

# PANDA Luminosity Detector

## Status Report: Luminosity Fit

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# LUMINOSITY DEFINITION

## Typical Scattering Process

$$\frac{dN(\text{ps})}{d\text{ps}} = L \cdot \frac{d\sigma(\text{ps})}{d\text{ps}}$$

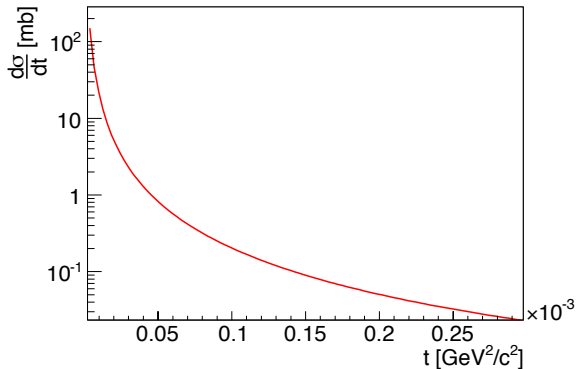
- ⊙  $\frac{dN}{d\text{ps}}$ : measured number of events within phase space element  $d\text{ps}$
- ⊙  $\text{ps}$ : phase space variables
- ⊙  $\frac{d\sigma}{d\text{ps}}$ : differential cross section
- ⊙  $L$ : integrated luminosity

Reducing uncertainty of cross section  
→ pick well known process e.g. elastic scattering

# $\bar{p}p$ ELASTIC SCATTERING MODEL

$$\frac{d\sigma(t)}{dt} = \frac{d\sigma_C(t)}{dt} + \frac{d\sigma_{int}(t, \text{par})}{dt} + \frac{d\sigma_H(t, \text{par})}{dt}$$

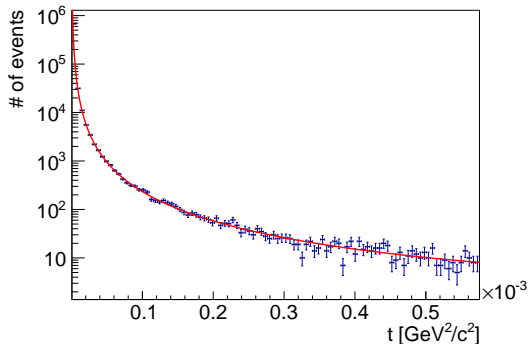
$$p_{\text{lab}} = 1.5 \text{ GeV}/c$$



# GENERATING A DATA SAMPLE

$$\frac{dN(t)}{dt} = L \cdot \frac{d\sigma(t)}{dt} = L \cdot \left[ \frac{d\sigma_C(t)}{dt} + \frac{d\sigma_{int}(t)}{dt} + \frac{d\sigma_H(t)}{dt} \right]$$

$$p_{\text{lab}} = 1.5 \text{ GeV}/c$$

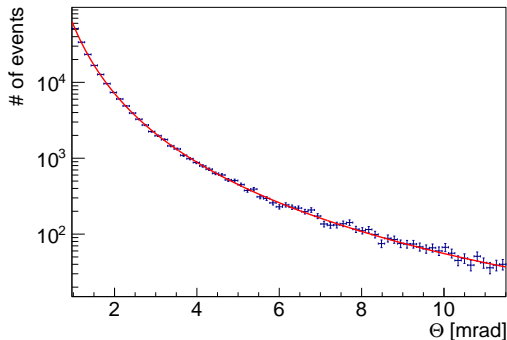


- ⊙ MC data is generated according to elastic scattering model
- ⊙ generated luminosity corresponds to  $\sim 1$ s of data taking

## STEP 1: CONVERT TO SCATTERING ANGLE $\theta$

$$\frac{dN(\theta)}{d\theta} = L \cdot \frac{d\sigma(\theta)}{d\theta}$$

$$p_{\text{lab}} = 1.5 \text{ GeV}/c$$



→ luminosity fit uncertainty:  
 $0.07\% \pm 0.12\%$

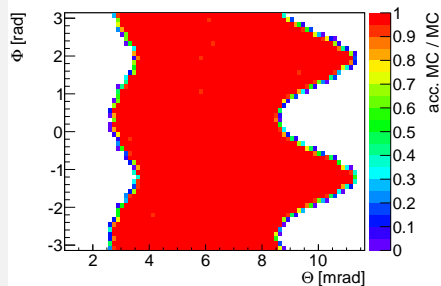
- ⊙ transformation of data and model: momentum transfer  $t \rightarrow$  scattering angle  $\theta$
- ⊙ corresponds to measurement of an idealistic detector (no resolution) with  $4\pi$  spatial coverage

