

Flow and initial state fluctuations

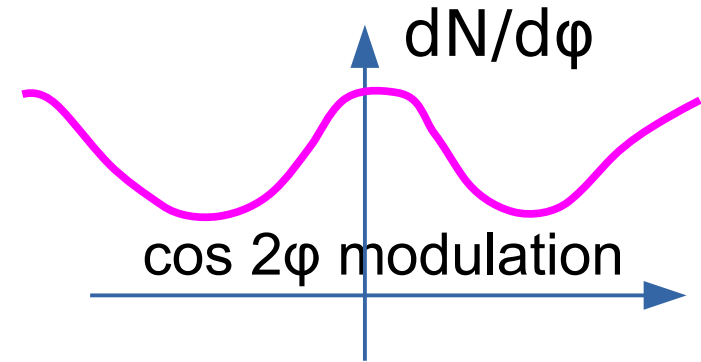
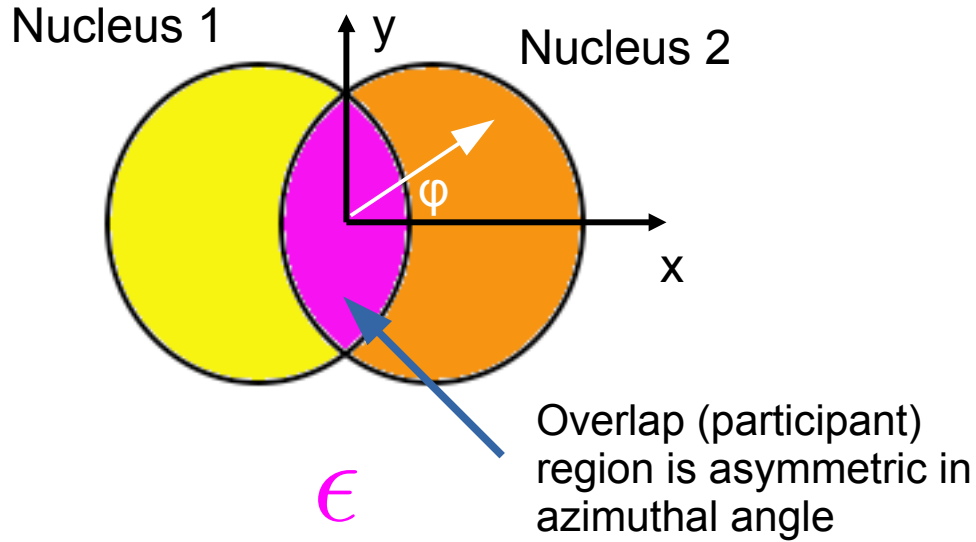
Constantin Loizides
(LBNL)



16 December 2014

"Ab initio approaches in many-body QCD confront HI experiments" workshop, Heidelberg

Initial and final state anisotropy



$$\frac{dN}{d\phi} \sim 1 + 2v_2 \cos[2(\phi - \psi_R)] + \dots$$

Initial spatial anisotropy:
Eccentricity

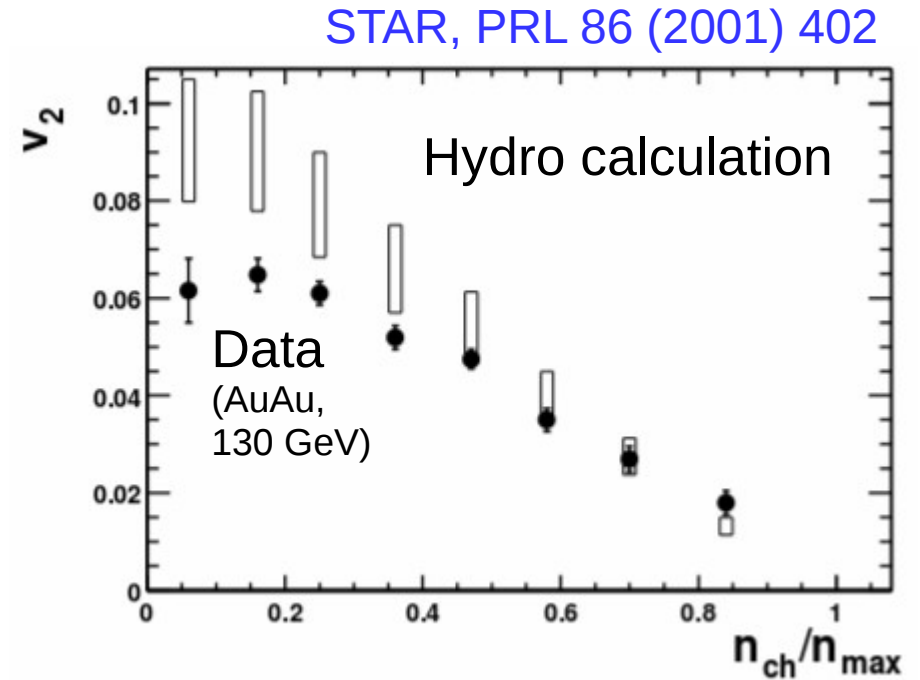
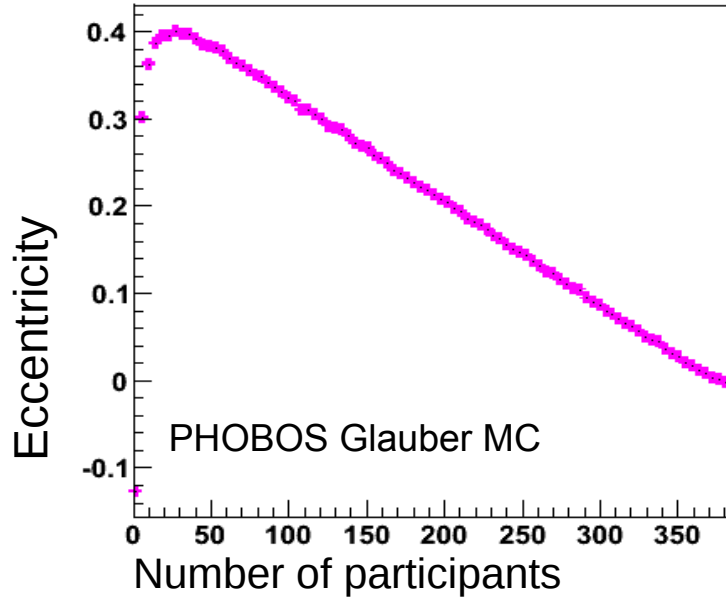
$$\epsilon_{\text{std}} = \frac{\sigma_y^2 - \sigma_x^2}{\sigma_y^2 + \sigma_x^2}$$

Interactions
present early
(self quenched)

Momentum space anisotropy:
Elliptic flow

$$v_2 = \langle \cos(2\phi - 2\Psi_R) \rangle$$

Initial and final state anisotropy



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Eccentricity

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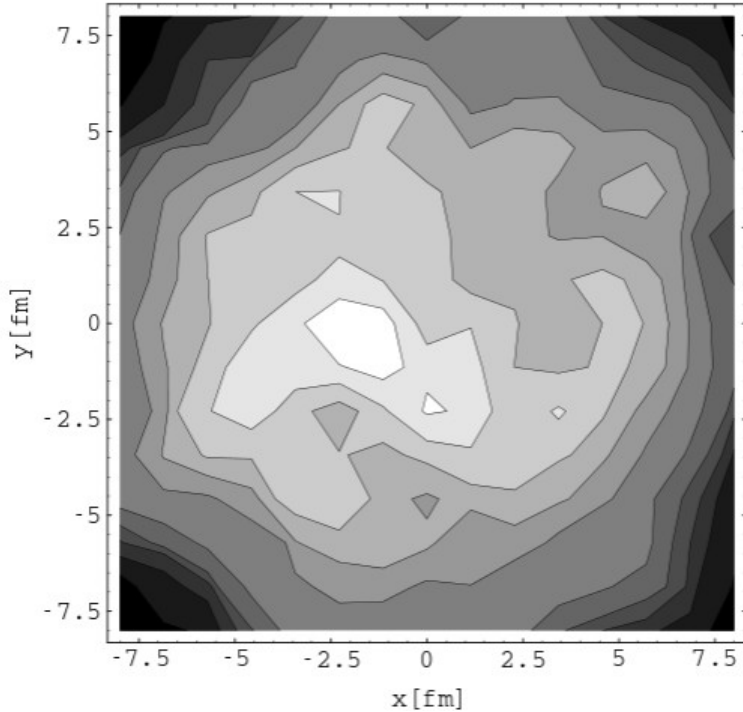
Momentum space anisotropy:
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$$v_2 = \langle \cos(2\varphi - 2\Psi_R) \rangle$$

Geometry fluctuations

4

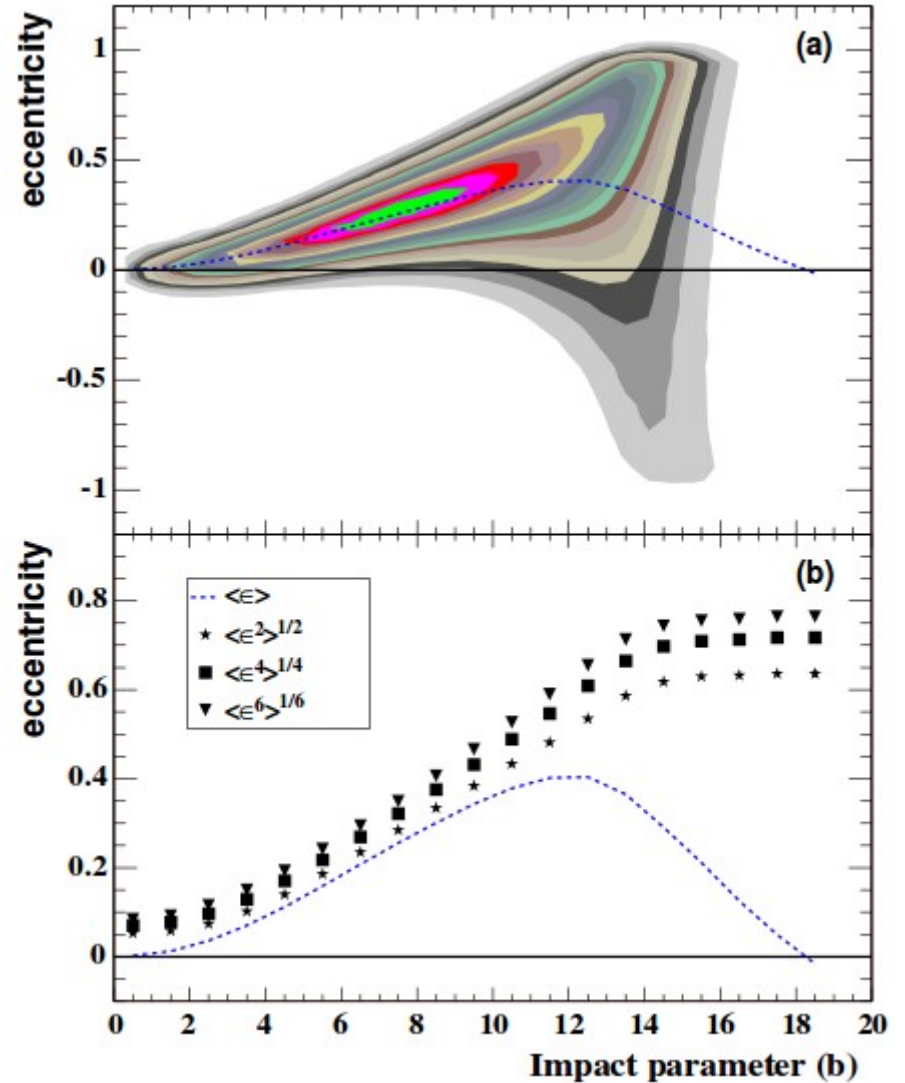
Hama et al., nucl-th/0102011



Hydrodynamic calculation
with fluctuating initial conditions

Geometry fluctuations
understood as a perturbation
of reaction plane eccentricity

Miller, Snellings, nucl-ex/0312008

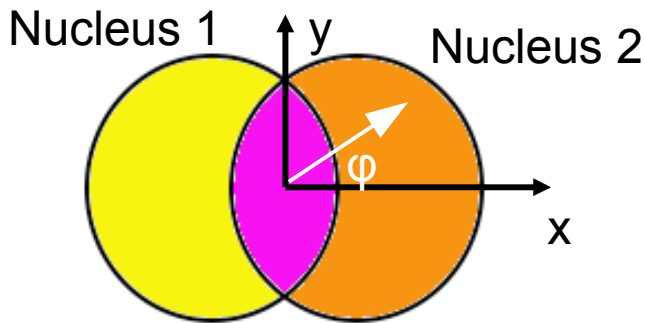
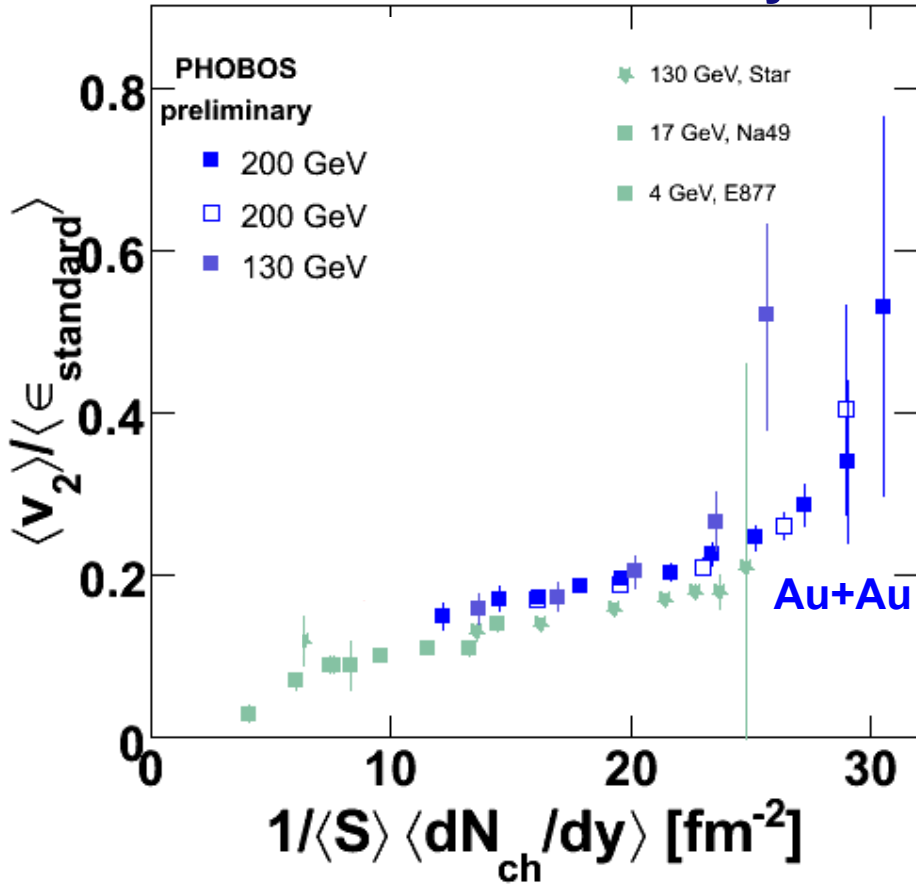


Eccentricity fluctuations
relative to reaction plane

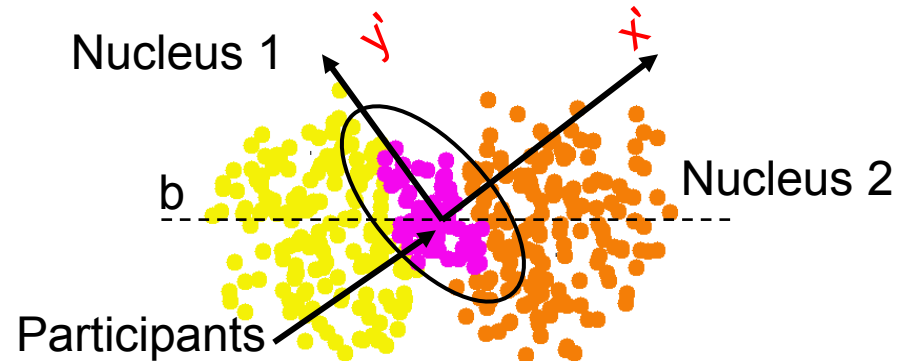
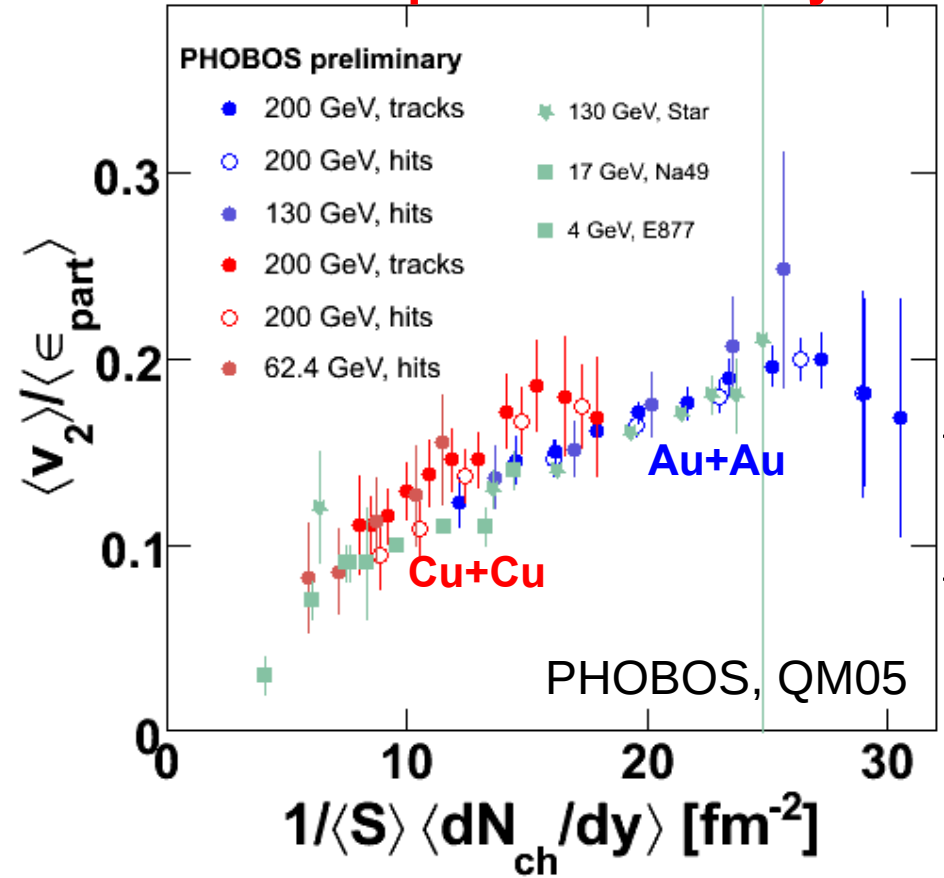
Importance of initial state fluctuations

PHOBOS, PRL 98 (2007) 242302

Standard Eccentricity



Participant Eccentricity

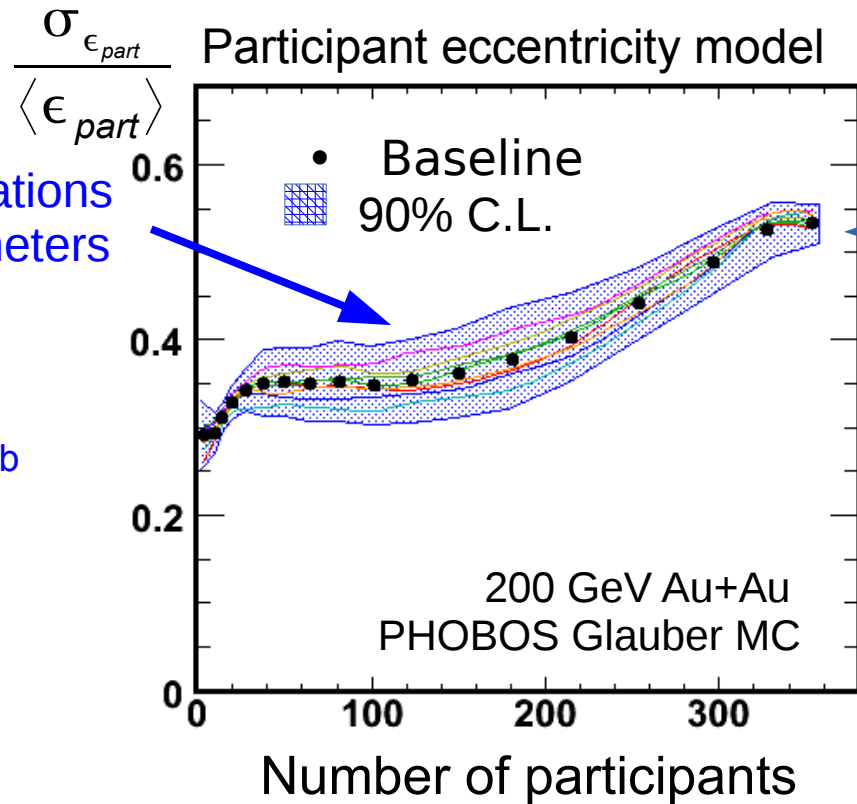


Expected relative flow fluctuations

Uncertainty from variations of Glauber MC parameters

Baseline parameters:

- Nucleon-nucleon cross section: $\sigma_{NN}=42\text{mb}$
- Skin depth: $a=0.535\text{fm}$
- Wood-saxon radius: $R_A=6.38\text{fm}$
- Inter-nucleon separation distance: $d=0.4\text{fm}$



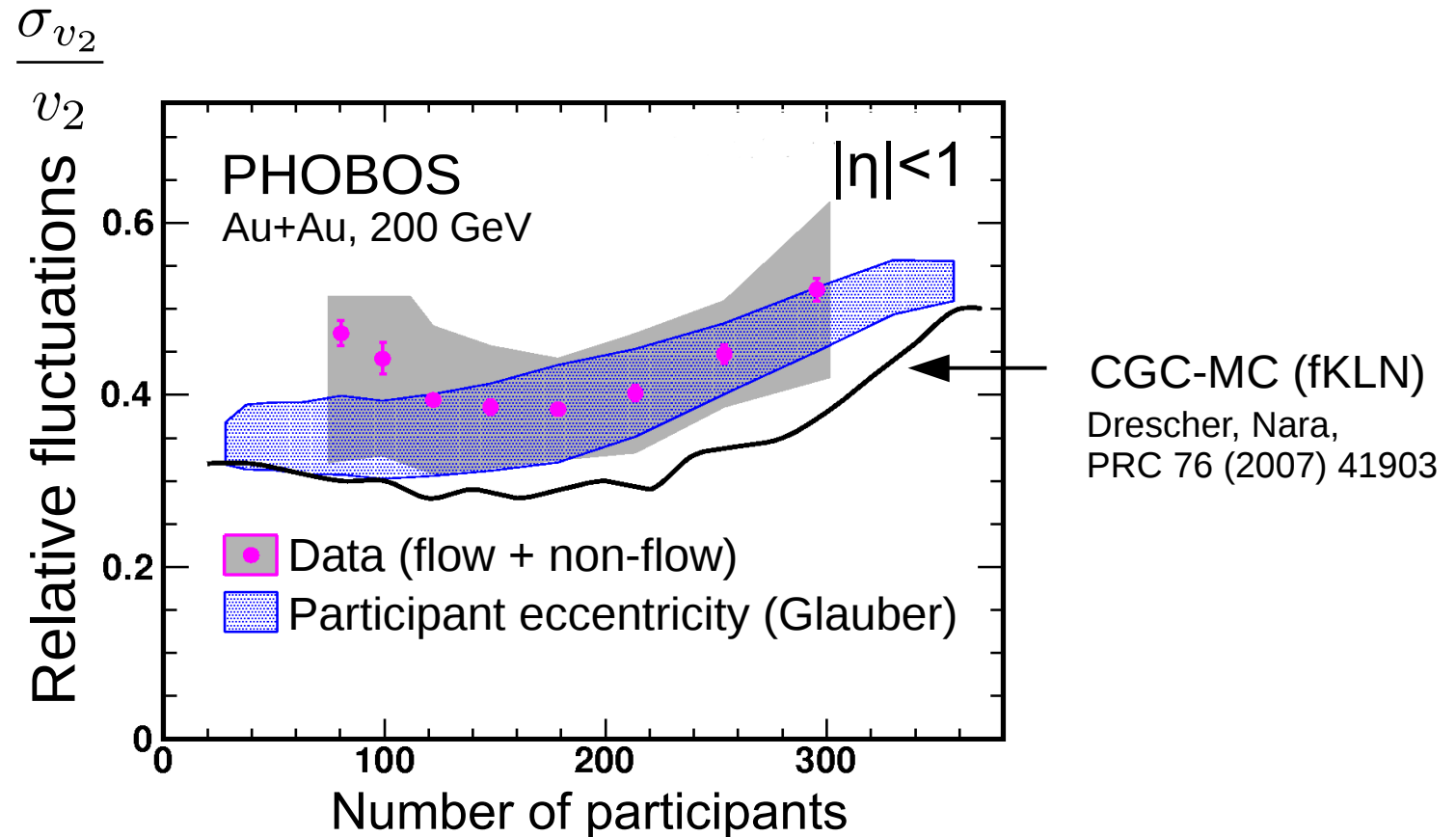
Analytic ($b=0\text{fm}$)

$$\sqrt{\frac{4}{\pi} - 1} \approx 0.52$$

Broniowski et al.,
PRC 76 054905 (2007)

If initial state fluctuations are present, expect large relative flow fluctuations:

$$\frac{\sigma_{v_2}}{\langle v_2 \rangle} \sim \frac{\sigma_{\epsilon_{part}}}{\langle \epsilon_{part} \rangle}$$



Shown at QM06 as flow fluctuations, however non-flow contribution (included in sys.error from HIJING) not subtracted. **Now interpreted as total v_2 fluctuations.**

Measure non-flow contribution

Data driven analysis to measure the contribution of non-flow

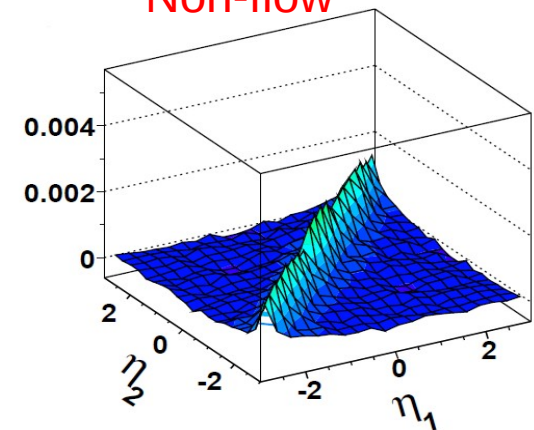
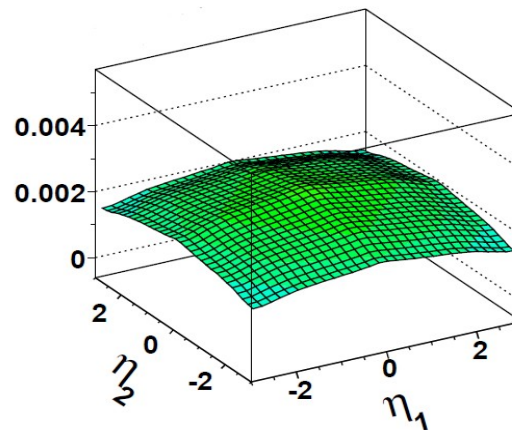
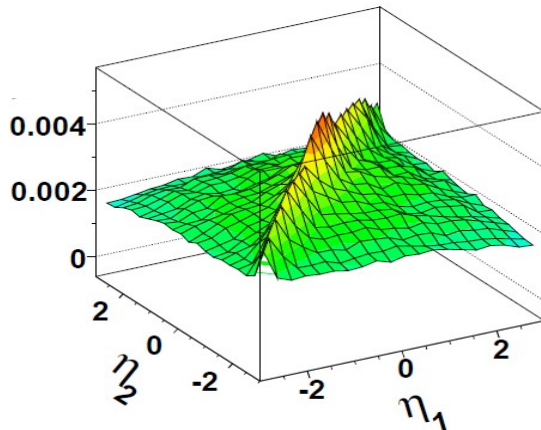
- Flow is a function of η and correlates particles at all $\Delta\eta$
- Non-flow (δ) is dominated by short range correlations (small $\Delta\eta$)
- Study correlations at different $\Delta\eta$

$$v_2^2(\eta_1, \eta_2) \equiv \langle \cos(2\Delta\varphi) \rangle(\eta_1, \eta_2) = v_2(\eta_1) * v_2(\eta_2) + \delta(\eta_1, \eta_2)$$

- Assume non-flow to be zero for $\Delta\eta > 2$
- Fit $v_2^2(\eta_1, \eta_2) = v_2^{\text{fit}}(\eta_1) * v_2^{\text{fit}}(\eta_2)$, $|\eta_2 - \eta_1| > 2$
- Subtract fit results at all (η_1, η_2)
- Integrate over particle pairs to obtain δ/v_2^2
- Numerically relate δ/v_2^2 and $\sigma_{v_2}/\langle v_2 \rangle$ to obtain $\sigma_{\text{flow}}/\langle v_2 \rangle$

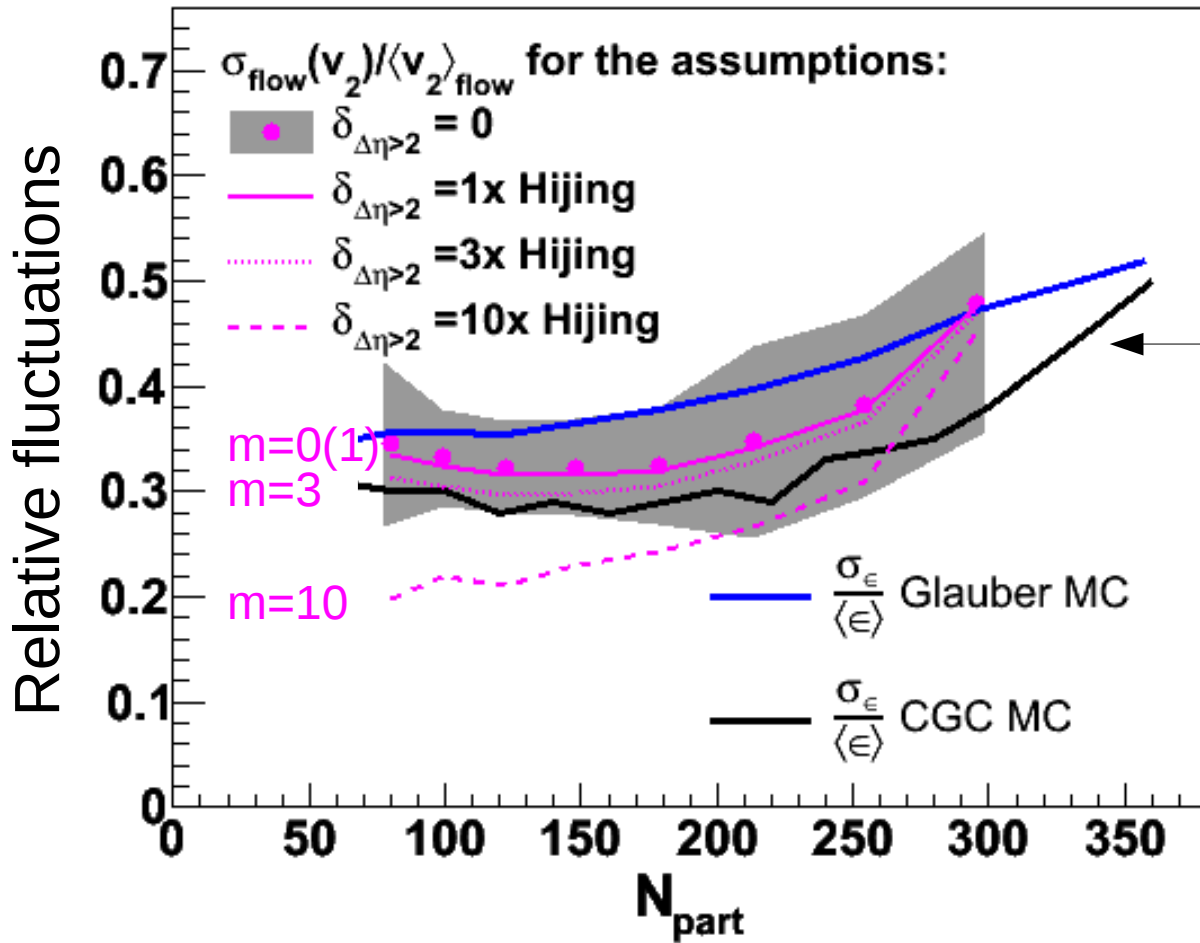
$$v_2^2(\eta_1, \eta_2) \quad \text{---} \quad v_2^{\text{fit}}(\eta_1) \times v_2^{\text{fit}}(\eta_2) \quad \text{=} \quad \delta(\eta_1, \eta_2)$$

Non-flow



Relative flow fluctuations

For $m=3$
80-95%
of σ_{v_2}/v_2

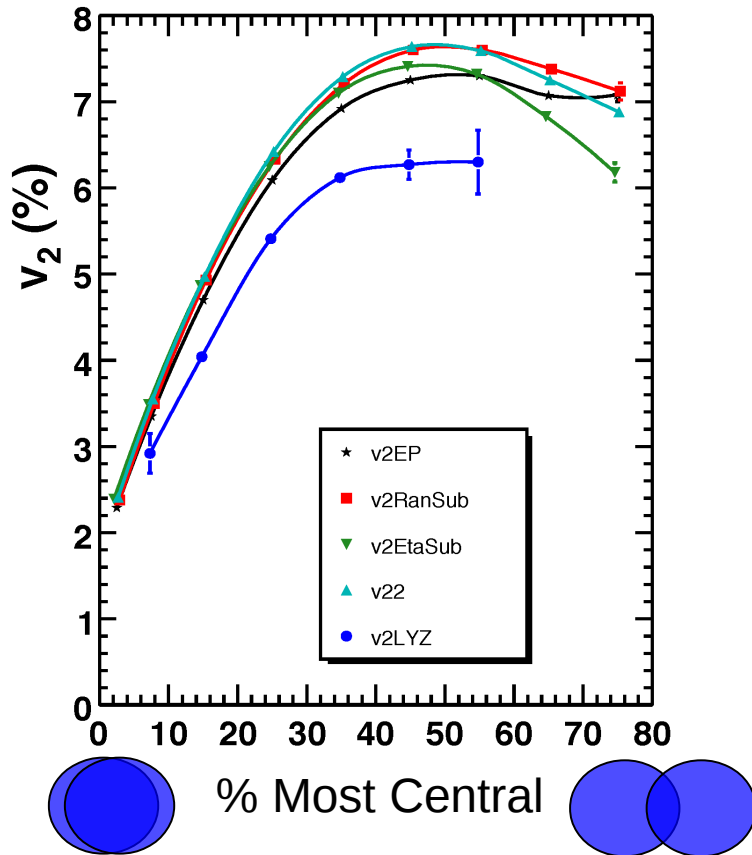


CGC-MC (fKLN)
Drescher, Nara,
PRC 76 (2007) 41903

Flow fluctuations observed similar to what those predicted by simple models of initial state fluctuations.

