



# Luminosity detector software

Background studies summary and Software alignment

Anastasia Karavdina

KPH, Uni Mainz

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# Outline



1 Background studies

2 Software alignment



1 Background studies

2 Software alignment



## Strategy

- Generation of background with DPM:  
 $0.0018 < \theta < 2\pi$  rad,  $2 \cdot 10^7$  events  
 $P_{beam}$  1.5, 4.06, 8.9, 11.91, 15 GeV/c
- Track reconstruction in the luminosity detector:  
 $\bar{p}$  assumption
- Comparison reconstructed and MC information  
(for scattered  $\bar{p}$  and bkg signal )

Without HIMster it wouldn't be possible!

# Background channels and particles

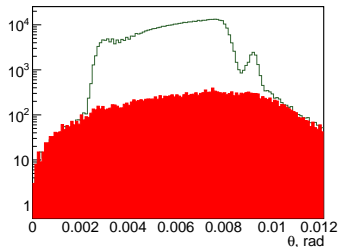


## 15 GeV/c

channel	ratio to $\bar{p}^{el}$ , %
$p\bar{p}$	100
$p\bar{p}\pi^0$	0.8
$p\bar{p}\pi^-\pi^+$	0.63
$p\bar{p}\pi^-\pi^+\pi^0$	0.55
$n\bar{p}\pi^+\pi^0$	0.46
$n\bar{p}2\pi^+\pi^-\pi^0$	0.19
$n\bar{p}\pi^+2\pi^0$	0.12
$p\bar{p}\pi^-\pi^+\gamma$	0.06
$p\bar{p}\pi^-\pi^02\gamma$	0.05
$p\bar{p}\pi^-\pi^+3\pi^0$	0.04
...	
<b>Total</b>	<b>3.72</b>

particle	% of tracks
$\bar{p}$	103.4
$\pi^-$	0.17
$e^+$	0.11
$e^-$	0.1
$\pi^+$	0.01
$K^-$	0.008
$p$	0.007
$K^+$	0.0002

90.4% of bkg =  $\bar{p}$  tracks



# Background channels and particles

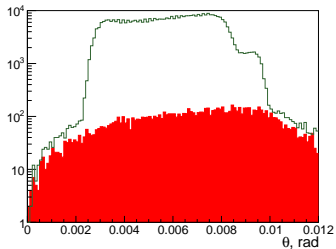


## 11.91 GeV/c

channel	ratio to $\bar{p}_{rec}^{el}$ , %
$p\bar{p}$	100
$p\bar{p}\pi^0$	0.66
$p\bar{p}\pi^-\pi^+$	0.44
$n\bar{p}\pi^0\pi^+$	0.31
$p\bar{p}\pi^0\pi^-\pi^+$	0.29
$n\bar{p}\pi^0\pi^-\pi^+$	0.08
$n\bar{p}2\pi^0\pi^+$	0.07
$p\bar{p}\pi^02\gamma$	0.03
$p\bar{p}\pi^+\pi^-\gamma$	0.02
$p\bar{p}\Lambda K^+\gamma$	0.02
...	
<b>Total</b>	<b>2.36</b>

particle	% of tracks
$\bar{p}$	102.12
$\pi^-$	0.13
$e^-$	0.07
$e^+$	0.06
$\pi^+$	0.01
$p$	0.008
$K^-$	0.003
$K^+$	0.0004
$\Sigma^+$	0.0001

89.6% of bkg =  $\bar{p}$  tracks



# Background channels and particles

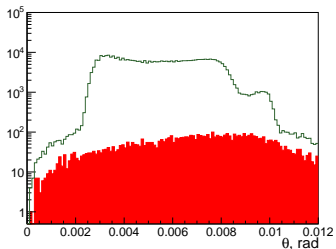


## 8.9 GeV/c

channel	ratio to $\bar{p}_{rec}^{el}$ , %
$p\bar{p}$	100
$p\bar{p}\pi^0$	0.59
$p\bar{p}\pi^-\pi^+$	0.29
$n\bar{p}\pi^0\pi^+$	0.21
$p\bar{p}\pi^0\pi^-\pi^+$	0.12
$n\bar{p}2\pi^0\pi^+$	0.03
$n\bar{p}\pi^0\pi^-\pi^+$	0.02
$\bar{p}\Lambda K^+$	0.02
$\bar{p}\Lambda K^+\gamma$	0.02
$p\bar{p}2\gamma$	0.01
$p\bar{p}\pi^0 K_L$	0.01
...	
<b>Total</b>	<b>1.57</b>

particle	% of tracks
$\bar{p}$	101.38
$\pi^-$	0.12
$e^-$	0.05
$e^+$	0.04
$p$	0.005
$\pi^+$	0.005
$K^-$	0.002

