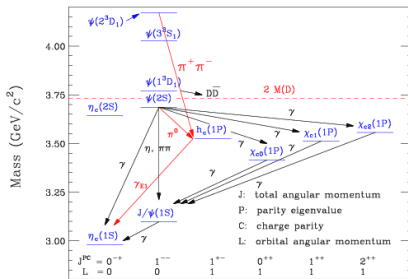


$\rho\bar{\rho} \rightarrow h_c \rightarrow 5\pi$
Anastasia Karavdina



Motivation



arXiv:1107.2023

h_c

- Not well established charmonium state
- Mass: 3525.38 ± 0.11 MeV
Singlet partner for χ_{cJ} triplet spin-spin interaction \rightarrow hyperfine mass splitting
- Width: 0.7 ± 0.4 MeV simply aren't measured precise

Decay modes

Radiative transitions: $h_c \rightarrow \gamma \eta_c$ (Br \sim 50%)

Hadronic transitions: $h_c \rightarrow J/\Psi \pi \pi$ (not seen)

Hadronic decay: $h_c \rightarrow \pi \pi \pi$

$$\frac{h_c \rightarrow \gamma \eta_c}{h_c \rightarrow \text{hadrons}} \sim 1$$

Not much information about $h_c \rightarrow \text{hadrons}$ channels:

G parity \rightarrow odd number of pions

- $h_c \rightarrow \pi^+ \pi^- \pi^0 < 2.2 \cdot 10^{-3}$
- $h_c \rightarrow 2(\pi^+ \pi^-) \pi^0$ ($2.2_{-0.7}^{+0.8}$) %
- $h_c \rightarrow 3(\pi^+ \pi^-) \pi^0 < 2.9$ %

$p\bar{p} \rightarrow 2(\pi^+ \pi^-) \pi^0$ the largest inelastic channel for $p\bar{p}$

+ high statistic

- significant background

Model $h_c \rightarrow 1 + 2$

$$h_c : I^G(J^{PC}) = 0^-(1^{+-})$$

S = Scalar, P = pseudoScalar, V = Vector,

V_ρ = pseudoVector *

angular momentum and parity conservation:

$$(-1)^{J_c} P_c = (-1)^{J_1+J_2} P_1 P_2$$

PP	PV	VV	PS	SS	SV	$V_\rho S$	$V_\rho V$	$V_\rho P$	$V_\rho V_\rho$
-	+	ϵ	+	-	-	+	+	-	-

+ - allowed

- - forbidden by angular momentum and parity conservation

ϵ - forbidden to leading-twist accuracy [1]



QWG report "Heavy quarkonium physics" arXiv:hep-ph/0412158

* skipped in this study

Vectors

- $\omega[0^-(1^{--})] \rightarrow$
 $\pi^+\pi^-\pi^0$ (89.2±0.7) %
 $\pi^+\pi^-$ (1.53 $^{+0.11}_{-0.13}$) %
- $\rho[1^+(1^{--})] \rightarrow$
 $\pi^+\pi^-$ (~100) %

Scalars

- $f_0(600, 980)[0^+(0^{++})] \rightarrow$
 $\pi\pi$ (dominant)
- $f_0(1500)[0^+(0^{++})] \rightarrow$
 $\pi\pi$ (34.9±2.3) %
- $\chi_{c0}(1P)[0^+(0^{++})] \rightarrow$
 $\pi\pi$ (8.4±0.4) $\times 10^{-3}$

Pseudoscalars

- $\eta[0^+(0^{-+})] \rightarrow$
 $3\pi^0$ (32.57±0.23) %
 $\pi^+\pi^-\pi^0$ (28.1±0.34) %

$$h_c \rightarrow 2(\pi^+\pi^-\pi^0)$$

- $\eta\omega$ (+)
 $\text{Br}(h_c \rightarrow \eta\omega) \times 0.0043 \sim 0.0043$
- $\eta\rho$ (violate **I**)
 $\text{Br}(h_c \rightarrow \eta\rho) \times 0.28 \sim (\alpha^2 \times 0.28)$
- $\eta f_0(980)$ (violate **G**)
 $\text{Br}(h_c \rightarrow \eta f_0) \times 0.28 \sim (???)$

NB: $h_c \rightarrow \pi^+\pi^-\pi^0$ via $\eta \rightarrow 3\pi^0$

EvtGen for signal

PHSP Model

- $\rho\bar{\rho} \rightarrow h_c \rightarrow 2(\pi^+\pi^-)\pi^0$ with PHSP

Doesn't have a signature \Rightarrow model is needed!

