



Comparison between DPM and FTF

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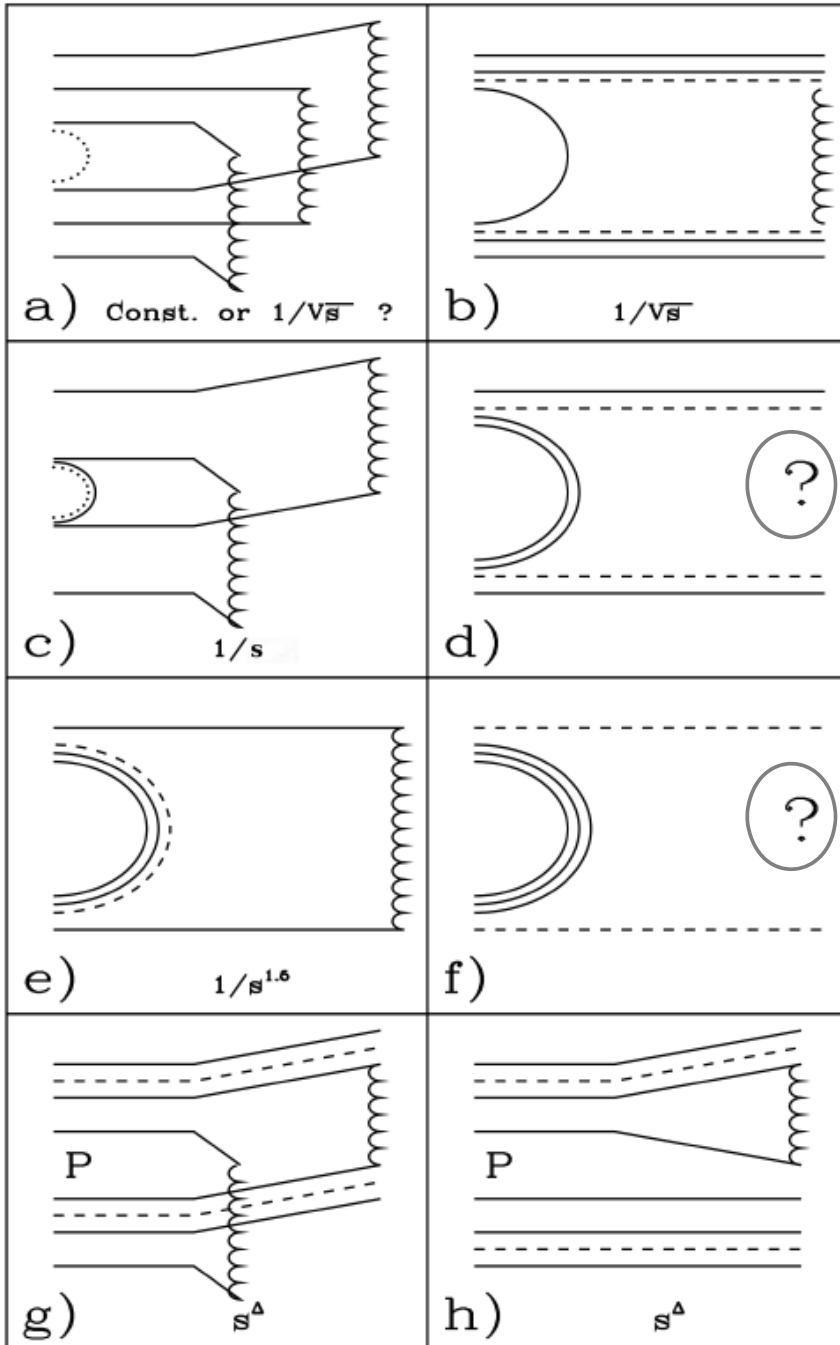


DPM

- is a generic annihilation background generator
- based on the Dual Parton Model (DPM), which is a synthesis of the Regge theory, topological expansions of QCD and parton model

FTF

- Extension of DPM approach
- New tuning parameters based on the FRITIOF Model (FTF)
- is used as a hadronic interaction model in GEANT4
- Recently implemented by Aida Galoyan within PANDARoot framework



DPM

$$\sigma_a = \frac{51.6}{\sqrt{s}} - \frac{58.8}{s} + \frac{16.4}{s^{1.5}}$$

$$\sigma_b = \frac{77.4}{\sqrt{s}} - \frac{88.2}{s} + \frac{24.6}{s^{1.5}}$$

$$\sigma_c = \frac{93}{s} - \frac{106}{s^{1.5}} + \frac{30}{s^2}$$

$$\sigma_g = \frac{18.6}{s^{0.08}} - \frac{33.5}{\sqrt{s}} + \frac{30.8}{s}$$

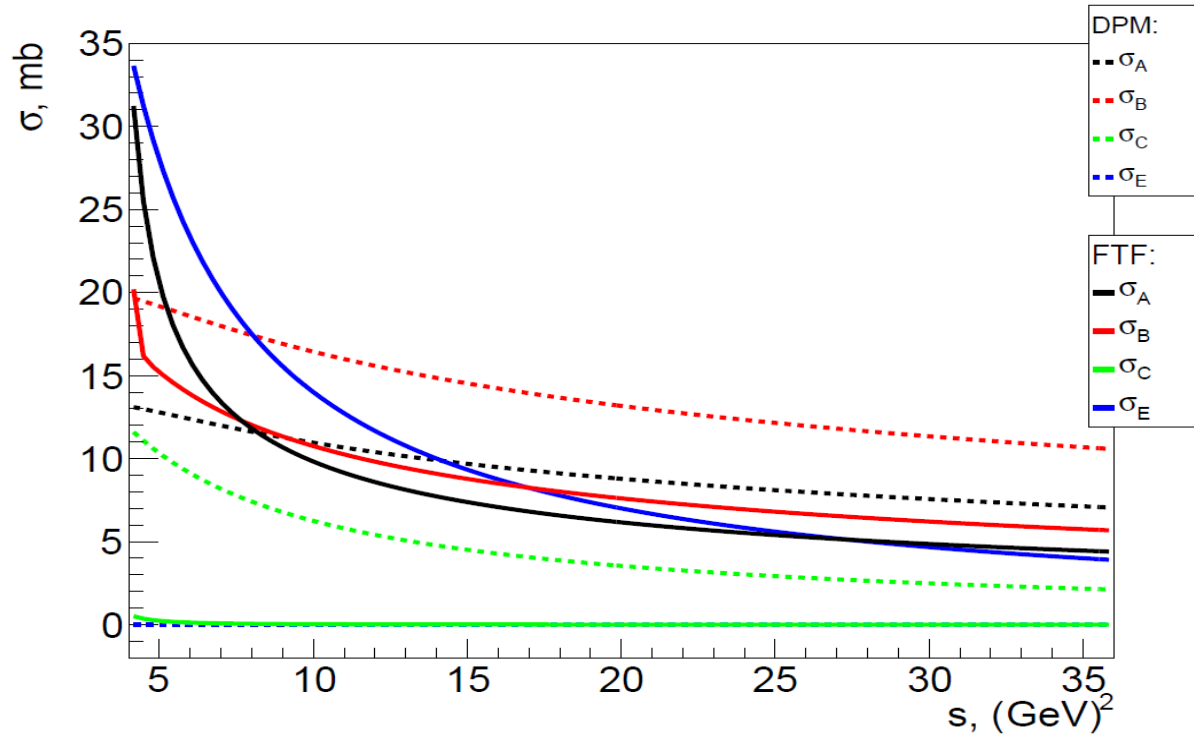
$$\sigma_d = \sigma_e = \sigma_f = \sigma_h = 0$$

FTF

$$\sigma_a = \frac{25}{\sqrt{s-4m^2}}, \sigma_e = \frac{140}{s}$$

$$\sigma_b = \begin{cases} 15.65 + 700 \cdot (2.173 - \sqrt{s})^2 & \text{if } \sqrt{s} \leq 2.172 \\ 34/\sqrt{s} & \text{if } \sqrt{s} \geq 2.172 \end{cases}$$

$$\sigma_c = \frac{2}{\sqrt{s-4m^2}} \cdot \left(\frac{(m_p + m_t)}{s} \right)^2$$



At high energies

$$\sigma_a^{FTF} < \sigma_a^{DPM}$$

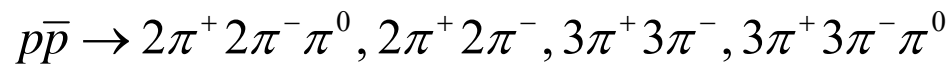
$$\sigma_b^{FTF} < \sigma_b^{DPM}$$

$$\sigma_c^{FTF} < \sigma_c^{DPM}$$

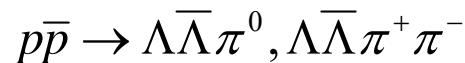
$$\sigma_e^{FTF} > \sigma_e^{DPM}$$

For sub-process, the assumed σ_{sub} that are used to generate events are different

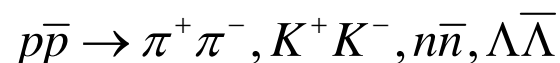
- multi – particle production : σ_a



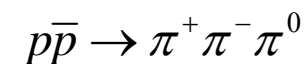
- pion radiation with baryon – antibaryon : σ_b



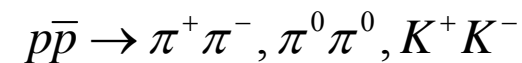
- binary reactions : σ_b, σ_e



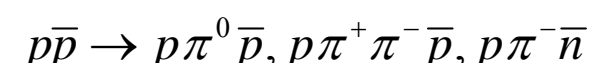
- 3 meson final state : σ_e



- 2 particle production at low energy : σ_c



- diffraction dissociation : σ_g, σ_h





How much does MC true level differ from FTF to DPM?

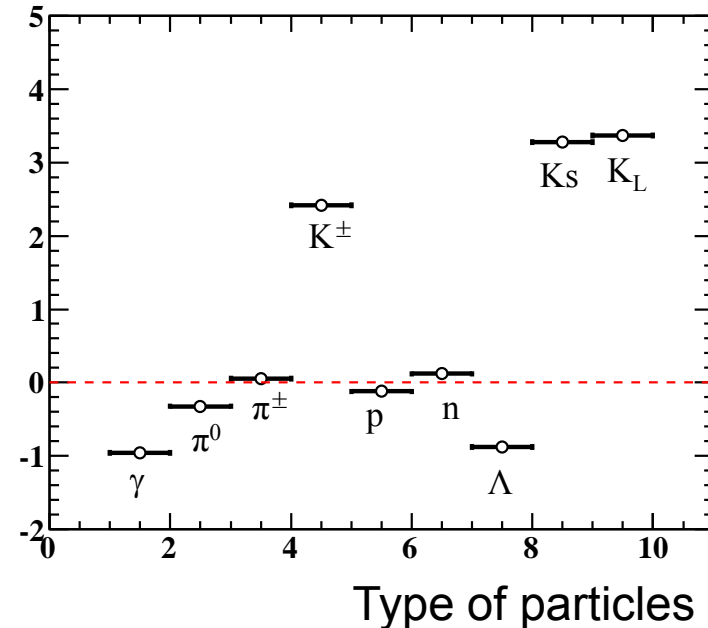
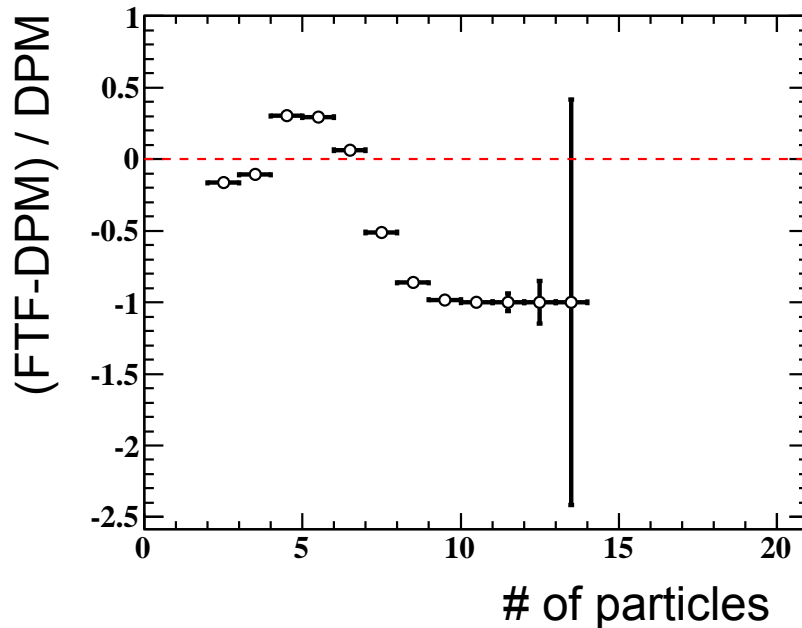
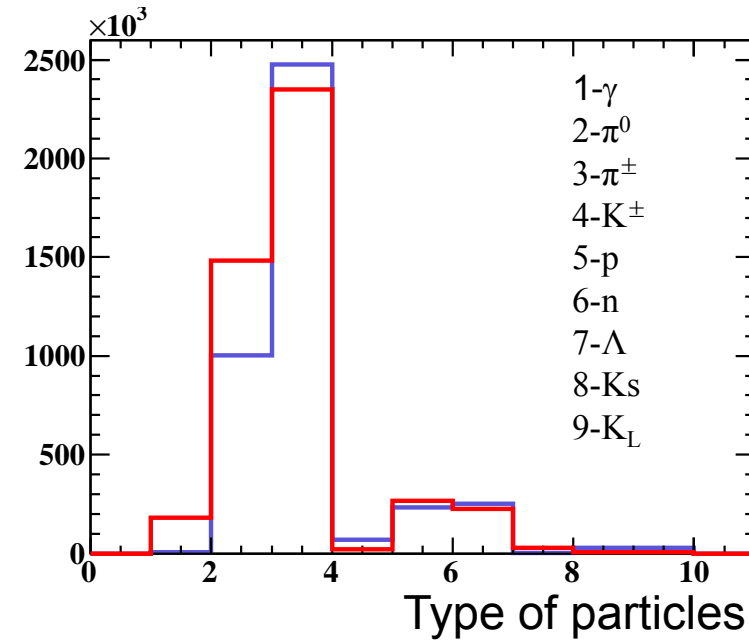
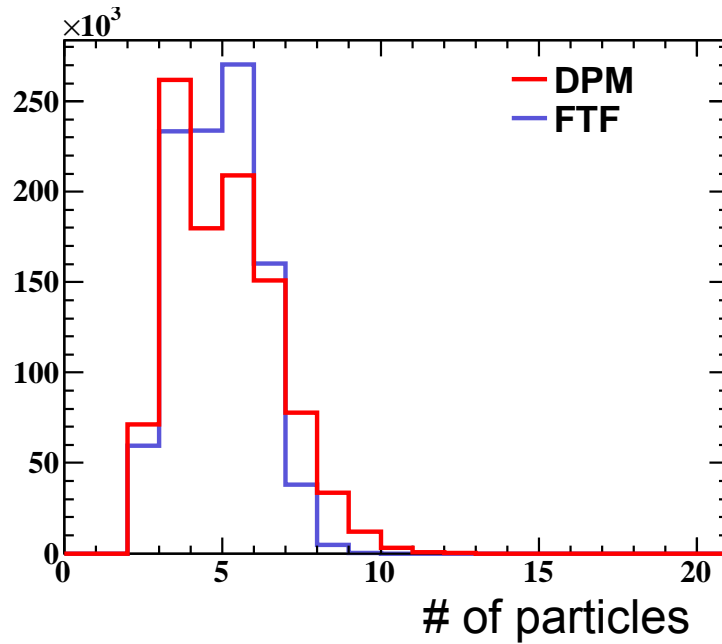
- Inelastic events only for both DPM and FTF (each 1M events)
- 2 different $\sqrt{s} = 2.4 \text{ \& } 5.5 \text{ GeV}/c^2$ ($p_{\text{beam}} = 1.9 \text{ GeV}/c \text{ \& } 15.1 \text{ GeV}/c$)
- Resonances have zero width in FTF and "realistic" width in DPM
- Options of FTF depending on inelastic hadronic interaction, cascade, fission, and nuclear de-excitation models in valid energy range ^{1),2)}
 - Ftfb : FTF + binary (all cascade processes for low energy interaction)
 - Ftfp : FTF + precompound (simplified by absorption process only)

