

$\Lambda\Lambda$ reconstruction from pp@ $\sqrt{s}=3.46$ GeV

Update for CS estimates and systematics



Motivation and Λ - Λ topology



Analysis steps and Cross-section: $\sigma_{\Lambda\Lambda}$



Systematic Uncertainties



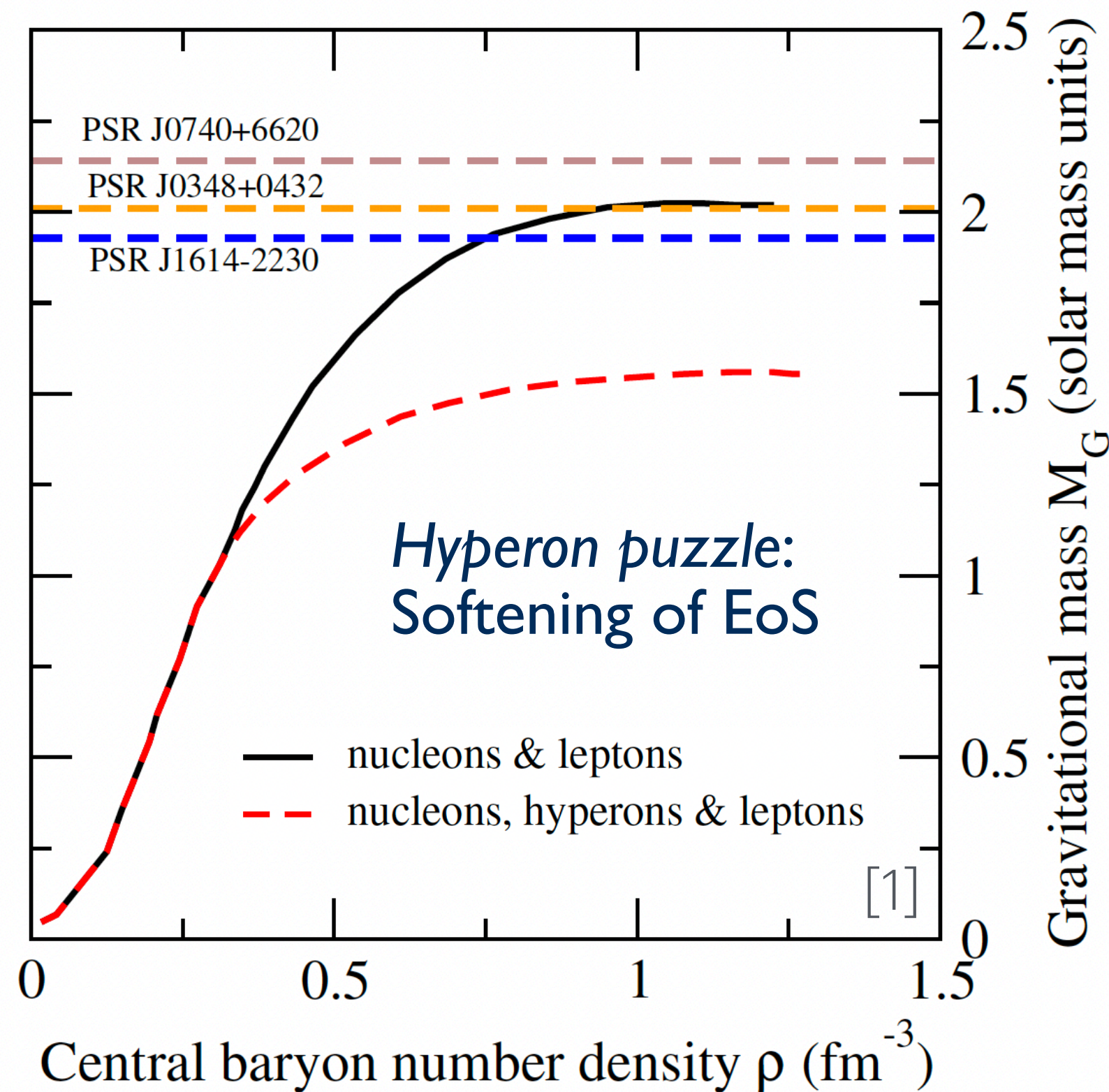
Single- Λ CS



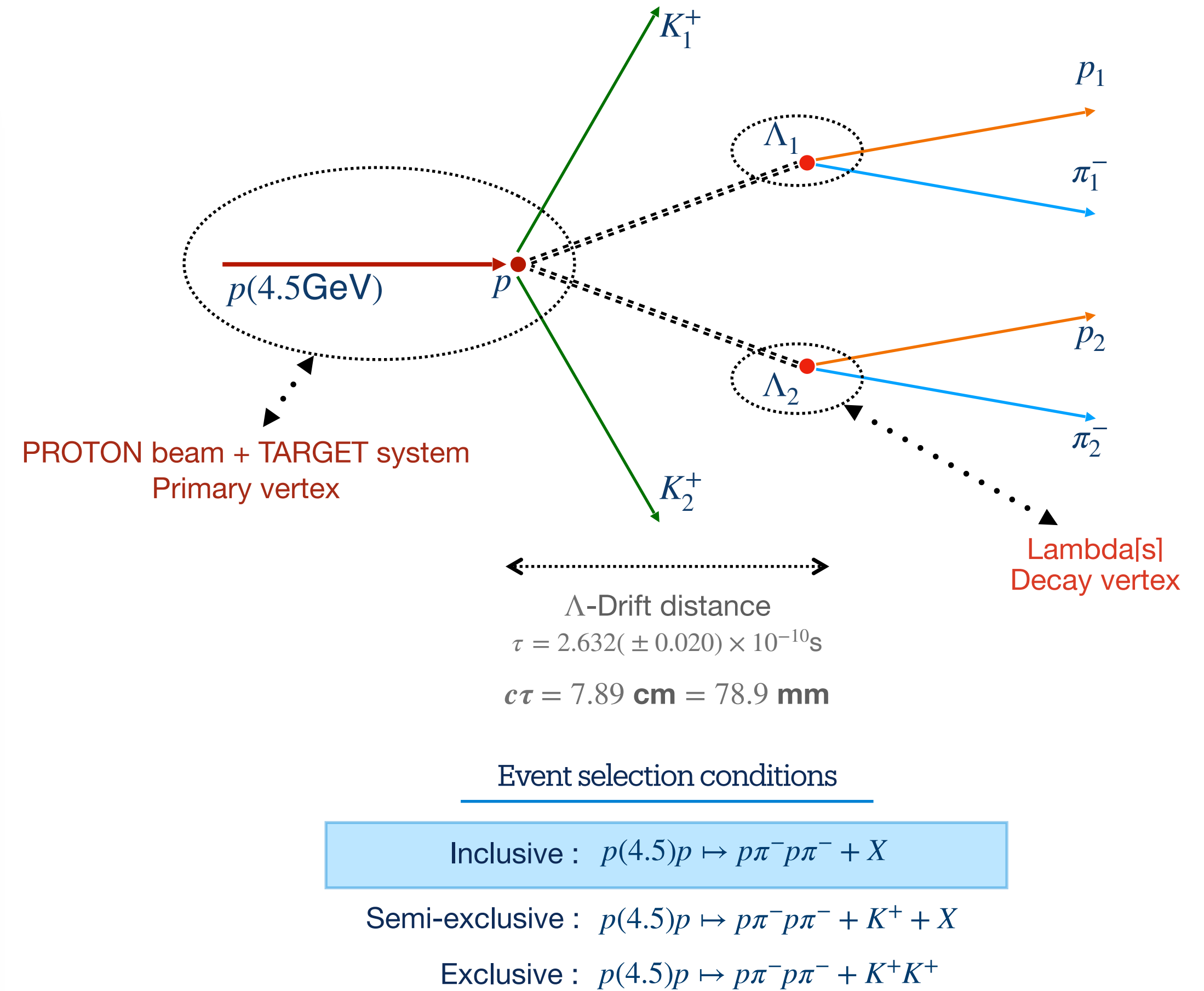
Summary and outlook

Motivation: Neutron stars and $\Lambda\Lambda$ studies

- Conditions (energy, pressure, temperature) inside *neutron stars* are favourable for *strangeness production: Hyperonization*



- Λ - Λ interaction studies at low rel. momentum *may* help solve the Hyperon puzzle



- Complex reaction topology with 6 final states with 2 displaced vertices
- $p (4.5 \text{ GeV}) p \rightarrow \Lambda\Lambda + K^+K^+ (\sqrt{s_{pp}} = 3.46 \text{ GeV}) \rightarrow$ Excess kinetic energy (T) of 0.24 GeV (CoM)

[1] Plot: I. Vidana, Generic model with and without hyperons

Analysis stages

Exp. duration: 28 days (Feb22)

Data size \approx 155 Tb

DSTs = gen03

Luminosity: $\approx 5.66 \pm 0.26 \text{ pb}^{-1}$

Broad Selections/Corrections

kIsUsed Flag

Beam tilt correction

Energy loss correction

S0

Particle Identification (PID) (MIN 4 Tracks)

- p, π^-, K^+, π^+ using relative-ToF method

S1

First-selection of the data

- Missing Mass selection with $pp \mapsto p\pi^-p\pi^- + X$: $M_X > 0 \text{ MeV}/c^2$

- To suppress Kapton Window tracks

S2

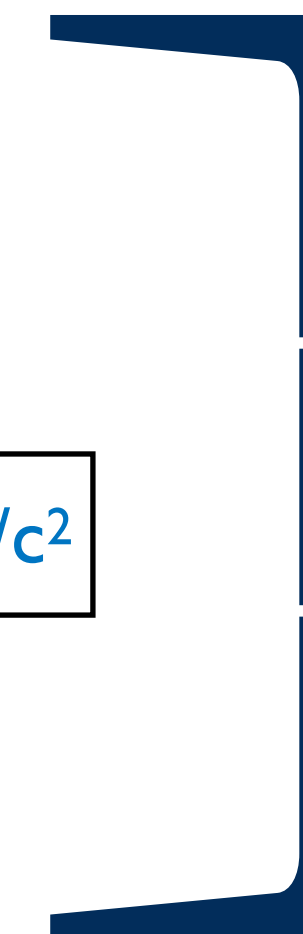
Lambda reconstruction and selection

- $\Lambda\Lambda$ candidate selection with Physics cut-based

- Randomisation of Lambda candidate assignment as Λ_1 or Λ_2

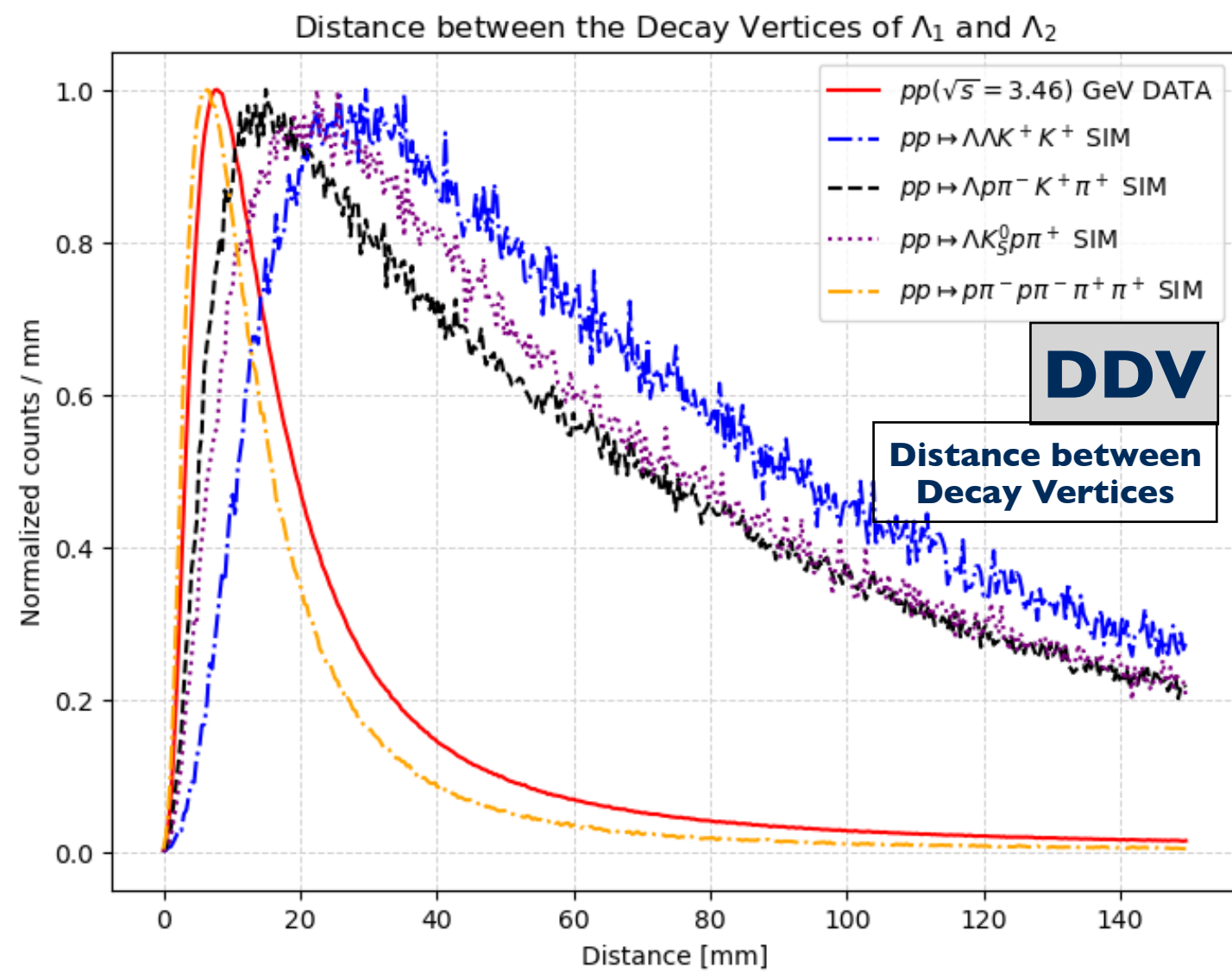
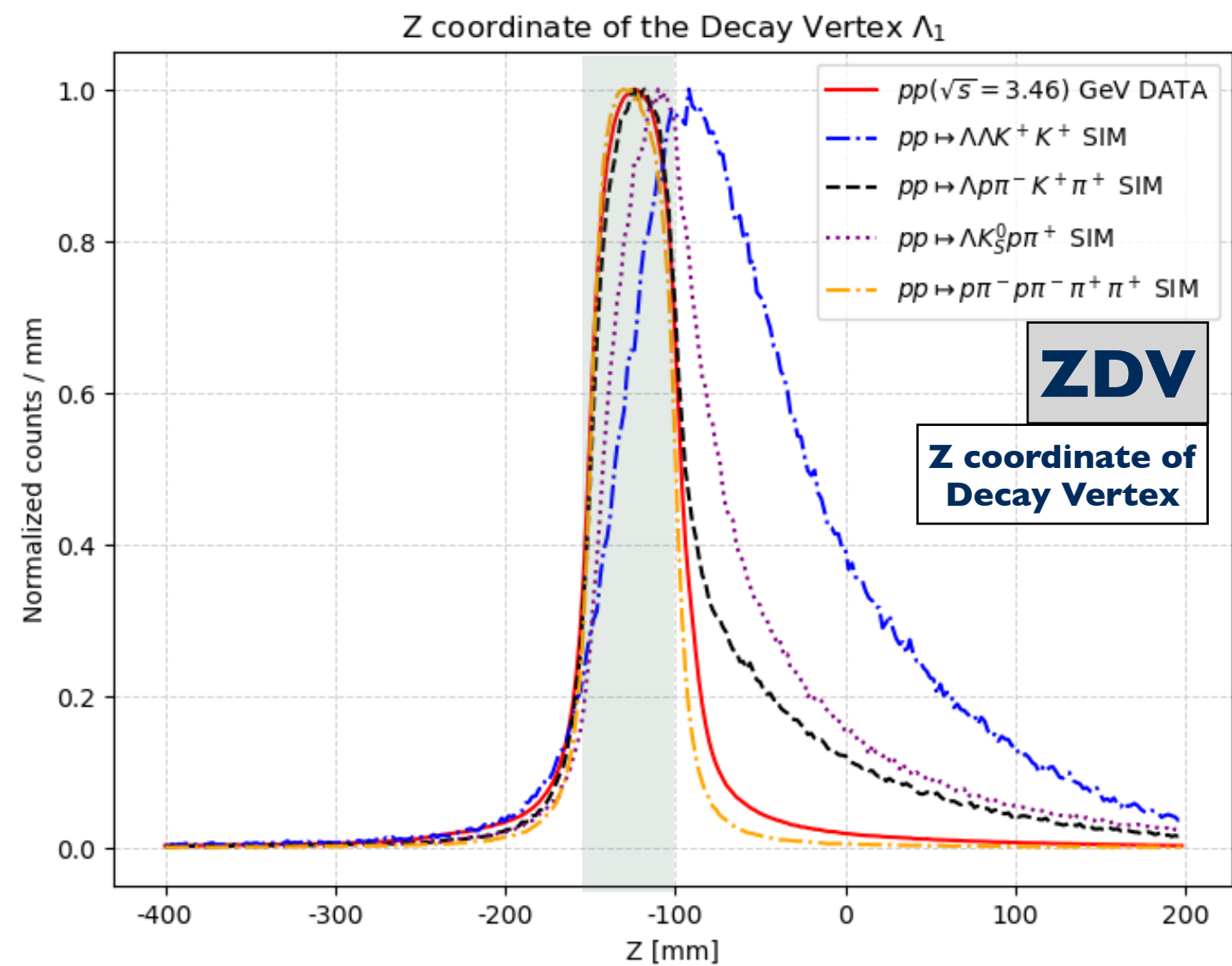
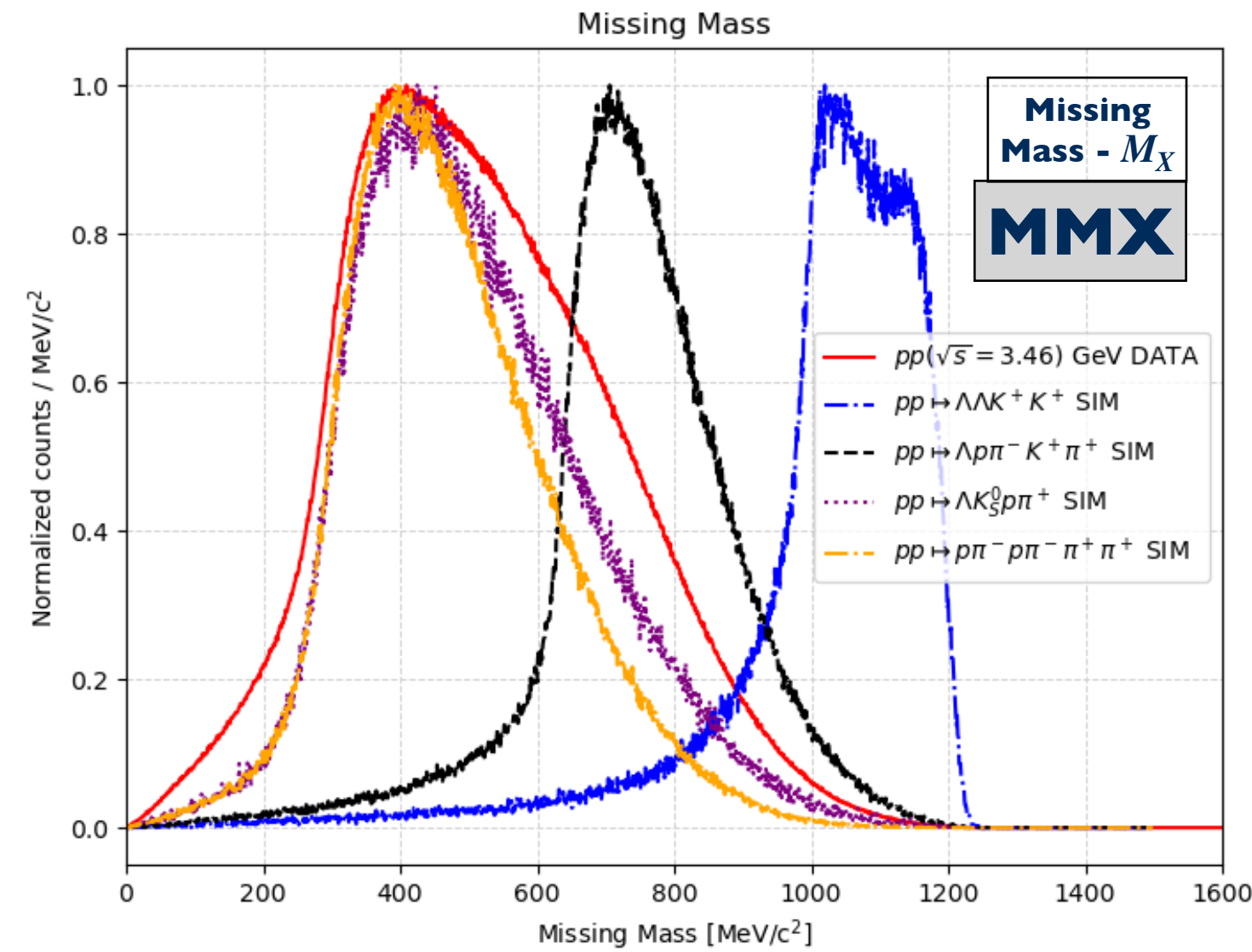
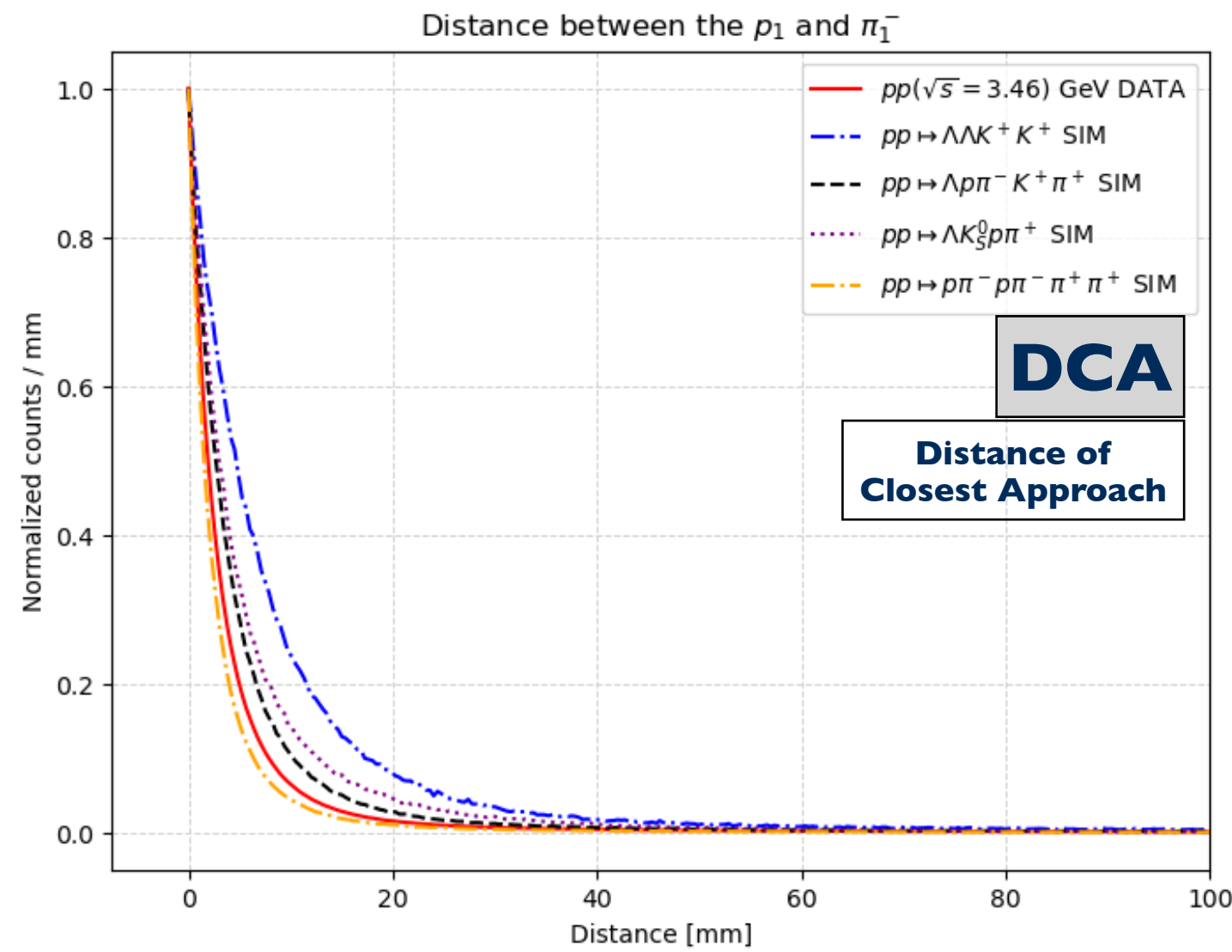
S3

Optimising the cuts to suppress background



Details in the backup

Stages-S3: Optimization



Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X^- ; X \mapsto K^+, K^+ :$
 Λ - Λ Signal

SIG: $pp \mapsto \Lambda \Lambda K^+ K^+$

B. $pp \mapsto \Lambda p \pi^- + X:$

Single- Λ + uncorrelated

OLBG: $pp \mapsto \Lambda p \pi^- K^+ \pi^+$

KSBG: $pp \mapsto \Lambda K_S^0 p \pi^+$

C. $pp \mapsto p \pi^- p \pi^- + X; X \mapsto \pi^+ \pi^+ :$

Pure non-resonant channel

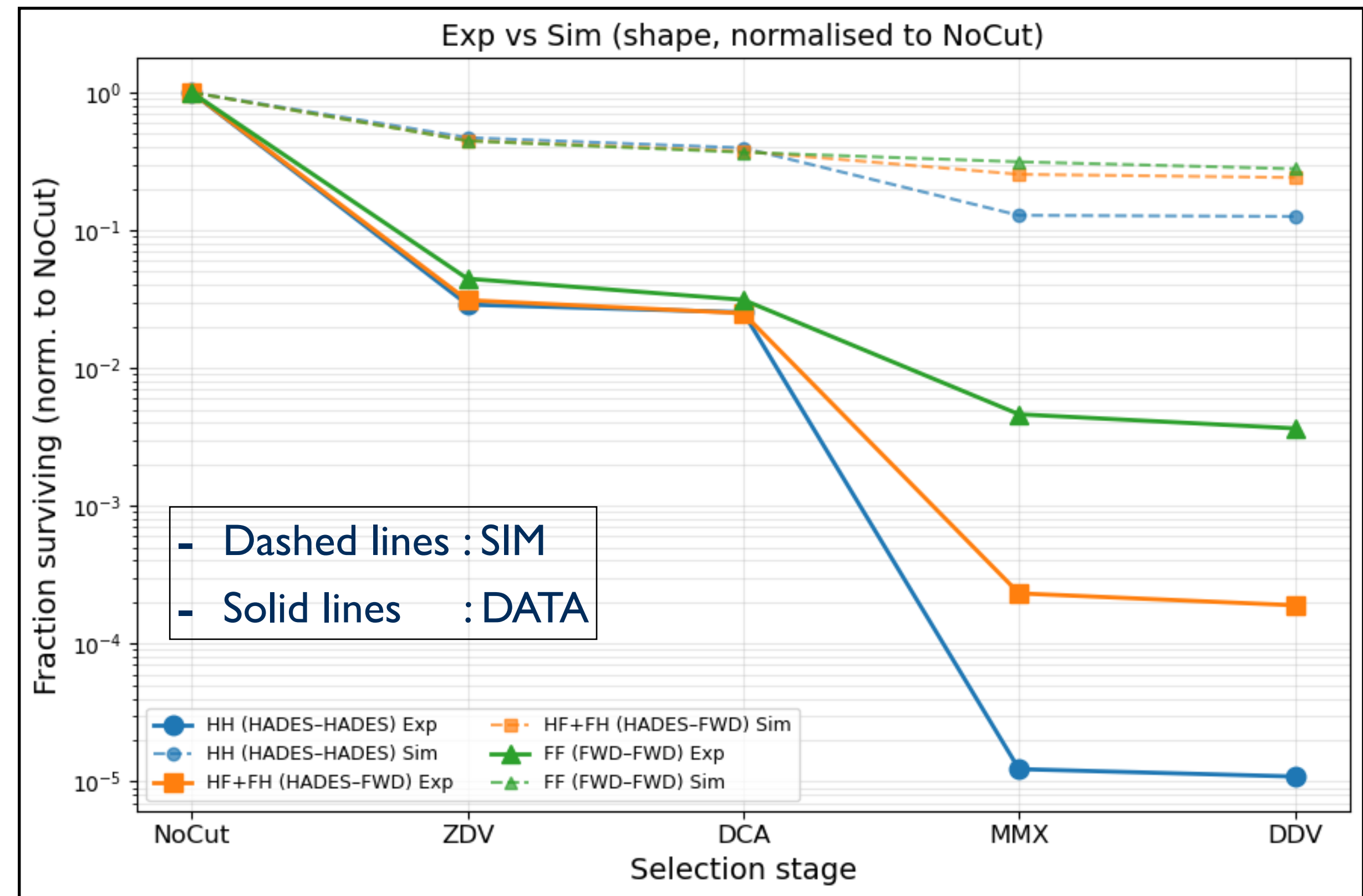
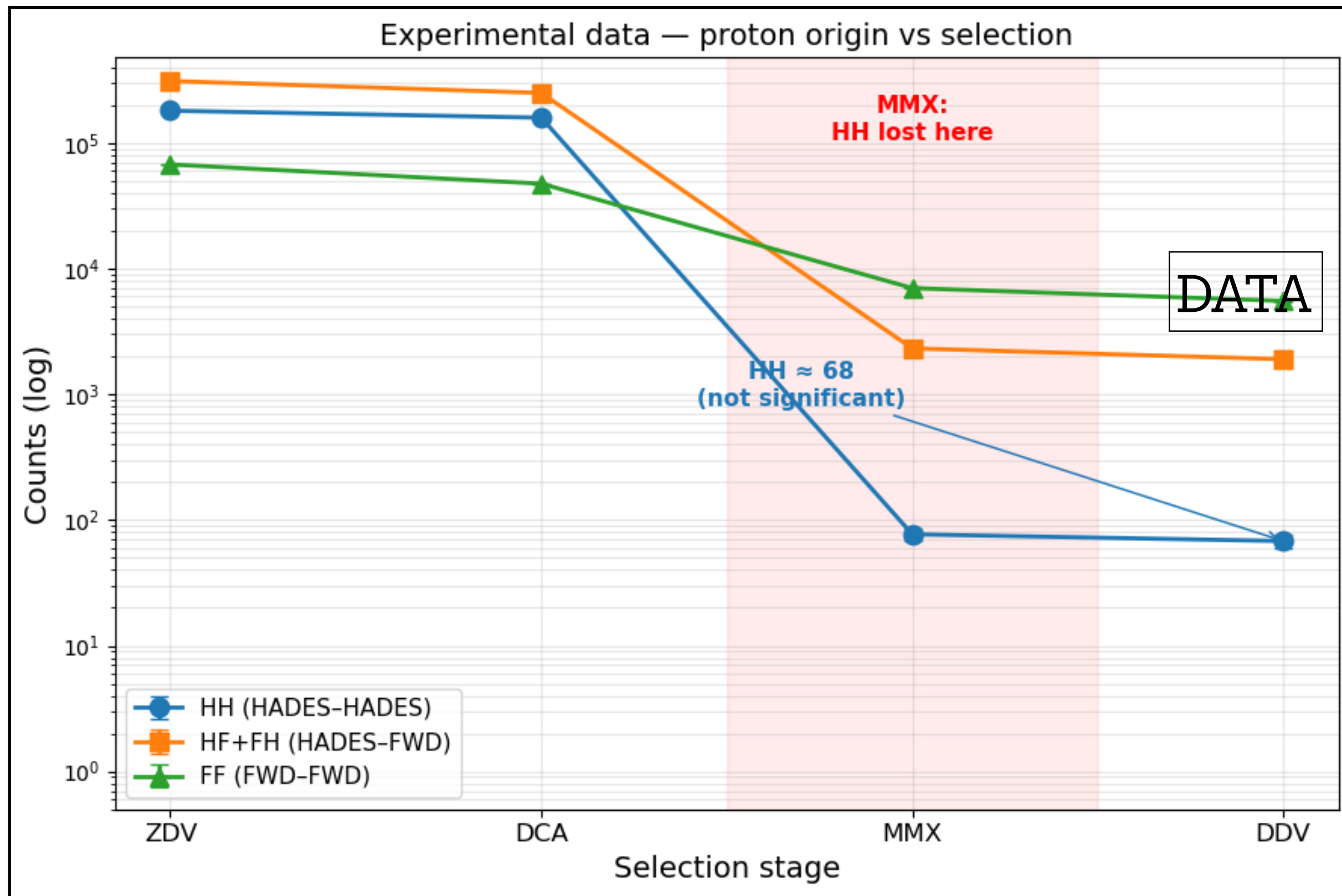
NRBG: $pp \mapsto p \pi^- p \pi^- \pi^+ \pi^+$