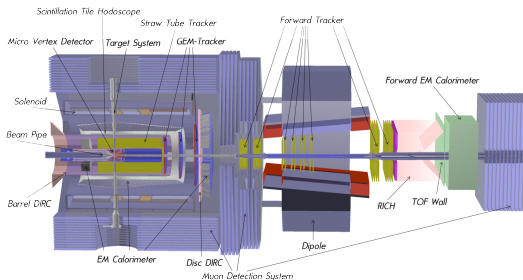
$\eta\omega$ Model

- $\rho\bar{\rho} \rightarrow h_c \rightarrow P_{\text{pseudoscalar}} + V_{\text{vector}}$
 - $h_c \rightarrow \eta\omega$ (HELAMP)
 - $\eta \rightarrow \pi^+\pi^-\pi^0$ (PTO3P)
 - $\omega \rightarrow \pi^+\pi^-$ (VSS)

DPM for background

- ★ FastSim (full and reduced set-ups)
- ★ $P_{\text{beam}} = 5.61$ GeV/c

Detector scenarios



Proposed scenarios

- I MvdGem, EmcBarrel, Drc, Dsc, FwdSpec
- II MvdGem, Drc, Dsc , FwdSpec (w/o barrel EMC)
- III MvdGem, EmcBarrel, Drc, Dsc (w/o FwdSpec)
- IV MvdGem, EmcBarrel, Drc, FwdSpec (w/o Disc DIRC)
- V EmcBarrel, Drc, Dsc, FwdSpec (STT only)

EmcFwd, EmcBw, STT, Barrel MUO are always enabled

+ several very restricted set-ups

Event selection

$$h_c \rightarrow 2(\pi^+ \pi^-) \pi^0$$

$$\pi^0 \rightarrow \gamma\gamma$$

- π^0 mass window cut (± 50 MeV)
- $N_{\pi^0} = 1, N_{\pi^+} = 2, N_{\pi^-} = 2$

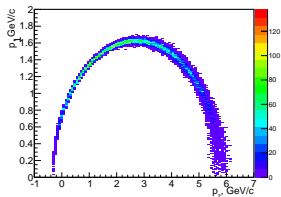
$$h_c \rightarrow 2(\pi^+ \pi^-) \pi^0$$

$\omega\eta$ analysis model:

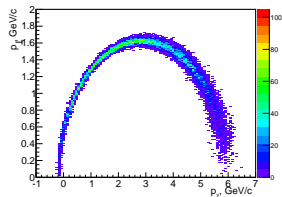
- $\omega \rightarrow \pi^+ \pi^- \rightarrow p_{\perp}(p_z)$ check
- $\eta \rightarrow \pi^+ \pi^- \pi^0 \rightarrow p_{\perp}(p_z)$ check
- if both OK for diff $\pi^+ \pi^-$ pairs $\rightarrow \omega$ and η mass cuts

4C fit \rightarrow cut on χ^2 , best candidate

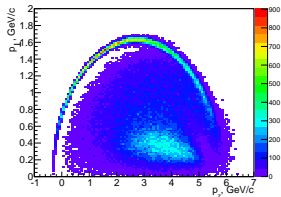
Event selection with $p_{\perp}(p_z)$ [Peyrou]



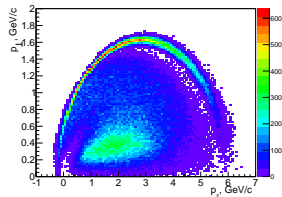
η (MC)



ω (MC)



η (all candidates)

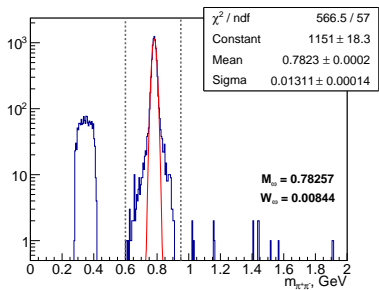
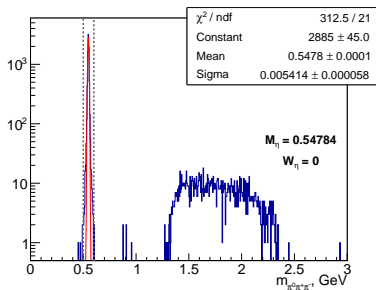