1) E. Atomssa, GEANT3-GEANT4 hadronic response comparisons, *PANDA Collaboration Meeting*, Dec.2013

2) A. Galoyan. Physics of antiproton-proton and antiproton-nucleus annihilation processes implemented in Geant4, *PANDA Collaboration Meeting*, Sep.2013

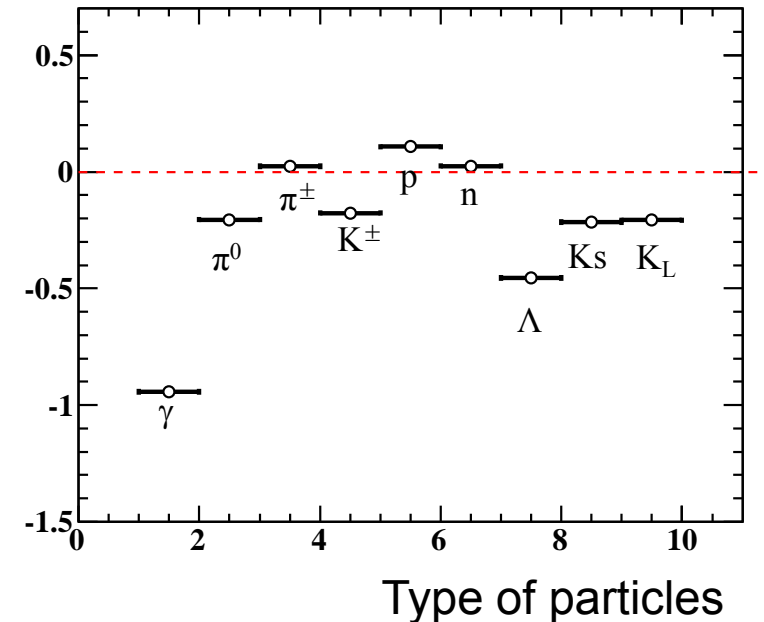
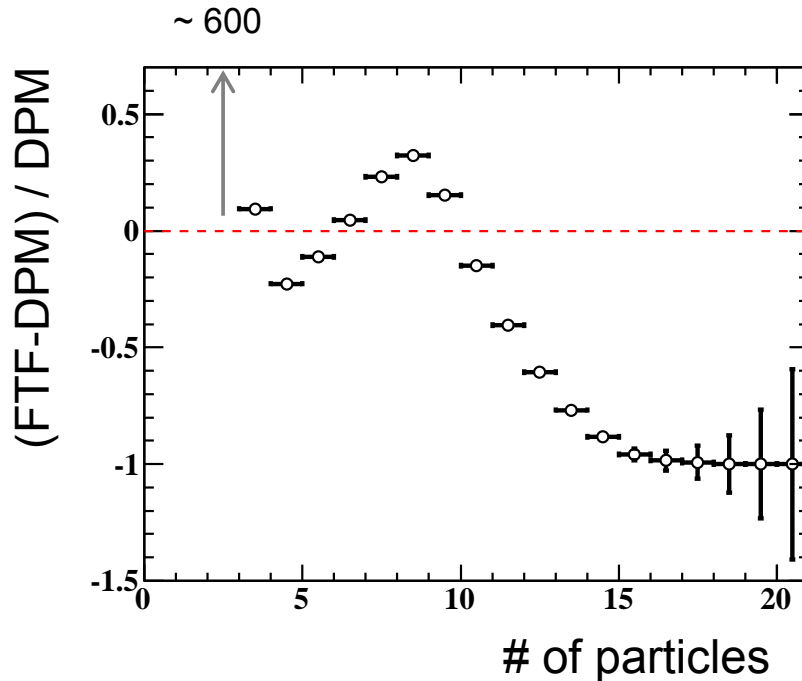
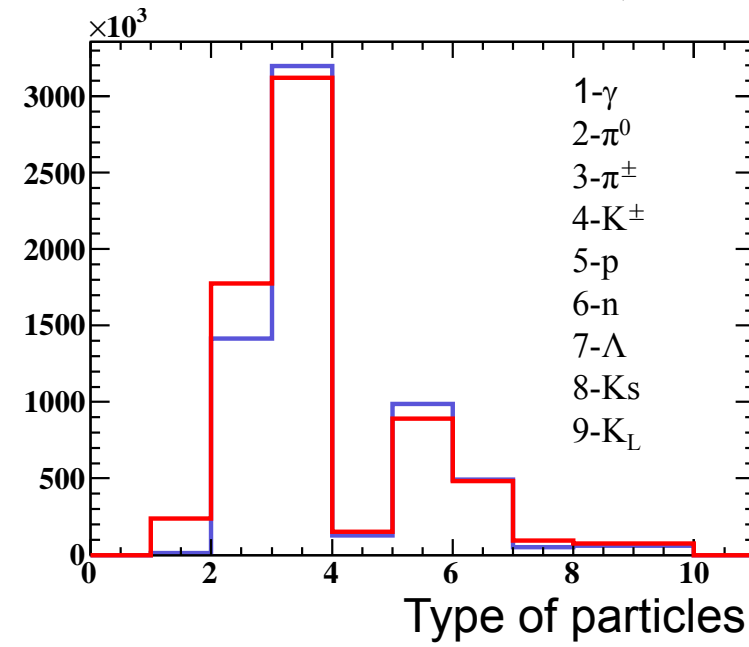
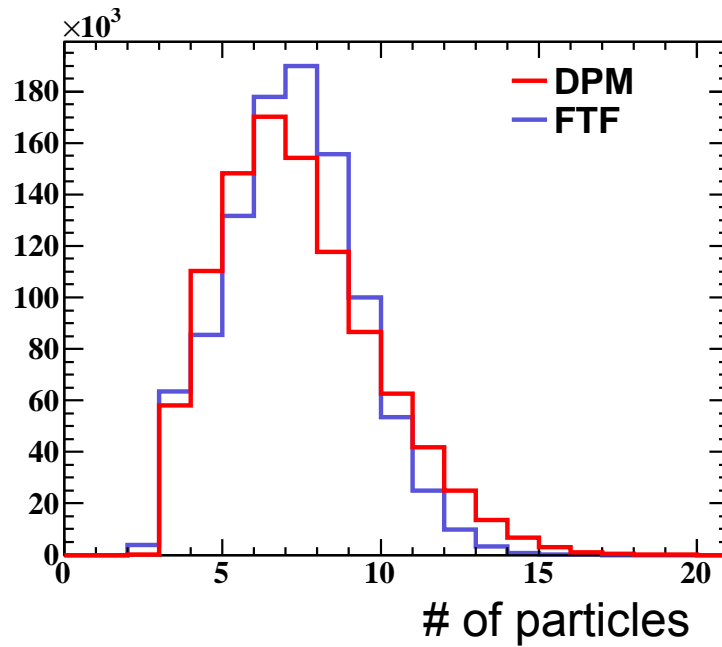


$$\sqrt{s} = 2.4 (\text{GeV}/c)^2$$





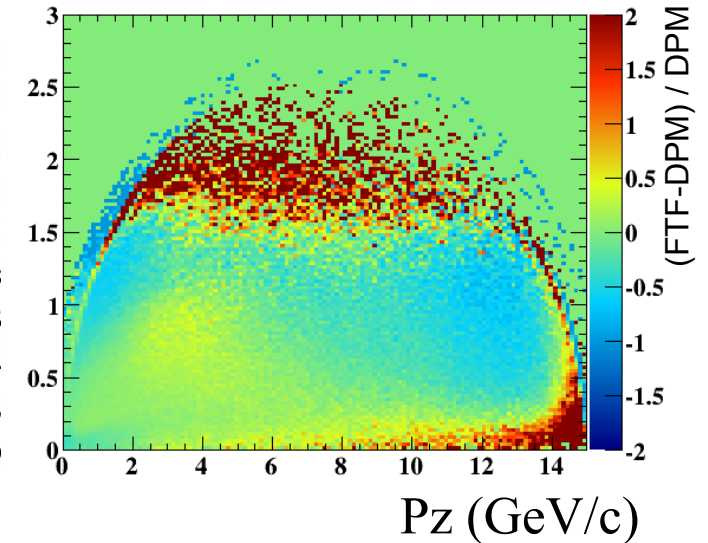
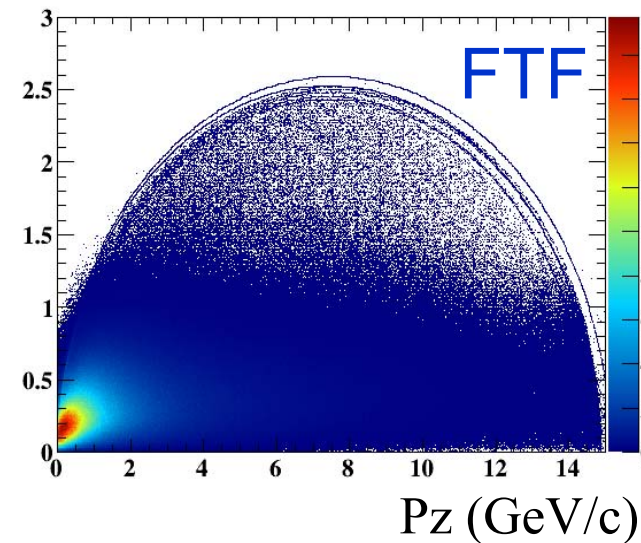
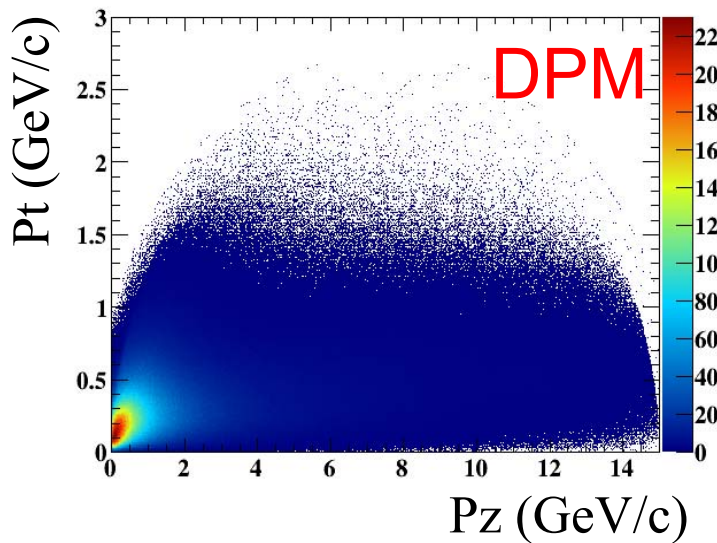
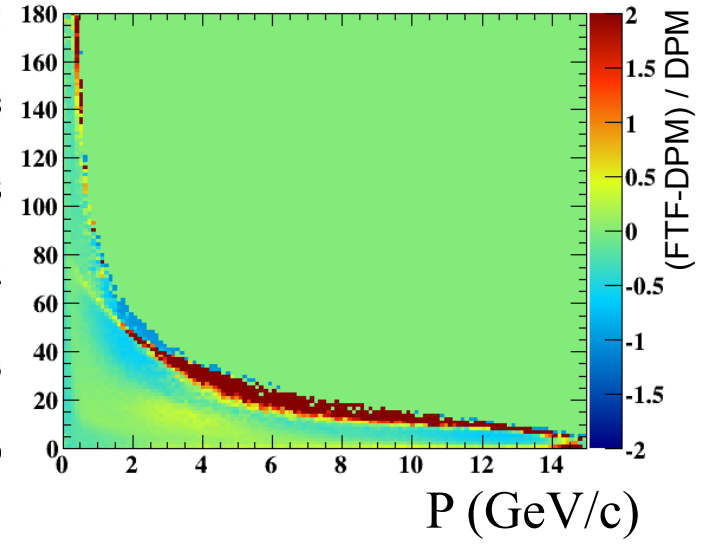
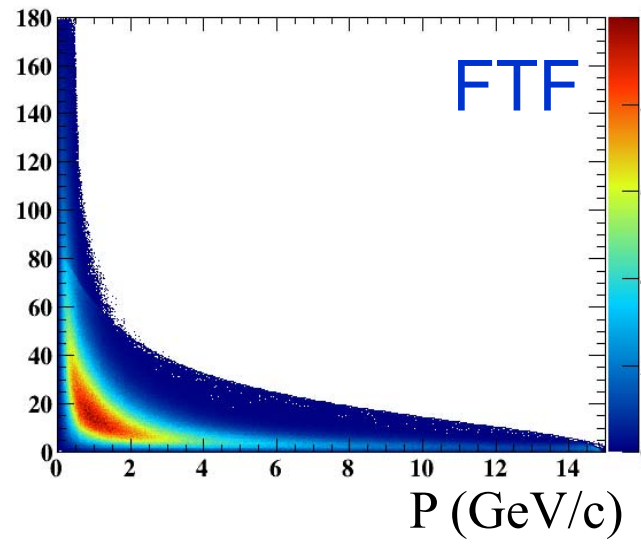
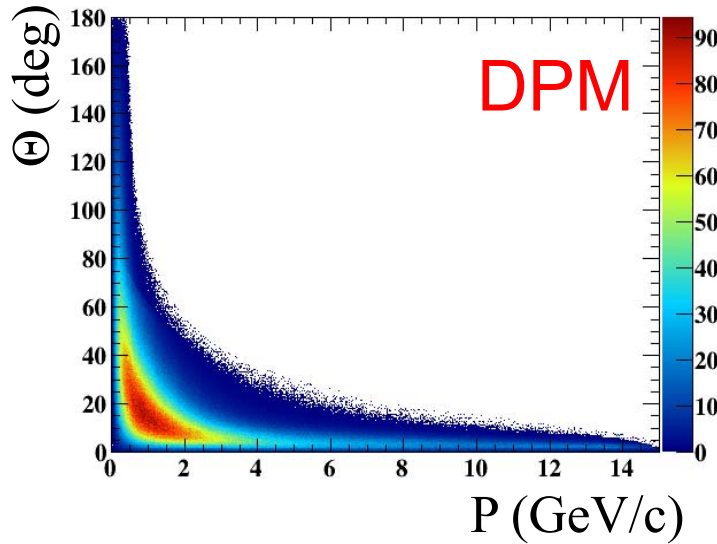
$$\sqrt{s} = 5.5 (\text{GeV}/c)^2$$