Pion Plus Veto (PPV), π^+ tracks as **VETO** to suppress BG channels

The PPV keeps most of the signal (97%) but rejects only part of the backgrounds

Proton Statistics

- HH: p of both Λ candidates are in HADES
- HF: p of at least one Λ candidate is in HADES
- FF: p of both Λ candidates are in FWD



- Missing Mass selection (MMX) is where we lose much of the HH events
- HH events aren't statistically significant enough to extract counts (on the order of 10 events)
- **Simulations show MMX selection is not removing Signal events**

Choosing a figure of merit (FOM)

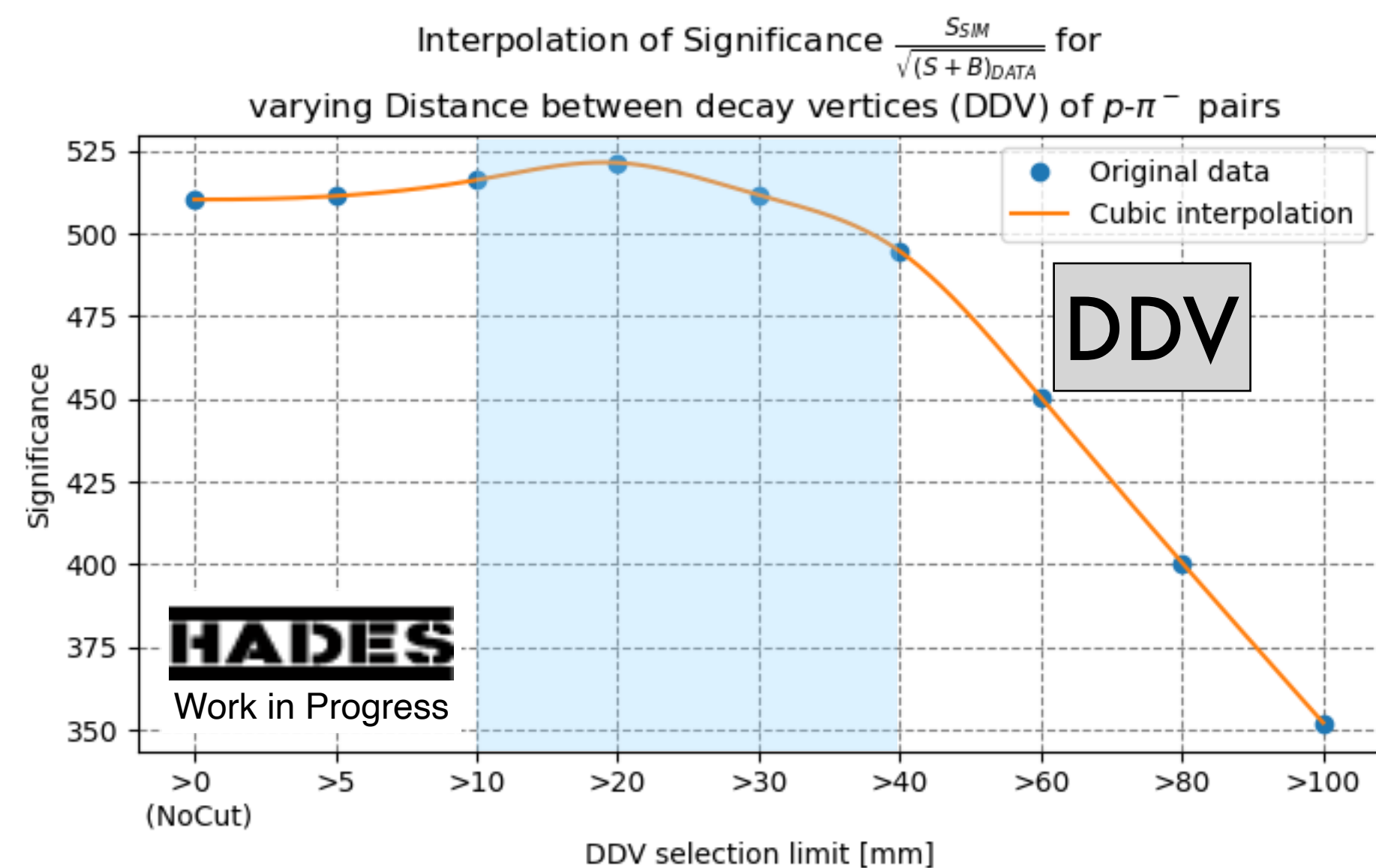
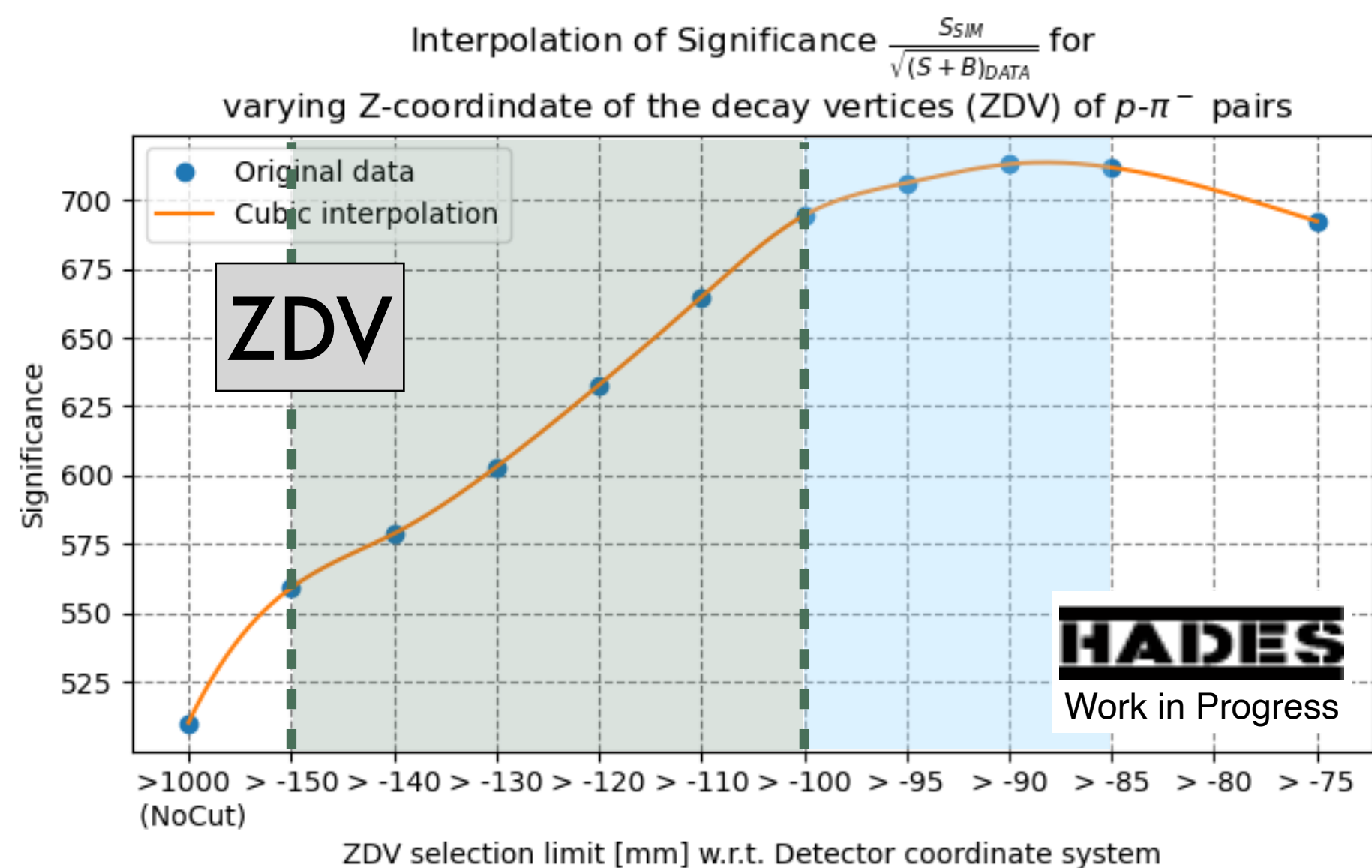
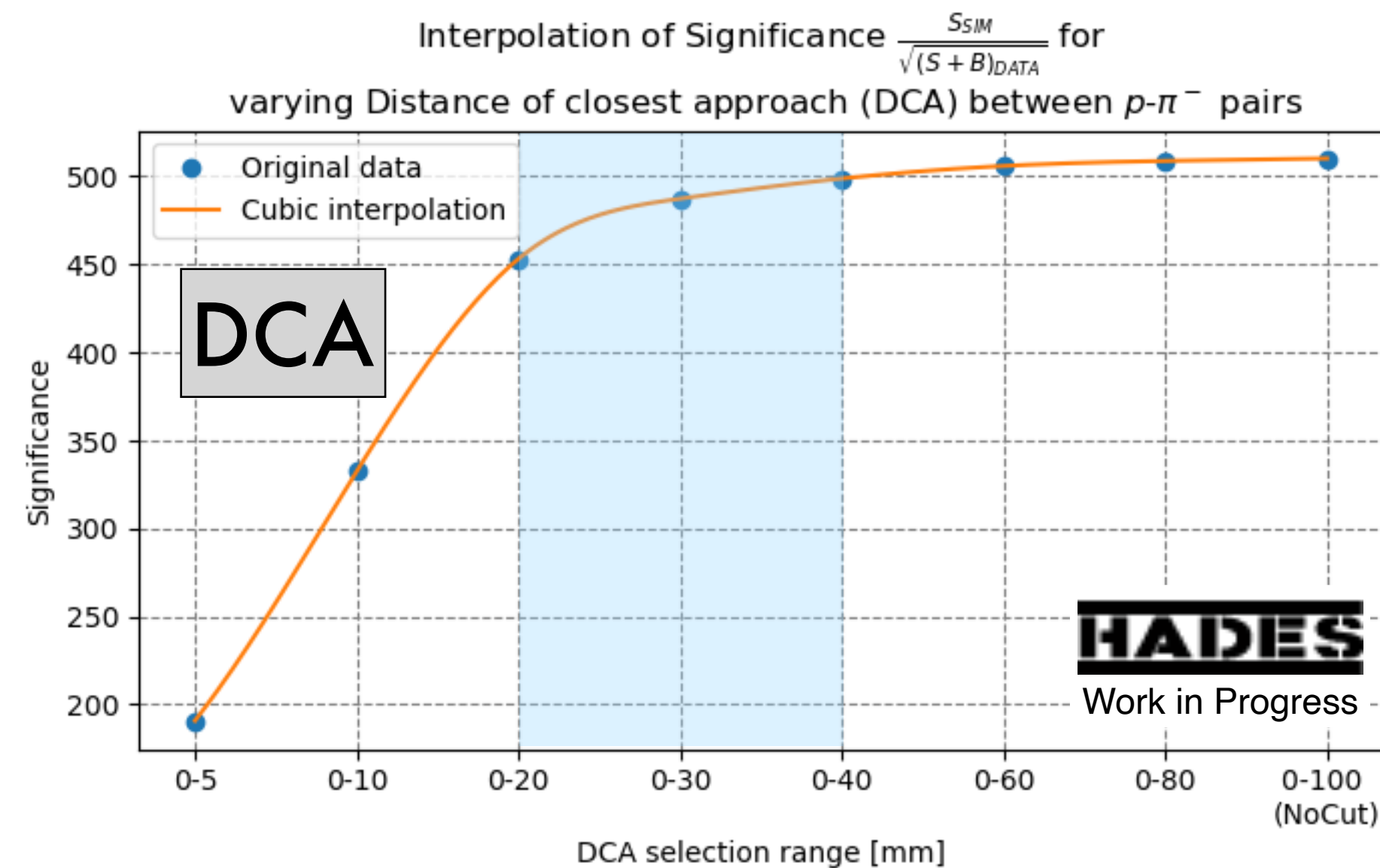
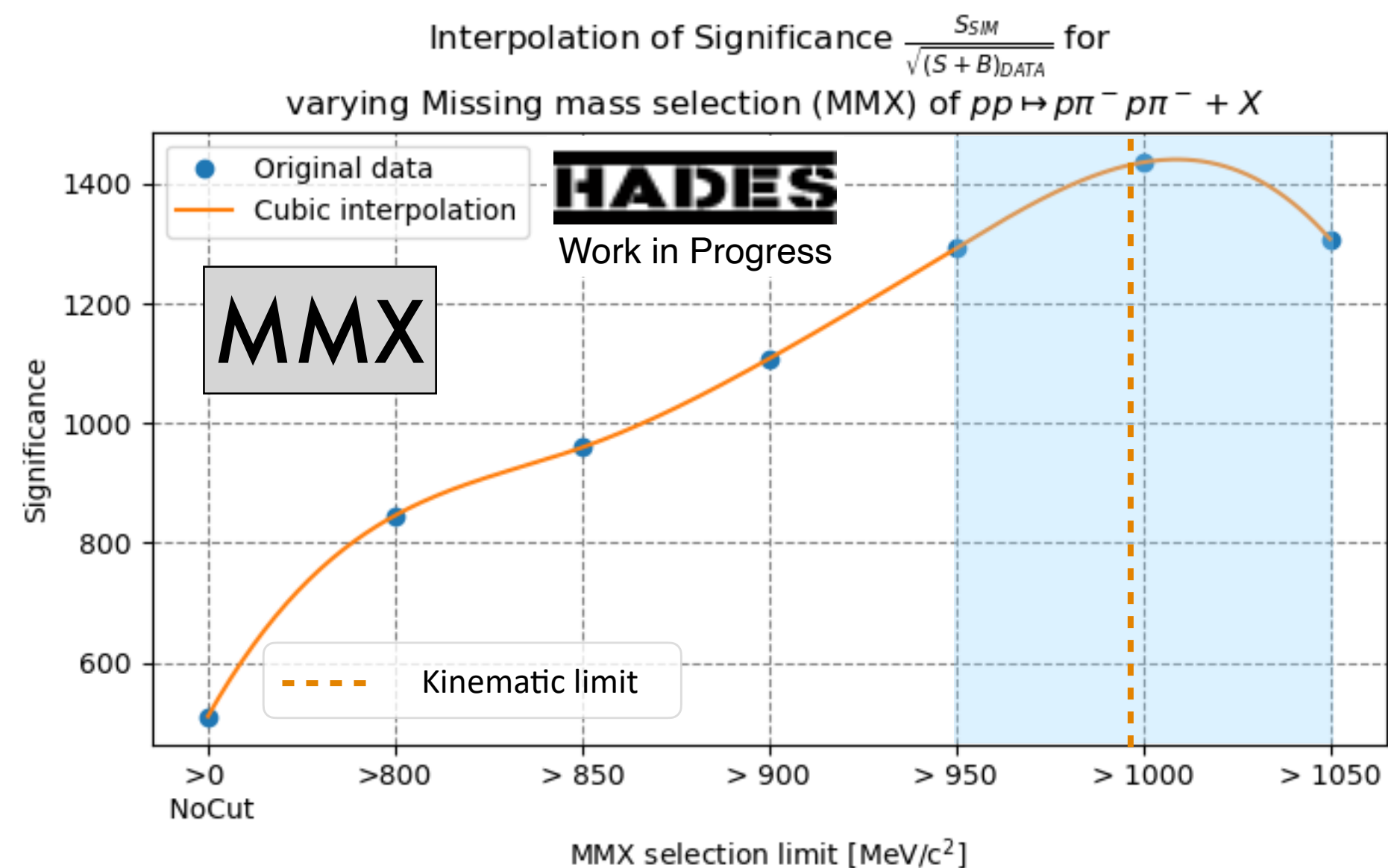
- We define a metric to optimize selections by maximizing statistical sensitivity
- We define the figure of merit (FOM) as the significance

$$\text{FOM} = \frac{S_{\text{SIM}}}{\sqrt{(S + B)_{\text{DATA}}}}, \text{ where } S_{\text{SIM}} \text{ is the simulated **signal** (LL) count}$$

- The denominator quantifies the Poisson uncertainty of the **total** observed count $(S + B)_{\text{DATA}}$ in the data
- A larger ratio indicates better to resolve signal in the observed data

$$\text{Invariant mass range: } 1100 \text{ MeV}/c^2 \leq M_{\Lambda_1}, M_{\Lambda_2} \leq 1130 \text{ MeV}/c^2$$

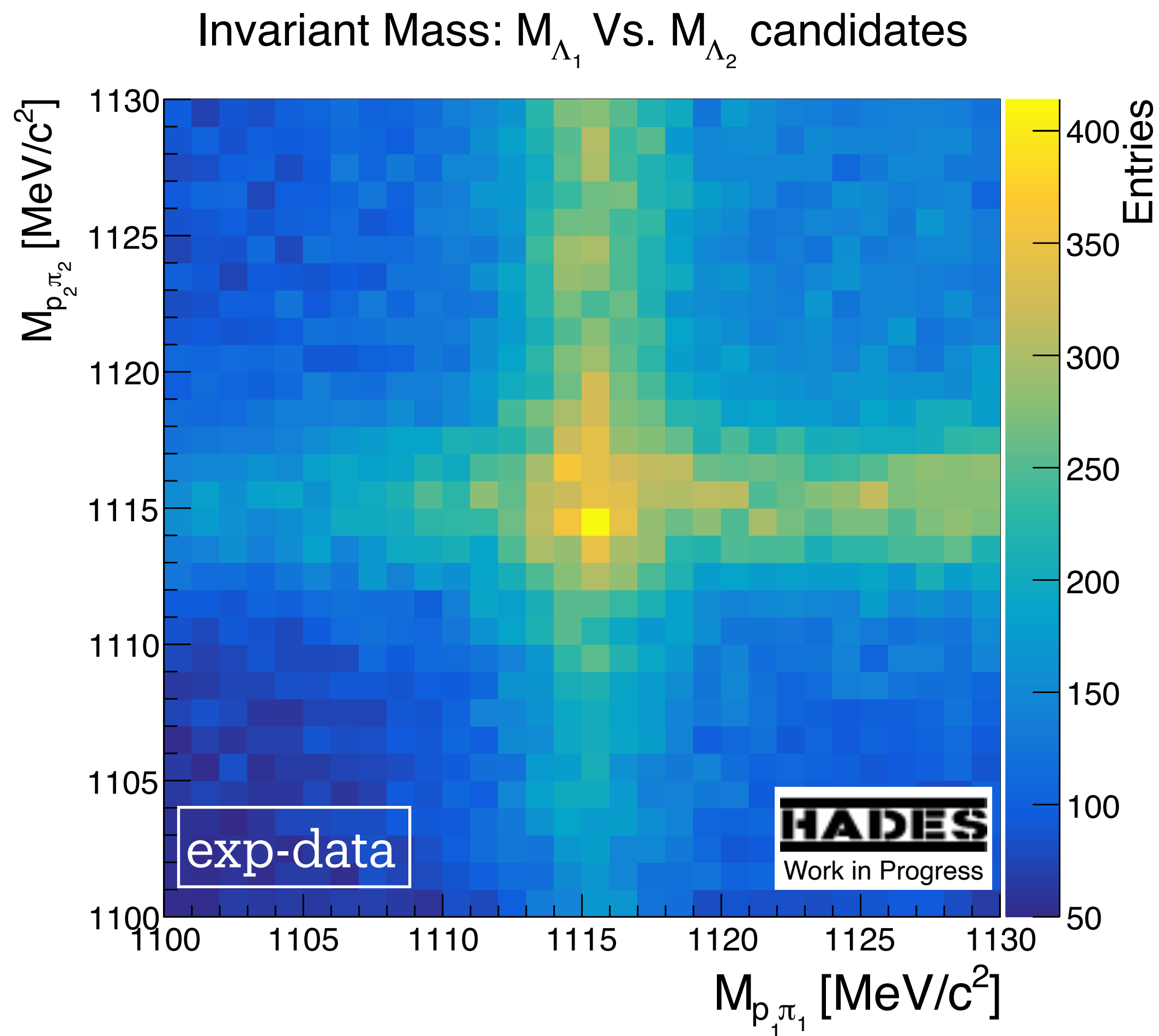
Variation of FoM (cubic interpolation)



The table of FOM and Efficiency

	MMCut (MeV/c ²)	DCA (mm) (<XX)	ZDV (mm) (>XX)	DDV (mm) (>XX)	PPV	Data counts after IMX Cut	Simulations channel counts after IMX Cut: S_MC		FOM:	FOM *Efficiency	% Loss in due to the CUTs		Efficiency
						Total Counts (S + B)	Signal: LL (100 M)	TRUE LL Counts	[S_MC/Sqrt(S + B)]		In DATA	In SIM	In SIM
>950		40	-100	30	(==)0	1973	79565	62940	1791,26	1,43	98,57	57,95	0,080
>950		40	-95	10	(==)0	2186	88404	70198	1890,81	1,67	98,41	53,28	0,088
>950		40	-95	20	(==)0	1902	82376	65387	1888,84	1,56	98,62	56,46	0,082
>950		40	-95	30	(==)0	1650	73363	58165	1806,07	1,32	98,80	61,23	0,073
>950		40	-90	10	(==)0	1752	80809	64238	1930,60	1,56	98,73	57,29	0,081
>950		40	-90	20	(==)0	1573	75451	59955	1902,39	1,44	98,86	60,12	0,075
>950		40	-90	30	(==)0	1375	67239	53368	1813,30	1,22	99,00	64,46	0,067
>976		20	-100	10	(==)0	1700	79638	66182	1931,51	1,54	98,76	57,91	0,080
>976		20	-100	20	(==)0	1425	73795	61398	1954,88	1,44	98,96	61,00	0,074
>976		20	-100	30	(==)0	1190	65392	54497	1895,62	1,24	99,13	65,44	0,065
>976		20	-95	10	(==)0	1337	73251	61052	2003,31	1,47	99,03	61,28	0,073
>976		20	-95	20	(==)0	1151	67963	56711	2003,25	1,36	99,16	64,08	0,068
>976		20	-95	30	(==)0	979	60216	50321	1924,51	1,16	99,29	68,17	0,060
>976		20	-90	10	(==)0	1077	66862	55829	2037,38	1,36	99,22	64,66	0,067
>976		20	-90	20	(==)0	931	62170	51973	2037,54	1,27	99,32	67,14	0,062
>976		20	-90	30	(==)0	797	55101	46133	1951,78	1,08	99,42	70,88	0,055
>976		30	-100	10	(==)0	2017	89555	72909	1994,05	1,79	98,53	52,67	0,090
>976		30	-100	20	(==)0	1710	83187	67747	2011,67	1,67	98,76	56,03	0,083
>976		30	-100	30	(==)0	1447	73900	60211	1942,72	1,44	98,95	60,94	0,074
>976		30	-95	10	(==)0	1609	82400	67265	2054,23	1,69	98,83	56,45	0,082
>976		30	-95	20	(==)0	1395	76628	62578	2051,64	1,57	98,99	59,50	0,077
>976		30	-95	30	(==)0	1202	68083	55606	1963,75	1,34	99,13	64,02	0,068
>976		30	-90	10	(==)0	1322	75277	61528	2070,36	1,56	99,04	60,21	0,075
>976		30	-90	20	(==)0	1150	70145	57356	2068,46	1,45	99,16	62,93	0,070
>976		30	-90	30	(==)0	997	62356	50999	1974,83	1,23	99,28	67,04	0,062
>976		40	-100	10	(==)0	2213	93350	74957	1984,37	1,85	98,39	50,66	0,093
>976		40	-100	20	(==)0	1890	86839	69711	1997,49	1,73	98,63	54,10	0,087
>976		40	-100	30	(==)0	1609	77285	62005	1926,71	1,49	98,83	59,15	0,077
>976		40	-95	10	(==)0	1785	85951	69178	2034,38	1,75	98,70	54,57	0,086
>976		40	-95	20	(==)0	1556	80045	64413	2029,22	1,62	98,87	57,69	0,080
>976		40	-95	30	(==)0	1347	71253	57284	1941,42	1,38	99,02	62,34	0,071

Λ - Λ Signal Estimate from the Data



Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X^- ; X \mapsto K^+, K^+ :$

Λ - Λ Signal

LL: $pp \mapsto \Lambda\Lambda K^+ K^+$

B. $pp \mapsto \Lambda p\pi^- + X:$

Single- Λ + uncorrelated

OLBG: $pp \mapsto \Lambda p\pi^- K^+ \pi^+$

KSBG: $pp \mapsto \Lambda K_S^0 p\pi^+$

C. $pp \mapsto p\pi^- p\pi^- + X; X \mapsto \pi^+ \pi^+ :$

Pure non-resonant channel

NRBG: $pp \mapsto p\pi^- p\pi^- \pi^+ \pi^+$

Maximum Likelihood Fit Model

$$\text{model} = A \cdot \text{LL}_{SIM}$$

$$+ B_0 \cdot \text{OLBG}_{SIM}$$

$$+ B_1 \cdot \text{KSBG}_{SIM}$$

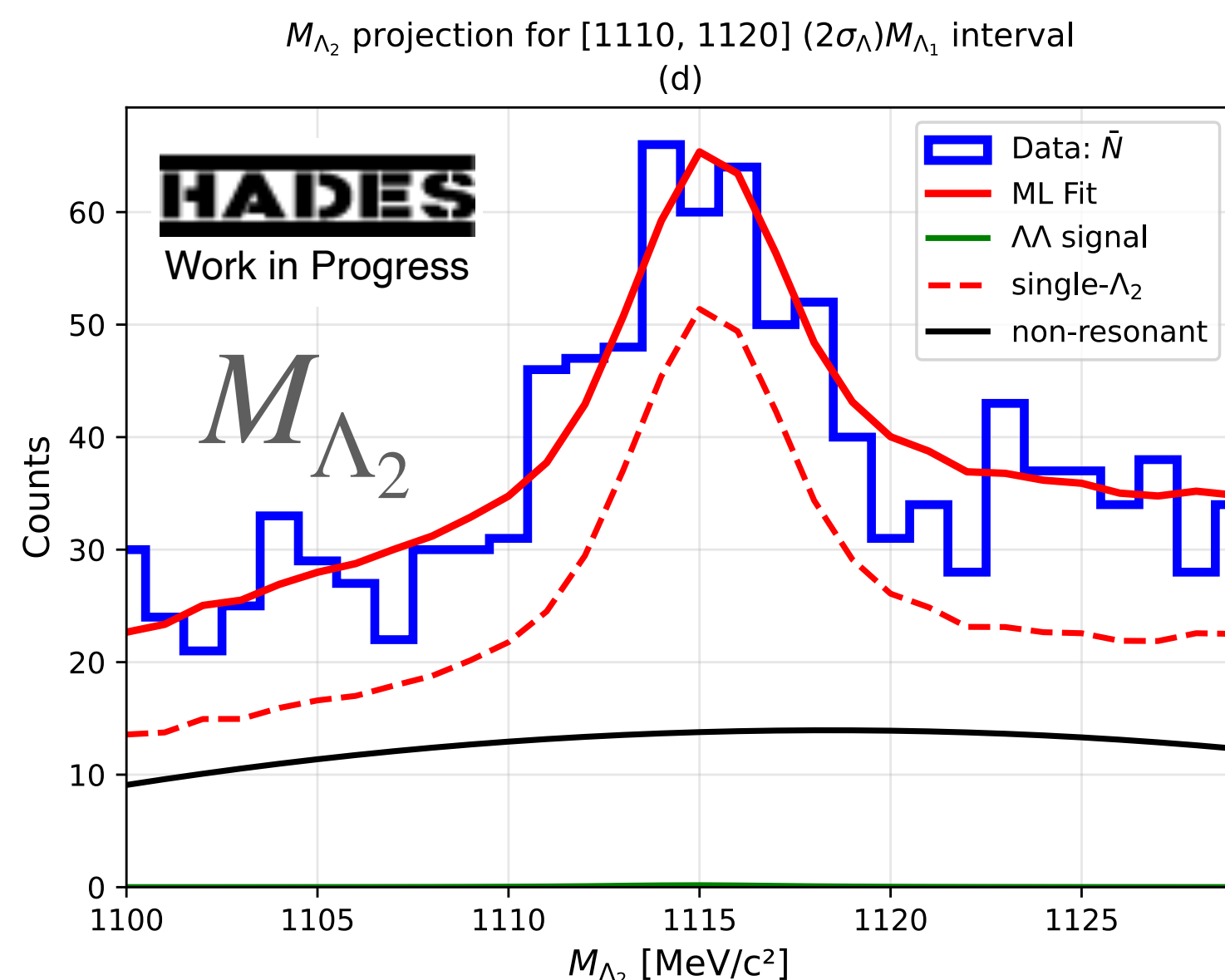
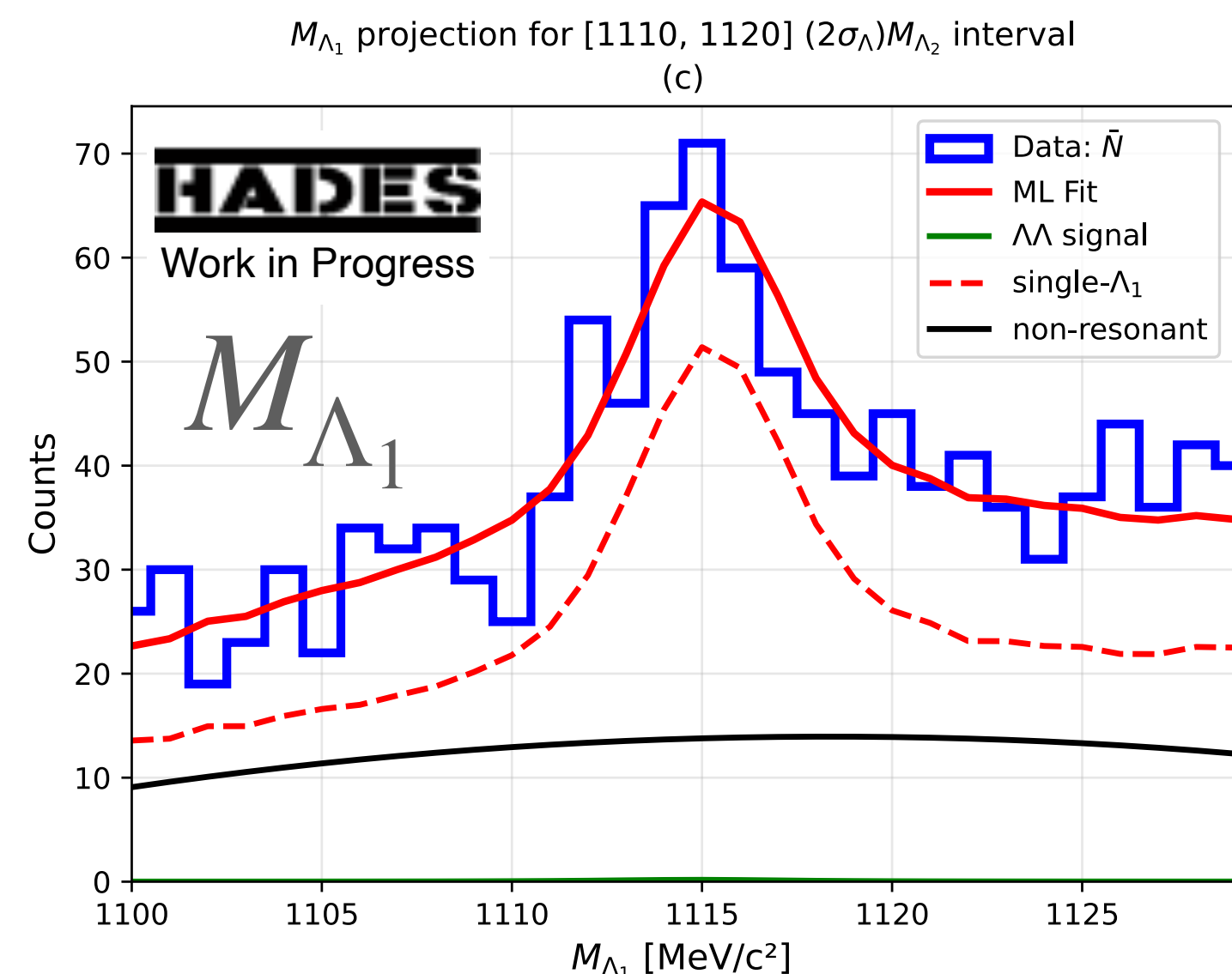
$$+ \text{NRBG}$$

$$\text{NRBG} = C_0 + C_1 \cdot (M_{\Lambda_1} + M_{\Lambda_2})$$

$$+ C_2 \cdot (M_{\Lambda_1}^2 + M_{\Lambda_2}^2)$$

$$+ C_3 \cdot (M_{\Lambda_1} \cdot M_{\Lambda_2})$$

Λ - Λ Cross-Section Estimation



MMX = 976 MeV/c², ZDV = -100 mm, DDV = 10 mm, DCA = 40 mm

ML Fit of the optimal selected data

NDF = 894, NLN = 988.08

A ($N_{\Lambda\Lambda}$)	B = ($B_0 + B_1$)	C0	C1	C2	C3
2 ± 60	1256 ± 108	1139 ± 151	80 ± 33	-177 ± 85	66 ± 25

