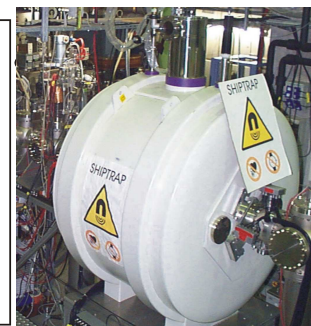
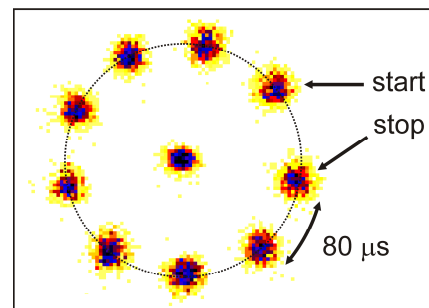
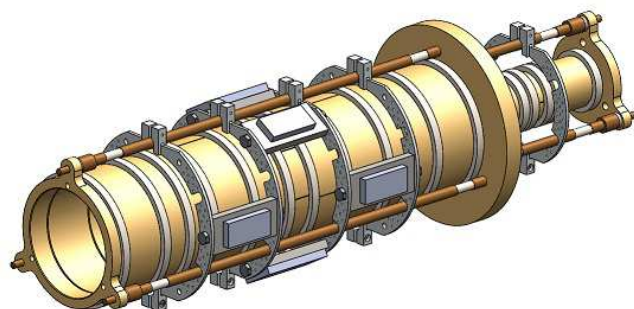




Recent developments in ion detection techniques and high-capacity separation for Penning trap mass spectrometers



NUSTAR Week 2014

22-26 September 2014
Valencia
Europe/Madrid timezone



Enrique MINAYA RAMIREZ

Max-Planck-Institut für Kernphysik, Heidelberg, Germany



Collaborators

D.Ackermann, K. Blaum, M.Block, S. Chenmarev, C. Droese, Ch.E. Düllmann, M. Dworschak, M. Eibach, S. Eliseev, P. Filianin, M. Goncharov, E. Haettner, F. Herfurth, F.P. Heßberger, S. Hofmann, G. Marx, E. Minaya Ramirez, D. Nesterenko, Yu. Novikov, W. Plaß, D. Rodríguez, C. Scheidenberger, L. Schweikhard, P. Thirolf and C. Weber

P. Ascher, G. Ban, B. Blank, K. Blaum, J.- F. Cam, P. Delahaye, F. Delalee, P. Dupré, S. El Abbeir, M. Gerbaux, S. Grevy, G. Grinyer, H. Guérin, E. Liénard, D. Lunney, E. Minaya Ramirez, S. Naimi, L. Perrot, A. de Roubin, L. Serani, B. Thomas and J.-C. Thomas





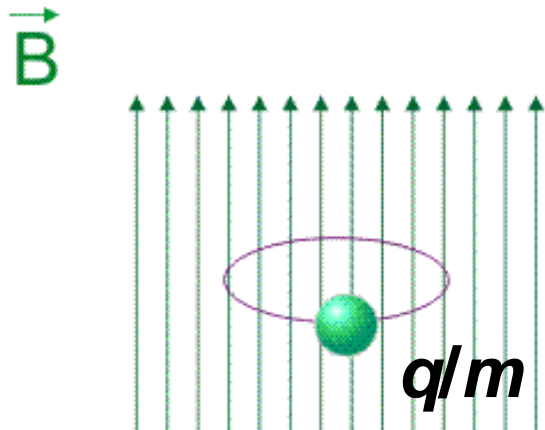
Outline

- ❑ **How to perform a high-precision mass measurements ?**
- ❑ Increasing the sensitivity and the resolving power
- ❑ Resolving large samples of contaminants

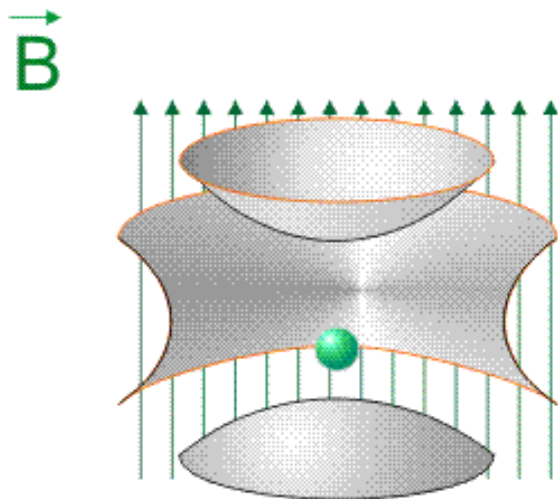




High-precision mass measurements with Penning traps



strong homogeneous magnetic field

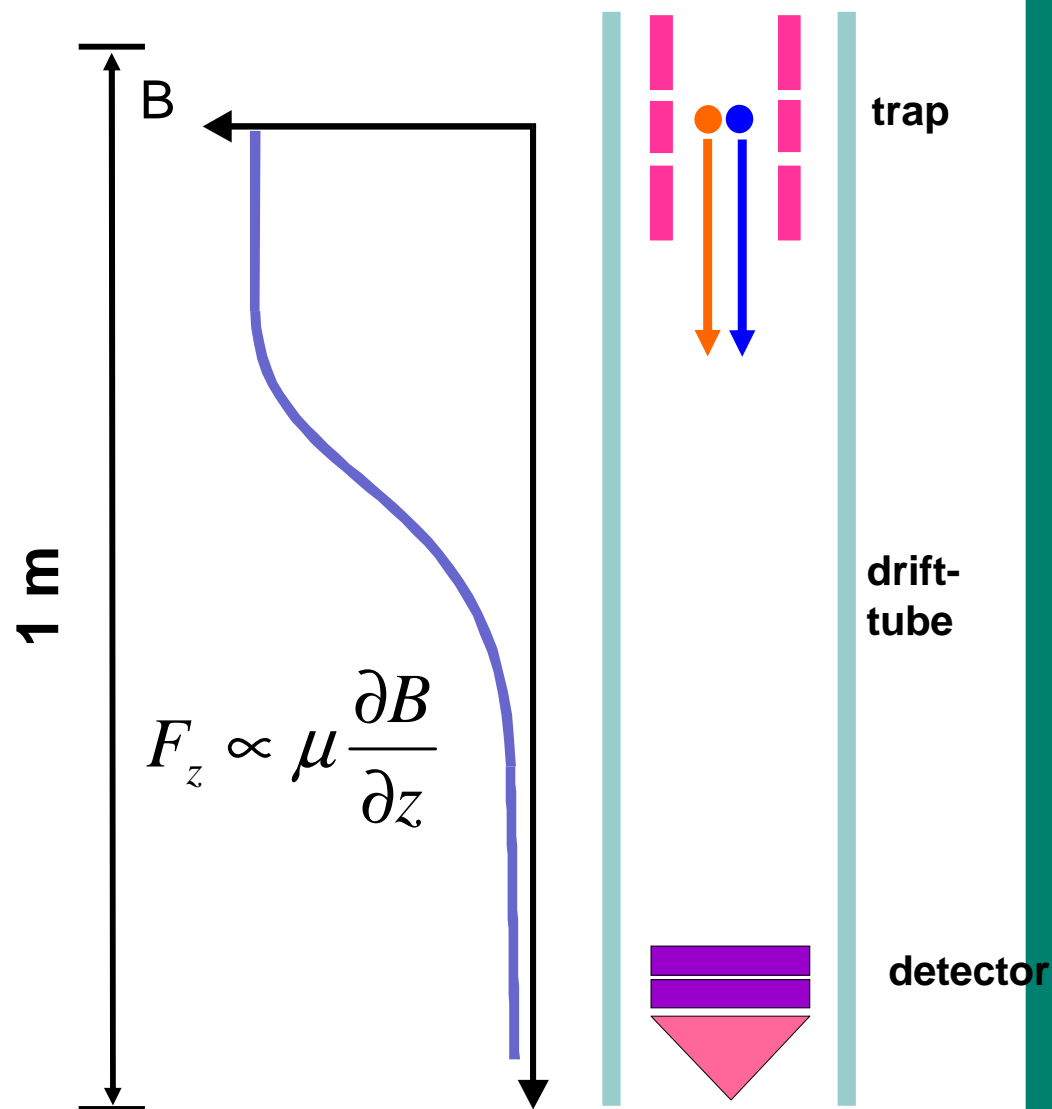
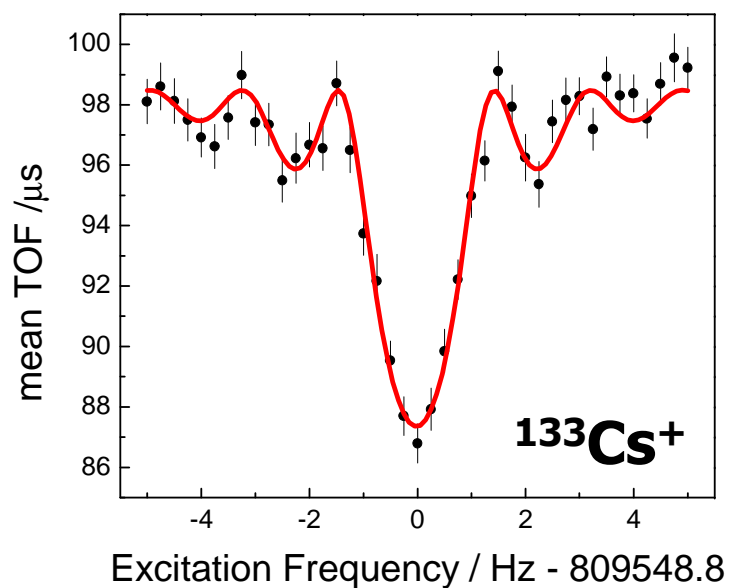
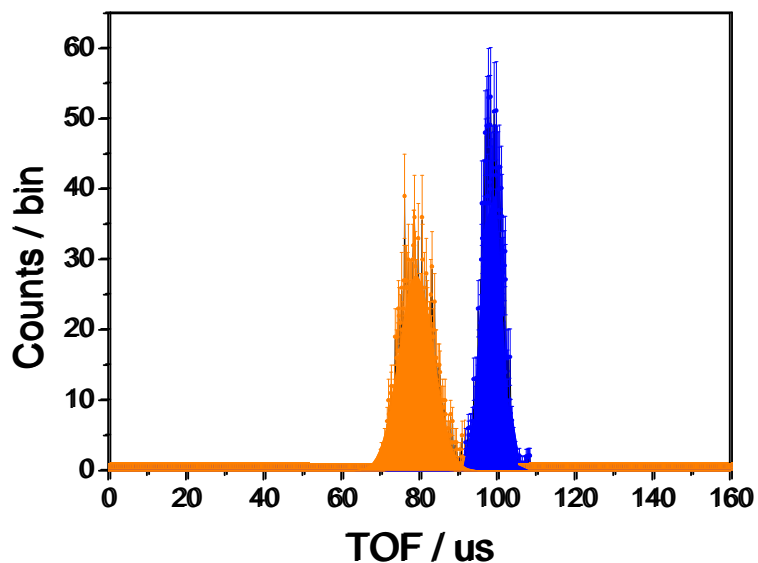