All primary particles

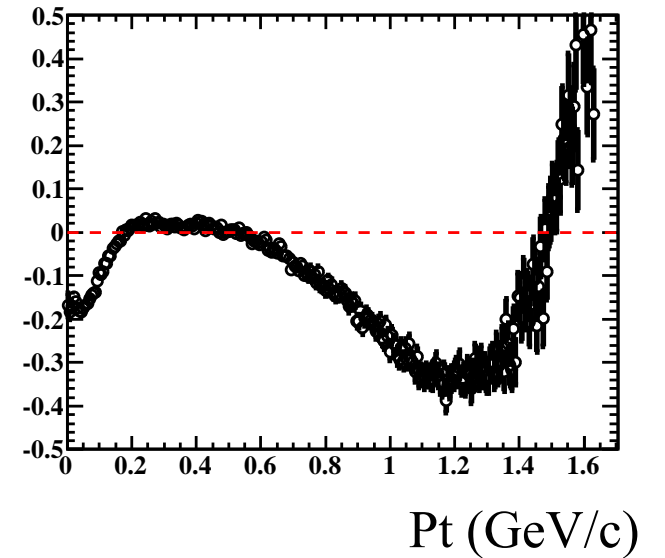
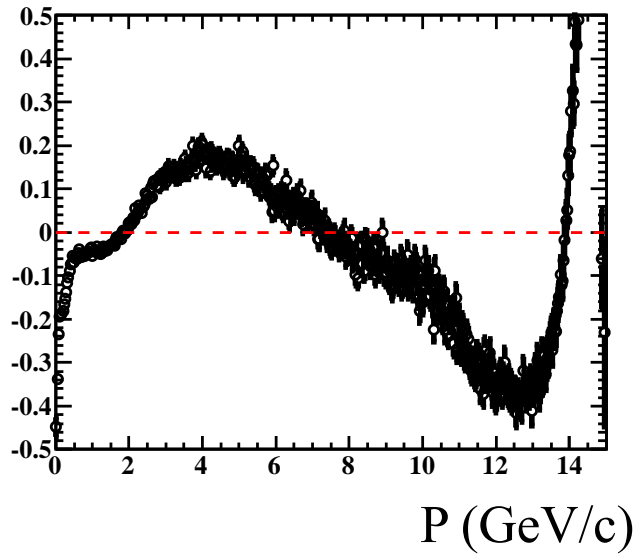
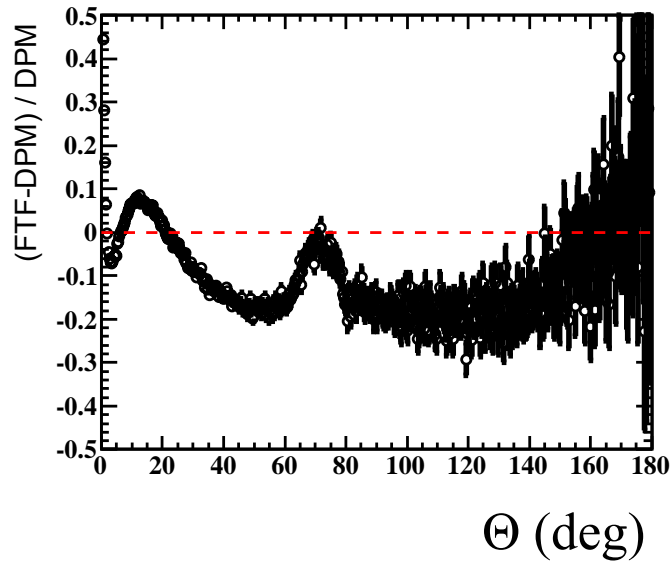
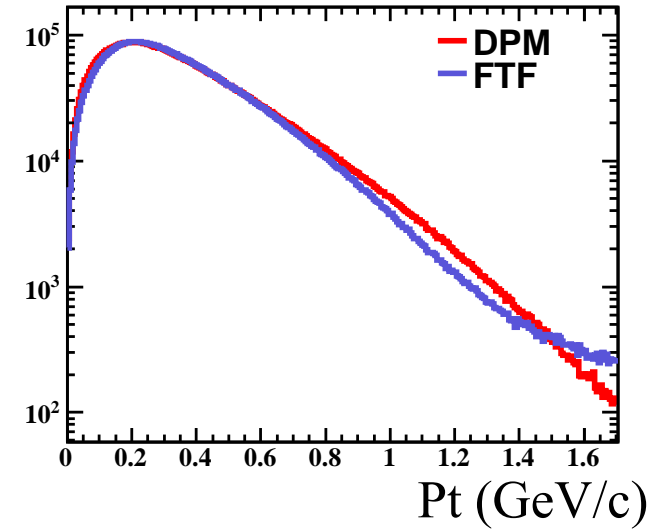
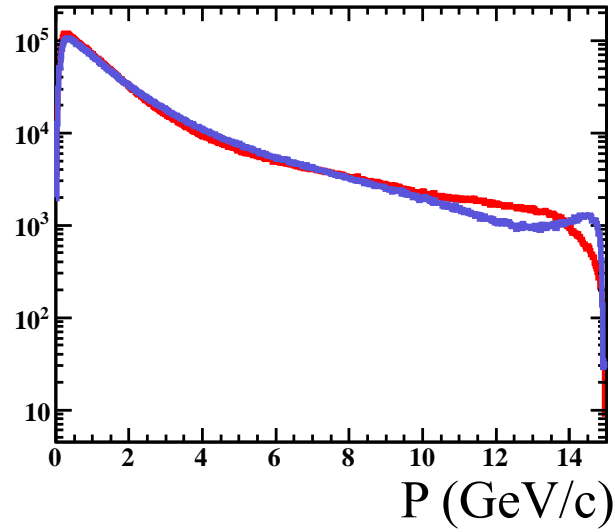
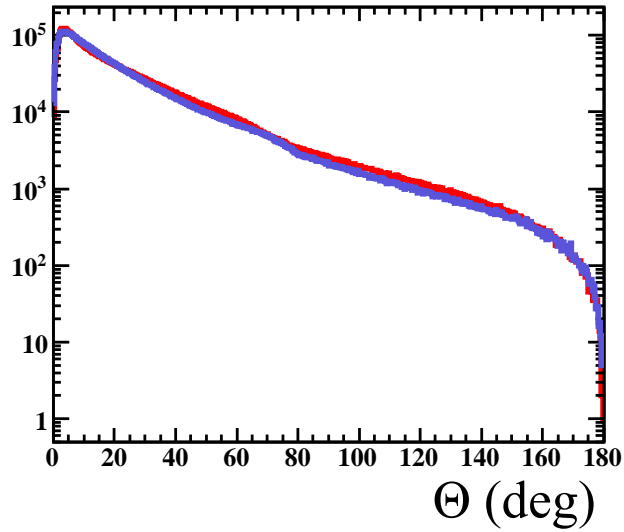
$$\sqrt{s} = 5.5 (\text{GeV}/c)^2$$





All primary particles

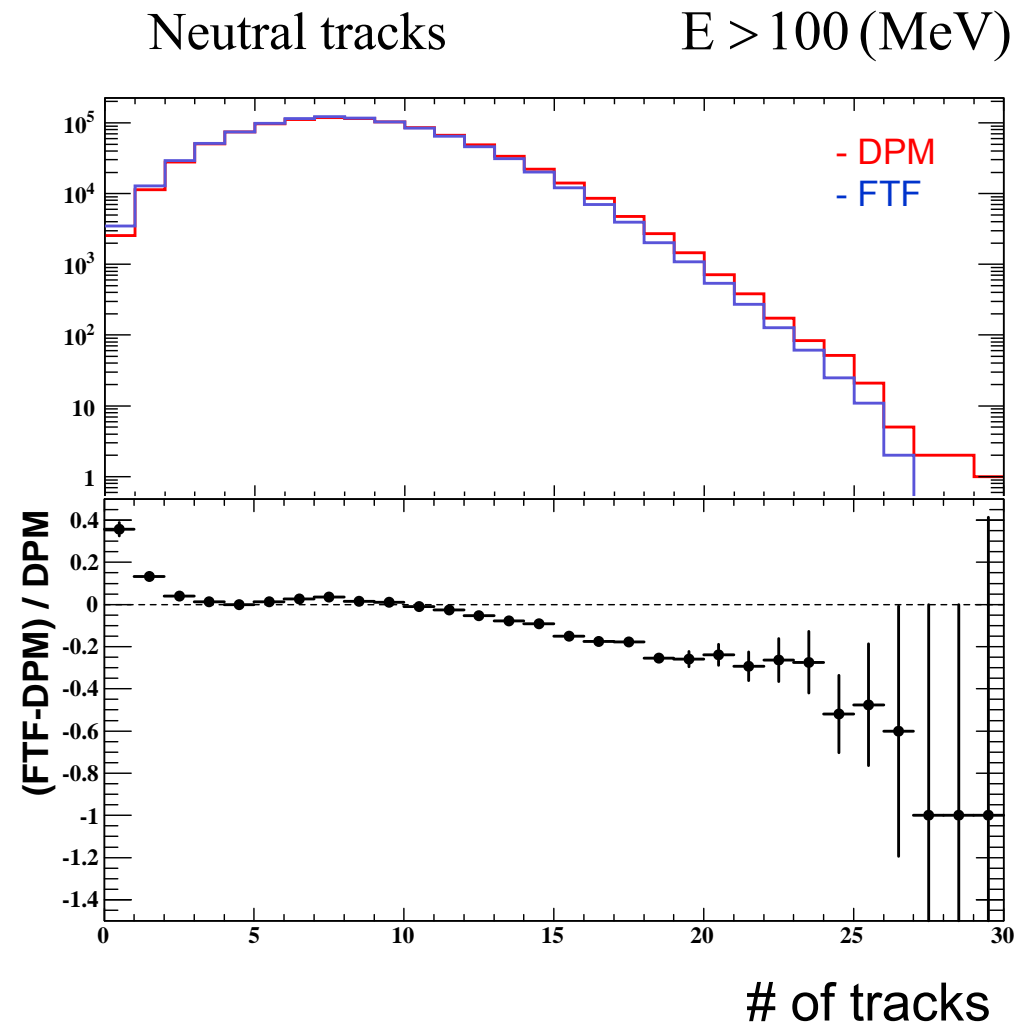
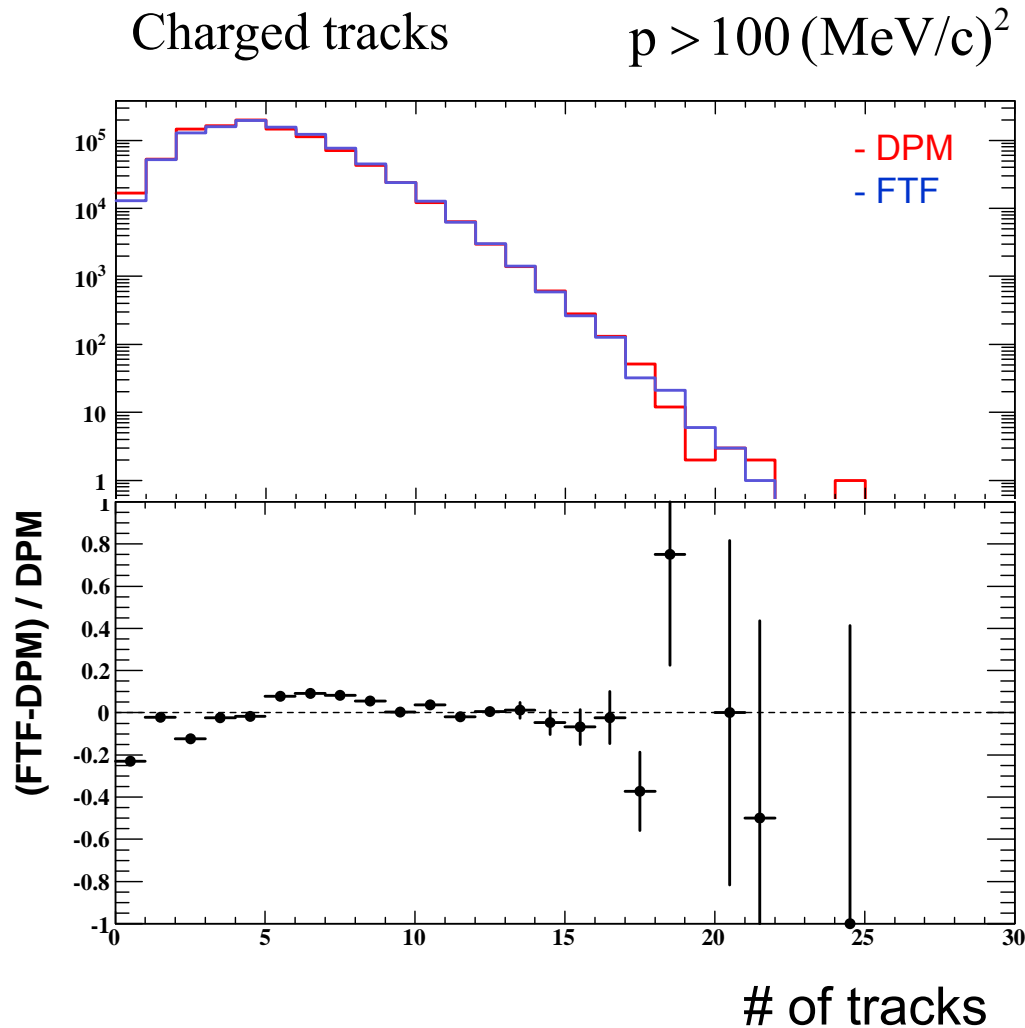
$$\sqrt{s} = 5.5 \text{ (GeV/c)}^2$$





How much does reconstruction differ from FTF to DPM?

