



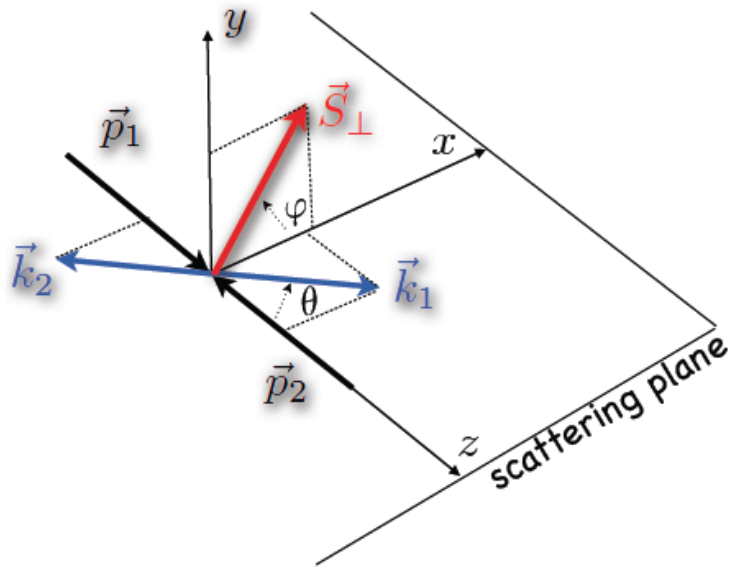
## Status report

First measurements for a  
superconducting shield for the  
PANDA  
Transverse Polarized Target

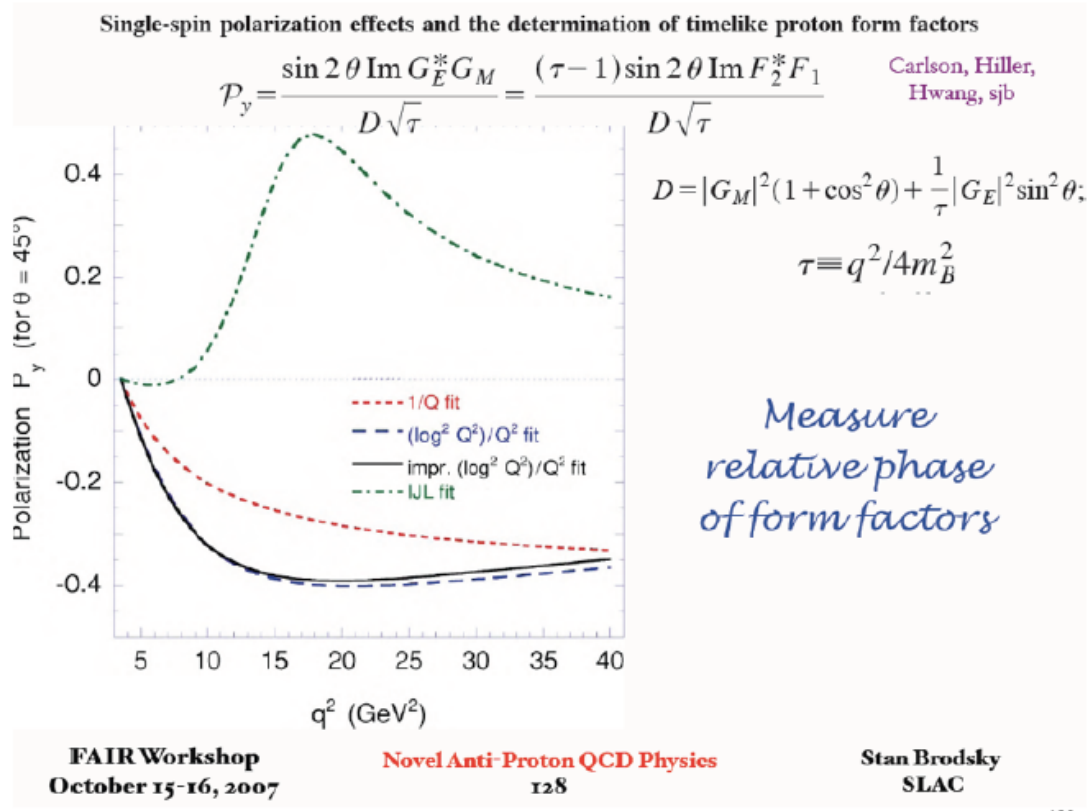
# Content

- Motivation
- Choice of High temperature superconducting (HTS) shield: YBCO, BSCCO
- Simulation of shielding of BSCCO tube with “Inductivity Model” (Mathematica)
- Simulation of shielding of BSCCO tube with CST (finite element method electromagnetic simulation software)
- New measurement I. with BSCCO tube **without bores**  
May 2014, Mainz (4.2 K)
- Future measurement II. with BSCCO tube  
update of I. Feb./Mar. 2015, Mainz (4.2 K)
- Conclusion and summary

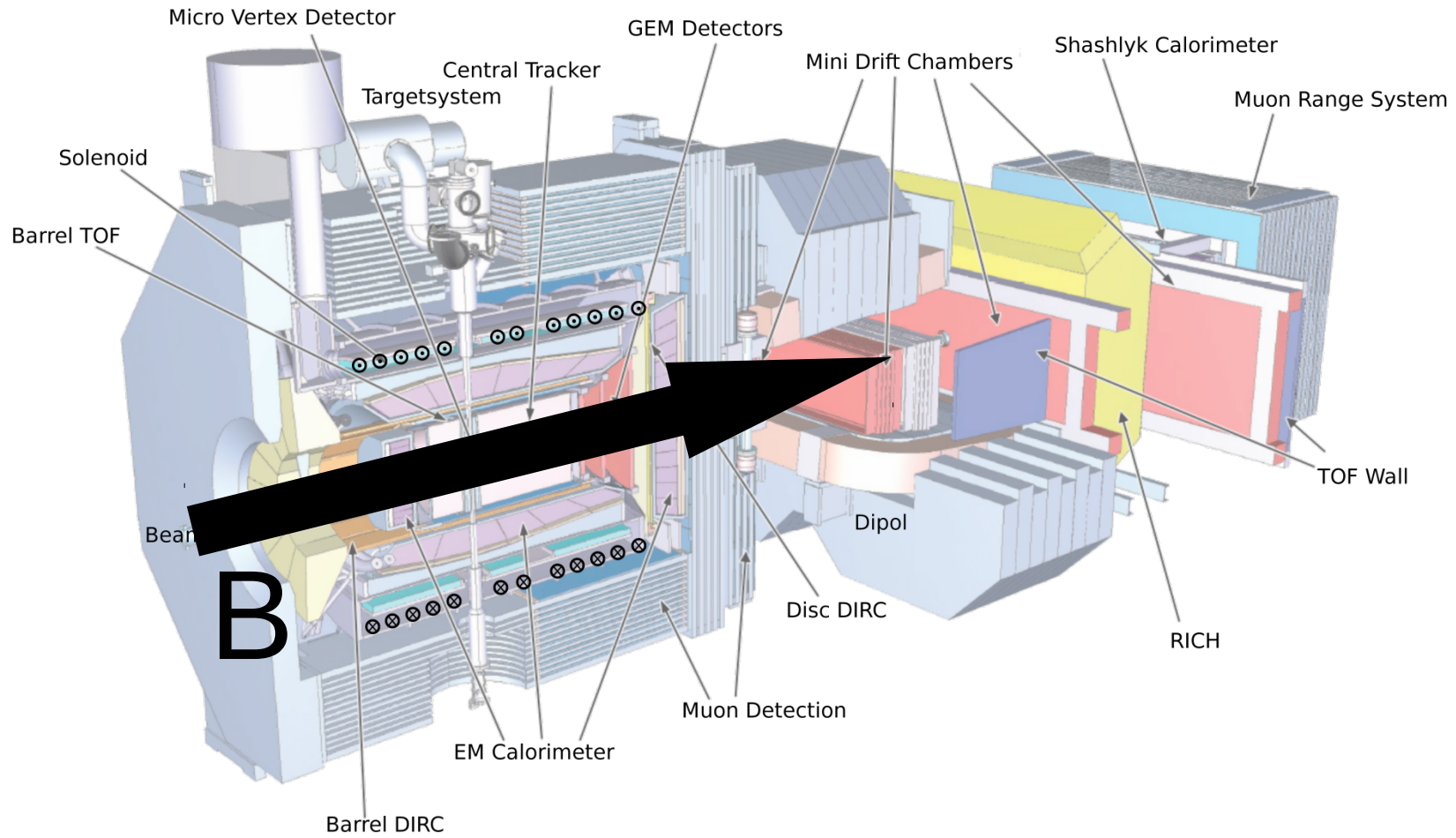
# Imaginary Part of Time Like FF single spin target asymmetry



