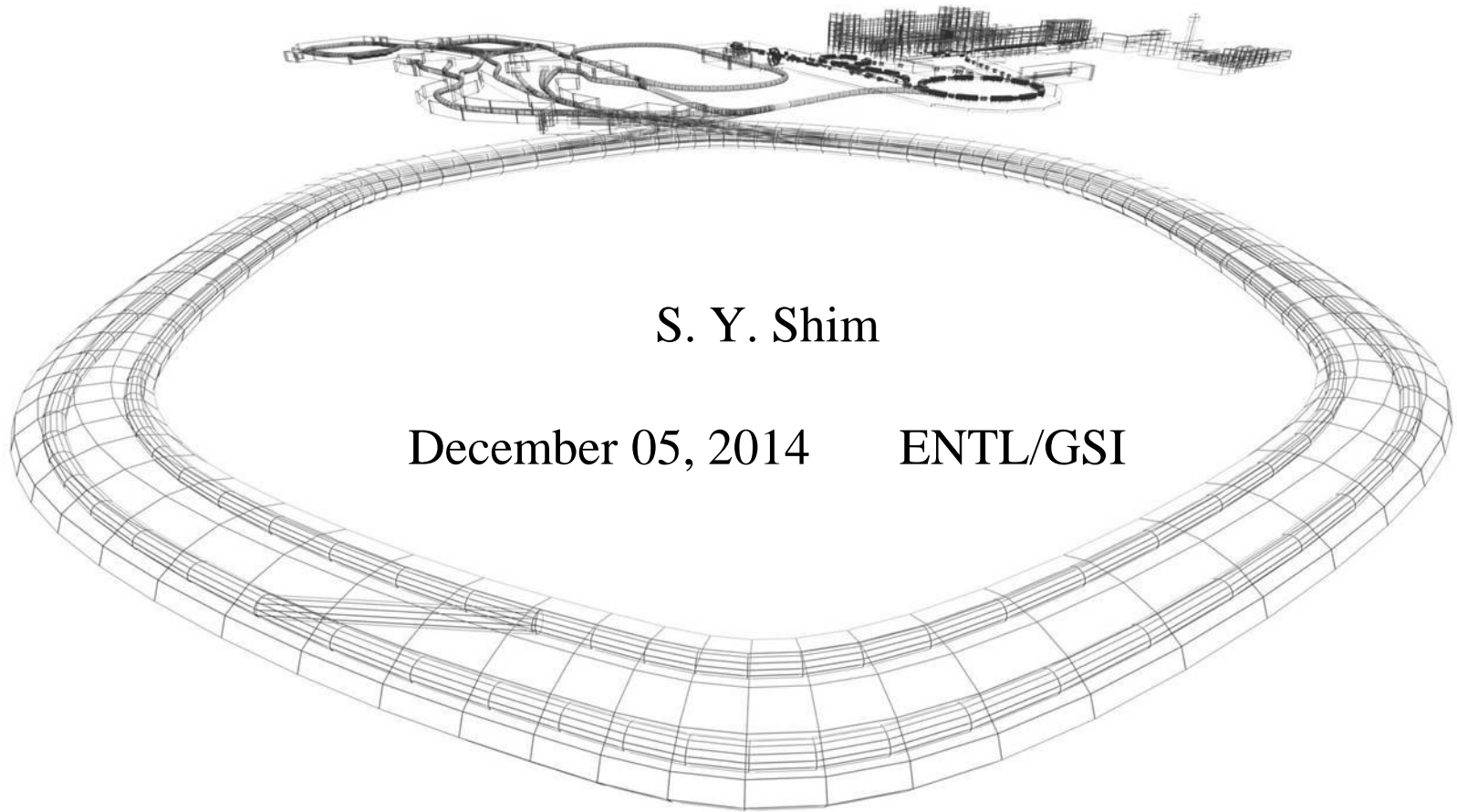


# Influence of Driving Current Ripple on CR Dipole Magnetic Field



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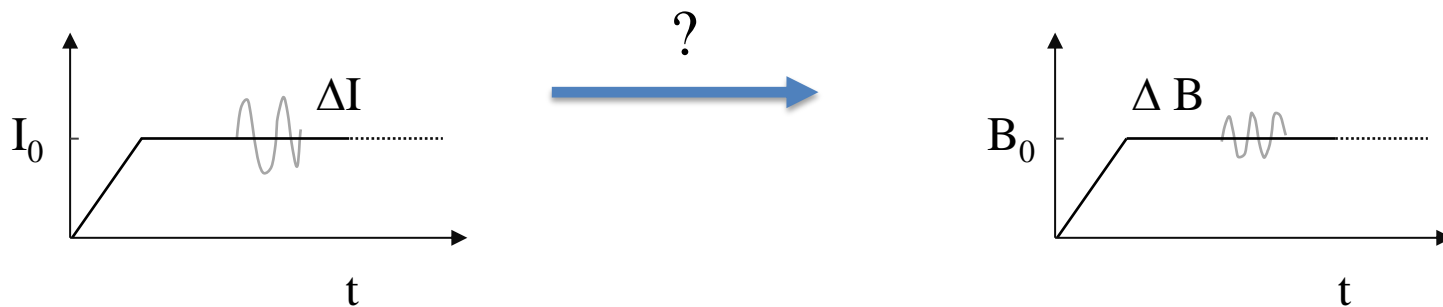
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# Motivation

- The driving current instability was reported considering the CR magnets circuit. And it may give a change of magnetic field.
- Therefore, we need to clarify the relation between rippling current and corresponding magnetic field.
- The proportional ratio  $\alpha$  can be expressed by following relation.

