

Update on Simulations of the D_s Semileptonic Decay Form Factor

Lu Cao

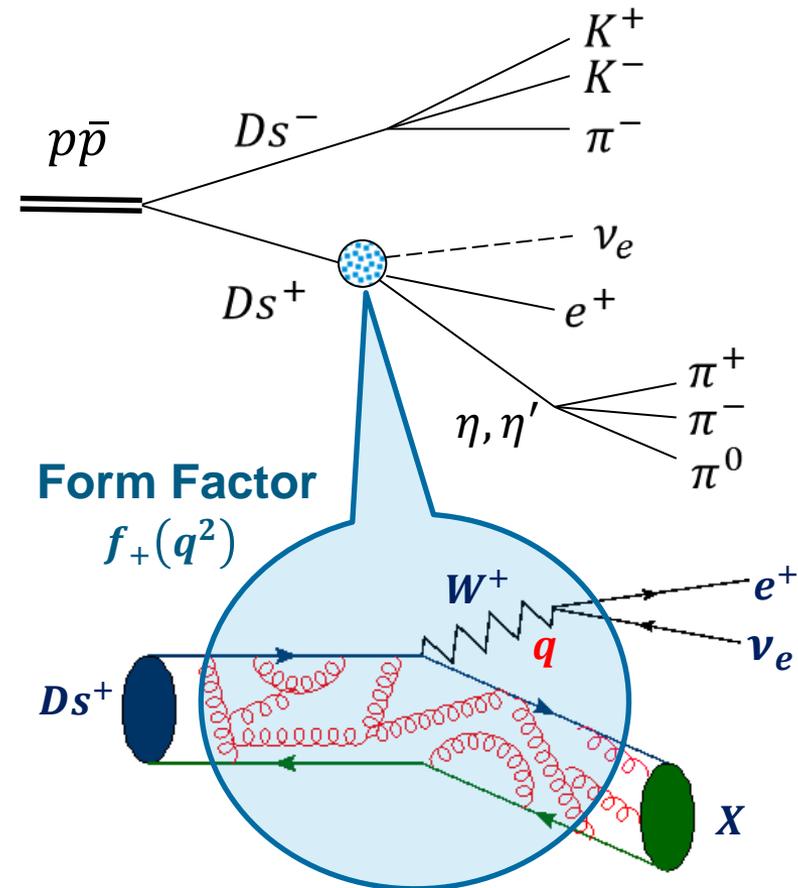
11th June, 2014

Outline

- Significance on D_s semileptonic decay
- Reconstruction of neutral pion
- Kinematics of lepton-neutrino system
- Reco. efficiency in FastSim & FullSim
- Updated reconstruction results in FullSim
- Summary & outlook

Significance on Ds Semileptonic Decay

- Semileptonic decays $D_s \rightarrow e + \nu + \eta, \eta'$ are an excellent environment for precision measurements of the CKM matrix elements $|V_{cd}|$ and $|V_{cs}|$.
- Form factor encapsulates QCD bound-state effects; relates to the probability of forming final state at given invariant mass squared of the lepton-neutrino system q^2 .
- The investigation opens a new approach to improve the measurement of mixing angle for η and η' .



$$\frac{d\Gamma(D_s \rightarrow \nu l X)}{dq^2} = \frac{G_F^2}{24\pi^3} |V_{cx}|^2 p_x^3 |f_+(q^2)|^2$$

Reconstruction of Neutral Pion

Photon energy scaling method

Invariant mass of two-photon: $m_{\gamma\gamma} = \sqrt{2E_{\gamma_1} E_{\gamma_2} (1 - \cos \theta_{\gamma\gamma})}$

Photon energy E_{γ_i} will be scaled to $E_{\gamma_i}^{REC}$:

$$E_{\gamma_i}^{REC} = \frac{m_{\pi}}{m_{\gamma\gamma}} E_{\gamma_i}$$

with $E_{\gamma_i}^{REC}$ and **angular information fixed**, the 4-momenta of pi0 can be written as:

$$\mathbf{p}_{\pi} = \mathbf{p}_{\gamma_1}^{REC} + \mathbf{p}_{\gamma_2}^{REC}$$

Nucl. Instr. and Meth. A 453 (2000) 606 [pdf](#)

Reconstruction of the π^0 kinematics from $\gamma\gamma$ decay

TAPS

K. Korzecka, T. Matulewicz*

Institute of Experimental Physics, Warsaw University, Hoża 69, PL-00-681 Warszawa, Poland

This method is appropriate when the accuracy of the angular measurements is much better compared to the energy measurements.

Otherwise, not only the photon energies have to be corrected, but also their emission angles (kinematical fit).

Cuttings in **energy scaling method**:

photon energy > 0.02 GeV

width of mass window on $m_{\gamma\gamma}$: 0.014 GeV/c

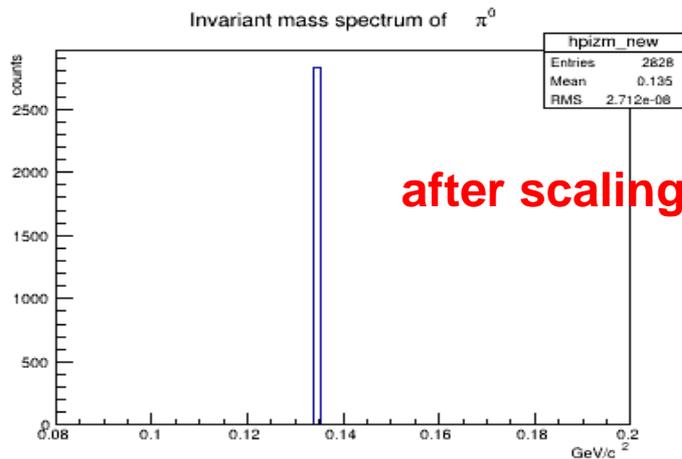
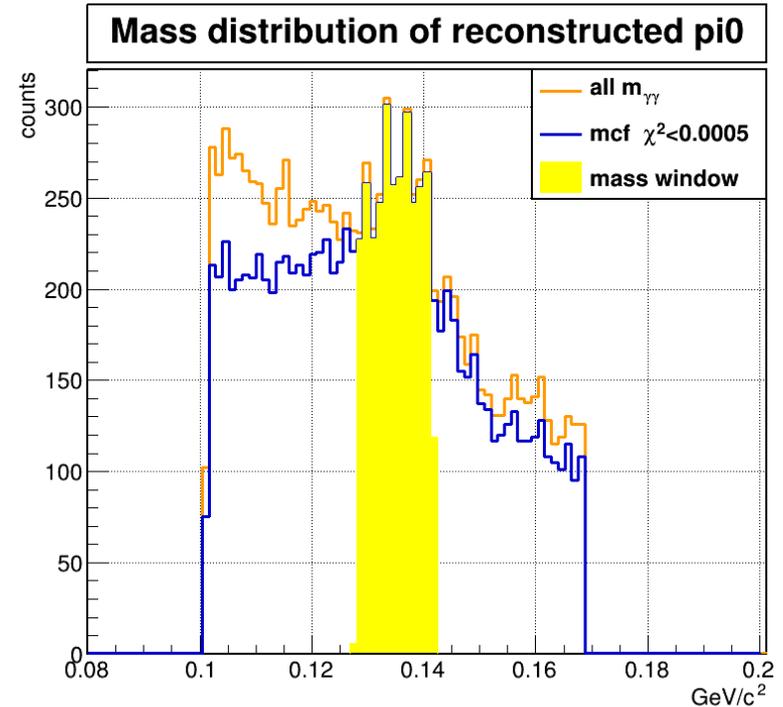
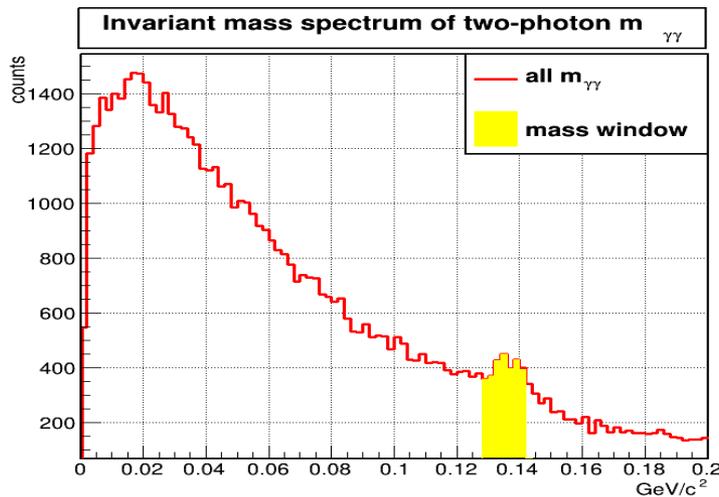
opening angle > 0.1 (1 evt not fulfill)

