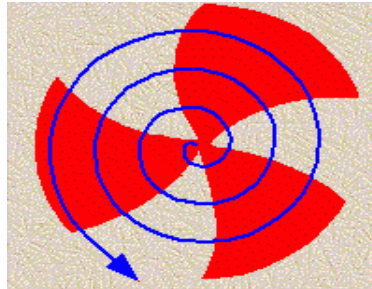


# **J/ $\psi$ suppression in a baryon rich QGP**

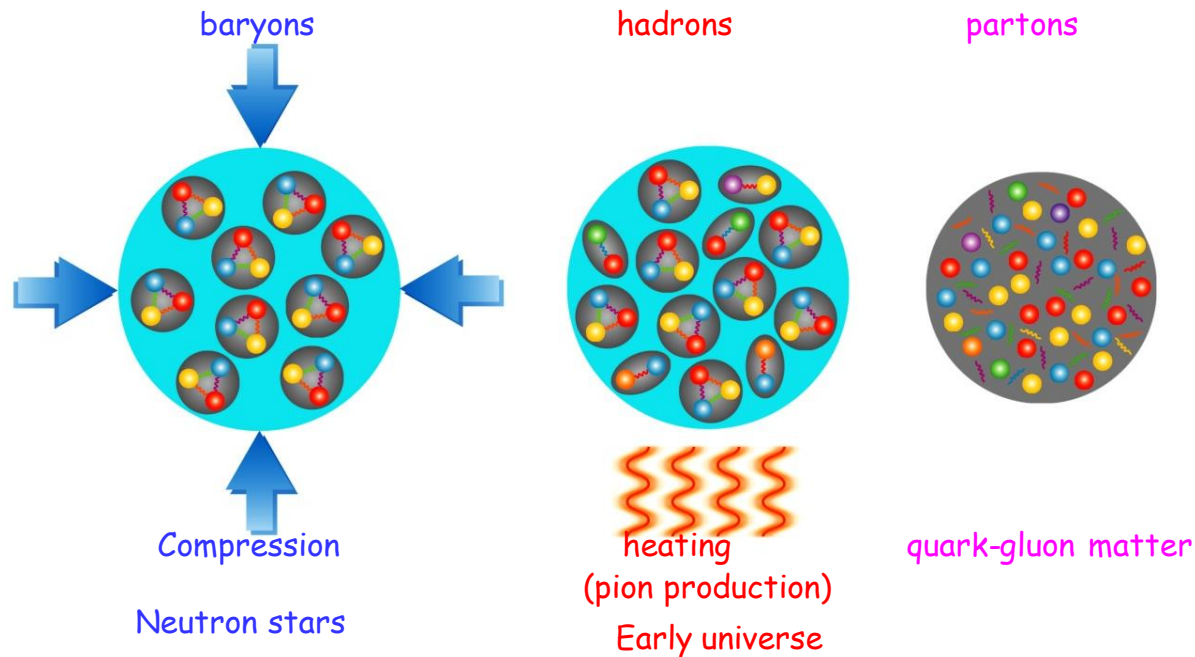
***Partha Pratim Bhaduri***  
***Variable Energy Cyclotron Centre***  
***Kolkata, India***



**FAIRNESS-2014**  
**Vietri Sul Mare, Salerno, Italy**

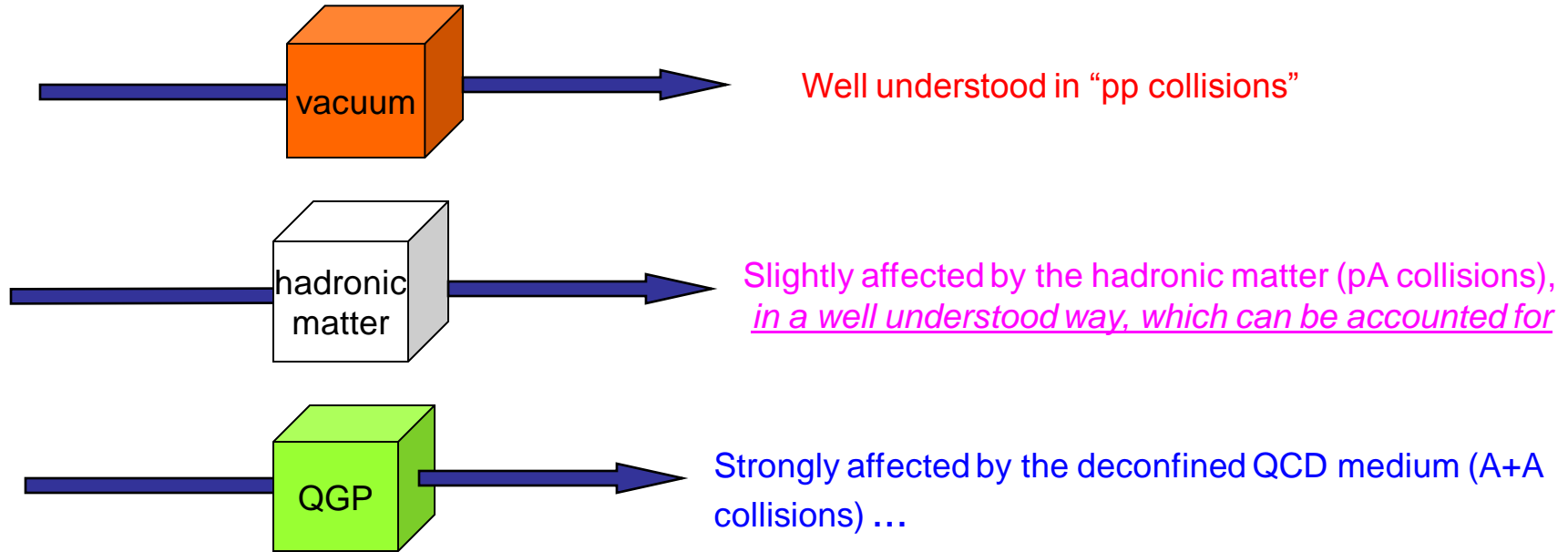
# Introduction

- Different states of matter, their defining features and transition between them always been one of the fundamental issues of physics. Strongly interacting matter opens up a new chapter for such studies.
- Statistical QCD predicts at high temperature and/or densities, strongly interacting matter will undergo a transition from color neutral hadronic phase to a state of de-confined color charged quarks & gluons- QGP



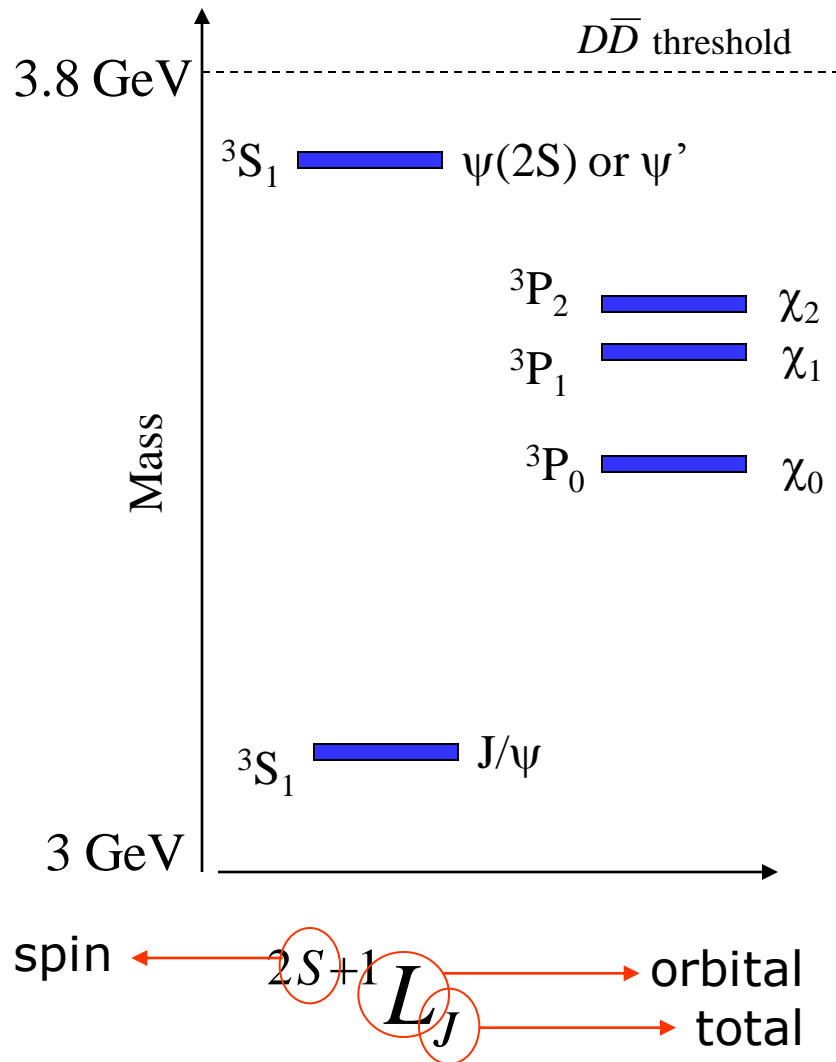
- Collisions of heavy nuclei at relativistic energies endows us with the opportunity to create and investigate hot and dense nuclear matter in the laboratory
- However transient nature of the system renders its identification highly complex
- Needs identification of unambiguous and experimentally viable probes that would clearly indicate the occurrence of the phase transition