Short-range ($\Delta\eta < 2$) non-flow contribution are removed

Published STAR results



Derive analytic correction for non-flow and fluctuations in leading order of δ and $\sigma_{v_2}^2$

$$v_2\{2\}^2 = \langle v_2 \rangle^2 + \sigma_{v_2}^2 + \delta$$

$$v\{4\}^2 = \langle v \rangle^2 - \sigma_{v_2}^2$$

$$v\{\text{subEP}\}^2 = \langle v \rangle^2 + (1 - f(R))\sigma_{v_2}^2 + (1 - 2f(R))\delta$$

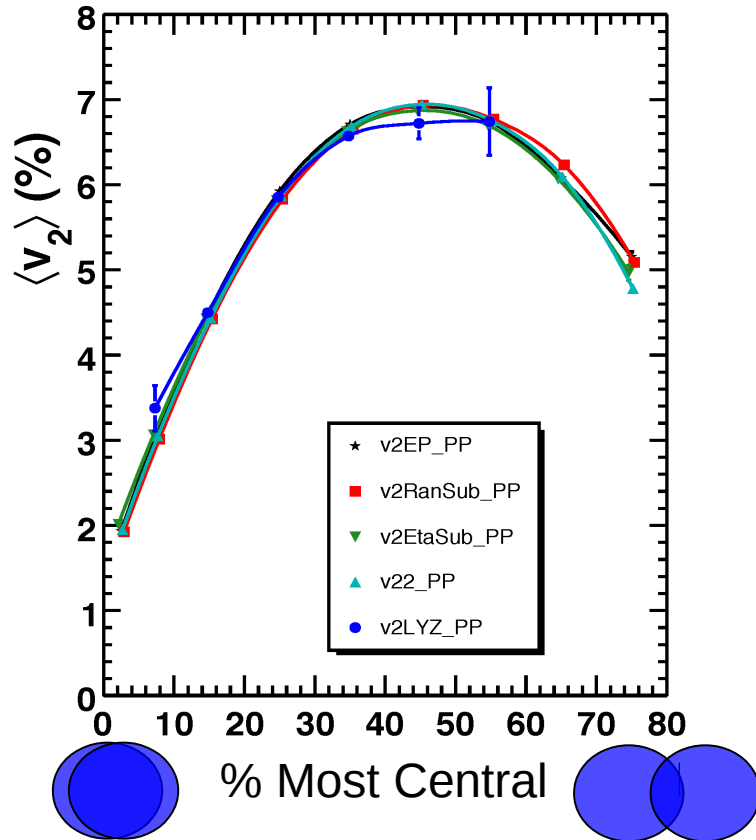
$$0 \leq f(R) < 0.2$$

Differences between methods proportional to

$$\sigma_{\text{tot}} = \delta + 2\sigma_{v_2}^2$$

Need additional assumption or information to separate between non-flow and fluctuations

Corrected mean results

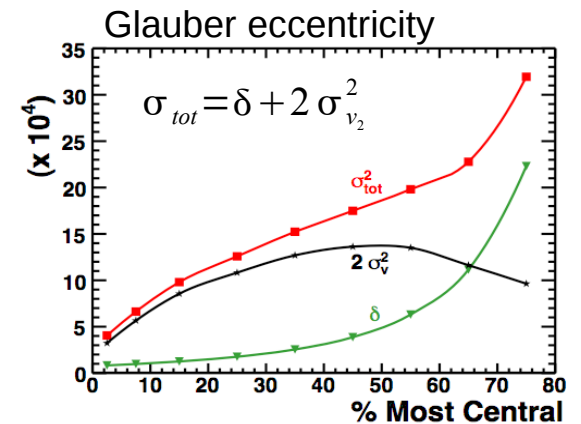


Model assuming:

$$\sigma_{v_2} = \frac{\sigma_{\epsilon_{\text{part}}}}{\langle \epsilon_{\text{part}} \rangle} \langle v_2 \rangle$$

$$\delta = \frac{2}{N_{\text{part}}} \delta_{\text{pp}}$$

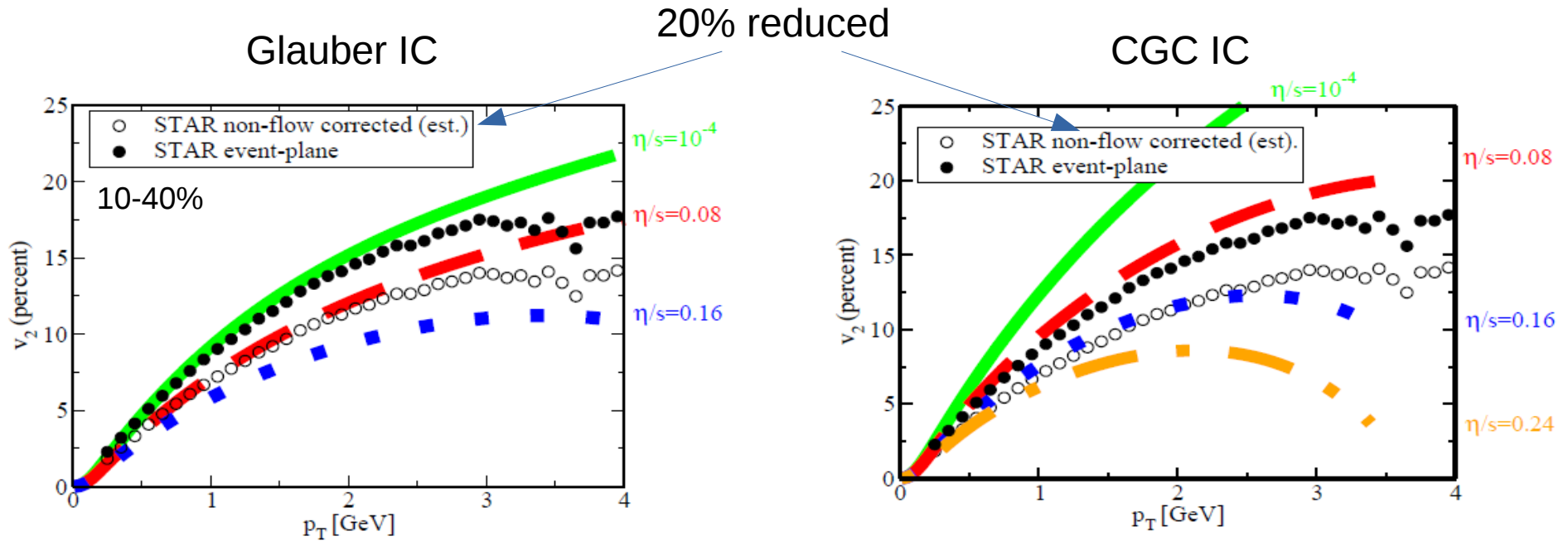
with $\delta_{\text{pp}} = 0.0145$



Corrected mean values agree in participant frame.
Reduces errors on v_2 measurements by about 20%.

Eccentricity values are calculated for standard Glauber and a mix of 30:70 CGC (not shown)

How viscous is the liquid?



State-of-art results from second-order conformal hydrodynamics (2+1D) yield a low shear viscosity to entropy ratio.

General consensus (from QM09) that:
$$\frac{\eta}{s} < 6 \times \frac{1}{4\pi}$$

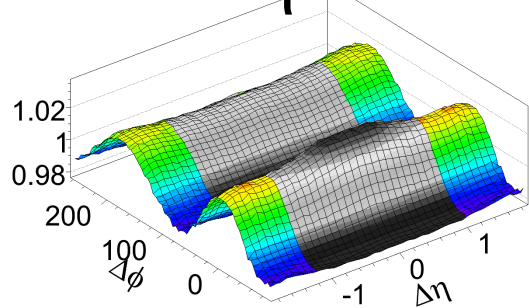
Reduced errors on v_2 data allows to study 20% effects.

Luzum, Romatschke, PRC 78 034915 (2008); PRC 79 039903 (2009)

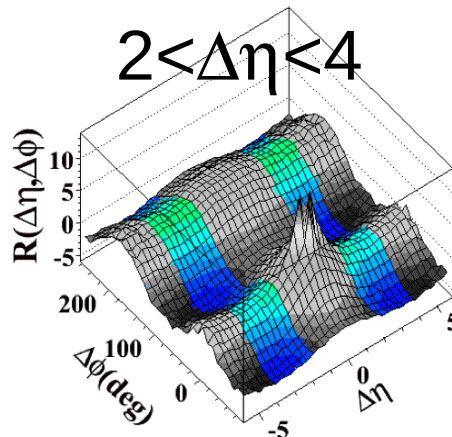
Correlations at large $\Delta\eta$

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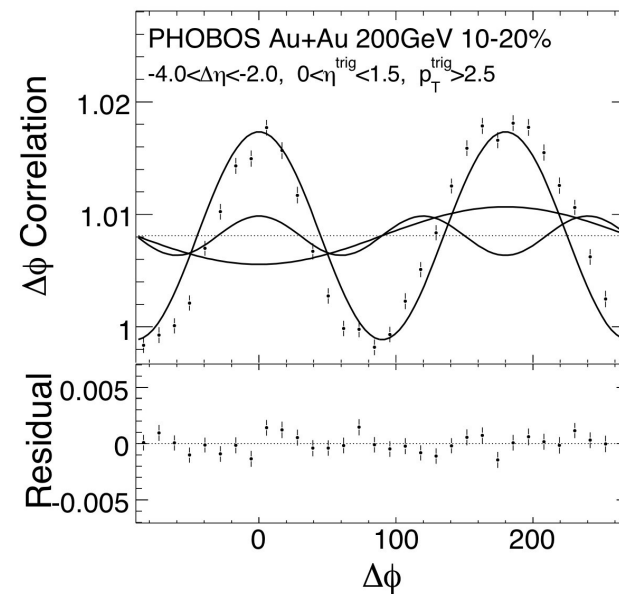
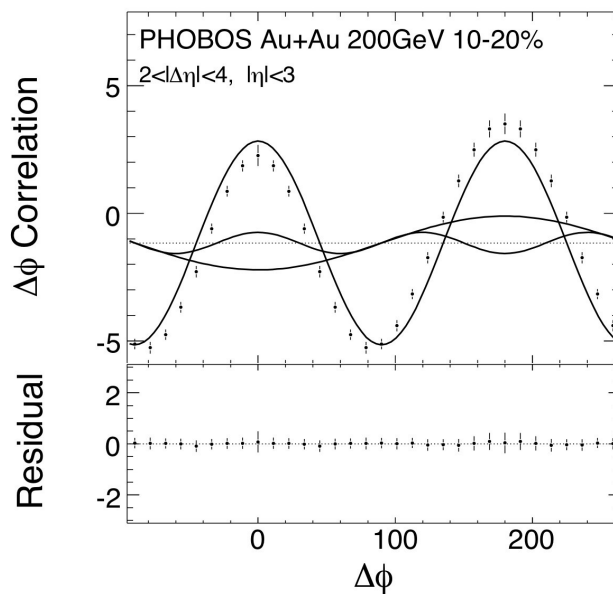
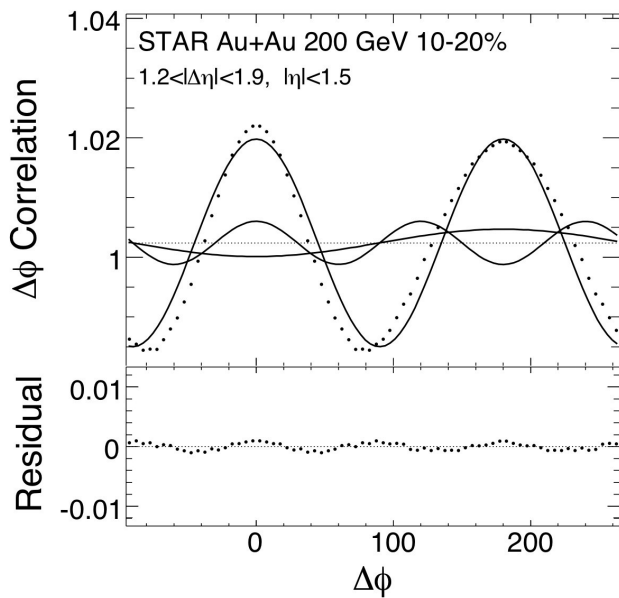
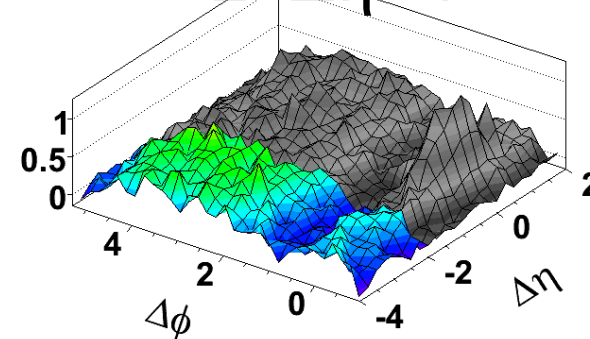
STAR inclusive
 $1.2 < \Delta\eta < 1.9$



PHOBOS inclusive
 $2 < \Delta\eta < 4$



PHOBOS $p_T^{\text{trig}} > 2\text{GeV}$
(v_2 subtracted)
 $2 < \Delta\eta < 4$



Long range correlations are well described by 3 Fourier components

Closer look at “non-flow”

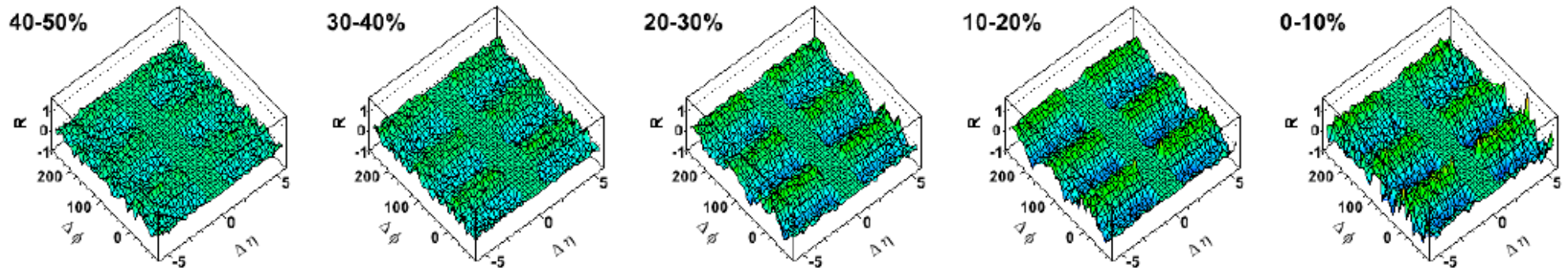
(Burak Alver, MIT meeting)

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Remove first and second Fourier contribution and suppress short-range peak ($|\Delta\eta| < 1$)

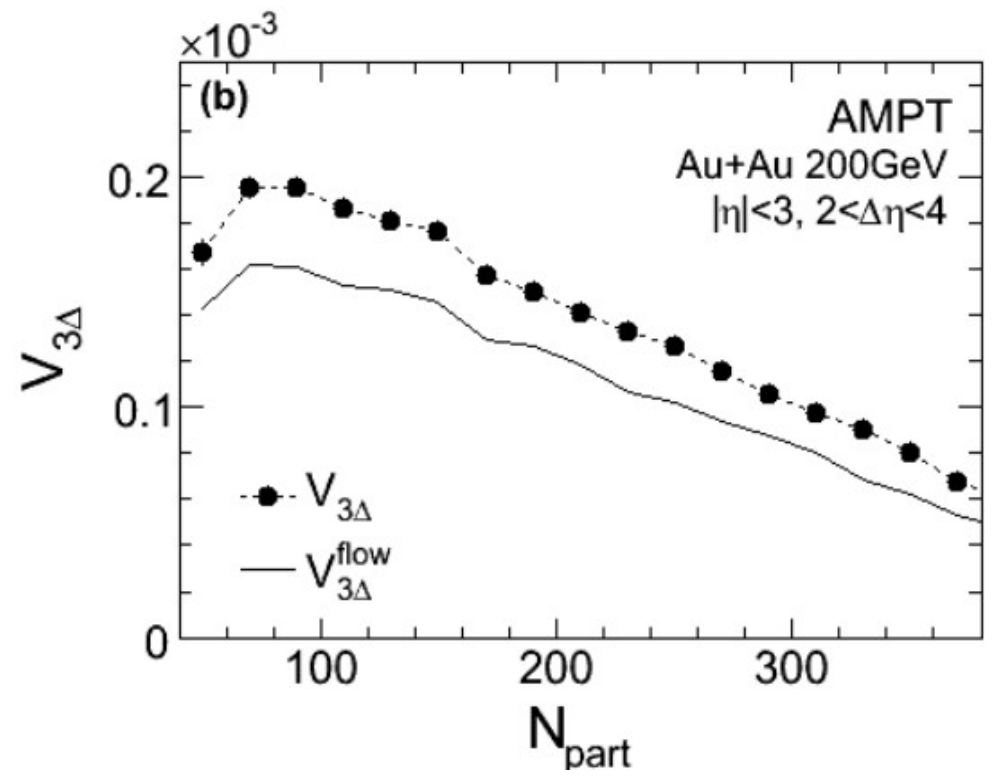
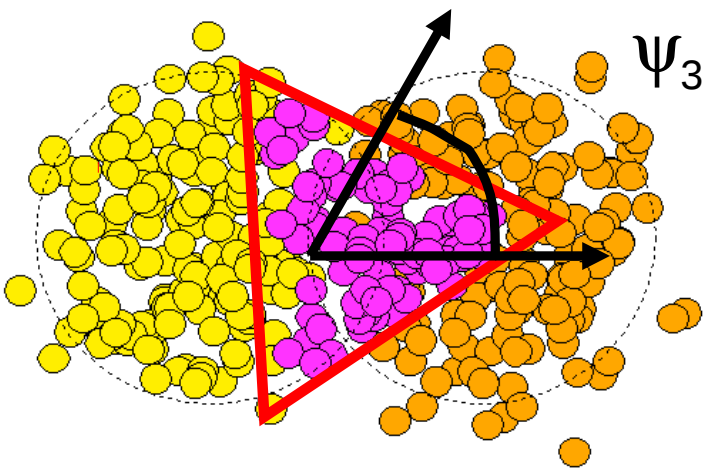
Is Third Fourier special?

- It is a large effect
- It is there at large $\Delta\eta$
- Can it be linked to initial state?
- Is it a function of η (?)
- Measure centrality + p_T dependence, 3 particle correlations, non-flow, etc.



Ridge and broad away side: Even without trigger particle and at large $\Delta\eta$

Participant triangularity and triangular flow 15



Initial shape fluctuations: Triangularity \longrightarrow Interactions present early

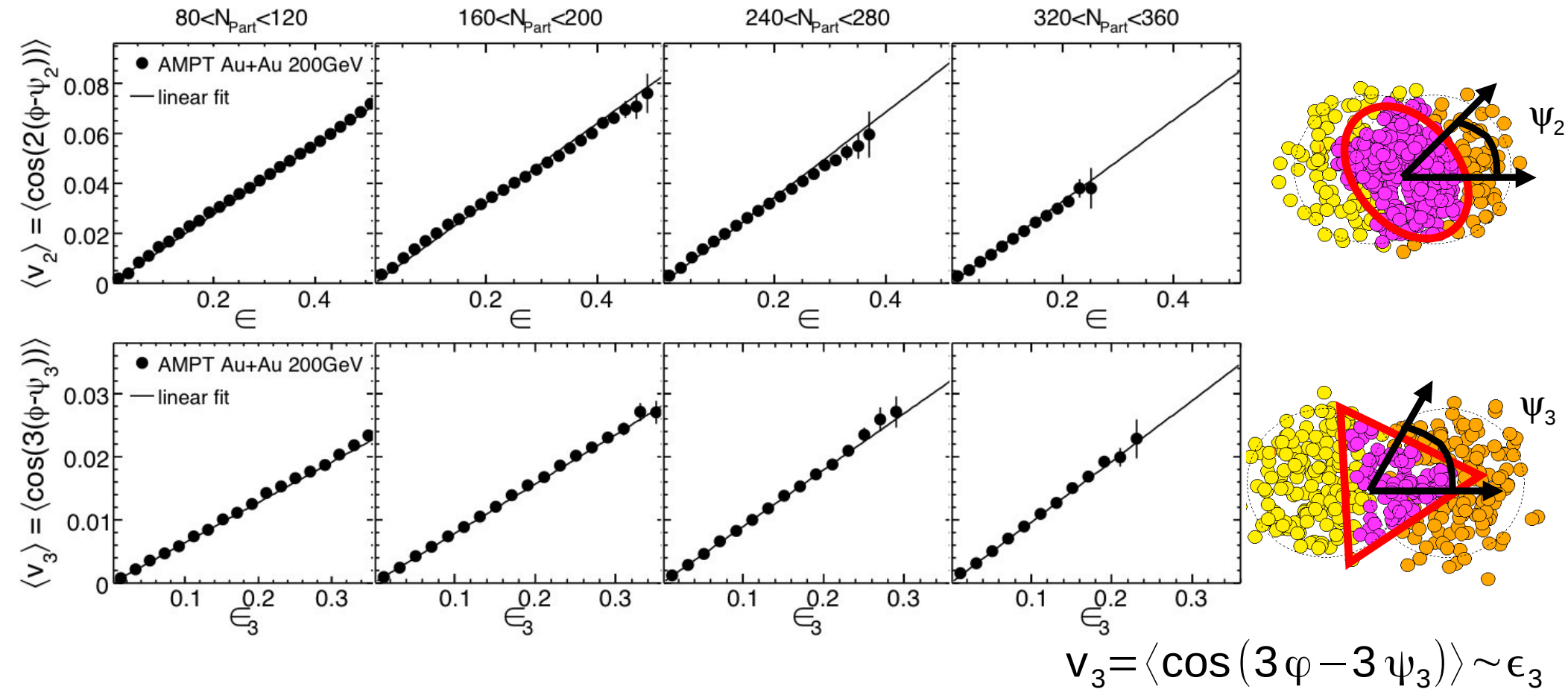
Momentum space anisotropy: Triangular flow

$$\epsilon_3 = \frac{\sqrt{\langle (r^2 \cos(3\phi))^2 \rangle + \langle (r^2 \sin(3\phi))^2 \rangle}}{\langle r^2 \rangle}$$

$$v_3 = \langle \cos(3\phi - 3\psi_3) \rangle$$

Triangular flow in AMPT

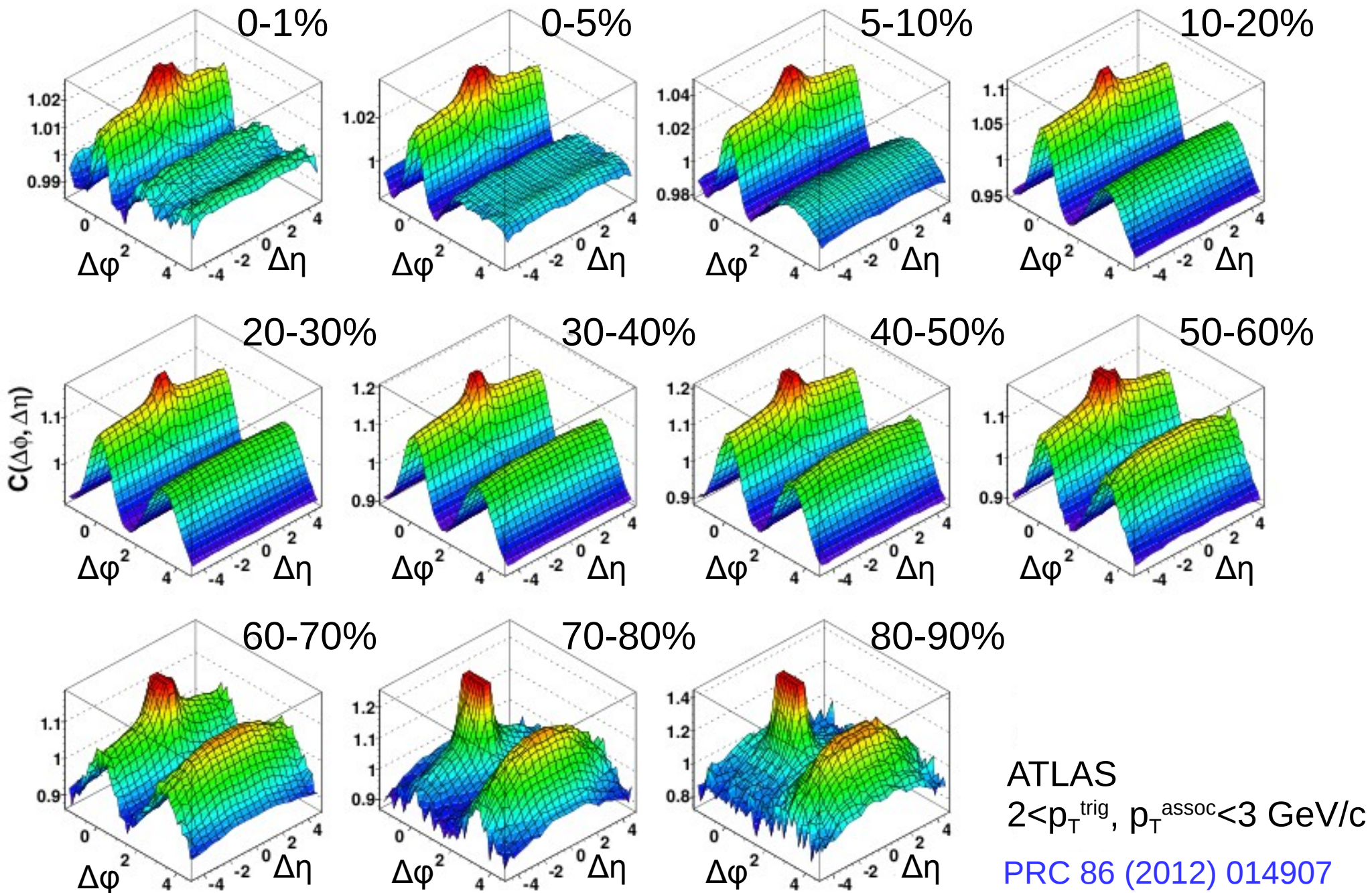
$$v_2 = \langle \cos(2\varphi - 2\psi_2) \rangle \sim \epsilon_2$$