87.7% of bkg =  $\bar{p}$  tracks



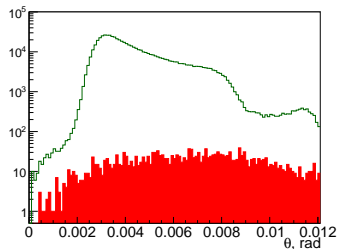
# Background channels and particles



4.06 GeV/c

channel	ratio to $\bar{p}_{rec}^{el}$ , %
$p\bar{p}$	100
$p\bar{p}\pi^0$	0.14
$2\pi^-2\pi^+$	0.04
$2\pi^-2\pi^+\pi^0$	0.03
$\pi^-\pi^+2\pi^0$	0.03
$\pi^-\pi^+\pi^0$	0.02
$2\pi^-2\pi^+2\pi^0$	0.02
$p\bar{p}\pi^-\pi^+$	0.01
$n\bar{p}\pi^0\pi^+$	0.009
$\pi^-\pi^+\pi^02\gamma$	0.005
$\pi^-\pi^+3\pi^0$	0.005
$2\pi^-2\pi^+\gamma$	0.005
$\pi^-\pi^+$	0.004
...	
<b>Total</b>	<b>0.35</b>

particle	% of tracks
$\bar{p}$	100.17
$\pi^-$	0.17
$e^-$	0.007
$e^+$	0.005
$\pi^+$	0.002
$p$	0.002
$K^-$	0.0002

49.8% of bkg =  $\bar{p}$  tracks



# Background channels and particles

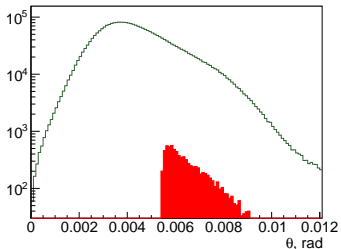


1.5 GeV/c

channel	ratio to $\bar{p}^{el}$ , %
$\rho\bar{p}$	100
$\pi^+\pi^-\pi^0$	0.005
$\pi^+\pi^-2\pi^0$	0.003
$2\pi^+2\pi^-\pi^0$	0.003
$2\pi^+2\pi^-$	0.002
$\pi^+\pi^-$	0.001
$\rho\bar{p}\pi^0$	0.001
$\rho\bar{p}\pi^+\pi^-$	0.001
$2\rho\bar{p}\pi^-$	0.001
...	
Total	<b>0.025</b>

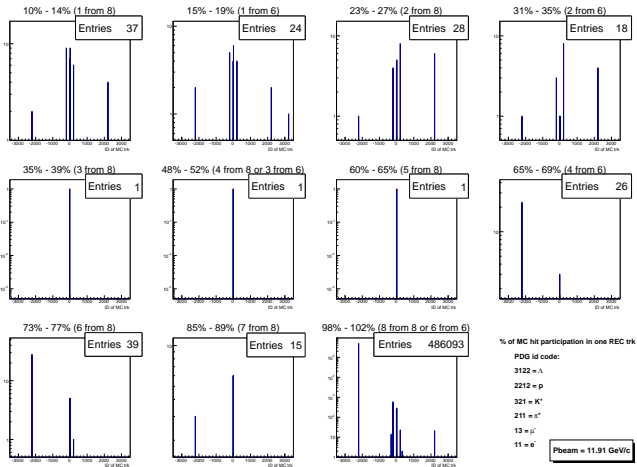
particle	% of tracks
$\bar{p}$	100.01
$\pi^-$	0.02
$e^+$	0.0002
$e^-$	0.0003
$\pi^+$	0.04
$\rho$	0.002

58.6% of bkg =  $\bar{p}$  tracks



# Bkg hits contribution to tracks

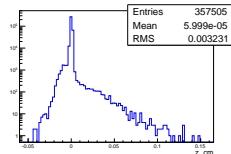
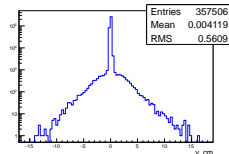
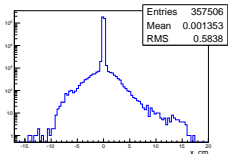
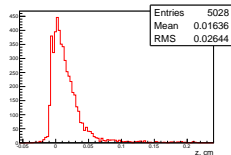
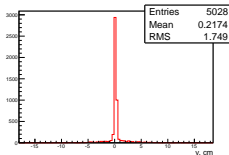
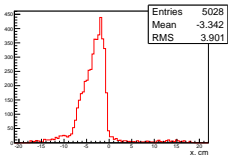
## How background gives contribution to tracks?



# Background suppression



How to distinguish **background** from **signal**?