+ weak electrostatic field

Cyclotron frequency
$$f_c = \frac{1}{2\pi} \cdot \frac{q}{m} \cdot B$$



TOF-ICR : Time-of-flight resonance technique



M. König et al., Int. J. Mass Spec. Ion Process. 142 (1995) 95

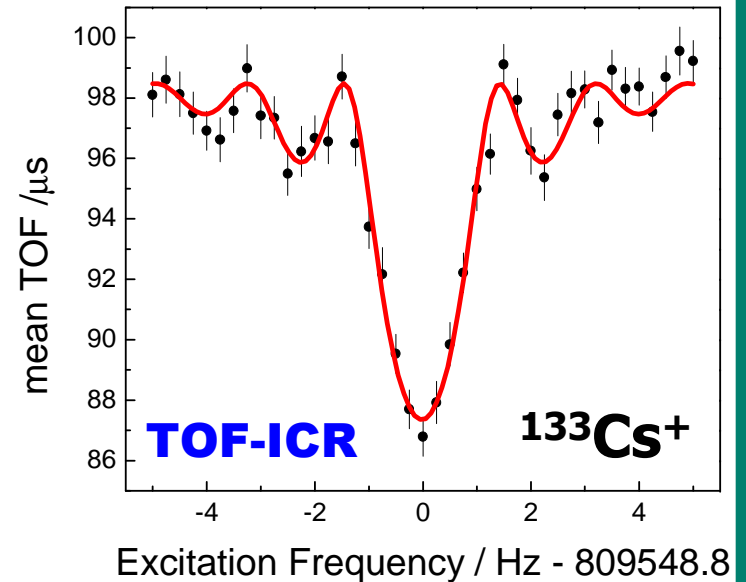




High-precision mass measurements with Penning traps

Cyclotron frequency $f_c = \frac{1}{2\pi} \cdot \frac{q}{m} B$

$(B = 7 \text{ T}, A = 133, f_c \approx 800 \text{ kHz})$



- ❑ Relative uncertainty $\approx 10^{-8}$
- ❑ Accessible half-lives $> 10 \text{ ms}$
- ❑ Typical Resolving power $\approx 10^7$

$$R = f_c \cdot T_{exc} \quad (T_{exc} = 2 \text{ s})$$



Resolving power and Statistical uncertainty

Resolving power

$$R = f_c \cdot T_{exc}$$

$$R = \frac{q \cdot B}{2 \cdot \pi \cdot m} \cdot T_{exc}$$

Statistical uncertainty

$$\frac{\delta m}{m} \approx \frac{1}{R \sqrt{N}}$$

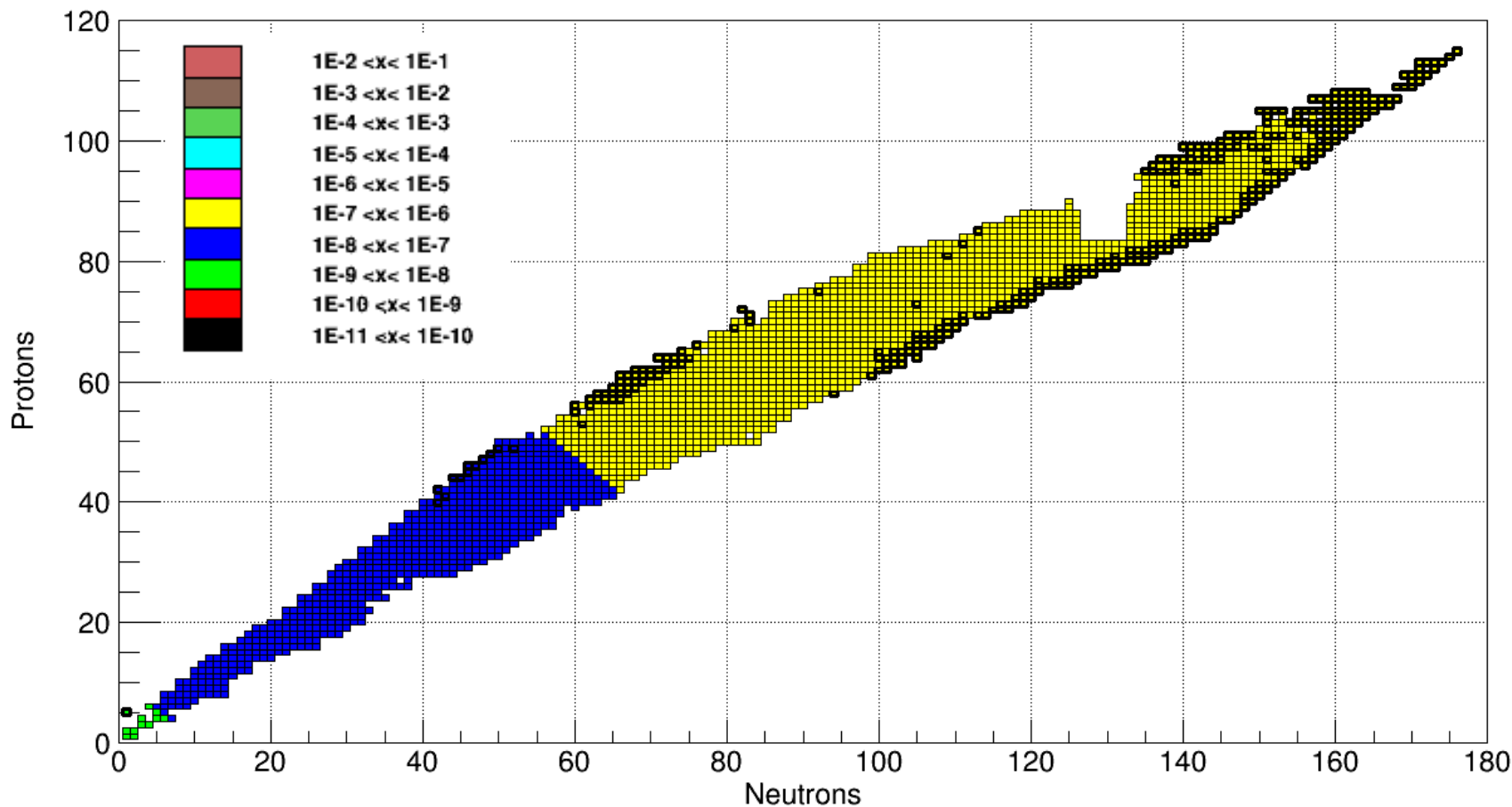




Statistical uncertainty

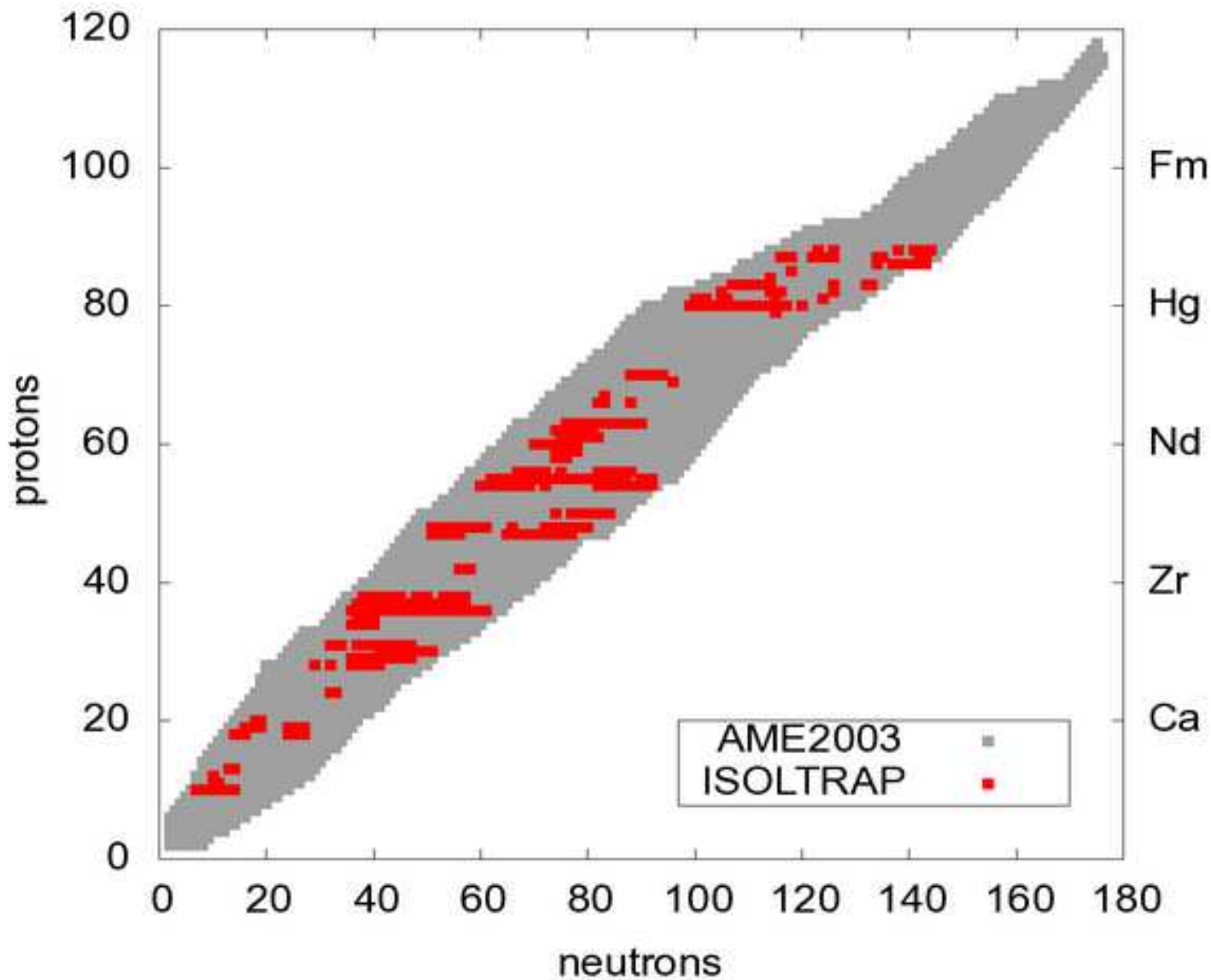
$T_{\text{exc}} = 1 \text{ s}, N=100$

AME [$T_{1/2} \Rightarrow 1 \text{ s}$]





High-precision mass measurements with Penning traps





High-precision mass measurements with Penning traps

⁷⁴Rb₃₇

64.776 ms 0⁺
M⁻ 51916 (3)
 β^+ =100%
 β^+ p?

ISOLTRAP

A. Kellerbauer et al., PRL 93 (2004) 072502

³⁸Ca₂₀

443.77 ms 0⁺
M⁻ 22058.50 (0.19)
 β^+ =100%

LEBIT

G. Bollen et al., PRL 96 (2006) 152501

¹¹Li₃

8.75 ms 3/2⁻
M 40728.3 (0.6)
 β^- =100%
 β^- n=86.3 (9)%...

