

Study of Excited Ξ Baryons in $\bar{p}p$ - Collisions with the $\bar{P}ANDA$ Detector

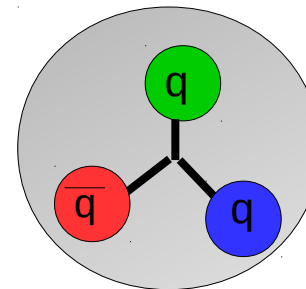
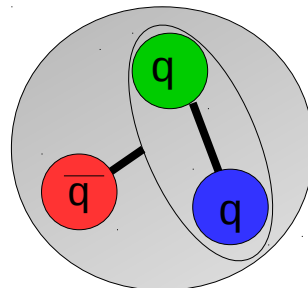
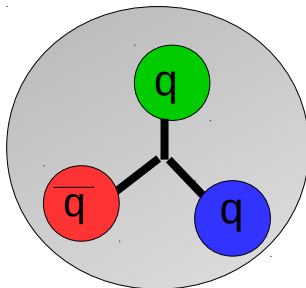
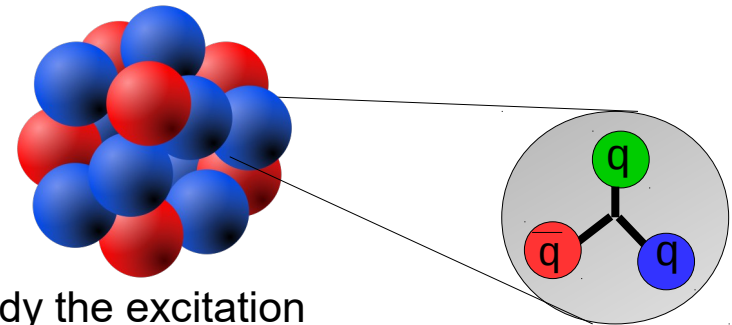
FAIRNESS2016 Conference – Garmisch Partenkirchen, February 17th 2016 | Jennifer Pütz

Outline

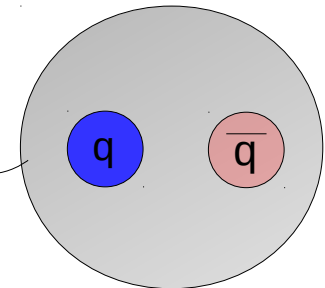
- Motivation
- Event Generation
- The PANDA Detector
- Preliminary reconstruction
- Background
- Summary and Outlook

Why is baryon spectroscopy interesting?

- We want to understand the strong interaction
- Elementary particles of the strong interaction are quarks and gluons
- But observed particles are hadrons = baryons & mesons
- To understand their structure we need to study the excitation pattern
- Open questions: 3-quark or quark-diquark structure? Baryon and meson dynamics?



Baryon



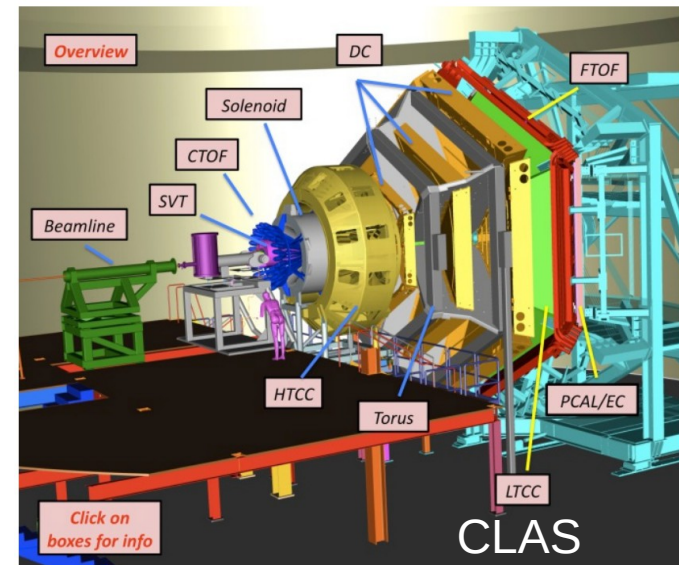
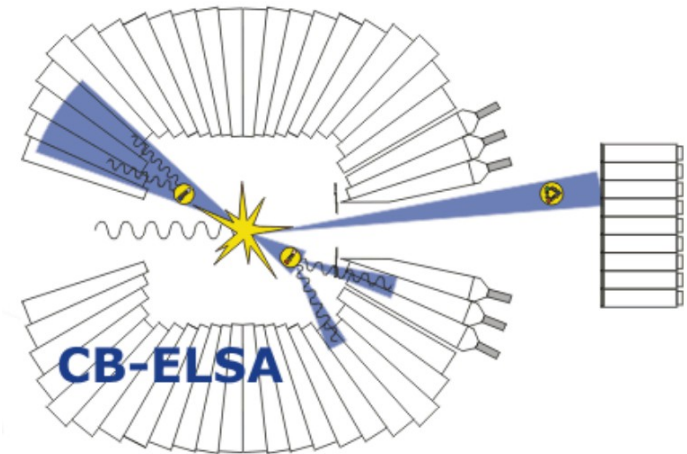
Meson

Why is the spectroscopy of double strange baryons interesting?

- Intense worldwide effort to study the nucleon (and Δ) spectrum with photo-induced reactions

N	Δ	Λ	Σ	Ξ	Ω
10	7	8	5	1	0

- Much less information on Λ/Σ , Ξ and Ω baryons
- Study of Ξ spectrum gives independent information
- Allows to verify if the picture deduced from N^* , Δ studies is correct

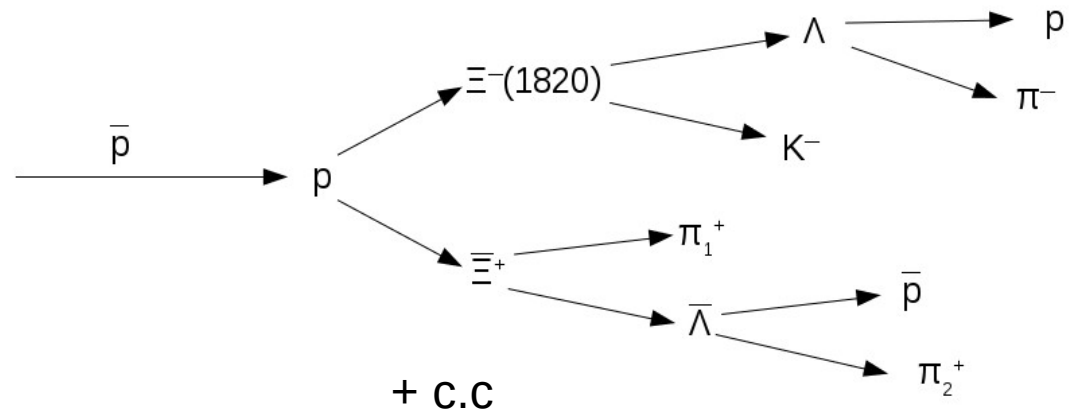


Why with $\bar{p}p$ collisions at $\bar{P}ANDA$?

- $\bar{P}ANDA$ gives simultaneous access to excited states for baryons and anti-baryons in $\bar{p}p \rightarrow \text{baryon} + \text{antibaryon} + \text{meson(s)}$
- Large cross sections (e.g. μb cross section for $\Xi \bar{\Xi}$) allows collection high-statistics in reasonable time
- Systematic error check

Event Generation

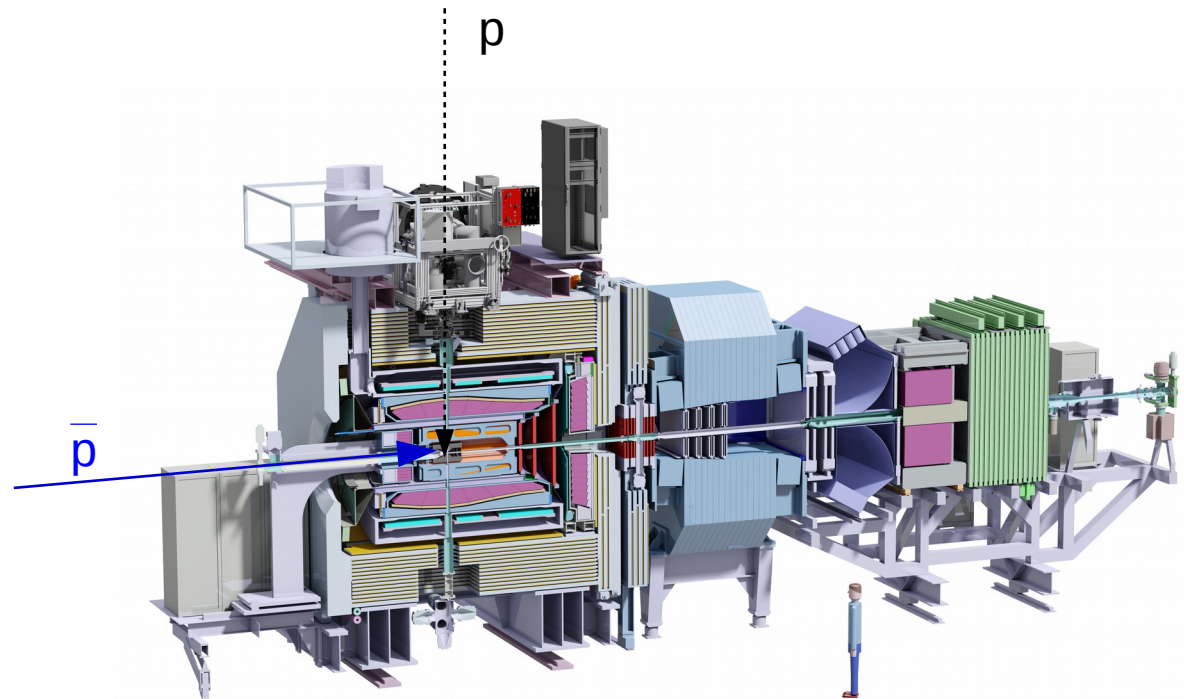
- $\bar{p}p \rightarrow \Xi^-(1820) \Xi^+$
and charge conjugate
- 1.5 million signal events
- $p_{\bar{p}} = 4.6 \text{ GeV}/c$
(approx. 100 MeV above production threshold)
- Assuming a branching ration of 100% for $\Xi^-(1820) \rightarrow \Lambda + K^-$
- Mass of $\Xi^-(1820)$:
 $m_{\Xi(1820)} = 1.823 \text{ GeV}/c^2$
- Width: $\Gamma = 24 \text{ MeV}/c^2$
- Spin Parity: $3/2^-$ (?)



