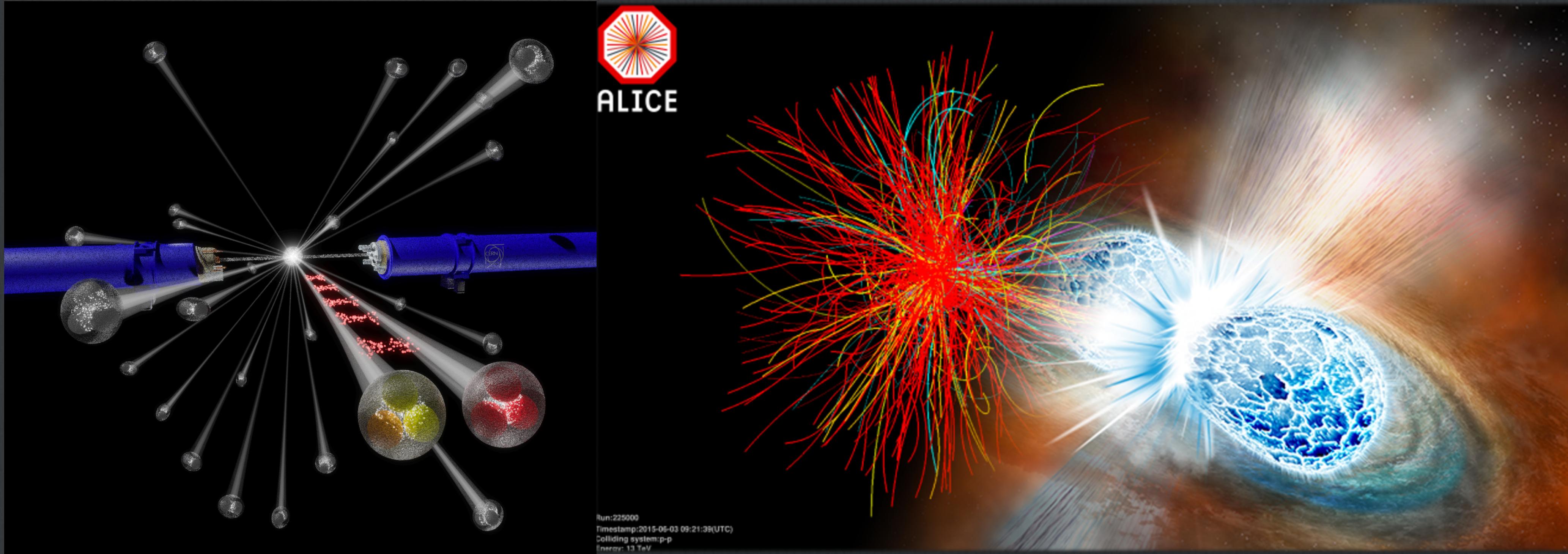
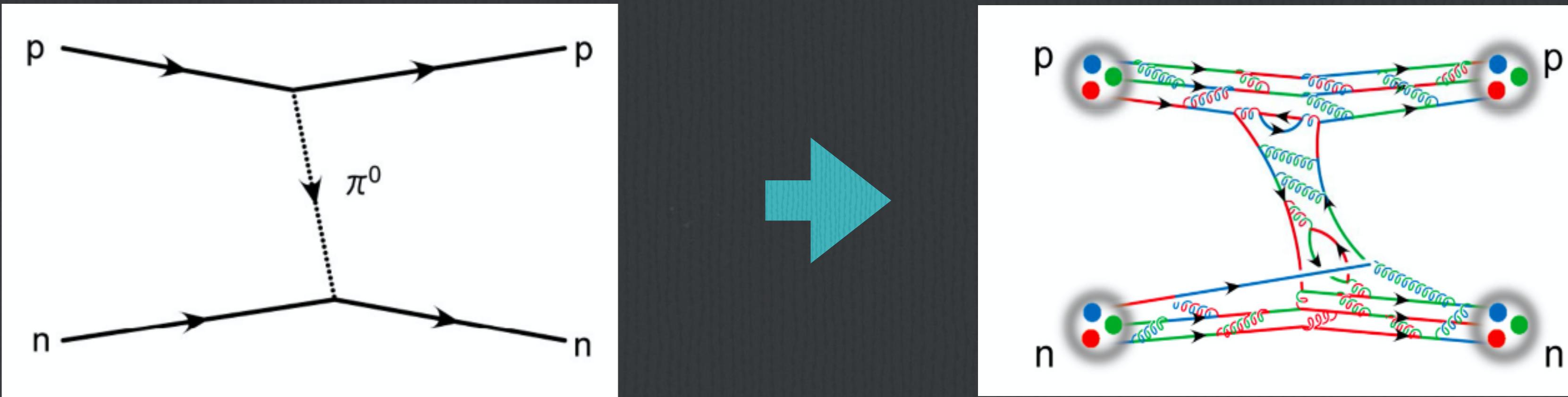


Prof. Dr. Laura Fabbietti (TUM)



# What does progress in the field mean?



From effective field theory to first principle calculations

# Particle production at the LHC accelerator

Large Hadron Collider LHC

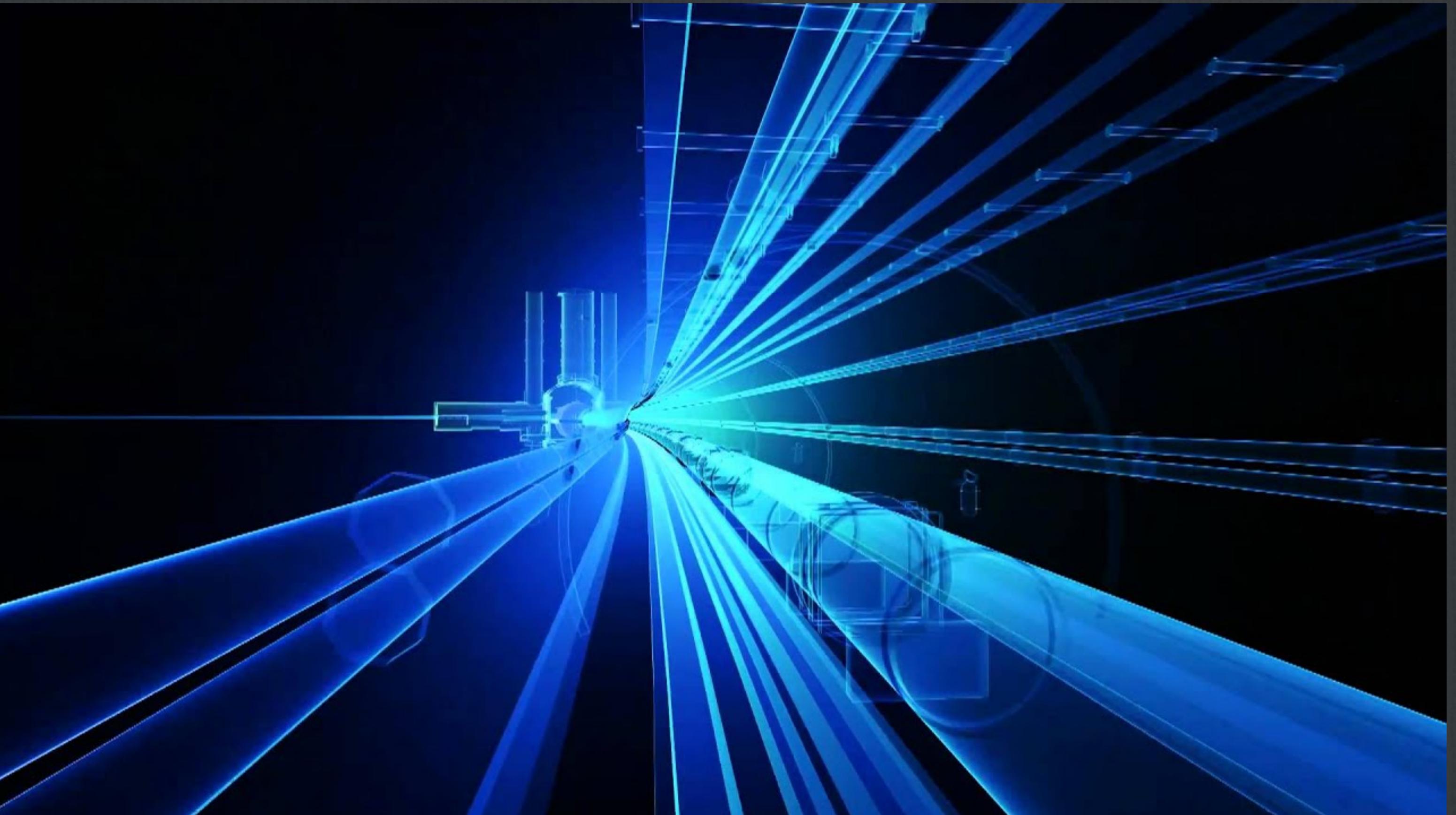
Biggest accelerator worldwide where the highest energies are achieved :  $\sqrt{s} = 13 \text{ TeV}$  for pp collisions



$$E = mc^2$$

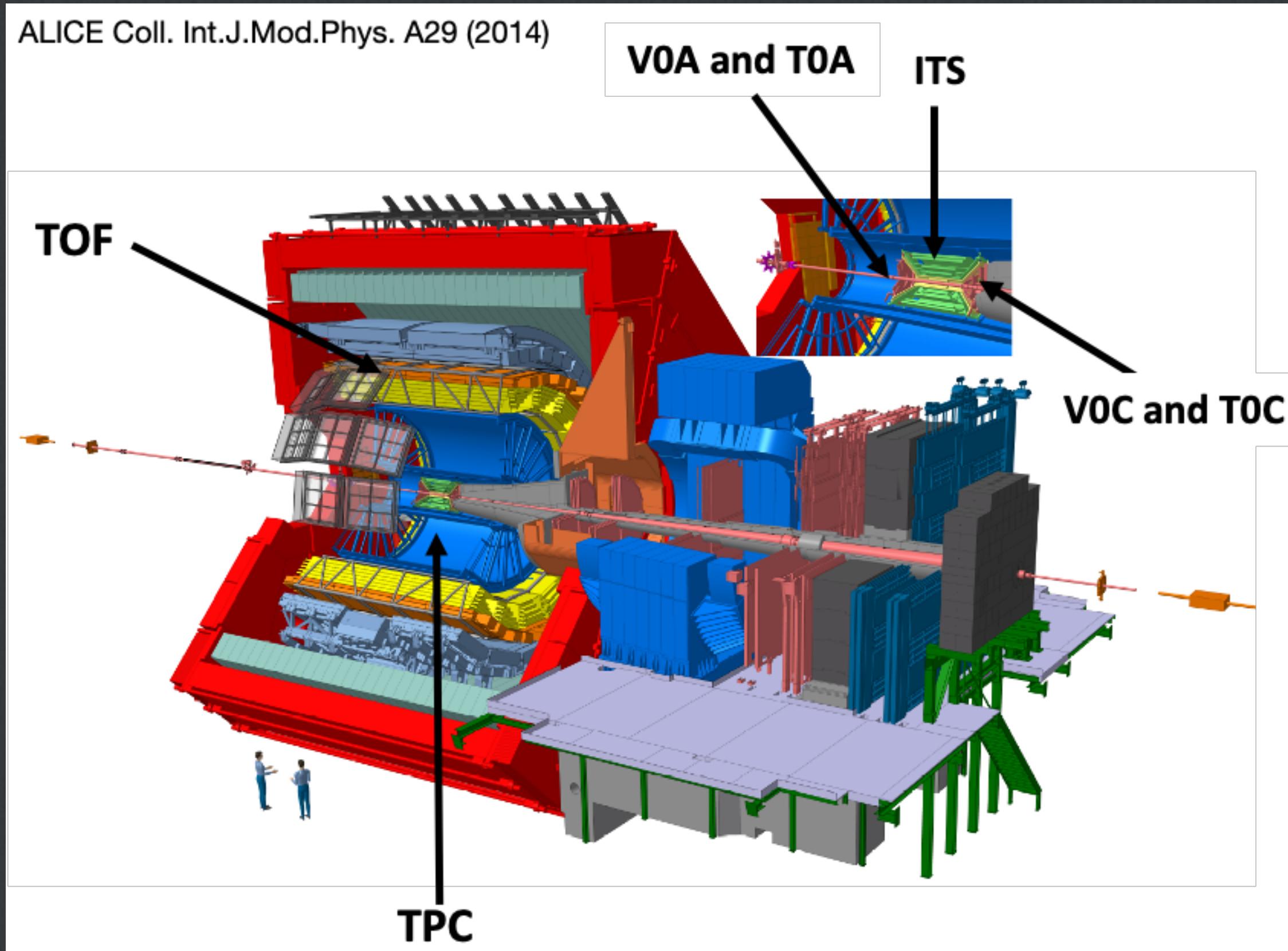
Each pp collision leads to the creation of  $\sim 30$  new particles

From 2022 we can record 500.000 collisions per second

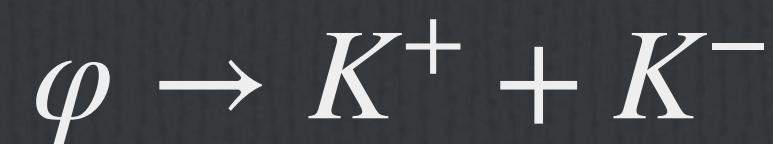
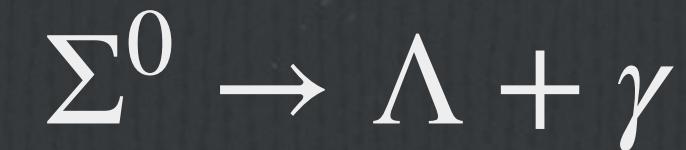
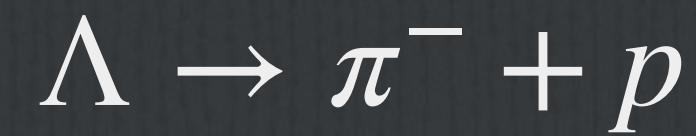


# Particle production and decays in ALICE

ALICE Coll. Int.J.Mod.Phys. A29 (2014)