## STEP 2: THE DETECTOR ACCEPTANCE

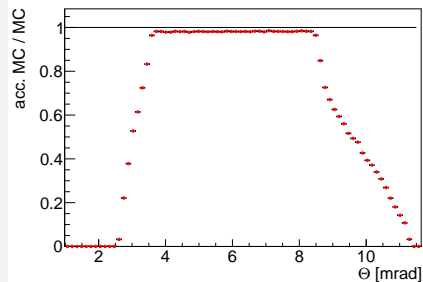
$$\epsilon(\theta, \phi)$$

$$p_{\text{lab}} = 1.5 \text{ GeV}/c$$

### $\epsilon(\theta, \phi)$ : 2D Acceptance



### $\epsilon(\theta)$ : Projection

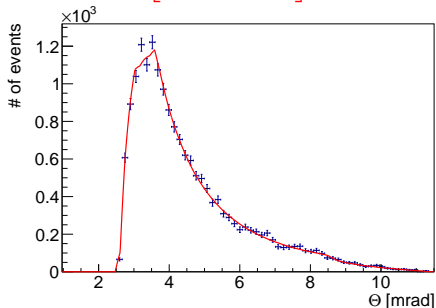


⊙ Efficiency in plateau  $\approx 98\%$

## STEP 2 CONTD.: ACCEPTANCE CORRECTED FIT

$$\frac{dN(\theta)}{d\theta} = L \cdot \left[ \frac{d\sigma(\theta)}{d\theta} \cdot \epsilon(\theta) \right]$$

$$p_{\text{lab}} = 1.5 \text{ GeV}/c$$



→ luminosity fit uncertainty:  
 $0.23\% \pm 0.75\%$

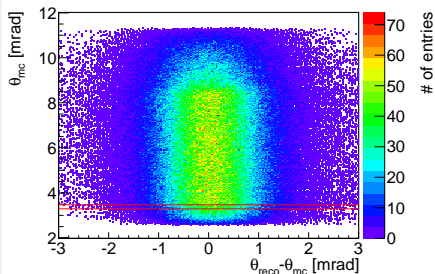
- ⊙ generated and successfully reconstructed data without the influence of detector resolution
- ⊙ corresponds to measurement of an idealistic detector with finite spatial coverage

# STEP 3: DETECTOR RESOLUTION

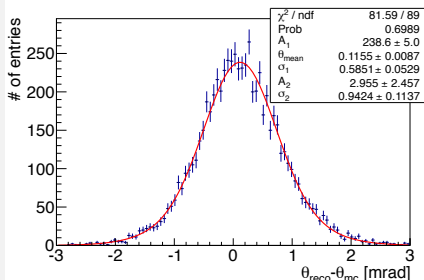
$Res(\theta)$

$p_{lab} = 1.5 \text{ GeV}/c$

## ⊖ Resolution vs ⊖



## ⊖ Resolution Slice



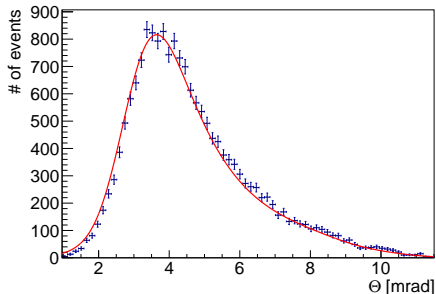
$$Res = \frac{A}{\sigma\sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-\theta_{\text{mean}}}{\sigma}\right)^2}$$



## STEP 3 CONTD.: COMPLETE FIT

$$\frac{dN(\theta)}{d\theta} = L \cdot \left[ \frac{d\sigma(\theta)}{d\theta} \cdot \epsilon(\theta) \right] \otimes \text{Res}(\theta)$$

$$p_{\text{lab}} = 1.5 \text{ GeV}/c$$



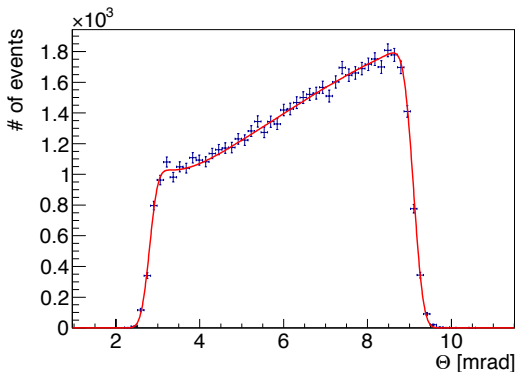
- ⊙ reconstructed data (full simulation)
- ⊙ corresponds to a realistic measurement of the luminosity detector