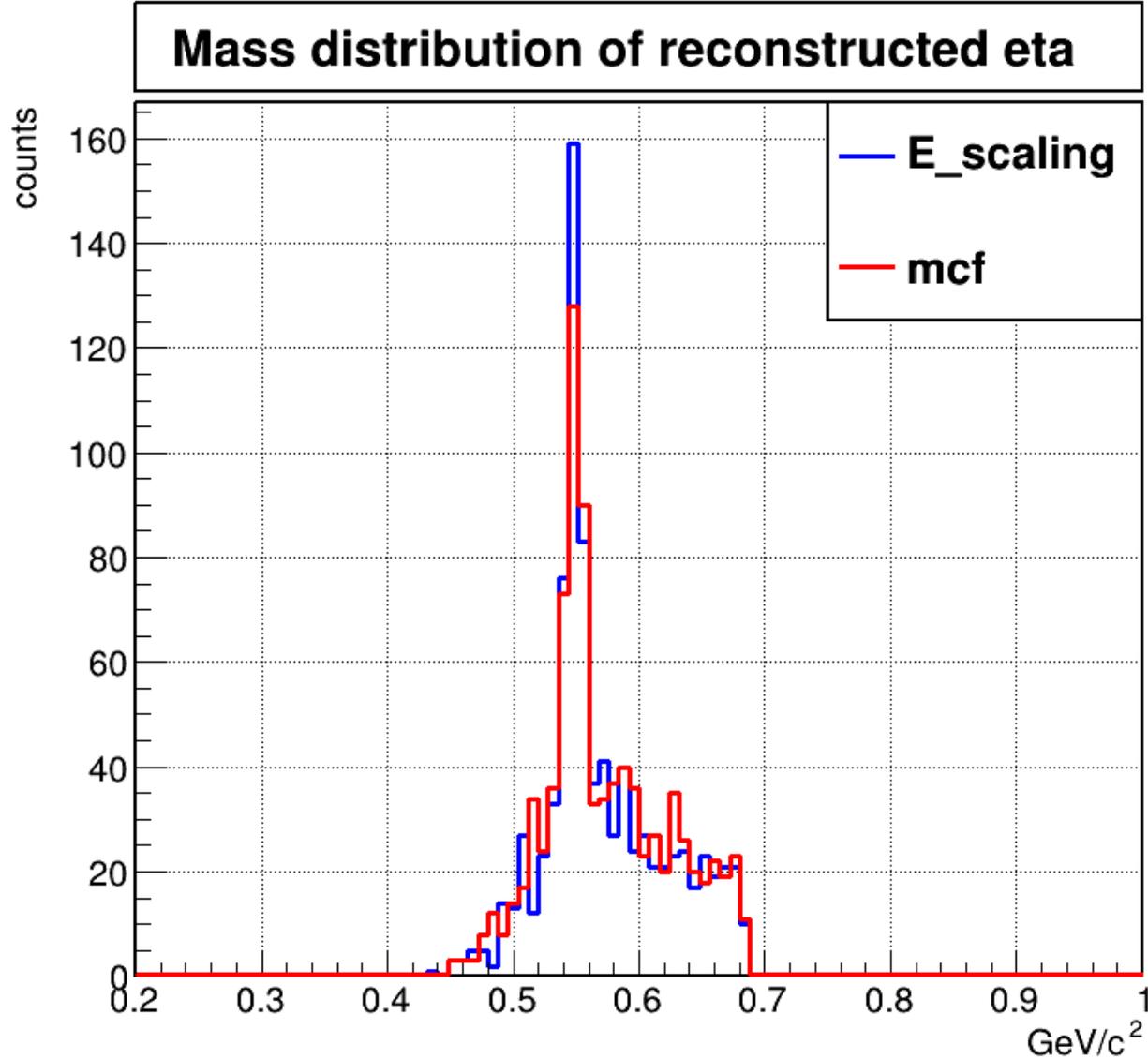
Cuttings in **mcf method**:

photon energy > 0.02 GeV

width of mass window: 0.014 GeV/c

mcf chi2 < 0.0005

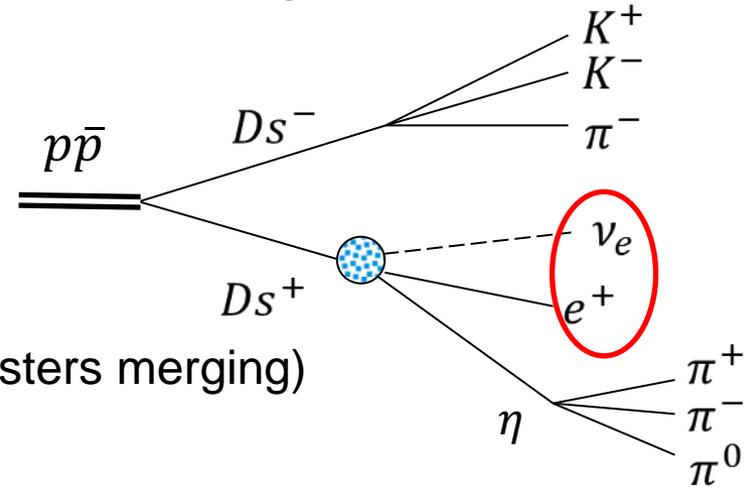




Kinematics of Lepton-neutrino System

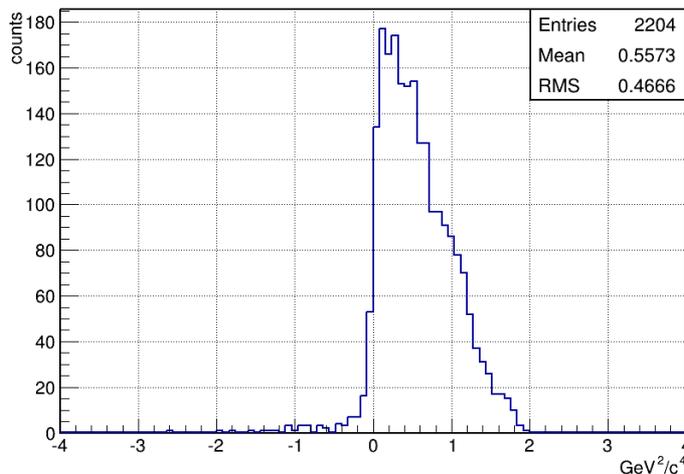
Invariant mass squared of lepton-neutrino:

$$q^2(e^+ \nu_e) = (E_{p\bar{p}} - E_{Ds^-} - E_{\eta})^2 - |\vec{P}_{p\bar{p}} - \vec{P}_{Ds^-} - \vec{P}_{\eta}|^2$$

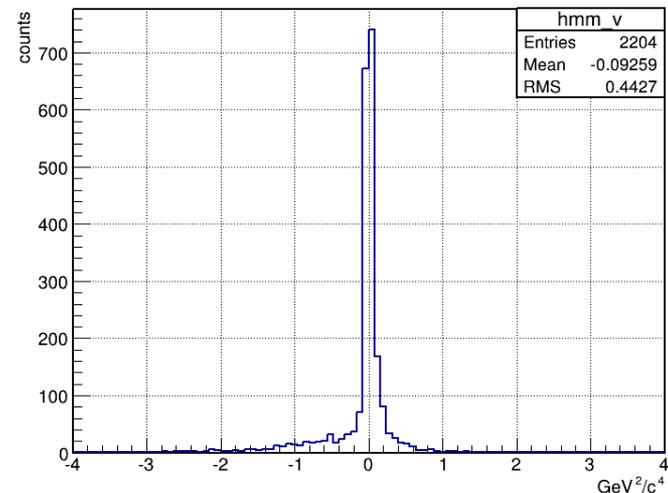


- FaSim (enable bremsstrahlung and neutral clusters merging)
- 10k evt at $\sqrt{s} = 4.108$ GeV
- Ideal PID (#25009)

Invariant mass squared of ($e^+ \nu_e$)