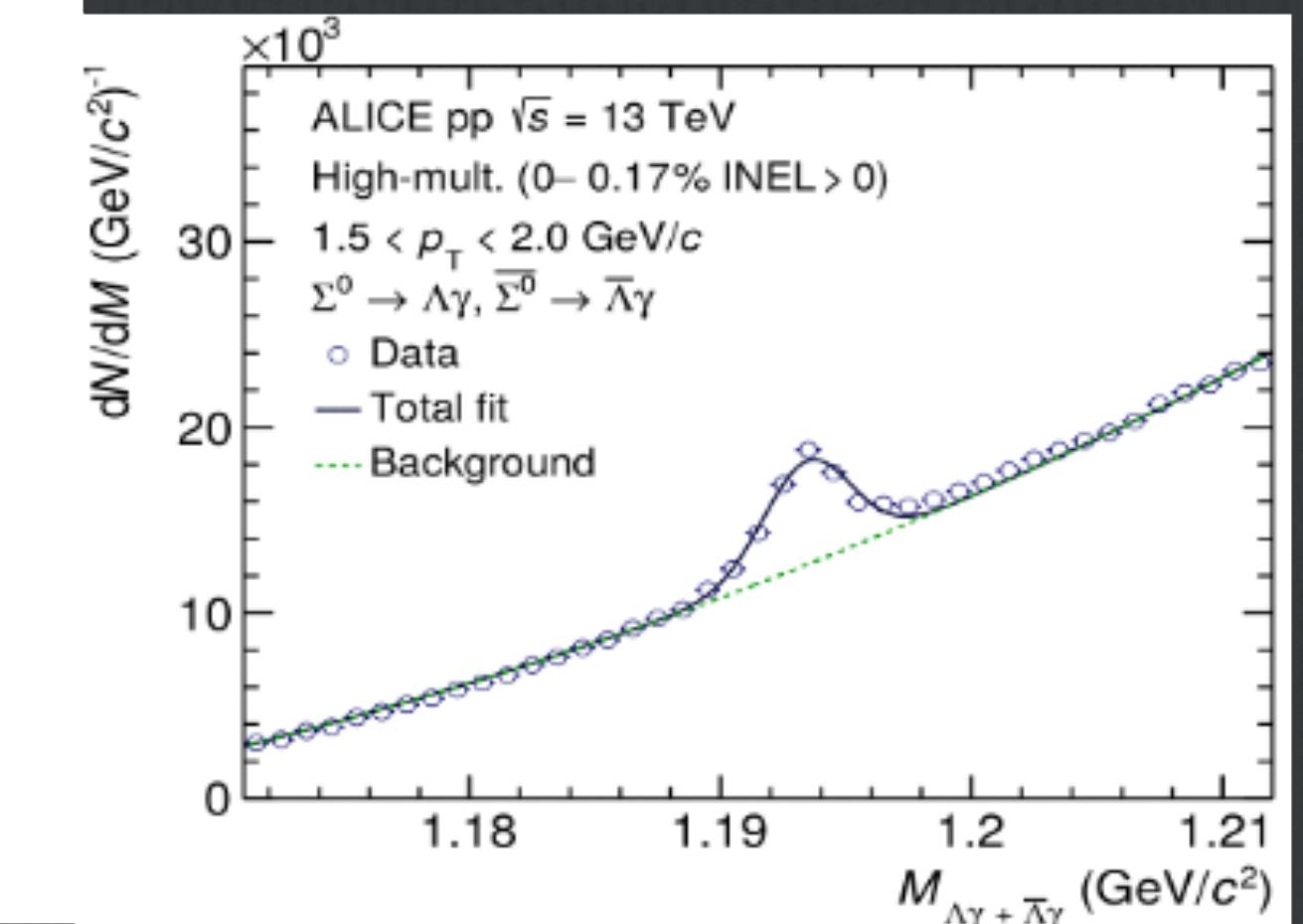
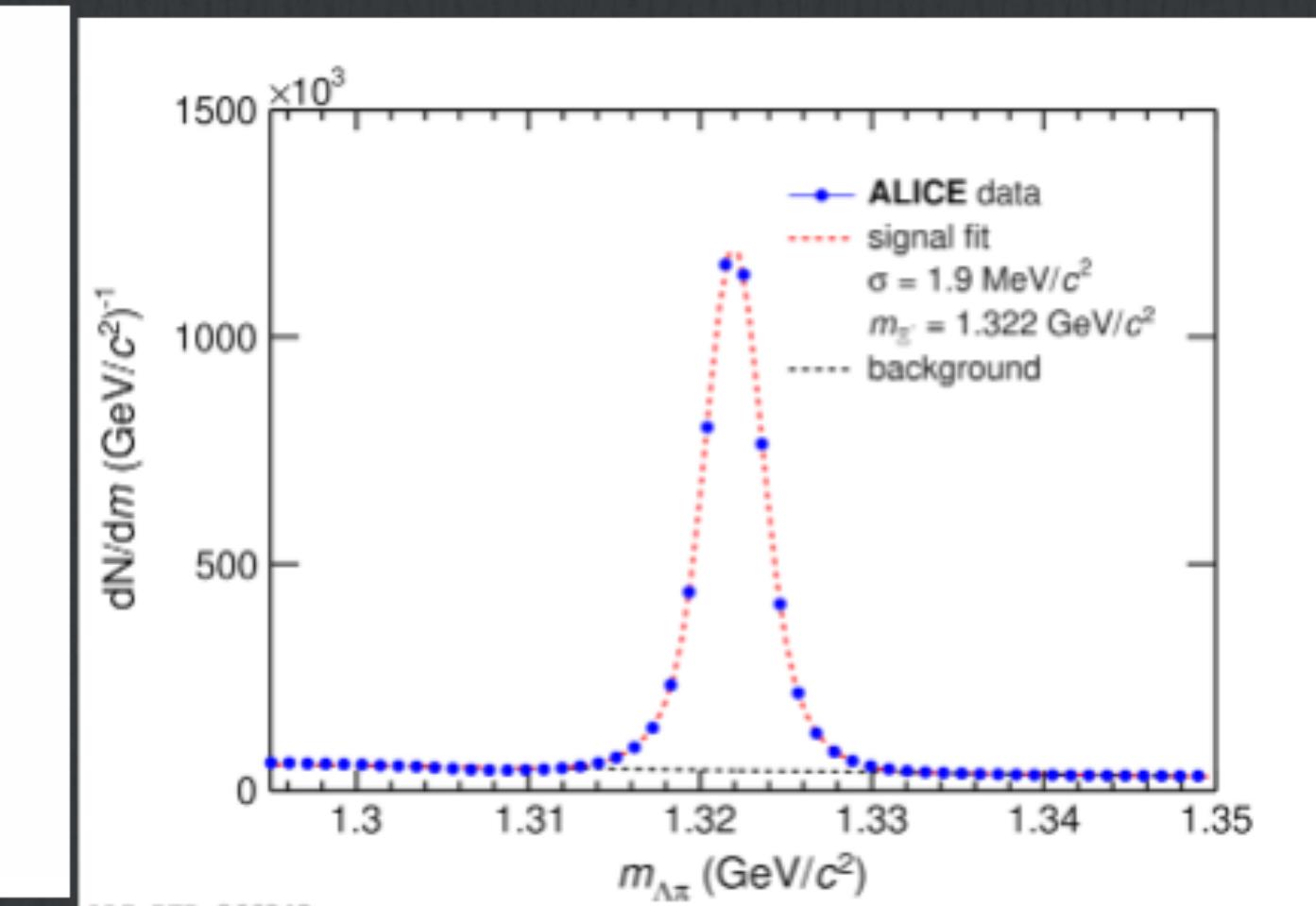
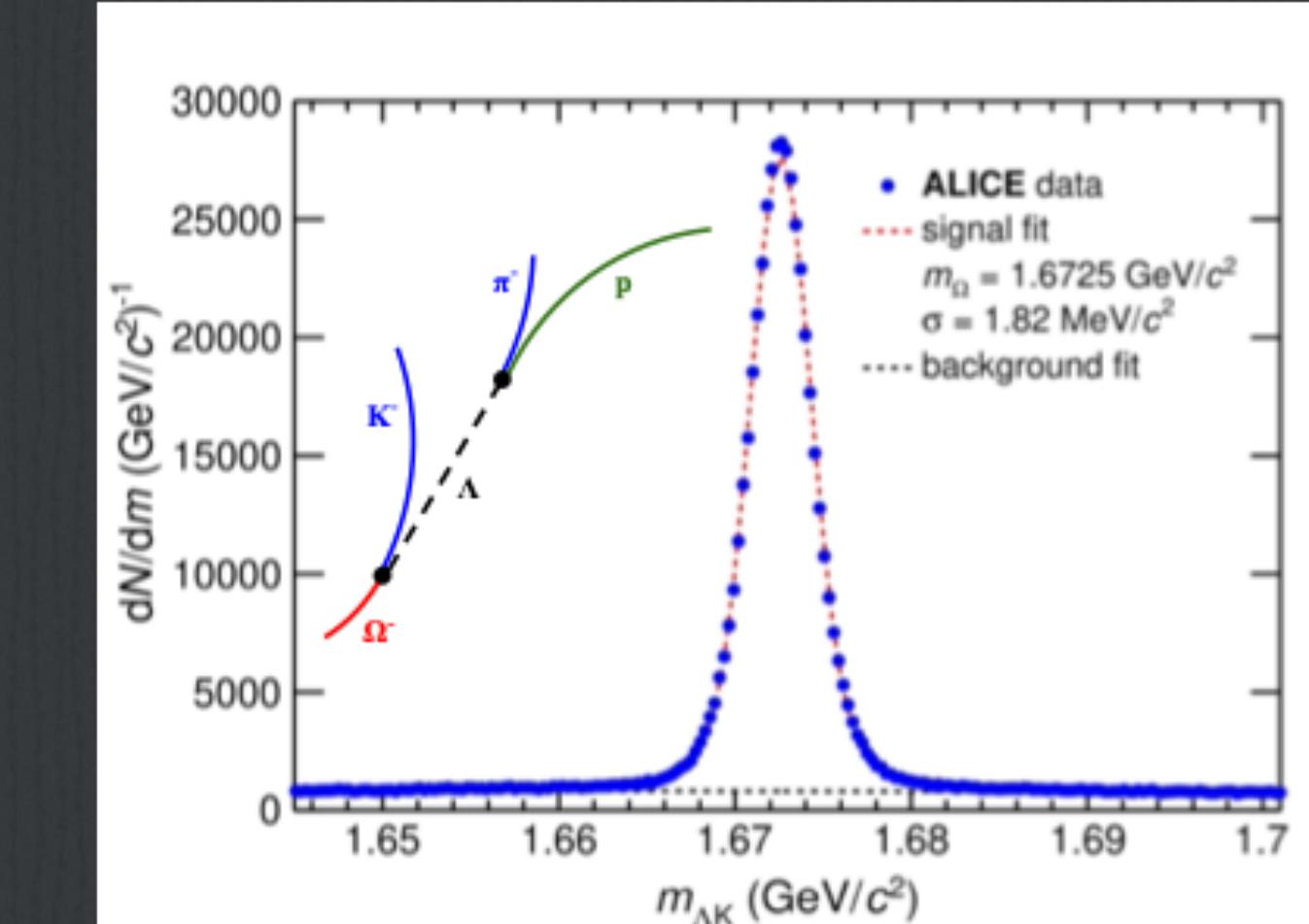
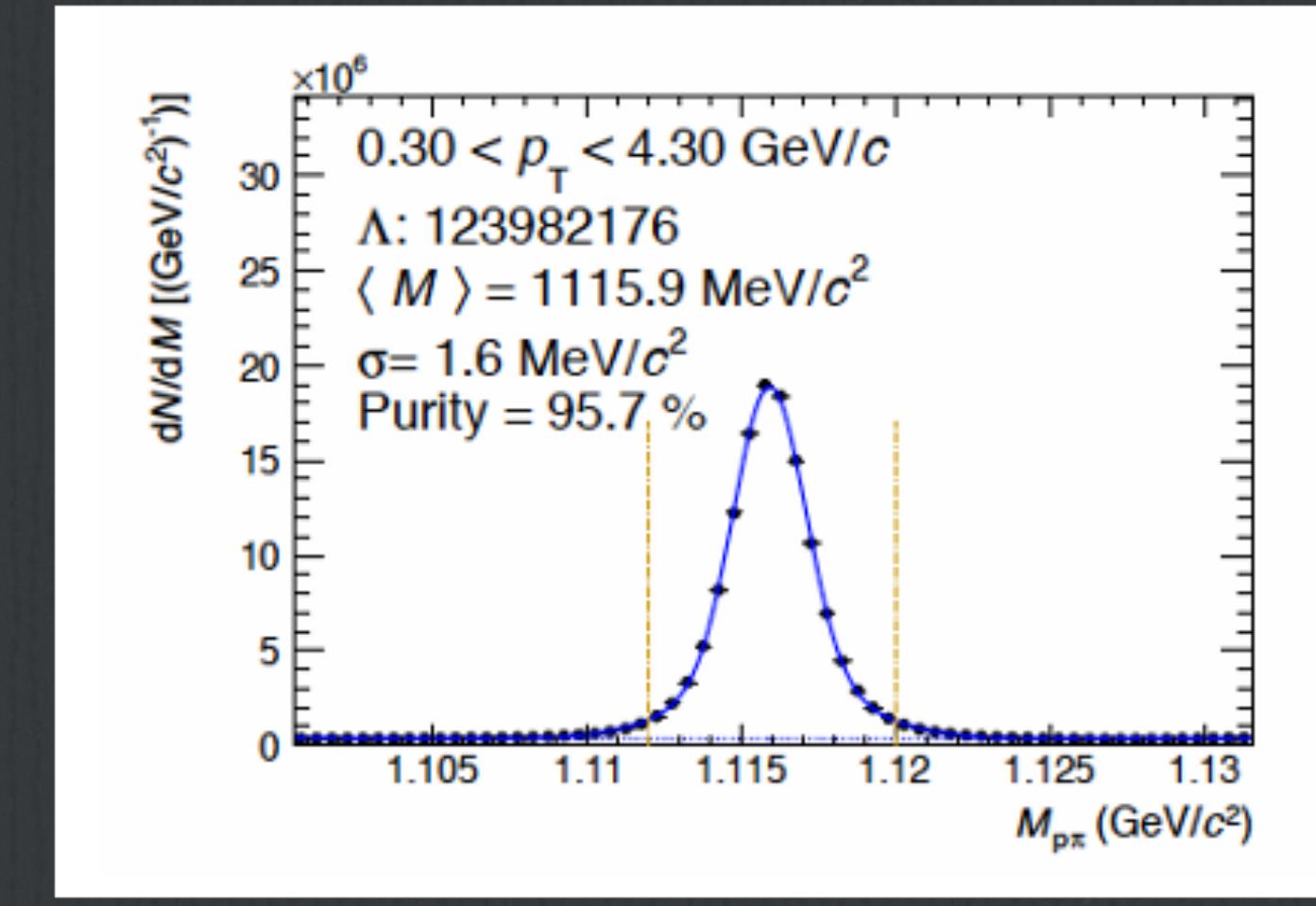
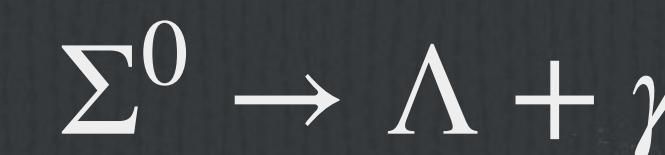
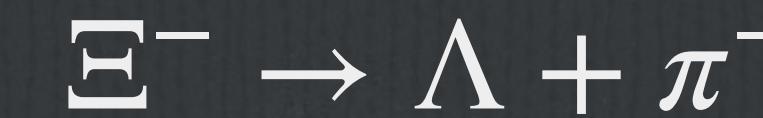
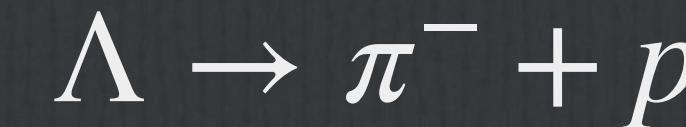
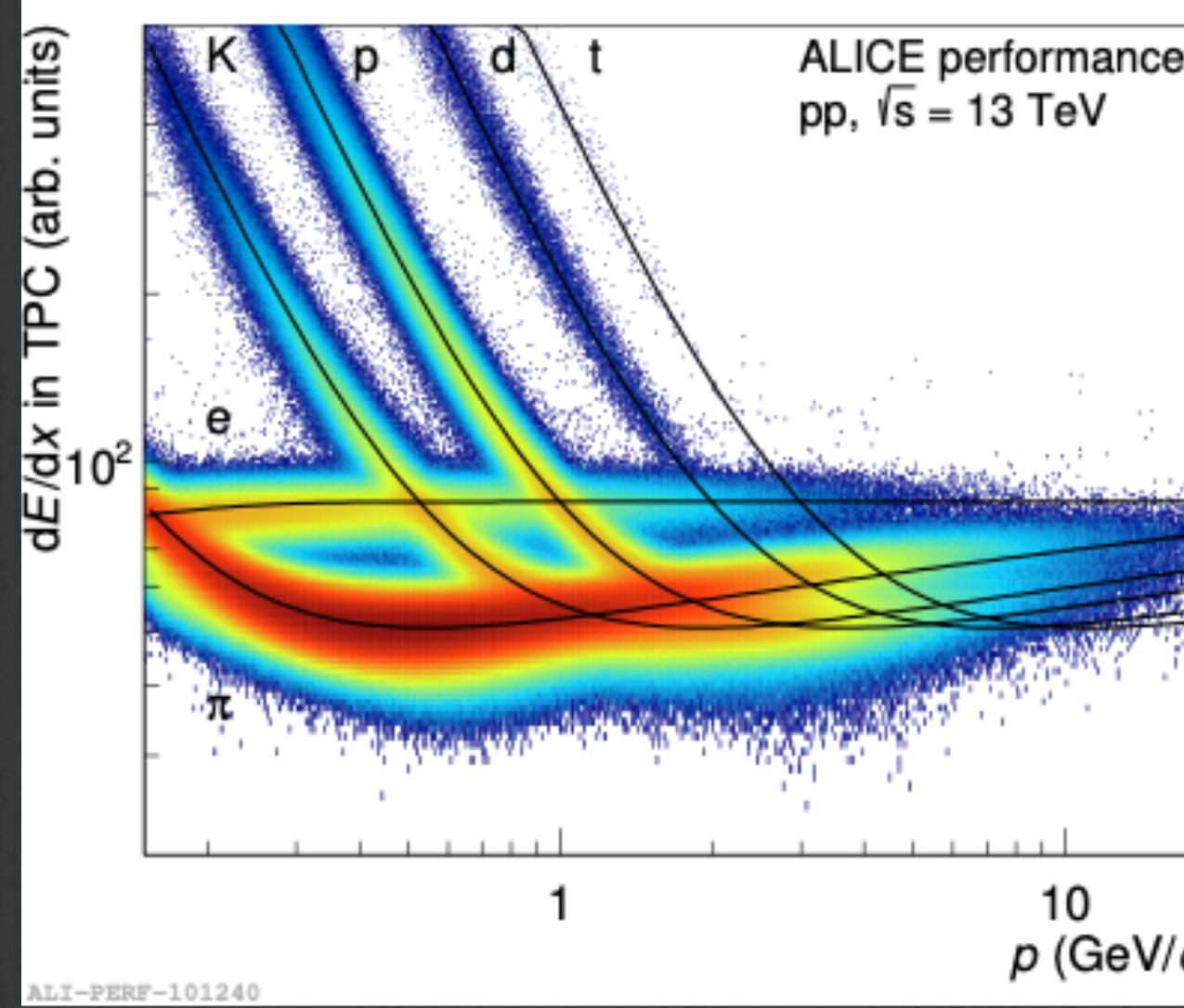


pp collisions at  $\sqrt{s} = 13 \text{ TeV}$   
1.2 Billions high multiplicity events  
 $\langle M \rangle = 30 \text{ particles/event}$

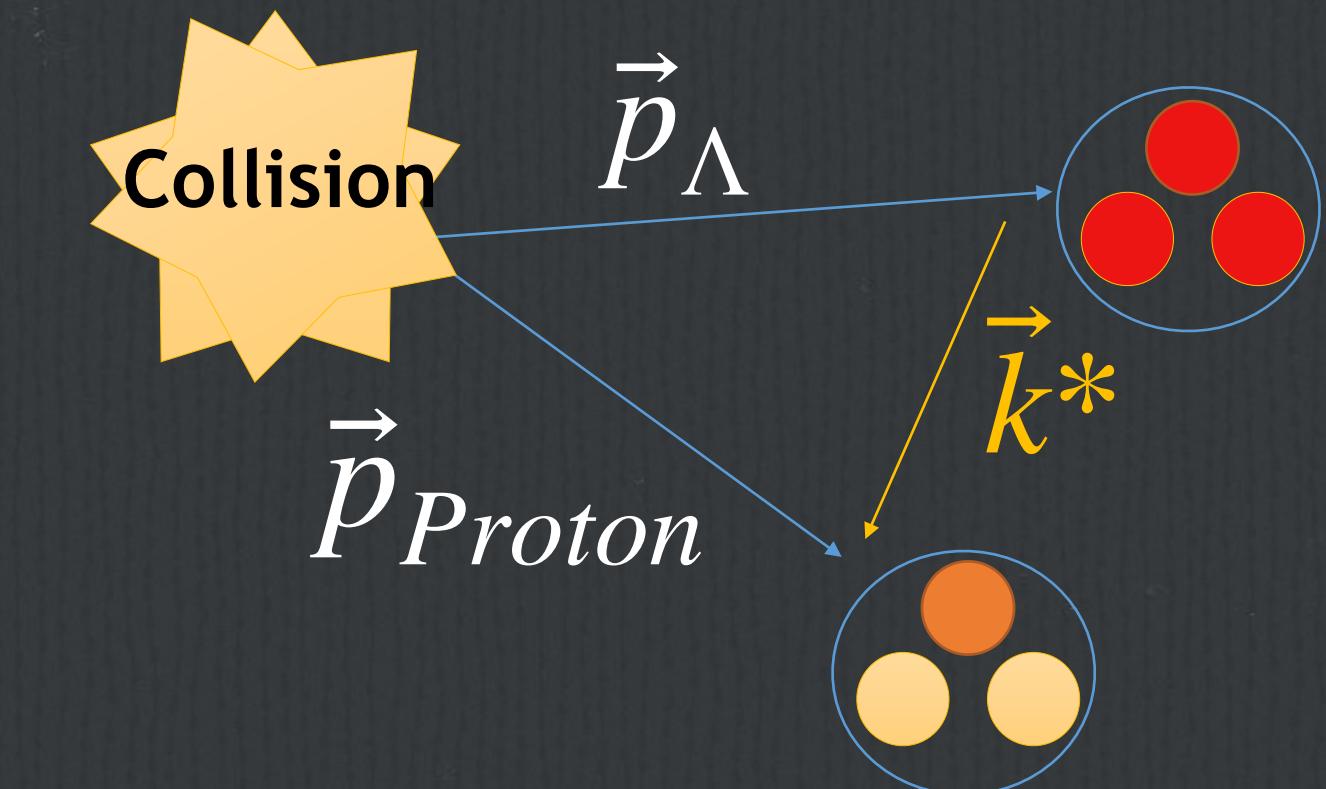


The very good PID capabilities of the detector result in very pure samples!

# Hyperons reconstruction with ALICE



# Measurement of the hyperon-nucleon interaction



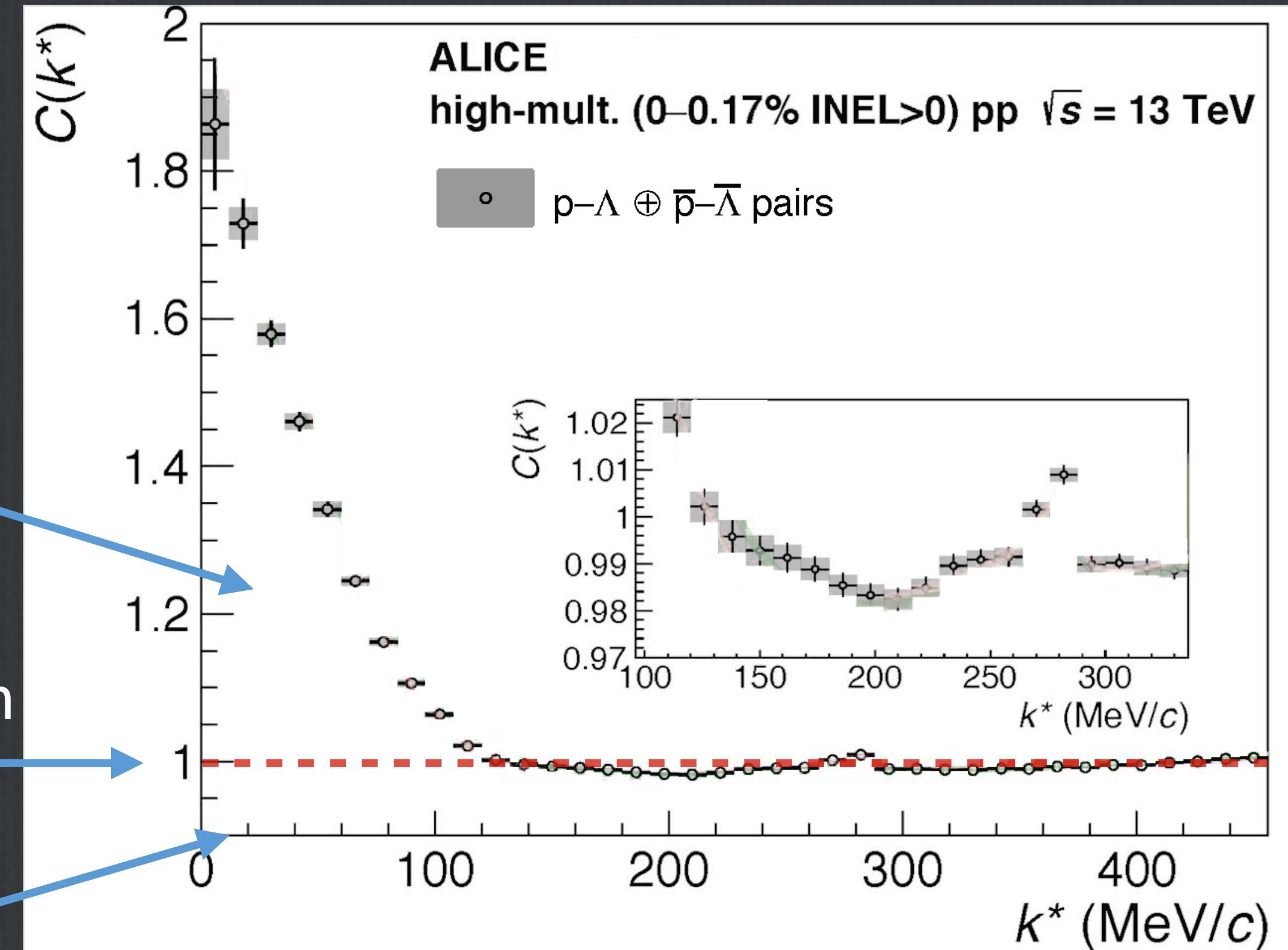
$$C(k^*) = \xi(k^*) \frac{SE}{ME}$$

$C(k^*) > 1$ : attractive interaction

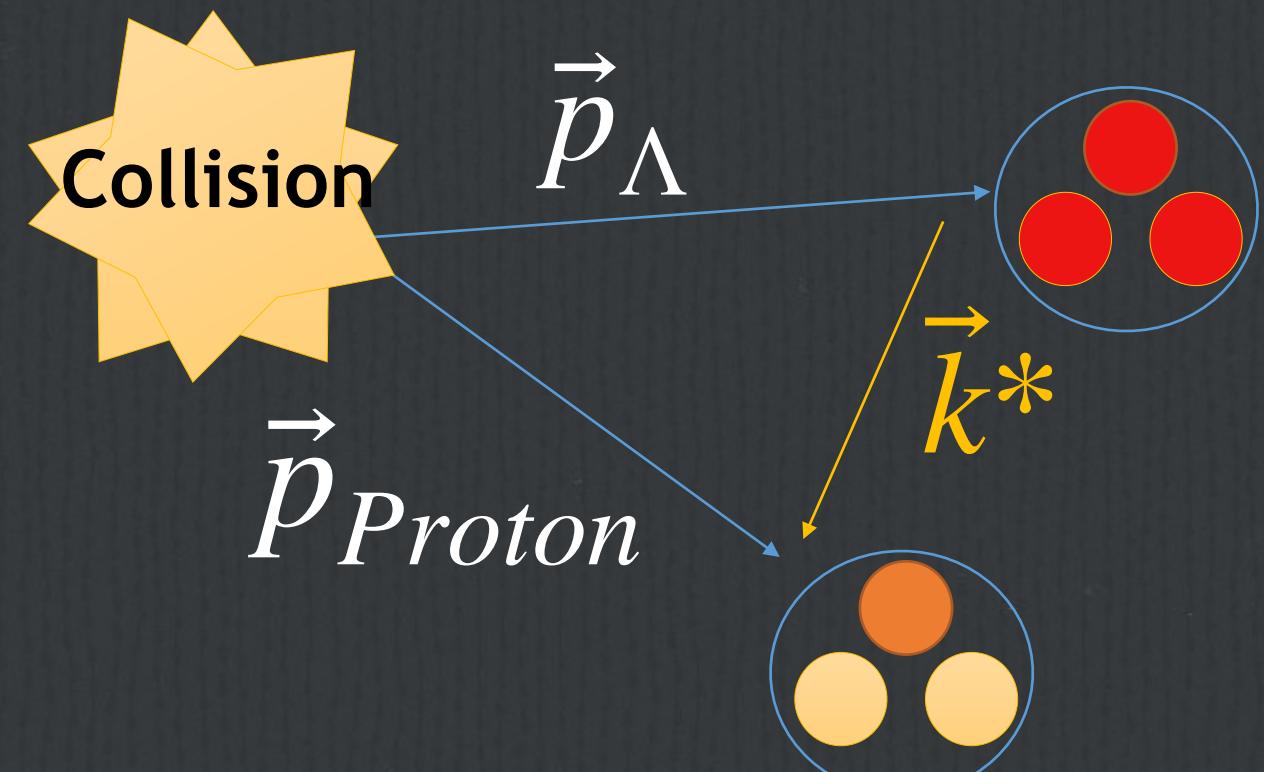
$C(k^*) = 1$ : no interaction

$C(k^*) < 1$ : repulsive interaction

ALICE Coll. PLB 832 (2022) 137272



# Measurement of the hyperon-nucleon interaction



S. E. Koonin et al. PLB 70 (1977)

$$C(|\vec{k}^*|) = \xi(k^*) \frac{SE}{ME} = \int S(r) |\psi(\vec{r}, \vec{k}^*)|^2 d\vec{r}^3$$