ω (all candidates)

Event selection

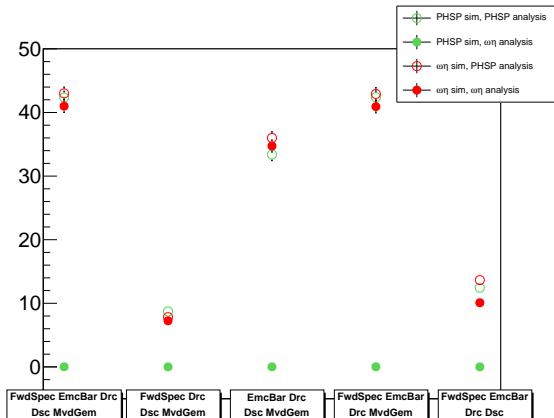
Mass window cut

η (right) and ω (left)



Reconstruction efficiency [%]

Signal, $\eta\omega$ cut



FwdSpec = complete Forward Spectrometer (Fwd Spec. EMC, Fwd Tracking, RICH, Fwd MUO)

EmcBarrel = EMC barrel for calorimetry (neutral detection and PID component)

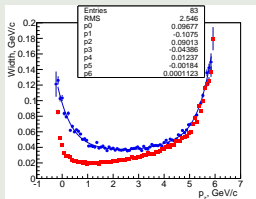
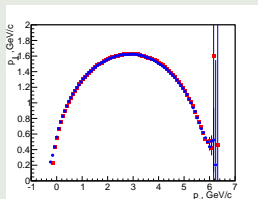
Drc = Barrel DIRC for PID, **Dsc** = Disc DIRC for PID

MvdGem = MVD and GEM for central tracking in addition to STT

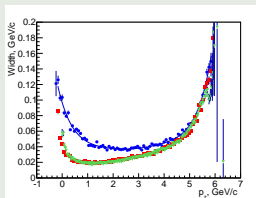
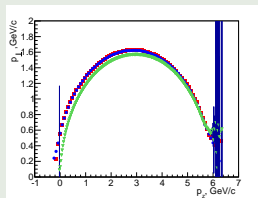
Event selection with $p_{\perp}(p_z)$ [Peyrou]

$h_c \rightarrow \eta\omega$, $h_c \rightarrow \eta\rho$ and $h_c \rightarrow \eta f_0(1500)$

$p_{\perp}(p_z)$ for ω (red) and ρ (blue)



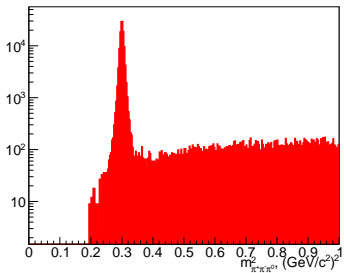
$p_{\perp}(p_z)$ for ω (red), ρ (blue) and f_0 (green)