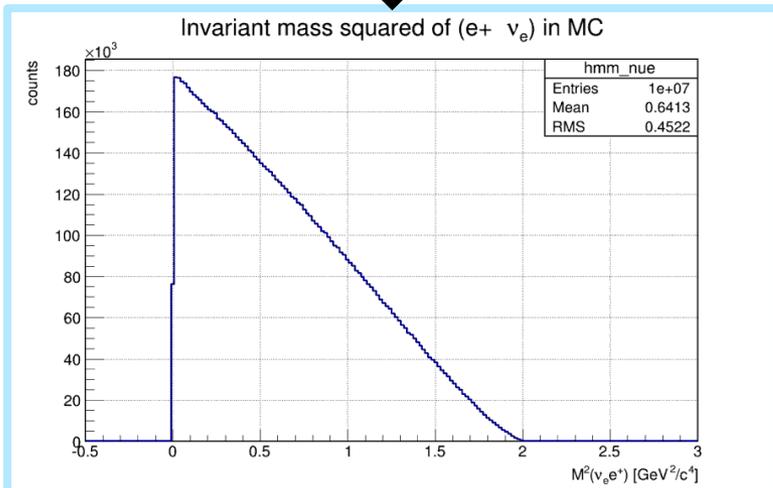
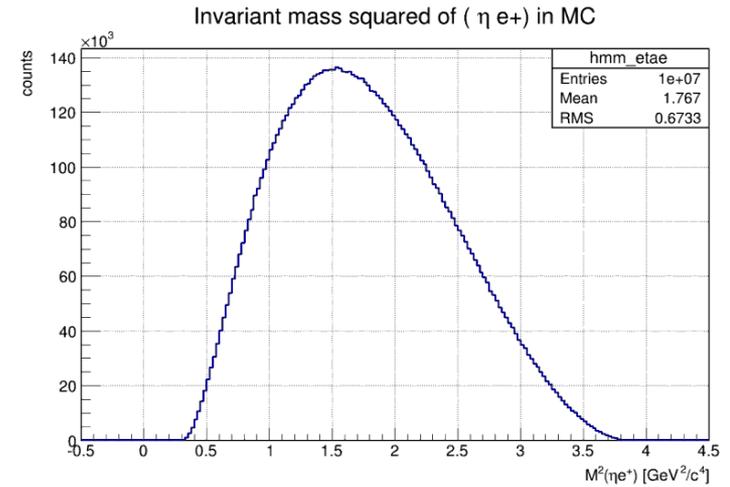
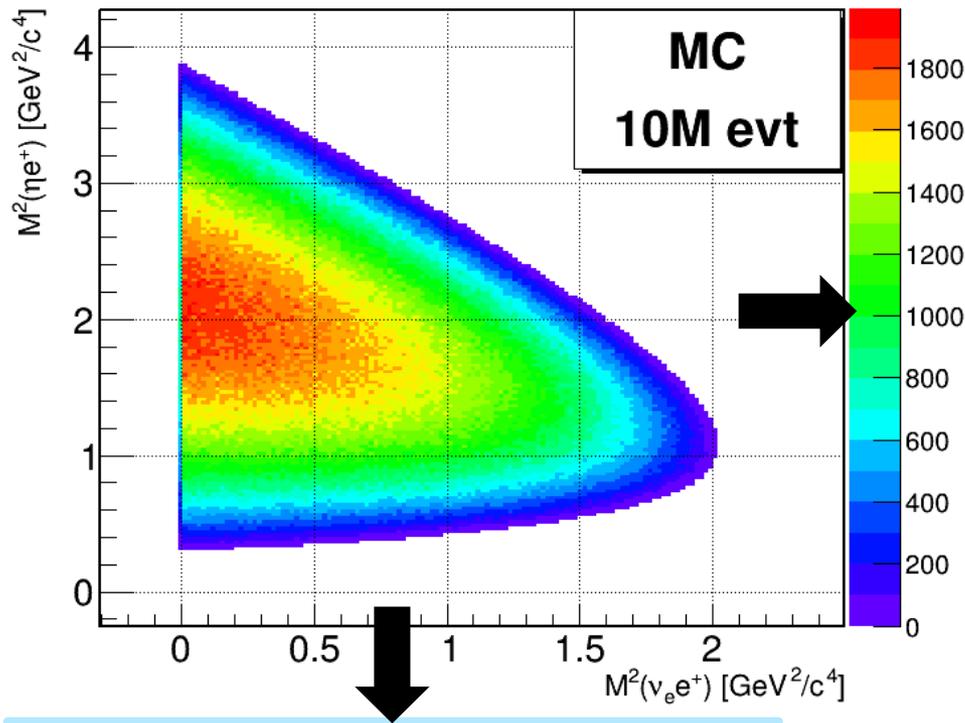


Mass squared of ν_e candidates



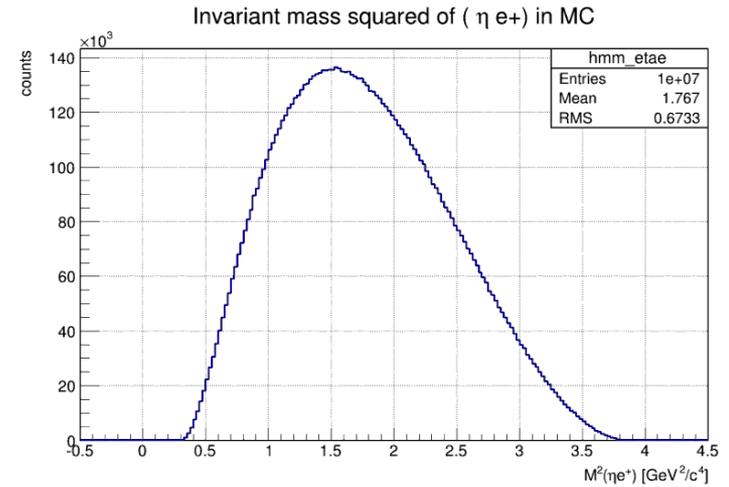
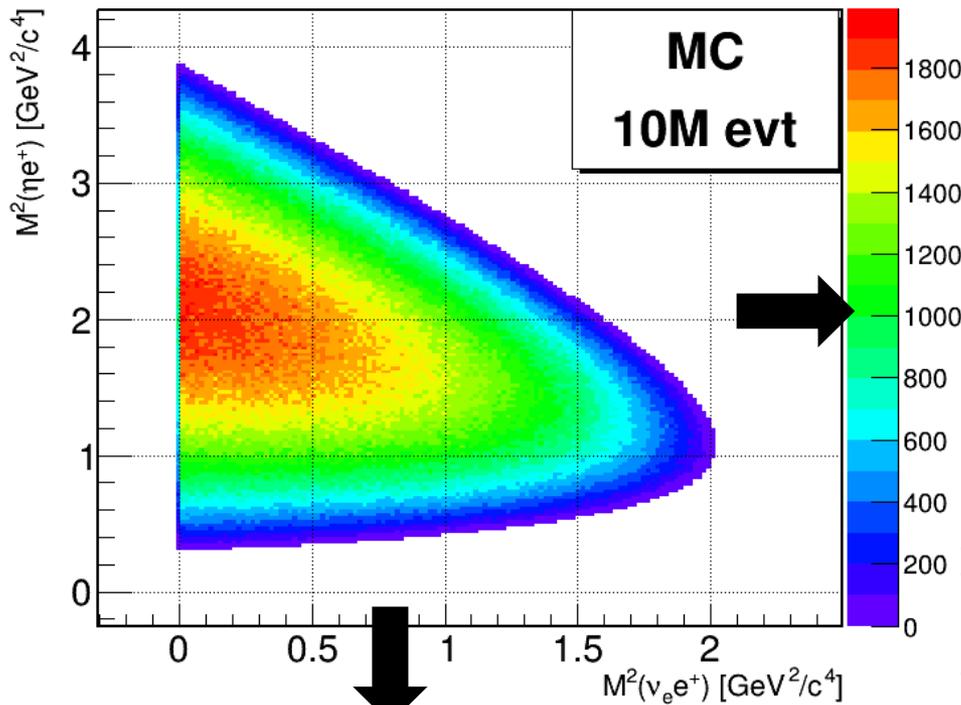
MC Truth