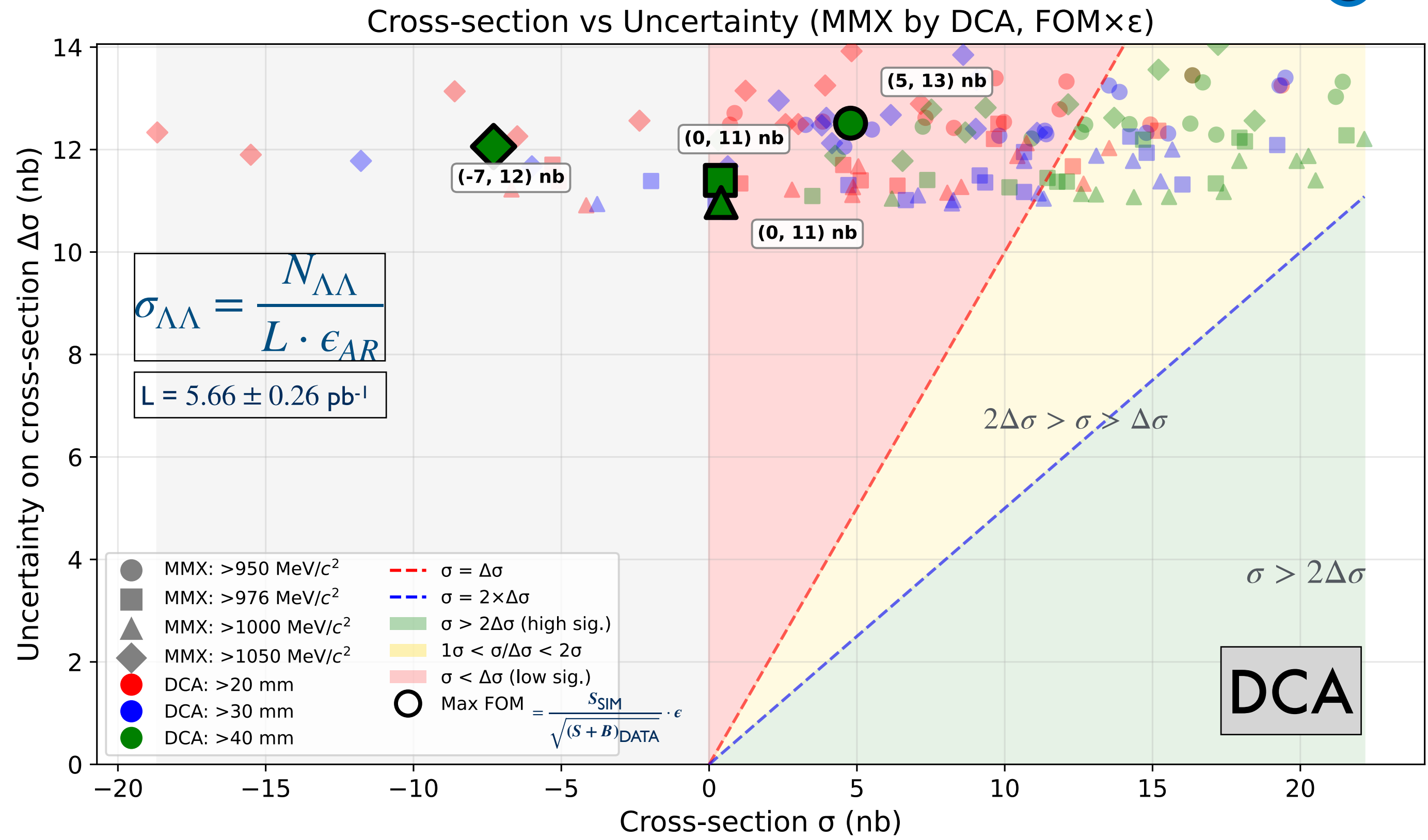
$$\sigma_{\Lambda\Lambda} = \frac{N_{\Lambda\Lambda}}{L \cdot \epsilon_{AR}} \quad L = 5.66 \pm 0.26 \text{ pb}^{-1}$$

$$\epsilon_{AR} = 0.093\%$$

- Upper limit for the Λ - Λ cross-section is estimated at 95% confidence level : **19 nb**
- The cross-section for $pp \mapsto \Xi^- K^+ K^+ p$ was measured to be $7 \pm 5 \mu\text{b}$ at $\sqrt{s_{pp}} = 4.54 \text{ GeV}$ [Holmgren et. al, 1967] and is extrapolated to be $350 \pm 230 \text{ nb}$ at $\sqrt{s_{pp}} = 3.46 \text{ GeV}$. [1]

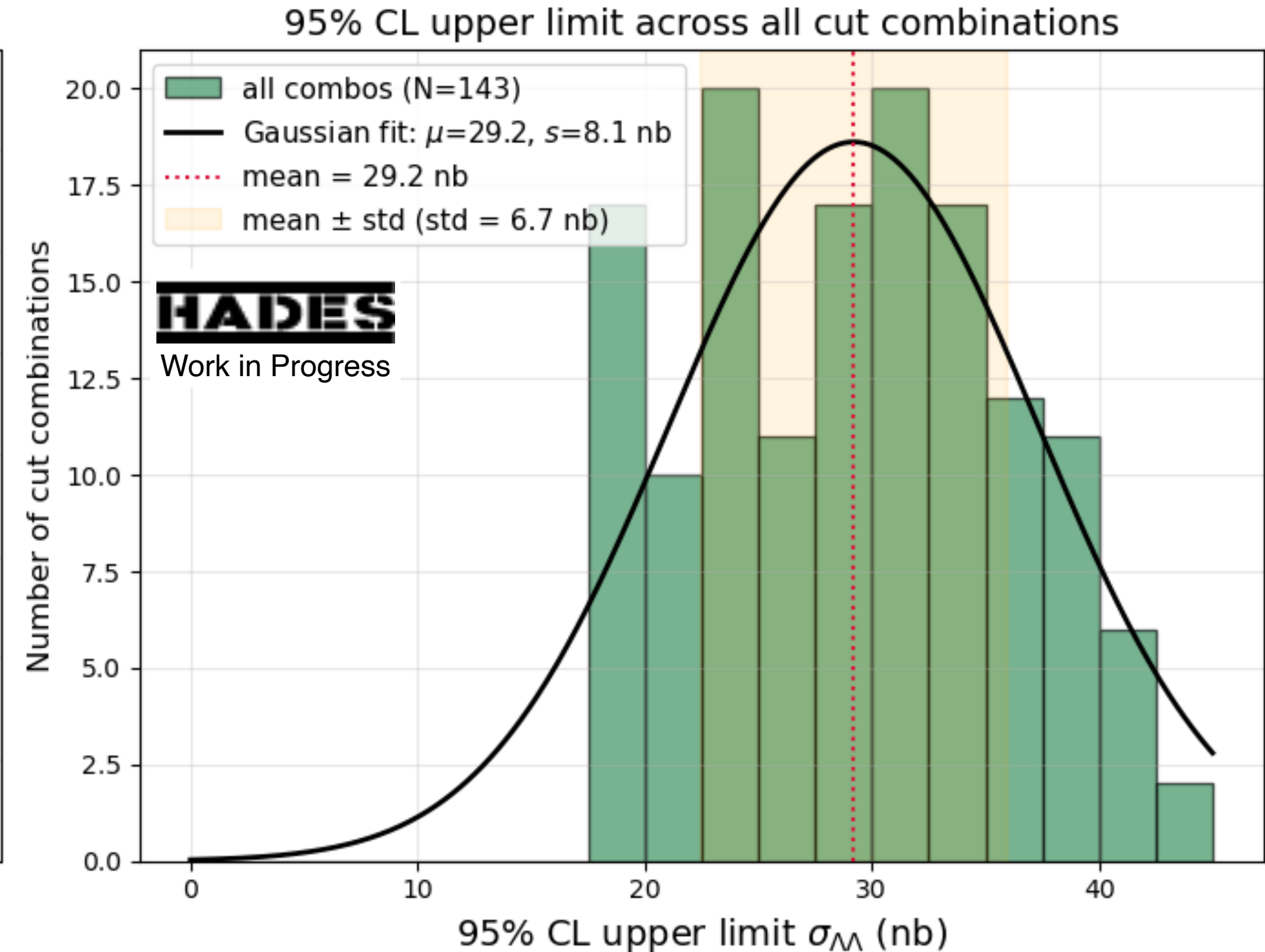
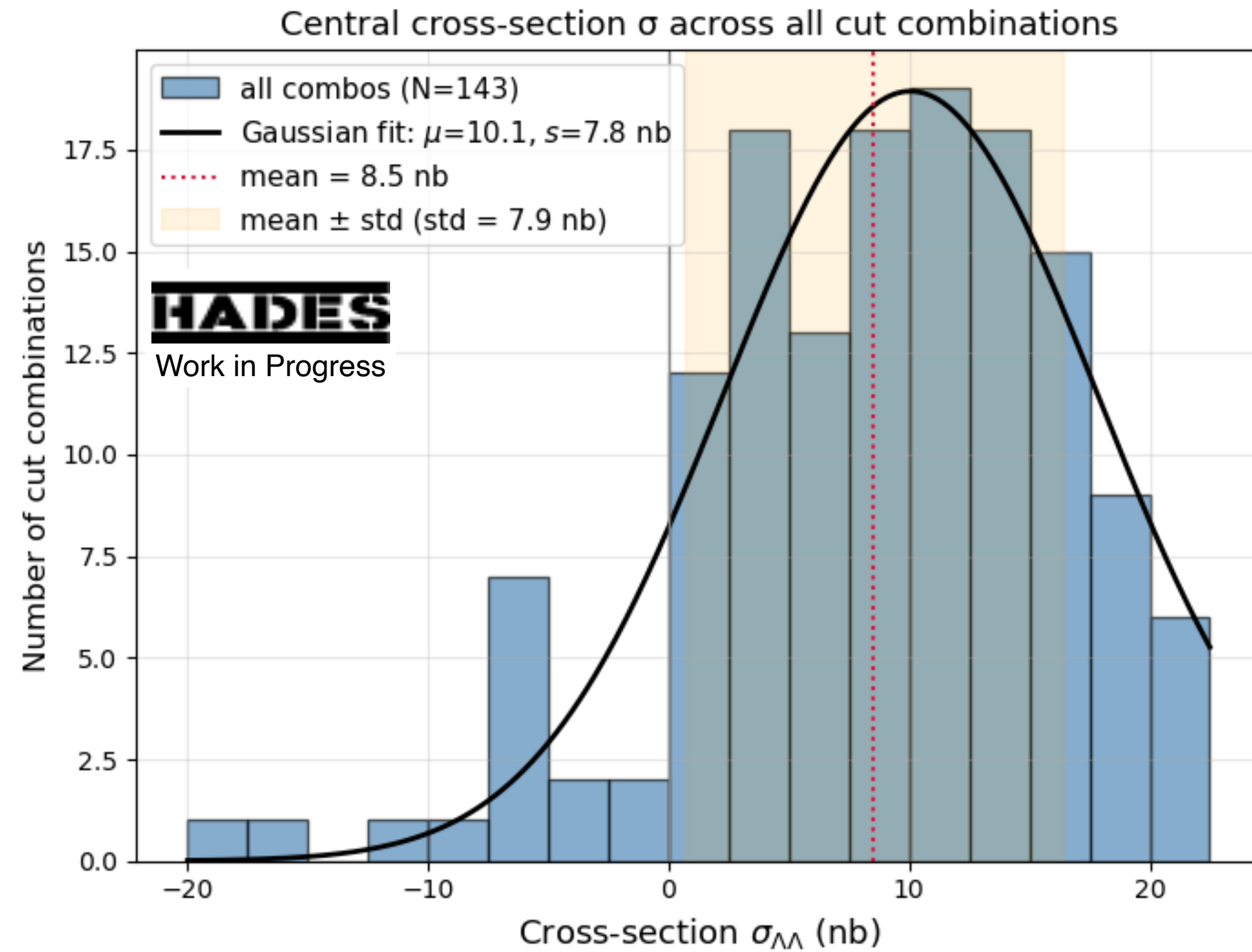
SYSTEMATICS

CS variation in the parameter space



- The MMX selection parameter is shown in shapes while the selection in the parameter DCA values are indicated with colours.
- The circled BOLD markers indicate the selection combination for which the FOM has a maximum for each MMX.
- **Results show that no selection parameters indicate >2 st. dev**

Systematic Uncertainty



- The luminosity enters the cross-section purely as a global normalisation: $\frac{\Delta\sigma_L}{\sigma} = \frac{\Delta L}{L} = \frac{0.26}{5.66} \approx 4.6\%$
- Systematics: cut variation +/-7 nb (dominant) and luminosity +/-0.9 nb (4.6%), added in quadrature \mapsto **+/-7 nb**

Result: $\sigma_{\Lambda\Lambda}$ (95% Confidence level, Upper limit) = **19 ± 7(sys) nb**; (Based on the Optimal selection)
 Luminosity is a fully-correlated normalisation, quoted separately from the cut systematic

SINGLE- Λ CS

Single- Λ Cross-section

Goal: To independently validate the ML Fit model with the similar selection as that of $\Lambda\Lambda$

- **Strategy:** Make two exclusive missing mass selections in the $pp \mapsto \Lambda[p\pi^-]\Lambda[p\pi^-] + X$ (DATA)
- $MMX \in (600, \infty) \text{ MeV}/c^2$ makes **OLBG** (ΛK^+) significant. $m_{K^+} + m_{\pi^+} = 633.2 \text{ MeV}/c^2$
- $MMX \in (280, 600) \text{ MeV}/c^2$ expected to contain only **KSBG** (ΛK_S^0) reactions, $2 m_{\pi^\pm} = 279.1 \approx 280 \text{ MeV}/c^2$
- Both windows may also contain other same-final-state channels (primarily Σ^0 production)

OLBG: $pp \mapsto p\pi^-p\pi^- + X, X = K^+\pi^+$

KSBG: $pp \mapsto p\pi^-p\pi^- + X, X = \pi^+\pi^-$

Key assumption: Identical final state ($2p, 2\pi^-$) \Rightarrow same selection as $\Lambda\Lambda \Rightarrow$ we assume the same efficiency for all these similar channels (including Σ^0)

The two MM cuts simply select / deselect KSBG vs OLBG

Single- Λ Cross-section

$$\text{Model} = A \cdot LL + B + (C_0 + C_1(M_1 + M_2) + C_2(M_1^2 + M_2^2) + C_3M_1M_2)$$

- Fit B and C and keep $A = 0$.
- Solve for the contribution of the two channels: a (KSBG) and b (OLBG). N is the simulated number of events corresponding to the two channels for the two missing mass selections (for 10^8 events).

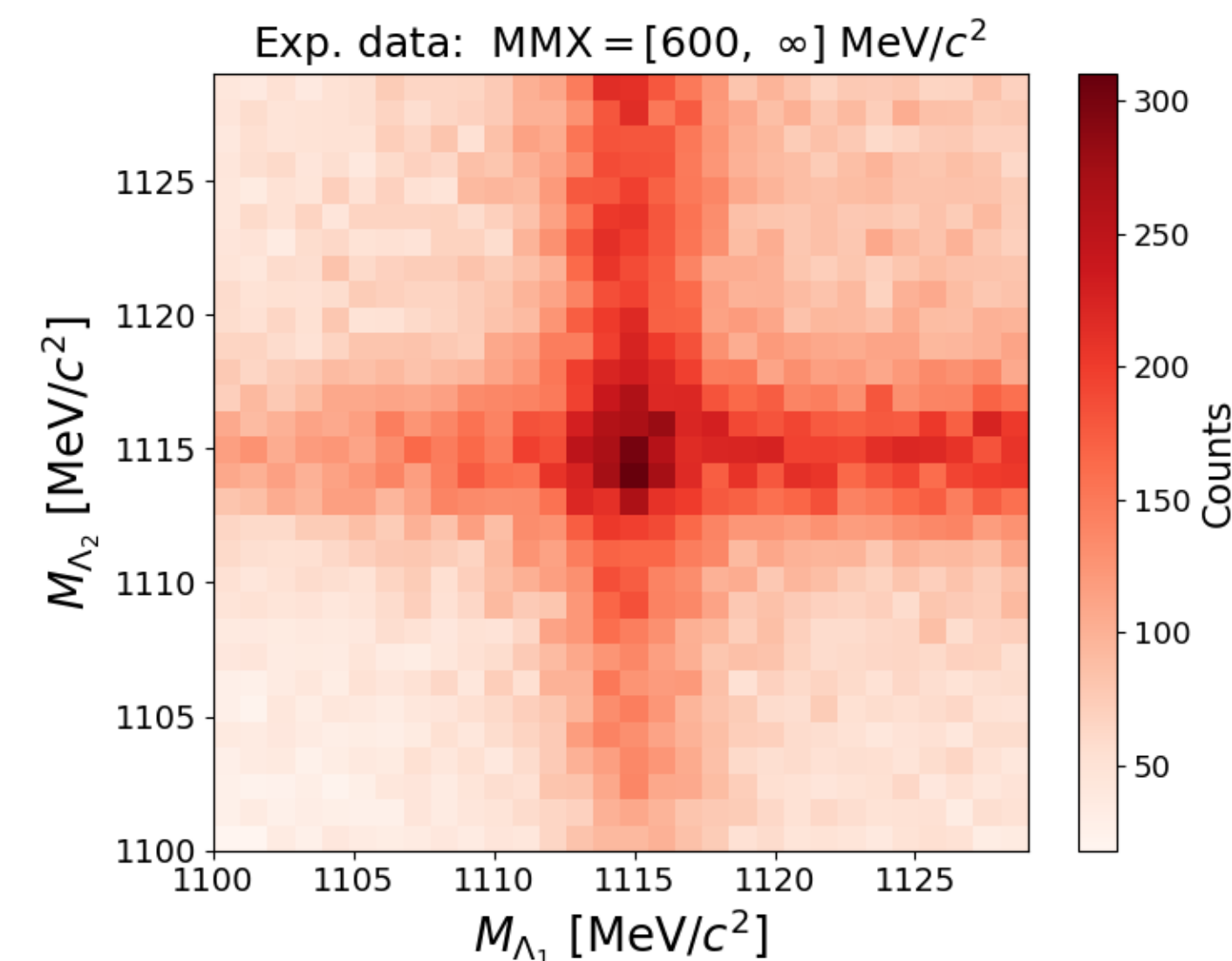
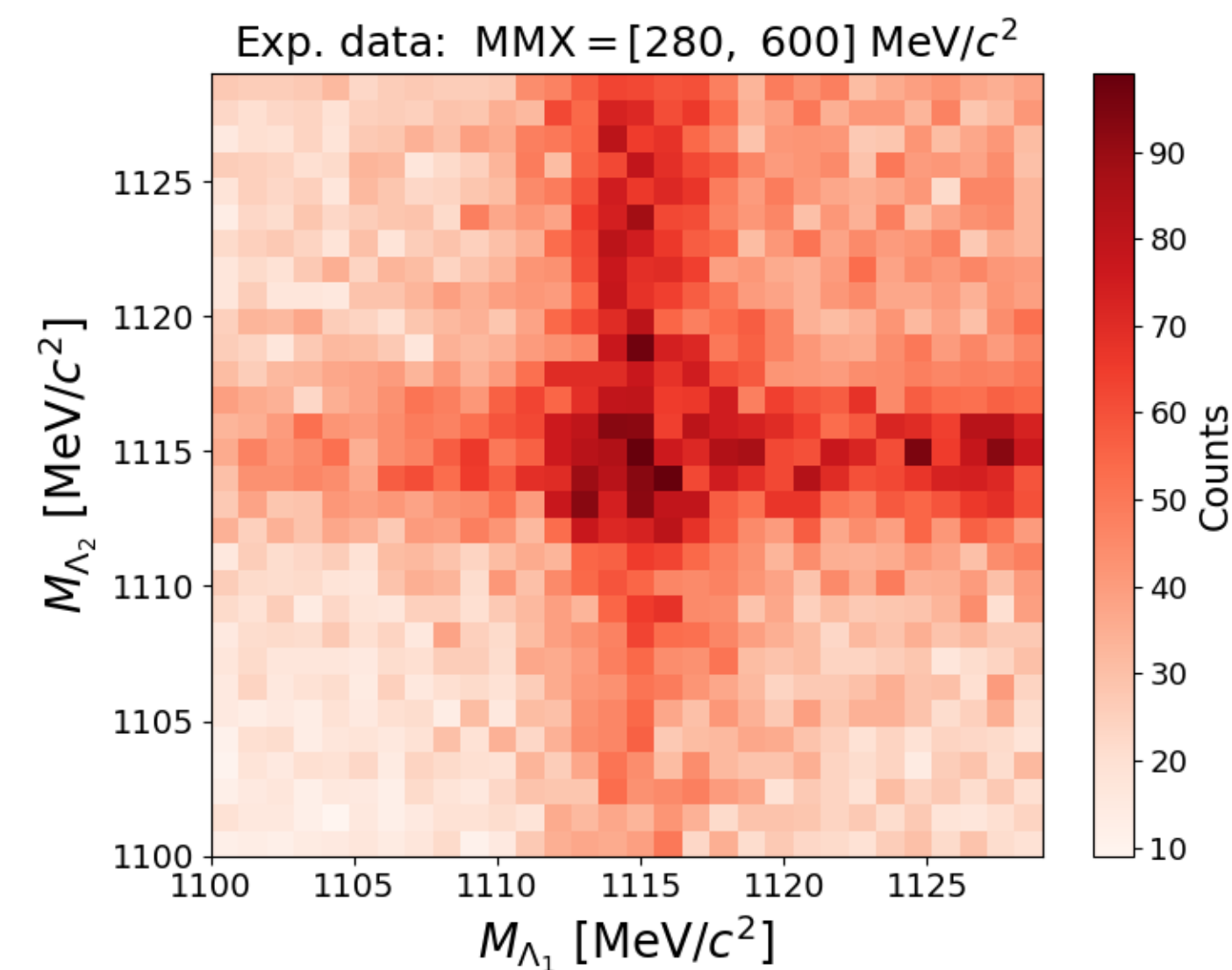
$$\begin{pmatrix} N_{280-600}^{KSBG} & N_{280-600}^{OLBG} \\ N_{600-\infty}^{KSBG} & N_{600-\infty}^{OLBG} \end{pmatrix} \begin{pmatrix} a \\ b \end{pmatrix} = \begin{pmatrix} B_{280-600} \\ B_{600-\infty} \end{pmatrix}$$

- Cross-section: $\sigma_{KSBG} = \frac{a N_{sim}^{gen}}{L_{int}}$, $N_{sim}^{gen} = 10^8$, $L_{int} = 5.66 \text{ pb}^{-1}$

- Errors in B are propagated through the inverse system: $\text{Cov}(a, b) = A^{-1} \text{Cov}(B) (A^{-1})^T$

Channel		Estimated Cross-section: $\sigma_{\Lambda X}$ (ub)	Extrapolated CS (Phase0 Paper): $\sigma_{(\Lambda+\Sigma)X}$ (ub)
OLBG	$pp \mapsto \Lambda p \pi^- K^+ \pi^+$	13 ± 0.3	21+2
KSBG	$pp \mapsto \Lambda K_S^0 p \pi^+$	14 ± 0.5	30+9

The estimated $\sigma_{\Lambda X}$ sit just below the $(\Lambda + \Sigma)X$ predictions:
Yet same order of magnitude \rightarrow model validated.

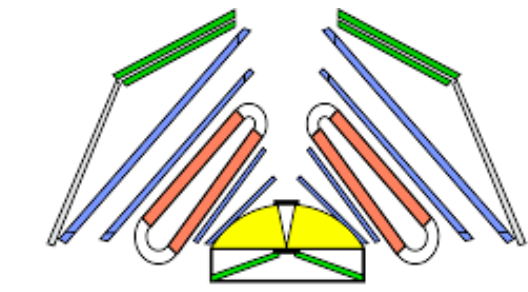


- Systematic, FoM-based (significance) optimization of selections from signal simulation + experimental data
- $\Lambda\Lambda$ signal extracted via a simulation-based 2D maximum-likelihood fit:
model = A·LL + B·(OLBG+KSBG) + NRBG(poly)
- Updated $\sigma_{\Lambda\Lambda}$: 95% CL upper limit = **19 ± 7 (sys) nb** at the optimal selection (MMX=976, DCA=40, ZDV=-100, DDV=10)
- Systematic uncertainty quantified: cut variation ± 7 nb (dominant) \oplus luminosity 4.6%
- Stable across the cut scan, no selection deviates by $> 2\Delta\sigma$; goodness-of-fit (NLN \approx NDF) indicates good fit performance
- New: Independent single- Λ CS cross-check (KSBG, OLBG) via two exclusive MMX windows validates the ML-fit model: $\sigma_{\Lambda X}$ same order as the $\sigma_{(\Lambda+\Sigma)X}$ predictions

-
- **S1** missing-mass systematics via the Empty-Target dataset, extrapolated to the full (with-target) sample and systematics from the **PID**
 - Evaluate systematics separately for HH / HF / FF Λ -candidate topologies.
 - **Analysis Note** with the detailed description of the methodology and tools deployed.

