

A study of the scan of the $D_{s0}^*(2317)^+$ mass with pandaroot

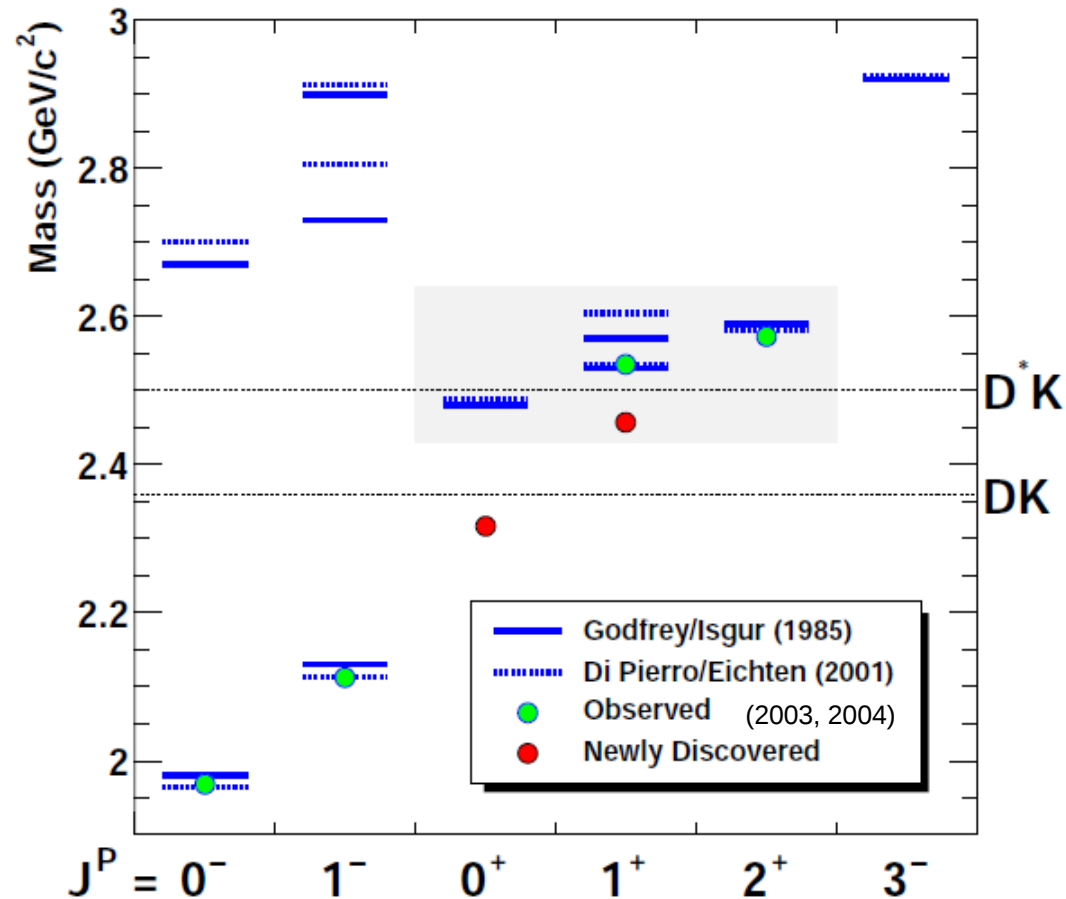
March 16th, 2015 | Elisabetta Prencipe, Forschungszentrum Jülich | PANDA Coll. Meeting, Giessen

- Theoretical aspects
- Recent observations
- Simulation: $\bar{p}p \rightarrow D_s^- D_{s0}^*(2317)^+$
- Proposed analysis strategy
- Comparison signal/background
- Summary

Unexpected observations in the D_s spectrum

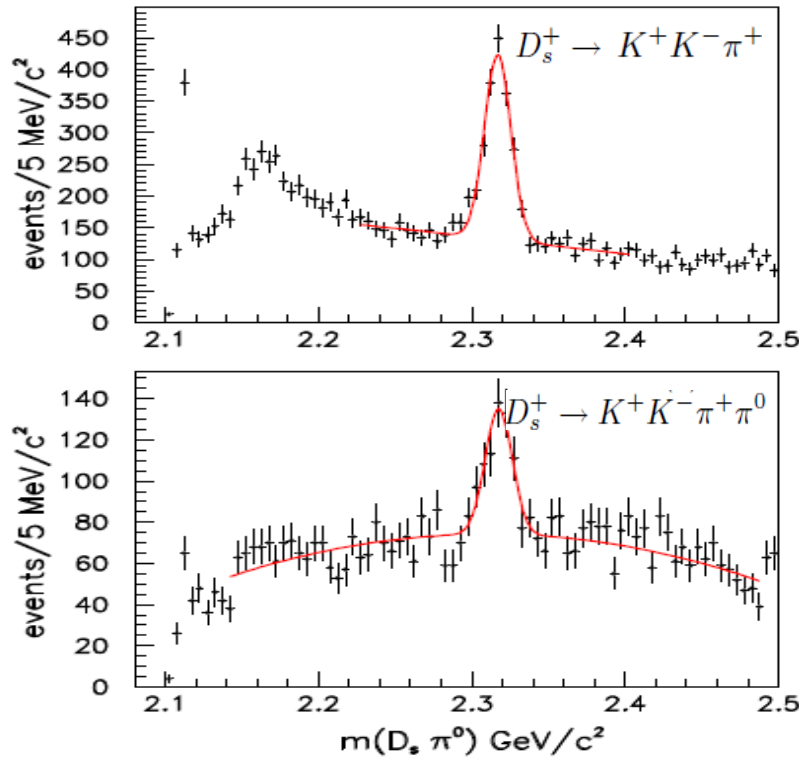
D mesons: $|c\bar{u}\rangle$, $|c\bar{d}\rangle$ Charged, neutral mesons

D_s mesons: $|c\bar{s}\rangle$ Charged mesons, only



Observation of $D_{s0}^*(2317)$ and $D_{s1}(2460)$

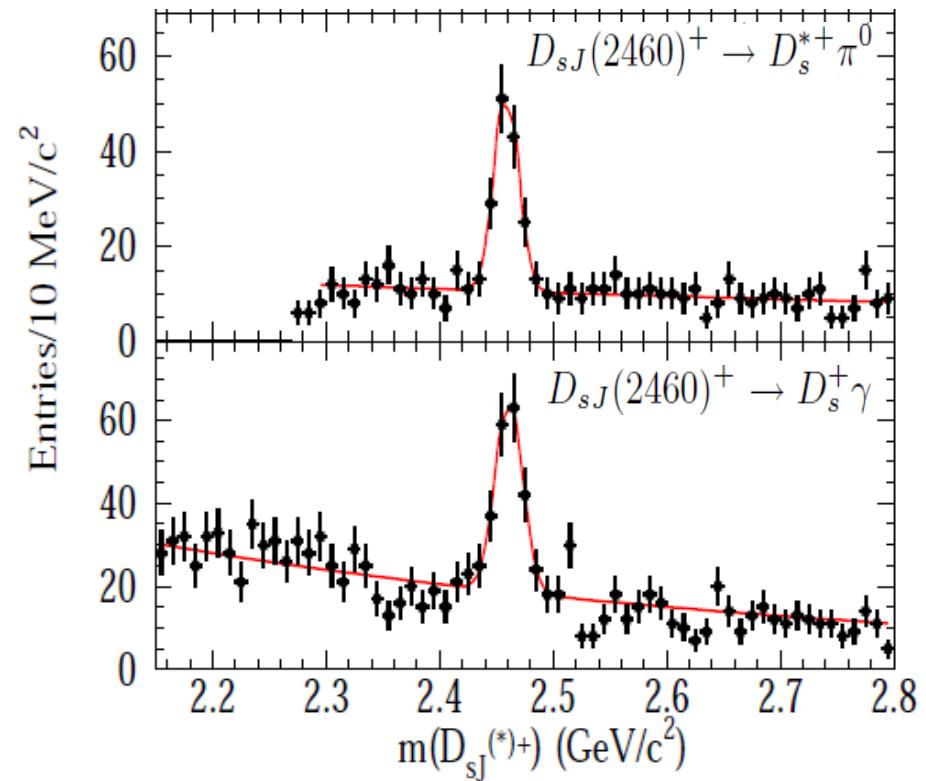
BABAR, PRL 90 (2003) 242001



$$m(D_{s0}^*(2317)^+) = (2317.7 \pm 0.6) \text{ MeV}/c^2$$

$$\Gamma < 3.8 \text{ MeV} \quad \text{CL} = 95.0\%$$

BABAR, PRL 93 (2004) 181801



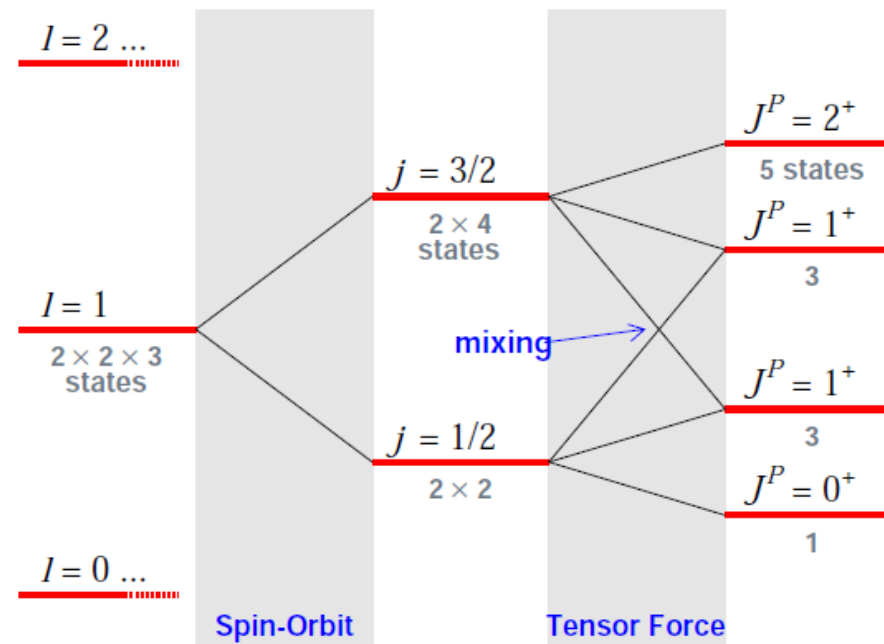
$$m(D_{s1}(2460)^+) = (2459.5 \pm 0.6) \text{ MeV}/c^2$$

$$\Gamma < 3.5 \text{ MeV} \quad \text{CL} = 95.0\%$$

- Narrow decay width suggests isospin violating decays, $I \neq 1 \Rightarrow$ hence $I=0$
- Spin parity to be confirmed

CLEO, PRD 68 (2003) 032002
 BELLE, PRL 92 (2004) 012002
 BABAR, PRD 74 (2006) 032007

P -wave multiplet



- Conventionally interpreted as the hydrogen atom splitting levels (quark model)
- $m(D_{s0}^*(2317)^+)$ and $m(D_{s1}(2460)^+)$ found $180 \text{ MeV}/c^2$ and $70 \text{ MeV}/c^2$ below what predicted by potential models, respectively \rightarrow Not understood!

Experimental overview of $D_{s0}^*(2317)$ and $D_{s1}(2460)$

Decay Channel	$D_{sJ}^*(2317)^+$	$D_{sJ}(2460)^+$
$D_s^+ \pi^0$	Seen	Forbidden
$D_s^+ \gamma$	Forbidden	Seen
$D_s^+ \pi^0 \gamma$ (a)	Allowed	Allowed
$D_s^*(2112)^+ \pi^0$	Forbidden	Seen
$D_{sJ}^*(2317)^+ \gamma$	Seen	Allowed
$D_s^+ \pi^0 \pi^0$	Forbidden	Allowed
$D_s^+ \gamma \gamma$ (a)	Allowed	Allowed
$D_s^*(2112)^+ \gamma$	Allowed	Allowed
$D_s^+ \pi^+ \pi^-$	Forbidden	Seen

(a) Non-resonant only

- $D_{s0}^*(2317)^+$ is found below the DK threshold:
- $D_{s0}^*(2317)^+$ can in principle decay
 - electromagnetically (no exp. evidence); or
 - through isospin-violation $D_s^+ \pi^0$ strong decay
- $D_{s1}(2460)^+$ observed in the inv. mass $D_s^+ \gamma$
- Spin at least 1
- We can exclude the hypothesis 0^+ , because $D_{s1}(2460)^+ \rightarrow D_s^+ \gamma$

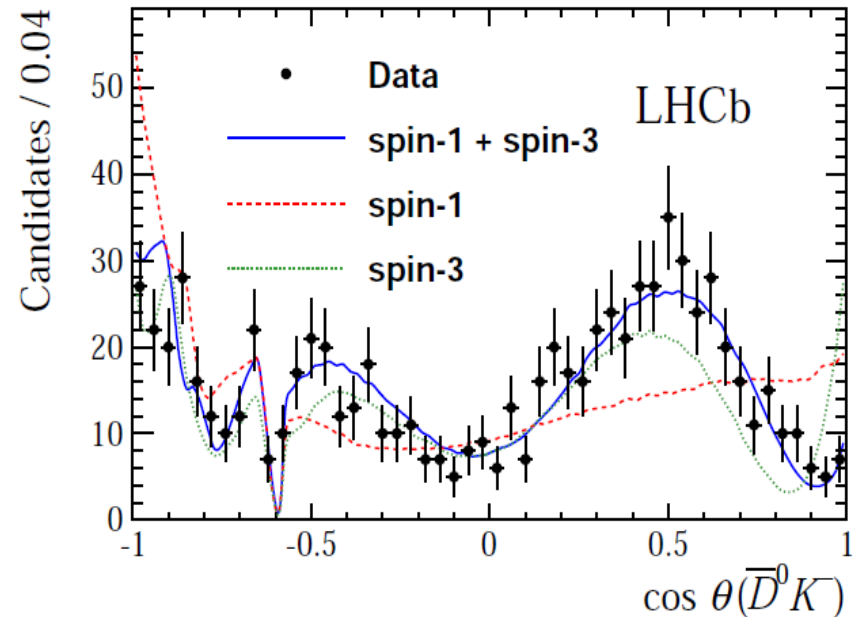
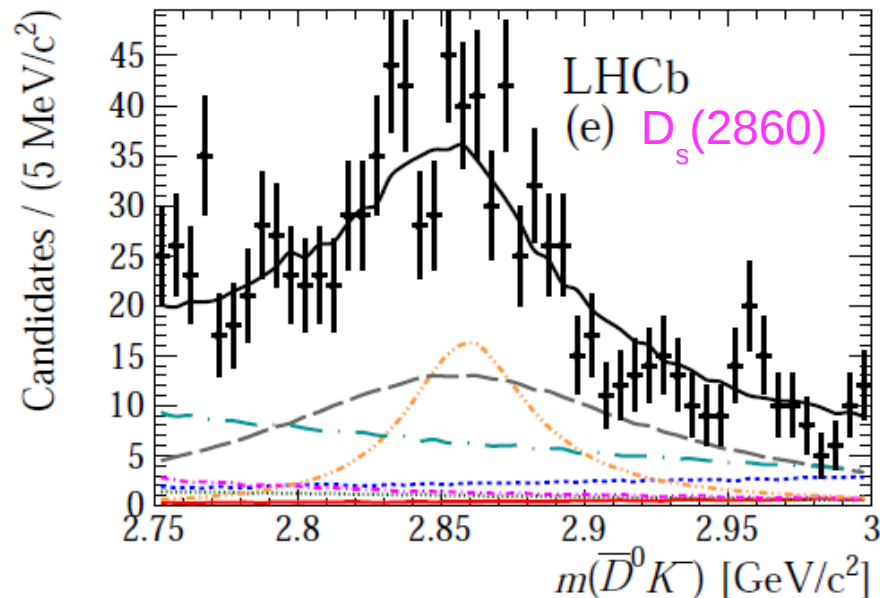
Is D_{s0}^* the missing 0^+ state of the $c\bar{s}$ -spectrum?