The PANDA Detector

Physics program

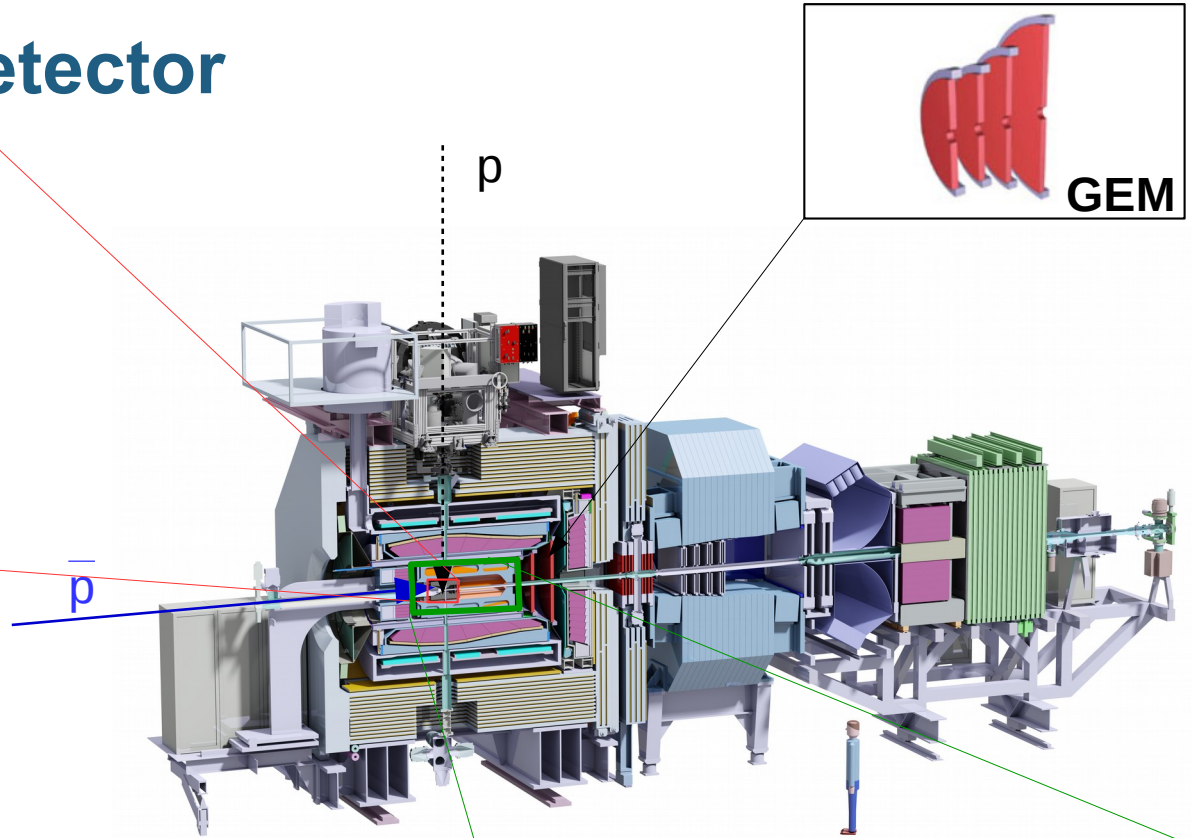
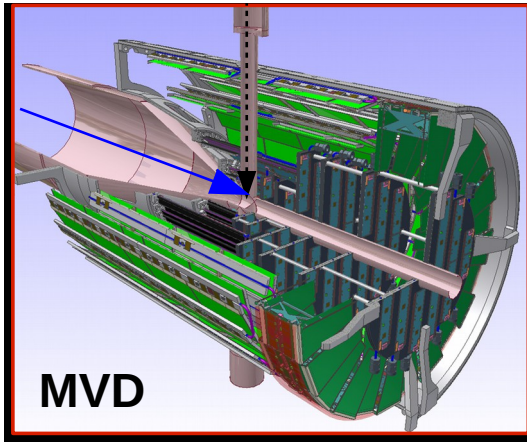
- Baryon spectroscopy
- Meson spectroscopy
- QCD dynamics
- Nucleon structure, em. processes
- Hadrons in nuclei
- Hypernuclear physics



Detector capabilities

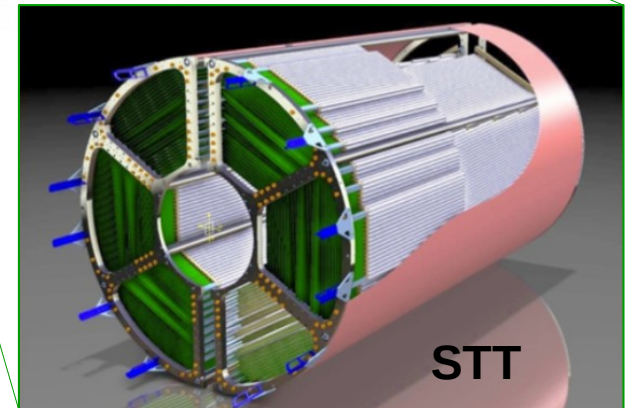
- 4 π acceptance
- High tracking resolution
- Good particle identification

The PANDA Detector



Detector capabilities

- 4π acceptance
- High tracking resolution
- Good particle identification

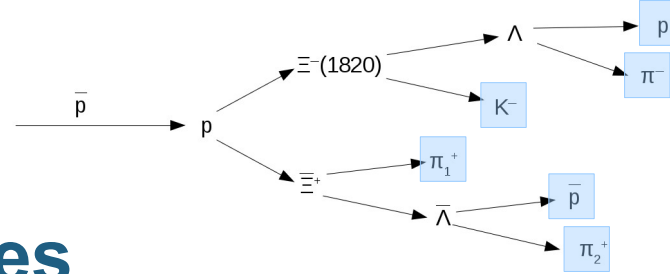


Reconstruction

- Simulation of transport through the detector
- Transport and reconstruction of particles is done with the PandaRoot framework
- Continuous development and improvement of framework
- **This work is at starting point and still under development!**

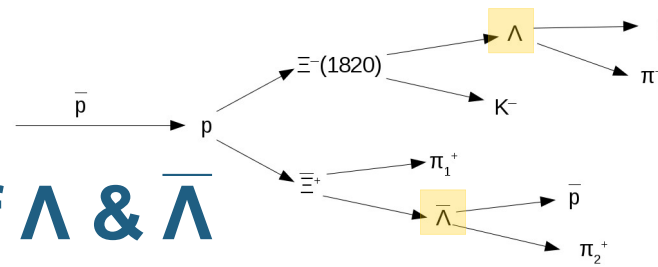
All following results are preliminary!!!

Reconstruction Final State Particles



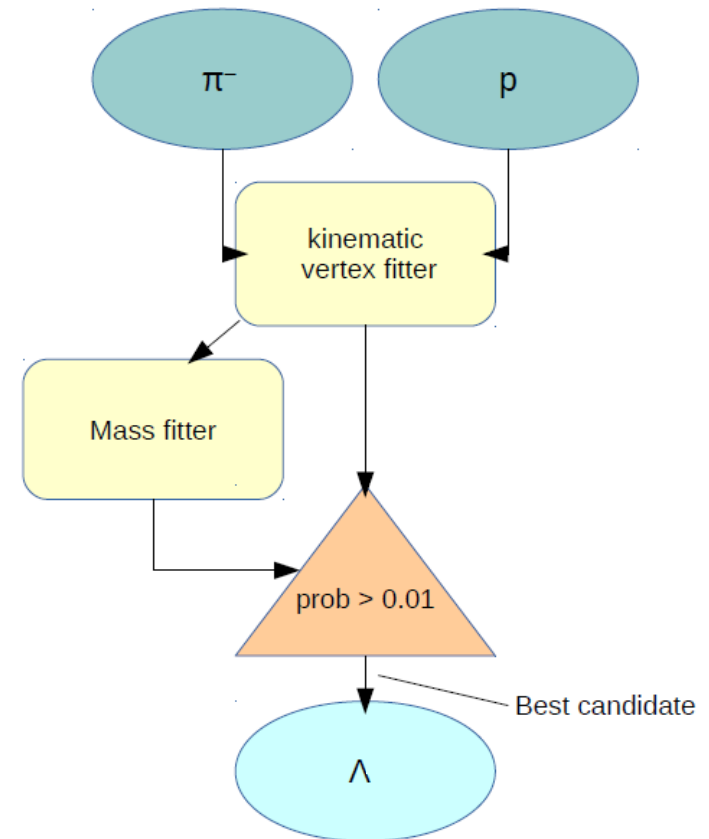
- Used ideal pattern recognition and “best” particle identification (PID)
- Selected only final state particles with $N_{\text{Hits}} \geq 4$ in at least one of the inner tracking detector (MVD, STT, GEM)
- Reconstruction efficiency for final state particles:

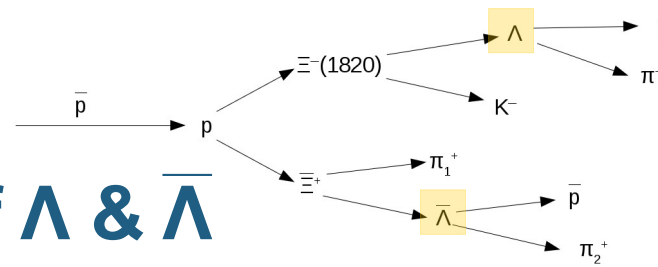
Reco. eff. $\bar{p}p \rightarrow \Xi^* \Xi$		Reco. eff. $\bar{p}p \rightarrow \Xi \Xi^*$	
particle	Reco. eff. [%]	particle	Reco. eff. [%]
π^-	84	π^+	83
$\pi_2^+ (\bar{\Lambda}^0)$	83	$\pi_2^- (\Lambda^0)$	83
$\pi_1^+ (\Xi)$	81	$\pi_1^- (\Xi)$	80
K^-	79	K^+	83
p	84	p	81
\bar{p}	78	\bar{p}	81



Reconstruction of Λ & $\bar{\Lambda}$

- Select candidates within a mass window of $m = (1.116 \pm 0.15) \text{ GeV}/c^2$
- Perform kinematic vertex fit: (Fit tracks of daughter particles to common vertex)
- Kinematic fit with mass constraint is performed on fitted candidate
- Select candidate with vertex fit prob > 0.01 and mass fit prob > 0.01
- More than one candidate: select candidate with smallest χ^2