Any cut for background cuts part of signal (and only  $\sim 85\%$  of bkg). Situation even worse for small  $P_{beam}$

Possible solution: fit signal and bkg together





Estimating a Signal In the Presence of an Unknown Background, W. Rolke and A. Lopez (Jan 2012)

## "Non-parametric" density estimation

- $X_1, \dots, X_n$  – observations from some unknown density  $f$ .
- $K$  – continuous, non-negative and symmetric function with  $K(x) \rightarrow 0$  as  $x \rightarrow \pm\infty$   
(Often  $K$  is chosen to be p.d. itself: Gaussian density)

$$\hat{f}_h(x) = \frac{1}{nh} \sum_{i=1}^n K\left(\frac{x-X_i}{h}\right)$$

- $h$  – tuning parameter called bandwidth.  
(in regions where true density changes slowly  $h$  should be large than in regions where  $f$  changes rapidly)  
→ adaptive bandwidth  $h_x$

# Semi-parametric fitting



## Function for maximum likelihood

$$f(x; \alpha, \theta) = (1 - \alpha)f_B(x) + \alpha f_S(x; \theta)$$

for  $f_B(x)$  (estimation of bandwidth and density) one need pure sample of background events

:(

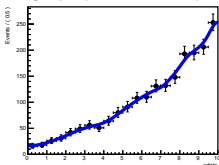
## RooFit contains RooKeysPdf class:

A one-dimensional kernel estimation p.d.f which model the distribution of an arbitrary input dataset as a superposition of Gaussian kernels

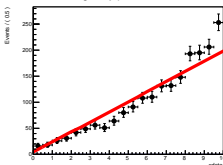
:)

# Example

Bkg fit by adaptive kernel estimation pdf



Bkg fit by polinom a\*x



$$\text{Sig}(x) = \text{Landay}(3.5, 1) \otimes \text{Gaus}(0, 0.1)$$

$$\text{Bkg}(x) = x + 0.001x^2 + 0.01x^3$$

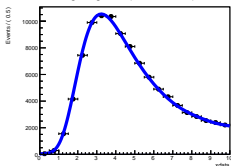
$$\text{Data}(x) = \text{Sig}(x) + \text{Bkg}(x)$$

$$\text{sig}(\text{sig}+\text{bkg})=0.95$$

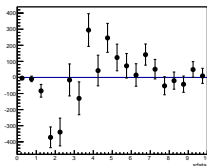
$$\text{Kernel: } 9.4966\text{e-}01 \pm 2.35\text{e-}03 (\ll\sigma)$$

$$\text{Lin: } 9.3780\text{e-}01 \pm 2.84\text{e-}03 (4\sigma)$$

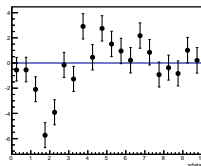
Sig+Bkg data (Kernel estim)



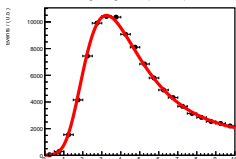
Residual Distribution for Kernel estim



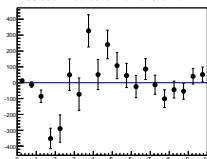
Pull Distribution for Kernel estim



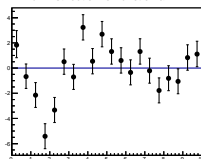
Sig+Bkg data (lin func)



Residual Distribution for function a\*x



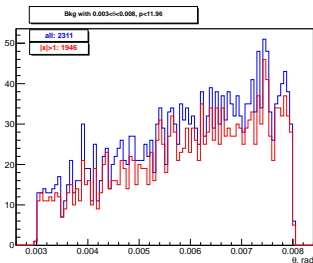
Pull Distribution for function a\*x



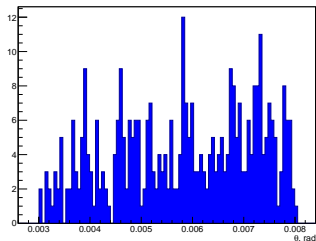
# Sample of "pure" background



- Shape of background is not fixed (important for us, because it could differ for different  $P_{beam}$ )
- But to fit it background sample is needed.



□



Seems small addition signal fraction to bkg sample doesn't change shape too much



1 Background studies

2 Software alignment



# Hit reconstruction

## change in lmd hit reconstruction



Hits position  $(x,y,z)$  reconstruction from digital information



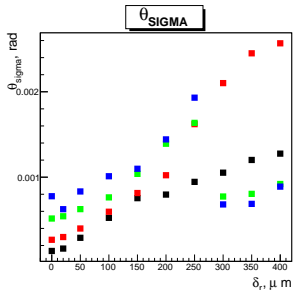
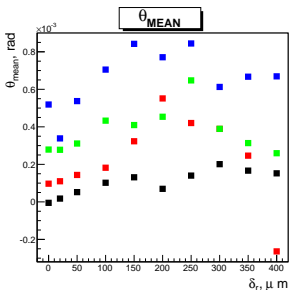
- sensor & strip number
- $(x,y,z)$  local sensor frame
- Global PANDA frame
- Global Lumi frame