APPENDIX

HADES (+ PANDA) detector

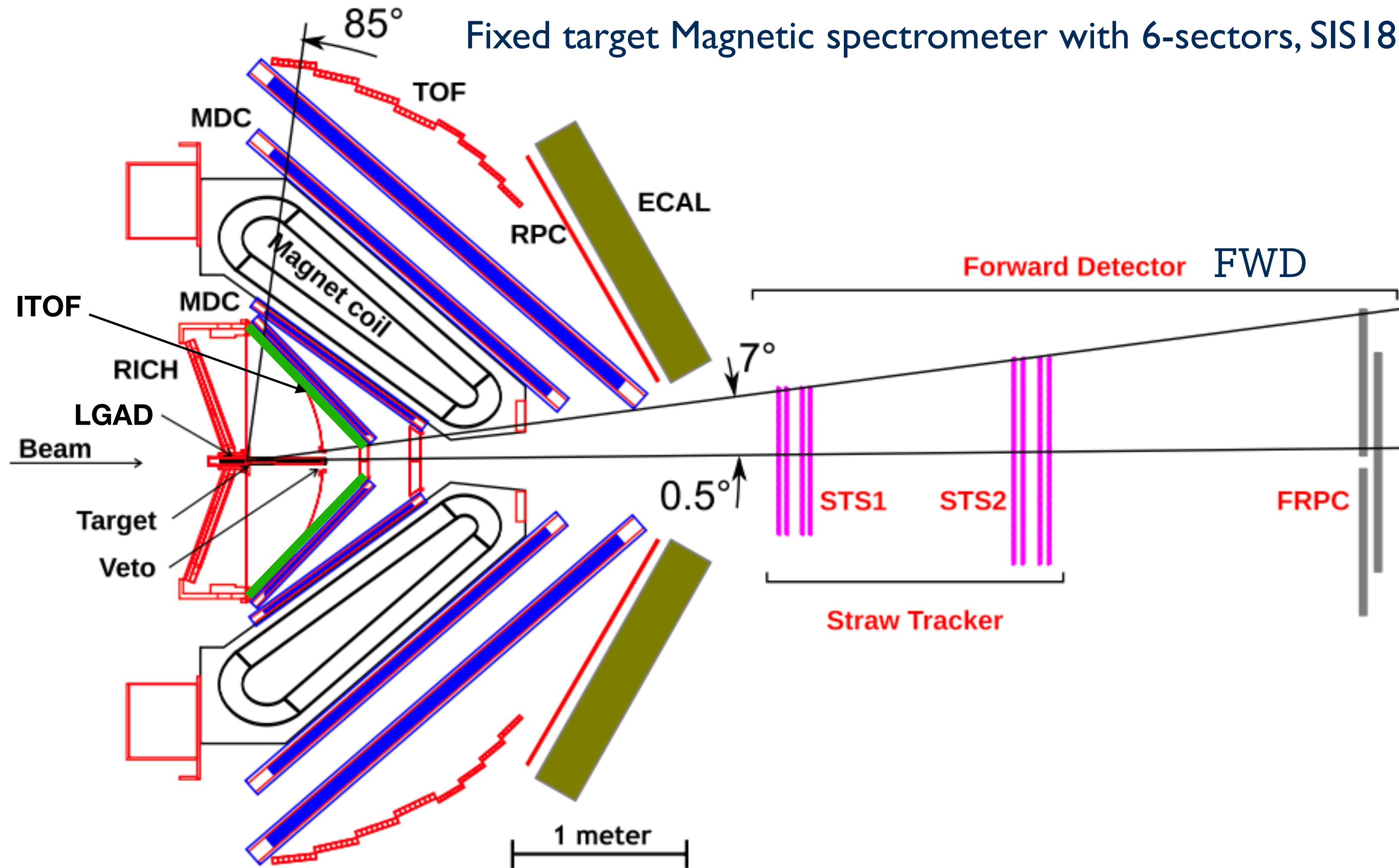


HADES

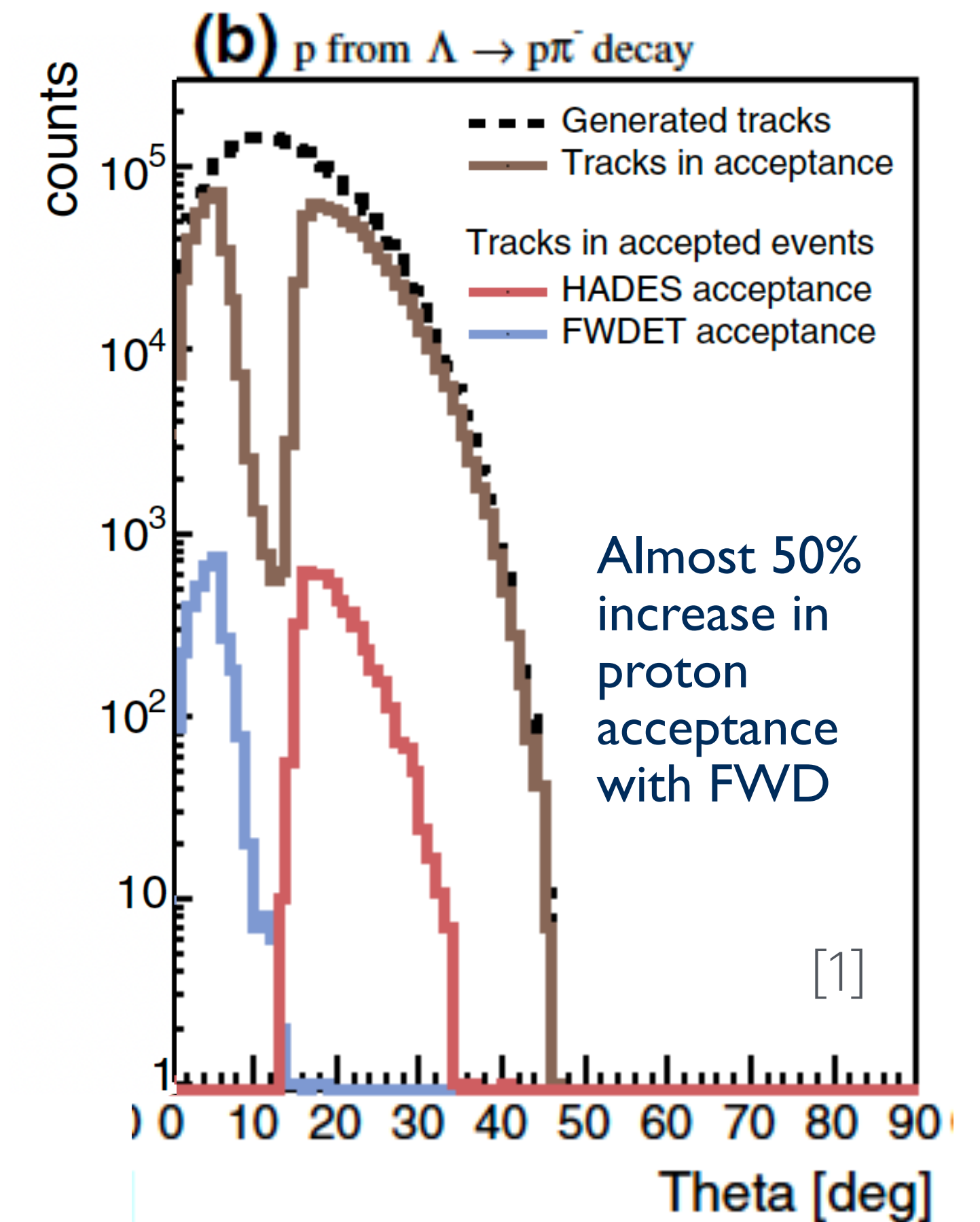


High Acceptance Di-Electron Spectrometer

Fixed target Magnetic spectrometer with 6-sectors, SIS18 (GSI, Germany)



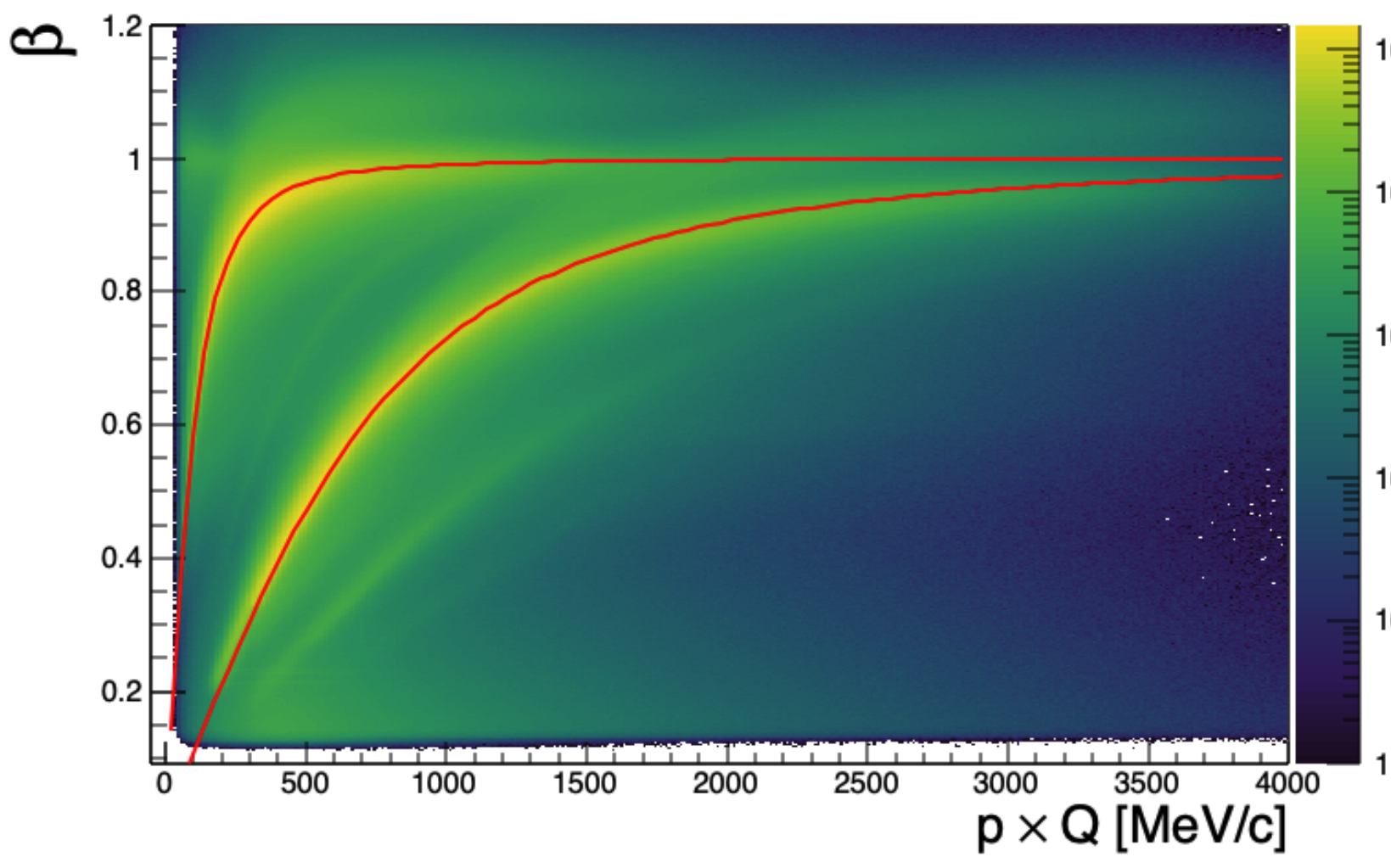
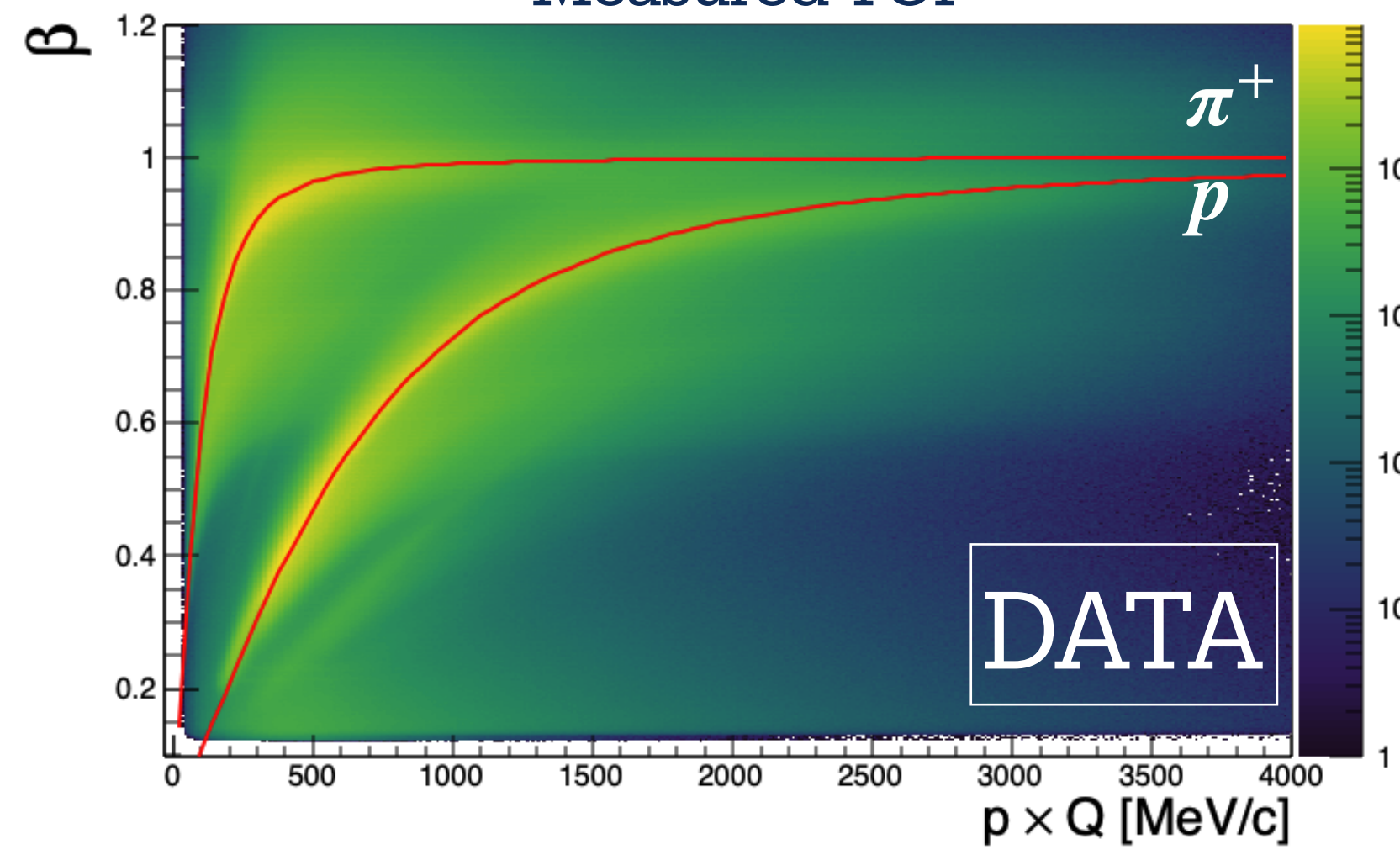
Cross-sectional sketch of the HADES spectrometer



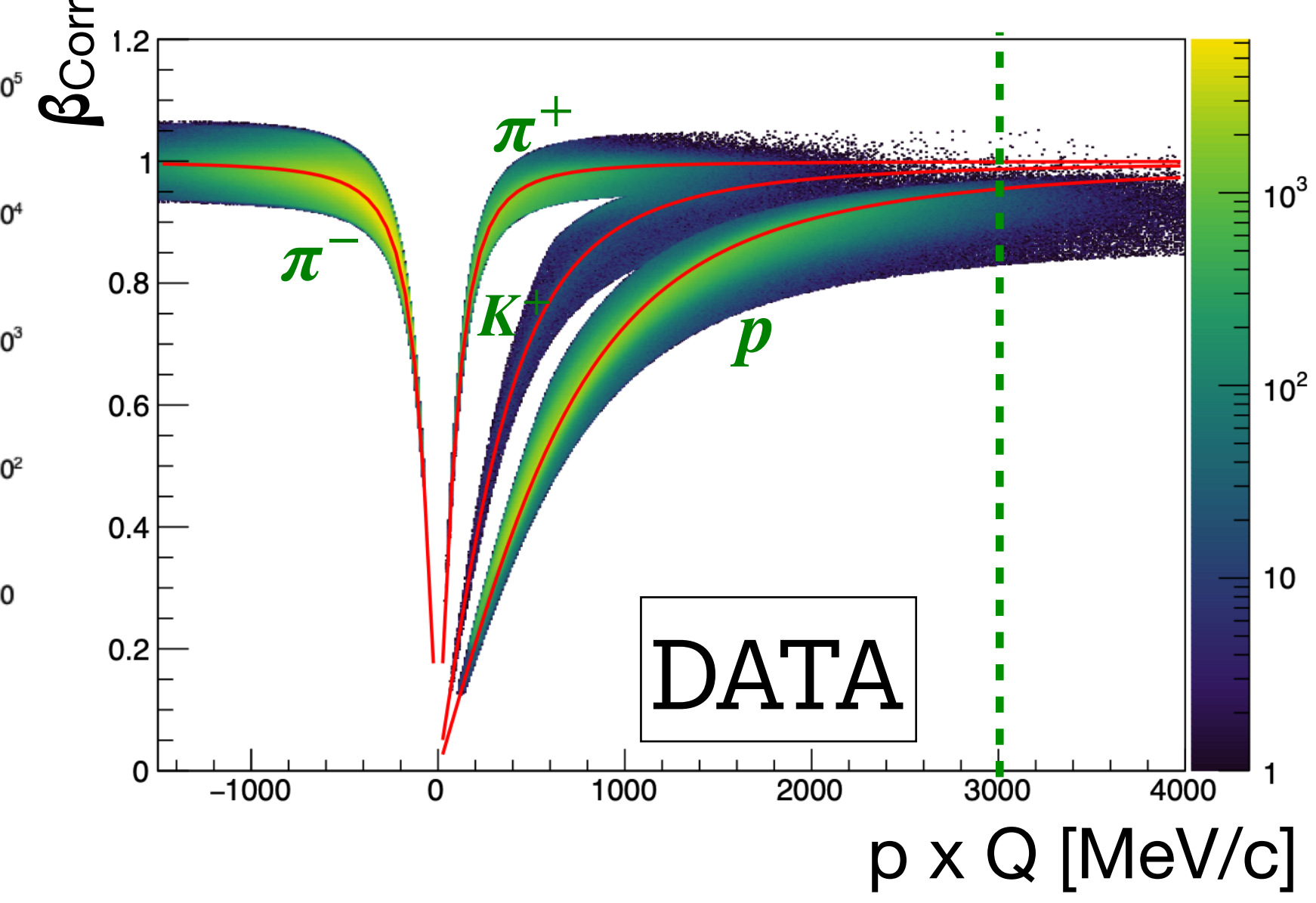
[1] Production and electromagnetic decay of hyperons: a feasibility study with HADES as a phase-0 experiment at FAIR

Stage-S0: PID (β vs. P)

Measured TOF



β vs. Momentum distribution HADES Tracks after rel-ToF and Event selection

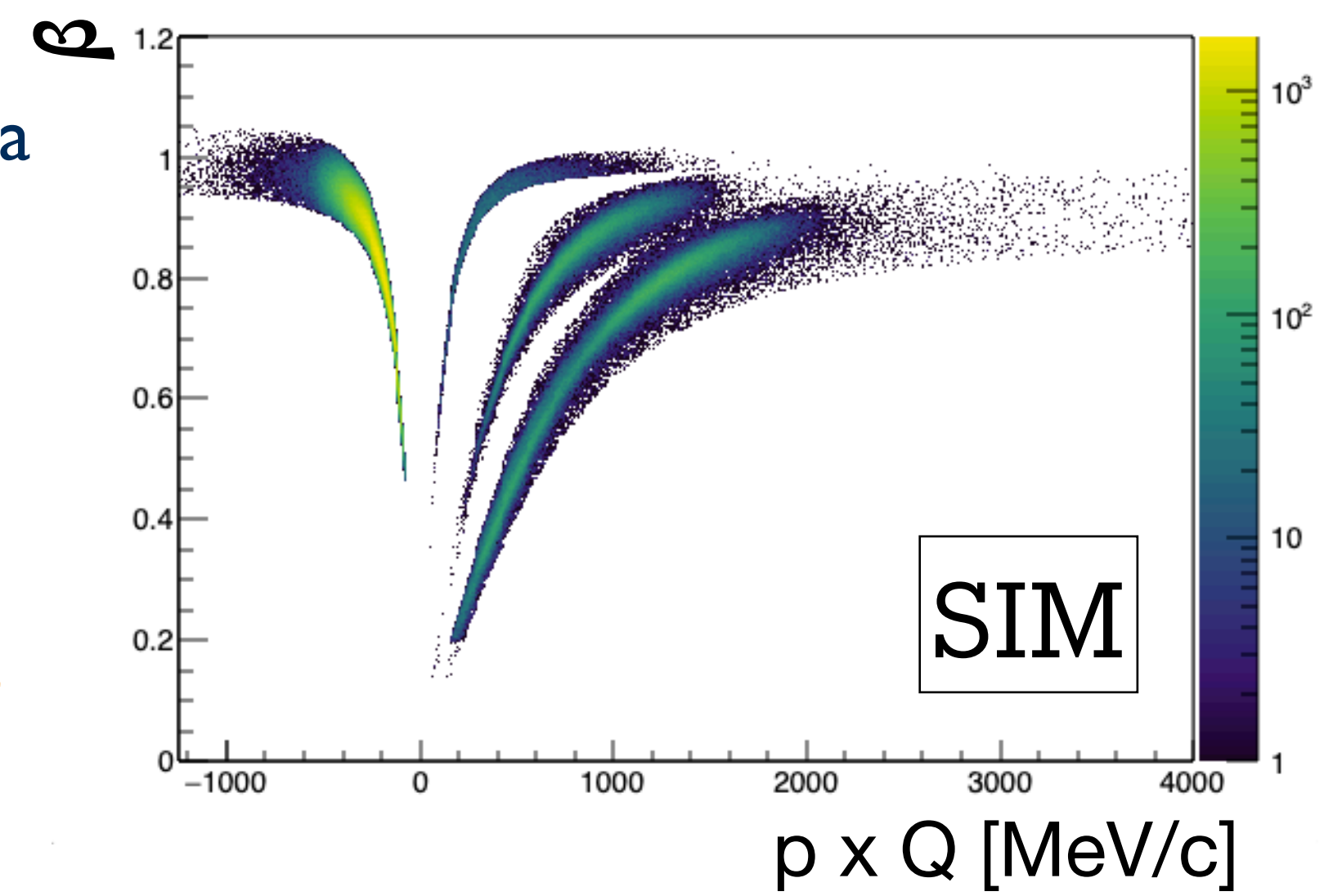


Relative ToF Correction

1. Graphical cuts around the π^- region
2. Selection on π^- tracks, $\Delta t_{\pi^-} \leq 2\text{ns}$
 - Where, $|\Delta t_{\pi^-}| = t_{meas_{\pi^-}} - t_{th_{\pi^-}}$
3. ToF correction to positive tracks:
 - $t_{corr_{p/K^+}} = t_{meas_{p/K^+}} - \Delta t_{\pi^-}$

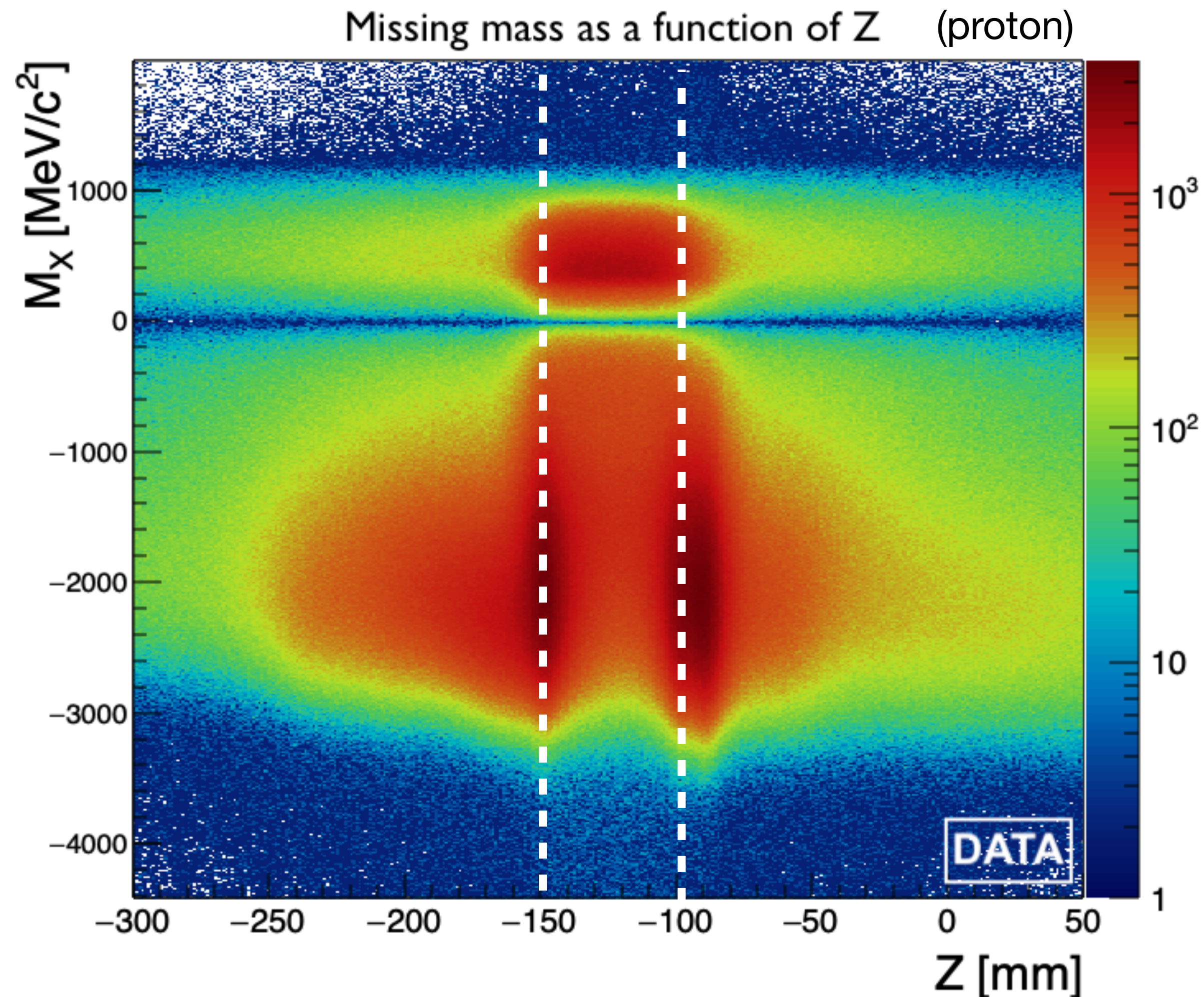
Positive Track selection

1. Selecting p , π^- and K^+ tracks within a threshold shown below:
2. $|\Delta t_{corr_p}| \leq 15\% \cdot t_{exp_p}$, $|\Delta t_{corr_{K^+}}| \leq 10\% \cdot t_{exp_{K^+}}$,
 $|\Delta t_{corr_{\pi^+}}| \leq 5\% \cdot t_{exp_{\pi^+}}$
3. All FWD tracks are assumed to be p

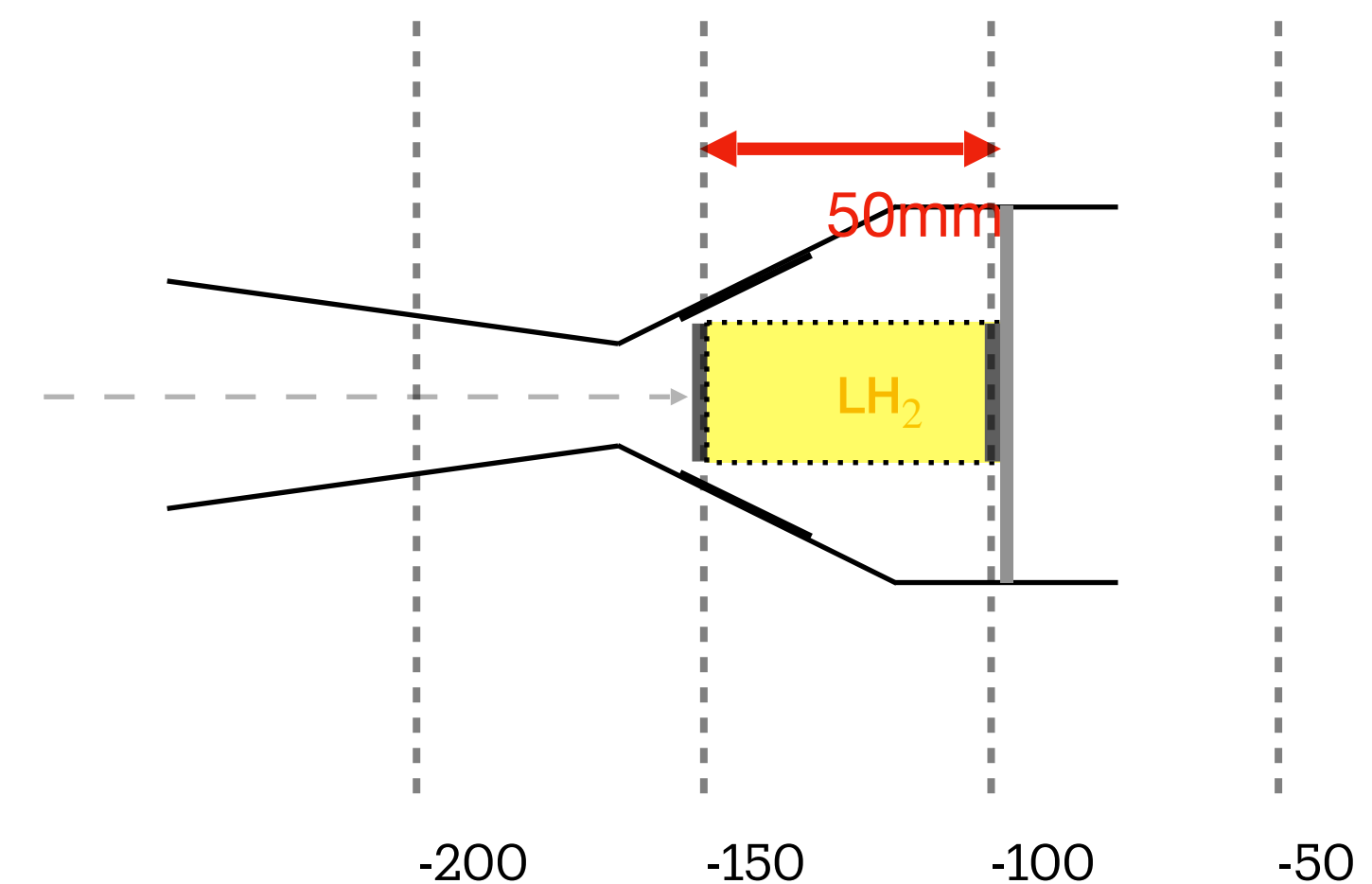


Stage-S1: First selection

$$p(4.5)p \rightarrow p_1\pi_1^- p_2\pi_2^- + X$$



- Missing Mass (M_X) selection is applied with p(4.5 GeV)p system for the inclusive tracks
- $M_X < 0$ corresponds to $M_X^2 < 0$:
 - Concentrated to the Kapton encaps
- $M_X > 0$:
 - Interactions in the LH_2 cell



