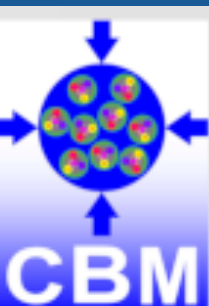


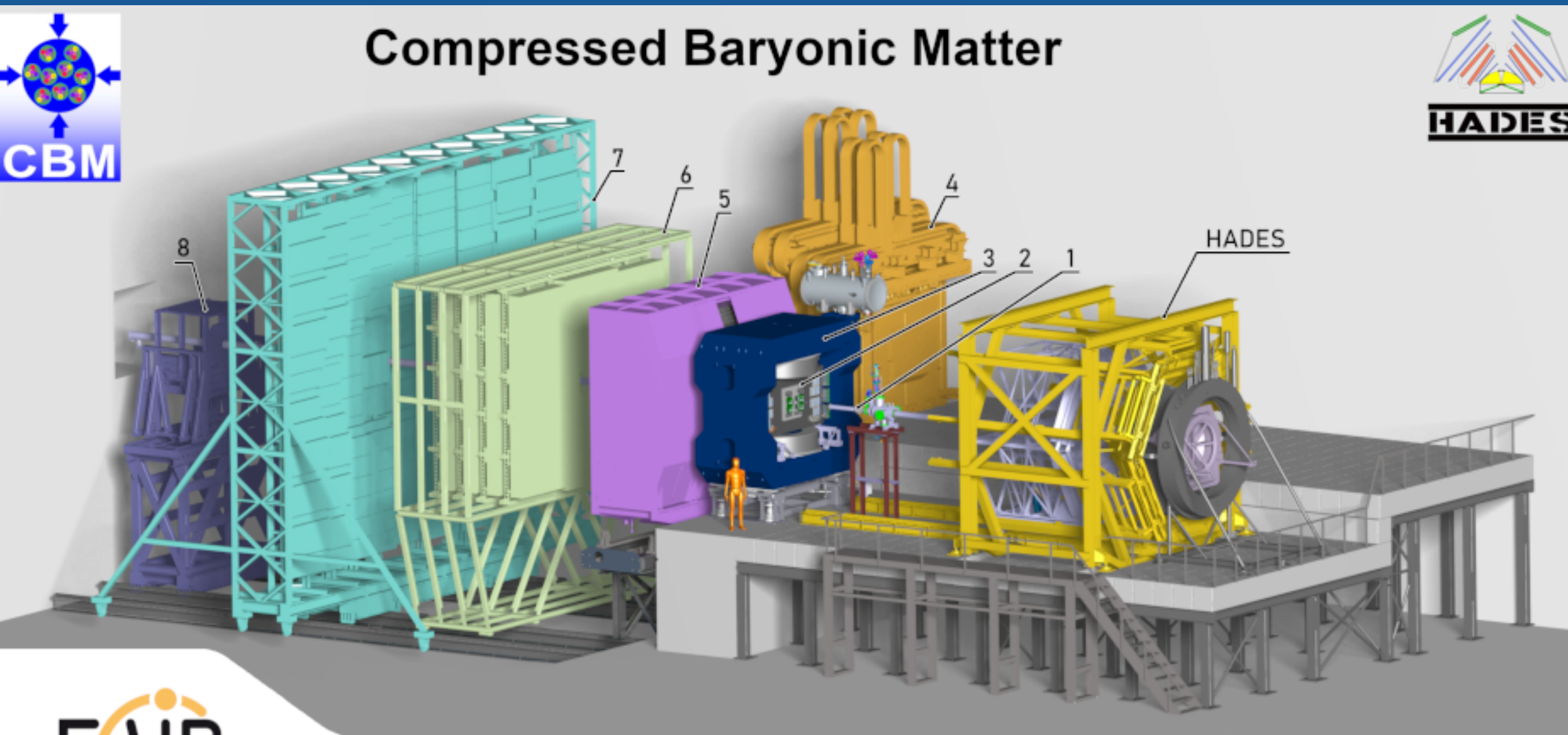
EMMI Workshop "5th Workshop on Anti-Matter, Hyper-Matter and Exotica Production"



Perspectives on Hypernuclei Physics with the CBM Experiment at FAIR



Compressed Baryonic Matter



- 1: Time-Zero Detector & Beam Diagnostics
- 2: Silicon Tracking System / Micro Vertex Detector
- 3: Superconducting Dipole Magnet
- 4: Muon Chambers

- 5: Ring Imaging Cherenkov Detector
- 6: Transition Radiation Detector
- 7: Time of Flight Detector
- 8: Forward Spectator Detector



10–14 Nov 2025
Comune di Salerno

Yingjie Zhou, for the CBM Collaboration



Motivation

STAR results:
Mon. Y.X. Jin

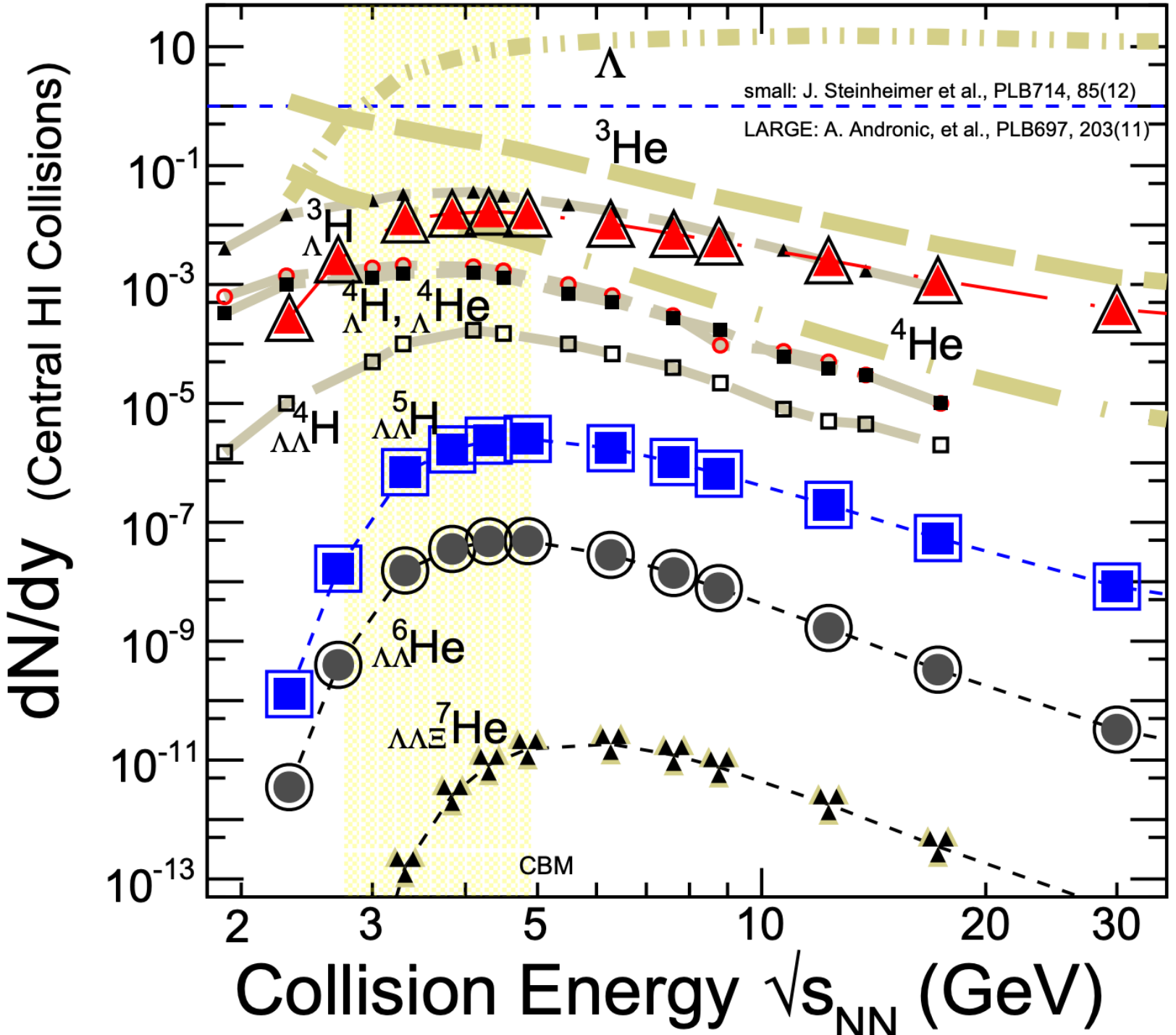
One of the key physics cases of the CBM experiment is study of hypernuclei:

- 1. Hyperon puzzle: understanding of YN, YNN interactions
- 2. Probing medium properties, possible signatures of phase transition
- 3. Searching for exotic hyper-systems

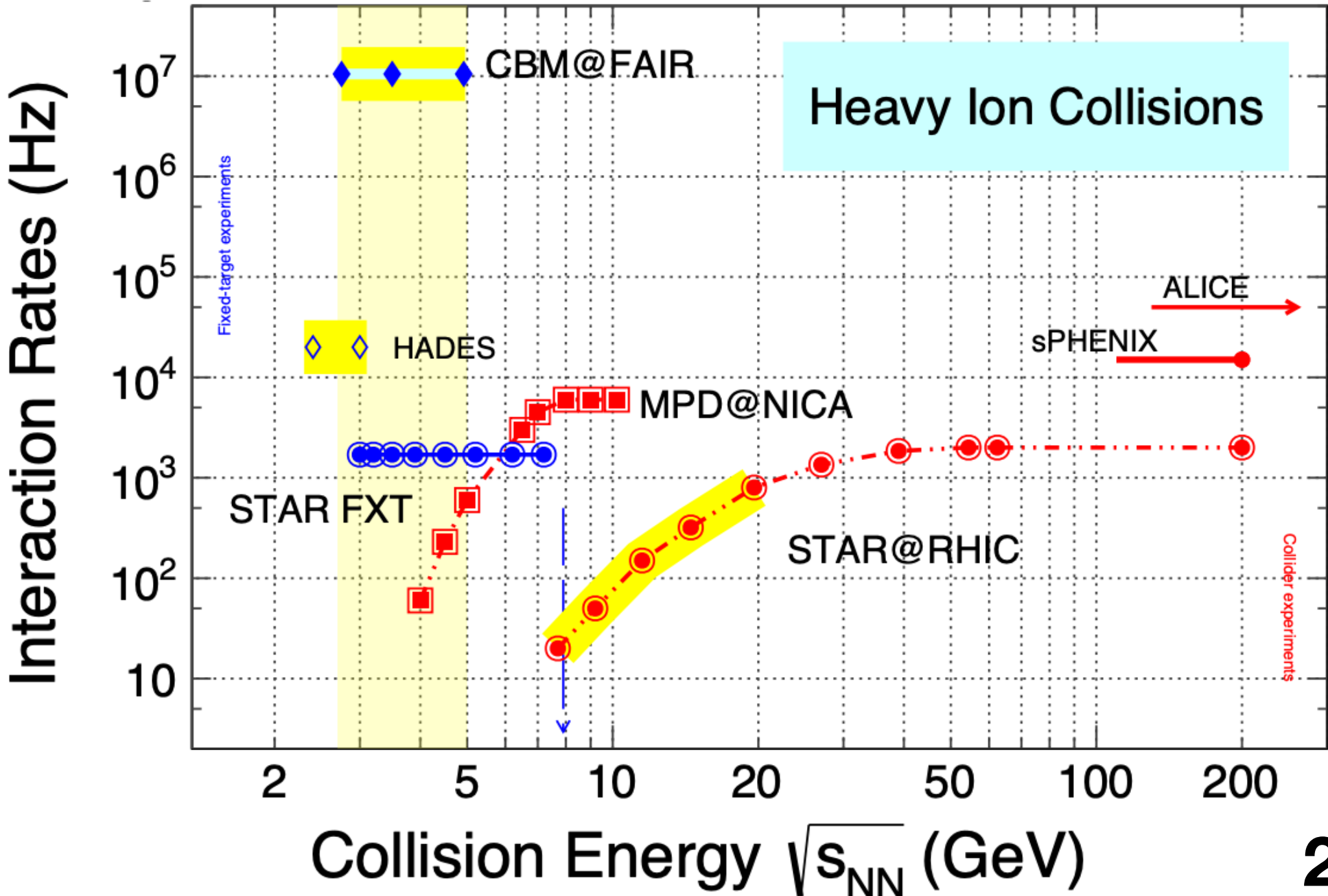
Advantages of CBM:

- 1. **Optimal beam energies** for hypernuclei production
- 2. **Excellent vertexing** and particle identification
- 3. **High interaction rates** capability enabling rare-signal studies, including double- Λ hypernuclei

Interaction rates up to 10MHz



Nu Xu et al., arXiv:2209.05009

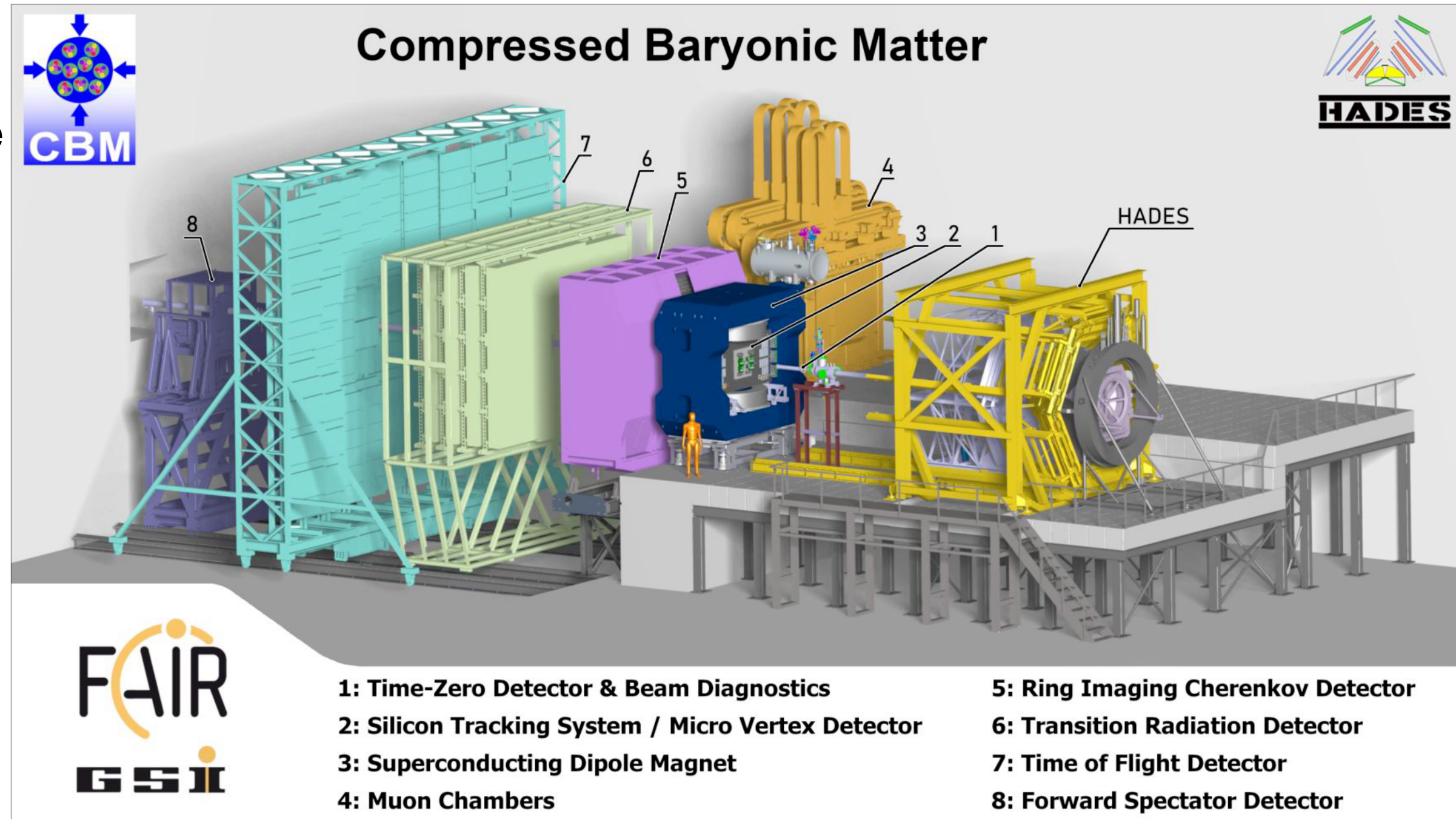


Compressed Baryonic Matter (CBM)

$$\sqrt{s_{NN}} = 2.5\text{-}4.9 \text{ GeV Au+Au}$$

Fixed target experiment

- Polar coverage $2^\circ < \theta_{lab} < 25^\circ$, full ϕ coverage
- Mid-rapidity coverage for all energies, extending to low p_T



Compressed Baryonic Matter (CBM)

$$\sqrt{s_{NN}} = 2.5\text{-}4.9 \text{ GeV Au+Au}$$

Fixed target experiment

- Polar coverage $2^\circ < \theta_{lab} < 25^\circ$, full ϕ coverage
- Mid-rapidity coverage for all energies, extending to low p_T