result of sensor alignment will be applied at this stage

# Impact of sensors misalignment on $\theta$ resolution

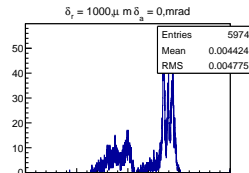
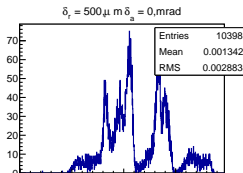
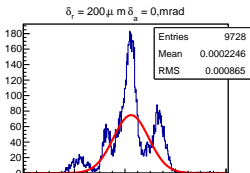
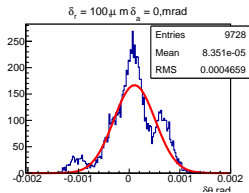
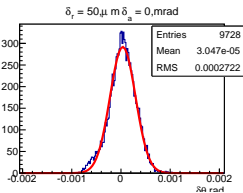
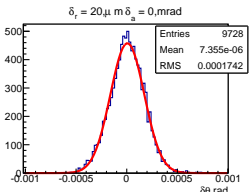
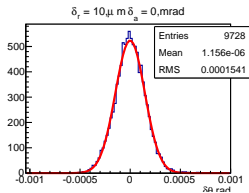
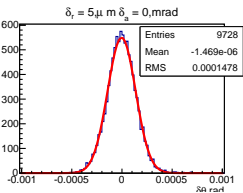
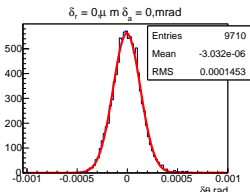


Each sensors has 6 d.o.f: 3 translation ( $\delta_r$ ) and 3 rotation ( $\delta_\alpha$ )  
 $\delta_r = 0, 20, 50, 100, 150, 200, 250, 300, 350, 400 \mu\text{m}$   
 $\delta_\alpha = 0, 3, 6, 9 \text{ mrad}$



$P_{\text{beam}} = 11.91 \text{ GeV}/c$ : for  $\delta_r \sim 100 \mu\text{m}$  ( $\delta_\alpha = 0 \text{ mrad}$ )  $\theta$  resolution become 5 times worse!

# Impact of misalignment on $\theta$ resolution



# Software alignment based

## Minimizing the residuals (Iterative alignment)



- Fit a large number of tracks and plot the residuals for each sub-detector
- The mean value of each residual distribution should then be centered on the misalignment value
- Correct the sub-detector coordinates from this value
- Fit the track again, plot the residuals,...  
And so on until the residuals central values are stabilized at 0.

Iterations are based on biased track fit results  
Then, even if the method converges, it could lead to biased misalignment values

# Software alignment

Fitting the residuals (Alignment in one step)



two different types of fitted parameters:

- Related to the track properties determined by a fit.  
different for each tracks → LOCAL parameters
- Parameters which are depending on the detector position.  
Alignment parameters → GLOBAL parameters

To get a good accuracy significant number of tracks is needed

Size of the system equation:  $n_{tot} = n_{loc} \cdot n_{tracks} + n_{gl}$

## Example

10000 tracks with 4 parameters → 40000 equations!

# Software alignment

How to deal with large matrix equation?



## Millepede algorithm

- Matrix is divided on sub-matrices of dimensions  $n_{loc} * n_{loc}$
- C++ implementation is done for LHCb VELO (Knossos)

## Track parametrization

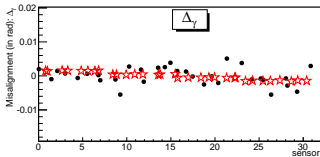
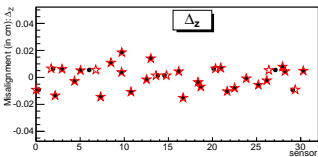
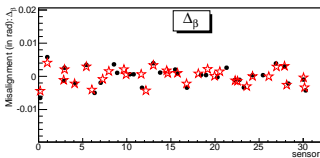
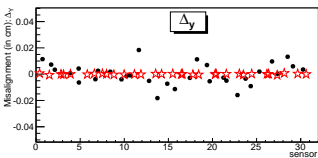
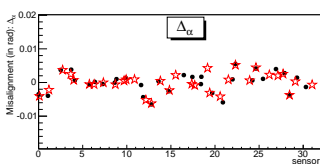
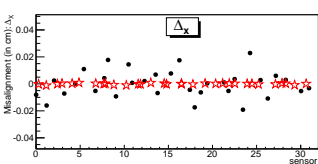
$$\begin{cases} x = a \cdot z + b \\ y = c \cdot z + d \end{cases}$$

## Residuals parametrization

$$\begin{cases} \epsilon_x = -\Delta_x + y_{hit} \cdot \Delta_\gamma + a \cdot (\Delta_z + x_{hit} \cdot \Delta_\beta + y_{hit} \cdot \Delta_\alpha) \\ \epsilon_y = -\Delta_y - x_{hit} \cdot \Delta_\gamma + c \cdot (\Delta_z + x_{hit} \cdot \Delta_\beta + y_{hit} \cdot \Delta_\alpha) \end{cases}$$

3 translations ( $\Delta_x, \Delta_y, \Delta_z$ ) and 3 rotation ( $\Delta_\alpha, \Delta_\beta, \Delta_\gamma$ ) around  $x, y, z$