## The good QCD matter probes should be:



- Till date relentless efforts have been invested both theoretically & experimentally to find suitable probes to indicate color de-confinement in nuclear collisions
- “*Anomalous*” charmonium suppression was long predicted as a “*smoking gun*” signature for the de-confinement phase transition
- Due to their high mass they are produced in the early stages of the nuclear collisions

# Charmonium states



Charmonium  $\rightarrow$  cc-bar bound state

If  $m < 2m_D \rightarrow$  stable under strong decay

Relative motion is non-relativistic  
 $(\beta \sim 0.6) \rightarrow$  non-perturbative  
 treatment

The binding of the c and c-bar quarks  
 can be expressed using the Cornell  
 potential:

$$V(r) = -\frac{\alpha}{r} + kr$$

Coulomb contribution,  
 induced by gluon  
 exchange between  
 q and q-bar

Confinement  
 term

# The beginning ...

Matsui and Satz prediction (1986) at the origin of the whole field

First paper on the topic  
→ 1986, Matsui and Satz

( > 2000 citations! )

From their abstract (Phys. Lett. B 178 (1986) 416.):

*If high energy heavy ion collisions lead to the formation of a hot quark-gluon plasma, then colour screening prevents  $c\bar{c}$  binding in the deconfined interior of the interaction region.../... It is concluded that  $J/\psi$  suppression in nuclear collisions should provide an unambiguous signature of quark-gluon plasma formation.*

**Subsequent experimental investigations observations:**

- ❖ **Considerable reduction of charmonium production present in p-A collisions compared to scaled hadronic collisions.**
- ❖ **Formation of secondary (de-confined ) medium is not generally possible.**
- ❖ **Effect of the primary medium; existing nuclear matter-> normal nuclear suppression**
- ❖ **Offers a robust and well understood reference baseline, in A-A collisions, with respect to which we can clearly and unambiguously identify patterns specific to the high-density medium produced in high-energy nuclear collisions**

# ...but the story is not so simple

❖ Nuclear dissociations are conventionally analyzed within Glauber model framework with the “normal” suppression quantified by an effective absorption cross section  $\sigma_{\text{abs}}$

❖ The first set of heavy-ion data on  $J/\psi$  production in S+U collisions @ 200 A GeV by NA38 collaboration was found compatible with the Glauber suppression

❖ First significant “anomalous” suppression beyond the conventional nuclear suppression was observed @ SPS by NA50 collaboration in Pb +Pb collisions @ 158 A GeV

❖ Data can be explained by a variety of models with & with out incorporating the color de-confinement: additional suppression due to

*hadronic (mesonic comovers) dissociation*

*partonic (gluons + Debye screening) dissociation*

**No unique answer so far obtained**

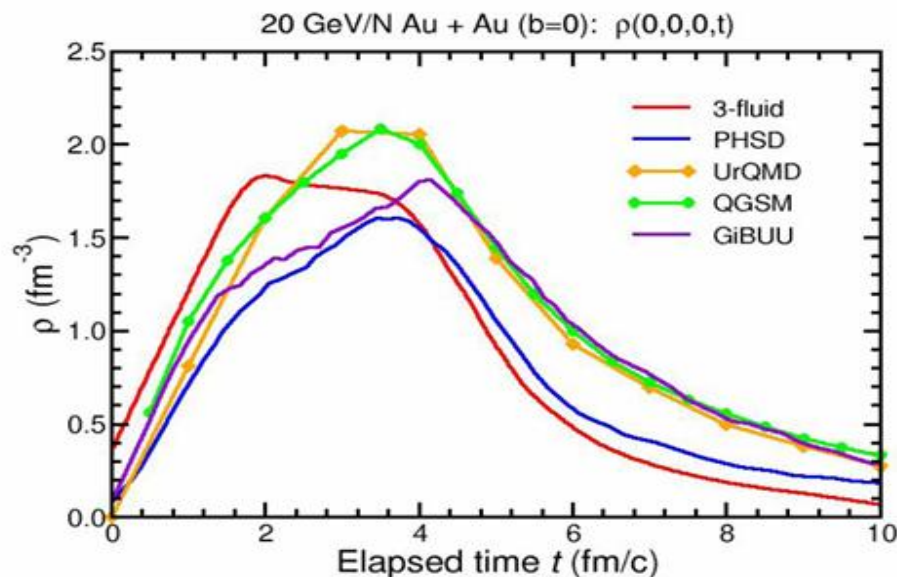
❖ Later NA60 collaboration also observed anomalous suppression in In+In collisions @ 158 A GeV; none of the above models could satisfactorily explain the data

❖ Subsequent p+A measurements by NA560 @ 158 A GeV revealed no anomalous suppression in In+In collisions only 25-30 % anomalous suppression in central Pb+Pb collisions

❖ At RHIC ( $E_{\text{cm}} = 200$  GeV) in Au+Au collisions more suppression at forward rapidity compared to mid-rapidity: suppression is masked by regeneration effects (exogenous production at the phase boundary)

**... till date we do not have a clear picture**

# $J/\psi$ production in nuclear collisions at FAIR



- ❖ In nuclear collisions at FAIR a moderate temperature high baryon density medium is anticipated
- ❖ Maximum net baryon densities from 5 - 40 AGeV  $\sim 1 - 2 \text{ fm}^{-3} \sim (6 - 12) \rho_0$  ( $\rho_0 \sim 0.15 \text{ fm}^{-3}$ )
- ❖ Remarkable agreement between different models
- ❖ Experimental observables are expected to be sensitive to density as well as temperature.
- ❖ Charmonium production might get modified in a baryon rich medium
- ❖ High baryon density might lead to de-confinement
- ❖ Charmonium production might probe the confining status of the medium; depending on the structure of the medium the charmonium suppression pattern/spectra can be completely different.

# J/ψ measurement at CBM-FAIR: Uniqueness and Challenges

- ❖ Till date no measurements on J/ψ production in heavy-ion collisions below 158 A GeV
- ❖ In low-energy nuclear collisions, production cross sections are dramatically small
- ❖ Measurements require accelerators with very high beam intensities and detectors with very high rate capabilities
- ❖ At FAIR energies ( $E_b = 10 - 35$  (45) A GeV), charm production will occur close to the kinematic production threshold.
- ❖ Too low production cross sections (@  $E_b = 25$  A GeV  $\sigma_{NN} \sim 0.1$  nano barn) ; small branching ratio to the di-lepton channel (~ 6 %)
- ❖ Charmonia are *rare probes* in the low energy collisions (Yield= $B_{\mu\mu} \times \text{Mult} \sim 10^{-7}$  for 25 A GeV Au+Au)
- ❖ CBM is the only modern heavy-ion facility to look for rare probes in nuclear collisions
- ❖ Measurements will be realized with unprecedentedly high intensity beams delivered by FAIR
  - Maximum beam intensity for Au ions:  $10^9$  / s (factor of 1000 higher compared to SPS)*
  - For a Au target of thickness 250 μm, peak event rate 10 MHz.*
- ❖ Requires very fast detectors that can be operated at MHz rates

*We have developed a model based on color screening picture for estimation of charmonium suppression in a baryon rich QGP*



# Anomalous Charmonium suppression @ FAIR: theoretical formulation

We have developed a model based on color screening picture for estimation of charmonium suppression in a baryon rich QGP