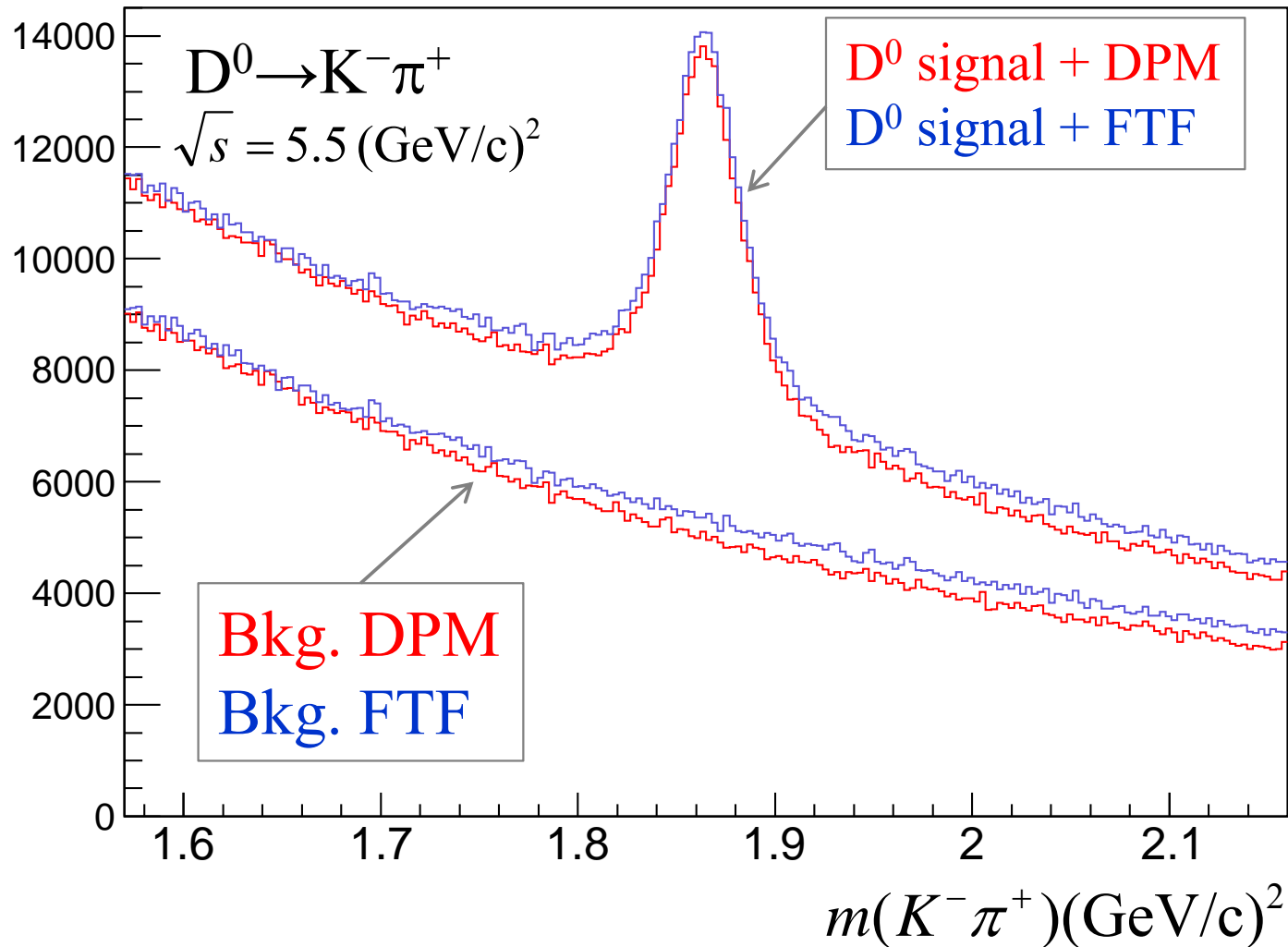
- Simulation : PANDARoot release rev.26329 (2014.10.29) Oct14
- Inelastic events only (each 1M events) @ $\sqrt{s} = 5.5 \text{ (GeV/c)}^2$





Test of invariant mass distribution with DPM and FTF background

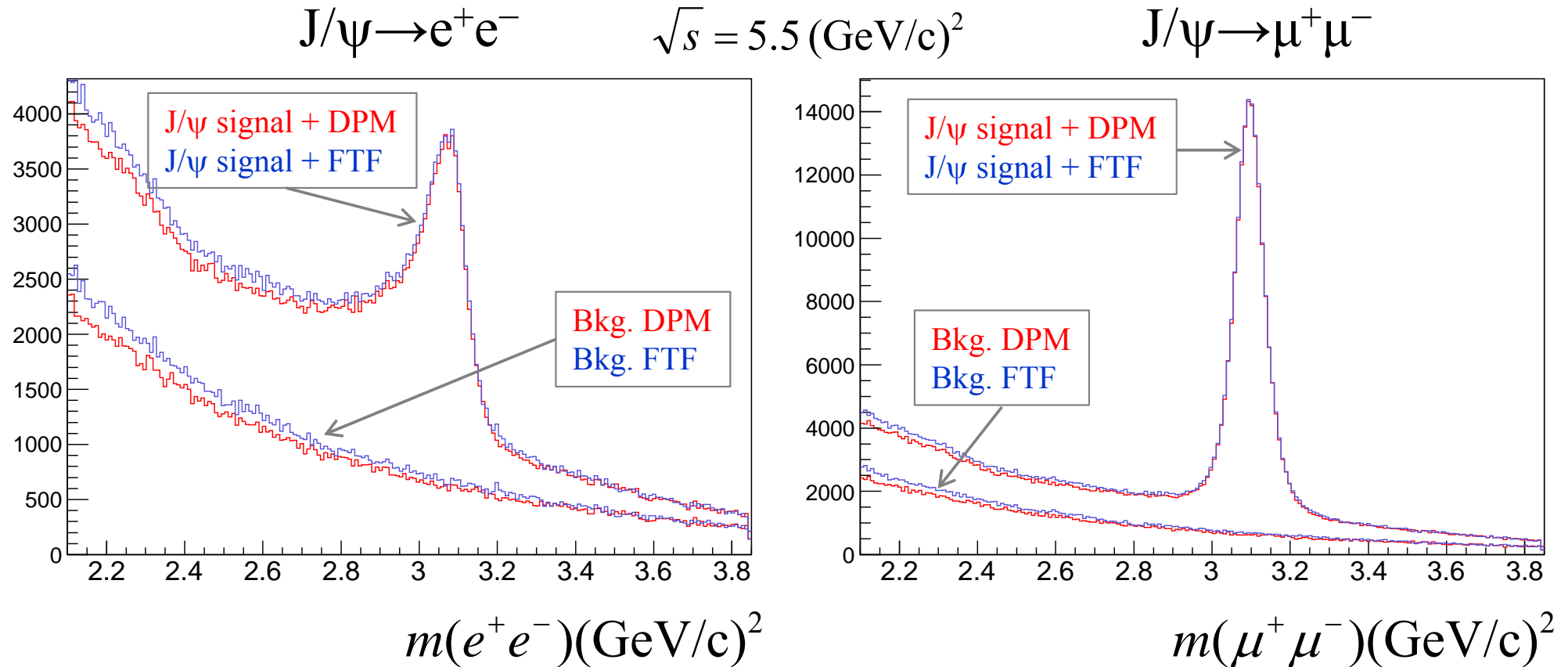
- Fixed event ratio with signal $\sigma = 10$ mb and background $\sigma = 50$ mb
- Data set with no PID and using track combination





Test of invariant mass distribution with DPM and FTF background

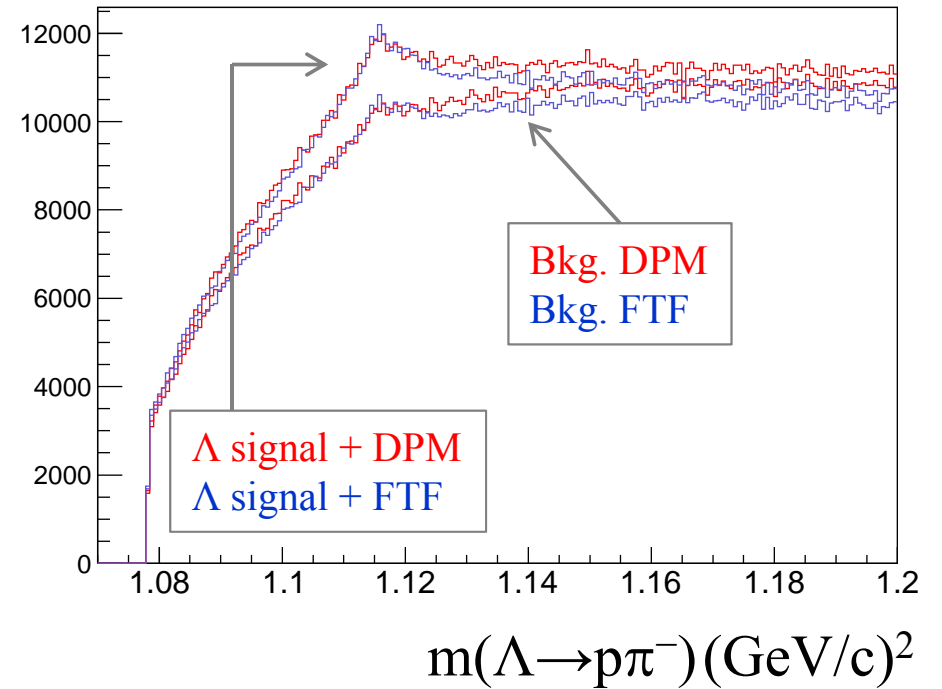
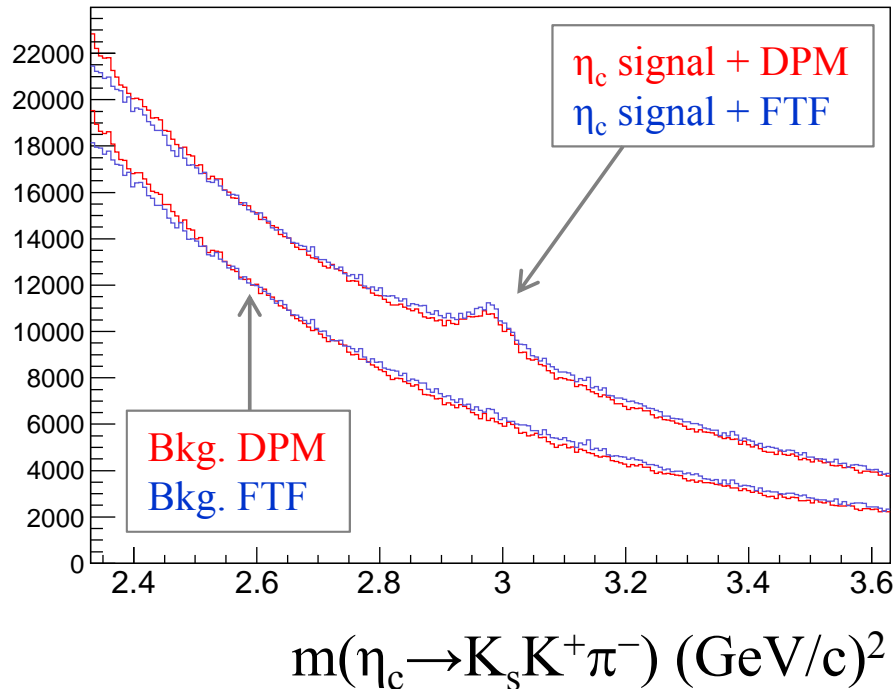
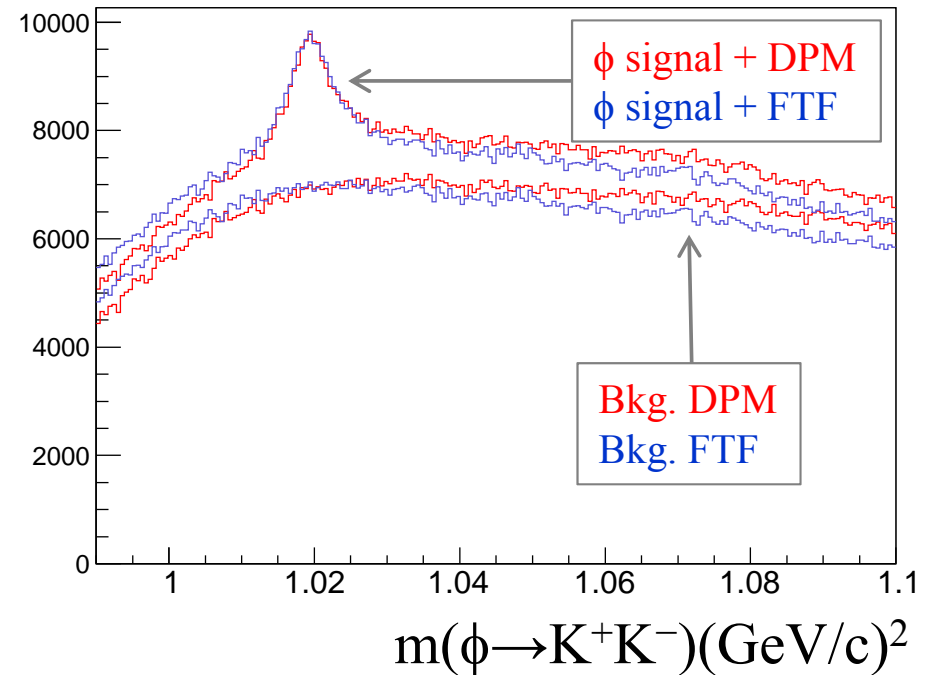
- Fixed event ratio with signal $\sigma = 10$ mb and background $\sigma = 50$ mb
- Data set with no PID and using track combination





Other physics channel @ $\sqrt{s} = 5.5 \text{ (GeV/c)}^2$

- no significant difference between DPM and FTF
- small variation ($\sim 1\text{-}2\%$) in mass range and each physics channel