Is D_{s1} the missing 1^+ of the $c\bar{s}$ -spectrum?

Do these 2 particles belong to the same family of exotics?

...more and more D_{sJ} states

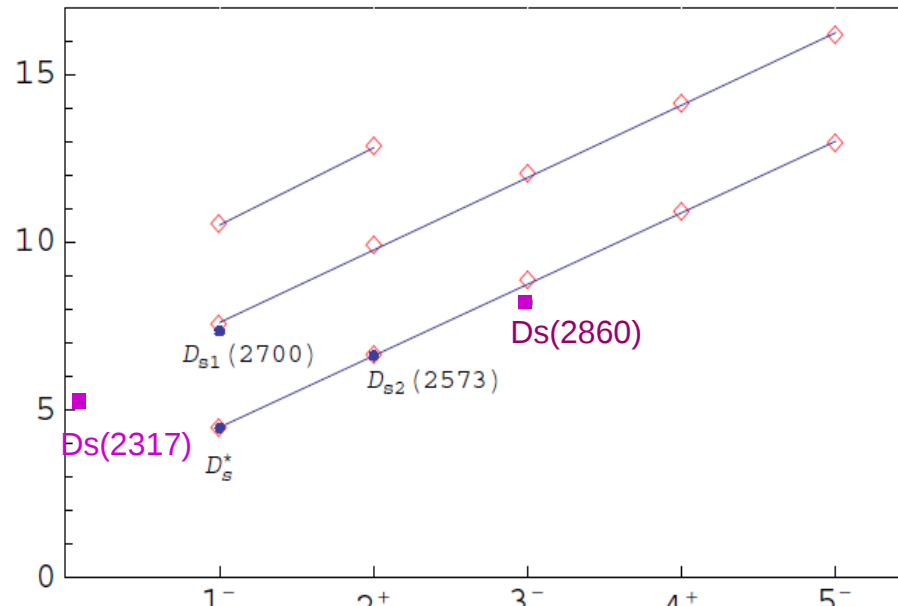
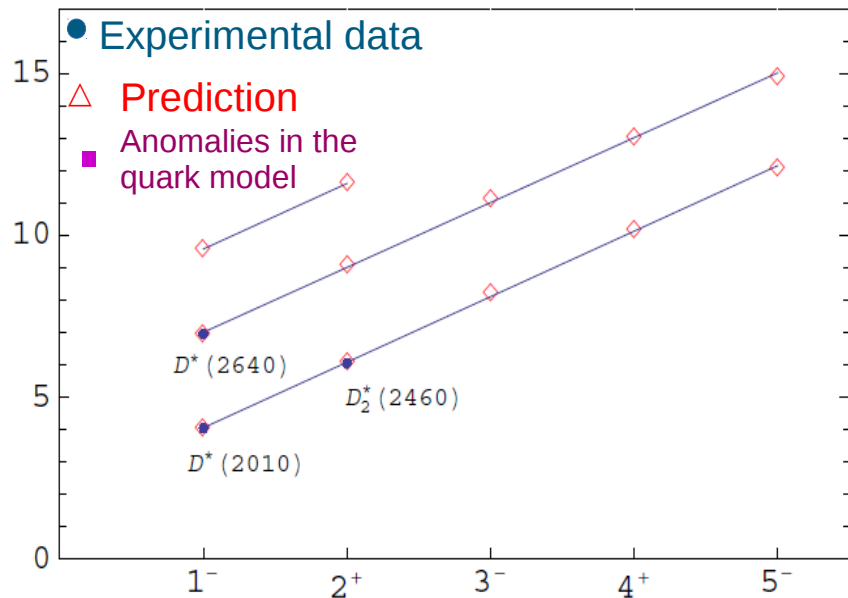
LHCb, PRL 113 (2014) 162001



- Angular analysis of $B_s^0 \rightarrow D^0 K^+ \pi^-$ at LHCb: first observation of heavy-flavored spin-3 resonance (first observation of $J=3$ in B decays)
- Possible explanation of $D_s(2860)$ as overlap of 2 resonances, with $J=1$ and $J=3$
- $D_{s_0}^*(2317)$, $D_{s_1}(2460)$ and $D_s(2860)$ are anomalies in the quark model: they do not fit linear Regge trajectories

Regge trajectories with quark model

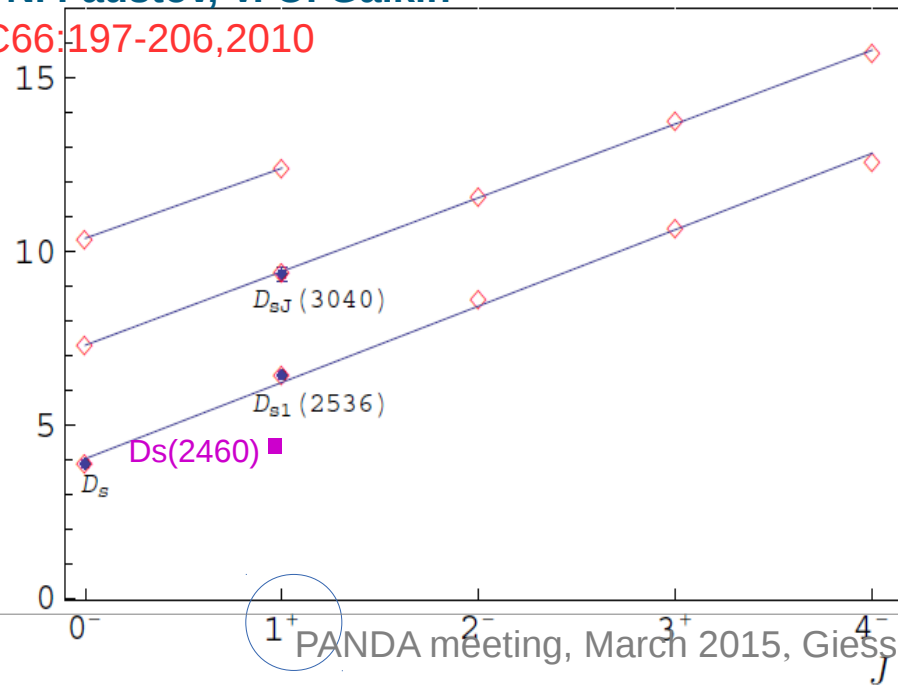
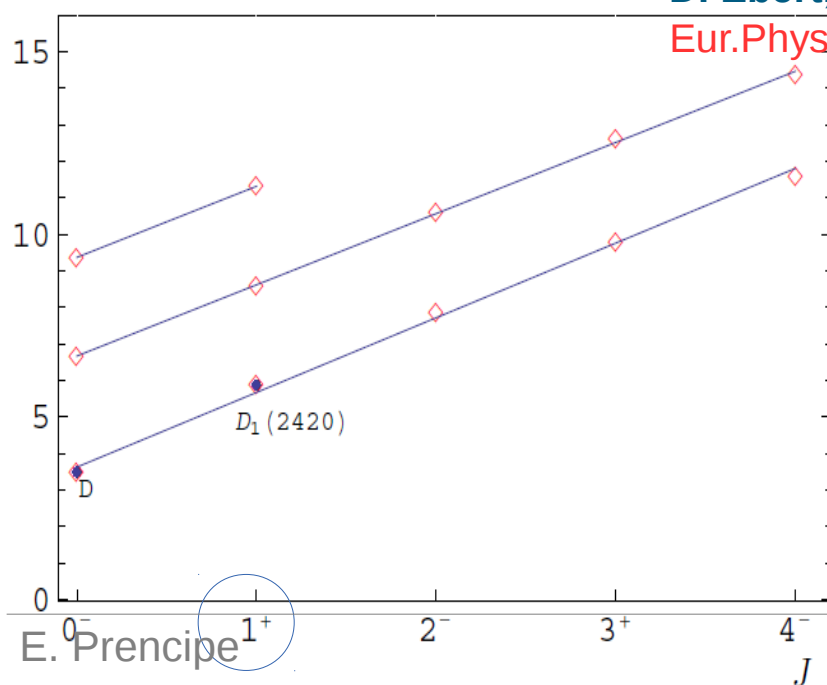
M^2



D. Ebert, R. N. Faustov, V. O. Galkin

Eur.Phys.J.C66:197-206,2010

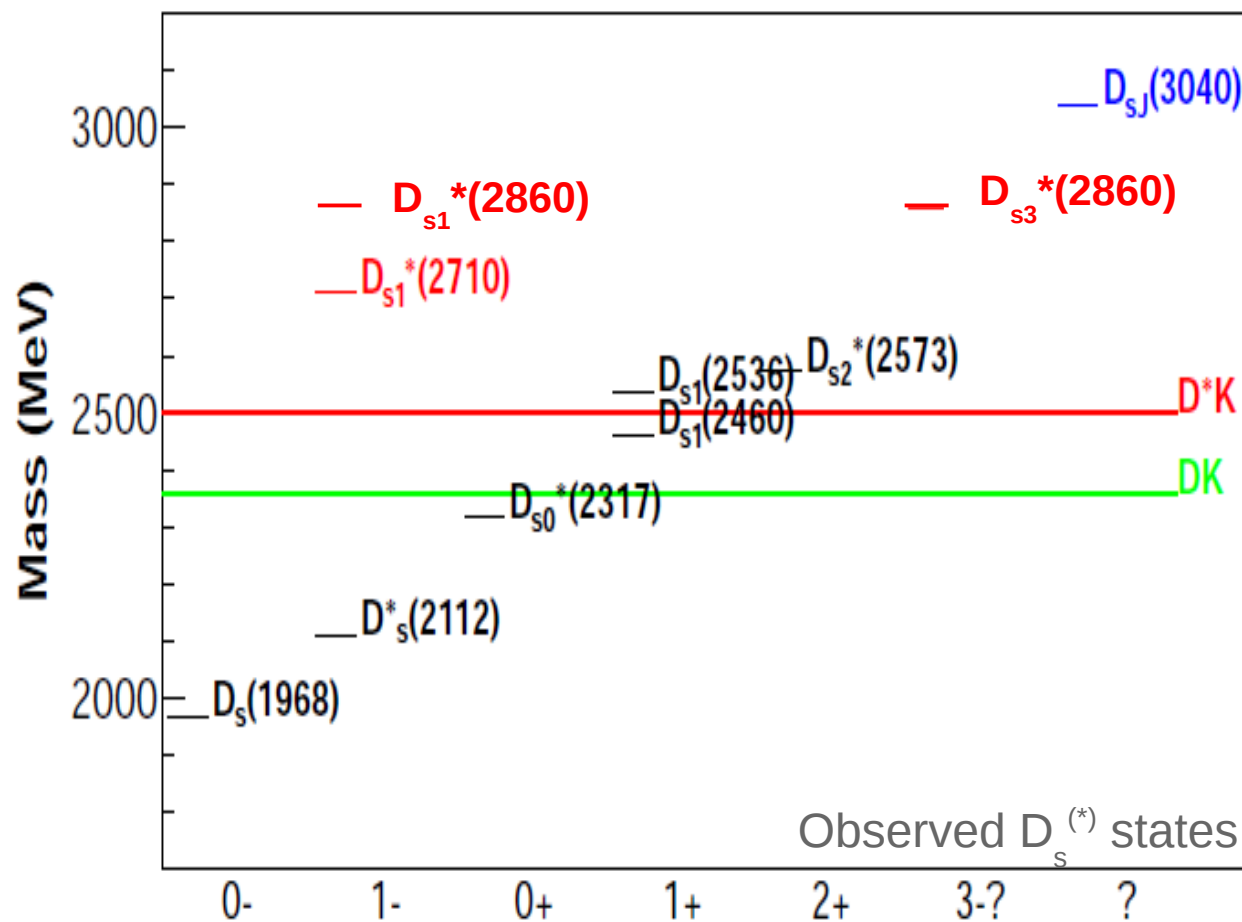
M^2



E. Prencipe

PANDA meeting, March 2015, Giessen

D_s spectroscopy, today



What can we do more?