TITAN

M. Smith et al., PRL 101 (2008) 202501

²⁵⁶Lr₁₀₃

27 s
M 91750 (80)
 α =85 (10)%
 β^+ =15 (10)%...

SHIPTRAP

E. Minaya Ramirez et al., Science 337 (2012) 1207





Outline

- ❑ How to perform a high-precision mass measurements ?
- ❑ **Increasing the sensitivity and the resolving power**
- ❑ Resolving large samples of contaminants

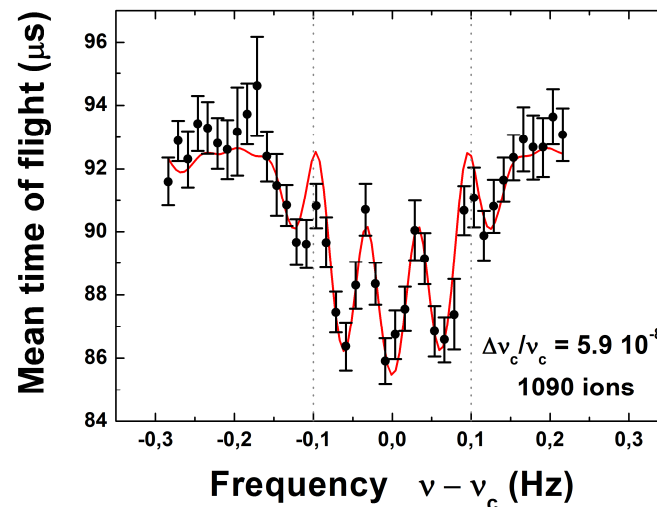
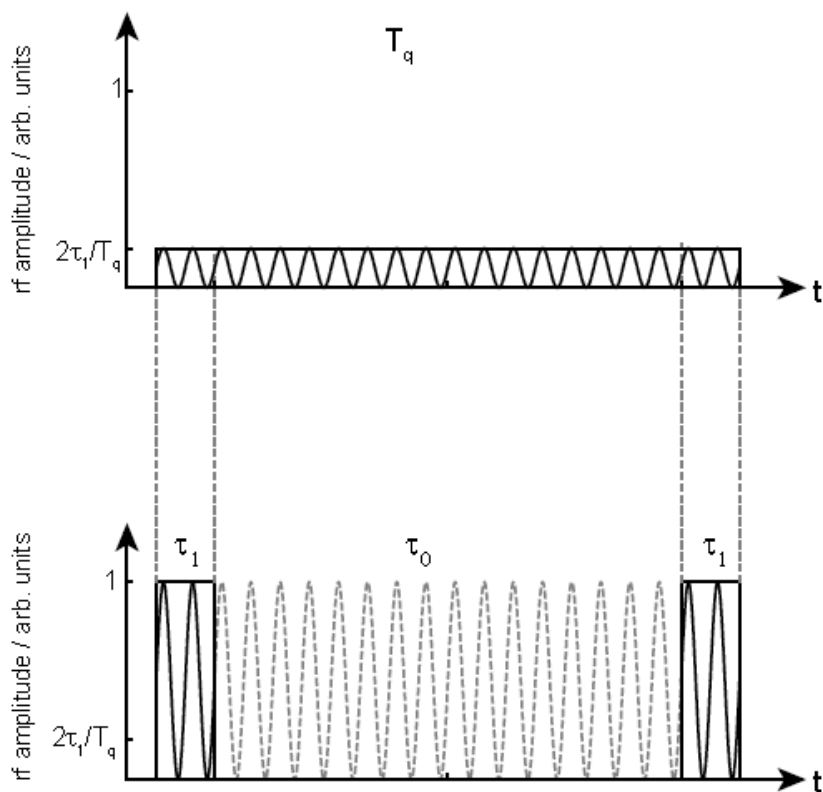




Increasing sensitivity and resolving power

→ Excitation schemes

Ramsey excitation : 3 fold gain in precision compare to TOF-ICR



Ramsey resonance
 $T = 10 + 5 + 10$ s, $^{133}\text{Cs}^+$

S. George et al., Phys. Rev. Lett. 98 (2007) 162501.

S. George et al., Int. J. Mass. Spectrom. 264 (2007) 110.

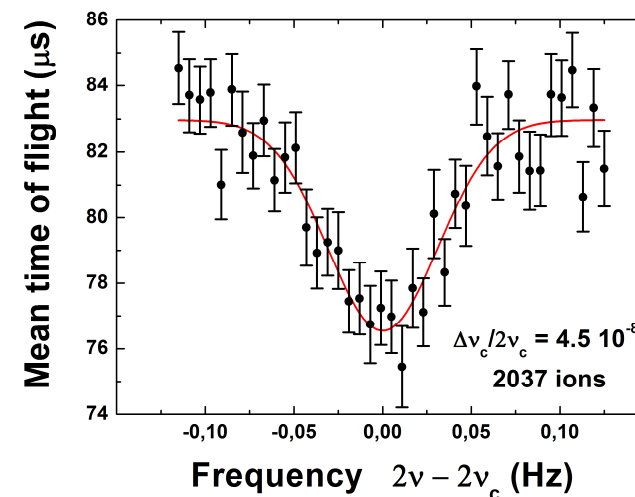
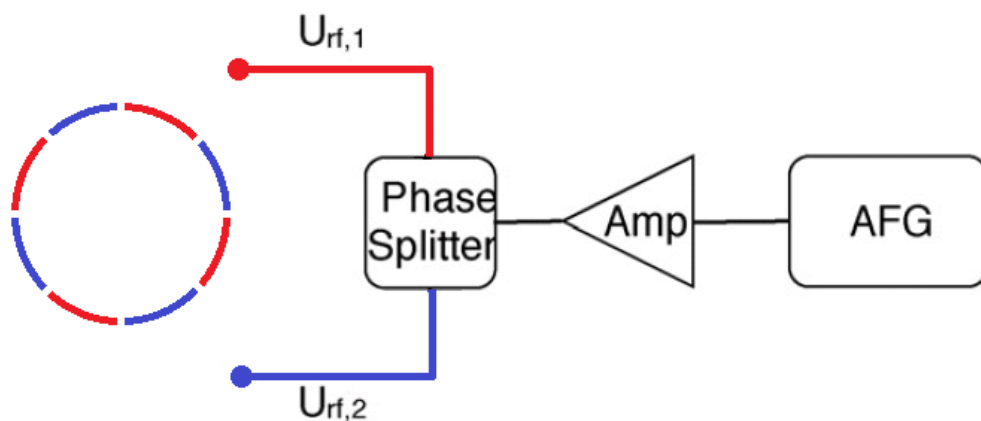




Increasing sensitivity and resolving power

→ Excitation schemes

Octupolar excitation :



Octupolar resonance

$T = 1 \text{ s}$, $^{133}\text{Cs}^+$

LEBIT: R. Ringle et al., *Int. J. Mass Spectrom.* 262, 33 (2007).

SHIPTRAP: S. Eliseev et al., *Int. J. Mass Spectrom.* 262, 45 (2007).

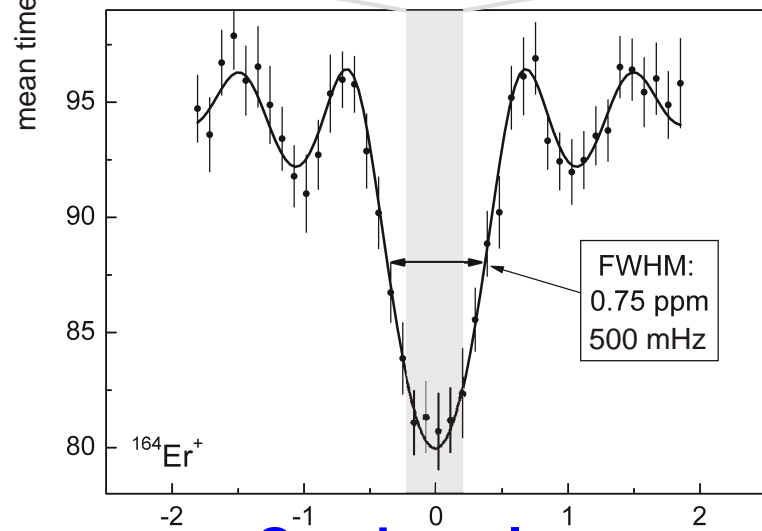
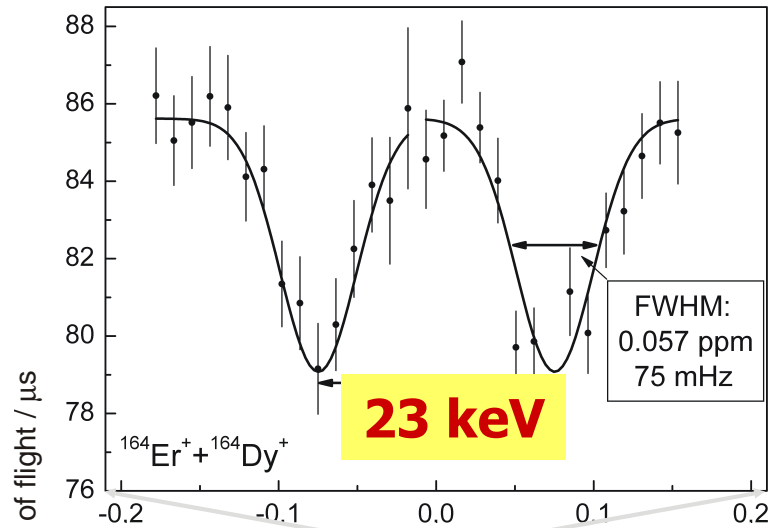
S. Eliseev et al., *Phys. Rev. Lett.* 107, 152501 (2011)





