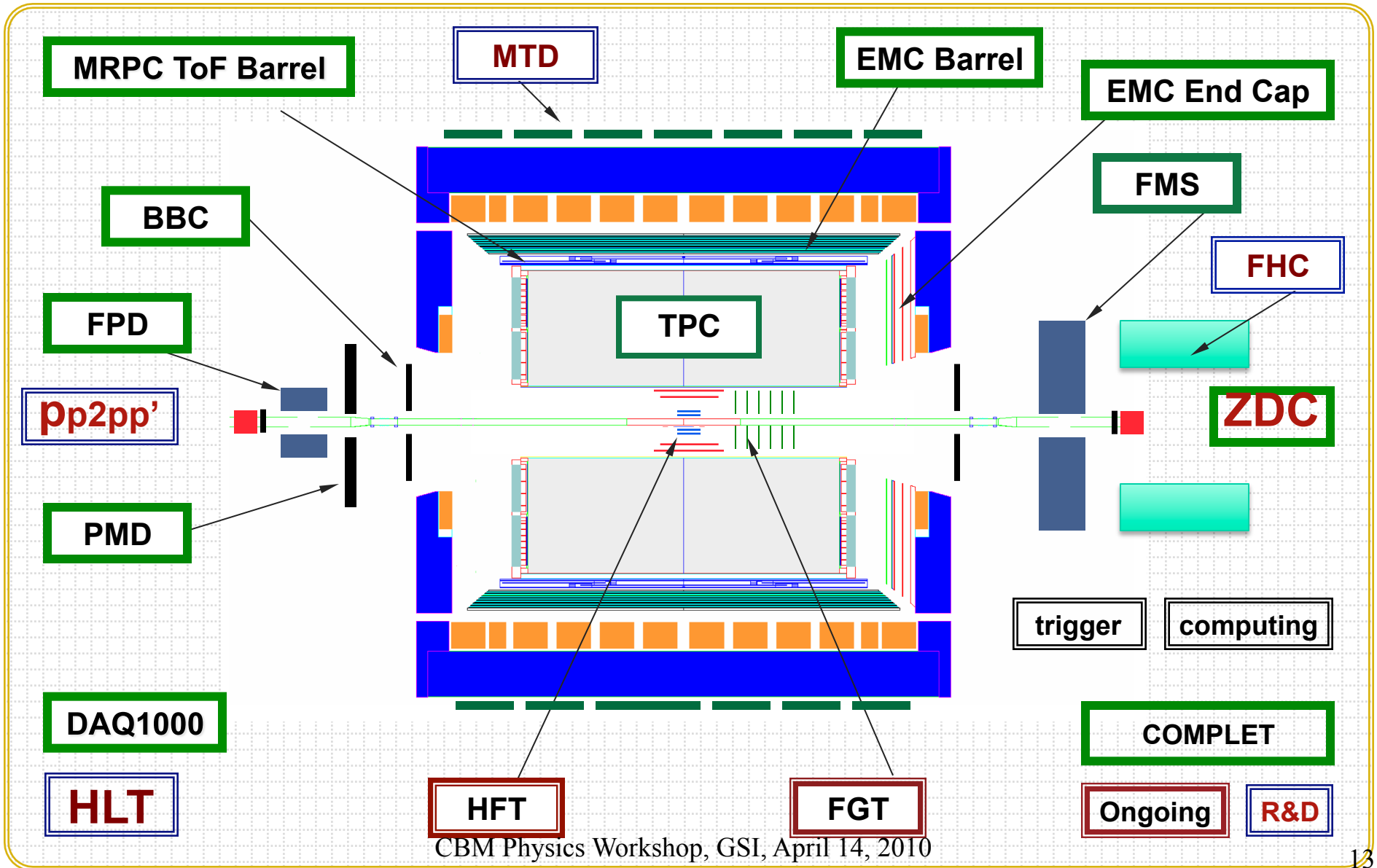
- Multiplicity dependence can be taken out and results plotted as a function of N_{part}
- Possible observables:
 - Kurtosis \times Variance
 - Skewness \times St. deviation
- Question: how many sources
- Caveat:
 - Many sources can mask non-gaussian behaviour