Versatile detector systems

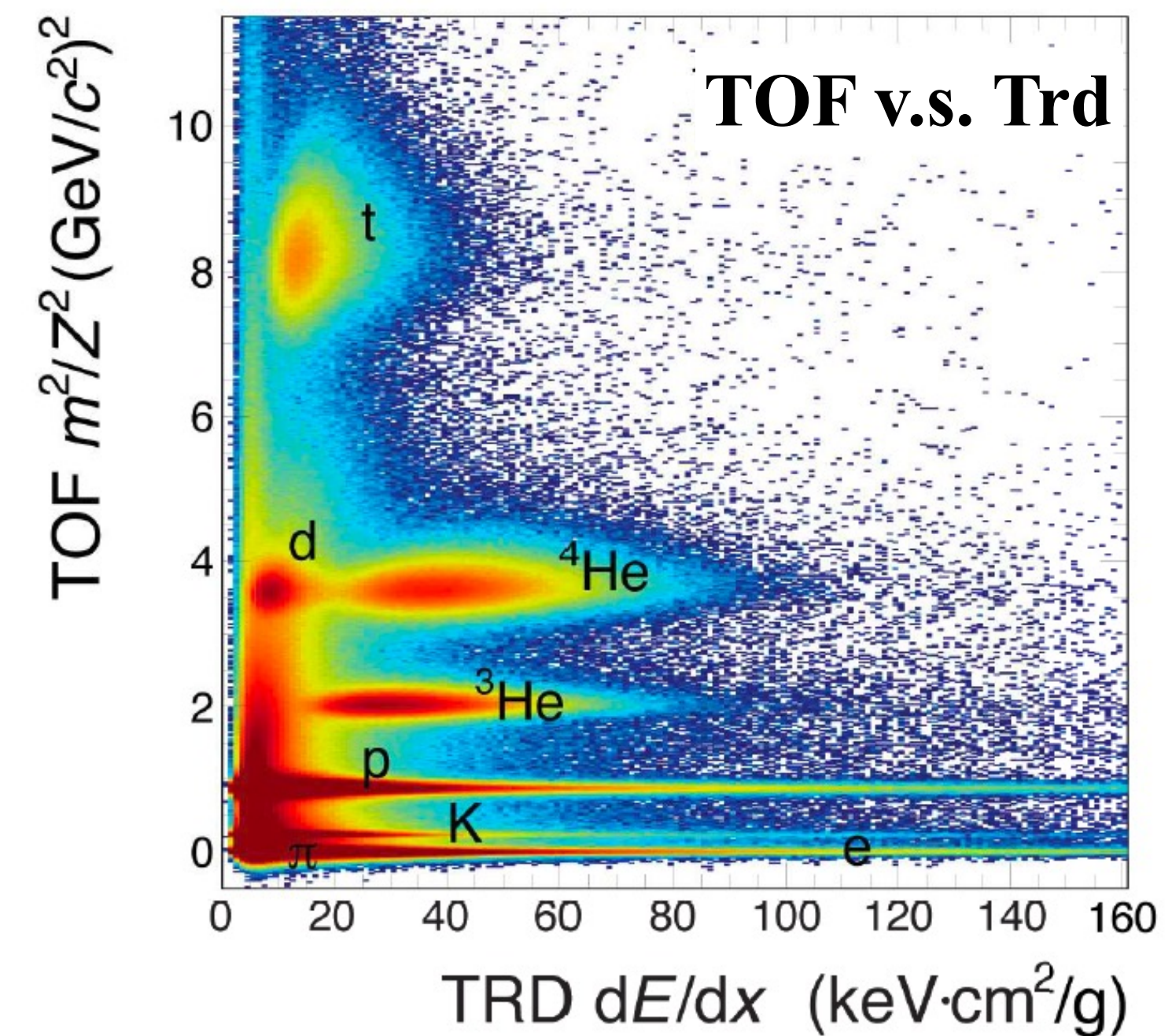
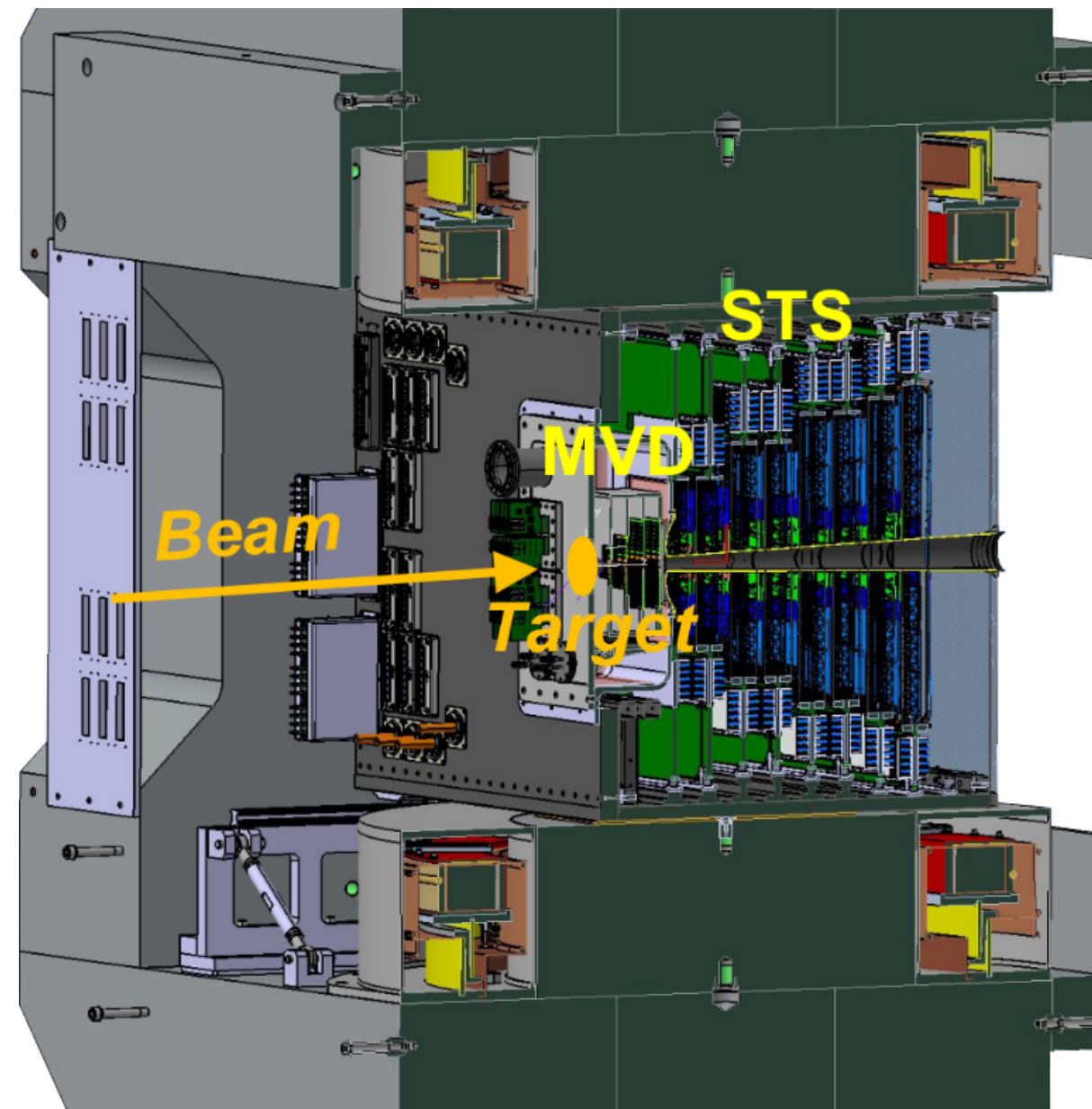
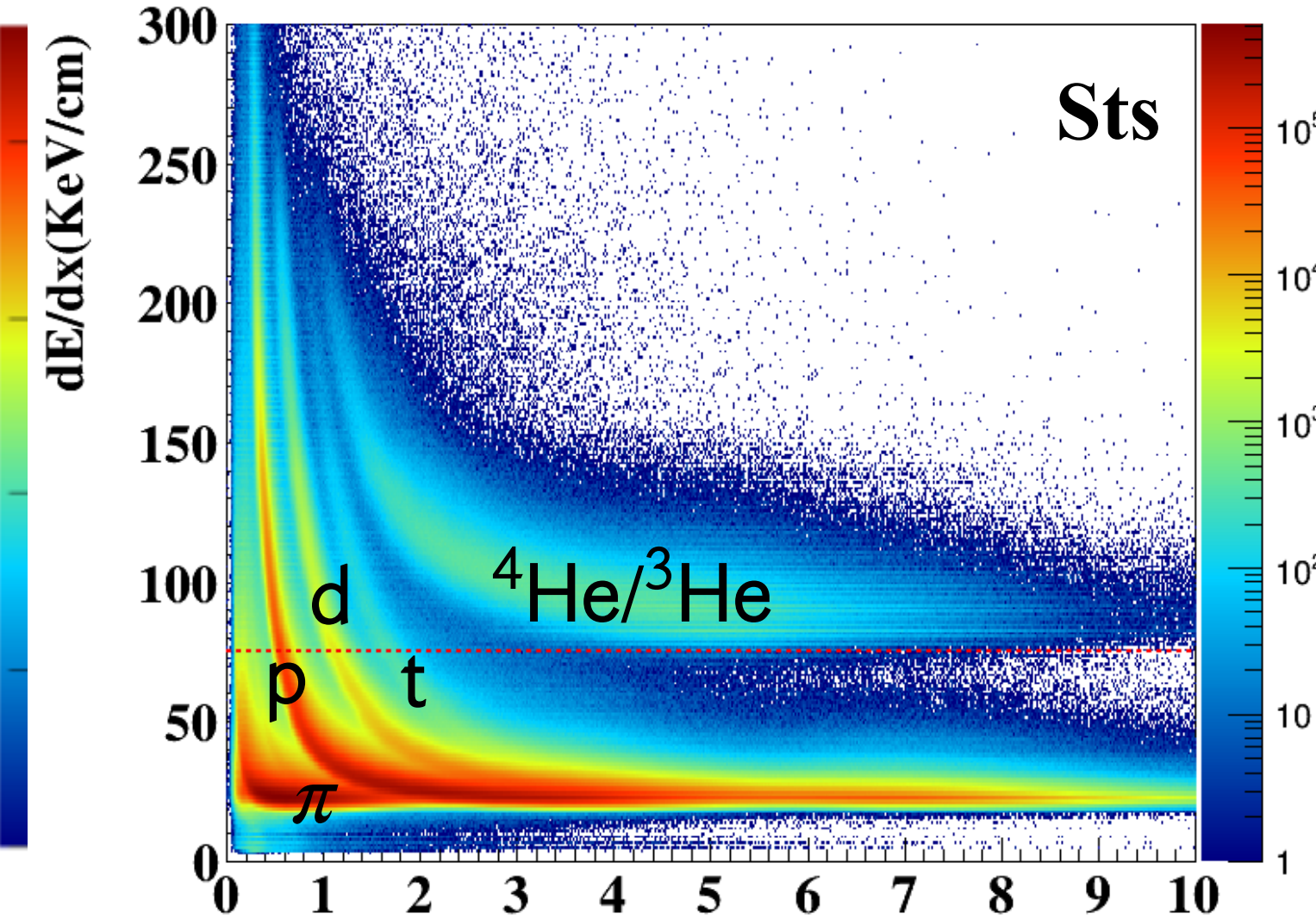
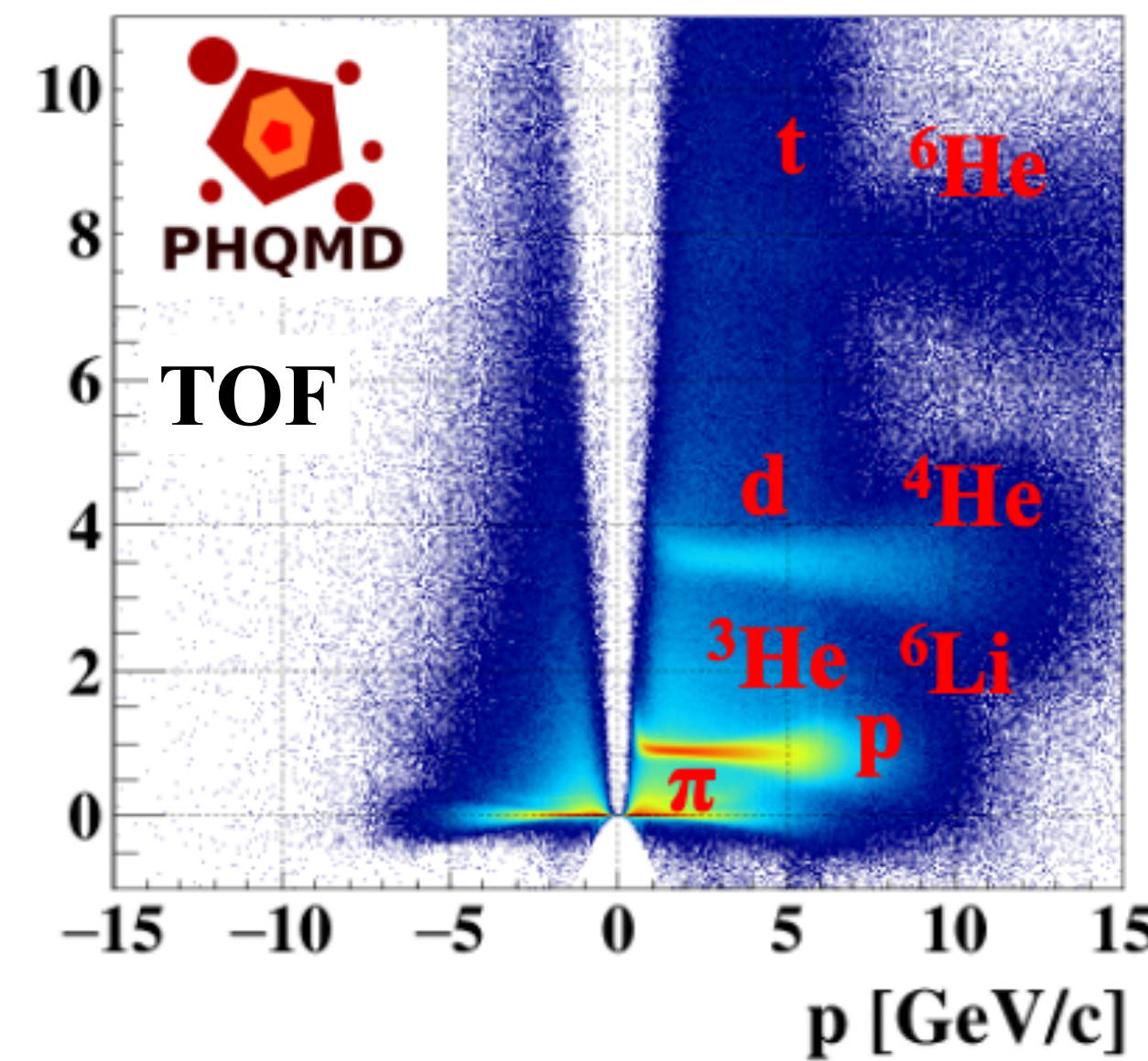
- MVD (Micro-Vertex Detector) — track reconstruction, excellent secondary vertex
- TOF (Time of Flight) — hadron identification
- STS (Silicon Tracking System) — heavy fragments identification by dE/dX
- TRD (Transition Radiation detector) — electron and heavy fragments identification

Tracking fully silicon-based

- Fast and precise track reconstruction

Online event selection and data reduction

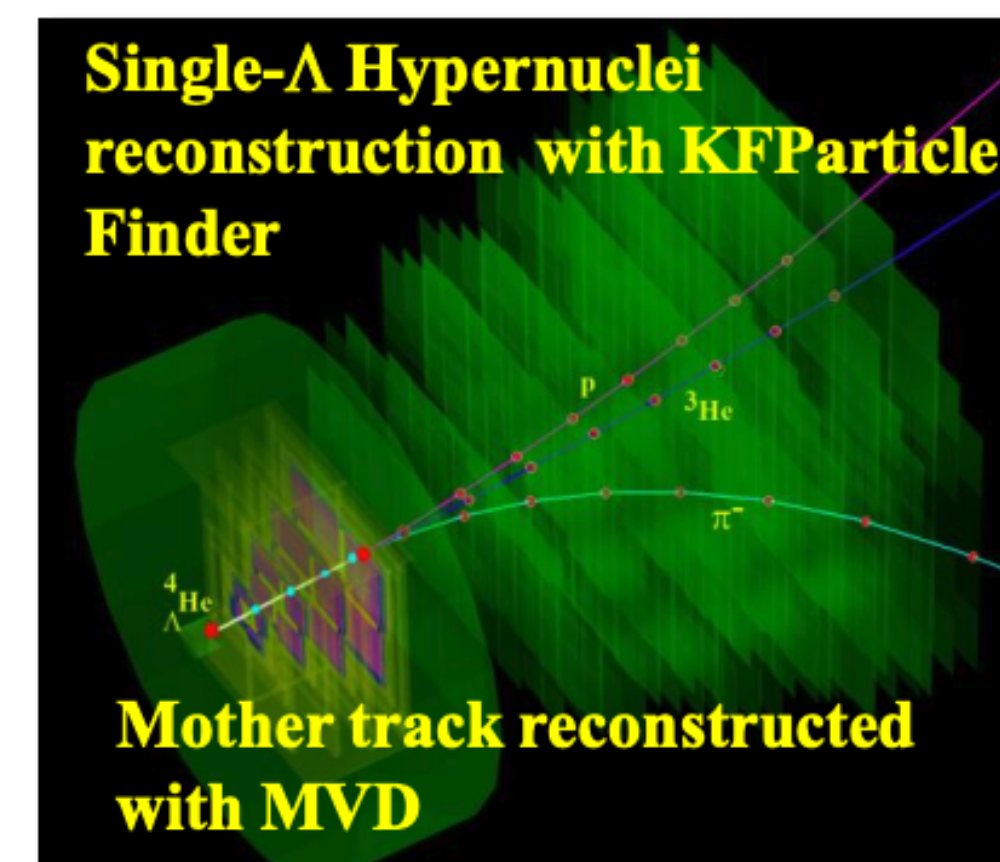
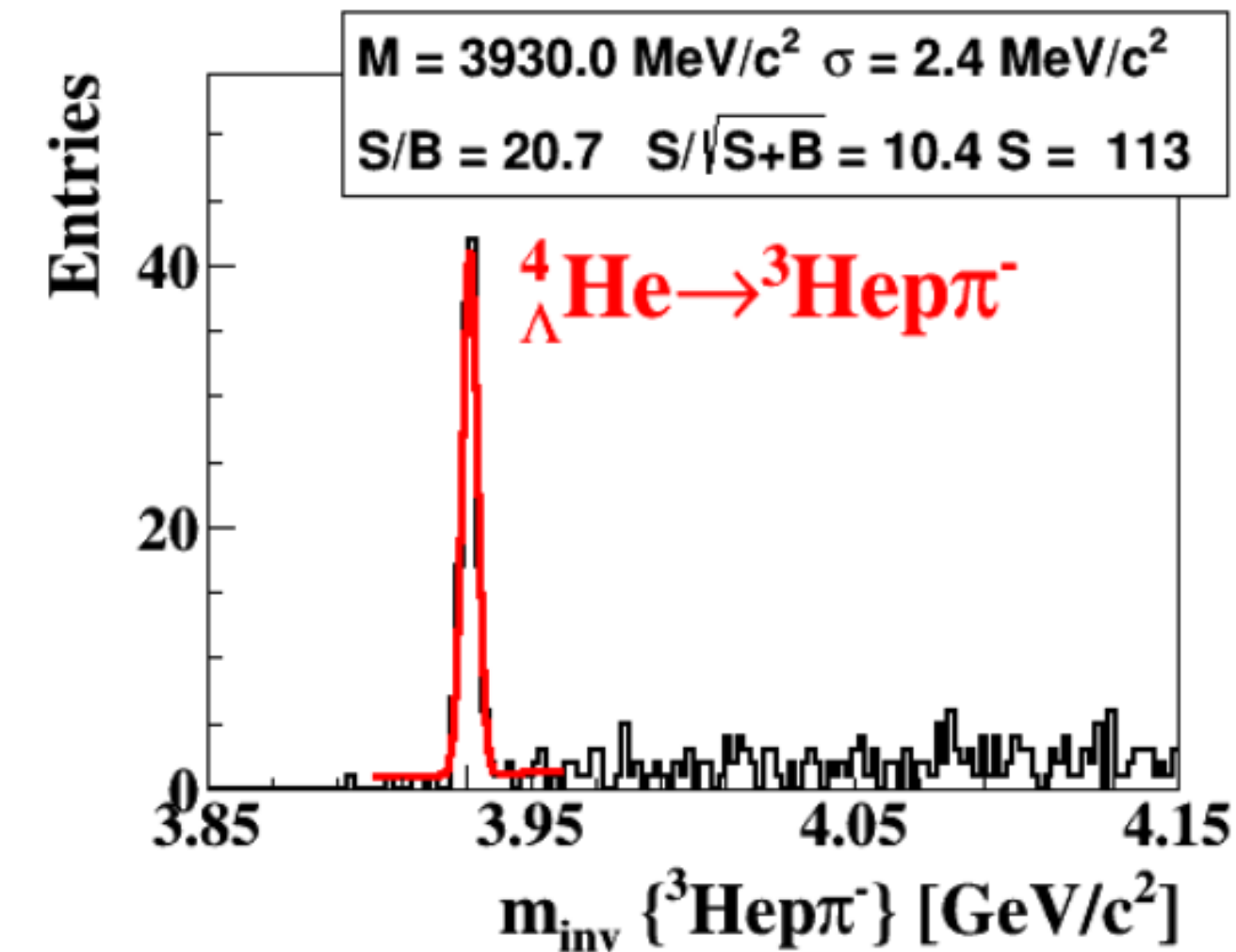
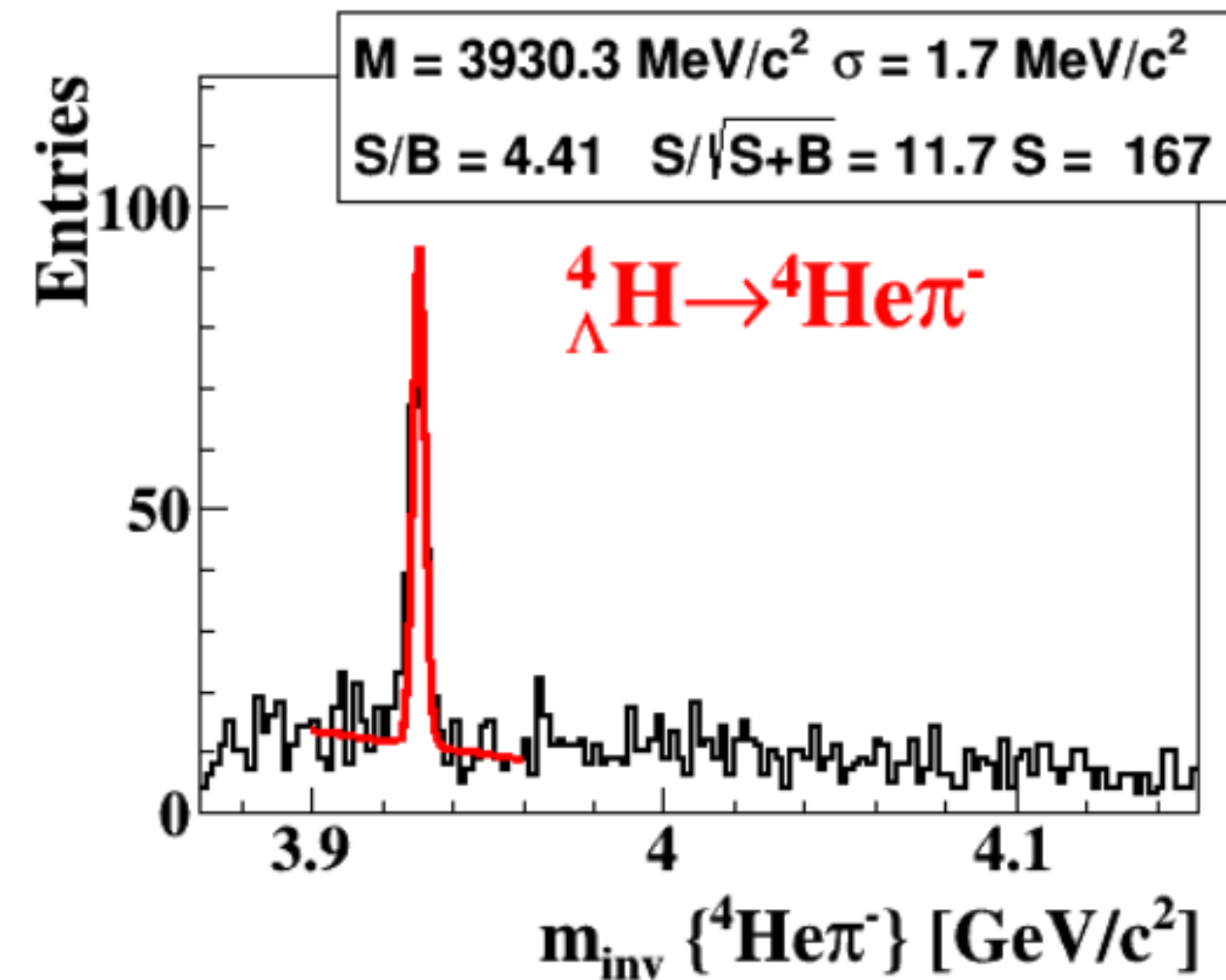
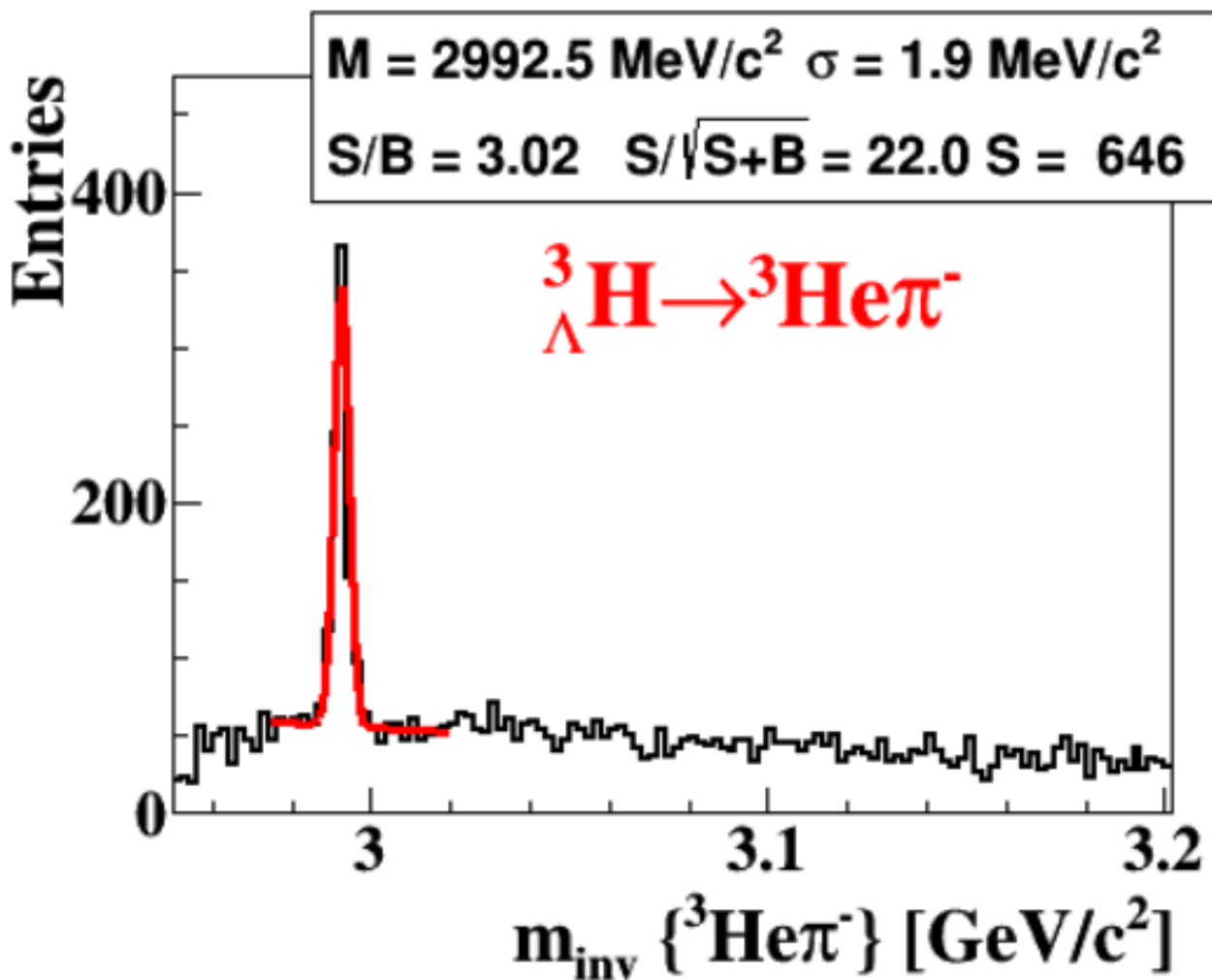
$m^2 [\text{GeV}^2/c^4]$