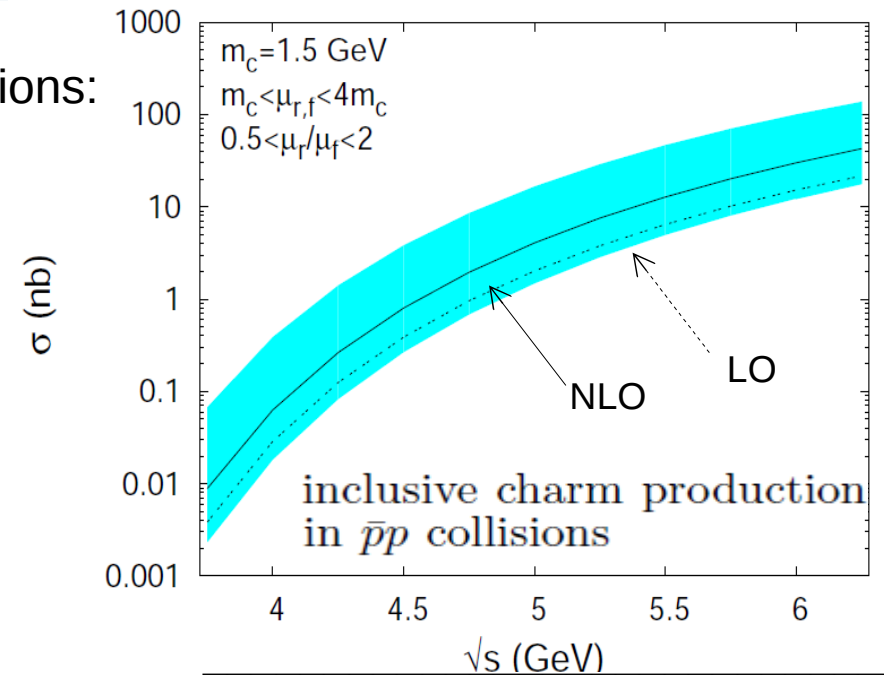
How can we do that?

- Different models, different cross section predictions:

PRD 79 (2009) 114005

E. Braaten, P. Artoisenet

Perturbative calculations in open charm



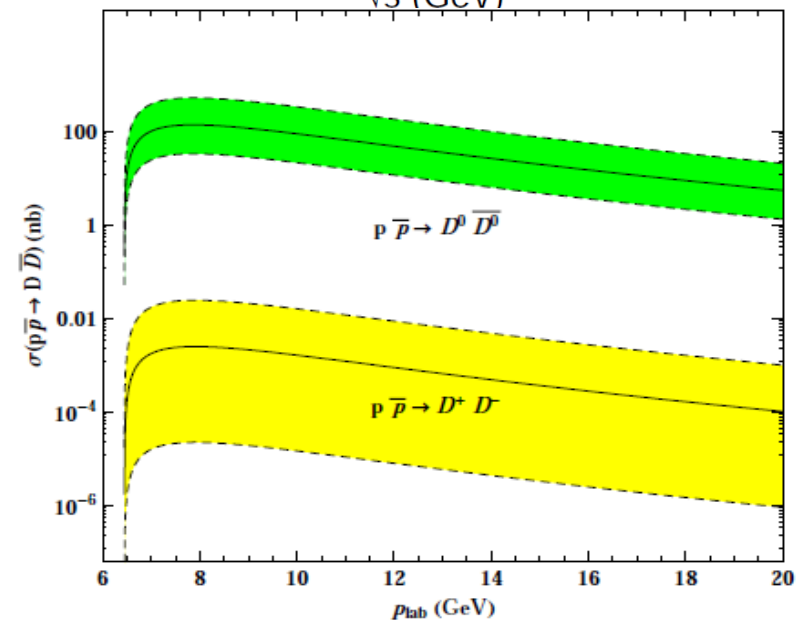
Alternatively:

Eur. Phys. J. A 48 (2012) 31

A. Khodjamirian, C. Klein, T. Mannel, Y.M. Wang

Regge theory calculation

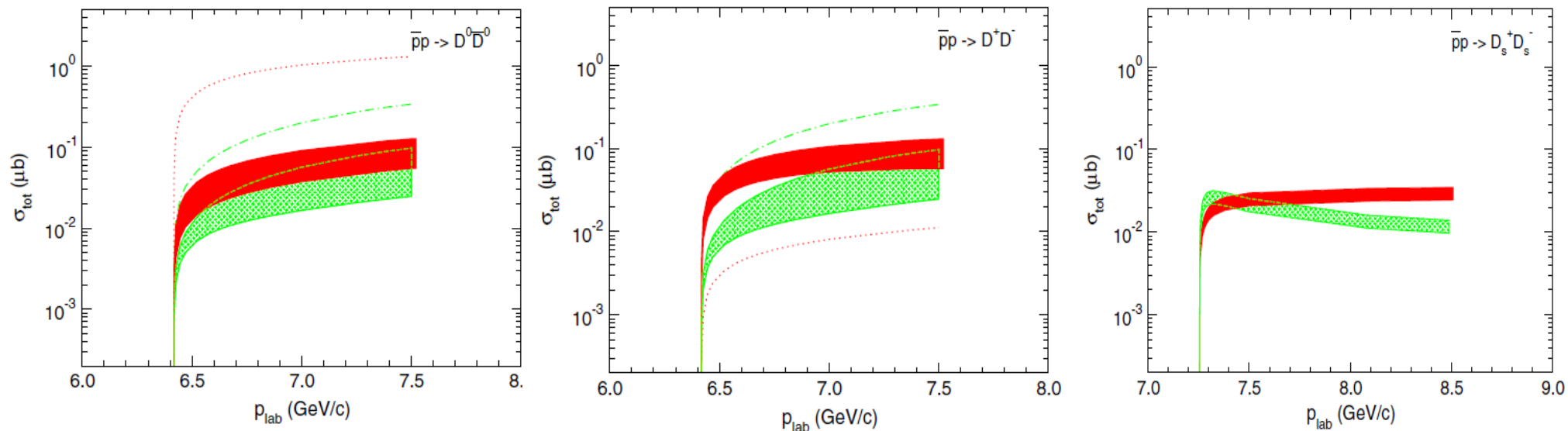
Coupling from QCD Sum rules



PRD 89 (2014) 114003

J. Haidenbauer, G. Krein

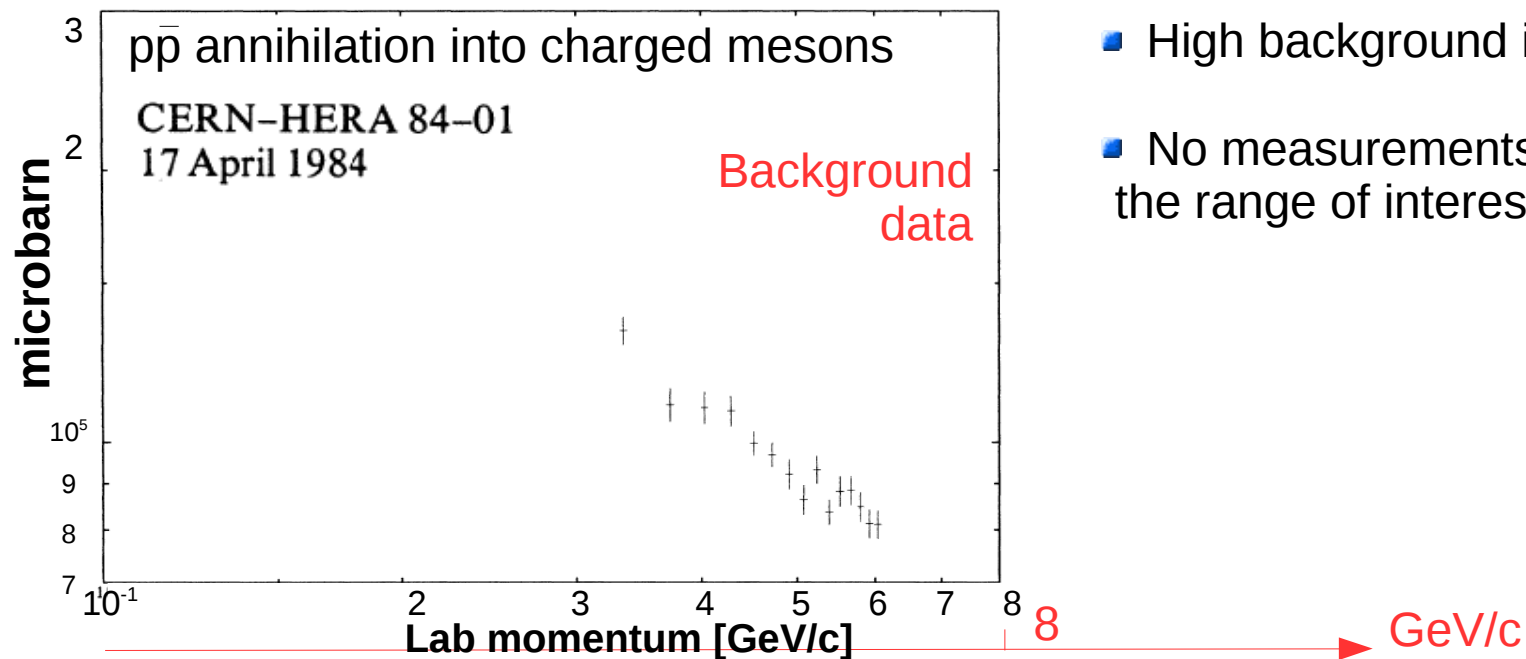
Baryon exchange and quark model in SU(4)



- Prediction valid only for ground states
- Perturbative estimations turn out to underestimate the cross section (from known meas.)
- For excited states (e.g. $D_{s0}^*(2317)$), challenging to make rigorous calculation for the cross section in $\bar{p}p$ interactions \Rightarrow **NEED DATA!**

- $\sigma(\bar{p}p \rightarrow \bar{D}D)$ expected **<100nb**
- Inclusive search: better for cross section measurement, but higher background. Challenge!
- Exclusive cross section measurement: theoretical predictions are difficult

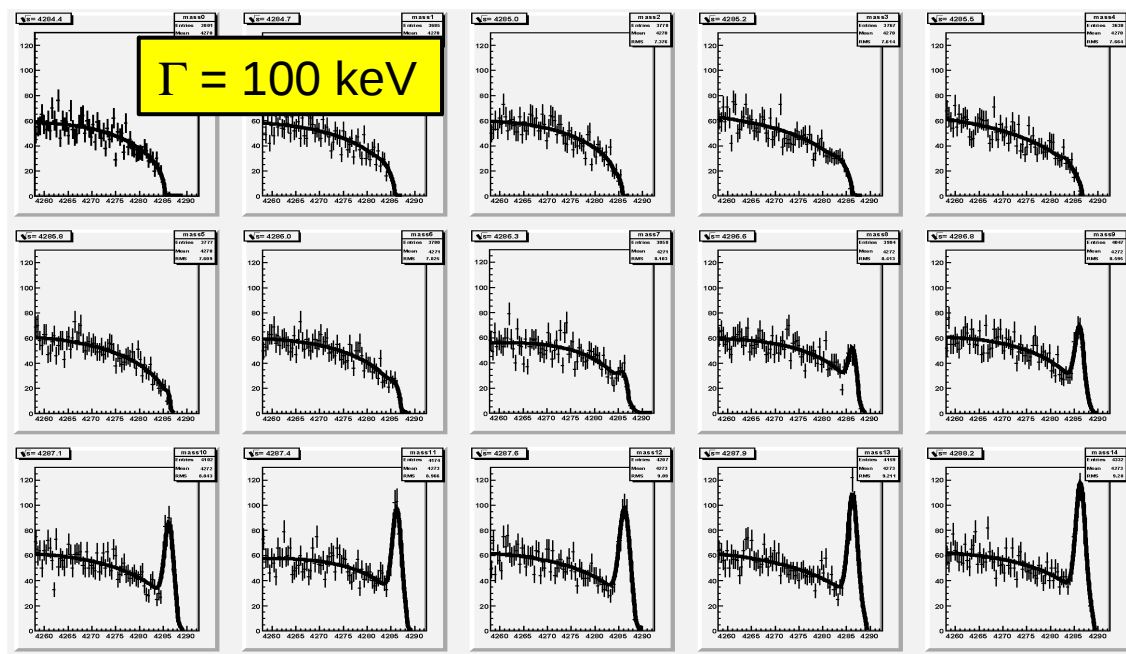
V. Flaminio, W.G. Moorhead, D.R.O. Morrison, N. Rivoire



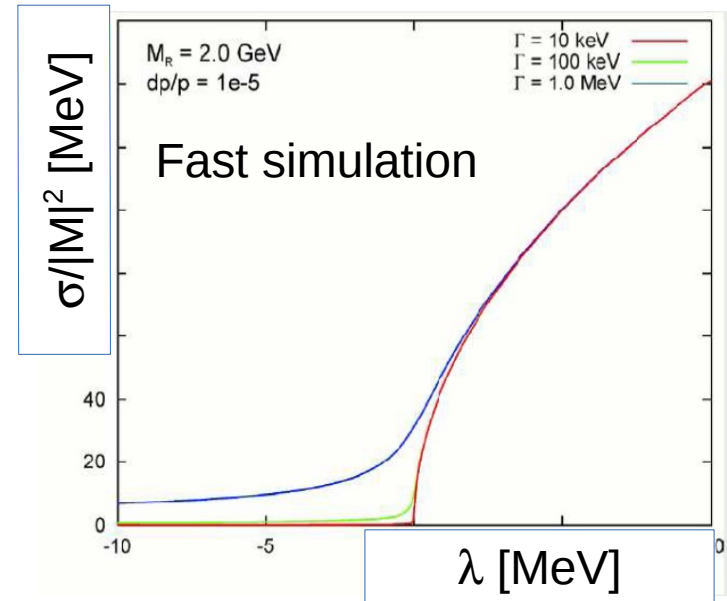
- High background is expected
- No measurements in $\bar{p}p$ for the range of interest!