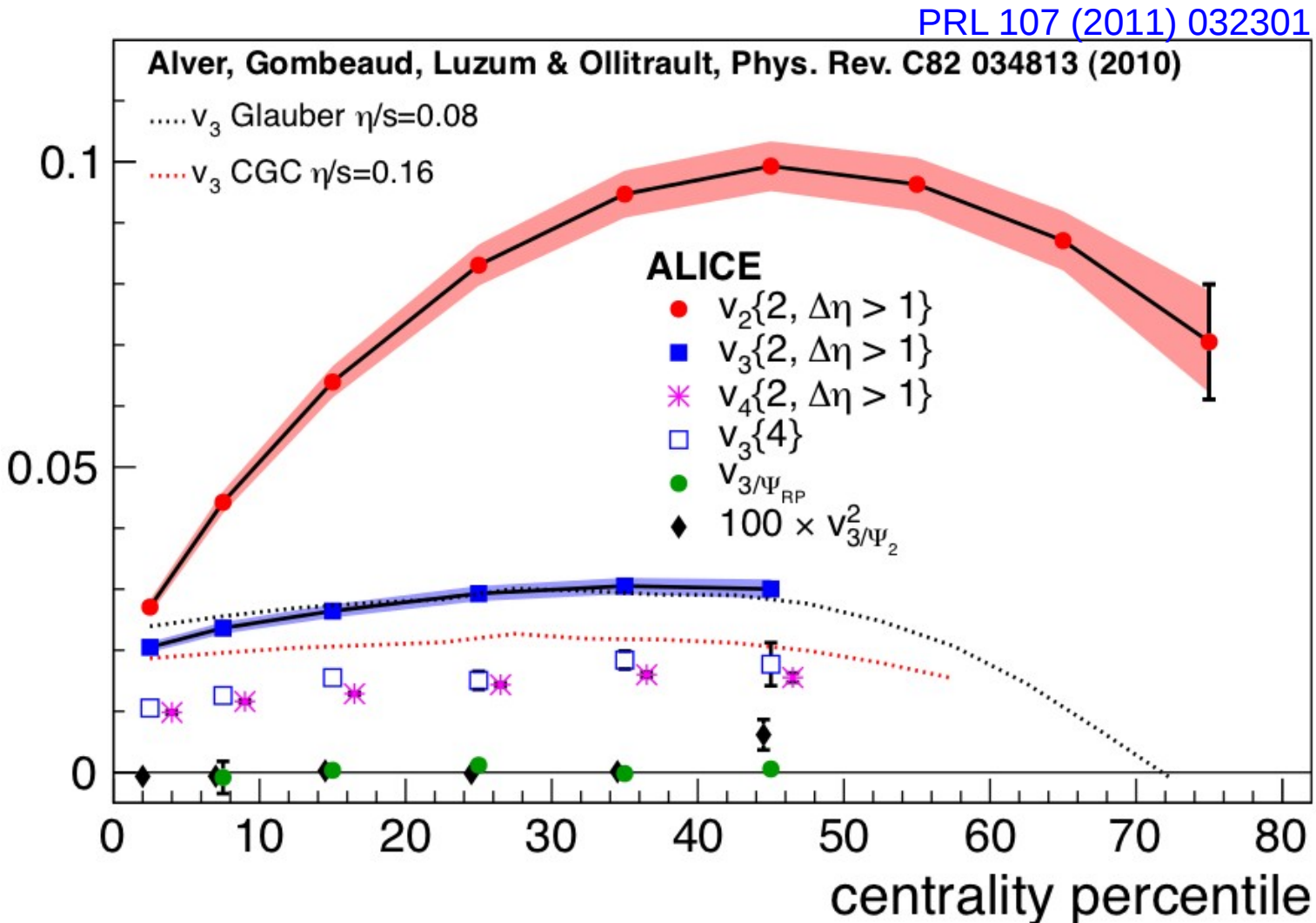


Participant triangularity leads to triangular flow in AMPT

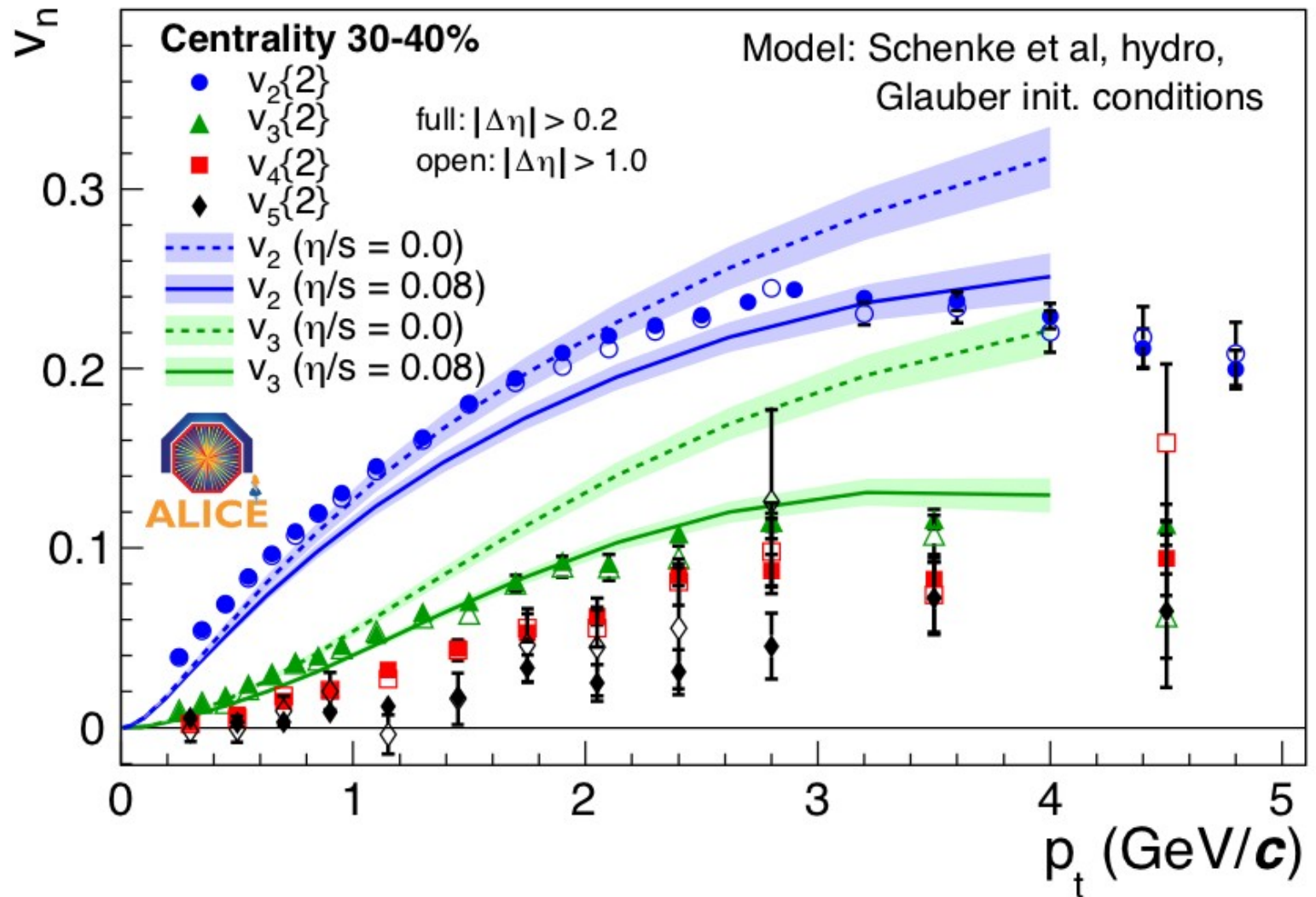
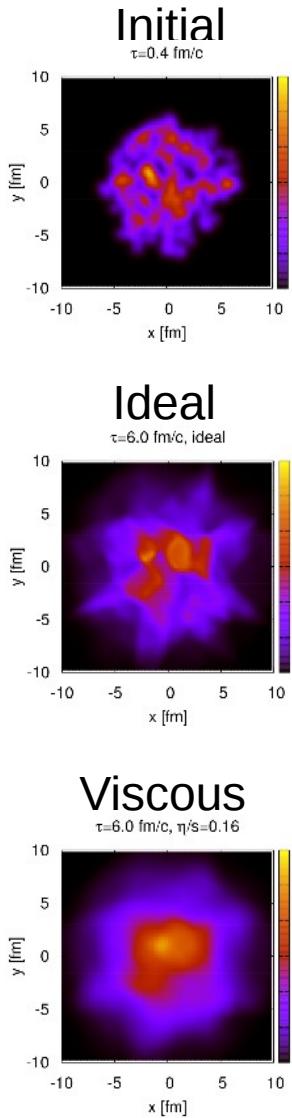
Two-particle angular correlations

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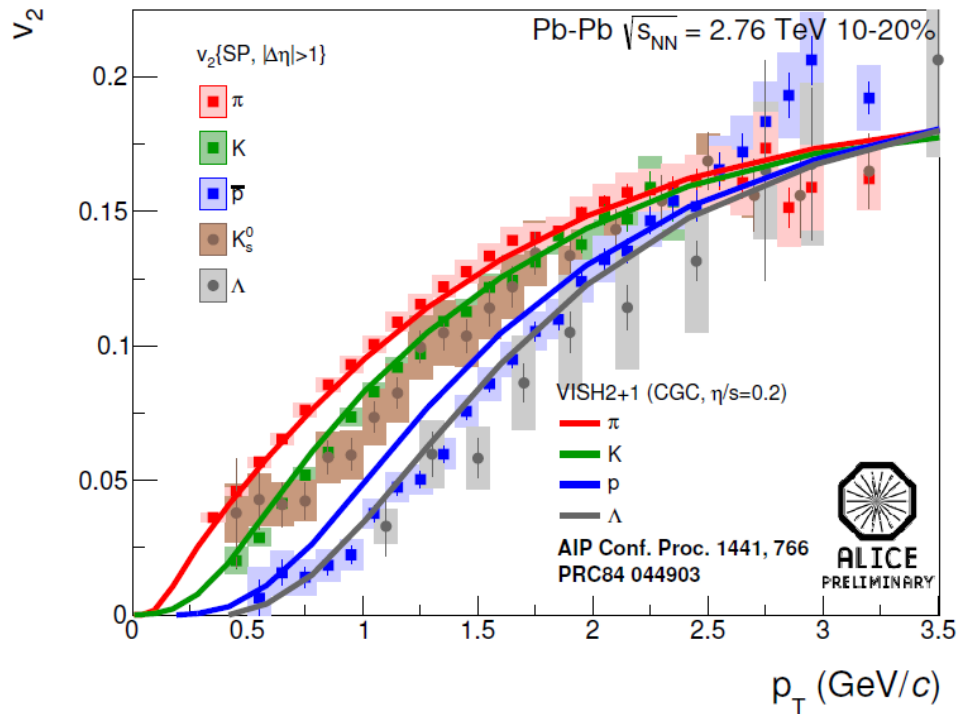


Significant triangular flow observed. Centrality dependence is different to that of elliptic flow. Measurements vs reaction plane yield zero as expected if it arises from fluctuations.

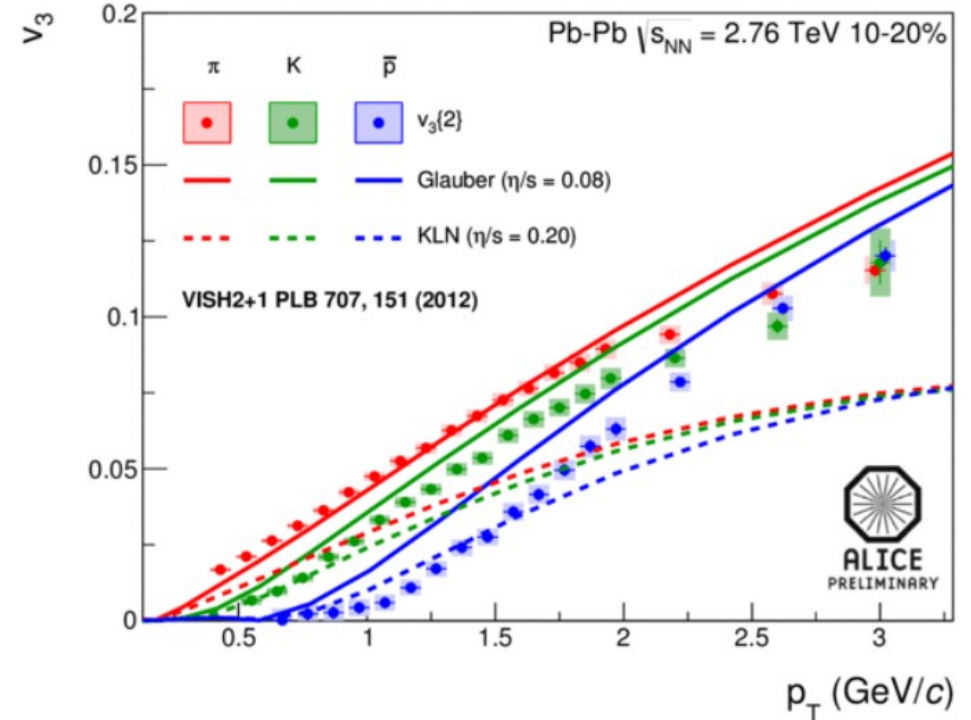


The overall dependence of v_2 and v_3 is described. However, not yet for a single η/s value. More constraints on initial conditions provided by v_3 and higher harmonics.

Elliptic flow



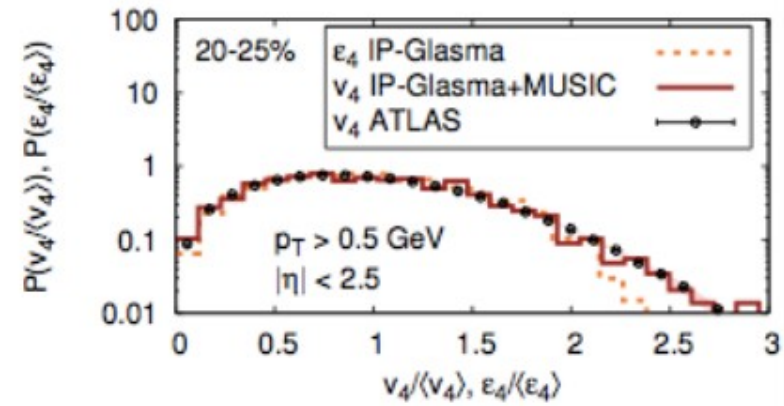
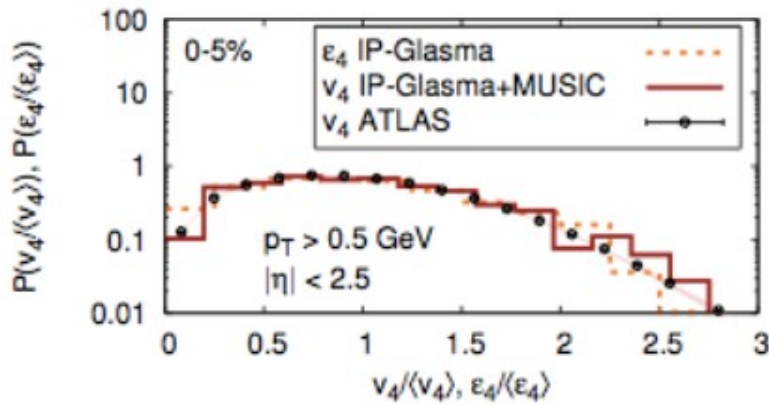
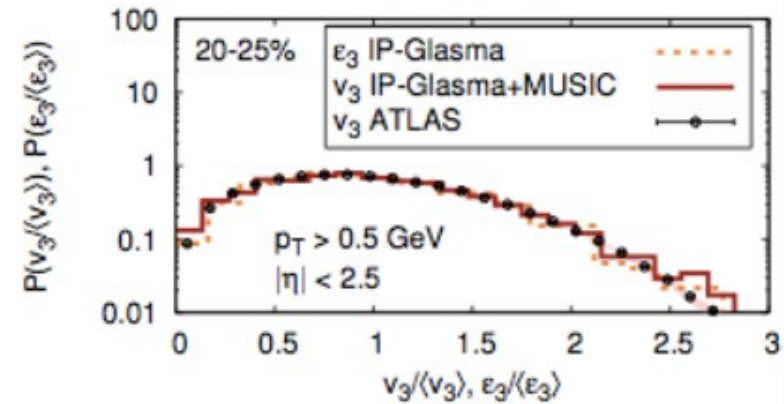
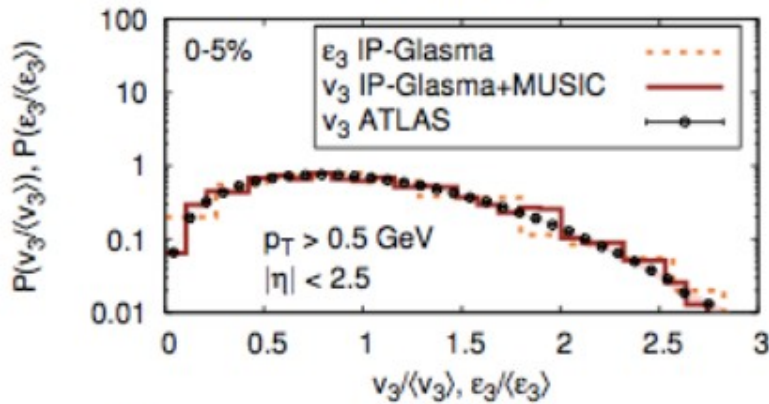
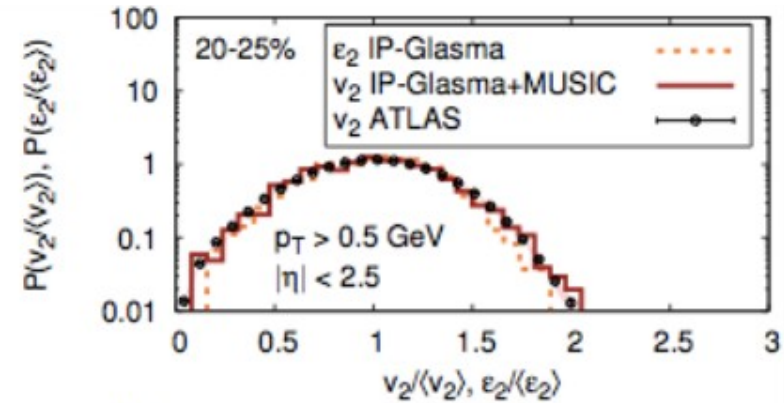
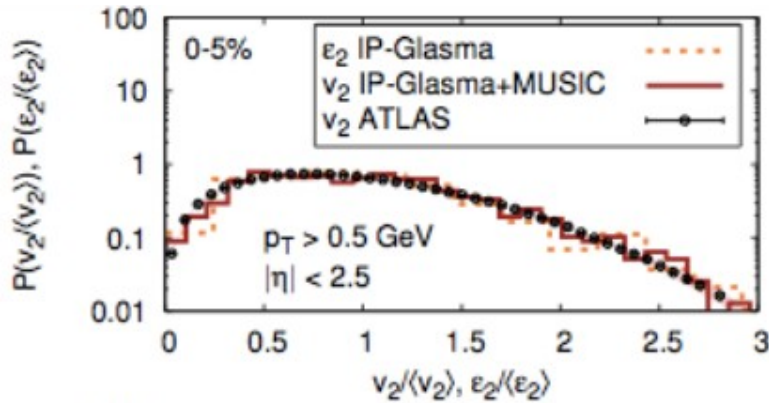
Triangular flow



- Particle mass dependent splitting from radial flow characteristic for v_2
- Can be described by hydrodynamical models (+ hadronic afterburners)

- Similar mass splitting for v_3
- Qualitatively described by hydrodynamical models (+ hadronic afterburners)
- Provides additional constraints on η/s

Event-by-event fluctuations

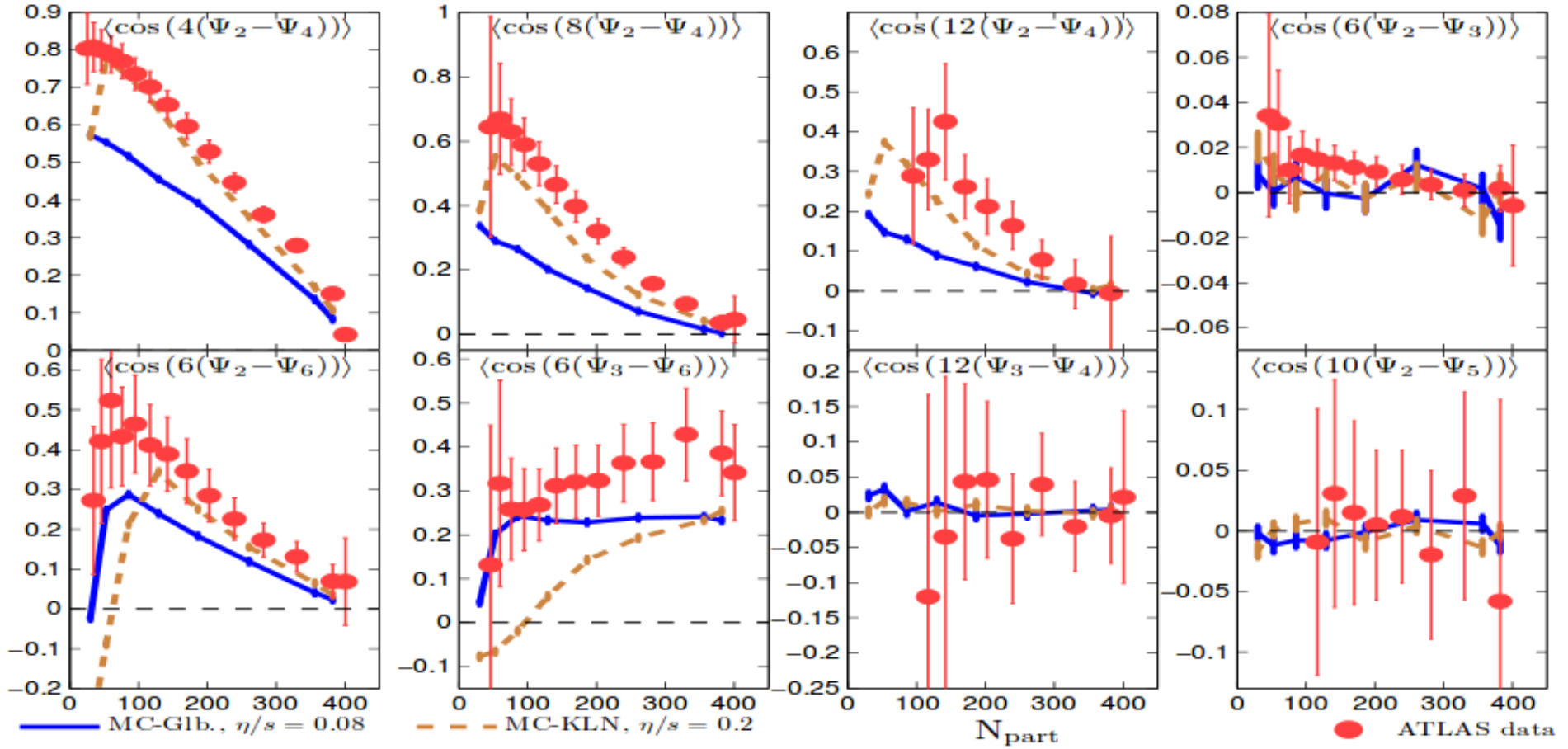


Hydro describes more than only average v_N

ATLAS, JHEP 11 (2013) 183

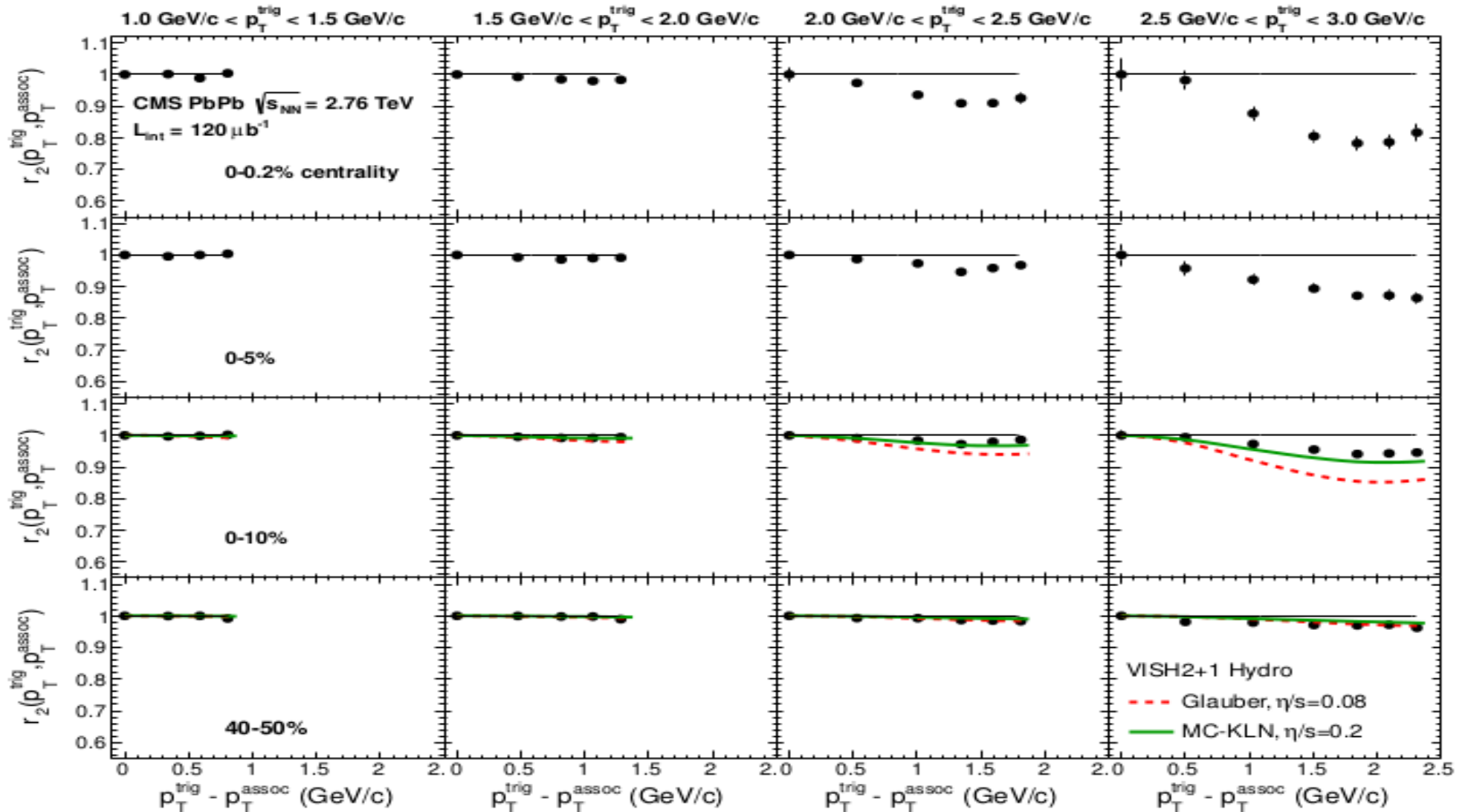
Schenke et al., PRL 110 (2013) 012302

Heinz et al., PLB 717 (2012) 261



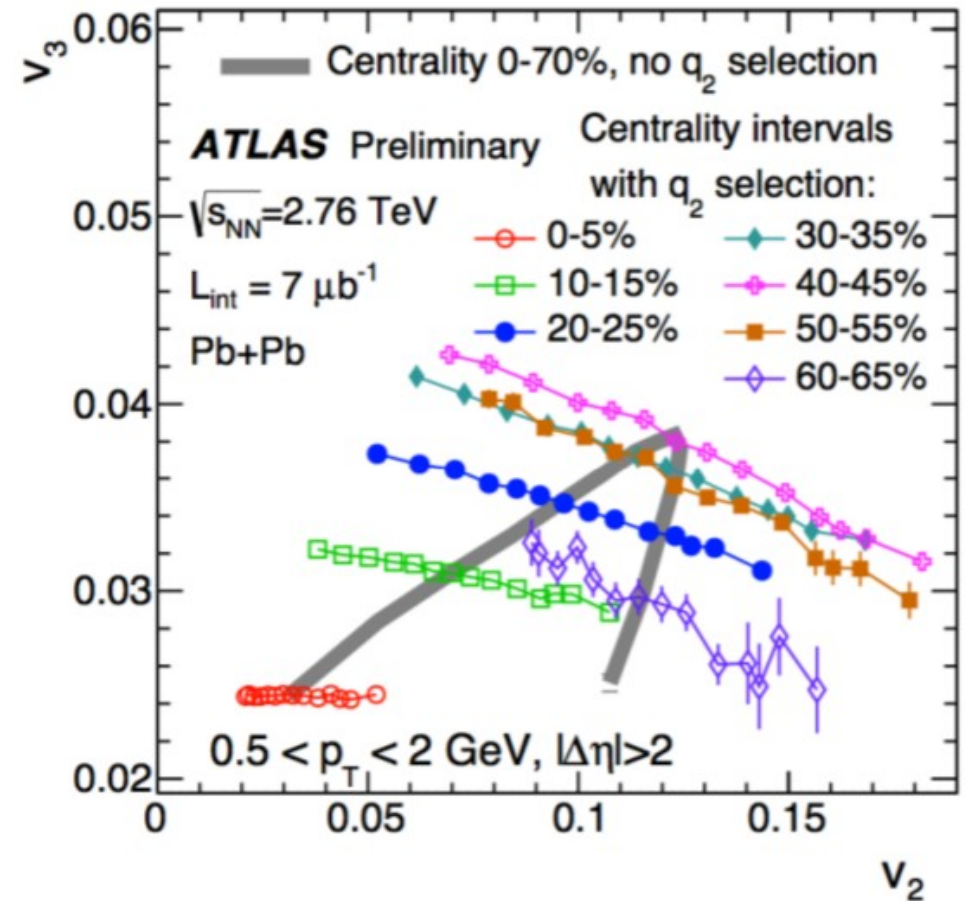
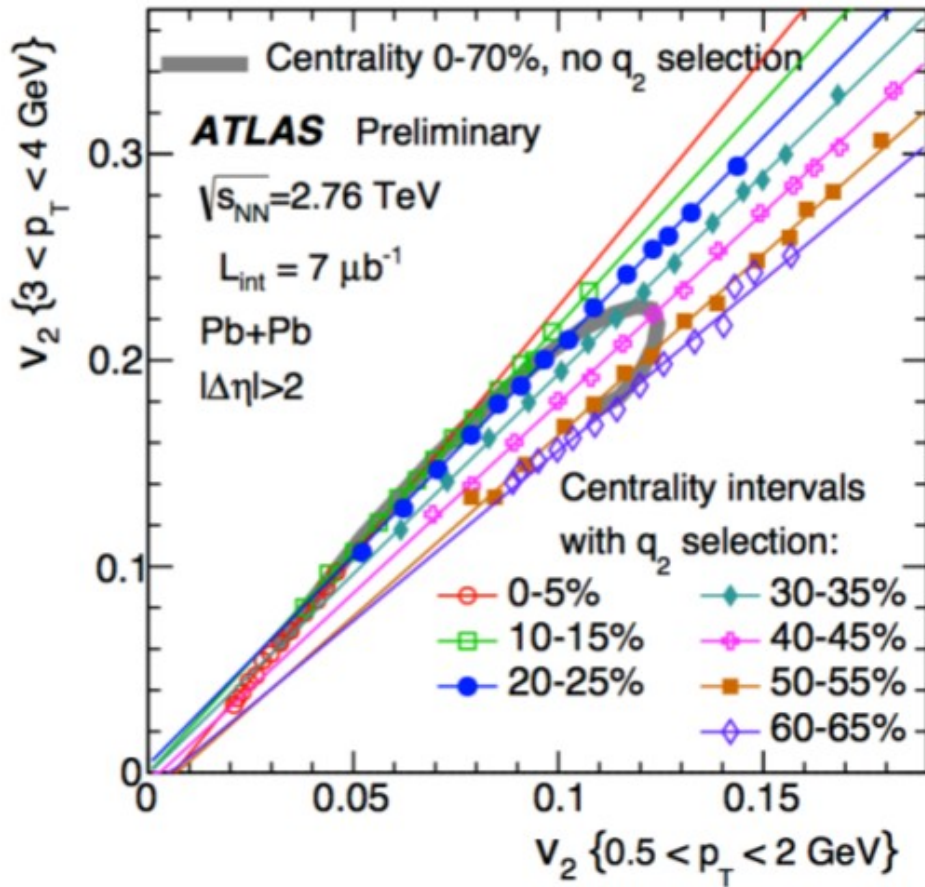
Fluctuations and hydrodynamic evolution lead to specific correlations of different order event plane angles