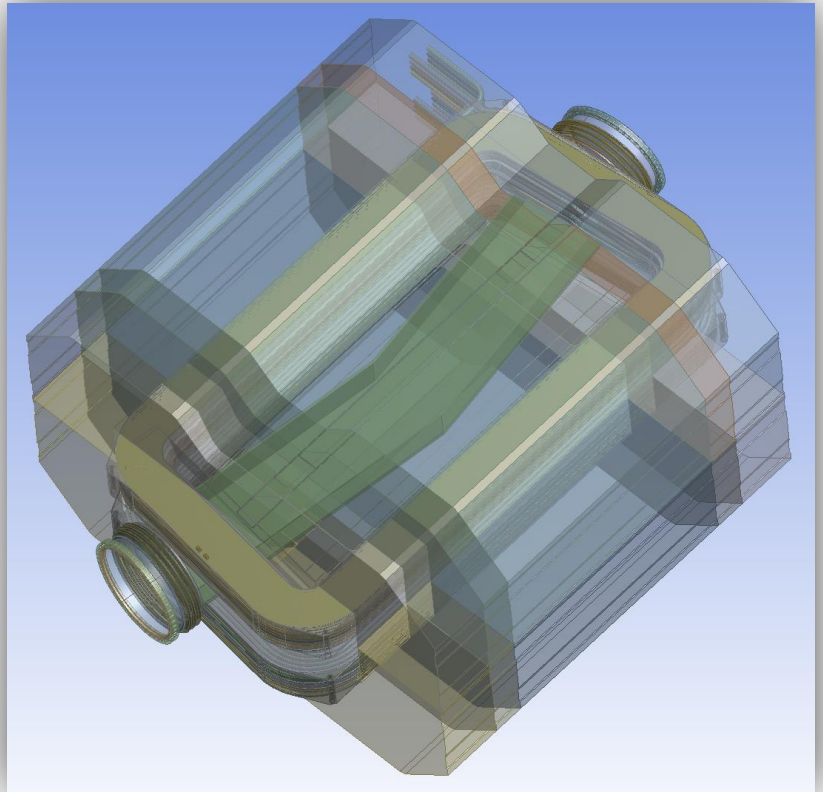
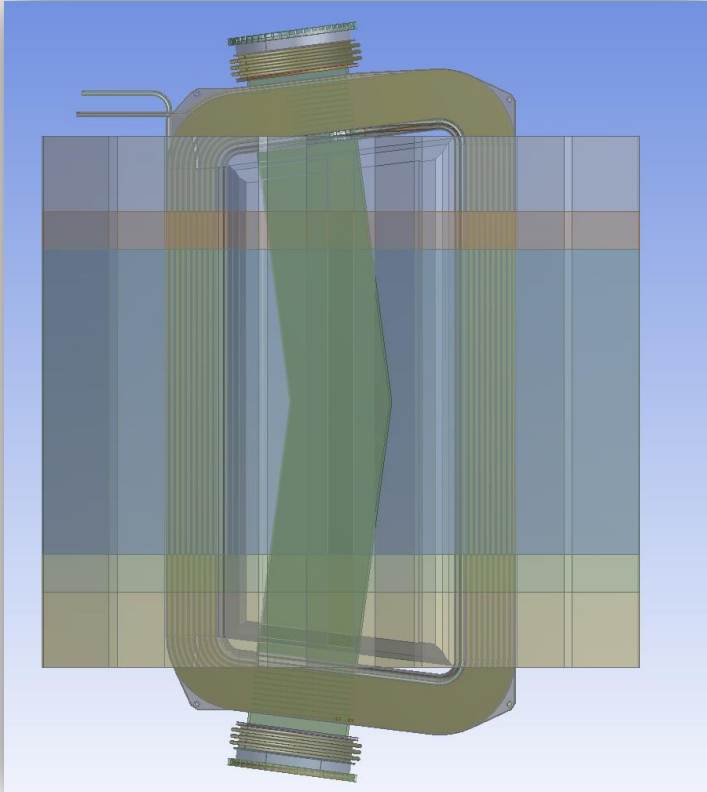
$$\frac{\Delta B}{B_0} = \alpha \frac{\Delta I}{I_0}$$



# Parametric Condition

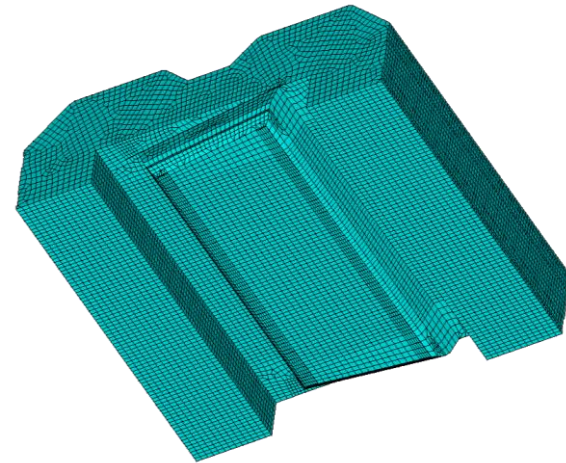
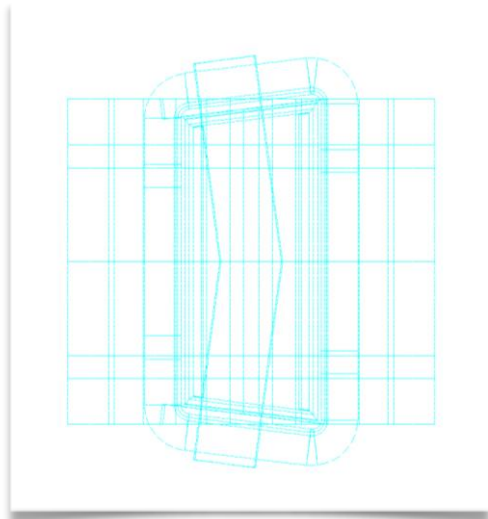
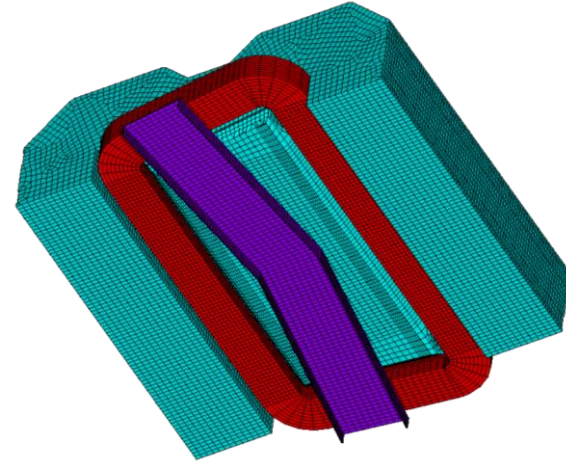
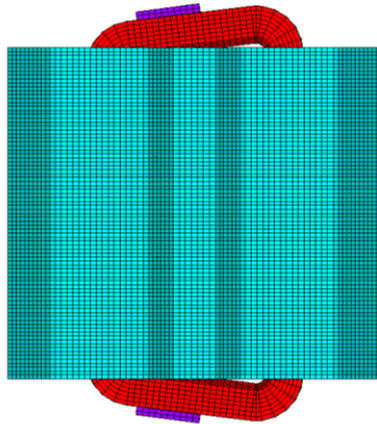
- The  $\alpha$  depends on not only frequency but also  $I_0$  and  $\Delta I$ .
- The frequency range of rippling current is 10 ~ 10 kHz.
- The maximum amplitude of current ripple is assumed to be  $\Delta I_{\max}/I_0 = 10^{-4}$ .
- The desired field stability is  $\Delta B_{\max}/B_0 \cong 10^{-6}$ .
- The operation field for Collect Ring is  $B_0 = 1.6$  T and corresponding applied current  $I_0$  is about 1.4 kA.

