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# Non-conventional mesons @ PANDA 

Fairness 2014 - Vietri sul Mare

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## Outline

The Lagrangian of QCD and its symmetries
What is a meson? Conventional mesons and nonconventional mesons
PANDA: what it will search
Some selected results of the eLSM: the scalar and the pseudoscalar glueballs.

Non-quarkonium candidates: $\mathrm{X}, \mathrm{Y}, \mathrm{Z}$ states and other ambiguous states
Summary

## The Lagrangian of QCD and its symmetries



| Born | Giuseppe Lodovico Lagrangia |
| :--- | :--- |
|  | 25 January 1736 |
|  | Turin |
| Died | 10 April 1813 (aged 77) |
|  | Paris |

## The QCD Lagrangian

Quark: u,d,s and c,b,t R,G,B

$$
q_{i}=\left(\begin{array}{c}
q_{i}^{R} \\
q_{i}^{G} \\
q_{i}^{B}
\end{array}\right) ; i=u, d, s, \ldots
$$



8 type of gluons ( $R \bar{G}, B \bar{G}, \ldots$ )

$$
\mathcal{L}_{Q C D}=\sum_{i=1}^{N_{f}} \bar{G}_{i}\left(i \gamma^{\mu} D_{\mu}-m_{i}\right) q_{i}-\frac{1}{4} G_{\mu \mu}^{a} G^{a, \mu \nu}
$$

$$
A_{\mu}^{a} ; a=1, \ldots, 8
$$

## Feynman diagrams of QCD




Gluon-quark-antiquark vertex


3-gluon vertex


4-gluon vertex

## Trace anomaly: the emergence of a dimension

Chiral limit: $m_{i}=0$
$x^{\mu} \rightarrow x^{\prime \mu}=\lambda^{-1} x^{\mu} \quad \begin{aligned} & \text { is a classical symmetry broken by quantum fluctuations } \\ & \text { (trace anomaly) }\end{aligned}$
$g_{0} \xrightarrow{\text { Renormierung }} g(\mu) \quad$ Dimensional transmutation $\quad \Lambda_{\mathrm{YM}} \approx 250 \mathrm{M} \mathrm{eV}$

$$
\alpha_{\mathrm{s}}(\mu=\mathrm{Q})=\frac{\mathrm{g}^{2}(\mathrm{Q})}{4 \pi}
$$

Effective gluon mass: $m_{\text {ghon }}=0 \rightarrow m_{\text {ghon }}^{*} \approx 500-800 \mathrm{MeV}$
Gluon condensate: $\left\langle G_{\mu v}^{a} G^{a, \mu v}\right\rangle \neq 0$

## Flavor symmetry



Gluon-quark-antiquark vertex.
It is democratic! The gluon couples to each flavor with the same strength

$$
\begin{gathered}
q_{i} \rightarrow U_{i j} q_{j} \\
\mathrm{U} \in \mathrm{U}(3)_{\mathrm{V}} \rightarrow \mathrm{U}^{+} \mathrm{U}=1
\end{gathered}
$$

## Chiral symmetry

Right-handed:
Left-handed:


$$
\begin{gathered}
q_{i}=q_{i, R}+q_{i, L} \\
q_{i, R}=\frac{1}{2}\left(1+\gamma^{5}\right) q_{i} \\
q_{i, L}=\frac{1}{2}\left(1-\gamma^{5}\right) q_{i} \\
\mathrm{q}_{\mathrm{i}}=\mathrm{q}_{\mathrm{i}, \mathrm{R}}+\mathrm{q}_{\mathrm{i}, \mathrm{~L}} \rightarrow \mathrm{U}_{\mathrm{ij}}^{\mathrm{R}} \mathrm{q}_{\mathrm{j}, \mathrm{R}}+\mathrm{U}_{\mathrm{ij}}^{\mathrm{L}} \mathrm{q}_{\mathrm{j}, \mathrm{~L}}
\end{gathered}
$$

$$
U(3)_{R} \times U(3)_{L}=U(1)_{R+L} \times U(1)_{R-L} \times S U(3)_{R} \times S U(3)_{L}
$$

In the chiral limit ( $\mathrm{m}_{\mathrm{i}}=0$ ) chiral symmetry is exact

## Spontaneous breaking of chiral symmetry

$$
U(3)_{R} \times U(3)_{L}=U(1)_{R+L} \times U(1)_{R-L} \times S U(3)_{R} \times S U(3)_{L}
$$