- Simulations in $\bar{P}ANDA$ for the D_{s0}^* and D_{s1} cross section: $p > 8.8$ GeV/c

- Simulation of signal and background events, to fix a selection
- Identify the main variables to reject the huge background: Fisher (F), ΔE , inv. mass system
- Write a likelihood fit with figure(s) of merit, and extract yield
- Draw the excitation function of the cross section of the system $[D_s D_{s0}^*(2317)^+]$ to measure the width of $D_{s0}^*(2317)^+$



PhD thesis, M. Mertens

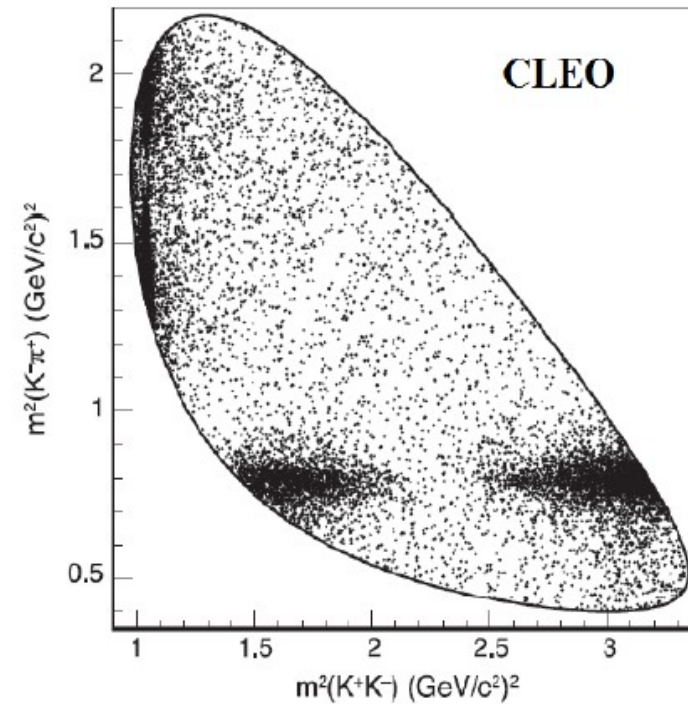
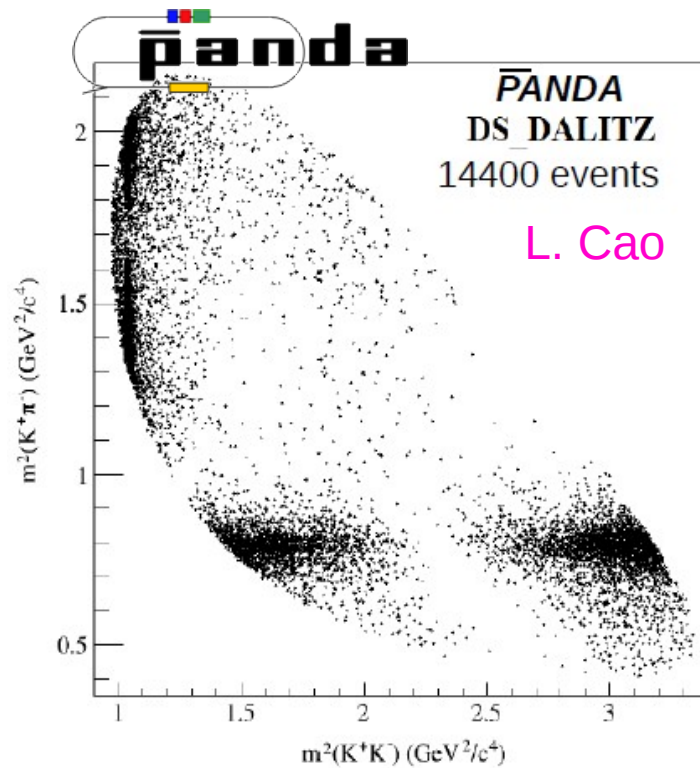


$$\sigma(\lambda) = \sqrt{m_R \Gamma} |M^2| \frac{1}{\pi} \int_{-\infty}^{\lambda} dx, \frac{\sqrt{\lambda - x}}{x^2 + 1}$$

Excitation function of the cross section

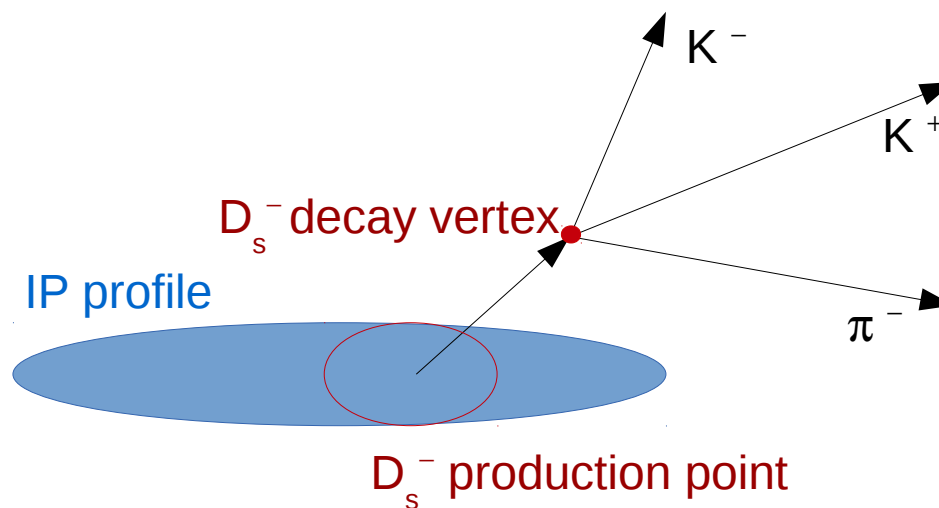
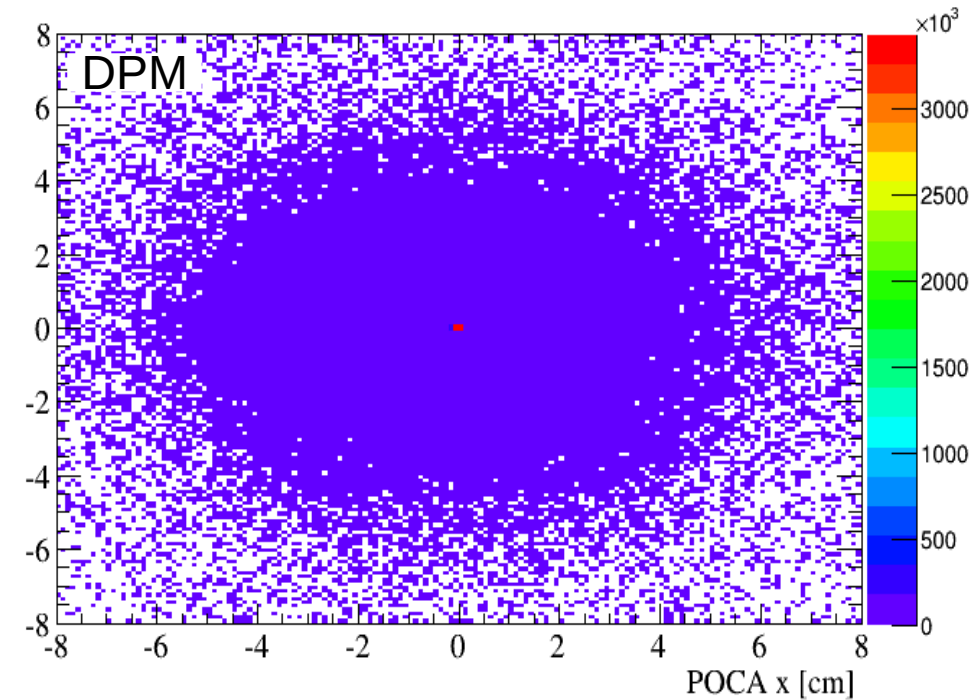
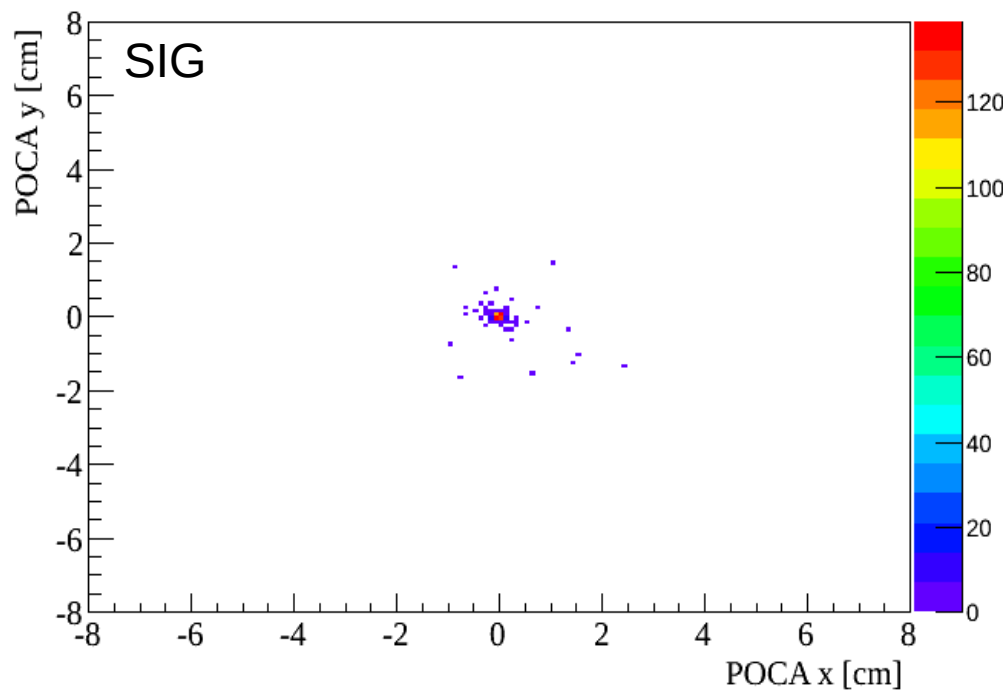
- Pre-selection for $\bar{p}p \rightarrow D_s^- D_{s0}^*(2317)^+$:
 - single tag technique: D_s^- tagged to $K^+K^-\pi^-$
 - 4mom. D_s^- fully reconstructed
 - $D_{s0}^*(2317)^+$: missing mass of the event
 - Vtx fitter : Prob $\chi^2 > 1\%$, $\chi^2 < 19$
 - POCA (x,y) vtx very loose cut: 20 mm
- Selection:
 - Study kinematic of the event (background rejection): $p^{(*)}$, $\theta^{(*)}$, resolution
 - Fit total system $D_s^- + D_{s0}^*(2317)^+$
 - Fit parameters: mass and width of the system $D_s^- + D_{s0}^*(2317)^+$
 - Figures of merit: M_{sys} , ΔE_{sys} , Fisher(NN) discriminant
- MC generators:
 - Signal events: EvtGen
 - Background events: DPM
 - Continuum background

- **Full simulations** (simulation, digitization, reconstruction, PID)
- Full magnetic field map
- Real track finder, real PID methods
- Realistic model for simulation: DS_DALITZ (from BaBar/CLEO data)

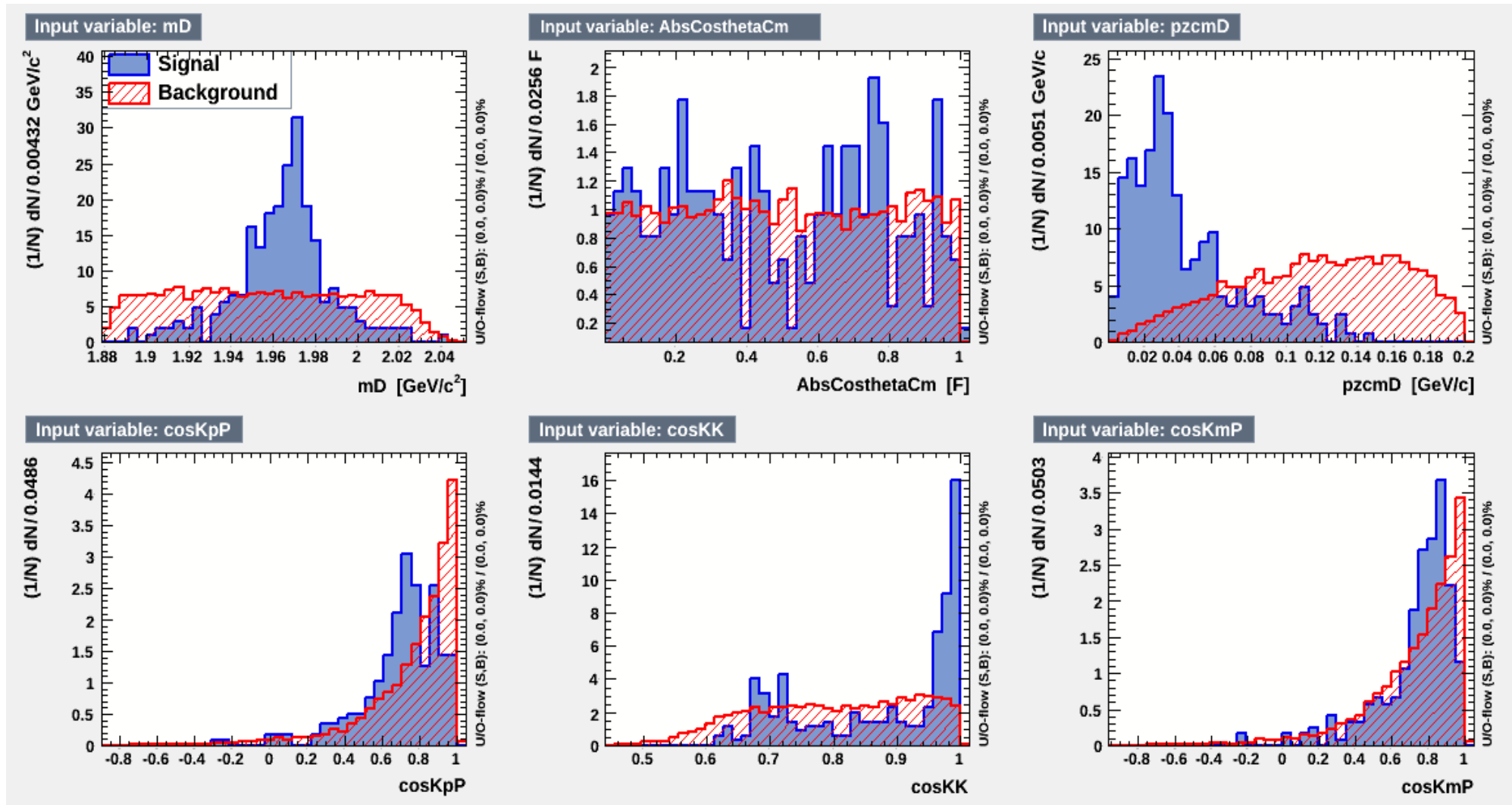


D_s vertex reconstruction

After pre-selection:



Fisher discriminant: input variables

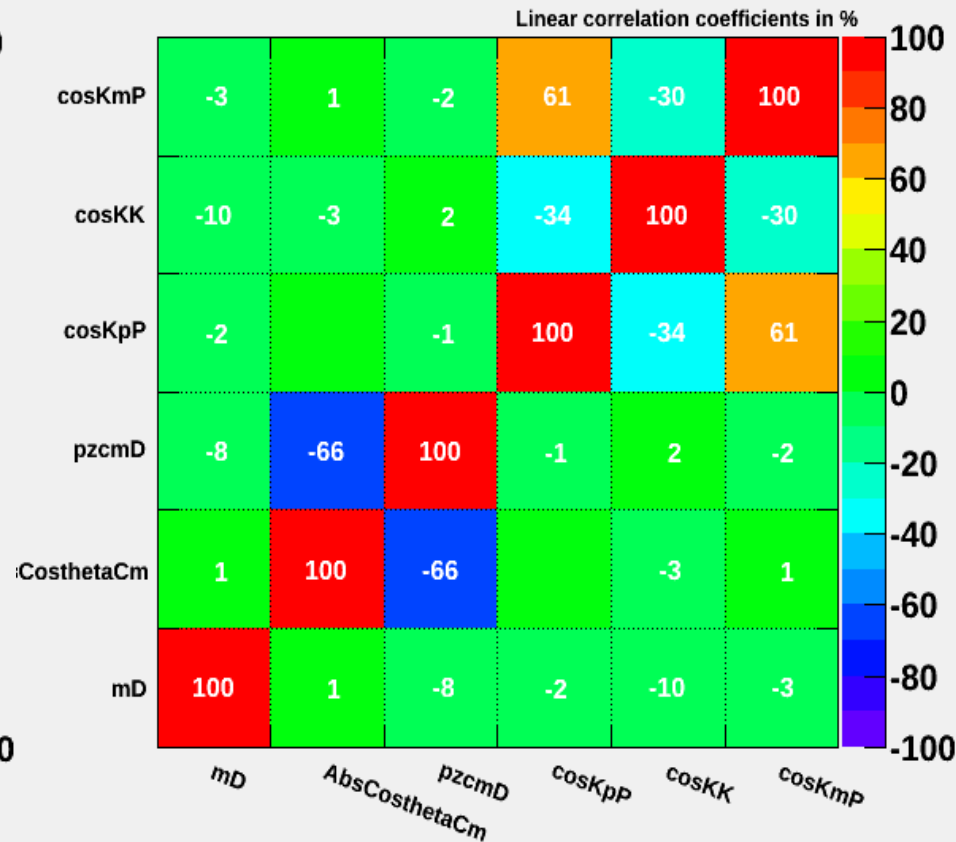
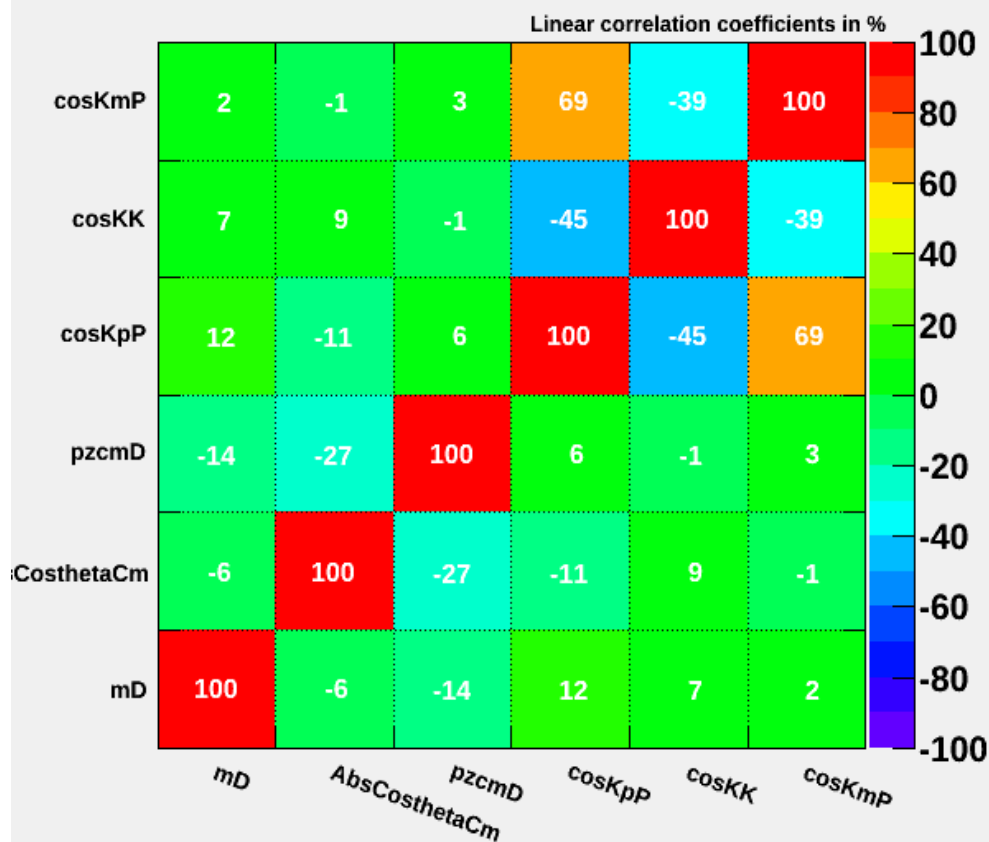


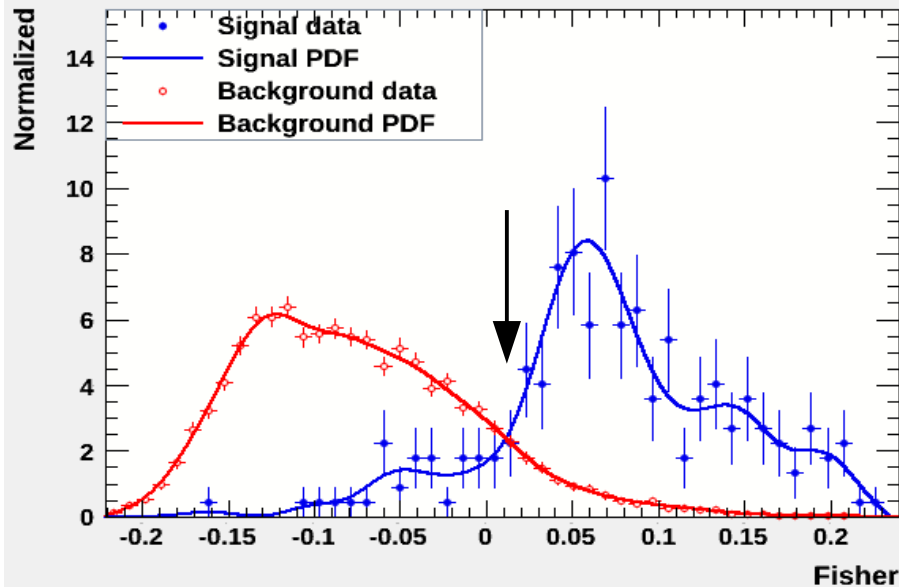
- Histograms are normalized
- Non correlated variables

Fisher discriminant: correlation

Correlation Matrix (signal)

Correlation Matrix (background)



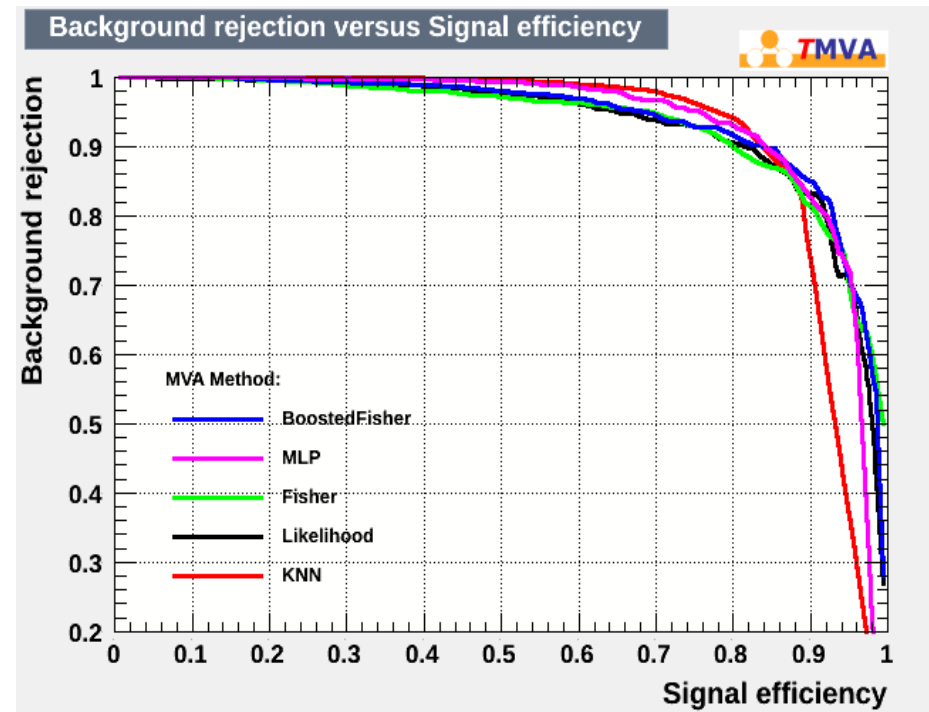


Starting point:

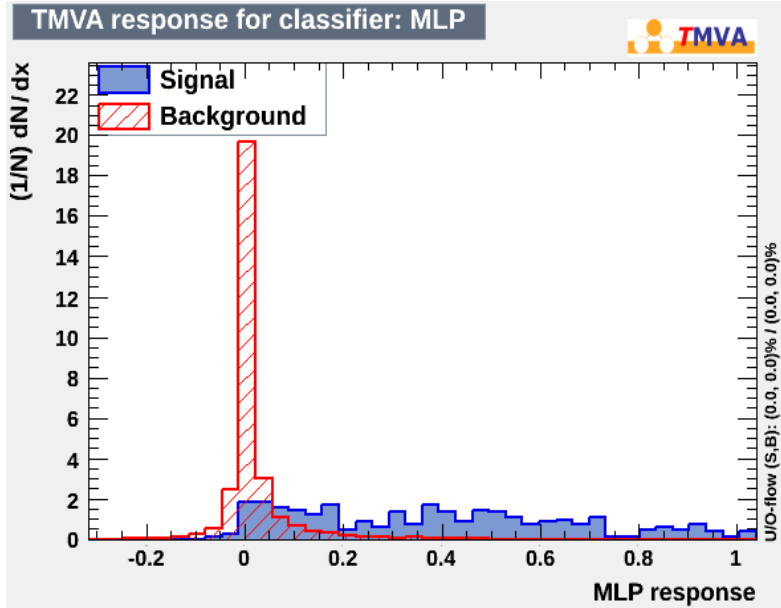
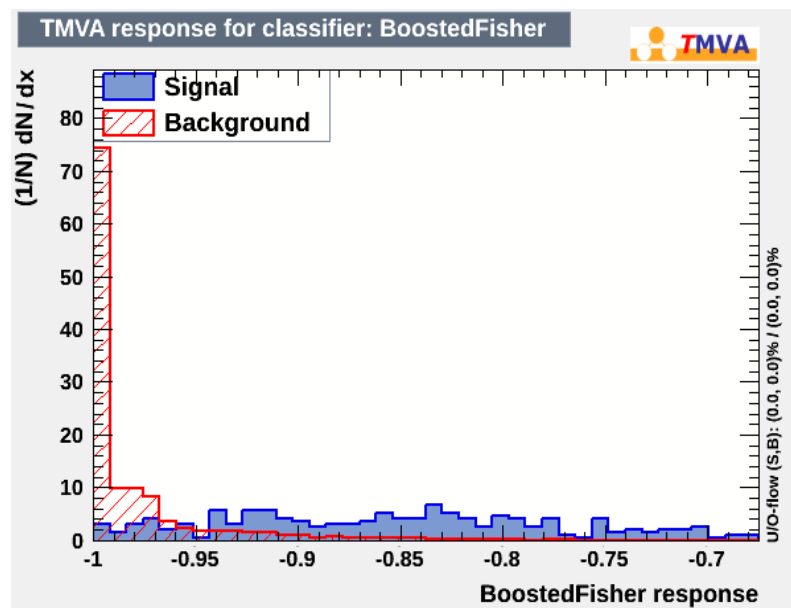
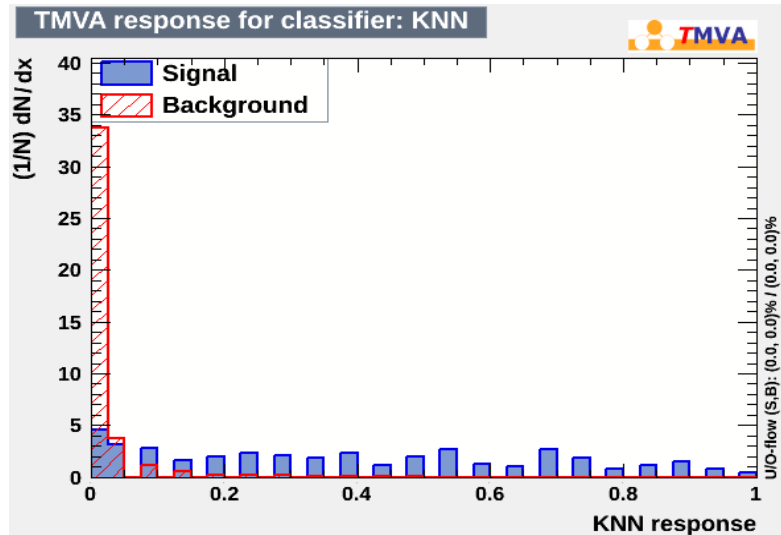
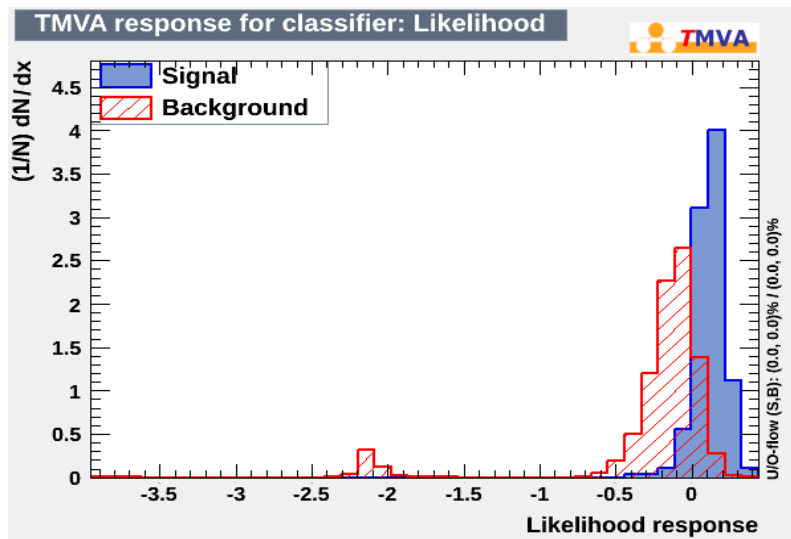
- Fisher discriminant = linear combination of variables
- Easy to implement in the analysis procedure!