Increasing sensitivity and resolving power

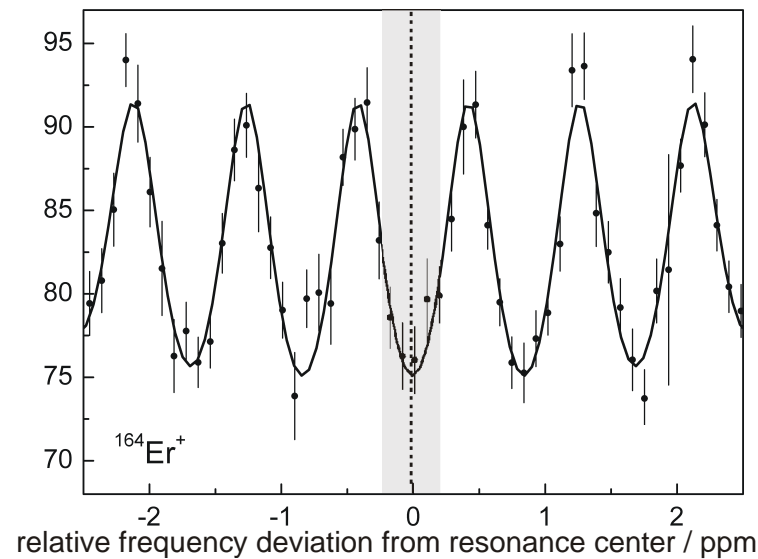
Octupolar



Quadrupolar

Octupolar excitation scheme leads to gain in resolving power by a factor of 10

$$R = 2 \cdot 10^7 \text{ (for } T_{\text{exc}} = 2 \text{ s)}$$



Quadrupolar Ramsey

S. Eliseev et al., Phys. Rev. Lett. 107, 152501 (2011)

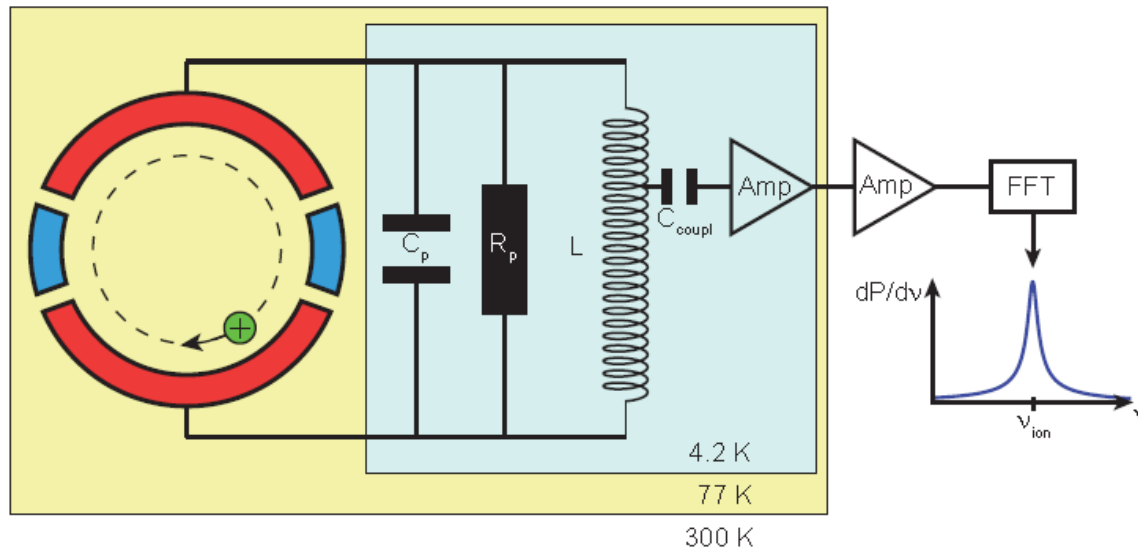




FT-ICR: non-destructive detection system

→ Increase sensitivity of detection

Narrow-band FT-ICR (Fourier Transform Ion Cyclotron Resonance)



High Q-inductor

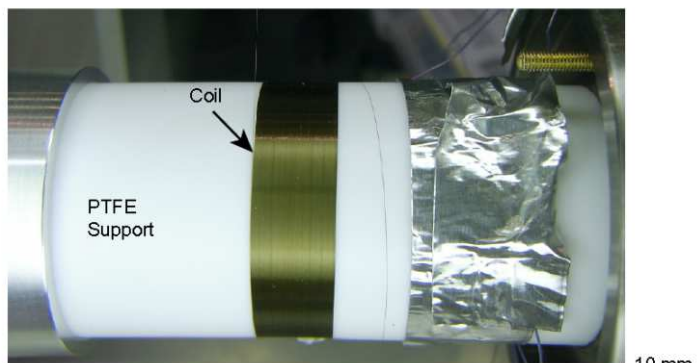
Induced signal → only a few fA

high precision mass measurements
with a single ion: $\Delta m/m < 10^{-11}$

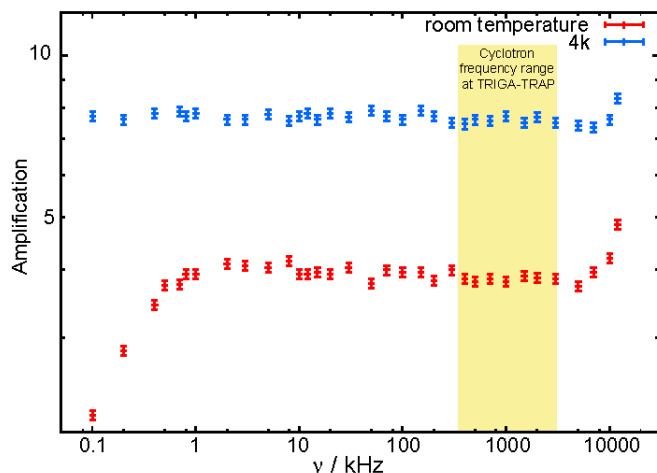
→ Possibility to use the same ion for others measurements



FT-ICR: non-destructive detection system

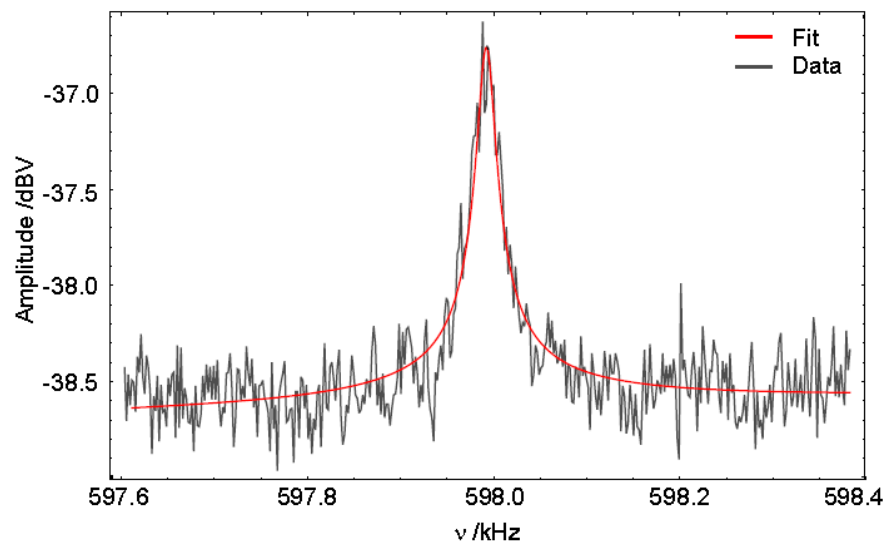


Superconducting coil



Frequency response of the cryogenic amplifier

TRIGA-TRAP (MAINZ)



Resonance spectrum

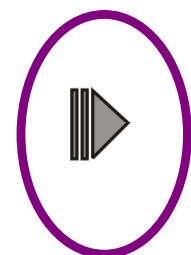
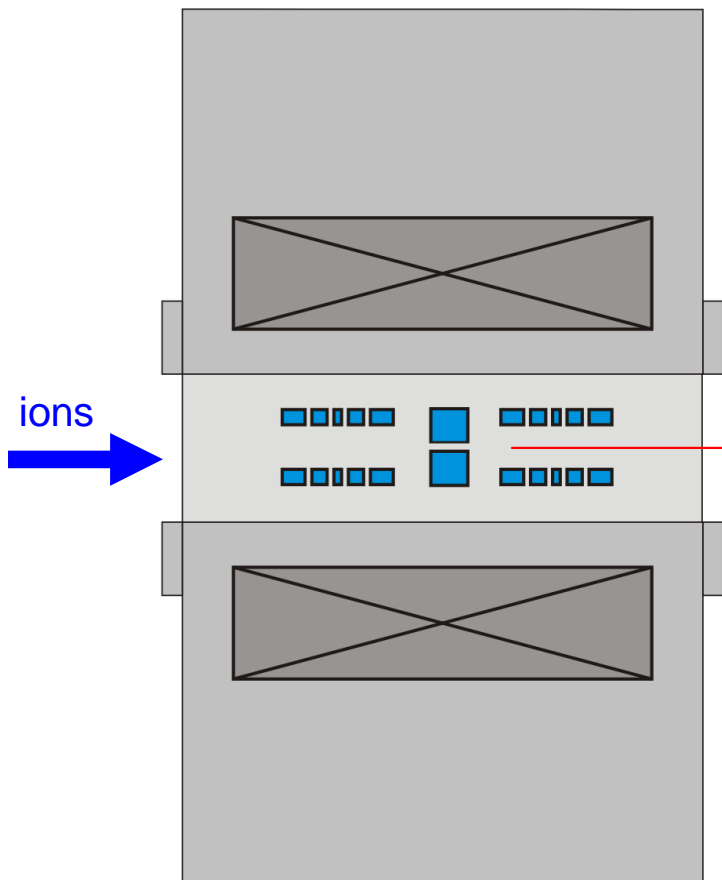
$$Q = 27(2) 103, \quad V_{LC} = 597992.1(6)\text{Hz}$$
$$L_{\text{coil}} = 2.9(5) \text{ mH}, \quad C_{\text{coil}} = 14.1(4.6) \text{ pF}$$

M. Eibach Phd thesis

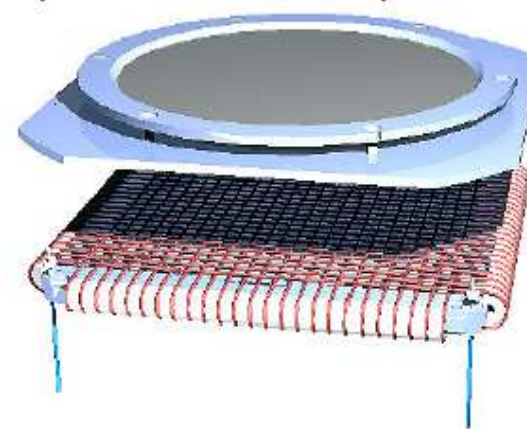




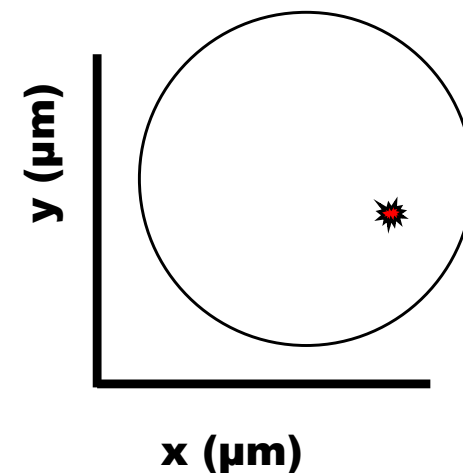
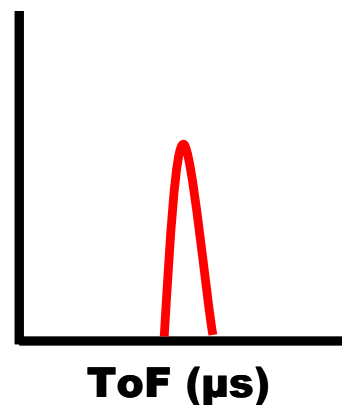
Phase Imaging Ion Cyclotron Resonance (PI-ICR)