SSB: $\operatorname{SU}(3)_{\mathrm{R}} \times \operatorname{SU}(3)_{\mathrm{L}} \rightarrow \mathrm{SU}(3)_{\mathrm{V}=\mathrm{R}+\mathrm{L}} \quad$ Chiral symmetry $\rightarrow$ Flavor symmetry

$$
\begin{gathered}
\left\langle\bar{q}_{i} q_{i}\right\rangle=\left\langle\bar{q}_{i, R} q_{i, L}+\bar{q}_{i, L} q_{i, R}\right\rangle \neq 0 \\
\mathrm{~m} \approx \mathrm{~m}_{\mathrm{u}} \approx \mathrm{~m}_{\mathrm{d}} \approx 5 \mathrm{MeV} \rightarrow \mathrm{~m}^{*} \approx 300 \mathrm{MeV}
\end{gathered}
$$



$$
\begin{aligned}
& \mathrm{m}_{\rho-\mathrm{meson}} \approx 2 \mathrm{~m}^{*} \\
& \mathrm{~m}_{\text {proton }} \approx 3 \mathrm{~m}^{*}
\end{aligned}
$$

## Symmetries of QCD: summary

SU(3)color: exact. Confinement: you never see color, but only white states.

Dilatation invariance: holds only at a classical level and in the chiral limit. Broken by quantum fluctuations (trace anomaly) and by small quark masses
$\mathbf{S U}(3) \mathrm{RxSU}(3) \mathrm{L}: \quad$ holds in the chiral limit, but is broken by nonzero quark masses. Moreover, it is spontaneously broken to $\mathrm{U}(3) \mathrm{V}=\mathrm{R}+\mathrm{L}$
$\mathbf{U}(1) \mathrm{A}=\mathrm{R}-\mathrm{L}: \quad$ holds at a classical level, but is also broken by quantum fluctuations (chiral anomaly)

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## What is a meson?

Hadrons

No ,colored‘ state has been seen.
Confinement: physical states are white and are called hadrons.

Hadrons can be:
Mesons: bosonic hadrons
Baryons: fermionic hadrons

## Definition(s):

1) A meson is a strongly interacting particle with integer spin.
2) A meson is a strongly interacting particle with zero baryon number.

A meson is not necessarily a quark-antiquark state

Conventional mesons

## Quark: u,d,s,... R,G,B

Quark-antiquark bound states: conventional mesons


$$
\mid \text { color }\rangle=\sqrt{1 / 3}(\bar{R} R+\bar{B} B+\bar{G} G)
$$

## Non-conventional mesons

1) Glueballs
2) Hybrids
3) Tetraquarks
4) Molecular states (dynamical generation)

## Short digression: is wikipedia correct?







Conclusion: read the spanish wiki in the preparation of your PhD exam!

## Back to conventional mesons

Surely, with quark-antiquark states we can understand a lot of QCD, but definitely not everything.


$$
\begin{aligned}
& \vec{L}, \vec{S} \quad \longleftrightarrow \quad P=-(-1)^{L} \quad C=(-1)^{L+S} \\
& \vec{L}, \vec{S} \quad \longleftrightarrow \vec{J}=\vec{L}+\vec{S} \quad J^{P C}
\end{aligned}
$$

$$
\mathrm{L}=\mathrm{S}=0 \rightarrow \mathrm{~J}^{\mathrm{PC}}=0^{-+} \text {pseudoscalar mesons }
$$

$$
\begin{aligned}
& \left.\left.\left|\pi^{+}\right\rangle=|\mathrm{ud}\rangle \mid \text { space }: L=0\right\rangle \mid \text { spin }: \mathrm{S}=0\right\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G} G}\rangle \\
& \left.\left.\left|\pi^{-}\right\rangle=|\mathrm{d} \overline{\mathrm{u}}\rangle \mid \text { space }: \mathrm{L}=0\right\rangle \mid \text { spin }: \mathrm{S}=0\right\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B} B}+\overline{\mathrm{G}} \mathrm{G}\rangle \\
& \left.\left.\left|\pi^{0}\right\rangle=|\mathrm{uu}-\mathrm{d} \overline{\mathrm{~d}}\rangle \mid \text { space }: \mathrm{L}=0\right\rangle \mid \text { spin }: \mathrm{S}=0\right\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G} G}\rangle
\end{aligned}
$$