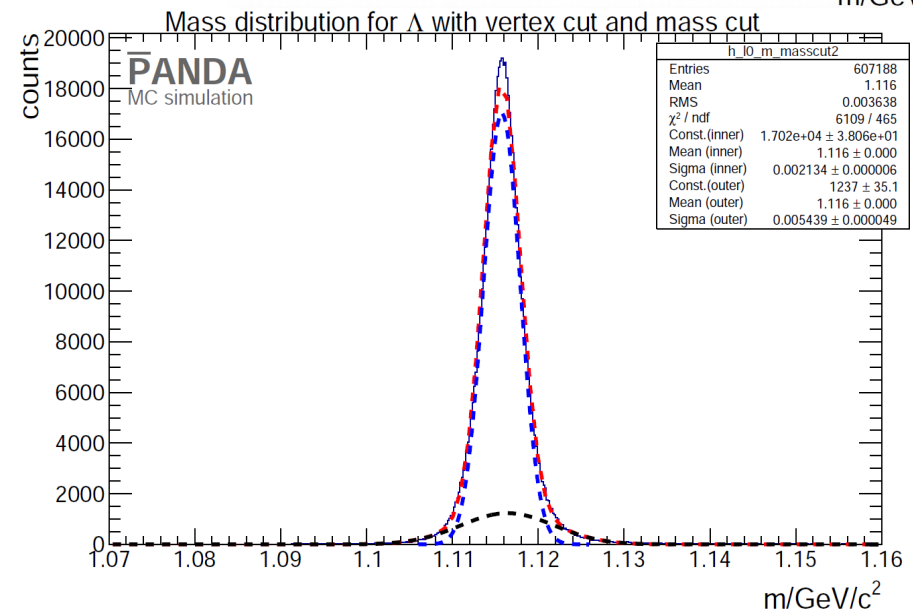
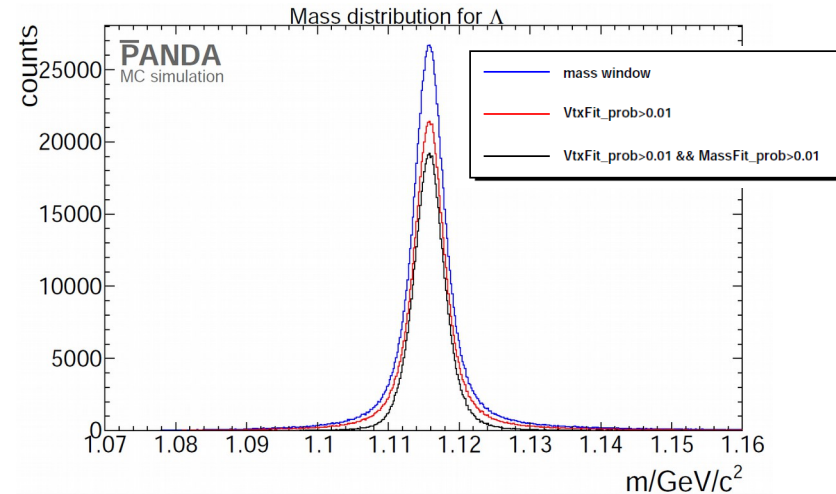




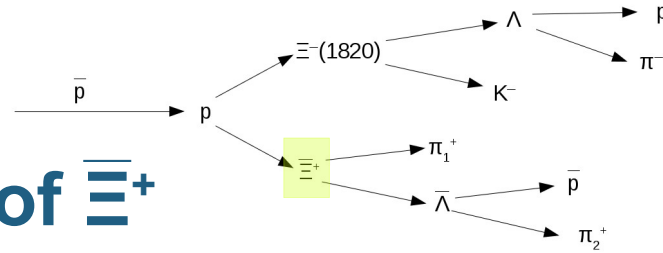
Reconstruction of Λ & $\bar{\Lambda}$

Fitted mass:

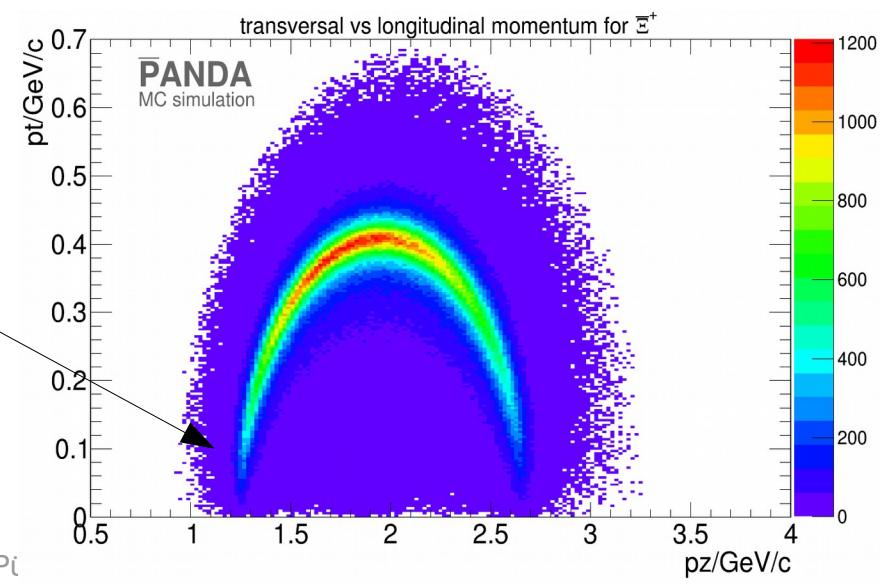
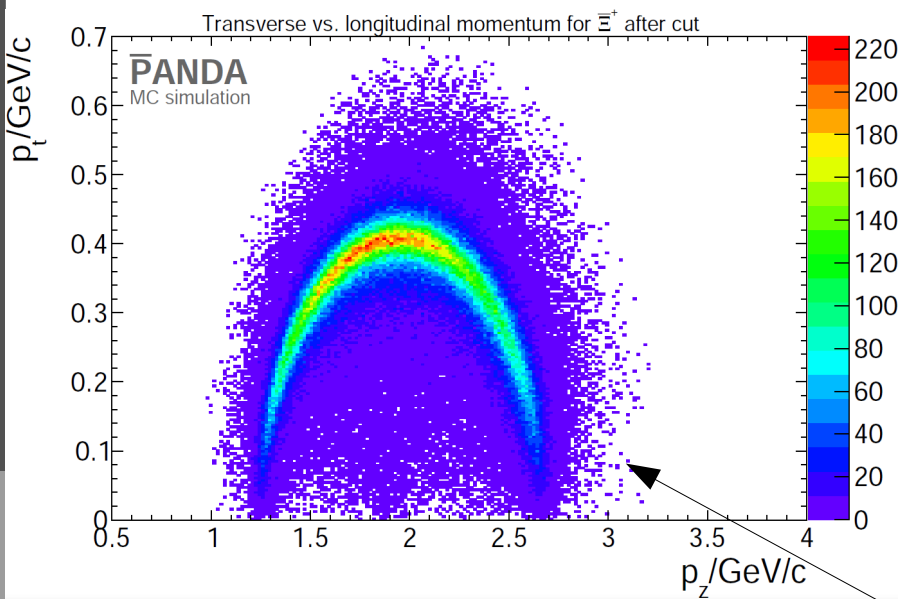
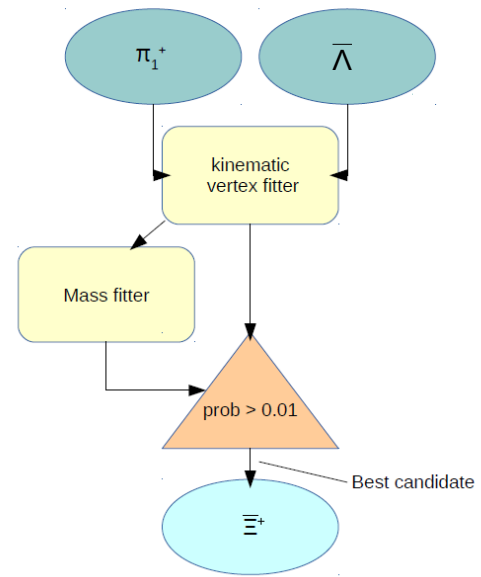
- Performed with double Gaussian fit
- “inner” mean is reconstructed mass value
- $M_{\Lambda} = 1.1158 \text{ GeV}/c^2$
 $\sigma = 2.134 \text{ MeV}/c^2$
- $M_{\bar{\Lambda}} = 1.1159 \text{ GeV}/c^2$
 $\sigma = 2.084 \text{ MeV}/c^2$
- Errors are dominated by systematic effects