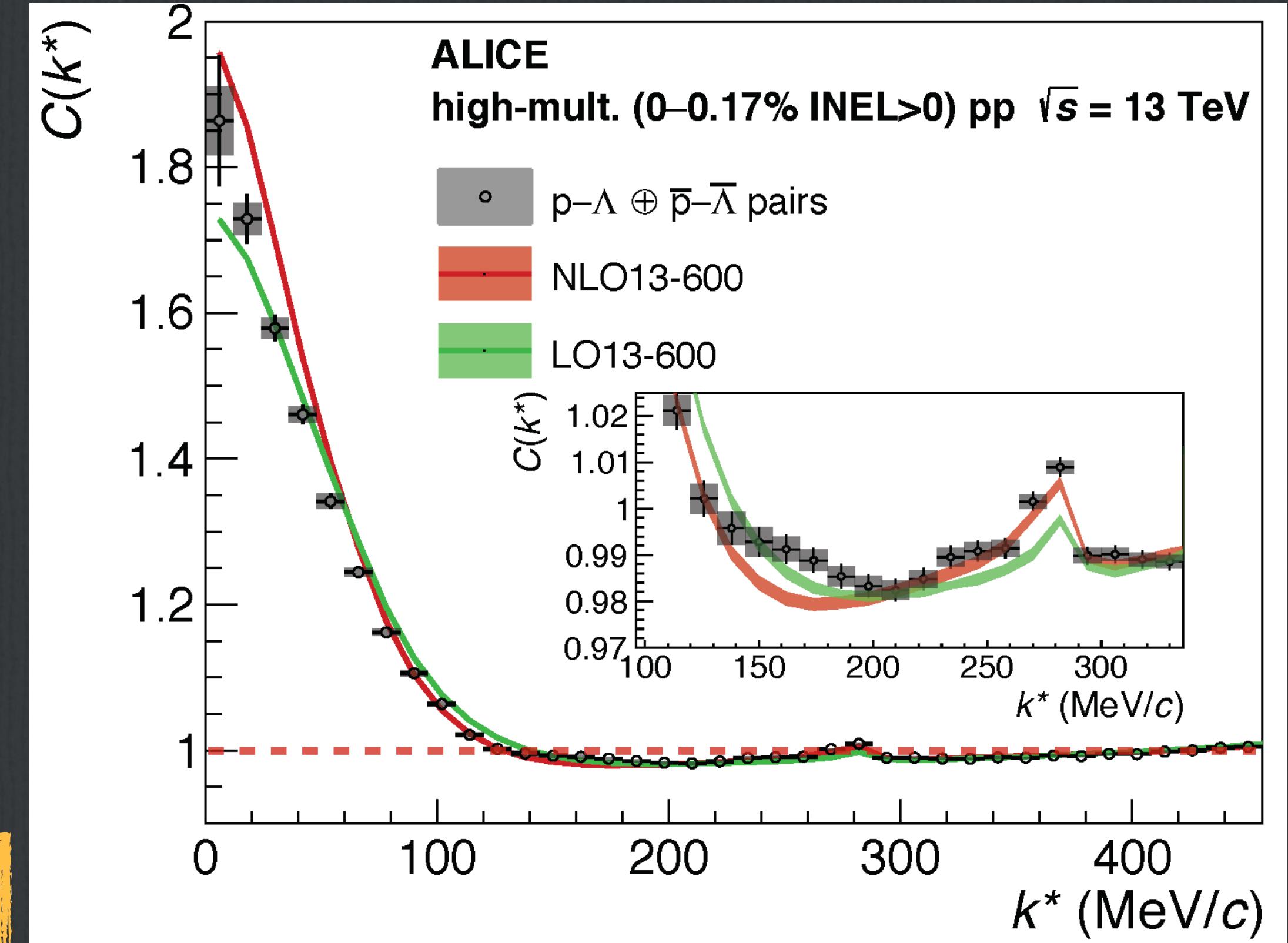
Particle emitting source

Relative wave function

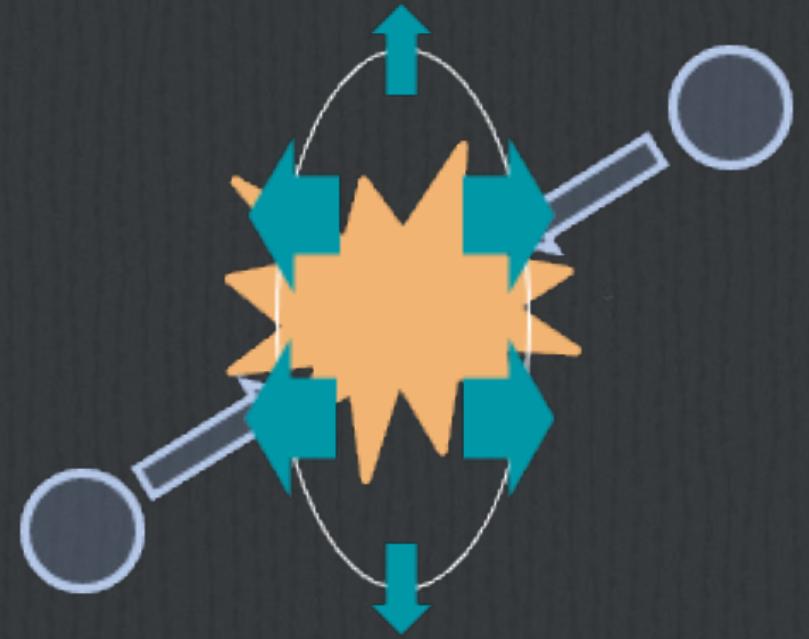
CATS (Correlation Analysis Tool using the Schrödinger equation)

D. Mihaylov, L. Fabbietti et al. EPJC 78 (2018)

ALICE Coll. PLB 832 (2022) 137272

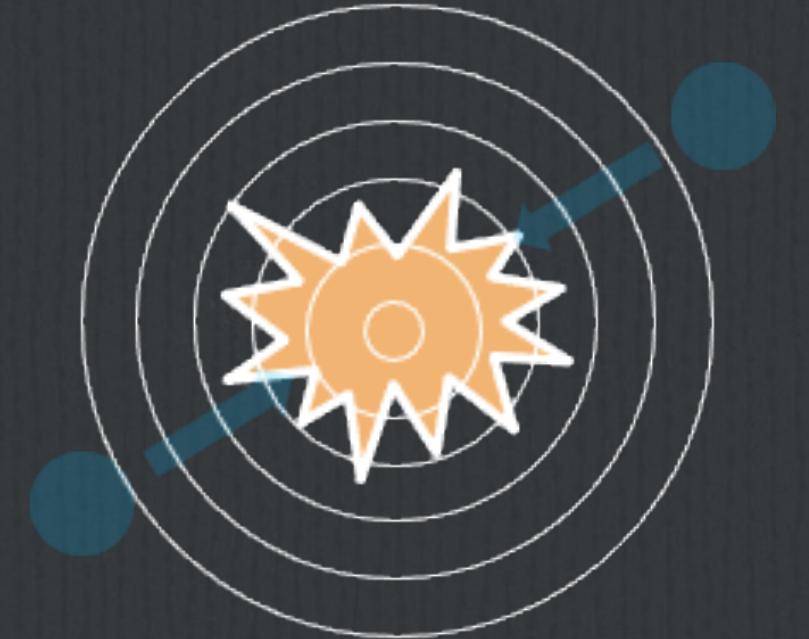


# Determination of the particle-emitting source



Anisotropic

+



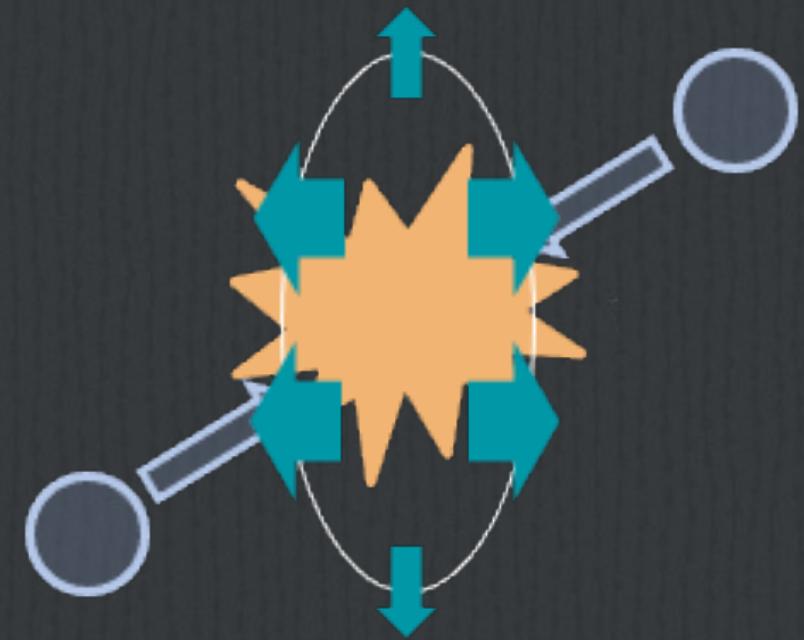
Radial

Pressure gradients

Given the pair transverse mass  $m_T = \sqrt{\frac{1}{4}(p_{1T} + p_{2T})^2 + (m_1 + m_2)^2}$

$$\rightarrow S(r) = G(r, r_{core}(m_T)) = \frac{1}{(4\pi r_{core}^2)^{3/2}} \exp\left(\frac{-r}{4r_{core}^2}\right)$$

# Determination of the particle-emitting source



Anisotropic

+



Radial

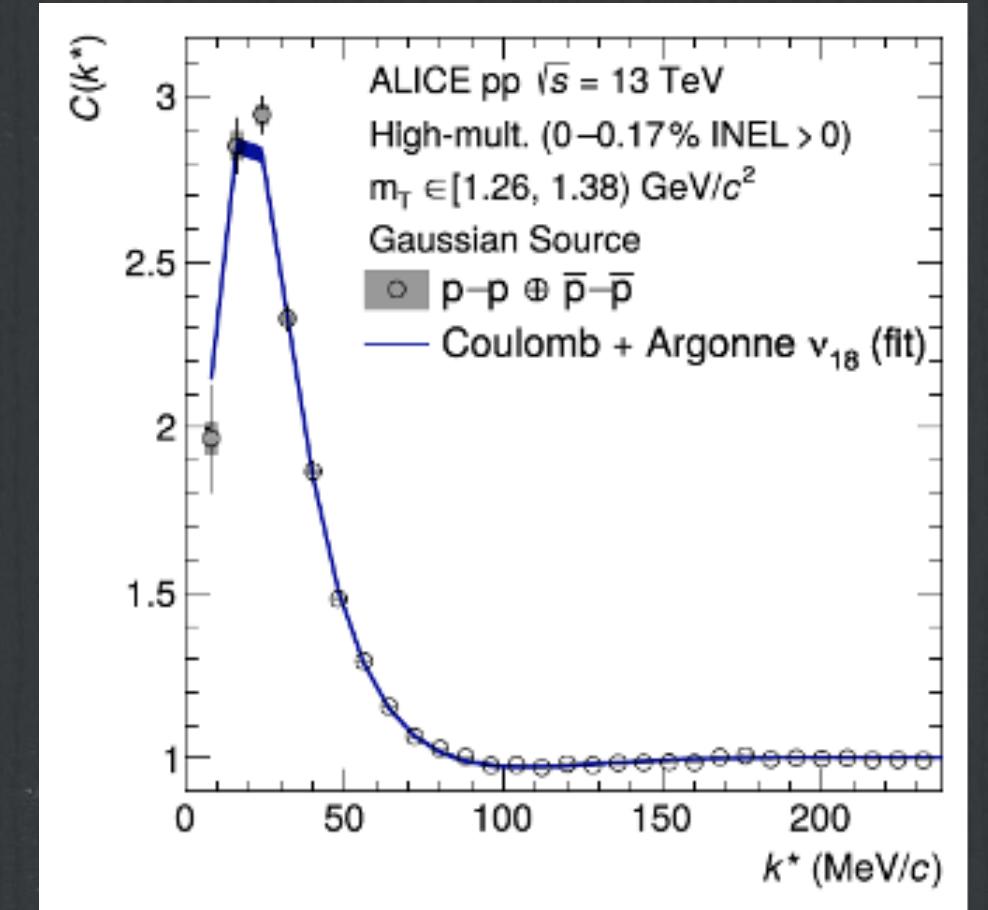
Pressure gradients

Given the pair transverse mass  $m_T = \sqrt{\frac{1}{4}(p_{2T} + p_{1T})^2 + (m_1 + m_2)^2}$

$$\rightarrow S(r) = G(r, r_{core}(m_T)) = \frac{1}{(4\pi r_{core}^2)^{3/2}} \exp\left(\frac{-r}{4r_{core}^2}\right)$$

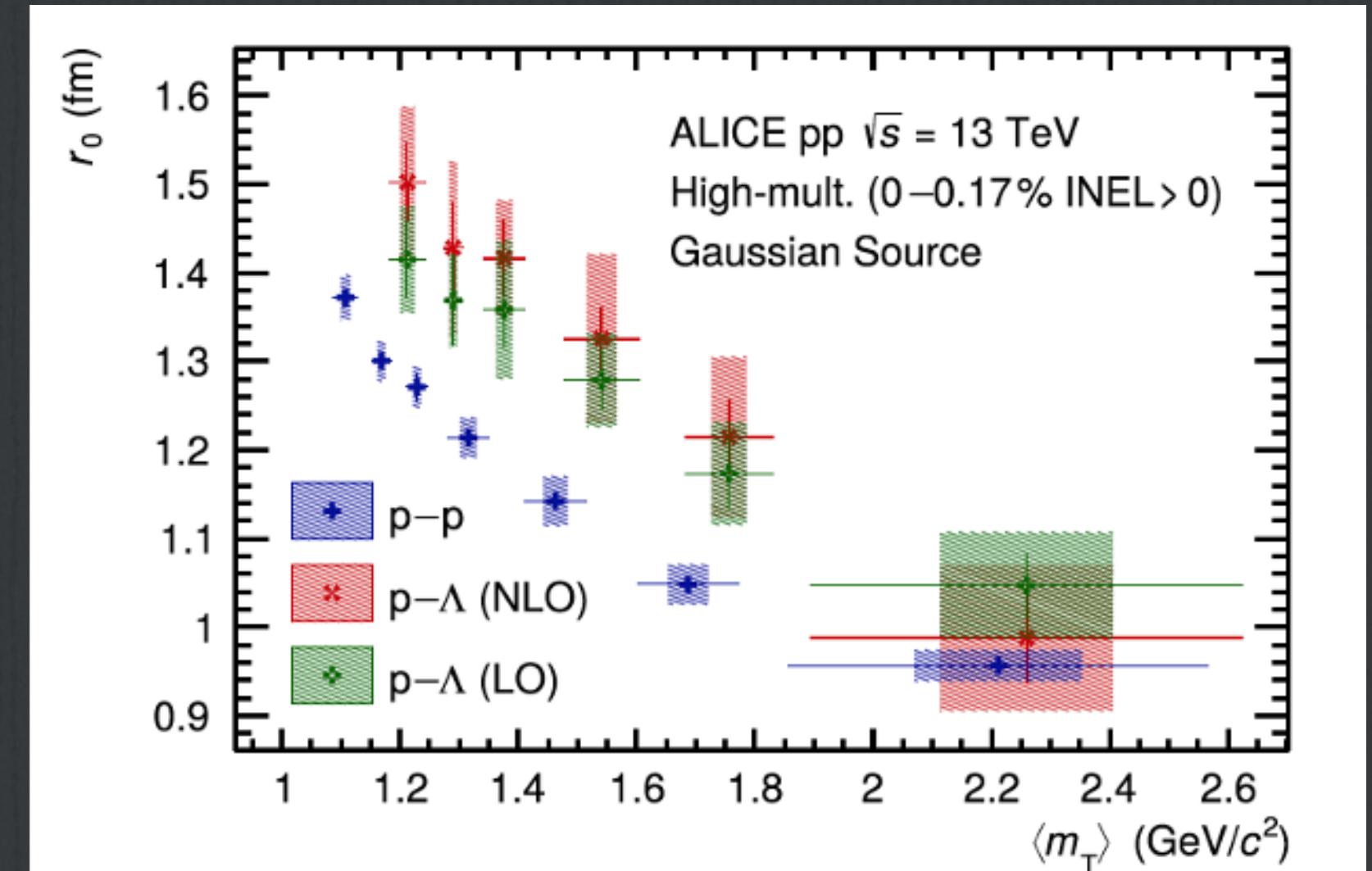


ALICE Coll., PLB, 811 (2020)

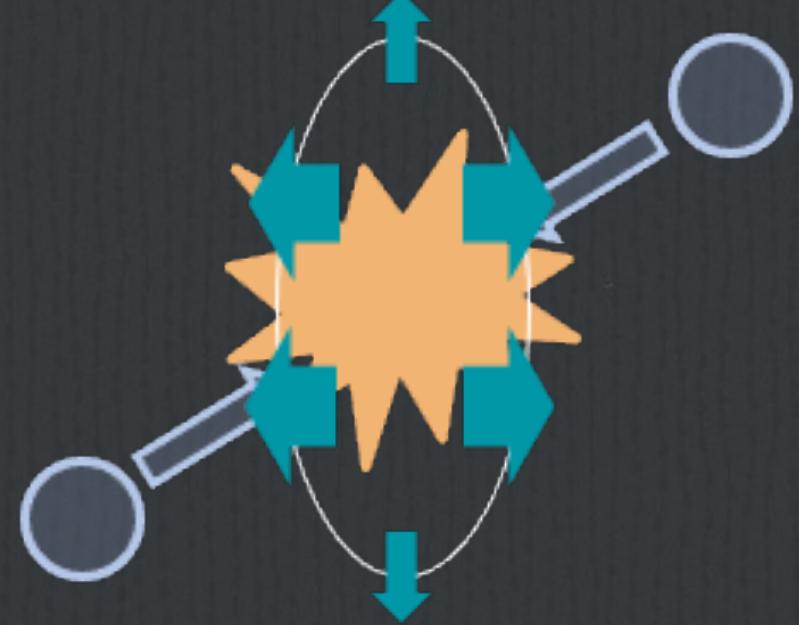


$$C(k^*) = \int S(r) |\psi(\vec{r}, \vec{k}^*)|^2 d\vec{r}^3$$

pp Correlation: AV18  
+ Coulomb potentials  
used with CATS to  
calculate  $\psi(\vec{k}^*, \vec{r}^*)$