# Geometry of CR dipole magnet

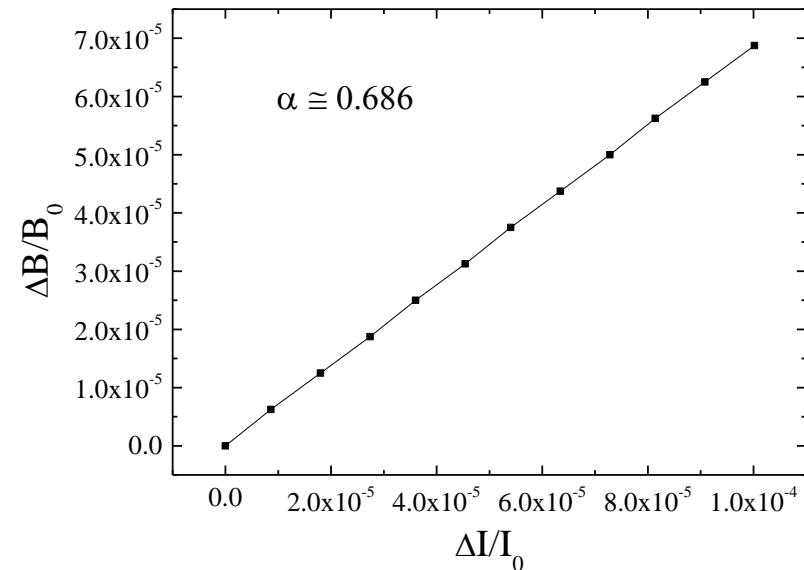
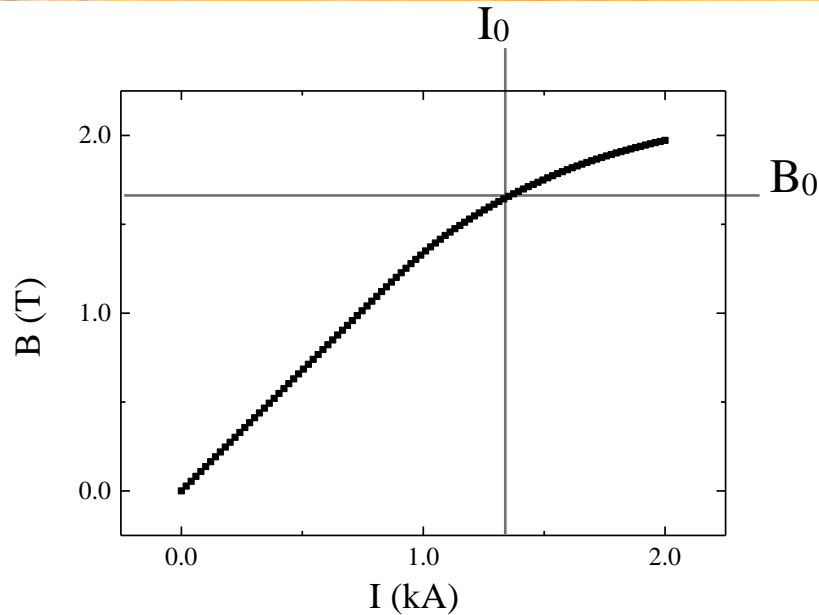