Corrected for Multiplicity



The data will be compared this way

STAR



CBM Physics Workshop, GSI, April 14, 2010

Data Sets

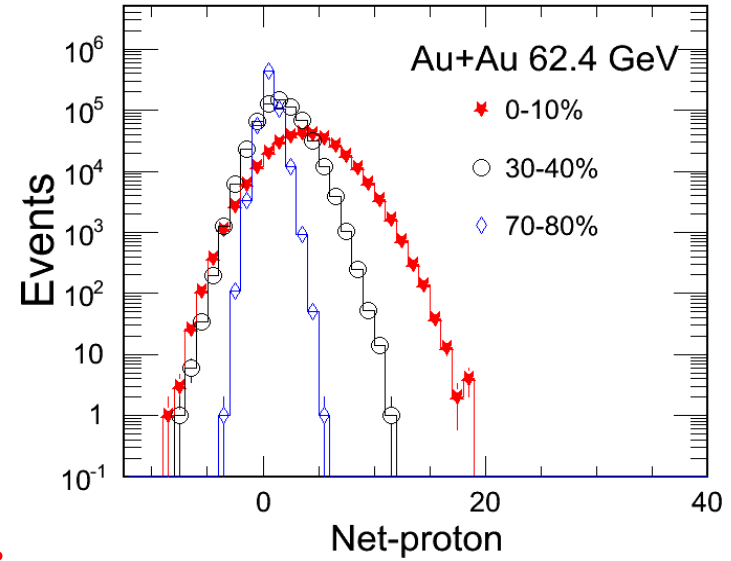
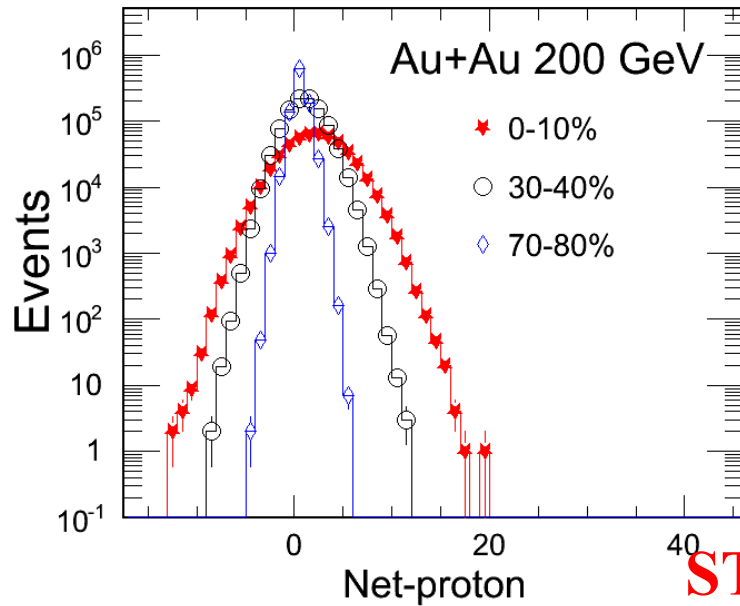


Data Set:

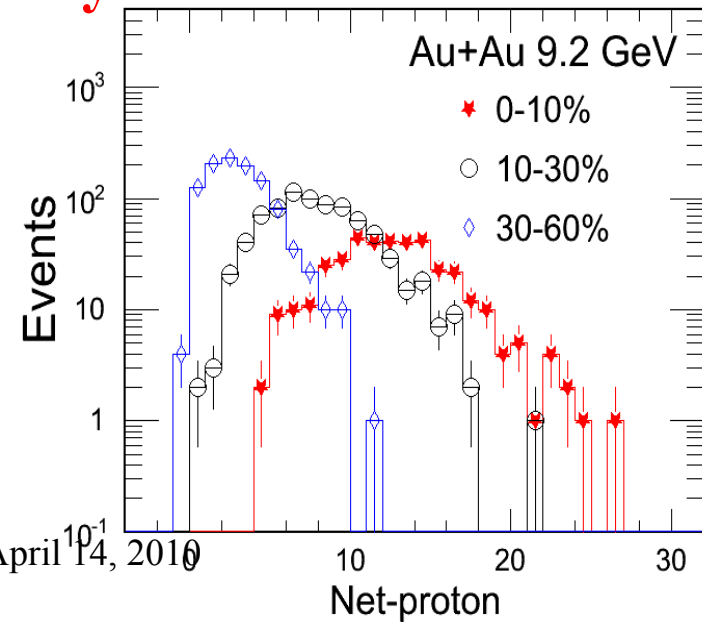
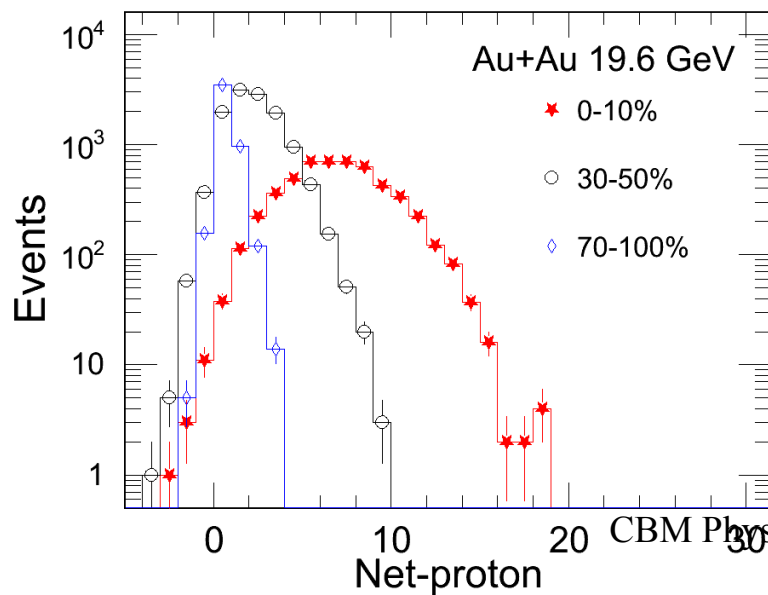
Collision (MB)	Energy	Events (after vtx. cut)	Year
p+p	62.4 GeV	~0.9M	2006
	200 GeV	~140k	
Cu+Cu	22.4 GeV	~0.6M	2005
	62.4 GeV	~10M	
	200 GeV	~3.6M	
Au+Au	9.2 GeV	~3k	2008
	19.6 GeV	~40k	2001
	62.4 GeV	~5M	2004
	130 GeV	~160k	2000
	200 GeV	~8M	2004

