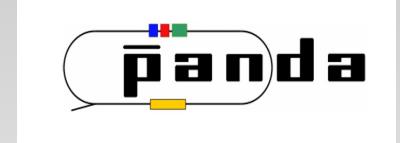
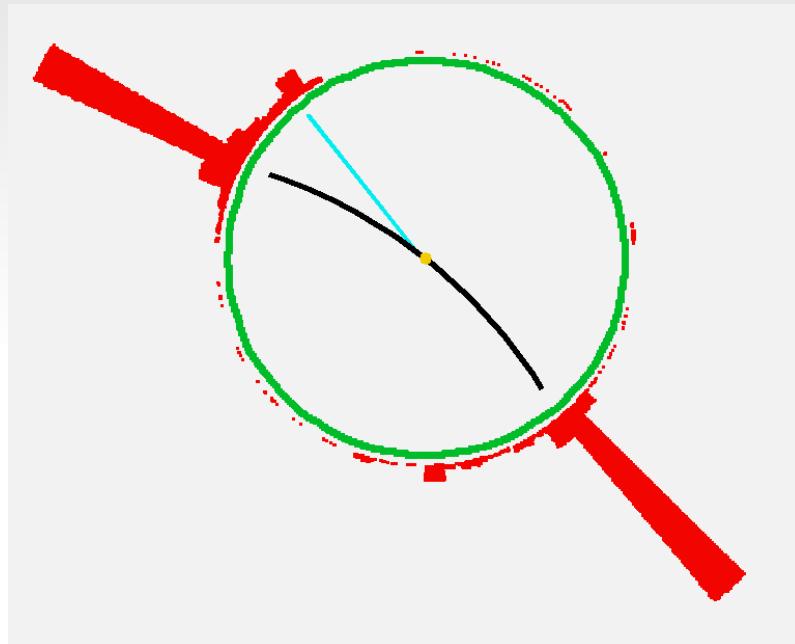


# Particle ID with the EMC



Ronald Kunne  
IPN Orsay, France  
CNRS/IN2P3 – Université Paris Sud



# Particle Identification

- Charged PID  
 $e, \mu, \pi, K, p$
- Neutral PID  
 $\pi^0/\gamma$  separation

# Charged particle ID

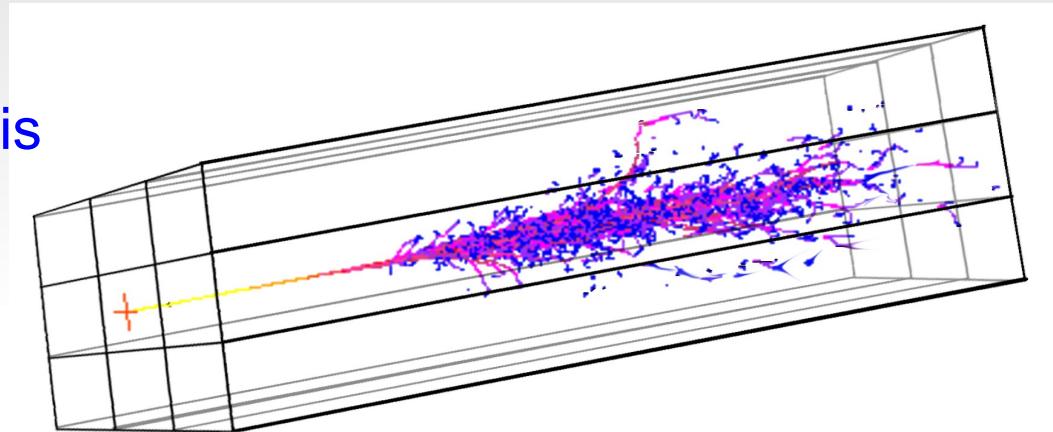
- Generate  $e^\pm, \mu^\pm, \pi^\pm, K^\pm, p^\pm$  tracks, 1 million each,  
with  $0.2 < p < 10$  GeV/c,  $0^\circ < \varphi < 360^\circ$ ,  $5^\circ < \Theta < 140^\circ$

- Run reconstruction macros  $\mu$  hypothesis

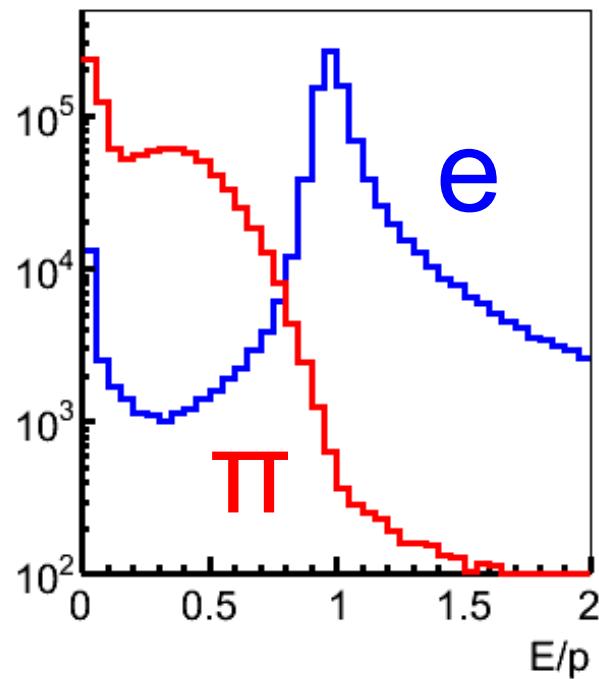
- Uses STT for tracking instead of TPC

- Direct calculation using the Bayesian classifier method

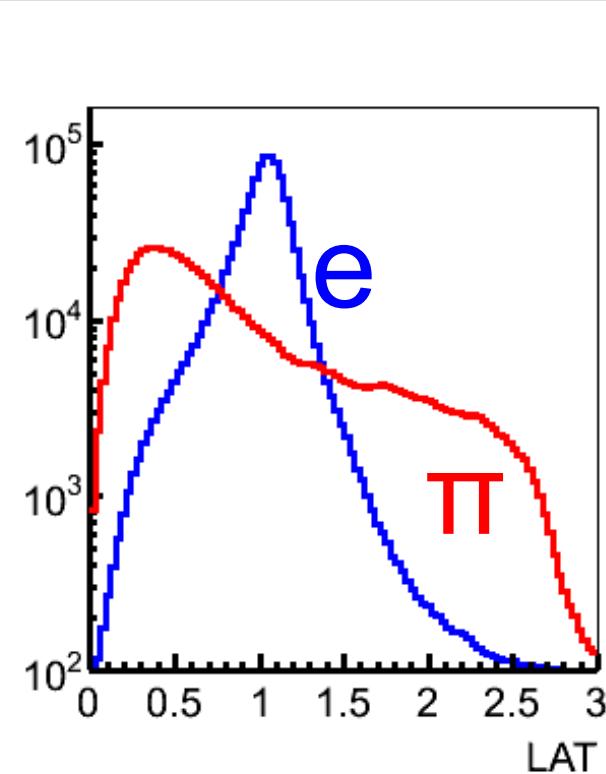
- Implemented since PandaRoot version 14326