# FE model

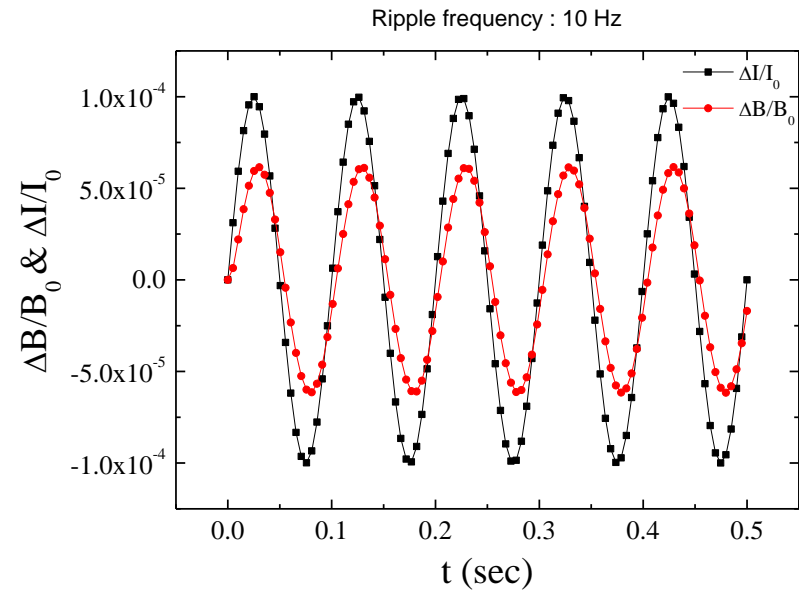
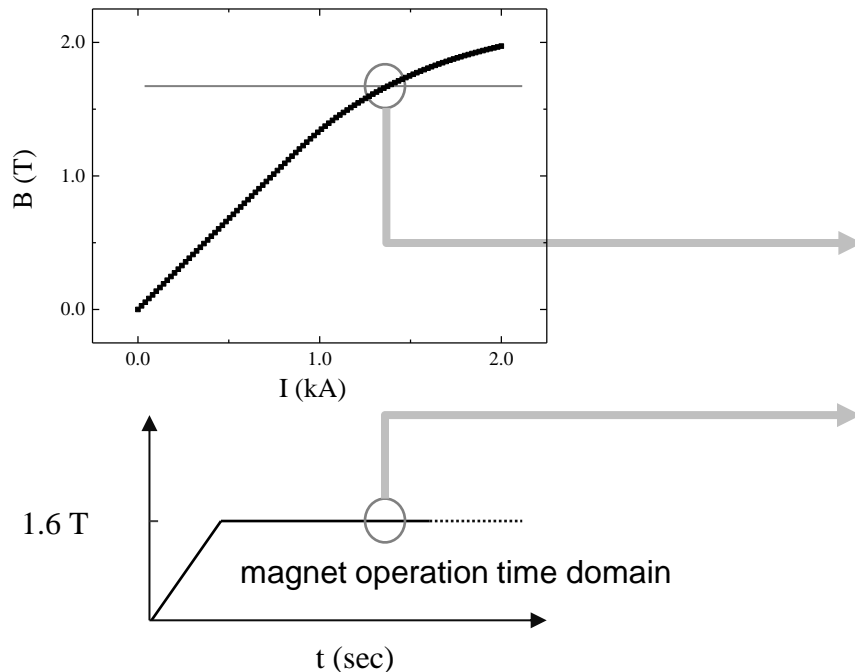


# DC Property



- This result shows field operation property as a function of DC current.
- It enables us to estimate the maximum  $\alpha$  as a reference value to interpret the results of AC ripple effect.
- The DC proportional parameter  $\alpha$  is 0.686.
- This curve depends on material property and is shown in Appendix 1.

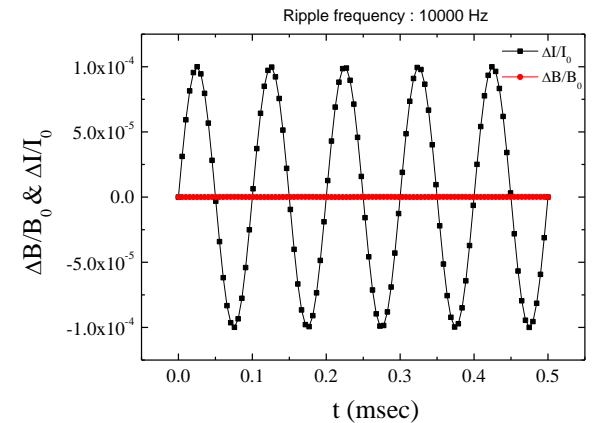
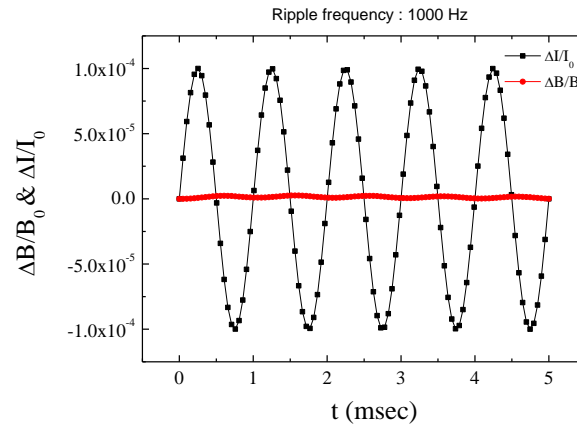
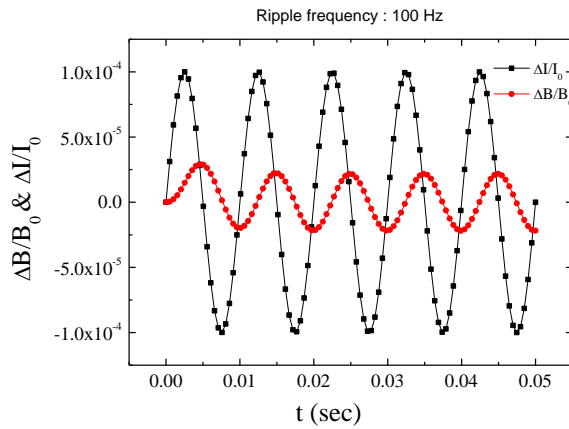
# Current Ripple Effect 1



- The current ripple is produced in the range of 10 ~ 10 kHz at the reference field 1.6 T.
- The corresponding  $\alpha$  value is similar to that of DC current in 10 Hz.
- The result of higher frequency is shown in the next slide.

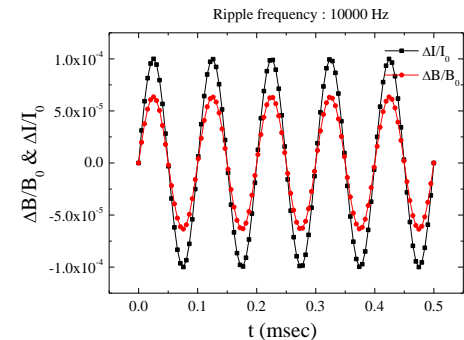
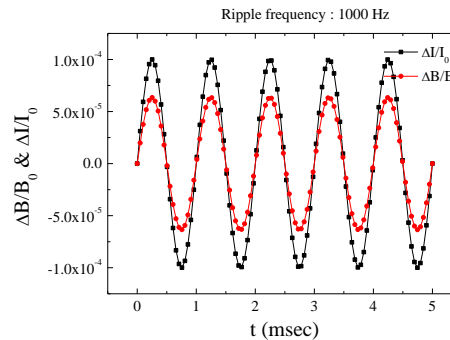
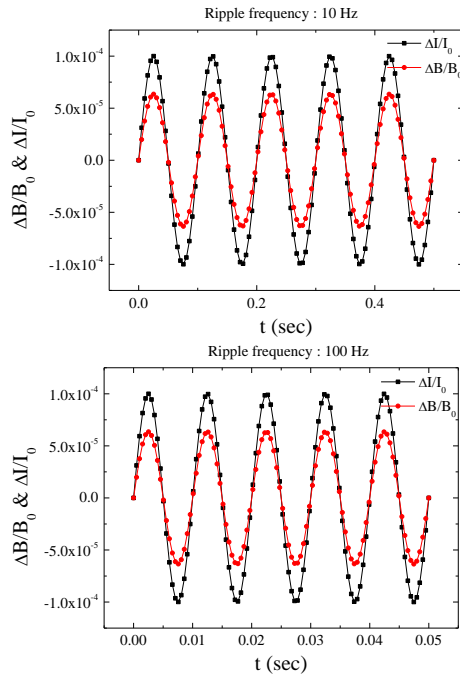