transversely polarised  
Target in PANDA

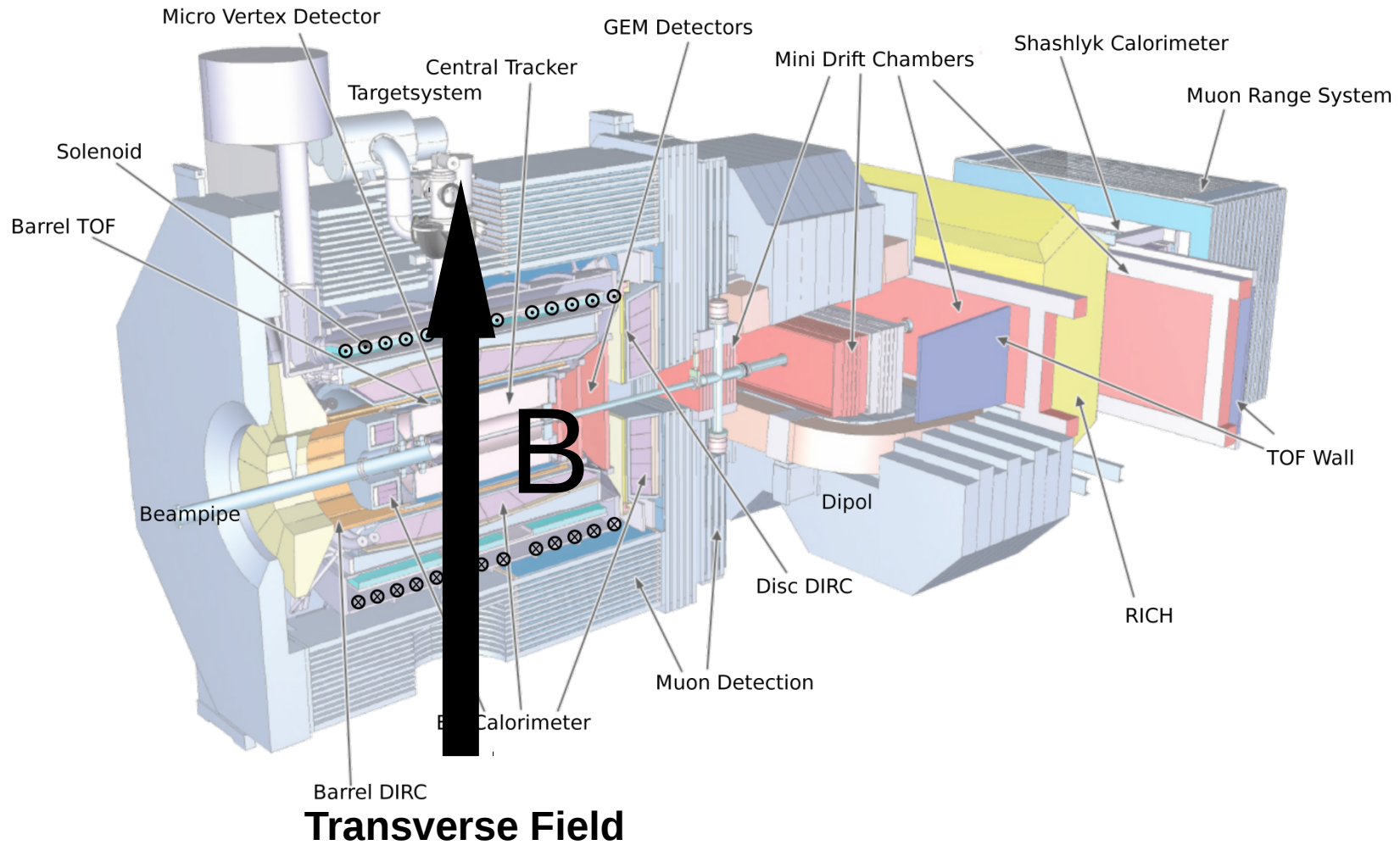


# PANDA solenoid compensation

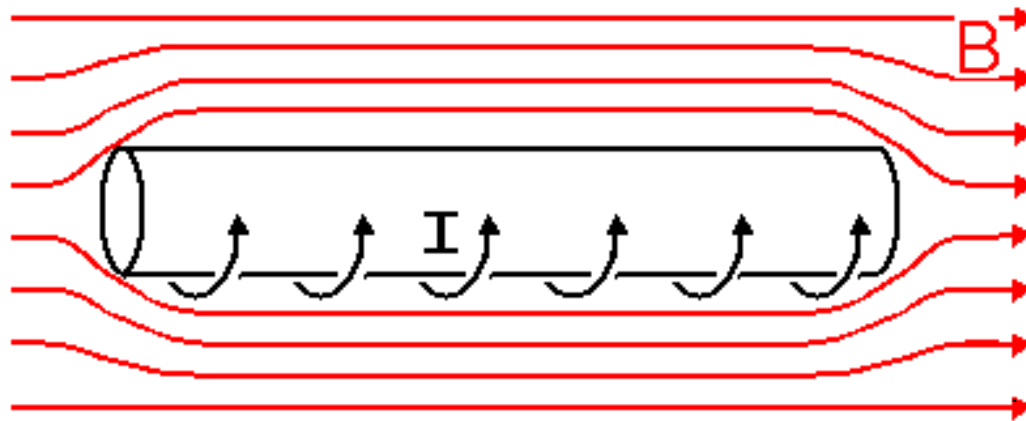




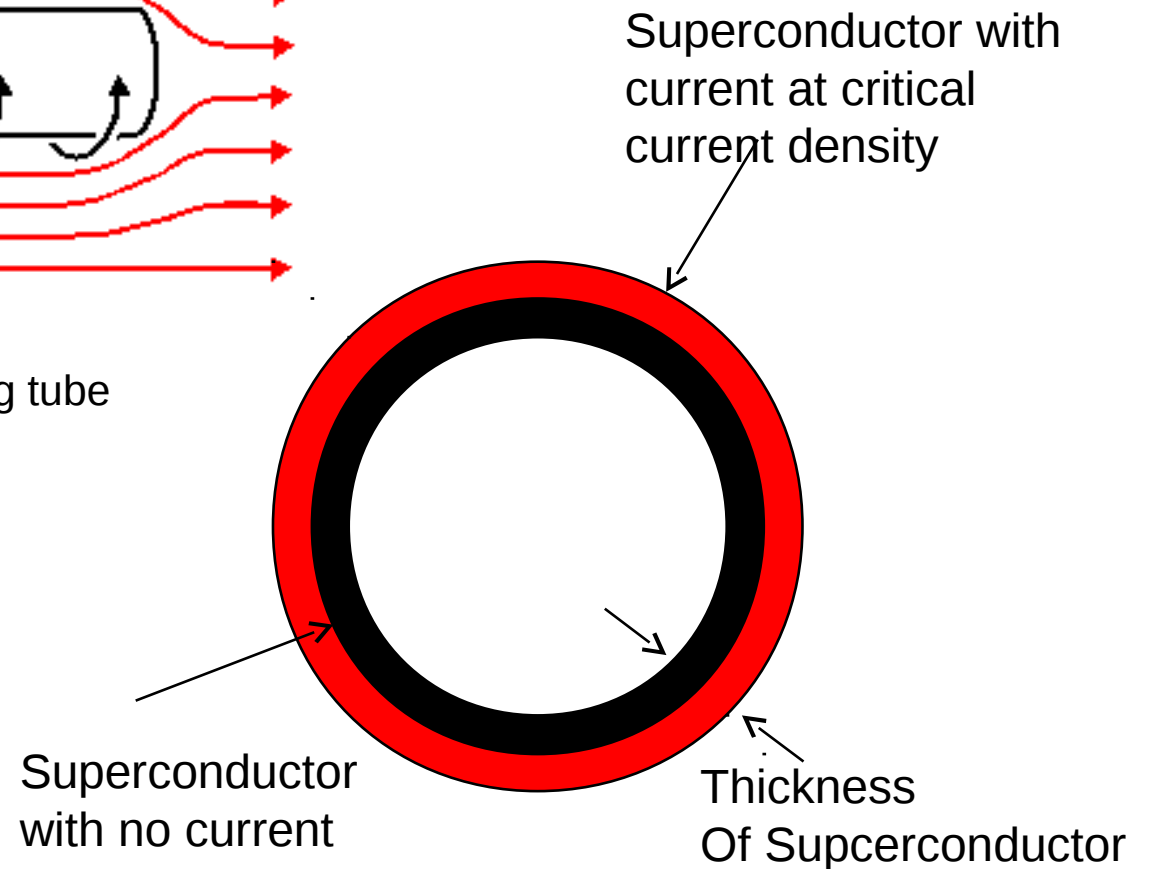
# PANDA solenoid compensation



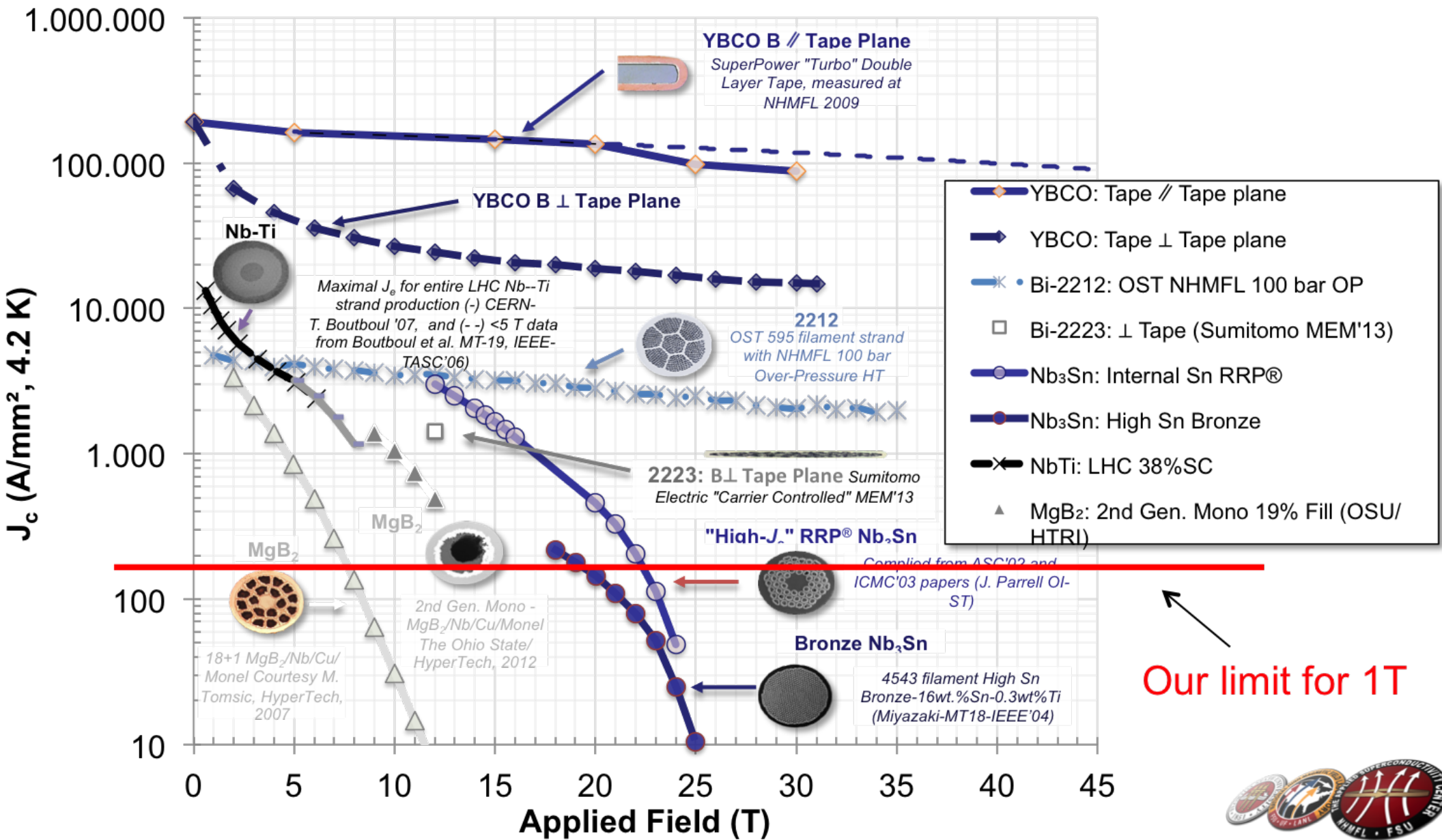
# Principle: Superconducting Shield (passive)



- Induced current in superconducting tube
- Surface current
- Expulsion of magnetic flux

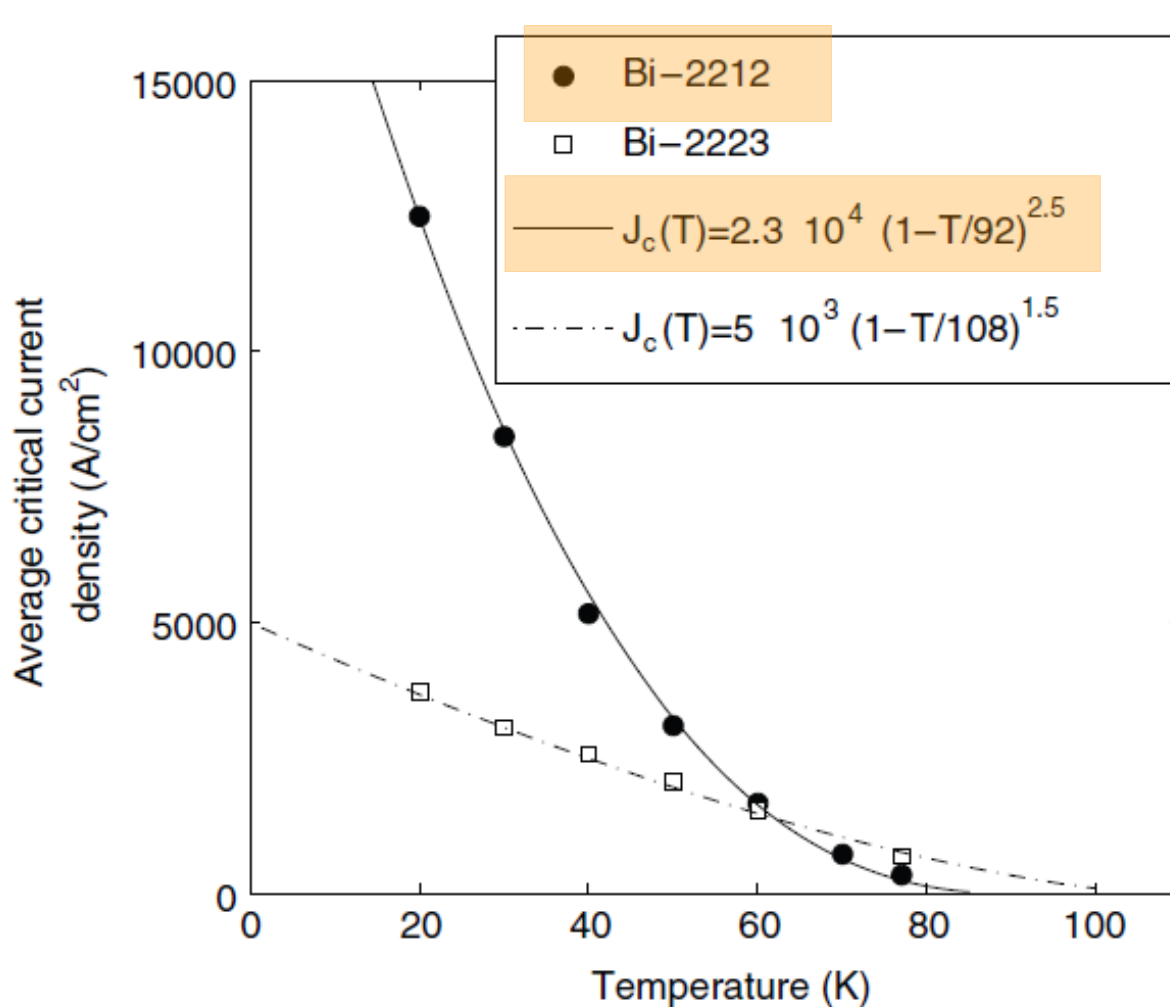


# Material choice



# Choice of high temperature superconductor BSCCO-2212

- First measurement in Bonn (1.4 K) YBCO **without bores** (Jan. 2013): shielding of 4 T (residual field of 0.4%)
- Second measurement in Bonn (1.4 K) YBCO **with bores** (Nov. 2013): no shielding (collapse of shield at 15 Gauß)