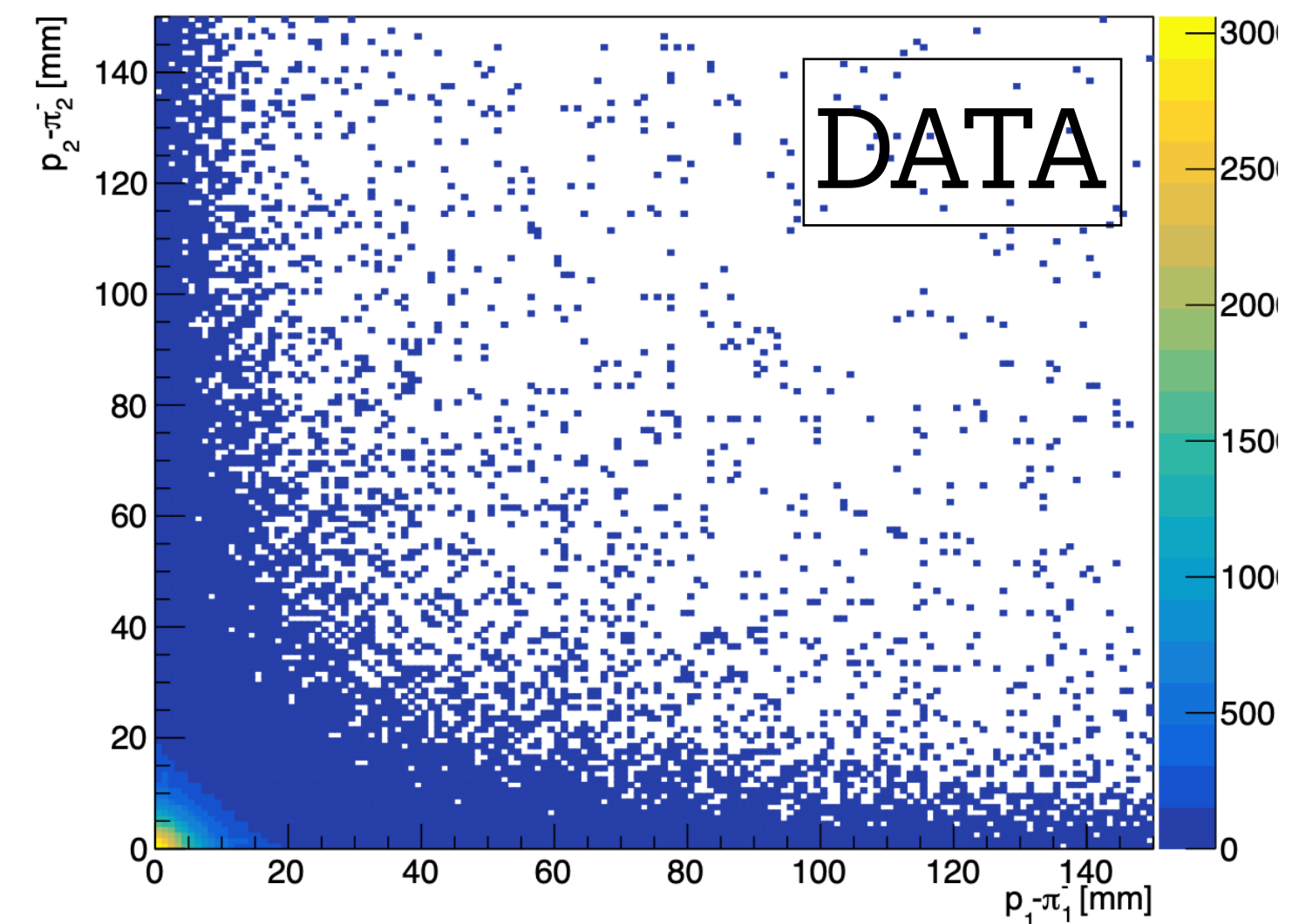
S2

Lambda reconstruction and selection

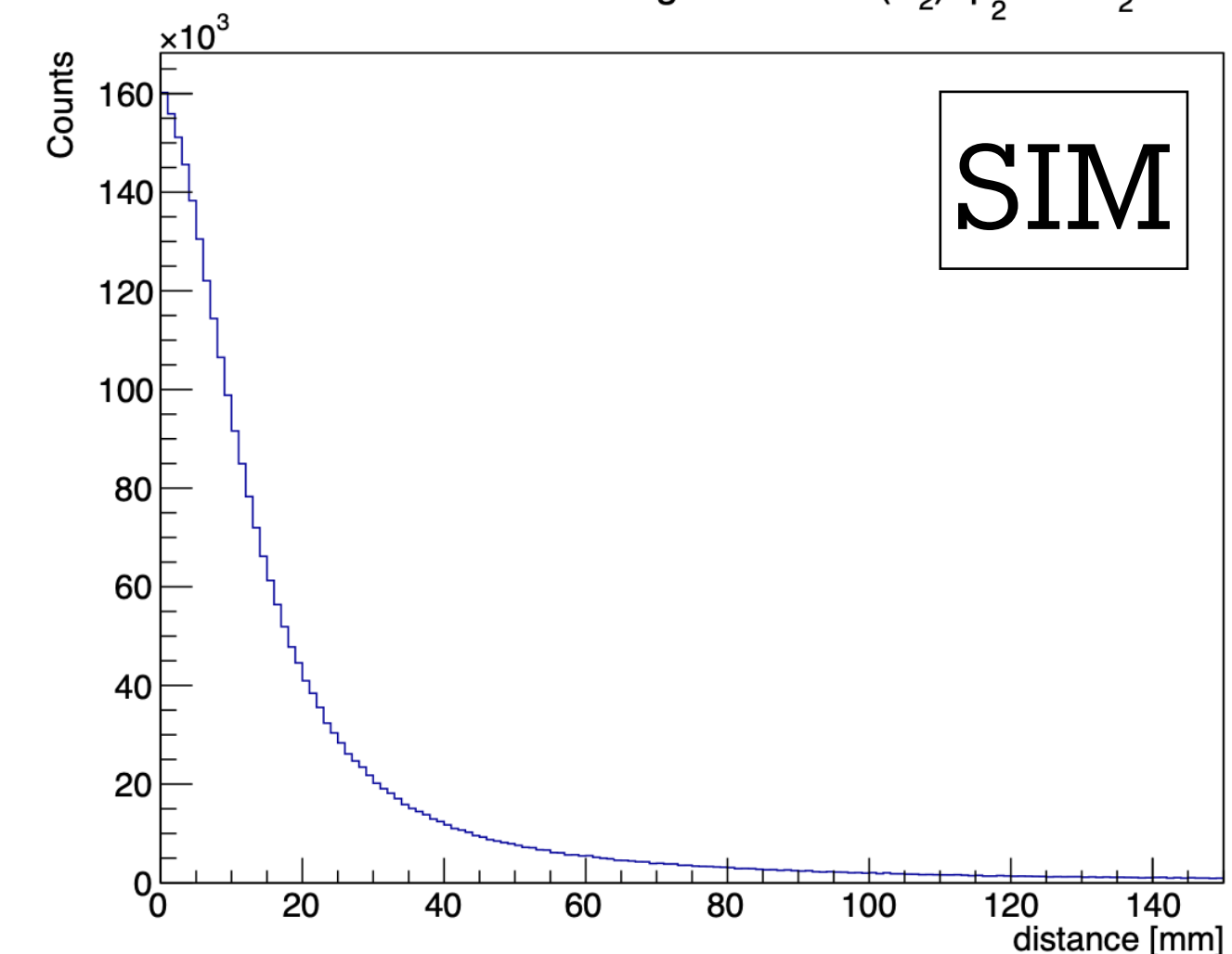
- Select only 2 sets of proton and pions for 2 Λ candidates
- Condition used
- $d_{p_i\pi_i} < 100$ mm $i \in 1,2$
- Select combination with smallest $d_{res} = d_{p_1\pi_1} * d_{p_2\pi_2}$

Simulations show that the d_{res} criteria is not removing Signal events

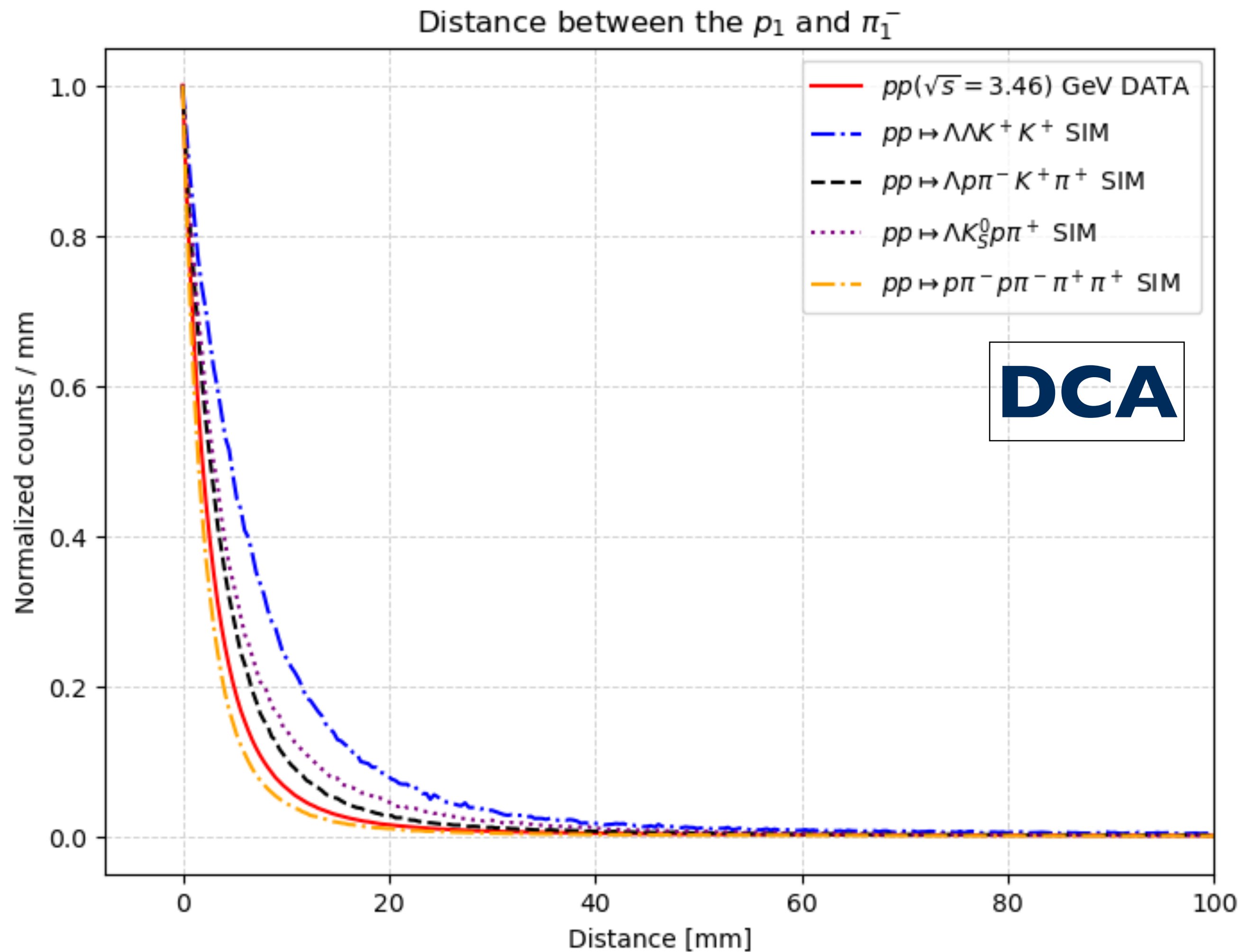
Daughter Track dist Correlations: all Λ_1 - Λ_2



Distance between Daughter tracks (Λ_2): p_2 and π_2



Distance of Closest Approach (DCA)



Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X^- ; X \mapsto K^+, K^+ :$

Λ - Λ Signal

SIG: $pp \mapsto \Lambda \Lambda K^+ K^+$

B. $pp \mapsto \Lambda p \pi^- + X :$

Single- Λ + uncorrelated

OLBG: $pp \mapsto \Lambda p \pi^- K^+ \pi^+$

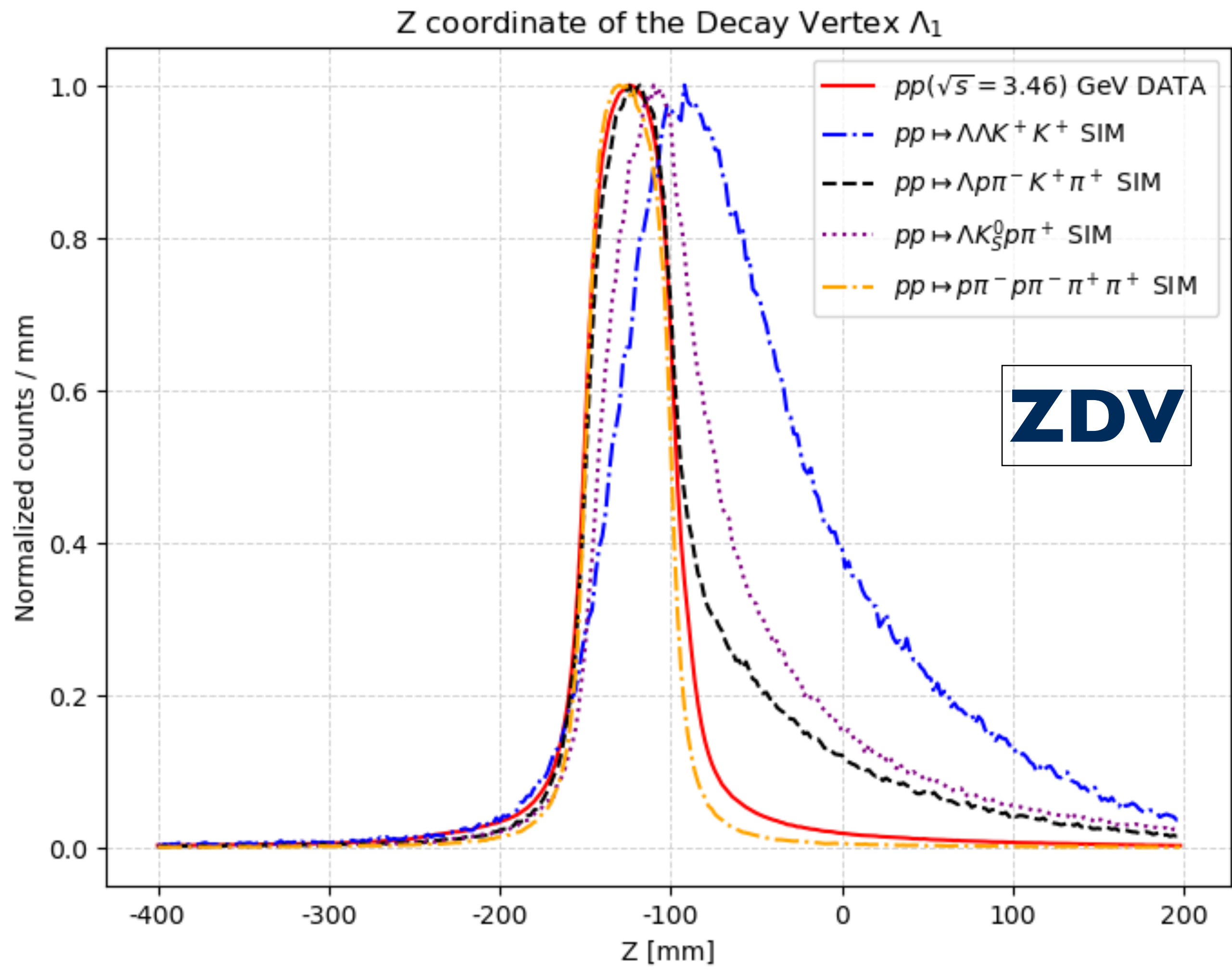
KSBG: $pp \mapsto \Lambda K_S^0 p \pi^+$

C. $pp \mapsto p \pi^- p \pi^- + X ; X \mapsto \pi^+ \pi^+ :$

Pure non-resonant channel

NRBG: $pp \mapsto p \pi^- p \pi^- \pi^+ \pi^+$

Z coordinate of Decay Vertex (ZDV)



Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X$; $X \mapsto K^+, K^+$:

Λ-Λ Signal

SIG: $pp \mapsto \Lambda\Lambda K^+ K^+$

B. $pp \mapsto \Lambda p\pi^- + X$:

Single-Λ + uncorrelated

OLBG: $pp \mapsto \Lambda p\pi^- K^+ \pi^+$

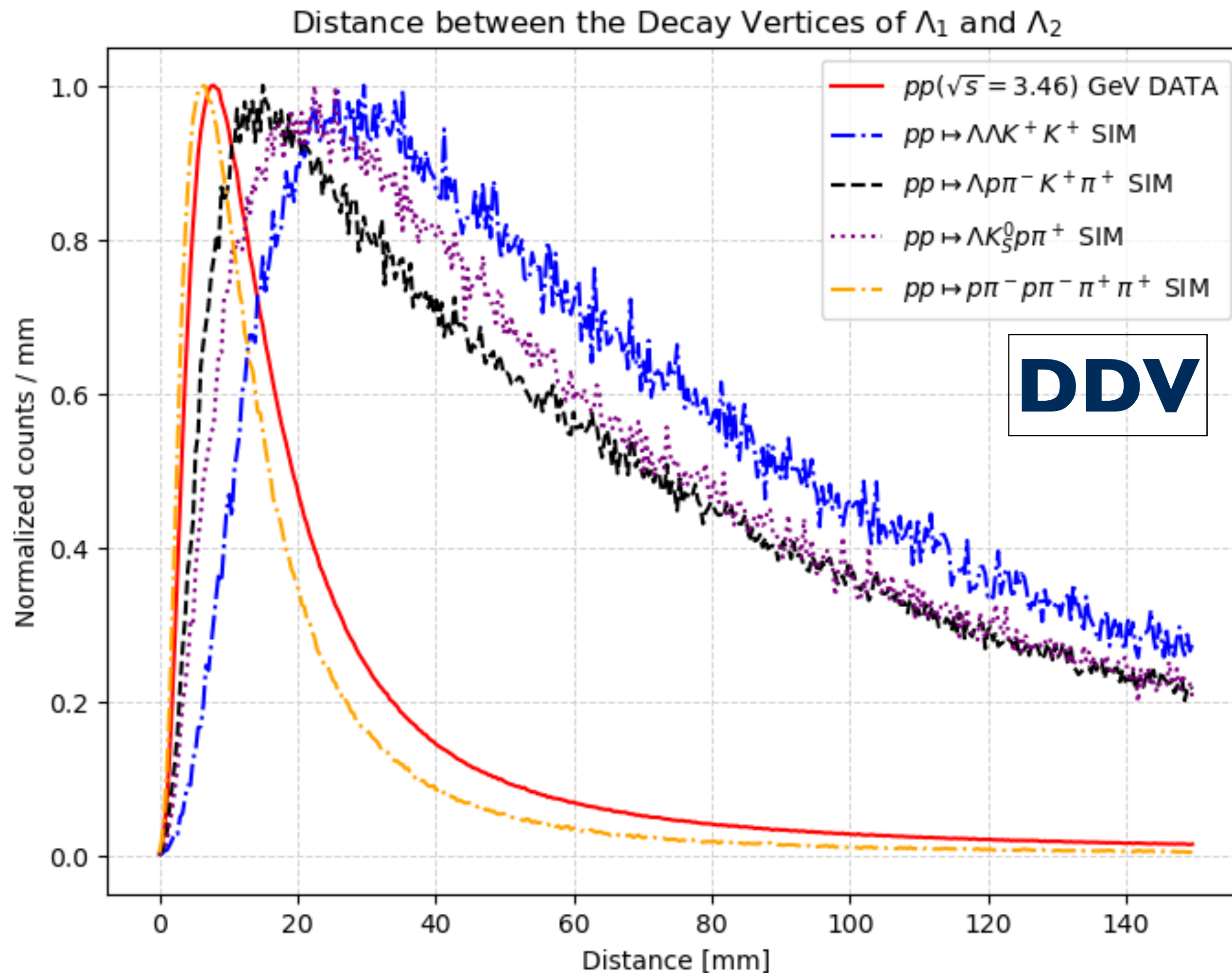
KSBG: $pp \mapsto \Lambda K_S^0 p\pi^+$

C. $pp \mapsto p\pi^- p\pi^- + X$; $X \mapsto \pi^+ \pi^+$:

Pure non-resonant channel

NRBG: $pp \mapsto p\pi^- p\pi^- \pi^+ \pi^+$

Distance between Decay Vertices (DDV)



Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X$; $X \mapsto K^+, K^+$:

Λ - Λ Signal

SIG: $pp \mapsto \Lambda \Lambda K^+ K^+$

B. $pp \mapsto \Lambda p \pi^- + X$:

Single- Λ + uncorrelated

OLBG: $pp \mapsto \Lambda p \pi^- K^+ \pi^+$

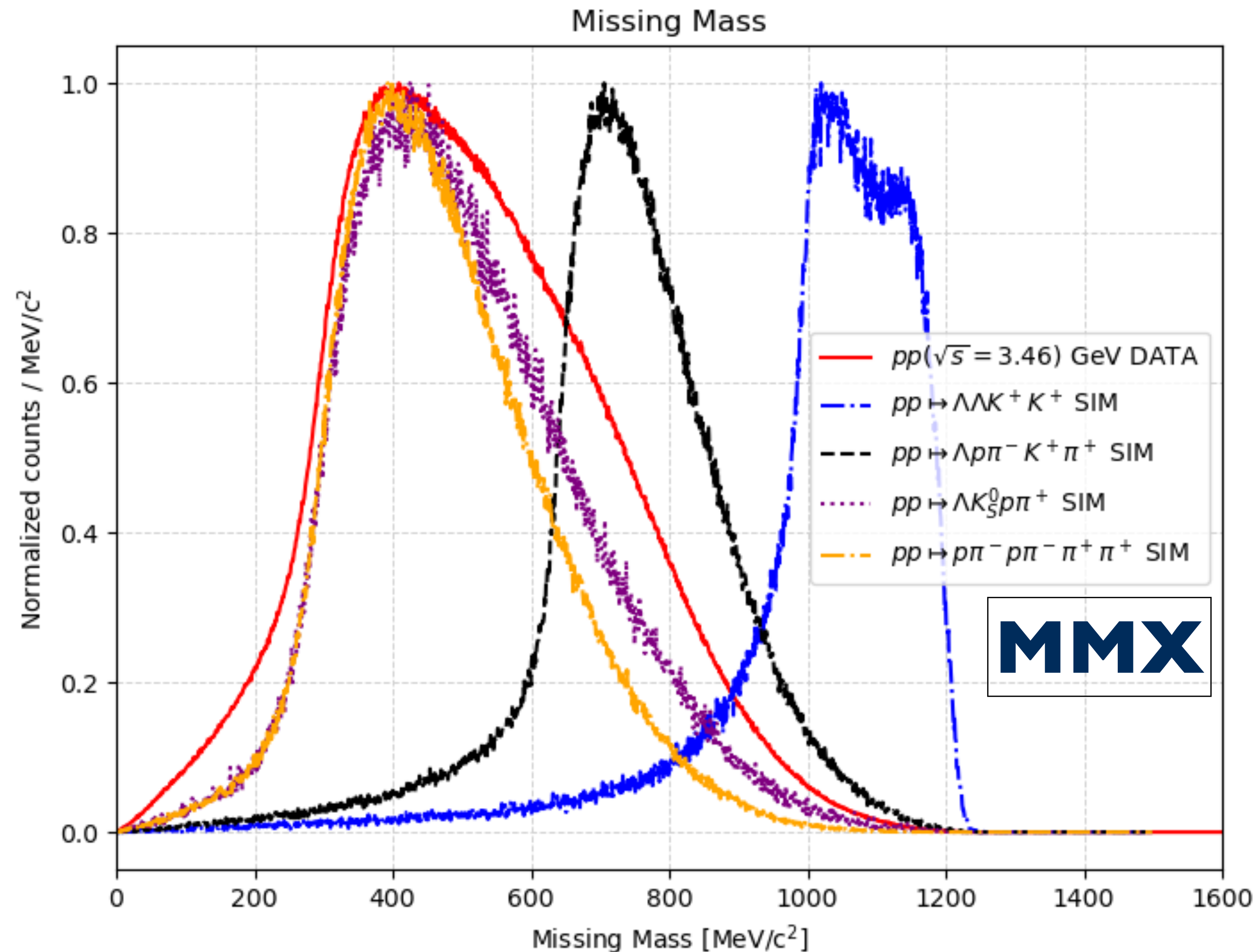
KSBG: $pp \mapsto \Lambda K_S^0 p \pi^+$

C. $pp \mapsto p \pi^- p \pi^- + X$; $X \mapsto \pi^+ \pi^+$:

Pure non-resonant channel

NRBG: $pp \mapsto p \pi^- p \pi^- \pi^+ \pi^+$

Missing Mass - M_X cut on $pp \mapsto \Lambda\Lambda + X$ (MMX)



Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X^- ; X \mapsto K^+, K^+ :$

Λ - Λ Signal

SIG: $pp \mapsto \Lambda\Lambda K^+ K^+$

B. $pp \mapsto \Lambda p\pi^- + X :$

Single- Λ + uncorrelated

OLBG: $pp \mapsto \Lambda p\pi^- K^+ \pi^+$

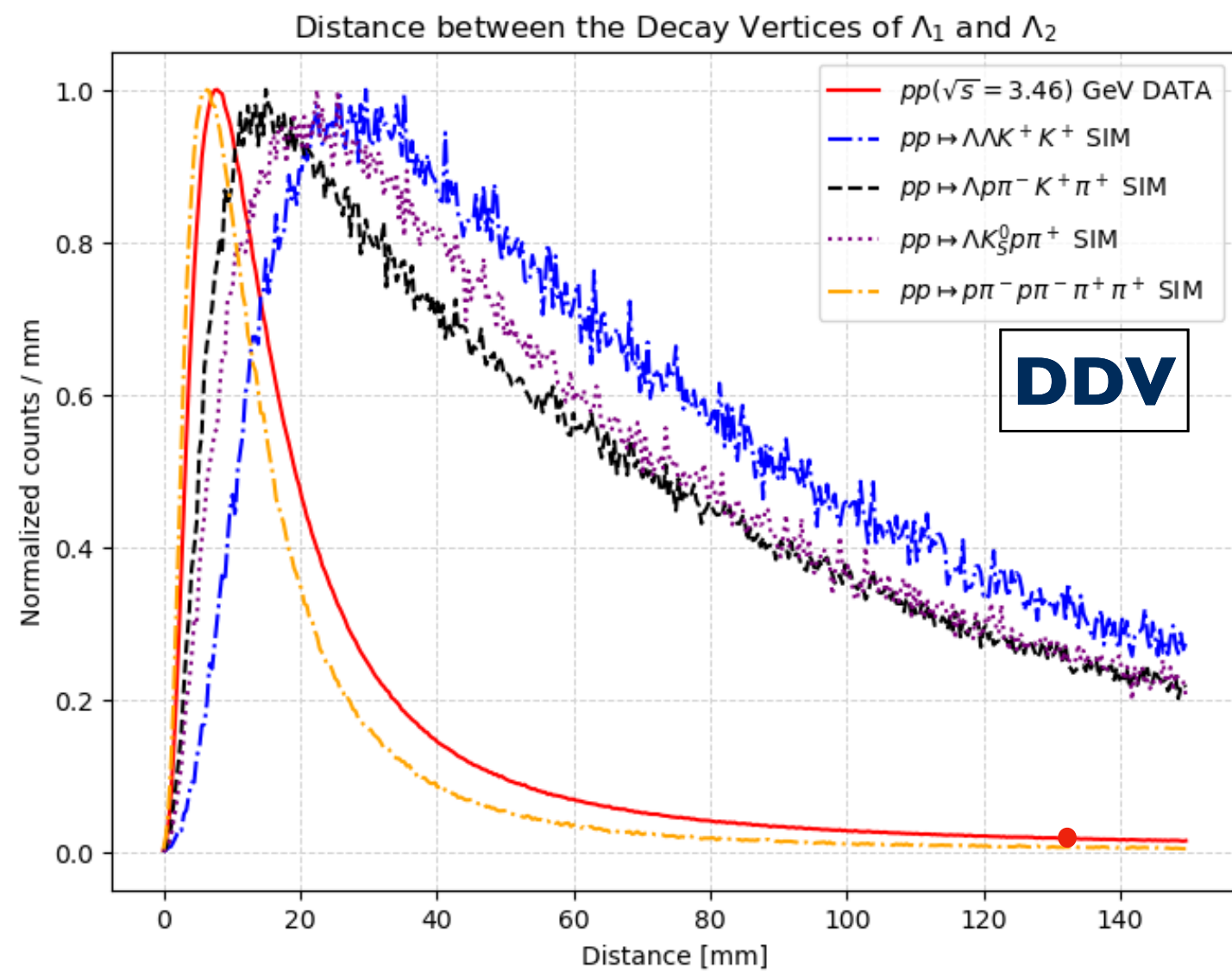
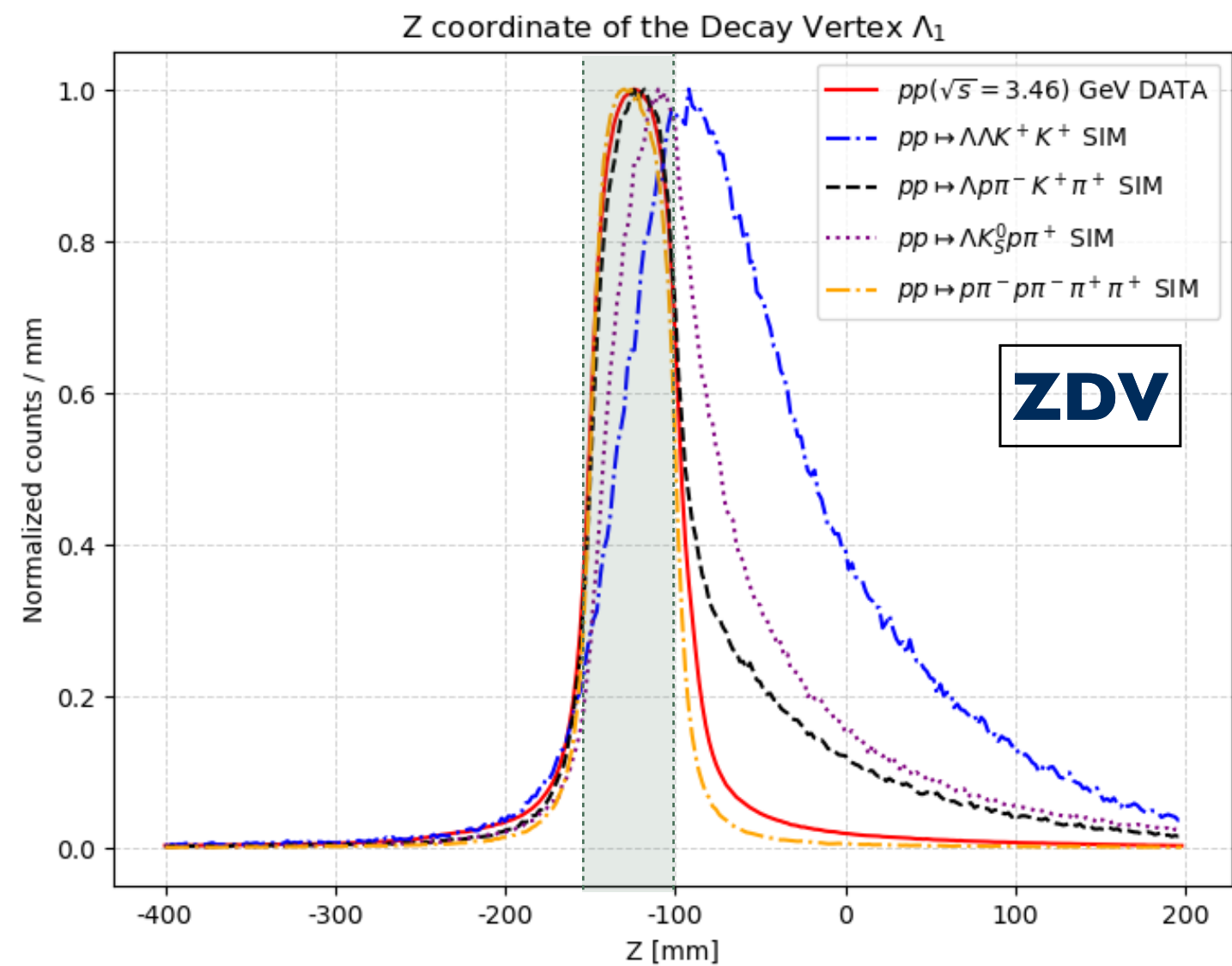
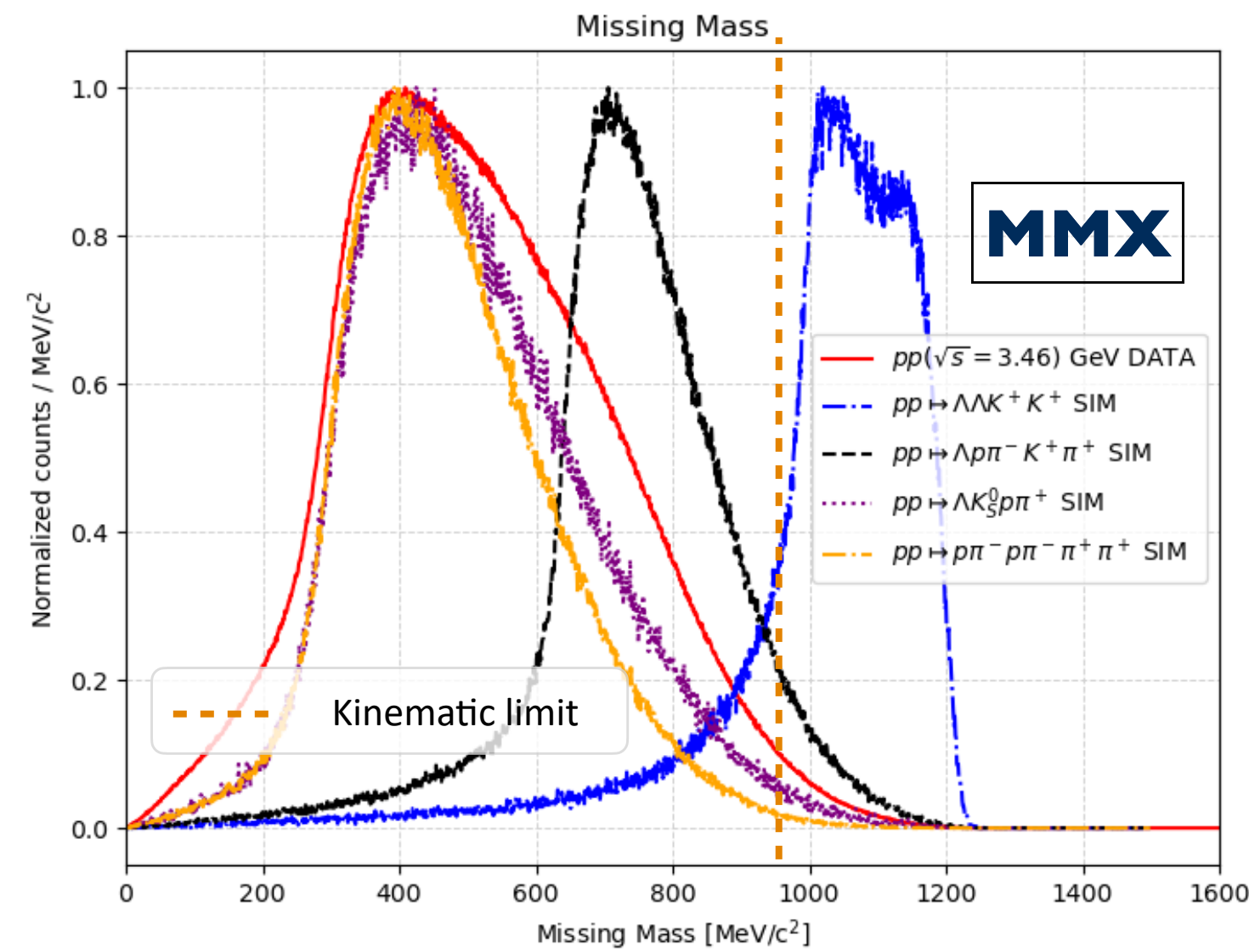
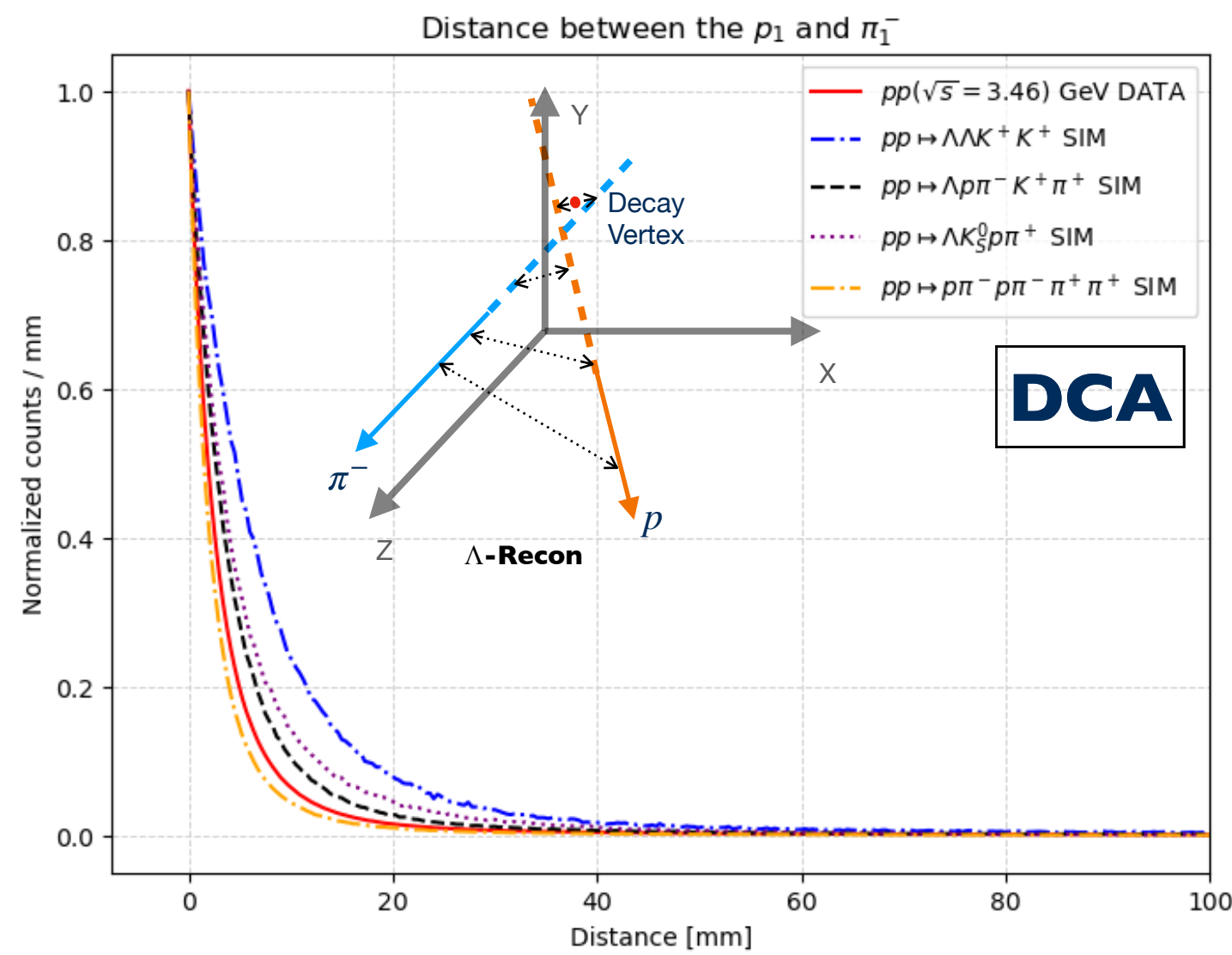
KSBG: $pp \mapsto \Lambda K_S^0 p\pi^+$

C. $pp \mapsto p\pi^- p\pi^- + X ; X \mapsto \pi^+ \pi^+ :$

Pure non-resonant channel

NRBG: $pp \mapsto p\pi^- p\pi^- \pi^+ \pi^+$

Stages-S3: Optimization



Physical channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X^- ; X \mapsto K^+, K^+ :$

Λ - Λ Signal

SIG: $pp \mapsto \Lambda \Lambda K^+ K^+$

B. $pp \mapsto \Lambda p \pi^- + X:$

Single- Λ + uncorrelated

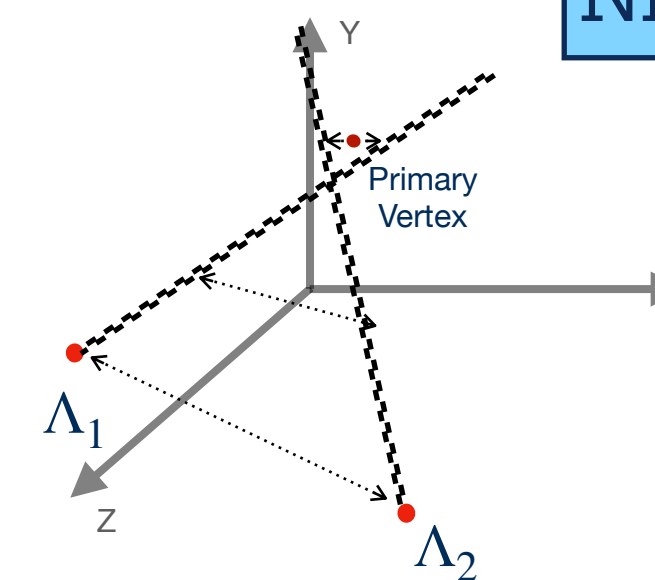
OLBG: $pp \mapsto \Lambda p \pi^- K^+ \pi^+$

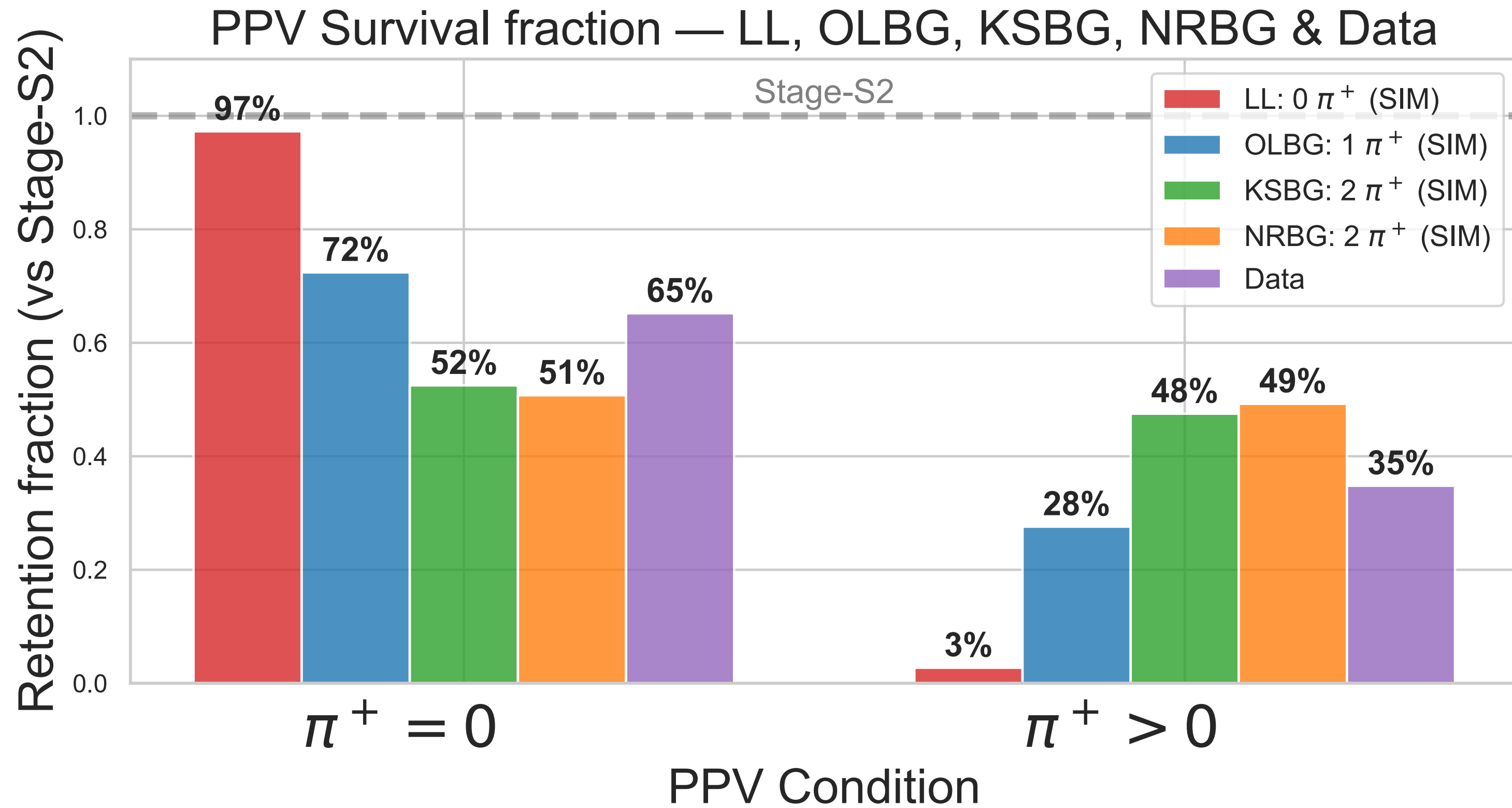
KSBG: $pp \mapsto \Lambda K_S^0 p \pi^+$

C. $pp \mapsto p \pi^- p \pi^- + X; X \mapsto \pi^+ \pi^+ :$

Pure non-resonant channel

NRBG: $pp \mapsto p \pi^- p \pi^- \pi^+ \pi^+$





Physics channels

A. $pp \mapsto \Lambda[p\pi^-] \Lambda[p\pi^-] + X^- ; X \mapsto K^+, K^+ :$
 Λ - Λ Signal

$$\text{SIG: } pp \mapsto \Lambda\Lambda K^+ K^+ \quad : \quad 0 \pi^+$$

B. $pp \mapsto \Lambda p\pi^- + X:$

Single- Λ + uncorrelated

$$\text{OLBG: } pp \mapsto \Lambda p\pi^- K^+ \pi^+ \quad : \quad 1 \pi^+$$

$$\text{KSBG: } pp \mapsto \Lambda K_S^0 p\pi^+ \quad : \quad 2 \pi^+$$

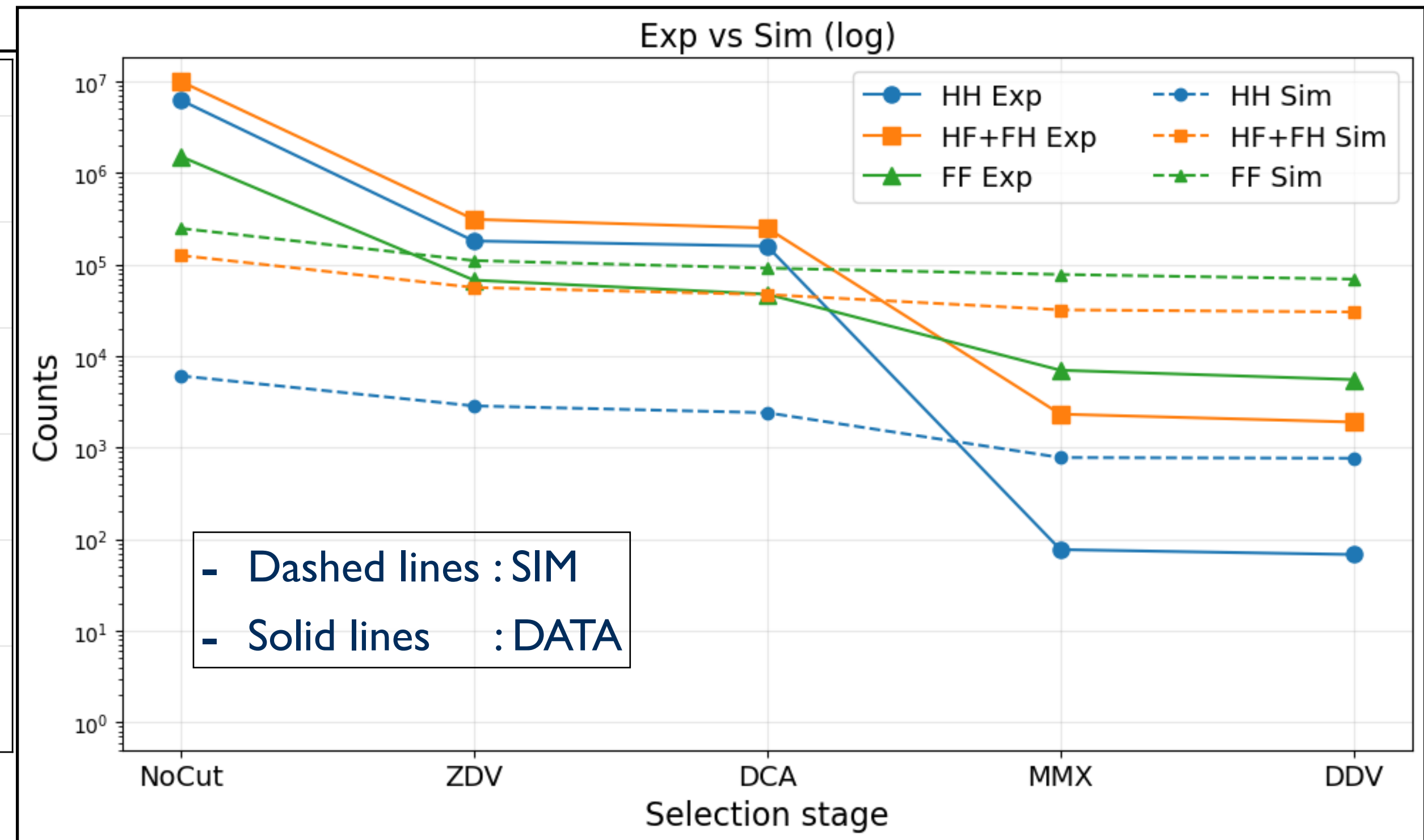
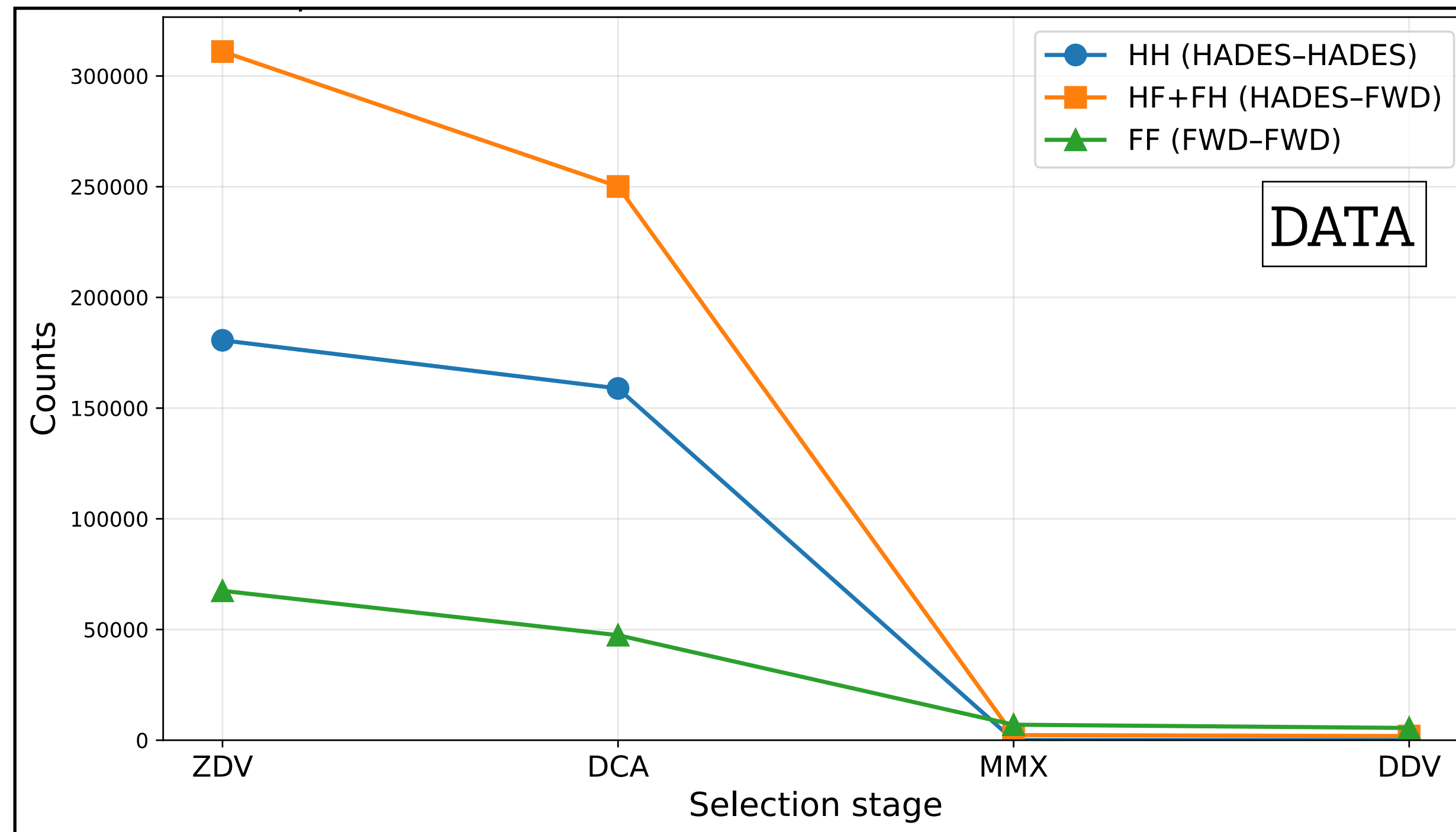
C. $pp \mapsto p\pi^- p\pi^- + X; X \mapsto \pi^+ \pi^+ :$

Pure non-resonant channel

$$\text{NRBG: } pp \mapsto p\pi^- p\pi^- \pi^+ \pi^+ \quad : \quad 2 \pi^+$$

- The PPV keeps most of the signal but rejects only part of the backgrounds.
- Effectiveness is a function of π^+ counts in the background channels.

- HH: p of both Λ candidates are in HADES
- HF: p of at least one Λ candidate is in HADES
- FF: p of both Λ candidates are in FWD



- Missing Mass selection (MMX) is where we lose much of the HH events
- HH events aren't statistically significant enough to extract counts (on the order of 10 events)
- **Simulations show MMX selection is not removing Signal events**

Systematic analysis with FoM

MM (MeV/c ²) Incl.	DCA (mm)	ZDV (mm) :- Coordinate value	DDV (mm)	PPV (#) Pion Plus Veto
> 800	5	> -150	> 5	(>) 0
> 850	0 - 10	> -140	> 10	
> 900	0 - 20	> -130	> 20	(>) 0
> 950	0 - 30	> -120	> 30	
> 1000	0 - 40	> -110	> 40	(>) 0
	0 - 60	> -100	> 60	
	0 - 80	> -95	> 80	(>) 0
	0 - 100	> -90	> 100	
		> -85		
		> -80		
		> -75		

+

Invariant mass range: $1100 \text{ MeV}/c^2 \leq M_{\Lambda_1}, M_{\Lambda_1} \leq 1130 \text{ MeV}/c^2$

Systematic analysis with FoM

MM (MeV/c ²) Incl.	DCA (mm)	ZDV (mm) :- Coordinate value	DDV (mm)	PPV (#) Pion Plus Veto
> 800	5	> -150	> 5	
> 850	0 - 10	> -140	> 10	
> 900	0 - 20	> -130	> 20	
> 950	0 - 30	> -120	> 30	
> 976	0 - 40	> -110	> 40	(=) 0
> 1000	0 - 60	> -100	> 60	
> 1050	0 - 80	> -95	> 80	
	0 - 100	> -90	> 100	
		> -85		
		> -80		
		> -75		

+

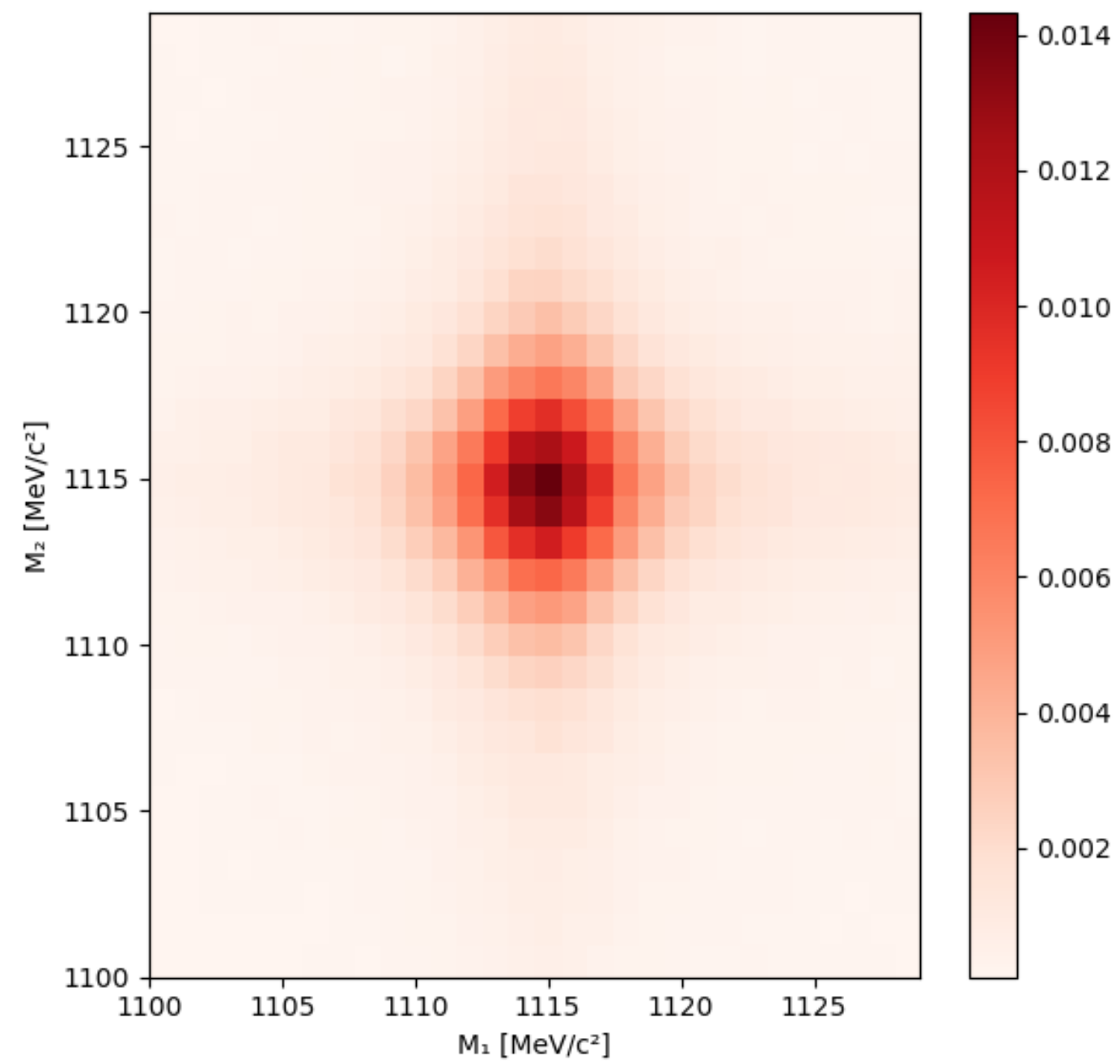
Invariant mass selection: $1100 \text{ MeV}/c^2 \leq M_{\Lambda_1}, M_{\Lambda_1} \leq 1130 \text{ MeV}/c^2$