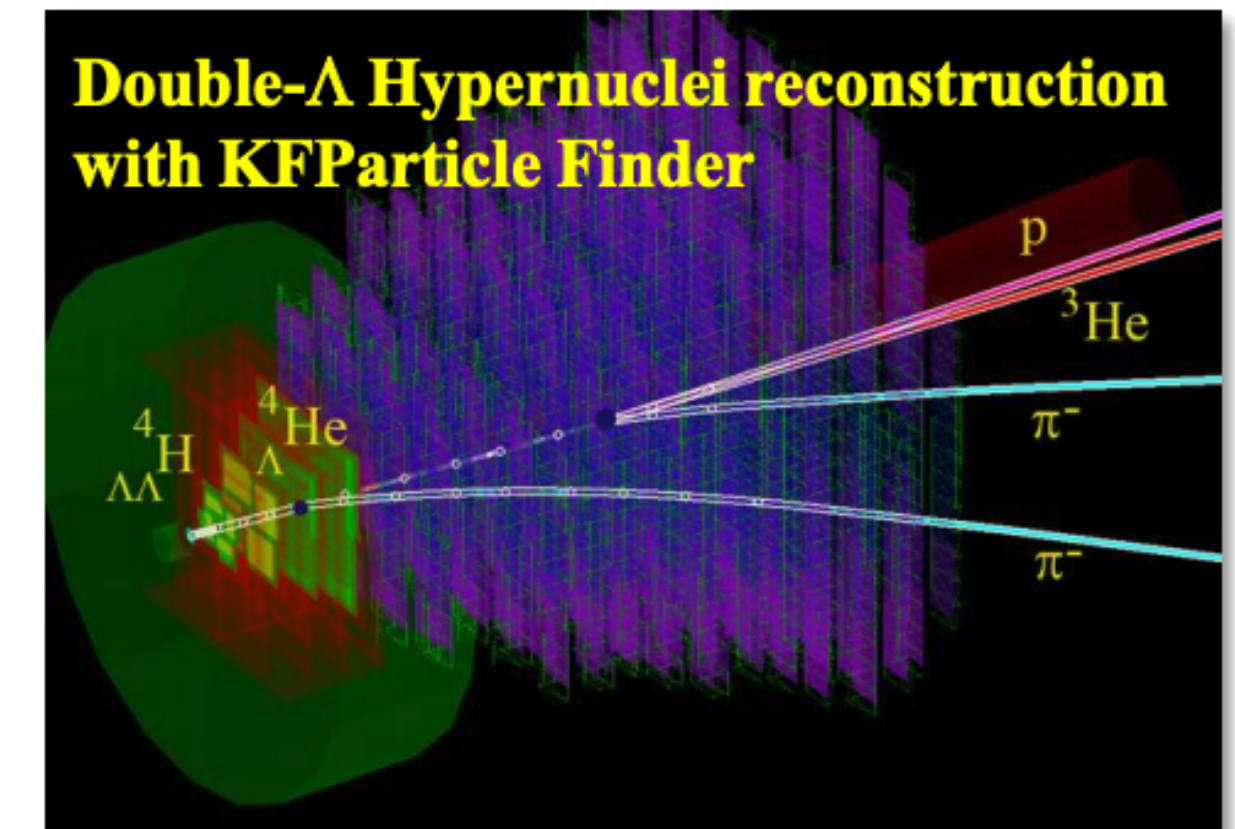
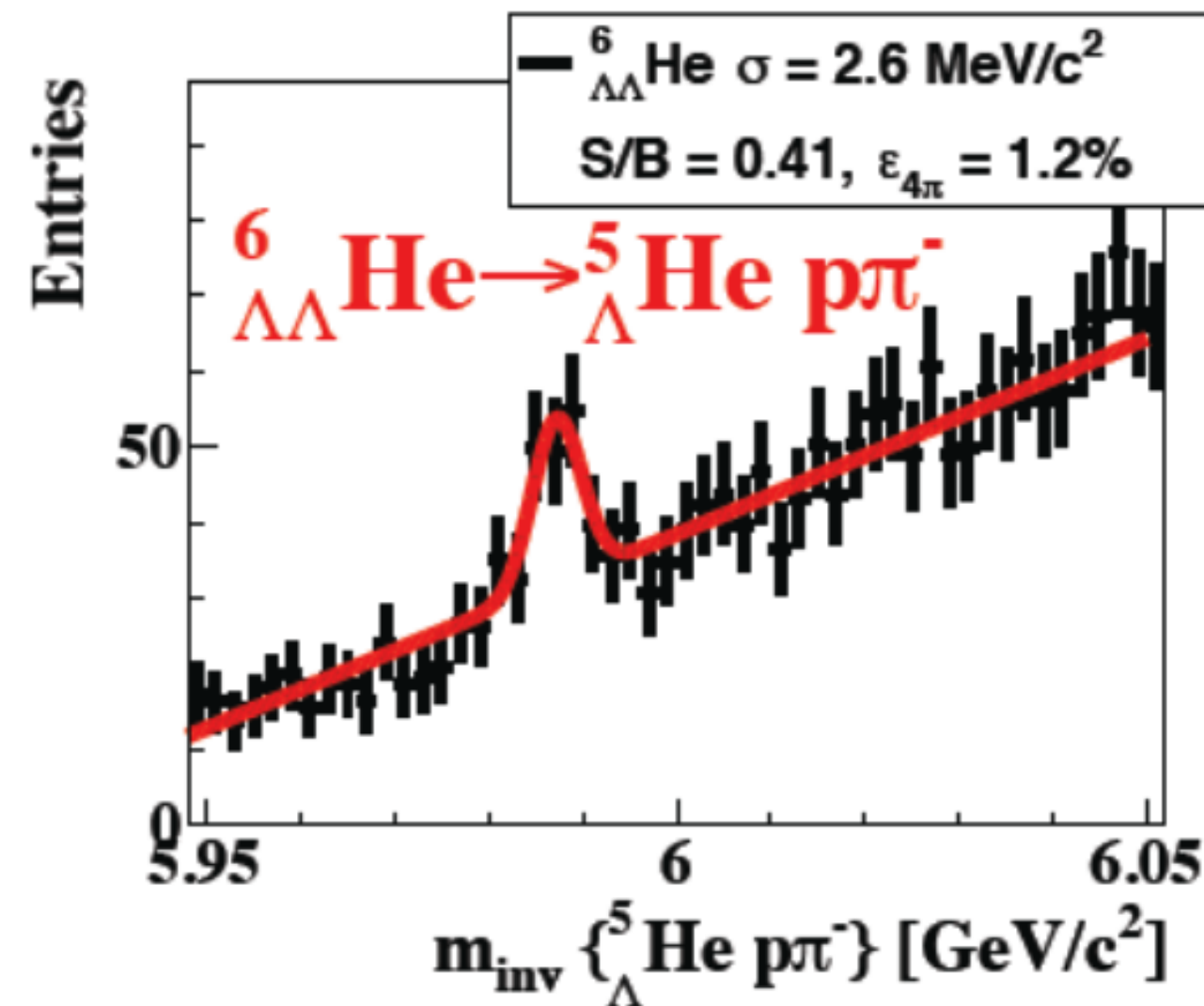
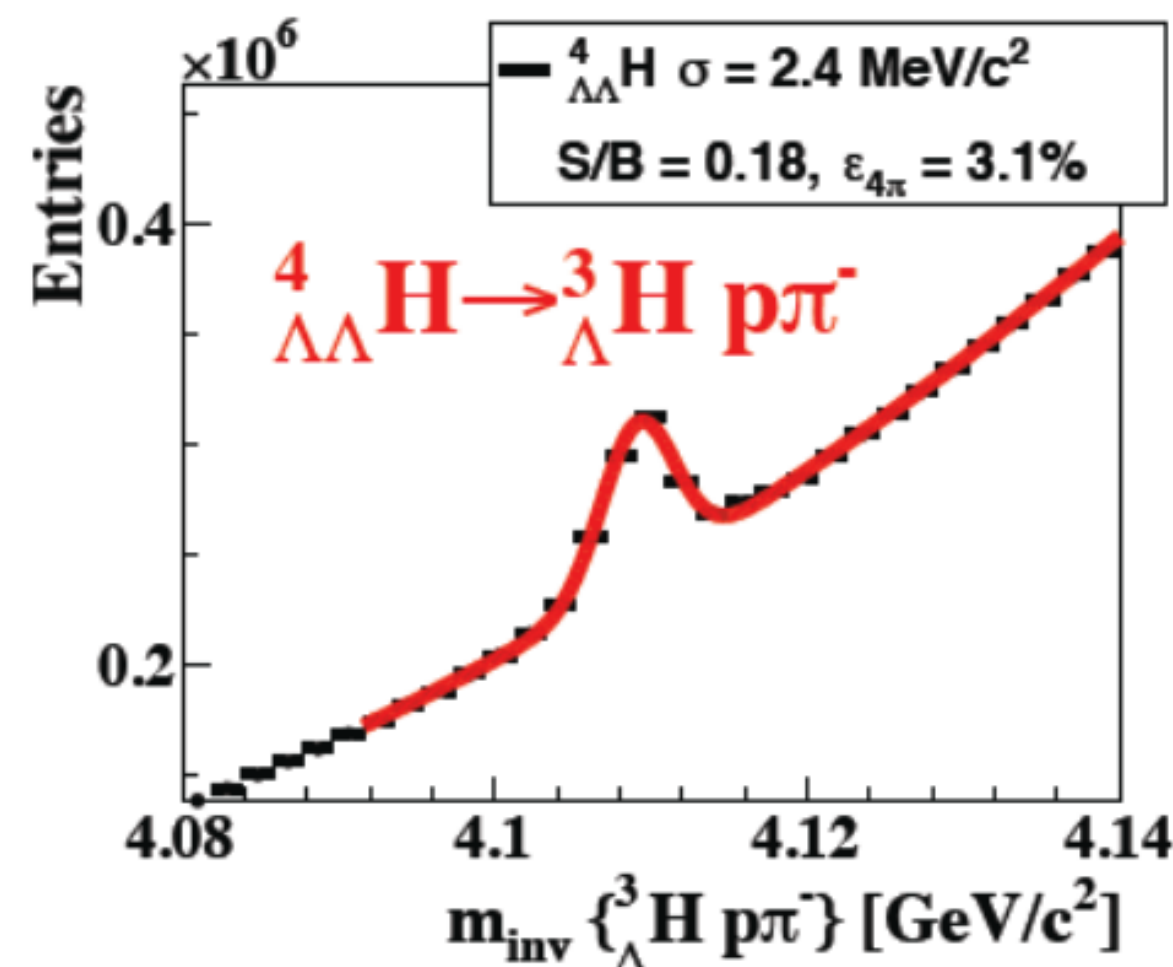
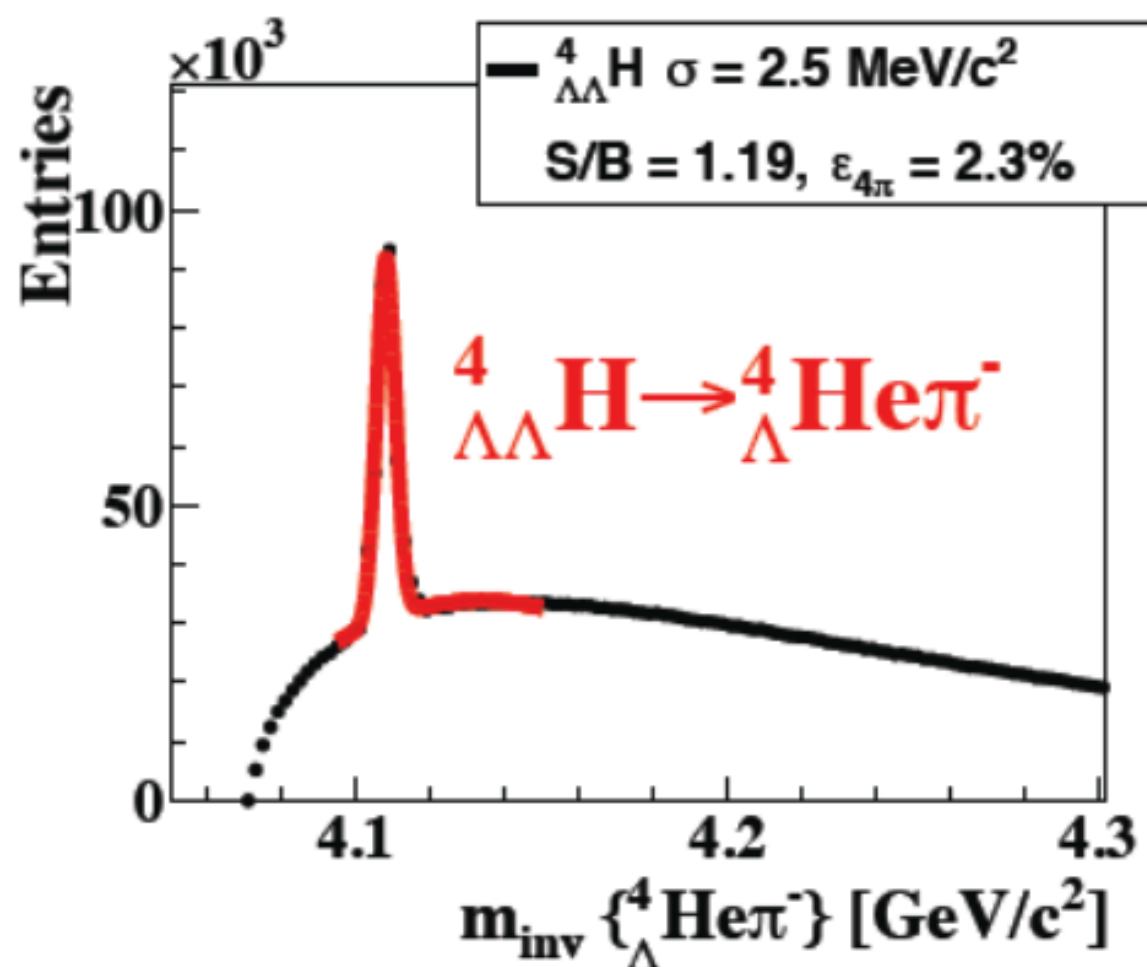
Hypernuclei in CBM at SIS100

UrQMD events, thermal isotropic signal:

Au + Au, 4.72 GeV, 10^{12} central (b = 0)



Expected collection rate: ~ 60 ${}^6_{\Lambda\Lambda}\text{He}$ in 1 week at 10MHz IR



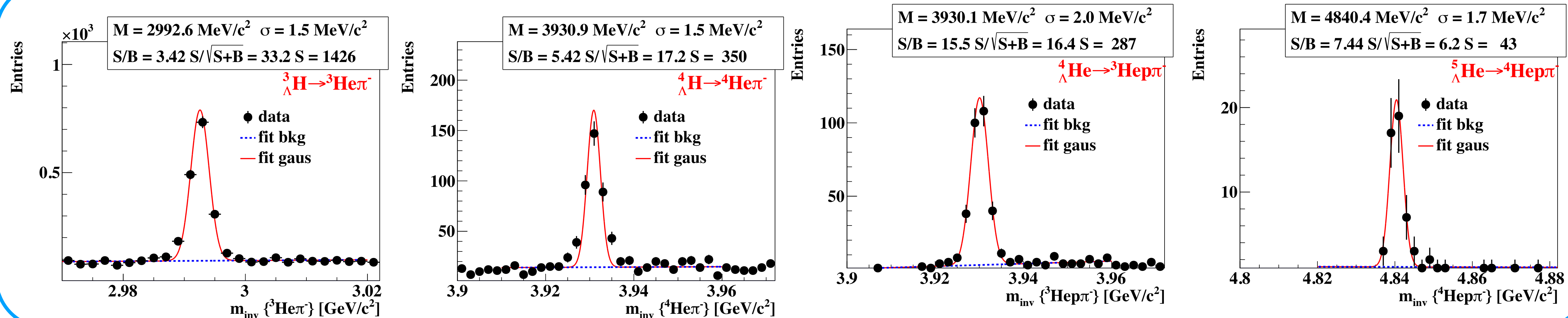
- Simulated with UrQMD + thermal source; reconstruction via KFParticle maximizes signal significance