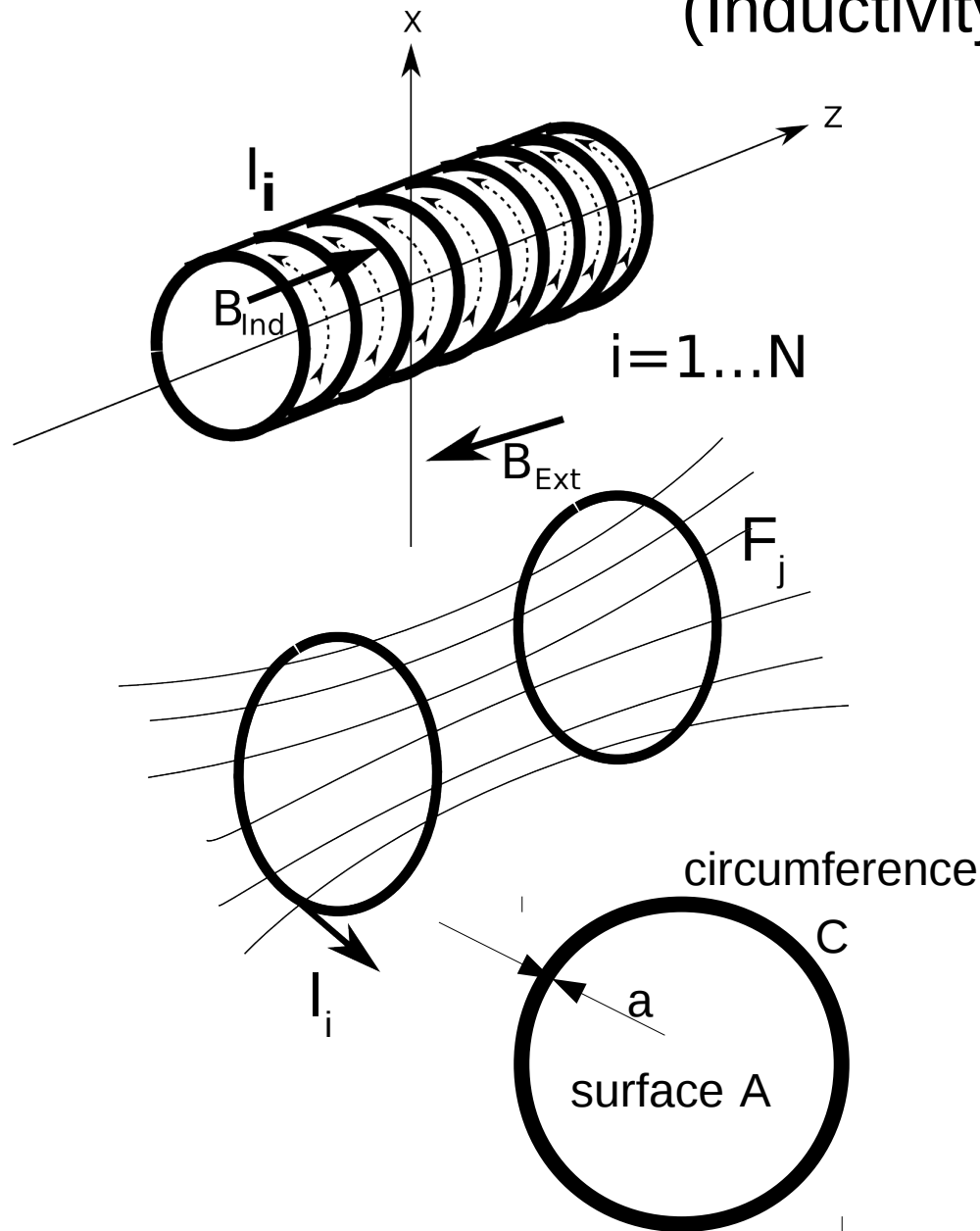


Critical temp.	92 K
Current density 10 K	16 000 A/cm <sup>2</sup> (shielding 1 T)
Expectation at 4.2 K	>1T

FAGNARD,  
Shielding 1 T  
with BSCCO-2212

*Supercond. Sci. Technol.* 23  
(2010) 095012 (8pp)

# Simulation of shielding of BSCCO tube with external 1 T (Inductivity-Model)



- 1) Assume ideal conductor  $R=0$   
→ Flux conservation
- 2) Calculate current density  $I_i$  by discretising of tube in  $N$  subtubes and solving the equation system  $M_{ij} I_i = F_j$
- 3) Calculate residual field  
 $B_{res} = B_{Z}^{EXT} + B_{Z}^{IND}$  via Biot-Savart

Mutual inductance  $M_{ij}$ :

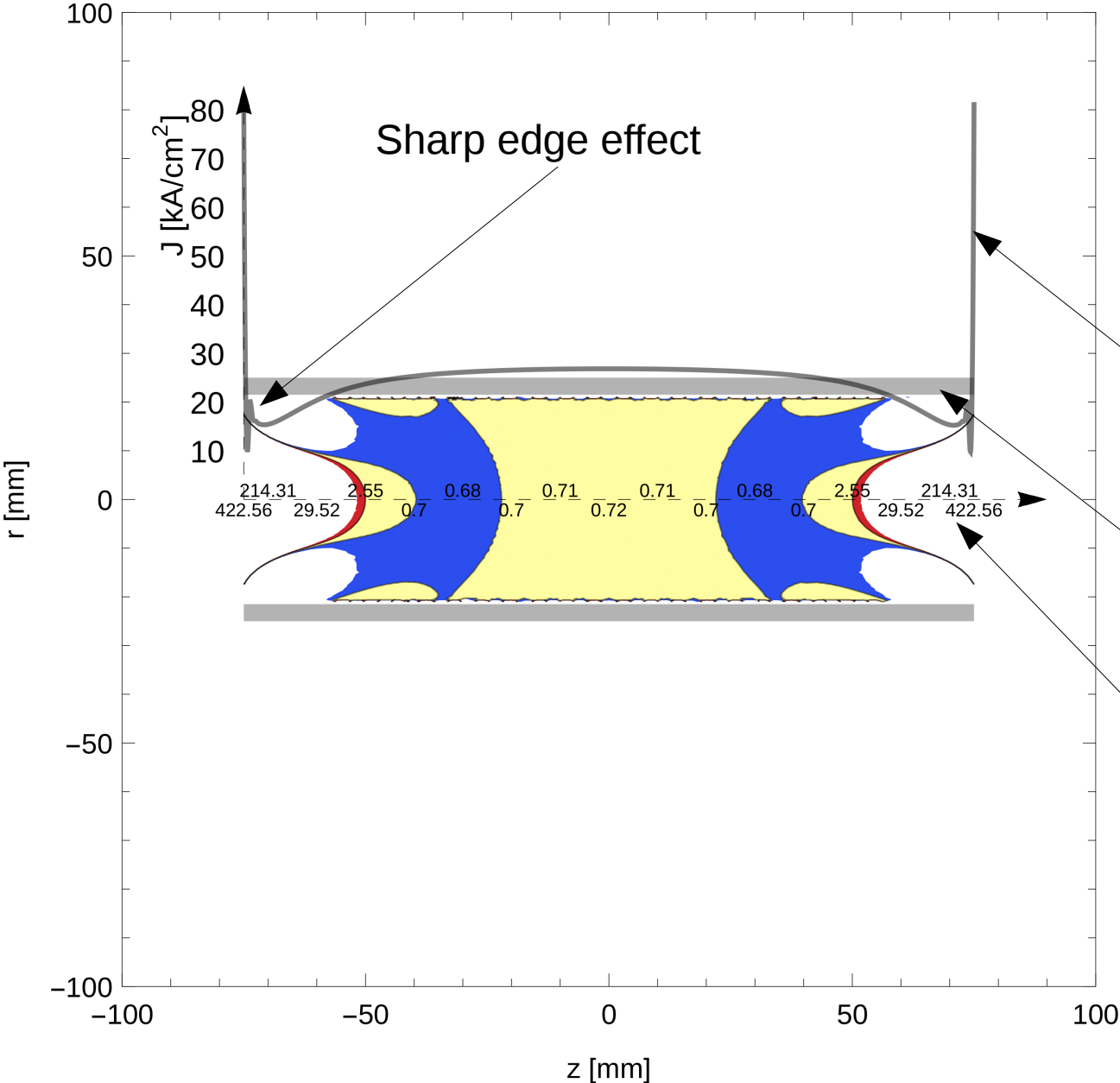
$$M_{ij} = \frac{\mu_0}{4\pi I_i I_j} \int_{C_i} d^3x_i \int_{C_j} d^3x_j \frac{\mathbf{J}(\mathbf{x}_i) \cdot \mathbf{J}(\mathbf{x}_j)}{|\mathbf{x}_i - \mathbf{x}_j|}$$

Self inductance  $M_{ii} = L_i$ :

$$L = \frac{1}{I^2} \int \frac{\mathbf{B} \cdot \mathbf{B}}{\mu} d^3x \quad L \approx \frac{\mu_0}{4\pi} C \left[ \ln\left(\frac{\xi A}{a^2}\right) + \frac{1}{2} \right]$$

$$\xi = 64/\pi e^4 \approx 0.373$$

# Current density and residual magnetic field



Applied 10000 Gauß external field (magnet size as in experiment)

Current density (Interpolated) max. 81073.9 kA/cm<sup>2</sup>

SC-tube

$B_{res}$  [Gauß]  
 $= B_Z^{EXT} + B_Z^{IND}$   
 via Biot-Savart

Measurement I. a)  
External magnet 4.2 K  
no BSCCO tube  
19. May 2014

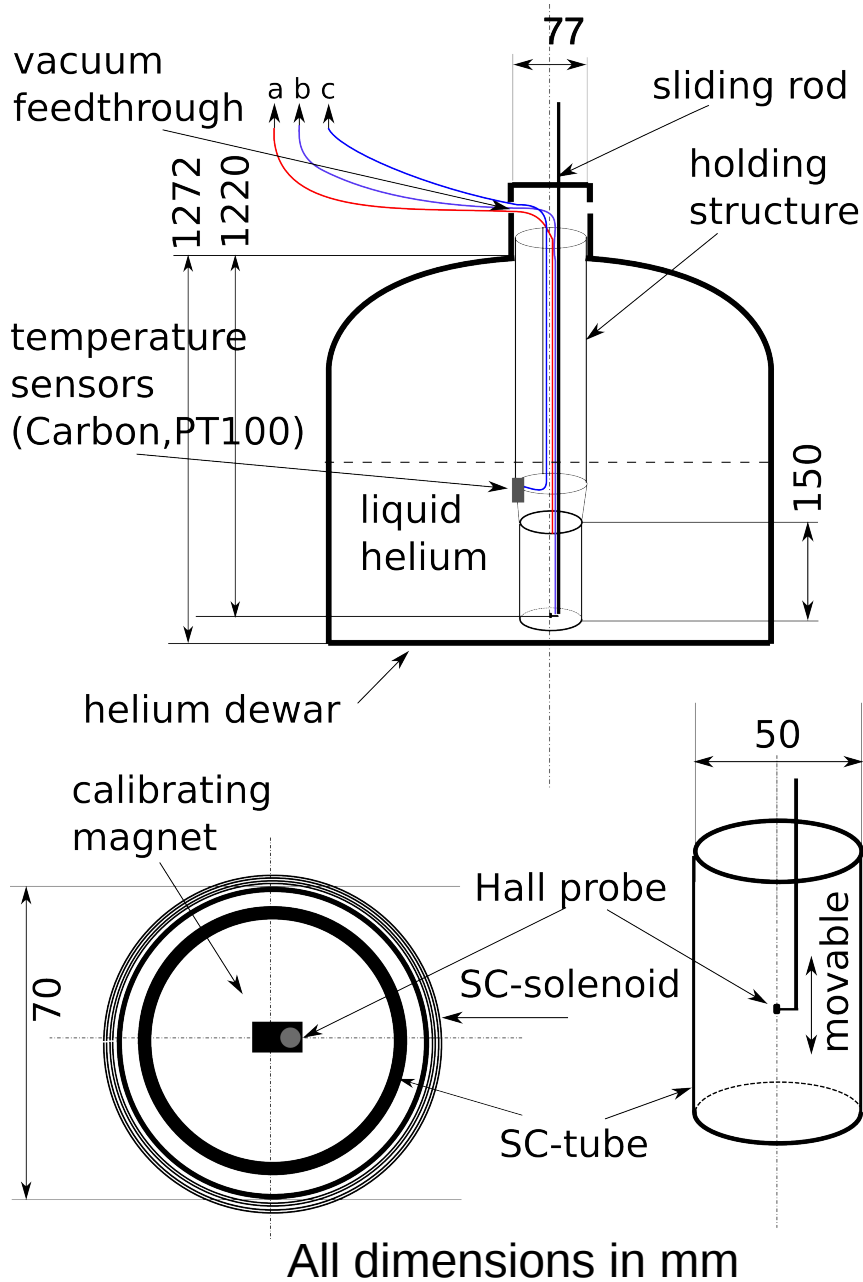


Legend:

- a: External magnet current supply
- b: Hall-probe current/voltage
- c: Temperature sensors

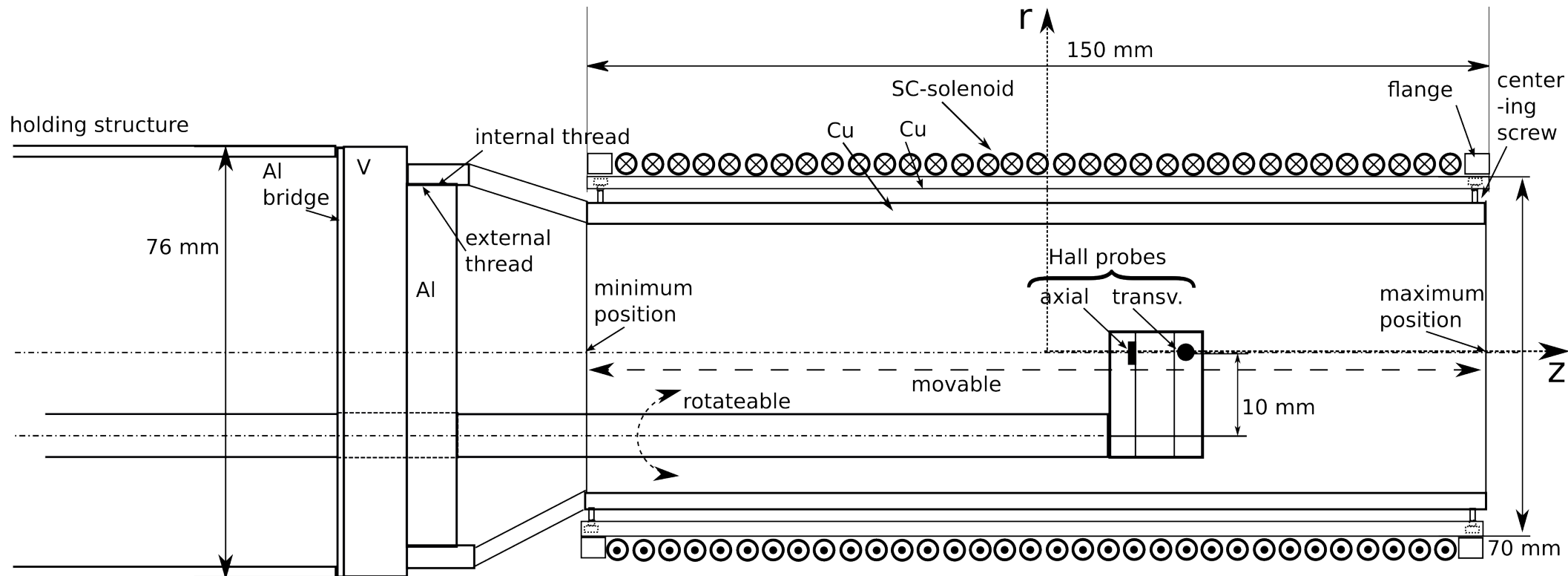
# Experimental setup

- SC-tube
- H 150 mm, ID 43 mm , OD 50 mm
- 4.2 K ( $J > 16000 \text{ A/cm}^2$ )
- Max. 1.4 T solenoid (BEXT)
- Longitudinal/ transverse - Hall probes (moveable/rotateable for measurement of fieldmap  $150 \times 20 \text{ mm}^2$ )
- Measurement (a) without and (b) with SC-Tube installed





# External magnet without SC-shield



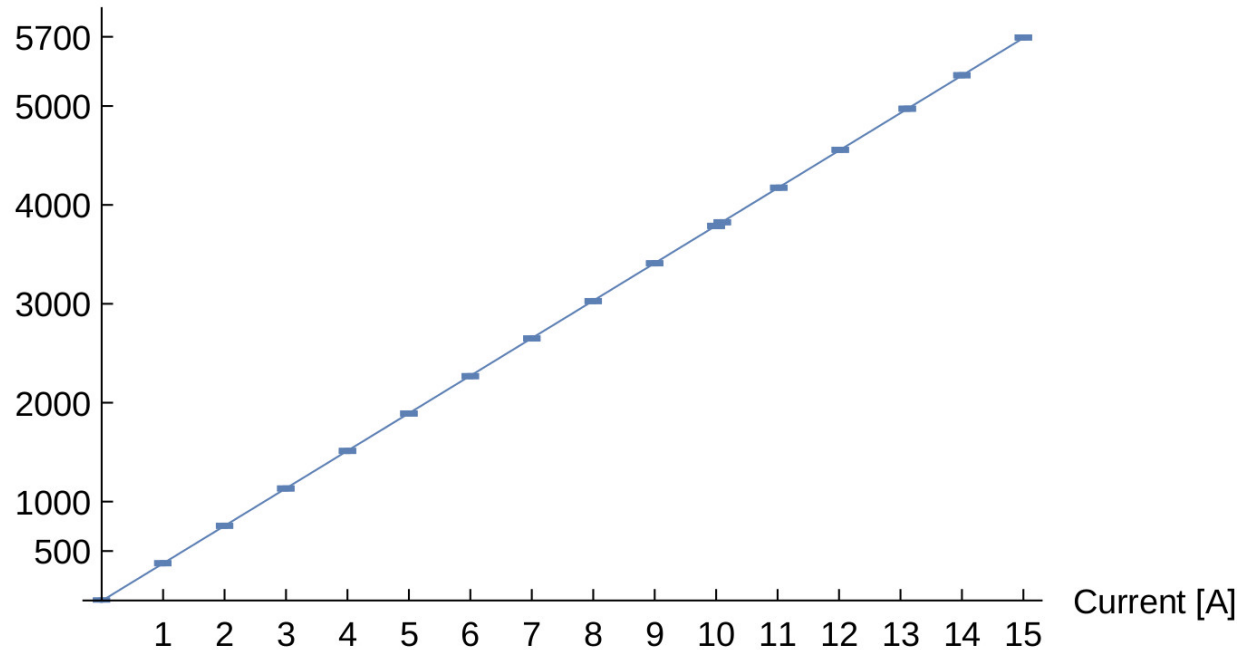
Run	Fixed	Variable
1. B vs. I	$r = 0, z = 0$	$0 \rightarrow 10 \text{ A}$
2. B vs. z	$I = 10 \text{ A}, r = 0$	$z = -70 \text{ mm} \dots 70 \text{ mm}$
3. B vs. z	$I = 10 \text{ A}, r = 14 \text{ mm}$	$z = -70 \text{ mm} \dots 70 \text{ mm}$
4. B vs. z	$I = 10 \text{ A}, r = 20 \text{ mm}$	$z = -70 \text{ mm} \dots 70 \text{ mm}$
5. B vs. I	$r = 0, z = 0$	$10 \text{ A} \rightarrow 15 \text{ A}$

# Run 1.+5. Field-current of external magnet

Magnetic Flux Density [Gauß]

Run 1.  
Pos.:  
r=0, z=0  
Current:  
I=0...10A

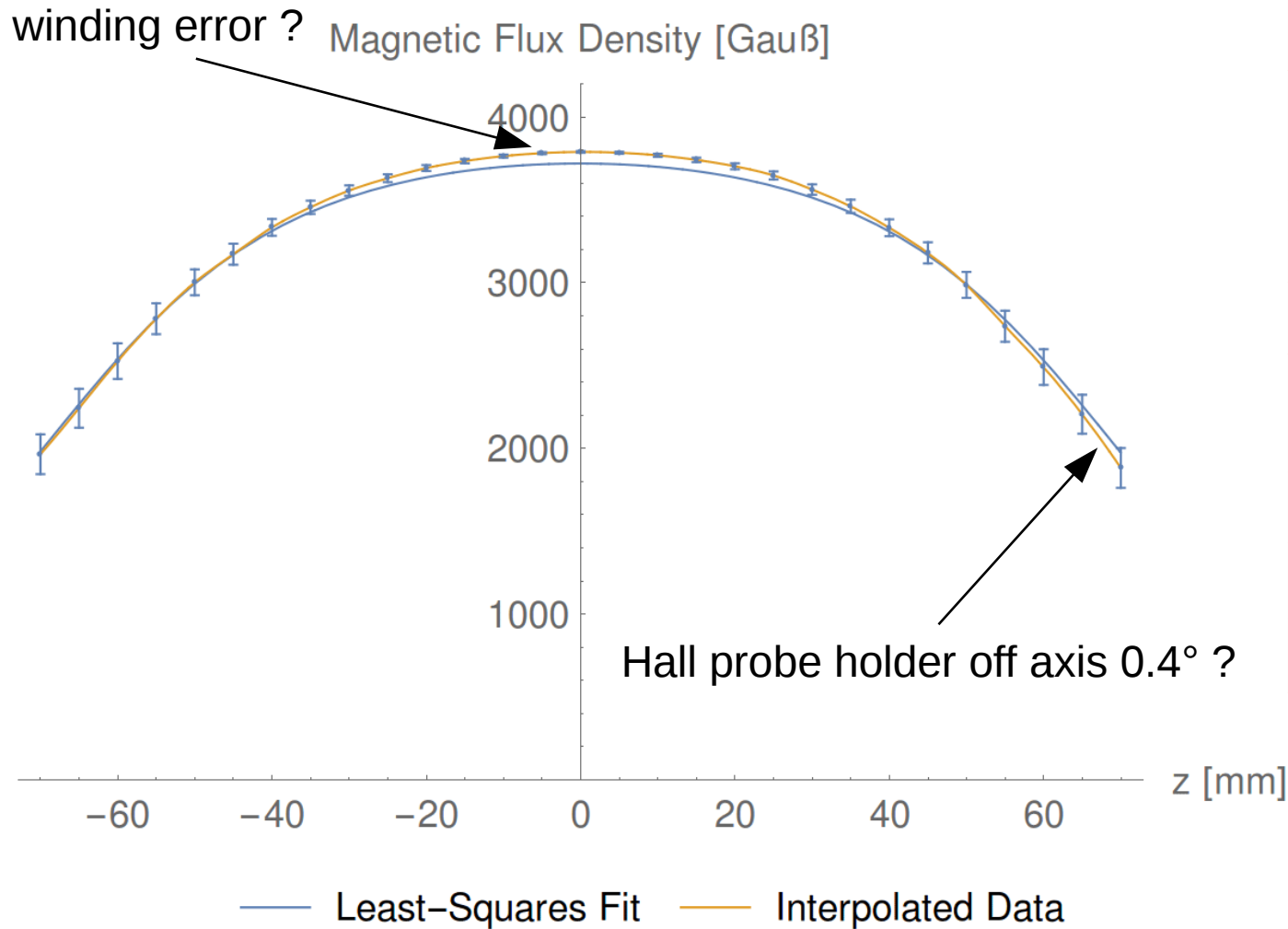
Run 5.  
Pos.:  
r=0, z=0  
Current:  
I=10...15A



Fitted function $ax+b$	Reduced $\chi^2 = 20.2$
Error (Hall probe)	0.1 %
Error (current supply)	0.1 %
Offset (subtracted before fit) [Gauß]	14.5 (without statistics)
$a$ [Gauß/Amper]	380.054
$\sigma_a$ [Gauß/Amper]	0.17
$b$ [Gauß]	-10.2
$\sigma_b$ [Gauß]	1.8