Maximum Likelihood Fit Model

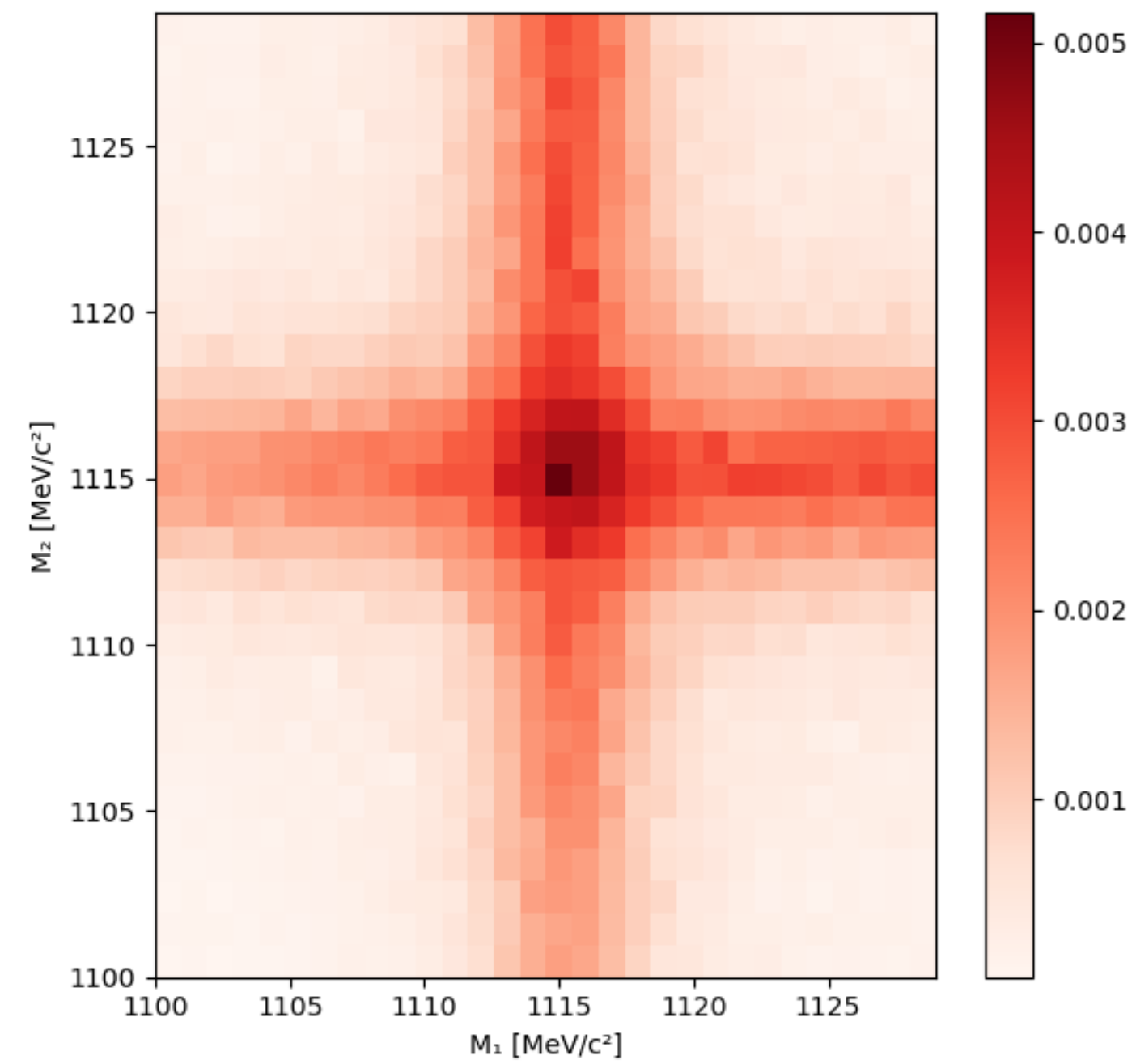
$$model = A \cdot LL_{SIM} + B_0 \cdot OLBG_{SIM} + B_1 \cdot KSBG_{SIM} + NRBG$$

$$NRBG = C_0 + C_1 \cdot (M_{\Lambda_1} + M_{\Lambda_2}) + C_2 \cdot (M_{\Lambda_1}^2 + M_{\Lambda_2}^2) + C_3 \cdot (M_{\Lambda_1} \cdot M_{\Lambda_2})$$

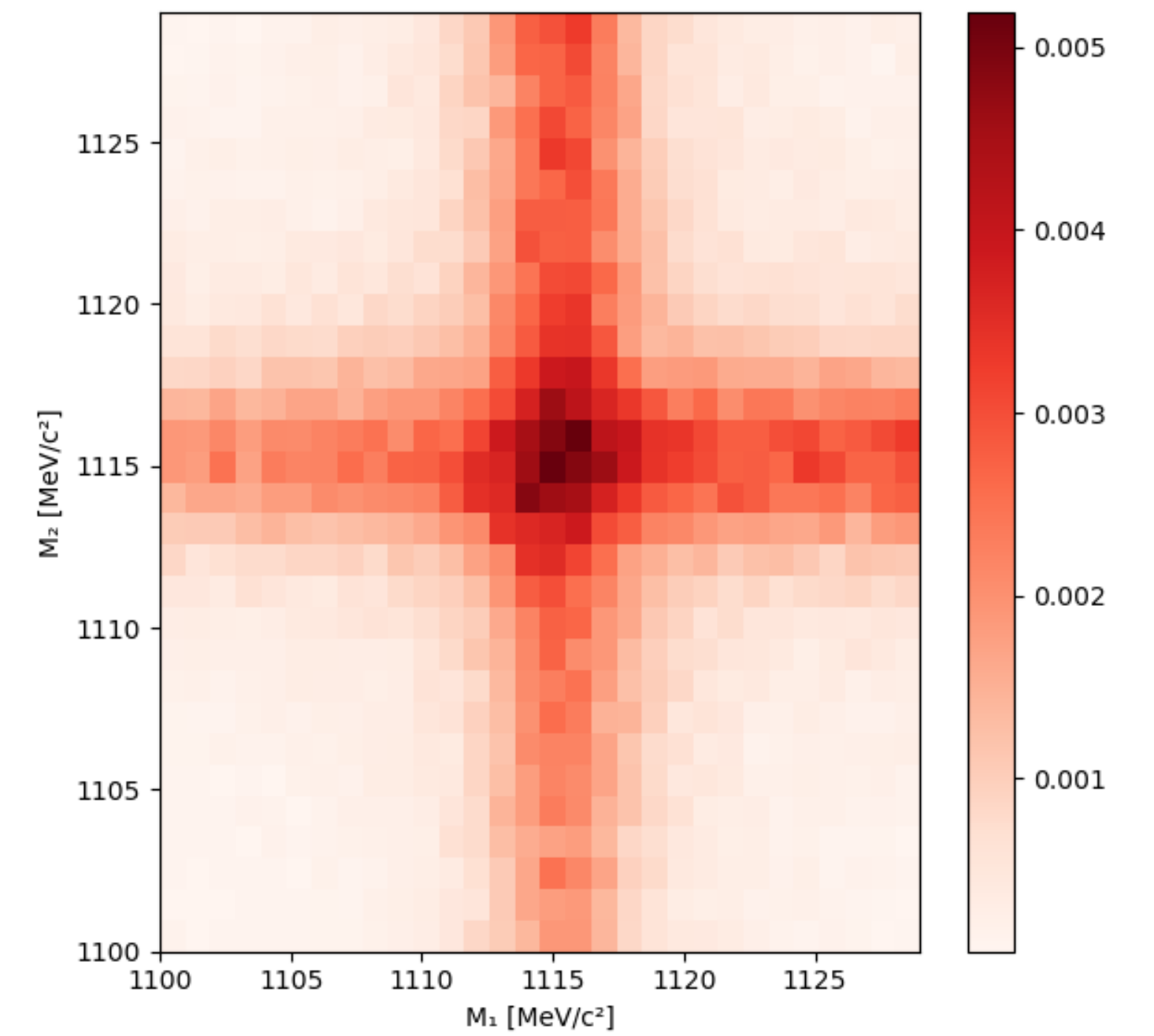
LL: $pp \mapsto \Lambda K^+ K^+$



OLBG: $pp \mapsto \Lambda p \pi^- K^+ \pi^+$



KSBG: $pp \mapsto \Lambda K_S^0 p \pi^+$

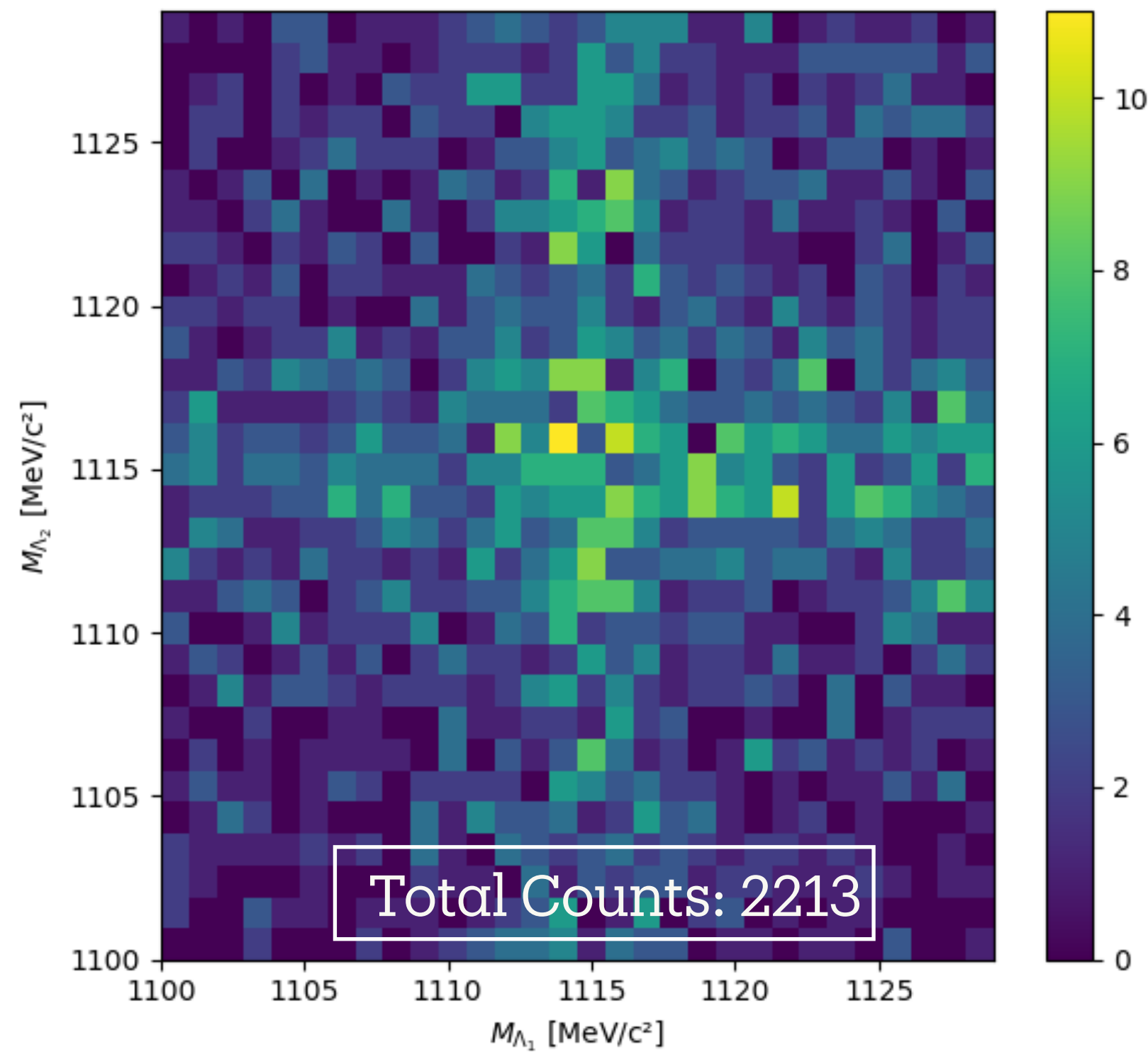


ML Fit Representation with Data

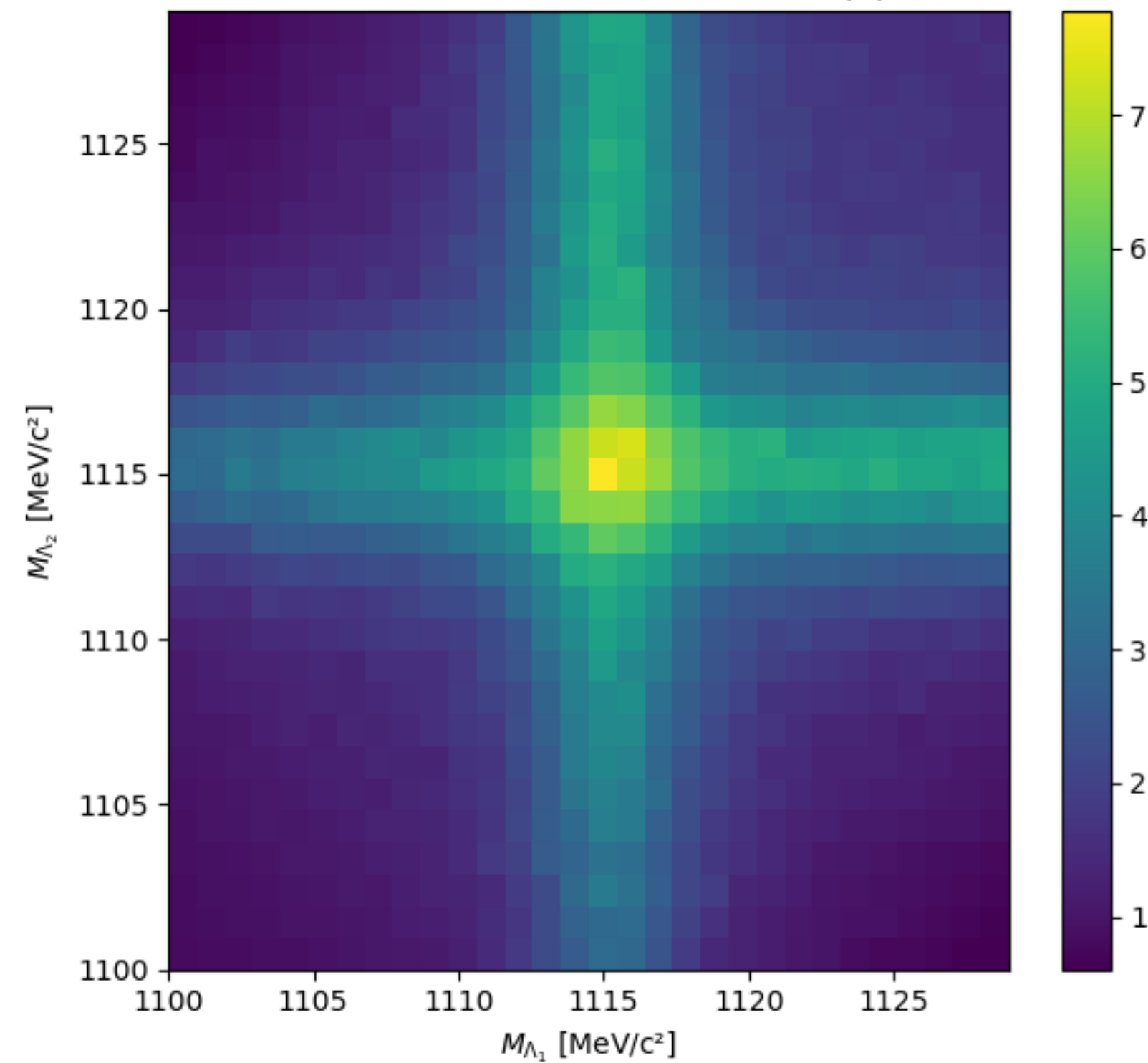
For the optimal parameters:

$$\text{MMX} = 976 \text{ MeV}/c^2, \text{ZDV} = -100 \text{ mm}, \text{DDV} = 10 \text{ mm}, \text{DCA} = 40 \text{ mm}$$

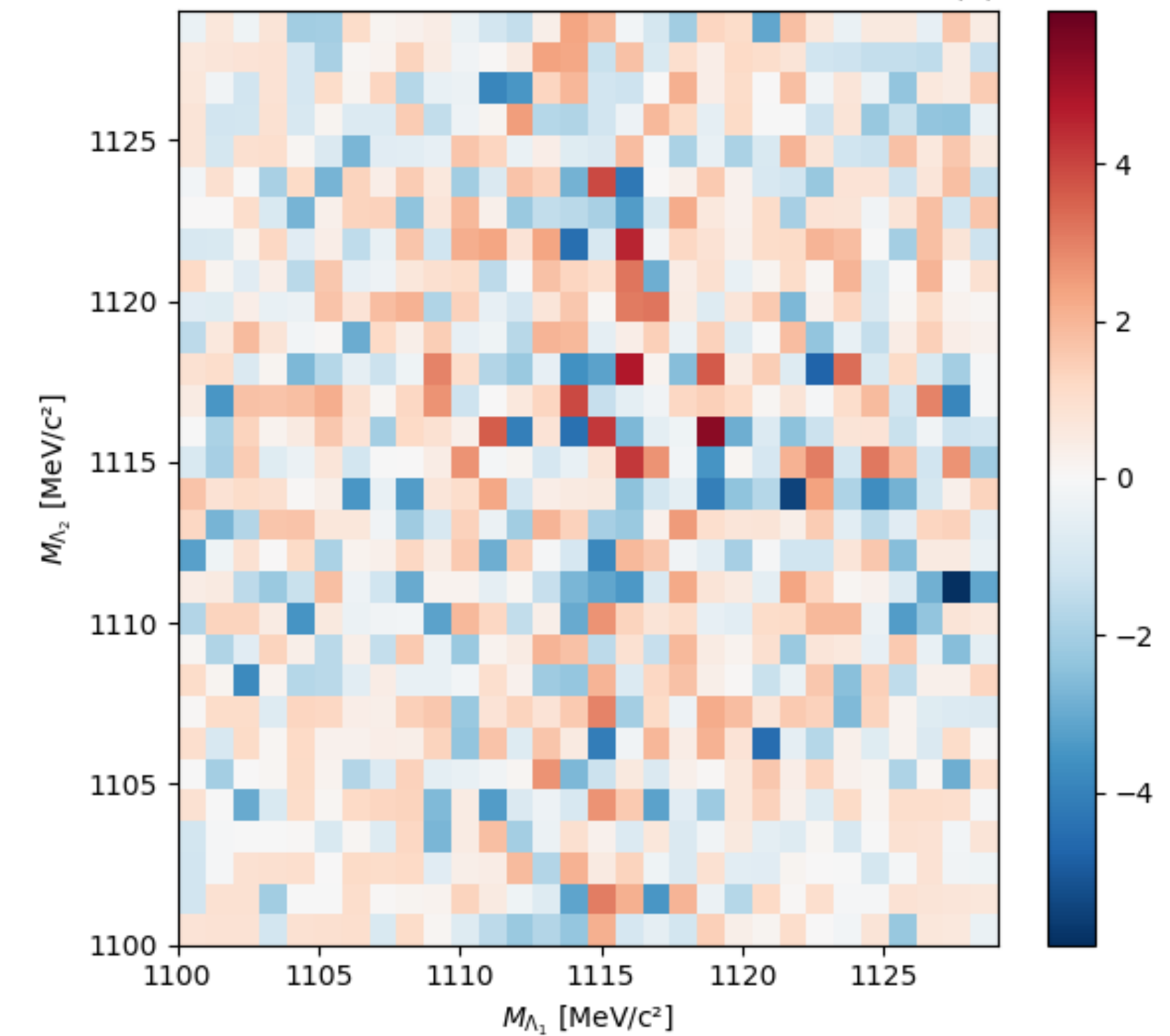
M_{Λ_1} vs. M_{Λ_2}
Data (Before Fit)



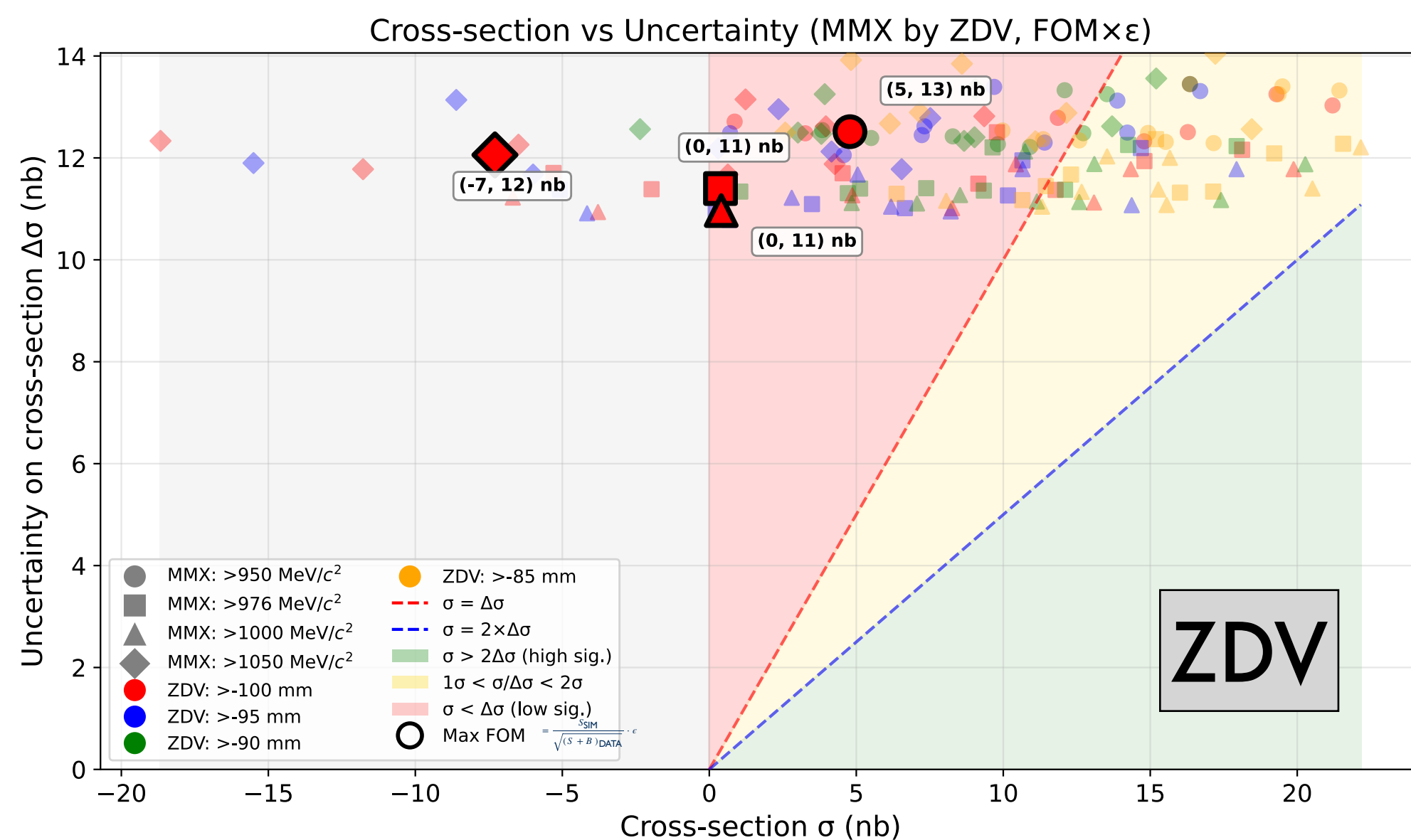
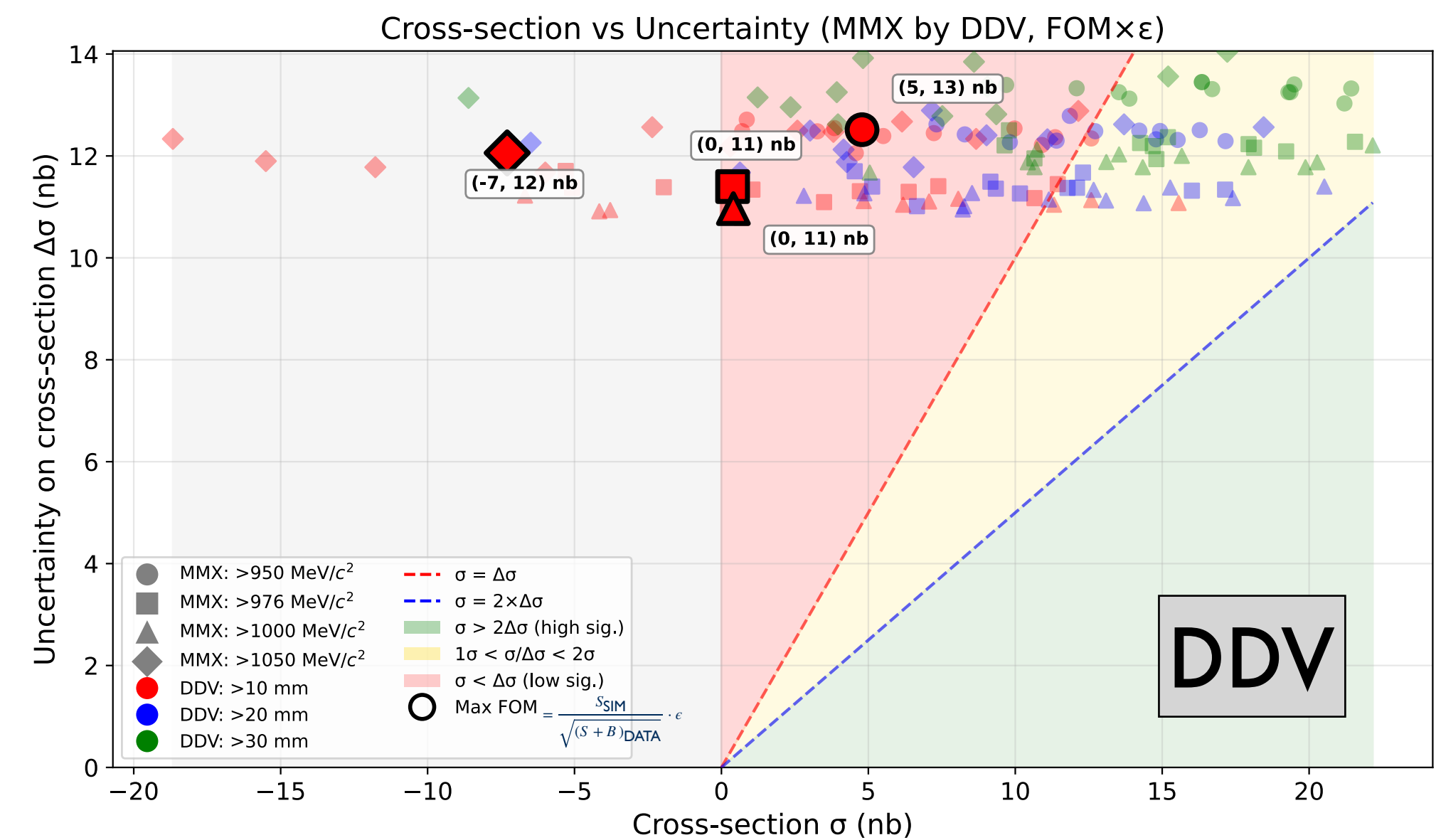
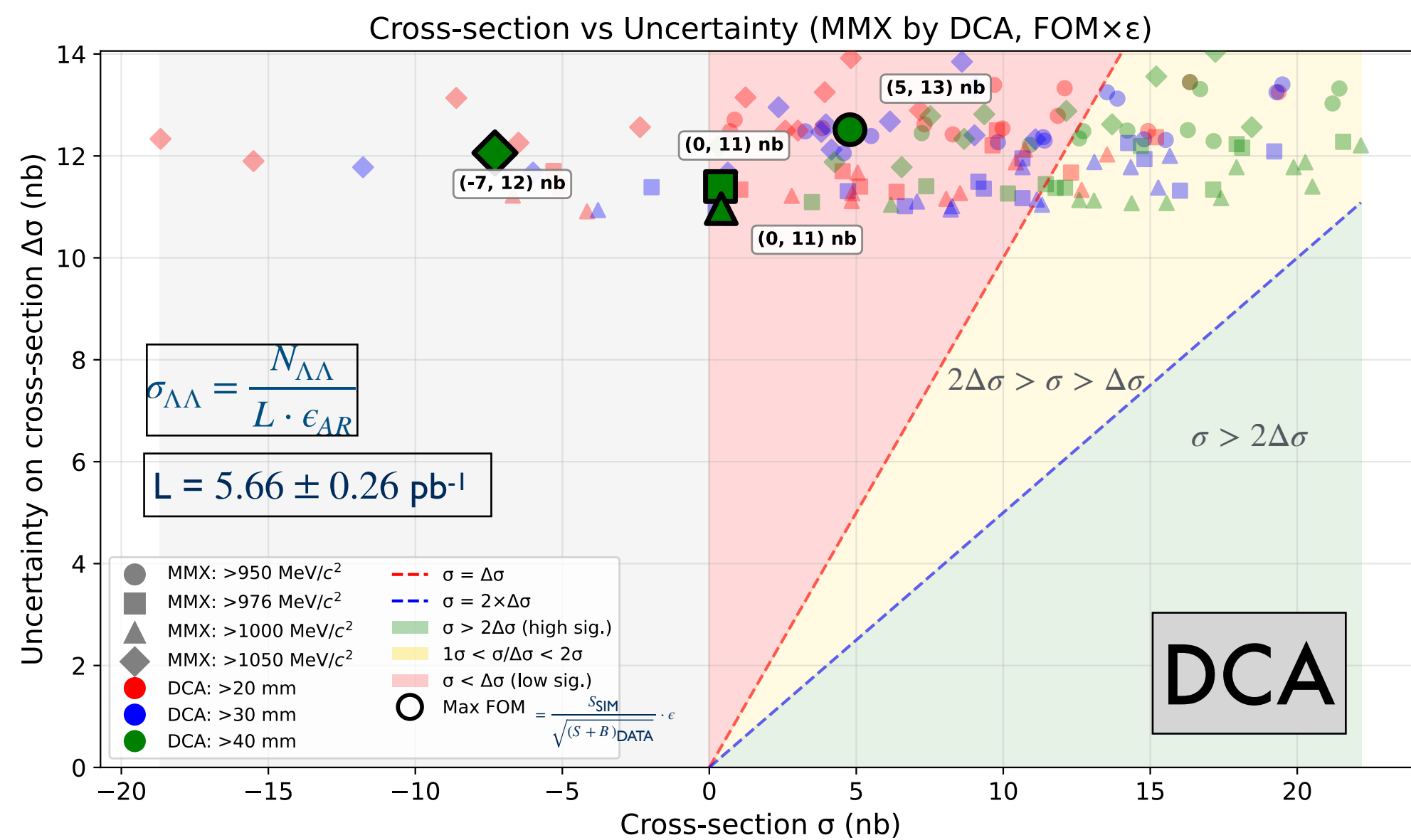
M_{Λ_1} vs. M_{Λ_2}
Data representation with Fitted param