Hypernuclei in CBM at SIS100

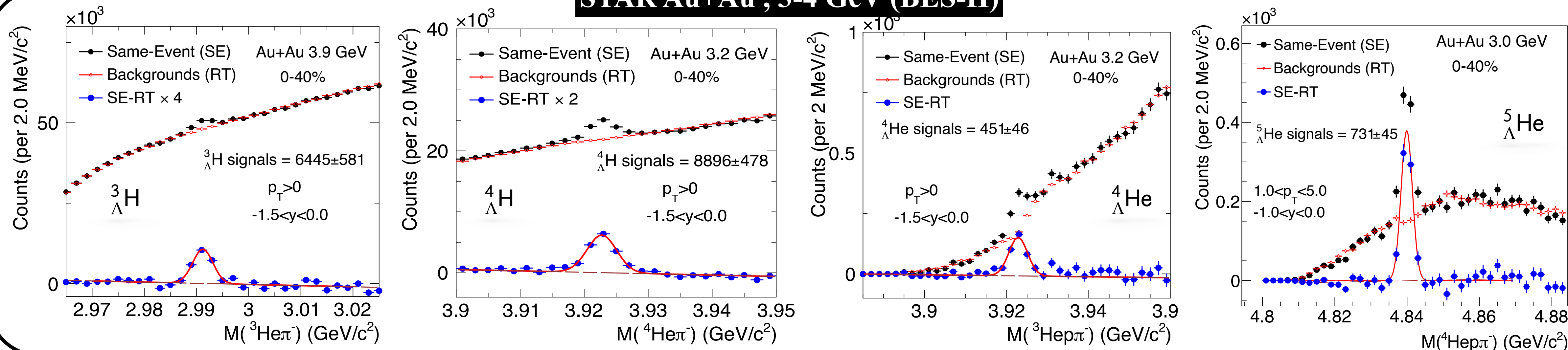
PHQMD:
Tue. S. Glessel
Wed. Y.H Leung

PHQMD CBM Geant Simulation

Au + Au, 4.93 GeV, 5M mbias

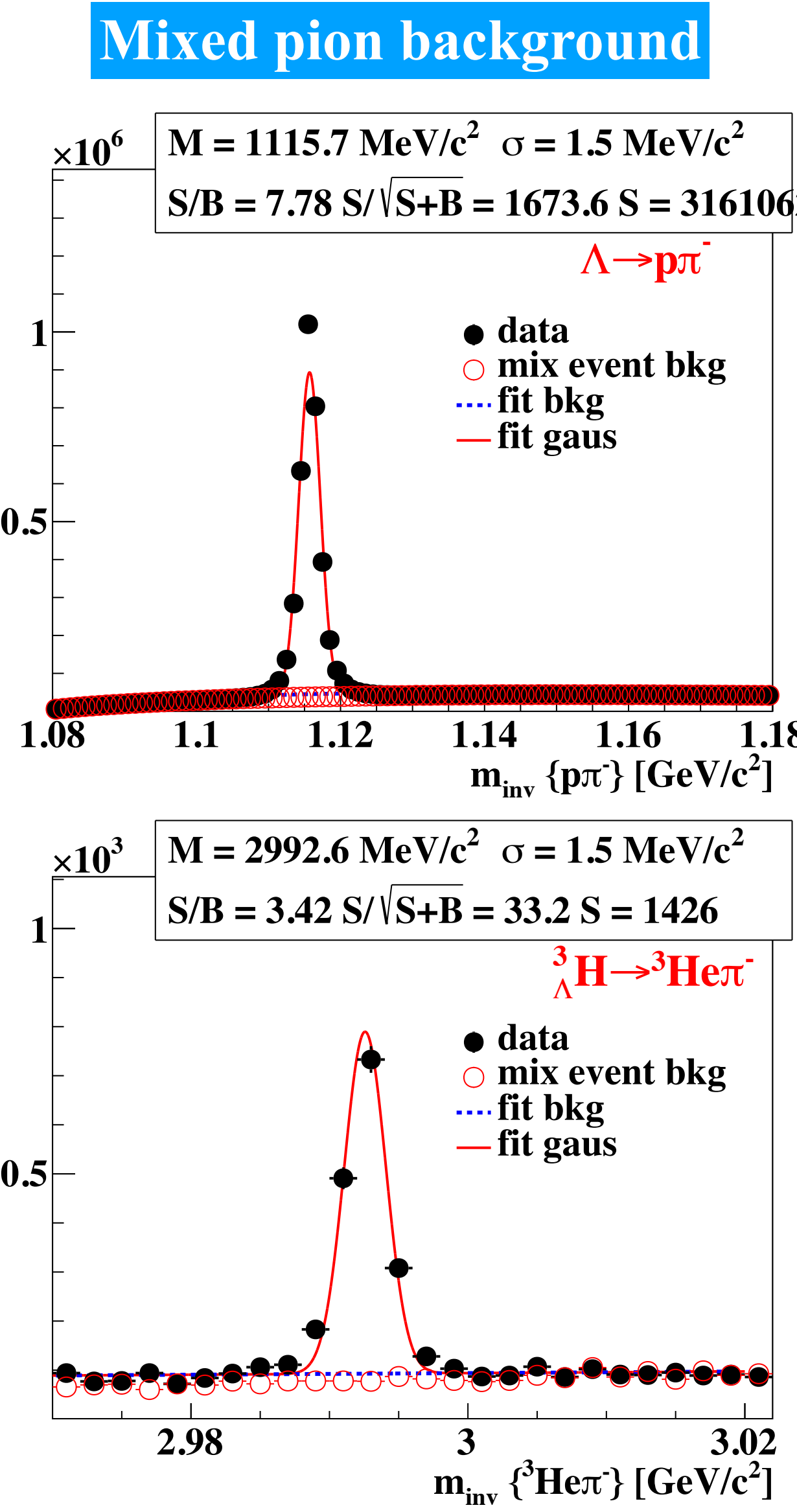
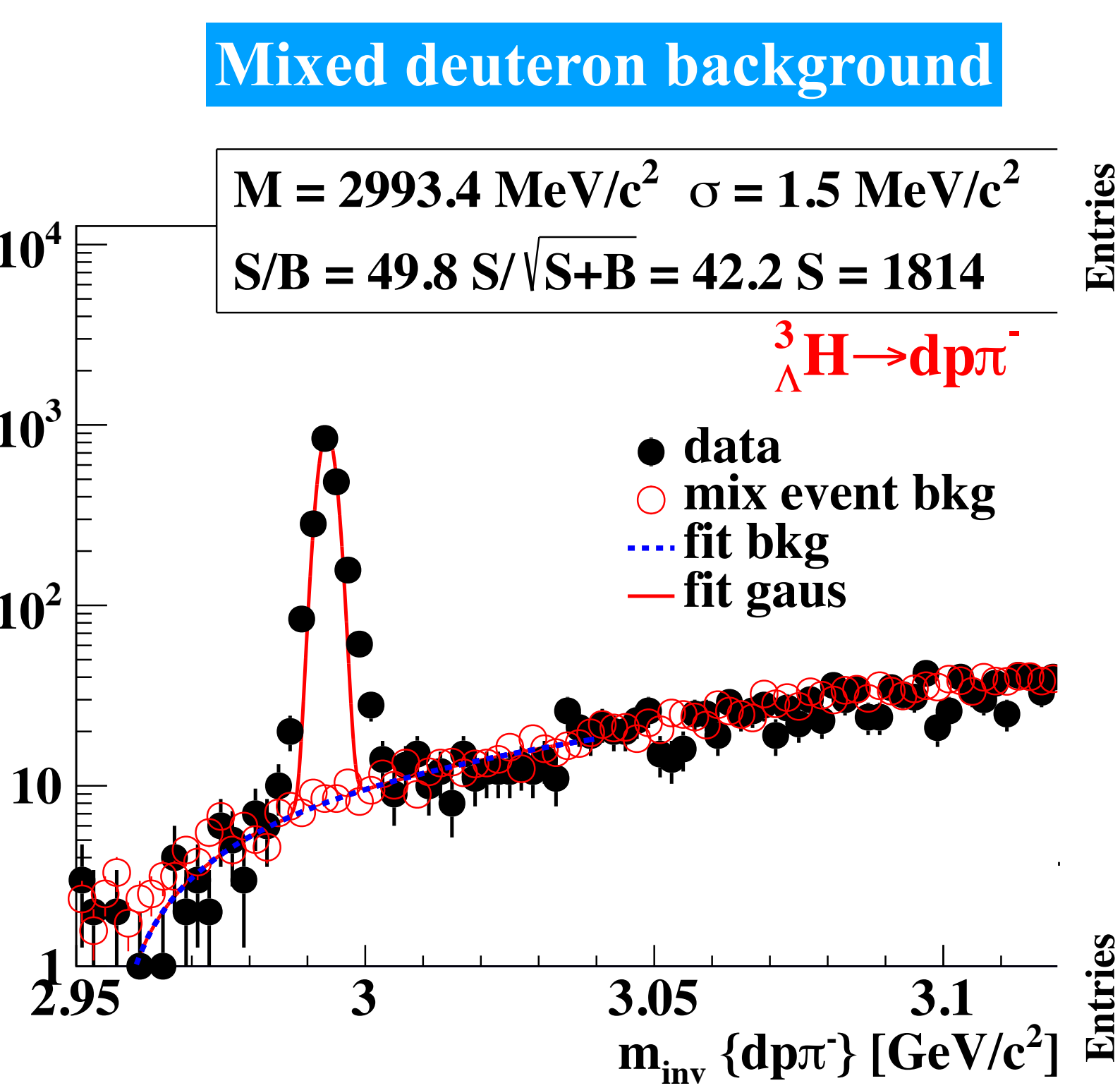
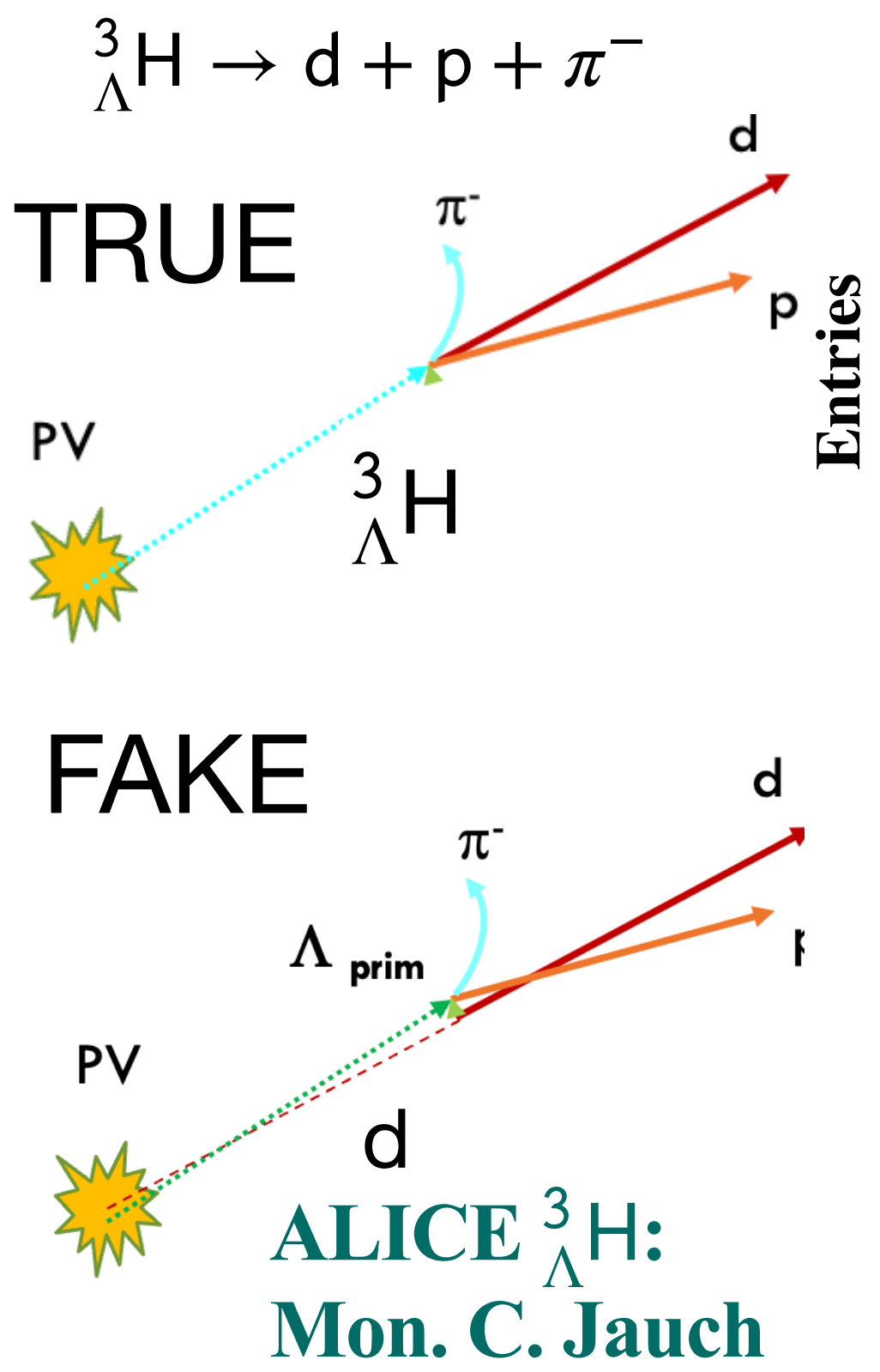
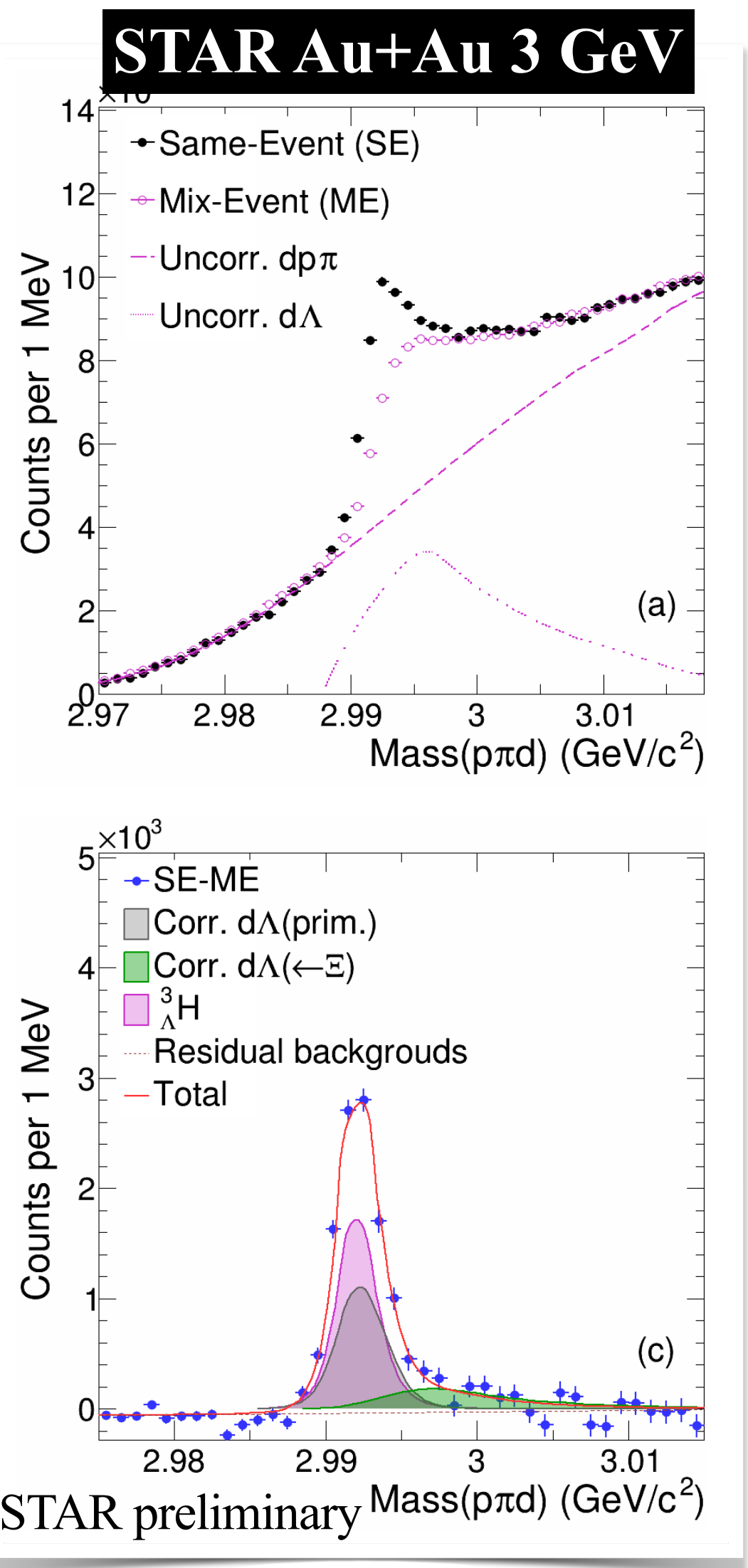


STAR Au+Au, 3-4 GeV (BES-II)



- Background largely suppressed with the MVD detector — excellent DCA and vertex resolution

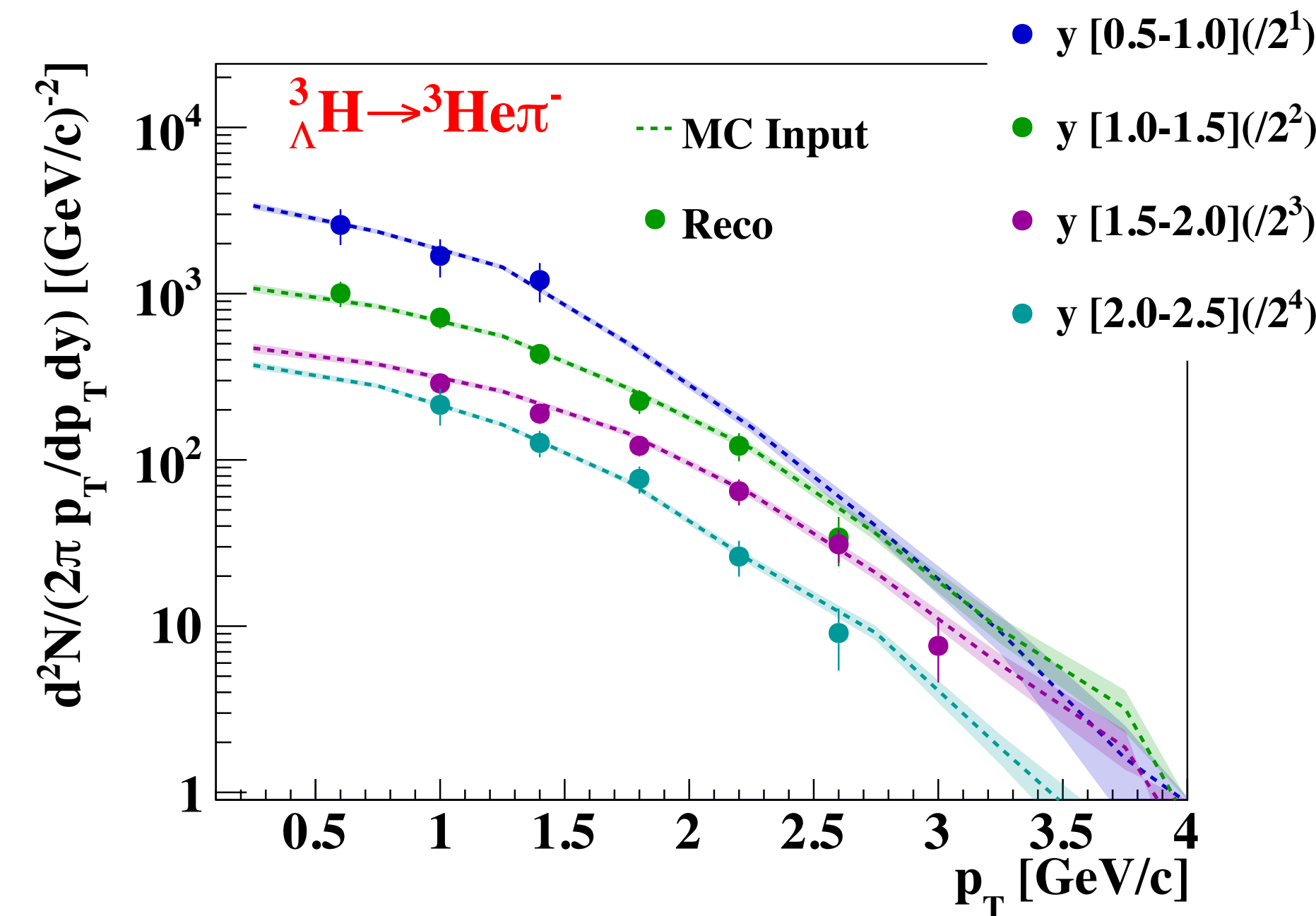
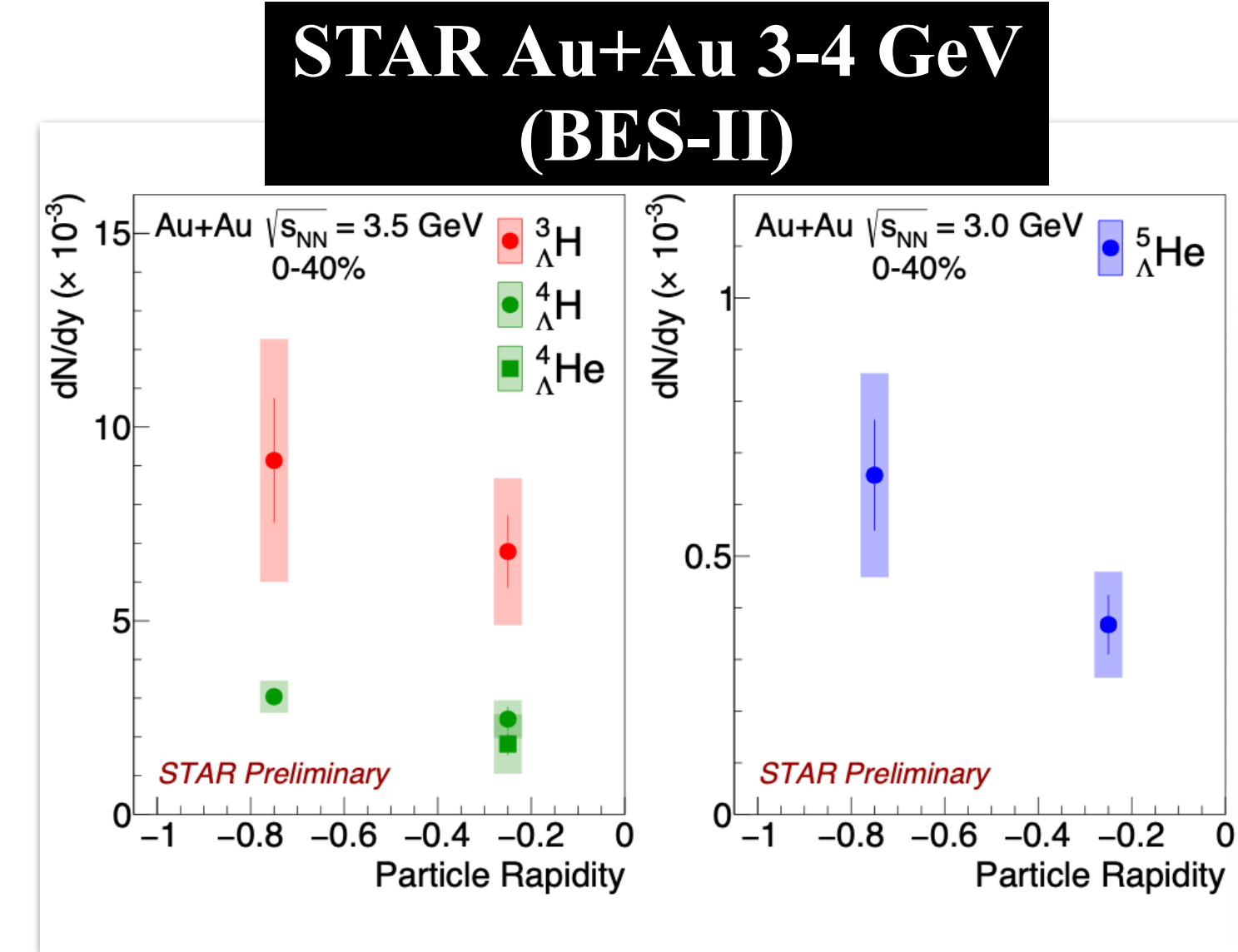
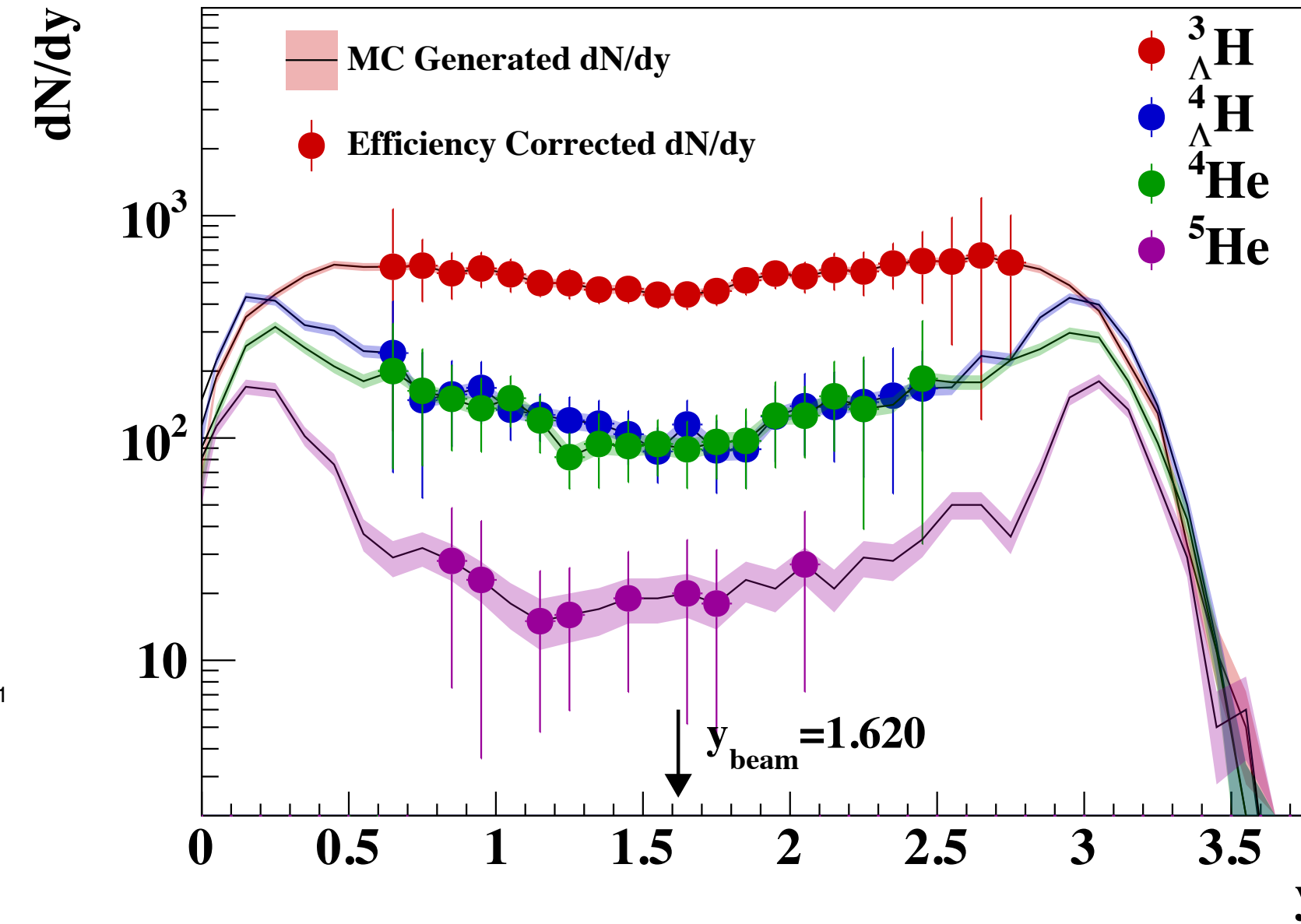
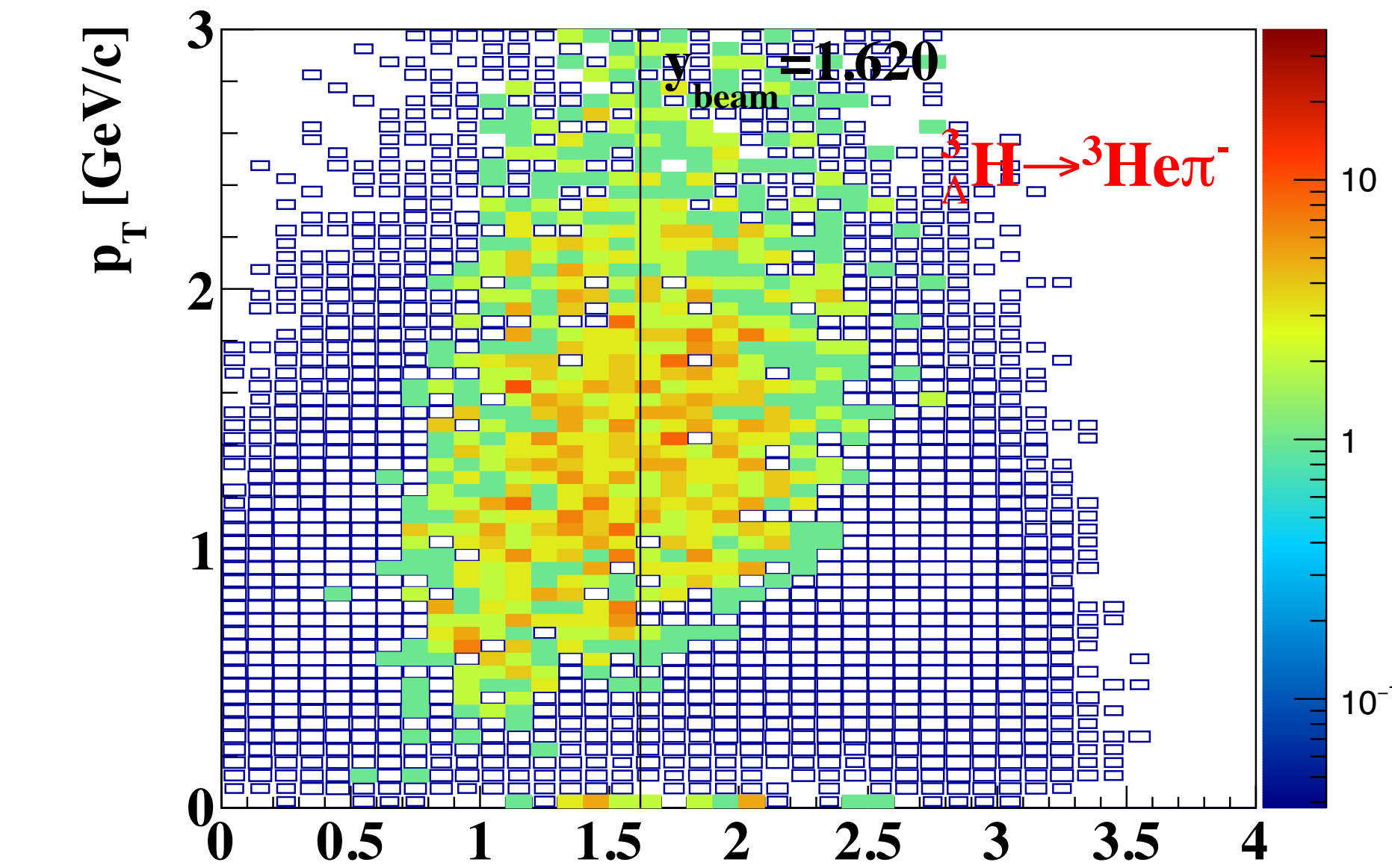
Background Subtraction – Event Mixing Technique with MVD Suppression