Suppression due to color screening are generally implemented in literature within threshold picture

Suppression is either total or absent depending on some critical value

In-medium screening mass  $m_D(T, \mu_q)$  is used to decide the fate of a charmonium state implanted in the expanding plasma

$$m_D(T, \mu_q) = g(T, \mu_q) T \sqrt{N_c / 3 + N_f / 6 + N_f / 2\pi^2 (\mu_q / T)^2}$$

$m_D$  estimated from LO pQCD (T. Toimela, PLB 1983)

Medium dynamics from realistic UrQMD transport calculations

## Color screening within threshold picture: general considerations

Central assumption of the theory is the existence of a characteristic threshold temperature  $T_d$  or energy density ( $\varepsilon_d \sim T_d^4$ ) ( $T_d$  values from potential model or lattice correlator)

Encloses plasma volume inside which screening radius is smaller than the bound state radius

Resonance formation is forbidden for all cc-bar pairs inside the region at corresponding resonance formation time  $t_F$  (note in the plasma frame  $t_F = \gamma t_F$ )

Competition between  $t_F$  and finite volume and life time of the plasma would lead to characteristic  $p_T$  dependent survival probability at central rapidity smaller suppression at higher  $p_T$

Common consideration is that medium attains thermal properties over a time comparable to the formation time of the cc-bar pairs in the plasma frame

Different situation @ FAIR due to different kinematical conditions

# Anomalous Charmonium suppression @ FAIR: theoretical formulation

Intrinsic formation time:  $\tau_{F,i} \sim 1-2$  fm for different charmonium states

In the collision frame  $t_{F,i} \sim \tau_{F,i}$  as  $\gamma_i \sim 1$  ( $p_T$  very small mid-rapidity  $p \sim p_T$ )

Plasma formation time:  $\tau_0 \sim t_{\text{coll}} \sim 2R_A/\gamma\beta \sim 3-4$  fm

Plasma would encounter fully formed charmonium bound states

Debye screening would dissociate the bound states

Survival probability for the  $i$ th charmonium state can be modeled as:

$$S_i^{QGP}(b, s, \tau) = \Theta[r_i - r_D(b, s, \tau)]$$

$r_i$  denotes the size of the particular charmonium state (0.5 fm for  $J/\psi$ , 0.72 fm for  $\chi_c$  and 0.9 fm for  $\psi'$ )

$S_i^{QGP}$  can be experimentally compared with  $R_{AA}/R_{AA}^{CNM}$

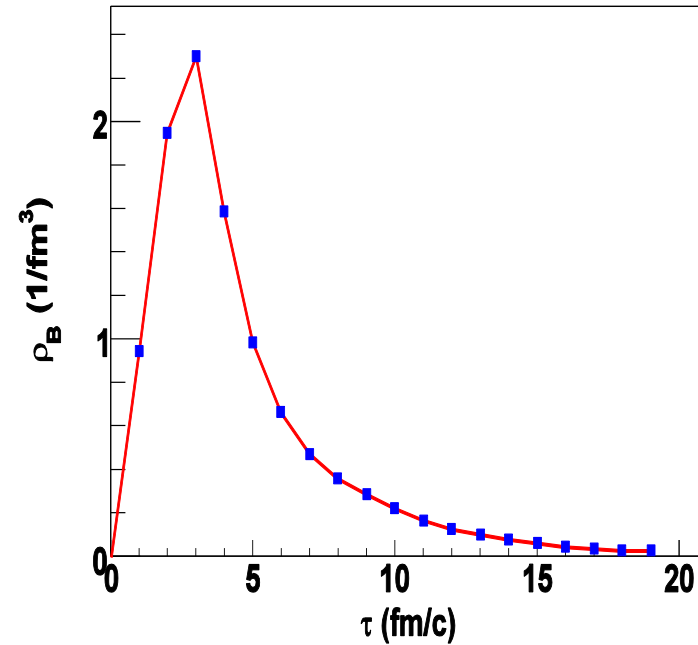
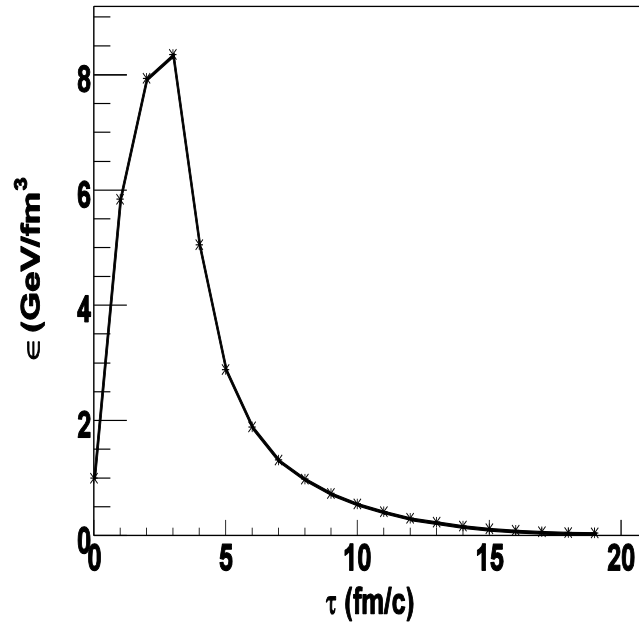
$R_{AA}^{CNM}$  can be modeled from the p+A collisions

Inclusive survival probability is obtained by integrating over space time

Implement threshold energy density ( $\varepsilon_c \sim 1$  GeV/fm<sup>3</sup>) for plasma formation finite space-time extent of the plasma

# Au + Au collisions @ 30 A GeV

I. C. Arsene *et. al.*, Phys. Rev. C 75, 034902 (2007)



Time variation of central densities from UrQMD

Add spatial profile according to  $n_{part}(b,s)$

$$\epsilon(\mathbf{b}, s, \tau) = k_1 \epsilon_0(\tau) \times n_{part}(\mathbf{b}, s)$$

$$\rho_B(\mathbf{b}, s, \tau) = k_2 \rho_{B,0}(\tau) \times n_{part}(\mathbf{b}, s)$$

Get space-time dependent densities

Plug densities into a suitable plasma EOS

Phenomenological QGP EOS proposed by Kapusta (*J. I. Kapusta, Phys. Rev. C 81, 055201 (2010)*)

Matches with the LQCD calculations at zero density and ground state nuclear matter at zero temperature

One input parameter  $T_0$  can be identified with  $T_c$  at  $\mu_B = 0$

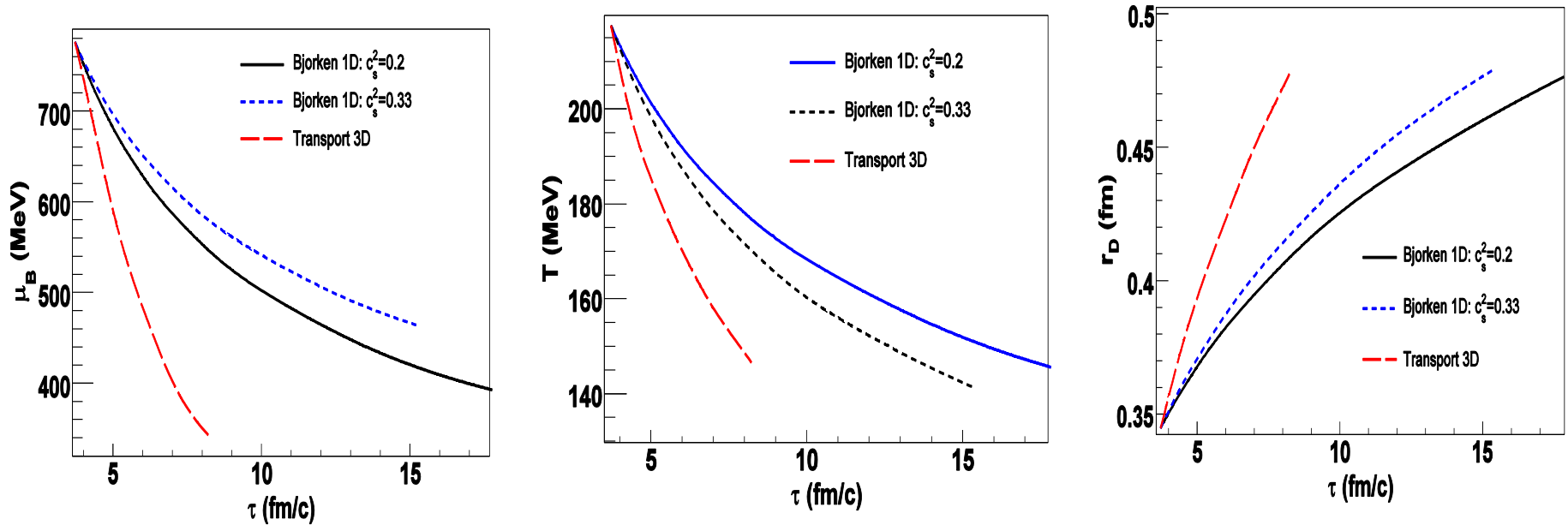
Get the critical density  $\varepsilon_c$  for plasma formation and assume it to be constant