# Run 2. Field map of external magnet 10 A

$$B_z^{\text{EXT}}(0,0) = (3800 \pm 4) \text{ Gau\ss}, r = 0 \text{ mm}$$

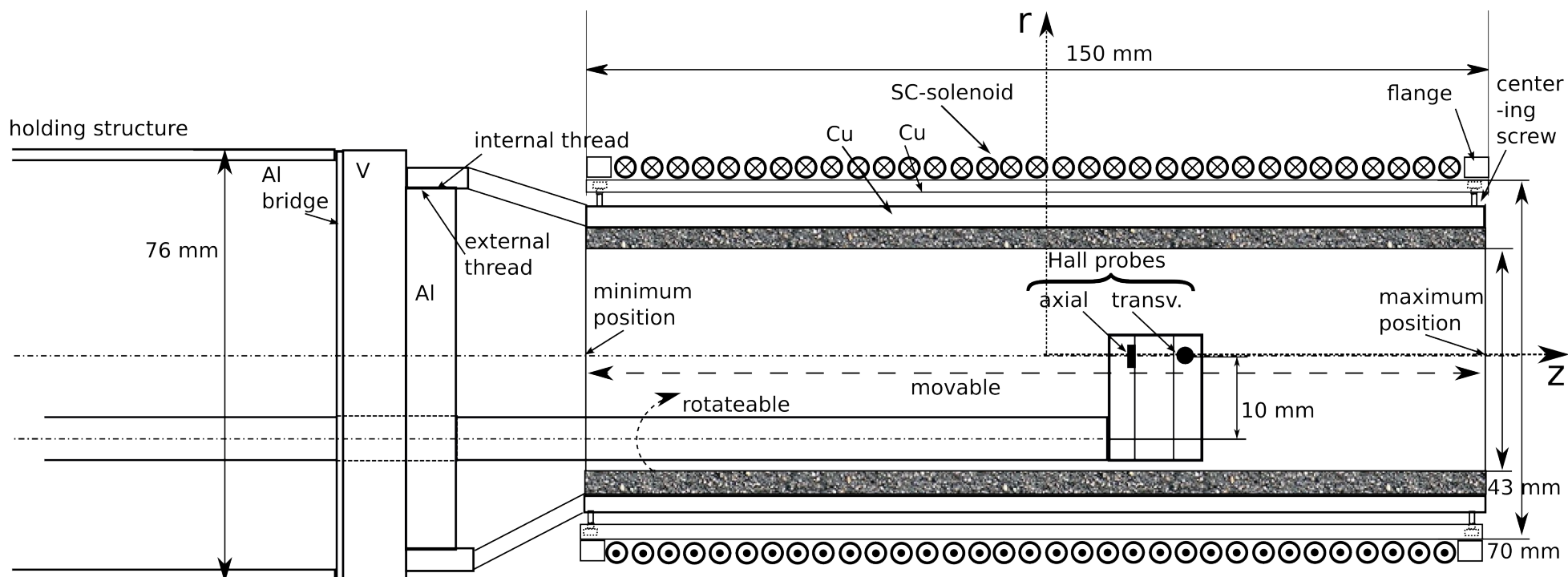


Fitted function	$B_z(r,z)$
<b>Fit parameter</b> r [mm]	0
Fit error $\sigma_r$ [mm]	421
Hall probe error	0.1 %
Alignment error	$\Delta z, \Delta r$ = 2 mm
Current error	0.01 A
Reduced $X^2$	22
Offset [Gauß]	14.5

Measurement I. b)  
BSCCO 4.2 K  
16. June 2014

# Measurement of residual field with BSCCO

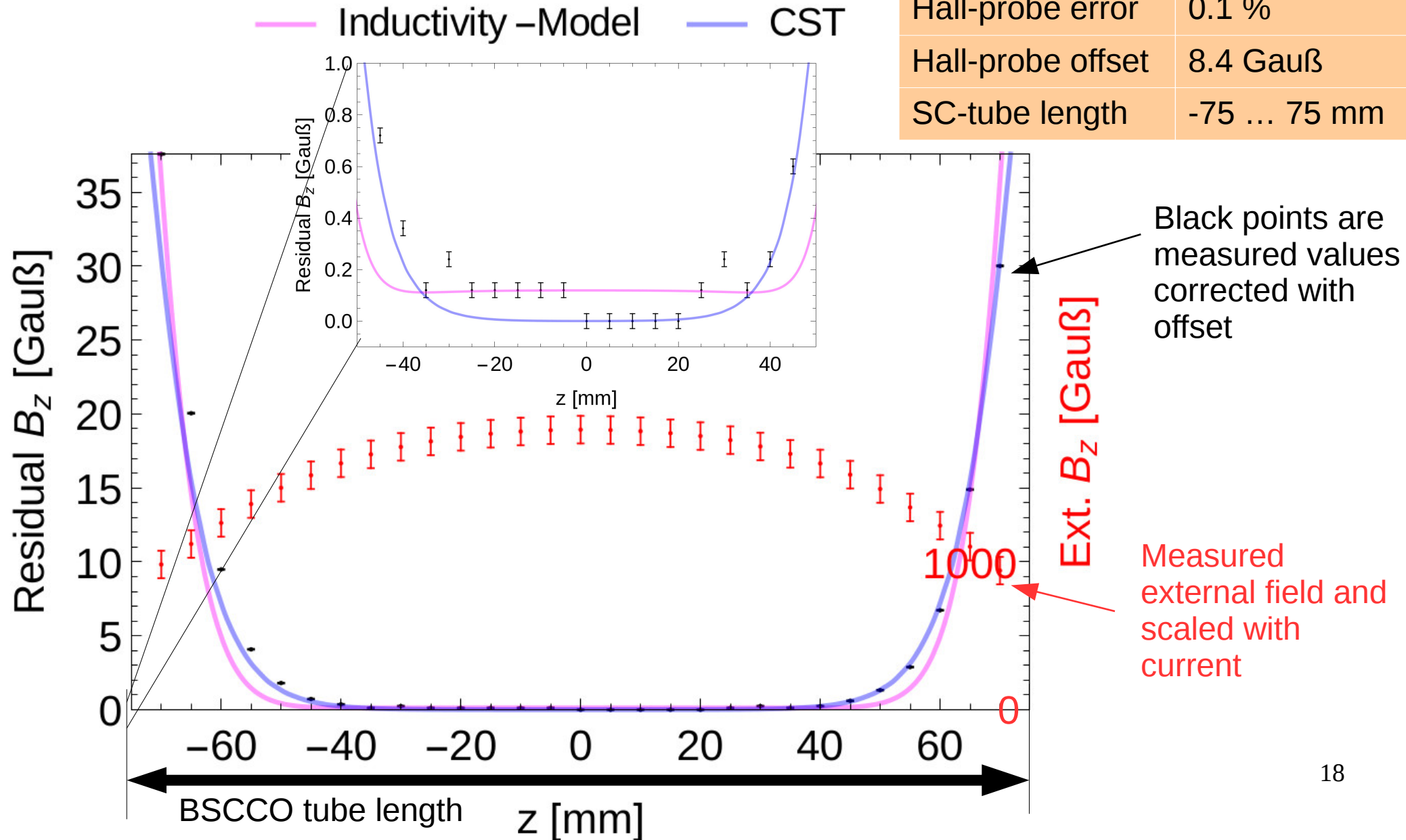
## Experimental setup



Run	$I$ [A]	$B_{EXT}$ [Gauß]	Position	Variable ( $\pm 2$ mm)
1. B vs. z	$5 \pm 0.005$	$1900 \pm 2$	$r = 0$	$z = -70 \dots 70$
2. B vs. z	$20 \pm 0.02$	$7601 \pm 8$	$r = 0$	$z = -70 \dots 70$
3. B vs. z	$26.33 \pm 0.03$	$10008 \pm 11$	$r = 0$	$z = -70 \dots 70$
4. B vs. z	$30 \pm 0.03$	$11402 \pm 12$	$r = 0$	$z = -70 \dots 70$
5. Relaxation	$26.46 \pm 0.03$	$10056 \pm 11$	$r = 0, z = 0$	$t = 4.7$ h
6. Maximum field	$38 \pm 0.04$	$14442 \pm 15$	$r = 0, z = 0$	$I = 26.46$ A $\rightarrow$ 38 A

# Comparison of measurement run 1. with simulations (ongoing study)

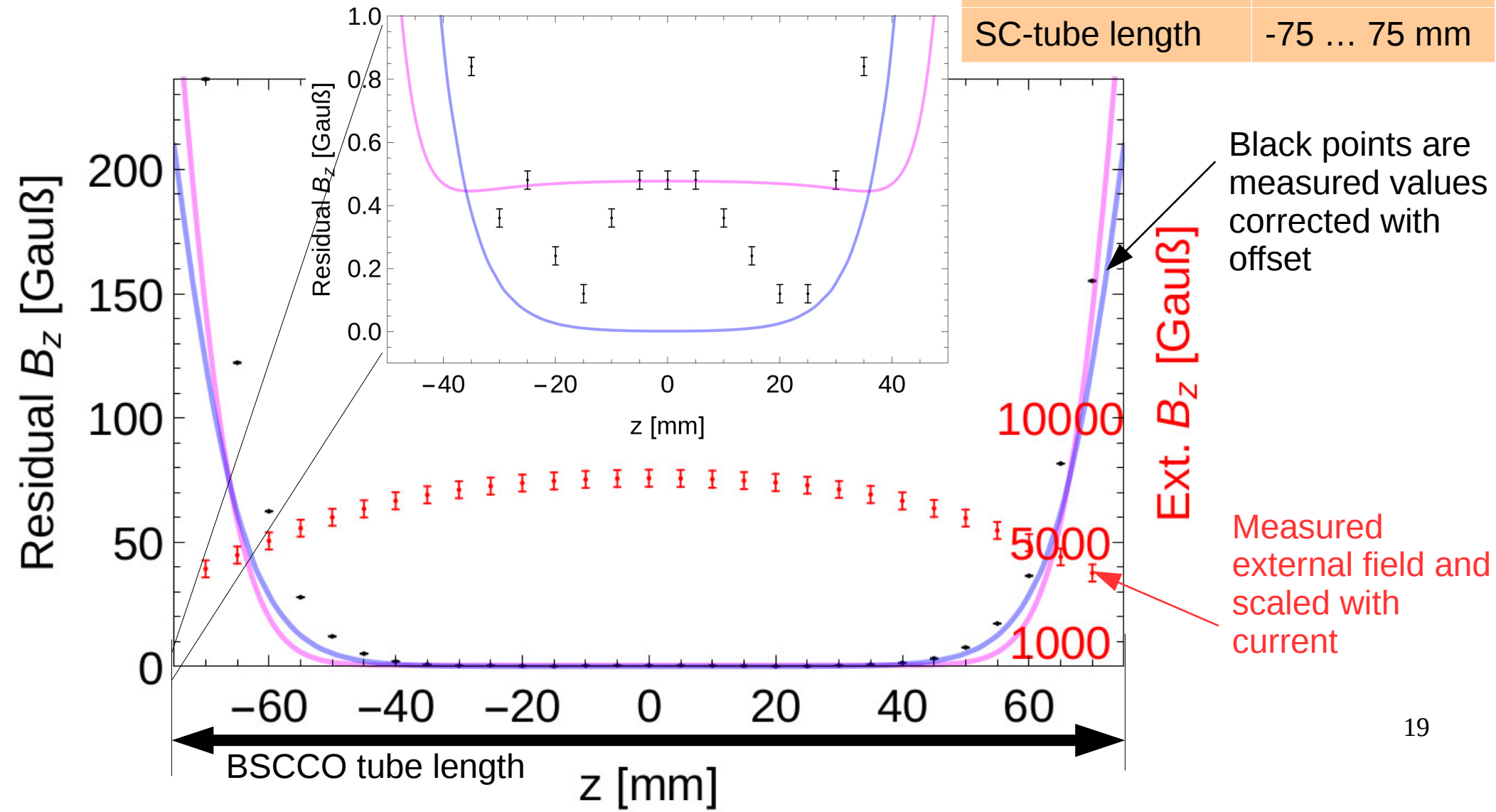
$B_z^{\text{EXT}}(0,0)$ [Gauß]	$1900 \pm 2$
$r$	$0 \pm 2$ mm
Hall-probe error	0.1 %
Hall-probe offset	8.4 Gauß
SC-tube length	-75 ... 75 mm