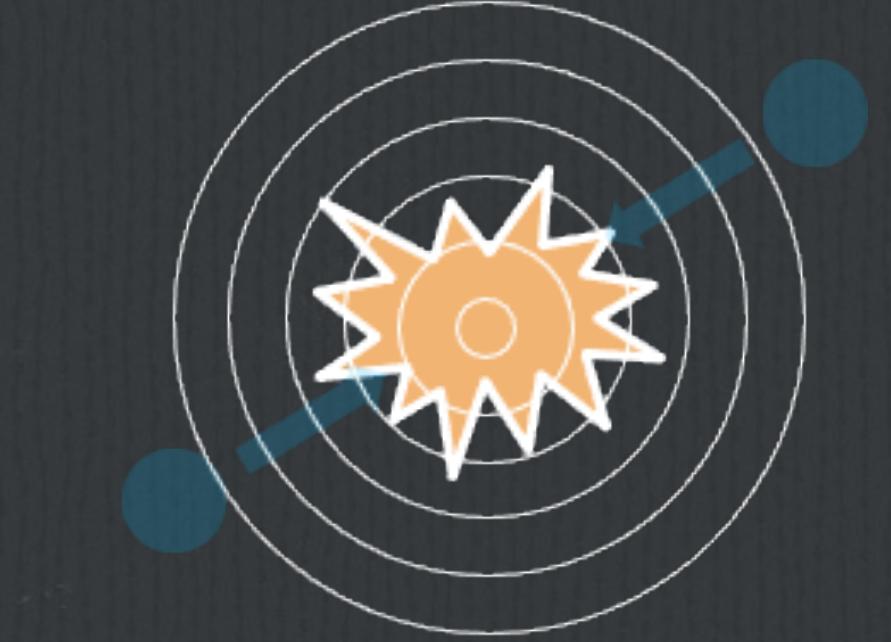
# Determination of the particle-emitting source



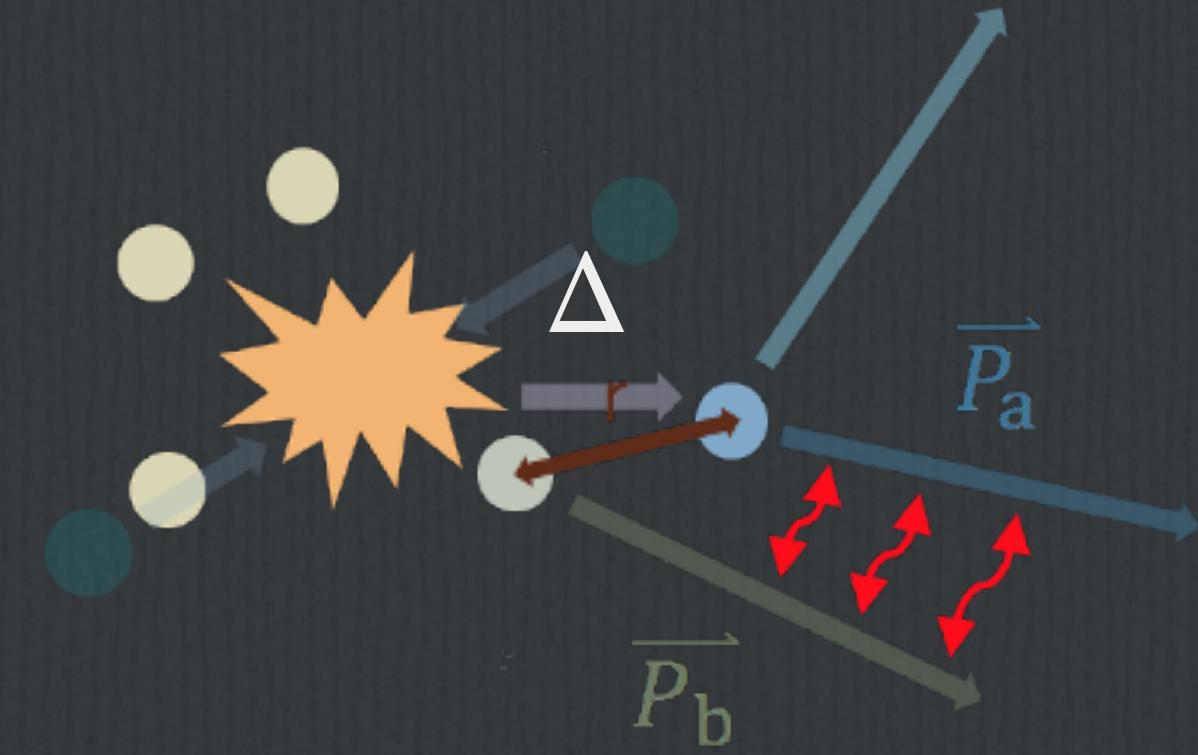
Anisotropic

+

Pressure gradients



Radial



Resonances with  $c\tau \sim r_{core} \sim 1\text{fm}$  ( $\Delta^{++}, N^*, \Sigma^*$ )

Given the pair transverse mass  $m_T = \sqrt{\frac{1}{4}(p_{1T} + p_{2T})^2 + (m_1 + m_2)^2}$

Particle	Primordial fraction	Resonances $\langle c\tau \rangle$
Proton	33 %	1.6 fm
Lambda	34 %	4.7 fm

U. Wiedemann and U. Heinz PRC 56 (1997)

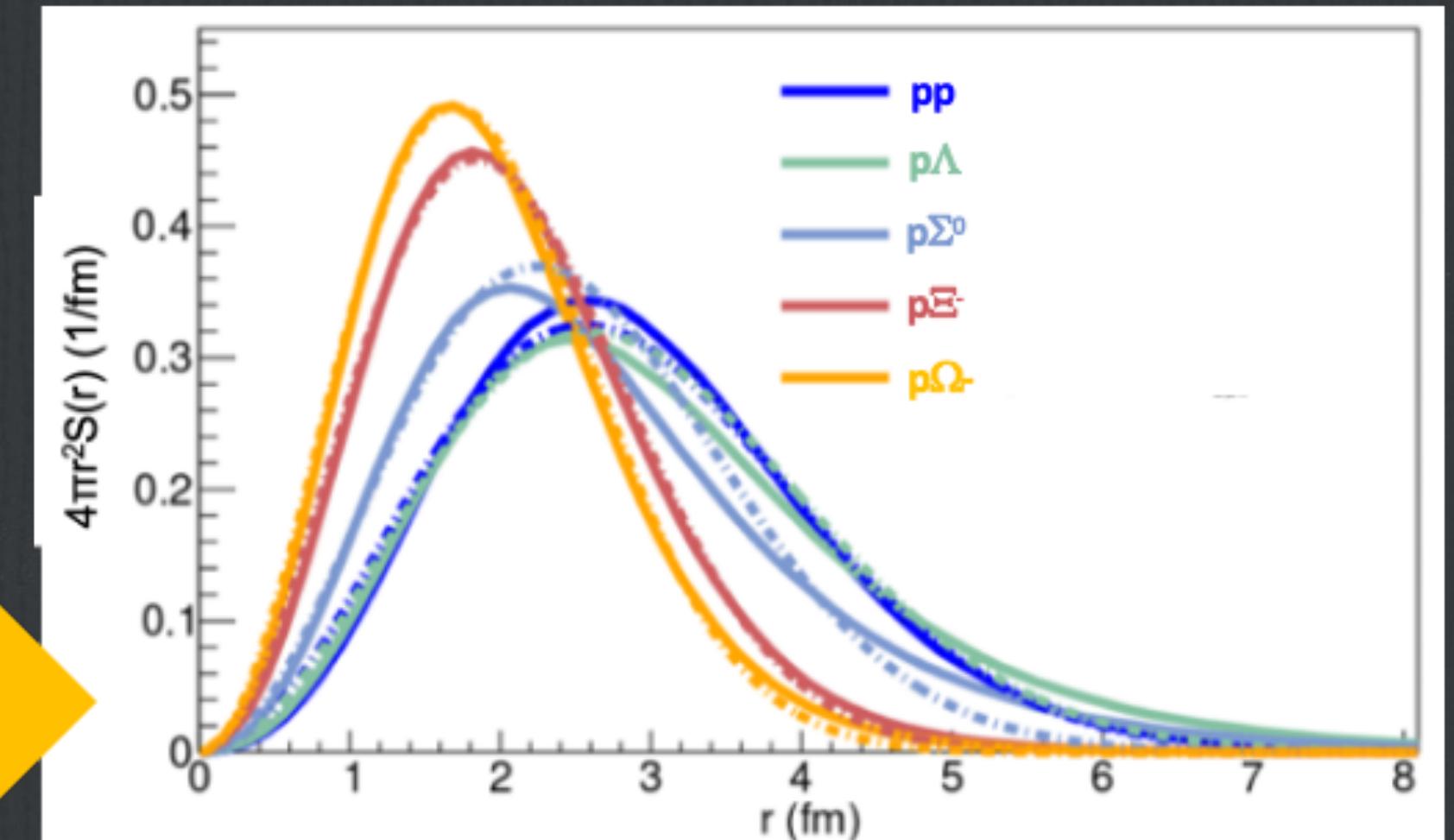
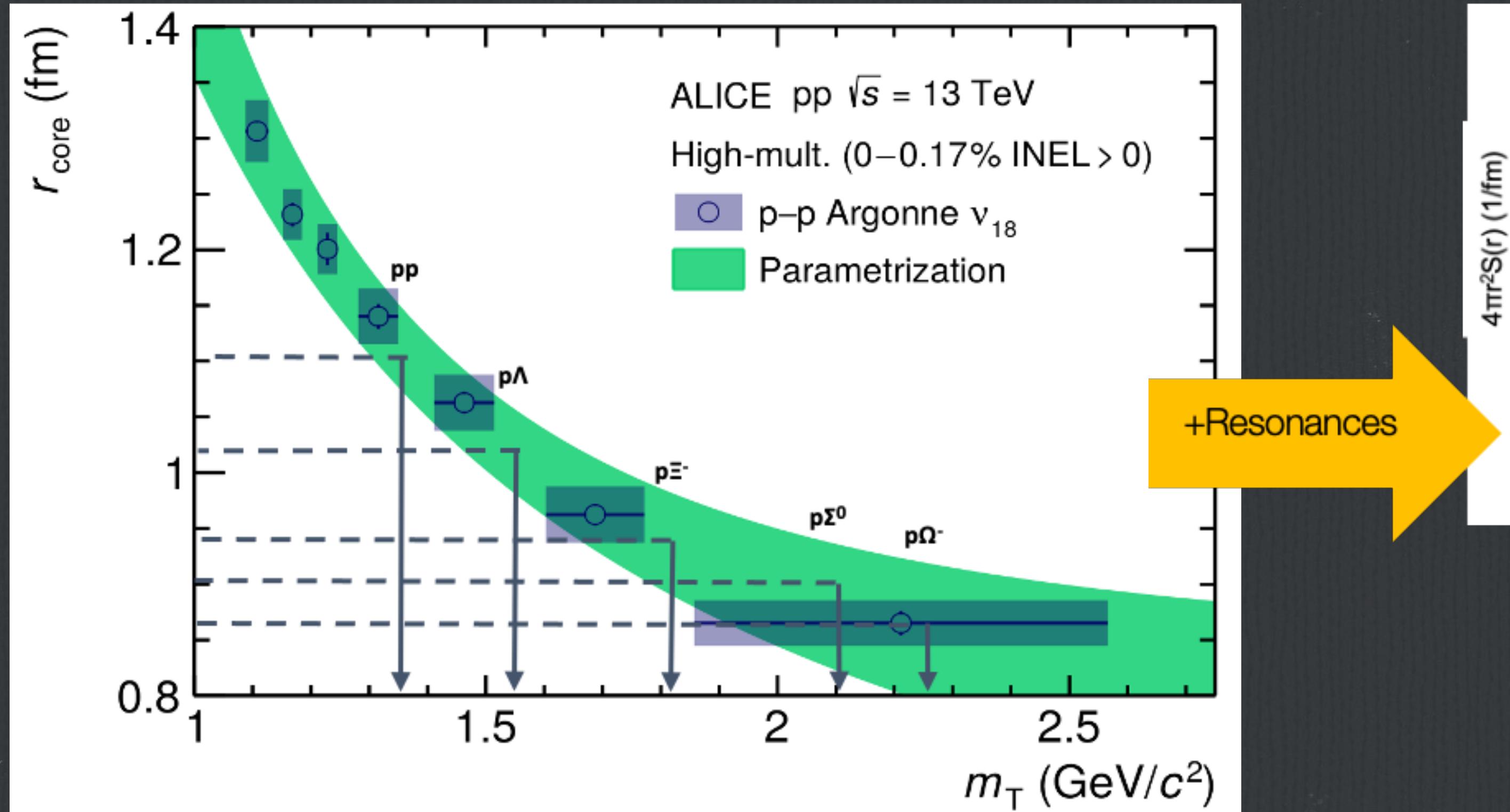
$$\rightarrow S(r) = G(r, r_{core}(m_T)) = \frac{1}{(4\pi r_{core}^2)^{3/2}} \exp\left(\frac{-r}{4r_{core}^2}\right) \otimes$$

$$E(r, s) = \frac{1}{s} \exp\left(-\frac{r}{s}\right)$$

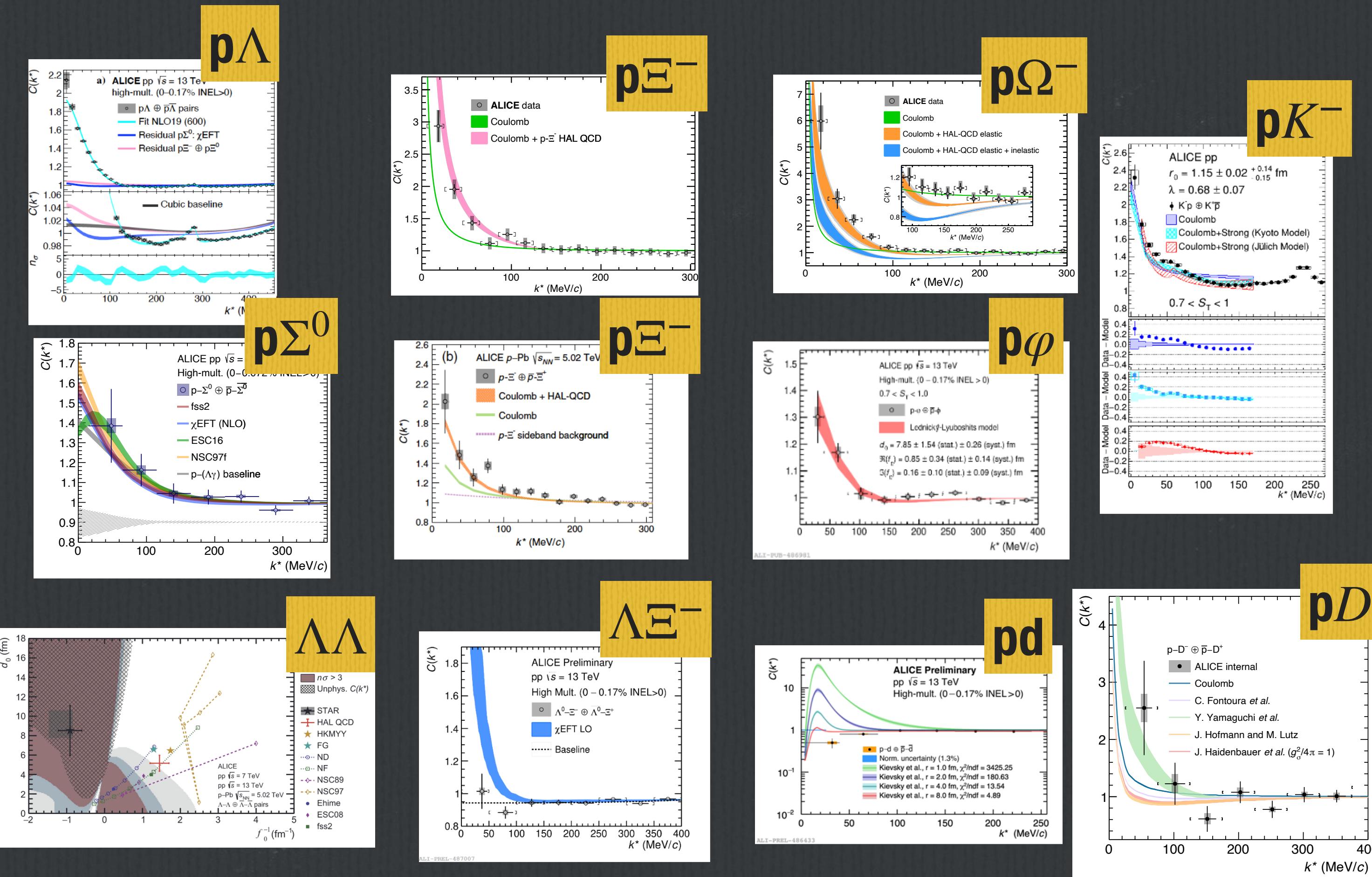
$$s = \beta\gamma\tau_{res}$$

# One source to rule them all

ALICE Coll., PLB, 811 (2020)



# Two body interaction among many hadrons



## Our recent papers:

CATS: EPJA 78 (2018)

Projector: EPJC 82 (2022)

Review 1: Prog.Part.Nucl.Phys. 112 (2020)

Review 2: Ann.Rev.Nucl.Part.Sci. 71 (2021)

$p\text{-}\phi$  bound state: arXiv:2212.12690

$p\text{-}K$ : PRL 124 (2020) 092301

$p\text{-}K$ : PLB 822 (2021), EPJC (2022)

$p\text{-}p$ ,  $p\text{-}\Lambda$ ,  $\Lambda\text{-}\Lambda$ : PRC 99 (2019) 024001

$\Lambda\text{-}\Lambda$ : PLB 797 (2019) 134822

$p\text{-}\Xi^-$ : PRL. 123 (2019)

$p\text{-}\Xi^-, p\text{-}\Omega^-$ : Nature 588 (2020) 232–238

$p\text{-}\Sigma^0$ : PLB 805 (2020) 135419

$p\text{-}\varphi$ : PRL 127 (2021)

$p - \bar{p}, \Lambda - \bar{\Lambda}, p - \bar{\Lambda}$ : PLB 829 (2022)

$p\text{-}\Lambda$ : PLB 832 (2022) 137272

$\Lambda - \Xi$ : PLB 137223 (2022)

D-p: PRD 106, 052010 (2022)

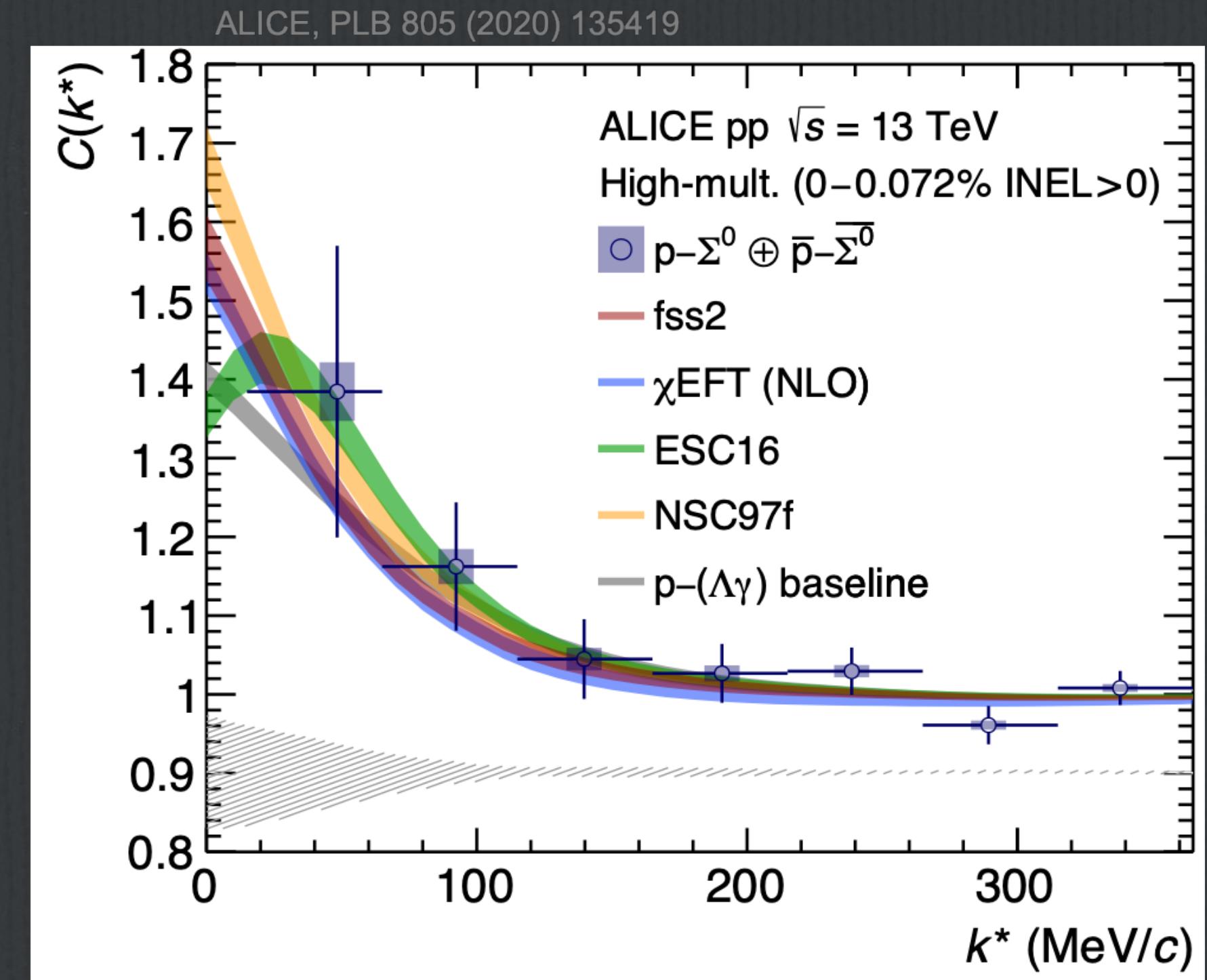
ppp, pp $\Lambda$ : arXiv:2206.03344

# What can be done better elsewhere

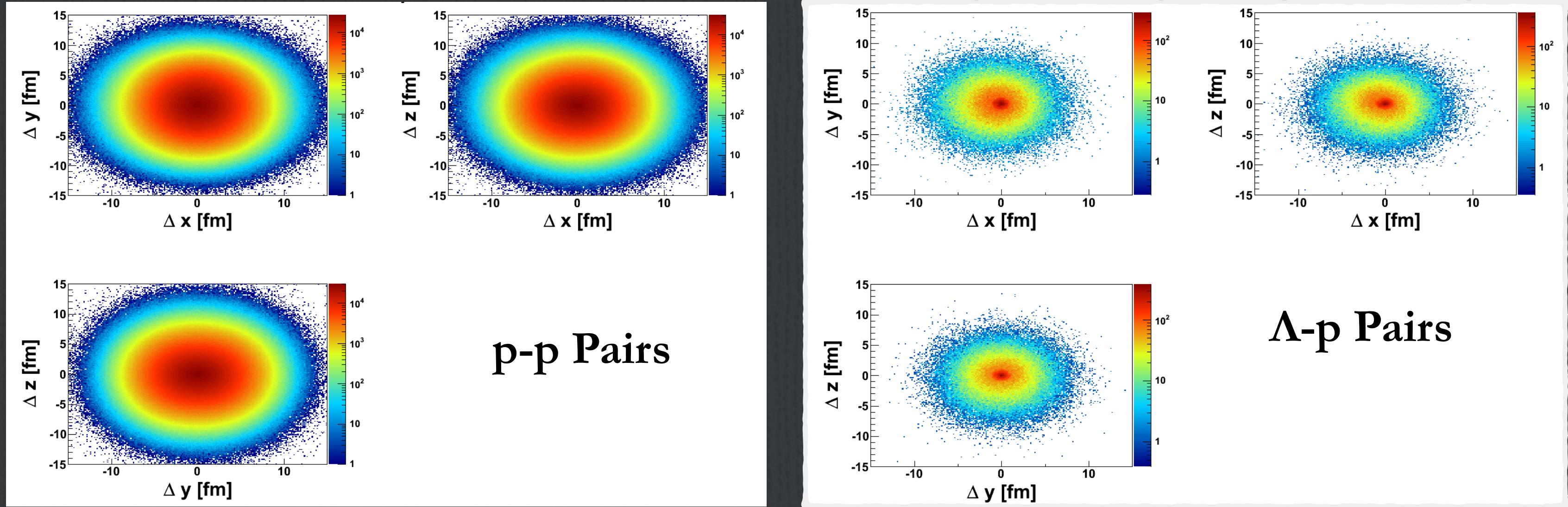
- Reconstruction of  $\Sigma^0$  via decay to  $\Lambda + \gamma$
- $\gamma$  reconstructed from conversion  $e+e^-$
- $p$   $\Sigma^0$  compatible to the baseline

→ stay tuned for data of Run 3 for higher statistics!