Dalitz plot for $Ds^+ \rightarrow \eta e^+ \nu_e$

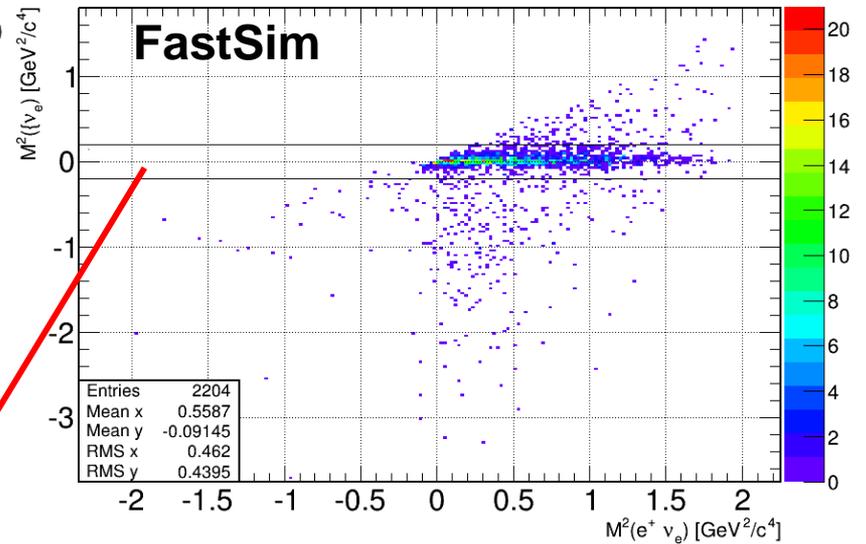


MC Truth

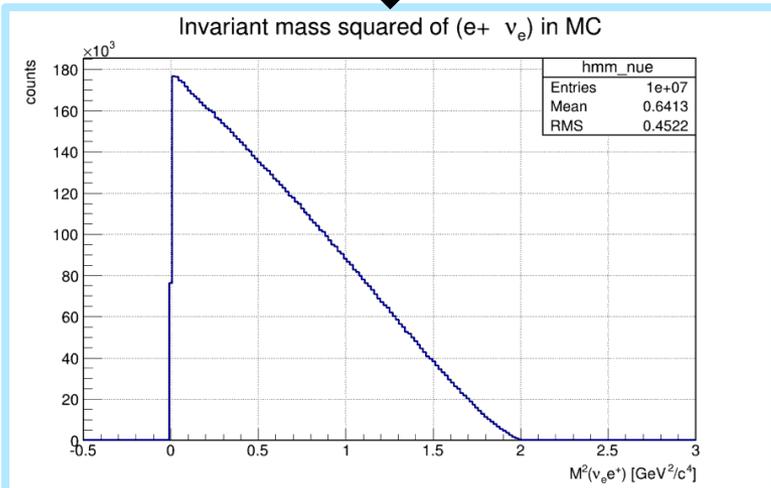
Dalitz plot for $Ds^+ \rightarrow \eta e^+ \nu_e$

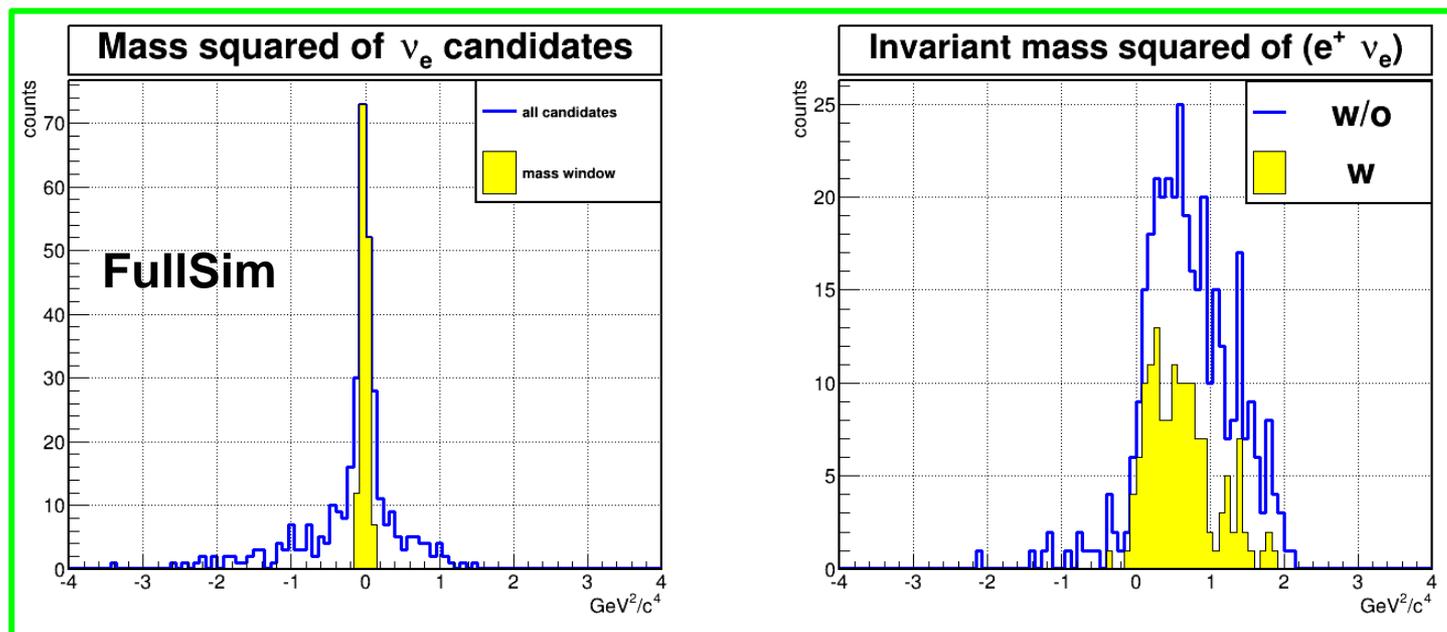
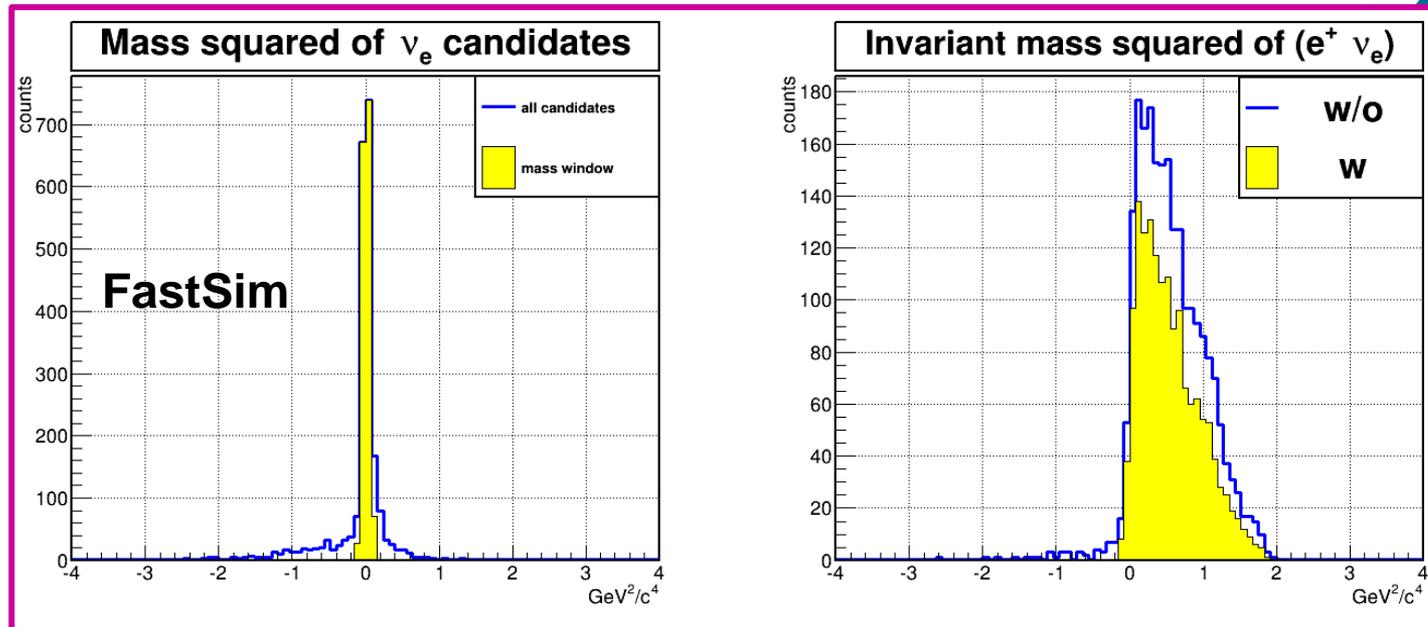


Mass squared of ν_e vs Invariant mass squared of ($e^+ \nu_e$)