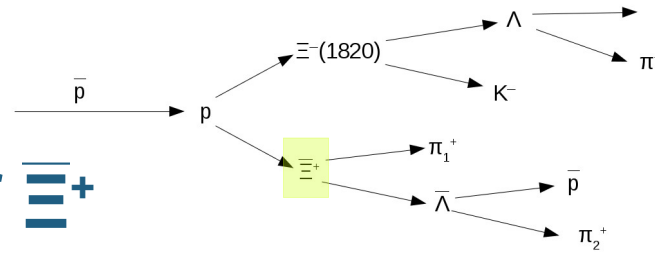
Reconstruction of Ξ^+



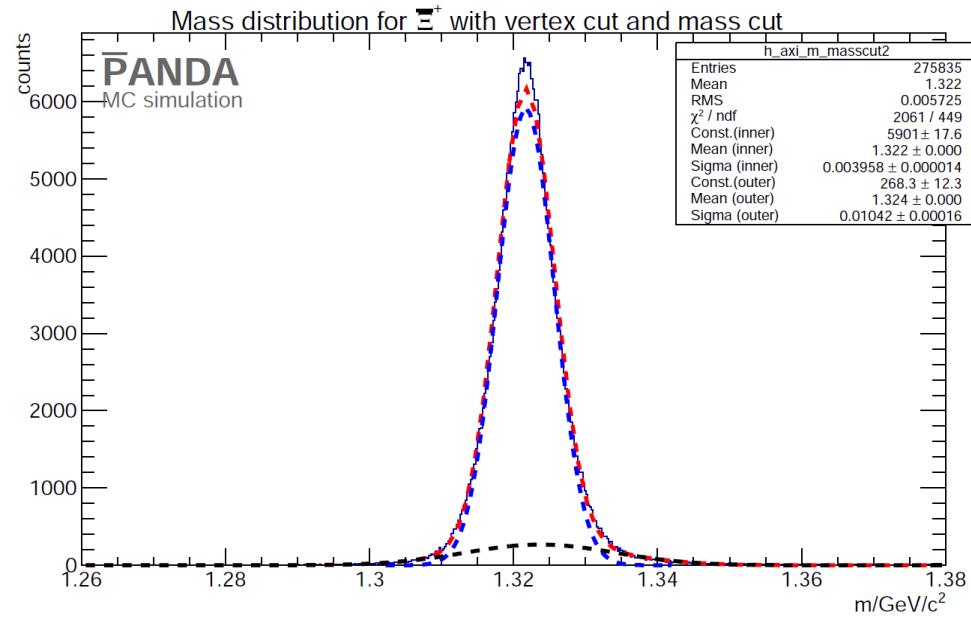
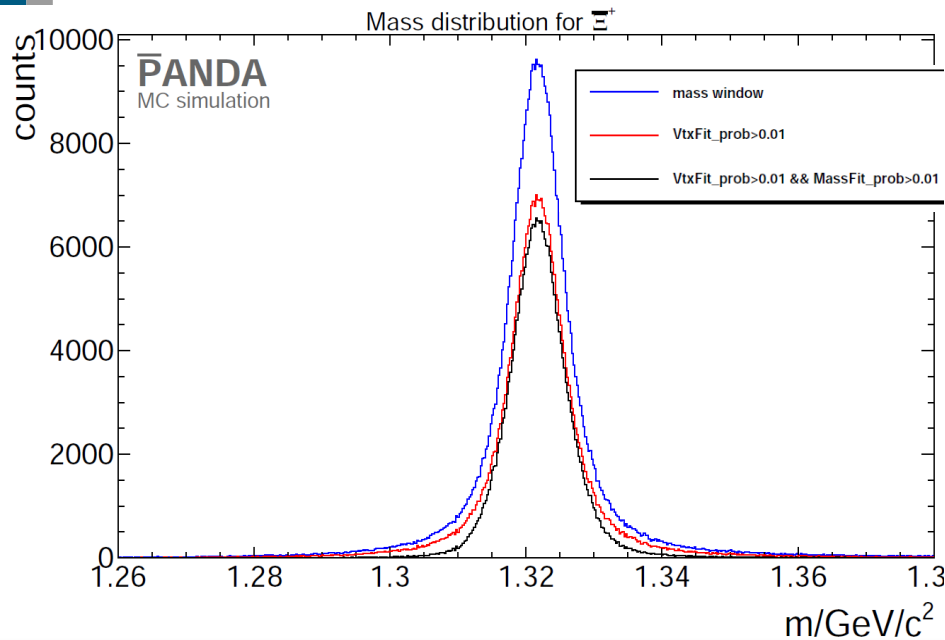
- Combine $\bar{\Lambda}^0$ and π_1^+
- Mass cut with window $1.321 \pm 0.15 \text{ GeV}/c^2$



Comparison with generated candidates

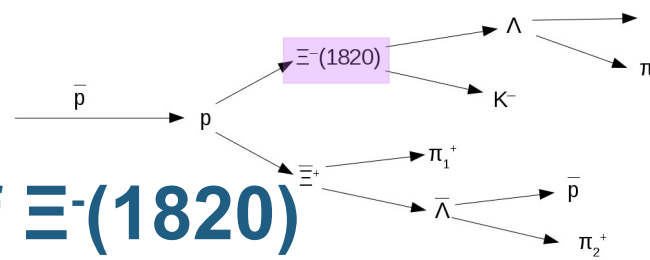


Reconstruction of Ξ^+ mass distribution

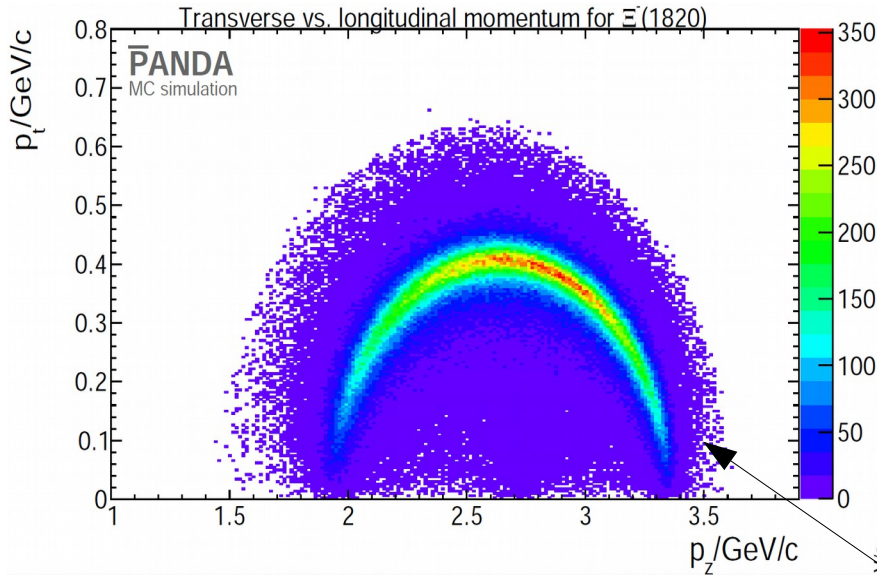


Fitted mass:

- $M_{\Xi^+} = 1.322 \text{ GeV}/c^2$; $\sigma = 3.96 \text{ MeV}/c^2$
- $M_{\Xi^-} = 1.322 \text{ GeV}/c^2$; $\sigma = 4.00 \text{ MeV}/c^2$
- Errors are dominated by systematic effects

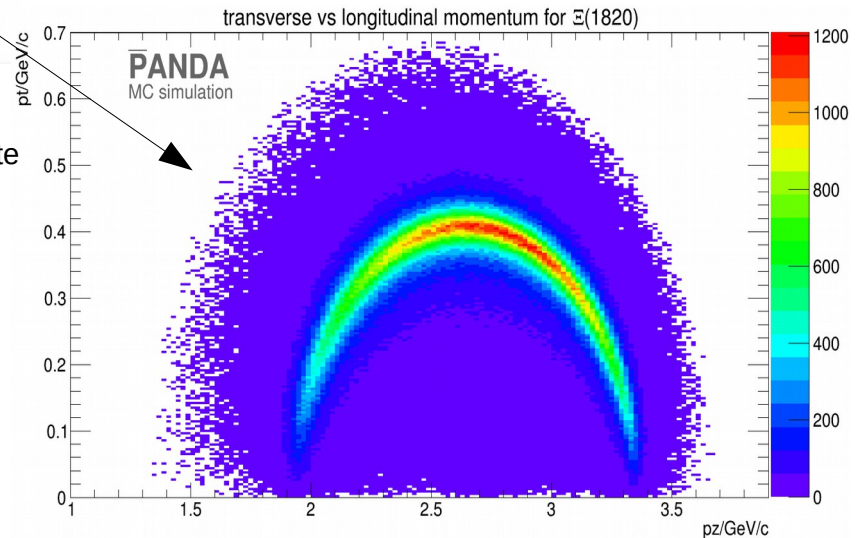


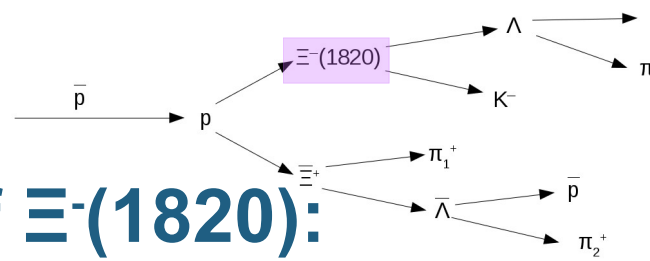
Reconstruction of $\Xi(1820)$



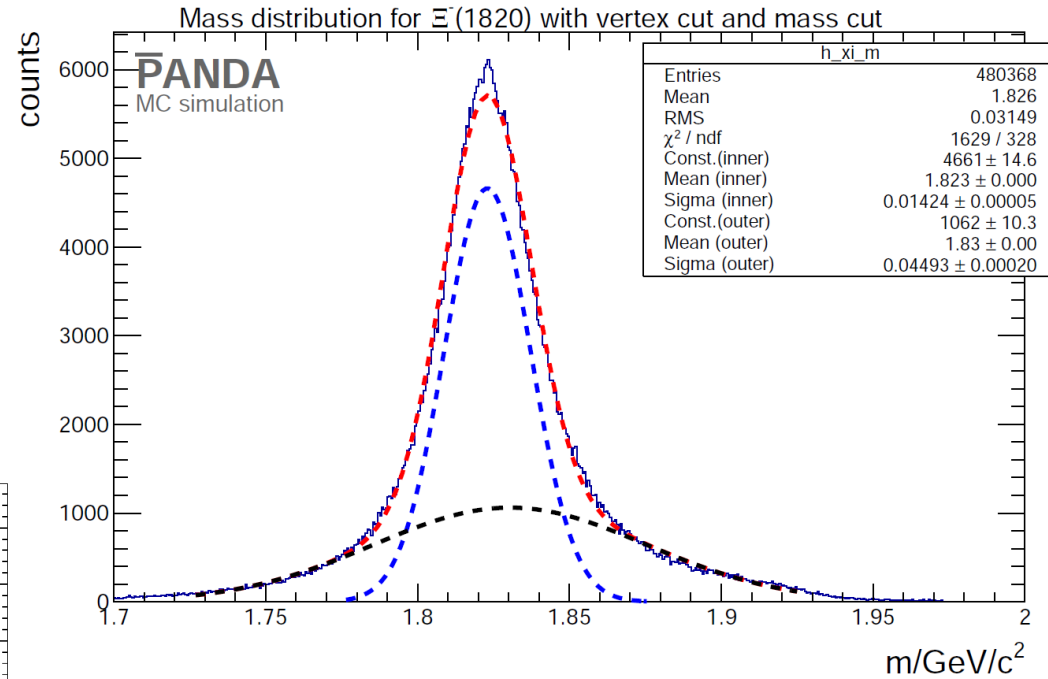
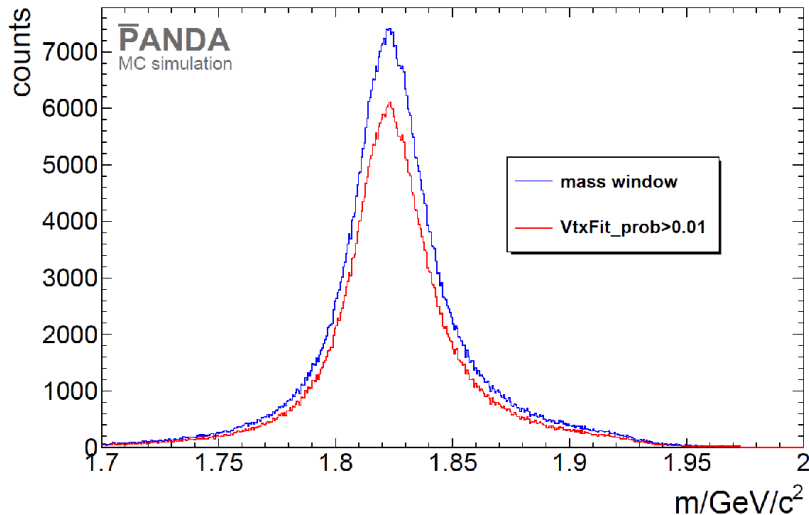
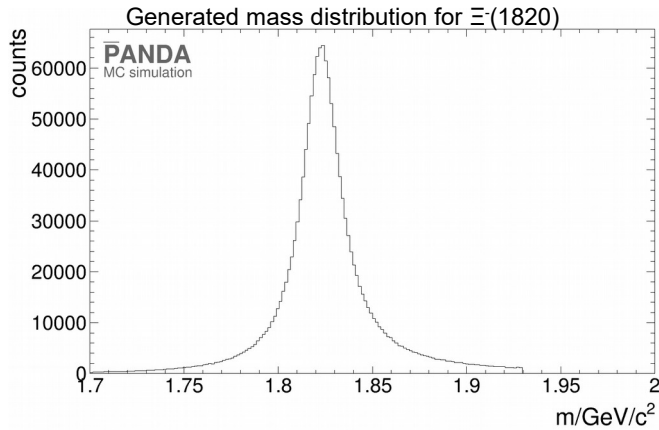
- Combine Λ and K^-
- Mass window 1.823 ± 0.15 GeV/c²
- Select candidate with vertex fit probability > 0.01
- More than one candidate left: candidate with smallest χ^2 is selected