Recent calculations indicate  $T_c \sim 160$  MeV

Get the  $T, \mu_B$  at each space time point

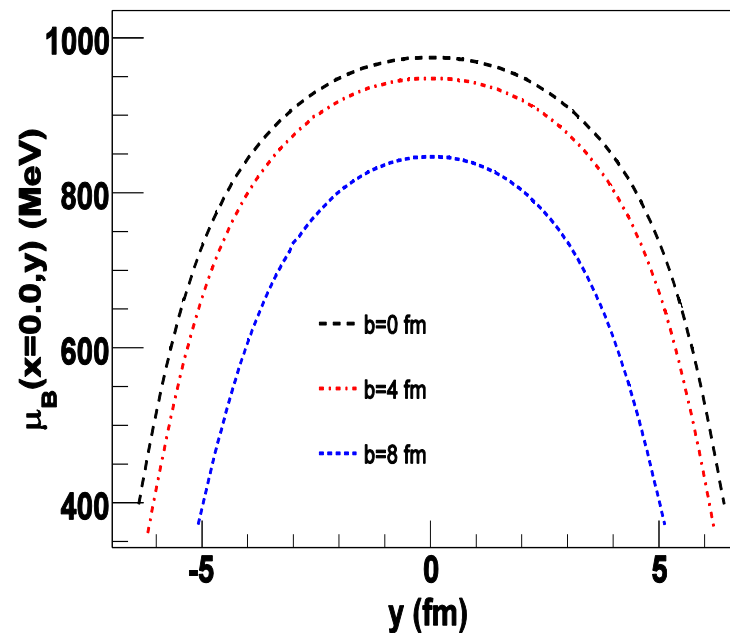
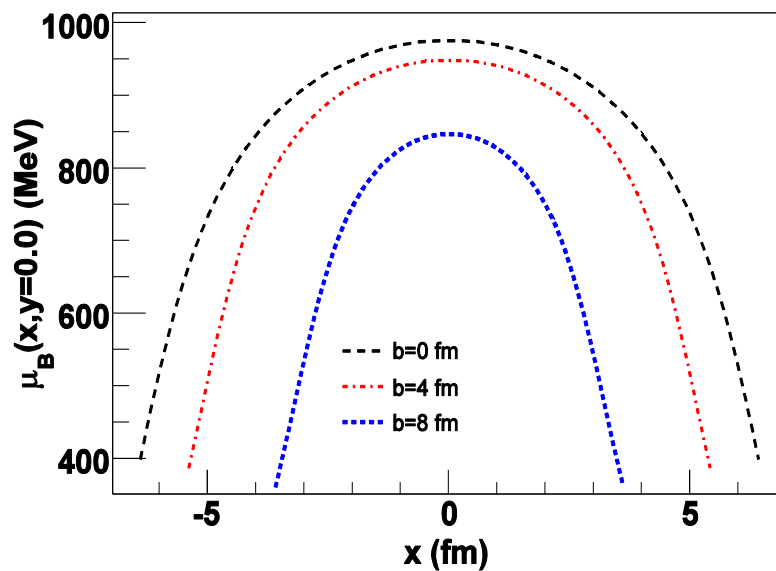
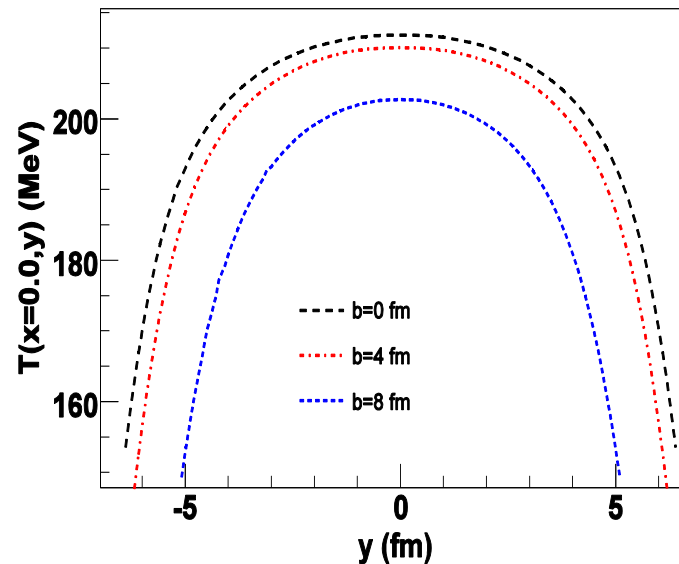
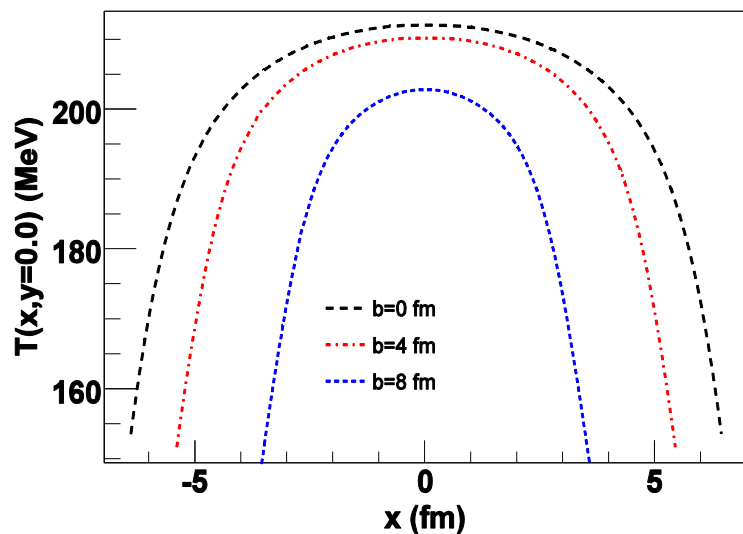
Calculate in medium  $m_D(T, \mu_B)$

# Temporal profile of the central cell in central collisions



- Critical energy density for plasma formation  $\varepsilon_C$  ( $N_f = 2$ )  $\sim 0.8$  GeV/fm<sup>3</sup>
- Endows plasma with a finite space-time extent, evolution stops at  $\varepsilon(s, \tau) = \varepsilon_C$
- Role of transverse dynamics: comparison between full (3+1)-D expansion and Bjorken boost invariant longitudinal expansion with different  $c_s^2$
- Transverse expansion causes faster cooling and dilution of the fireball