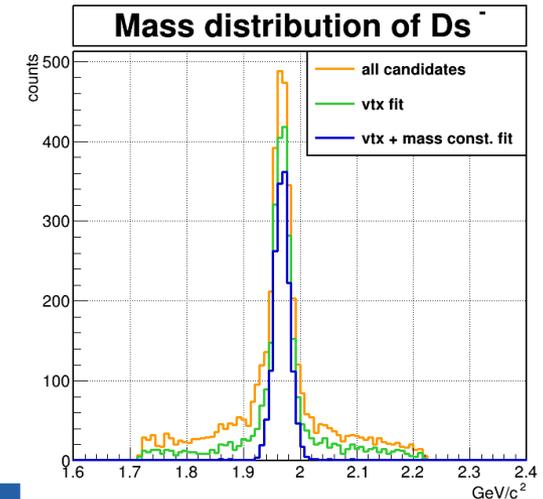
$|M^2(\nu_e)| < 0.1 \text{ GeV}^2/c^2$



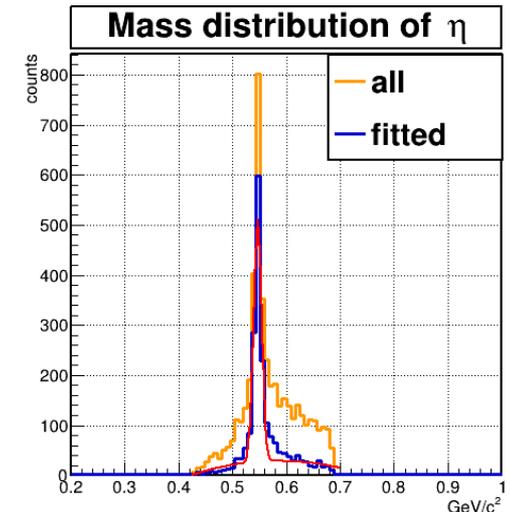


Updated Reconstruction Results in FullSim

- 10k evt $\sqrt{s} = 4.108$ GeV (ideal PID, #25009)
- photon energy scaling in pi0 reconstruction
- photon energy threshold: 20 MeV
- $\gamma\gamma$ minimum opening angle: 0.1 rad
- $\gamma\gamma$ mass window: 135 ± 7 MeV/c²
- D_s^- mass window: 1968 ± 250 MeV/c²
- η mass window: 548 ± 270 MeV/c²



Ds Resolution	M [MeV/c ²]	Vx [μm]	Vy [μm]	Vz [μm]	Pt [%]	Pz [%]
		14	75	73	160	3.0



eta Resolution	M [MeV/c ²]	Vx [μm]	Vy [μm]	Vz [μm]	Pt [%]	Pz [%]
		7.5	363	319	943	2.1

Reco. efficiency in FastSim & FullSim

10k evt (ideal PID, #25009)

Full Sim

Fast Sim

particle		entries	eff.
e^+		7315	73%
D_s^-	all	4302	
	vtx	2849	
	mcf	1590	16%
η	$\pi^+\pi^-$ all	9952	
	$\pi^+\pi^-$ vtx	7434	
	eta all	4526	
	eta mcf	2021	20%
π^0	all	360034	
	mass win.	14351	
	$\theta_{\gamma\gamma} > 0.1$	14346	
$(e^+ \nu_e)$	w/o cut	374	3.7%
	w. cut	151	1.5%

particle		entries	eff.
e^+		8023	80%
D_s^-	all	6845	
	mcf	5288	53%
η	eta all	5348	
	eta mcf	4127	41%
π^0	all	15342	
	mass win.	8543	
	$\theta_{\gamma\gamma} > 0.1$	8543	
$(e^+ \nu_e)$	w/o cut	2204	22%
	w. cut	1511	15.1%

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π^0	mass win.	8543	
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	$(e^+ \nu_e)$	w/o cut	2204
$(e^+ \nu_e)$	w. cut	1511	15.1%

Summary and outlook

- Use photon energy scaling method in π^0 reconstruction
- Reconstructions in FastSim & FullSim are compared
- Efficiency lepton-neutrino system is $\sim 3.7\%$ (80 evt/mon)

- ❖ Improve eff. in FullSim (eg. vtx reso., tracking eff.)
- ❖ Include η' decay in present simulation
- ❖ Investigate background channels



Picture cited from internet

Thank you

l.cao@fz-juelich.de

Backup Slides

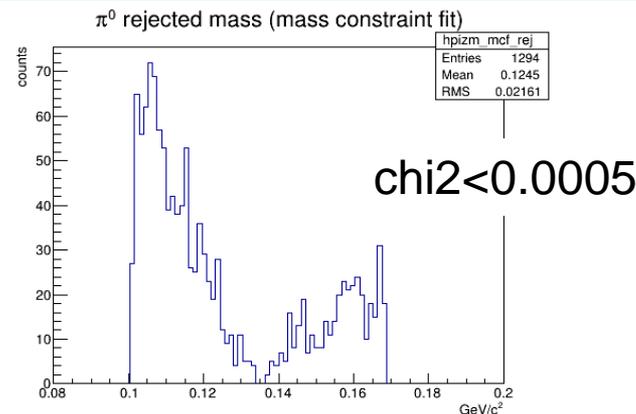
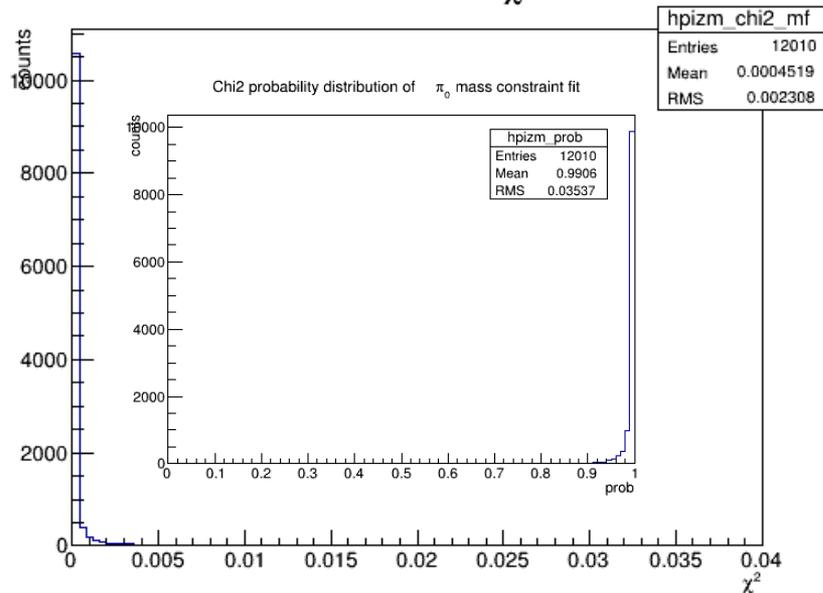
Reconstruction of neutral pion

Two ways:

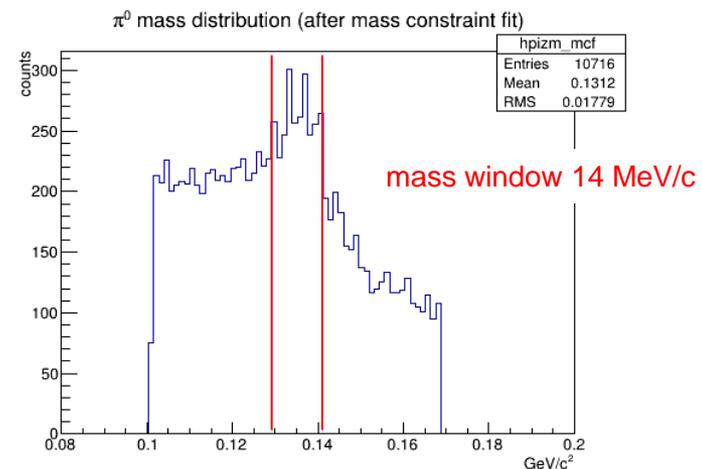
- mass constraint fit for two photons (PndKinFitter in PandaRoot) *fitter fixed since #24893*
- photon energy scaling method *Nucl. Instr. and Meth. A 453 (2000) 606*