# Comparison of measurement run 2. with simulations (ongoing study)

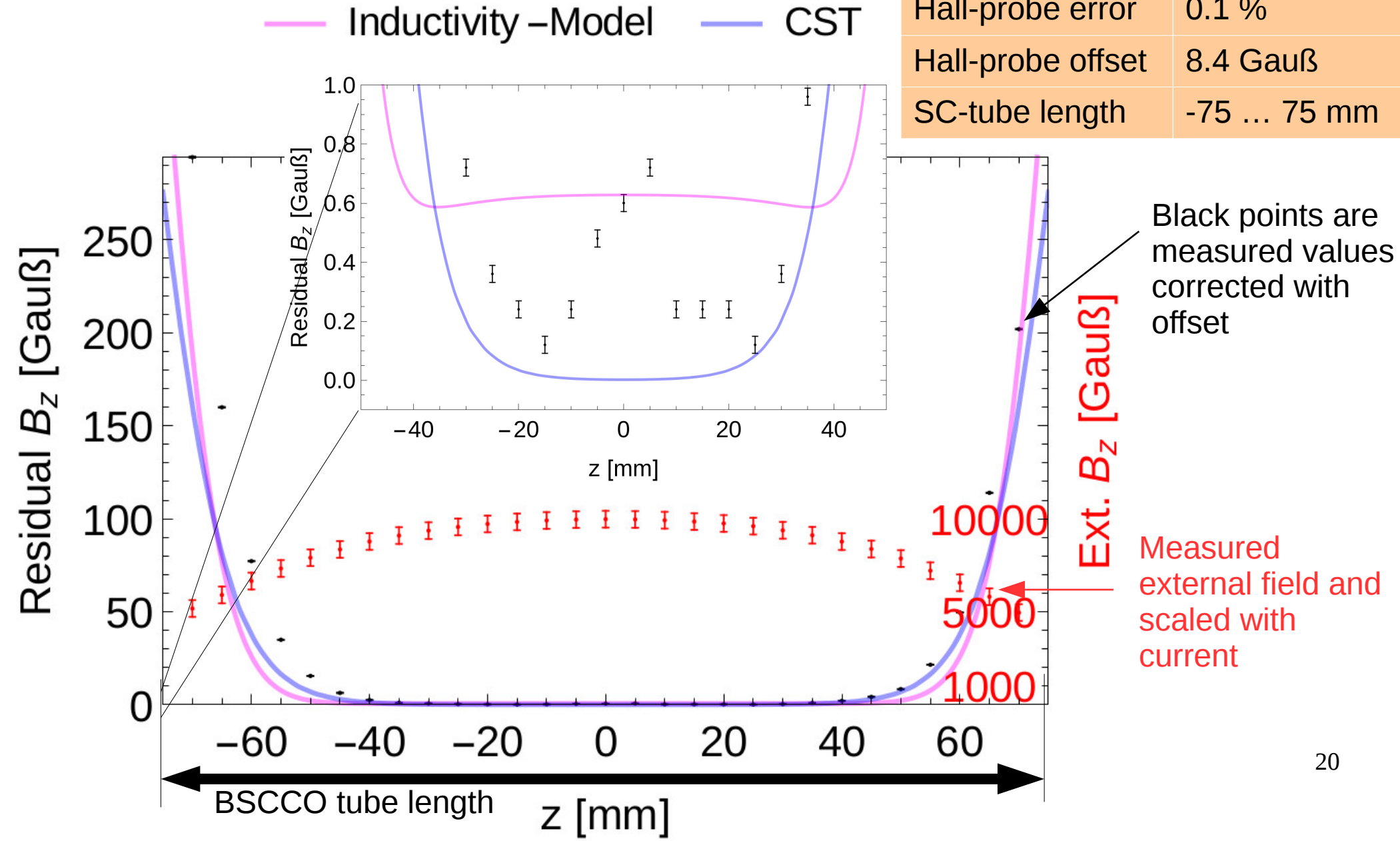
$B_z^{\text{EXT}}(0,0)$ [Gauß]	$7601 \pm 8$
r	$0 \pm 2$ mm
Hall-probe error	0.1 %
Hall-probe offset	8.4 Gauß
SC-tube length	-75 ... 75 mm

— Inductivity-Model — CST



# Comparison of measurement run 3. with simulations (ongoing study)

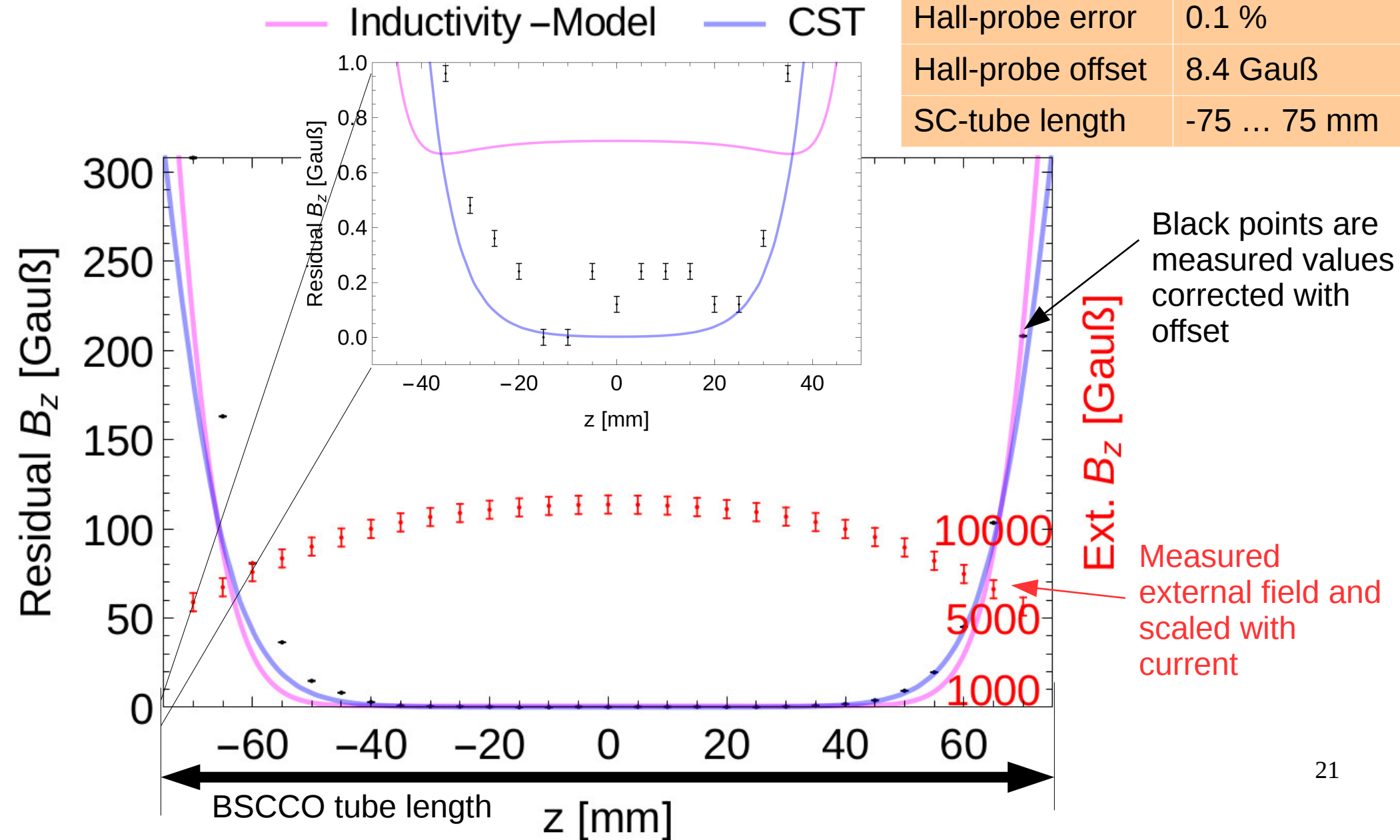
$B_z^{\text{EXT}}(0,0)$ [Gauß]	$10008 \pm 11$
$r$	$0 \pm 2$ mm
Hall-probe error	0.1 %
Hall-probe offset	8.4 Gauß
SC-tube length	-75 ... 75 mm



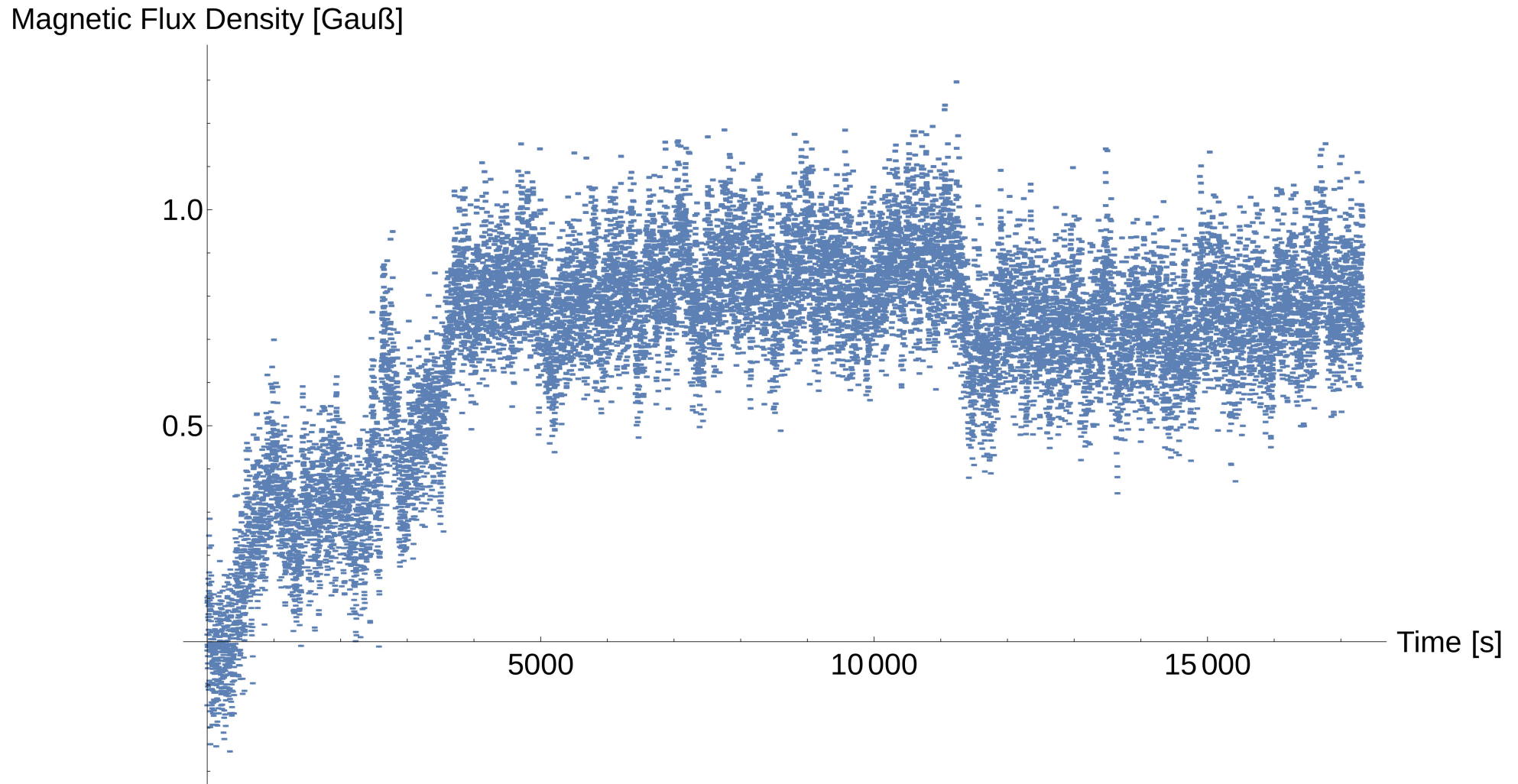


# Comparison of measurement run 4. with simulations (ongoing study)

$B_z^{\text{EXT}}(0,0)$ [Gauß]	$11402 \pm 12$
r	$0 \pm 2$ mm
Hall-probe error	0.1 %
Hall-probe offset	8.4 Gauß
SC-tube length	-75 ... 75 mm

