

Role of isospin asymmetry in the onset of quark matter in neutron stars

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Outline

- 1 Introduction
- 2 Equation of state
- 3 Outcomes

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The problem

- ⇒ Terrestrial experiments on nuclear matter provide knowledge at density near $n_{\text{sat}} = 0.15\text{fm}^{-3}$
 - Rough shape of energy density, pressure etc is known
 - Certain intuition around n_{sat} is formulated
 - In particular, we suspect that quarks only emerge at much higher density
- ⇒ It is tempting to apply the same intuition to neutron stars (unearthly conditions)
 - But the intuition might be severely misleading

Aim of the talk :

- ① to demonstrate that the quark onset density within neutron stars may strongly deviate from earthly expectations
- ② to establish a relation between symmetric and asymmetric onset densities, supported by constraints

Symmetric and asymmetric matter

The difference between neutron star matter and earthly nuclear matter lies in their typical isospin asymmetry $I = \frac{n_I}{n_B}$.

⇒ Nuclei : symmetric matter $n_n \approx n_p \Rightarrow I \approx 0$

⇒ NSs : highly asymmetric matter $n_n \gg n_p \Rightarrow I \gg 0$ (usually $I \approx 0.8$)

Isospin asymmetry induces repulsion between n, p

⇒ quark onset is easier to reach?

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Equation of state in use

To describe onset properties we need hybrid EoS.

Hadronic EoS: **DDTCY**
[Courtesy of S. Typel]

Relativistic mean-field description with nucleons and hyperons, with scalar attraction and vector repulsion employed. Marginally fits into flow constraint [Danielewicz et. al 2002], but does not describe $2M_{\odot}$ NSs.

Quark EoS: **3F nonlocal NJL**
[O. Ivanytskyi, 2025]

Nambu-Jona-Lasinio model with nonlocal current-current interactions in scalar, vector and diquark channels, with latter controlled by corresponding dimensionless couplings (η_V, η_D) .

$\Rightarrow (\eta_V, \eta_D)$ priorly serve as free parameters

\Rightarrow *uds* particle content

For neutron star matter, charge neutrality and β -equilibrium is imposed.

Matching scheme 1

Maxwell construction (bridge between hadronic (HP) and quark phases (QP)) ensures mechanical and baryon chemical equilibrium on the phase boundary

$$P_H(\mu_{HP}^{ons}) = P_Q(\mu_{QP}^{ons})$$

$$\mu_{HP}^{ons} = \mu_{QP}^{ons}$$

This type of matching ensures nonzero density jump $n_{QP}^{ons} - n_{HP}^{ons}$, which corresponds to slope difference in P/μ plane.

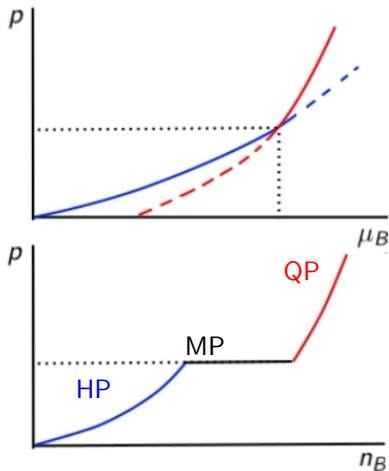


Figure: Sample Maxwell construction in P/μ and P/n planes

Matching scheme 2

Procedure:

- ⇒ EoS matching for a uniform grid of couplings
 $(\eta_V, \eta_D) \in [0.00, 1.00] \times [0.12, 0.5];$
- ⇒ Seek Maxwell crossings;
- ⇒ Only keep models which have Maxwell crossings in symmetric and neutron star EoS simultaneously.

Limitations:

- ⇒ Only 1st order PT is considered;
- ⇒ Cases, where crossings only exist in symmetric or neutron star EoS, are discarded.

This restriction defines the (η_V, η_D) sample space.

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Coupling space

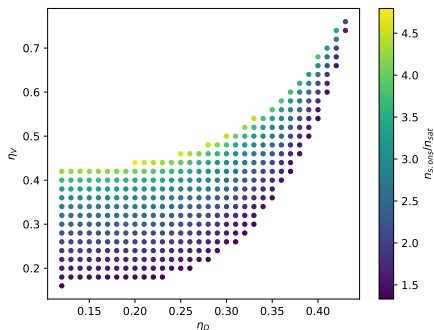


Figure: (η_V, η_D) space vs quark onset density in symmetric matter.

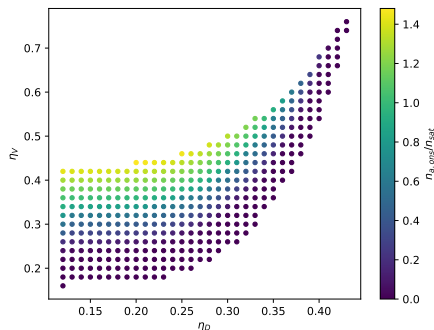
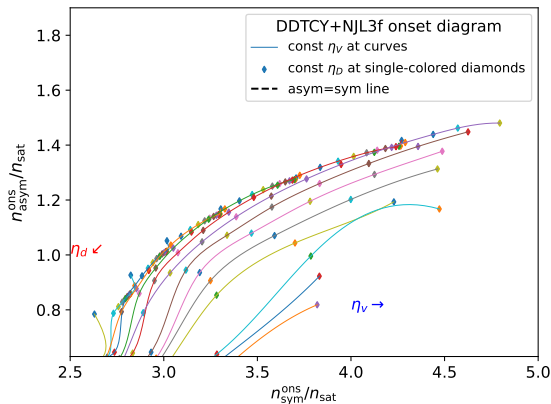


Figure: (η_V, η_D) space vs quark onset density in neutron star matter.