$$
\left.\left.\left|\mathrm{K}^{+}\right\rangle=|\mathrm{us}\rangle \mid \text { space }: \mathrm{L}=0\right\rangle \mid \text { spin }: \mathrm{S}=0\right\rangle|\overline{\mathrm{R} R}+\overline{\mathrm{B}} \overline{\mathrm{~B}}+\overline{\mathrm{G} G}\rangle
$$

$$
\left.\left.\left|D^{0}\right\rangle=|u \bar{c}\rangle \mid \text { space }: L=0\right\rangle \mid \text { spin }: S=0\right\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G}} \mathrm{G}\rangle
$$

$$
\mathrm{L}=0, \mathrm{~S}=1 \rightarrow \mathrm{~J}^{\mathrm{PC}}=1^{--} \quad \text { vector mesons }
$$

$$
\begin{aligned}
& \left.\left.\left|\rho^{+}\right\rangle=|\mathrm{u} \overline{\mathrm{~d}}\rangle \mid \text { space }: \mathrm{L}=0\right\rangle \mid \text { spin }: \mathrm{S}=1\right\rangle|\overline{\mathrm{R} R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G} G}\rangle \\
& \ldots \\
& \left.\left.\left|\mathrm{K}^{*}(892)^{+}\right\rangle=|\mathrm{us}\rangle \mid \text { space }: \mathrm{L}=0\right\rangle \mid \text { spin }: \mathrm{S}=1\right\rangle|\overline{\mathrm{R} R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G} G}\rangle \\
& \cdots \\
& \left.\left.\left|D^{* 0}\right\rangle=|\mathrm{uc}\rangle \mid \text { space }: \mathrm{L}=0\right\rangle \mid \text { spin }: \mathrm{S}=1\right\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G}} \mathrm{G}\rangle \\
& \cdots \\
& |\mathrm{j} / \Psi\rangle=|\mathrm{c} \overline{\mathrm{c}}\rangle \mid \text { space }: \mathrm{L}=0\rangle \mid \text { spin }: \mathrm{S}=1\rangle|\overline{\mathrm{R} R}+\overline{\mathrm{B}} B+\overline{\mathrm{G}} \mathrm{G}\rangle
\end{aligned}
$$

$$
\begin{aligned}
& \mathrm{L}=\mathrm{S}=1 \rightarrow \mathrm{~J}^{\mathrm{PC}}=0^{++} \text {scalar mesons } \\
& |\sigma\rangle=|\mathrm{u} \overline{\mathrm{u}}+\mathrm{d} \overline{\mathrm{~d}}\rangle \mid \text { space }: \mathrm{L}=1\rangle|\operatorname{spin}: \mathrm{S}=1\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{G}} \mathrm{G}\rangle \\
& \text { corresponds to the resonance } \mathrm{f}_{0}(1370) .
\end{aligned}
$$

$$
\left.\left.\left|\chi_{\mathrm{c} 0}(1 \mathrm{~S})\right\rangle=|\mathrm{c} \overline{\mathrm{c}}\rangle \mid \text { space }: \mathrm{L}=1\right\rangle \mid \text { spin }: \mathrm{S}=1\right\rangle|\overline{\mathrm{R}} \mathrm{R}+\overline{\mathrm{B}} \mathrm{~B}+\overline{\mathrm{GG}}\rangle
$$

Spontaneous symmetry breaking at the meson level
$\pi=\pi^{0} \equiv \sqrt{1 / 2}(\bar{u} u-\overline{d d})$ neutral pion
$\sigma \equiv \sqrt{1 / 2}(\bar{u} u+\overline{d d}) \equiv \mathrm{f}_{0}(1370)$
Chiral transformation: $\sigma \leftrightarrow \pi$
$\mathrm{V}=\frac{\mathrm{m}_{0}^{2}}{2}\left(\sigma^{2}+\pi^{2}\right)+\frac{\lambda}{4}\left(\sigma^{2}+\pi^{2}\right)^{2}$
$\mathrm{m}_{0}^{2}<0 \rightarrow$ Mexican hat
SSB: $\langle\sigma\rangle \propto\langle u \bar{u}+d \bar{d}\rangle \neq 0$


## The donkey of Buridan

# Jean Buridan (in Latin, Johannes Buridanus) (ca. 1300 - after 1358) 

Spontaneous Symmetry Breaking


Although Nicolás likes the symmetric food configuration, he must break the symmetry deciding which carrot is more appealing. In three dimensions, there is a continuous valley where Nicolás can move from one carrot to the next without effort.