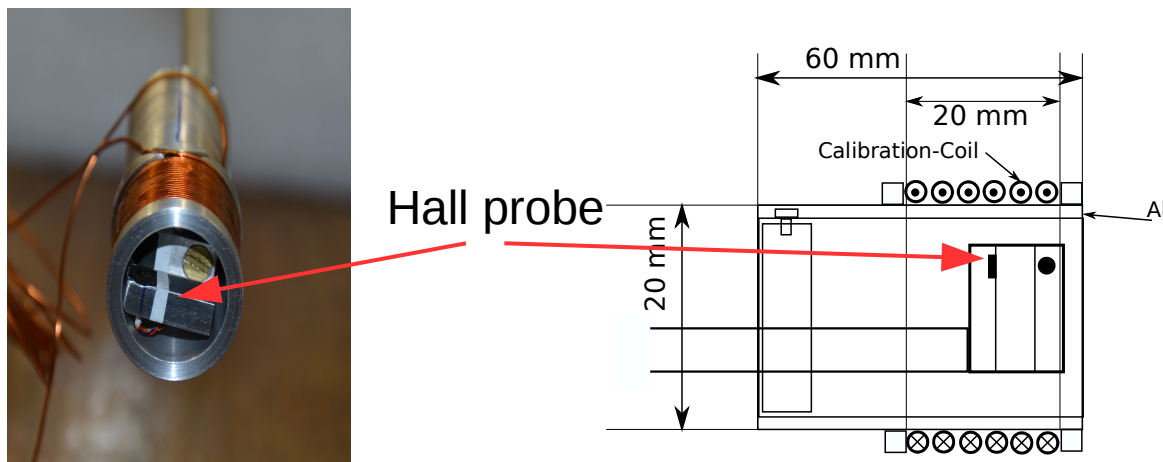


5. Relaxation measurement (ongoing study):  
applied  $(10056 \pm 11)$  Gauß, duration 4.7 h  
(Offset 7.0 Gauß)



# Conclusion

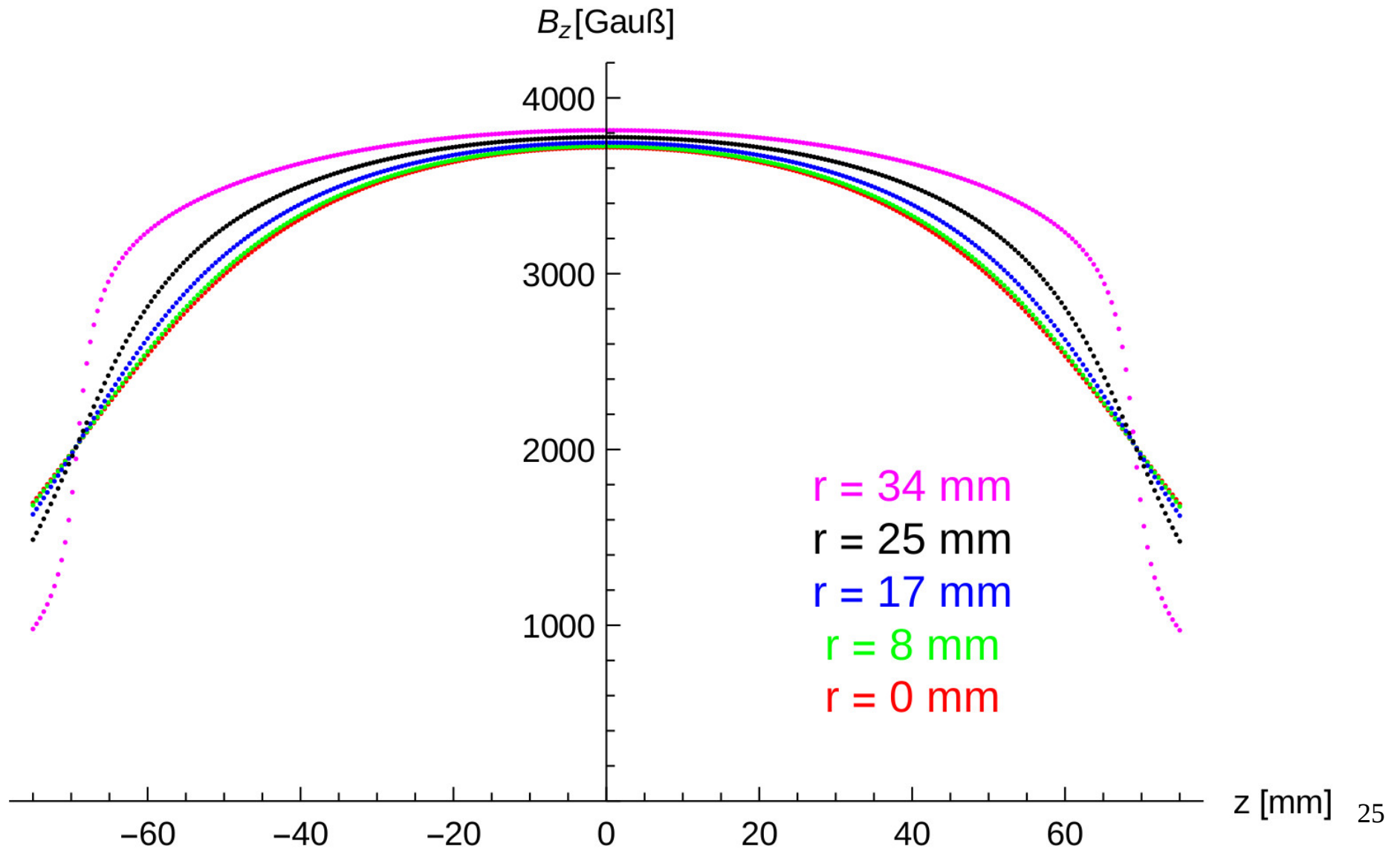
1. Residual field  $< 1$  Gauß (shielding factor  $> 10^4$ ) at 4.2 K with BSCCO
2. Relaxation measurement demonstrated  
4.7 h stability of shielding ( $10056 \pm 11$ ) Gauß
3. Error of Hall probe, Geomagnetic field, local fields unclear
4. Hall probe offset needs to be determined precisely  
→ More exact shielding factor
5. Calibration coil in next measurement  
→ Control of Hall probe during the measurement with shielding tube





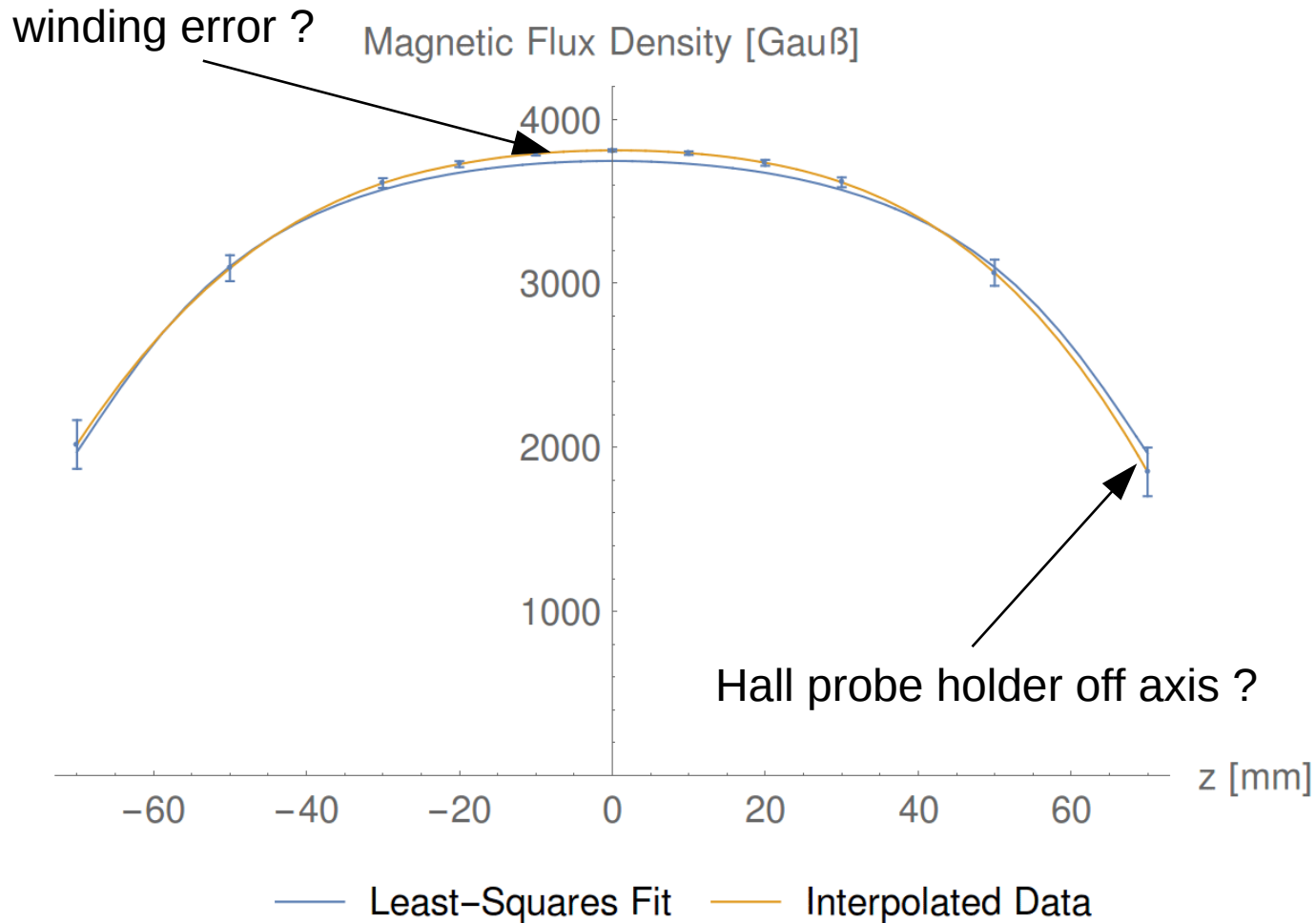
# Biot-Savart-Simulation of the external magnet 10 A Field $B_z^{\text{EXT}}(r,z)$ parallel to the axis at radial distance

$r = 0 \dots 34 \text{ mm}$



# Run 3. Field map of external magnet 10 A

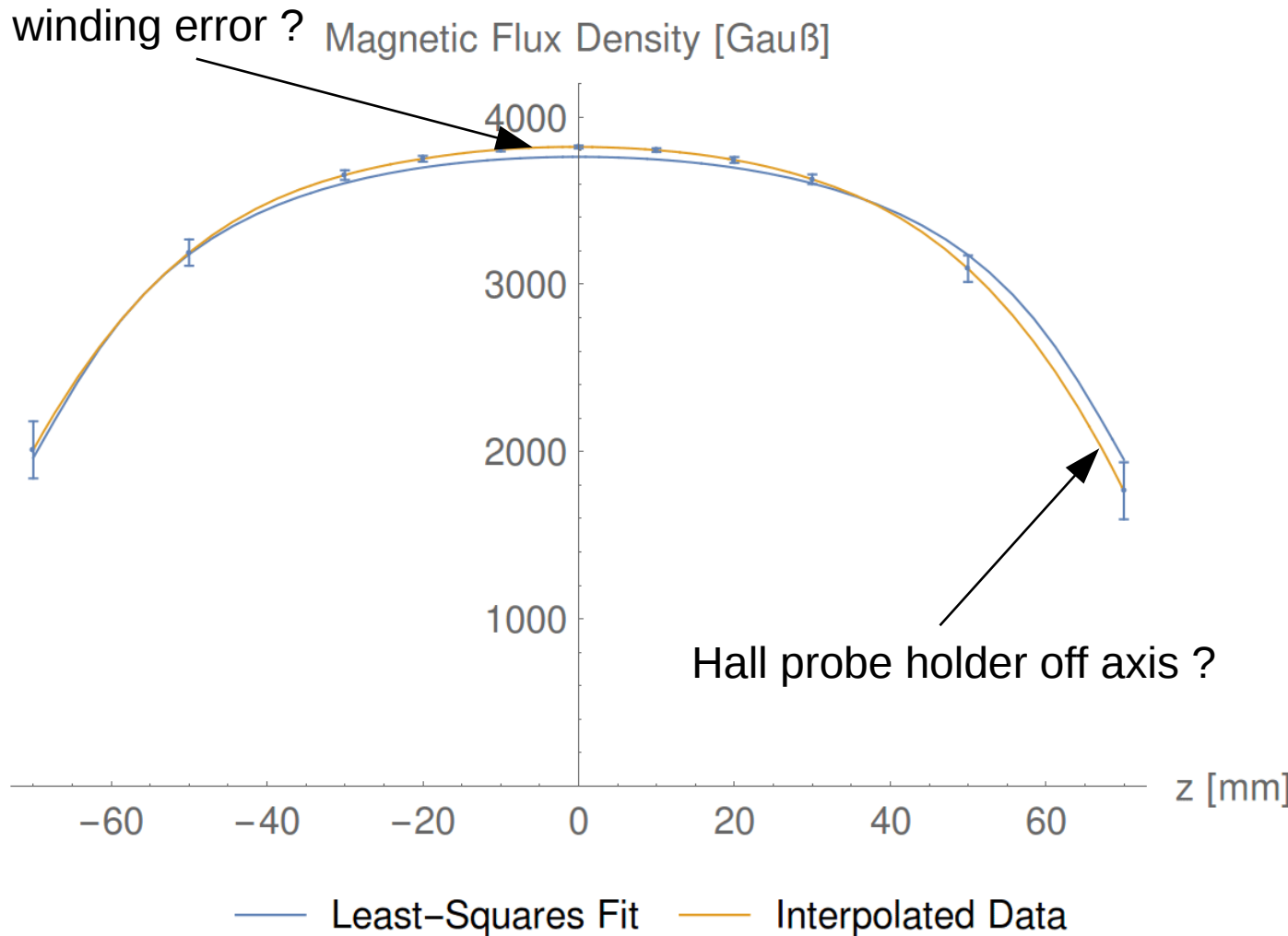
$$B_z^{\text{EXT}}(0,0) = (3800 \pm 4) \text{ Gau\ss}, r = 14 \text{ mm}$$