# Current Ripple Effect 2



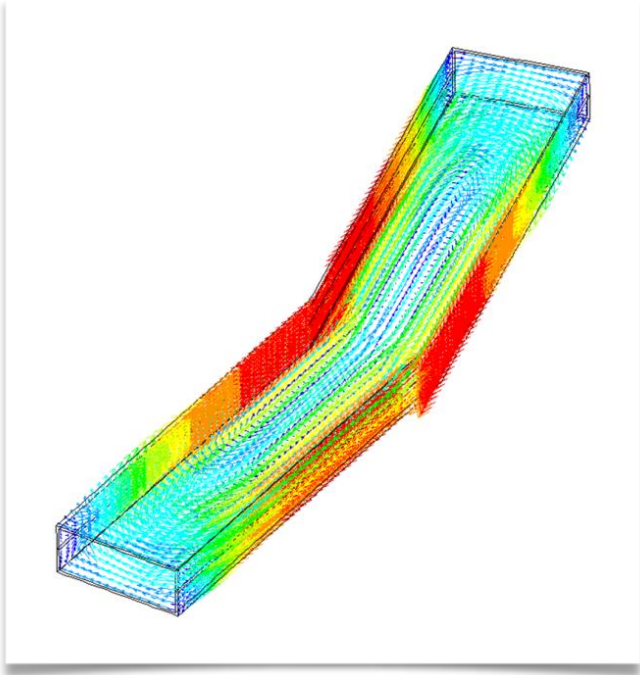
- The amplitude of field response is decreased by increasing ripple frequency.
- The reason of this field amplitude decreasing is secondary field by eddy current on the beam chamber. And it is confirmed by comparative simulation with and without beam chamber.

# Without beam chamber

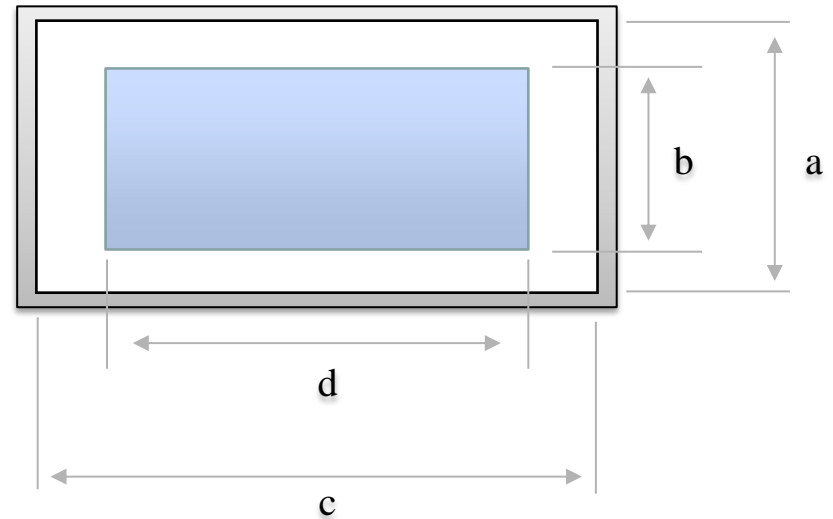


- The results are from the simulation without beam chamber.
- There is no frequency dependence of  $\Delta B/B_0$  without beam chamber.
- The secondary field by eddy current on the beam chamber is the origin of the high frequency shielding.