- Primary Λ background strongly suppressed by MVD's excellent vertex resolution
 - Reduces both correlated and uncorrelated $d-\Lambda$ backgrounds*
 - Mixed-event technique models the combinatorial background; its shape smoothly matches that of true events
 - Allows clean signal extraction!*
- $M(\Lambda) + M(\text{d}) \sim 2.9913 \text{ GeV}/c^2$
 $M({}^3_{\Lambda}\text{H}) \sim 2.991 \text{ GeV}/c^2$

e.g. ${}^4_{\Lambda}\text{H} \rightarrow \text{t} + \text{p} + \pi^-$
 ${}^4_{\Lambda}\text{He} \rightarrow {}^3\text{He} + \text{p} + \pi^-$
 ${}^5_{\Lambda}\text{He} \rightarrow {}^4\text{He} + \text{p} + \pi^-$

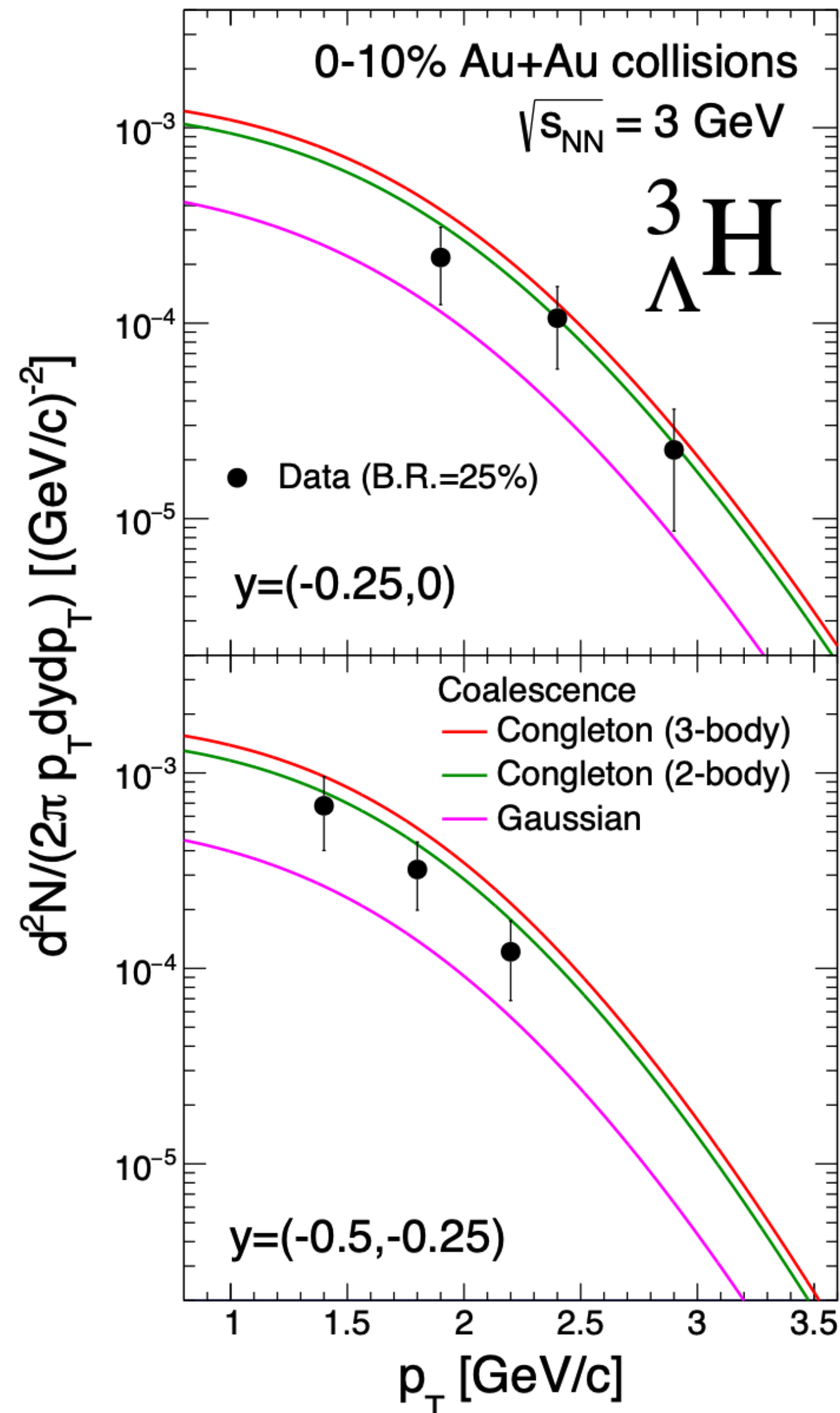
Differential p_T Spectrum and Rapidity Dependence



- High precision enables study of the detailed shape of dN/dy , probing possible changes in production mechanisms toward target rapidity
- Spectator fragments may play an important role in hypernuclei production — Λ capture + fragmentation?

Differential p_T Spectrum — Probing the Hypertriton Wave Function

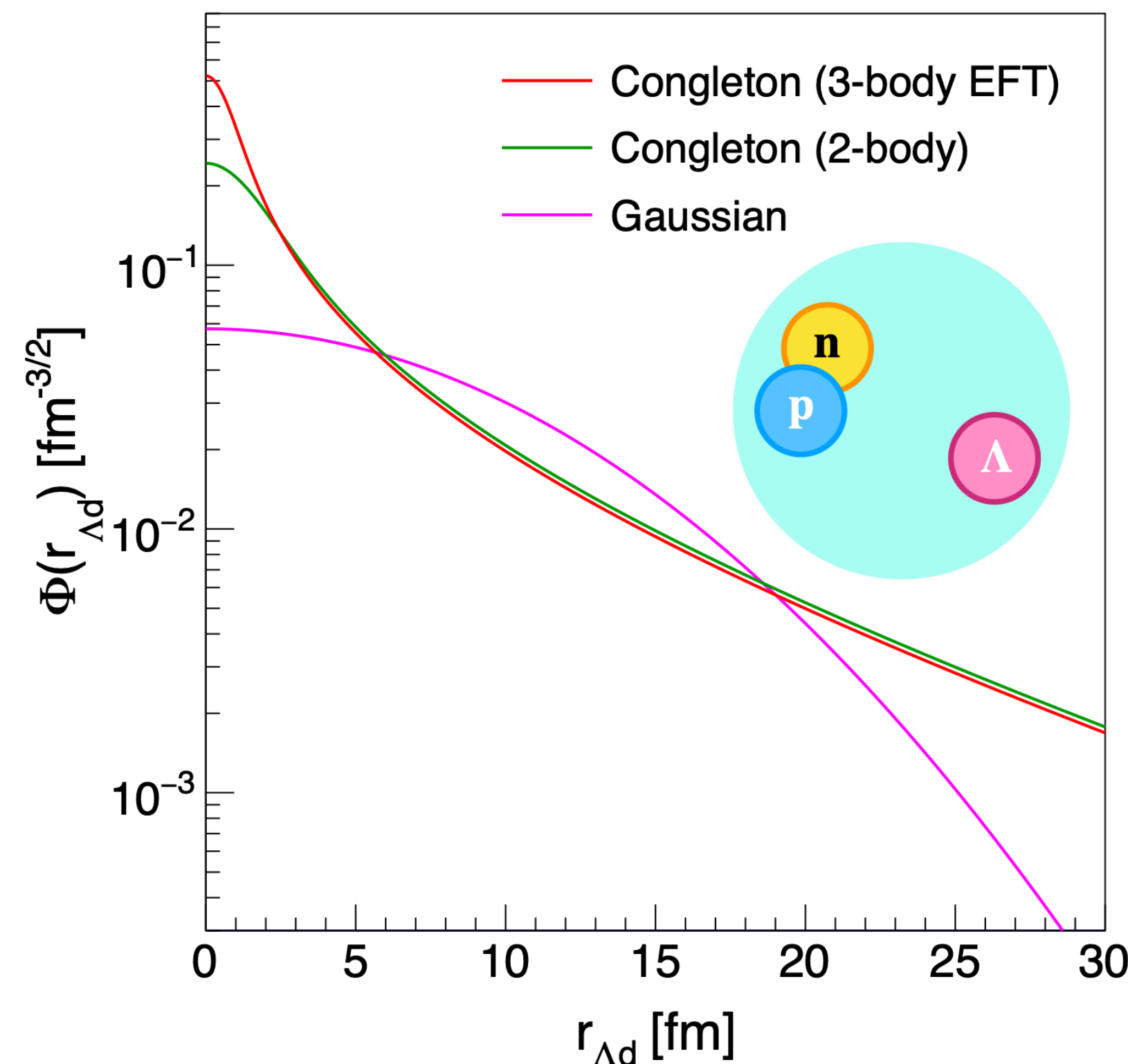
Coalescence: arXiv: 2510.06758



- Wigner-function coalescence: coalescence probability given by overlap between ${}^3_{\Lambda}\text{H}$ **wave function** and **nucleon/hyperon distributions** at freeze out

F. Bellini et al., PRC 103 (2021) 014907

$$B_3({}^3_{\Lambda}\text{H}) \approx \frac{3}{m^2} \frac{2s_{{}^3_{\Lambda}\text{H}} + 1}{(2s_N + 1)^3} (2\pi)^6 \int d^3r_{pn} \int d^3r_{\Lambda} |\Phi_{{}^3_{\Lambda}\text{H}}(r_{pn}, r_{\Lambda})|^2 \mathcal{S}_3(r_{pn}, r_{\Lambda})$$



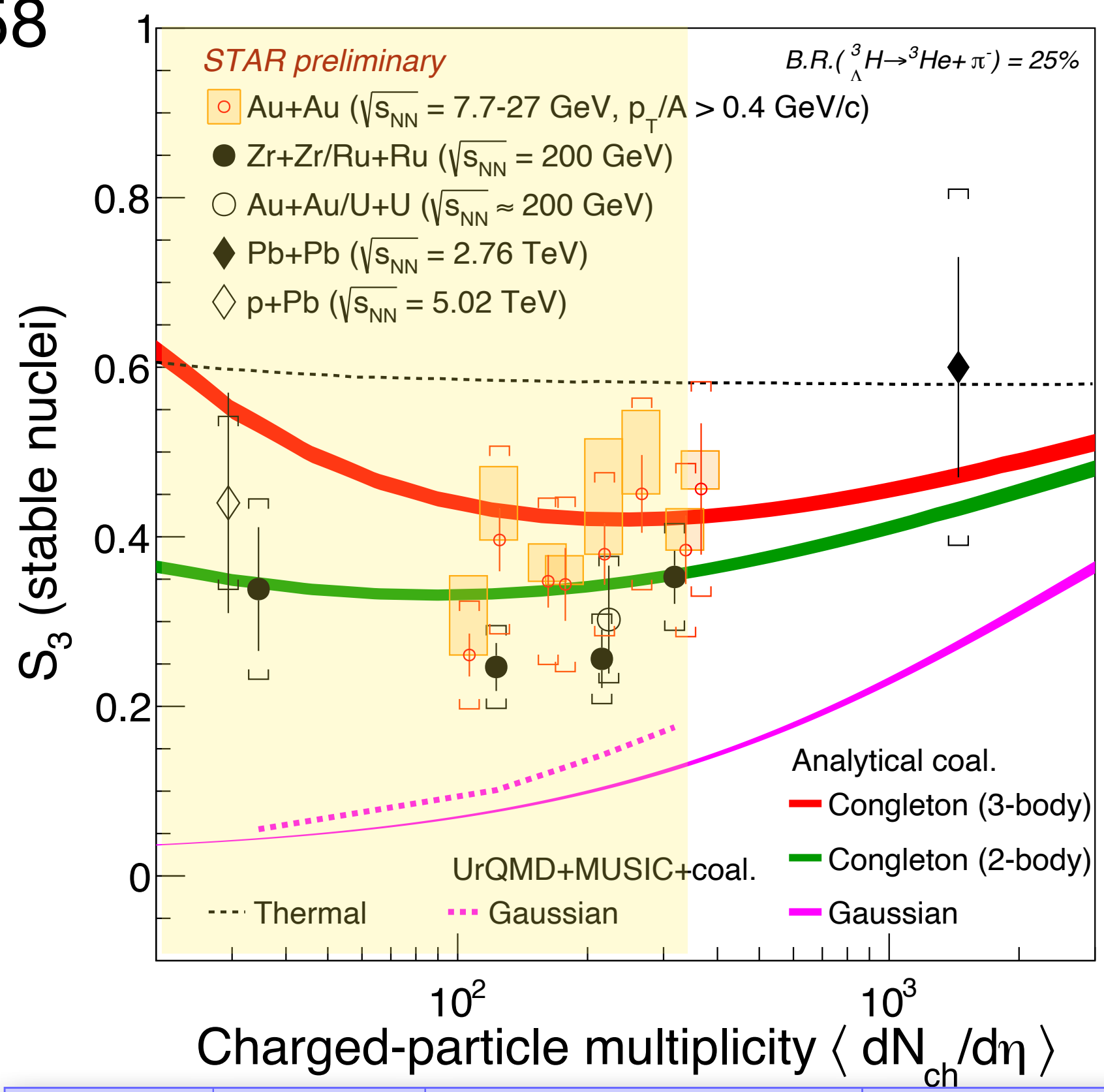
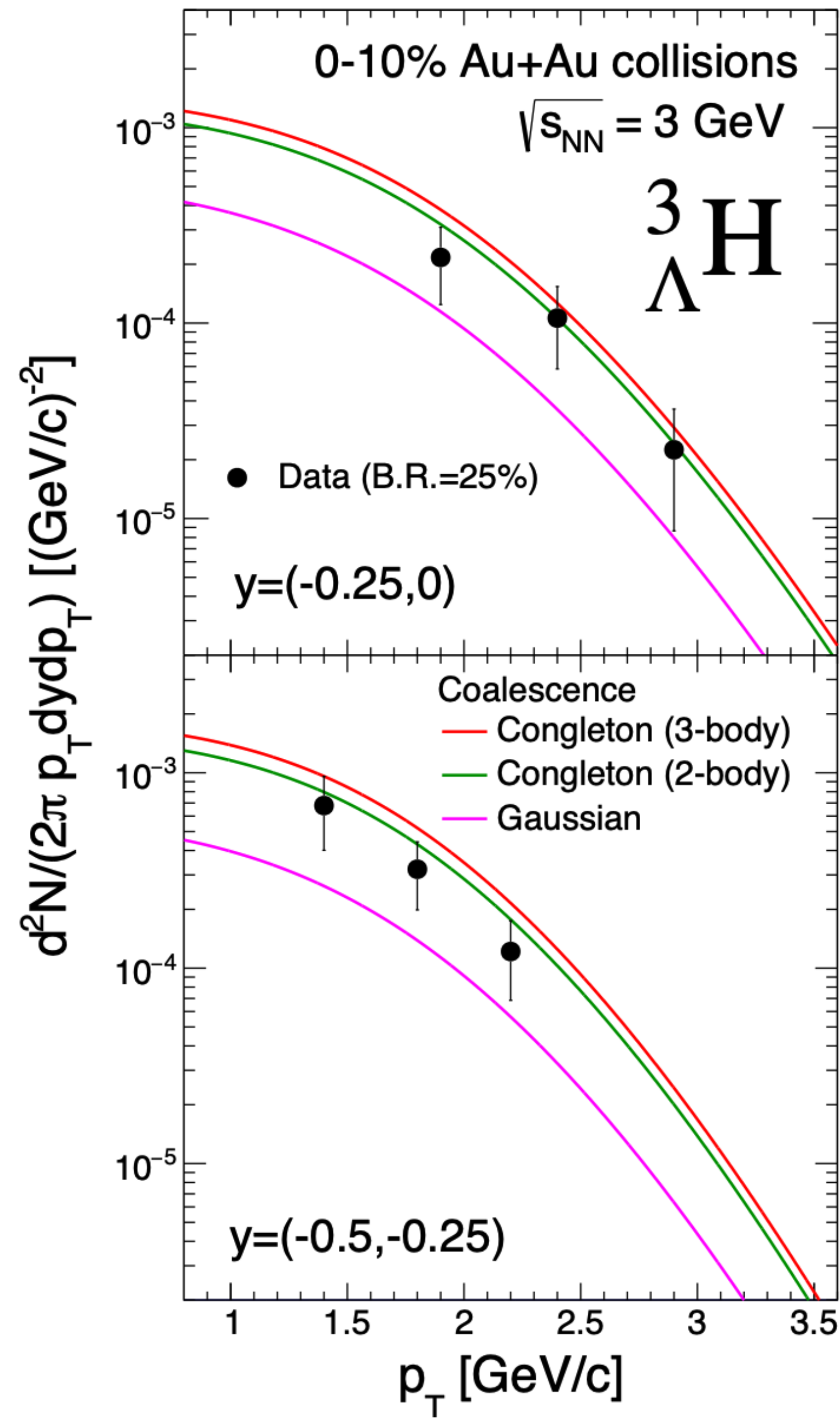
- ${}^3_{\Lambda}\text{H}$ yields are sensitive to the short-distance structure of the wave function

- Congleton wave function describes ${}^3_{\Lambda}\text{H}$ spectra at 3 GeV

F. Hildenbrand, H.-W. Hammer, PRC 100(2019)034002

Multiplicity Dependence S_3

Coalescence: arXiv: 2510.06758



$$S_3 = \frac{{}^3_{\Lambda}\text{H}}{{}^3\text{He} \times \frac{\Lambda}{p}}$$

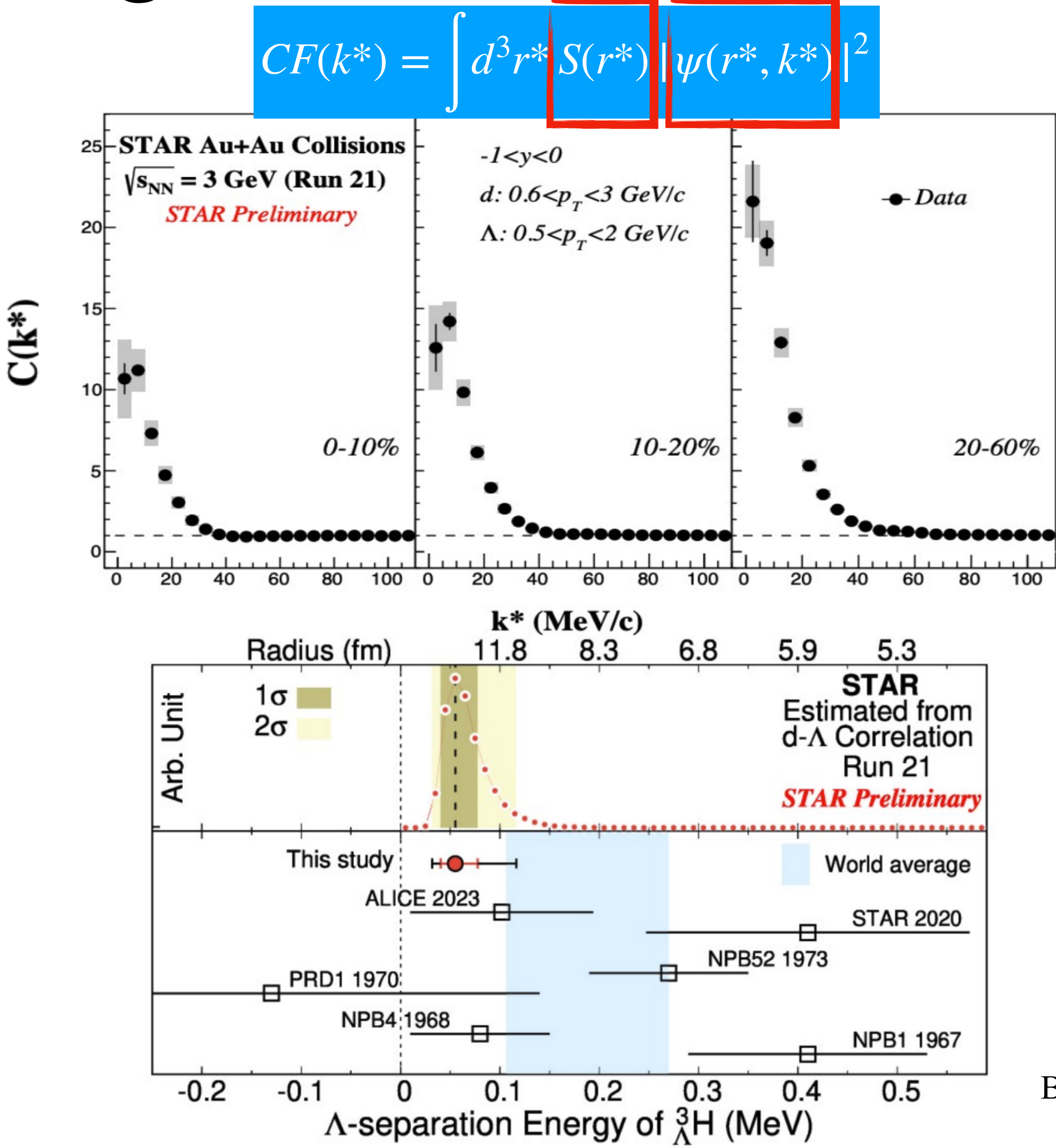
Reflect relative production probabilities of nuclei (${}^3\text{He}$) and hypernuclei (${}^3_{\Lambda}\text{H}$)

- CBM's high precision across different energies and system sizes will better constrain the ${}^3_{\Lambda}\text{H}$ wave function

N.Herrmann, Theme Meeting on CBM: Science and Technology, Jatni, India, Feb. 2023

Year	Setup	Reaction	T_{Lab} (AGeV)	Days on Target	Number of events	Remarks
0 (2028*)	ELEHAD	C+C, Ag+Ag, Au+Au	2,4,6,8,10,max	60	—	Commissioning
1	ELEHAD	Au+Au	2,4,6,8,10,max	30 (5 each)	2×10^{10} each	EB mBias
1	ELEHAD	C+C	2,4,6,8,10,max	18 (3 each)	4×10^{10} each	mBias
1	ELEHAD	p+Be	3,4,8,29	12 (3 each)	2×10^{11} each	mBias
2	MUON	Au+Au	2,4,6,8,10,max	30 (5 each)	2×10^{11} each	mBias
2	MUON	C+C	2,4,6,8,10,max	18 (3 each)	4×10^{11} each	mBias
2	MUON	p+Be	3,4,8,29	12 (3 each)	2×10^{12} each	mBias
3	HADR	Au+Au	2,4,6,8,10,max	12 (2 each)	4×10^{11} each	EB + Selectors
3	HADR	C+C	2,4,6,8,10,max	6 (1 each)	8×10^{11} each	—
3	HADES	Ag+Ag	2,4	28 (14 each)	10^{10} each	—
3	ELEHAD	Ag+Ag	2,4	8 (4 each)	2×10^{10} each	mBias

Light Nuclei - Λ Correlation



➤ **Formalism with Lednicky-Lyuboshitz (L-L) model:**

- ❑ Only consider s-wave
- ❑ Effective range expansion for $\psi(r^*, k^*)$
- ❑ Static and spherical Gaussian source assumed

R. Lednicky and V. L. Lyuboshitz, Sov. J. Nucl. Phys. 35, 770 (1982)

➤ **Wave function:**

❑
$$\psi(r^*, k^*) = e^{-ik^*r^*} + f(k^*) \frac{e^{-ik^*r^*}}{r^*}$$

➤ **Scattering amplitude:**

- ❑ $f(k^*) = [\frac{1}{f_0} + \frac{1}{2}d_0k^{*2} - ik^*]^{-1}$ (No Coulomb)
- ❑ $f(k^*) = [\frac{1}{f_0} + \frac{1}{2}d_0k^{*2} - \frac{2}{a_c}h(\eta) - ik^*A_c(\eta)]^{-1}$ (Include Coulomb)
 a_c : Bohr radius $\eta = (k^*a_c)^{-1}$
 A_c, h : Coulomb interaction factor