Comparison with generated candidate





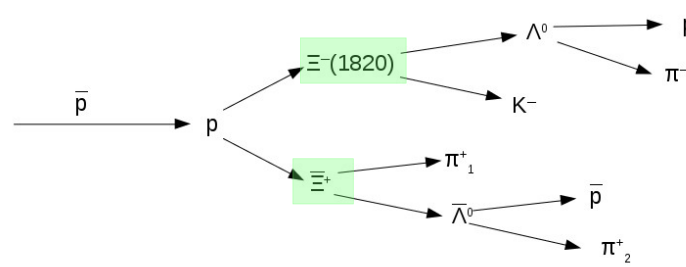
Reconstruction of $\Xi^-(1820)$: reconstructed mass



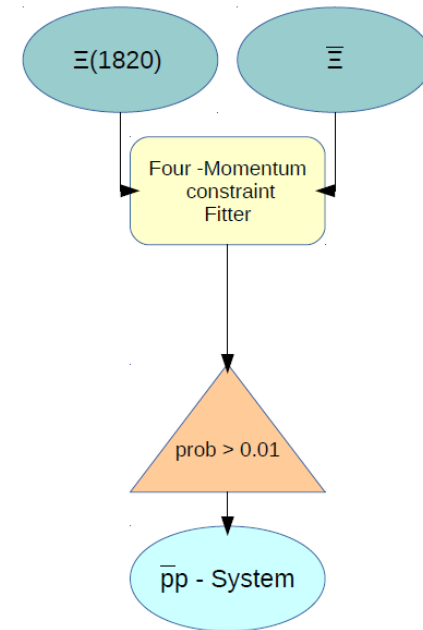
particle	fitted mass	σ
$\Xi^-(1820)$	$1.823 \text{ GeV}/c^2^*$	$14 \text{ MeV}/c^2$
$\Xi^+(1820)$	$1.823 \text{ GeV}/c^2^*$	$14 \text{ MeV}/c^2$

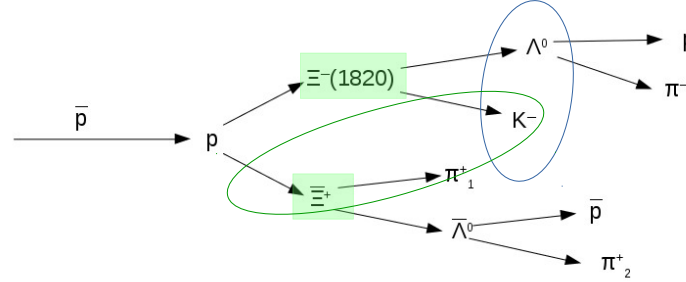
* Errors are dominated by systematic effects

Reconstruction of $\Xi^-(1820)$ Ξ^+



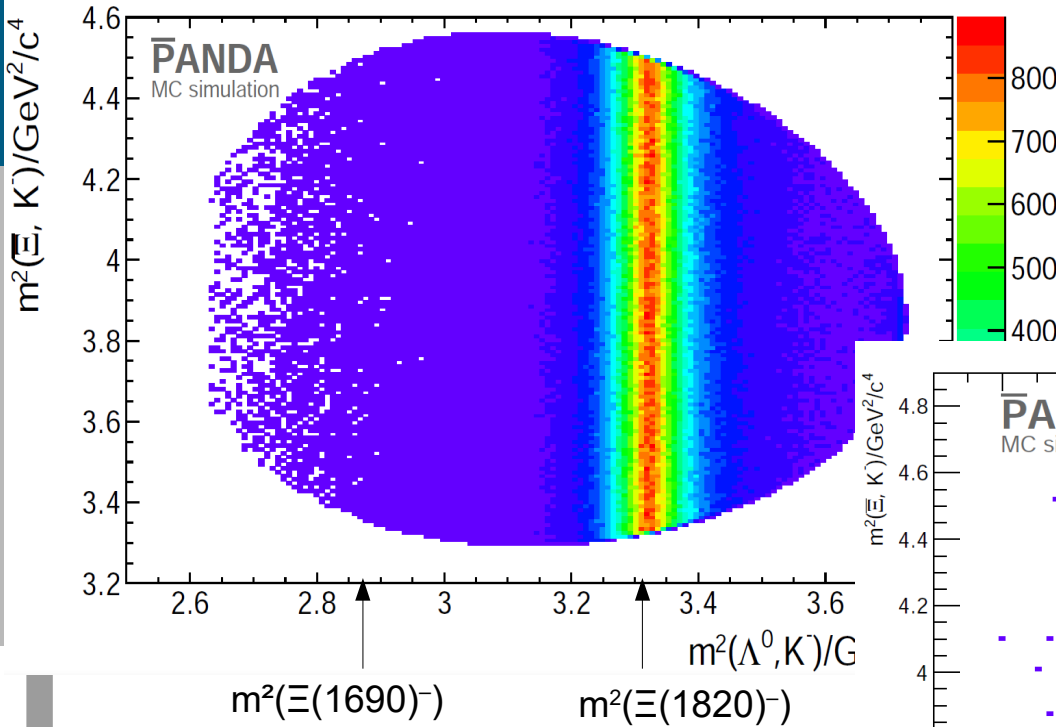
- Combine $\Xi^-(1820)$ and Ξ^+
- Perform four momentum constraint fit
- Select candidates with $p > 0.01$





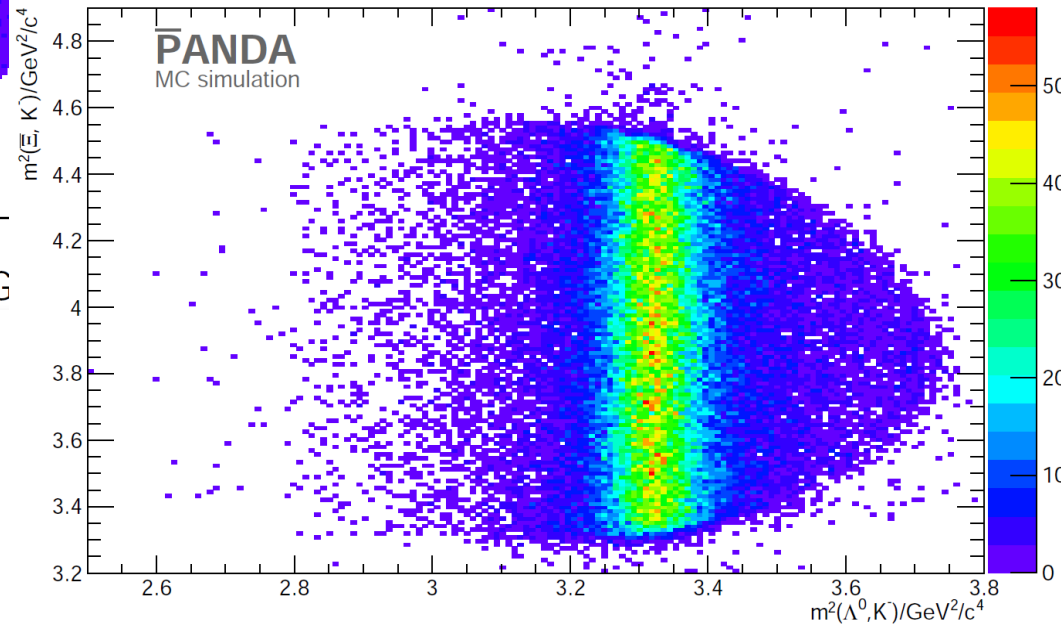
Dalitz plots

Dalitz plot (MC)



Ξ^+, K^- : uncorrelated
 Λ, K^- : correlated \rightarrow resonance

Dalitz plot (reco.)



Background

$$\sigma_{\text{sig}} = 1 \mu\text{b}$$

$$\sigma_{\text{bg}} = 60 \text{ mb}$$

- 15 million events were generated with **Dual Parton Model (DPM)**
- For comparison with signal events scaling factor is needed

$$B = \frac{N_{\text{sig}}^{\text{gen}} / \sigma_{\text{sig}}}{N_{\text{bg}}^{\text{gen}} / \sigma_{\text{bg}}} = 6000$$

- Significance is defined as

$$S = \frac{N_{\text{sig}}}{\sqrt{N_{\text{sig}} + N_{\text{bg}} \cdot B}}$$

Particle	N_{sig}	$N_{\text{bg}} \cdot B$	S
Λ	786,243	$1.6 \cdot 10^9$	20
$\bar{\Lambda}$	711,820	$744.4 \cdot 10^6$	26
Ξ^+	302,681	$18.4 \cdot 10^6$	70
$\Xi^-(1820)$	490,672	$1.8 \cdot 10^6$	325
$\Xi^-(1820) \Xi^+$	74,523	<6000	> 263*

* assuming at least 1 background event

- Signal-to-background ratio*: 12 : 1
- More background events for higher statistics are needed

Summary & Outlook

- Simulated 1.5 million signal events for $\bar{p}p \rightarrow \Xi(1820)^- \bar{\Xi}^+$ and its c.c.
- Reconstructed Mass of $\Xi(1820)$ in agreement with input value
- Number of
 - background events after all cuts: $N_{\text{bg}} < 6000$
 - Signal events after all cuts $N_{\text{sig}} = 75\text{k}$
- Lower limit for significance: $S > 263$
- Intermediate state of analysis looks promising

- More background simulation will be done as next step
- Partial wave analysis of $\Lambda K^- \bar{\Xi}$ (& c.c) final state will be explored



Thank you for your attention!