Factorization breakdown



$$r_n \equiv \frac{V_{n\Delta}(p_T^a, p_T^b)}{\sqrt{V_{n\Delta}(p_T^a, p_T^a)}\sqrt{V_{n\Delta}(p_T^b, p_T^b)}} \sim \langle \cos[n(\Psi_n(p_T^a) - \Psi_n(p_T^b))] \rangle$$

Factorization is broken by fluctuations that lead to p_T dependent event-plane angles

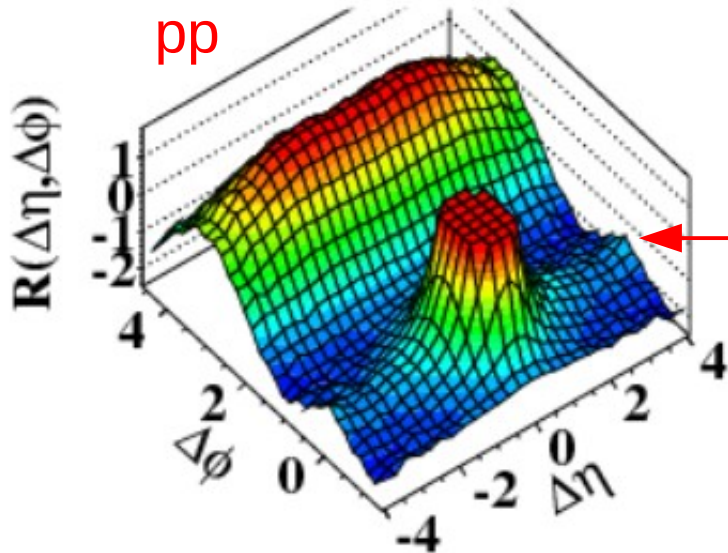


May indicate that viscous effects mostly controlled by system size rather by shape

Anti-correlation at fixed centrality: Constrain for models, in particular at 0-5% class

Two-particle angular correlations at LHC

CMS $N \geq 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

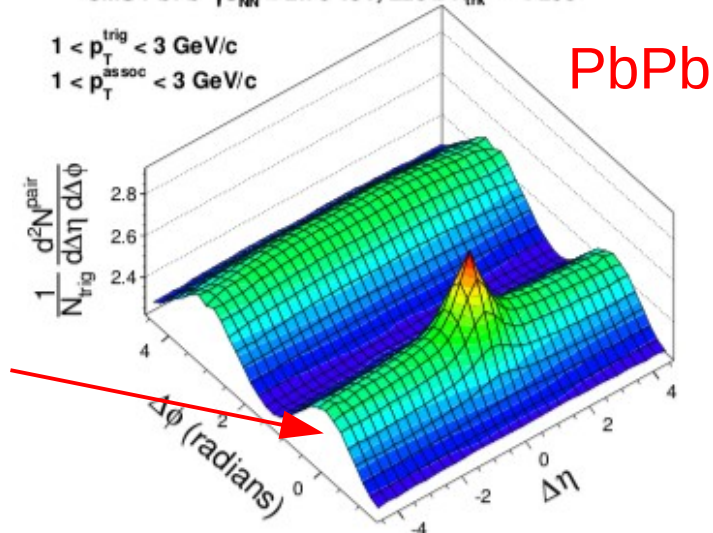


CMS, JHEP 1009 (2010) 91

Near-side ridges
apparent in high
multiplicity events
at LHC energies

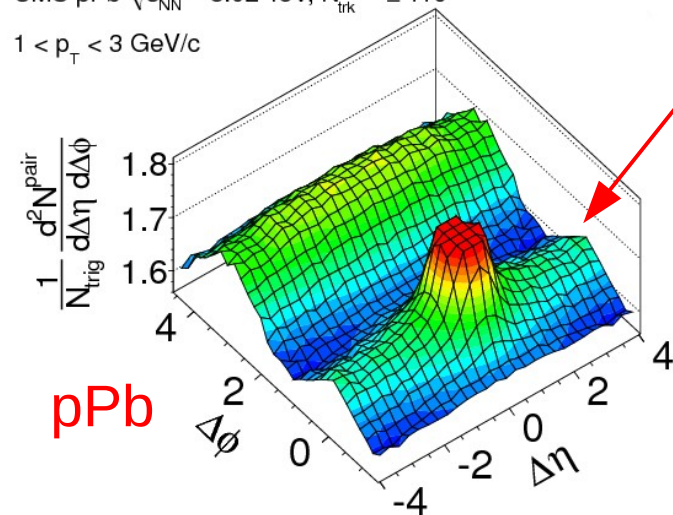
CMS PbPb $\sqrt{s_{NN}} = 2.76 \text{ TeV}$, $220 \leq N_{\text{trk}}^{\text{offline}} < 260$

$1 < p_T^{\text{trig}} < 3 \text{ GeV}/c$
 $1 < p_T^{\text{assoc}} < 3 \text{ GeV}/c$



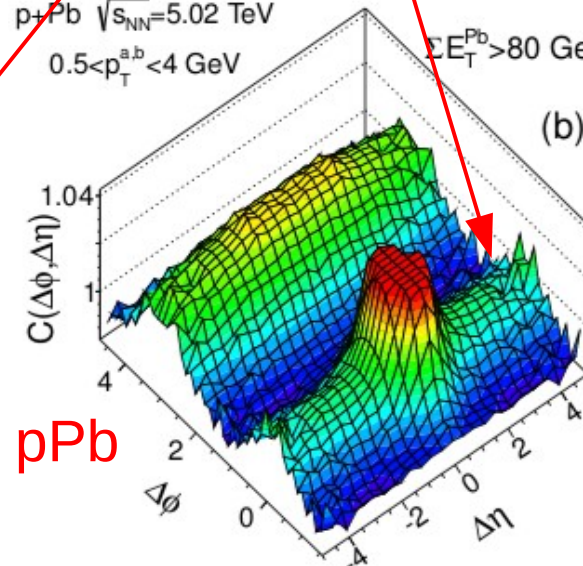
CMS, PLB 724 (2013) 213

CMS pPb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$, $N_{\text{trk}}^{\text{offline}} \geq 110$
 $1 < p_T < 3 \text{ GeV}/c$



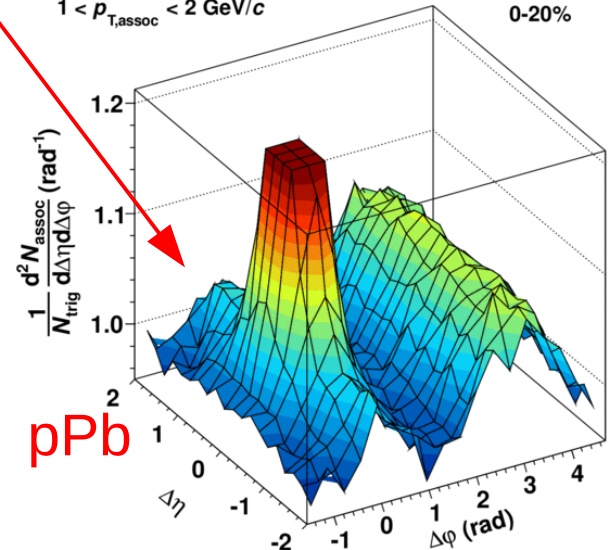
CMS, PLB 718 (2012) 795

p+Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
 $0.5 < p_T^{a,b} < 4 \text{ GeV}$
 $\Sigma E_T^{\text{Pb}} > 80 \text{ GeV}$

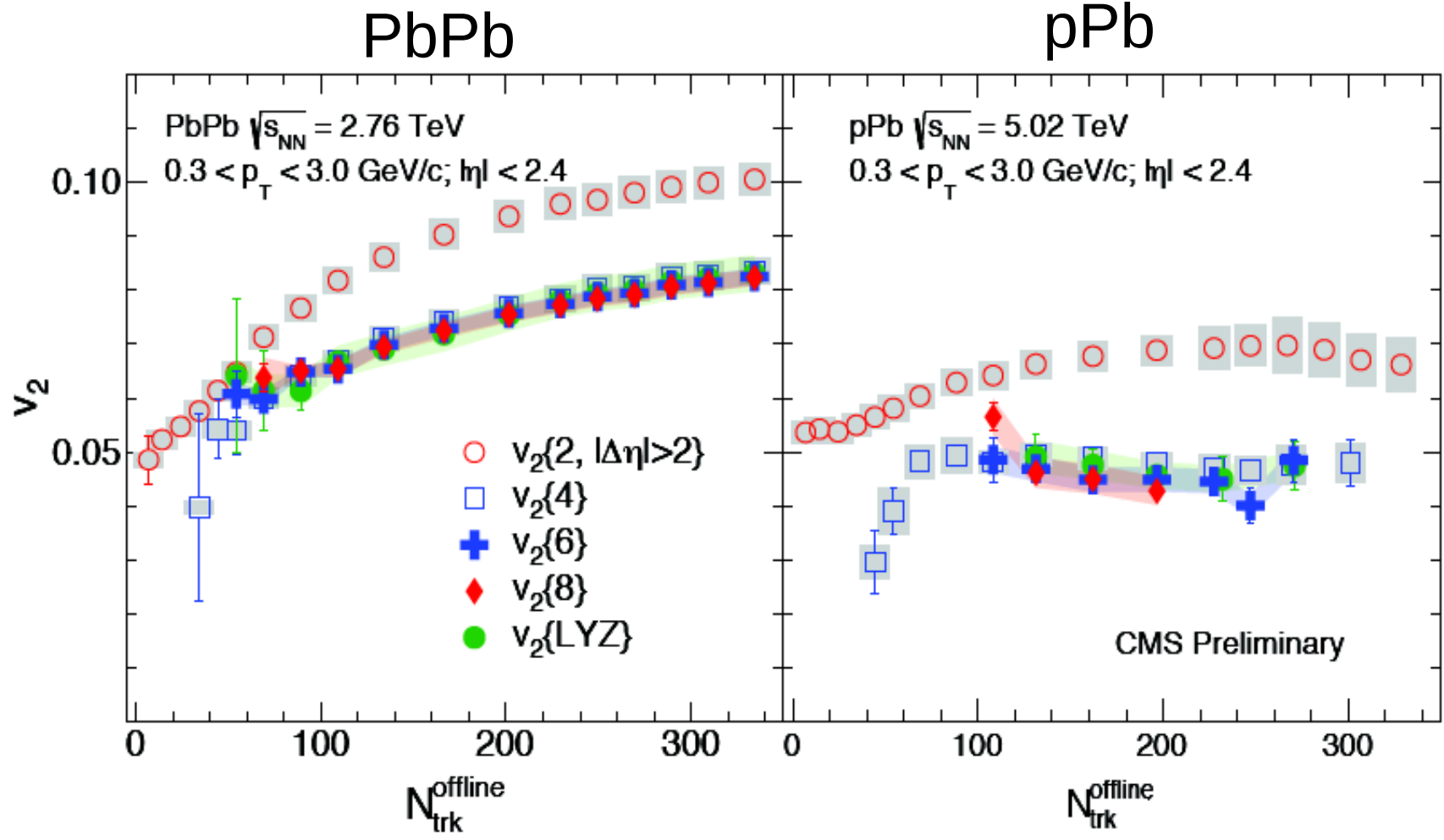


ATLAS, PRL 110 (2013) 182302

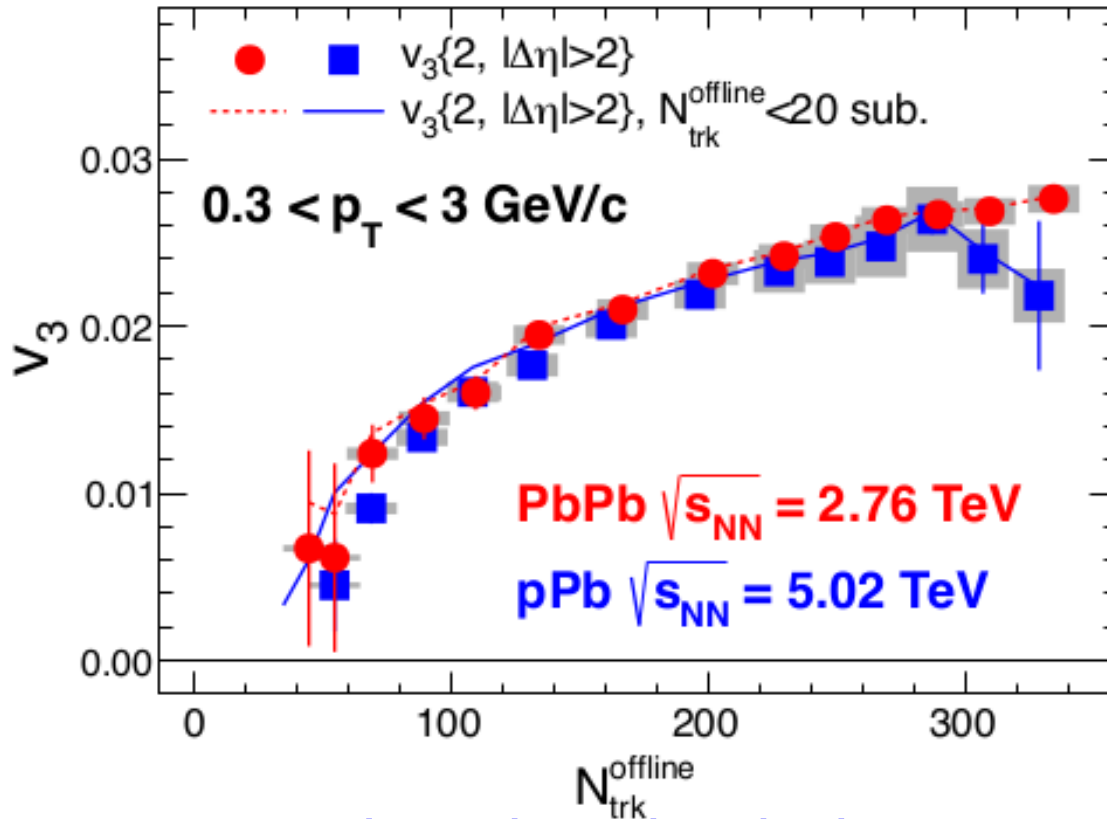
$2 < p_{T,\text{trig}} < 4 \text{ GeV}/c$
 $1 < p_{T,\text{assoc}} < 2 \text{ GeV}/c$
p-Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
0-20%



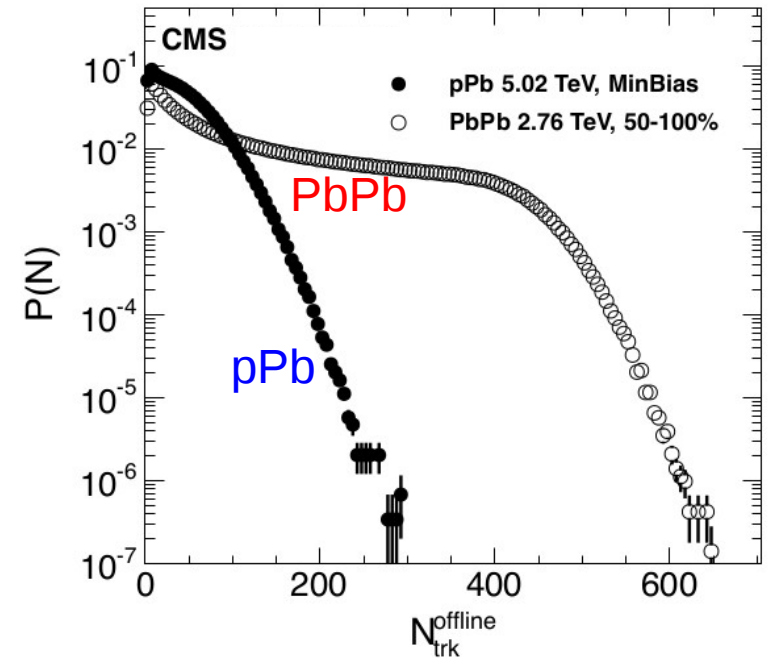
ALICE, PLB 719 (2013) 29



Multi-particle correlation results are the same within 10%.
Strong evidence of collective nature of correlations.



CMS, PLB 724 (2013) 213

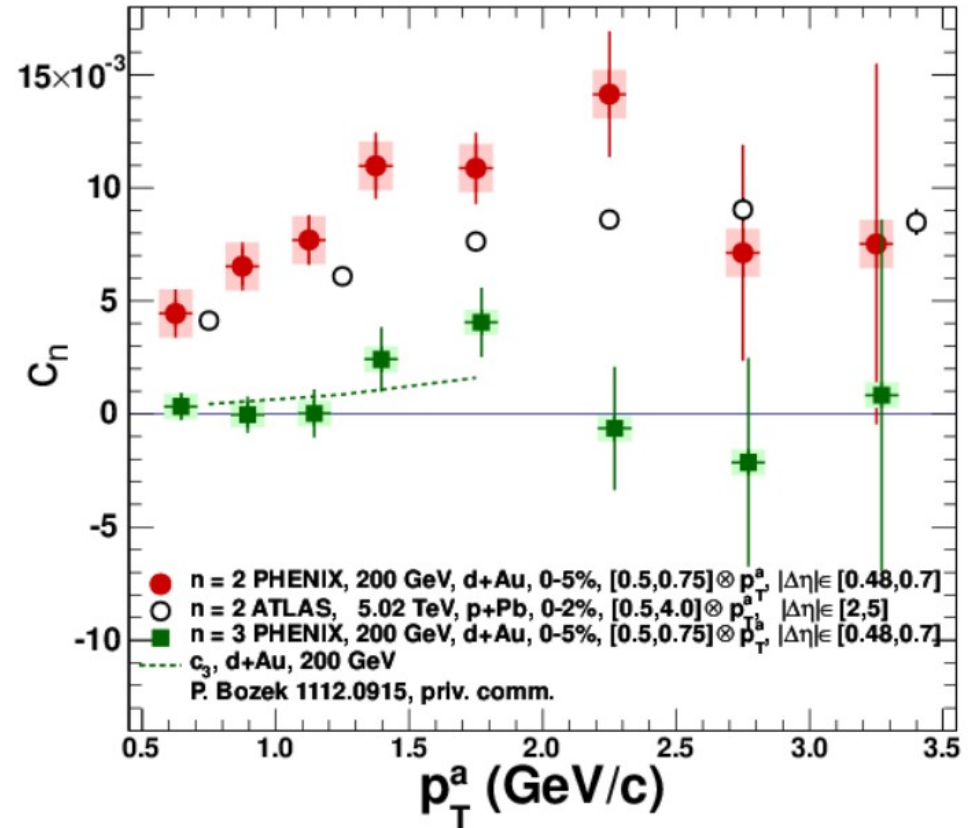
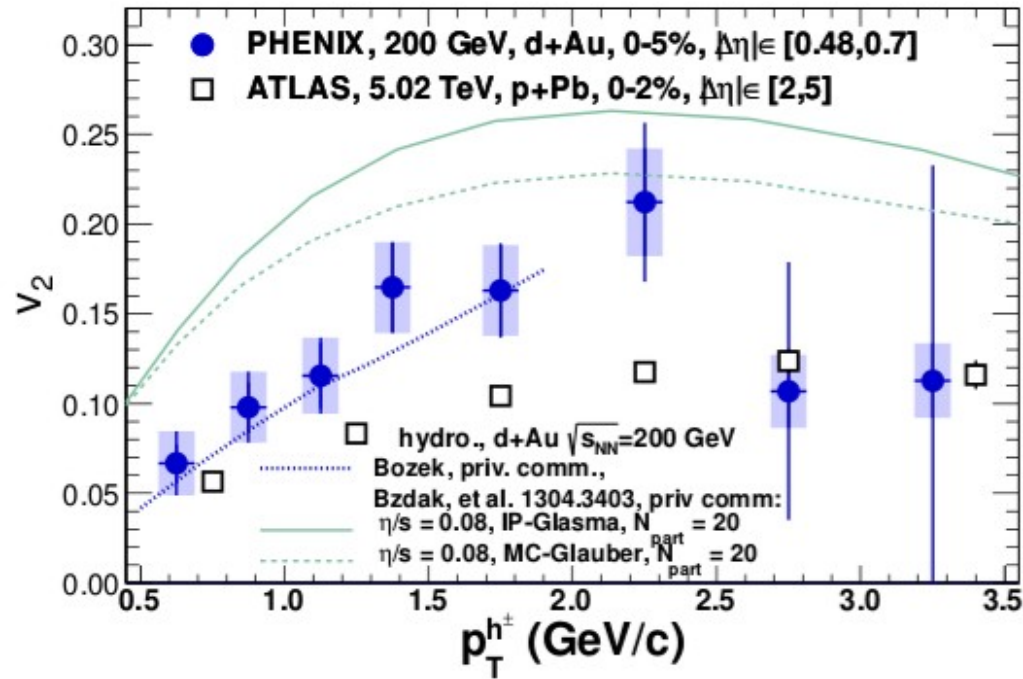


- Same v_3 in pPb as in PbPb
- Turn on at around $M=50$ tracks (~minbias pPb)
- Established picture in PbPb
 - Transformation of IS fluctuations into FS via interactions

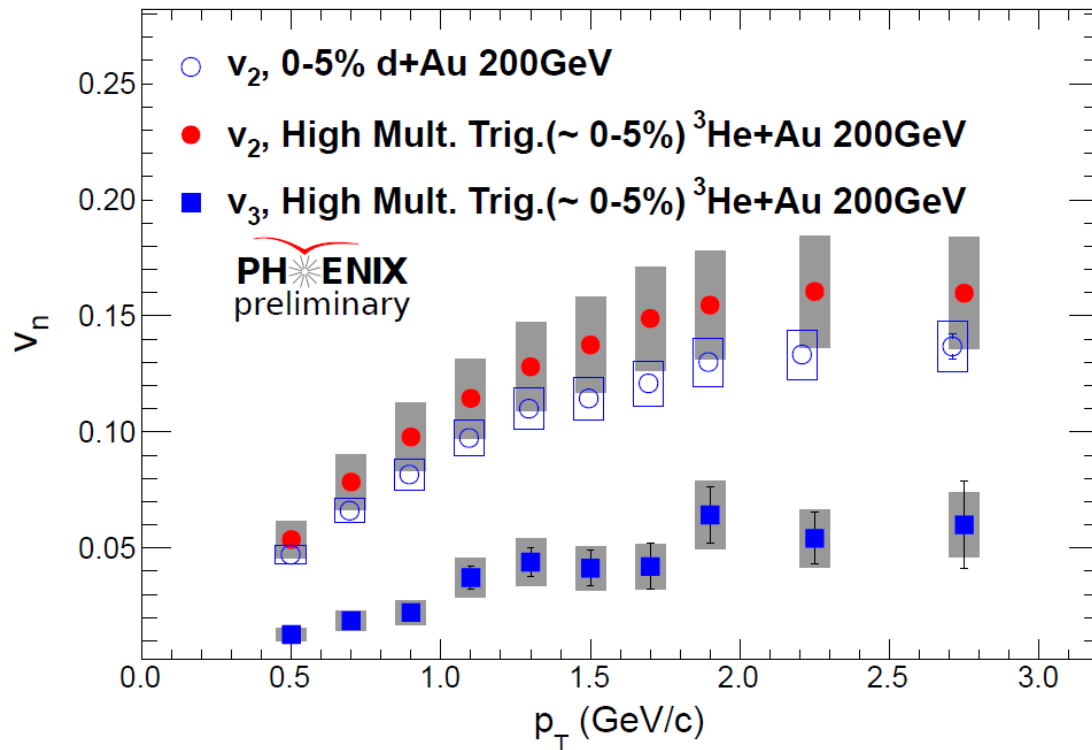
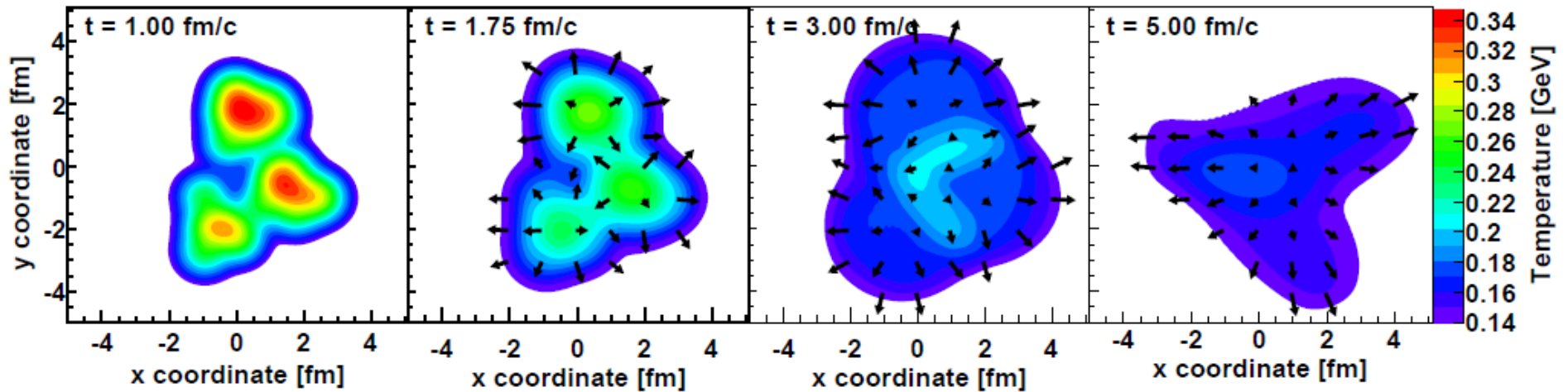
- Same physics mechanism despite different underlying dynamics (+ system size)?
- Maybe we select on events in which the proton wave function fluctuated to large values (fat proton, Mueller, arXiv:1307.5911v2)

v_2 and v_3 in dAu at RHIC

PHENIX, PRL 111 (2013) 212301



Large v_2 (about twice as much as that of pPb) and negligible v_3 found in dAu, as expect from initial state eccentricities.



Expectation from IS:

- $^3\text{He}+\text{Au}$ (0-5%) $N_{\text{part}}=25.0$
 $\epsilon_2=0.504$ $\epsilon_3=0.283$
- d+Au (0-5%) $N_{\text{part}}=17.8$
 $\epsilon_2=0.540$ $\epsilon_3=0.190$

Measurement:

- The v_2 of $^3\text{He}+\text{Au}$ is similar to that of d+Au
- A clear v_3 signal observed in 0-5% $^3\text{He}+\text{Au}$ collisions

- Understanding of connection between initial and final state in AA collisions significantly advanced in past 10 years
- Hydrodynamical models passed a variety of tests
 - Still often qualitatively and not fully systematically applied
 - Many aspects also described by AMPT
- Onset of collectivity in small systems not surprising if the created system is “comparable in size” to that of a peripheral AA
 - Small systems allow one to study flow from fluctuations only
 - In pA collisions the (sub-)structure of p is probed
 - Long pAu run in 2015 at RHIC for further experimental insight
 - Models should attempt to describe p/dA and AA and systematically explore the similarity and difference between them (if any)
 - Is there (partial) thermalization?
 - Is there jet modification or suppression?
 - Is the physics origin in high mult pp the same?
 - Is there a change from IS (GLASMA) dominance to FS (HYDRO) evolution?