## Exotic quantum numbers

Not all quantum numbers are permitted for a quark-antiquark states.

$$
\mathrm{J}^{\mathrm{PC}}=0^{+-}, 1^{-+}, 2^{+-}, \ldots
$$

are exotic quantum numbers.
In PDG: $\pi_{1}(1400)$ and $\pi_{1}(1600)$ have $J^{P C}=1^{-+}$. These states are not quarkonia.

Short ex.: show that it is so!

$$
\begin{aligned}
& P=-(-1)^{L} \\
& C=(-1)^{L+S} \\
& \vec{J}=\vec{L}+\vec{S}
\end{aligned}
$$

Glueball spectrum from quenched lattice QCD


## PANDA experiment at FAIR

## Hadronic experiments

Proton-proton<br>(WA79,WA102,LHC)



Electron-positron
(Belle, Babar,BES,KLOE,...)


## Proton-antiproton <br> (Lear,Fermilab, and in the future: Panda)



## The PANDA experiment



## Formation process: the energy range at PANDA

$$
\overline{\mathrm{p}}+\mathrm{p} \rightarrow \mathrm{X}
$$

...then X decays in something else (pions,kaons,...)
Antiproton moves, proton at rest

$$
E_{\bar{p}}=\sqrt{\overrightarrow{\mathrm{q}}^{2}+\mathrm{m}_{\mathrm{p}}^{2}}
$$

$\mathrm{m}_{\mathrm{x}}=\sqrt{2 \mathrm{~m}_{\mathrm{p}}\left(\mathrm{m}_{\mathrm{p}}+\mathrm{E}_{\mathrm{p}}\right)}$
Short ex (2): show that it is so!
$U \operatorname{sing}|\overrightarrow{\mathrm{q}}|=1.5-10 \mathrm{GeV}: \mathrm{m}_{\mathrm{x}}=2.25-4.53 \mathrm{GeV}$

## Which glueballs will be formed?

Interesting objects: Oddballs. These are glueballs with exotic quantum numbers.


# Selected results of the eLSM 

Talks of:
Anja Habersetzer ( $\mathrm{Nf}=2$ and spectral functions) Peter Kovacs ( $\mathrm{Nf}=3$ and nonzero temperature)
Walaa Eshraim ( $\mathrm{Nf}=4$ : charmed mesons)

## Fields of the eLSM

- Quark-antiquark mesons: scalar, pseudoscalar, vector and axialvector quarkonia.
- Additional mesons: The scalar and the pseudoscalar glueballs
- Baryons: nucleon doublet and its partner
(in the so-called mirror assignment)


## Criteria

We construct the Lagrangian of the so-called Extended Linear Sigma Model (ELSM) according to:
dilatation symmetry
and
chiral invariance.
The breaking of the dilatation symmetry is only included in the "gluonic part"...(scalar glueball and axial anomaly) through a dilaton field

Moreover, invariance under C and P is also taken into account.