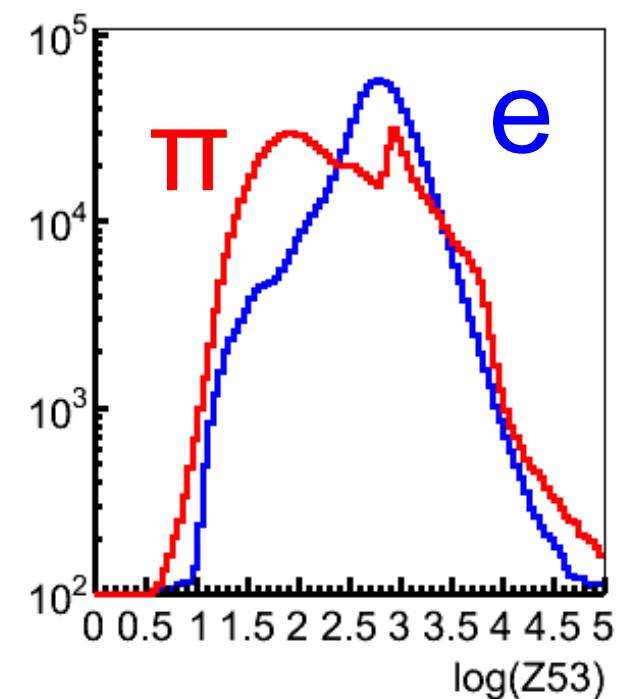
# Three variables



$E/p$

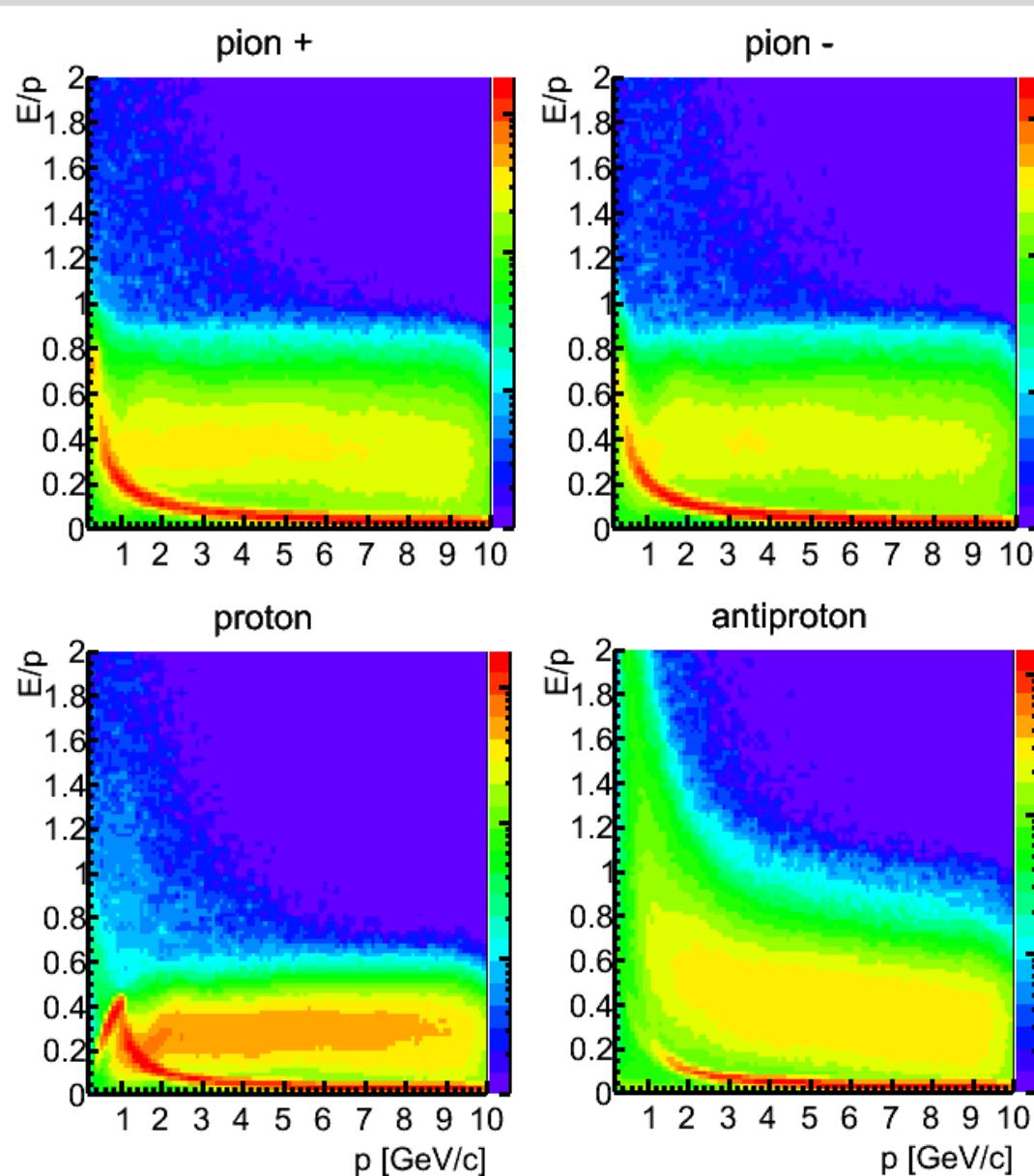


$\log(\text{Lat})$



$\log(Z53)$

# protons $\neq$ antiprotons



$E/p$

$\pi^+$  is like  $\pi^-$

But  $\bar{p}$  are different

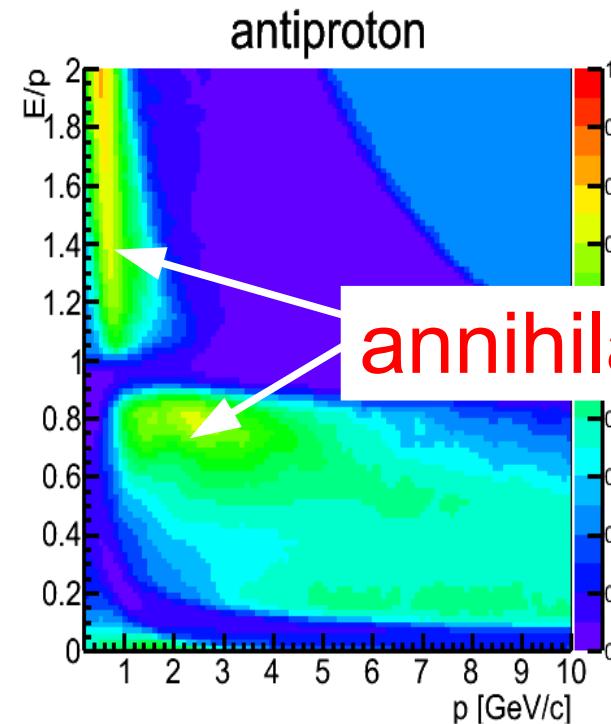
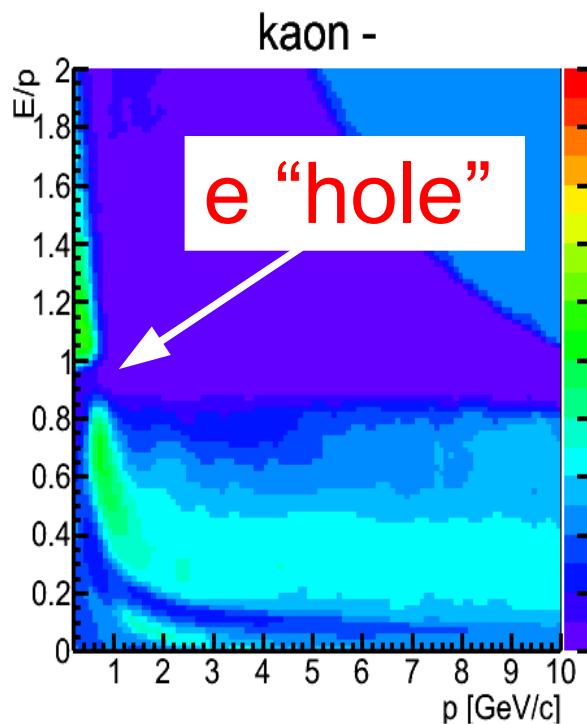
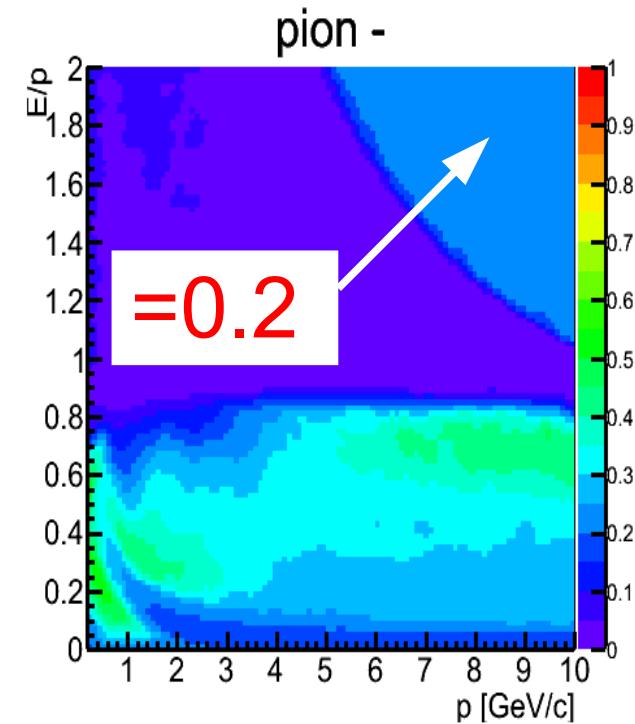
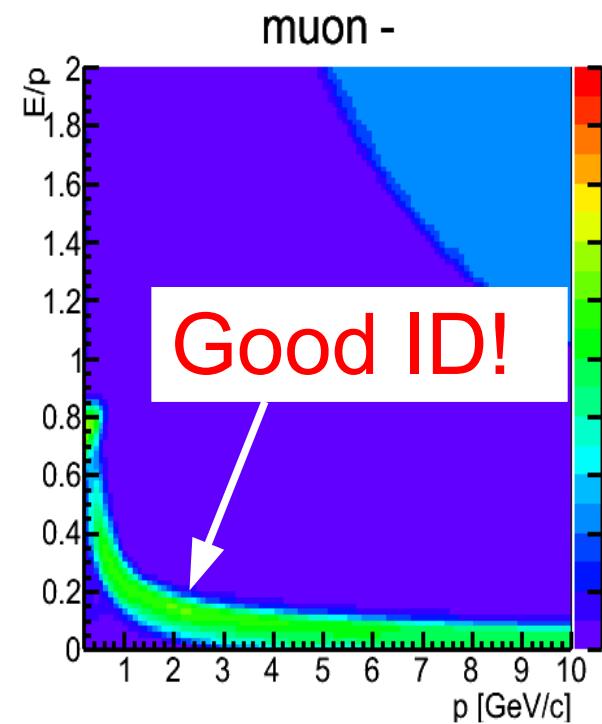
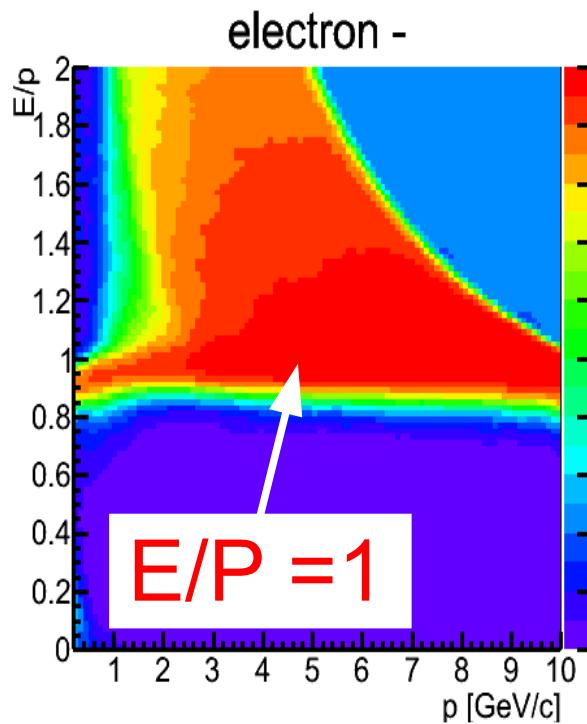
# Construction of a "Naive" Bayesian classifier

$$P(e | p, \text{variable}) = \frac{N(p, \text{variable} | e)}{N(p, \text{variable} | e) + N(p, \text{variable} | \pi) + \dots}$$

2D histos  
(MC)

“Convolution” of probabilities via likelihood factors:

$$\frac{P(e | \text{EMC})}{1-P(e | \text{EMC})} = \frac{P(e | \text{var}_1)}{1-P(e | \text{var}_1)} * \frac{P(e | \text{var}_2)}{1-P(e | \text{var}_2)} * \dots$$



Probabilities

E/P    Lat    Z53

# Overall efficiencies

Similar for  
+ and -

Reco& PID

MC Input

	e	$\mu$	$\pi$	K	p
e	95	0	2	2	2
$\mu$	0	97	36	41	24
$\pi$	2	1	23	15	11
K	1	1	3	5	3
p	2	1	36	37	60