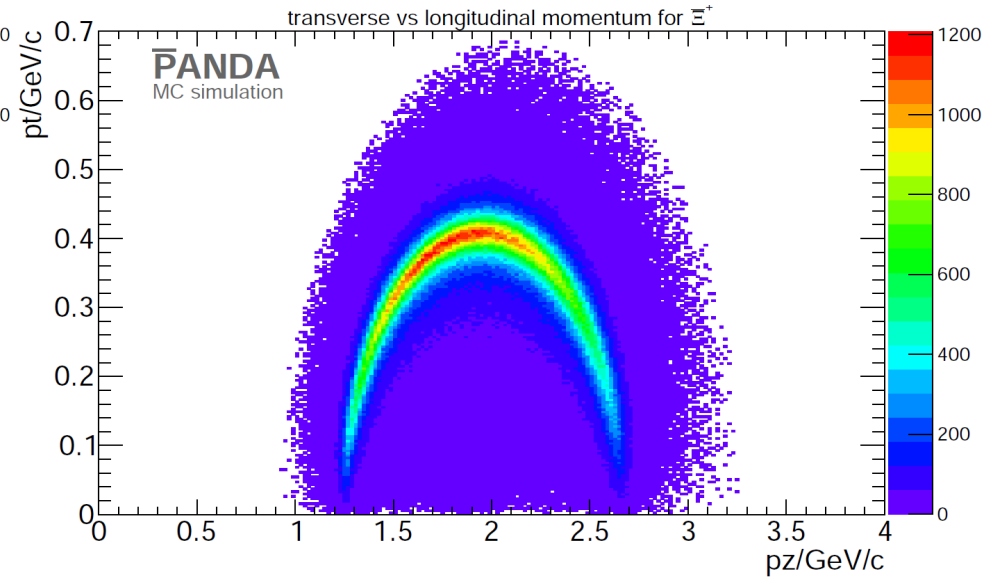
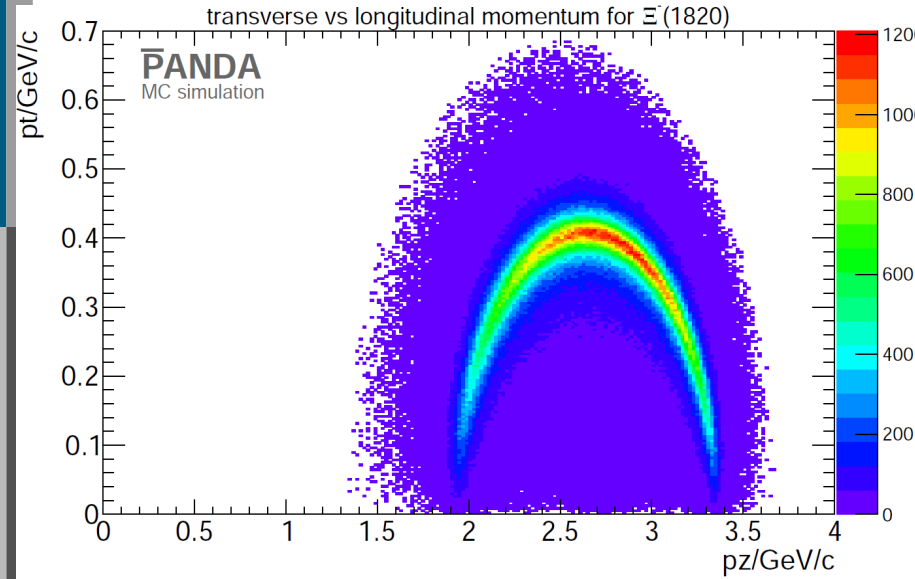
Backup

Ideal Tracking and ideal PID

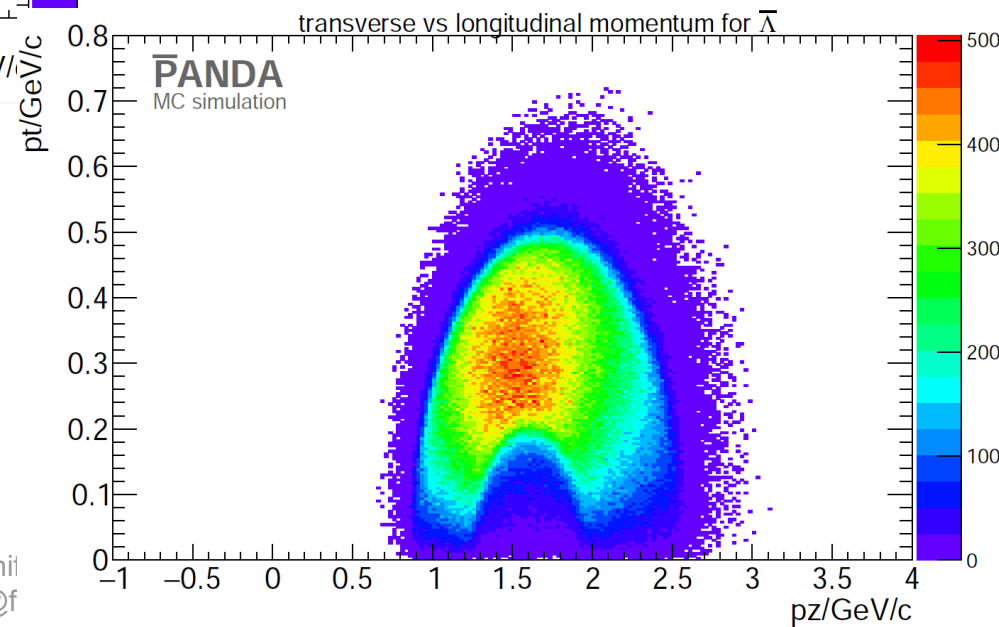
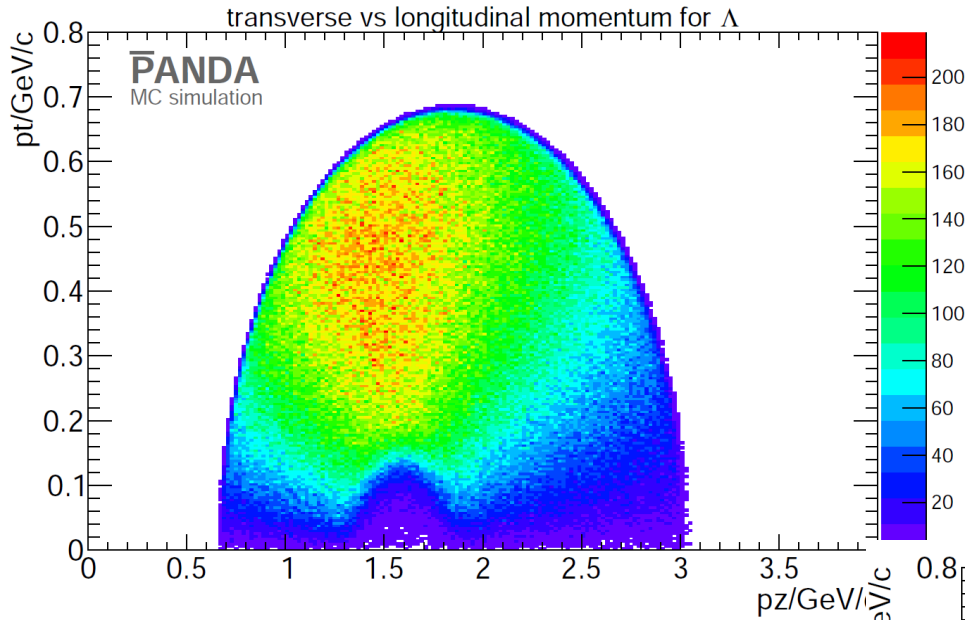
- **Ideal tracking:**
 - ♦ hit points caused by a particle track are grouped based on the generated particle information

- **Ideal PID:**
 - ♦ true particle gets the probability $P = 1$, others $P = 0$.
 - ♦ 'best': particle with highest probability is chosen.

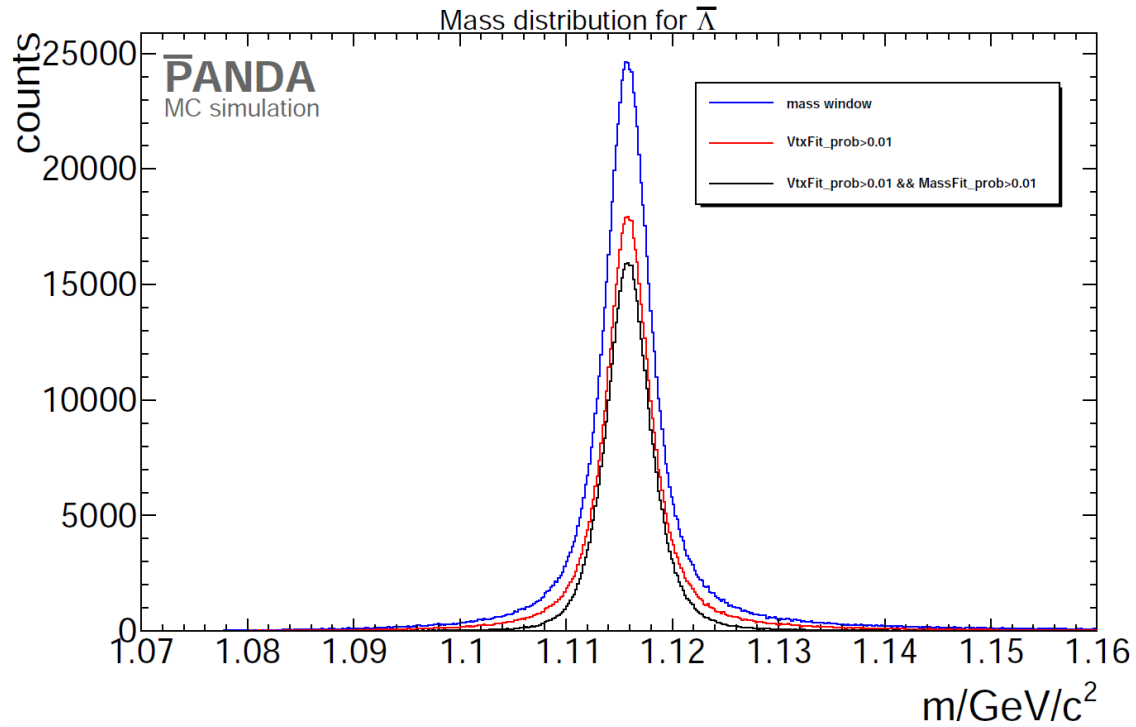
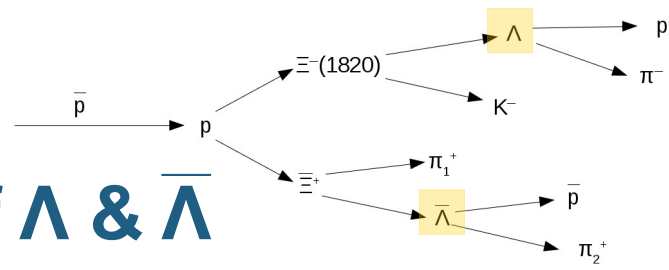
Simulation: Generated Events