# Space for average calculation

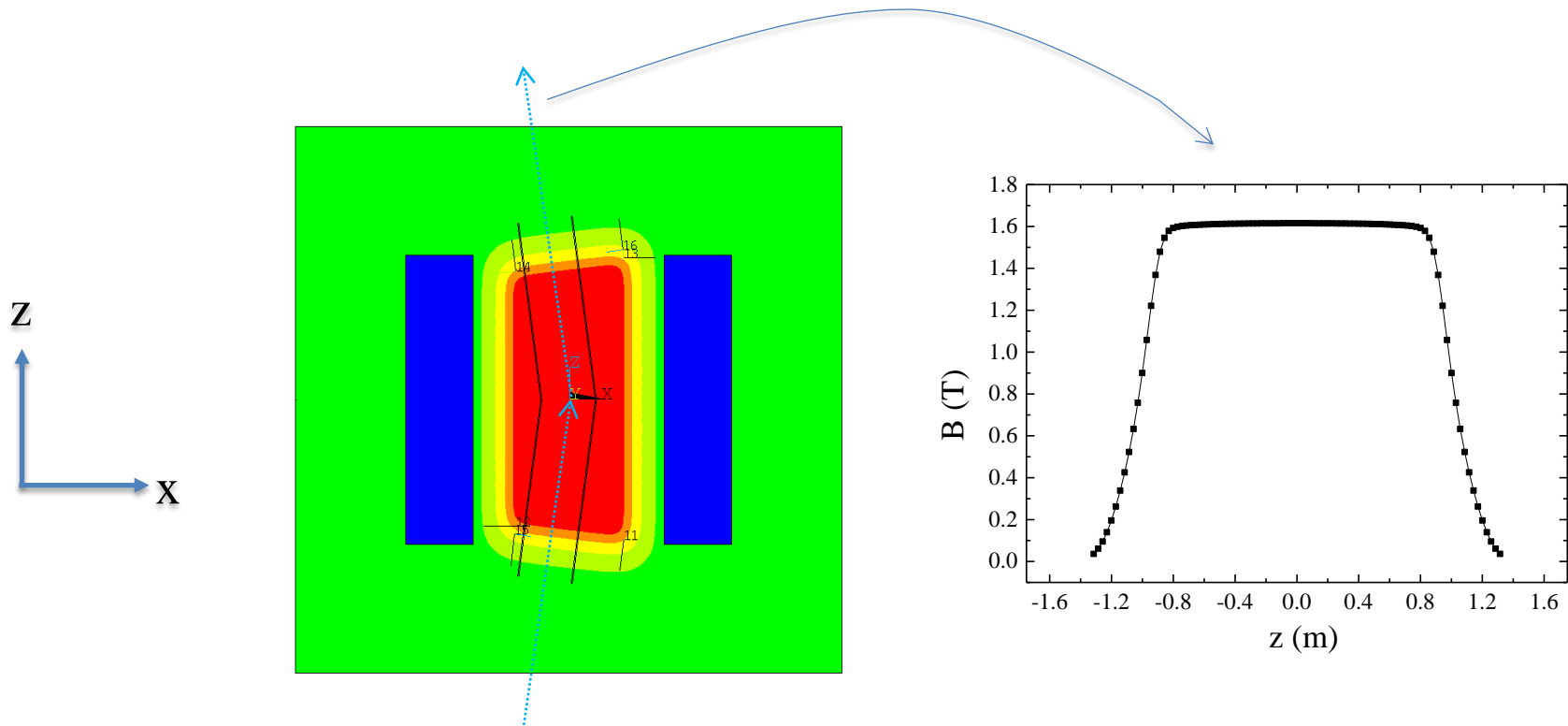


Eddy current density profile.

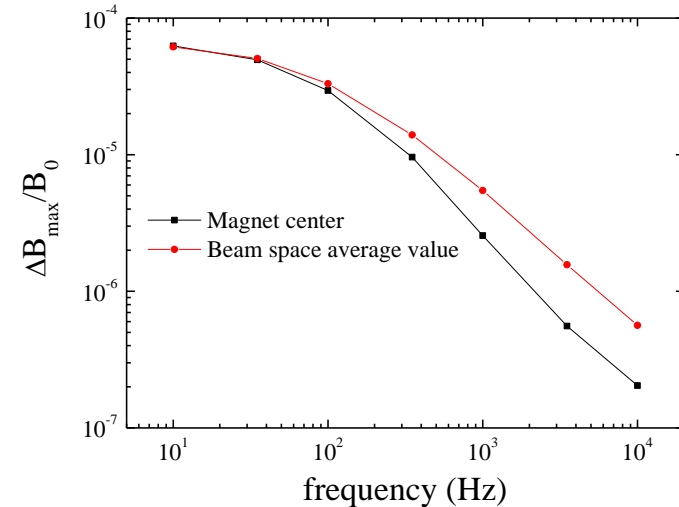
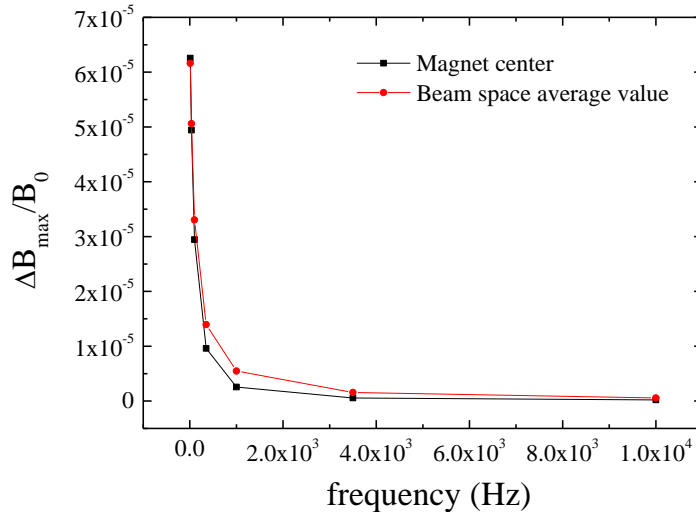


The ratio of area for finding average  $\alpha$  is  $b/a = 6/10$ ,  $d/c = 11/15$

# Static field profile on beam axis



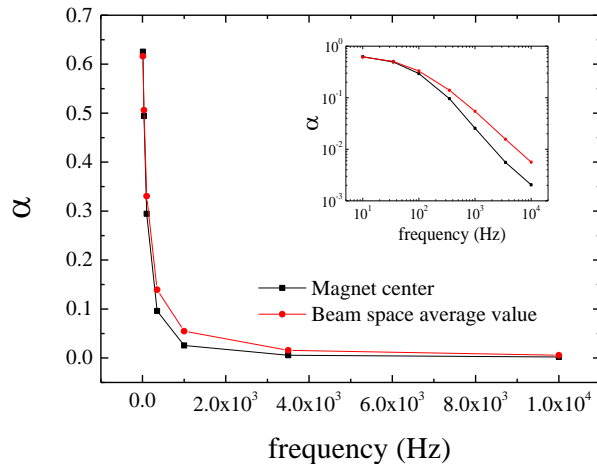
# $\Delta B/B_0$ according to Ripple Frequency



- The figures show the  $\Delta B_{\max}/B_0$  as a function of current ripple frequency.
- The  $\Delta B/B_0$  has a rapid decreasing with increasing frequency in the low frequency region.