e and  $\mu$  OK

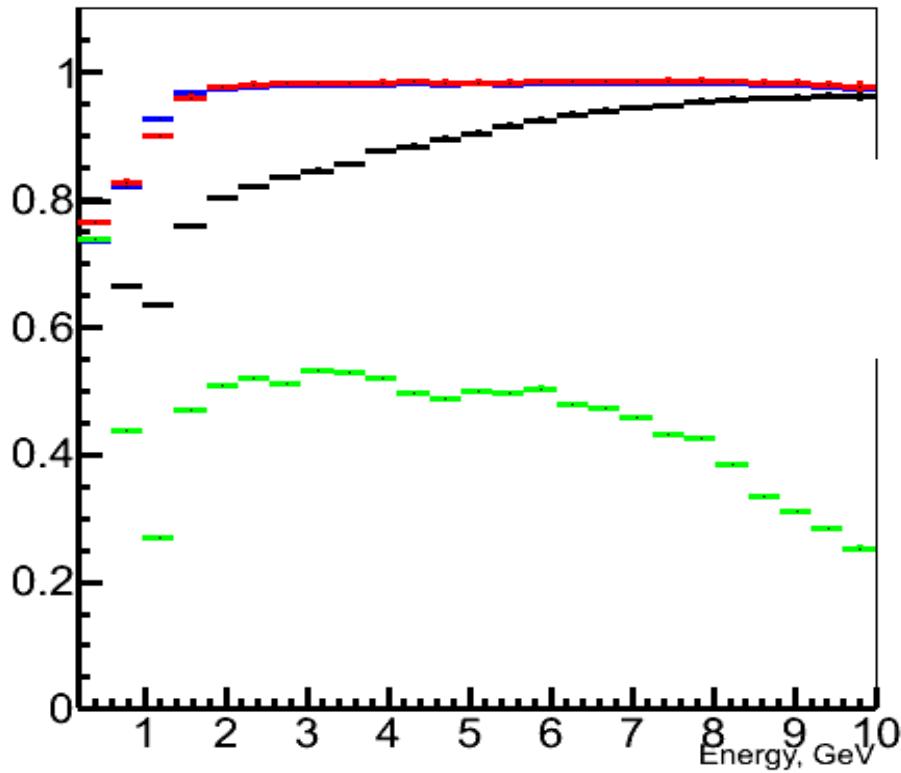
$\mu$  impure

Confusing  
the hadrons

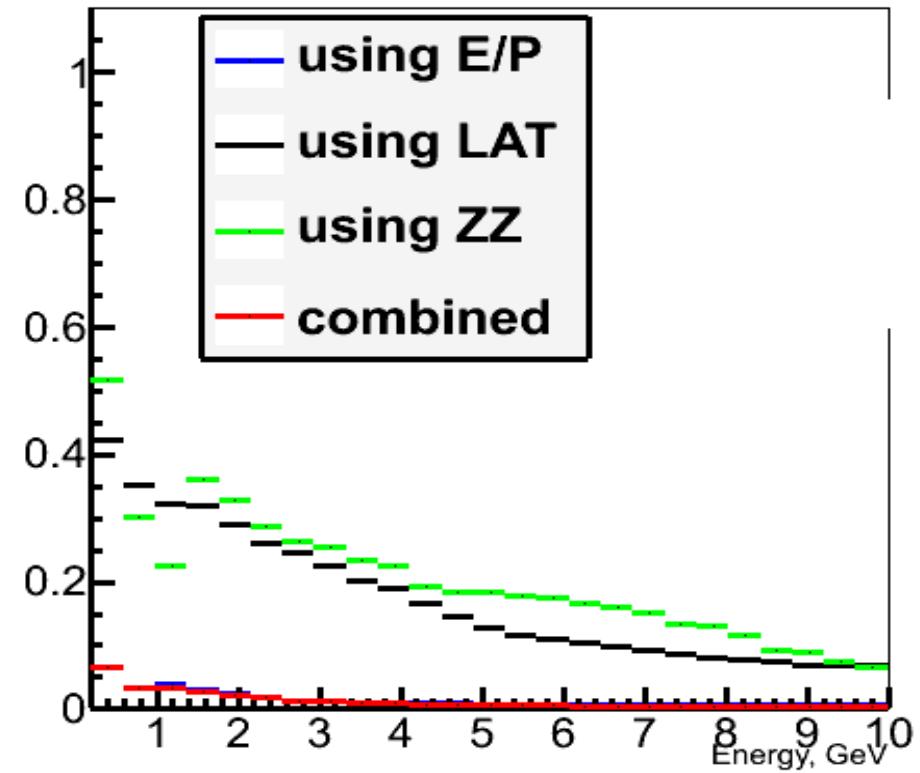
Annihilation

# Efficiency et impurity

electron efficiency-EP



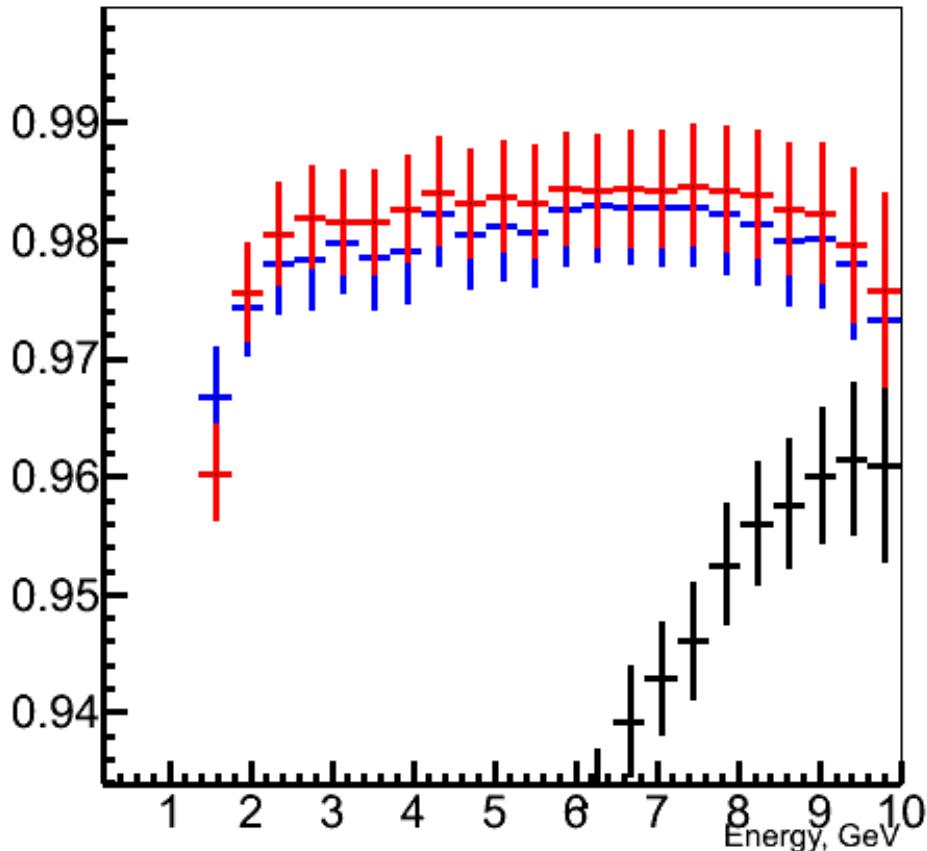
electron impurity-EP



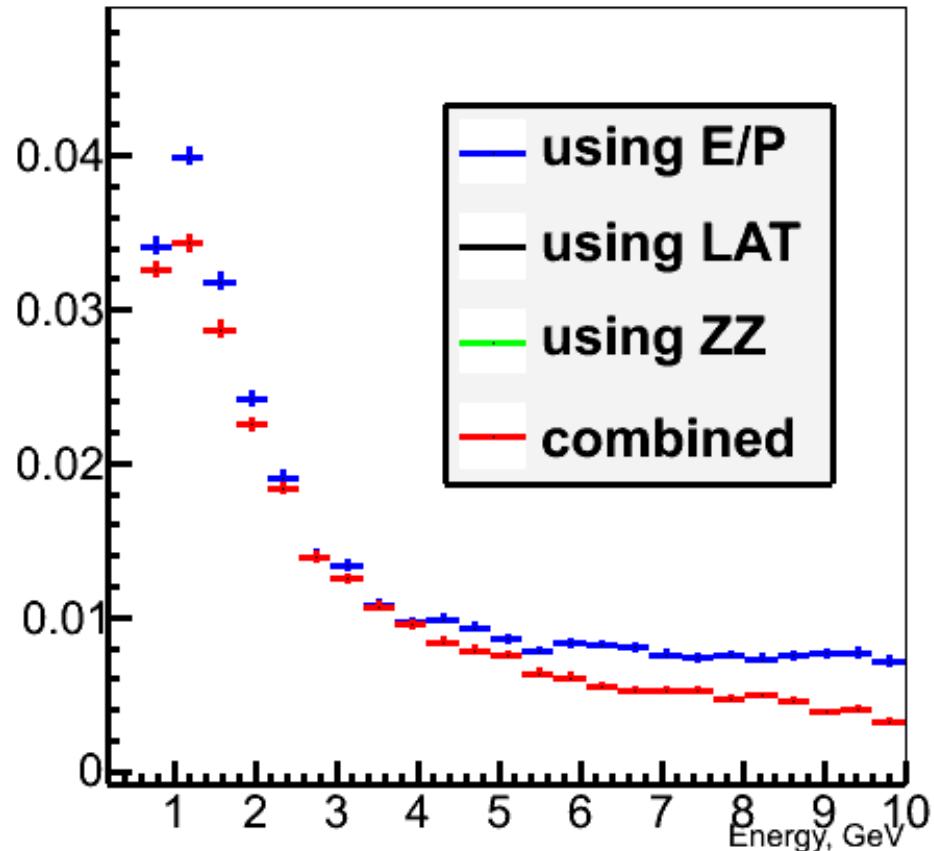
- E/P does most of the job
- $\sim$  independent of charge
- Low E problematic

# Efficiency et impurity

electron efficiency-EP

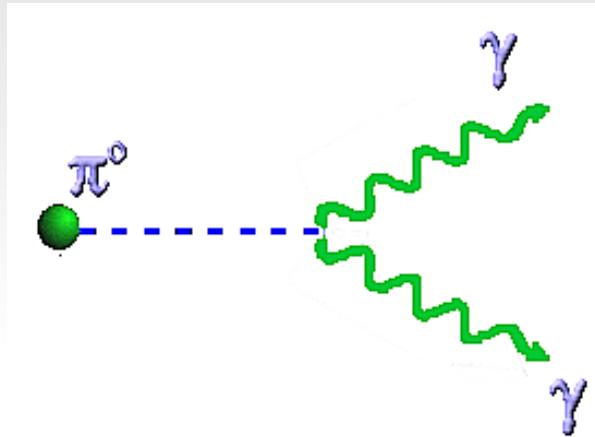


electron impurity-EP



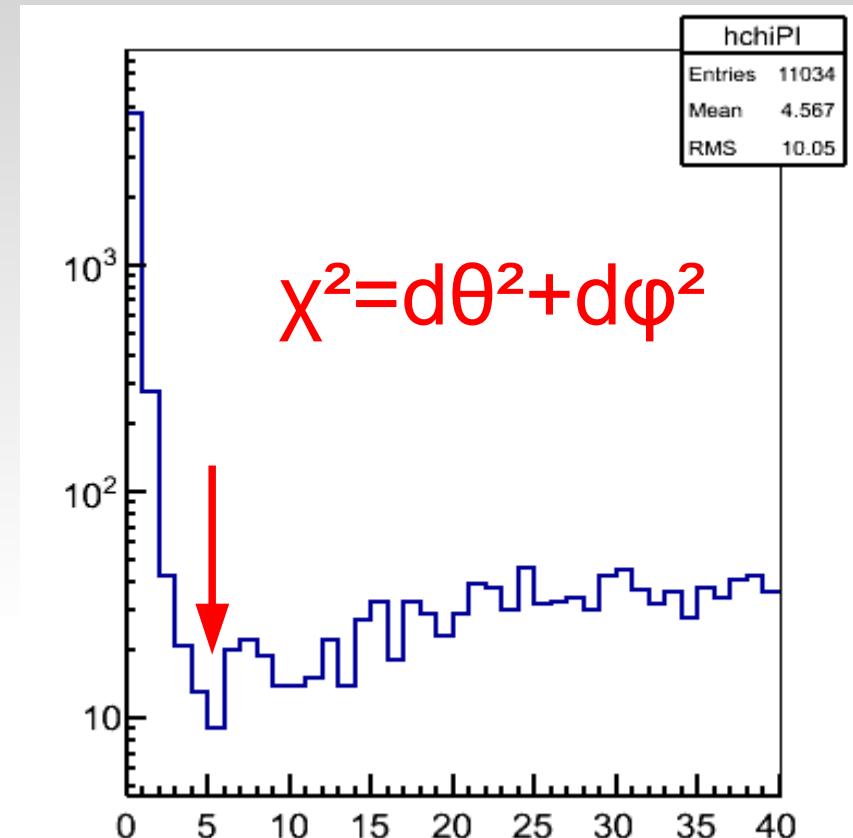
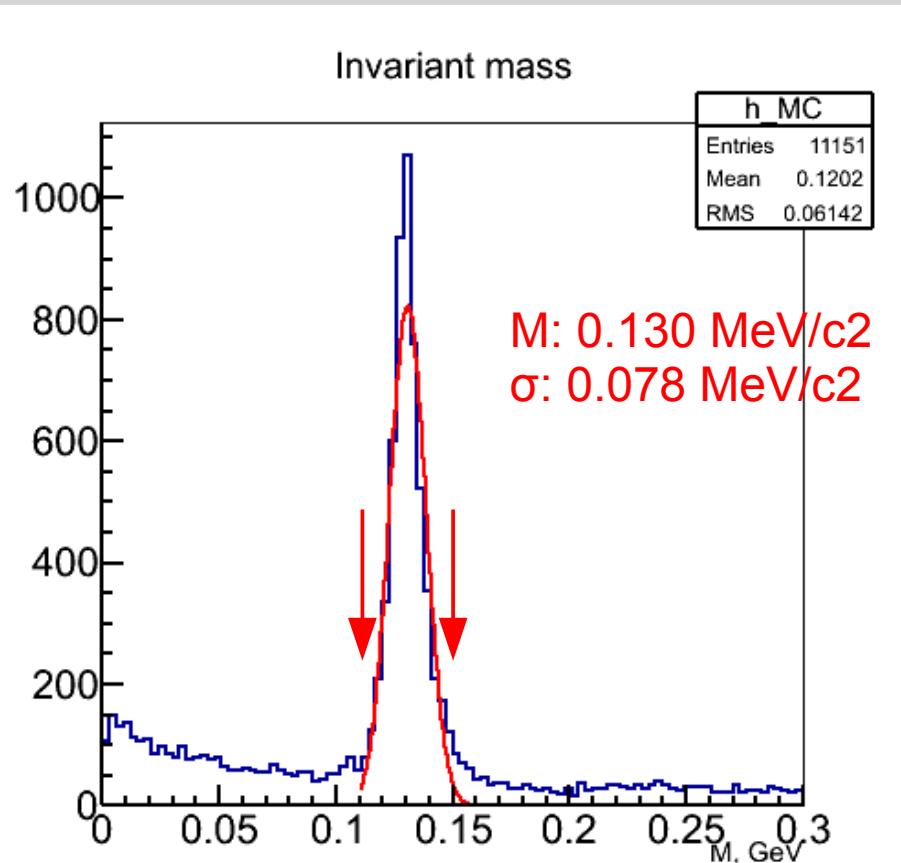
- 98% efficiency above 2 GeV
- border effects at high E
- <1% impurity per track

# Neutral particle ID



- Problem:
  - $\pi^0$ 's with small opening angles do not resolve
  - can not be distinguished from single  $\gamma$ 's