# Alignment constants

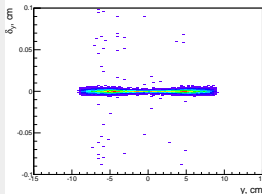
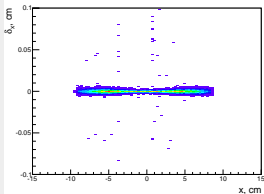


# Alignment Results

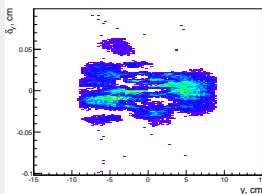
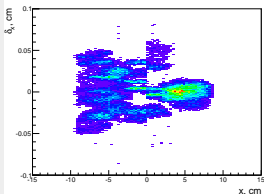
Residuals between reconstructed hit and track



## Ideal case



## Misaligned sensors



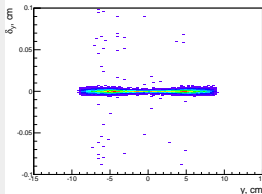
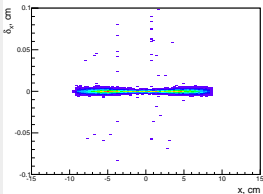


# Alignment Results

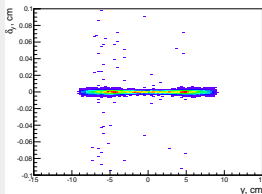
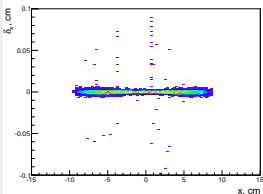
Residuals between reconstructed hit and track



## Ideal case

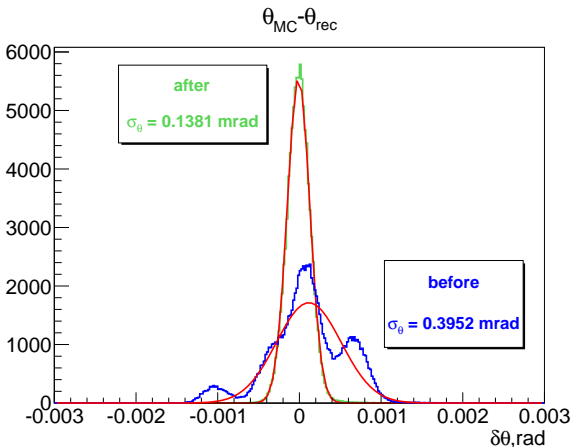


## Misaligned sensors



# Sensors alignment for translation

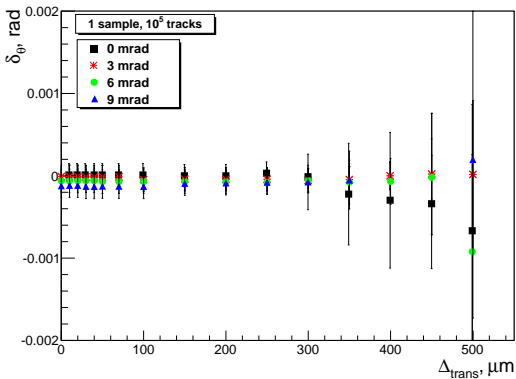
misalignment  $\sim 100\mu\text{m}$



Without sensors misalignment resolution 0.1361 mrad

# Sensors alignment

sensitivity to misalignment scale (11.91 GeV/c)



## Limits

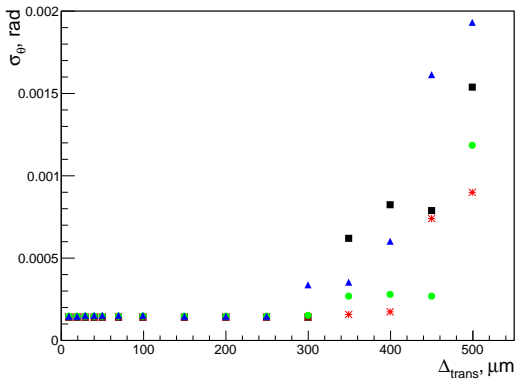
translation 300  $\mu\text{m}$   
rotation 6 mrad

## Expectation from mechanical point

translation 200  $\mu\text{m}$   
rotation 3 mrad

# Sensors alignment

sensitivity to misalignment (11.91 GeV/c)



## Limits

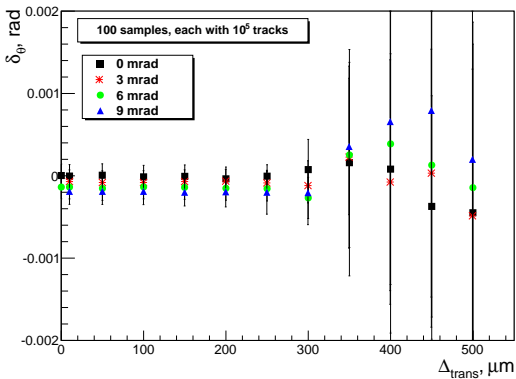
translation 300  $\mu\text{m}$   
rotation 6 mrad