## Model of QCD - eLSM with scalar Glueball



$$
\begin{aligned}
& \mathcal{L}= \frac{1}{2}\left(\partial_{\mu} G\right)^{2}-\frac{1}{4} \frac{m_{G}^{2}}{\Lambda^{2}}\left(G^{4} \ln \left|\frac{G}{\Lambda}\right|-\frac{G^{4}}{4}\right)+\operatorname{Tr}\left[\left(D^{\mu} \Phi\right)^{\dagger}\left(D_{\mu} \Phi\right)\right] \\
&-m_{0}^{2}\left(\frac{G}{G_{0}}\right)^{2} \operatorname{Tr}\left[\Phi^{\dagger} \Phi\right]-\lambda_{1}\left(\operatorname{Tr}\left[\Phi^{\dagger} \Phi\right]\right)^{2}-\lambda_{2} \operatorname{Tr}\left[\left(\Phi^{\dagger} \Phi\right)^{2}\right] \\
&+\left(\frac{G}{G_{0}}\right)^{2} \operatorname{Tr}\left[\left(\frac{m_{1}^{2}}{2}+\Delta\right)\left(\left(L^{\mu}\right)^{2}+\left(R^{\mu}\right)^{2}\right)\right] \\
&-\frac{1}{4} \operatorname{Tr}\left[\left(L^{\mu \nu}\right)^{2}+\left(R^{\mu \nu}\right)^{2}\right]+\operatorname{Tr}\left[H\left(\Phi^{\dagger}+\Phi\right)\right] \\
&+c_{1}\left[\operatorname{det}(\Phi)-\operatorname{det}\left(\Phi^{\dagger}\right)\right]^{2}+\frac{h_{1}}{2} \operatorname{Tr}\left[\Phi^{\dagger} \Phi\right] \operatorname{Tr}\left[L_{\mu} L^{\mu}+R_{\mu} R^{\mu}\right] \\
&+h_{2} \operatorname{Tr}\left[\Phi^{\dagger} L_{\mu} L^{\mu} \Phi+\Phi R_{\mu} R^{\mu} \Phi^{\dagger}\right]+2 h_{3} \operatorname{Tr}\left[\Phi R_{\mu} \Phi^{\dagger} L^{\mu}\right] \\
& \Phi=\frac{1}{\sqrt{2}}\left(\begin{array}{ccc}
\frac{\left(\sigma_{N}+a_{0}^{0}\right)+i\left(\eta_{N}+\pi^{0}\right)}{\sqrt{2}} & a_{0}^{+}+i \pi^{+} & K_{0}^{\star+}+i K^{+} \\
a_{0}^{-}+i \pi^{-} & \frac{\left(\sigma_{N}-a_{0}^{0}\right)+i\left(\eta_{N}-\pi^{0}\right)}{\sqrt{2}} & K_{0}^{\star 0}+i K^{0} \\
K_{0}^{\star-}+i K^{-} & \bar{K}_{0}^{\star 0}+i \bar{K}^{0} & \sigma_{S}+i \eta_{S}
\end{array}\right) \\
& L^{\mu}, R^{\mu}= \frac{1}{\sqrt{2}}\left(\begin{array}{ccc}
\frac{\omega_{N} \pm \rho^{0}}{\sqrt{2}} \pm \frac{f_{1 N} \pm a_{1}^{0}}{\sqrt{2}} & \rho^{+} \pm a_{1}^{+} & K^{\star+} \pm K_{1}^{+} \\
\rho^{-} \pm a_{1}^{-} & \frac{\omega_{N} \mp \rho^{0}}{\sqrt{2}} \pm \frac{f_{1 N} \mp a_{1}^{0}}{\sqrt{2}} & K^{\star 0} \pm K_{1}^{0} \\
K^{\star-} \pm K_{1}^{-} & K^{\star 0} \pm i \bar{K}_{1}^{0} & \omega_{S} \pm f_{1 S}
\end{array}\right)
\end{aligned}
$$

S. Janowski, D. Parganlija, F. Giacosa, D. H. Rischke, Phys. Rev. D84, 054007 (2011)
D. Parganlija, P. Kovacs, G. Wolf , F. Giacosa, D. H. Rischke, Phys.Rev. D87 (2013) 014011
W. I. Eshraim, F.G., D.H. Rischke, arXiv: 1405.5861

## Technical remarks

Spontaneous Symmetry Breaking (SSB) implies:
$\sigma_{N} \rightarrow \sigma_{N}+\phi_{N} \quad, \quad \sigma_{S} \rightarrow \sigma_{S}+\phi_{S}$


Explicit symmetry breaking terms:
$H=\operatorname{diag}\left\{h_{1}, h_{2}, h_{3}\right\}$ with $h_{i} \propto m_{i} \quad m_{\pi}^{2} \propto\left(m_{u}+m_{d}\right)\langle\bar{q} q\rangle$
$\delta=\operatorname{diag}\left\{\delta_{1}, \delta_{2}, \delta_{3}\right\}$ with $\delta_{i} \propto m_{i}^{2}$
Parameter c: axial anomaly and eta-prime mass
But: only a finite number of terms is allowed!