# Reconstruction from two $\gamma$



- Cut on invariant mass

$$0.11 < M_{\pi^0} < 0.15 \text{ GeV}$$

- Good reconstruction if

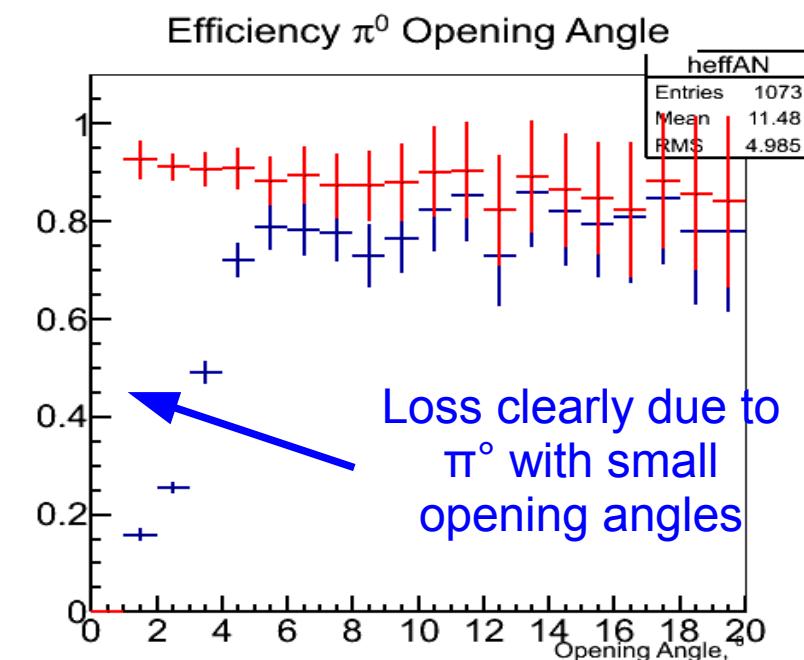
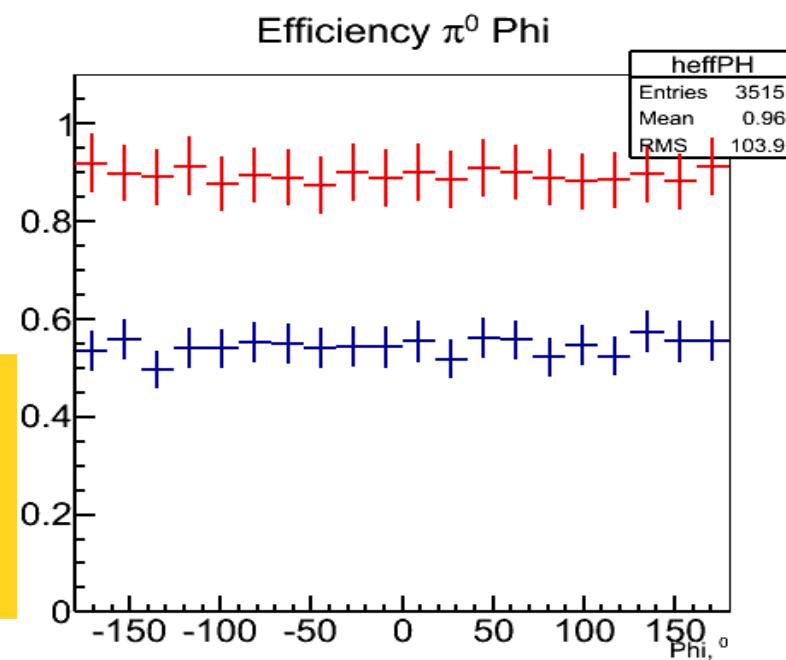
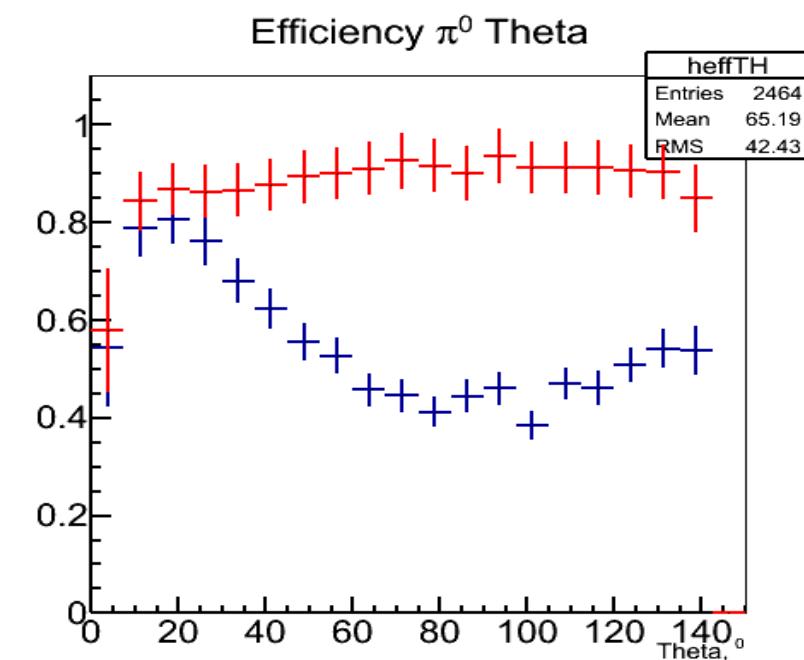
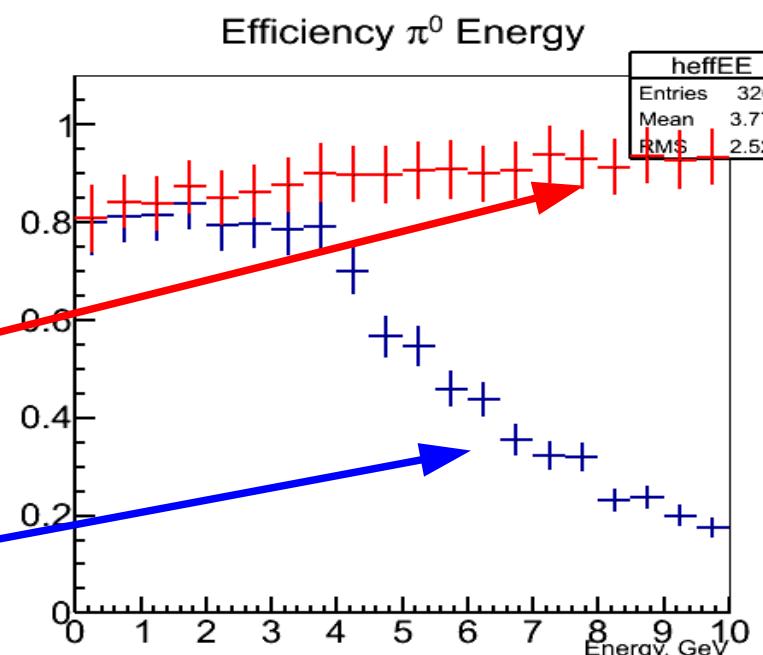
$$\chi^2 = d\theta^2 + d\varphi^2 < 5 \text{ deg}^2$$

## Reconstruction efficiency

Theoretical efficiency

Efficiency from  $\pi^0$  reconstruction

Can we recuperate these  $\pi^0$ , without admitting too much gammas?



# Recuperate unsplit clusters using moments

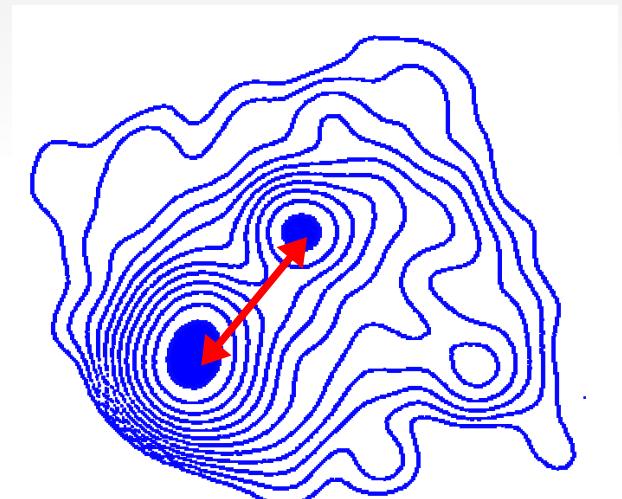
- Two extra "moments" are defined :

- Shower mass :  $(\sum E_i)^2 - (\sum p_i)^2$

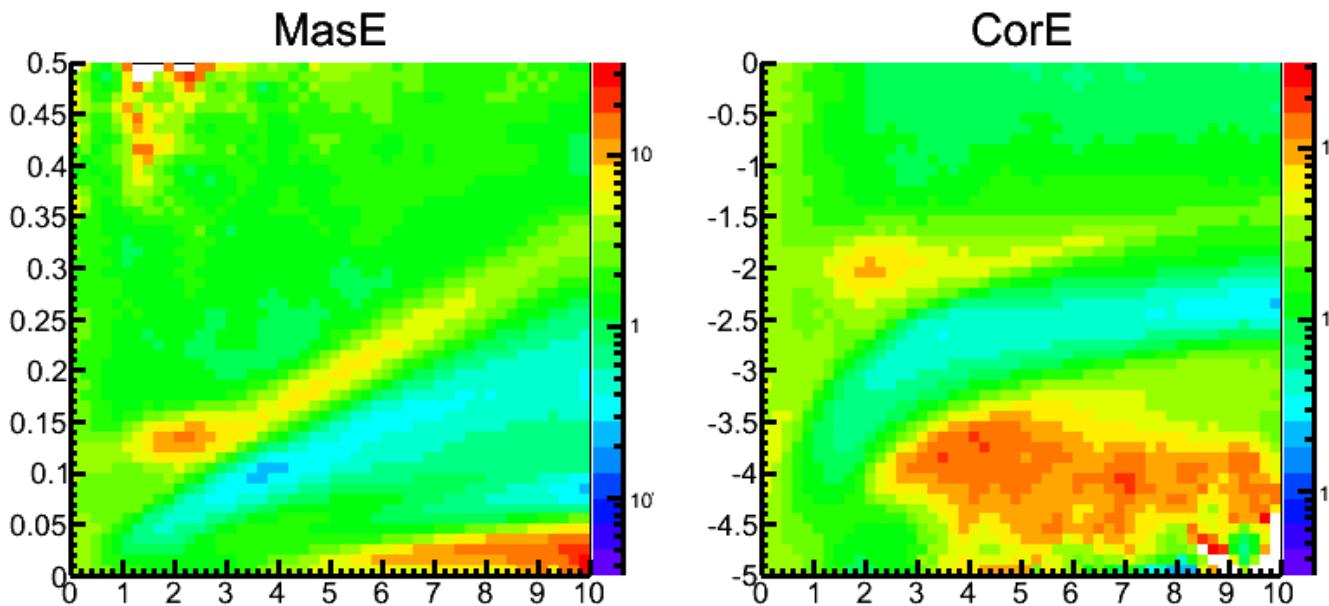
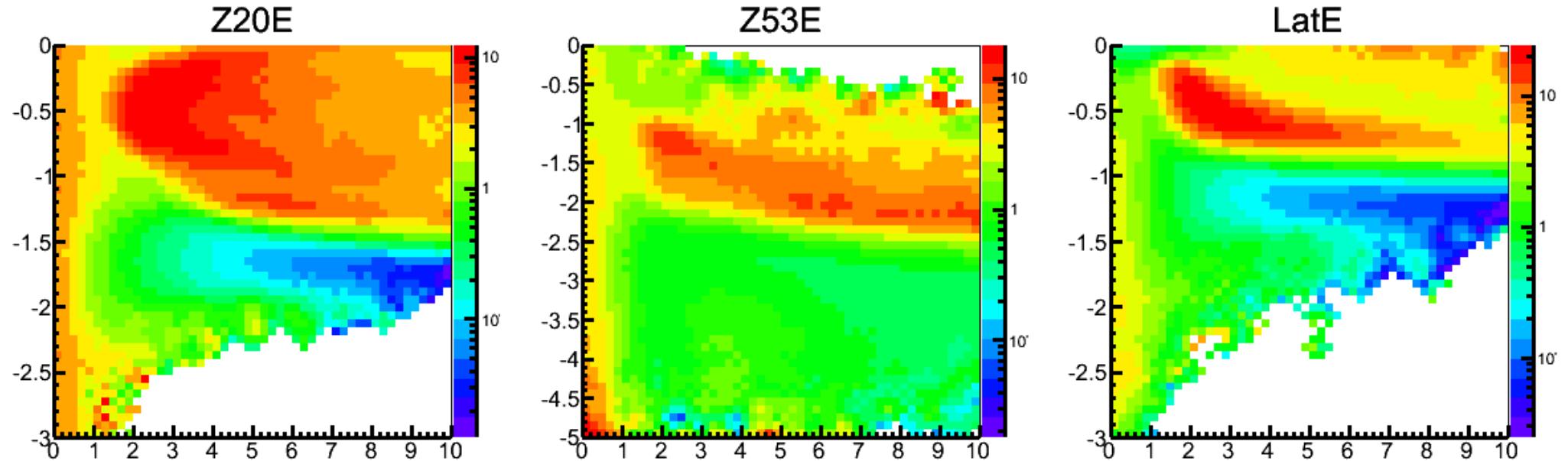
- Correlated maximum separation :

$$\max [ E_i E_j (d\theta_{ij}^2 + d\phi_{ij}^2) ]$$

(where the indices run over the cluster hits)



# Likelihood factors



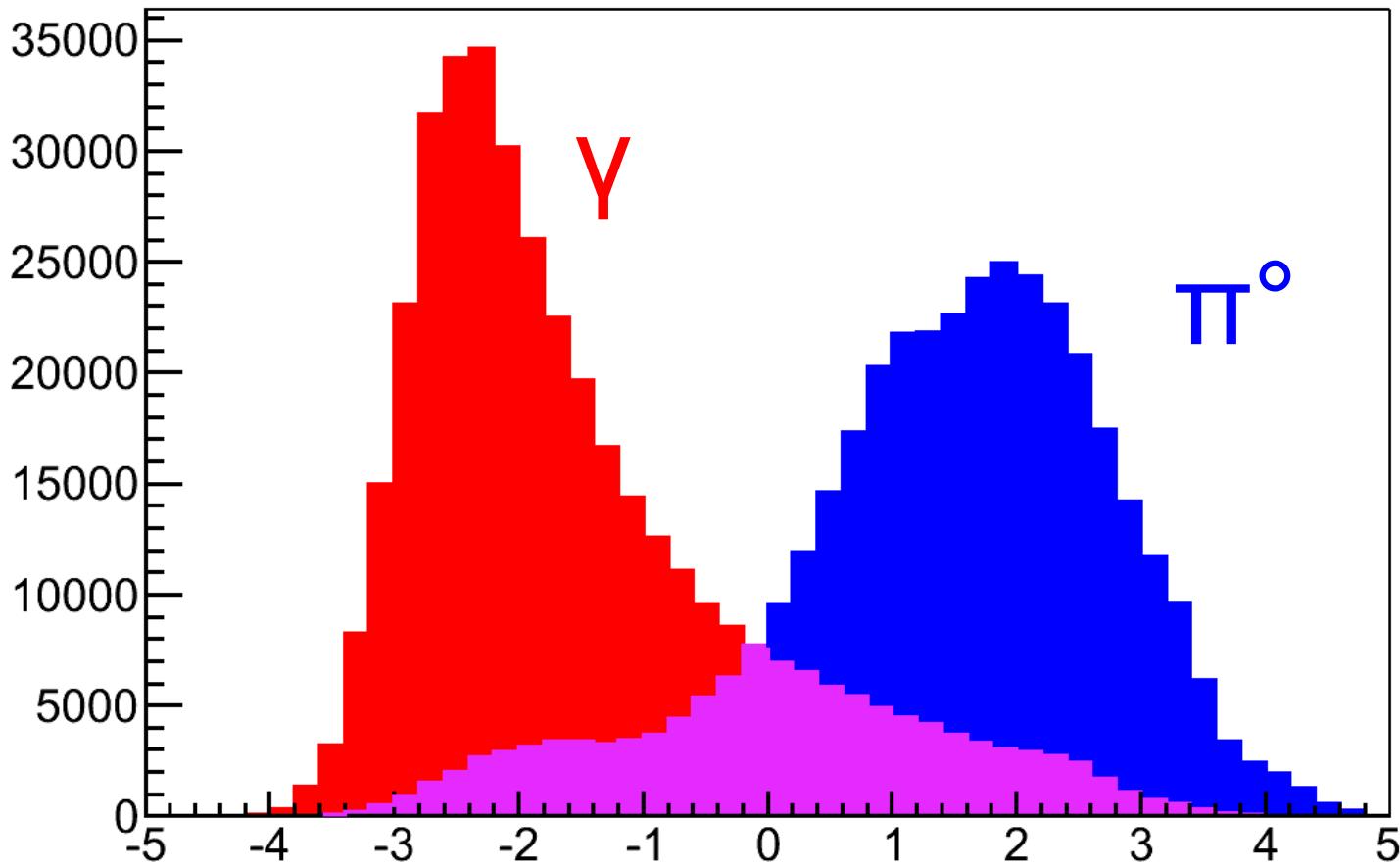
$$N(E, z | \pi^\circ) / N(E, z | \gamma)$$