Λ : transverse vs. Longitudinal momentum

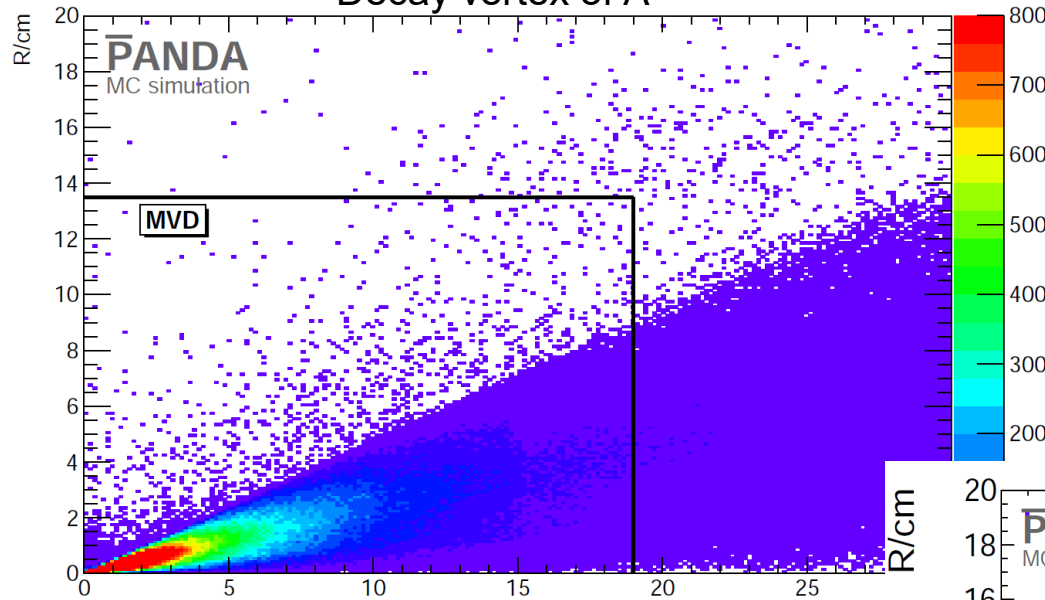


Reconstruction of Λ & $\bar{\Lambda}$



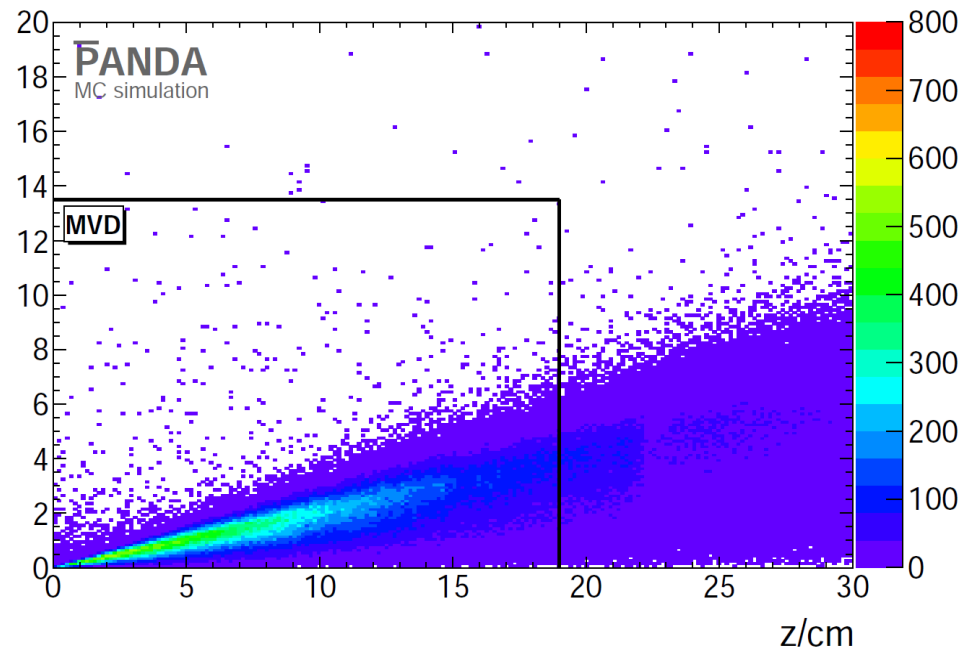
Λ & $\bar{\Lambda}$: decay vertex

Decay vertex of Λ

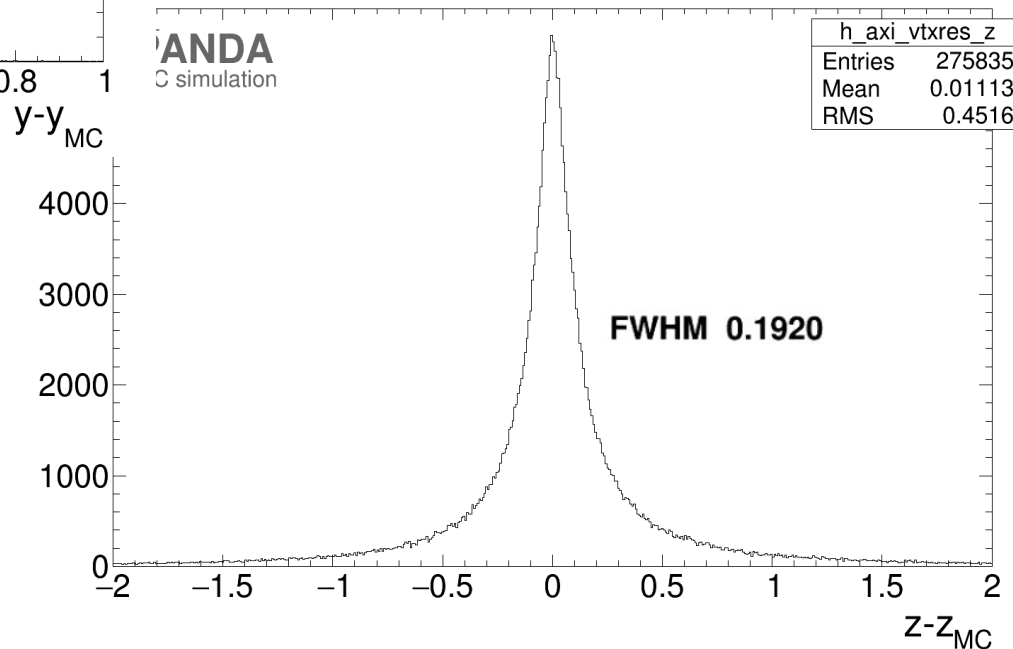
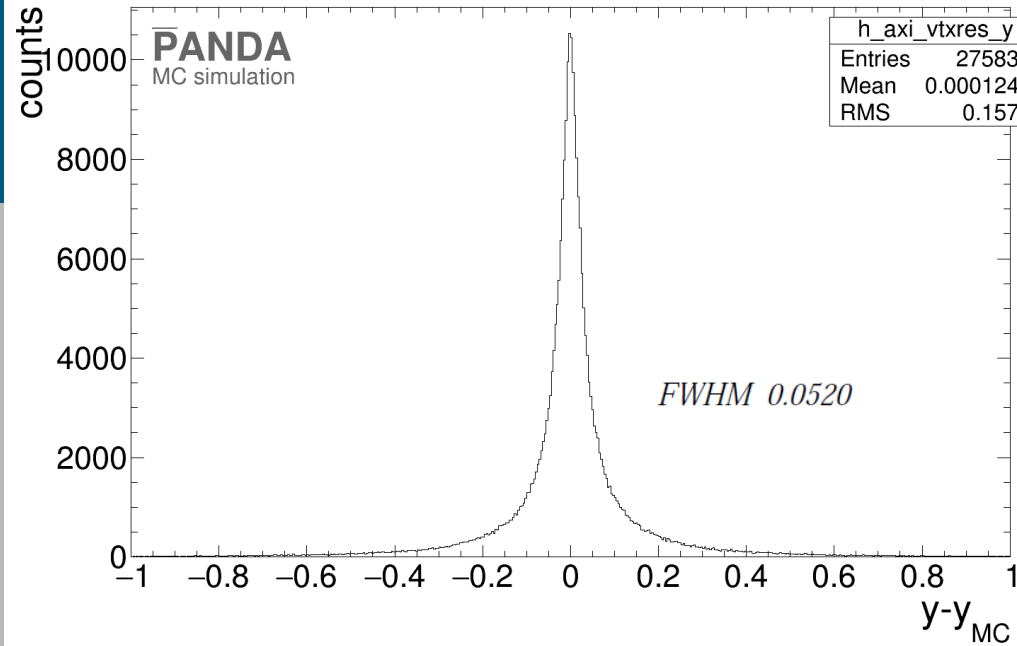


- Black lines mark edges of MVD
- In most cases Λ decays well inside MVD
- Many $\bar{\Lambda}$ decay close to the edge of MVD
- Caused by different lifetime of mother particles $\Xi^-(1820)$ and Ξ^+