- Light nuclei - Λ correlation functions provide further insights to hyper-nuclei structure and properties

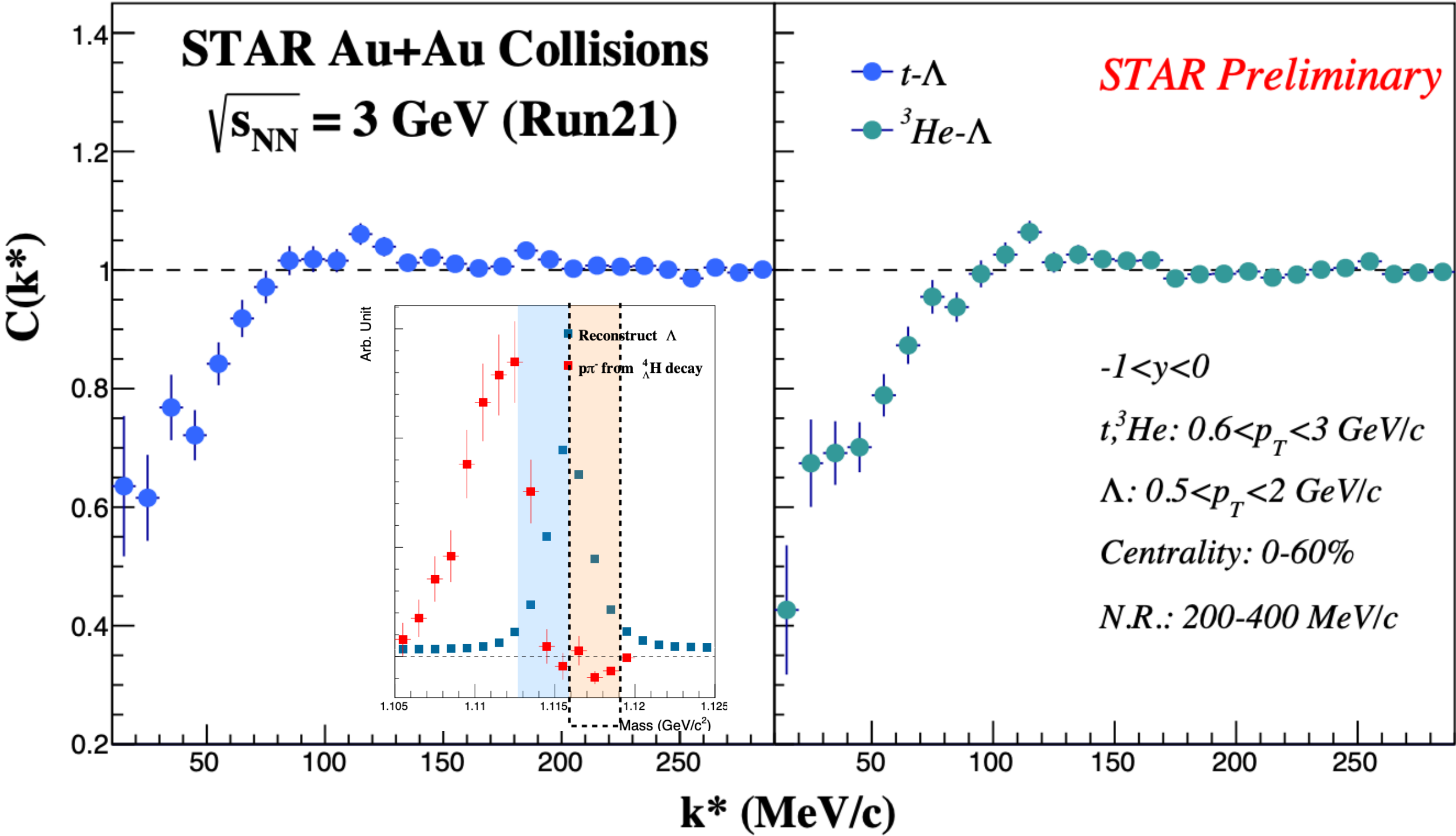
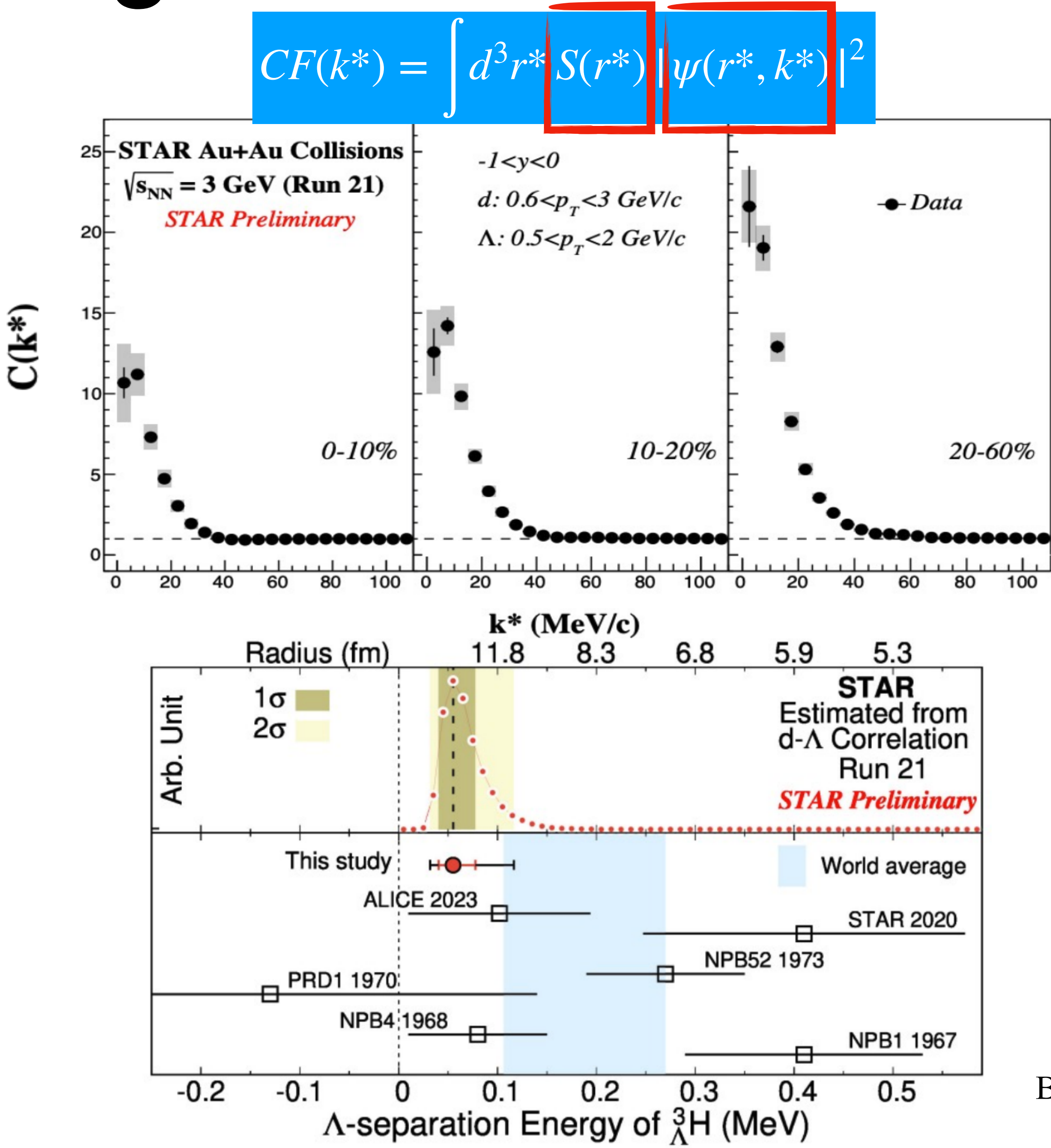
Bethe formula:

$$BE_{^3_\Lambda\text{H}} = \frac{1}{2m_{d-\Lambda}d_0^2} \left(1 - \sqrt{1 + \frac{2d_0}{f_0}}\right)^2 \quad r = \sqrt{\frac{\hbar^2}{4\mu B_\Lambda}}$$

Light Nuclei - Λ Correlation

STAR Au+Au 3 GeV
(BES-II)

QM 2025, X. Jiang

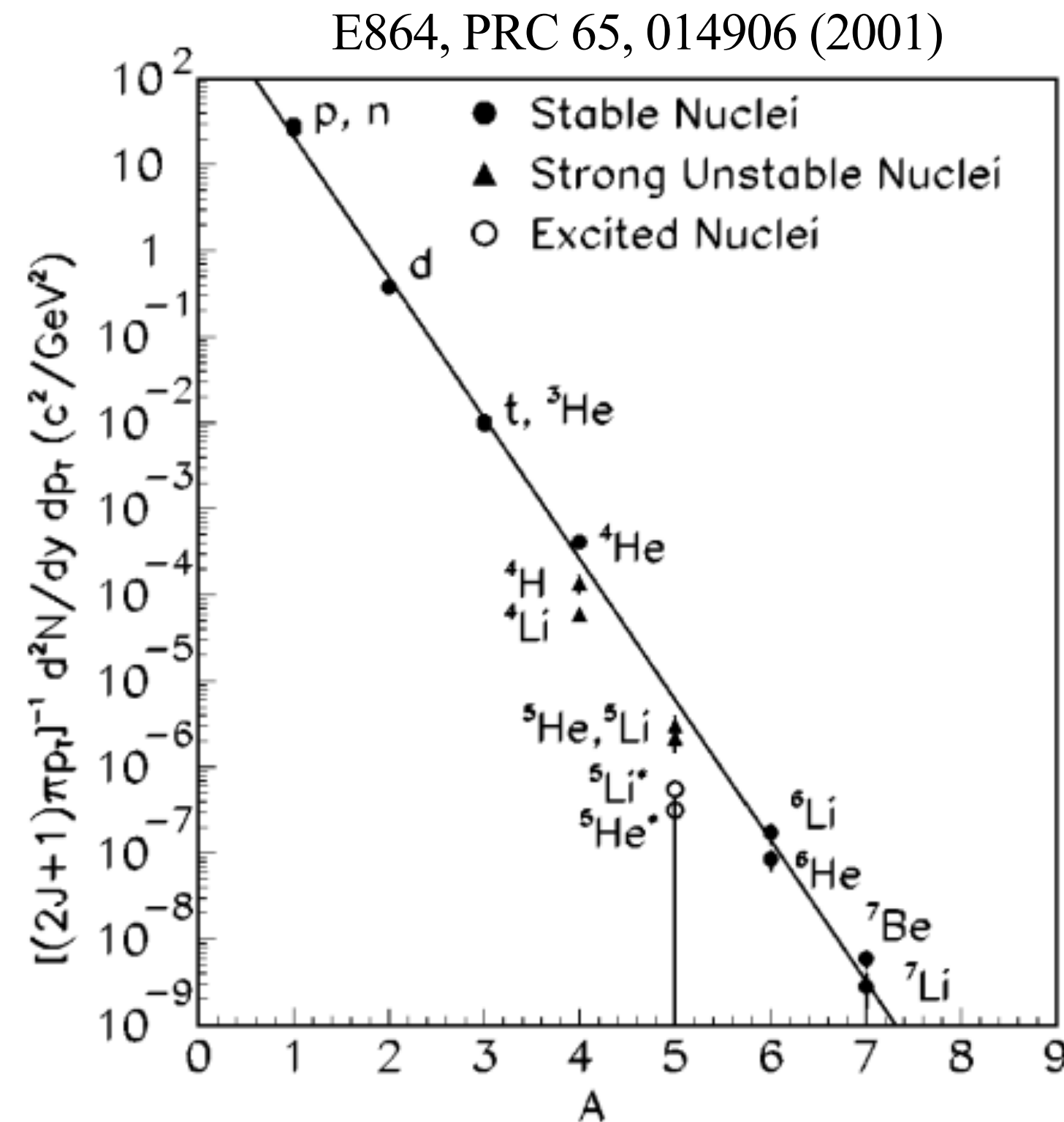


- Light nuclei - Λ correlation functions provide further insights to hyper-nuclei structure and properties
- STAR has measured d/ t - Λ and ^3He - Λ correlations at 3 GeV

Bethe formula:

$$BE_{^3_\Lambda\text{H}} = \frac{1}{2m_{d-\Lambda}d_0^2} \left(1 - \sqrt{1 + \frac{2d_0}{f_0}}\right)^2 \quad r = \sqrt{\frac{\hbar^2}{4\mu B_\Lambda}}$$

Light Nuclei - Λ Correlation

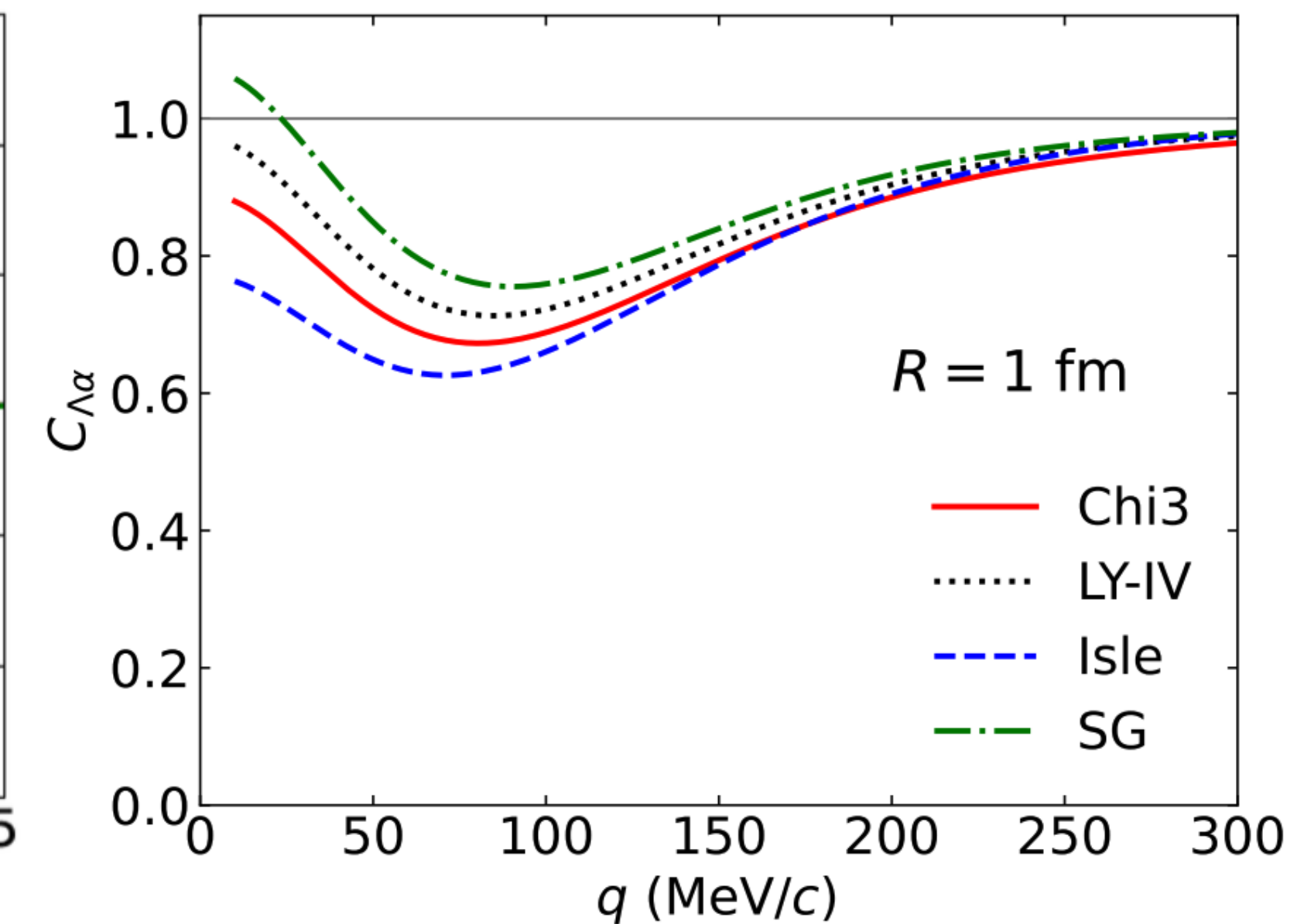
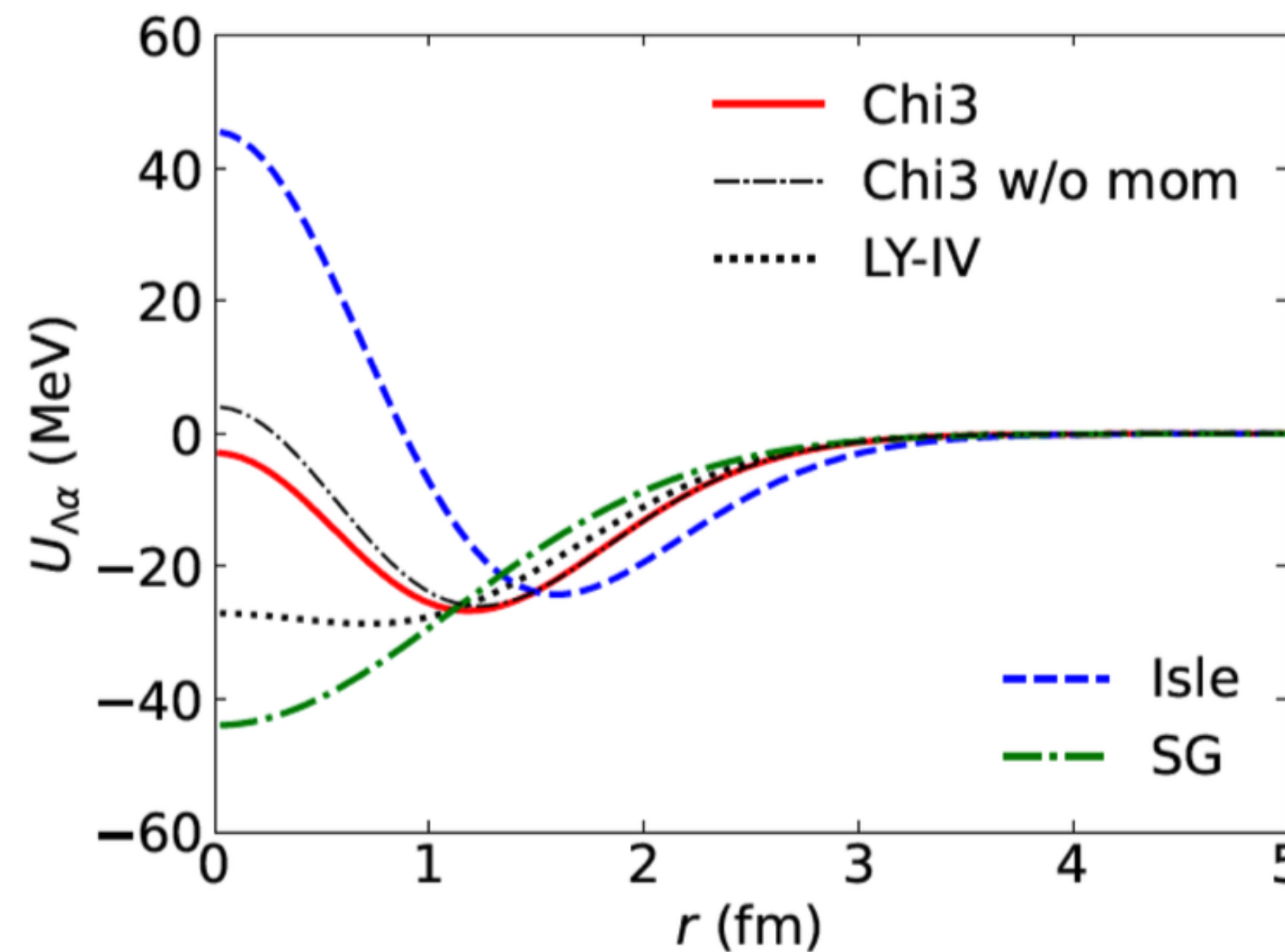


- CBM's higher statistics will extend these studies to heavier systems such as α - Λ for the first time

- With multiple system sizes and higher statistics, CBM will better constrain the short-range YN interaction