Blue : more  $\gamma$  than  $\pi^\circ$

Red : more  $\pi^\circ$  than  $\gamma$

Green : about equal

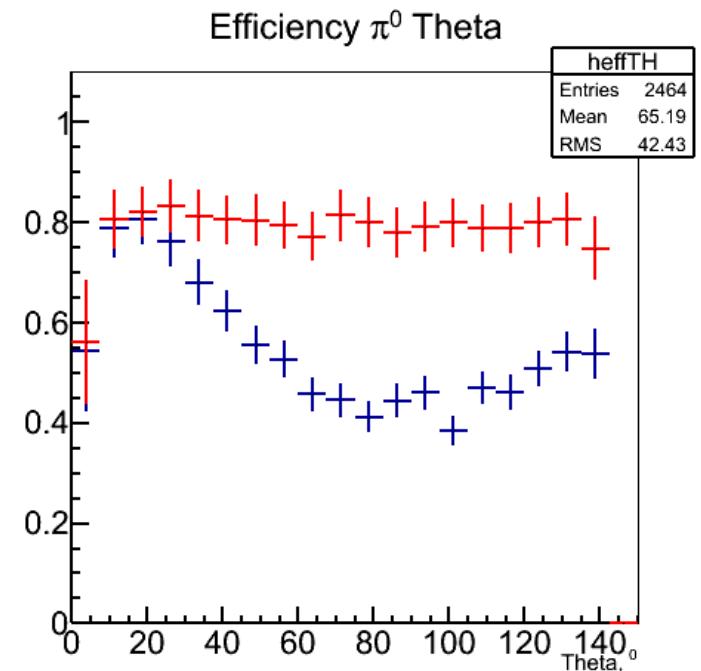
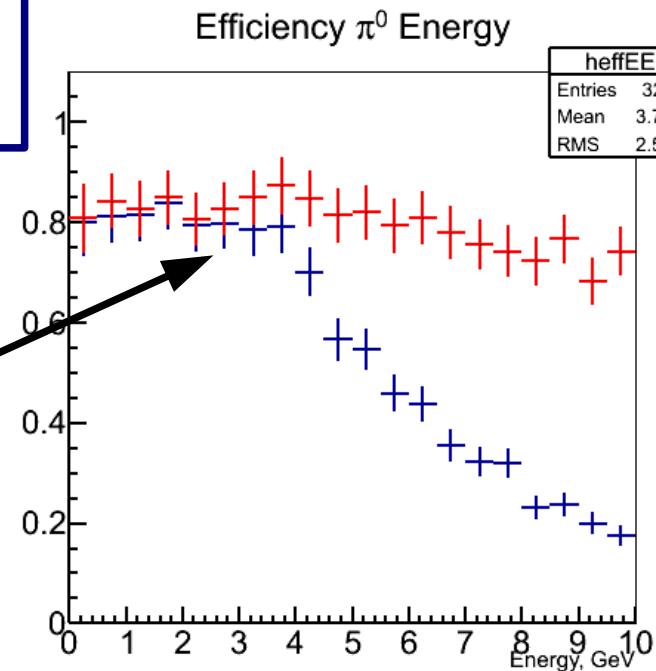
Bayesian classifier =  
 $\sum \log(\text{likelihood factor})$



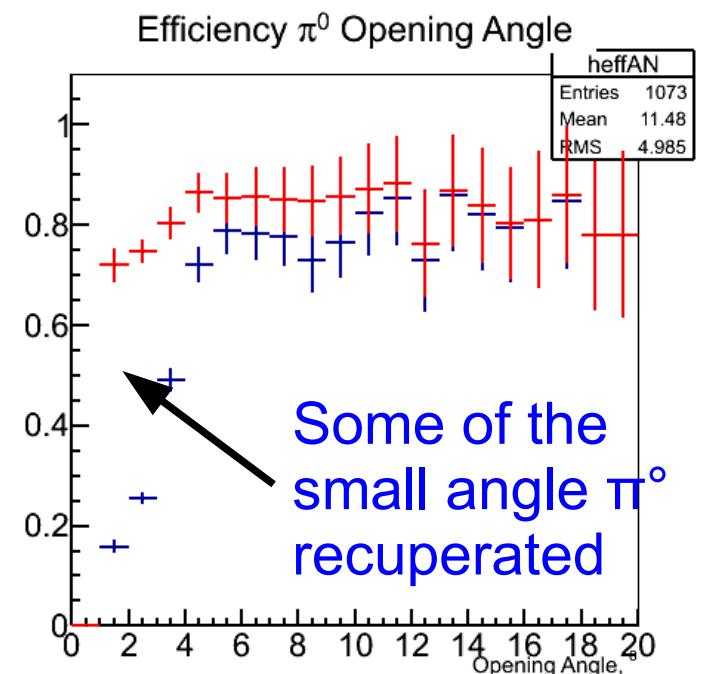
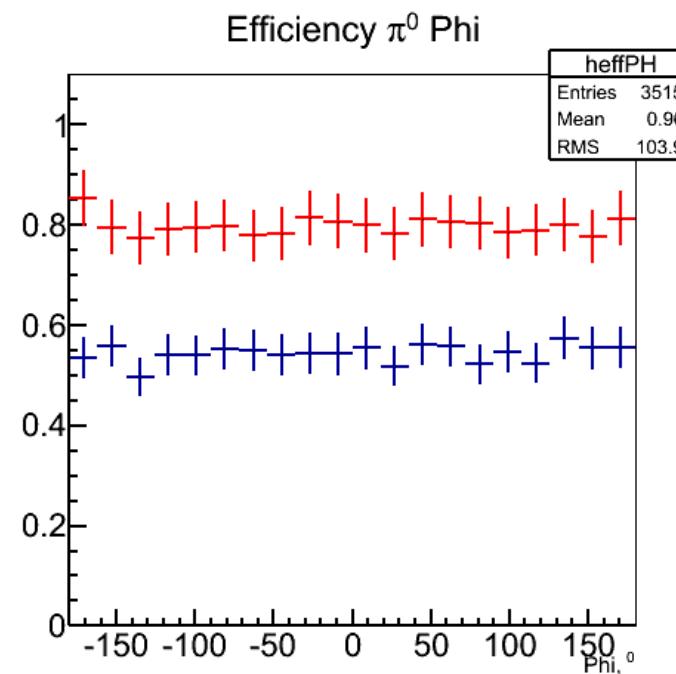
# events  
as function of  
Bayesian  
classifier

## Efficiency $\pi^0$ : five moments

Not needed  
below 4GeV/c

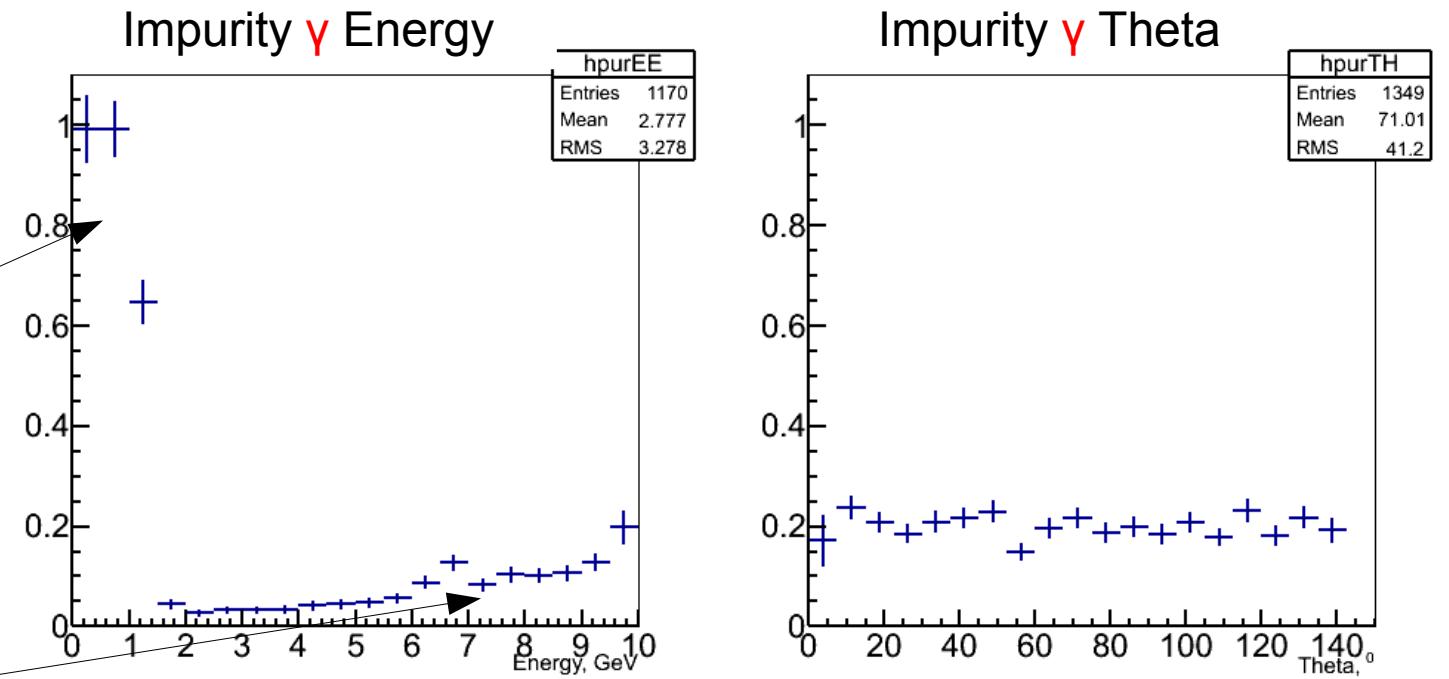


80% total  
efficiency

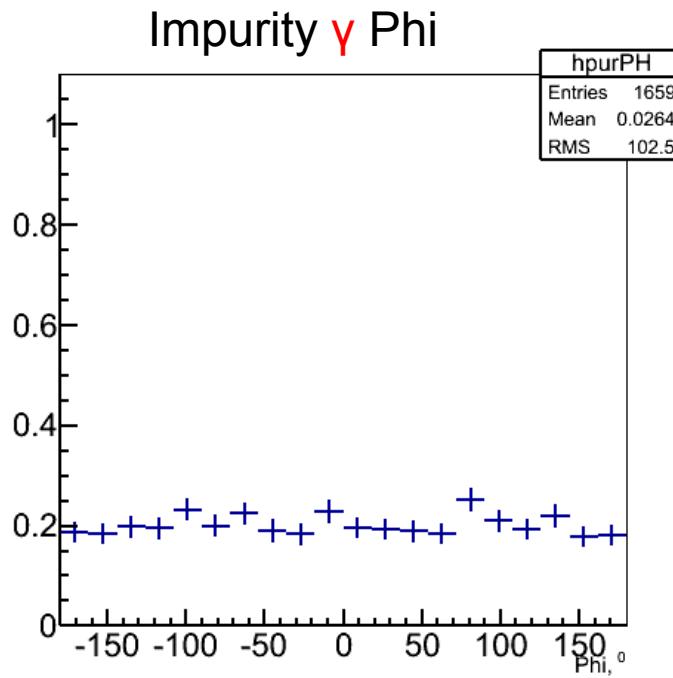


## Impurity from gammas

Harmful  
below 2GeV/c



5-20% above  
2 GeV/c



Impurity is the  
fraction of  $\gamma$   
accepted as  $\pi^0$

# Conclusions

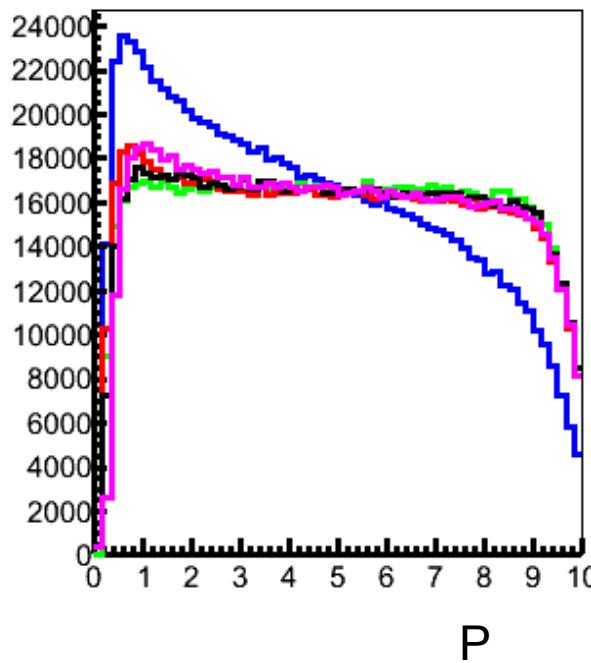
- Charged particle ID:
  - Bayesian classifiers combine E/P, LatMom, Z53
  - 98% efficiency for  $e$  and  $\mu$ , above 2 GeV/c
  - 1% impurity for  $\Pi$ , above 3 GeV/c
- $\Pi^\circ$  reconstruction using bumps :
  - loss due to unresolved clusters, can be recuperated with cluster moments
  - price to pay : 5-20% of the single  $\gamma$  pass the test
- - can be implemented as a PndPid class which outputs the  $\gamma / \Pi^\circ$  probability plus momentum

