Alignment within one module of PANDA Luminosity Detector

R. Klasen, M. Fritsch, P. Jasinski

Helmholtz-Institut Mainz Johannes Gutenberg-Universität Mainz

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Luminosity pixel detectors





Task

- pixel sensors glued on thin diamond plane from both sides
- quality fluctuations \rightarrow only few sensors grouped to arrays of $(2 \times 4)cm^2$ (green), rest will be $(2 \times 2)cm^2$ sensors (grey)
- full disc coverage \rightarrow 36° angle between sensors
- exact position and rotation of sensors must be known for track reconstruction



Pixel coincidence approach

Using overlapping area

- sensors will overlap partially
- use overlapping area to determine the alignment of each sensor pair



Pixel coincidence approach

- charged particle will (ideally) activate single pixel in every sensor
- pixels on front and back must be close (depends on angle of entry and energy of particle)
- \bullet sensors have discrete pixels \rightarrow approach will have certain maximum accuracy

Procedure

- simulation of perfectly aligned sensors (no shift in x and y, no rotation)
- using 1 million events to determine maximum achievable accuracy
- accuracy roughly estimated! (only centers of mass in pixel clusters are compared)

First result

units in diagrams in pixels with pixel size of $(80 \times 80) \mu m^2$



x: Avg. pprox 0.8 μ m, RMS pprox 25 μ m, y: Avg. pprox -1.6 μ m, RMS pprox 25 μ m

Perfectly aligned sensor:

- mean very close to 0
- pixel centers from front and back shifted by $\approx 1 \mu m$ among each other
- \Rightarrow alignment with charged particles tracks possible!

Iterative Closest Point Algorithm

- algorithm to align two clouds of points in three dimensions (i.e. translation, rotation, scaling)
- here: determine transformation matrices from one sensor to every other sensor
- 9 overlapping areas \rightarrow 9 matrices

 \Rightarrow position of every sensor with respect to reference sensor is known

Iterative Closest Point Algorithm

Inputs:

- points from two raw scans
- initial estimation of the transformation
- criteria for stopping the iteration

Output:

refined transformation

Iterative Closest Point Algorithm



compute
R matrix and
t vector via SVD

Singular Value Decomposition

- is a factorization of a matrix
- decompose transformation matrix
 - \rightarrow rotation + translation + scaling

Procedure

- subtract center of mass from every point
- point sets then are:

$$X' = x_i - \mu_x = x'_i$$
$$P' = p_i - \mu_p = p'_i$$

Singular Value Decomposition

• construct matrix W:

$$W = \sum_{i=1}^{N_p} x_i' p_i'^T \tag{1}$$

• and denote singular value decomposition (SVD) of W by:

$$W = U \begin{pmatrix} \sigma_1 & 0 & 0 \\ 0 & \sigma_2 & 0 \\ 0 & 0 & \sigma_3 \end{pmatrix} V^{\mathcal{T}}$$

where $U, V \in \mathbb{R}^{3 \times 3}$ are unitary and $\sigma_1, \sigma_2, \sigma_3$ are singular values of W• rotation and translation are:

$$R = UV^{T}$$
$$t = \mu_{x} - R\mu_{p}$$

Iterative Closest Point Algorithm



Iterative Closest Point Algorithm (Visualization)²



²http://www.sciencedirect.com/science/article/pii/S0167865510000292

Pixel coincidence method

- using charged particles tracks and responding pixels
- simultaneously firing pixels must be close
- high statistic \rightarrow high accuracy

Iterative Closest Point Algorithm

- finds transformation matrix to transform one set of points onto a corresponding set of points
- robust against inaccuracies (pixel not firing or noise)

this method is still being tested, but looks very promising