# Proportional Variable $\alpha(f)$



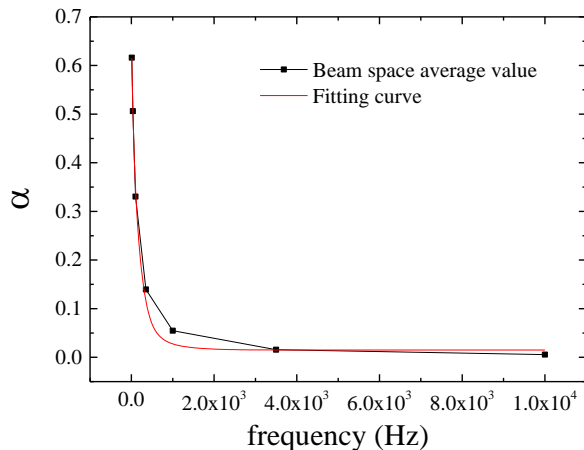
- We can estimate functional expression with curve fitting procedure and the result shown below.

$$\frac{\Delta B}{B_0} = \alpha(f) \frac{\Delta I}{I_0} \quad \longrightarrow \quad \alpha(f) \cong a + b \times c^f$$

$$a \cong 0.015$$

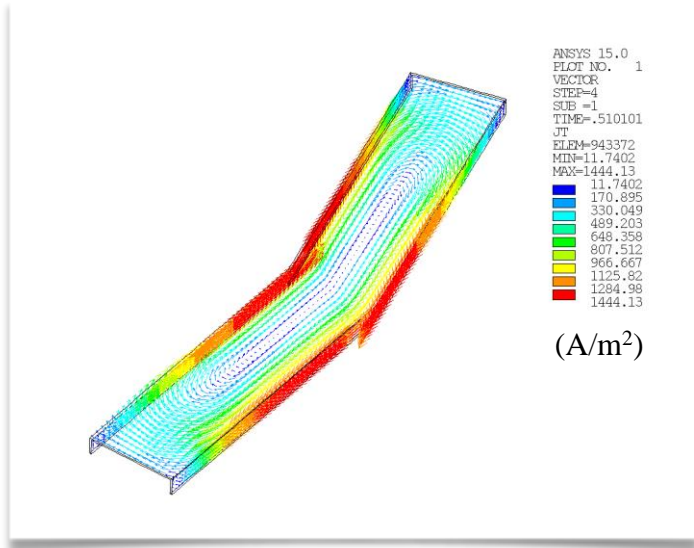
$$b \cong 0.65$$

$$c \cong 0.99205$$

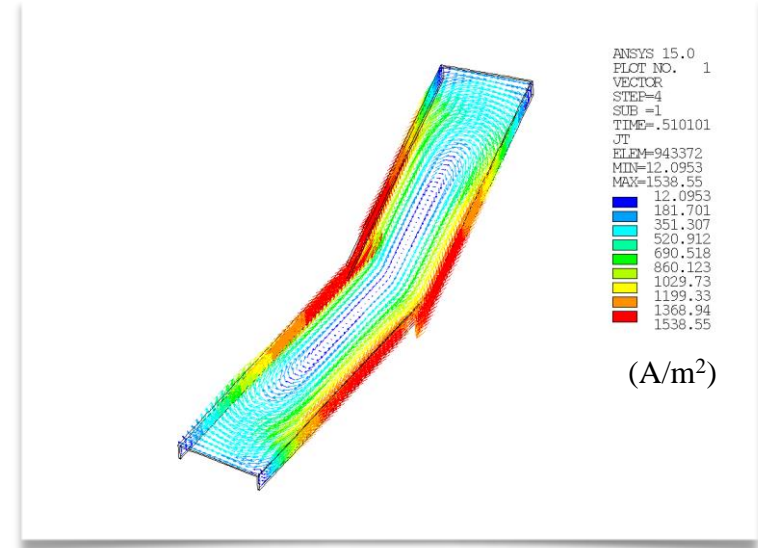


- The  $\alpha$  is close to the value of DC result with decreasing  $f$  down to zero.
- The  $\alpha$  is less than  $1.0 \times 10^{-2}$  with frequency of higher than  $\sim 2$  kHz and  $\sim 5$  kHz at the center of magnet and considered beam space, respectively.

# Beam chamber resistivity



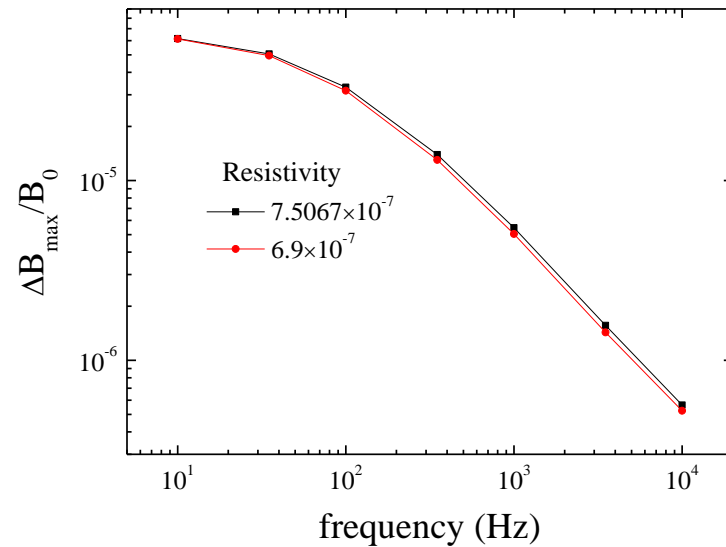
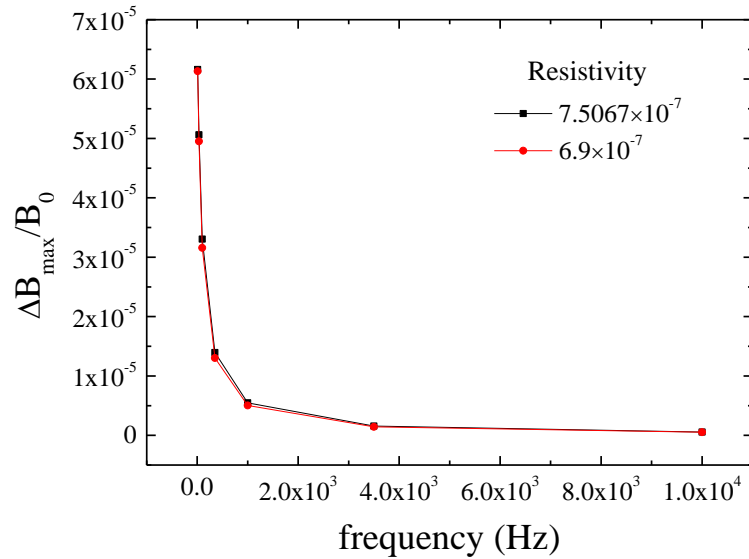
$$\rho_{\text{ref}} = 7.5067 \times 10^{-7} \Omega\text{m}$$