Proton , Anti-proton kinematic cut: $|y| < 0.5$, $0.4 < p_T < 0.8$ (GeV/c)

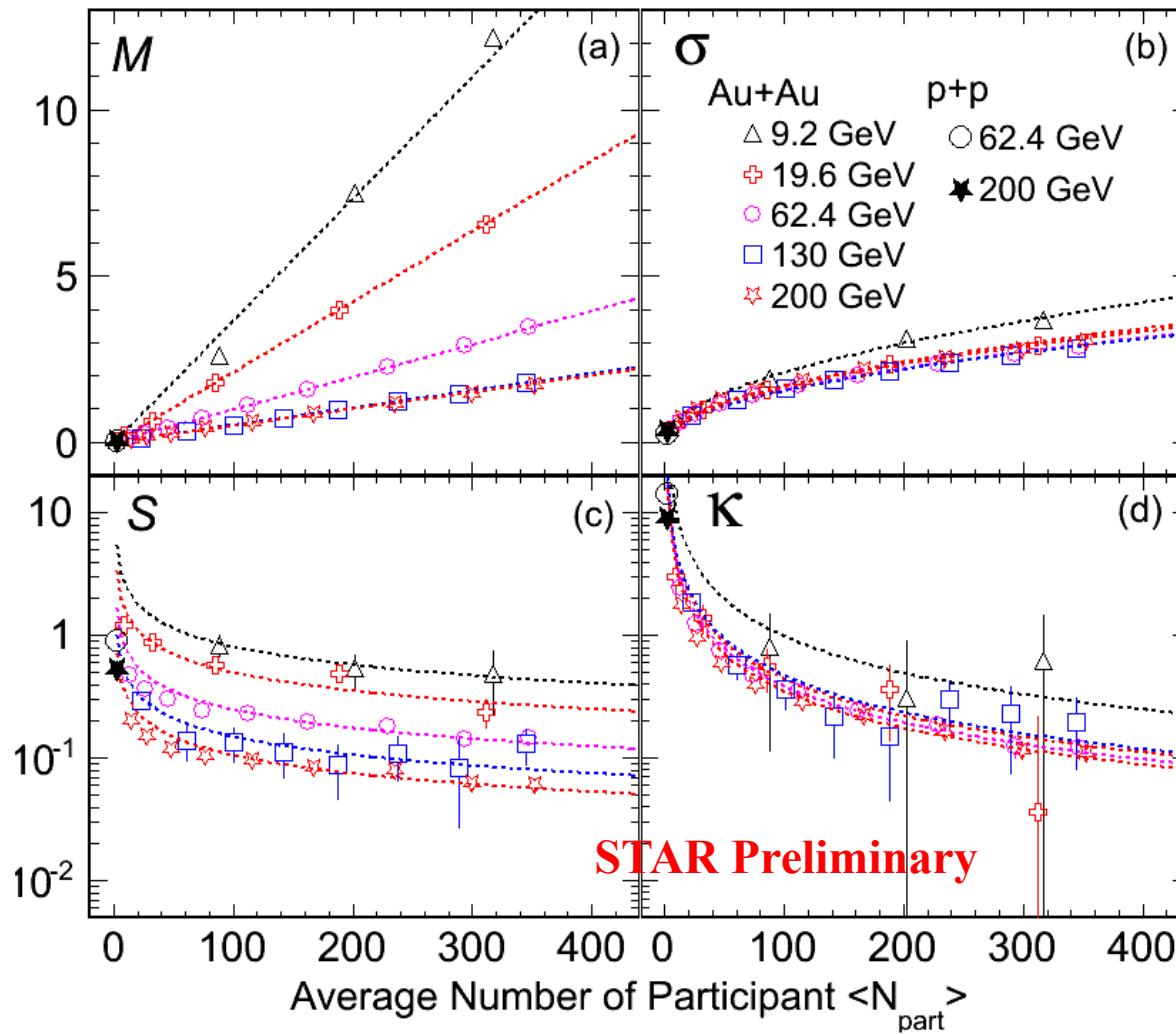
Net-proton Distributions



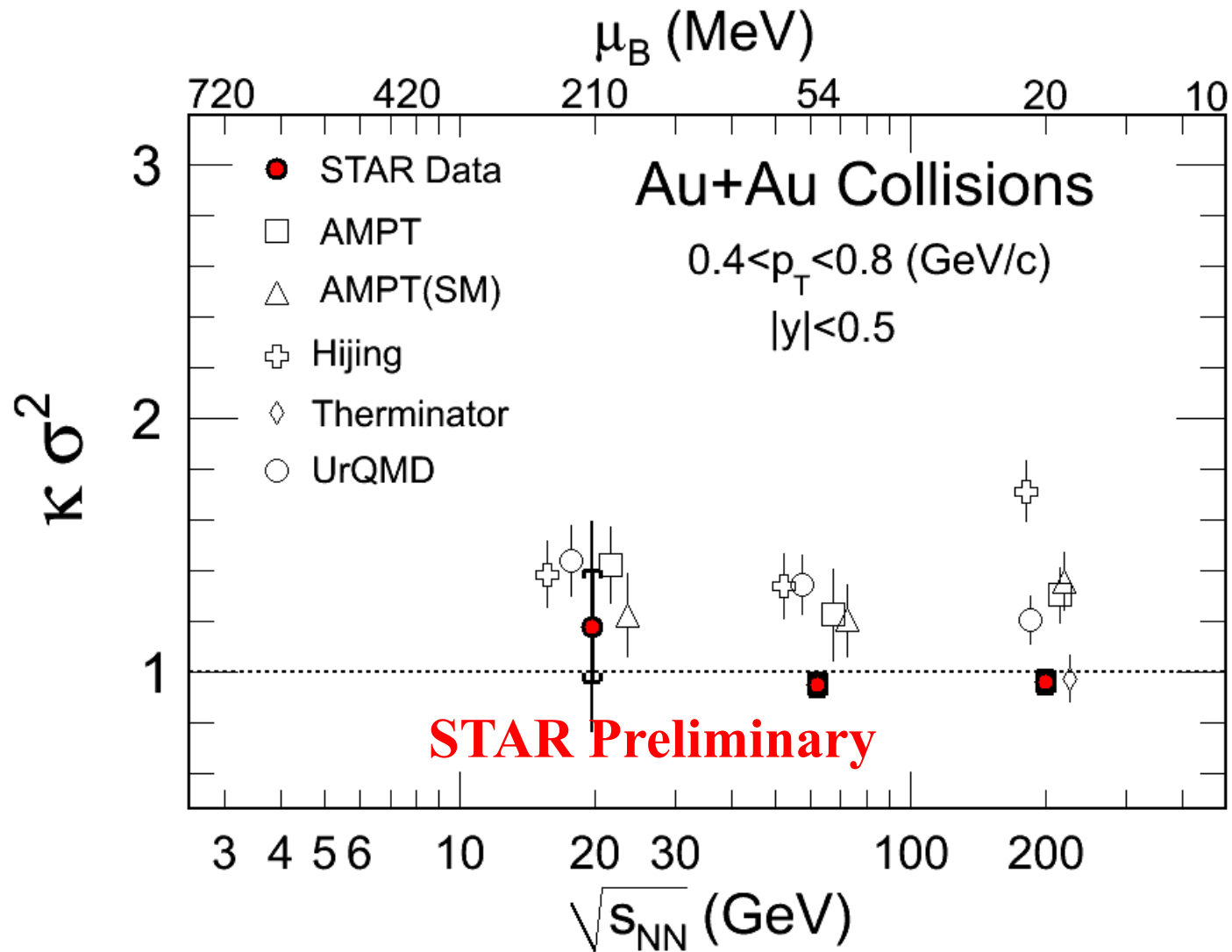
STAR Preliminary



Centrality



Energy Dependence



Summary



- Direct Search for the QCD Critical Point
- Kurtosis and Skewness appear to be promising observables
- We have established the baseline (null-effect)
- STAR with its large acceptance is ideally suited for such studies
- Beam Energy Scan is underway

The End