Ideal relativistic hydrodynamics

$$T^{\mu\nu} = (e + p)u^\mu u^\nu - p g^{\mu\nu}$$

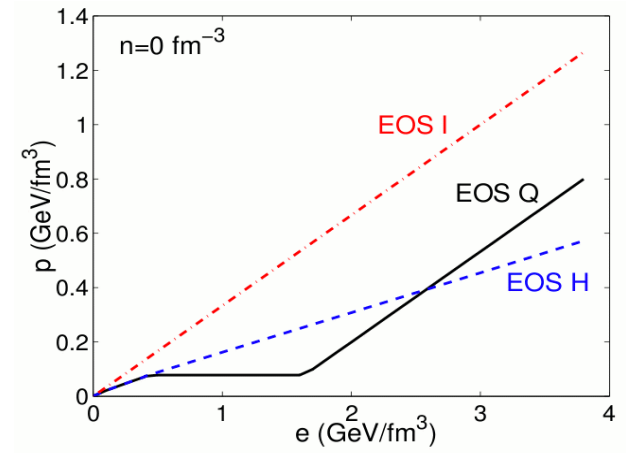
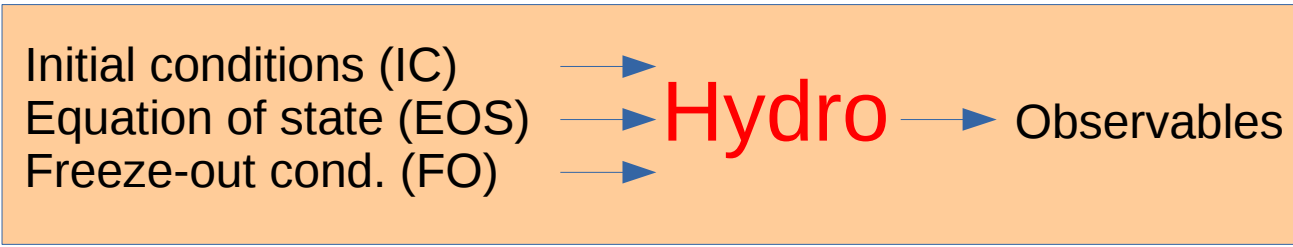
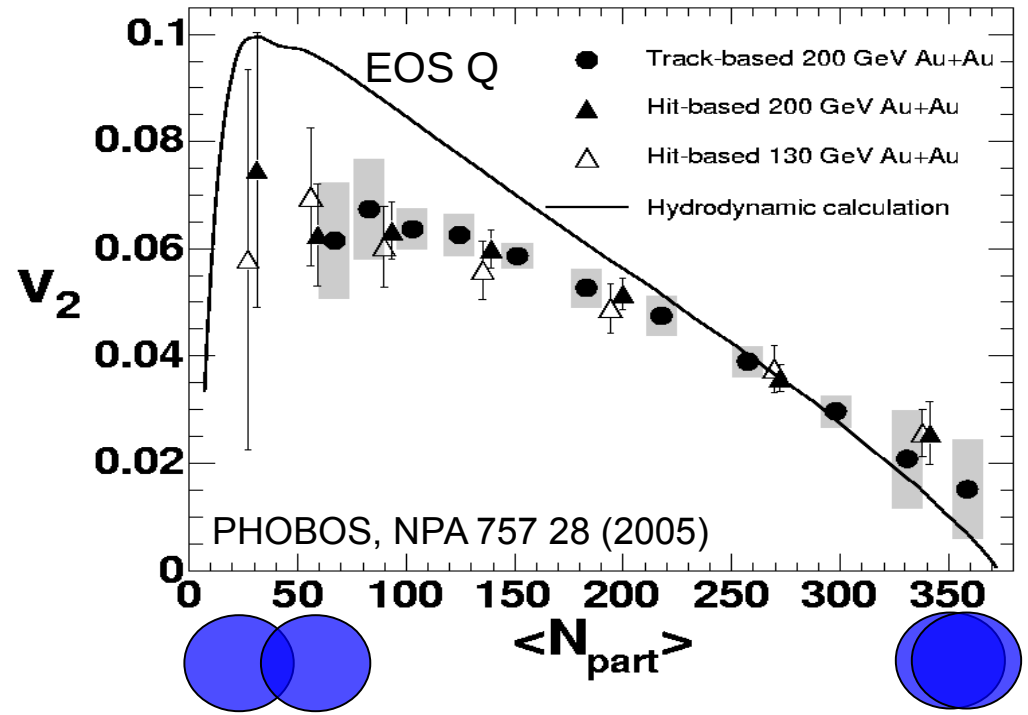
$$\delta_\mu T^{\mu\nu} = 0$$

$$\delta_\mu N_i^\mu = 0, \quad i = B, S, \dots$$

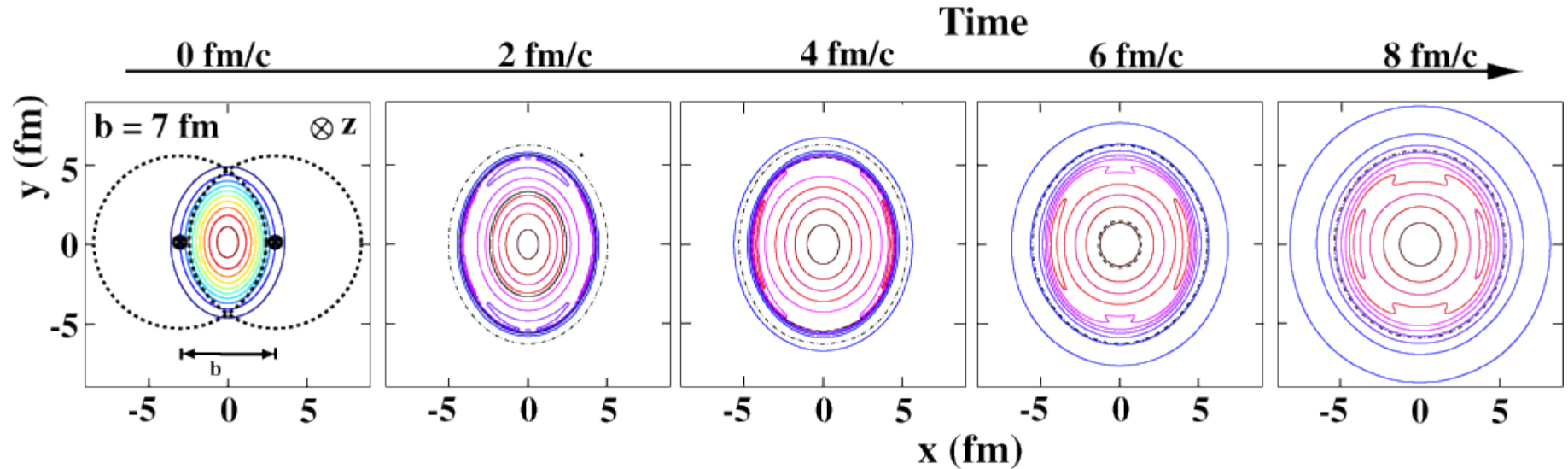
$$p = p(e, n) \quad \text{Closure with EoS}$$

Assumption:

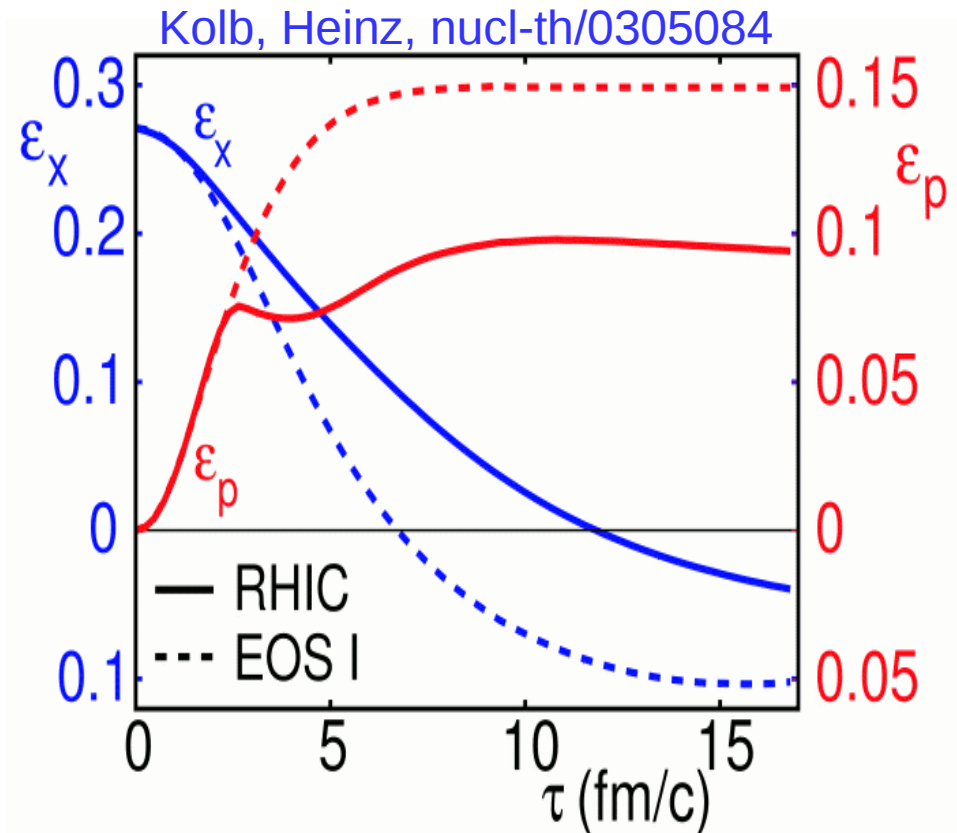
After a short thermalization time ($\leq 1\text{fm}/c$) a system in **local equilibrium** with zero mean free path and zero viscosity is created



Elliptic flow: Self quenching

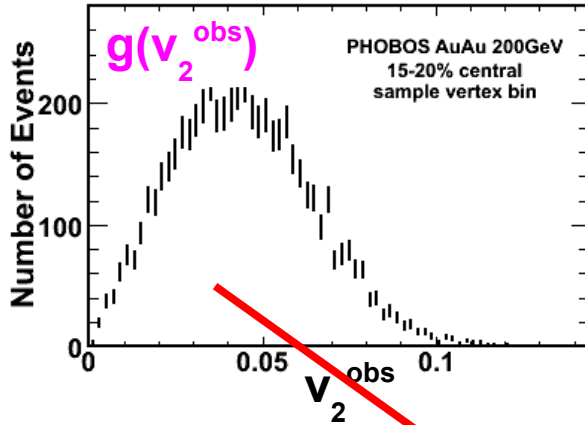


- The picture is supported by a hydrodynamical calculation using two different equations of state
- The momentum anisotropy is dominantly built up in the QGP ($\tau < 2-3 \text{ fm}/c$) phase and stays constant in the (first-order) phase transition, and only slightly rises in the hadronic phase

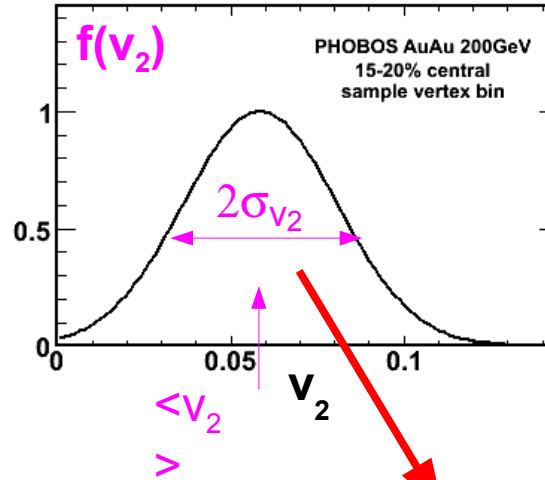


Measuring elliptic flow fluctuations

Observed v_2 distribution



Parametrized v_2 distribution



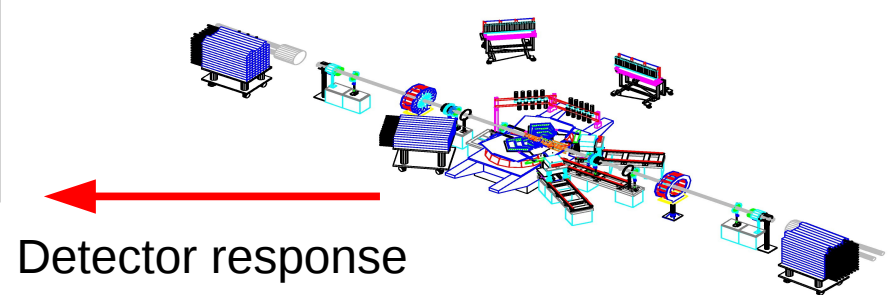
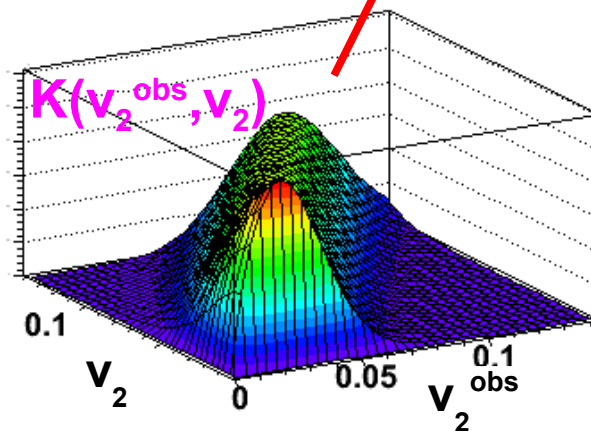
Max-Likelihood
fit to determine:
 $\langle v_2 \rangle$ and σ_{v_2}

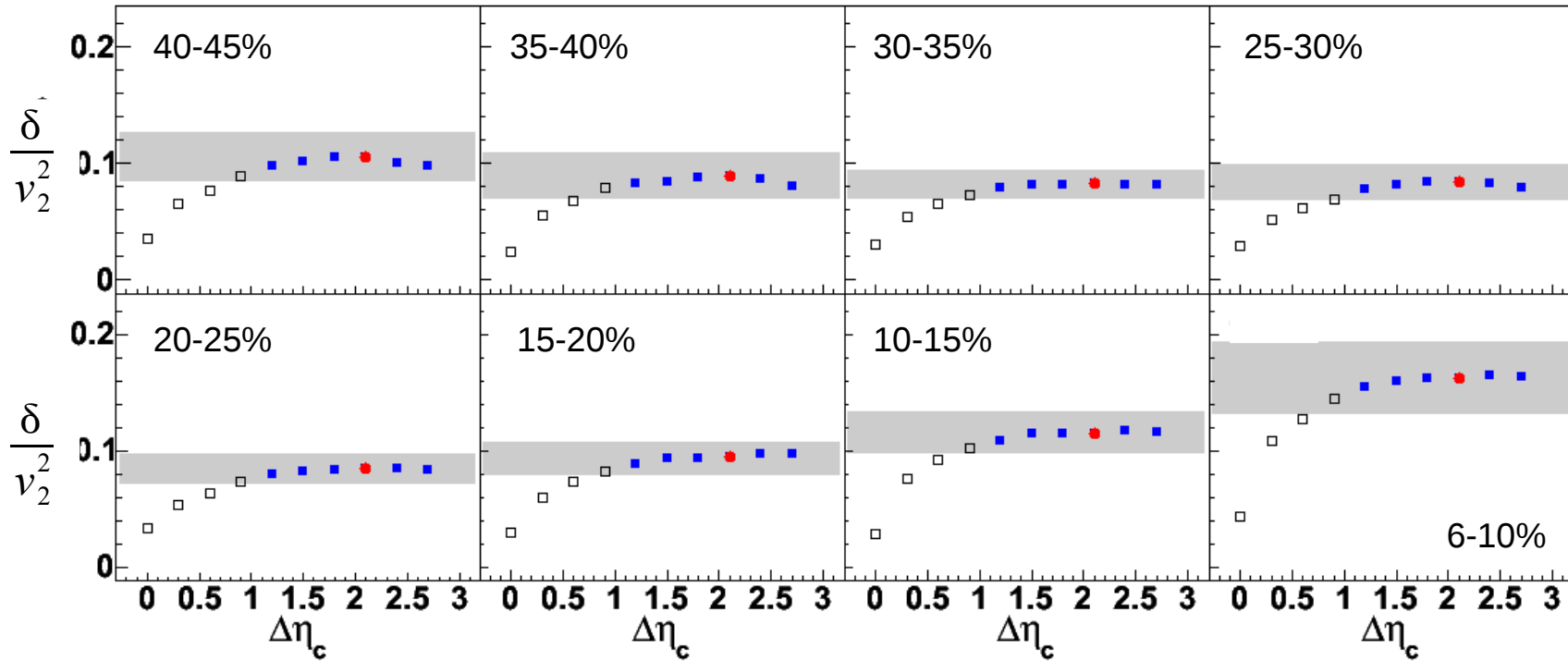
Kernel

- Detector and acceptance effects
- Finite-number fluctuations
- Multiplicity fluctuations

$$g(v_2^{obs}) = \int_0^1 K(v_2^{obs}, v_2) f(v_2) dv_2$$

Kernel



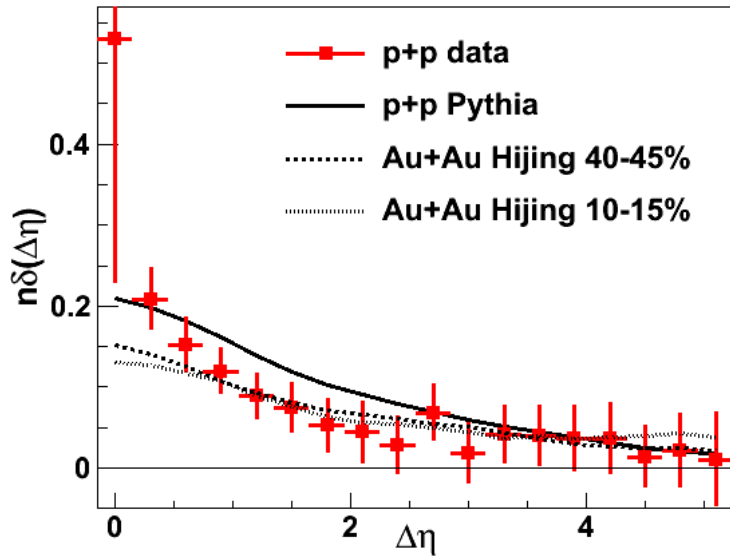


Non-flow ratio as a function of $\Delta\eta$ cut used to define the fit region.

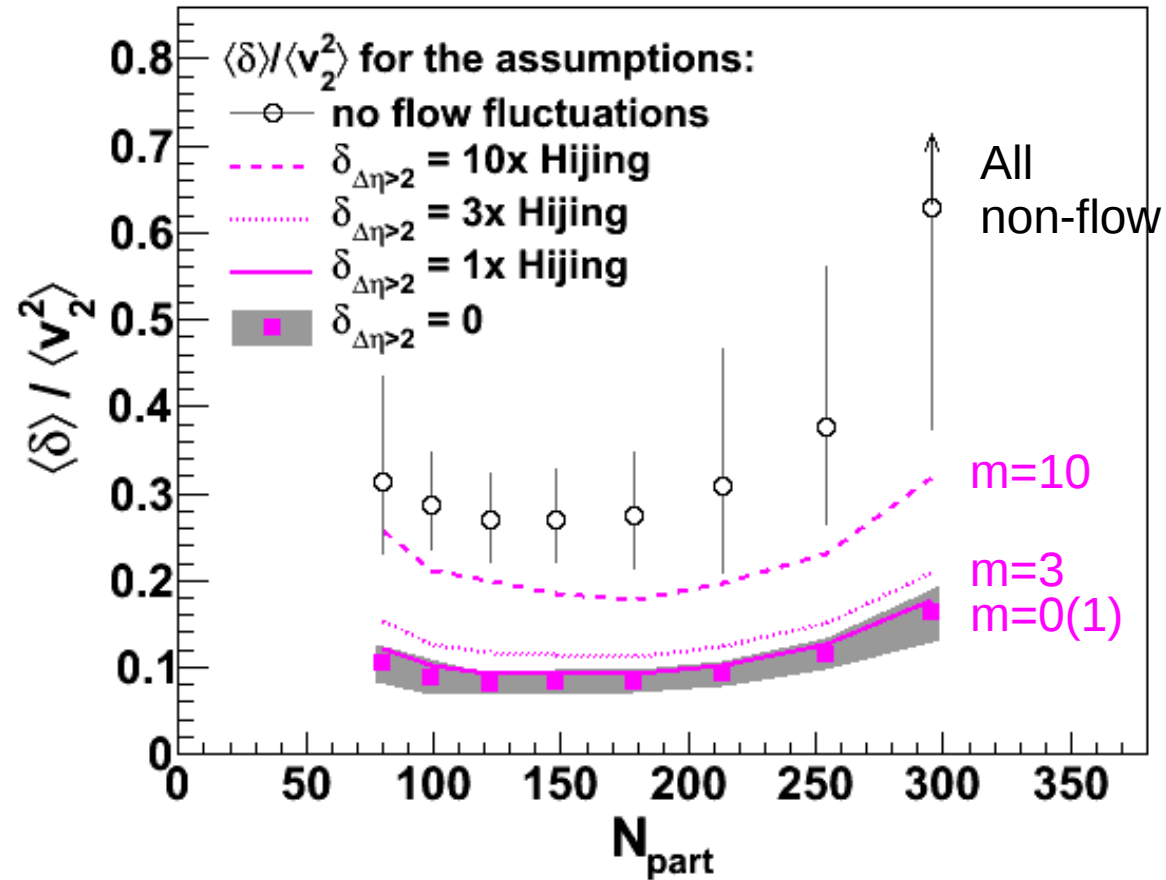
Saturation is very encouraging, however does not rule out contributions with very little $\Delta\eta$ dependence.

Red-point is baseline for analysis, while black points are used for systematic error

Non-flow in p+p, 200 GeV



δ / v_2^2 for assumptions in Au+Au, 200 GeV



Measure “non-flow” in p+p data, and compare to MC generators

Assume non-flow in fit region to be m times non-flow in p+p (rather than 0)

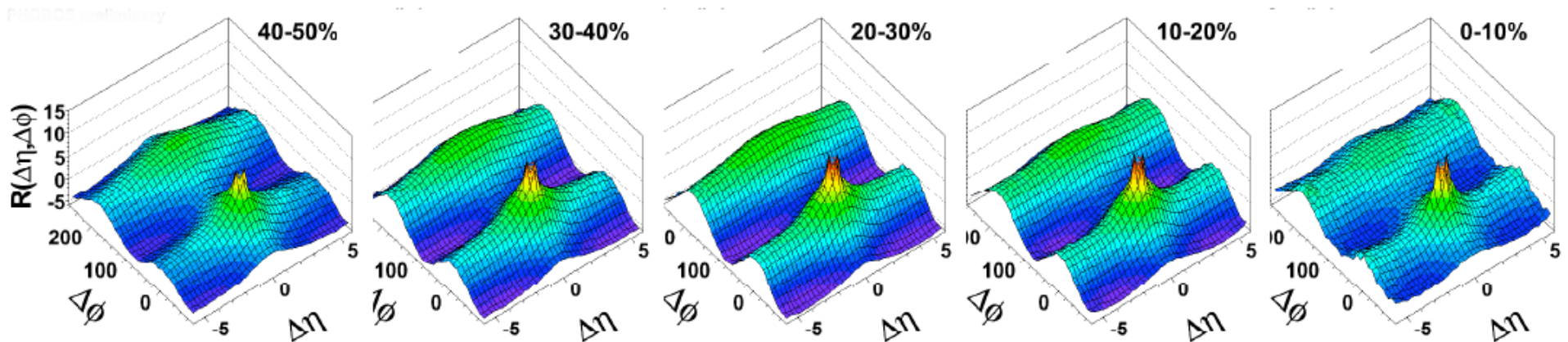
$$v_2^2(\eta_1, \eta_2) - m \delta_{MC}^{HIJING} = v_2^{fit}(\eta_1) * v_2^{fit}(\eta_2) \quad |\eta_2 - \eta_1| > 2$$

Standard picture:

- Flow = global (“collective”)
 - Second Fourier coefficient
- Non-flow = local (“clusters”)
 - All Fourier coefficients

Why is Second Fourier special?

- It is a large effect
- It is present at large $\Delta\eta$
- It is a function of η
- v_2/ε , $v_2(p_T)$, $v_2(RP)$, $v_2\{4\}$, fluctuations, etc., make “sense”



$$v_2 = \langle \cos(2\varphi - 2\Psi_R) \rangle$$

Need to deal with the reaction plane angle:
Use differences between particles in azimuth
(or attempt to reconstruct it directly)

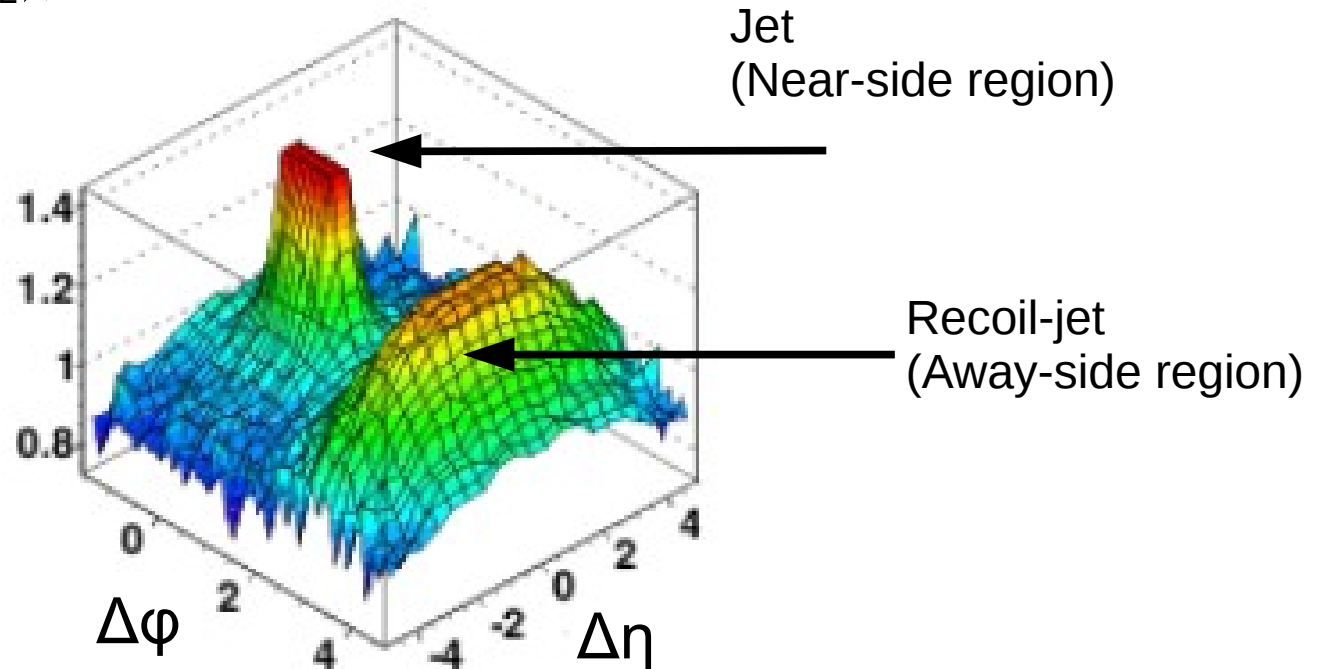
Two-particle correlations

$$v_2\{2\} = \sqrt{\langle \cos(2\varphi_1 - 2\varphi_2) \rangle}$$

Can suppress “non-flow”
by employing cuts in $|\Delta\eta|$

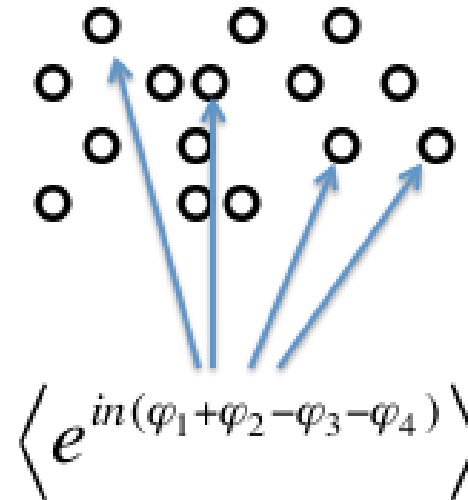
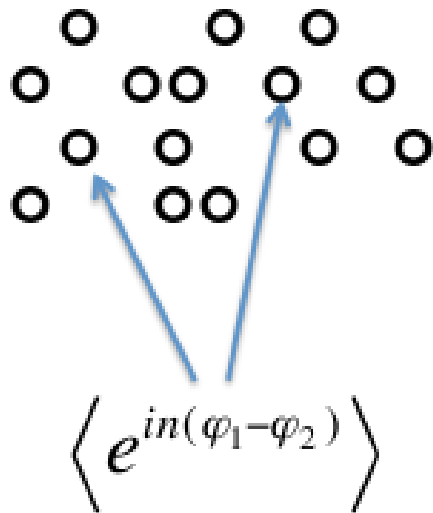
If p_T cuts are used:

$$v\{2\} = \sqrt{v(p_{T,1})v(p_{T,2})}$$



Multi-particle correlations: $v_2\{4\}$ and higher 39

(From S. Tuo)



Four particle correlations (Q-cumulant method):

$$c_n\{4\} = \langle\langle 4 \rangle\rangle - 2 \cdot \langle\langle 2 \rangle\rangle^2$$

$$v_2\{4\} = \sqrt[4]{-c_n\{4\}}$$

$$\langle e^{in(\varphi_1 + \varphi_2 - \varphi_3 - \varphi_4)} \rangle - \langle e^{in(\varphi_1 - \varphi_3)} \rangle \langle e^{in(\varphi_2 - \varphi_4)} \rangle - \langle e^{in(\varphi_1 - \varphi_4)} \rangle \langle e^{in(\varphi_2 - \varphi_3)} \rangle$$

Multi-particle correlations (cumulant) studies extract the genuine multi-particle correlation

Two-particle cumulant

$$v\{2\} = \sqrt{\langle \cos(\phi_1 - \phi_2) \rangle}$$

Measures:

$$v\{2\}^2 = \langle v \rangle^2 + \sigma_{v_2}^2 + \delta$$

$$v \gg 1/\sqrt{M}$$

Four-particle cumulant

$$v\{4\} = \left(2 \langle \cos(\phi_1 - \phi_2) \rangle^2 - \langle \cos(\phi_1 + \phi_2 - \phi_3 - \phi_4) \rangle \right)^{1/4}$$

Measures:

$$v\{4\}^2 = \langle v \rangle^2 - \sigma_{v_2}^2$$

$$v \gg 1/M^{3/4}$$

$$v\{\text{subEP}\} = \frac{\langle \cos(\phi - \psi_A) \rangle}{R}$$

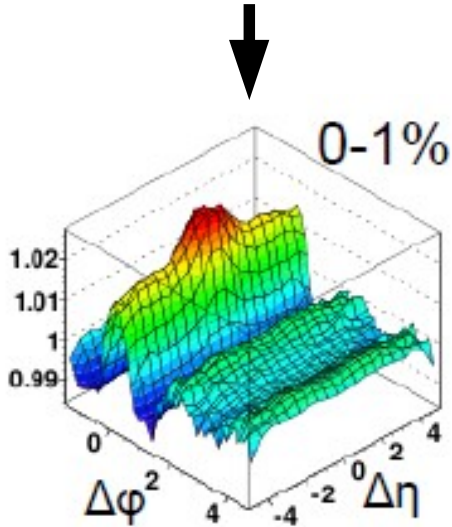
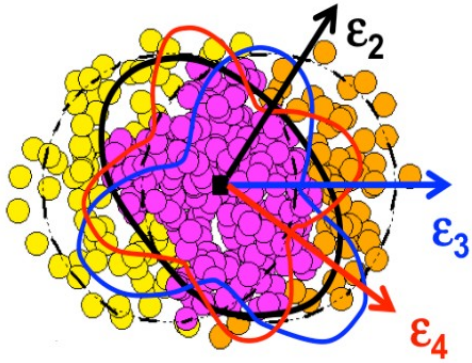
$$R = \sqrt{\langle \cos(\psi_A - \psi_B) \rangle}$$

Measures:

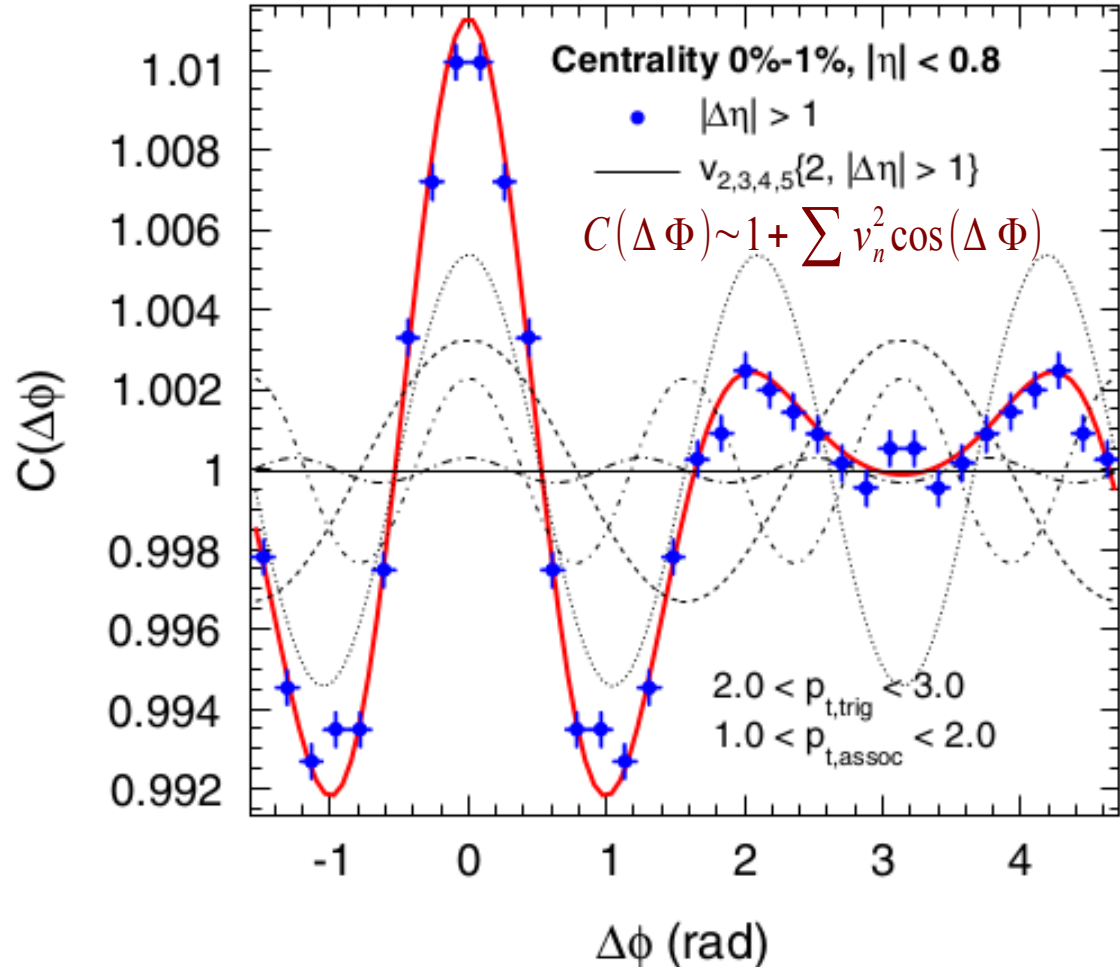
$$v\{\text{subEP}\}^2 = \langle v \rangle^2 + (1 - f(R)) \sigma_{v_2}^2 + (1 - 2f(R)) \delta$$