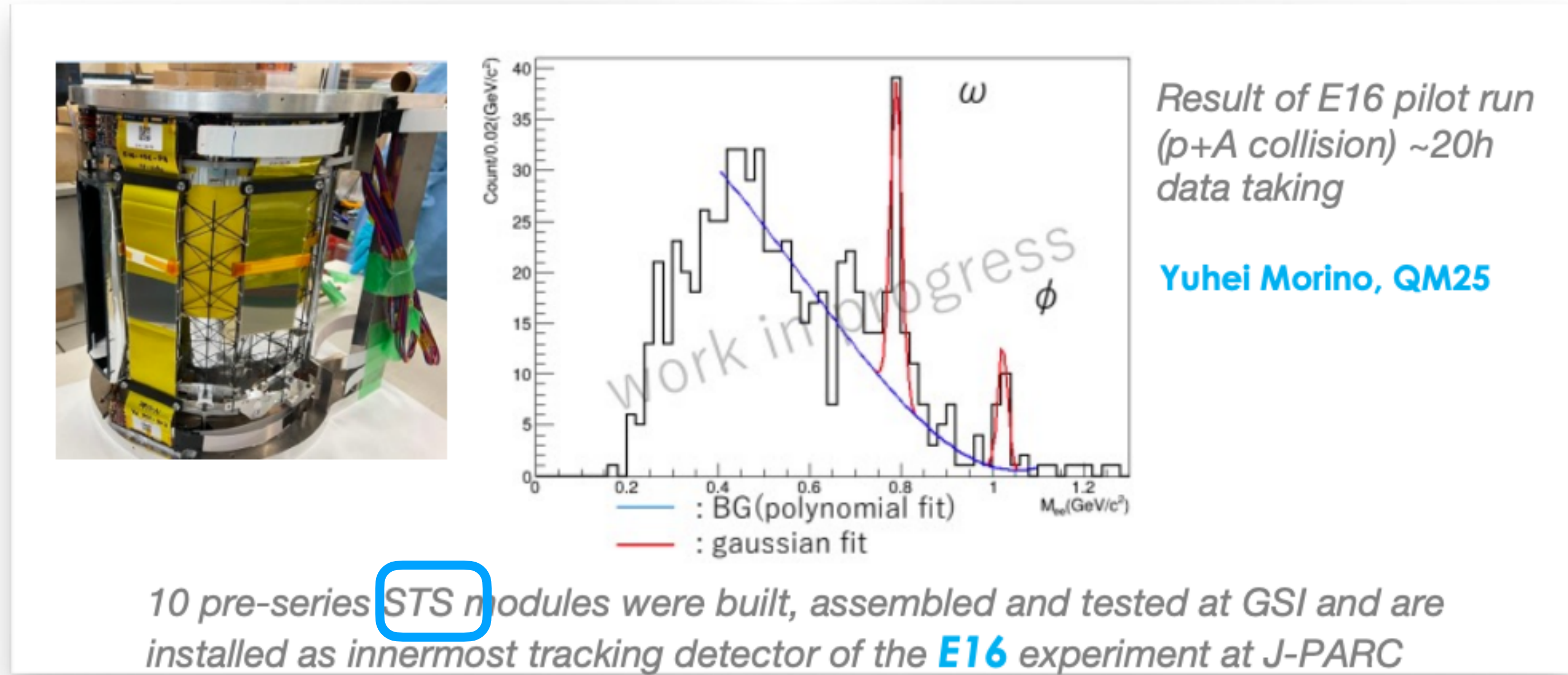
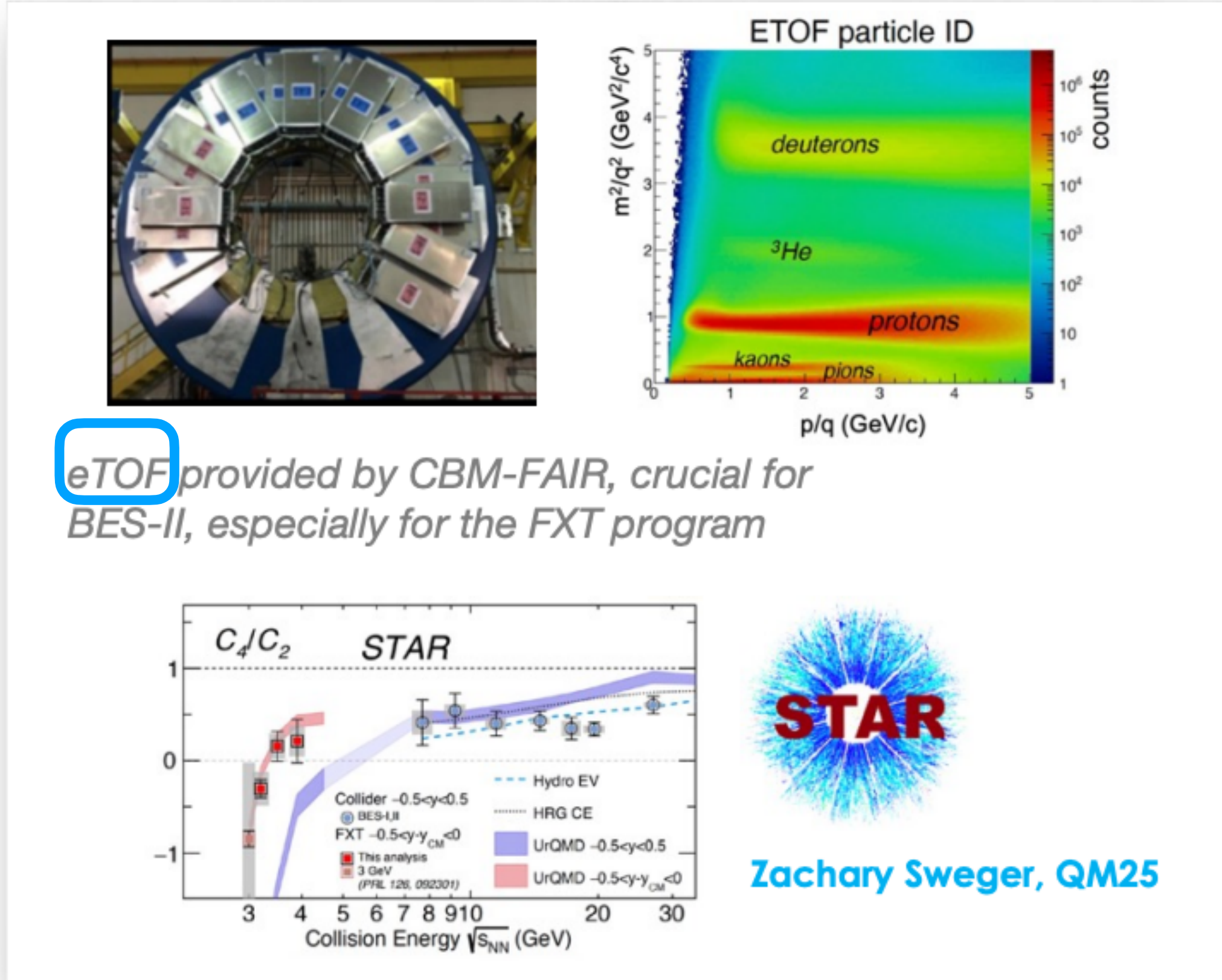
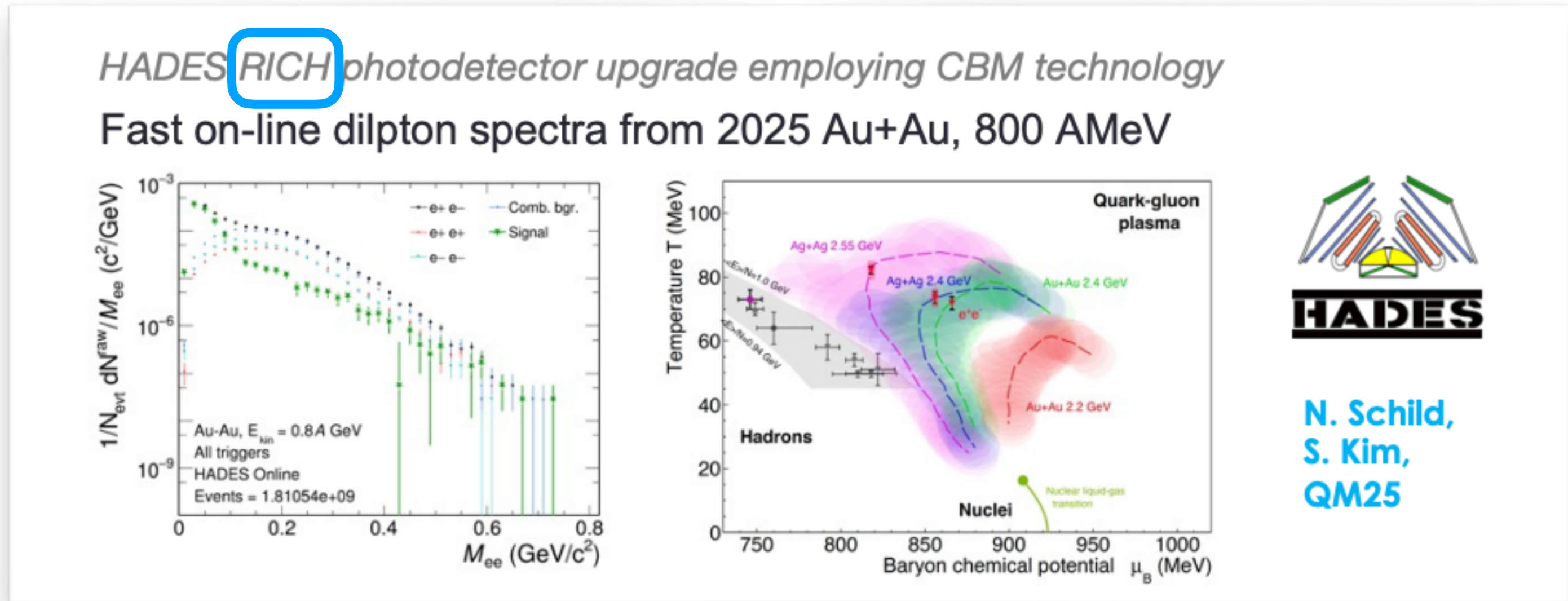
A. Jinno et al., PRC 110, 014001 (2024)

$U_{\Lambda\alpha}$: ($\Lambda\alpha$ potential)



- Overall Λ - α interaction is constraint by B_Λ of $^5_\Lambda\text{He}$, but the short-range part still differs among models
- $C_{\Lambda\alpha}$ at small size is highly sensitive to short range part of $U_{\Lambda\alpha}$

Successful Phase-0: HADES, STAR, E16



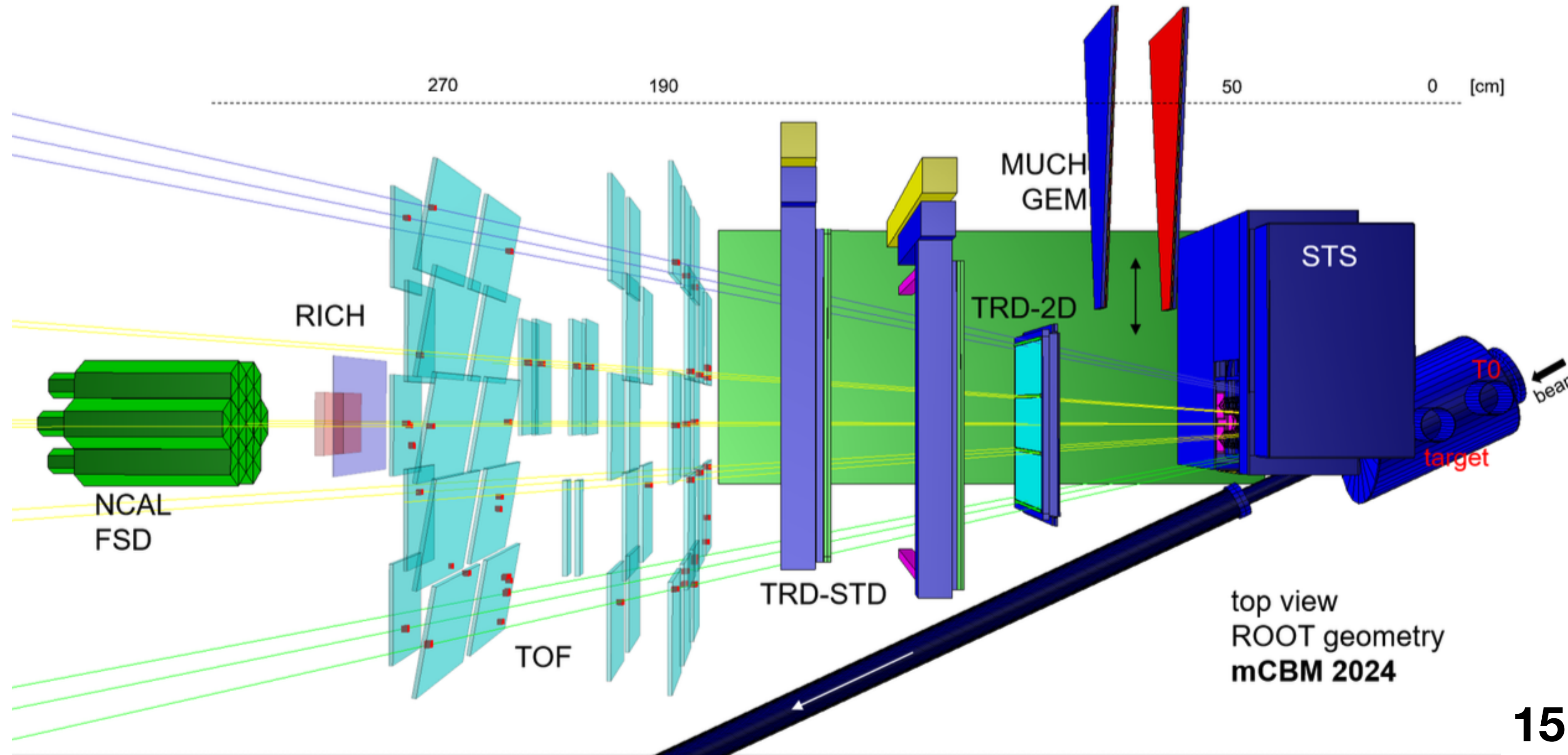
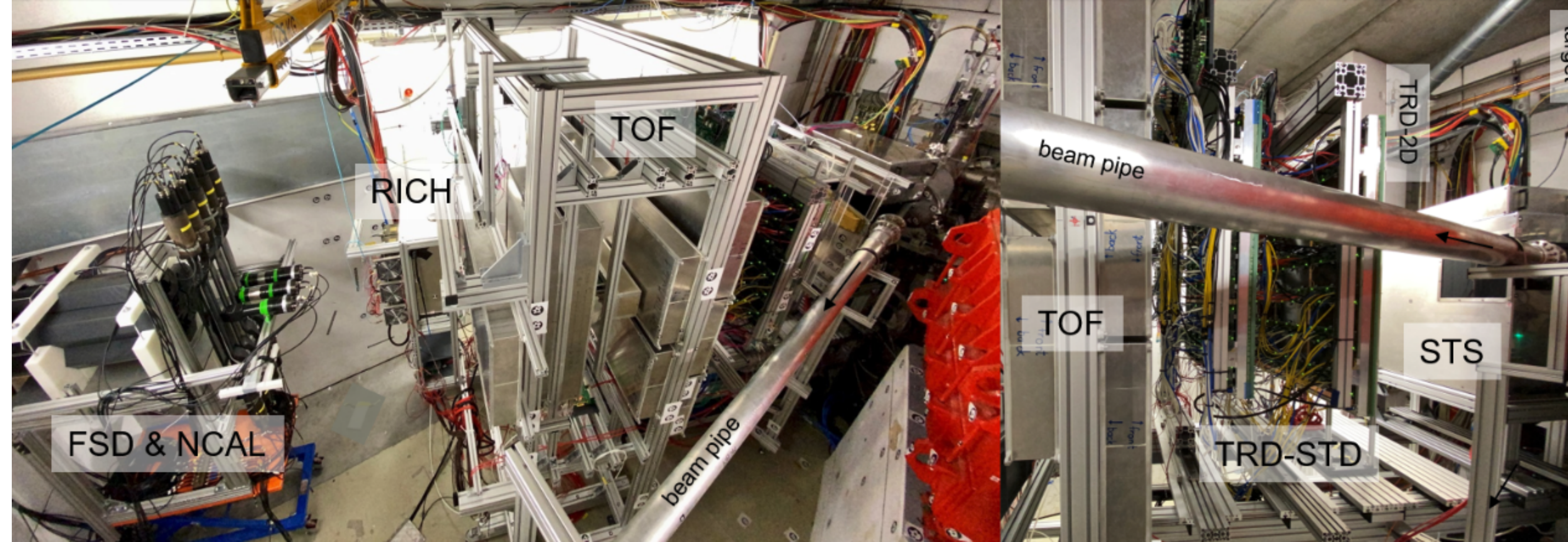
- Demonstrate performance of major detector subsystems
- Physic results validate CBM detector systems and software framework

Testing to Scale

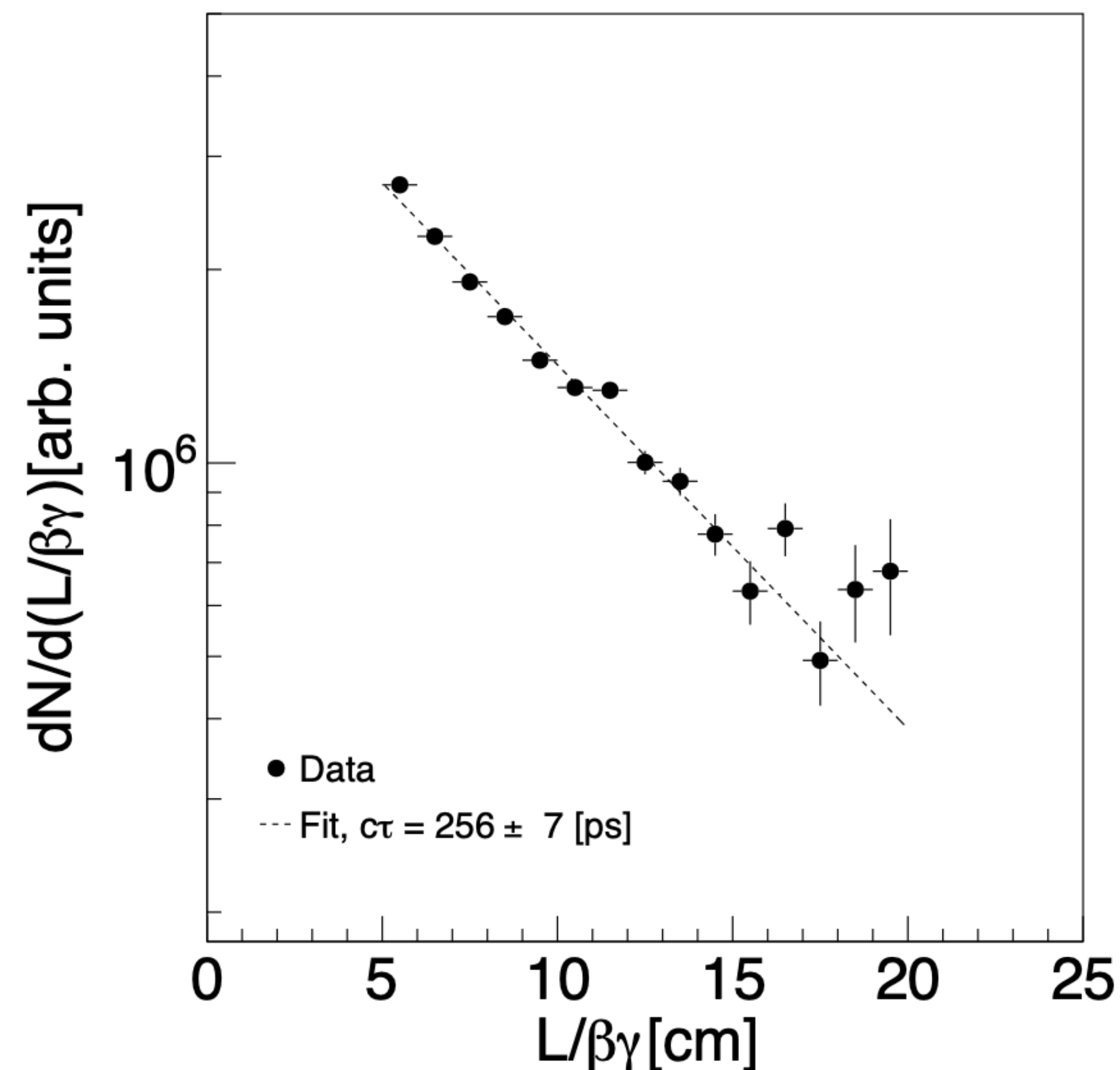
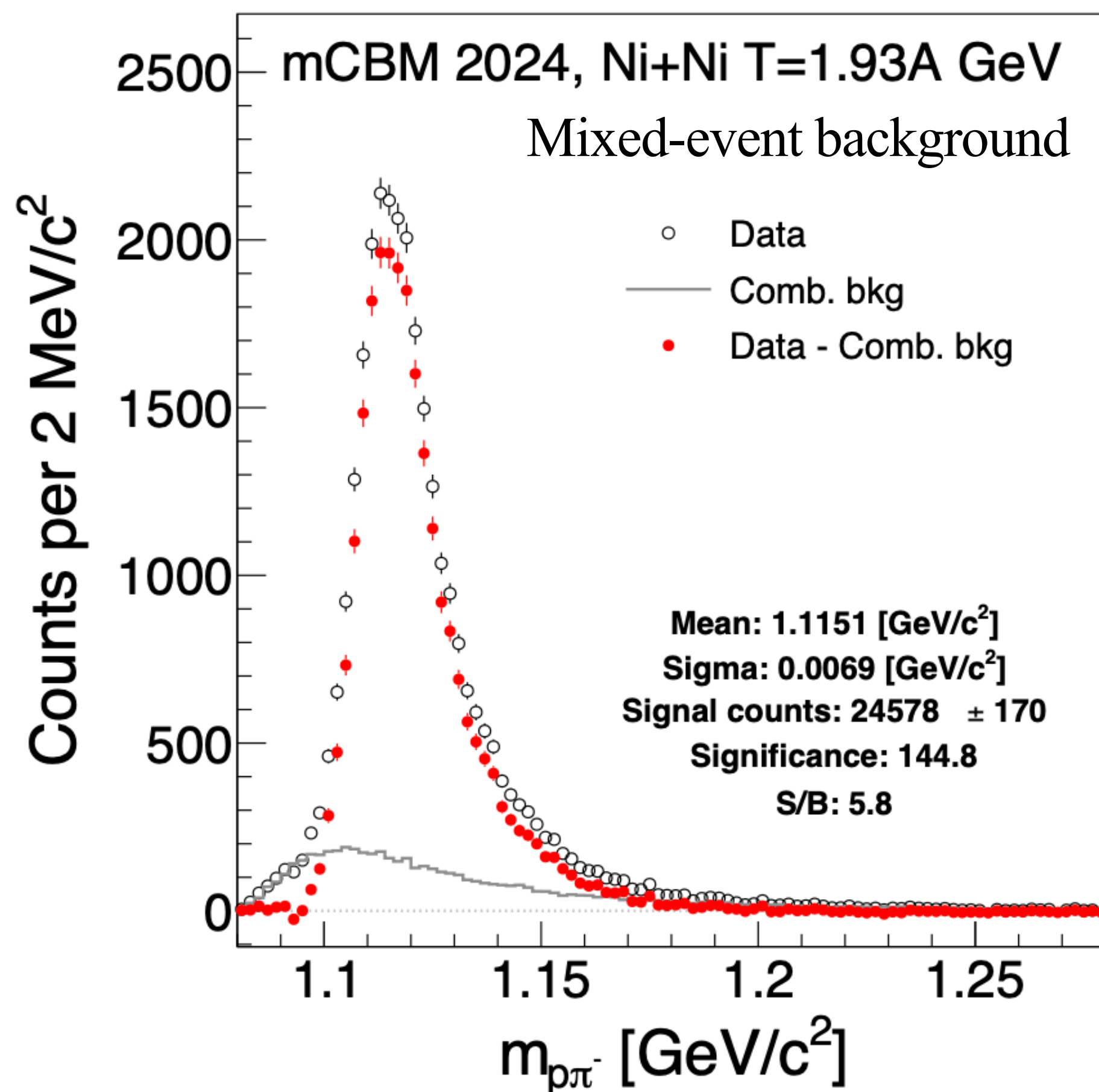
miniCBM test setup

No B-field

- Silicon Tracking System (STS)
- Muon Chamber system (MUCH)
- Transition Radiation Detector system (TRD)
- Time-Of-Flight detector system (TOF)
- Ring Imaging Cherenkov detector system (RICH)
- Forward Spectator Detector system (FSD) with the Neutron Calorimeter (NCAL)
- Time-zero detectors of the Beam Monitoring system (BMON)



Testing to Scale



- Λ reconstructed using KFParticle in CBMRoot
- Topological cuts suppress combinatorial background from primary tracks
- Measured Λ lifetime: $256 \pm 7(\text{stat.}) \pm 27(\text{syst.})$ ps — consistent with literature

Demonstrated the complete data processing chain — from front-end acquisition to high-level analysis of a rare signal — validating the performance and **readiness of hardware and software components for CBM measurements**

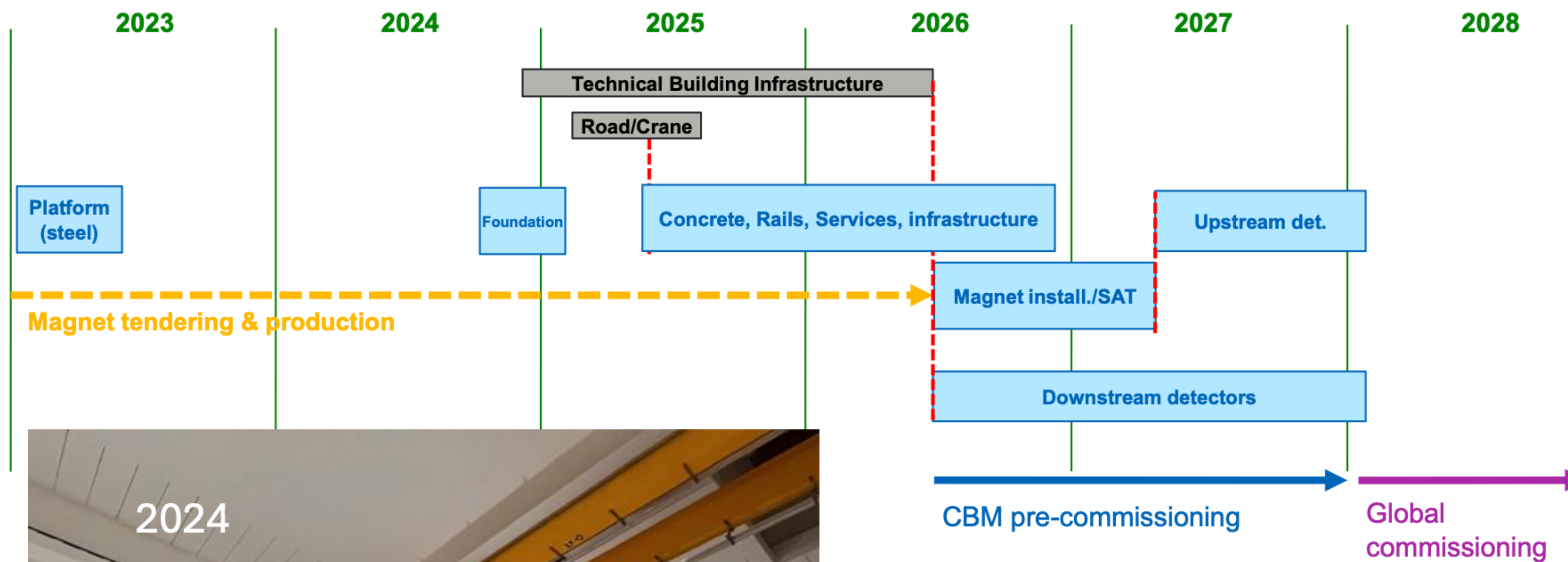
Towards Detector Installation

CBM Cave

- A dedicated cave with a massive beam dump for high-intensity, high-energy beams
- CBM Cave/Building shell completed
- Technical Building Infrastructure in 2025/2026

CBM Installation

- CBM installation activities (platform) started in June 2023
- Ready for beam by 2028, ~ 12 months contingency for CBM global commissioning



All major detector subsystems are under installation, keeping CBM on track for physics data taking by 2028!