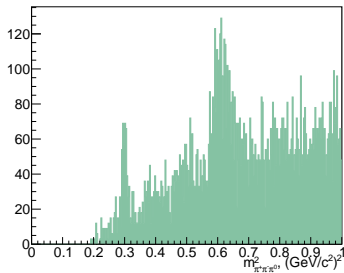
due to different mass and widths

η mass cut

$$m^2_{\pi^+\pi^-\pi^0}$$



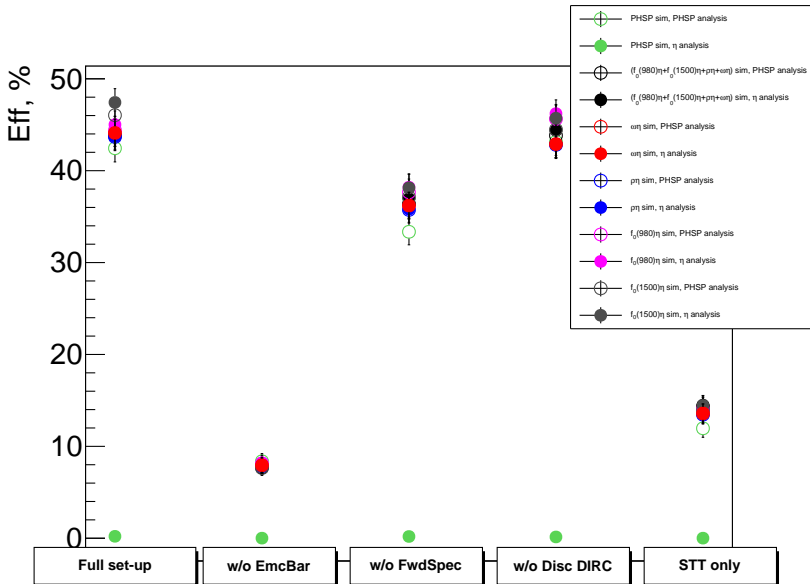
Signal



DPM background

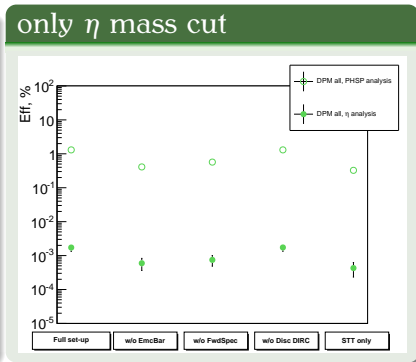
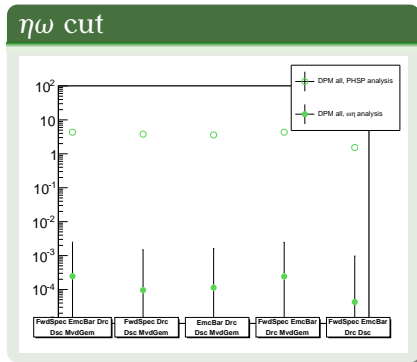
Reconstruction efficiency

Signal, only η mass cut



Reconstruction efficiency

Background



More strict model helps to suppress background better

Significance

$$h_c \rightarrow 2(\pi^+\pi^-)\pi^0$$

$$\text{Significance}(t) = \sqrt{L \cdot t} \frac{\sigma_s \cdot \epsilon_s \cdot f_{BR}}{\sqrt{\sigma_s \cdot \epsilon_s \cdot f_{BR} + \sigma_b \cdot \epsilon_b}}$$

"known":

σ_s – signal cross-section (10-100 nb)

σ_b – bkg cross-section (50 mb)

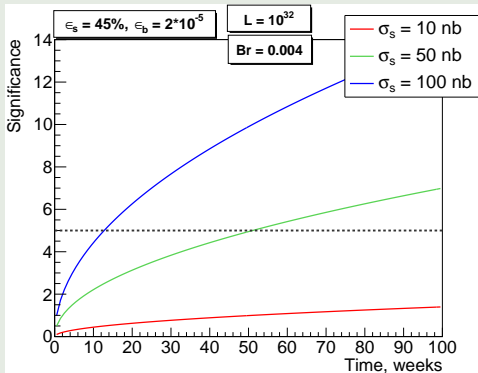
f_{BR} – BR factor for given decay (0.004)

L – luminosity (10^{32} or 10^{31})

"input":

ϵ_s – rec. efficiency for signal

ϵ_b – rec. efficiency for bkg



Time for 10^4 events with $L=10^{32}$

64, 13 or 7 days respectively for σ_s 10nb, 50 nb or 100 nb

Significance

$$h_c \rightarrow 2(\pi^+ \pi^-) \pi^0$$

$$\text{Significance}(t) = \sqrt{L \cdot t} \frac{\sigma_s \cdot \epsilon_s \cdot f_{BR}}{\sqrt{\sigma_s \cdot \epsilon_s \cdot f_{BR} + \sigma_b \cdot \epsilon_b}}$$

"known":

σ_s – signal cross-section (10-100 nb)

σ_b – bkg cross-section (50 mb)

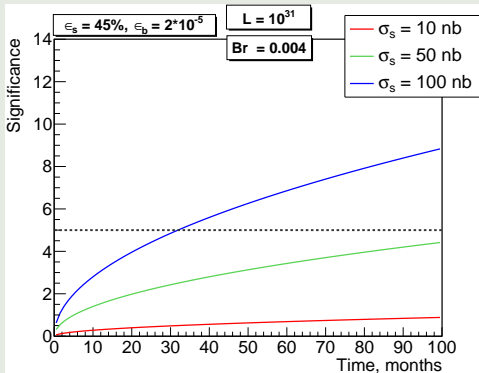
f_{BR} – BR factor for given decay (0.004)