## Expectation from mechanical point

translation 200  $\mu\text{m}$   
rotation 3 mrad

# Sensors alignment

sensitivity to misalignment scale (11.91 GeV/c)



## Limits

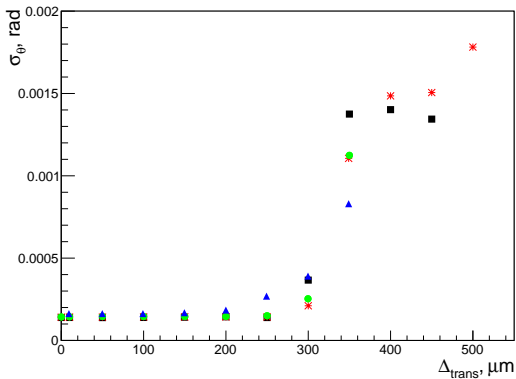
translation 300  $\mu\text{m}$   
rotation 6 mrad

## Expectation from mechanical point

translation 200  $\mu\text{m}$   
rotation 3 mrad

# Sensors alignment

sensitivity to misalignment (11.91 GeV/c)



## Limits

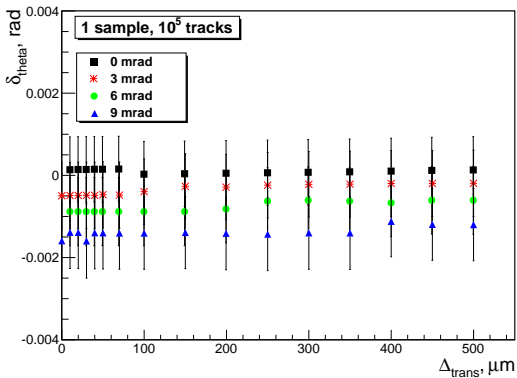
translation 300  $\mu\text{m}$   
rotation 6 mrad

## Expectation from mechanical point

translation 200  $\mu\text{m}$   
rotation 3 mrad

# Sensors alignment

sensitivity to misalignment scale (1.5 GeV/c)



## Limits

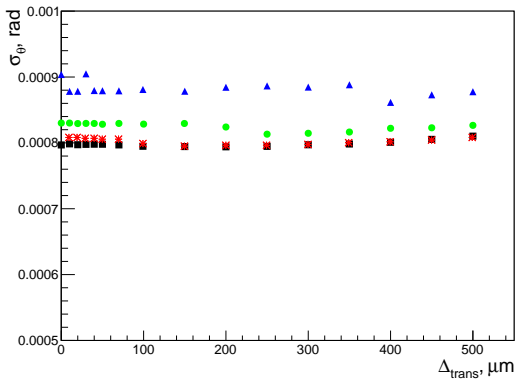
translation  $\geq 500 \mu\text{m}$   
rotation 3 mrad

## Expectation from mechanical point

translation  $200 \mu\text{m}$   
rotation 3 mrad

# Sensors alignment

sensitivity to misalignment (1.5 GeV/c)



## Limits

translation  $\geq 500 \mu\text{m}$   
rotation 3 mrad

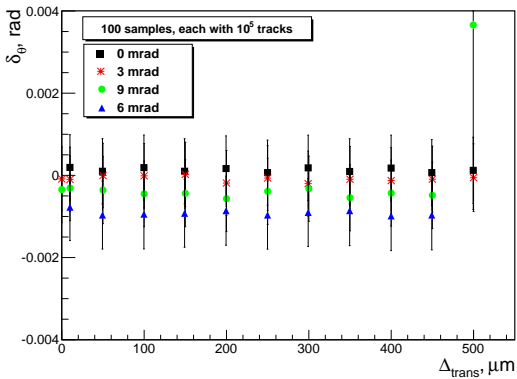
## Expectation from mechanical point

translation  $200 \mu\text{m}$   
rotation 3 mrad



# Sensors alignment

sensitivity to misalignment scale (1.5 GeV/c)



## Limits

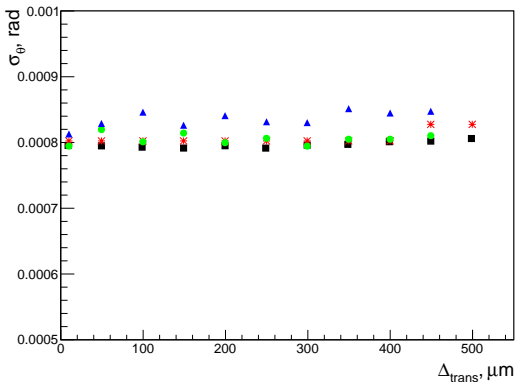
translation  $\geq 500 \mu\text{m}$   
rotation 3 mrad

## Expectation from mechanical point

translation  $200 \mu\text{m}$   
rotation 3 mrad

# Sensors alignment

sensitivity to misalignment (1.5 GeV/c)