But a measurement in HADES with p+p collisions and the electromagnetic calorimeter could be competitive.  
Same for  $\Xi^0$

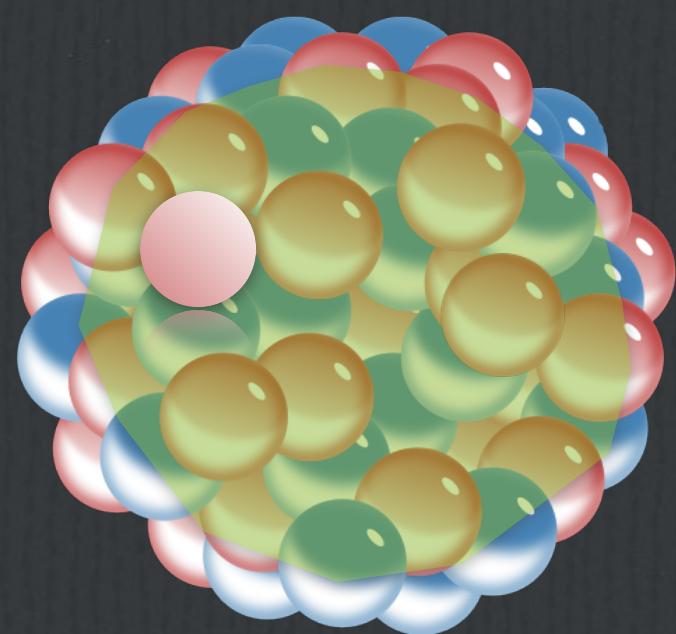


# Scattering in nuclear matter



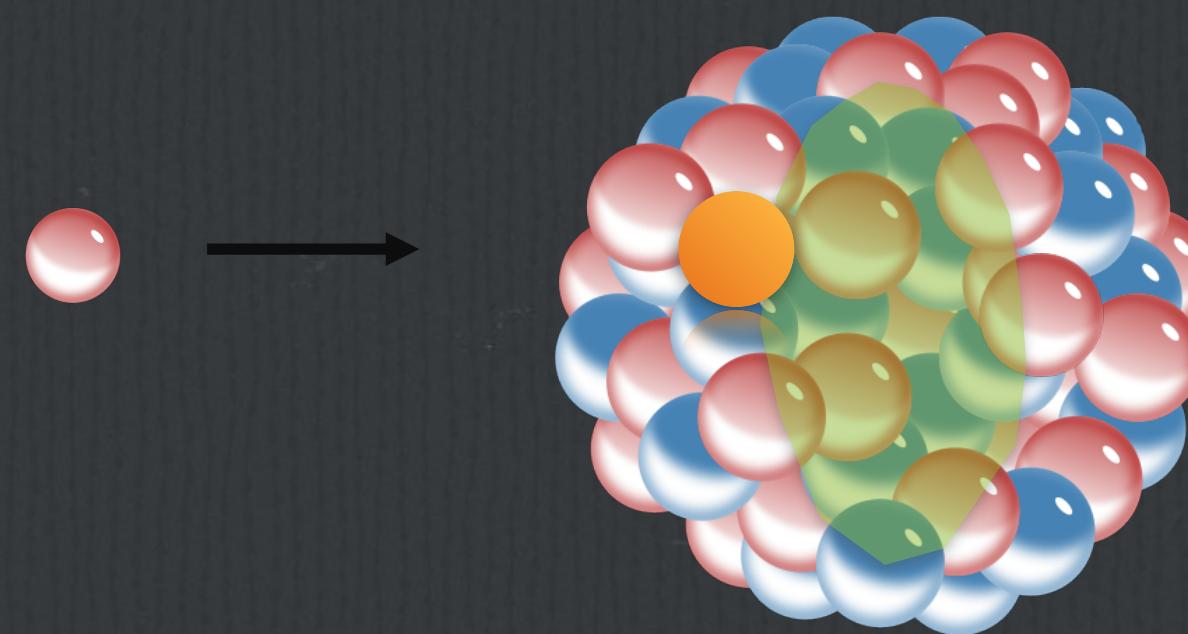
$\Lambda$ -p source: 1.24 times smaller than p-p source (from UrQMD)

p-scattering in the nucleus



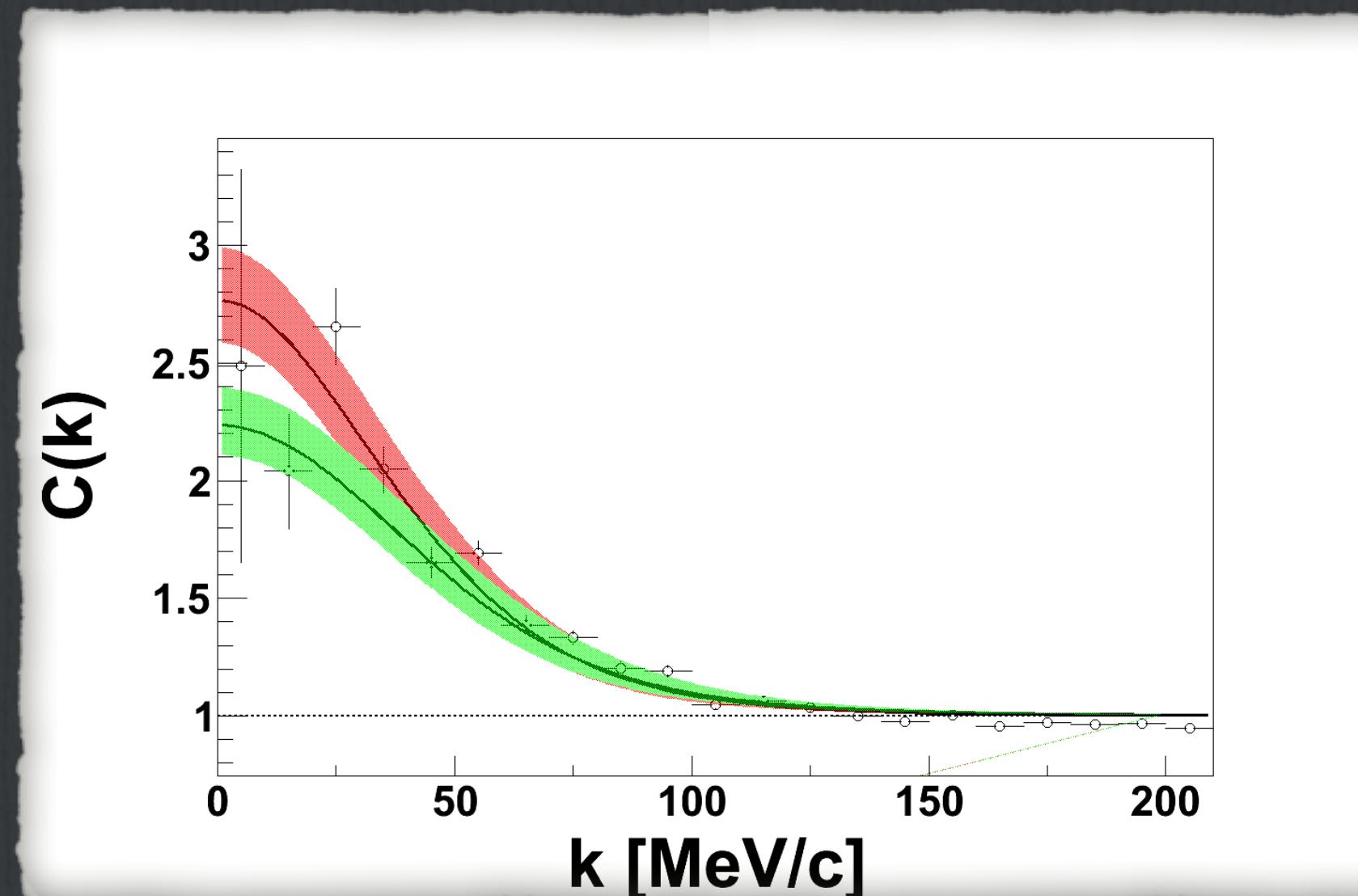
LHC

$\Lambda$ -scattering in the nucleus



## $\Lambda$ -p Correlation in p+Nb collisions at $\sqrt{s} = 3.5$ GeV

J. Adamczewski-Musch et al., [HADES coll.] Phys. Rev. C. 94 (2016).



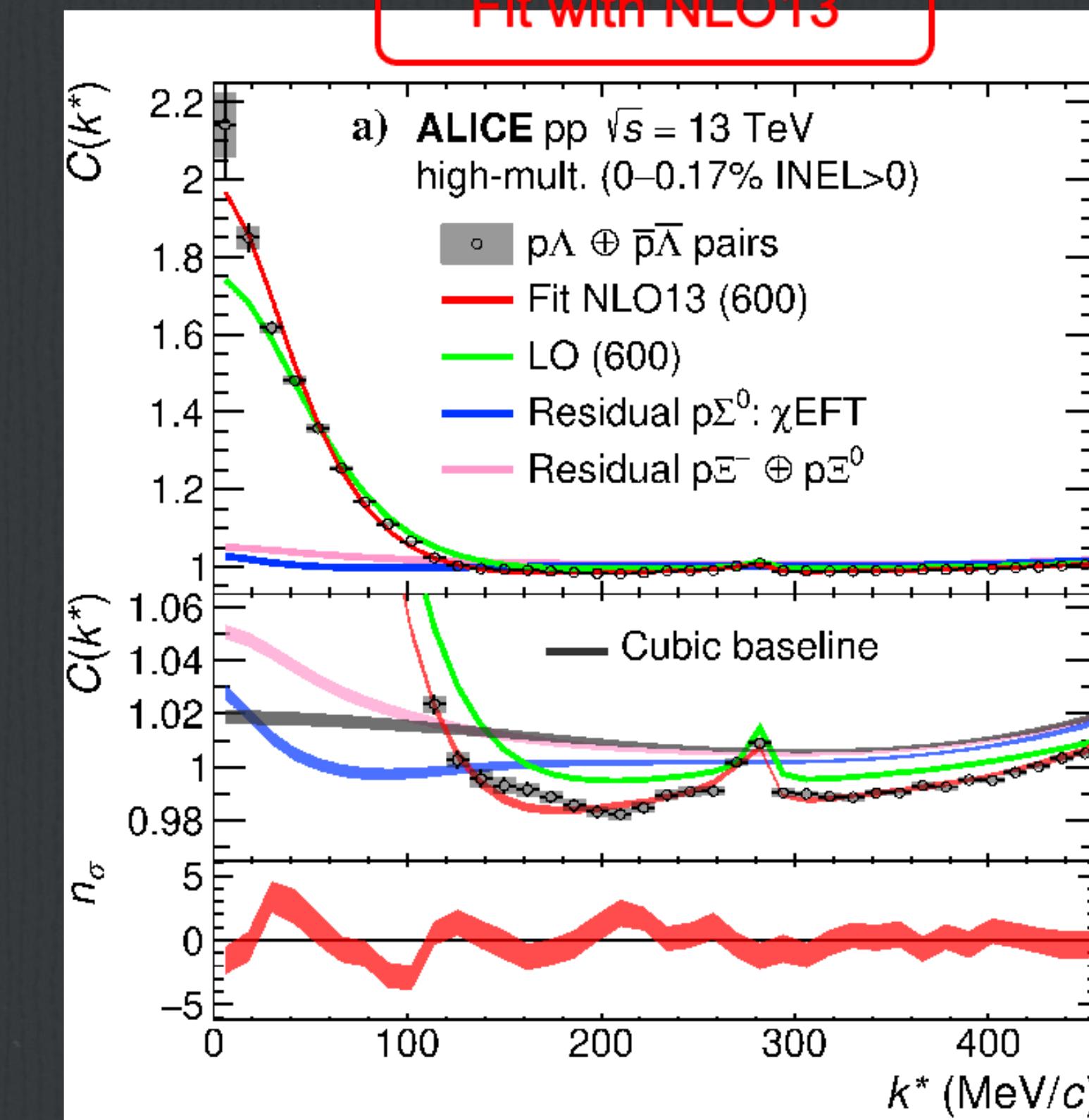
New data on p+p collisions at 3.5 GeV  
Factor 100 (?) more statistics than this plot



## $\Lambda$ -p Correlation in p+p collisions at $\sqrt{s} = 13$ TeV

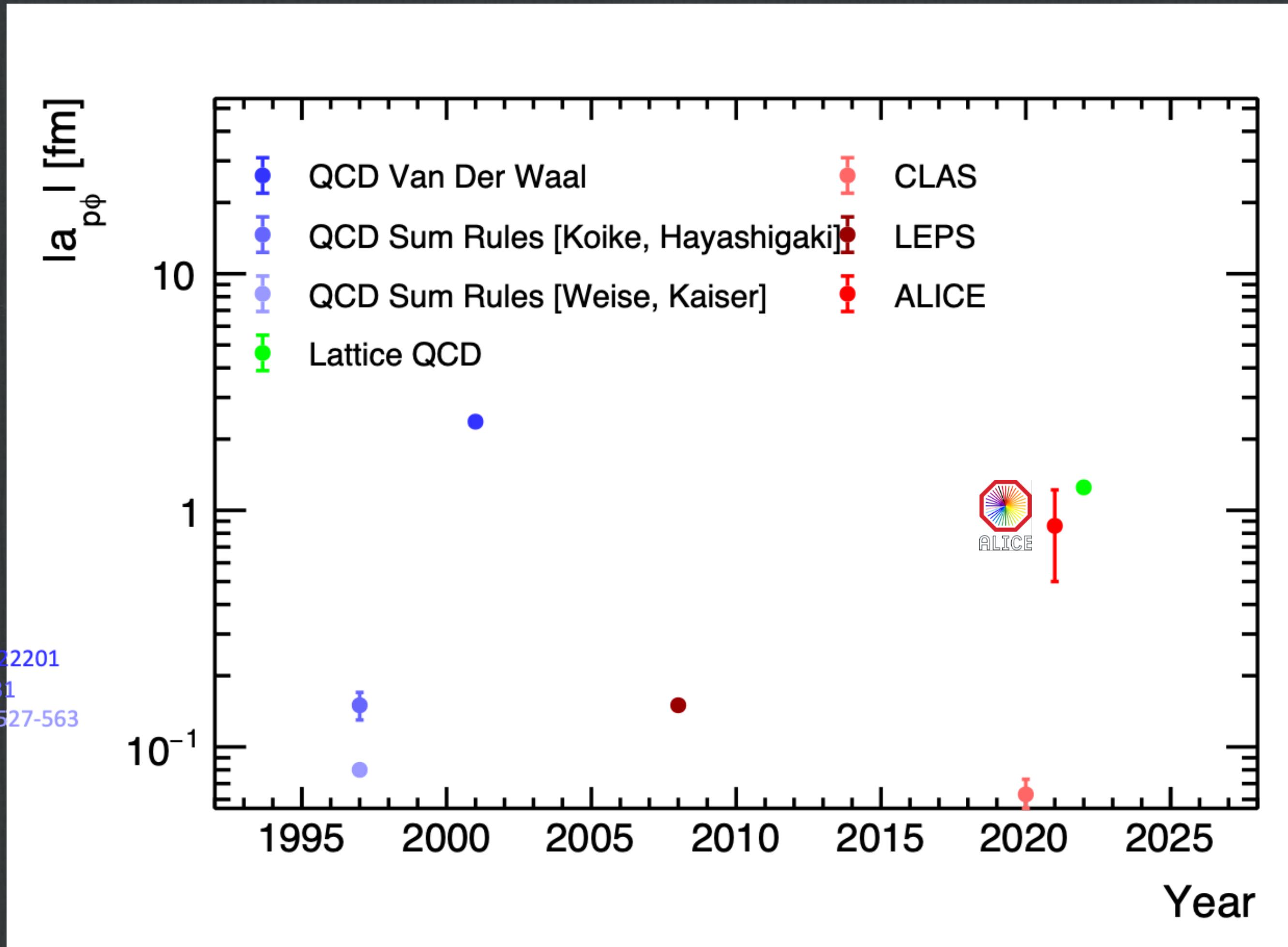
ALICE, PLB 833 (2022), 137272

Fit with NLO13



$n_\sigma \sim 4.5$  for  $k^* < 110$  MeV/c

# Vector Meson- Nucleon final state interaction



# Spin averaged scattering parameters

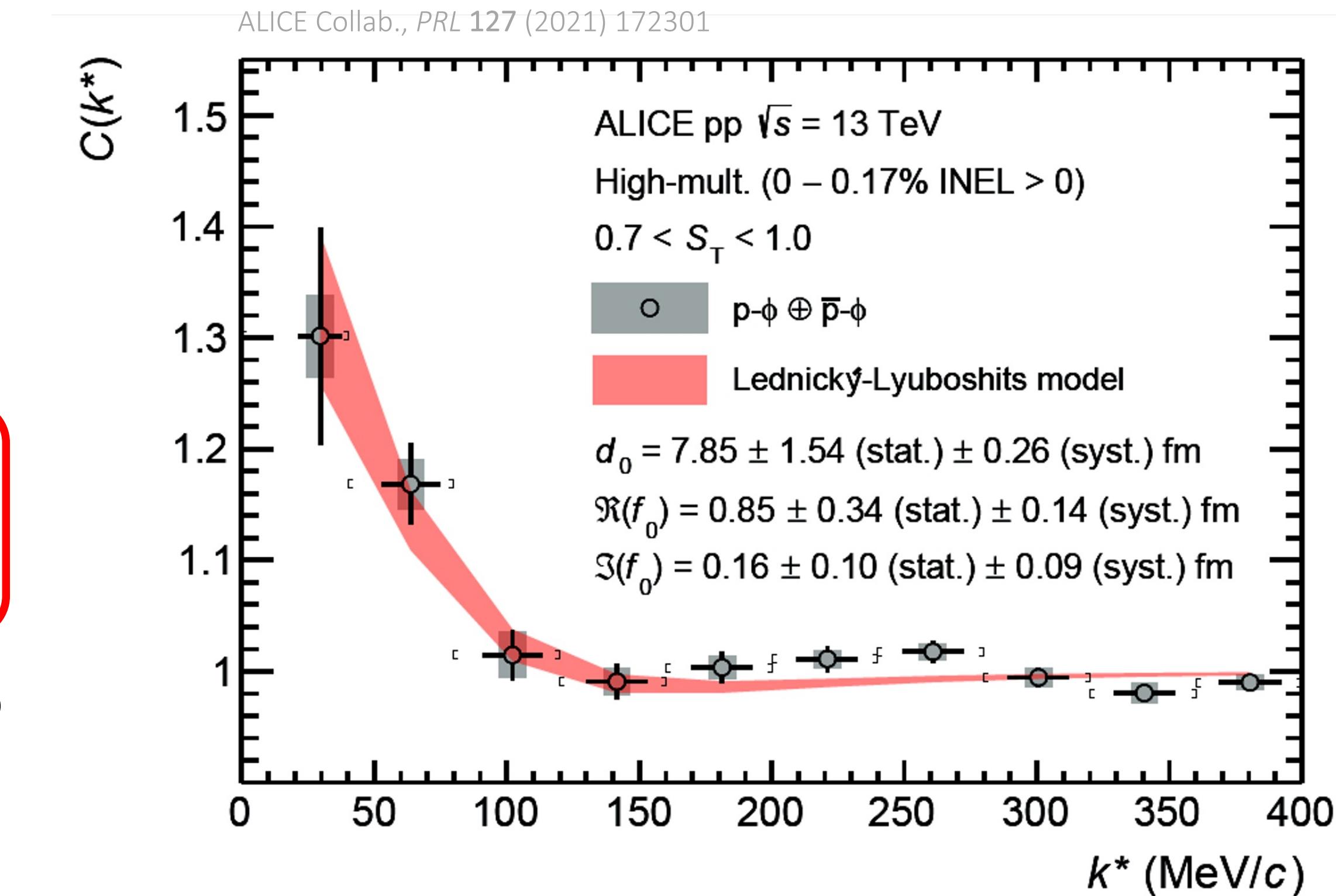
- Observation of **attractive** p– $\phi$  interaction
- **Spin-averaged scattering parameters** extracted by employing the analytical Lednicky-Lyuboshits approach  
R. Lednicky and V.L. Lyuboshits, Sov. J. Nucl. Phys. 53 (1982) 770
- Imaginary contribution to the scattering length  $f_0$  accounts for inelastic channels