M_{Λ_1} vs. M_{Λ_2}
Difference

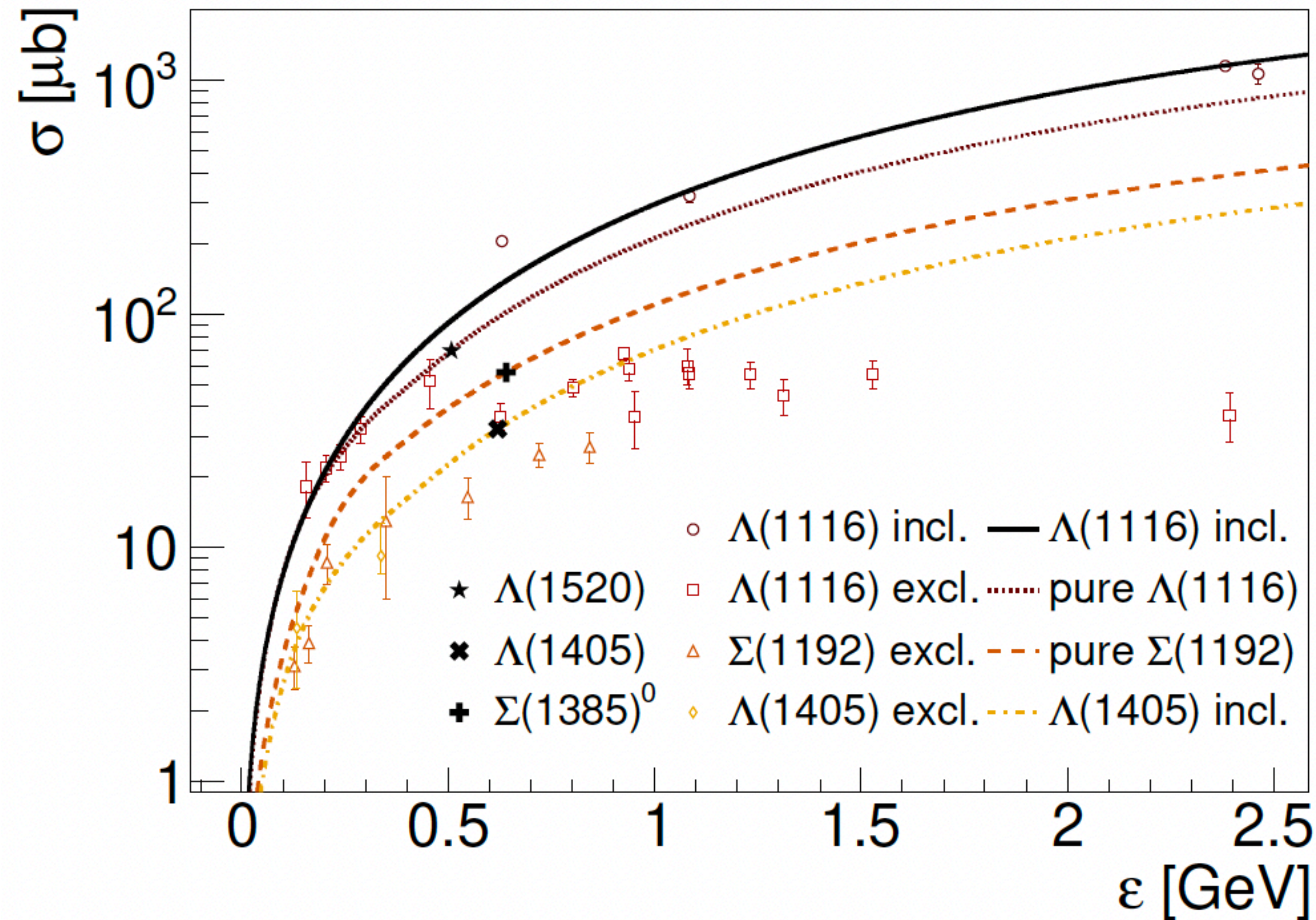


CS variation in the parameter space



- The MMX selection parameter is shown in shapes while the selection in the shown parameter (DCA, DDV or ZDV) are indicated with colours.
- The circled markers indicate the selection combination for which the FOM has a maximum for each MMX.
- **Results show that no selection parameters indicate >2 st. dev**

Cross-section extrapolation:



Threshold energy for inclusive Λ production is
 $\sqrt{s_{th}} = 2.55 \text{ GeV}$

The interpolation function denoted by the solid line is:

$$\sigma_{pp \rightarrow \Lambda X} = 47.97\epsilon + 292.6\epsilon^2 - 45.36\epsilon^3$$

This estimate for the Ξ^- production cross-section is based on the ratio:

$$\frac{\sigma_{\Xi^- X}}{\sigma_{(\Lambda + \Sigma^0) X}}$$

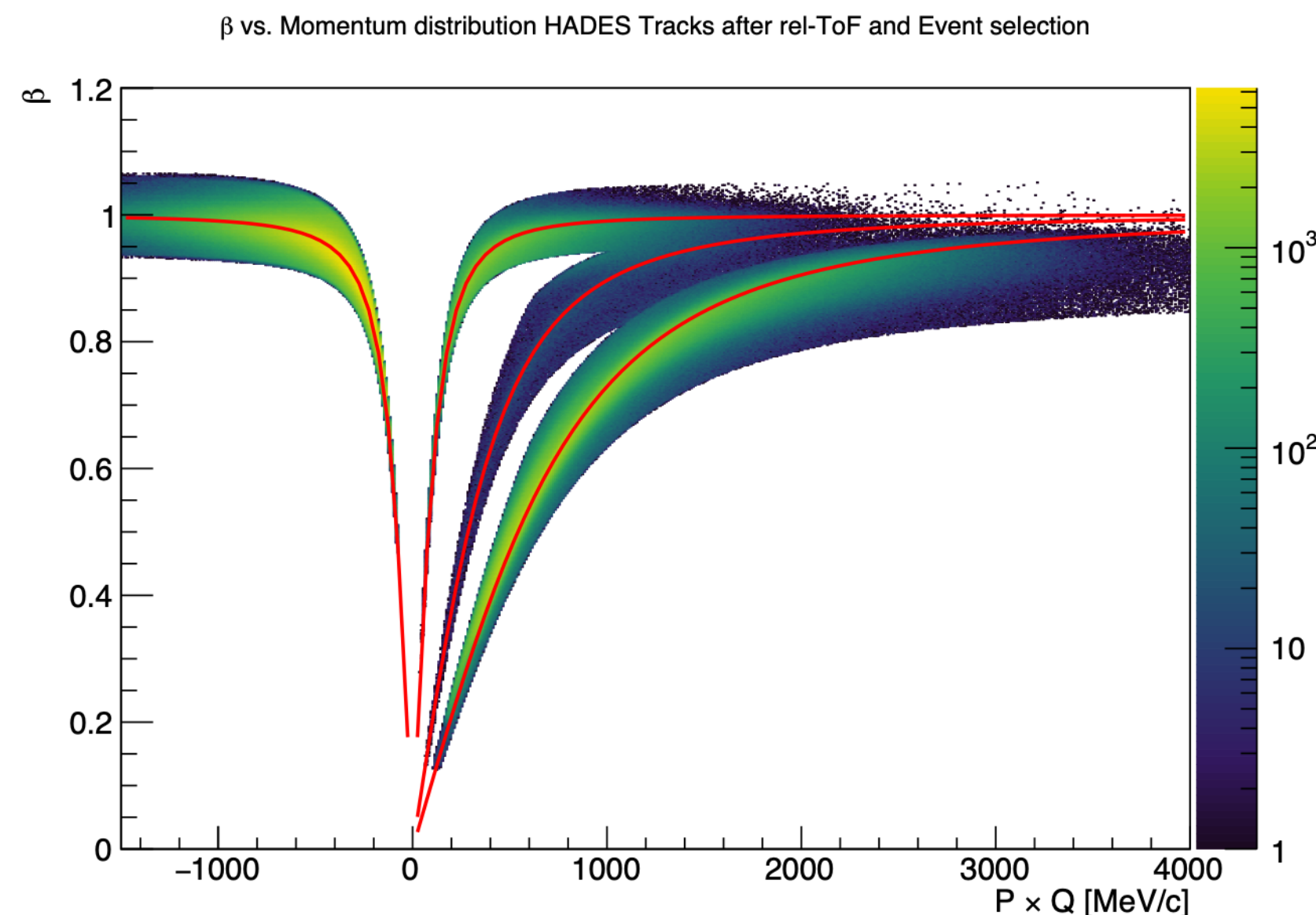
Hyperon production cross-section as a function of excess energy $\epsilon = \sqrt{s} - \sqrt{s_{th}}$

Cross-section extrapolation ($\Lambda + X$):

Table 3. List of background channels used in the benchmark simulations. See Section 3.1 for details. The "Reaction Group" column denotes the reaction in Table 1 for which the given channel is used.

	Channel	σ (μb)	Reaction Group
1	$pp\pi^+\pi^-\pi^0$	1840	AB
2	$p\pi^+\pi^-\Delta^+$	2760	B
3	$pn\pi^+\pi^+\pi^-\pi^0$	300	B
4	$p\pi^+\pi^+\pi^-\Delta^0$	450	B
5	$pp\pi^+\pi^-\pi^0\pi^0$	300	AB
6	$p\Delta K^+$	54.5	A
7	$p\Delta K^+\pi^+\pi^-$	20	A
8	$p\Sigma^0 K^+$	23.5	A
9	$p\Sigma^0 K^+\pi^0$	20	A
10	$p\Sigma^0 K^+\pi^+\pi^-$	2	A
11	$p\Delta K^+\pi^0$	43	AB
12	$\Delta^+ K^+ \Lambda$	64	B
13	$n\Delta K^+\pi^+\pi^0$	20	B
14	$\Delta^0 \pi^+ K^+ \Lambda$	30	B
15	$p\Delta K^+\pi^0\pi^0$	10	B
16	$p\Delta K^+\pi^0\pi^0\pi^0$	7	B
17	$p\Sigma^0 K_S^0 \pi^+$	9	BC
18	$pp\pi^+\pi^+\pi^-\pi^-$	227	CD
19	$p\Delta K_S^0 \pi^+$	30	CD
20	$p\Delta K^+\pi^+\pi^-$	21	CD
21	$n\Delta K_S^0 \pi^+\pi^+$	10	C
22	$ppK_S^0 K_S^0$	1.6	CD

- How to deal with systematics from PID ?
 - Perform analysis with wider/shrunk selections on π^- , p , K^+ and π^+ .
 - Wider selection \implies Longer / shorter
 - Do one separate TOF detectors: RPC, TOF and FRPC



- Systematics for stage-SI with MM selection, one can perform the same analysis on Empty Target dataset and extrapolate the numbers for Full dataset (with Target).
 - Hope we would be left with some finite ($MM > 0$) events with Empty target data.
- Systematics would have to be performed separately for HH, HF and FF type of Λ - Λ candidates !?!

To the big table again....

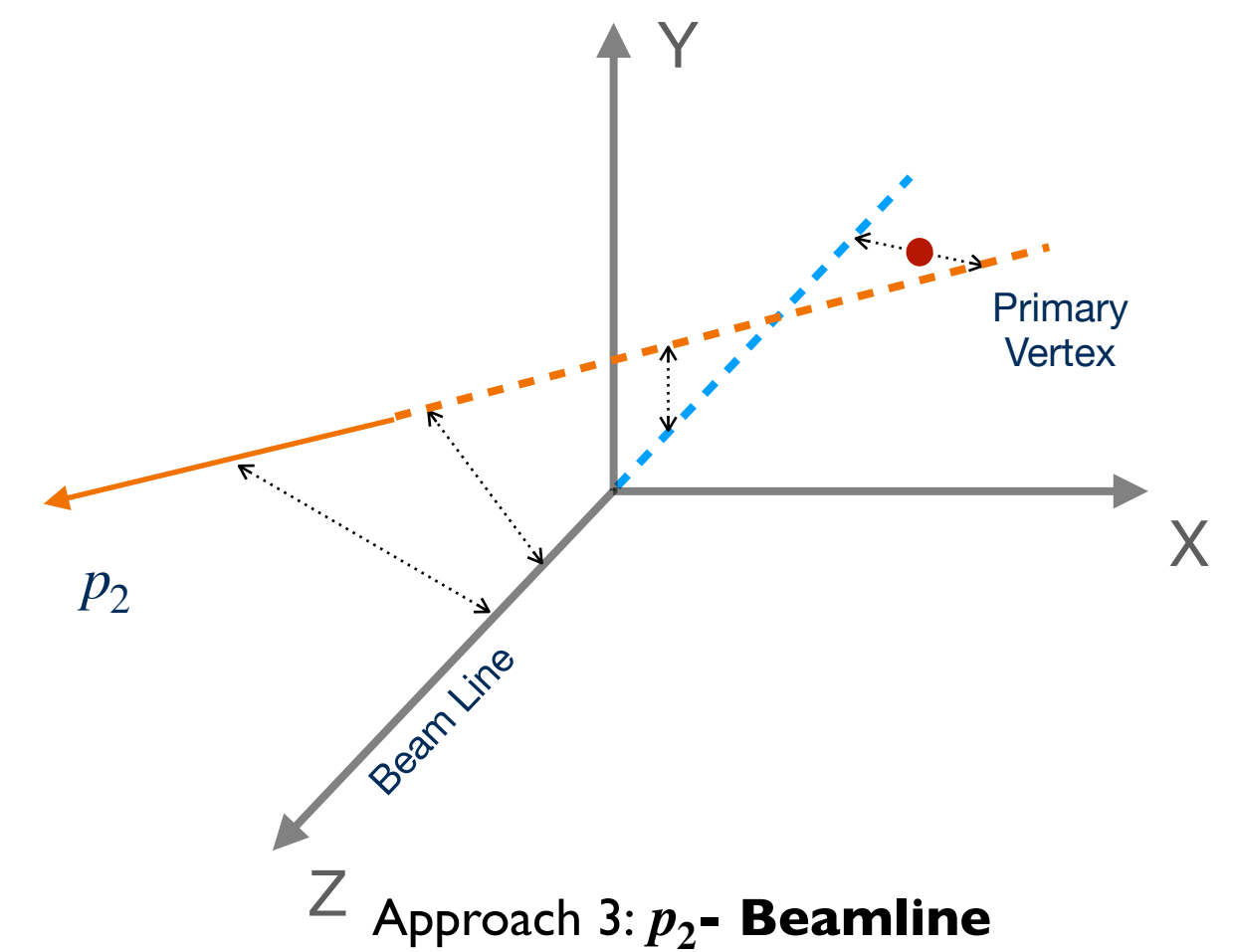
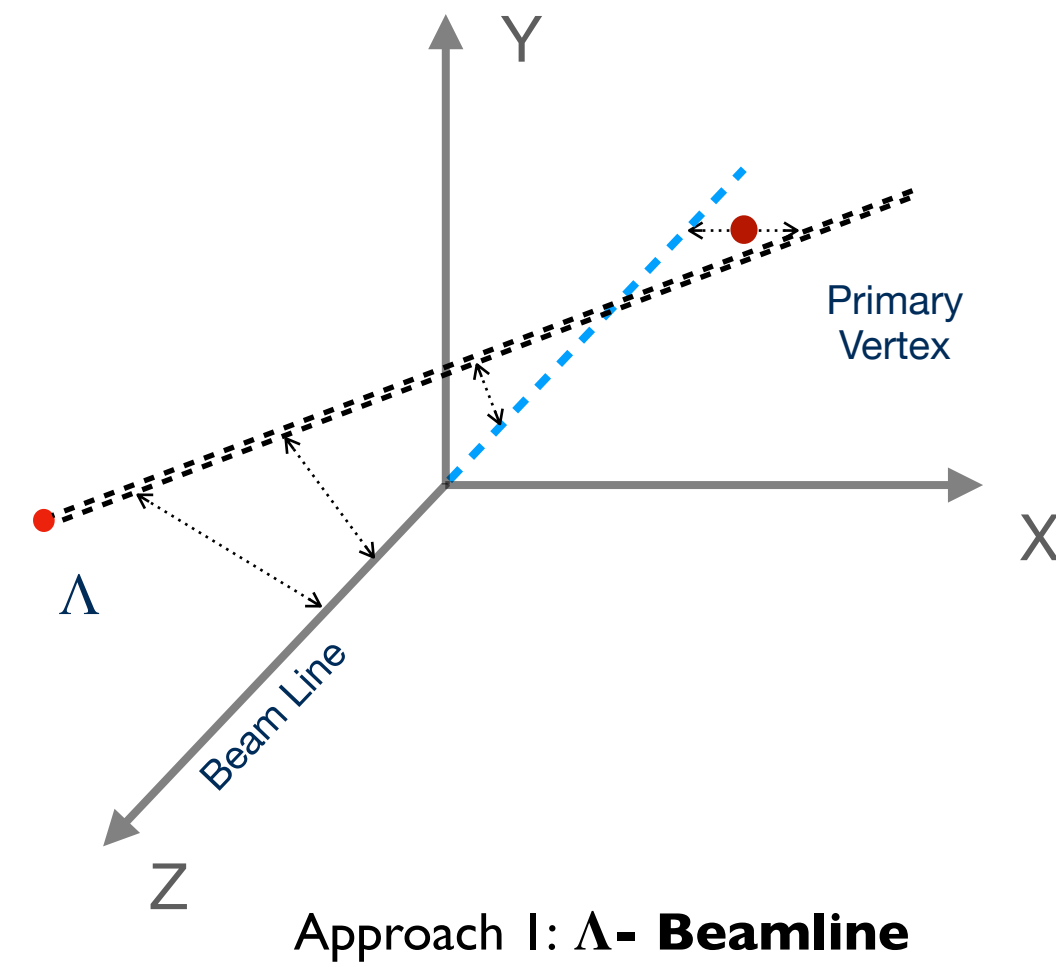
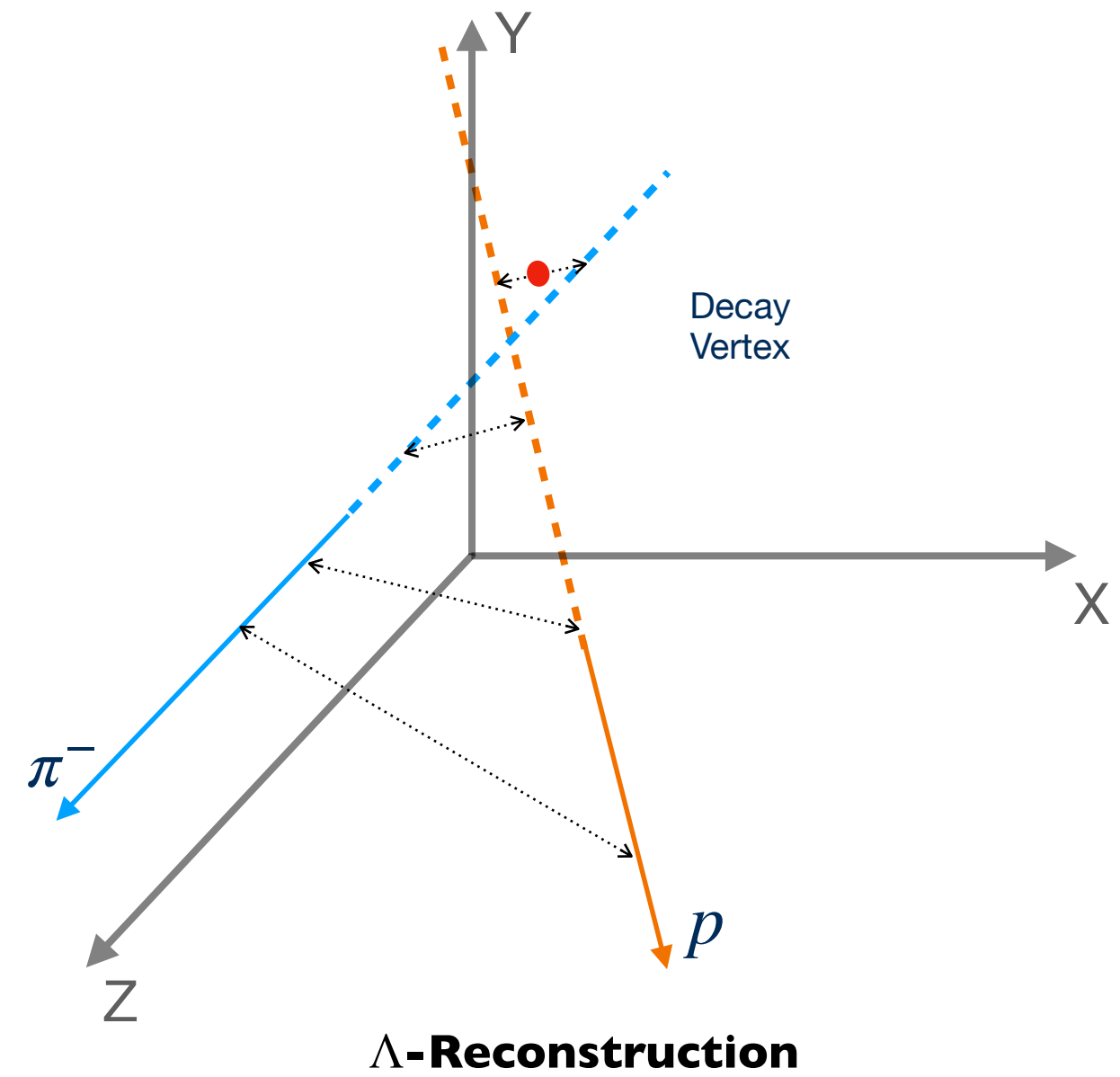
MMX = 976 MeV/c², ZDV = -100 mm, DDV = 10 mm, DCA = 40 mm

					After all the selection cuts: Invariant mass (IMX) cut is applied on the Lambda_1 vs. Lambda_2 correlation mass histogram between: 1100 MeV/c ² to 1130 MeV/c ² i.e. 30 MeV/c ²				DATA (NoCut)	SIM (Recon) (NoCut)		
									137534	189203		
					Data counts after IMX Cut	Simulations channel counts after IMX Cut: S_MC				Significance:	% Loss in due to the CUTs	
MMCut (MeV/c ²)	DCA (mm) (<XX)	ZDV (mm) (>XX)	DDV (mm) (>XX)	PPV	Total Counts (S + B)	OL BG (100 M)	NR BG (97 M)	Signal: LL (100 M)	TRUE LL Counts	[S_MC/Sqrt(S + B)]	In DATA	In SIM
>950	20	-100	10	(==)0	2078			81741	67107	1793,1523	98,49	56,80
>950	20	-100	20	(==)0	1740			75780	62278	1816,6864	98,73	59,95
>950	20	-100	30	(==)0	1456			67165	55288	1760,2013	98,94	64,50
>950	20	-95	10	(==)0	1633			75198	61922	1860,8578	98,81	60,26
>950	20	-95	20	(==)0	1399			69801	57539	1866,1768	98,98	63,11
>950	20	-95	30	(==)0	1184			61860	51066	1797,7697	99,14	67,30
>950	20	-90	10	(==)0	1308			68645	56644	1898,0386	99,05	63,72
>950	20	-90	20	(==)0	1128			63858	52749	1901,3443	99,18	66,25
>950	20	-90	30	(==)0	966			56614	46829	1821,5256	99,30	70,08
>950	30	-100	10	(==)0	2468			92016	73953	1852,2123	98,21	51,37
>950	30	-100	20	(==)0	2091			85520	68742	1870,2113	98,48	54,80
>950	30	-100	30	(==)0	1776			76001	61107	1803,4239	98,71	59,83
>950	30	-95	10	(==)0	1974			84676	68247	1905,8414	98,56	55,25
>950	30	-95	20	(==)0	1706			78785	63514	1907,4538	98,76	58,36
>950	30	-95	30	(==)0	1476			70028	56450	1822,7560	98,93	62,99
>950	30	-90	10	(==)0	1616			77358	62442	1924,3522	98,83	59,11
>950	30	-90	20	(==)0	1404			72124	58229	1924,8472	98,98	61,88
>950	30	-90	30	(==)0	1221			64147	51787	1835,7711	99,11	66,10
>950	40	-100	10	(==)0	2706			96003	76042	1845,5291	98,03	49,26
>950	40	-100	20	(==)0	2312			89361	70747	1858,4638	98,32	52,77
>950	40	-100	30	(==)0	1973			79565	62940	1791,2596	98,57	57,95

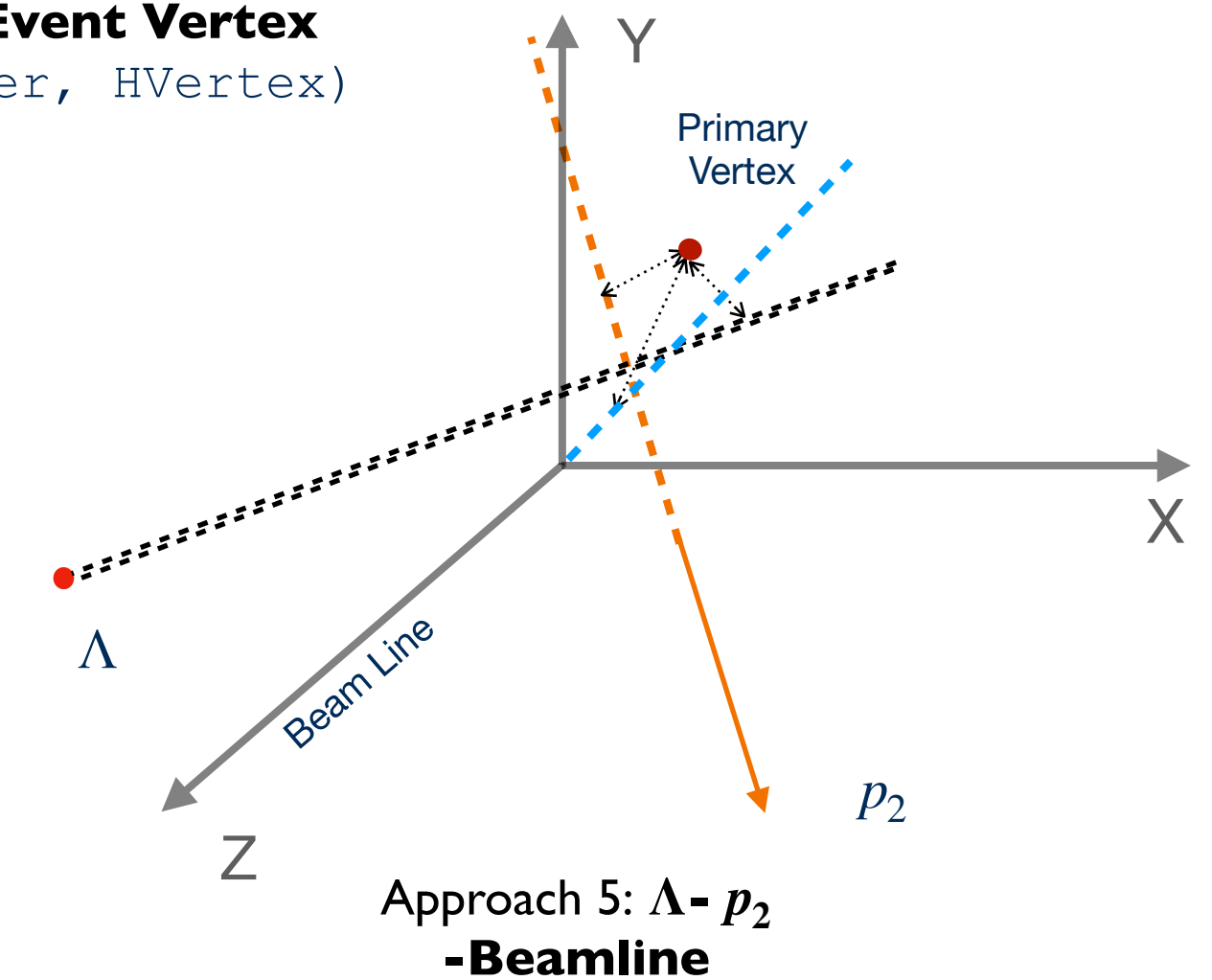
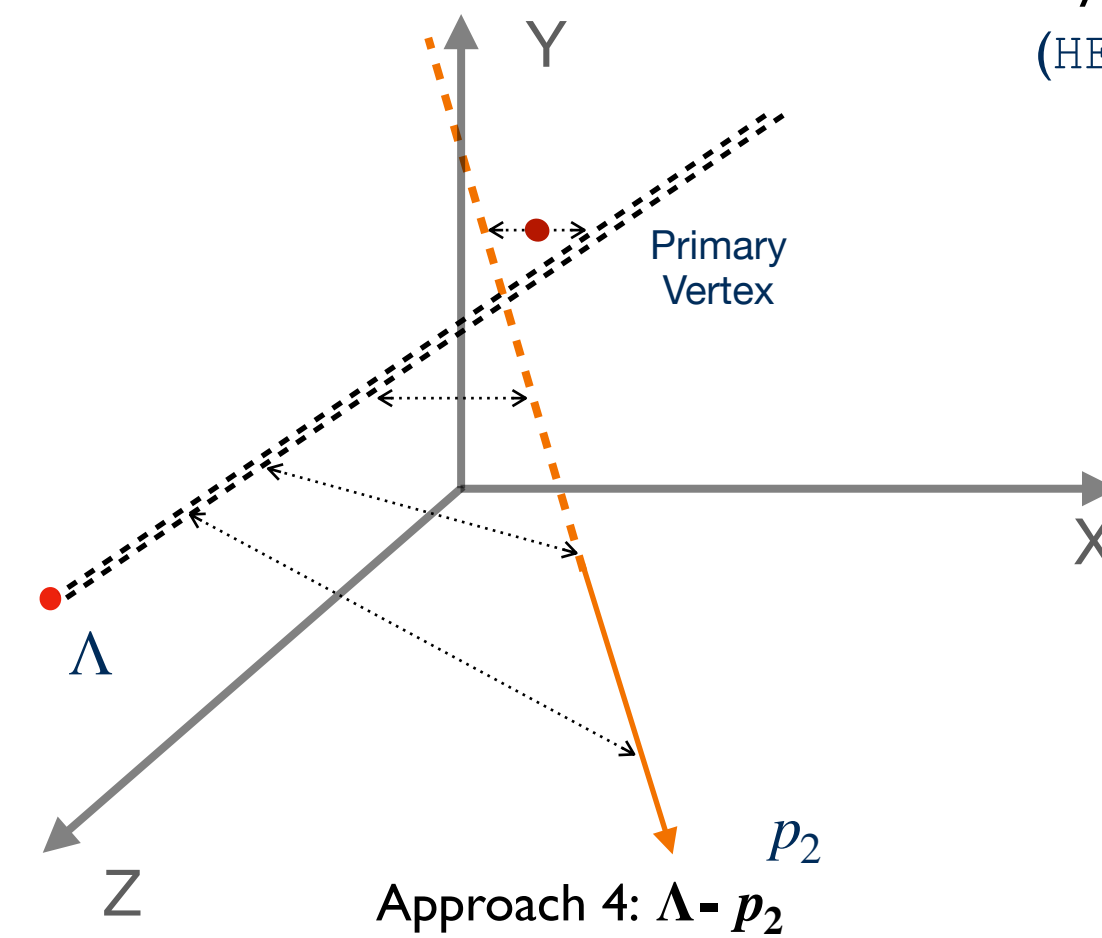
π^+ Reconstruction efficiency: NRBG

```
Total Events analysed: 1000000
Total number of [Exclusive] Events select: 0
Total 2p pi HF counts: 0
Total number of Tracks [HADES, Forward]: [4146360, 415639]
Total number of final state particles [p(Prim + Dec), pi-, pi+, K+]: [514517(514517+0), 0, 815997, 0]
Total number of final state particles in Forward Track [p(Prim + Dec), pi-, pi+, K+]: [245322(218012+0), 0, 63052, 0]
Final State Tracks
HADES
Number of primary protons 514517 51.4517%
Number of decay protons 0 0%
Number of pionMinus Lambda(s) 0 0%
Number of pionPlus Primary 815997 40.7998%
Number of kaons 0 0%
Forward
Number of primary protons 218012 21.8012%
Number of decay protons 0 0%
Number of pionMinus Lambda(s) 0 0%
Number of pionPlus Primary 63052 3.1526%
Number of kaons 0 0%
```

Decay and primary Vtx reconstruction



Approach 2: **Event Vertex**
(HEventHeader, HVertex)



- KinFit demands Estimating Primary Vertex to reconstruct the Neutral candidate
- The requirement is to estimate the **Direction** (θ, ϕ) of the Neutral candidate, here Λ
- Specific to the topology of the channel, multiple approaches can be applied to reconstruct Primary vertex (Event vertex)