Delay-Line Detector by Roentdek GmbH



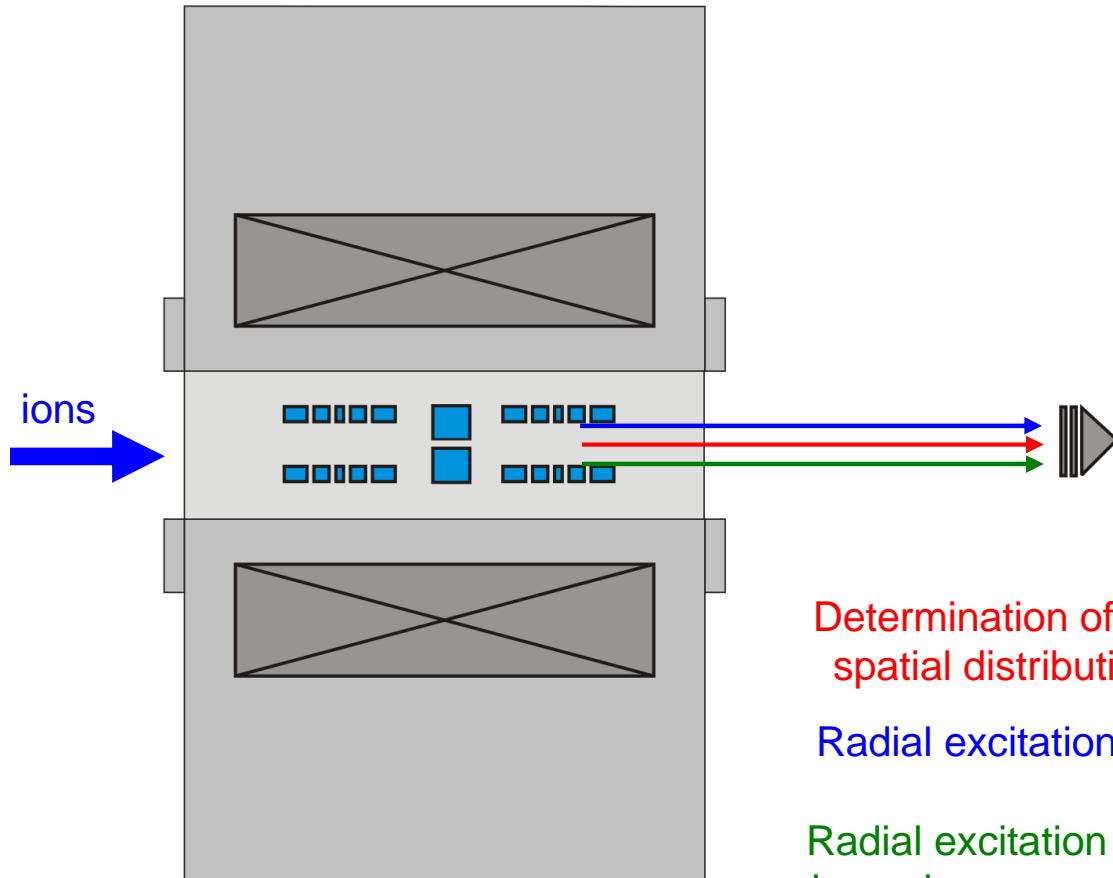
Position sensitive detector



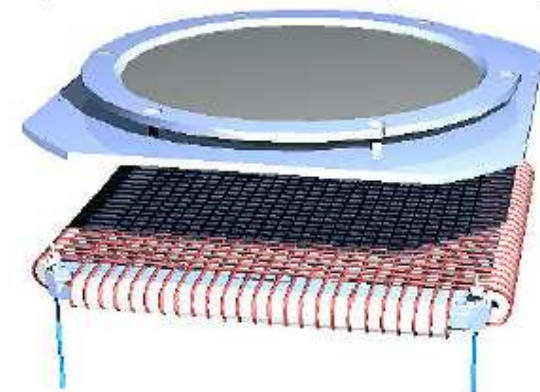
- position resolution : 70 μm
- active diameter : 42 mm



Phase Imaging Ion Cyclotron Resonance (PI-ICR)



Delay-Line Detector by Roentdek GmbH

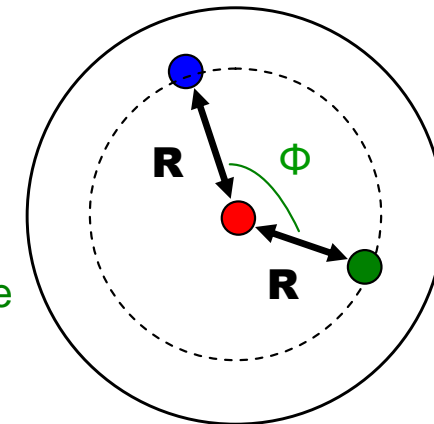


Independent Measurements of Eigenfrequencies ν_+ and ν_-

Determination of the spatial distribution

Radial excitation

Radial excitation followed by a phase accumulation time



$$\phi + 2\pi n = 2\pi\nu t$$

$$\Delta\nu = \frac{\Delta\phi}{2\pi t} = \frac{\Delta R}{\pi t R}$$

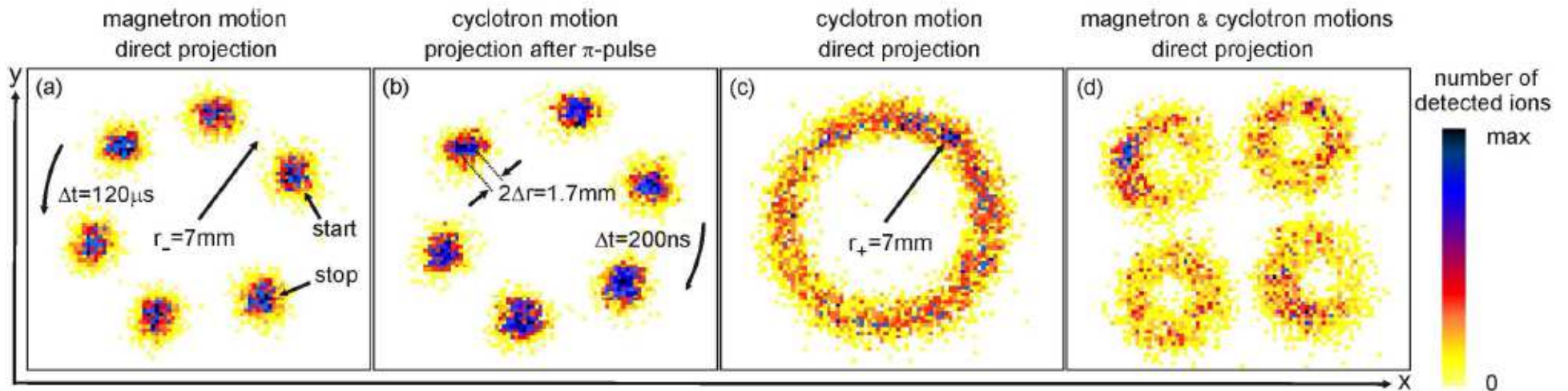


Phase Imaging Ion Cyclotron Resonance (PI-ICR)

- Image ion motion
- Determine phase of ion motion
- Excite ions
- Determine phase after evolution time

$$\phi + 2\pi n = 2\pi\nu t$$

$$\Delta\nu = \frac{\Delta\phi}{2\pi t} = \frac{\Delta R}{\pi t R}$$

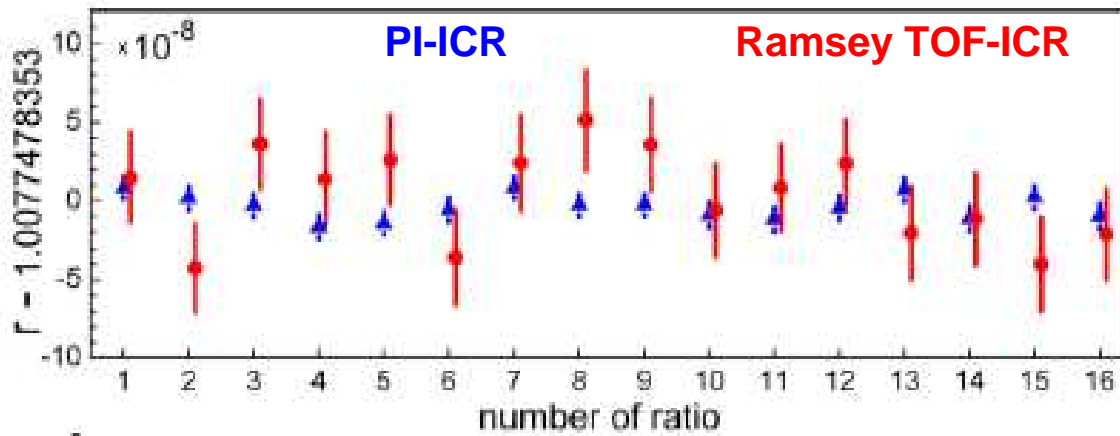


S. Eliseev et al., *Appl. Phys B* 114 (2014) 107





Phase Imaging Ion Cyclotron Resonance (PI-ICR)



$$\Delta M_{\text{shiptrap}} = M(^{130}\text{Xe}^+) - M(^{129}\text{Xe}^+)$$

$$\Delta M_{\text{FSU}} - \Delta M_{\text{shiptrap}} = 690 (880) \text{ eV}$$

$$\Delta M_{\text{FSU}} - \Delta M_{\text{shiptrap}} = 180 (240) \text{ eV}$$

S. Eliseev et al., Phys. Rev. Lett. 110, 082501 (2013)

compared to standard technique:

→ 40 fold gain in resolving power

→ 5 fold gain in precision

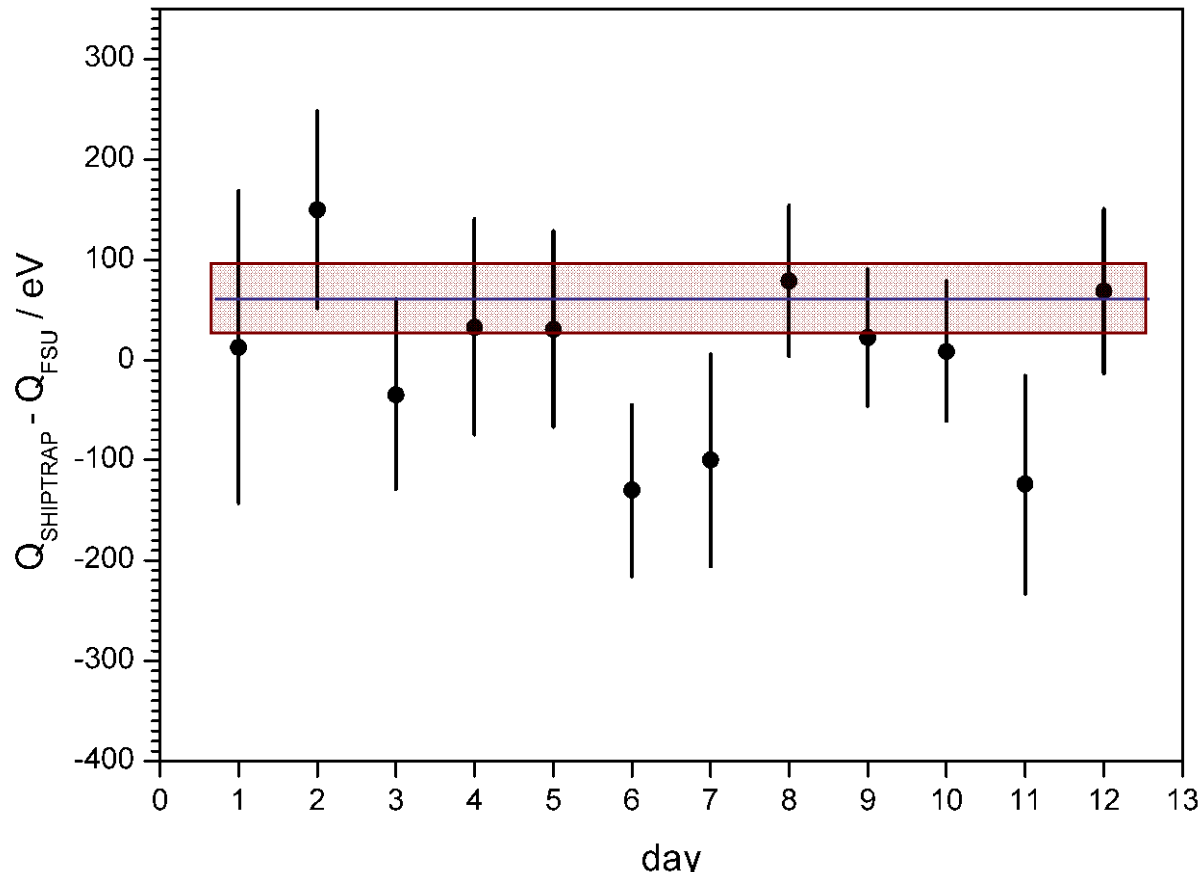
→ 25 faster than the Ramsey TOF-ICR

High precision mass measurements of short-lived nuclides and produced with low production rates.