$$\Re(f_0) = 0.85 \pm 0.34(\text{stat.}) \pm 0.14(\text{syst.}) \text{ fm}$$

$$\Im(f_0) = 0.16 \pm 0.10(\text{stat.}) \pm 0.09(\text{syst.}) \text{ fm}$$

$$d_0 = 7.85 \pm 1.54 \text{ (stat.)} \pm 0.26 \text{ (syst.) fm}$$

- Elastic p– $\phi$  coupling dominant contribution to the interaction in vacuum

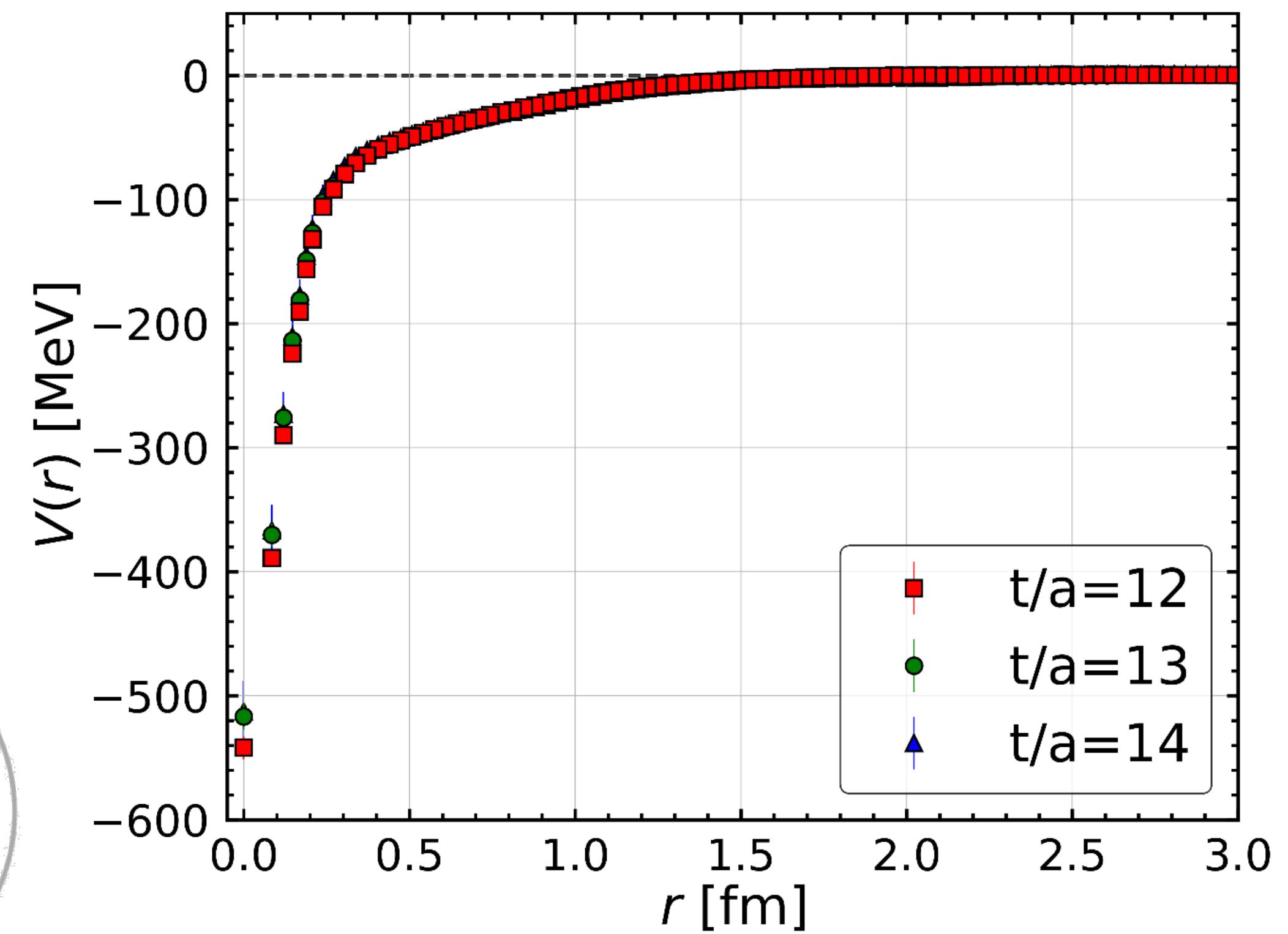
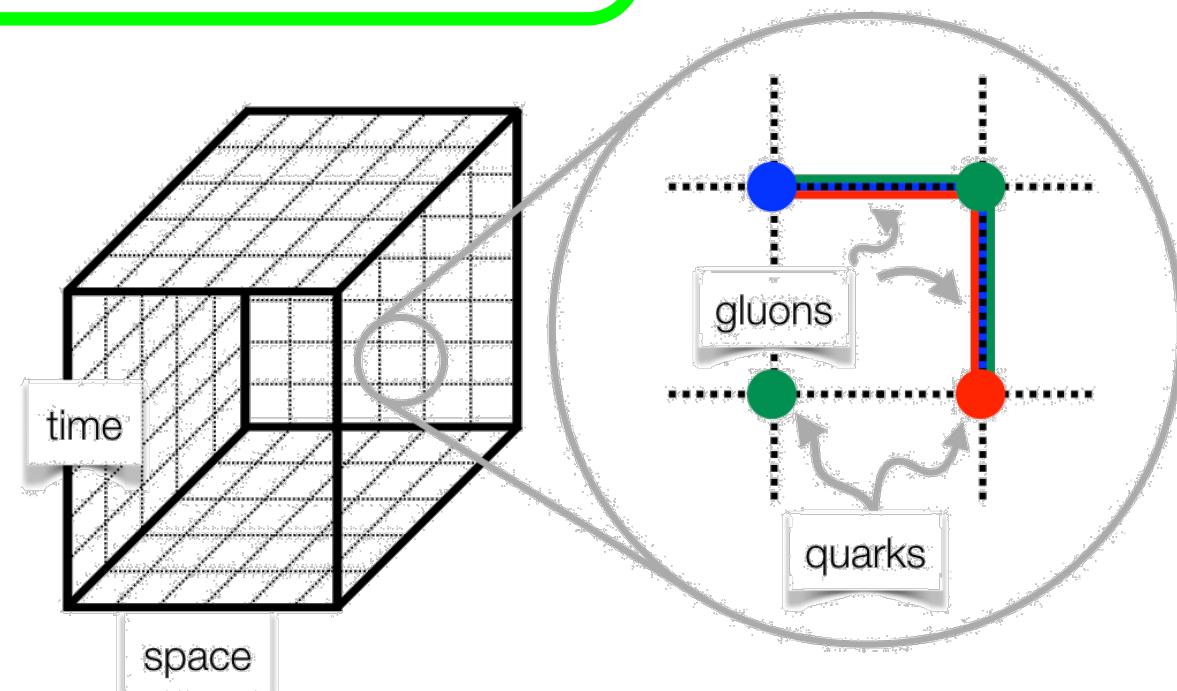


# Lattice potential ${}^4S_{3/2}$

- First simulation of the N- $\phi$  system in large lattice volume  $\simeq (8.1 \text{ fm})^3$  and lattice spacing  $a \simeq 0.08 \text{ fm}$
- Light dynamical quarks near the physical point ( $m_\pi = 146.4 \text{ MeV}$ )
- Attractive core  $\rightarrow$  Pauli exclusion does not operate due to no common quarks
- Long-ranged attractive tail, hints of pion dynamics

$$f_0 = 1.43^{+0.23}_{-0.23}(\text{stat.})^{+0.06}_{-0.36}(\text{syst.}) \text{ fm}^*$$

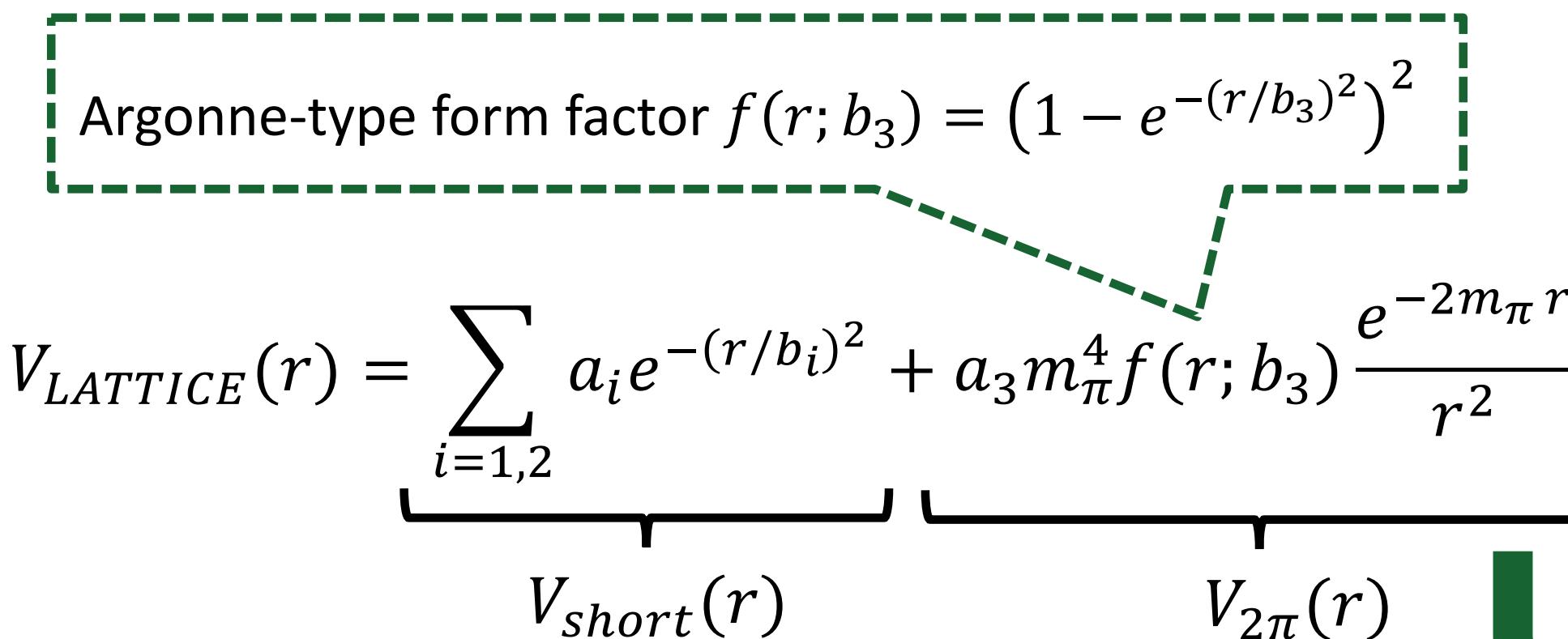
$$d_0 = 2.36^{+0.10}_{-0.10}(\text{stat.})^{+0.48}_{-0.02}(\text{syst.}) \text{ fm}$$



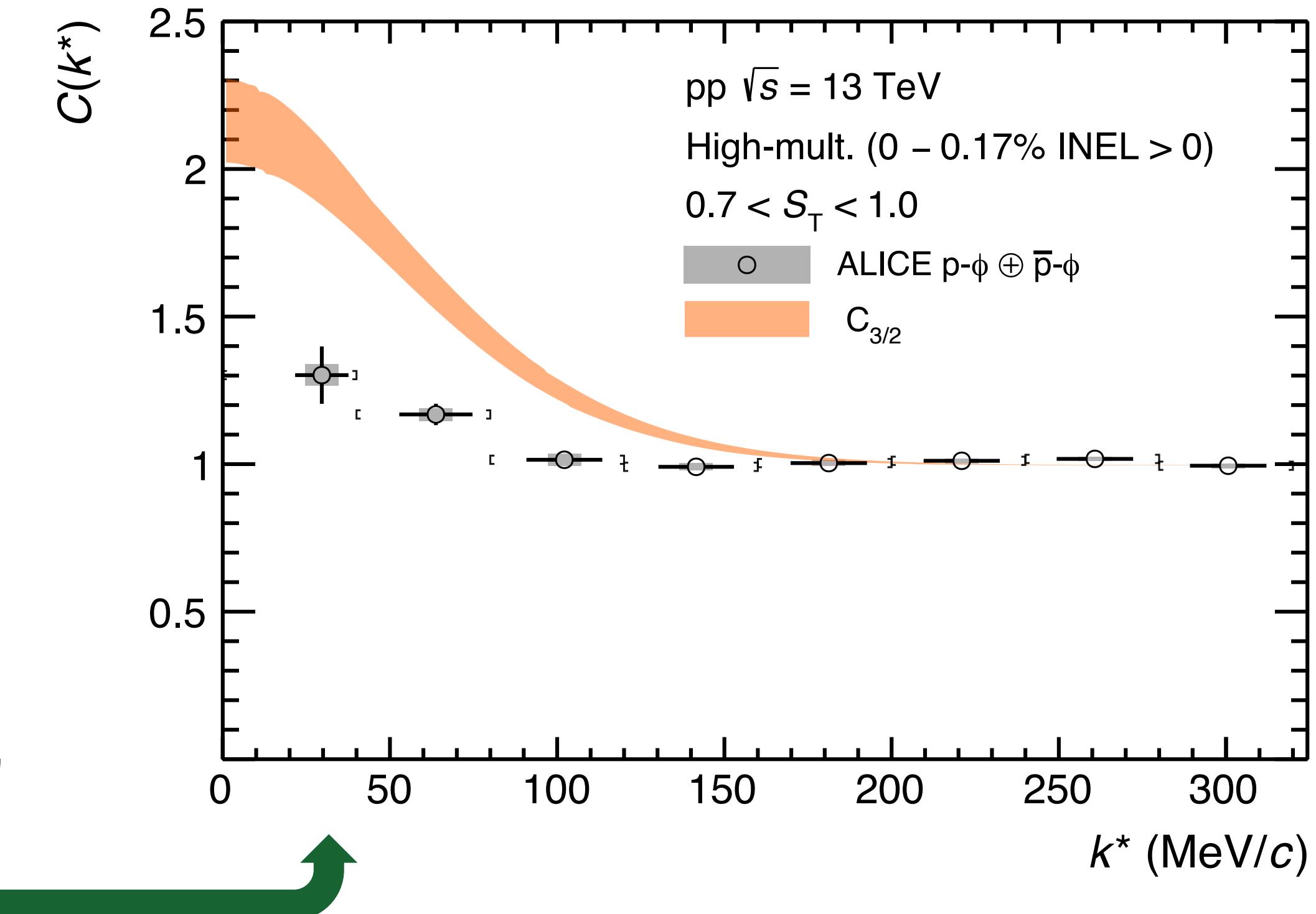
# Studying spin dependent interaction

## $^4S_{3/2}$ channel

- Dominated by elastic scattering states
- Modelled using HAL QCD potential
- Yan Lyu et al., *Phys. Rev. D* **106** (2022) 074507
- Potential at physical-pion mass



Yan Lyu et al., *Phys. Rev. D* **106** (2022) 074507



$$C(k^*) = \int S(\vec{r}^*) |\psi(\vec{k}^*, \vec{r}^*)|^2 d^3 \vec{r}^*$$

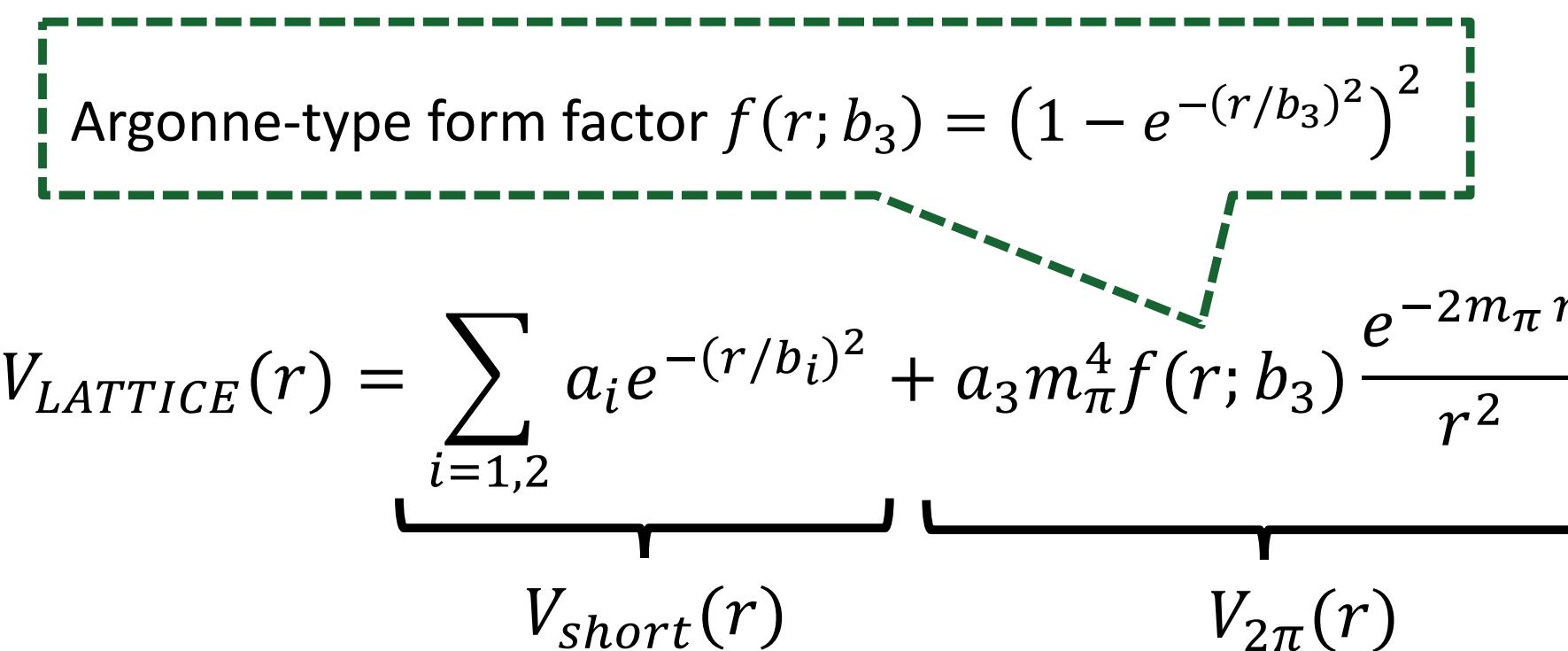
CATS framework solves  $\hat{\mathcal{H}}\psi(\vec{k}^*, \vec{r}^*) = E\psi(\vec{k}^*, \vec{r}^*)$

D.L. Mihaylov et al, *Eur. Phys. J.* **C78** (2018) no.5, 394

# Studying spin dependent interaction

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Yan Lyu et al., *Phys. Rev. D* **106** (2022) 074507

## $^2S_{1/2}$ channel

- Shows signs of open channels
  - $\Lambda K$  ( $^2S_{1/2}$ ),  $\Sigma K$  ( $^2S_{1/2}$ )
- No potential available from lattice QCD yet, due to possible effects from these open channels
- Modelled using complex potential provided by Dr. Yuki Kamiya

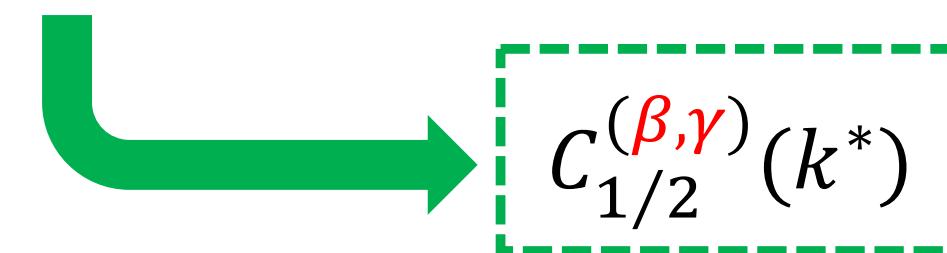
$$V_{\frac{1}{2}}(r) = V_{LATTICE, MOD}(r) + i \cdot \sqrt{f(r; b_3)} \cdot \frac{\gamma}{r} e^{-m_K \cdot r}$$