# Spatial profile of $T$ and $\mu_B$ in the transverse plane at $\tau_0$



# Determination of the limits of time integration

Lower limit assumes to coincide with the thermalization time  $\tau_0$

Calculated from the passing time of the two colliding nuclei

$$\tau_0 = 2R_A / \gamma\beta + \Delta z / 2\beta \approx 3 - 4 \text{ fm}$$

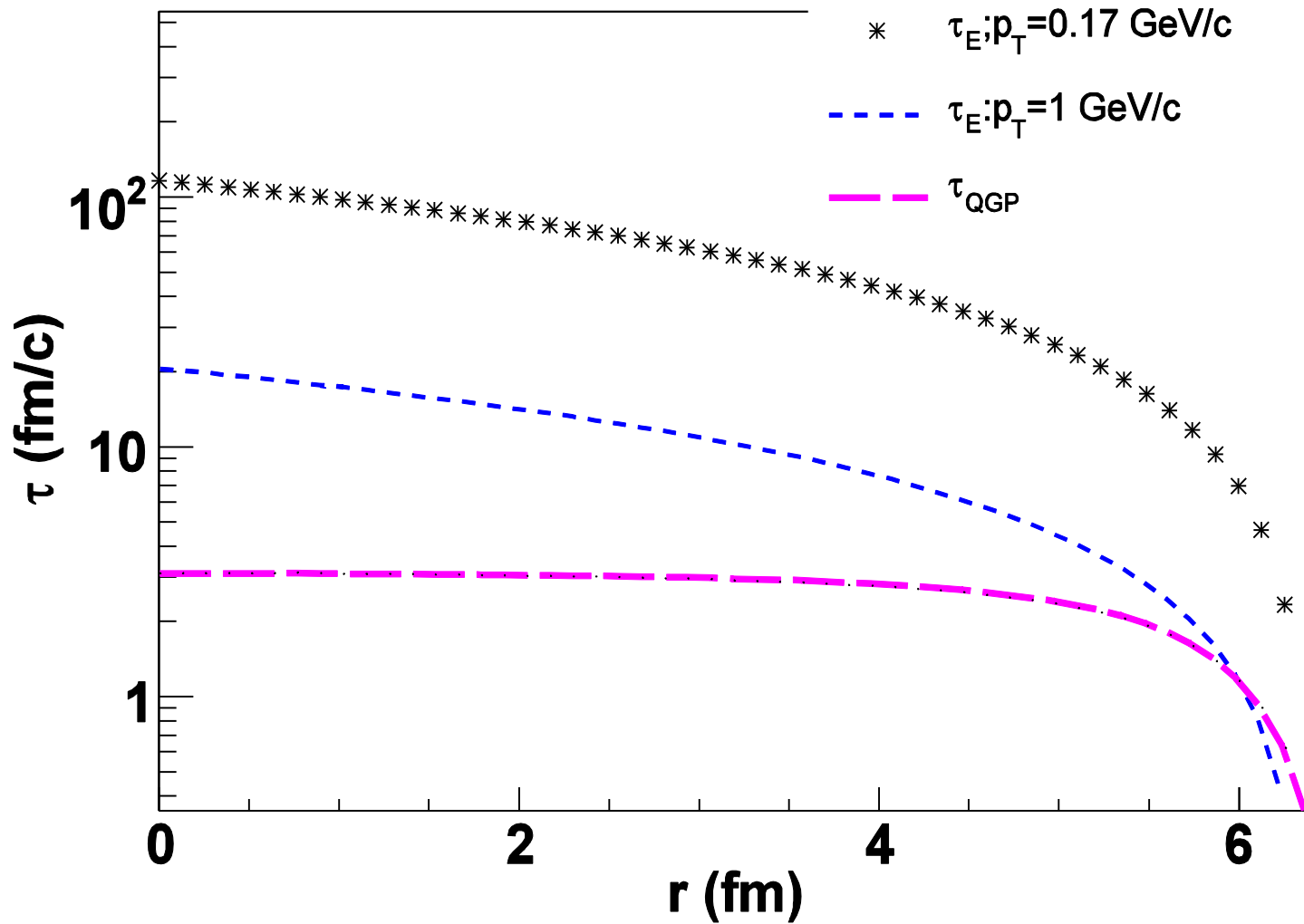
Upper limit is decided by  $\min(\tau_E, \tau_f)$ ;  $\tau_E$  is the escape time and  $\tau_f$  denotes plasma extinction time ( $\varepsilon(r, \tau_f) = \varepsilon_c$ )

$$d = -r \cos \phi + \sqrt{R^2 - r^2 \sin^2 \phi} \quad \tau_E = M_T d / p_T$$

At FAIR energies the charmonium will have very low  $p_T$

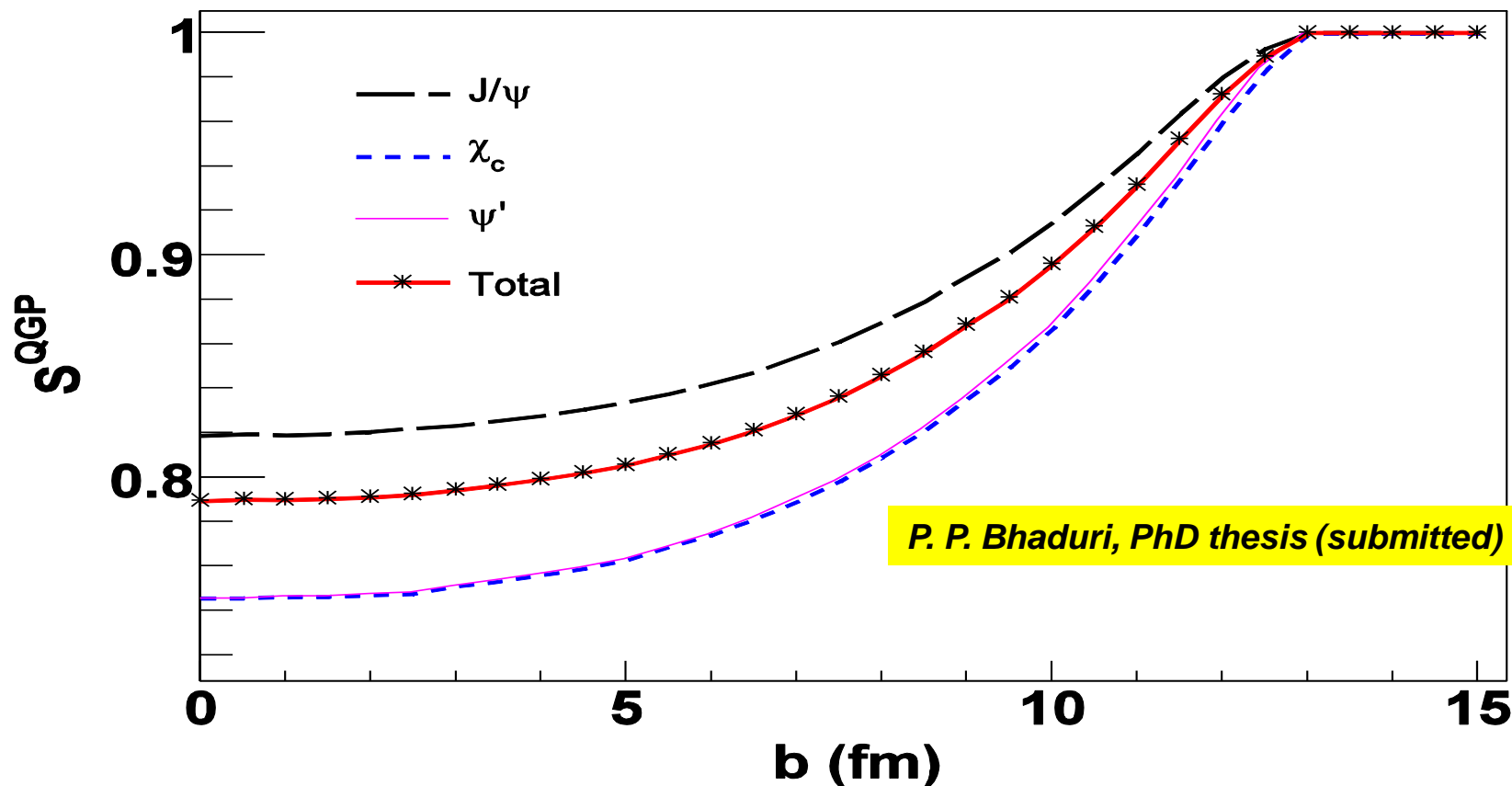
Screening remains operational throughout the life time of the plasma





$p_T$  independent survival probability

# Centrality dependence of inclusive survival probability

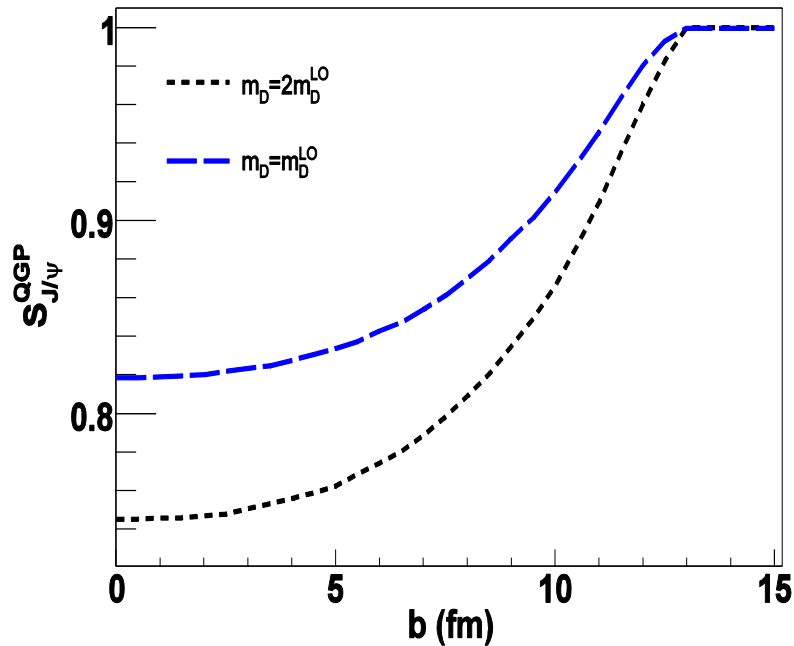


Effects of feed down is included: 30 % from  $\chi$  and 10 % from  $\psi'$   
 $S_{tot} = 0.6S_{J/\psi} + 0.3S_{\chi} + 0.1S_{\psi'}$