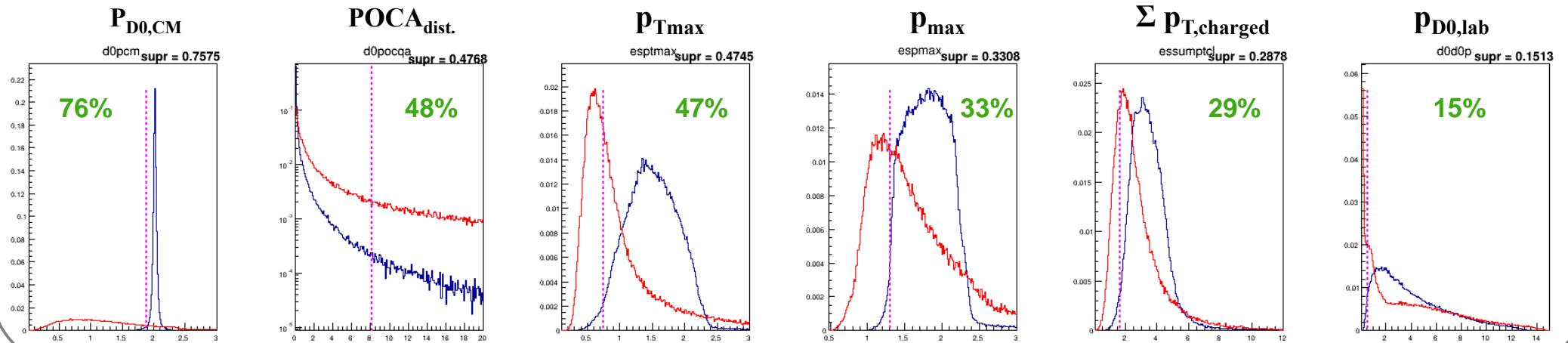
- Test of ranking procedure and optimization to find the best kinematic variable, which is an important process used in online software trigger
- If FTF and DPM background data based approach
 - show similar kinematic distribution, best variable should be same (small systematic uncertainty)
 - has some difference, best ranked variable should be different (large systematic uncertainty)



- Ranking procedure of $\bar{p}p \rightarrow D^0 \bar{D}^0 \rightarrow K^- \pi^+ + \text{Any}$ @ online software trigger
 $\sqrt{s} = 5.5 \text{ (GeV/c)}^2$

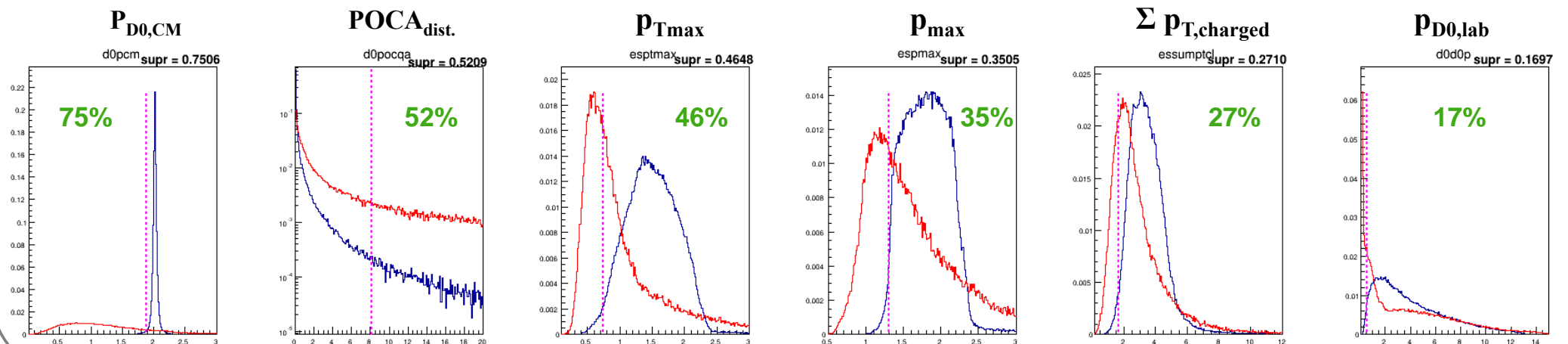
DPM based

Bkg. DPM ; Signal $D^0 \rightarrow K^- \pi^+$



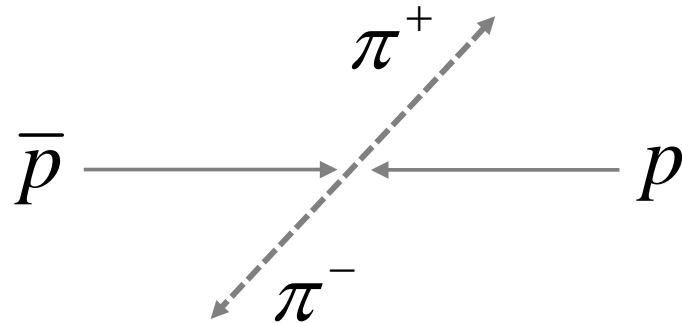
FTF based

Bkg. FTF ; Signal $D^0 \rightarrow K^- \pi^+$



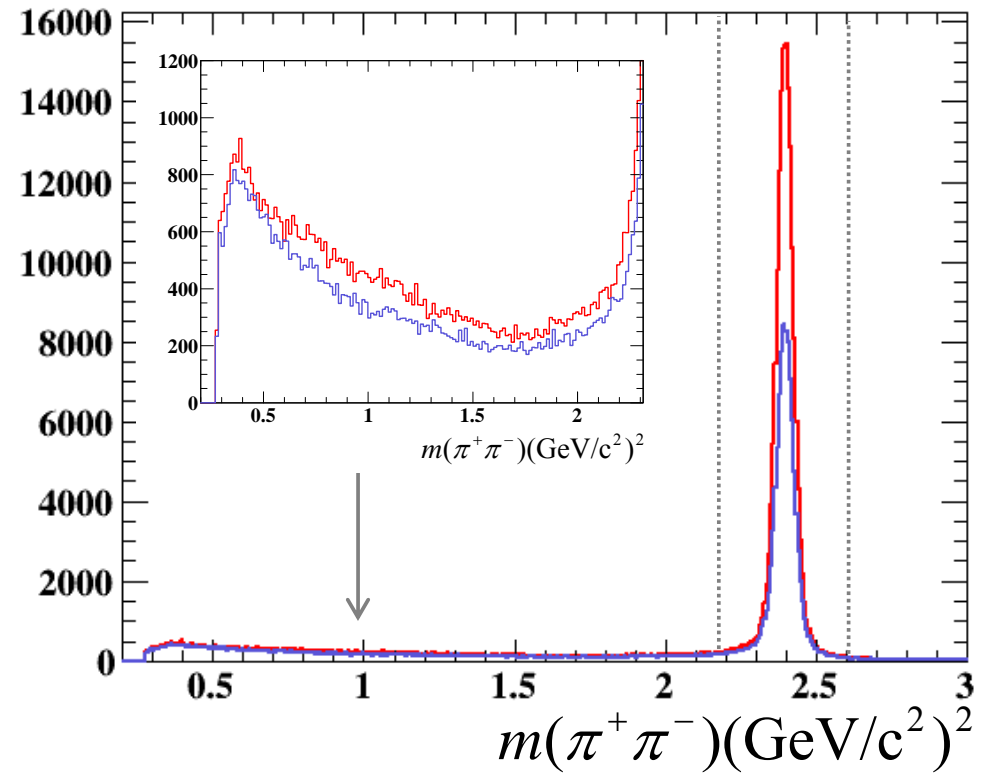
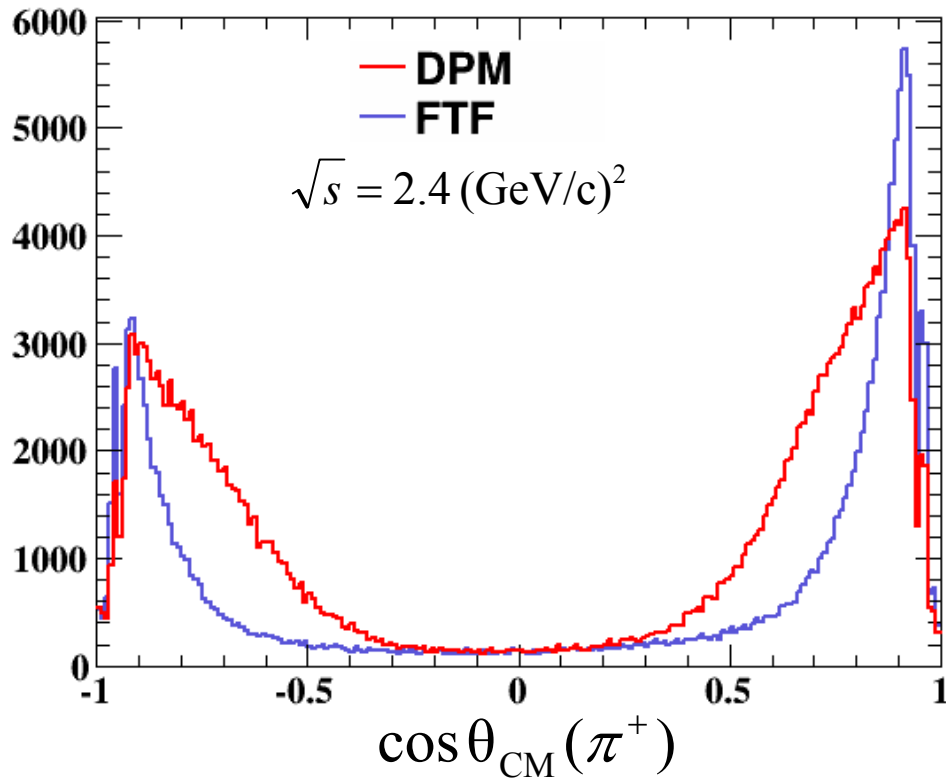


- DPM and FTF event filtered $\bar{p}p \rightarrow \pi^+ \pi^-$



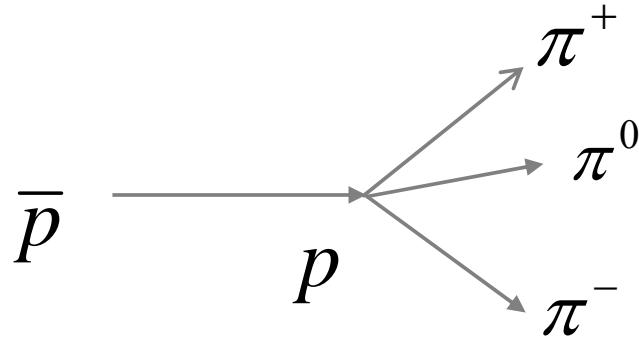
- 0.1M events for each generator
- Data set with no PID

$$\text{eff}_{\text{DPM}} > \text{eff}_{\text{FTF}}$$



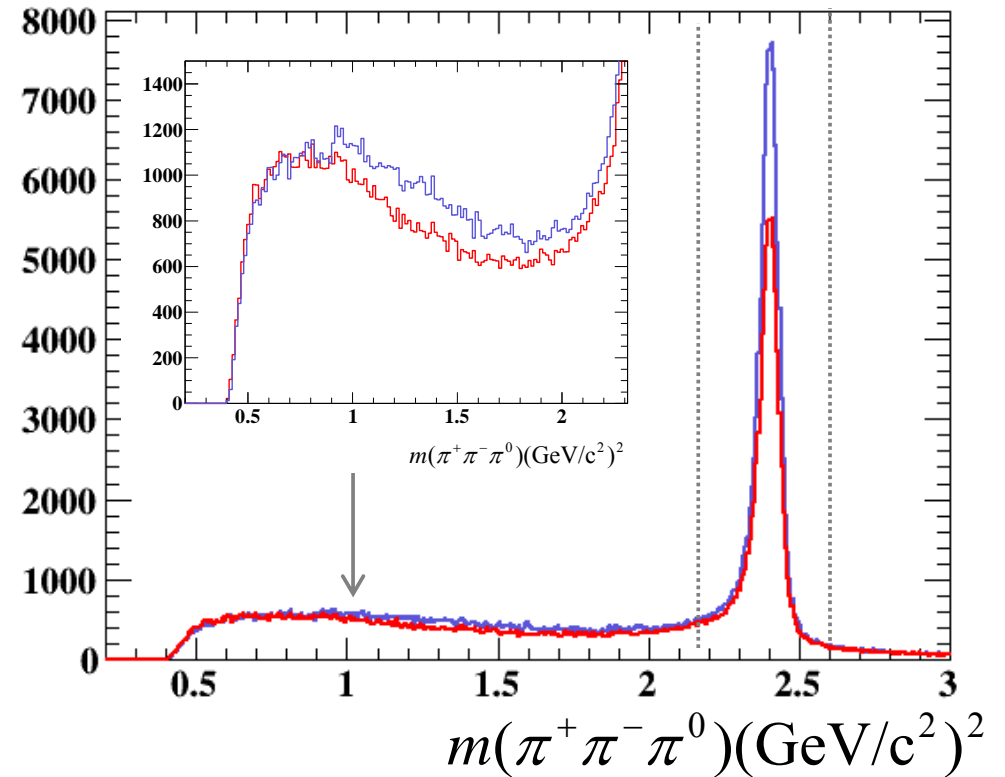
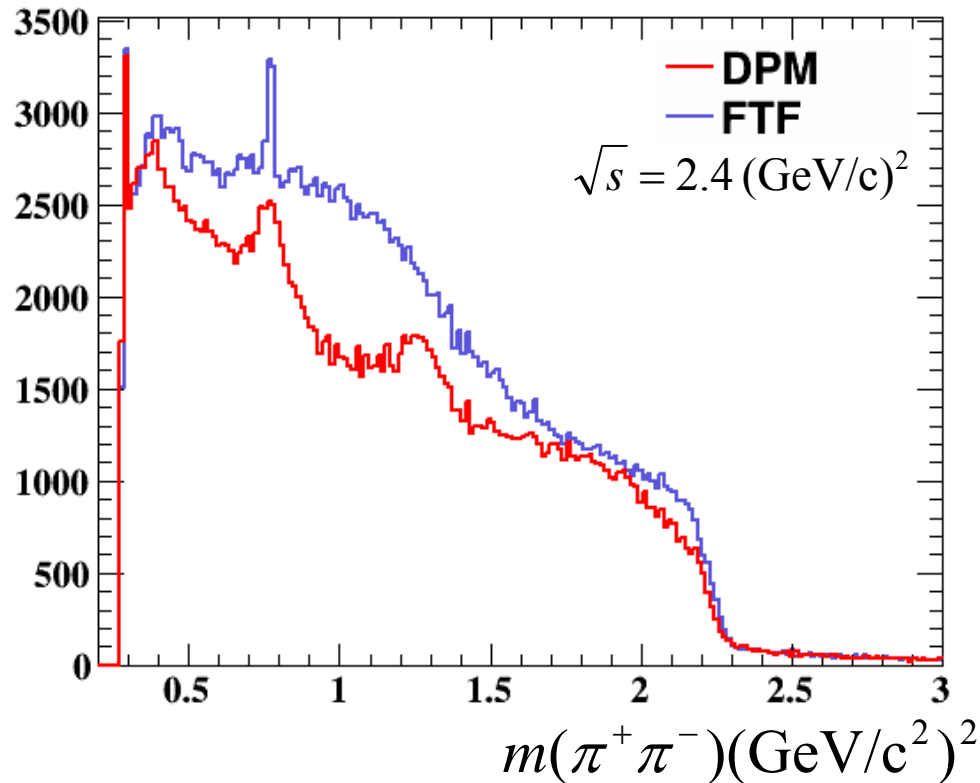