- Several methods under investigation
- Neural network (MLP): higher (but similar) rejection power compared to the Fisher discriminant

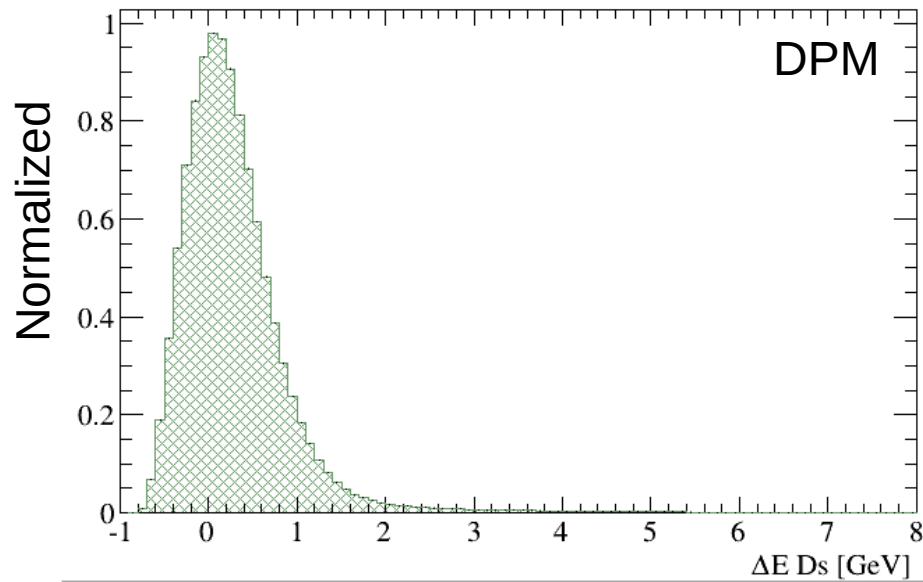
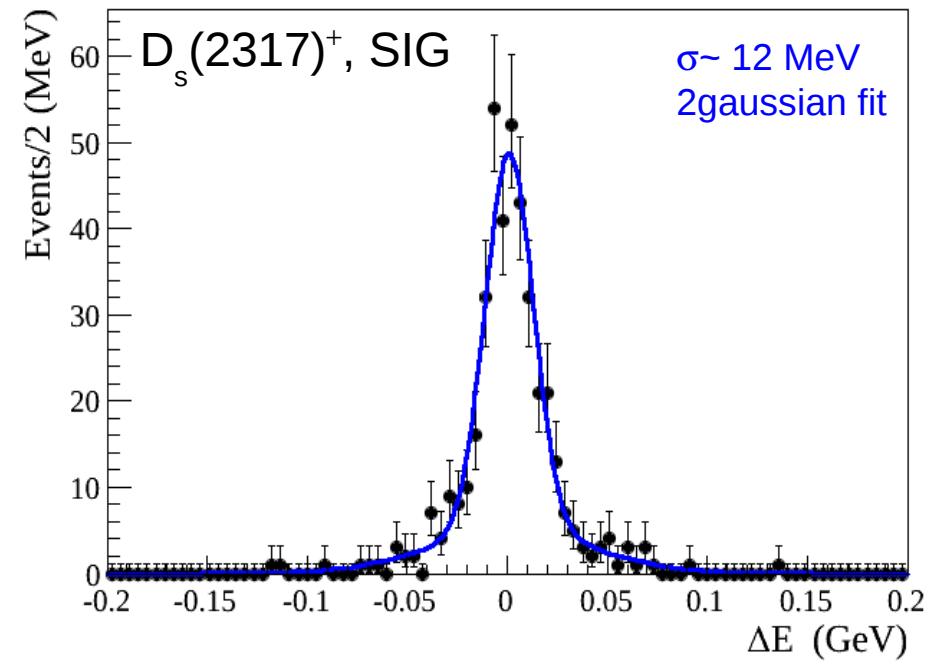
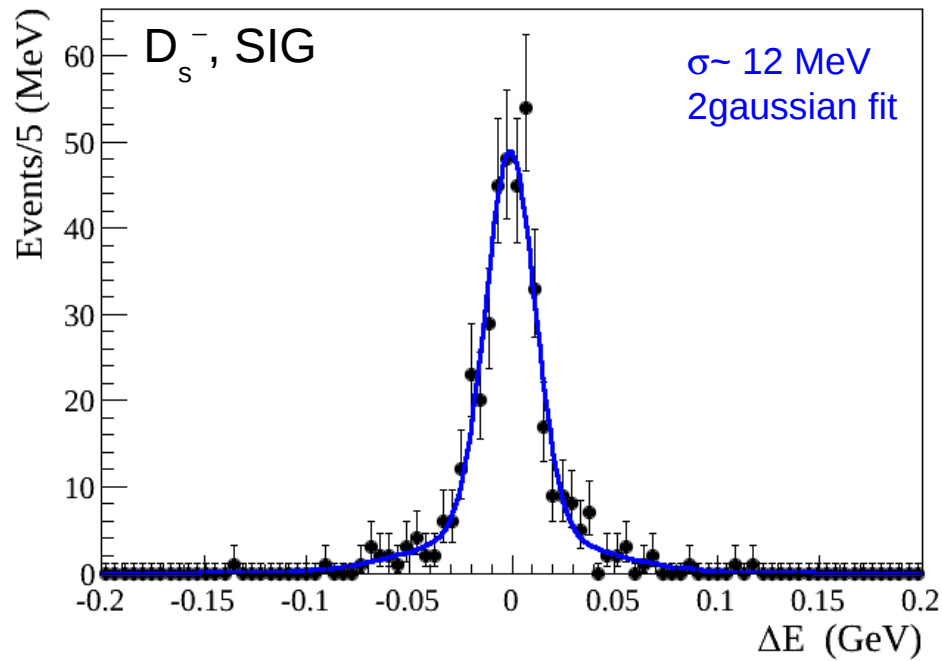
Work in progress...



Several attempts of bkg discriminants

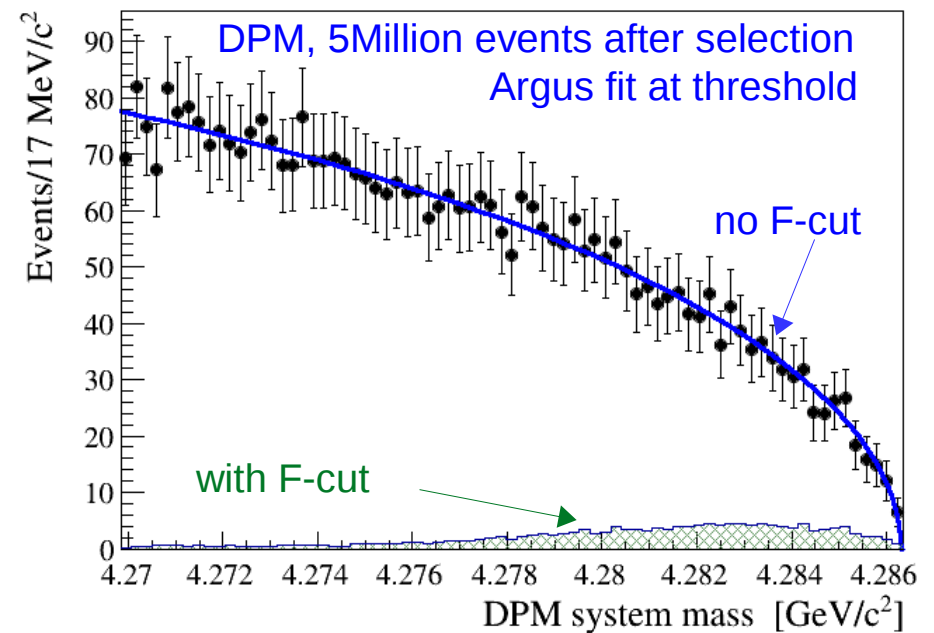
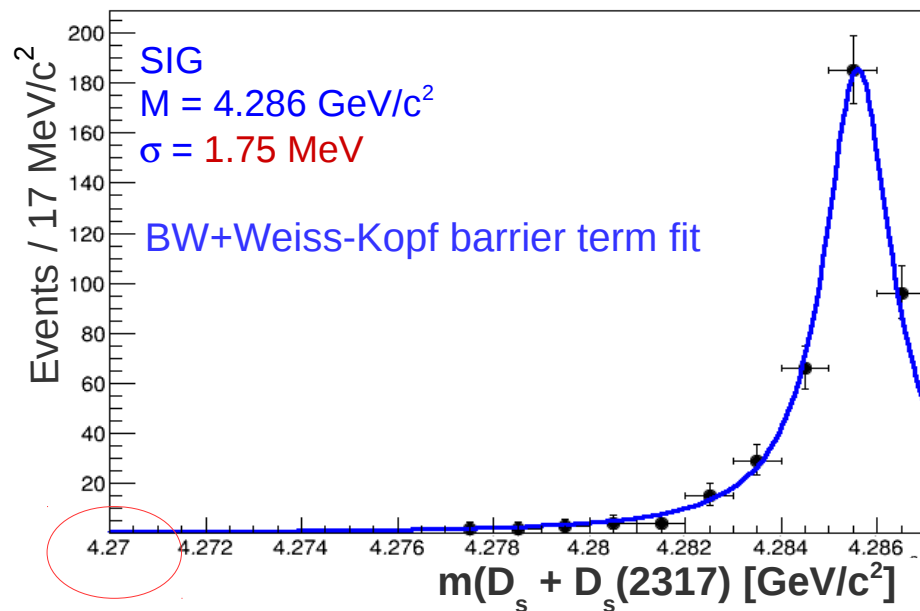
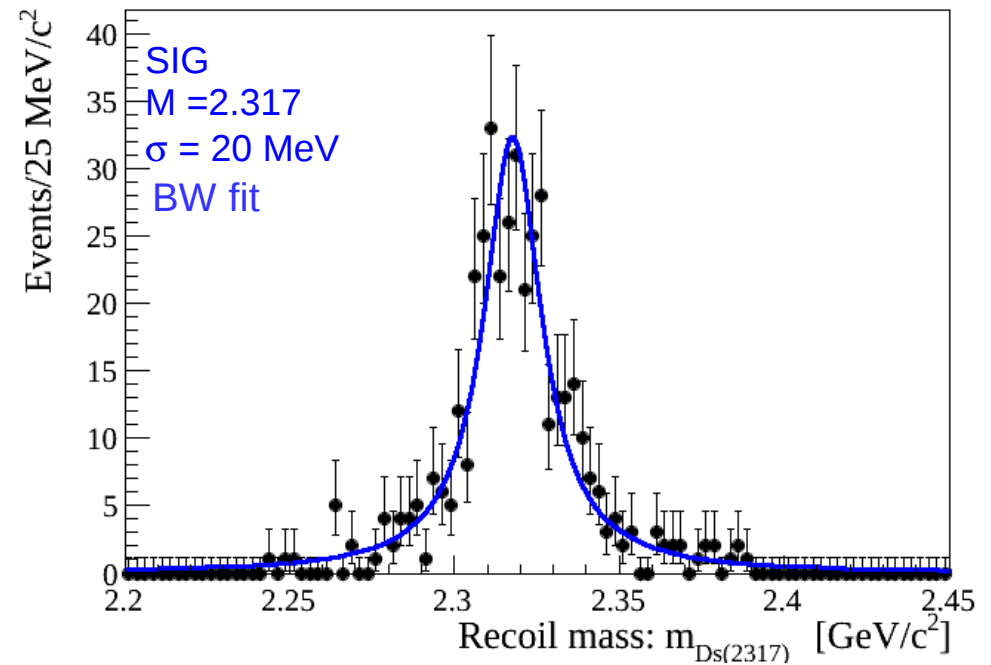
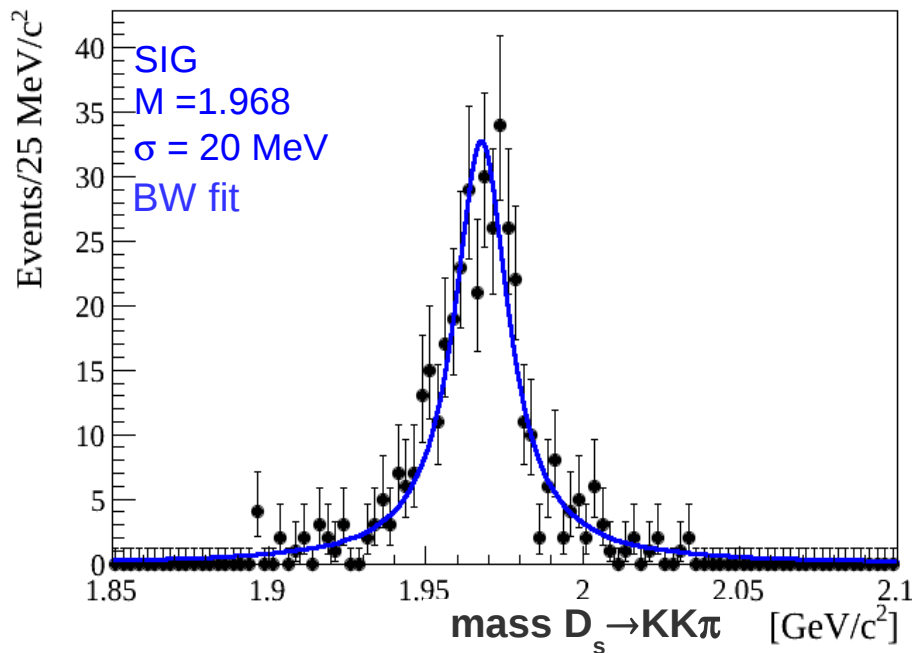