# Thank you for your attention !

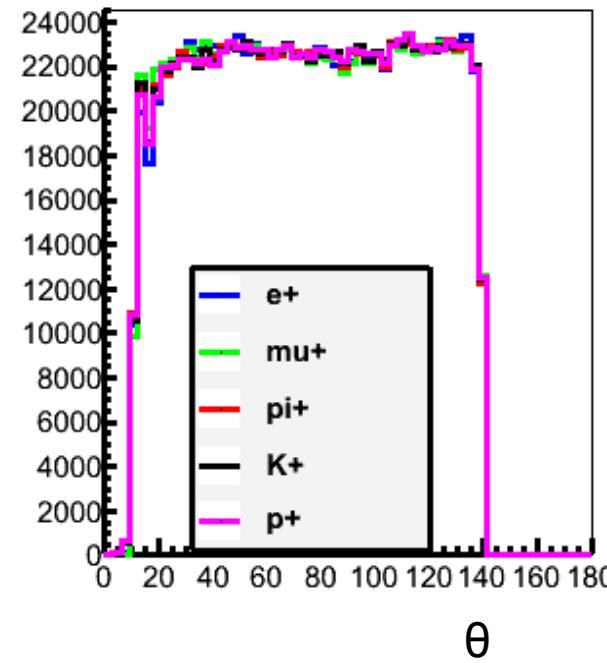


# **Back up slides**

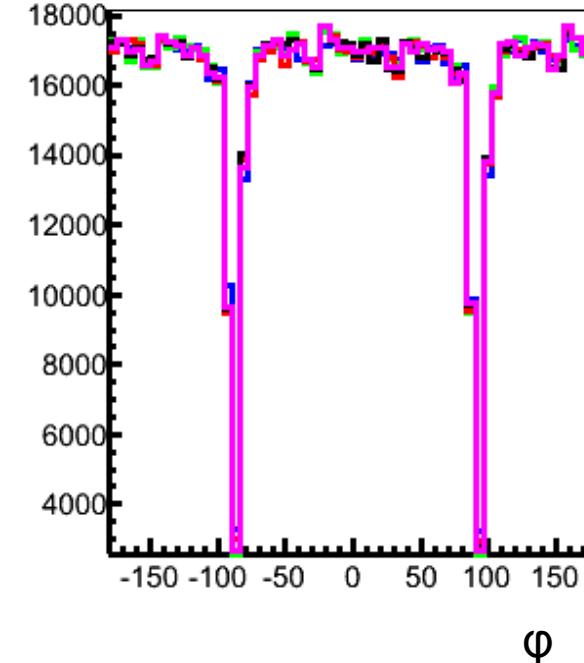
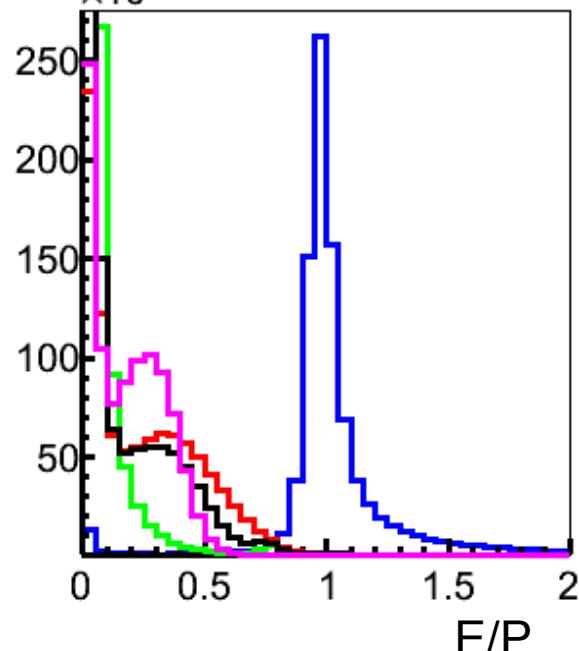
pp\_reco



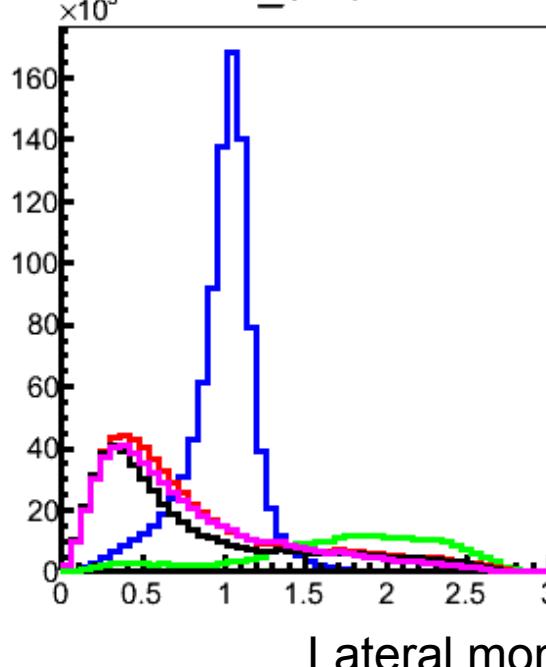
th\_reco



ph\_reco

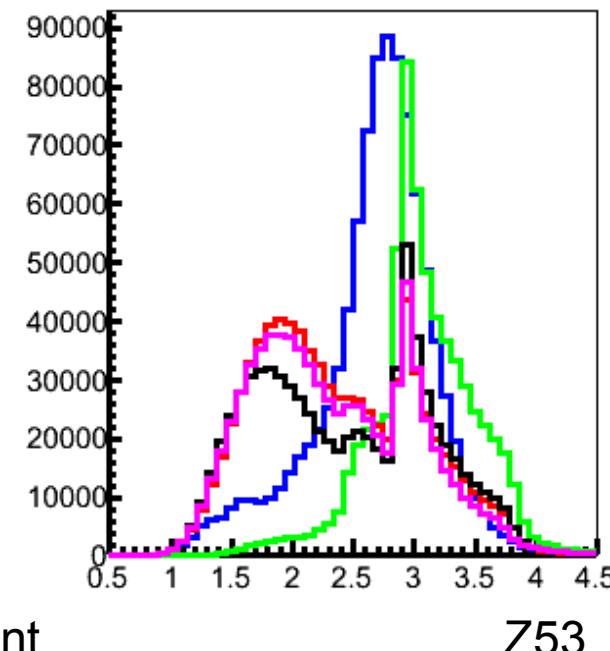
 $P$  $\theta$  $\phi$  $\times 10 E_{emc}/pp\_reco$  $E/P$ 

LAT\_emc

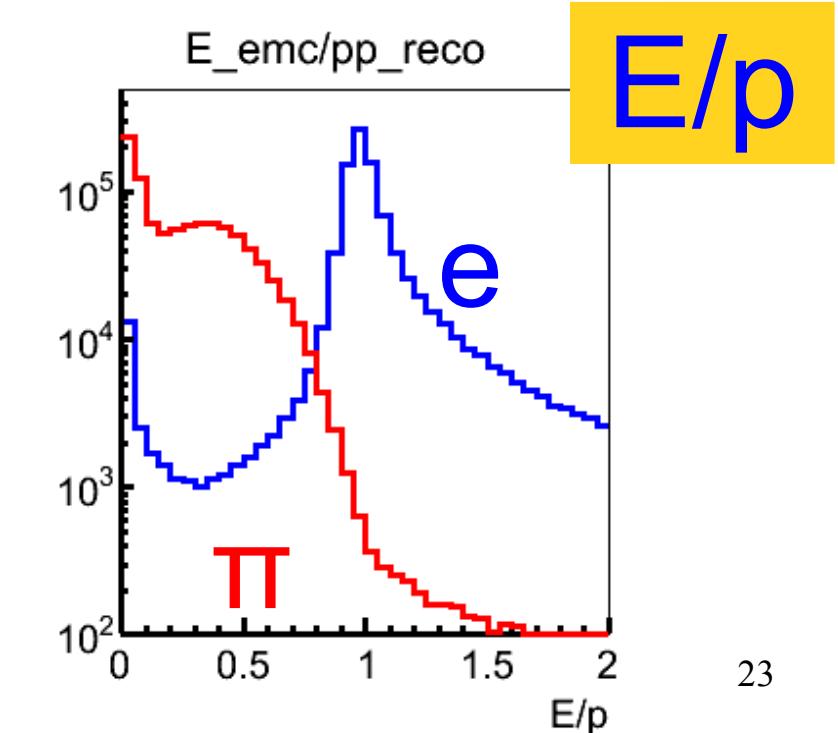
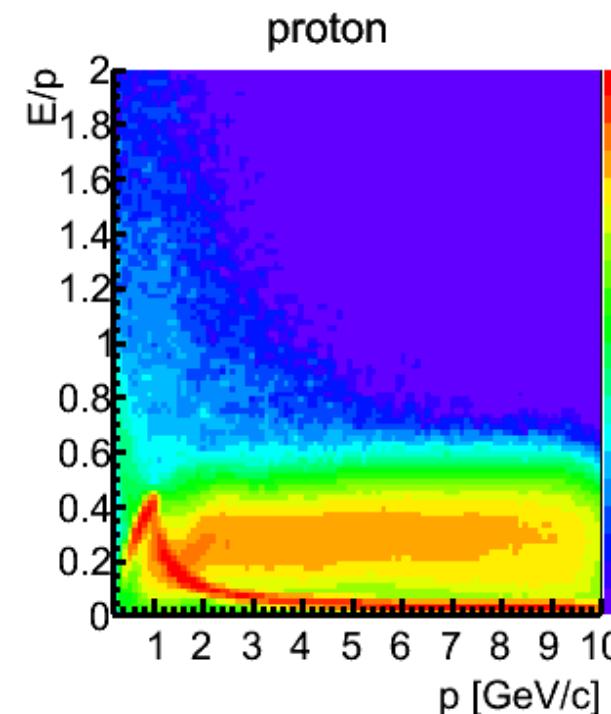
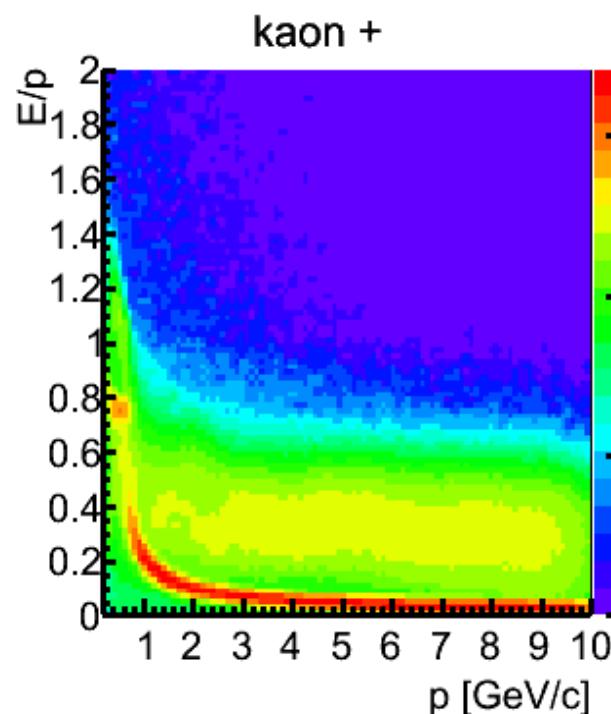
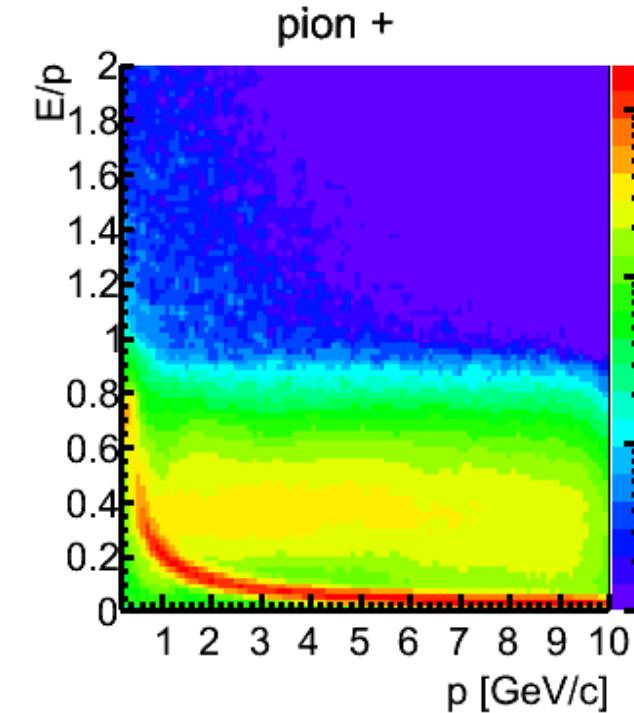
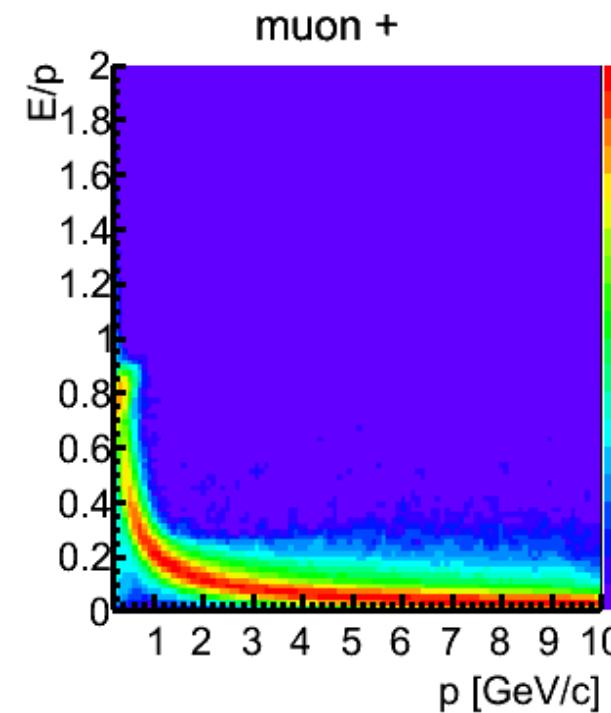
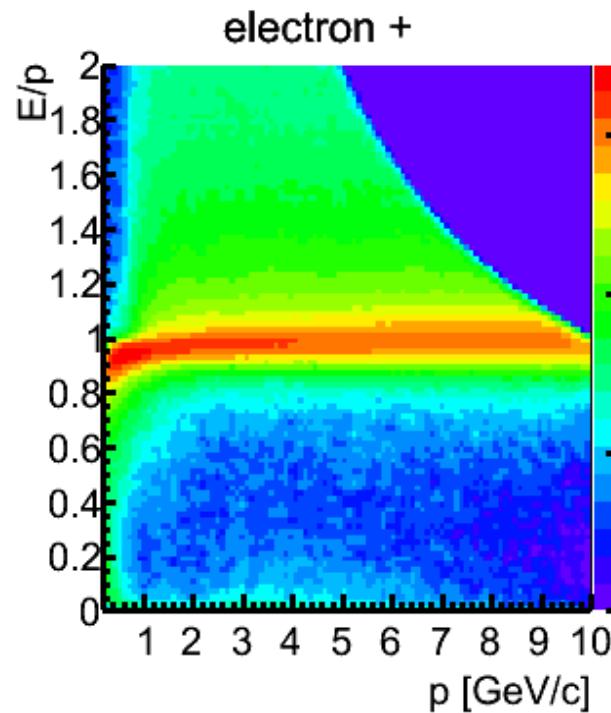