We can calculate: masses, decays, and scattering lengths.
Example: $\rho$-meson decay into pions


## Decay processes: do not forget that...



Schrödingers Katze

## Results of the fit (11 parameters, 21 exp. quantities)


arXiv:1208.0585
Overall phenomenology is good.
Scalar mesons $a_{0}(1450)$ and $K_{0}(1430)$ above 1 GeV and are quark-antiquark states.
Importance of the (axial-)vector mesons

## The scalar glueball

The calculation of the full mixing problem in the $\mathrm{I}=\mathrm{J}=0$ sector shows that:

$$
\left(\begin{array}{l}
\mathrm{f}_{0}(1370) \\
\mathrm{f}_{0}(1500) \\
\mathrm{f}_{0}(1710)
\end{array}\right)=\left(\begin{array}{ccc}
0.91 & -0.24 & 0.33 \\
0.30 & 0.94 & -0.17 \\
-0.27 & 0.26 & 0.93
\end{array}\right)\left(\begin{array}{c}
\sigma_{\mathrm{N}} \equiv \overline{\mathrm{n}} \mathrm{n}=\sqrt{1 / 2}(\overline{\mathrm{u}} \mathrm{u}+\overline{\mathrm{d} d}) \\
\sigma_{\mathrm{S}} \equiv \overline{\mathrm{ss}} \\
\mathrm{G} \equiv \mathrm{gg}
\end{array}\right)
$$



Ergo: $f 0(1710)$ is predominantly a glueball! ...and fo(1370) is the chiral partner of the pion

Details in S. Janowski, F.G, D. H. Rischke, arXiv: 1408.4921
In PANDA: production processes with these states.

## The pseudoscalar glueball

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$\mathcal{L}_{\tilde{G} \text {-mesons }}^{i n t}=i c_{\tilde{G} \Phi} \tilde{G}\left(\operatorname{det} \Phi-\operatorname{det} \Phi^{\dagger}\right)$

| Quantity | Value |
| :---: | :---: |
| $\Gamma_{\tilde{G} \rightarrow K K \eta} / \Gamma_{\tilde{C}}^{t o t}$ | 0.049 |
| $\Gamma_{\tilde{G} \rightarrow K K \eta^{\prime}} / \Gamma_{\tilde{G}}^{\text {otot }}$ | 0.019 |
| $\Gamma_{\tilde{G} \rightarrow \eta \eta \eta} / \Gamma_{\tilde{G}}^{\text {tot }}$ | 0.016 |
| $\Gamma_{\tilde{G} \rightarrow \eta \eta \eta^{\prime}} \Gamma_{\tilde{G}}^{\underline{t o t}}$ | 0.0017 |
| $\Gamma_{\tilde{G} \rightarrow \eta \eta^{\prime} \eta^{\prime}} / \Gamma_{\tilde{C}}^{\text {Lot }}$ | 0.00013 |
| $\Gamma_{\tilde{G} \rightarrow K K \pi} / \Gamma_{\tilde{C}}^{\text {ot }}$ | 0.46 |
| $\Gamma_{\tilde{G} \rightarrow \eta \pi \pi} / \Gamma_{\tilde{C}}^{t o t}$ | 0.16 |
| $\Gamma_{\tilde{G} \rightarrow \eta^{\prime} \pi \pi} / \Gamma_{\tilde{G}}^{\text {tot }}$ | 0.094 |


| Quantity | Value |
| :---: | :---: |
| $\Gamma_{\tilde{G} \rightarrow K K_{S}} / \Gamma_{\tilde{\tilde{C}}}^{t o t}$ | 0.059 |
| $\Gamma_{\tilde{G} \rightarrow a_{0} \pi} / \Gamma_{\tilde{G}}^{t o t}$ | 0.083 |
| $\Gamma_{\tilde{G} \rightarrow \eta \sigma_{N}} / \Gamma_{\tilde{G}}^{t o t}$ | 0.028 |
| $\Gamma_{\tilde{G} \rightarrow \eta \sigma_{S}} / \Gamma_{\tilde{C}}^{t} t$ | 0.012 |
| $\Gamma_{\tilde{G} \rightarrow \eta^{\prime} \sigma_{N}} / \Gamma_{\tilde{G}}^{t o t}$ | 0.019 |

$$
\Gamma_{\widetilde{G} \rightarrow \pi \pi \pi}=0
$$



PANDA will produce a pseudoscalar glueball (if existent).
Details in:
W. Eshraim, S. Janowski, F.G., D. Rischke, Phys.Rev. D87 (2013) 054036. arxiv: 1208.6474 .
W. Eschraim, S. Janowski, K. Neuschwander, A. Peters, F.G., Acta Phys. Pol. B, Prc. Suppl. 5/4, arxiv: 1209.3976

## Other glueballs

Calculation of branching ratios for the other glueball states.

Ongoing studies: vector, tensor, and pseudotensor glueballs.
...but before 2018 we will do all of them...