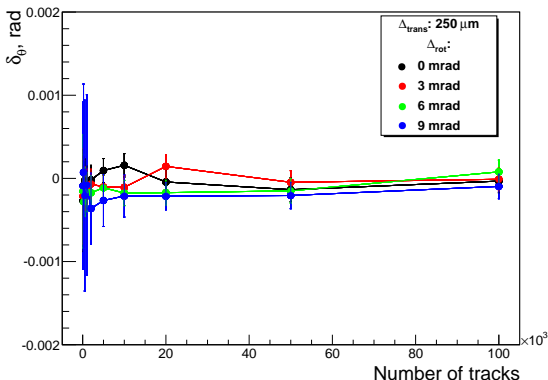
## Limits

translation  $\geq 500 \text{ } \mu\text{m}$   
rotation 3 mrad

## Expectation from mechanical point

translation 200  $\mu\text{m}$   
rotation 3 mrad

# Effect of track statistics



Number of required tracks strongly depends on mechanical precision

- Simulation on HIMster: DPM ( $\theta_{min}=0.1$ ),  $2 \cdot 10^7$  events, lumi + beam pipe, full reconstruction  
 $P_{beam}=15, 11.91, 8.9$  GeV/c, 4.06 and 1.5 GeV/c
- Main background particle for high energy is  $\bar{p}$  from different channels!
- Amount of background is less than 5%
- Kernel Density Estimation = future background description?
- Preliminary results for software alignment based on fitting the residuals:  
works up to  $300 \mu\text{m}$  for translation, 6 mrad for rotation.  
(11.91 GeV/c)

# Background channels and particles



15 GeV/c

channel $p\bar{p}$	# of tracks 511285	ratio to $\bar{p}^{rec}$ , % 100	particles $\bar{p}(511285)$
$p\bar{p}\pi^0$	4080	0.8	$\bar{p}(3949)$ , $\pi^-(131)$
$p\bar{p}\pi^-\pi^+$	3234	0.63	$\bar{p}(3073)$ , $\pi^-(152)$ , $\pi^+(9)$
$p\bar{p}\pi^-\pi^+\pi^0$	2804	0.55	$\bar{p}(2708)$ , $\pi^-(96)$
$n\bar{p}\pi^+\pi^0$	2359	0.46	$\bar{p}(2216)$ , $\pi^-(140)$ , $\pi^+(3)$
$n\bar{p}2\pi^+\pi^-\pi^0$	982	0.19	$\bar{p}(958)$ , $\pi^-(23)$ , $\pi^+(1)$
$n\bar{p}\pi^+2\pi^0$	613	0.12	$\bar{p}(581)$ , $\pi^-(31)$ , $\pi^+(1)$
$p\bar{p}\pi^-\pi^+\gamma$	289	0.06	$\bar{p}(280)$ , $\pi^-(8)$ , $\pi^+(1)$
$p\bar{p}\pi^-\pi^02\gamma$	232	0.05	$\bar{p}(215)$ , $\pi^-(2)$ , $e^+(8)$ , $e^-(6)$
$p\bar{p}\pi^-\pi^+3\pi^0$	205	0.04	$\bar{p}(200)$ , $\pi^-(4)$ , $e^-(1)$
$p\bar{p}2\pi^-\pi^+\pi^0$	182	0.04	$\bar{p}(178)$ , $\pi^-(4)$
...			
Total	19000	3.72	

particle	# of tracks
$\bar{p}$	528452
$\pi^-$	864
$e^+$	569
$e^-$	524
$\pi^+$	72
$K^-$	40
$p$	37
$K^+$	1

17167  $\bar{p}$  come from bkg channels (90.4% of bkg)

# Background channels and particles



11.91 GeV/c

channel $p\bar{p}$	# of tracks 474902	ratio to $\bar{p}^{rec}$ , % 100	particles $\bar{p}(474902)$
$p\bar{p}\pi^0$	3155	0.66	$\bar{p}(3058), \pi^-(93)$
$p\bar{p}\pi^-\pi^+$	2084	0.44	$\bar{p}(1987), \pi^-(87)$
$n\bar{p}\pi^0\pi^+$	1462	0.31	$\bar{p}(1386), \pi^-(72)$
$p\bar{p}\pi^0\pi^-\pi^+$	1392	0.29	$\bar{p}(1351), \pi^-(41)$
$n\bar{p}\pi^0\pi^-\pi^+\pi^+$	358	0.08	$\bar{p}(343), \pi^-(15)$
$n\bar{p}2\pi^0\pi^+$	311	0.07	$\bar{p}(295), \pi^-(16)$
$p\bar{p}\pi^02\gamma$	119	0.03	$\bar{p}(107), e^-(7), e^+(5)$
$p\bar{p}\pi^+\pi^-\gamma$	116	0.02	$\bar{p}(113), \pi^-(3)$
$p\bar{p}\Lambda K^+\gamma$	112	0.02	$\bar{p}(110), K^-(2)$
$p\bar{p}2\gamma$	111	0.02	$\bar{p}(111)$
Total	11191	2.36	

particle	# of tracks
$\bar{p}$	484978
$\pi^-$	609
$e^-$	317
$e^+$	280
$\pi^+$	50
$p$	37
$K^-$	14
$K^+$	2
$\Sigma^+$	1