PI-ICR technique at SHIPTRAP

$$\Delta M = M(^{132}\text{Xe}) - M(^{131}\text{Xe})$$



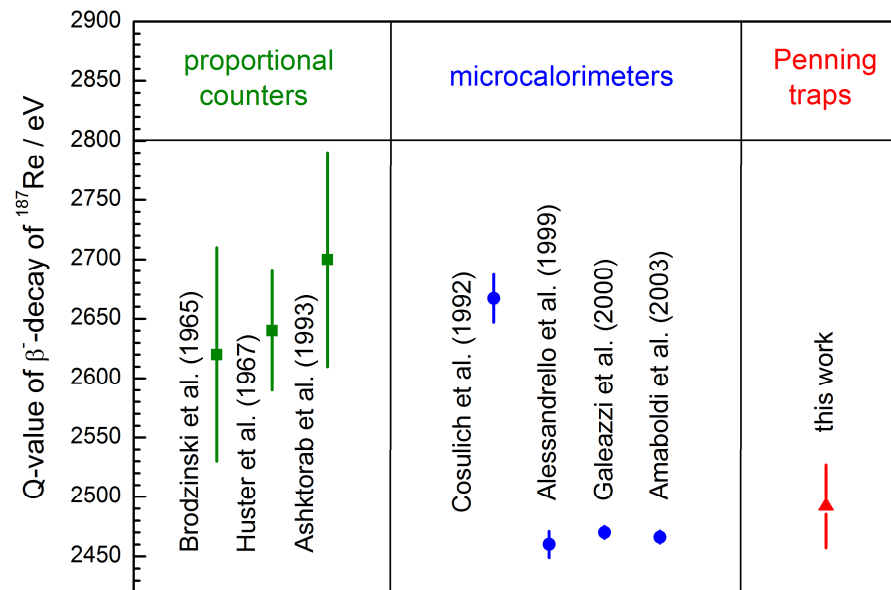
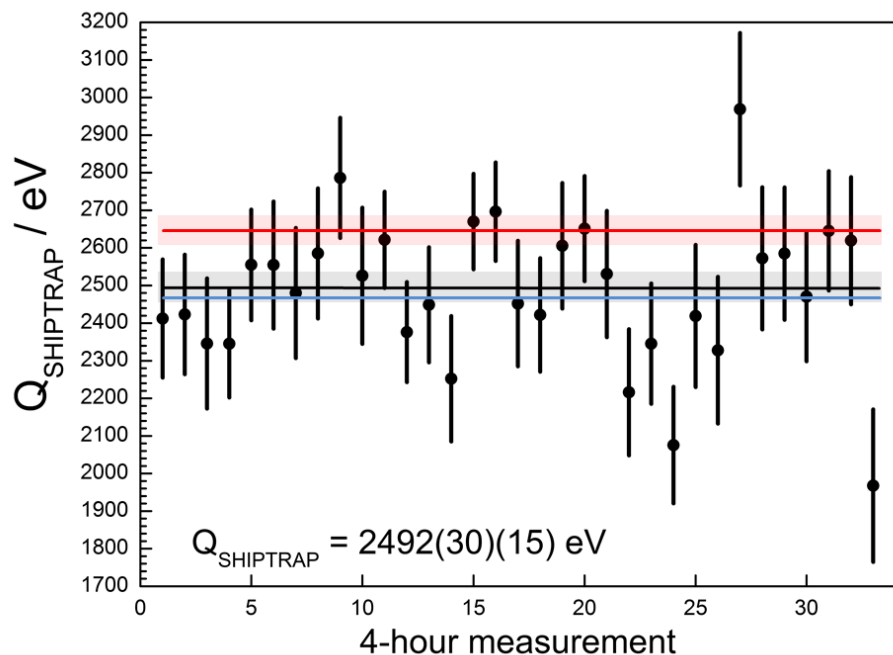
first ever measurement of mass difference
of ***singly charged*** medium-heavy **non-mass-doublets**
with a relative accuracy of $2 \cdot 10^{-10}$!!!





Q-value of the β^- - decay of ^{187}Re

SHIPTRAP measurement (April 2014) of
 $M(^{187}\text{Re}) - M(^{187}\text{Os}) = 2492 (30_{\text{stat}}) (15_{\text{sys}}) \text{ eV}$



$$\delta R/R < 3 \times 10^{-10}$$





Outline

- ❑ How to perform a high-precision mass measurements ?
- ❑ Increasing the sensitivity and the resolving power
- ❑ **Resolving large samples of contaminants**

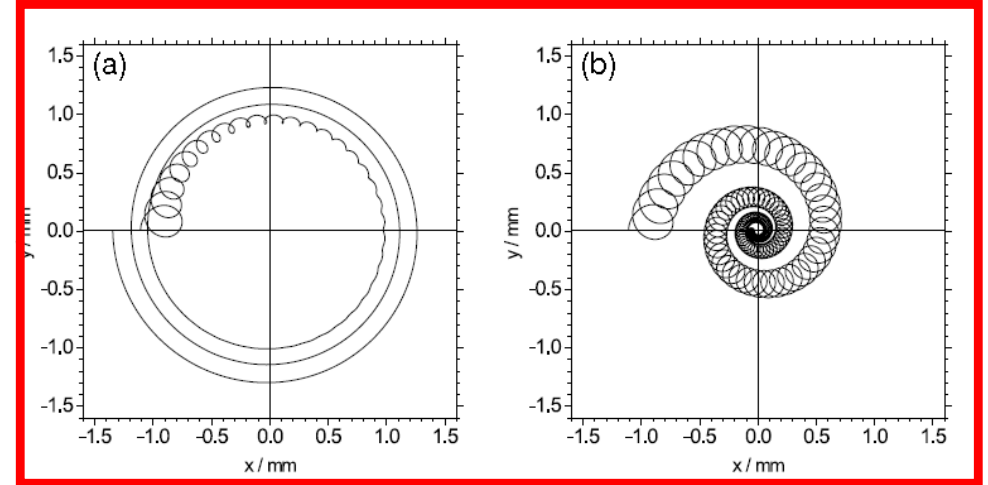
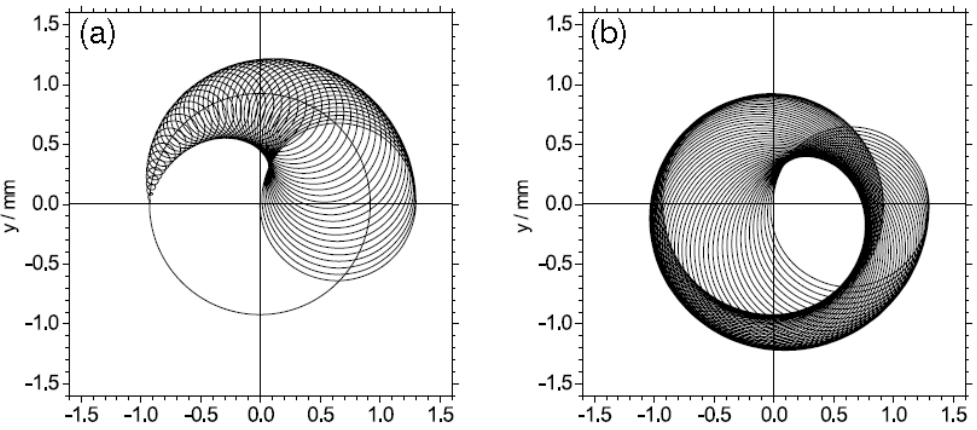
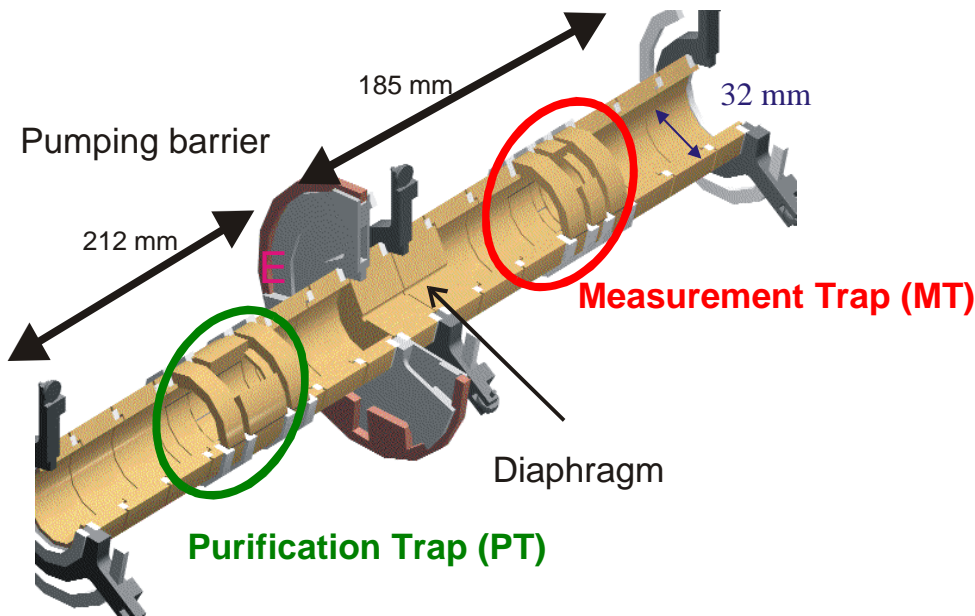




High-capacity separation

Double penning trap

→ Buffer gas cooling technique



Limitation $\approx 10^3$ ions/bunch

The space charge changes the total potential seen by the ions



High-capacity separation

- ❑ Resolving power : $m/\Delta m = 10^5$
- ❑ Purify very large samples $> 10^5$ ions / bunch
- ❑ Cleaning process : a few ms