- DPM and FTF event filtered $\bar{p}p \rightarrow \pi^+ \pi^- \pi^0$



- 0.1M events for each generator
- Data set with no PID

$$\text{eff}_{\text{DPM}} < \text{eff}_{\text{FTF}}$$

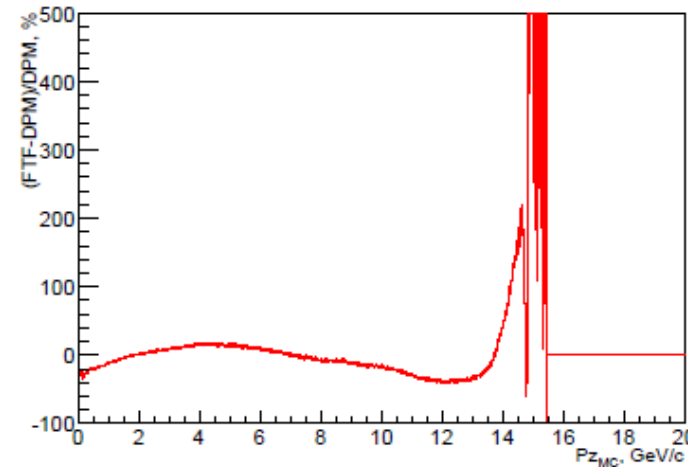
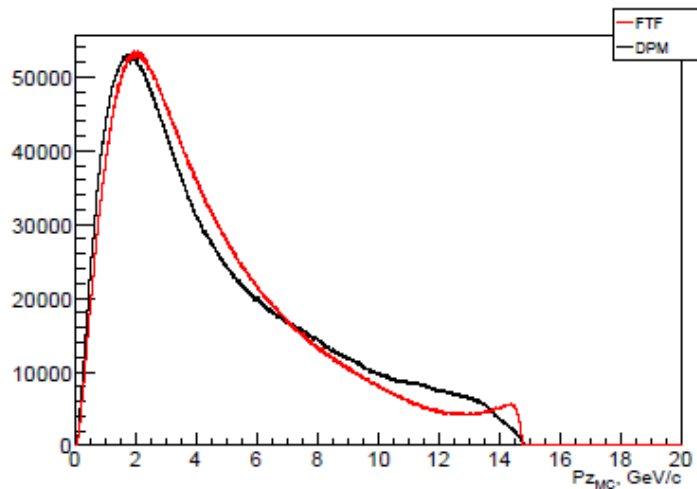
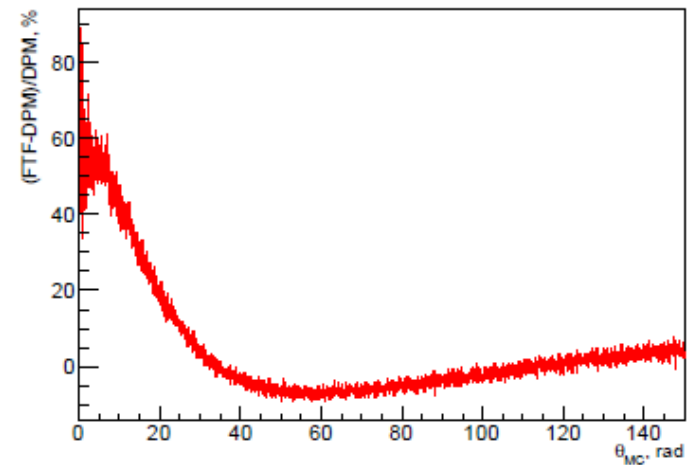
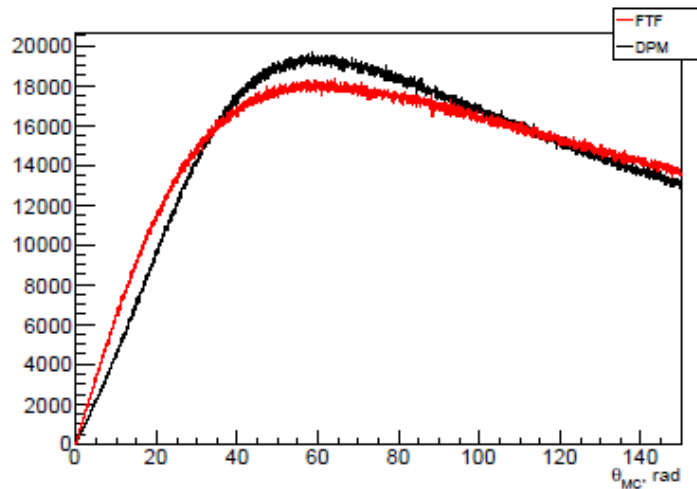




θ and P_z in region $\theta < 150$ mrad

Our background studies show that LMD background particles have $P_z \sim P_{beam}$ and $\theta < 150$ mrad

$$\sqrt{s} = 5.5 \text{ (GeV/c)}^2$$





0.1 M inelastic events

$$\sqrt{s} = 5.5 \text{ (GeV/c)}^2$$

After ...	DPM	FTF	(FTF-DPM)/DPM, %
Hit rec	10335	12276	18.8
Trk search	1017	1651	62.3
X&Y cut	39	228	485
M cut	37	224	505

- cellular automata has been used for track search
- M cut is a momentum cut @ high energy mode

- For LMD study FTF predicts 5 times more background
- $(B/S)_{DPM} \sim 0.2\% \rightarrow (B/S)_{FTF}$ increase to $\sim 1\%$



- Compared FTF with DPM in the MC truth and reconstruction level
- Need to consider two different size of systematic uncertainty for MC background description
 - no significant difference at global analysis (e.g. online software trigger)
 - show some difference in the analysis of sub-processes
- Development of user Interface for FTF as like PndDpmDirect
- Not only $\bar{p}p$ reaction, but also $\bar{p}A$ reaction is available with FTF

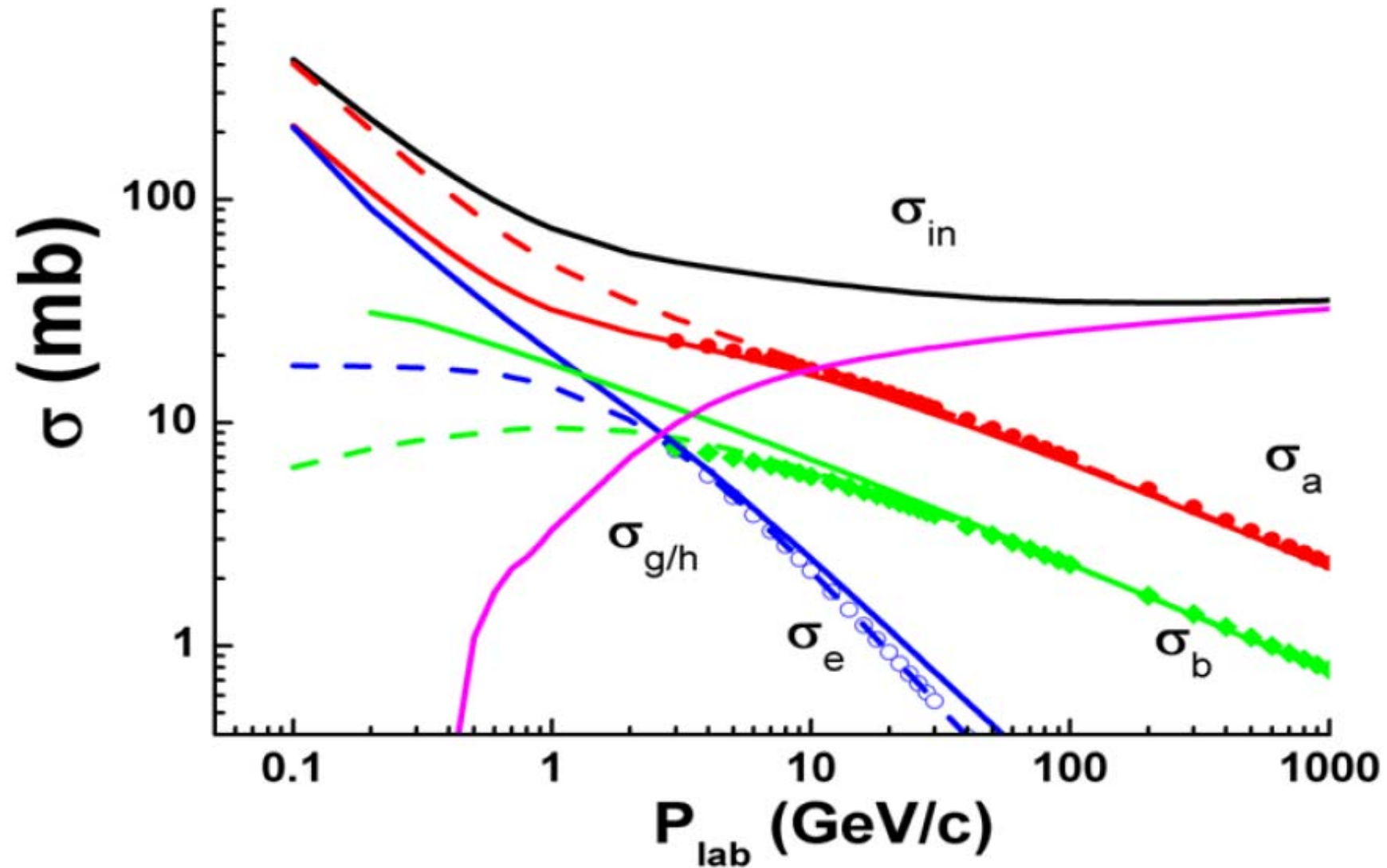


Backup



Contributions of FTF model processes to $\bar{p}p$ inelastic cross sections

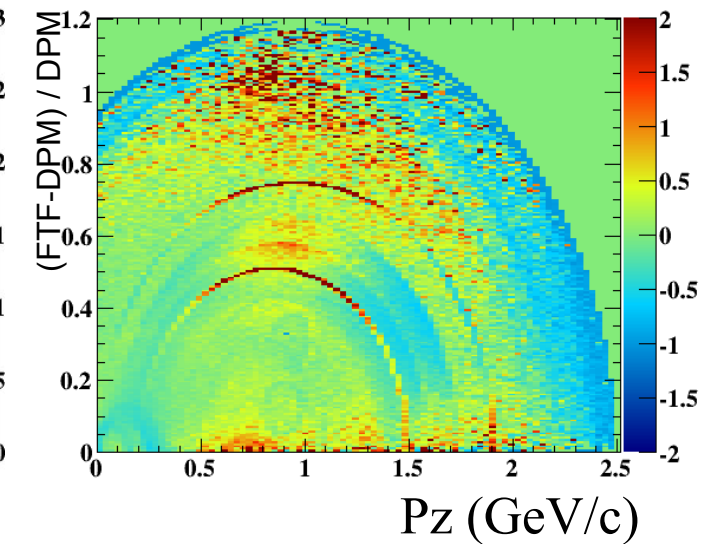
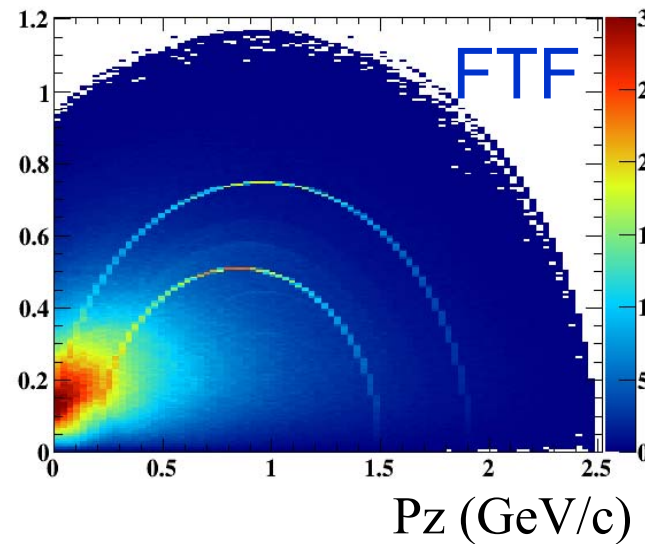
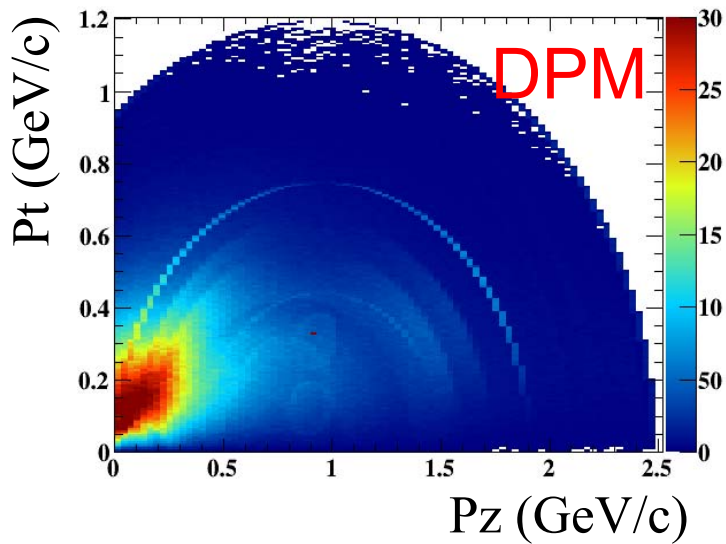
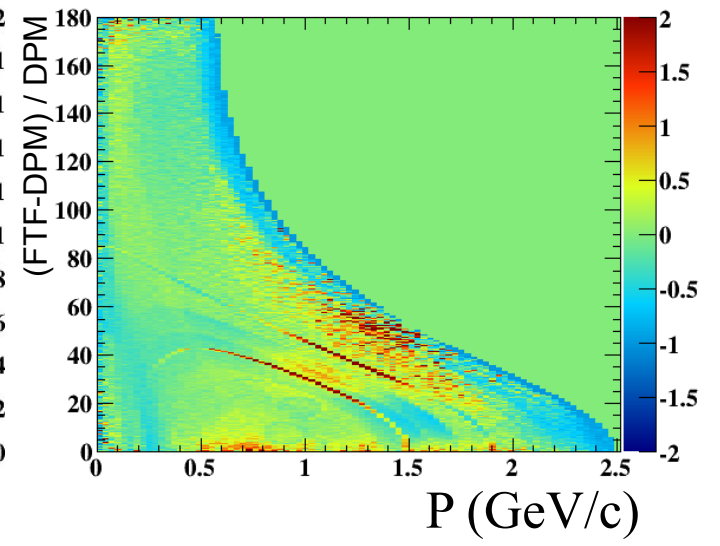
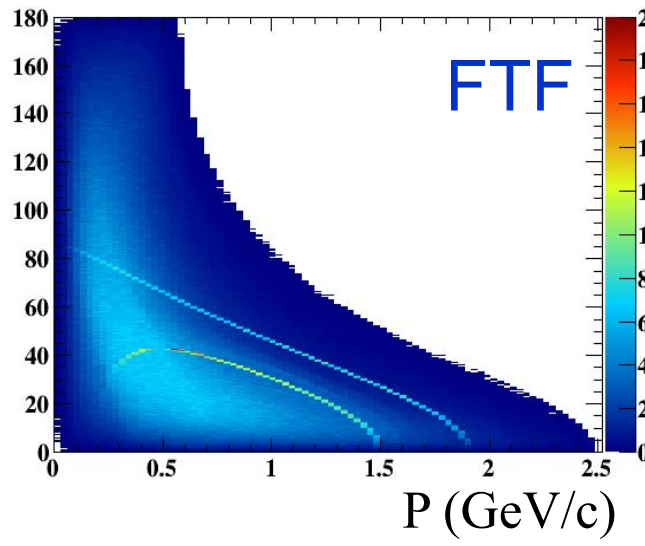
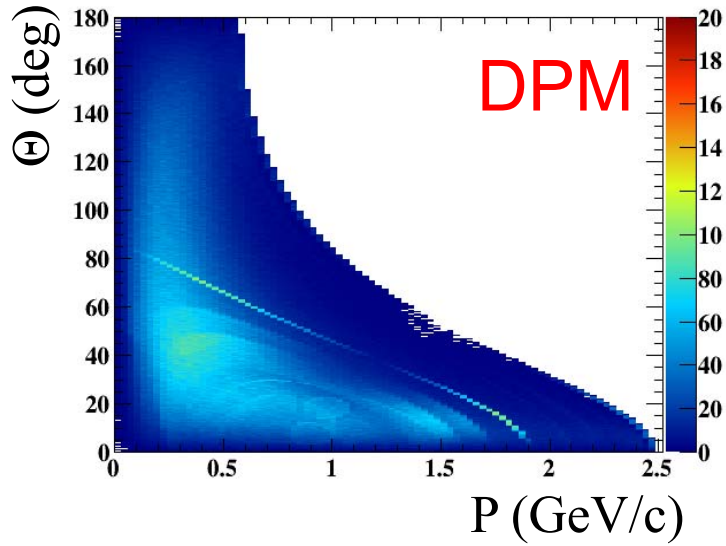
A. Galoyan. Physics of antiproton-proton and antiproton-nucleus annihilation processes implemented in Geant4, *PANDA Collaboration Meeting*, Sep. 2013