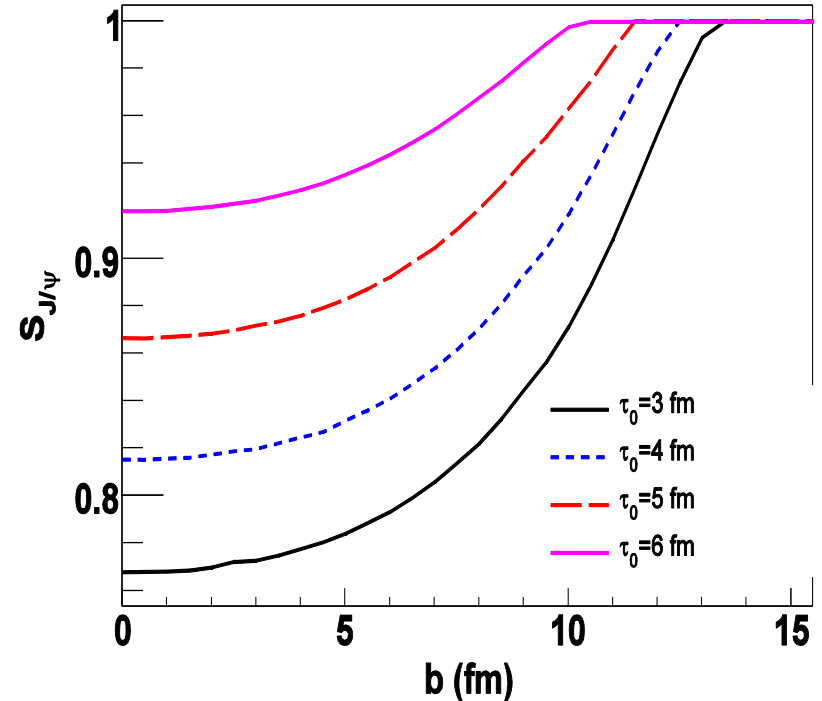
Maximum of  $\sim 20$  % suppression due to color screening

# Sensitivity to the model parameters

## Debye mass



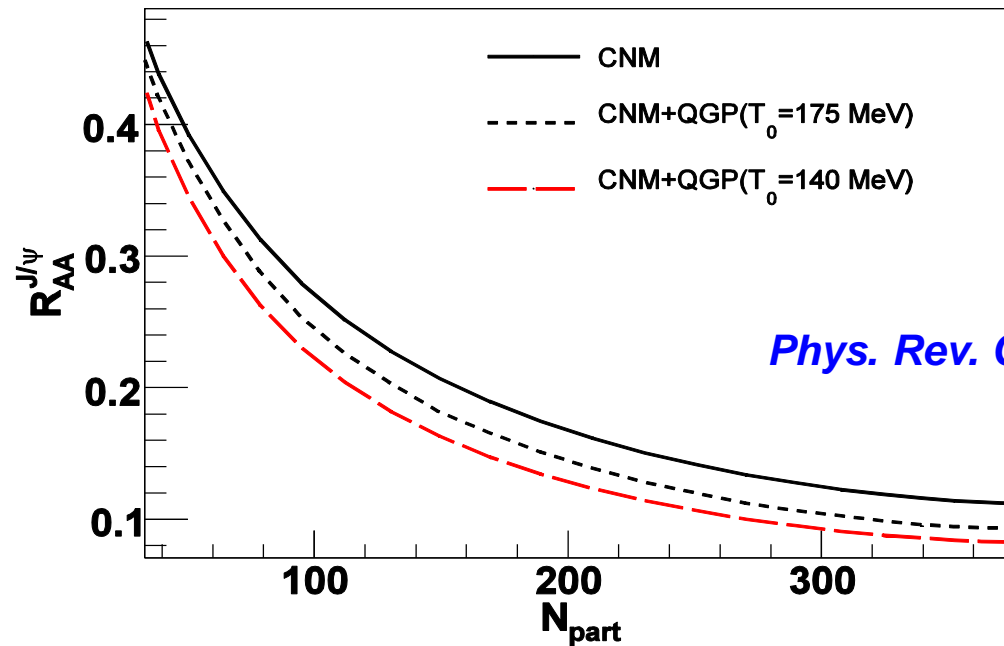
## Thermalization time



- Non-perturbative effects in screening mass are too meager to be detected for finite experimental resolution

- Late thermalization smaller anomalous suppression

# Model prediction for plasma suppression @ FAIR



❖ Total suppression is obtained assuming factorization,  $R_{AA} = R_{AA}^{CNM} \times S^{QGP}$

❖ Dominant contribution from CNM effects (~ 90 % : initial state shadowing ~ 15 % final state dissociation of the pre-resonant cc-bar pairs ~ 75 %)

❖ Debye screening causes much weaker suppression (10 -15 %)

❖ Plasma suppression is sensitive to the QGP EOS

❖ Collision dissociation (thermal and pre-thermal) with hard partons neglected

❖ Require high precision data to isolate the QGP effects

# Summary

**At FAIR energies, charmonium suppression should be a clean signal like upsilons at LHC**

**Production from initial hard collisions; suppression effects are not likely to be masked by subsequent regeneration effects**