Fitted function	$B_z(r,z)$
Fit parameter $r$ [mm]	17
Fit error $\sigma_r$ [mm]	3
Hall probe error	0.1 %
Alignment error	$\Delta z, \Delta r$ = 2 mm
Current error	0.01 A
Reduced $X^2$	16.5
Offset [Gauß]	14.5

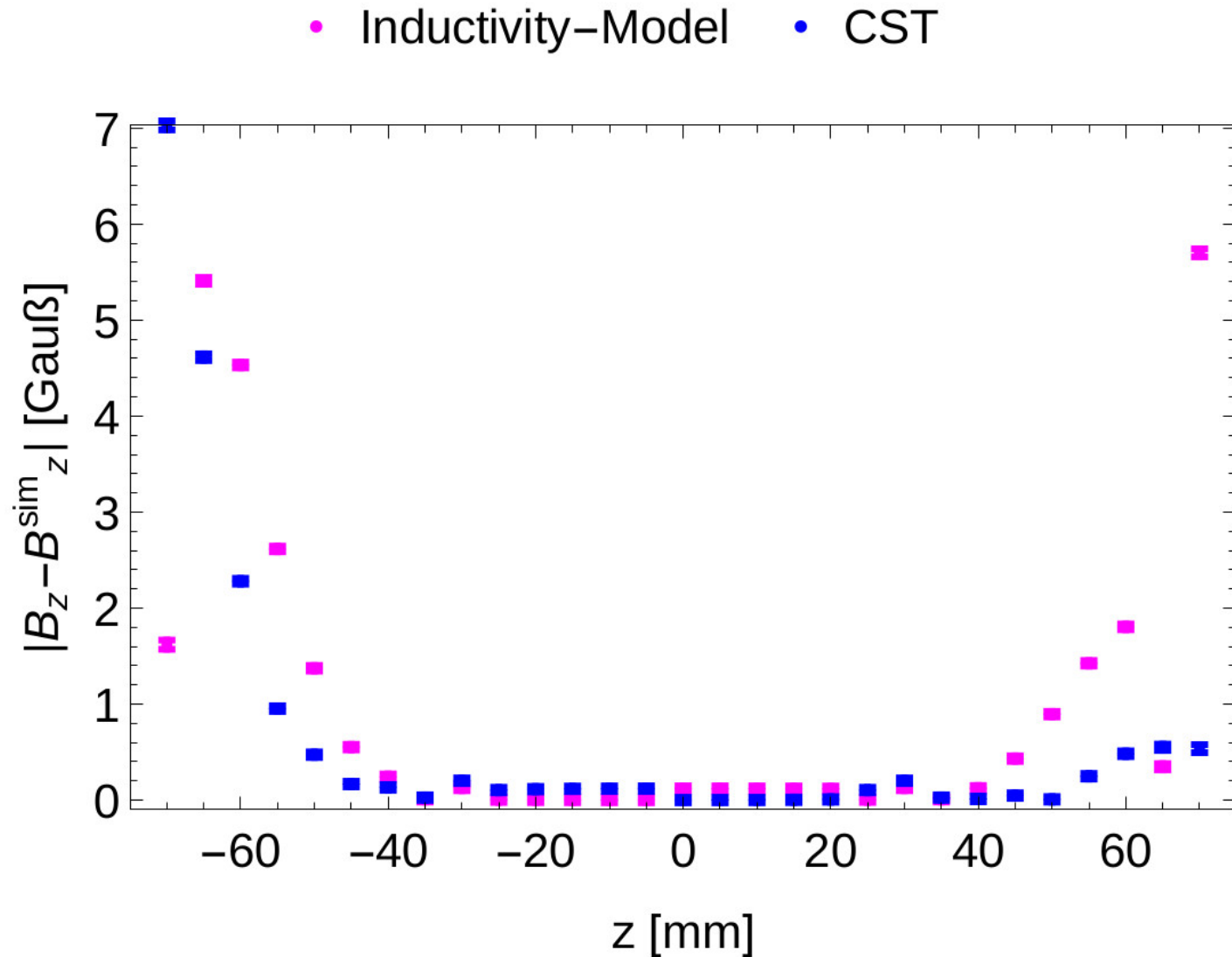
# Run 4. Field map of external magnet 10 A

$$B_z^{\text{EXT}}(0,0) = (3800 \pm 4) \text{ Gau\ss}, r = 20 \text{ mm}$$



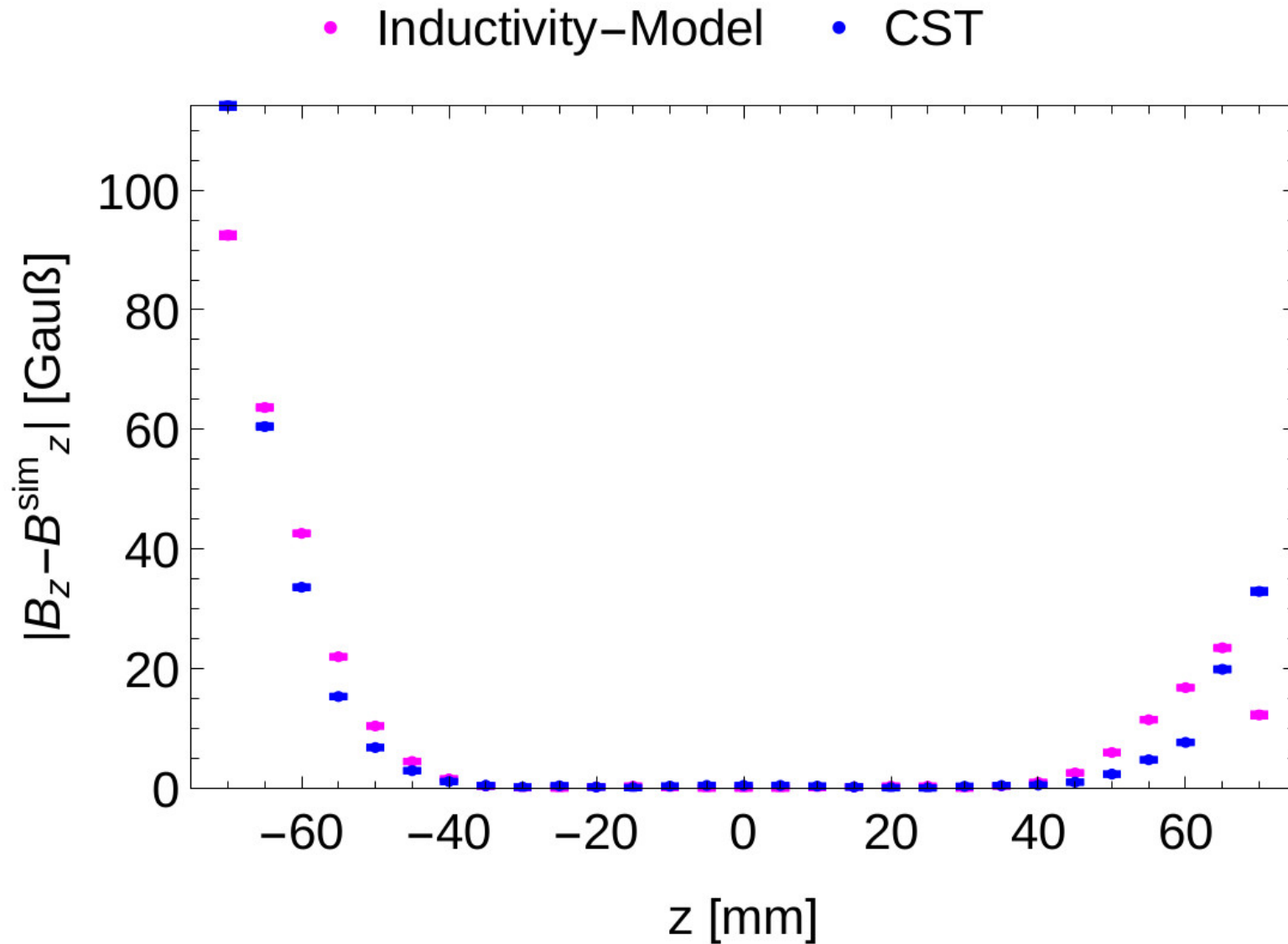
Fitted function	$B_z(r,z)$
Fit parameter $r$ [mm]	22
Fit error $\sigma_r$ [mm]	3
Hall probe error	0.1 %
Alignment error	$\Delta z, \Delta r = 2 \text{ mm}$
Current error	0.01 A
Reduced $X^2$	12.2
Offset [Gauß]	14.5

# Residuals Measurement run 1. - Simulation 1.

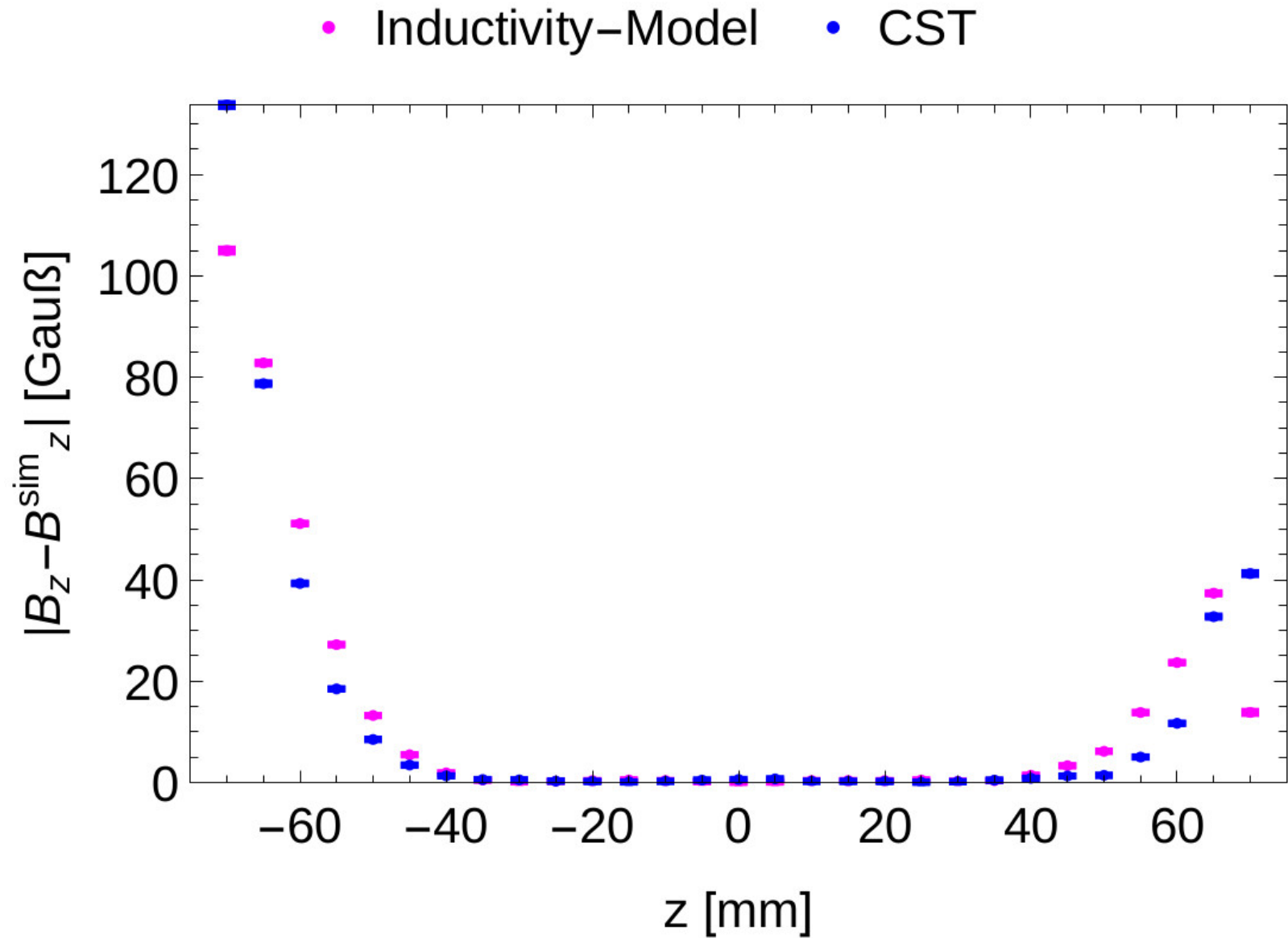




# Residuals Measurement run 2. - Simulation 2.



# Residuals Measurement run 3. - Simulation 3.



# Residuals Measurement run 4. - Simulation 4.