Backup

Probing the Hypertriton (${}^3_{\Lambda}\text{H}$) Wave Function

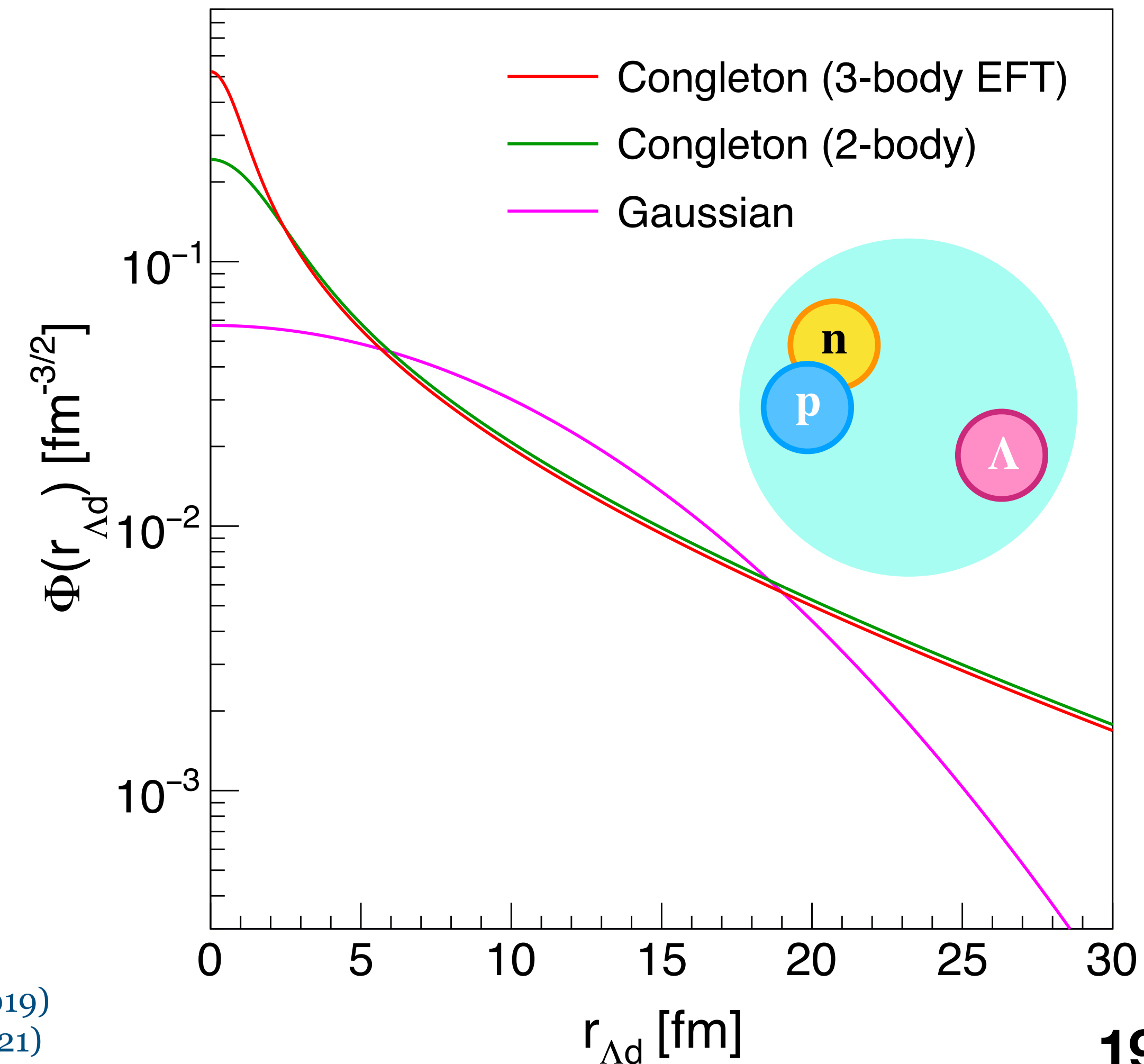
- **Wigner-function coalescence**: coalescence probability given by overlap between ${}^3_{\Lambda}\text{H}$ wave function and nucleon/hyperon distributions at freeze out

- ${}^3_{\Lambda}\text{H}$: loosely bound hypernuclei
($B_{\Lambda} = 0.164 \pm 0.043$ MeV)

- Gaussian: $\Phi_{{}^3_{\Lambda}\text{H}}(r_{pn}, r_{\Lambda}) = \left(\frac{1}{3\pi^2 b_{pn}^2 b_{\Lambda}^2} \right)^{\frac{3}{4}} e^{-\frac{r_{pn}^2}{4b_{pn}^2} - \frac{r_{\Lambda}^2}{3b_{\Lambda}^2}}$
 $b_{\Lambda} = 7.2\text{fm}$
Phys.Rev.C 103, 014907 (2021)

- Congleton: $\hat{\Phi}_{{}^3_{\Lambda}\text{H}(d\Lambda)}(q) = A \frac{e^{-\frac{q^2}{Q_{\Lambda}^2}}}{q^2 + \alpha_{\Lambda}^2}$
 - 2-body model of ${}^3_{\Lambda}\text{H}$ J.Phys.G 18, 339-357 (1992)
($Q_{\Lambda}, \alpha_{\Lambda}$) = (1.17, 0.068) fm⁻¹

- 3-body effective field theory
($Q_{\Lambda}, \alpha_{\Lambda}$) = (2.5, 0.068) fm⁻¹
Phys.Rev.C 100, 034002 (2019)
Phys.Rev.C 103, 014907 (2021)



Coalescence calculations (arXiv:2510.06758)

Phys.Rev.C 103, 014907 (2021)

$$B_3({}_\Lambda^3\text{H}) \approx \frac{3}{m^2} \frac{2s_{\Lambda^3\text{H}} + 1}{(2s_N + 1)^3} (2\pi)^6 \int d^3r_{pn} \int d^3r_\Lambda |\Phi_{\Lambda^3\text{H}}(r_{pn}, r_\Lambda)|^2 \mathcal{S}_3(r_{pn}, r_\Lambda)$$

$|\Phi_{\Lambda^3\text{H}}(r_{pn}, r_\Lambda)|^2$
 $\mathcal{S}_3(r_{pn}, r_\Lambda)$

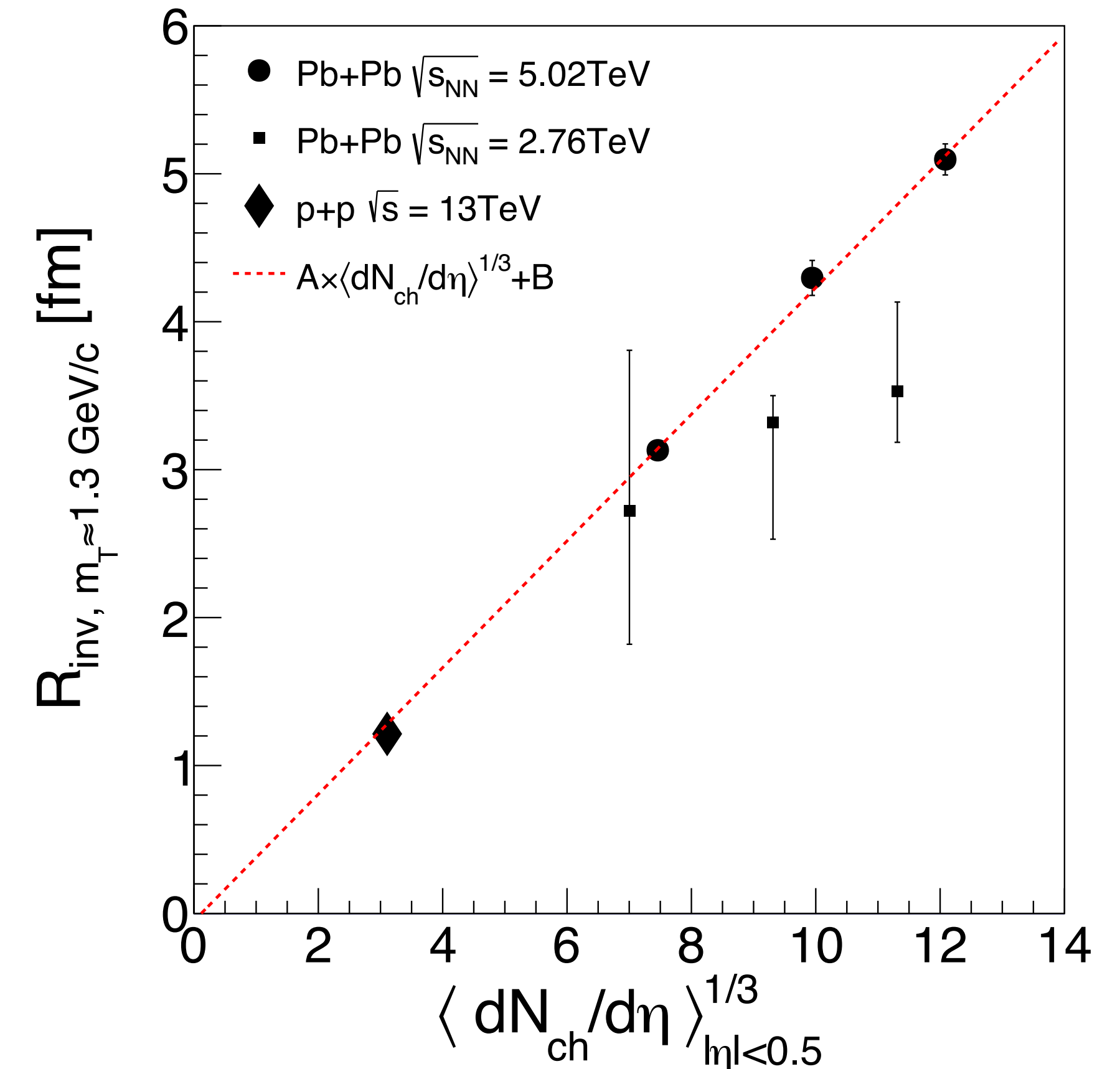
Wave function
Nucleon source

- Assuming an isotropic Gaussian nucleon source

$$\mathcal{S}_3(r_{12}, r_3) = \frac{1}{(12\pi^2 R_{\text{inv}}^4)^{3/2}} \exp\left(-\frac{r_{12}^2 + \frac{4}{3}r_3^2}{4R_{\text{inv}}^2}\right)$$

- Use ALICE baryon-baryon **correlation function data** to estimate R_{inv} for **high energy collisions**

ALICE, arXiv:2505.01061

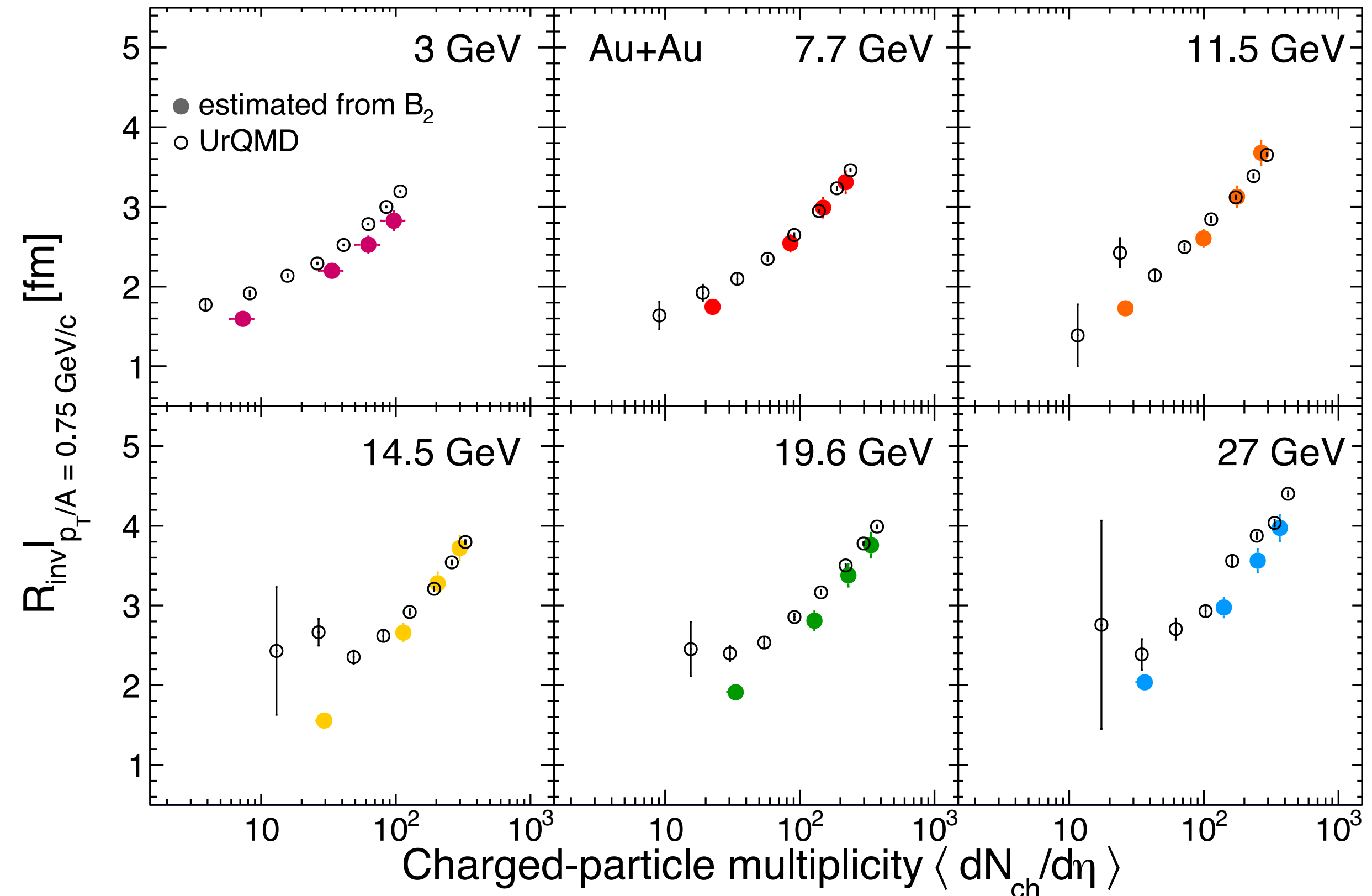
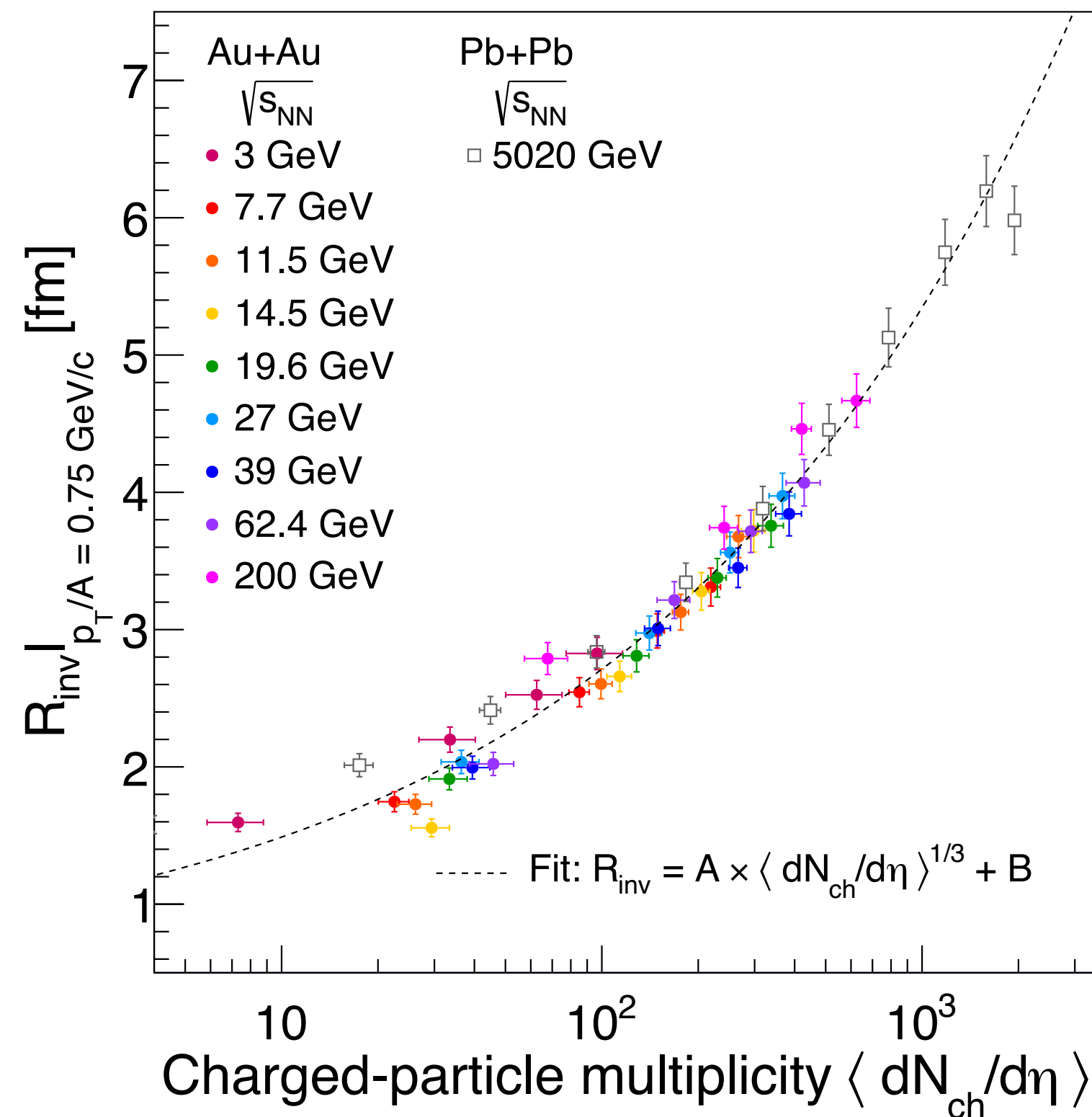


Coalescence calculations (arXiv:2510.06758)

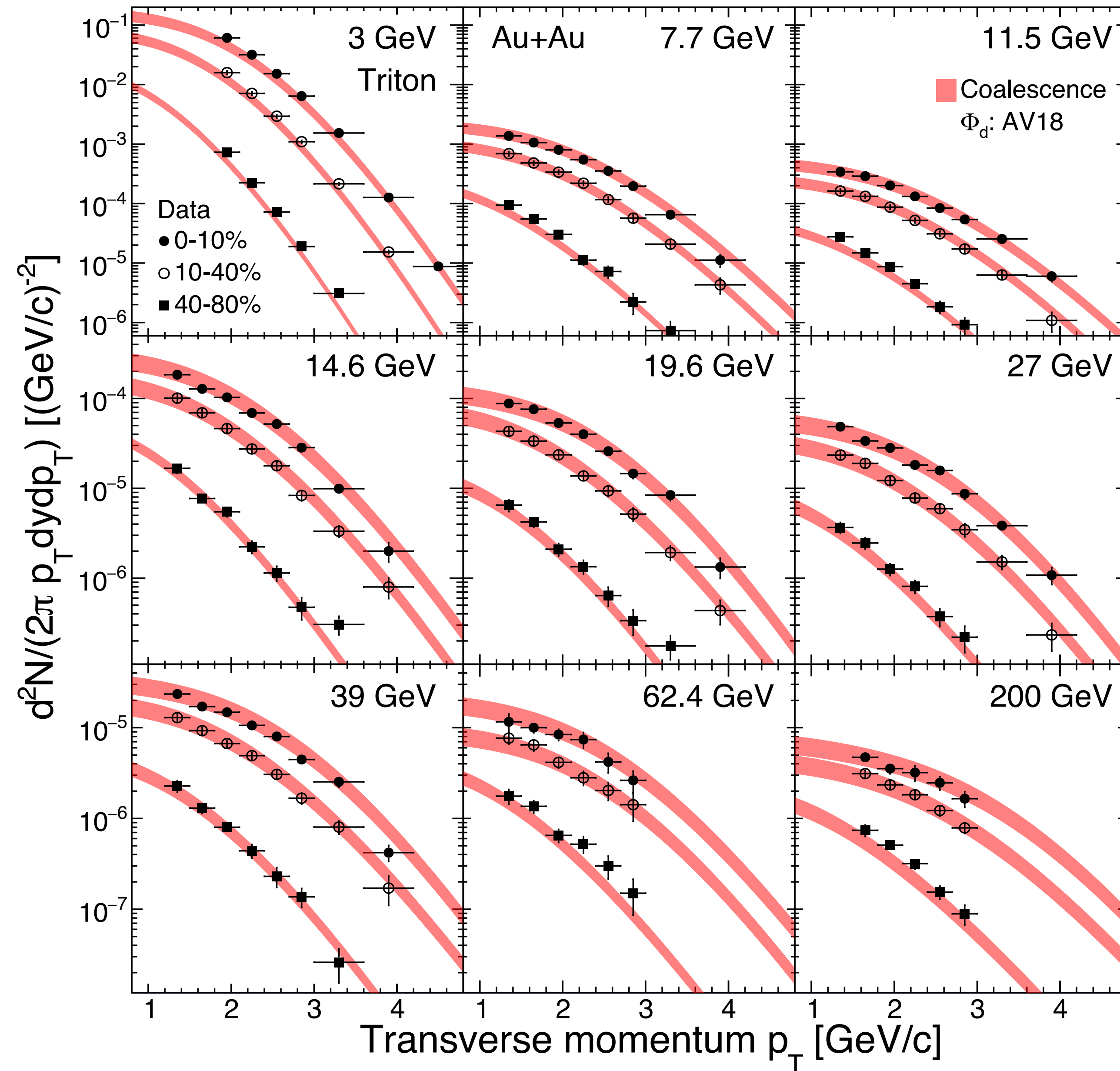
- Use deuteron data to estimate R_{inv} for **BES energies**
- Calculate B_2 as function for pT and centrality using data

- Use coalescence formula with Argonne v_{18} wave function to obtain R_{inv}

$$B_2(d) \approx \frac{2(2s_d + 1)}{m(2s_N + 1)^2(2\pi)^3} \int d^3r |\Phi_d(r)|^2 \mathcal{S}_2(r)$$



Coalescence calculations (arXiv:2510.06758)



- Calculations describe triton data well