All primary particles

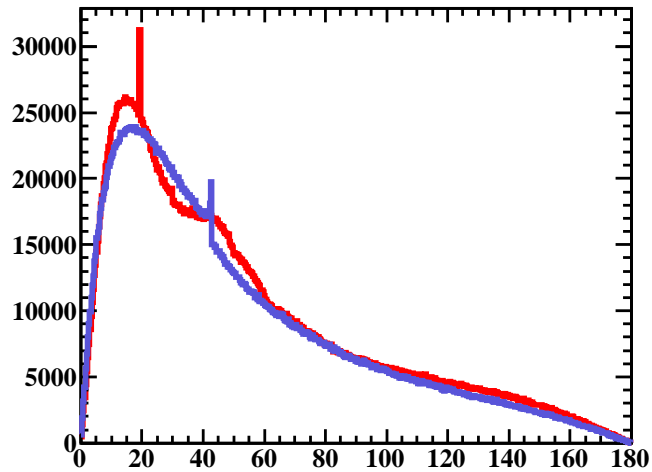
$$\sqrt{s} = 2.4 (\text{GeV}/c)^2$$



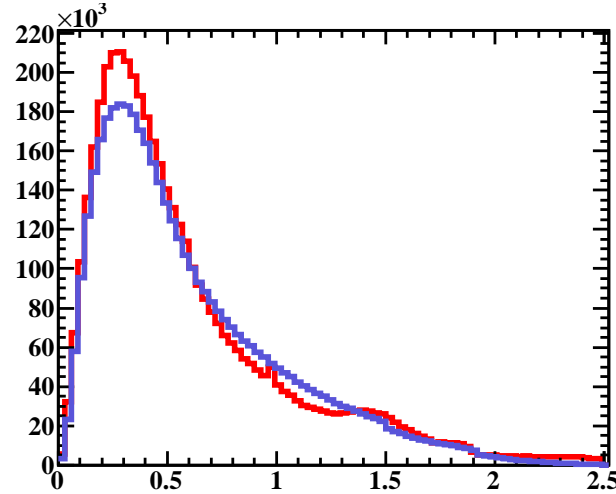


All primary particles

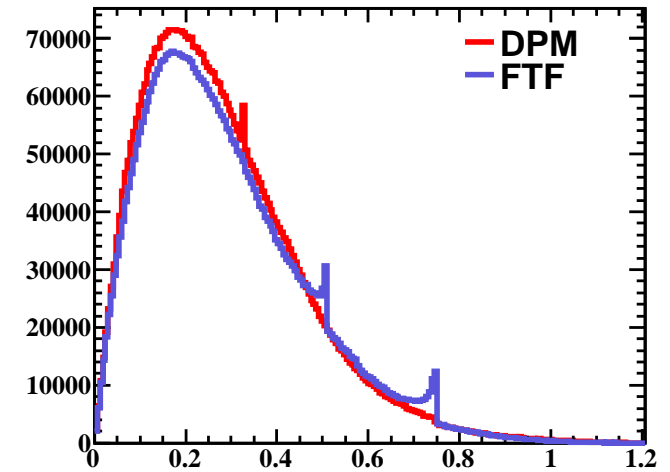
$$\sqrt{s} = 2.4 \text{ (GeV/c)}^2$$



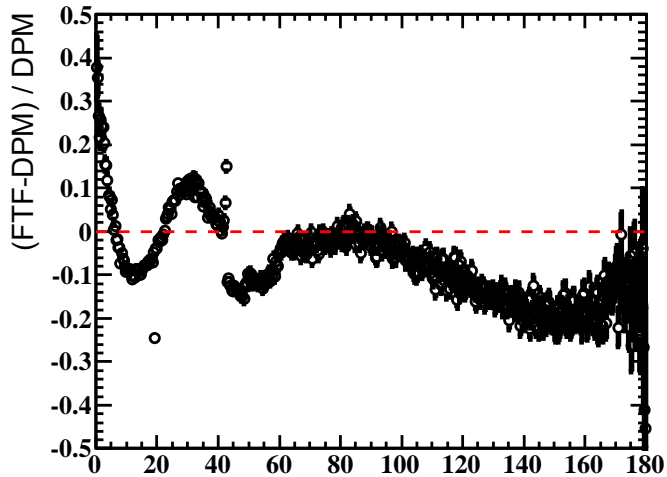
Θ (deg)



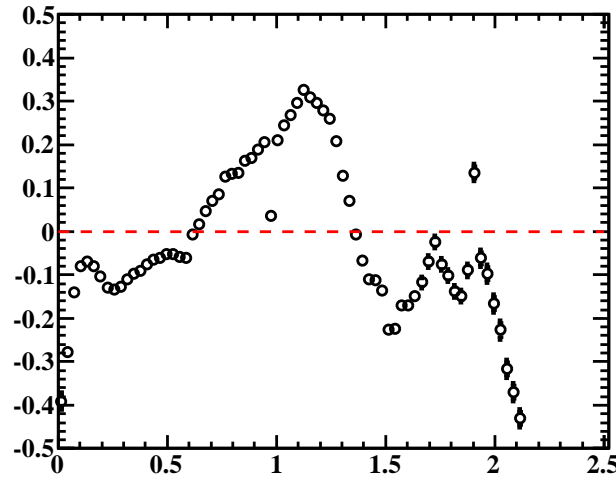
P (GeV/c)



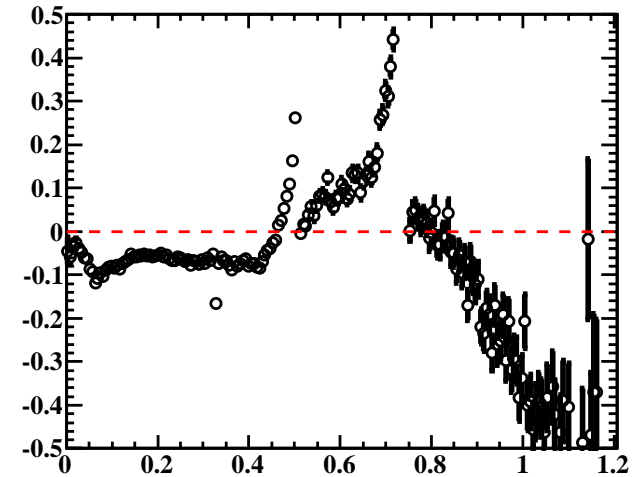
P_t (GeV/c)



Θ (deg)



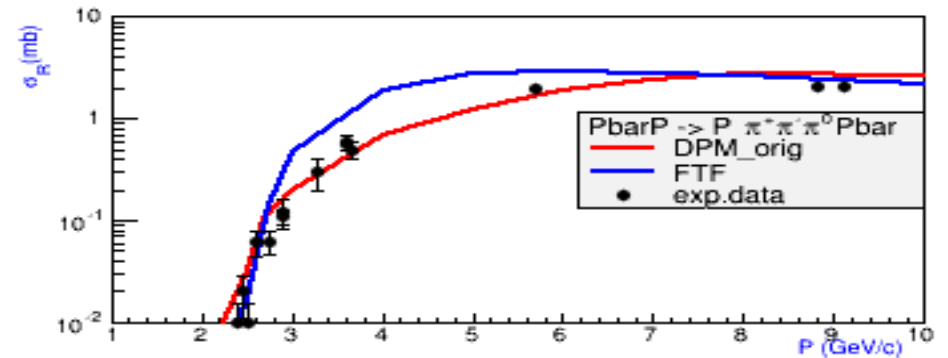
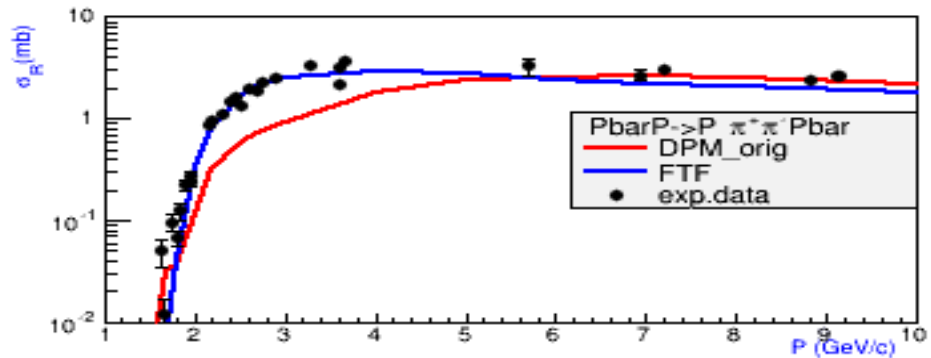
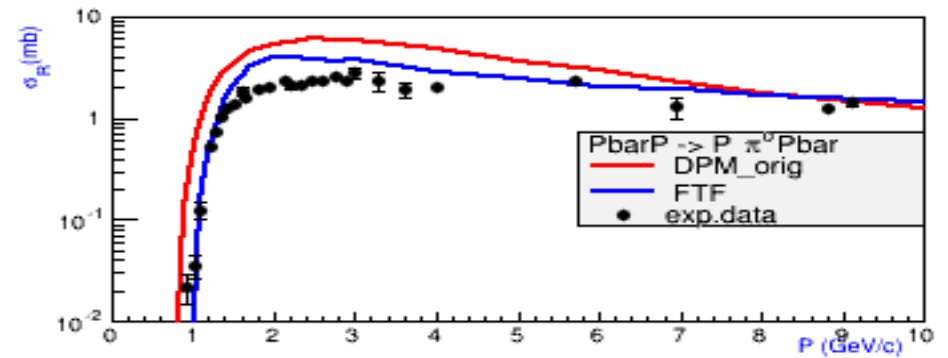
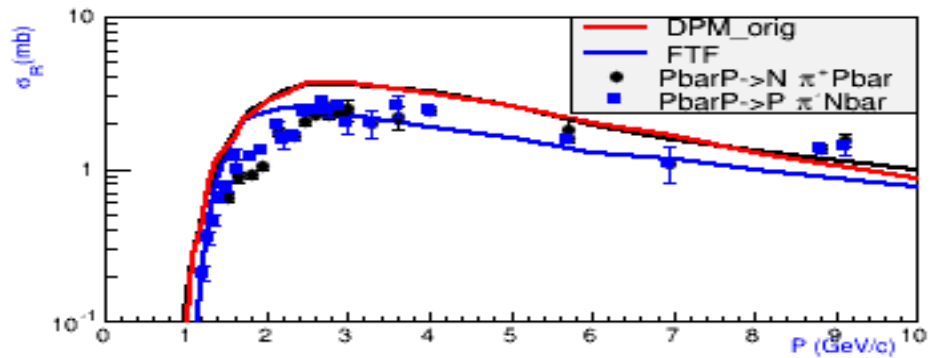
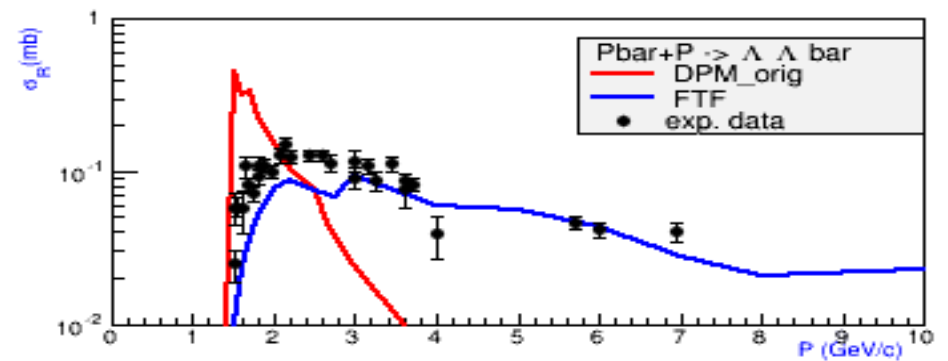
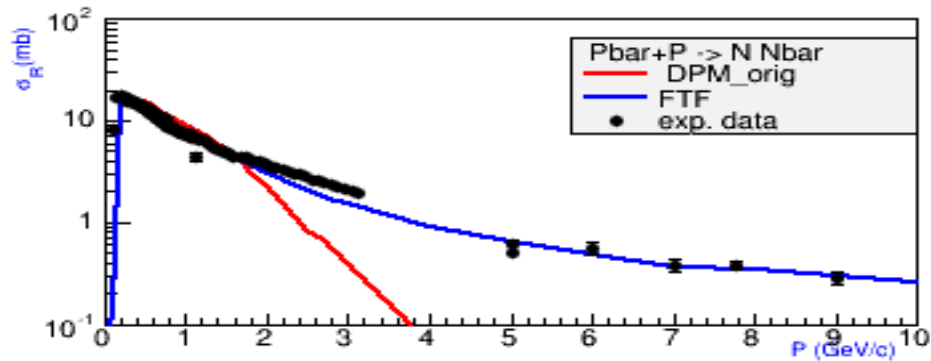
P (GeV/c)