L – luminosity (10^{32} or 10^{31})

"input":

ϵ_s – rec. efficiency for signal

ϵ_b – rec. efficiency for bkg



Time for 10^4 events with $L=10^{32}$

64, 13 or 7 days respectively for σ_s 10nb, 50 nb or 100 nb

Event selection

$$h_c \rightarrow \pi^+ \pi^- 3\pi^0$$

$$\pi^0 \rightarrow \gamma\gamma$$

- π^0 mass window cut (± 50 MeV)
- $N_{\pi^0}=3, N_{\pi^+}=1, N_{\pi^-}=1$

$$h_c \rightarrow \pi^+ \pi^- 3\pi^0$$

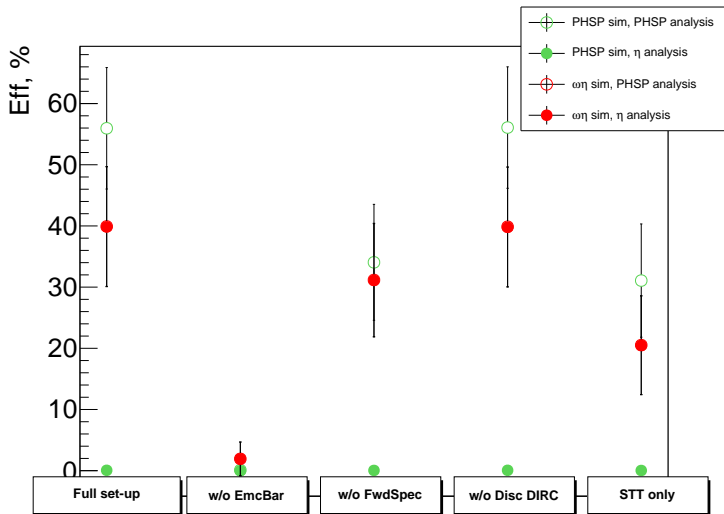
η analysis model:

- $0.25 < M_{3\pi^0}^2 < 0.35$

4C fit \rightarrow cut on χ^2 , best candidate

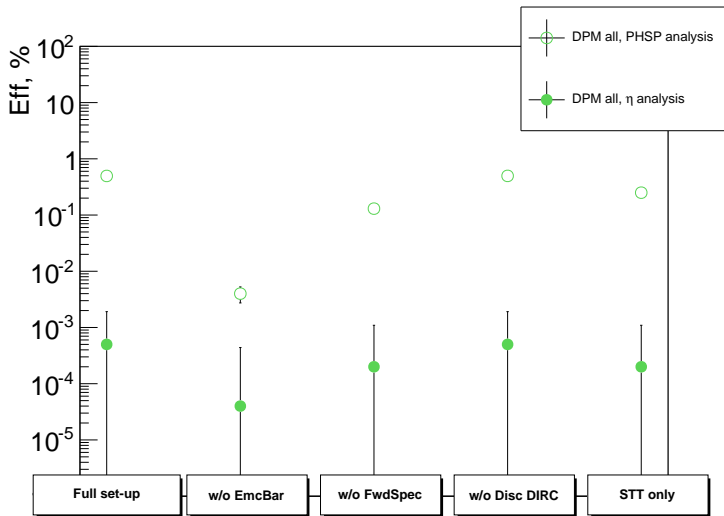
Reconstruction efficiency

Signal, η mass cut



Reconstruction efficiency

Background



Significance

$h_c \rightarrow \pi^+ \pi^- 3\pi^0$

$$\text{Significance}(t) = \sqrt{L \cdot t} \frac{\sigma_s \cdot \epsilon_s \cdot f_{BR}}{\sqrt{\sigma_s \cdot \epsilon_s \cdot f_{BR} + \sigma_b \cdot \epsilon_b}}$$

"known":

σ_s – signal cross-section (10-100 nb)

σ_b – bkg cross-section (50 mb)

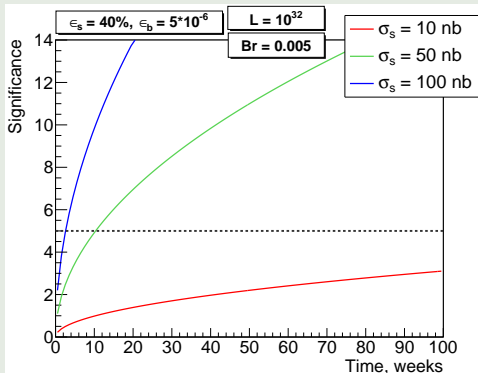
f_{BR} – BR factor for given decay (0.005)