10022  $\bar{p}$  come from bkg channels (89.6% of bkg)

# Background channels and particles



8.9 GeV/c

channel	# of tracks	ratio to $\bar{p}^{rec}$ , %	particles
$p\bar{p}$	384225	100	$\bar{p}(384225)$
$p\bar{p}\pi^0$	2281	0.59	$\bar{p}(2205), \pi^-(75), \pi^+(1)$
$p\bar{p}\pi^-\pi^+$	1097	0.29	$\bar{p}(1066), \pi^-(30), \pi^+(1)$
$n\bar{p}\pi^0\pi^+$	806	0.21	$\bar{p}(775), \pi^-(29), \pi^+(2)$
$p\bar{p}\pi^0\pi^-\pi^+$	465	0.12	$\bar{p}(456), \pi^-(9)$
$n\bar{p}2\pi^0\pi^+$	126	0.03	$\bar{p}(126), \pi^-(5)$
$n\bar{p}\pi^0\pi^-2\pi^+$	96	0.02	$\bar{p}(95), \pi^-(1)$
$\bar{p}\Lambda K^+$	65	0.02	$\bar{p}(64), K^-(1)$
$\bar{p}\Lambda K^+\gamma$	63	0.02	$\bar{p}(62), K^-(1)$
$p\bar{p}2\gamma$	48	0.01	$\bar{p}(48)$
$p\bar{p}\pi^0 K_L$	48	0.01	$\bar{p}(48)$
Total	6046	1.57	

particle	# of tracks
$\bar{p}$	389526
$\pi^-$	466
$e^-$	197
$e^+$	153
$p$	20
$\pi^+$	19
$K^-$	8

5301  $\bar{p}$  come from bkg channels (87.7% of bkg)

# Background channels and particles



4.06 GeV/c

channel	# of tracks	ratio to $\bar{p}^{rec}$ , %	particles
$p\bar{p}$	615808	100	$\bar{p}(615808)$
$p\bar{p}\pi^0$	847	0.14	$\bar{p}(838), \pi^-(8), p(1)$
$2\pi^-2\pi^+$	230	0.04	$\pi^-(230)$
$2\pi^-2\pi^+\pi^0$	180	0.03	$\pi^-(179), \pi^+(1)$
$\pi^-\pi^+2\pi^0$	171	0.03	$\pi^-(171)$
$\pi^-\pi^+\pi^0$	130	0.02	$\pi^-(127), \pi^+(3)$
$2\pi^-2\pi^+2\pi^0$	87	0.02	$\pi^-(86), \pi^+(1)$
$p\bar{p}\pi^-\pi^+$	79	0.01	$\bar{p}(76), p(1), \pi^-(1), \pi^+(1)$
$n\bar{p}\pi^0\pi^+$	58	0.009	$\bar{p}(58)$
$\pi^-\pi^+\pi^02\gamma$	32	0.005	$\pi^-(31), \pi^+(1)$
$\pi^-\pi^+3\pi^0$	29	0.005	$\pi^-(29)$
$2\pi^-2\pi^+\gamma$	29	0.005	$\pi^-(29)$
$\pi^-\pi^+$	22	0.004	$\pi^-(22)$
...			
Total	2158	0.35	

1075  $\bar{p}$  come from bkg channels (49.8% of bkg)

particle	# of tracks
$\bar{p}$	616883
$\pi^-$	1059
$e^-$	42
$e^+$	33
$\pi^+$	14
$p$	12

**HEY!**

What's going on with data stat (pbarp number of tracks should increase with decreasing of energy!)



# Background channels and particles



1.5 GeV/c

channel	# of tracks	ratio to $\bar{p}^{rec}$ , %	particles
$p\bar{p}$	2.86707e+06	100	$\bar{p}(2.86707e+06)$
$\pi^+\pi^-$	31	0.001	$\pi^-(29), \pi^+(2)$
$\pi^+\pi^-\pi^0$	141	0.005	$\pi^-(137), \pi^+(4)$
$\pi^+\pi^-2\pi^0$	81	0.003	$\pi^-(78), \pi^+(3)$
$2\pi^+2\pi^-$	53	0.002	$\pi^-(53)$
$2\pi^+2\pi^-\pi^0$	73	0.003	$\pi^-(68), \pi^+(5)$
$p\bar{p}\pi^0$	31	0.001	$\bar{p}(30), \pi^+(1)$
$p\bar{p}\pi^+\pi^-$	35	0.001	$\bar{p}(6), \pi^-(15), \pi^+(14)$
$2p\bar{p}\pi^-$	81	0.001	$\bar{p}(15), p(42), \pi^-(24)$
...			
Total	717	0.025	

particle	# of tracks
$\bar{p}$	2.86749e+06
$\pi^-$	522
$e^+$	5
$e^-$	9
$\pi^+$	53
$p$	81

420  $\bar{p}$  come from bkg channels (58.6% of bkg)