NB: For simplicity, n (as index and in cos terms) dropped

Alver+Roland, 2010



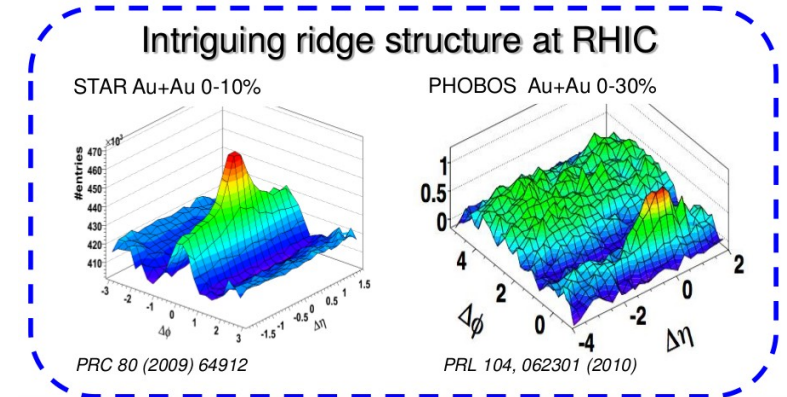
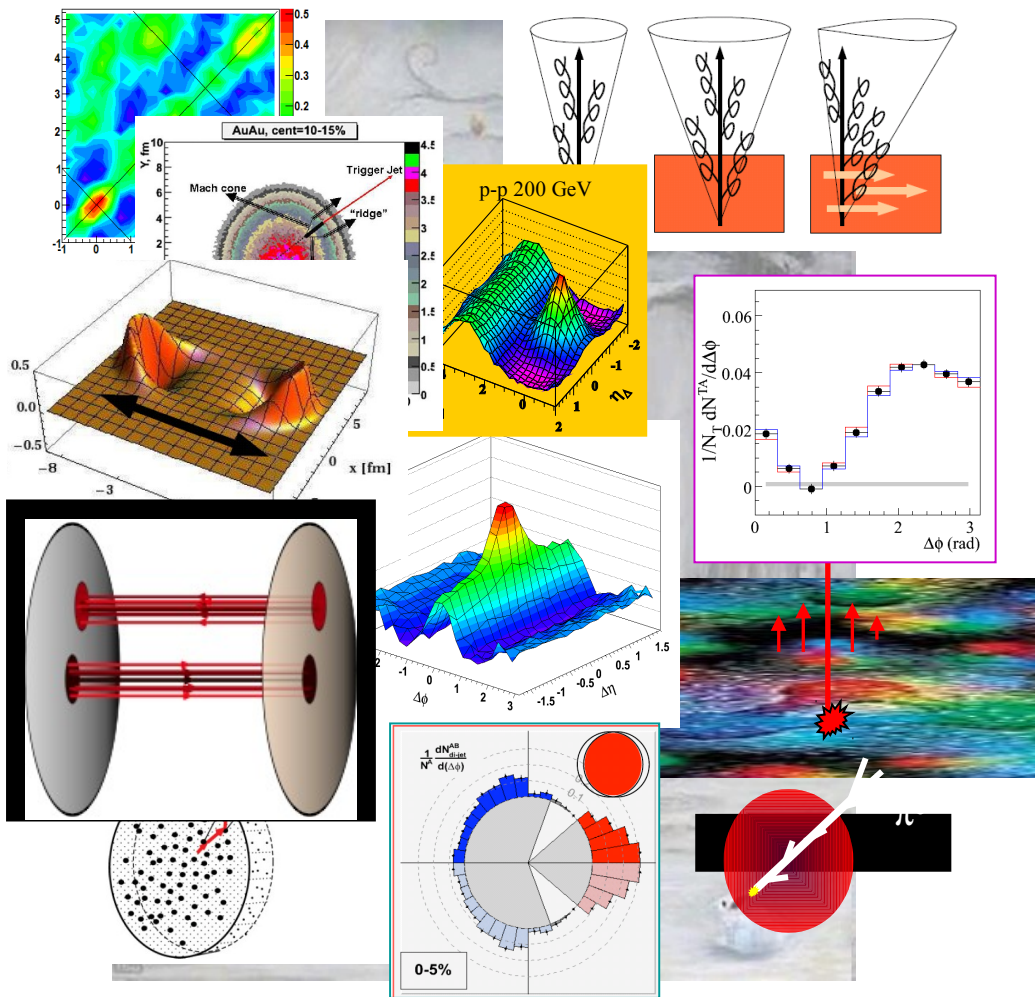
ALICE, PRL 107 (2011) 032301



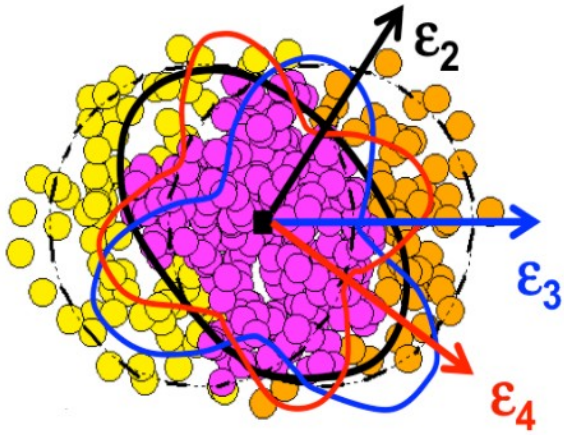
Structures seen in two particle correlations are naturally explained by measured flow harmonics assuming fluctuating initial conditions.

“Death of the Mach cone and the ridge”

Dozen's of models



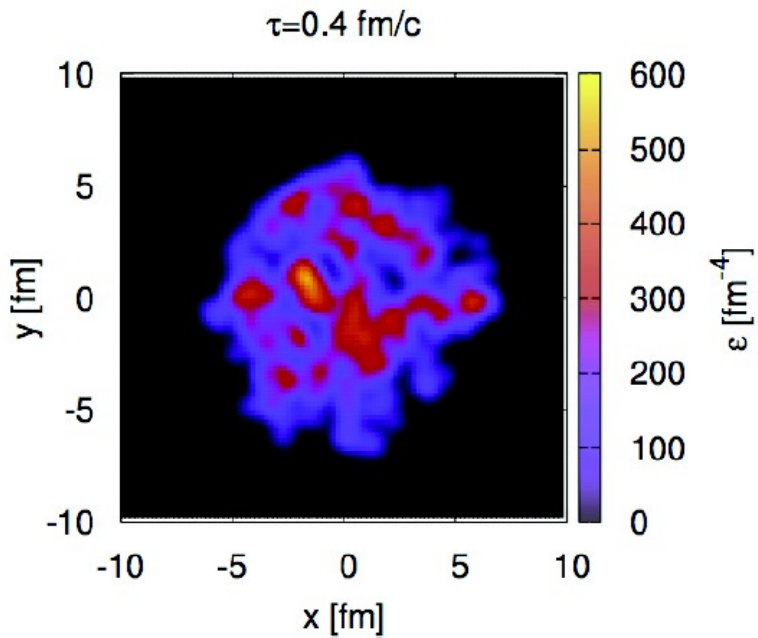
Structures seen in two particle correlations (reported mainly at RHIC) are naturally explained by measured anisotropic flow coefficients.



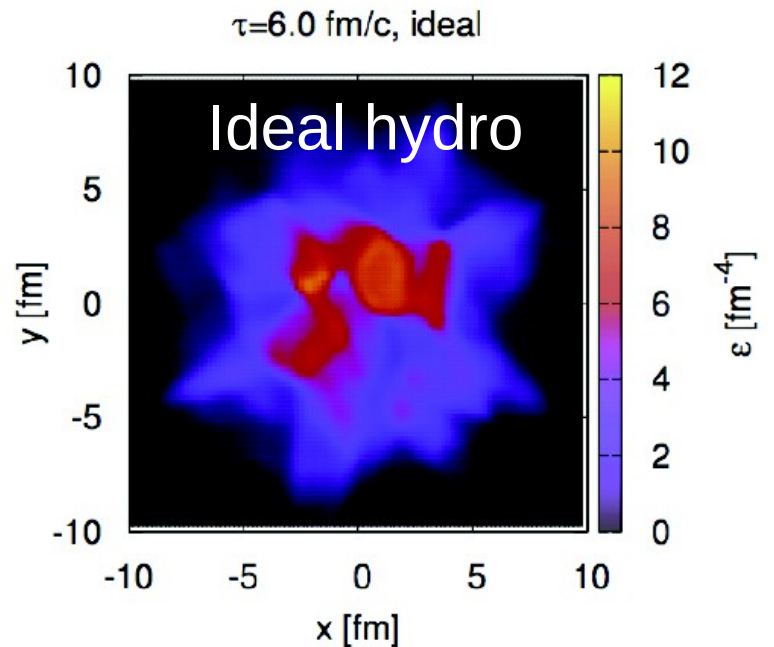
Alver, Roland

Initial spatial anisotropy not smooth, leads to higher harmonics / symmetry planes.

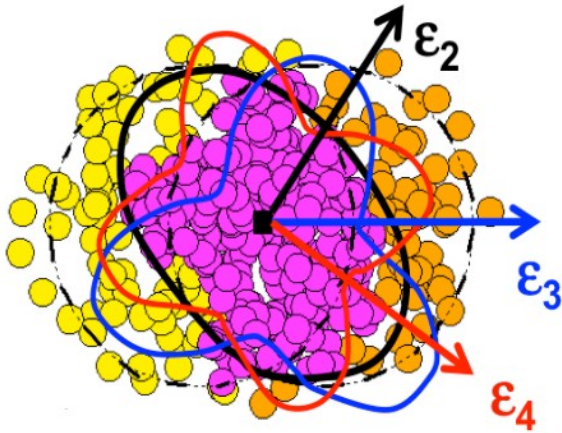
$$\frac{dN}{d\varphi} \sim 1 + \underbrace{2v_2}_{\text{black}} \cos[2(\varphi - \psi_2)] + \underbrace{2v_3}_{\text{blue}} \cos[3(\varphi - \psi_3)] + \underbrace{2v_4}_{\text{red}} \cos[4(\varphi - \psi_4)] + \underbrace{2v_5}_{\text{magenta}} \cos[5(\varphi - \psi_5)] + \dots$$



e-by-e hydro
 —————>
 B. Schenke et al.



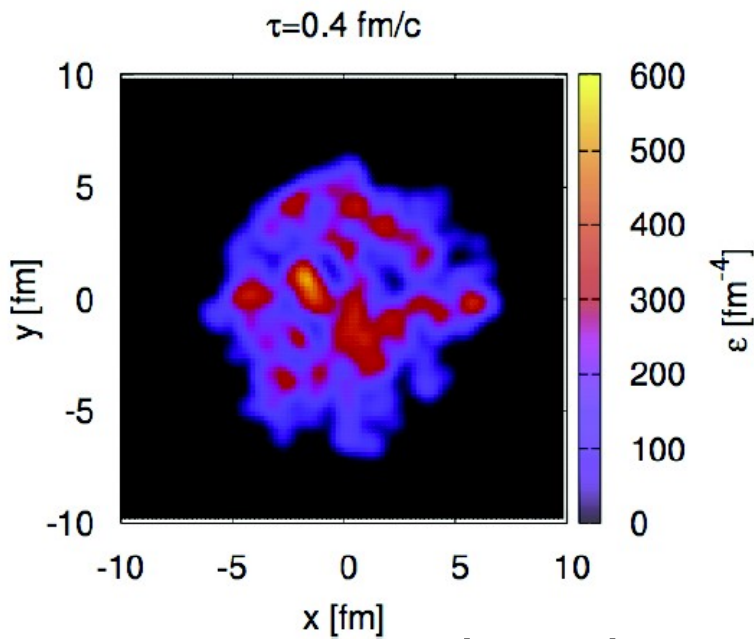
Ideal hydrodynamical models preserves these “clumpy” initial conditions



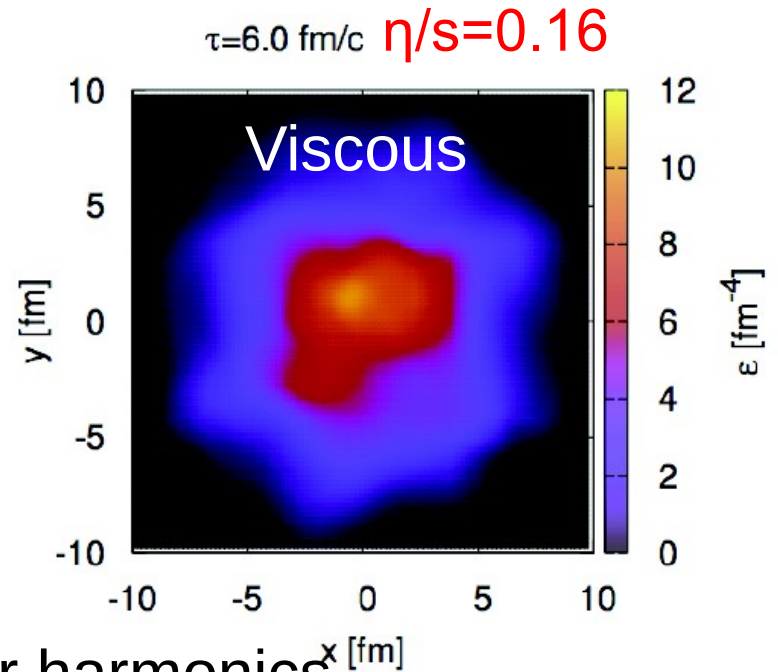
Alver, Roland

Initial spatial anisotropy not smooth, leads to higher harmonics / symmetry planes.

$$\frac{dN}{d\varphi} \sim 1 + \underbrace{2v_2}_{\text{black}} \cos[2(\varphi - \psi_2)] + \underbrace{2v_3}_{\text{blue}} \cos[3(\varphi - \psi_3)] + \underbrace{2v_4}_{\text{red}} \cos[4(\varphi - \psi_4)] + \underbrace{2v_5}_{\text{pink}} \cos[5(\varphi - \psi_5)] + \dots$$

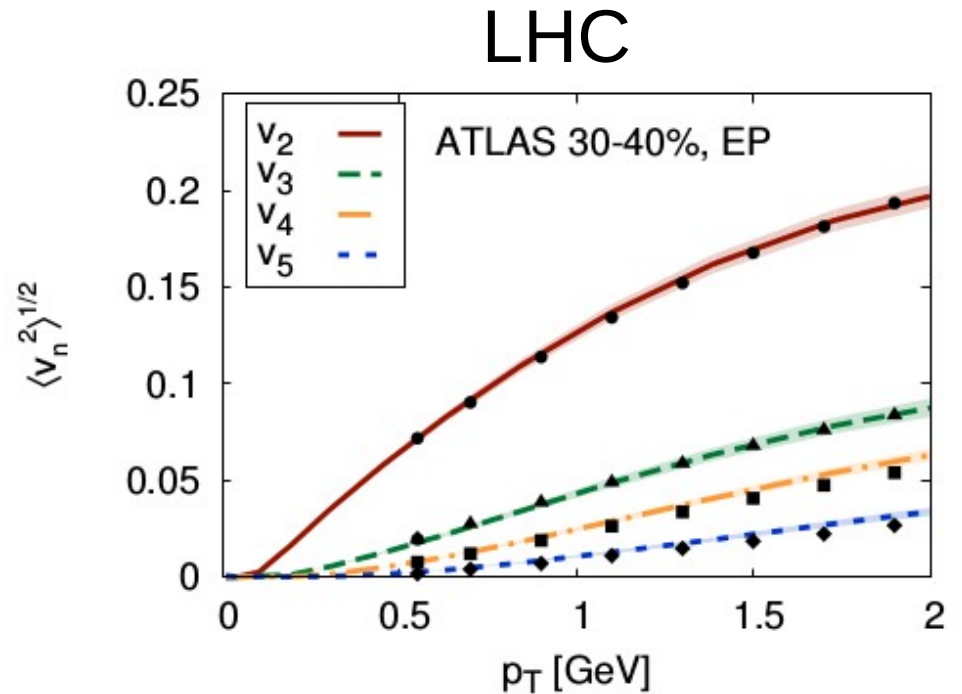
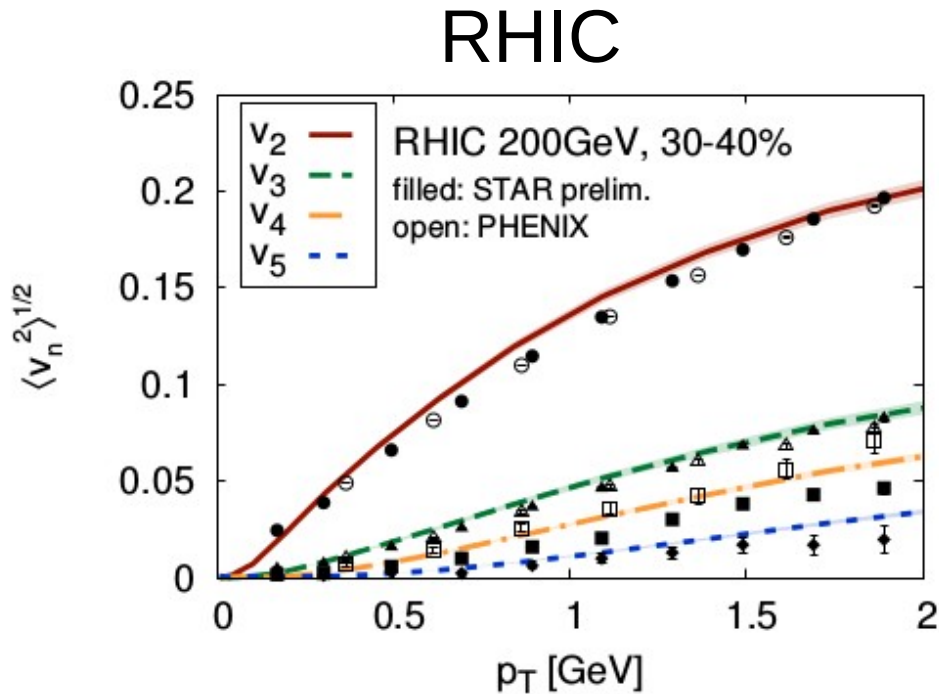


e-by-e hydro
 B. Schenke et al.



Viscosity suppresses higher harmonics,
 $\rightarrow v_n$ provide additional sensitivity to η/s

Constraints on η/s from model calculations 45

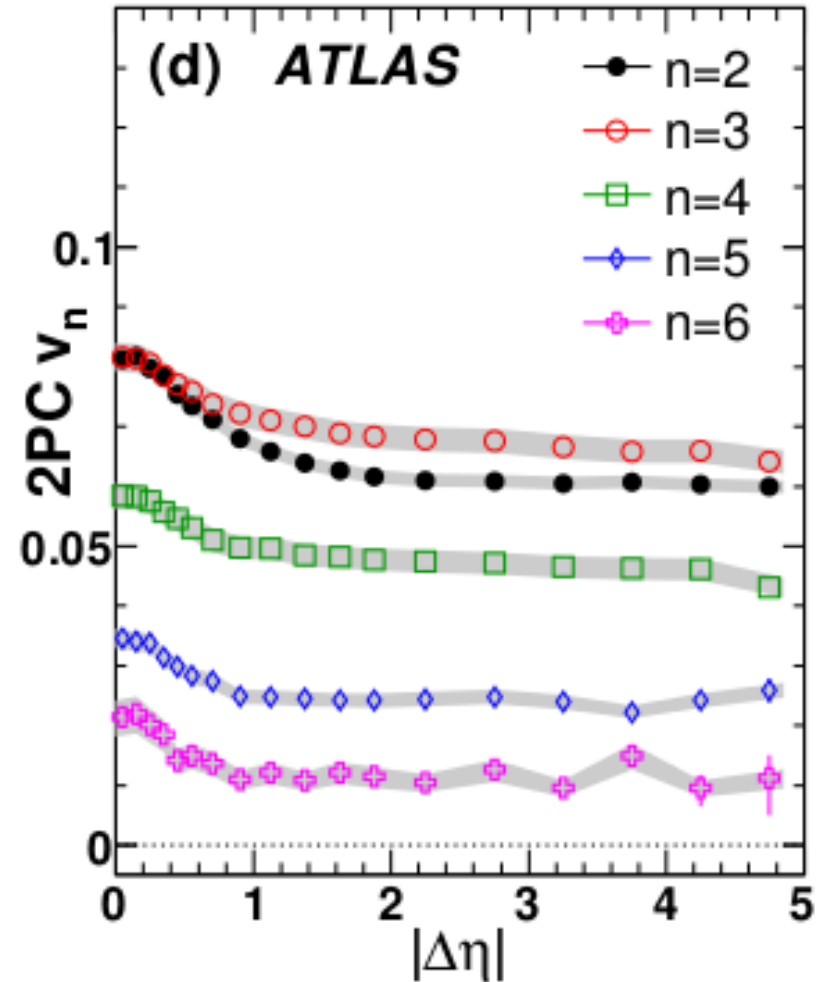
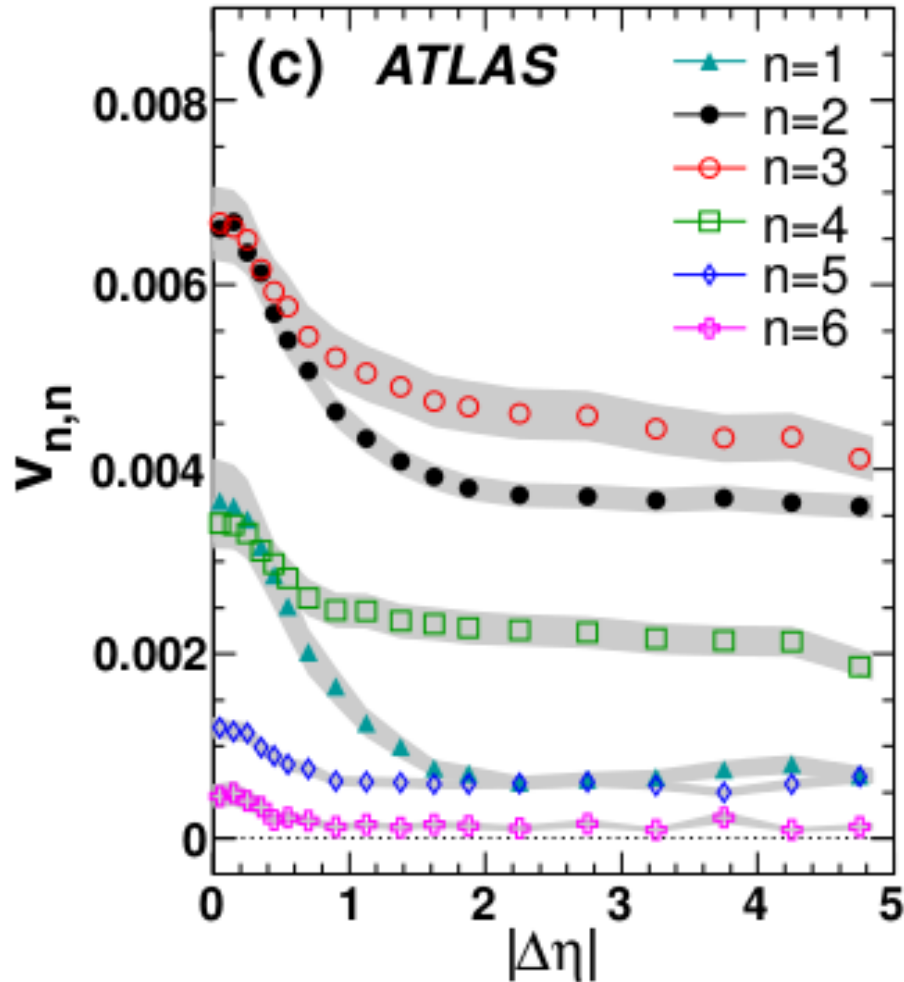


$\eta/s \approx 0.12$ at $\sqrt{s} = 0.2$ TeV

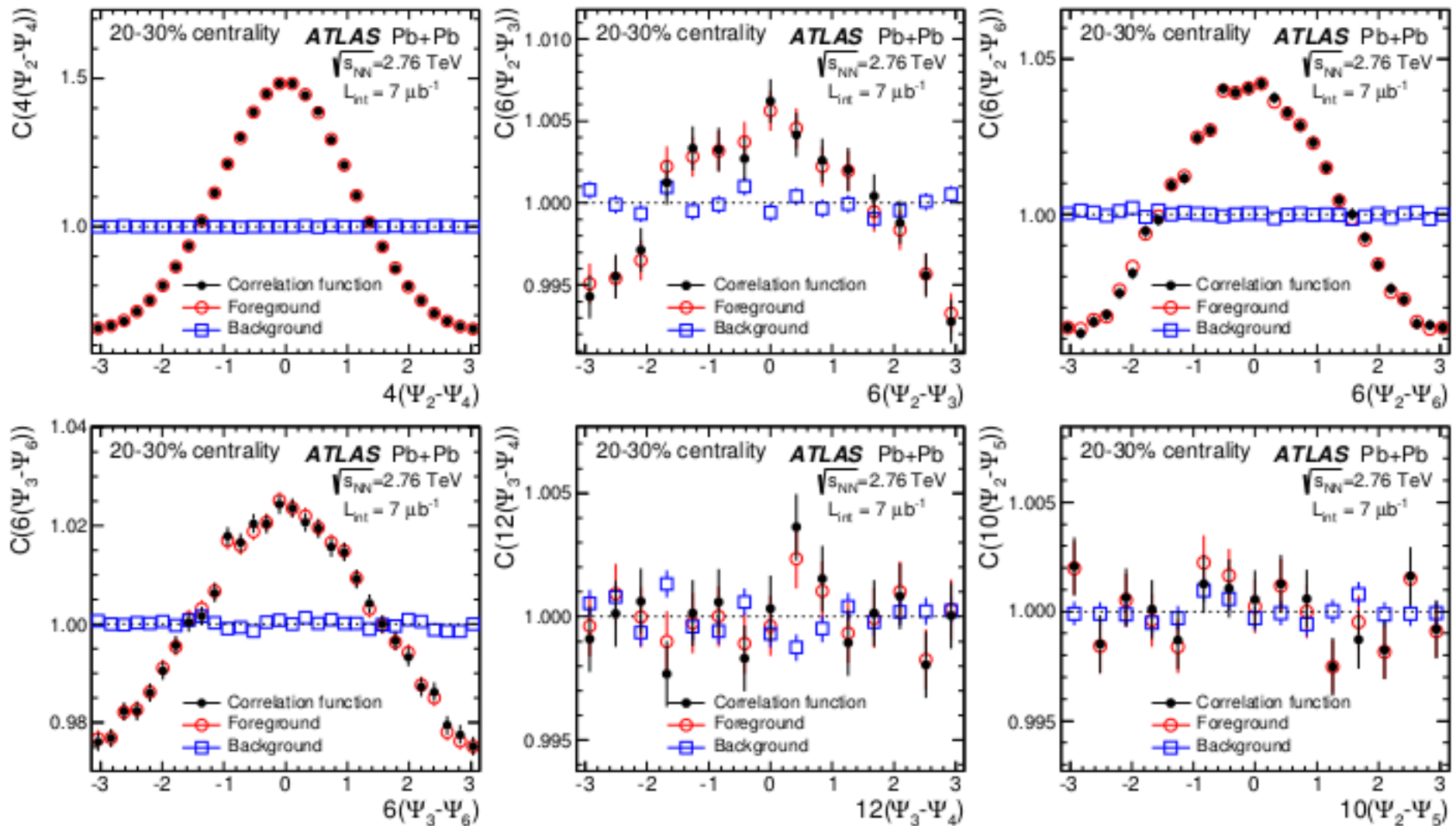
$\eta/s \approx 0.2$ at $\sqrt{s} = 2.76$ TeV

Model (IP-Glasma) consistently describes all flow harmonics for a given η/s (but uncertainty on η/s still very large)