L – luminosity (10^{32} or 10^{31})

"input":

ϵ_s – rec. efficiency for signal

ϵ_b – rec. efficiency for bkg



Time for 10^4 events with $L=10^{32}$

58, 12 or 6 days respectively for σ_s 10nb, 50 nb or 100 nb

Significance

$$h_c \rightarrow \pi^+ \pi^- 3\pi^0$$

$$\text{Significance}(t) = \sqrt{L \cdot t} \frac{\sigma_s \cdot \epsilon_s \cdot f_{BR}}{\sqrt{\sigma_s \cdot \epsilon_s \cdot f_{BR} + \sigma_b \cdot \epsilon_b}}$$

"known":

σ_s – signal cross-section (10-100 nb)

σ_b – bkg cross-section (50 mb)

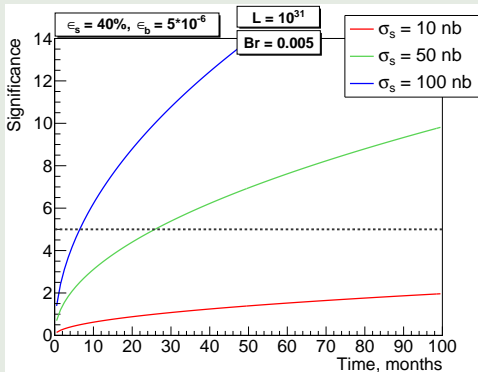
f_{BR} – BR factor for given decay (0.005)

L – luminosity (10^{32} or 10^{31})

"input":

ϵ_s – rec. efficiency for signal

ϵ_b – rec. efficiency for bkg



Time for 10^4 events with $L=10^{32}$

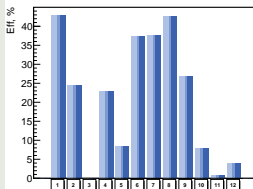
58, 12 or 6 days respectively for σ_s 10nb, 50 nb or 100 nb

Minimal set-up

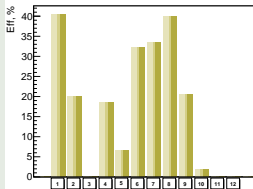
- 1 Full detector
- 2 EmcBar FwdTrk STT MvdGem
- 3 EmcBar FwdTrk
- 4 EmcBar STT MvdGem
- 5 EmcBar FwdTrk STT
- 6 EmcBar EmcFwCap FwdTrk STT MvdGem
- 7 EmcBar EmcFwCap EmcBwCap FwdTrk STT MvdGem
- 8 EmcBar EmcFwCap EmcBwCap EmcFwd FwdTrk STT MvdGem
- 9 EmcBar EmcFwd FwdTrk STT MvdGem
- 10 EmcFwCap EmcBwCap EmcFwd FwdTrk STT MvdGem
- 11 EmcFwd FwdTrk STT MvdGem
- 12 EmcFwCap EmcBwCap FwdTrk STT MvdGem

Essential: EmcBar, STT+MvdGem (4)
Helpful: EmcFwCap and FwdTrk (6)
+ EmcFwd (8)

Efficiency $h_c \rightarrow 2(\pi^+ \pi^-) \pi^0$



Efficiency for $h_c \rightarrow \pi^+ \pi^- 3\pi^0$



Results ($P_{beam} = 5.61 \text{ GeV}/c$)

$$p\bar{p} \rightarrow h_c \rightarrow 2(\pi^+ \pi^-) \pi^0$$

- PHSP and PV, PS models were checked
- $\epsilon_{sig} \sim 45 \%$, $\epsilon_{bkg} \sim 2 \cdot 10^{-5}$
- $\sim 10\text{--}50$ weeks to achieve 5σ significance

$$p\bar{p} \rightarrow h_c \rightarrow \pi^+ \pi^- 3\pi^0$$

- PHSP and PV models were checked
- $\epsilon_{sig} \sim 40 \%$, $\epsilon_{bkg} \sim 5 \cdot 10^{-6}$
- $\sim 2\text{--}10$ weeks to achieve 5σ significance