P_t (GeV/c)

Pbar-P channel cross sections with baryons in final states

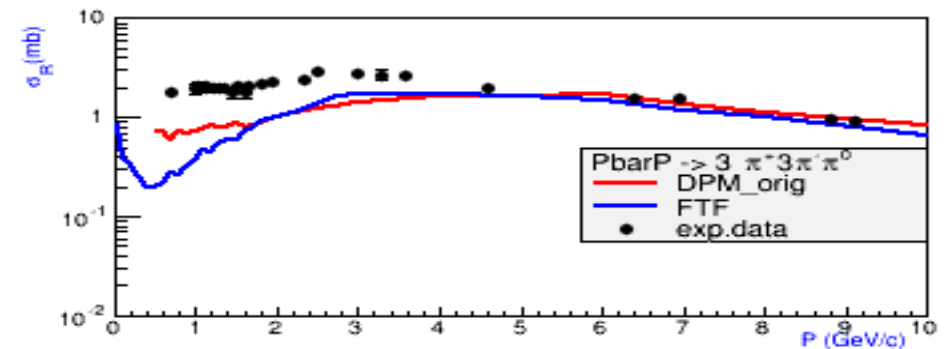
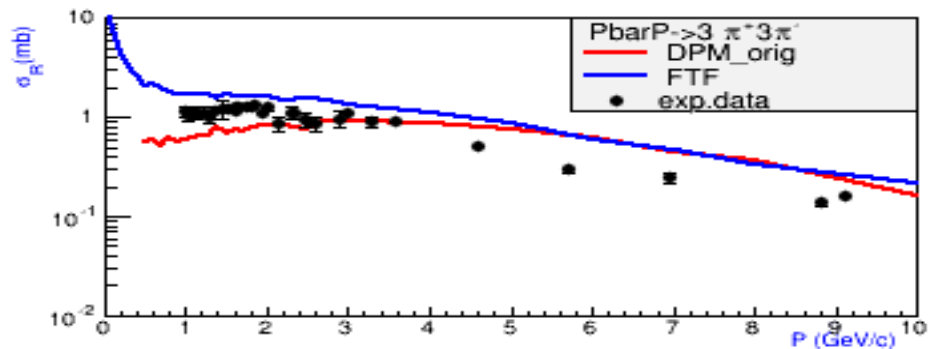
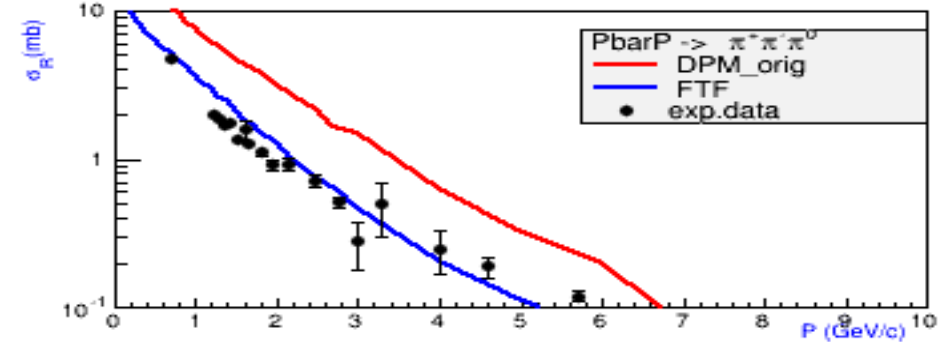
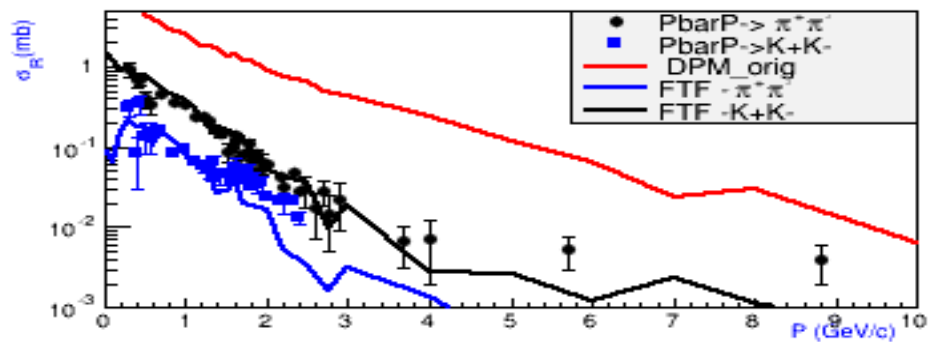
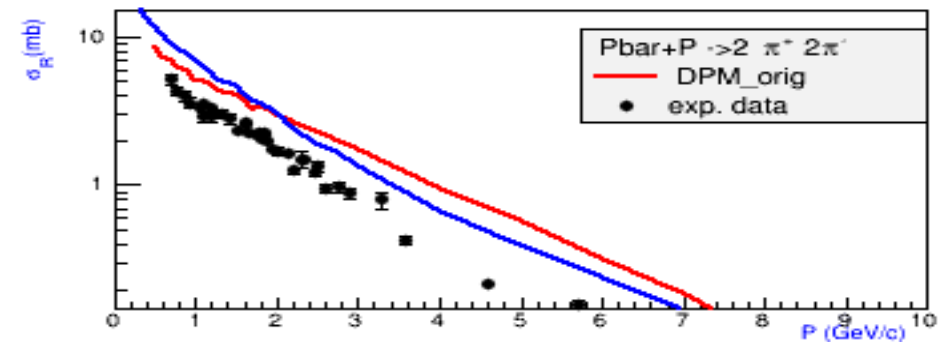
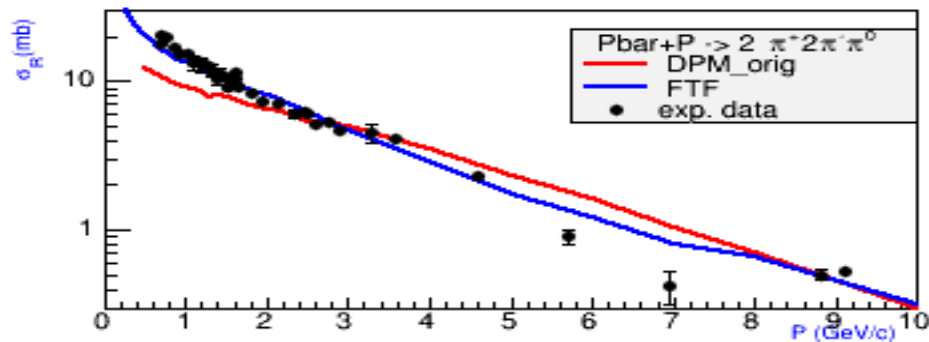
<http://g4validation.fnal.gov:8080/G4ValidationWebApp/G4ValHAD.jsp>



Exp. Data: E.Bracci et al., CERN/HERA 73-1(1973)

Pbar-P annihilation channel cross sections

<http://g4validation.fnal.gov:8080/G4ValidationWebApp/G4ValHAD.jsp>

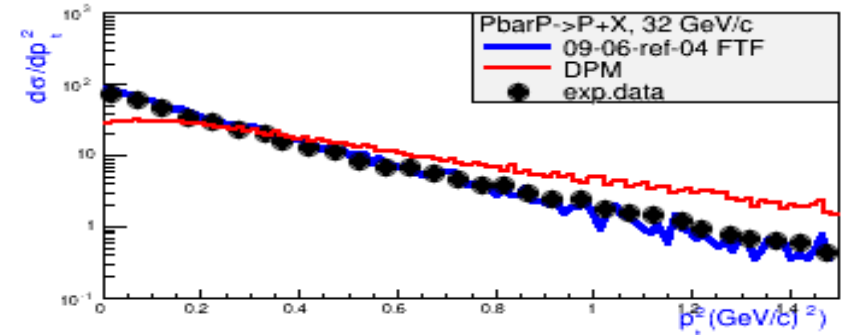
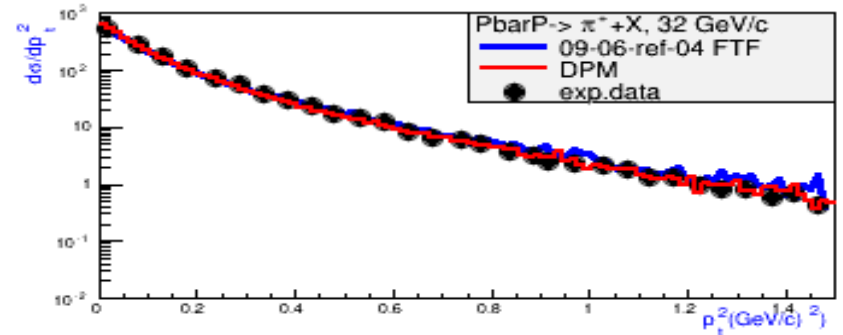
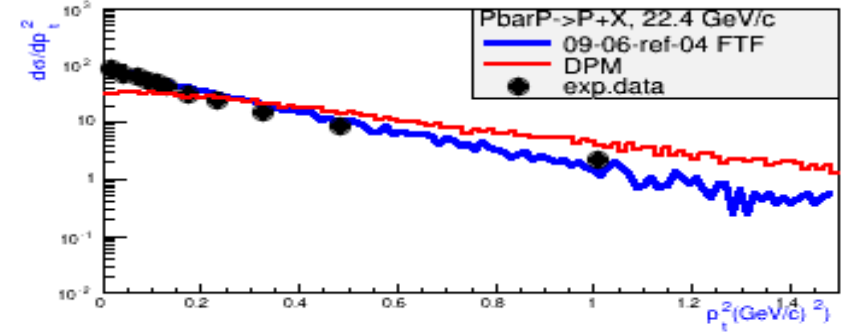
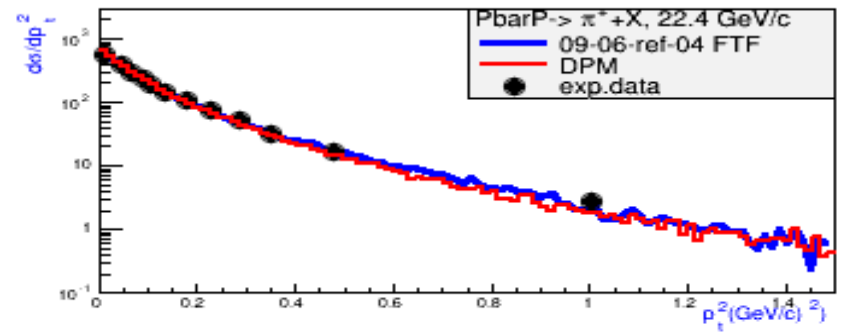
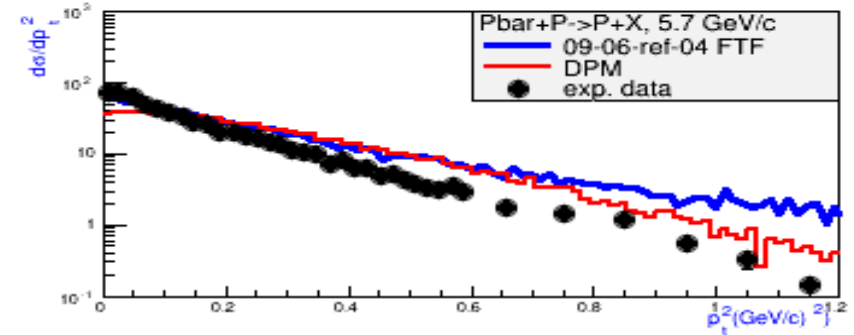
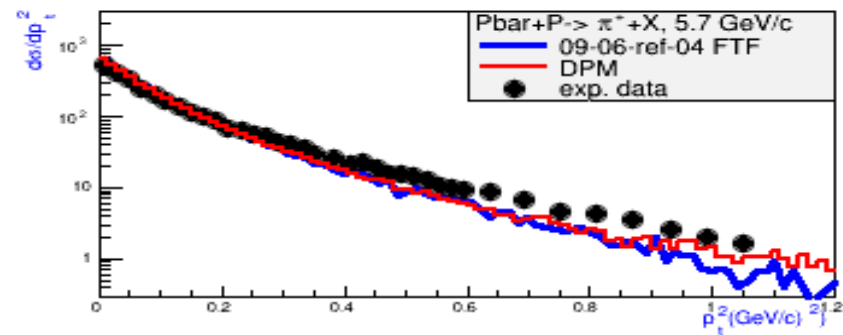


Exp. Data: E.Bracci et al., CERN/HERA 73-1(1973)

Results for inclusive cross sections of Antiproton-Proton reactions

P_T^2 of π^+ mesons

P_T^2 of Protons



Exp. Data: J. Chyla, Czech. J. Phys. B 30 1980

E .G. Boos et al., Nucl. Phys. B174 45, 1980

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