## Imaginary Part of Pot

Kaon exchange considered to give most significant contribution to coupling of decay channels

Real Part of Pot

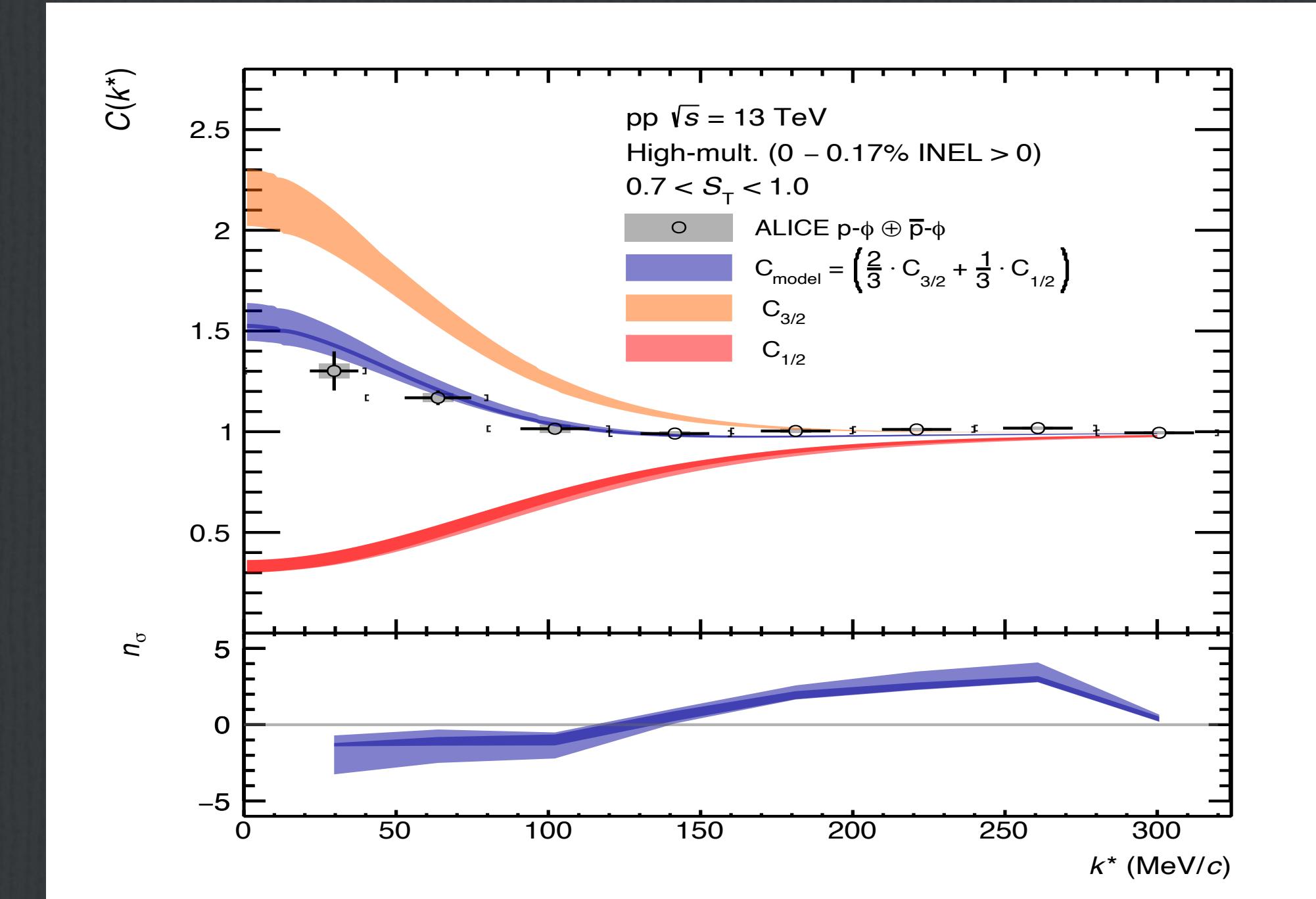
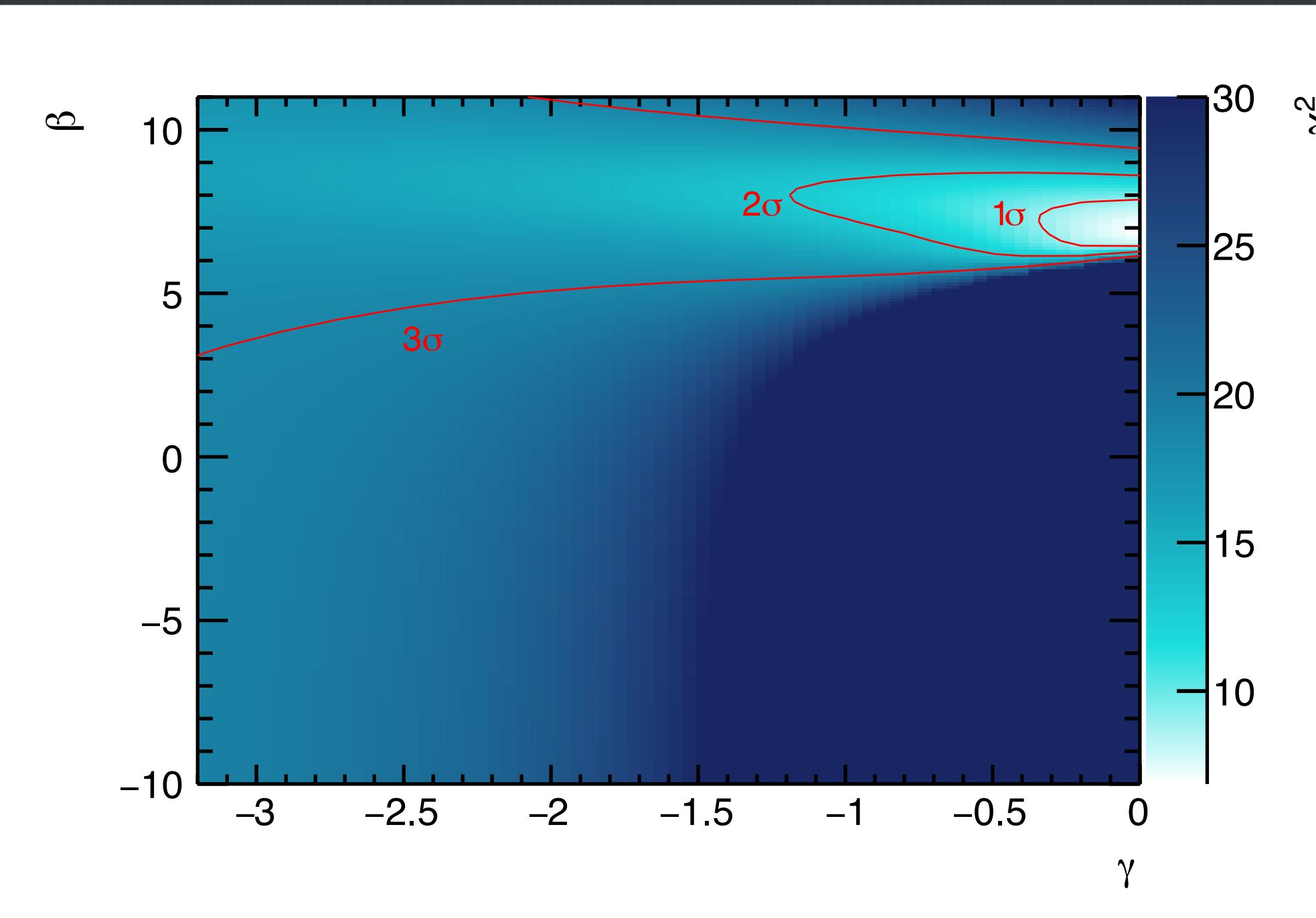
$$V_{LATTICE, MOD}(r) = \beta \cdot V_{short}(r) + V_{2\pi}(r)$$



$$C_{1/2}^{(\beta, \gamma)}(k^*)$$

# Results on $\phi$ -proton

arXiv:2212.12690 [nucl-ex]



- Repulsive interaction in the  $S=1/2$  excluded by more than  $3\sigma$
- Attractive interaction AND bound state



$$\Re(f_0) = -1.47^{+0.44}_{-0.37}(\text{stat.})^{+0.14}_{-0.17}(\text{syst.}) \text{ fm}$$

$$\Im(f_0) = 0.00^{+0.26}_{-0.00}(\text{stat.})^{+0.15}_{-0.00}(\text{syst.}) \text{ fm}$$

$$\Re(d_0) = 0.37^{+0.07}_{-0.08}(\text{stat.})^{+0.03}_{-0.03}(\text{syst.}) \text{ fm}$$

$$\Im(d_0) = 0.00^{+0.00}_{-0.02}(\text{stat.})^{+0.00}_{-0.01}(\text{syst.}) \text{ fm}$$

 $E_B = 14.7 - 56.6 \text{ MeV}$

# Scattering parameters of $^2S_{1/2}$

- Scattering parameters of  $S=1/2$  extracted from phase-shift using effective range expansion

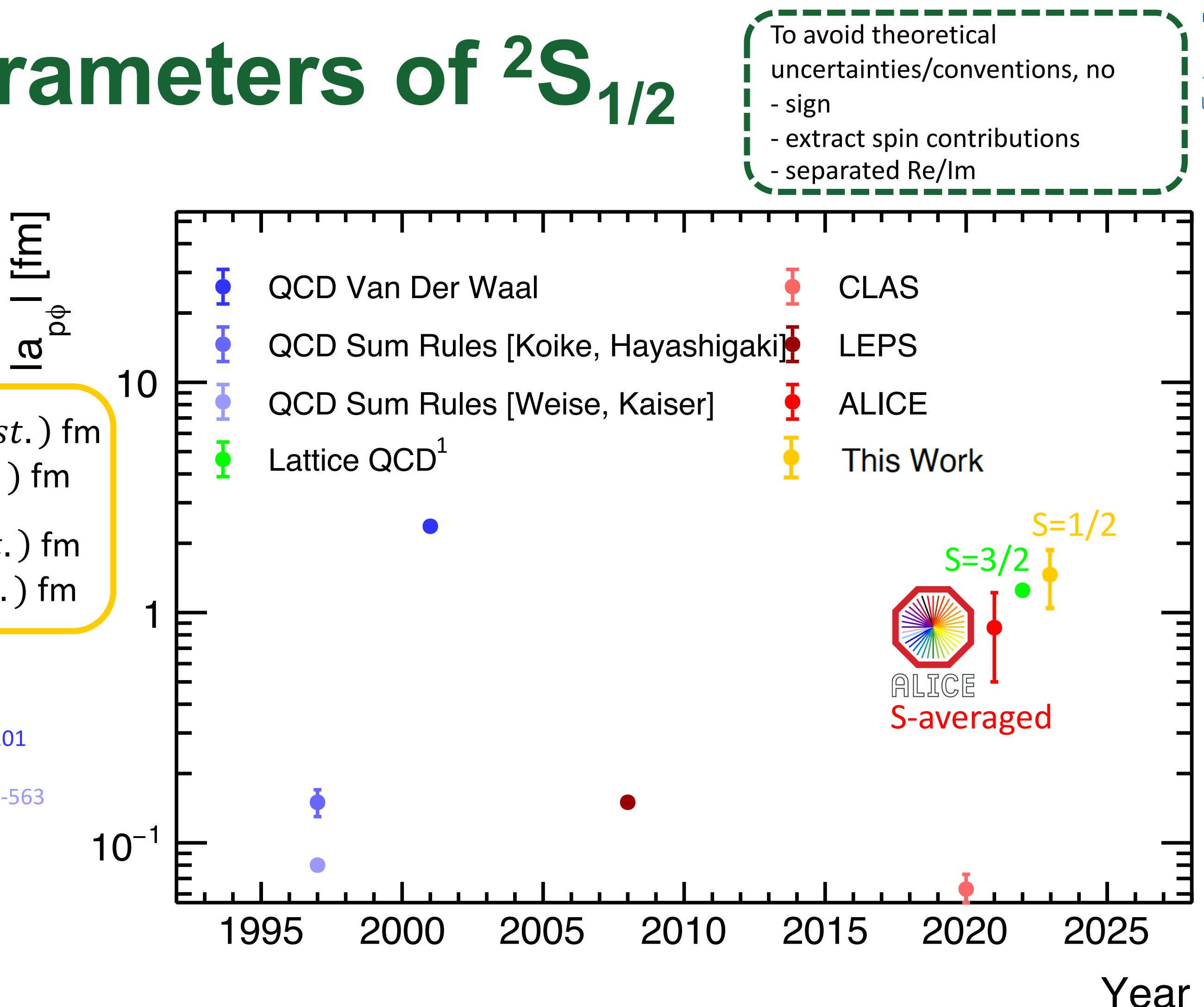
$$\Re(f_0) = -1.47^{+0.44}_{-0.37}(\text{stat.})^{+0.14}_{-0.17}(\text{syst.}) \text{ fm}$$

$$\Im(f_0) = 0.00^{+0.26}_{-0.00}(\text{stat.})^{+0.15}_{-0.00}(\text{syst.}) \text{ fm}$$

$$\Re(d_0) = 0.37^{+0.07}_{-0.08}(\text{stat.})^{+0.03}_{-0.03}(\text{syst.}) \text{ fm}$$

$$\Im(d_0) = 0.00^{+0.00}_{-0.02}(\text{stat.})^{+0.00}_{-0.01}(\text{syst.}) \text{ fm}$$

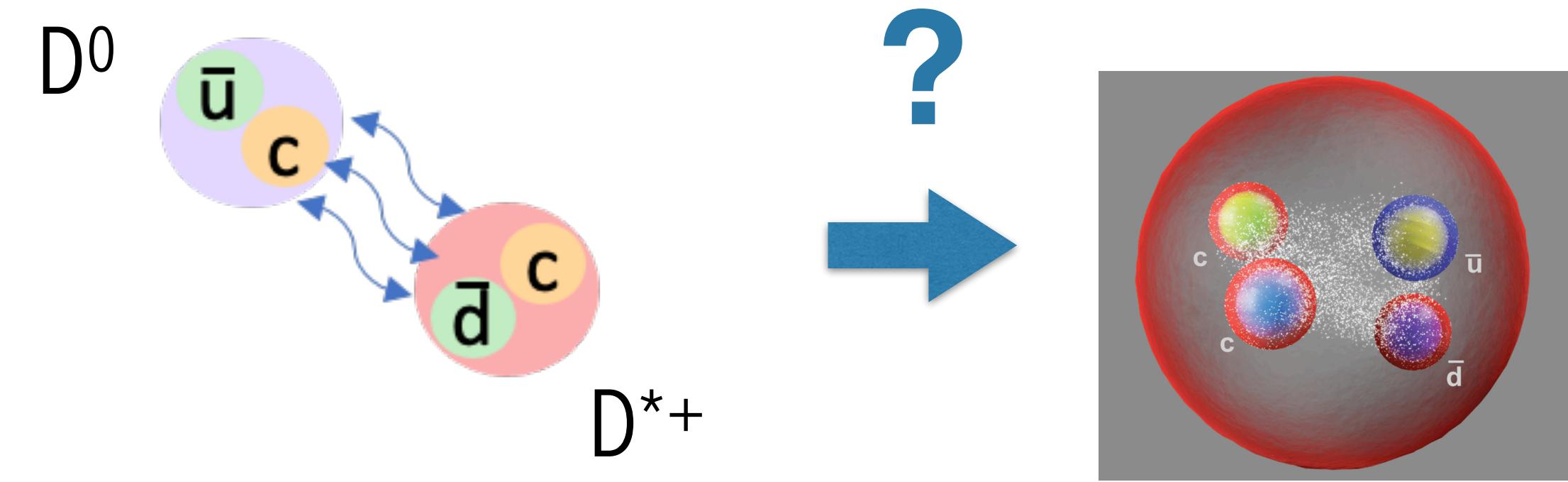
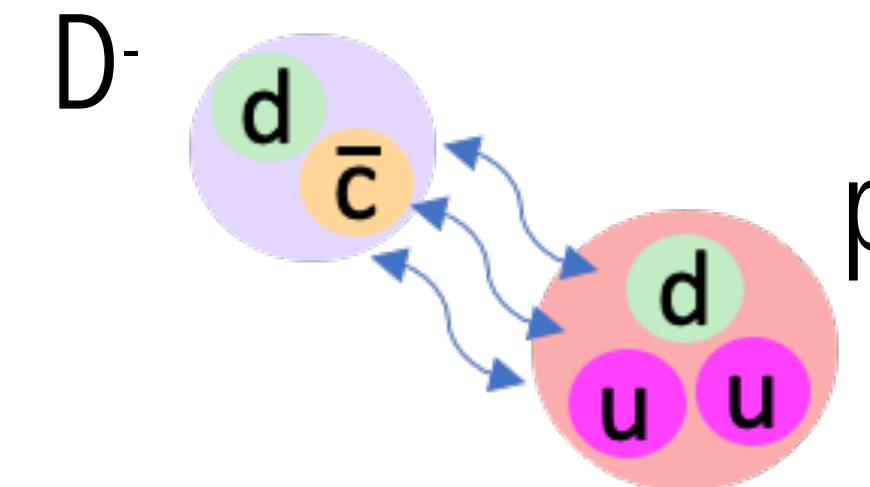
H. Gao, T.S.H. Lee & V. Marinov, Phys Rev C **63** (2001) 022201  
Y. Koike & A. Hayashigaki, Prog Theor Phys **98** (1997) 631  
F. Kling, N. Kaiser & W. Weise, Nucl.Phys. A **624** (1997) 527-563  
IS, L. Pentchev, & A.I. Titov, Phys Rev C **101** (2020)  
W.C. Chang *et al.*, Phys Lett B **658**, 209 (2008)  
S. Acharya *et al.*, Phys. Rev. Lett. **127** (2021) 172301  
Yan Lyu *et al.*, Phys. Rev. D **106** (2022) 074507  
arXiv:2212.12690 [nucl-ex]



<sup>1</sup> estimated by extrapolating results to physical masses

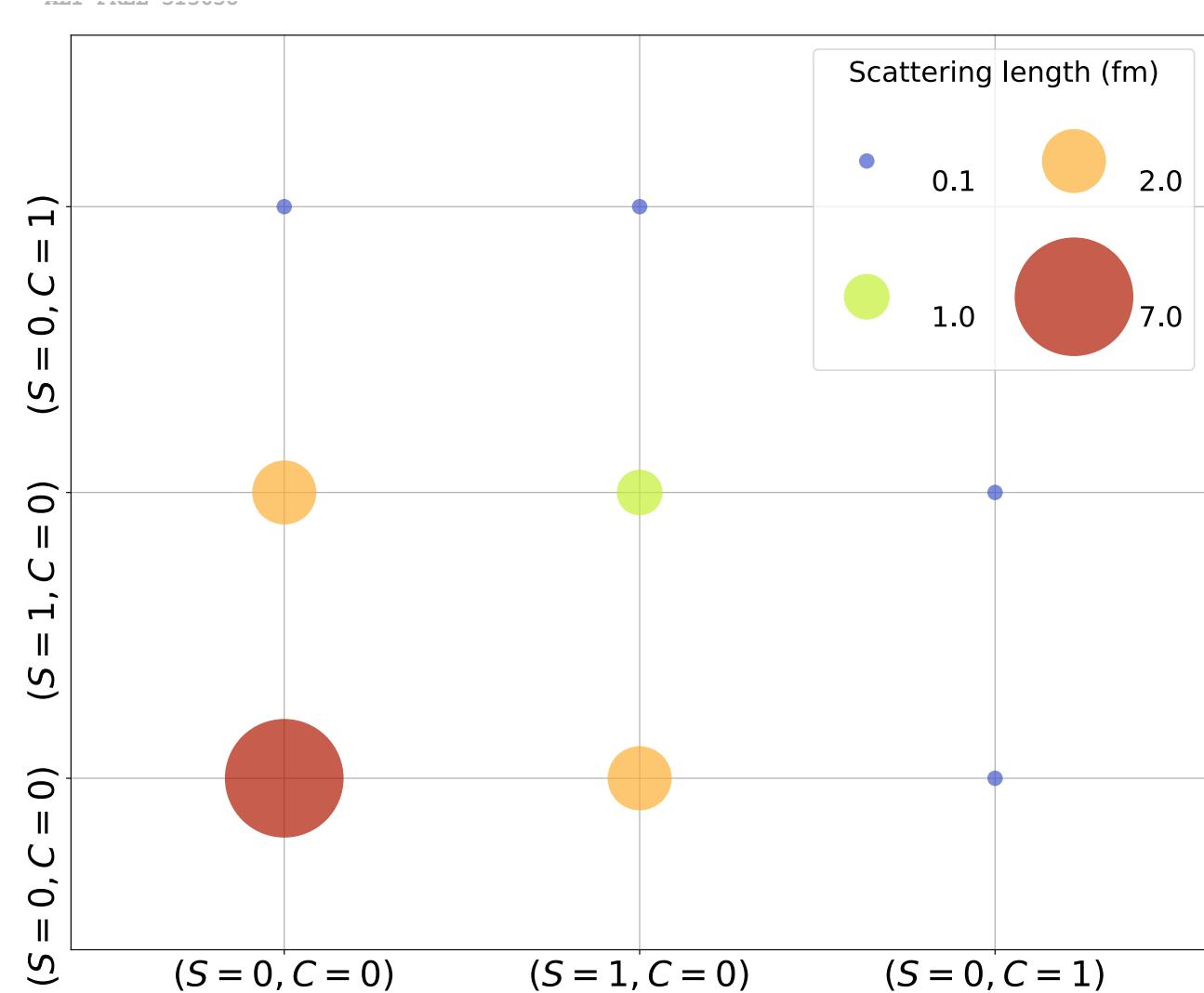
# Residual strong interaction among charmed hadrons