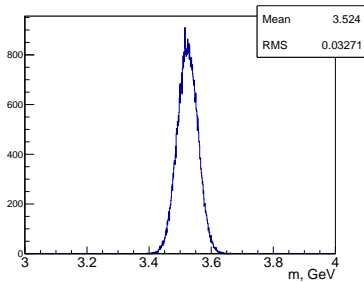
Set-up

Min: EmcBar, STT+MvdGem

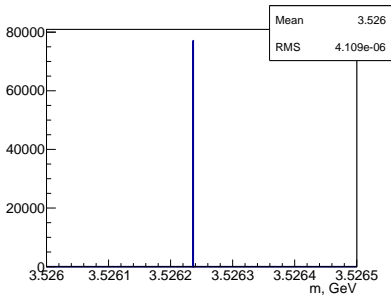
Max: EmcBar(+FwCap+BwCap), EmcFwd, FwdTrk,
STT+MvdGem

NB: production mechanism was not simulated \rightarrow importance of Forward Spectrometer could be underestimated

Reconstructed h_c mass



after all cuts



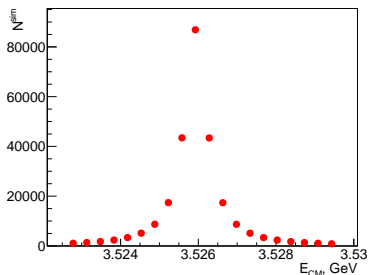
after 4C fit

Production cross-section

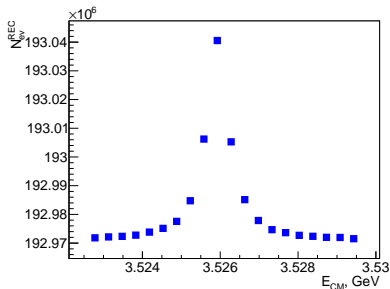
Breit-Wiegner Production cross-section:

$$\sigma_{BW}(\sqrt{s}) = \frac{(2J + 1) \cdot 4\pi}{s - 4m_p^2} \frac{BR(h_c \rightarrow p\bar{p})\Gamma_{h_c}^2}{4(\sqrt{s} - m_{h_c})^2 + \Gamma_{h_c}^2} \quad (1)$$

Measured rates (red: true distribution, blue: reconstructed signal+DPM bkg)



Simulated shape



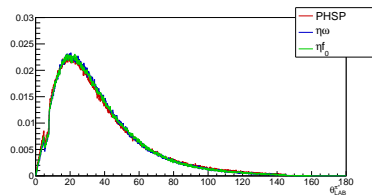
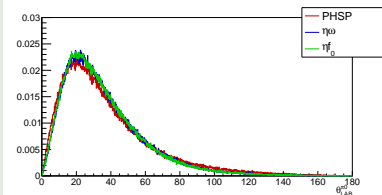
$h_c \rightarrow 2(\pi^+ \pi^-)\pi^0$

NB: no efficiency correction

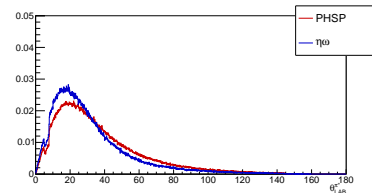
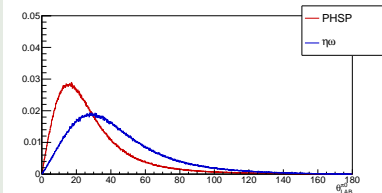
Angular distributions of final particles

LAB frame

$$h_c \rightarrow 2(\pi^+\pi^-)\pi^0$$



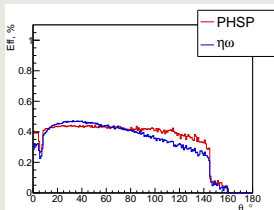
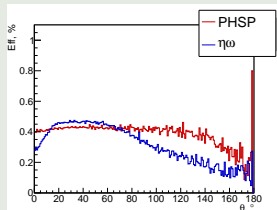
$$h_c \rightarrow \pi^+\pi^-\pi^0$$



Efficiency of reconstruction for final state particles

LAB frame

$$h_c \rightarrow 2(\pi^+\pi^-)\pi^0$$



$$h_c \rightarrow \pi^+\pi^-\pi^0$$