mass constraint fit

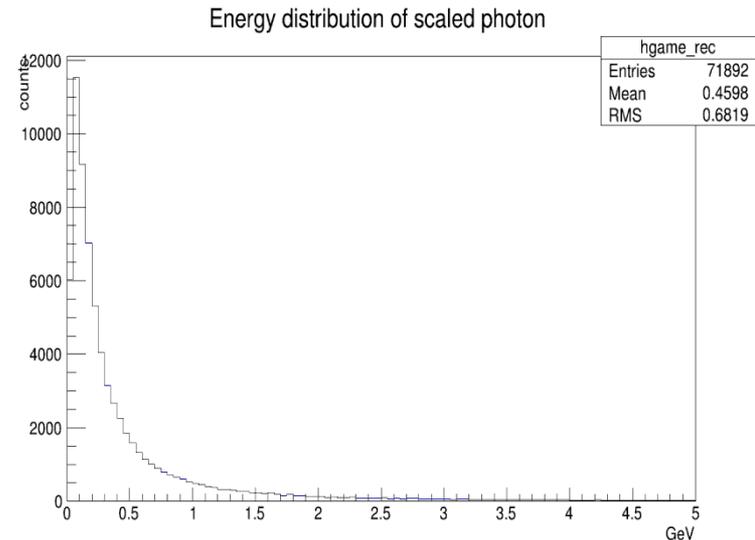
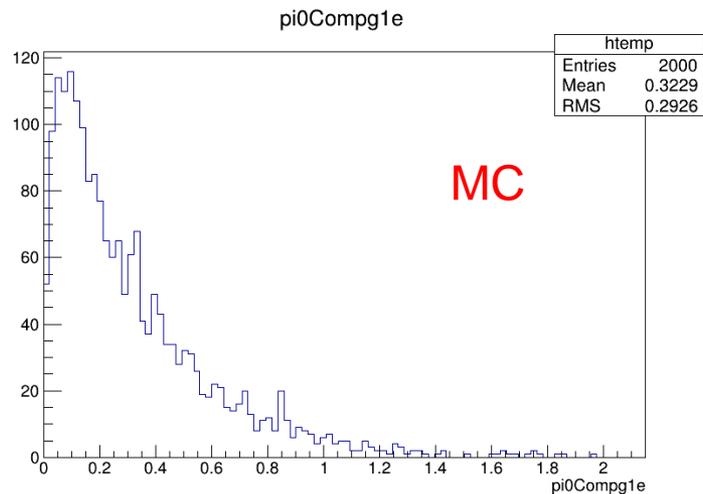
Mass constraint fit χ^2 of π^0



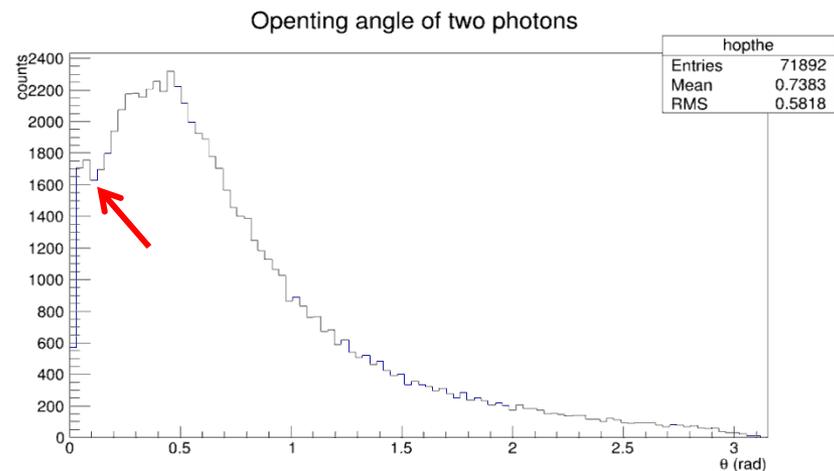
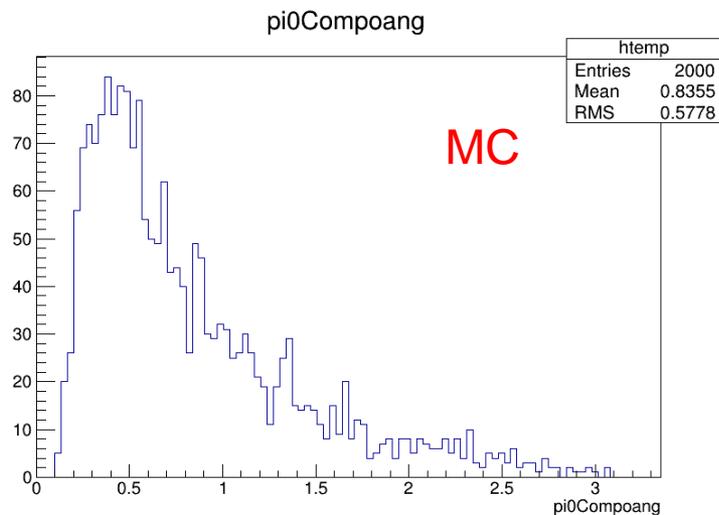
2k evt
#24910



Cutting 1: photon energy > 0.02 GeV



Cutting 2: opening angle > 0.1 rad



2k evt
#24910

FastSim: bremsstrahlung and neutrals merging

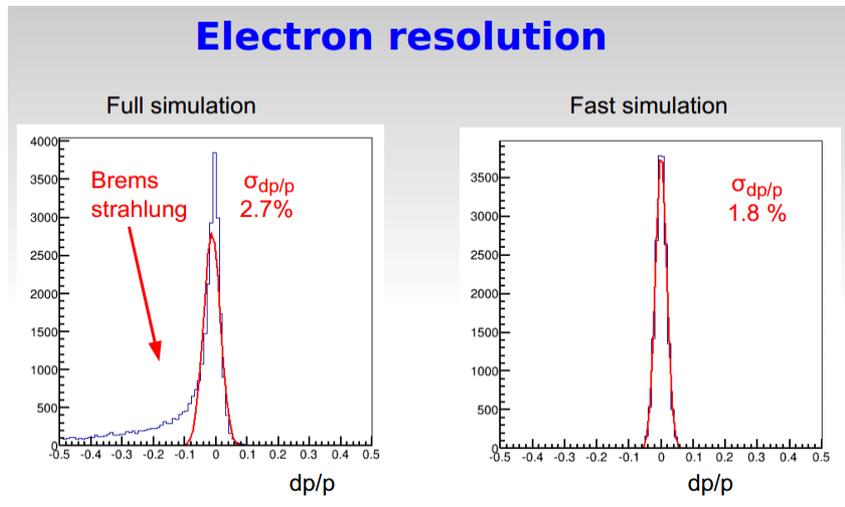
Talk by Ronald Kunne:

■ $\bar{p}p \rightarrow J/\psi \pi^0$ PHSP

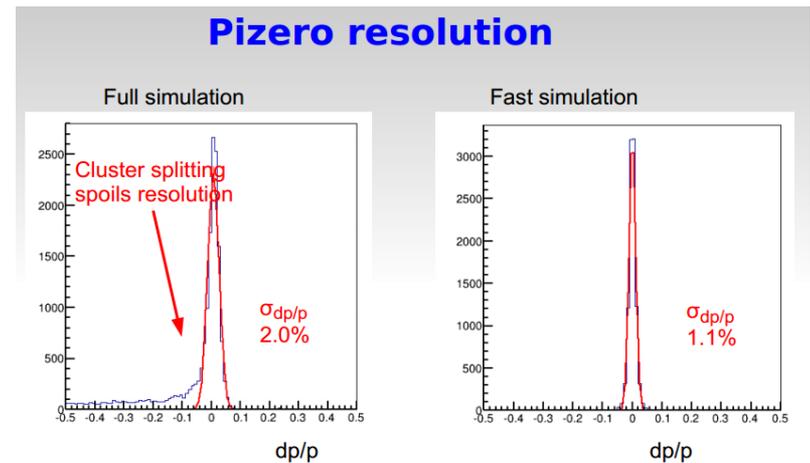
$J/\psi \rightarrow e^+e^-$ VLL

■ π^0 box simulation 0.2 – 10 GeV

Electron resolution



Pizero resolution



Implements in fast sim macro

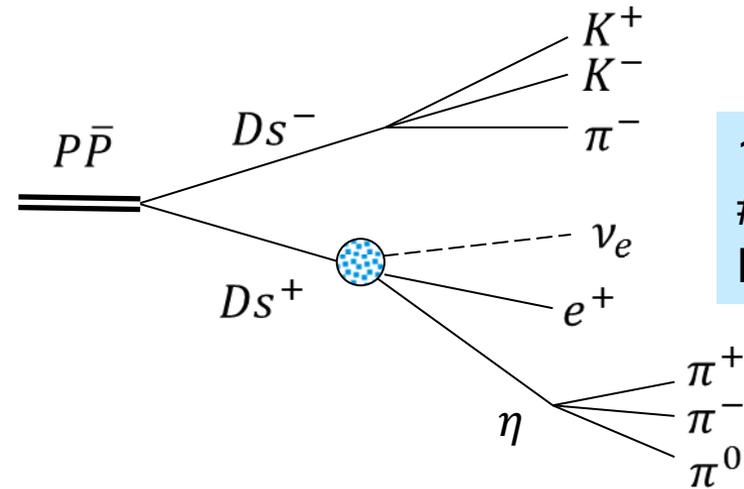
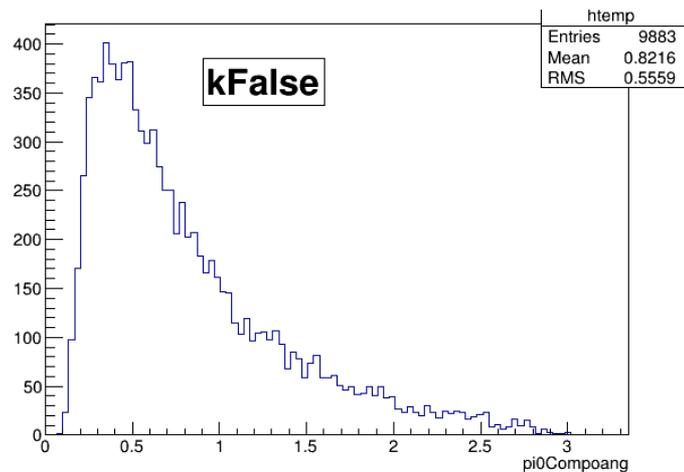
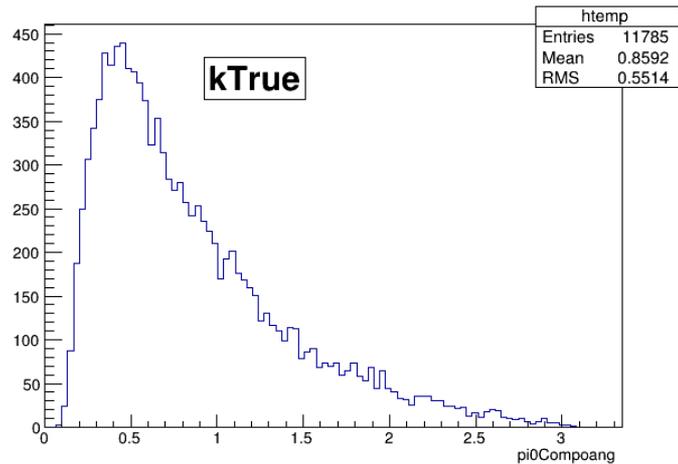
```
// enable the merging of neutrals if they have similar direction
fastSim->MergeNeutralClusters();

// enable bremsstrahlung loss for electrons
fastSim->EnableElectronBremsstrahlung();
```

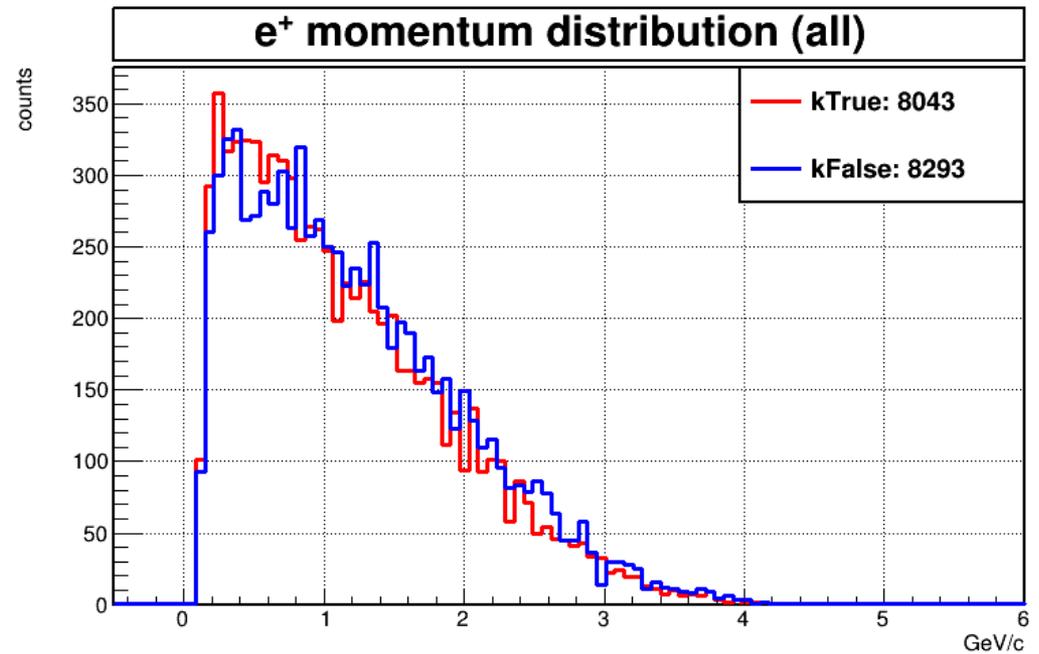
default value is kfalse now;
will be enabled after checking

Test with my decay chain

Opening angle of two-photon(π^0)



10k evt
#25009
Ideal PID



Form factor of $D_s^+ \rightarrow \eta e^+ \nu_e$

$$\langle \eta(p) | \bar{s} \gamma_\mu (1 - \gamma_5) c | D_s(p+q) \rangle = 2f_+^{D_s \rightarrow \eta}(q^2) p_\mu + (f_+^{D_s \rightarrow \eta}(q^2) + f_-^{D_s \rightarrow \eta}(q^2)) q_\mu$$

Light cone QCD sum rules

J.Phys.G 38 (2011) 095001
arXiv:1011.6046[hep-ph]

Differential decay rate (massless lepton):

$$\frac{d\Gamma}{dq^2}(D_s \rightarrow (\eta, \eta') l \nu_l) = \frac{G_F^2 |V_{cs}|^2}{192 \pi^3 m_{D_s}^3} \left[(m_{D_s}^2 + m_{\eta^{(\prime)}}^2 - q^2)^2 - 4m_{D_s}^2 m_{\eta^{(\prime)}}^2 \right]^{3/2} |f_+^{D_s \rightarrow \eta^{(\prime)}}(q^2)|^2$$

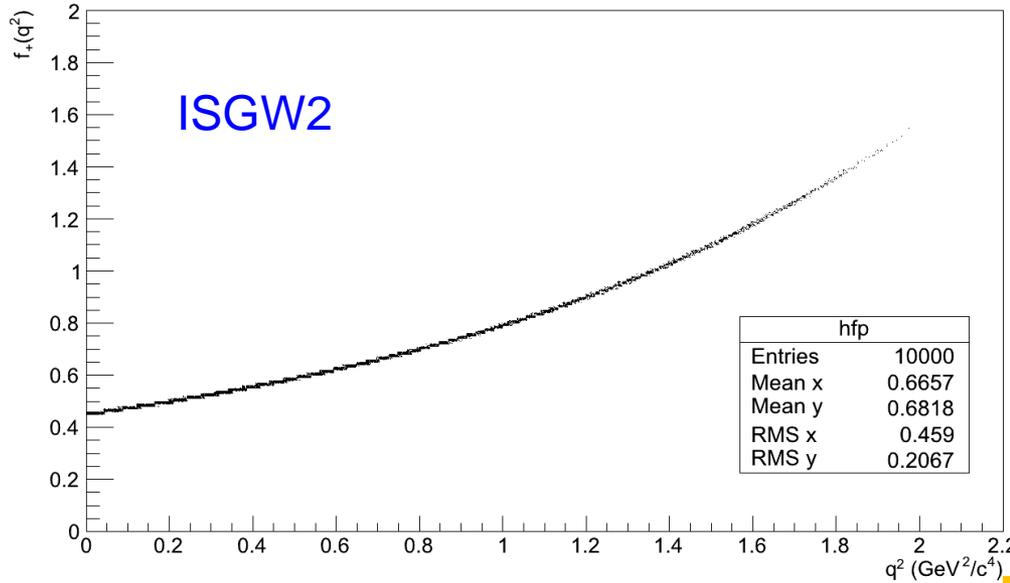
Parameterization of the q^2 dependence so the form factors:

$$f_\pm(q^2) = \frac{f_\pm(0)}{1 - \alpha \hat{q} + \beta \hat{q}^2} \quad \hat{q} = q^2 / m_{D_s}^2$$

with

	$f_+^{D_s \rightarrow \eta}(0)$	α	β
This Work (LCSR)	0.45 ± 0.14	1.96 ± 0.63	1.12 ± 0.36

q^2 dependence of the form factor $f_+(q^2)$ of $Ds^+ \rightarrow \eta e^+ \nu_e$ (ISGW2)