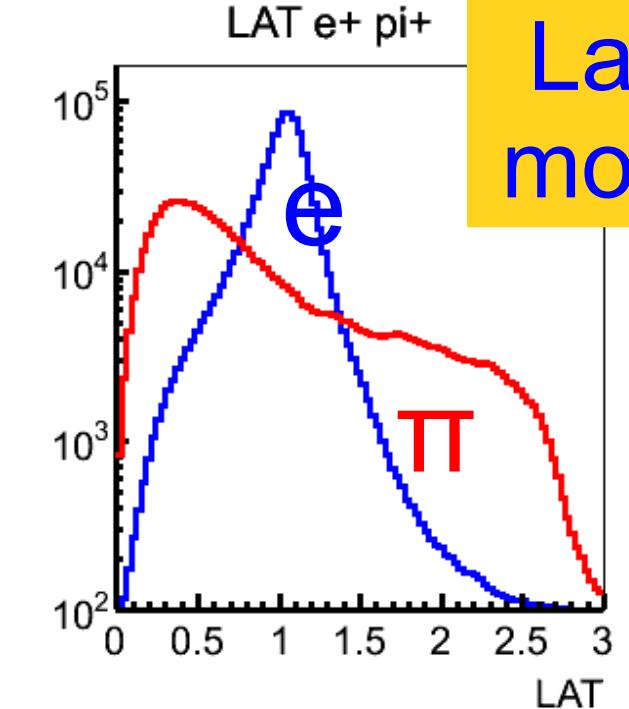
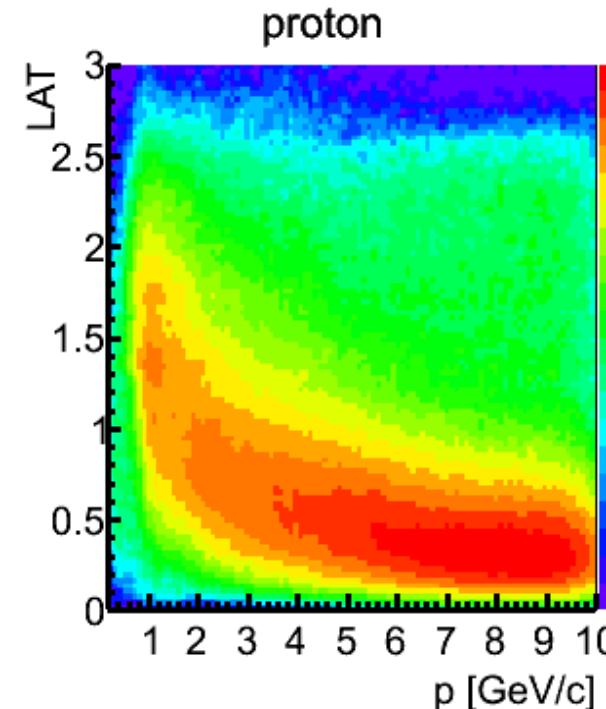
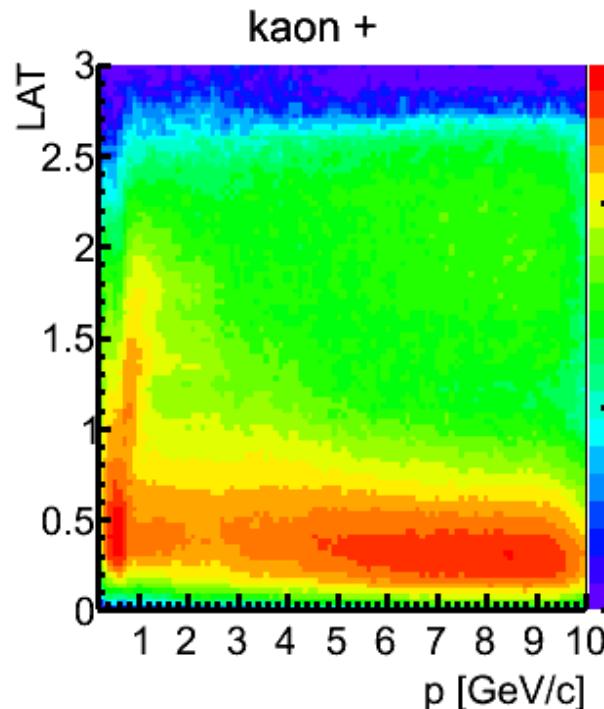
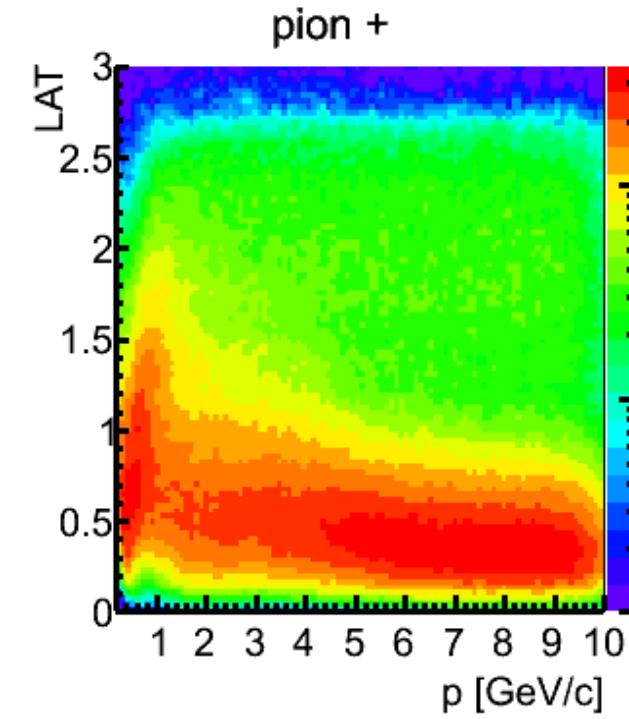
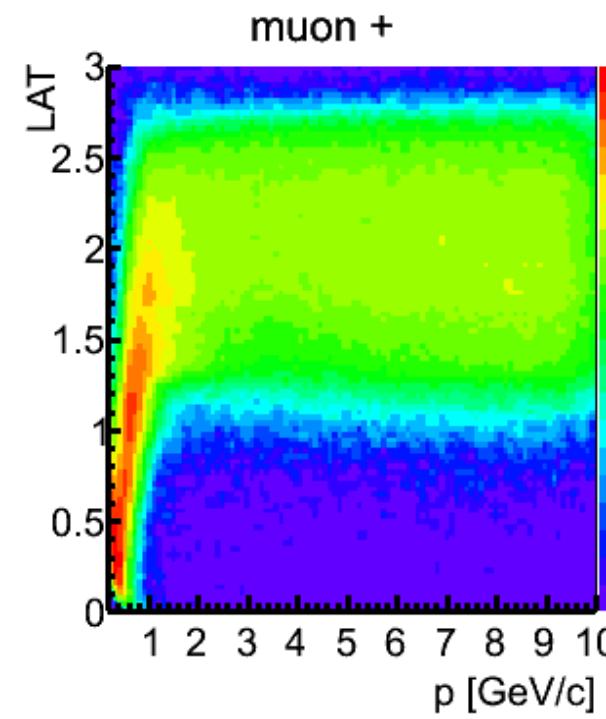
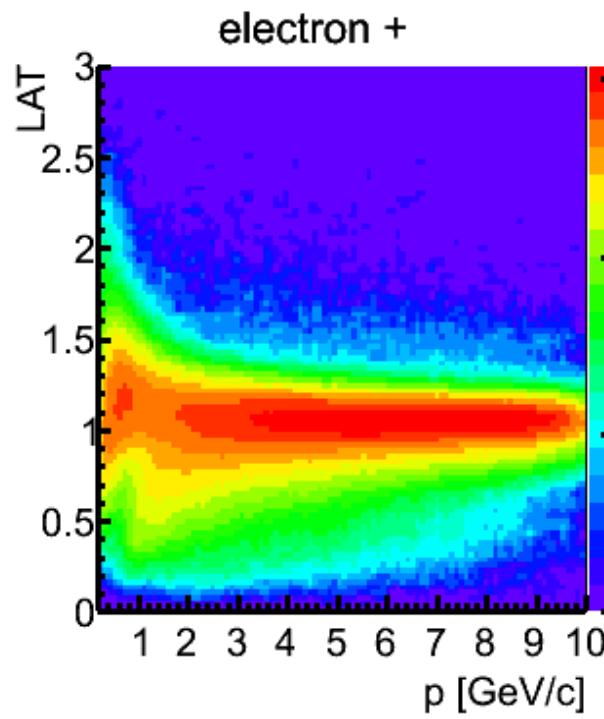
Lateral moment