$$\rho = 6.9 \times 10^{-7} \Omega\text{m}$$

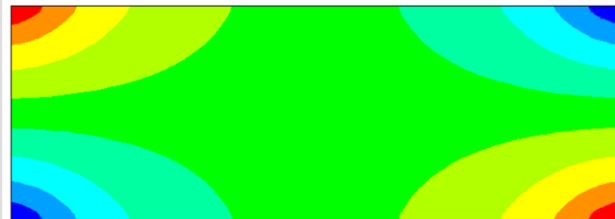
- The field shield effect is due to the eddy current in the beam chamber. Therefore, the resistivity of the beam chamber can be a parameter which can affect magnetic field ripple.
- To get more reasonable interpretation for this simulation, additional calculation has been done with another low resistivity of  $6.9 \times 10^{-7} \Omega\text{m}$ .

# Resistivity effect



- $\Delta f$  is  $\sim 400$  Hz at  $\Delta B_{\max}/B_0 = 10^{-6}$ .

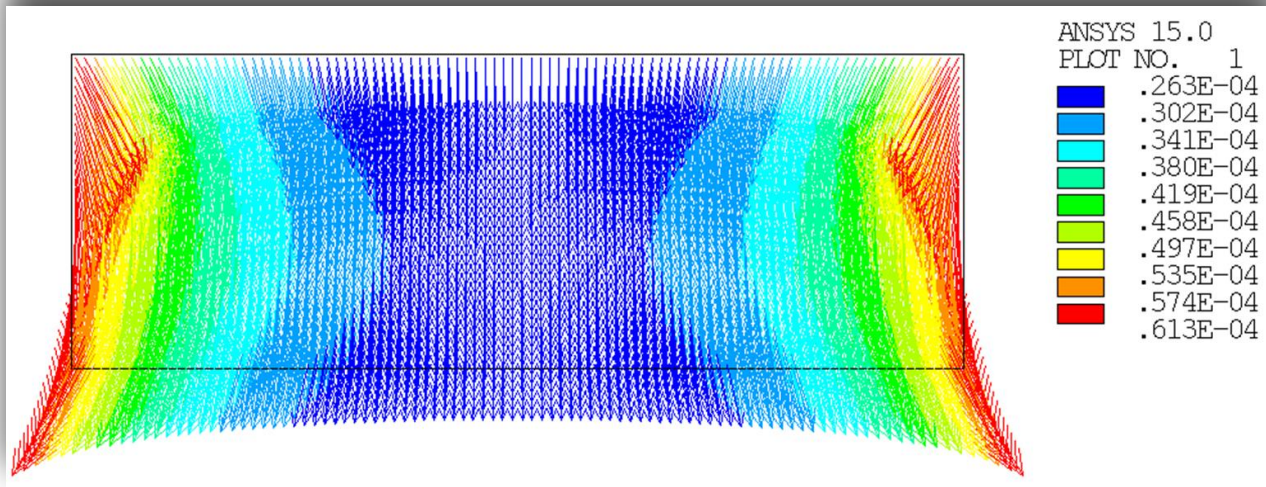
# Eddy current induced magnetic field inside beam chamber - 10 kHz



$B_x$



$B_y$

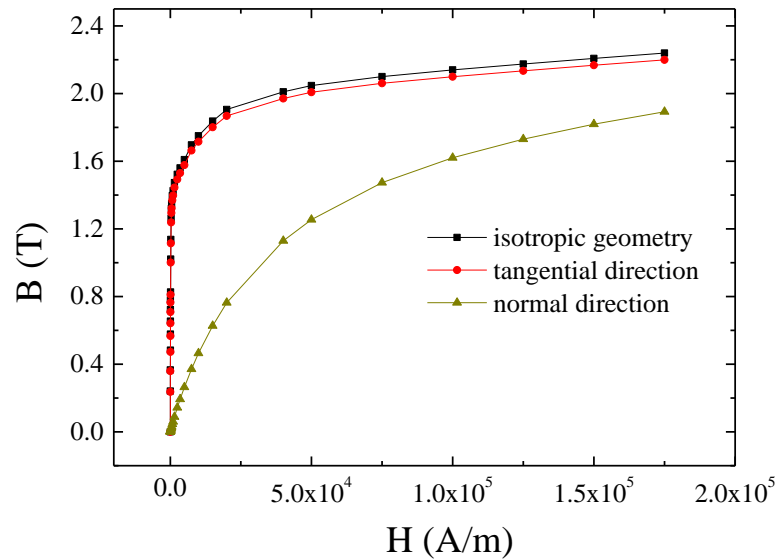


# Summary & Conclusion

- To find the current ripple effect on magnetic field, the variable  $\alpha$  is needed to be clarified.
- The  $\alpha$  variable reaches to  $10^{-2}$  around 2 kHz and 5.5 kHz around the center of magnet and beam space, respectively.
- The reason of this field shielding effect is the magnetic field by eddy current in beam chamber.
- The eddy current on the rectangular shaped beam chamber generates not only dipole but also all other higher odd-number multipoles. The eddy current density is  $\sim 25$  times lower than that of SIS100 dipole beam chamber. Even though the different geometry and eddy current profile, we can expect negligibly small higher odd-number multipoles.
- Result of resistivity dependence can be used for the practical interpretation after having confirmation of real material parameters of CR dipole construction.



# Appendix 1 - Material property



$$\mu_n = \frac{\mu_0 \mu}{p \mu_0 + (1 - p) \mu}$$
$$\mu_t = p \mu + (1 - p) \mu_0$$

- $\mu_n$  and  $\mu_t$  is magnetic permeability of laminated material with normal and tangential direction, respectively.
- The 98 % packing factor,  $p = 0.98$ , is considered for this simulation.
- We can produce FE model which has laminated yoke property with un-laminated iron yoke FE model after applying this curve.