- The residual strong interaction among hadrons is rather well known for NN, less known for YN and barely known for Charmed hadrons-light hadrons combination

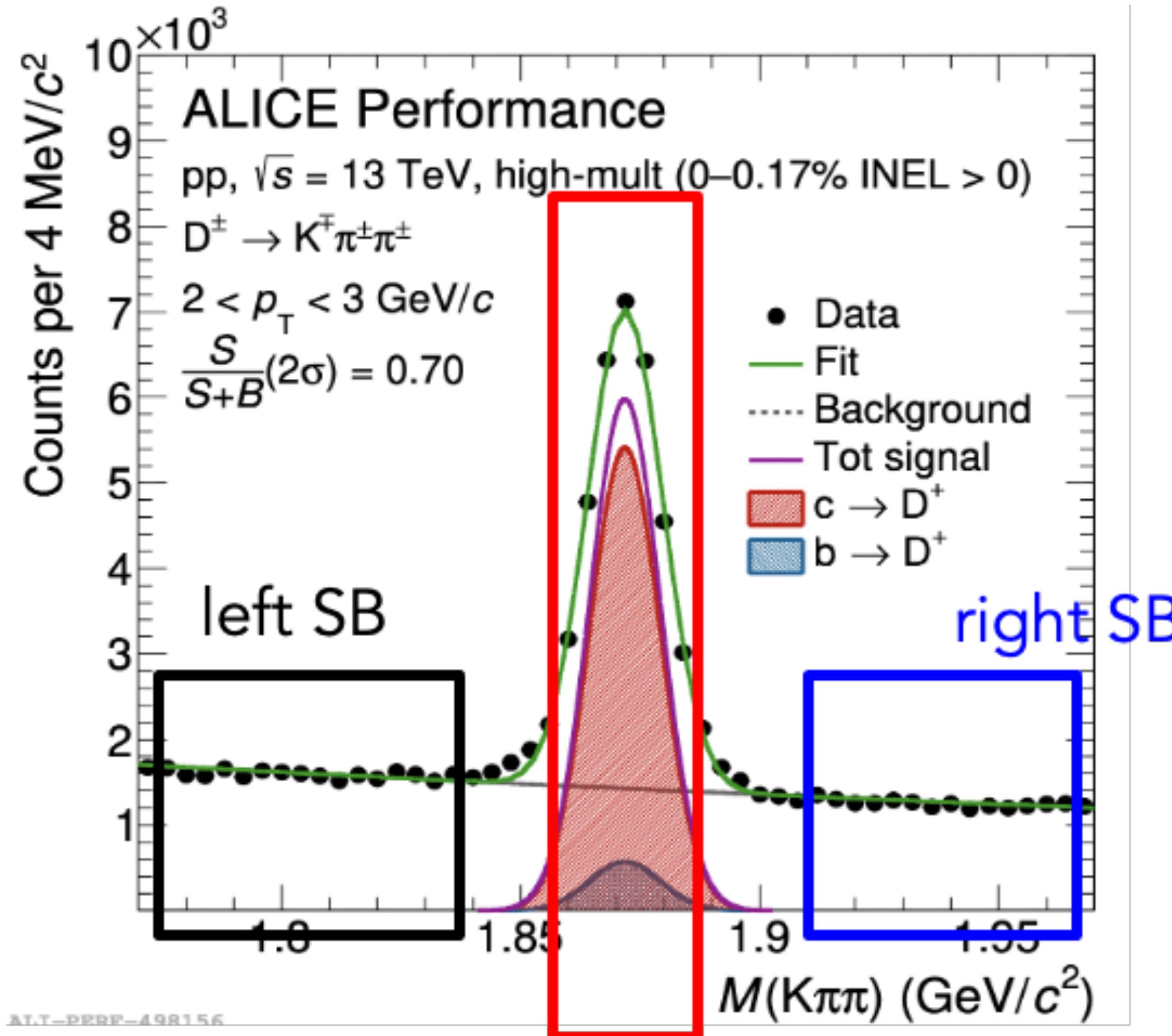


- Determine the hierarchy of the hadron-hadron coupling for all quark flavours

M. He et al, PLB 701 (2011) 445–450



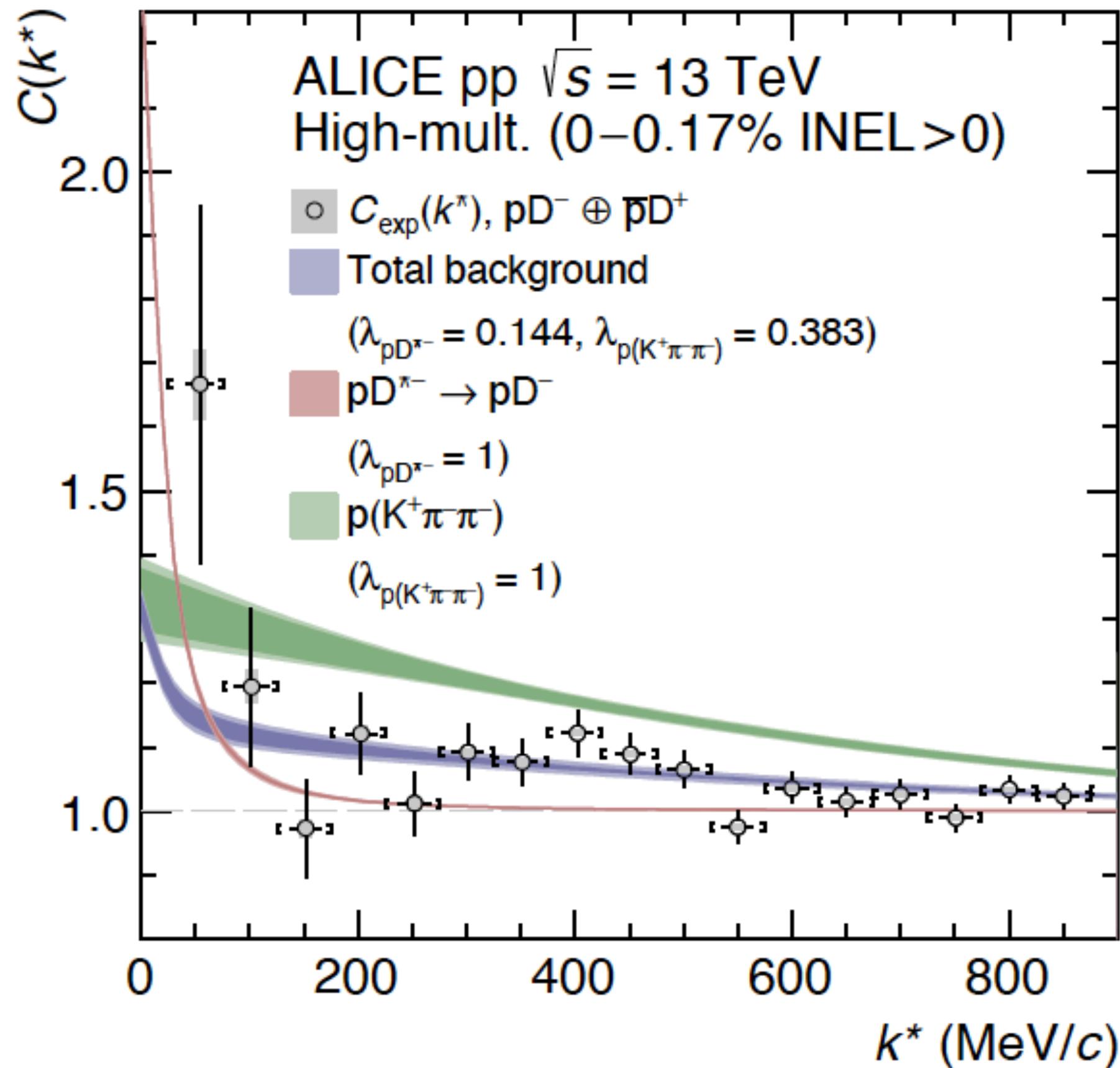
- Determine the scattering parameters among charmed hadrons as a tool to study molecular states with charm content



- Relevant sources of background
  1. Uncorrelated ( $K^+ \pi^- \pi^-$ ) background candidates
    - Parametrised from the measured  $C(k^*)$  computed with  $D^-$  candidates in the sidebands
  2.  $D^-$  from  $D^{*-}$  decays ( $\sim 30\%$  of  $D^-$ )
    - $p - D^{*-}$  strong interaction not known, only Coulomb considered
- All these contributions must be considered for the interpretation of the correlation function

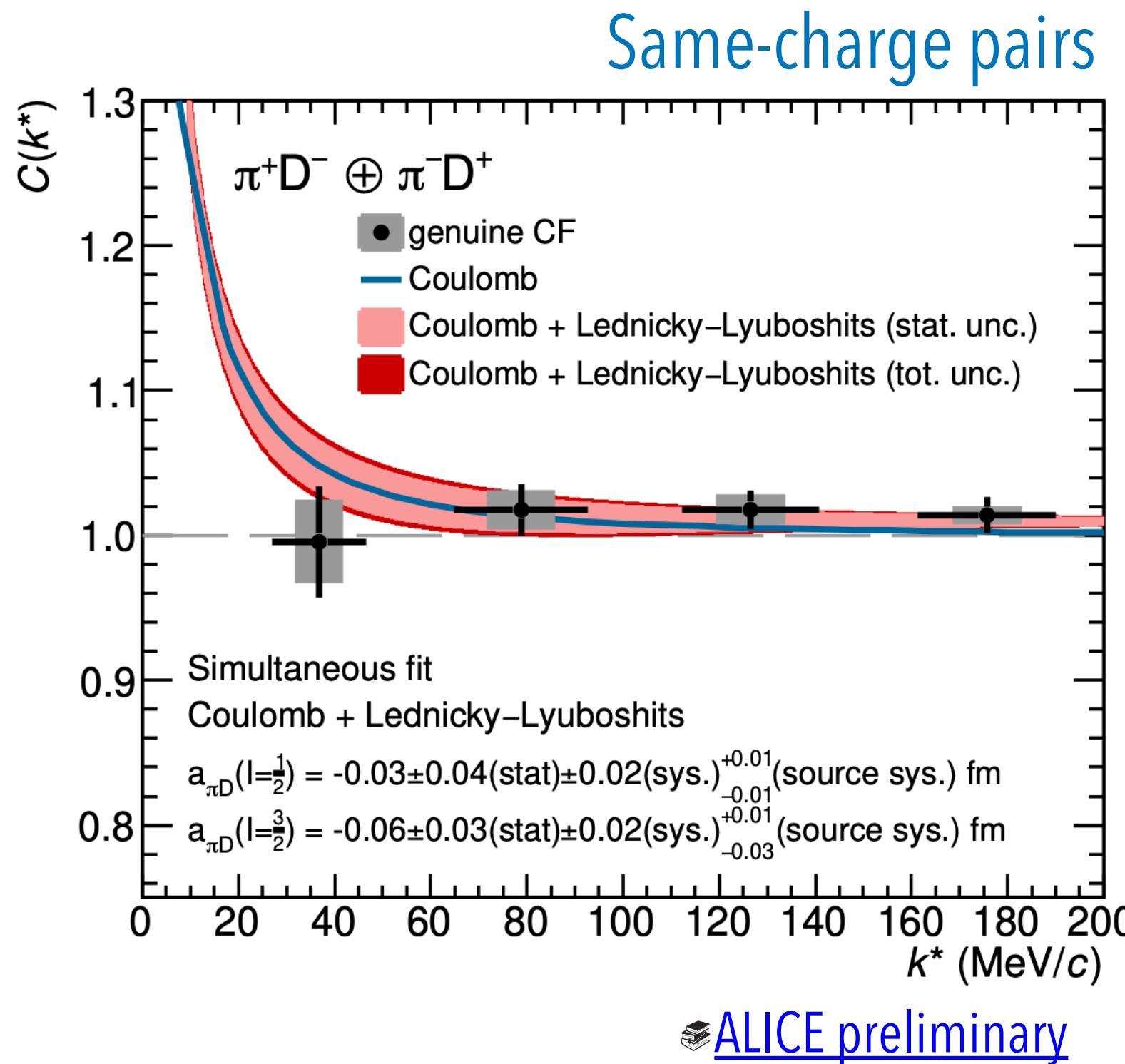
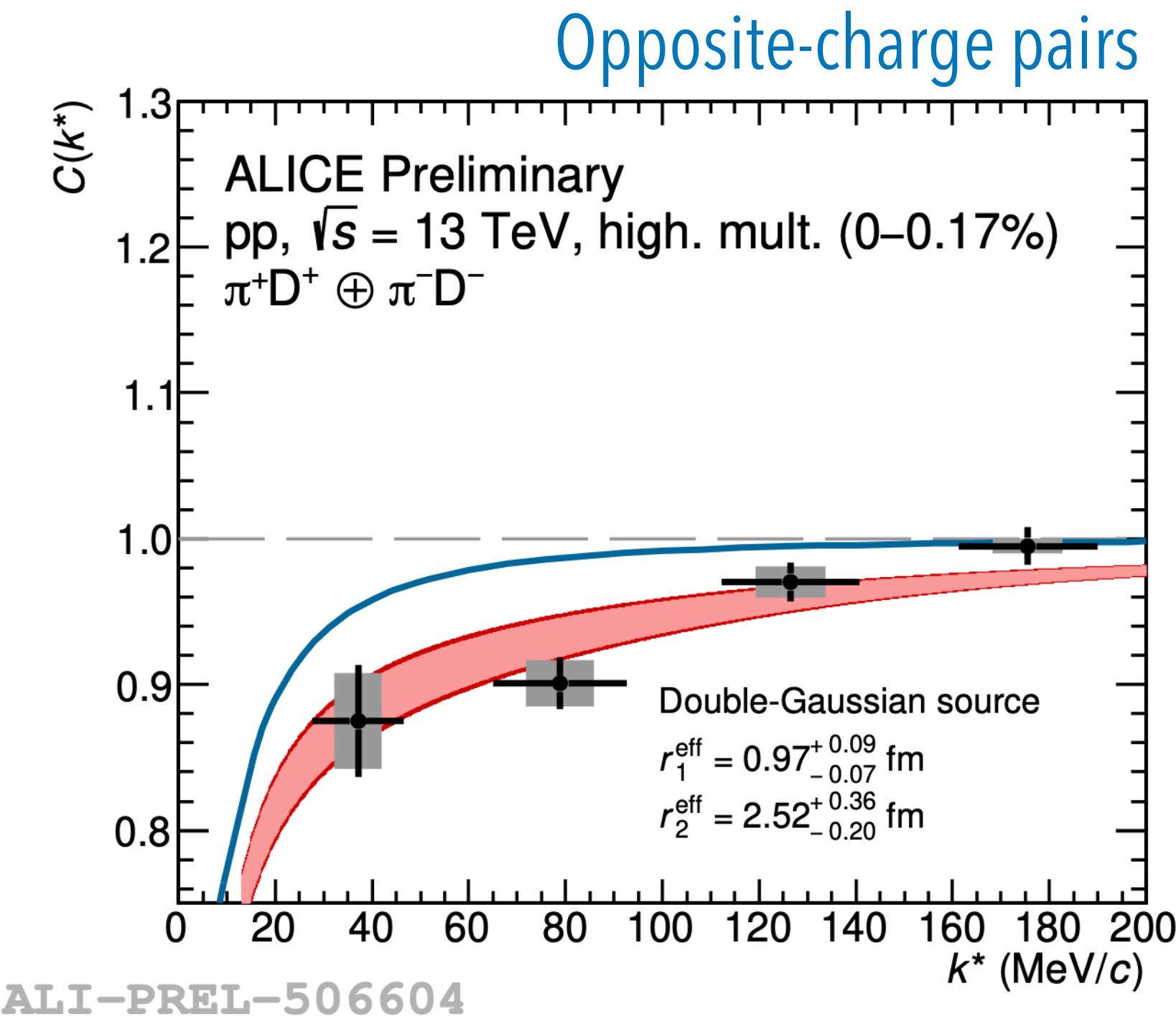
$$C_{\text{exp}}(k^*) = \lambda_{pD^-} \times C_{pD^-}(k^*) + \lambda_{p(K^+\pi^-\pi^-)} \times C_{p(K^+\pi^-\pi^-)}(k^*) + \lambda_{pD^{*-}} \times C_{pD^{*-}}(k^*) + \lambda_{\text{flat}} \times C_{\text{flat}}.$$

ALICE, arXiv: 2201.05352

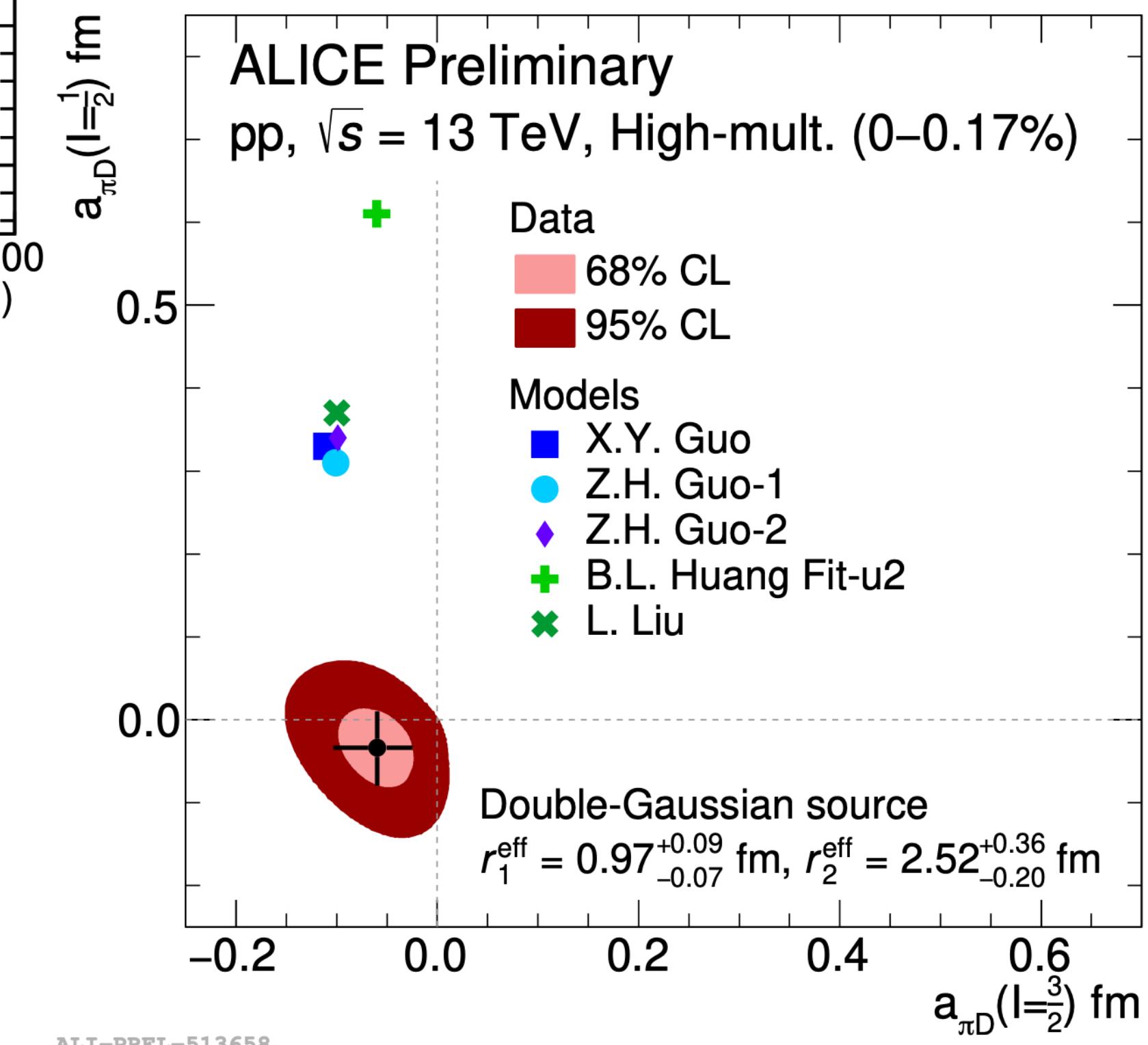


- The different  $\lambda$  parameters are extracted from the weight of the side-bands, the evaluated  $D^*$  contribution and the purity for the  $D$  and  $p$  reconstruction
- There is no mini-jets background for the  $\bar{D}N$  correlation

# $\pi D$ interaction: fit with Lednický-Lyuboshits formula



- $\pi^+D^+$   
l=3/2 channel only
- $\pi^+D^-$   
l=3/2 (33%), l=1/2 (66%)



- Scattering length for l=3/2 in agreement with models
- Scattering length for l=1/2 significantly smaller than models
- The values found indicate a **small rescattering of D mesons in the hadronic phase of heavy-ion collisions**

# Thank you for your attention