- ⇒ Asymmetric onset densities appear much lower (factor of 3?)
- ⇒ Symmetric onset densities reach $4.5n_{\text{sat}}$ → available experiments not violated

Onset space



⇒ $n_{\text{asym}} - n_{\text{sym}}$ relation is evidently strongly capped

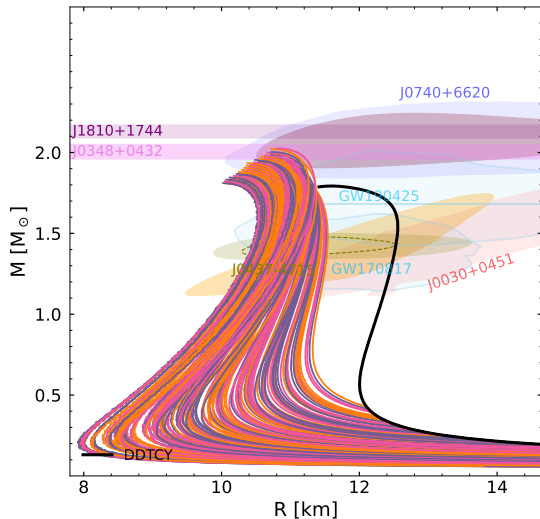
→ Support for “early” deconfinement in neutron stars.

⇒ Below $1n_{\text{sat}}$ is reachable in neutron stars, while maintaining $\sim 4n_{\text{sat}}$ in symmetric matter

→ n_{sat} does not carry the same intuition in neutron stars

Figure: (η_V, η_D) mapping to $(n_{\text{asym}}^{\text{ons}}, n_{\text{sym}}^{\text{ons}})$ variables.

Astrophysical sector



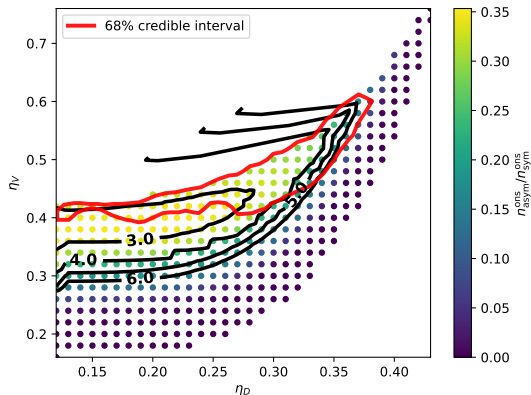
We run the EoS sample space through TOV equations to compare against astro constraints. Evidently, elimination with Bayesian analysis is possible. We apply

- ⇒ NICER constraints, J0740+6620 in particular;
- ⇒ GW170817 tidal deformability.

At the same time, flow constraint is marginally maintained for symmetric EoS.

Figure: TOV solutions for DDTCY-NJL3f.

Credible couplings



⇒ Significant elimination achieved

⇒ Bayesian analysis supports $\frac{n_{sym}}{n_{asym}} \in (3, 6)$

Figure: Coupling diagram with 1σ credible region (credits to A. Ayriyan). Levels indicate onset ratio.

Conclusions

- ⇒ The quark onset density of electrically neutral matter at beta equilibrium may exhibit significantly lower than in the symmetric case.
- ⇒ Bayesian analysis suggests relation between symmetric and asymmetric onset densities starting from 3, which elucidates the distinction between heavy ion and neutron star regimes.
- ⇒ Notably, the analysis does not disfavor asymmetric onset densities below 1 n_{sat} .

Backup : Flow constraint

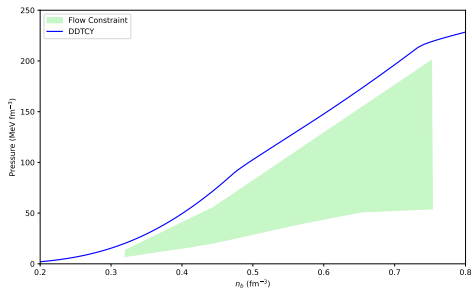


Figure: Symmetric DDTCY vs flow constraint band.

Backup : Onset constraint

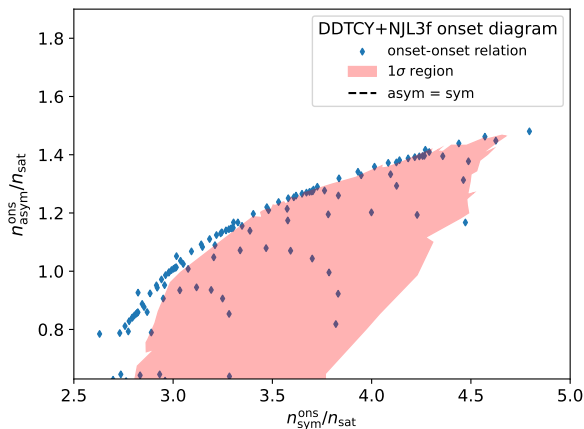


Figure: Onset space with 68% CL from BA.