# Not only glueballs: other interesting states... that indeed surely exist $)$ 

$\mathrm{X}, \mathrm{Y}, \mathrm{Z}$ states

X(3872). $\mathrm{M}_{\mathrm{x}}=3871.52 \pm 0.2 \mathrm{MeV}, \Gamma=1.3 \pm 0.6 \mathrm{MeV}, \mathrm{J}^{\mathrm{PC}}=1^{++}$

Various works (see Brambilla et al, EPJ C (2011) 71): tetraquark or molecular states the most probable intepretations. (Mass too light when compared to )
„Perfect" for PANDA research program: direct formation.

My personal opinion: a D-D* molecular state which arises due to mesonic loops.

$$
\mathrm{Y}(4260) \quad \mathrm{M}_{\mathrm{Y}}=4263 \pm 5 \mathrm{MeV}, \Gamma=108 \pm 14 \mathrm{MeV}, \mathrm{~J}^{\mathrm{PC}}=1^{--}
$$

Formation at PANDA.
$\mathrm{Z}(4430)^{+}$
$\mathrm{M}_{\mathrm{Z}}=443 \pm 24 \mathrm{MeV}, \Gamma=107_{-71}^{+113} \mathrm{MeV}, \mathrm{J}^{\mathrm{PC}}=$ ?
Production at PANDA. Surely not a quark-antiquark state.

```
D*so(2317)
```

D*so(2317): too light to be a cs,$\overline{c s}$ quarkonium.
$\mathrm{J}^{\mathrm{P}}=0^{+}$, Mass $=2317.8 \pm 0.6 \mathrm{MeV}$
In arXiv: 1405.5861 we find that the quarkonium state:
$M_{D_{s 0}^{*}}=2.47 \mathrm{GeV}>\mathrm{M}_{\mathrm{D}_{0}^{*}}($ which is a uc,$\ldots$ state and has a mass of 2318 MeV )
$\Gamma_{\mathrm{D}_{\mathrm{s} 0}}$ very large

It is a good candidate to be a molecular state / dynamically generated state...

## Lust but not least: the light scalar states

$a_{0}(980) k(800) \quad \mathrm{f}_{0}(980) \quad \mathrm{f}_{0}(500)$
$\mathrm{J}^{\mathrm{PC}}=0^{++}$
$\mathrm{f}_{0}$ (500) important at nonzero density (nuclear matter)
and at nonzero temperature (for the correct phase transition).

The light scalars can be interpeted as tetraquark state

A tetraquark is the bound state of two diquarks

An example of "good diquark" is:
$|q q\rangle=\mid$ Space $: L=0\rangle|\operatorname{Spin}:(\uparrow \downarrow-\downarrow \uparrow\rangle| f:(u d-d u)\rangle|c:(R B-B R)\rangle$

Example: $\quad a_{0}^{+}(980)=-[\overline{\mathrm{d}}, \overline{\mathrm{s}}][\mathrm{u}, \mathrm{s}] \quad$ (and not $\mathrm{u} \overline{\mathrm{d}}$ )

Tetraquark interpretation

$$
\begin{aligned}
& {[u, s][\bar{d}, \bar{s}],[\bar{u}, \bar{s}][d, s],} \\
& ([u, s][\overline{[ }, \bar{s}]-[d, s][\bar{d}, \bar{s}])
\end{aligned}
$$

$$
[u, d][\bar{d}, \bar{s}],[\bar{u}, \bar{d}][d, s],
$$

$$
[u, d][\bar{u}, \bar{s}],[\bar{u}, \bar{d}][u, s]
$$

$$
\approx[\bar{u}, \bar{d}][u, d]
$$

$$
\approx([u, s][\bar{u}, \bar{s}]+[d, s][\bar{d}, \bar{s}])
$$

## Strong decays of a tetraquark state:



Jaffe-orig: Jaffe, Phys. Rev. D 15 (1977),

Maiani: Maiani et al, Phys. Rev. Lett. (2004)

Bugg-06: D. V. Bugg, EPJC47 (2006)

Systematic evaluation of amplitudes:

My work: F.G., Phys. Rev. D 74 (2006)

## Summary

## Summary

Confinement: hadrons

Mesons: not only quark-antiquark states
PANDA experiment will be able to form non-conventional states, most notably glueballs, but also the $X, Y$ states
...it will also produce many ambiguous states and help to understand them..

We (in particular theorists) definitely need the PANDA experiment ...we still have some time for further predictions...

## Thank You