**Charmonium suppression has been calculated using threshold model**

**Screening implemented through in-medium Debye mass**

**Medium evolution is obtained from UrQMD**

**Screening gives maximum 15% -20% suppression in the most central collisions**

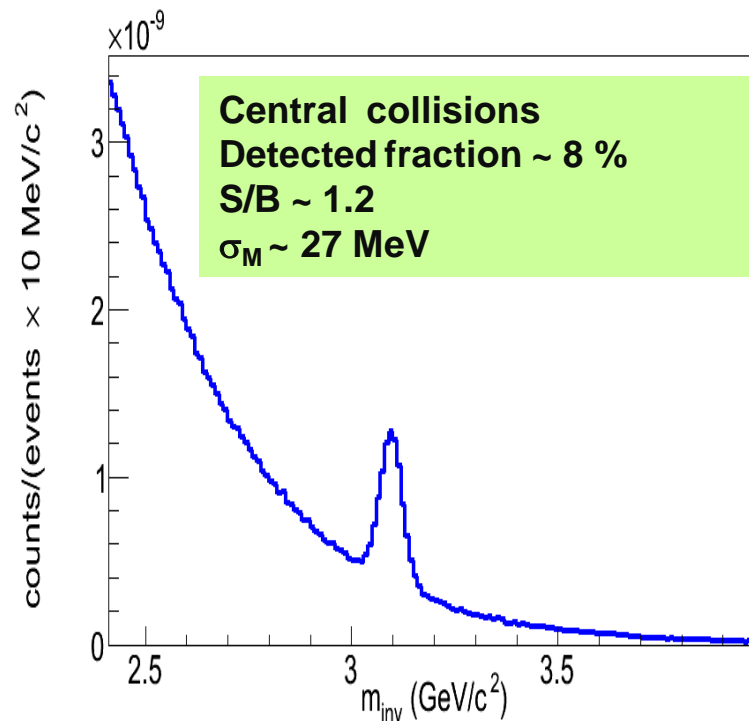
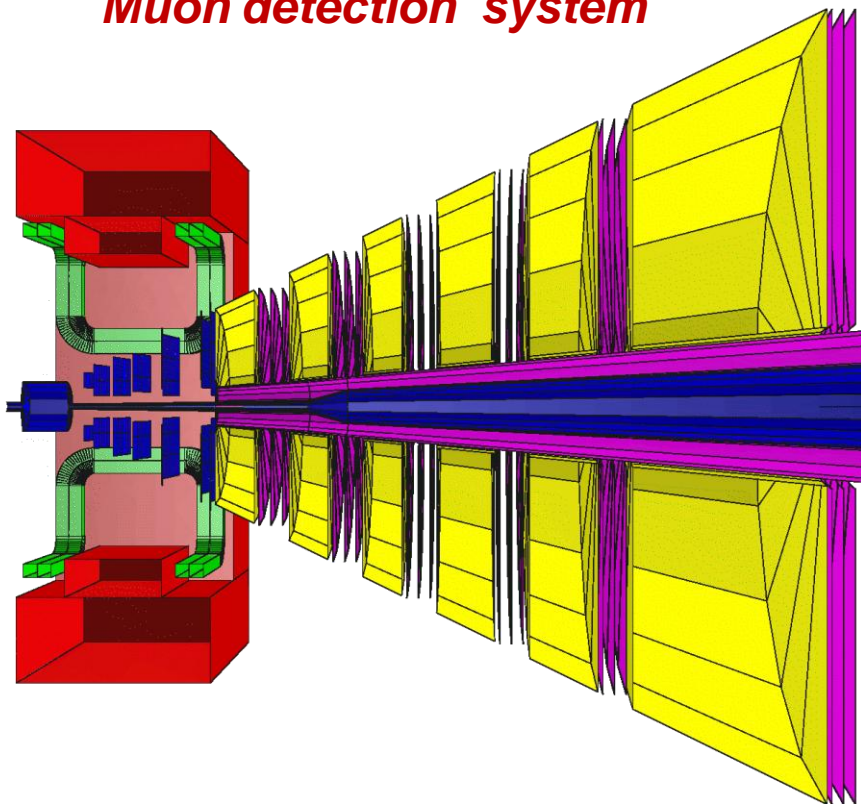
**Lack of estimation of dissociation due to hard partonic collisions**

**Probably large pre-equilibrium suppression due to late plasma formation time.**

**A better way to estimate the dissociation in the thermally and chemically equilibrated plasma phase is to calculate the in-medium decay width with a realistic potential model**

# Our efforts for $J/\psi$ detection in Au+Au collisions @ FAIR (25 A GeV)

## *Muon detection system*



- ❖ Background represents the combinatorial one; calculated using Super Event (SE) analysis
- ❖ Clearly identified peak over the background: highly feasible detection
- ❖ About factor of 5 better mass resolution ( $\sim 100 \text{ MeV}$  for 158 A GeV Pb+Pb collisions @ NA50)
- ❖ Improved S/B for central collisions

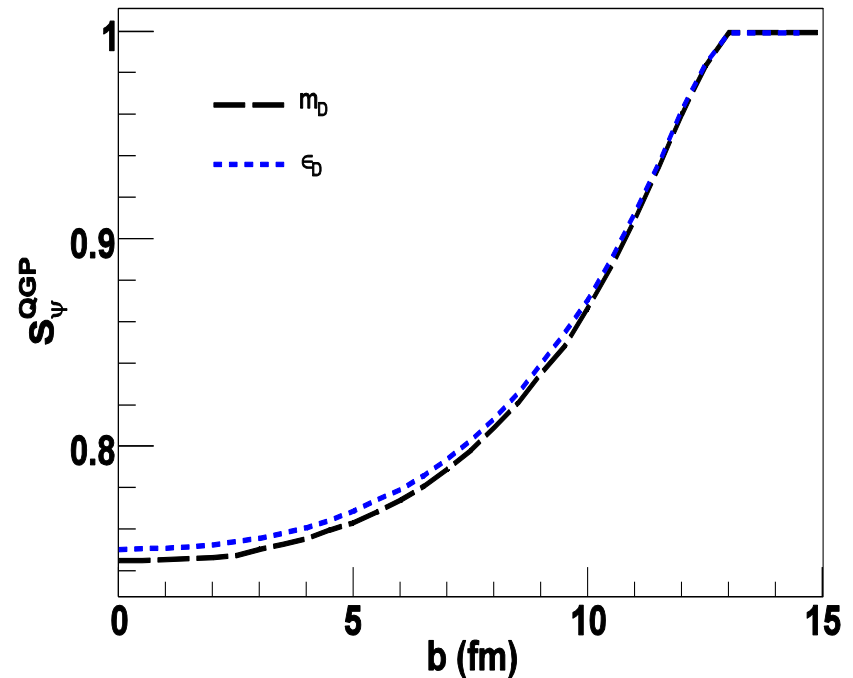
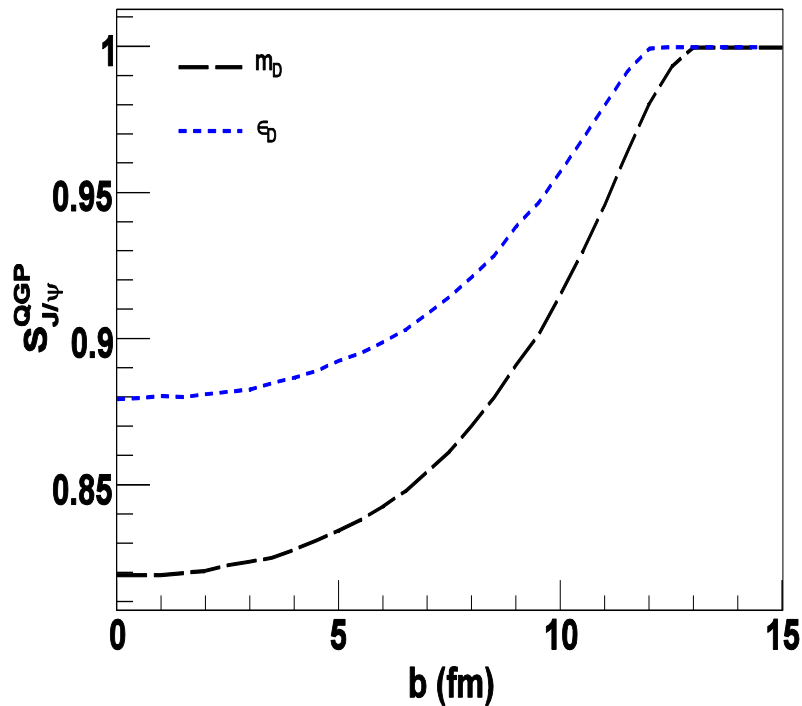
**Thank You**