→ luminosity fit uncertainty:  
 $1.22\% \pm 0.75\%$

## STEP 3 CONTD.: COMPLETE FIT

$$\frac{dN(\theta)}{d\theta} = L \cdot \left[ \frac{d\sigma(\theta)}{d\theta} \cdot \epsilon(\theta) \right] \otimes Res(\theta)$$

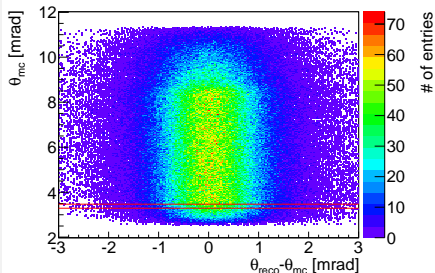
$$p_{\text{lab}} = 15.0 \text{ GeV}/c$$



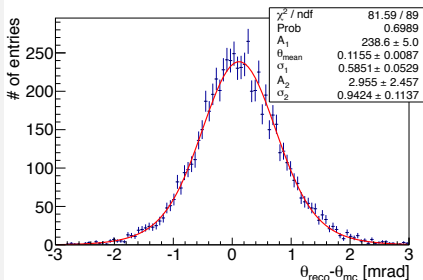
→ luminosity fit uncertainty:  $0.12\% \pm 0.42\%$

# SMEARING PROBLEM CAUSE: $\Theta$ RESOLUTION

## $\Theta$ Resolution vs $\Theta$



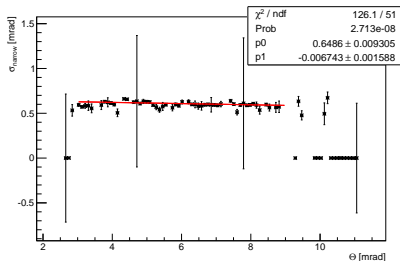
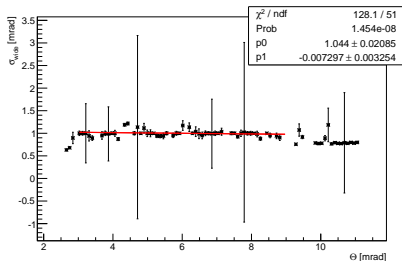
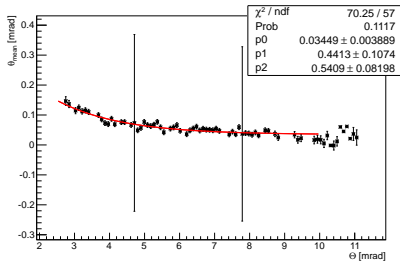
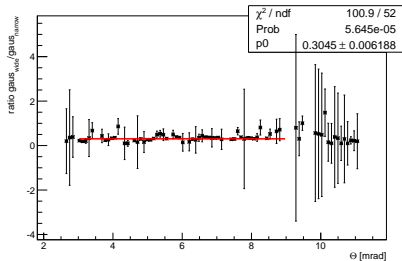
## $\Theta$ Resolution Slice



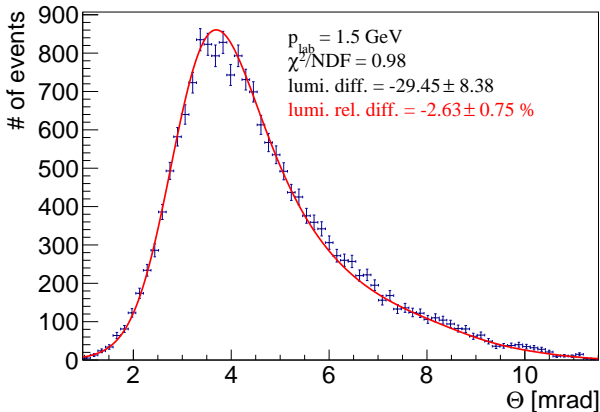
→ offset in resolution ( $\sim +0.1 \text{ mrad}$ )

$$\frac{r}{1+r} \frac{1}{\sigma_w \sqrt{2\pi}} e^{-\frac{1}{2} \left( \frac{x - \theta_{\text{mean}}}{\sigma_w} \right)^2} + \frac{1}{1+r} \frac{1}{\sigma_n \sqrt{2\pi}} e^{-\frac{1}{2} \left( \frac{x - \theta_{\text{mean}}}{\sigma_n} \right)^2}$$

# NEW RESOLUTION PARAMETRIZATION



# NEW FIT RESULTS AT $p_{\text{lab}} = 1.5 \text{ GeV}/c$



- ⊙ better agreement with data
- ⊙ larger luminosity fit uncertainty

# INFLUENCE OF THE BEAM PARAMETERS

## Categories

### Beam Offset

parallel shift of beam w.r.t. z-axis

- ⊙ equivalent to displacement of detector vertical to beam axis  
→ acceptance changes
- ⊙ advantage: measured directly and independently  
→ complete correction with acceptance