ΔE distributions

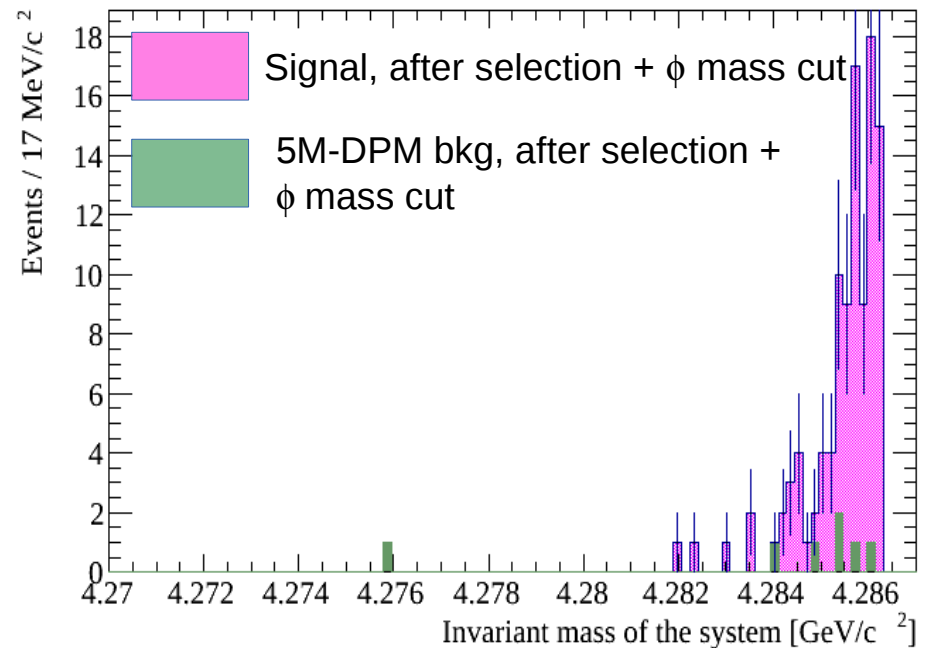
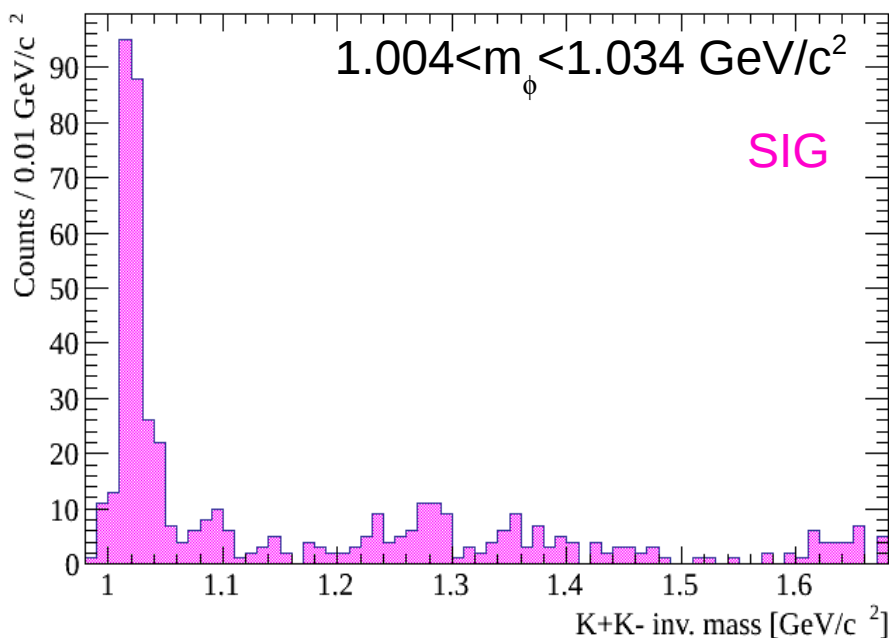


$$\Delta E = E^* - E_{\text{beam}}$$

Invariant mass fit



- Channel: $\bar{p}p \rightarrow D_s^- D_{s0}^*(2317)^+$, beam momentum = 8.80235 GeV/c
 $D_s^- \rightarrow K^+ K^- \pi^-$
 $D_{s0}^*(2317)^+$: inclusively reconstructed as missing mass of the event



- Signal sample: 3000 events. After selection (all K^+K^- range in D_s decay): $\epsilon \sim 14\%$
After selection (ϕ signal area): $\epsilon \sim 4\%$

- $\bar{p}p \rightarrow D_s^- D_{s0}^*(2317)^+$
- Extrapolation at threshold: $p = 8.80235 \text{ GeV}/c$, $M = 4.28629 \text{ GeV}/c^2$;
5 million events reduced to 5 events in the signal area after a preliminary selection;
inclusive approach.
- Assuming at **threshold**:
 $\sigma(\text{signal}) = 2 \text{ nb}$; $\sigma(\text{bkg}) = 2 \text{ mb} \Rightarrow S/B = 1/28$ in the signal area.
 $\sigma(\text{signal}) = 20 \text{ nb}$; $\sigma(\text{bkg}) = 2 \text{ mb} \Rightarrow S/B \sim 1/3$ in the signal area

\bar{P} beam (GeV/c)	DPM, selected events (ϕ area)
8.77913 (below)	4
8.80235 (threshold)	5
8.80855 (above)	4

Sample: 5 Million events

No differences observed
at different p_{beam}

Need more statistics:
work in progress...

Expectations with $\bar{P}ANDA$



- General remarks:
 - ① **single-tag mode** (D_s^- is tagged to $K^+K^-\pi^-$);
 - ② (semi-)inclusive approach;
 - ③ unknown cross section, but σ expected in **[10-100] nb**;
 - ④ $\mathcal{L} = \mathbf{0.864}$ pb⁻¹/day, $N = \mathcal{L} \cdot \sigma \cdot \varepsilon \in \mathbf{[65-646]} D_s$ **events/day!**
scaled by $BR(D_s \rightarrow KK\pi) = 5.34\%$ and with efficiency $\varepsilon = \mathbf{14\%}$
- Bkg suppression good in inclusive analysis if $m(KK) \in [1.004; 1.034]$ GeV/c²
- For comparison, at B factories:
 - BABAR**: in $e^+e^- \rightarrow ccX$, $\mathcal{L} = \mathbf{91}$ fb⁻¹, **1267** $D_s(2317)$ selected;
 - BELLE II** (future): expected on $\mathcal{L} = \mathbf{10}$ ab⁻¹ **87 000** $D_s(2317)$ in 2020.

Belle II will never scan the inv. mass system in 100-keV-steps

$\bar{P}ANDA$: unique experiment that can reveal the molecular nature of $D_{s0}^*(2317)^+$

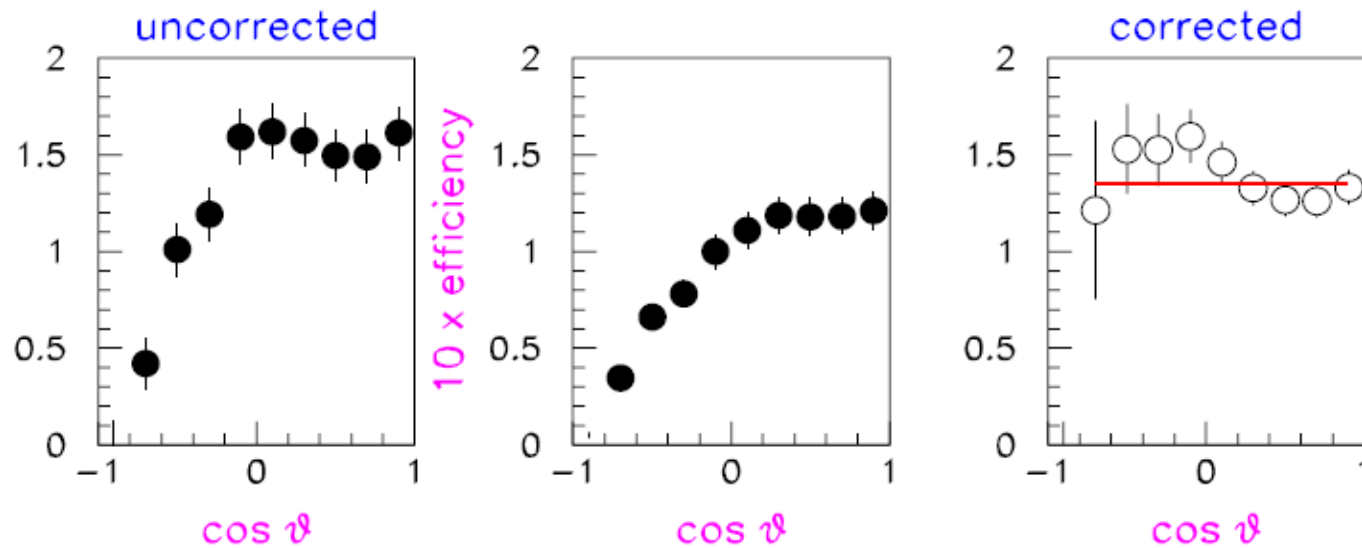
- Possible problems, still to be solved:
 - Coulomb scattering
 - Interference effects
 - Formula for the excitation cross section

- Full simulation with signal/background: started
- Fisher (NN) discriminant under study
- High background level, especially for inclusive analysis
- Need to run higher statistics to parametrize the background distribution
- Plan for the future: publication!

Backup slides

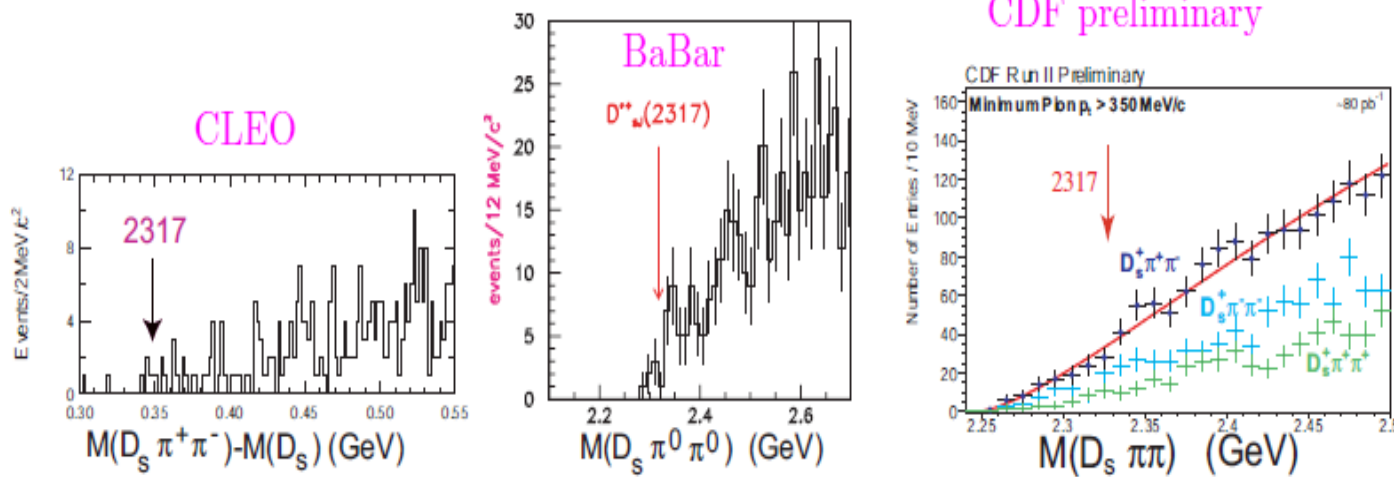
$D_{s0}^*(2317)^+$ Spin parity

- $D_{sJ}^*(2317) \rightarrow D_s \pi^0$. If parity conserved, then natural J^P (hence $*$)



- $D_{sJ}^*(2317) \rightarrow D_s \pi^0$ helicity angle distribution consistent with uniform, or isotropic polarization

↓
 $J = 0^+$



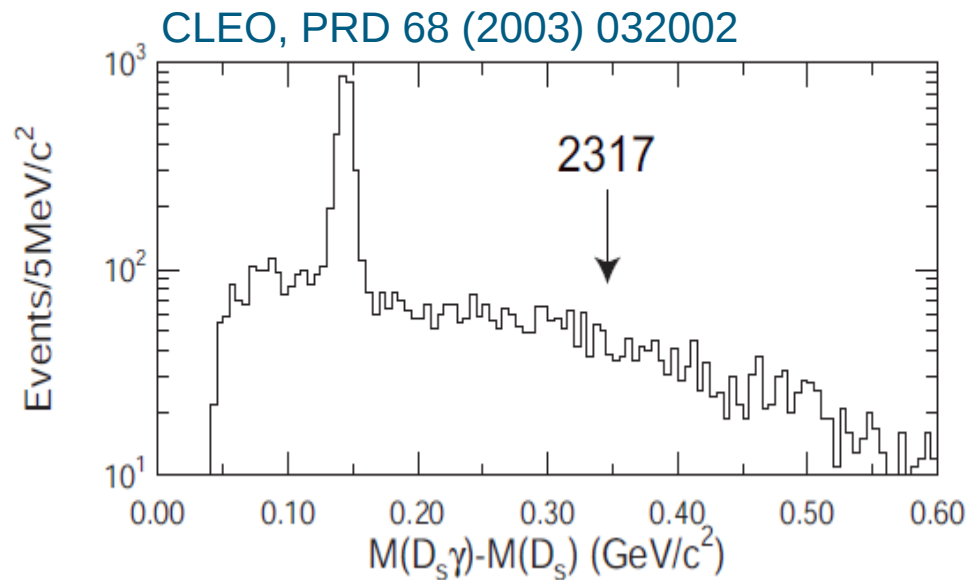
- $D_{sJ}(2317)$ not seen in $D_s \pi^+ \pi^-$, nor in $D_s \pi^0 \pi^0 \Rightarrow$ these decay modes are forbidden for 0^+