# Back ups

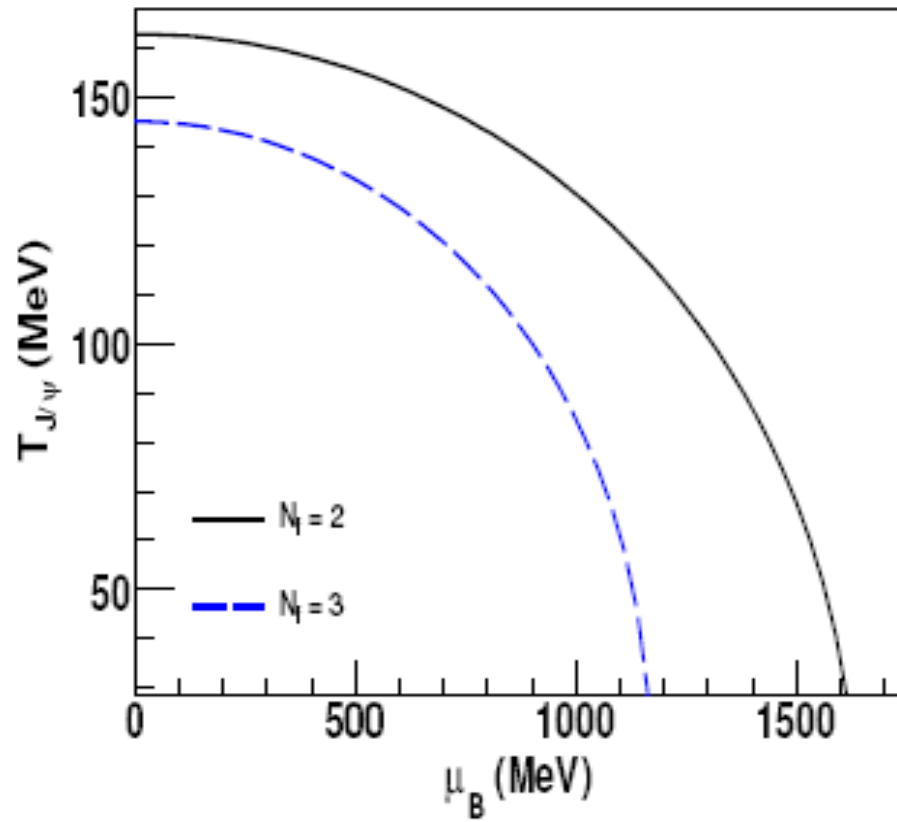


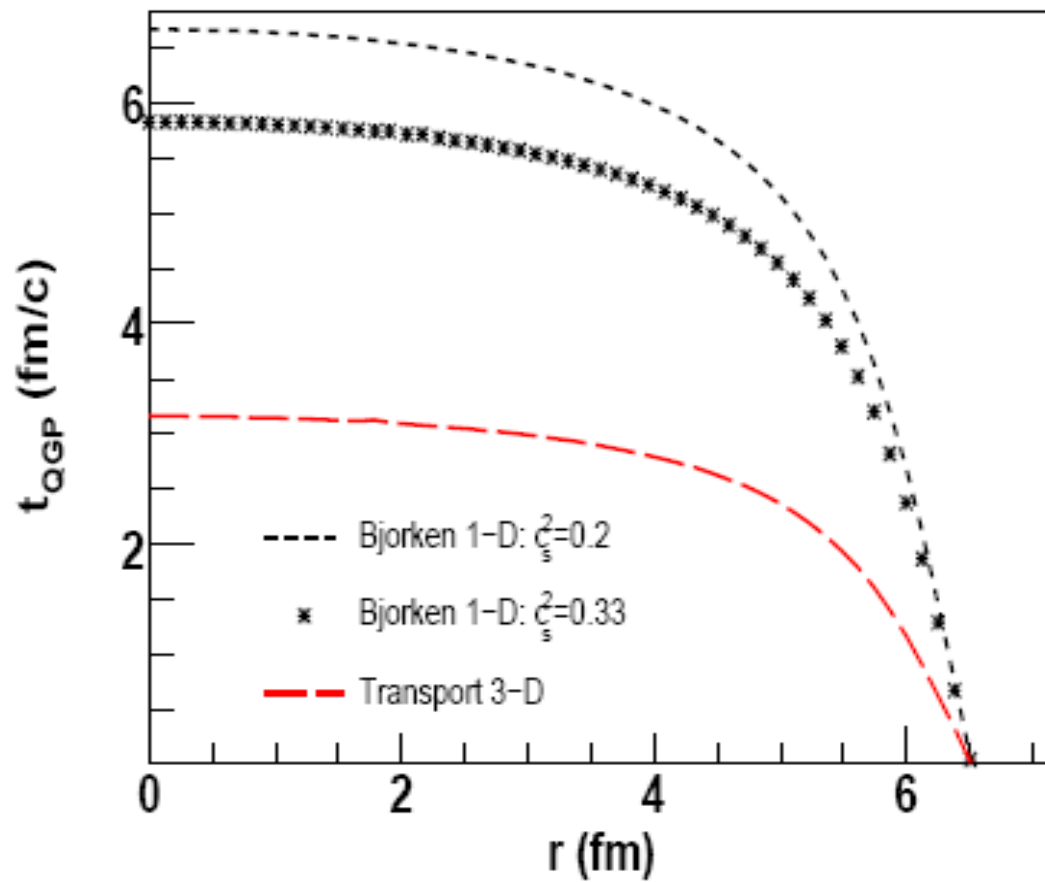
# Modeling survival probability with energy density

$$S_i^{QGP}(b, s, \tau) = \Theta[\varepsilon_D - \varepsilon(b, s, \tau)]$$



Weak binding scenario:  $T_{J/\psi} = 1.2 T_c$ ,  $T_{\chi,\psi} = T_c$





$$m_D(T, \mu_q) = g(T, \mu_q) T \sqrt{N_c / 3 + N_f / 6 + N_f / 2\pi^2 (\mu_q / T)^2}$$

$$r_D(T, \mu_q) = 1 / m_D(T, \mu_q)$$

# Charmonia in FAIR energy collisions

**FAIR beam energy range:  $E_b = 8 - 40$  A GeV**

**CBM is the dedicated relativistic heavy-ion collision experiment;**

**Aim is to explore the QCD phase diagram in the region of high net baryon densities and moderate temperatures**

**High baryon and energy densities are anticipated in central Au+Au collisions**

**Max. net baryon densities from 5 - 40 A GeV  $\sim 1 - 2$  fm<sup>-3</sup>  $\sim (6 - 12) \rho_0$**

**Mutual agreement between different models**

**High baryon density might lead to deconfinement transition to a baryon rich QGP.**

**Charmonium suppression is one of the early probes of color deconfinement.**

**CBM has a dedicated program to measure charmonium production in heavy-ion collisions for the first time**

**No data till now available below top SPS energy ( $E_b = 158$  A GeV)**

**We have calculated the survival probability of the charmonium states suffering dissociation due to screening in an evolving QGP medium based on threshold scenario**

# Threshold model

**Original model (Blaizot and Ollitrault' 1996)**

**Static geometrical model; no dynamics involved**

**Local energy density of the medium assumed to be proportional to the local participant density  $n_p(b,s)$**

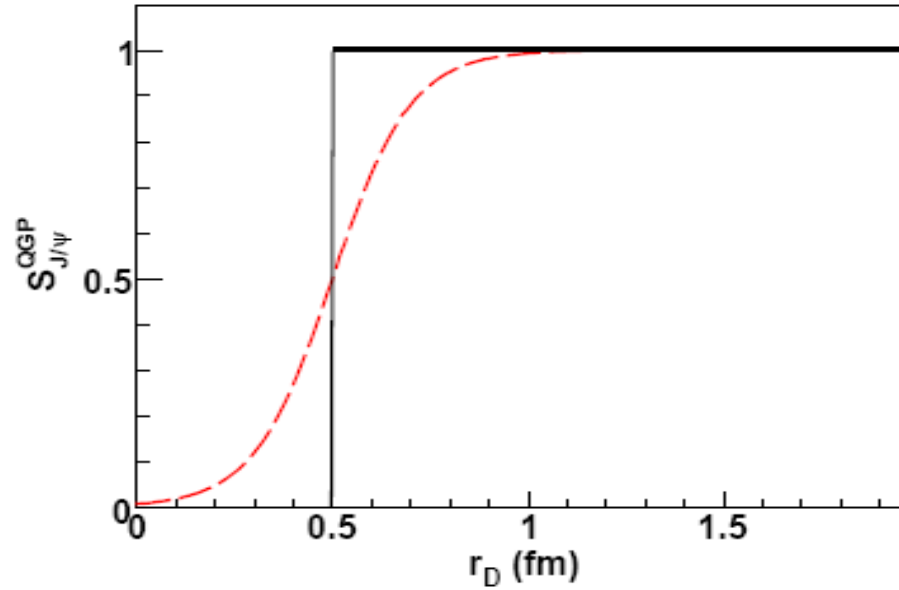
**Total suppression above critical participant density ( $n_c$ )**

**Fixed from the NA50 Pb + Pb data on  $J/\psi$  suppression**

$$S_{J/\psi}^{QGP}(b) = \int d^2\mathbf{s} \Theta(n_c - n_p(b, \mathbf{s}))$$

- **Static geometrical model**
- **Does not include medium dynamics**

# Smearing the survival probability



# The plasma equation of state (EOS)

$$P = \left[ \frac{\pi^2}{90} \left( 16 + \frac{21N_f}{2} \right) T^4 + \frac{N_f}{18} \mu^2 T^2 + \frac{N_f}{324\pi^2} \mu^4 \right] - [CT^2 + D\mu^2 + B]$$

$$s = \frac{4\pi^2}{90} \left( 16 + \frac{21N_f}{2} \right) T^3 + \frac{N_f}{9} \mu^2 T - 2CT$$

$$\rho_B = \frac{N_f}{9} \mu T^2 + \frac{N_f}{81\pi^2} \mu^3 - 2D\mu$$

$$\varepsilon = -P + Ts + \mu\rho_B$$

$$2C \approx 0.24, D \approx 0, B \approx T_0^4,$$