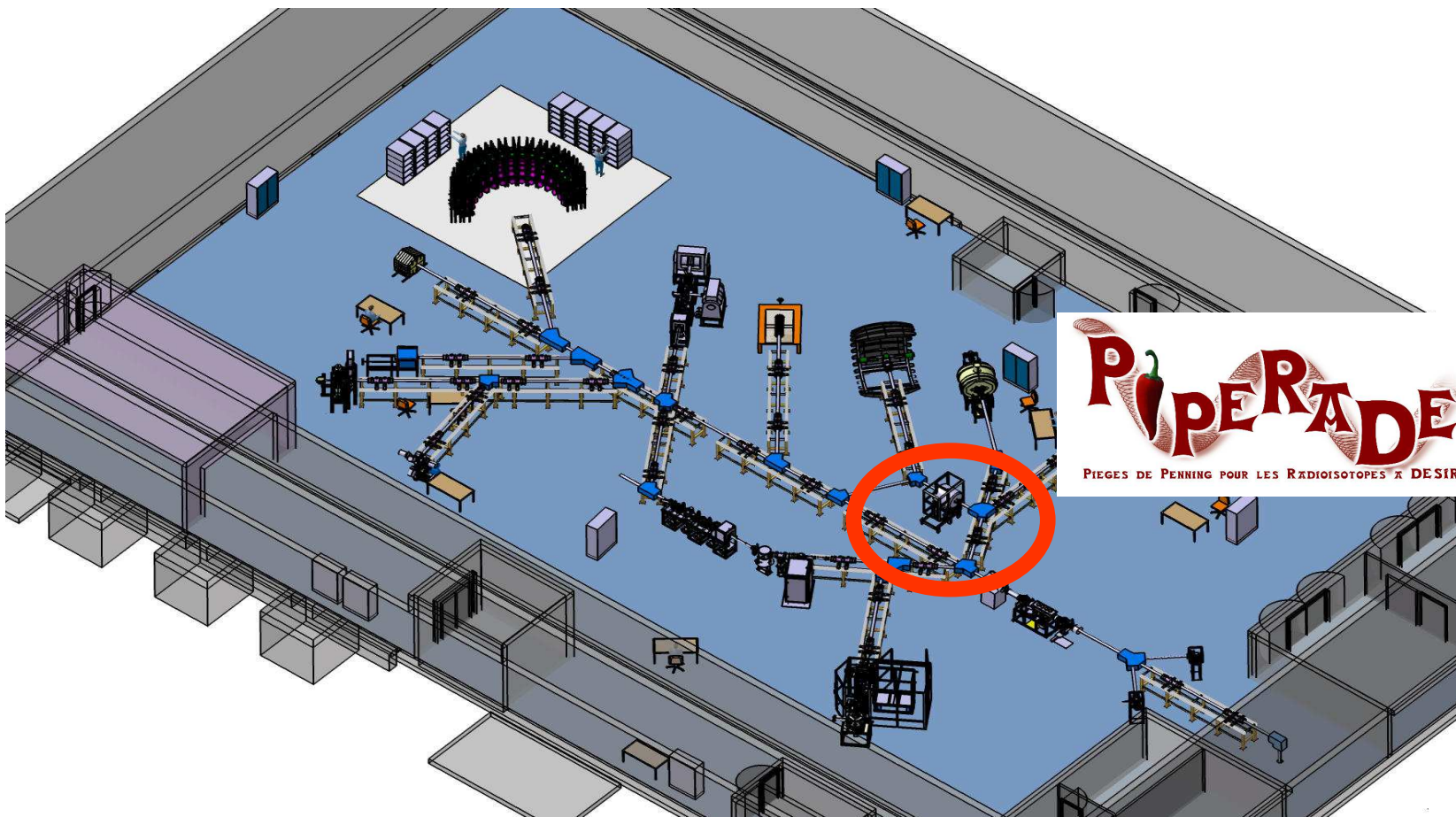
→ New separation techniques
→ Special geometry for the trap





DESIR @ SPIRAL2

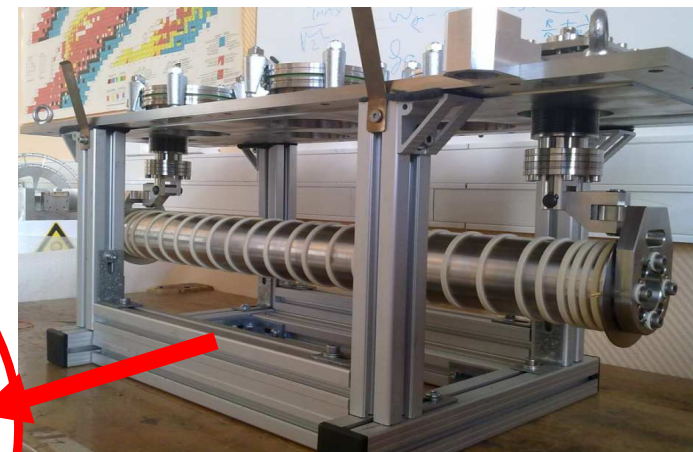
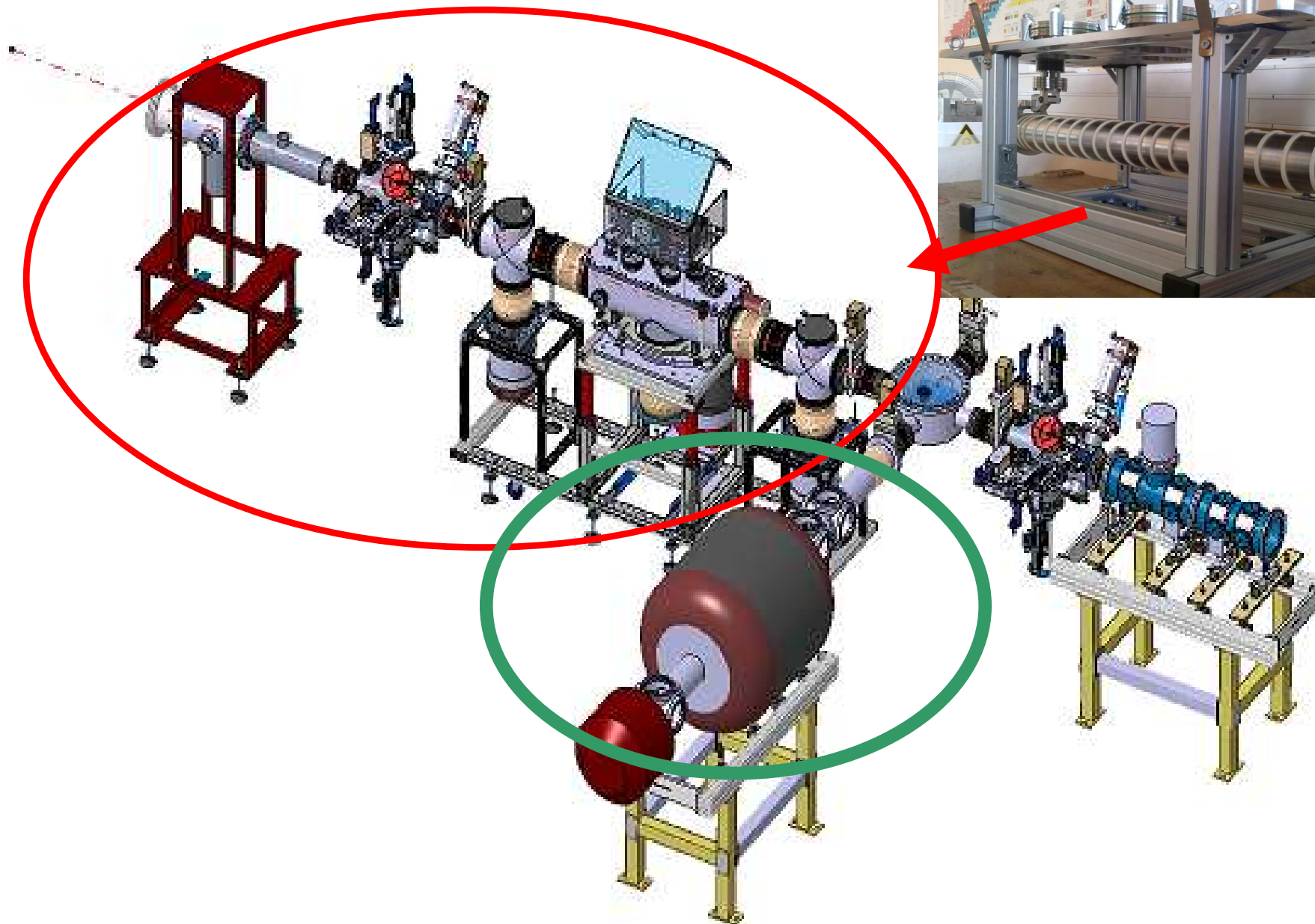
A low-energy RIB facility dedicated to the study of the fundamental properties of the nucleus in its ground and isomeric states