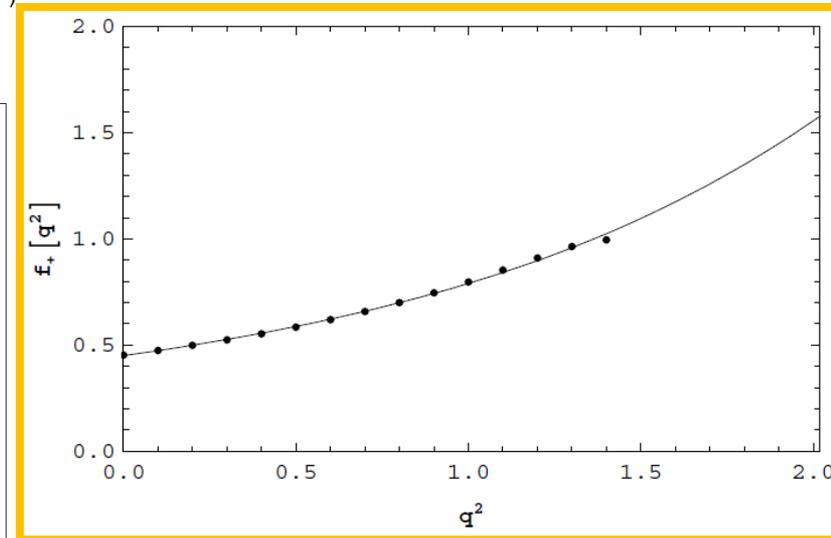
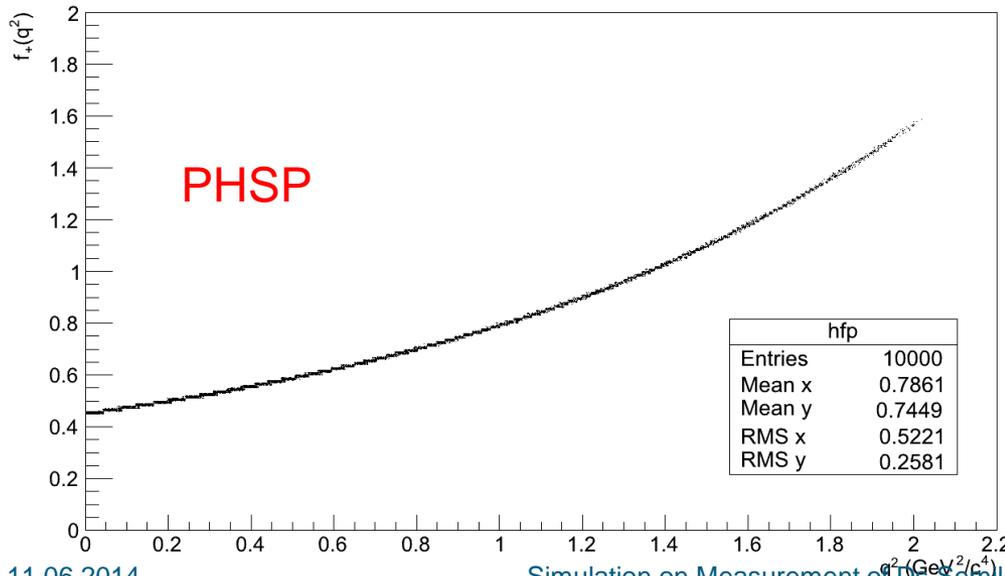
$$f_{\pm}(q^2) = \frac{f_{\pm}(0)}{1 - \alpha \hat{q} + \beta \hat{q}^2}$$

$$\hat{q} = q^2 / m_{D_s}^2$$

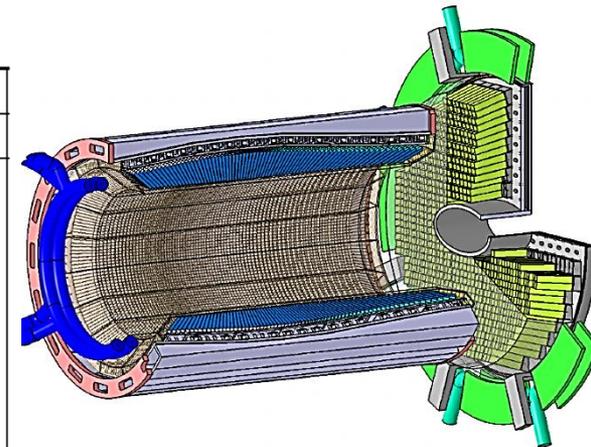
Light cone QCD sum rules

J.Phys.G 38 (2011) 095001
arXiv:1011.6046[hep-ph]

q^2 dependence of the form factor $f_+(q^2)$ of $Ds^+ \rightarrow \eta e^+ \nu_e$ (PHSP)



Main requirements for EMC



Barrel and forward end-cap EMC

	Required performance value		
Common properties			
energy resolution σ_E/E	$\leq 1\% \oplus \frac{<2\%}{\sqrt{E/\text{GeV}}}$		
energy threshold (photons) E_{thres}	10 MeV (20 MeV tolerable)		
energy threshold (single crystal) E_{xtl}	3 MeV		
rms noise (energy equiv.) $\sigma_{E,noise}$	1 MeV		
angular coverage $\% 4\pi$	99 %		
mean-time-between-failures t_{mtbf} (for individual channel)	2000 y		
Subdetector specific properties	backward ($\geq 140^\circ$)	barrel ($\geq 22^\circ$)	forward ($\geq 5^\circ$)
energy range from E_{thres} to	0.7 GeV	7.3 GeV	14.6 GeV
angular equivalent of crystal size θ		4°	1°
spatial resolution σ_θ	0.5°	0.3°	0.1°
maximum signal load f_γ ($E_\gamma > E_{xtl}$)		60 kHz	500 kHz
(p \bar{p} -events) maximum signal load f_γ ($E_\gamma > E_{xtl}$)		100 kHz	500 kHz
(all events) shaping time t_s		400 ns	100 ns
radiation hardness	0.15 Gy	7 Gy	125 Gy
(maximum annual dose p \bar{p} -events)			
radiation hardness		10 Gy	125 Gy
(maximum annual dose from all events)			

Reconstruction thresholds

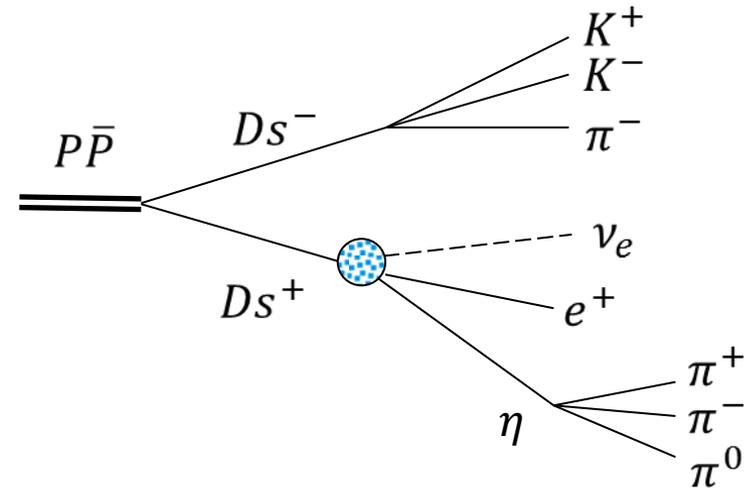
- $E_{xtl} = 3 \text{ MeV}$
- $E_{cl} = 10 \text{ MeV}$
- $E_{max} = 20 \text{ MeV}$

Dynamical Energy Range

- backward endcap EMC: 10(20) MeV- 0.7 GeV
- barrel EMC: 10(20) MeV- 7.3 GeV, and
- forward endcap EMC: 10(20) MeV- 14.6 GeV.

pbarpSystem

-> Ds- Ds+	BR_{PDG}
-> eta e+ nu_e	2.67%
-> pi+ pi- pi0	22.74%
-> K- K+ pi-	5.49%



Production Rate of Ds pair

with high luminosity mode in 35 days

$$R = \mathcal{L} \cdot \sigma \cdot \varepsilon \cdot t \cdot \mathcal{BR}$$

$$\sigma = A \text{ nb} = A \times 10^{-9} \text{ b} \quad \varepsilon = B\%$$

$$= 2 \times 10^{32} (\text{cm}^{-2} \text{s}^{-1}) \cdot A (\text{nb}) \times 10^{-24} (\text{cm}^2/\text{b}) \cdot B \times 10^{-2} \cdot 3 \times 10^6 (\text{s}) \cdot 2.67\% \times 5.49\% \times 22.74\%$$

$$\sim 2AB = 2 \times 20 \times 3.7 = 148$$