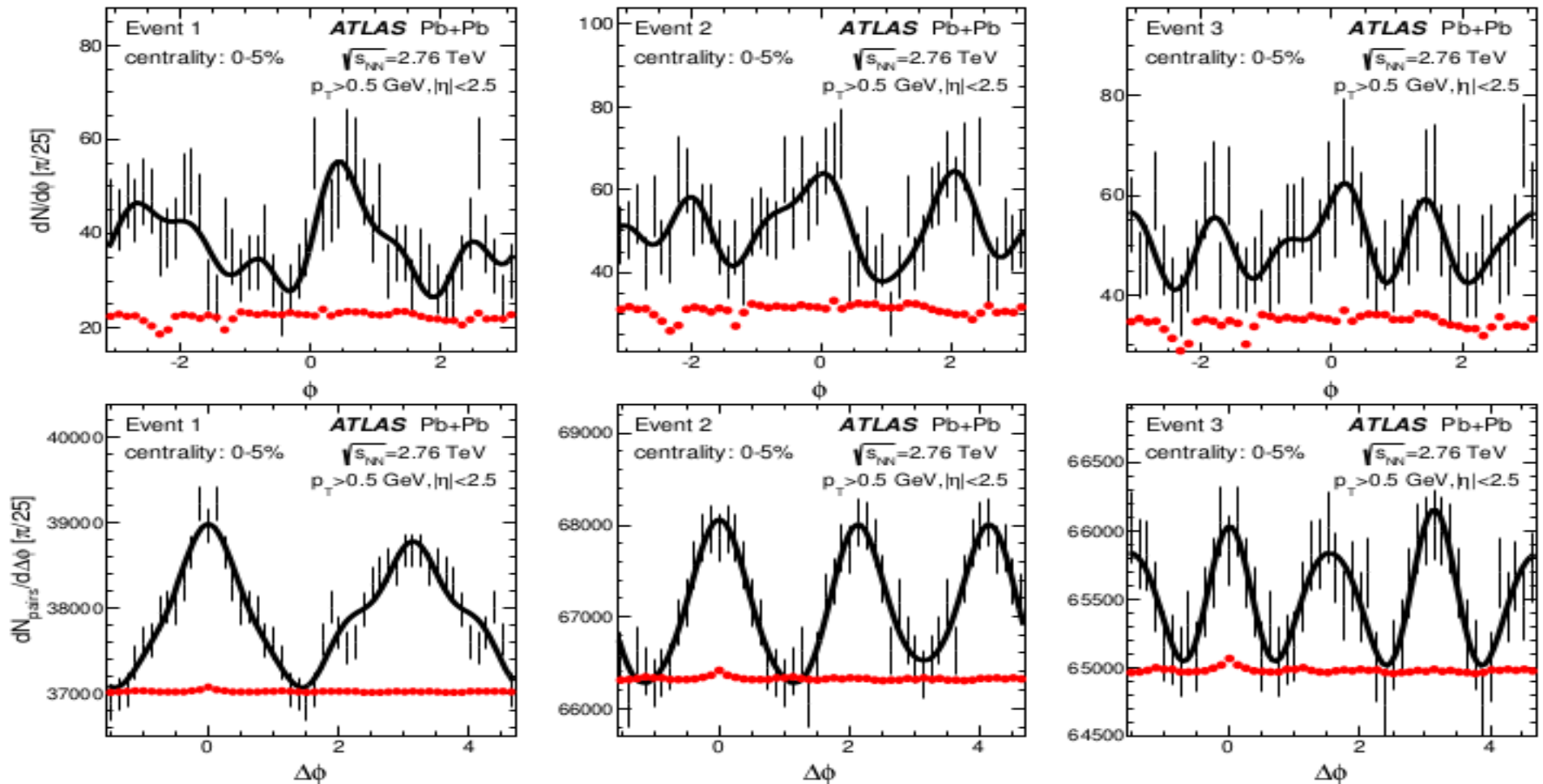
Flow coefficients vs rapidity gap



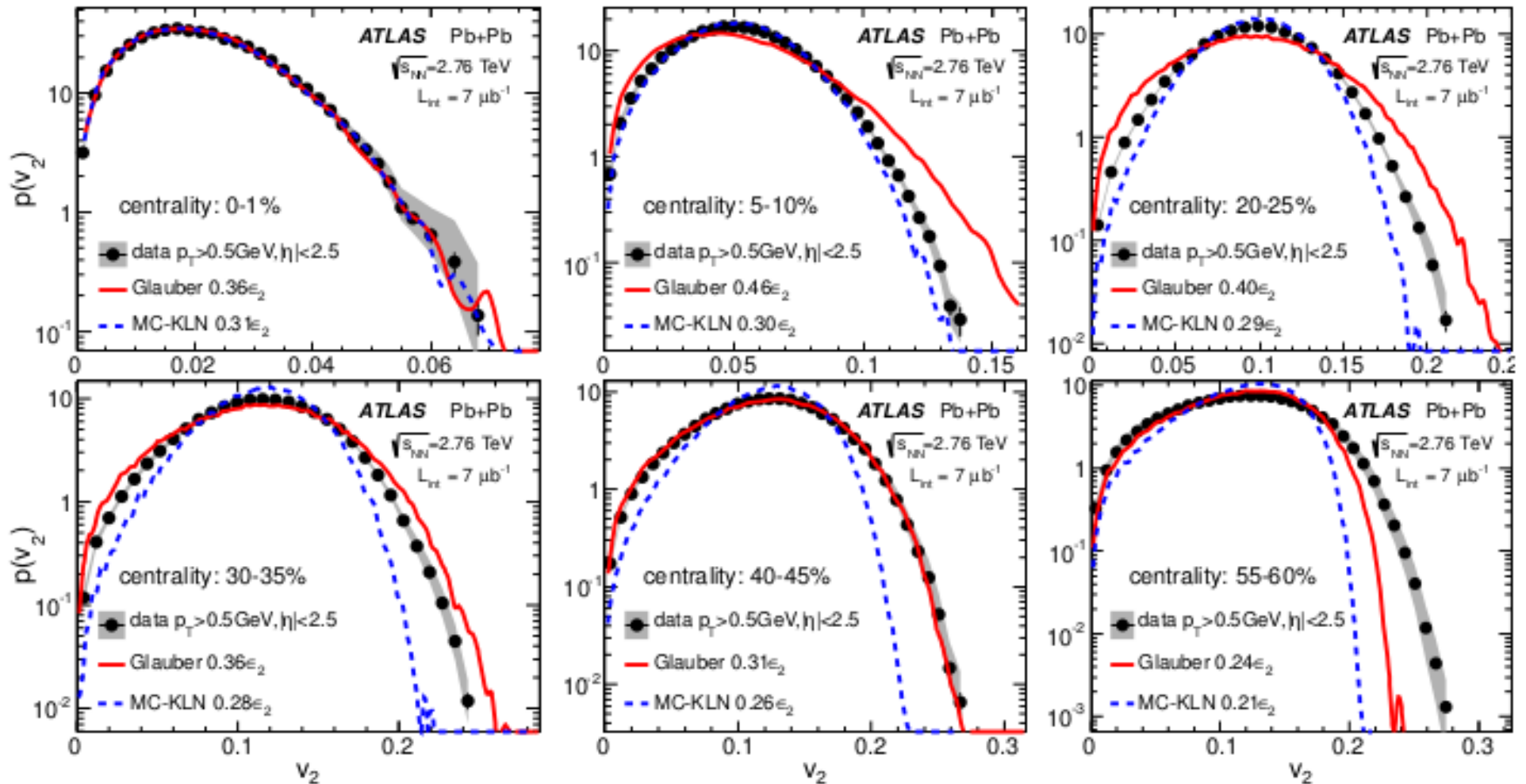
Event angle correlations



Event-by-event flow distributions



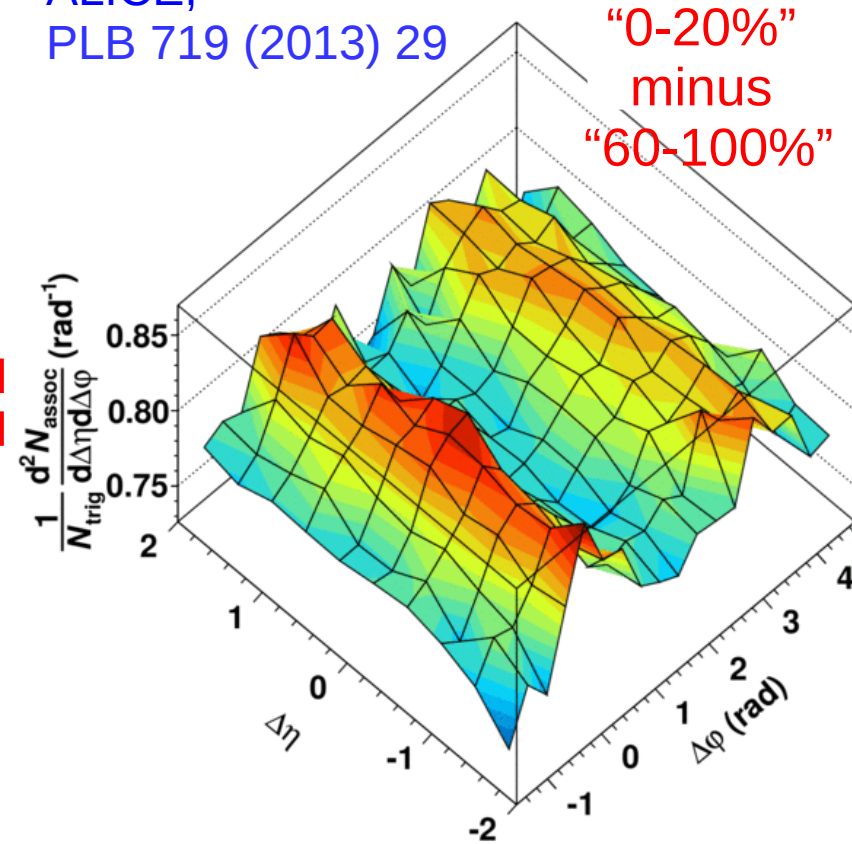
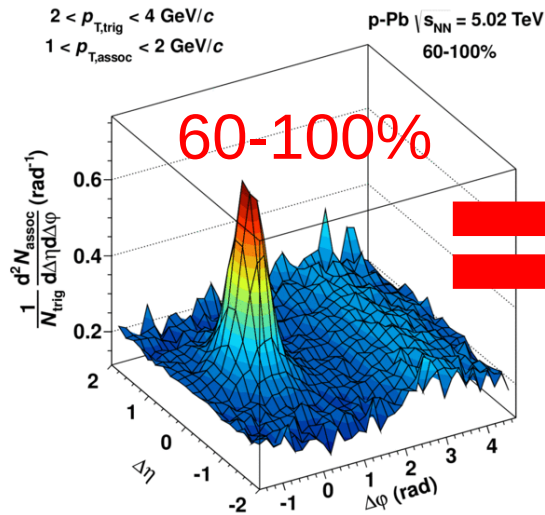
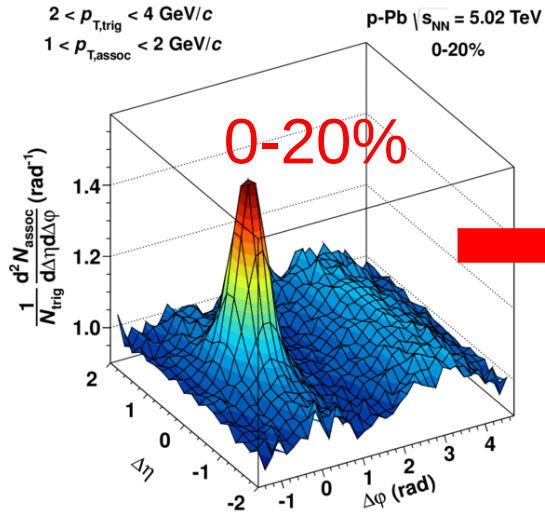
Event-by-event flow distributions



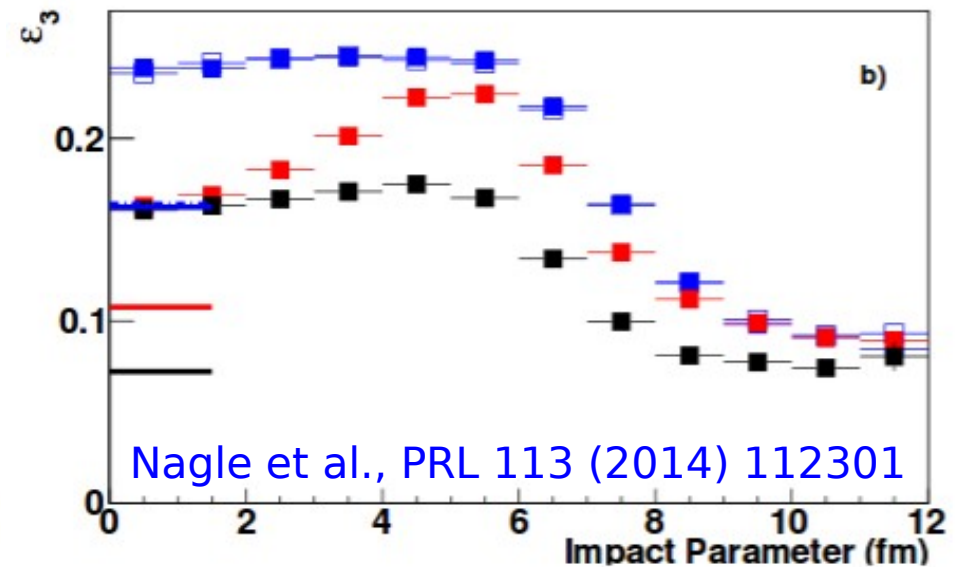
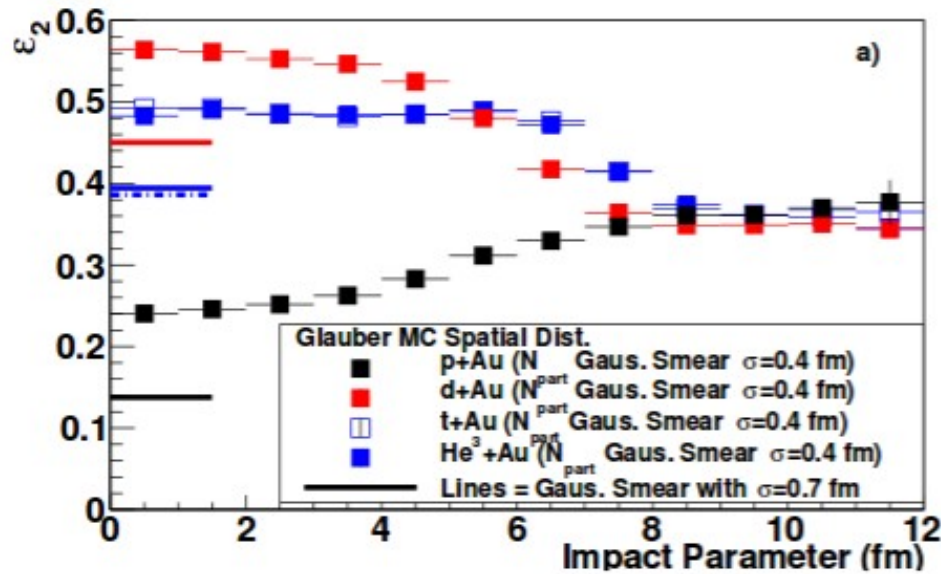
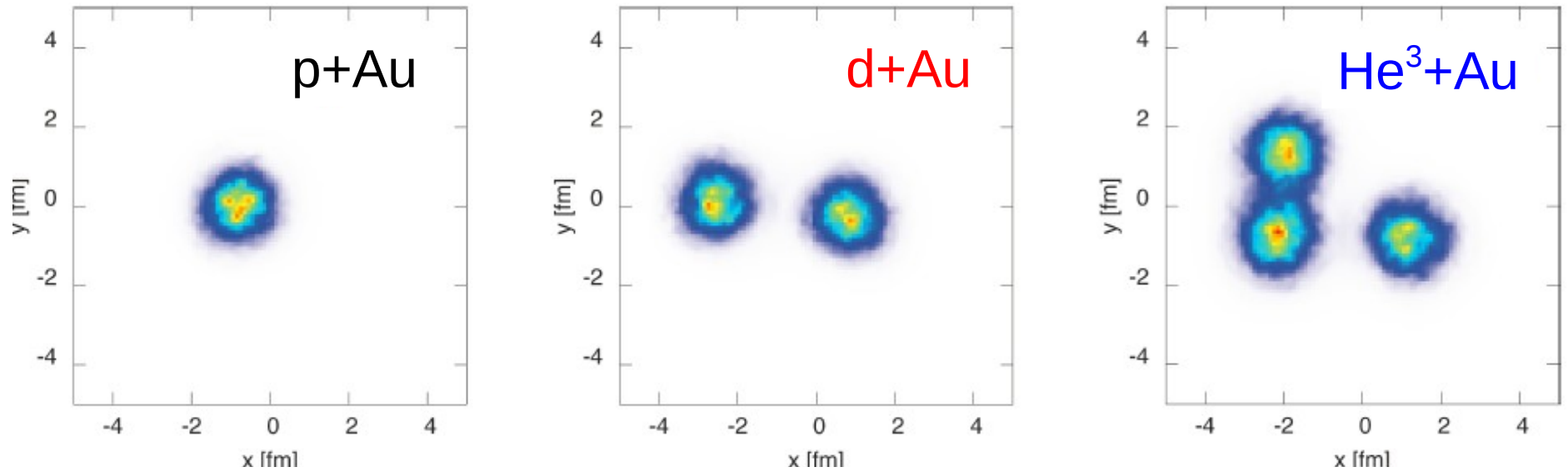
Extraction of double ridge structure

ALICE, PLB 719 (2013) 29

ALICE,
PLB 719 (2013) 29

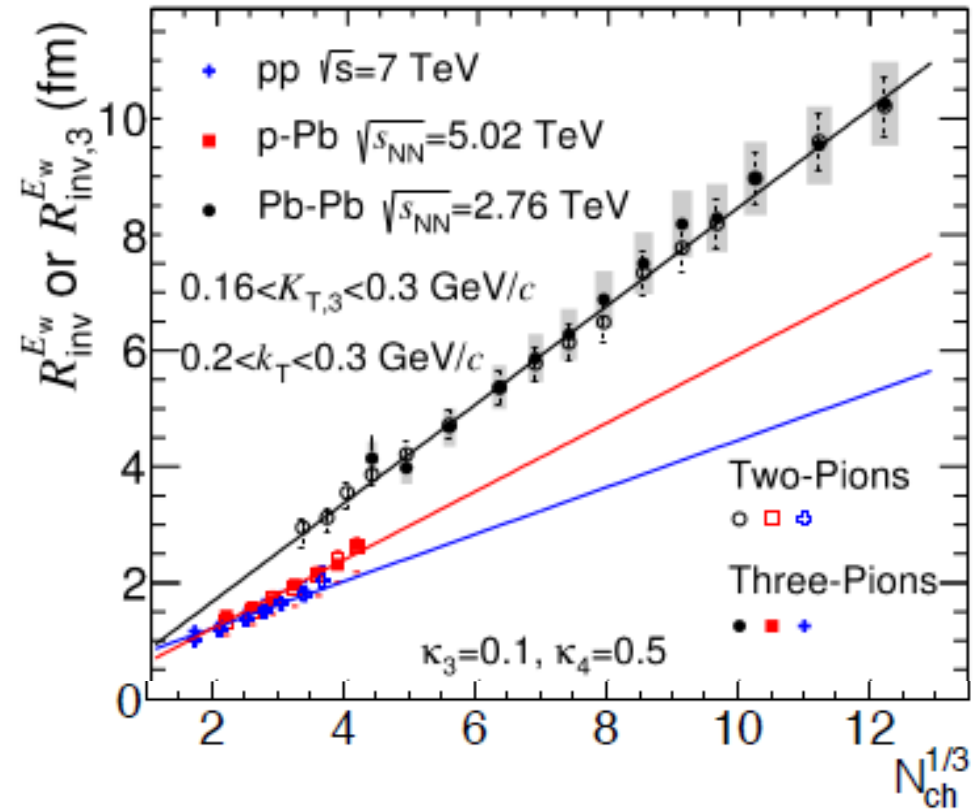
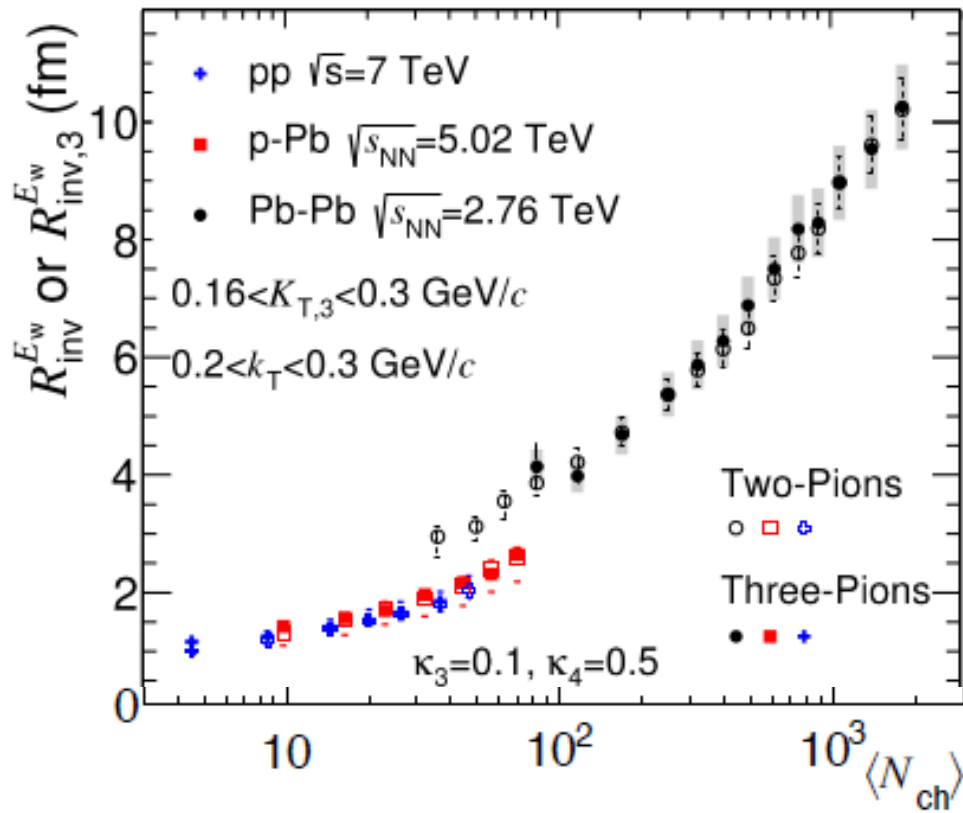


- Extract double ridge structure using a standard technique in AA collisions, namely by subtracting the jet-like correlations
 - Assumed that 60-100% class is free from non-jet like correlations

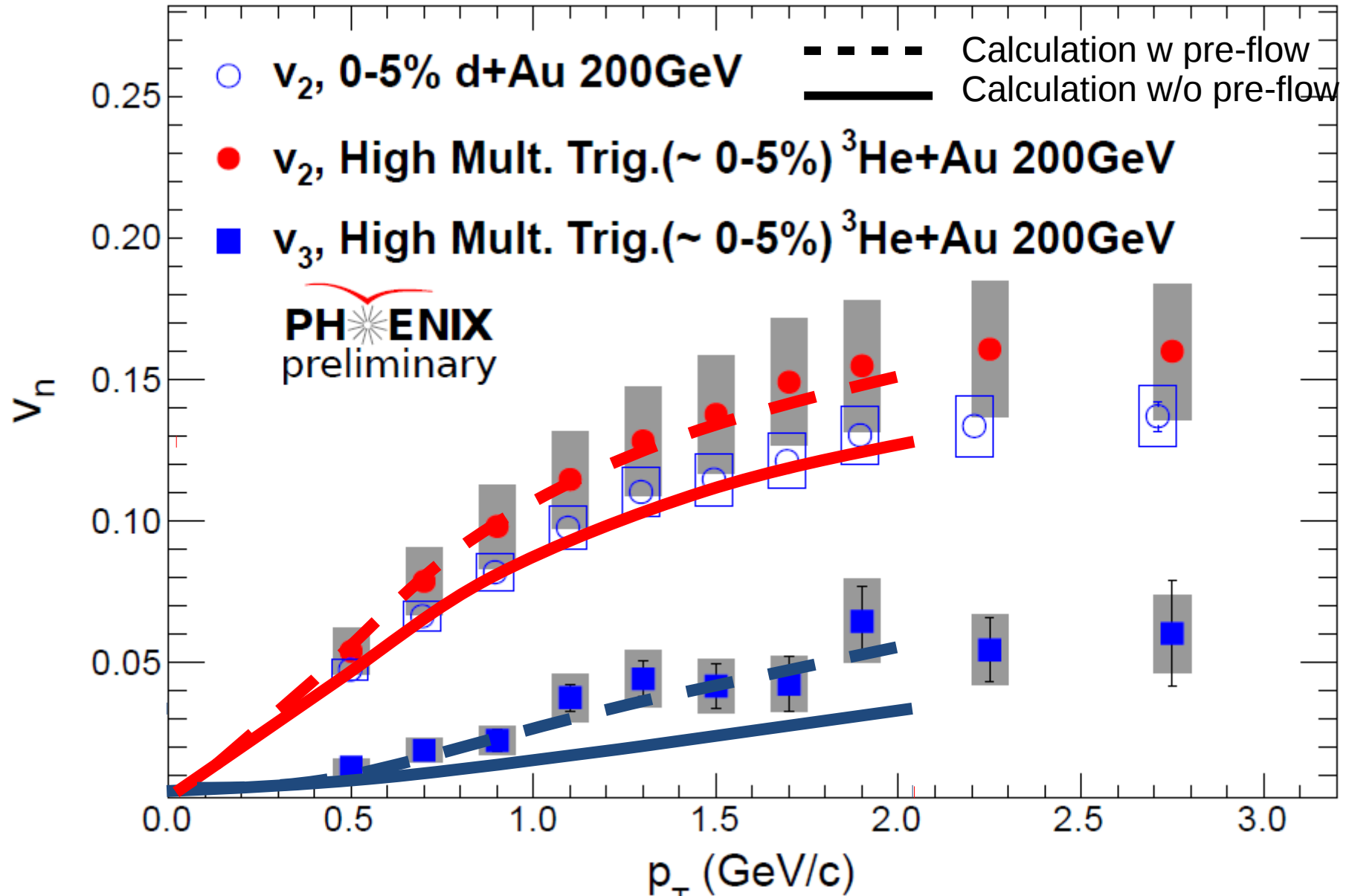


Nagle et al., PRL 113 (2014) 112301

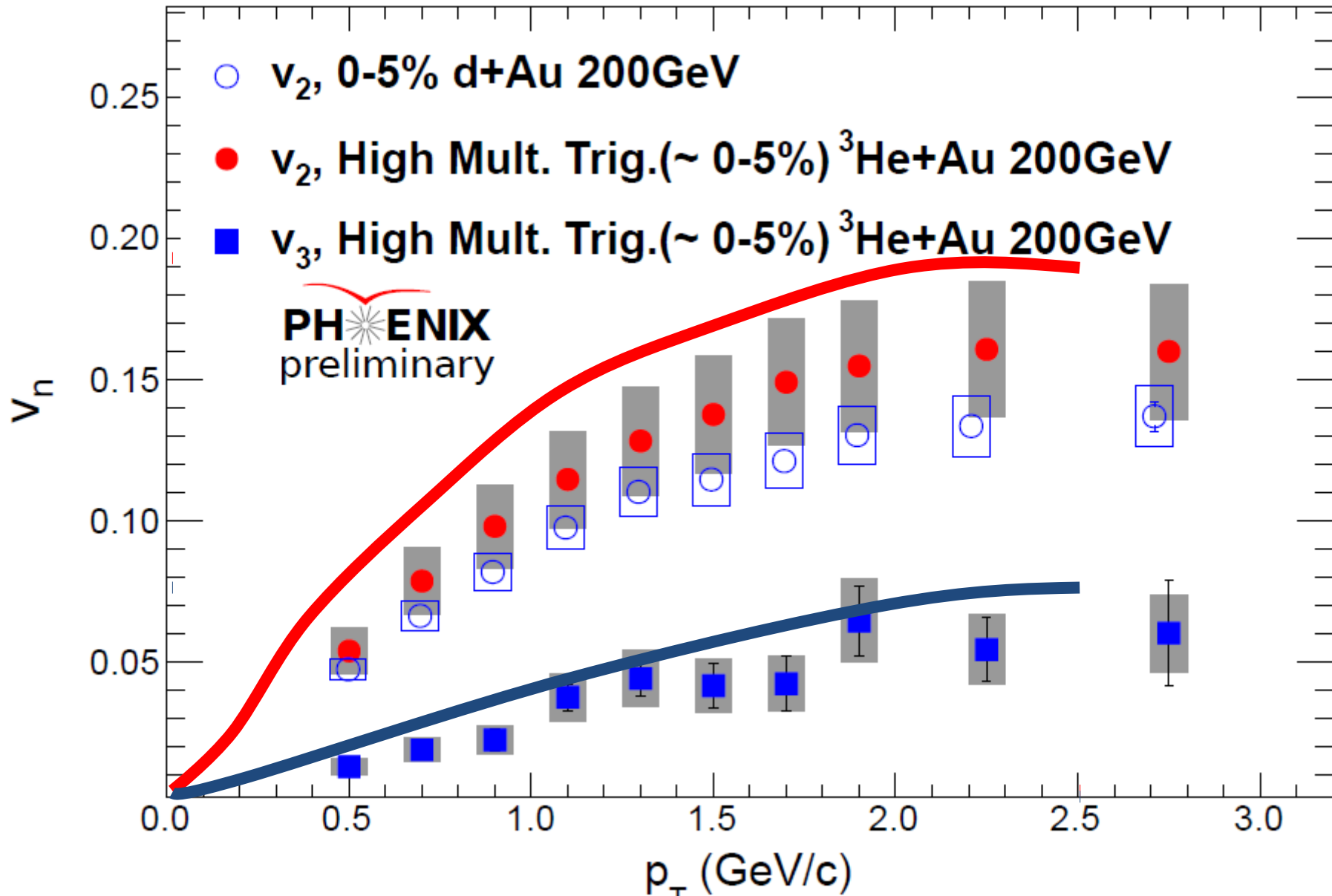
Freeze-out radii (R_{inv}) vs N_{ch}



- Exhibit different trend (with linear fit over measured region)
- Radii in pp and pPb at similar measured N_{ch} are with 5-15% while larger difference (up to 30-50%) between pPb and PbPb
- Not much room for a hydro-dynamical expansion in pPb beyond what might already be there in pp