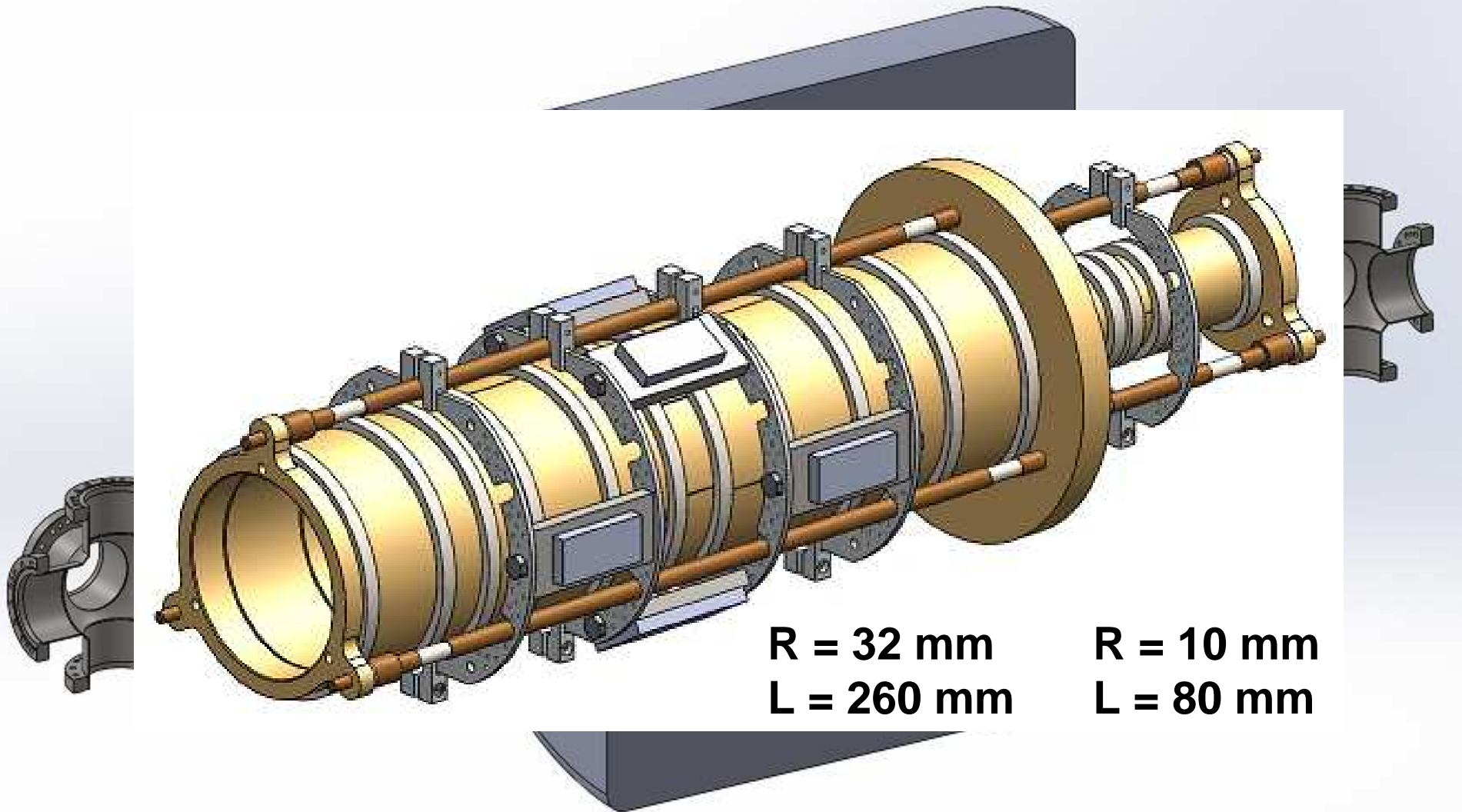


PIPERADE @ CENBG

MAX-PLANCK-INSTITUT FÜR KERNPHYSIK



PIPERADE @ MPIK



A double Penning trap for purification and accumulation



SIMULATIONS : Space charge effects

SIMBUCA code : Simulation of **I**on **M**otion in a Penning trap with realistic **B**uffer gas collisions and **C**oulomb interaction using **A** Graphics Card

- Study of the space charge effects
- Study of existing techniques with a high number of ions
- Simulations of new isobaric separation techniques

S. Van Gorp et al., NIM A 638, 192200 (2011)

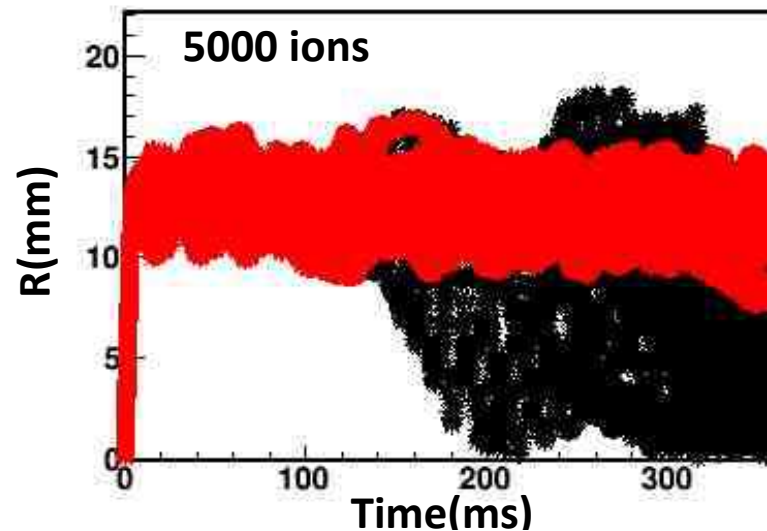
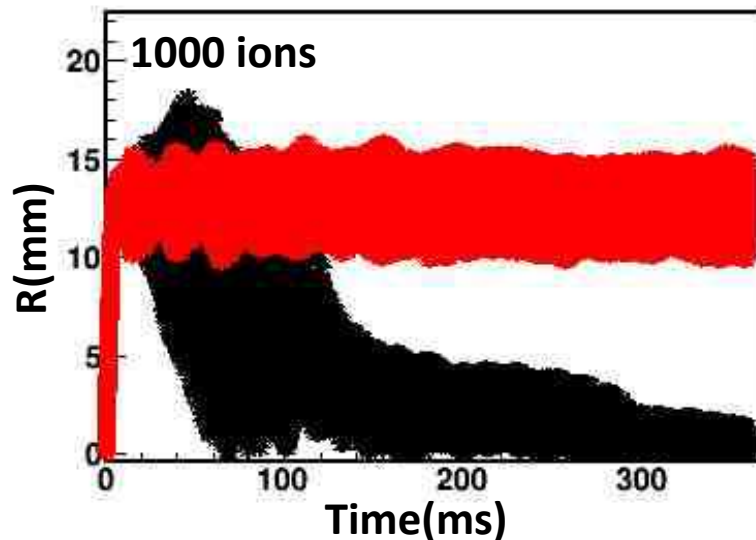
S. Van Gorp and P. Dupré, AIP Conf. Proc. 1521 300 (2013)



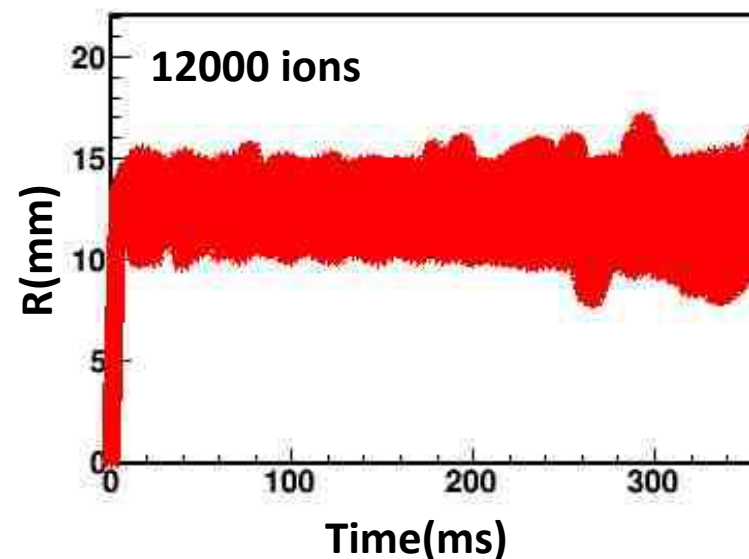


SIMULATIONS : Space charge effects

90% ^{136}Te , 10% ^{136}Sb $P = 10^{-4}$ mbar



Increasing the number of ions
makes the re-centering inefficient



Additional potential created by the cloud itself

- f-shifts
- peak broadening
- screening effects

Expand the cloud to decrease the density



SIMULATIONS : isobaric separation

Existing techniques

- Dipole cleaning
- SWIFT technique
- SIMCO Excitation
- Anti Rotating Wall Technique

Exploring new techniques

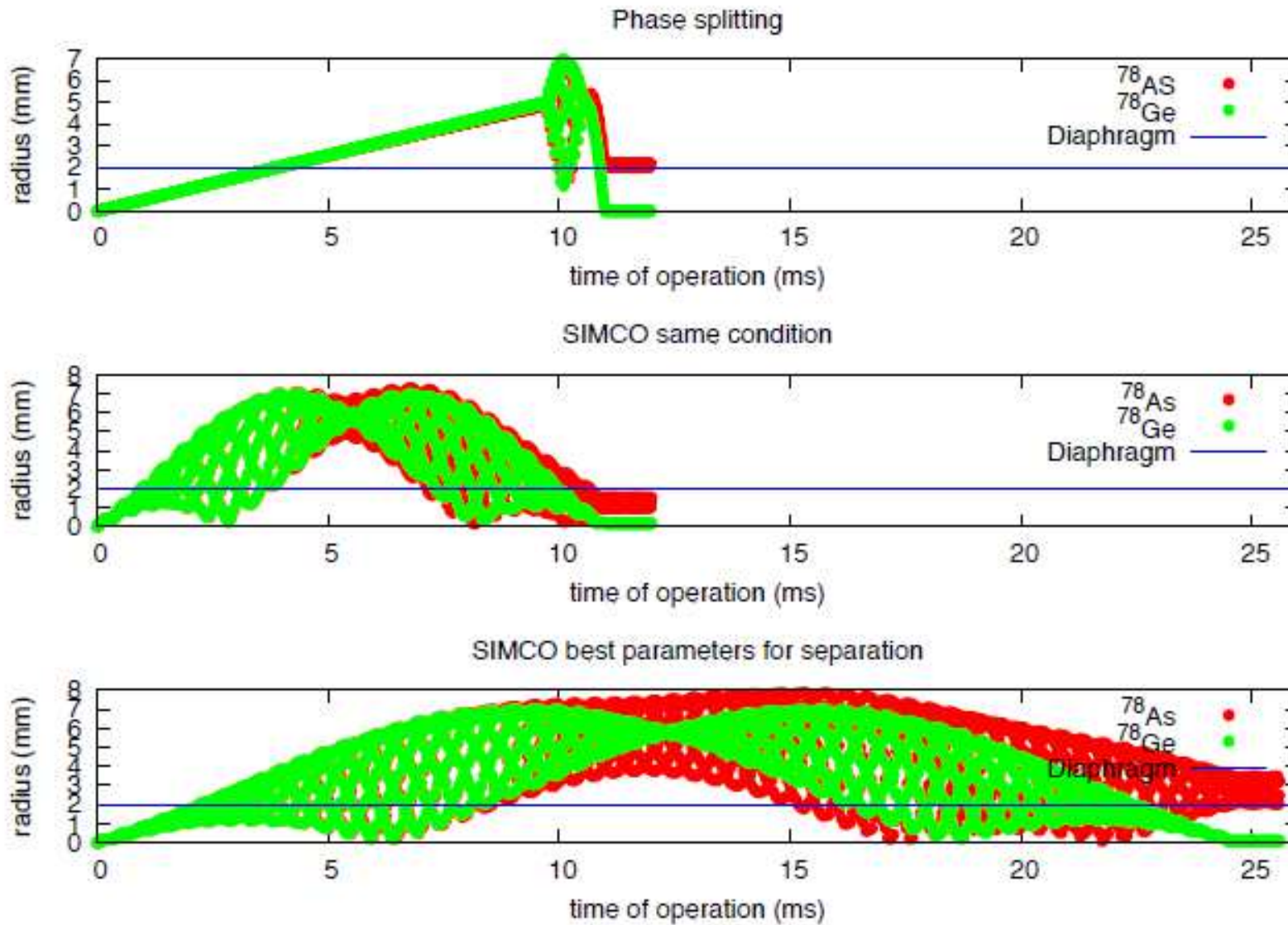
phase splitting technique

- no dependence on the contaminants
- no buffer gas
- great power of separation
- faster by a factor 2 than the SIMCO technique





SIMULATIONS : isobaric separation





Outlook

High accurate masses of exotic nuclides have been performed using the TOF-ICR method

Different excitation schemes can improve the resolving power of the standard technique

The implementation of new detection techniques will further increase the mass measurements of very exotic nuclides

PIPERADE will develop new isobaric separation techniques for high-capacity separation