Decay vertex of $\bar{\Lambda}$

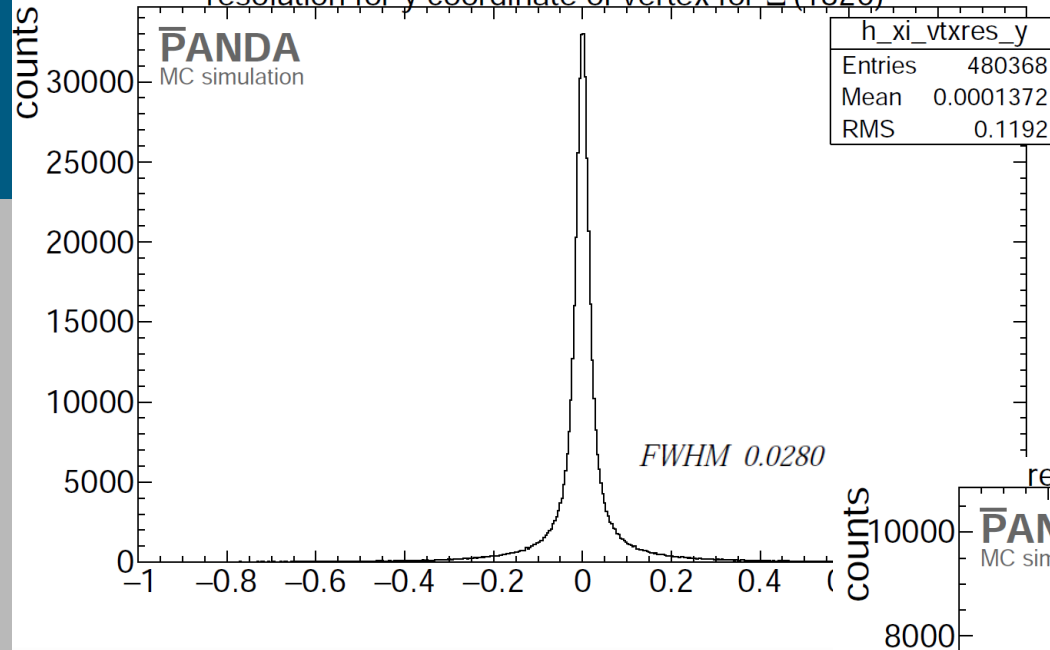


Vertex resolution Ξ^+

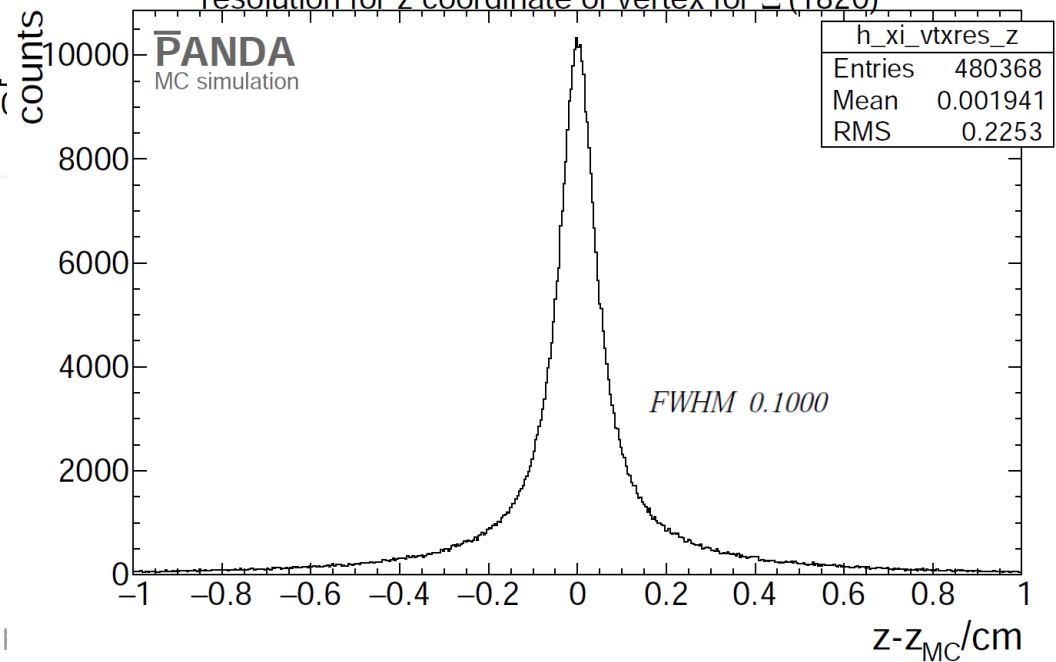


Vertex fit $\Xi^-(1820)$

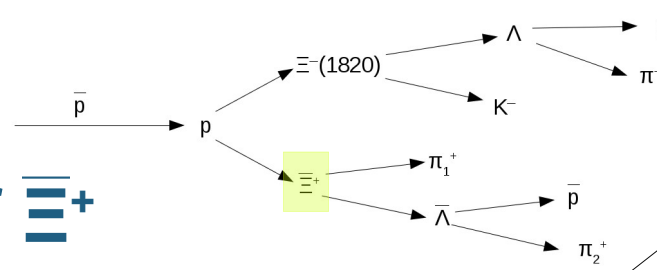
resolution for y coordinate of vertex for $\Xi^-(1820)$



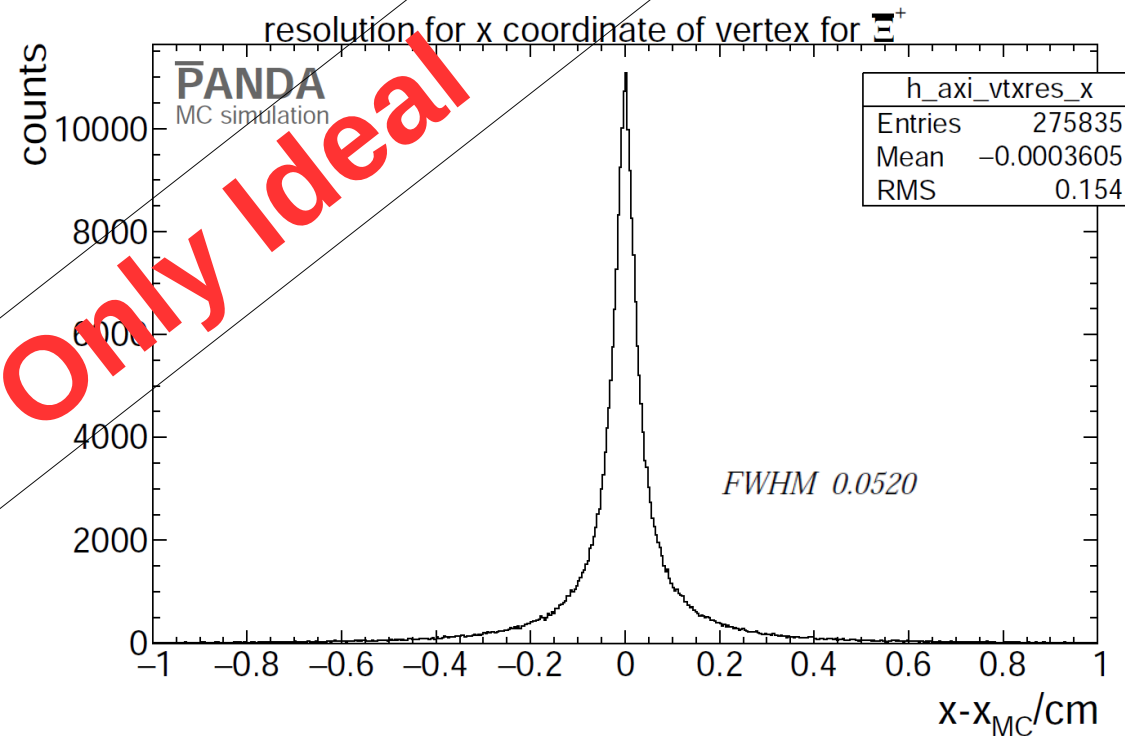
resolution for z coordinate of vertex for $\Xi^-(1820)$

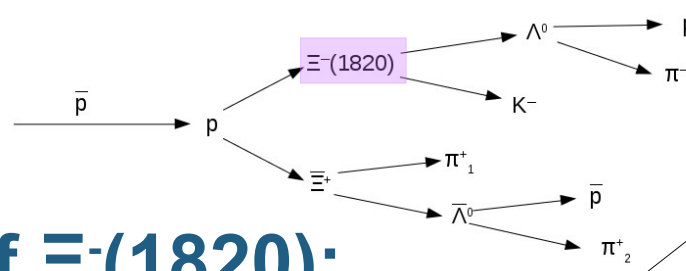


Reconstruction of Ξ^+ Vertex resolution



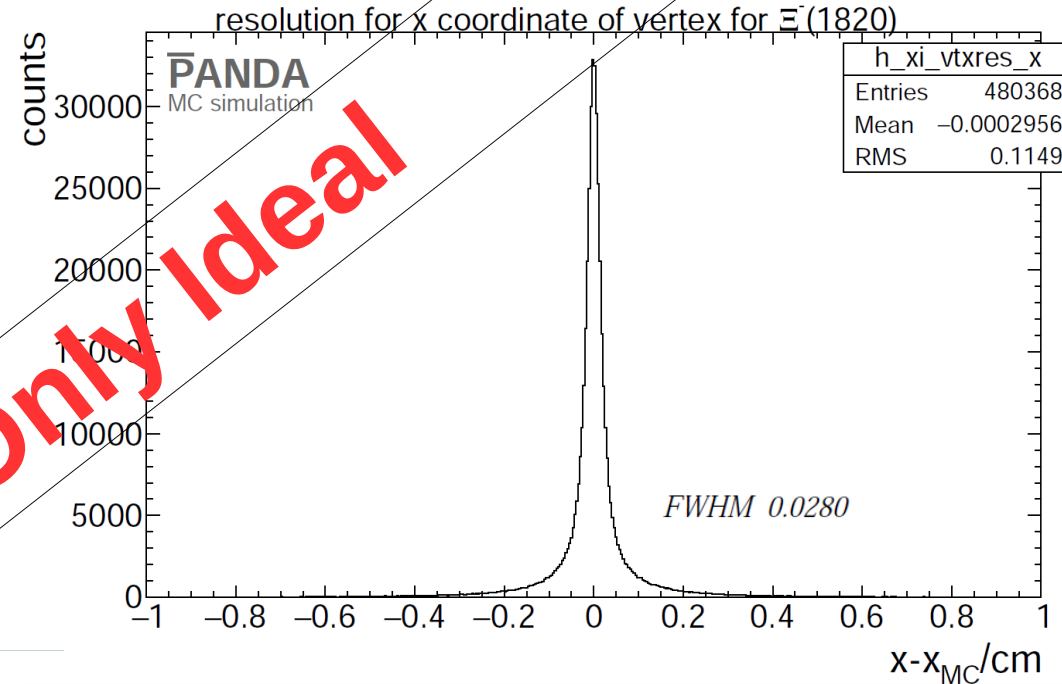
- Vertex resolution determined with FWHM
- Advantage: independent of shape of the distribution
- Vertex resolution:
 - transverse: $\sim 0.5 \dots 0.6$ mm
 - longitudinal: ~ 2 mm





Reconstruction of $\Xi^-(1820)$: Vertex resolution

Vertex resolution
determined with FWHM



position	Vertex resolution	
	$\Xi(1820)$	$\Xi^-(1820)$
x/mm	0.3	0.3
y/mm	0.3	0.3
z/mm	1	1

Mass distribution $\Xi^-(1820)$ for different cuts