### Oblique Beam

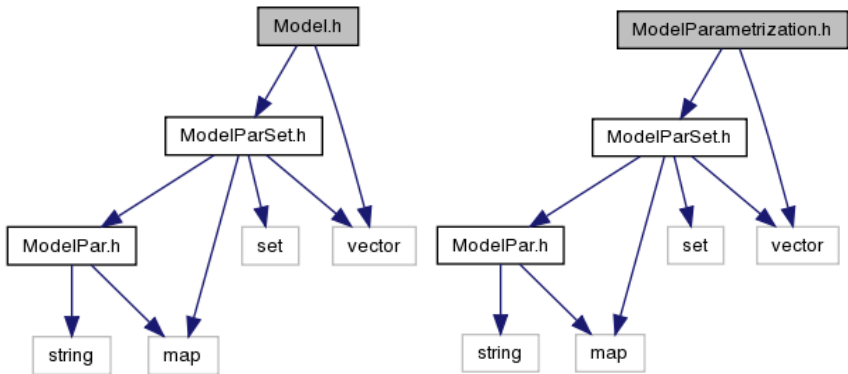
$\bar{p}$  enter with an angle w.r.t. z-axis

- ⊙ equivalent to rotation of detector  
→ acceptance changes
- ⊙ however: additional change in coordinate system  
→ model correction required
- ⊙ difficulty: direct/independent measurement impossible

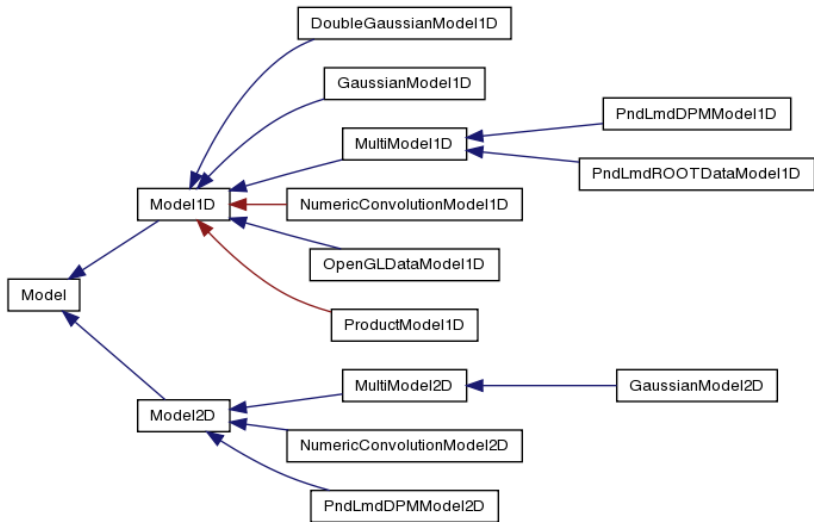
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note: beam divergence is an additional angular resolution

# THE MODEL FRAMEWORK



# MODEL EXAMPLE: PANDA LMD





# LMD SPECIFIC USER WORKFLOW

- ⊙ model allows full customization
- ⊙ however for LMD
  - ▷ creation of models via factory only
    - usage simplified
  - ▷ parametrizations automatically built-in
    - parameter initialization and connections
  - ▷ only "superior" parameters (here:  $p_{\text{lab}}$ ) MUST be set by user

# CONCLUSIONS & OUTLOOK

- ⊙ extraction of luminosity with high precision
- ⊙ now: good agreement with data for all beam energies
- ⊙ however: still small problem with smearing at  $p_{\text{lab}} = 1.5 \text{ GeV}/c$
- ⊙ finish model framework

END

Thanks for your Attention!

# ELASTIC CROSS SECTION

$$\frac{d\sigma}{dt} = \frac{d\sigma_C}{dt} + \frac{d\sigma_{int}}{dt} + \frac{d\sigma_H}{dt}$$

with

$$\frac{d\sigma_C}{dt} = \frac{4\pi\alpha_{EM}^2 G^4(t)}{\beta^2 t^2}$$

$$\frac{d\sigma_{int}}{dt} = \frac{\alpha_{EM}\sigma_{Total}}{\beta|t|} G^2(t) e^{\frac{1}{2}Bt} (\rho \cos(\delta) + \sin(\delta))$$

$$\frac{d\sigma_H}{dt} = A_1 \cdot \left[ e^{t/2t_1} - A_2 \cdot e^{t/2t_2} \right]^2 + A_3 \cdot e^{t/t_2}$$