CLEO, PRD 68 (2003) 032002
 BELLE, PRL 92 (2004) 012002
 BABAR, PRD 74 (2006) 032007

$D_{s0}^*(2317)^+$ Spin parity

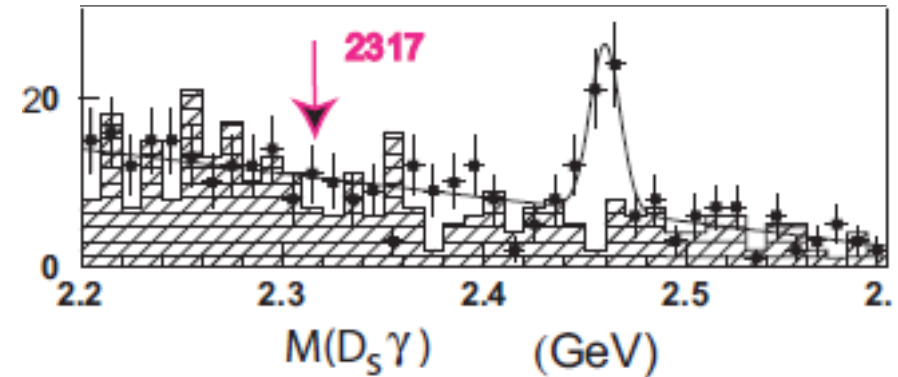
- If $D_{sJ}(2317)$ has spin 0, the decay to $D_s\gamma$ is forbidden

Not Found!

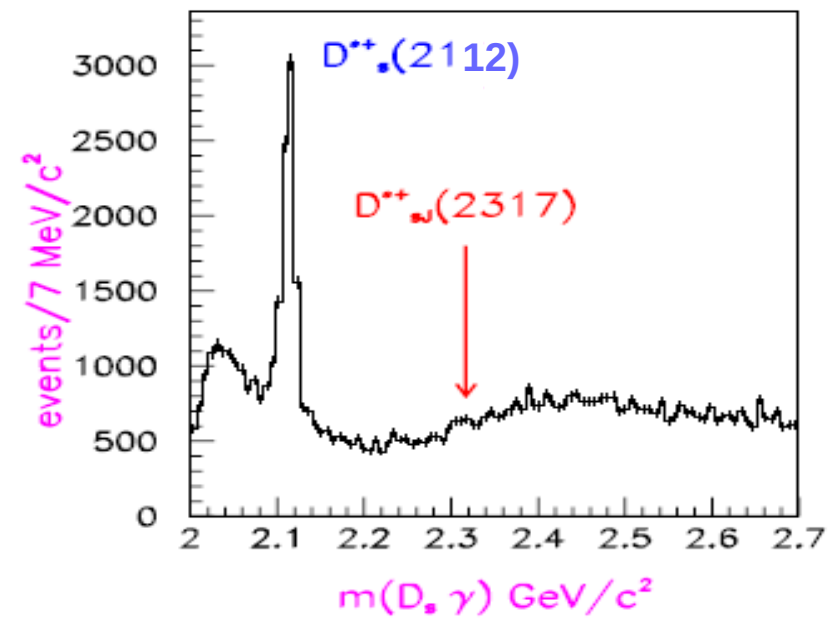


BELLE, PRL 92 (2004) 012002

$B \rightarrow DD_s\gamma$

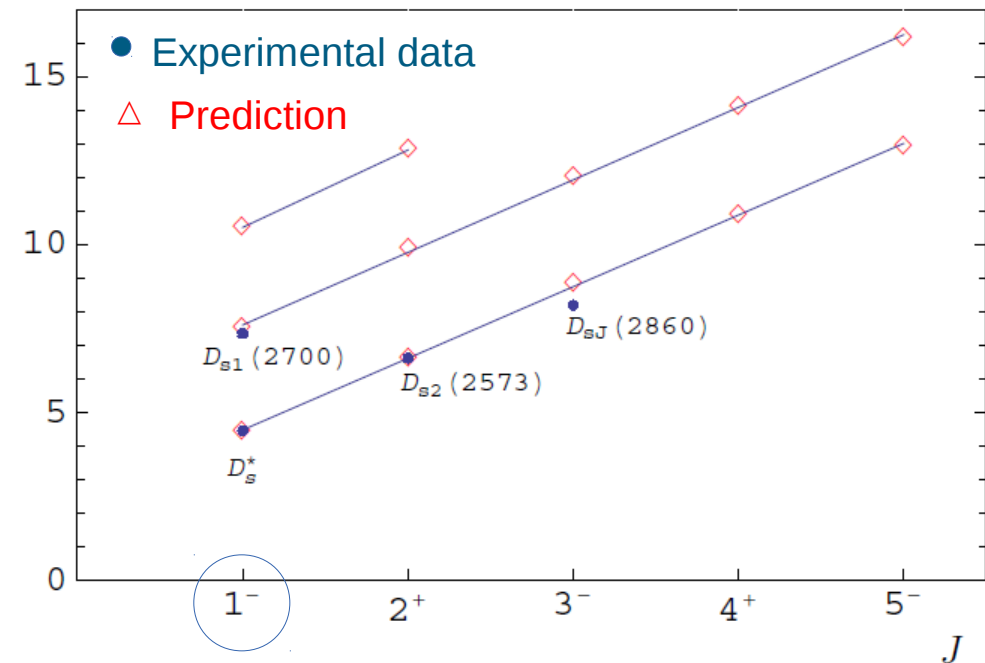
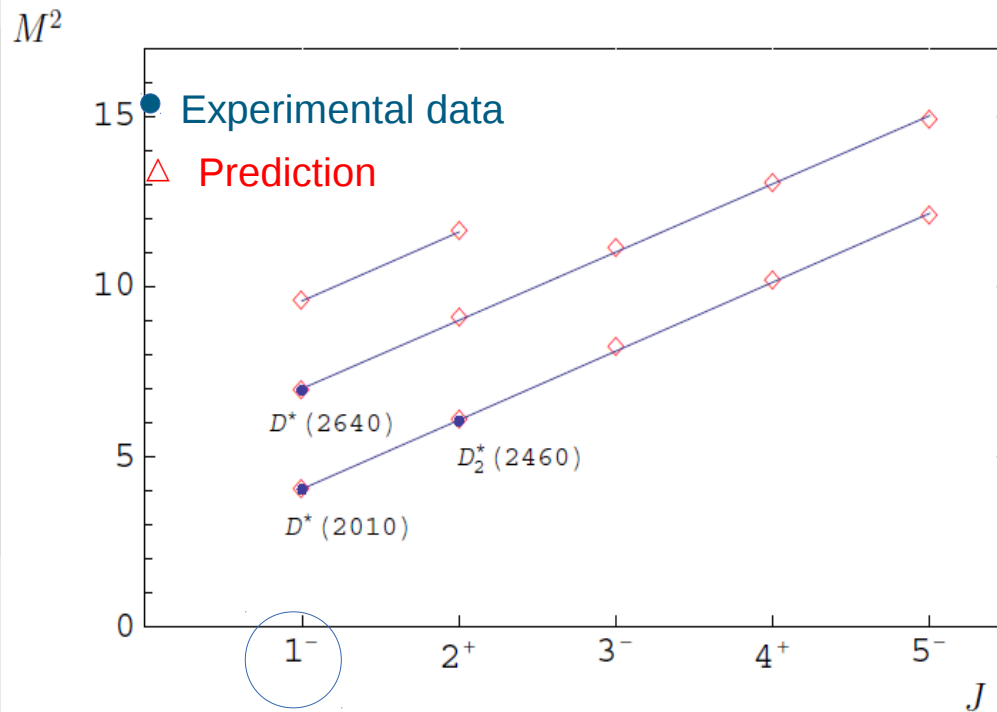


BABAR, PRD 74 (2006) 032007

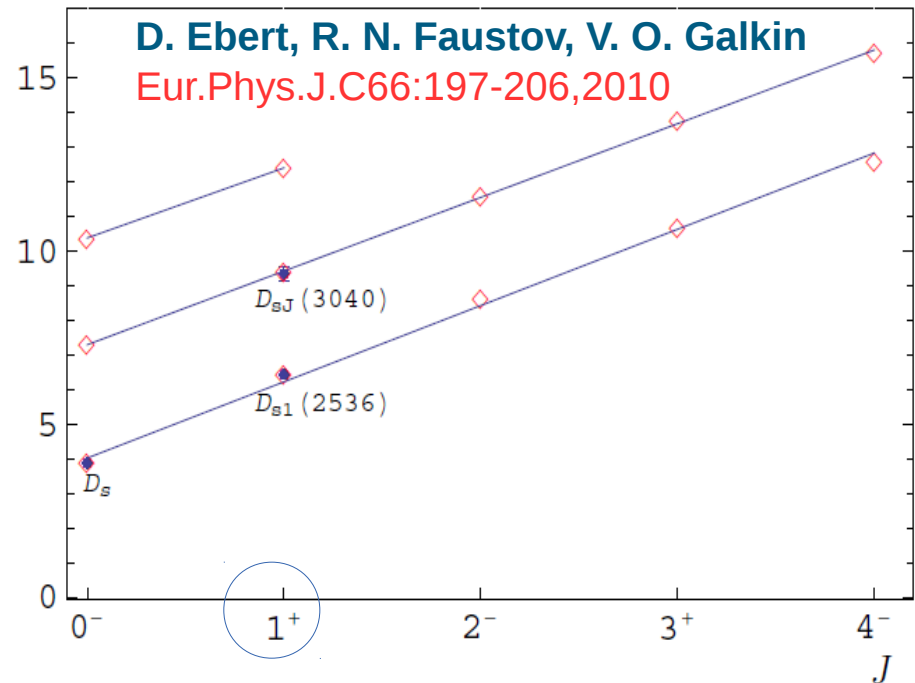
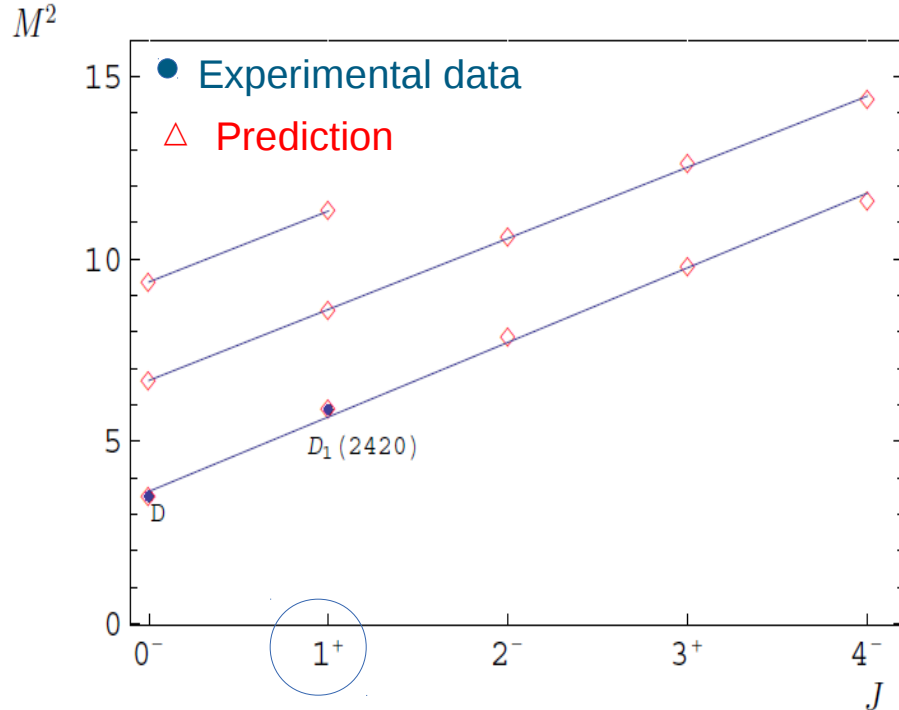


- In the theoretical calculation for the cross section of $\bar{p}p \rightarrow \bar{D}D$ states, vector states could be involved in the loop, but technical problems occur.
- There are divergences difficult to cure.
- *Regge trajectories* are introduced for this purpose (α).

D. Ebert, R. N. Faustov, V. O. Galkin
 Eur.Phys.J.C66:197-206,2010



- Regge trajectories for D(s) mesons with natural parity
- Both light ($q=u,d,s$) and heavy ($Q=c,b$) quarks are treated fully relativistically without application of the heavy quark $1/m_Q$ expansion.



■ Regge trajectories for D(s) mesons with unnatural parity

We calculated the masses of ground, orbitally and radially excited heavy-light mesons up to rather high excitations. This allowed us to construct the Regge trajectories both in (J, M^2) and (n_r, M^2) planes. It was found that they are almost linear, parallel and equidistant. Most of the available experimental data nicely fit to them. Exceptions are the anomalously light $D_{s0}^*(2317)$, $D_{s1}(2460)$ and $D_{sJ}^*(2860)$ mesons, which masses are 100-200 MeV lower than various model predictions. The masses of the charmed-strange $D_{s0}^*(2317)$, $D_{s1}(2460)$ mesons almost coincide or are even lower than the masses of the partner charmed $D_0^*(2400)$ and $D_1(2427)$ mesons. These states thus could have an exotic origin. It will be very important to find the bottom counterparts of these states in order to reveal their nature.