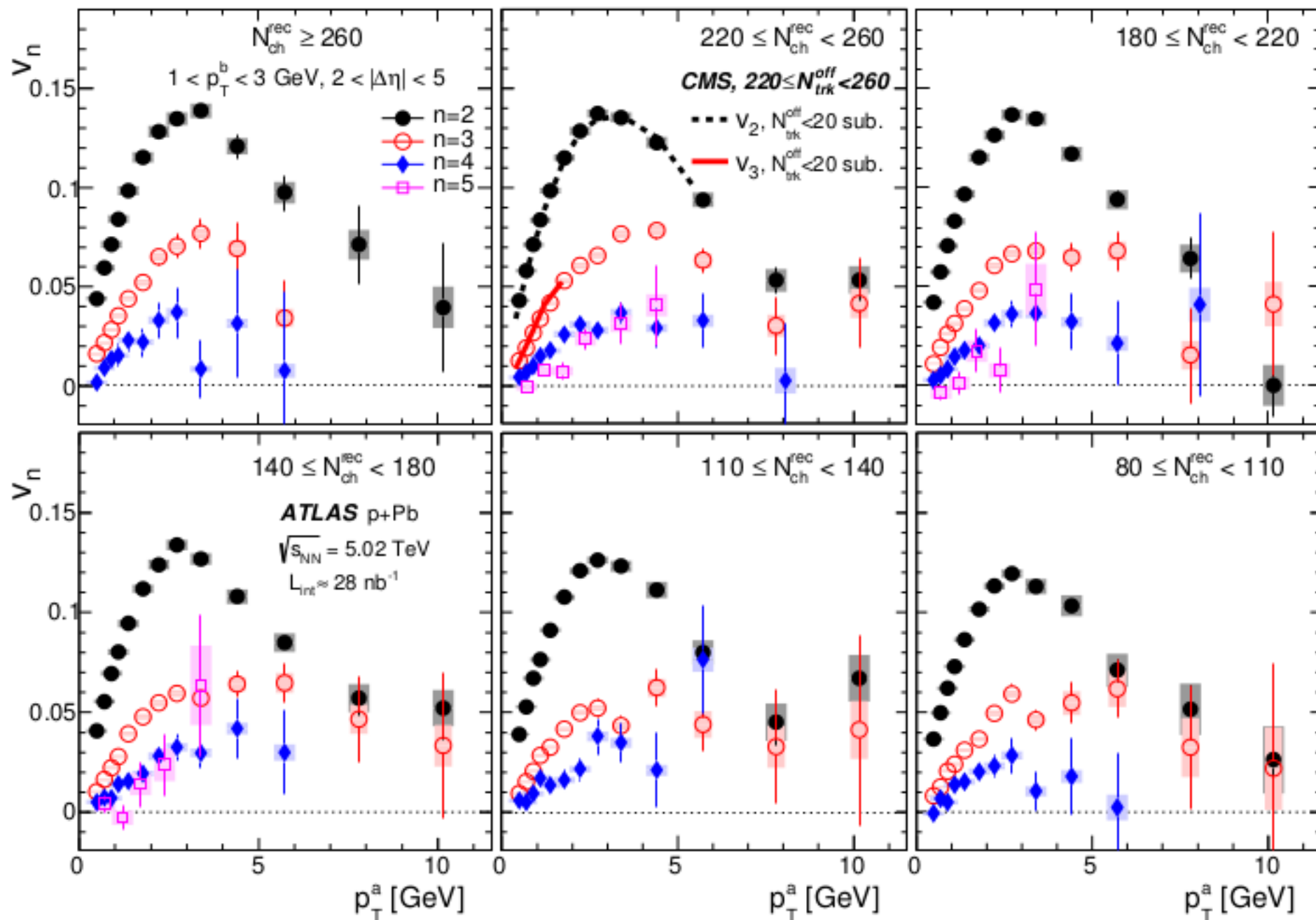


Glauber+Hydro+Hadron Cascade (with pre-flow) describe data

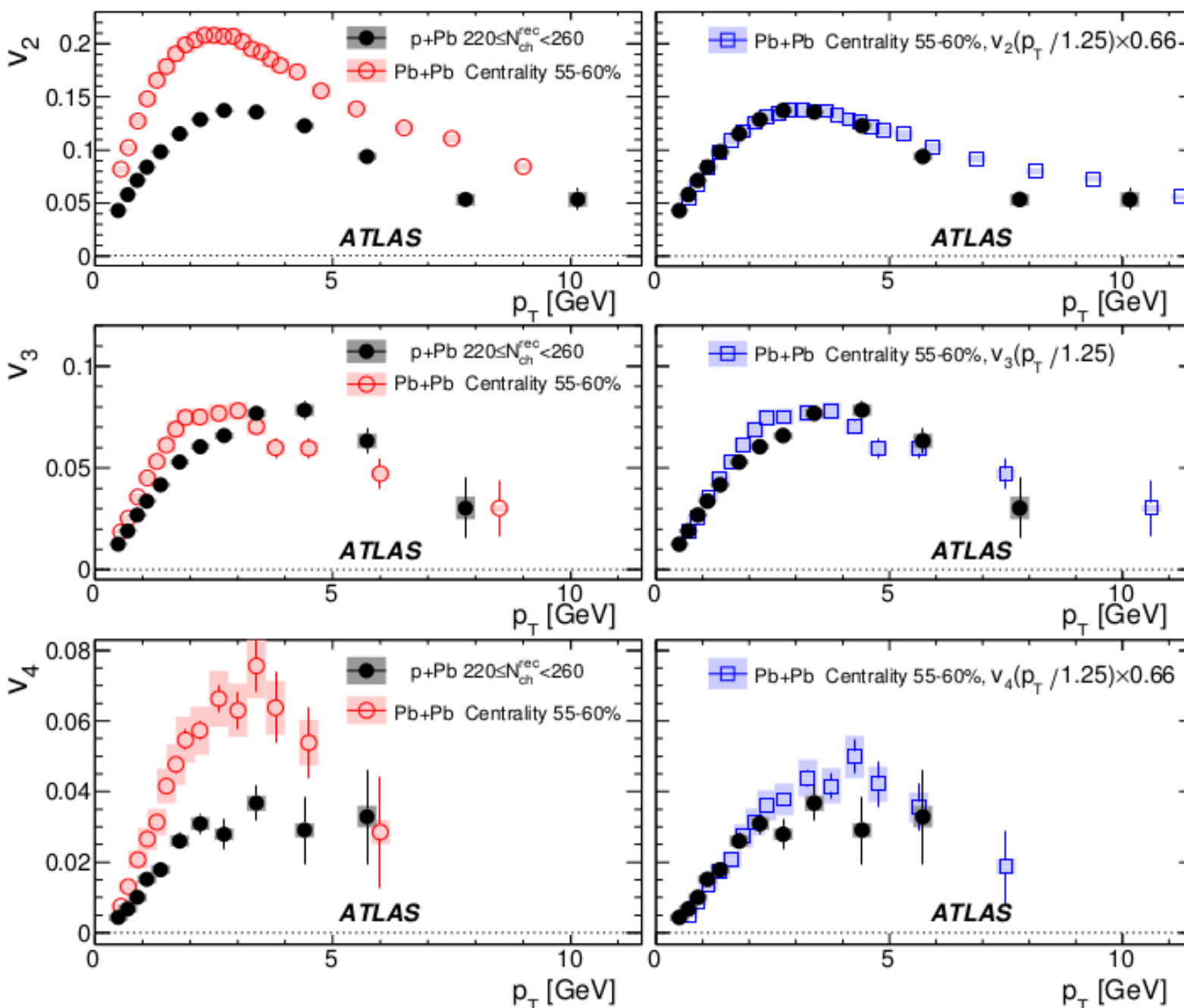


IP-GLASMA+MUSIC also reasonably well predict data

Higher harmonics in pPb

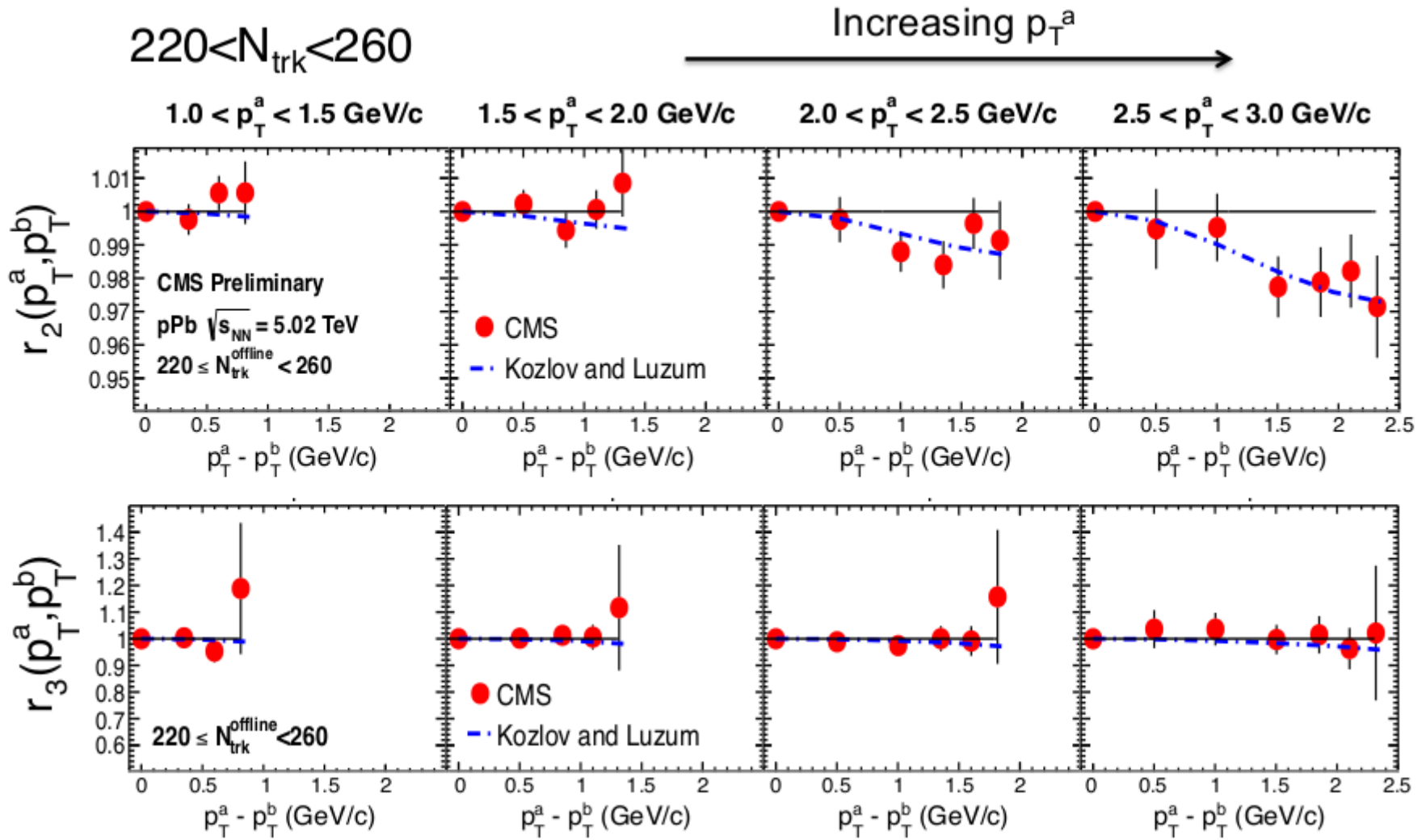


v_n in PbPb and pPb at high p_T



Breaking of factorization

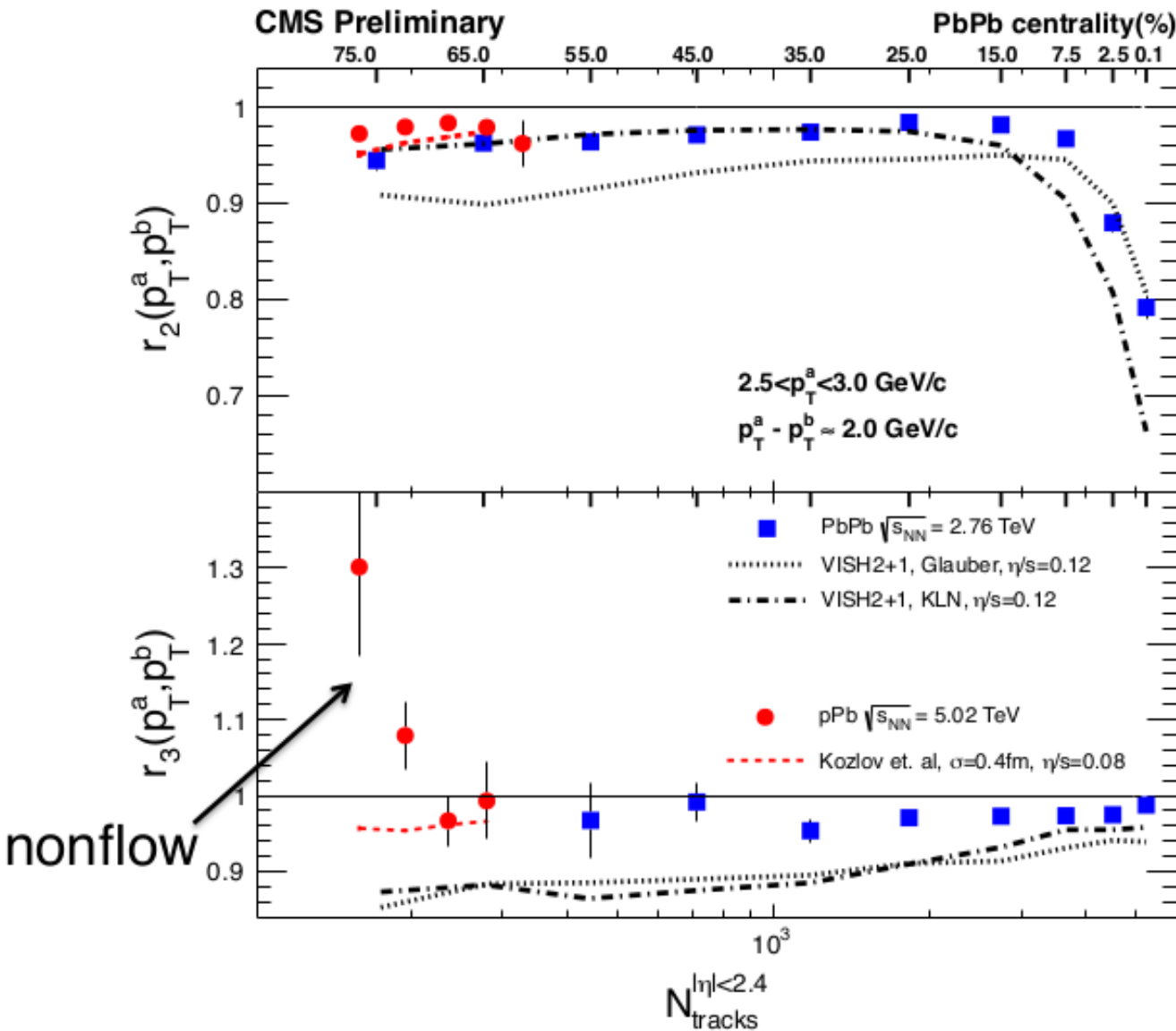
$$r_n \equiv \frac{V_{n\Delta}(p_T^a, p_T^b)}{\sqrt{V_{n\Delta}(p_T^a, p_T^a)}\sqrt{V_{n\Delta}(p_T^b, p_T^b)}} \sim \langle \cos[n(\Psi_n(p_T^a) - \Psi_n(p_T^b))] \rangle$$



Only a small effect, pPb is very smooth

Breaking of factorization

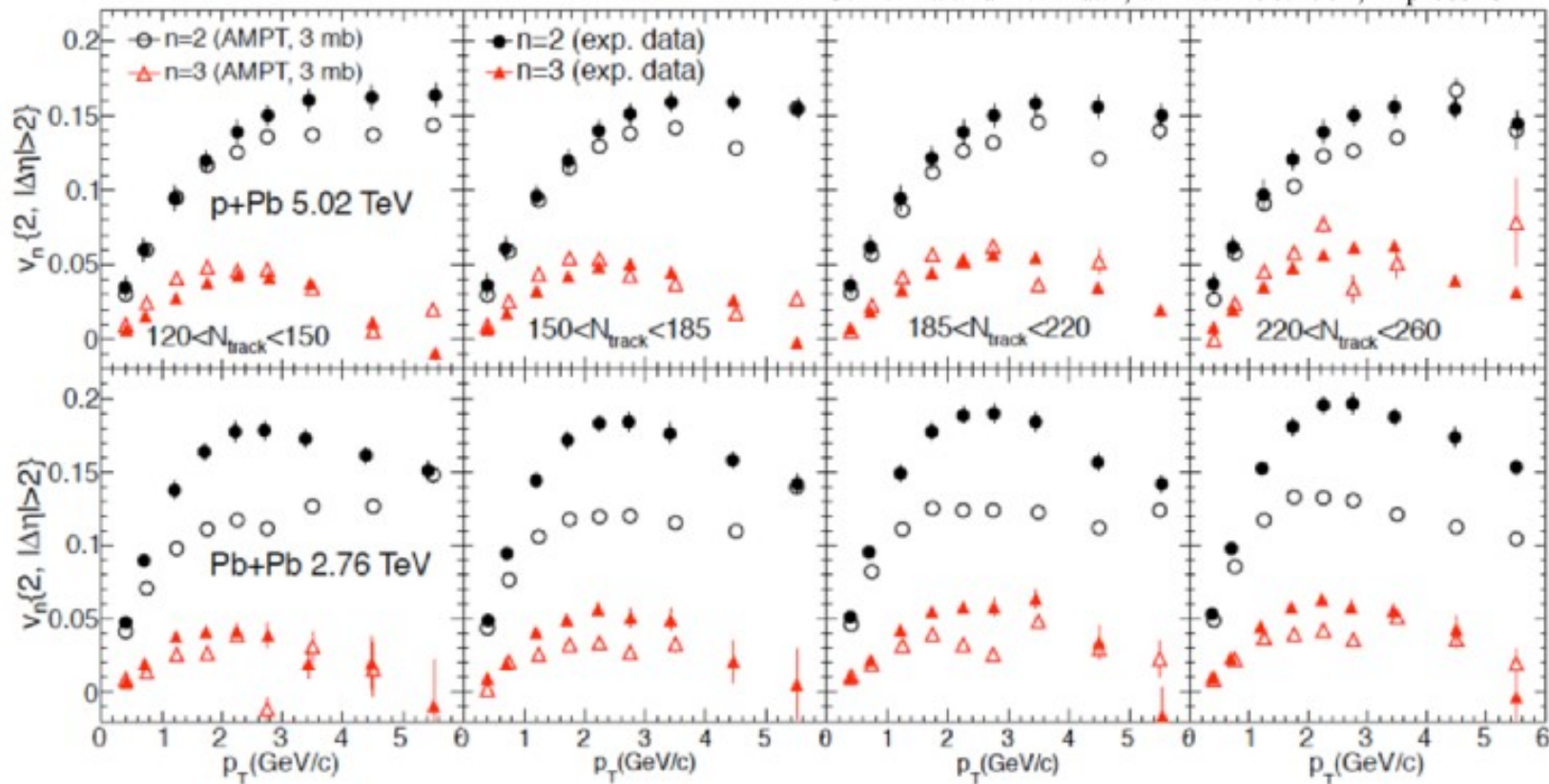
$$r_n \equiv \frac{V_{n\Delta}(p_T^a, p_T^b)}{\sqrt{V_{n\Delta}(p_T^a, p_T^a)}\sqrt{V_{n\Delta}(p_T^b, p_T^b)}}$$



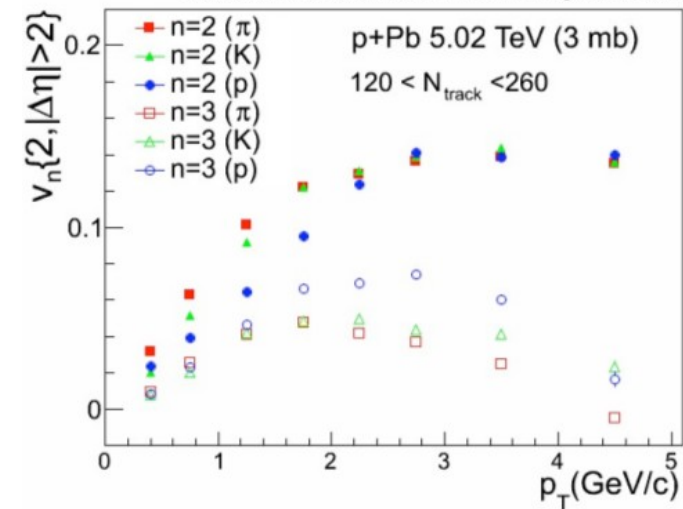
Effect in pPb is comparable to that in peripheral PbPb

AMPT comparison with pPb and PbPb

G.-L. Ma and A. Bzdak, arXiv:1406.2804, in press for PRL

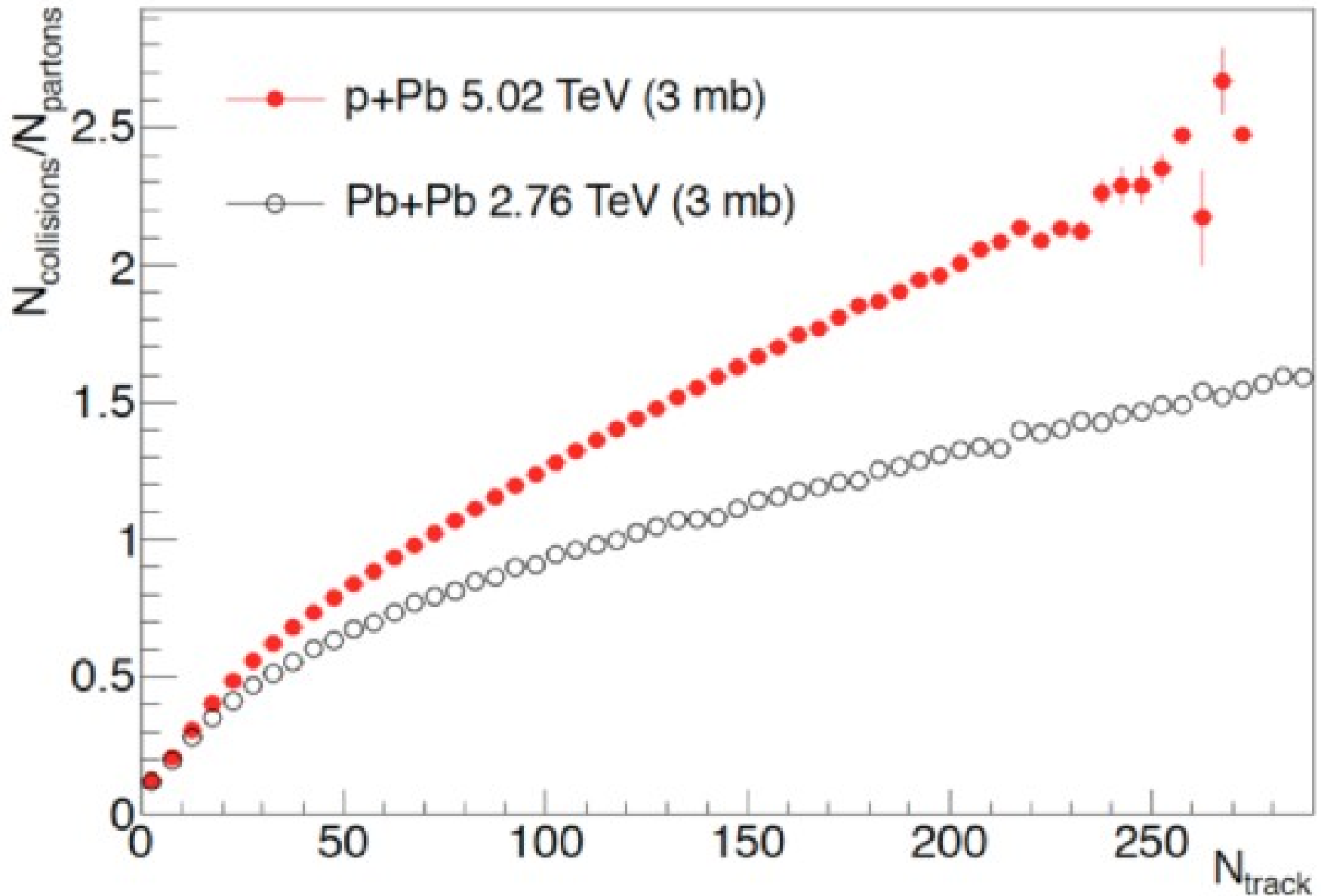


G.-L. Ma and A. Bzdak, arXiv:1406.2804, in press for PRL



AMPT does a good job describing data except for mass dependence of v_3

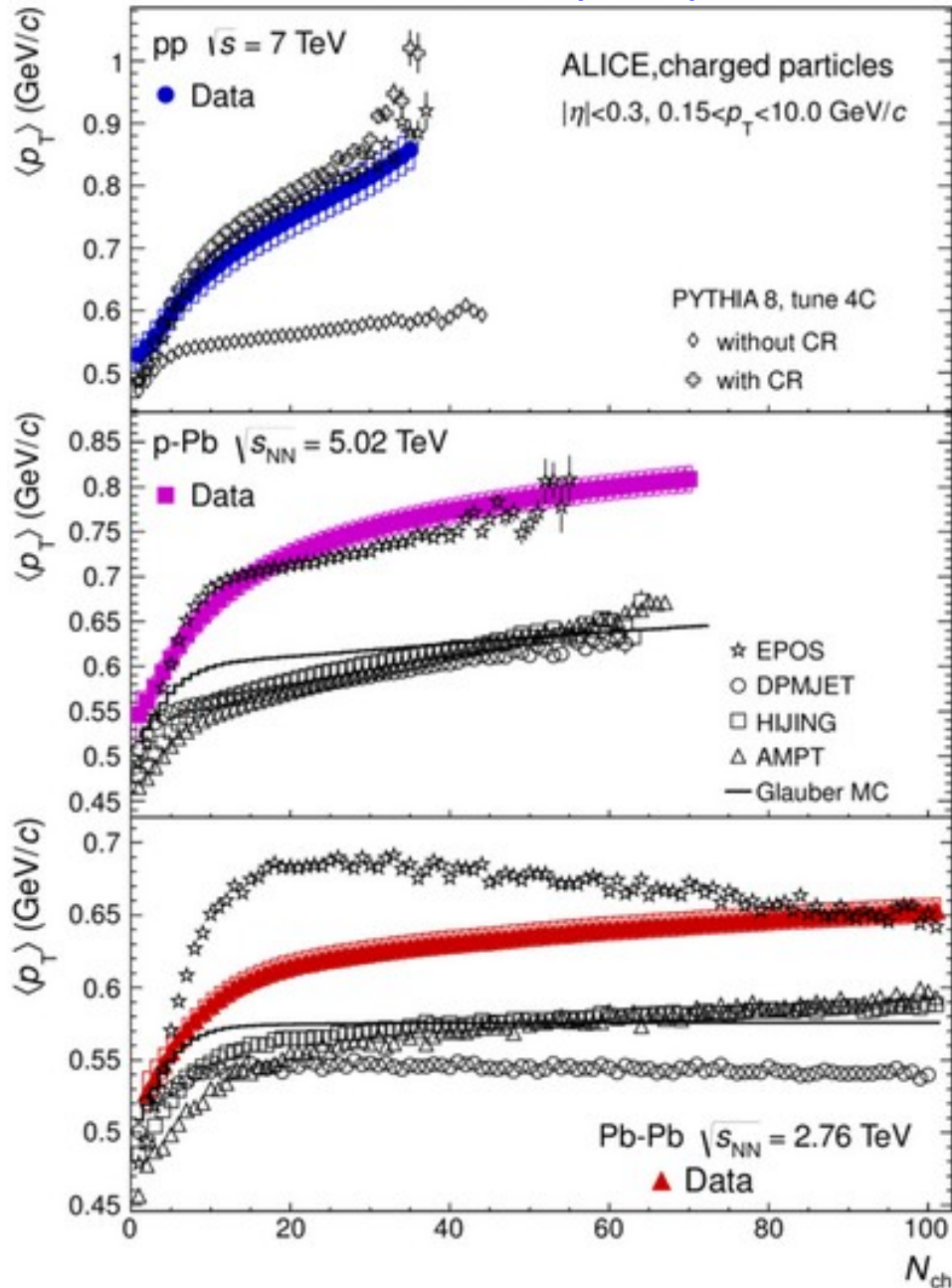
Elastic scatterings per parton in AMPT



Average p_T versus N_{ch}

61

ALICE, PLB 727 (2013) 371



- pp

- Within PYTHIA model increase in mean p_T can be modeled with Color Reconnections between strings
- Can be interpreted as collective effect (e.g. Velasquez et al., arXiv:1303.6326v1)

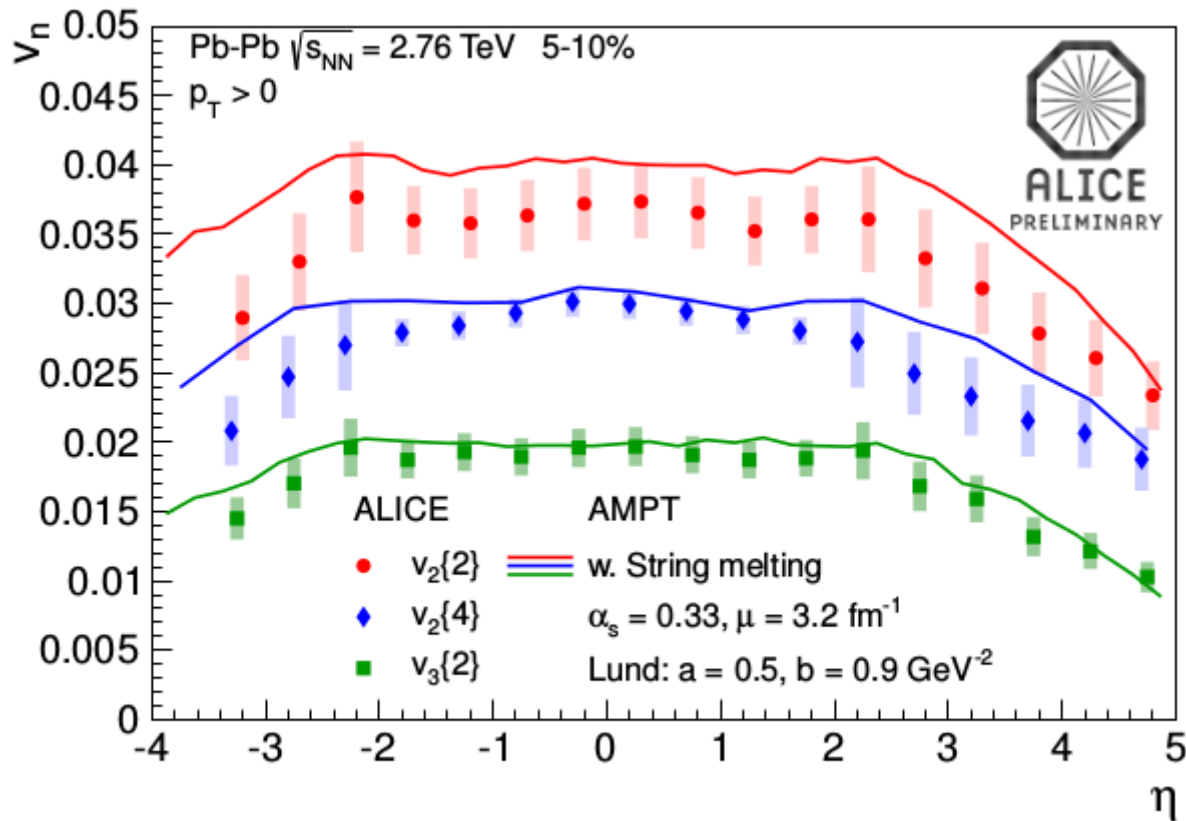
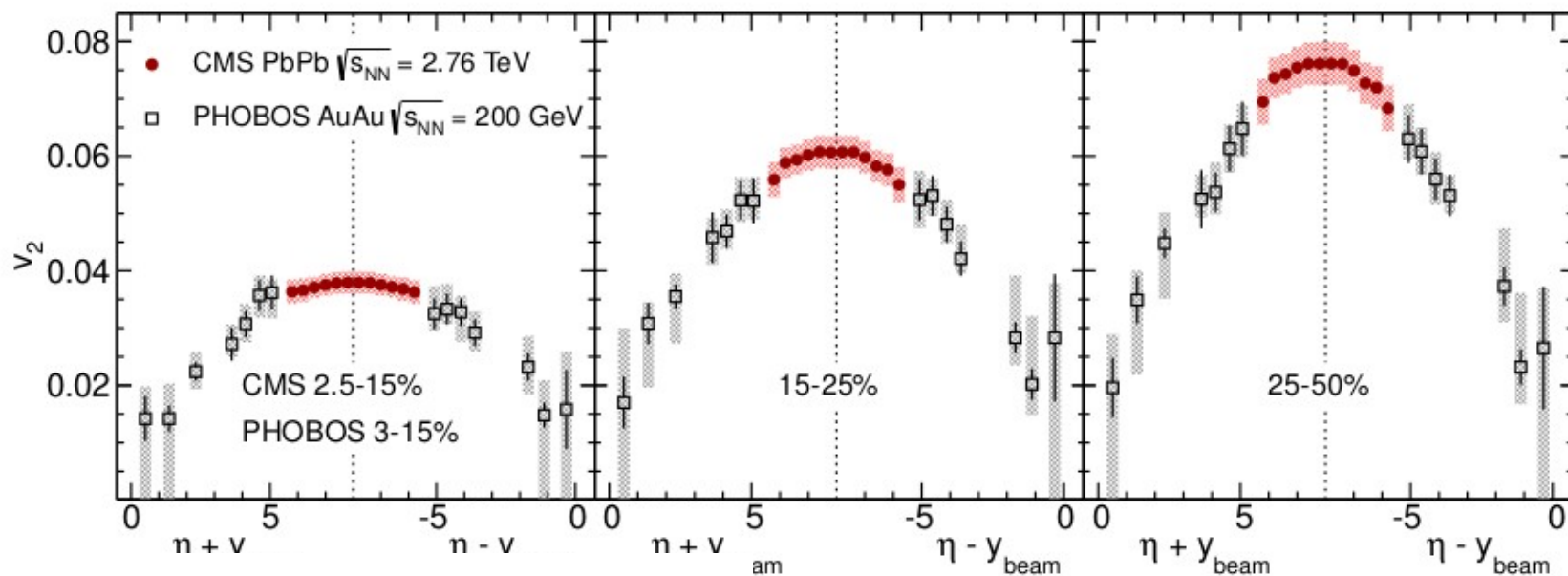
- pPb

- Increase follows pp up to $N_{ch} \sim 14$ (90% of pp cross section, pp already biased)
- Glauber MC (as other models based on incoherent superposition) fails
- Like in pp: Do we need a (microscopic) concept of interacting strings?
- EPOS LHC which includes a hydro evolution describes the data (also pp)

- PbPb

- As expected, incoherent superposition can not describe data

Longitudinal direction



PRC 87 (2013) 014902