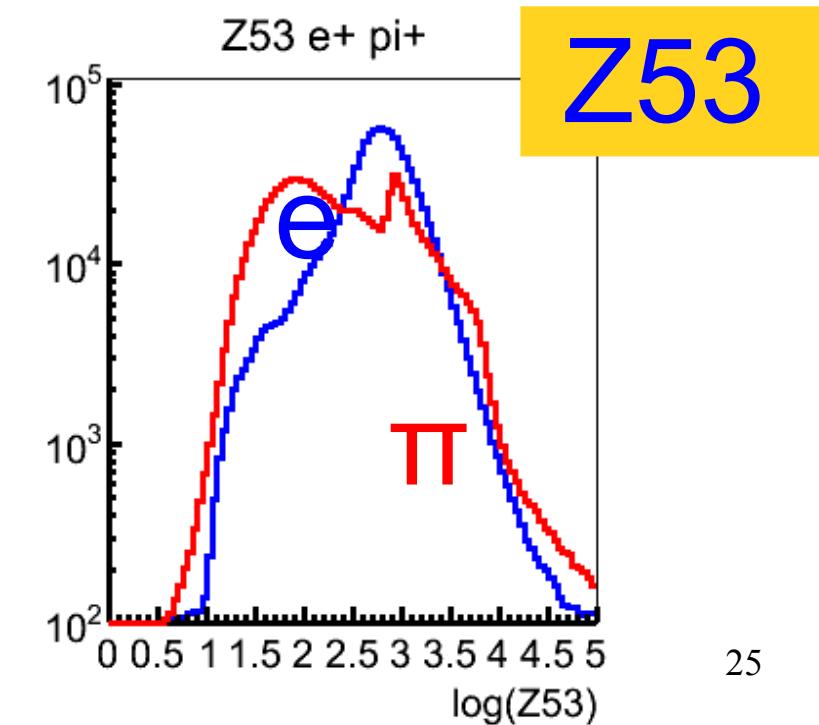
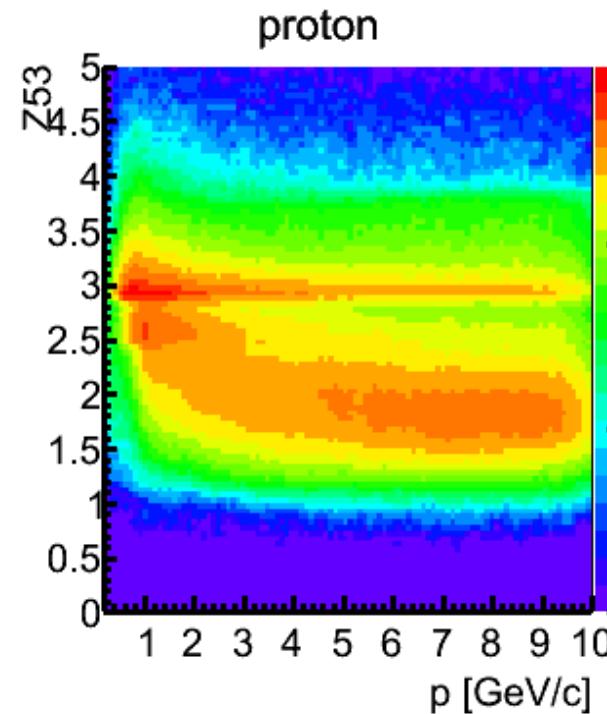
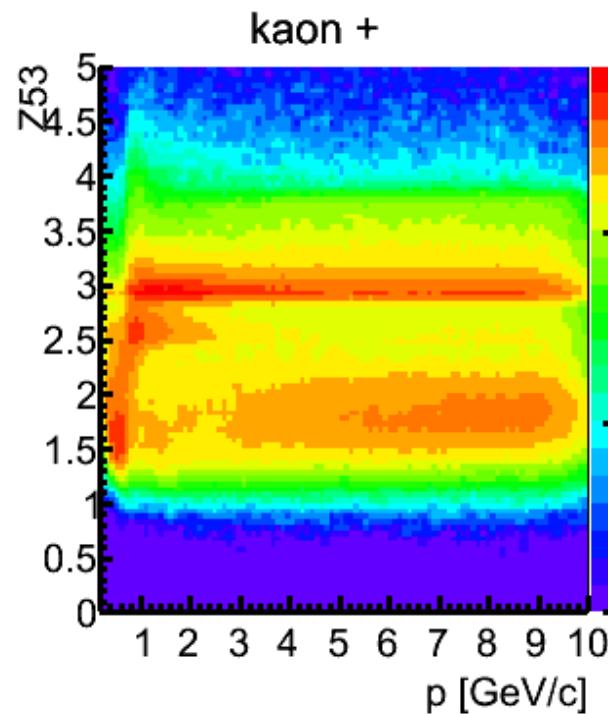
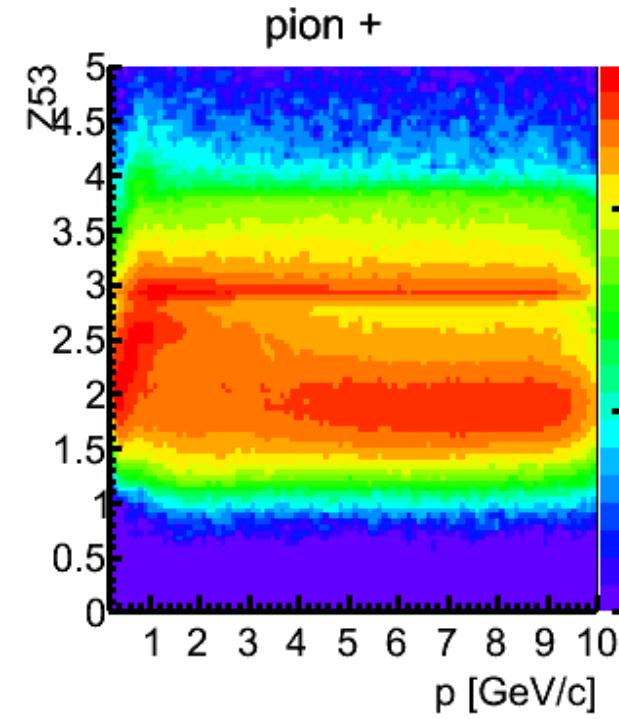
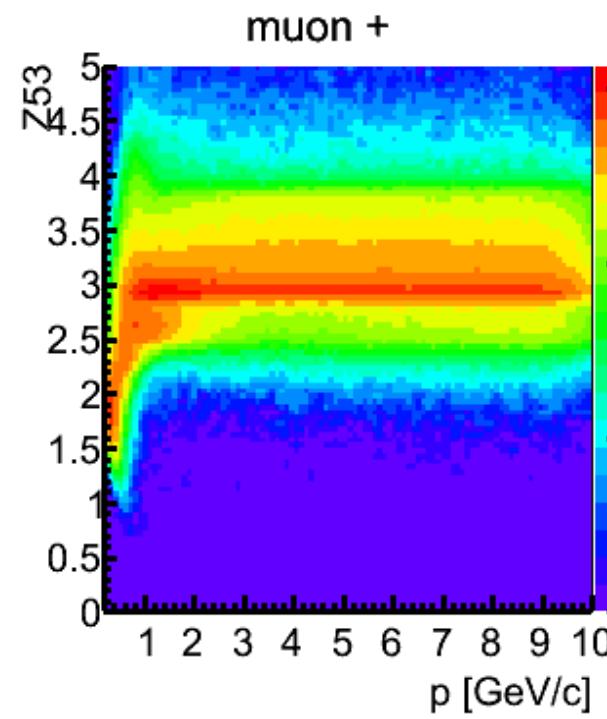
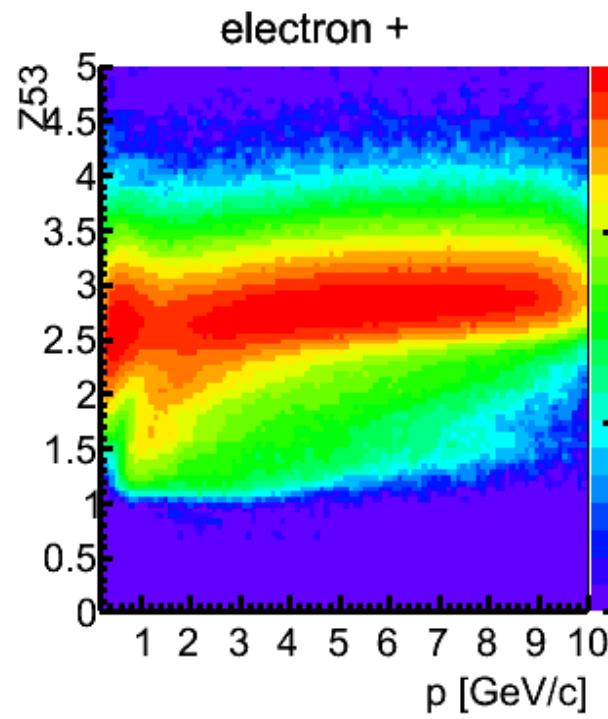
Z53\_emc



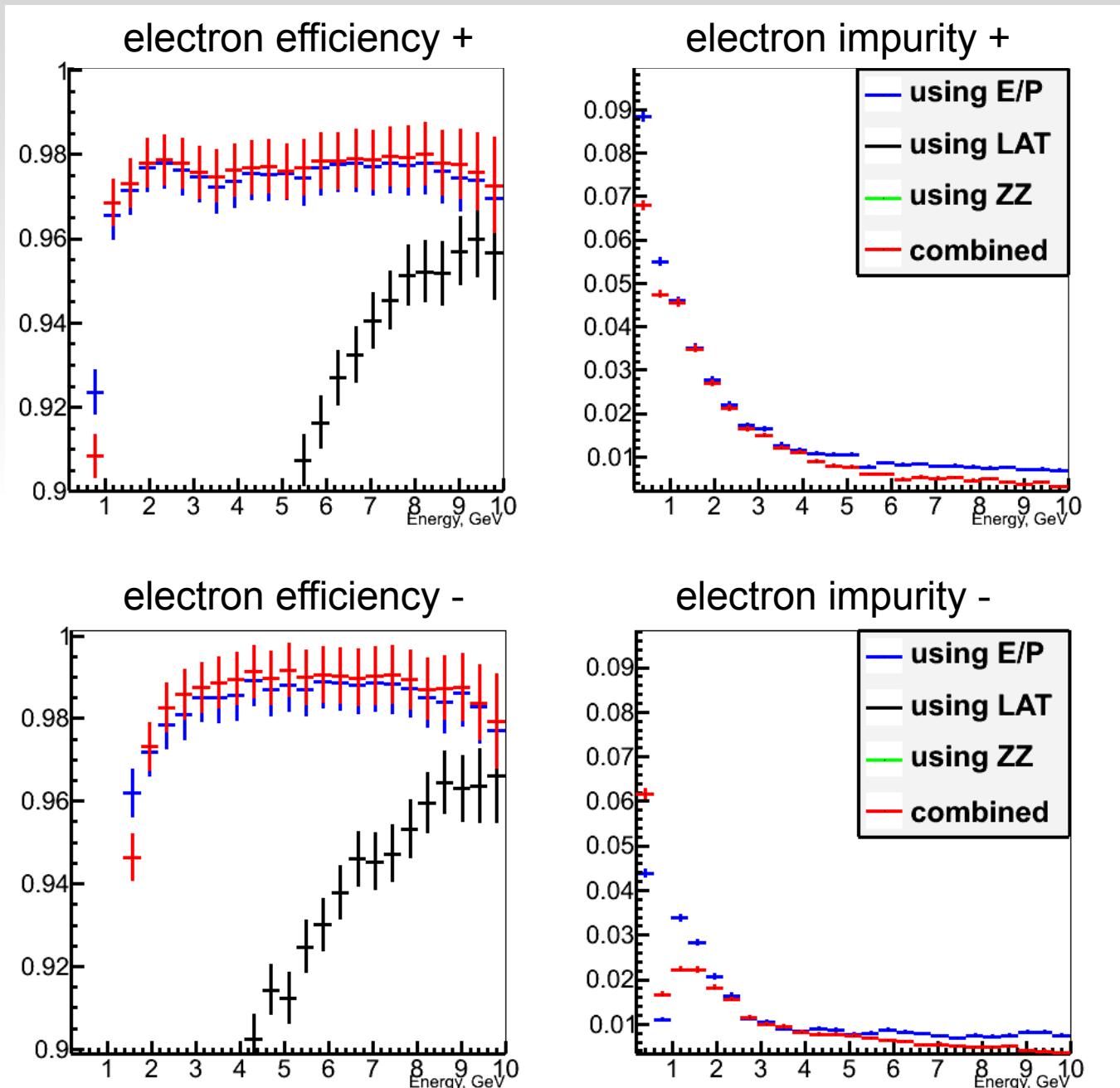
Z53





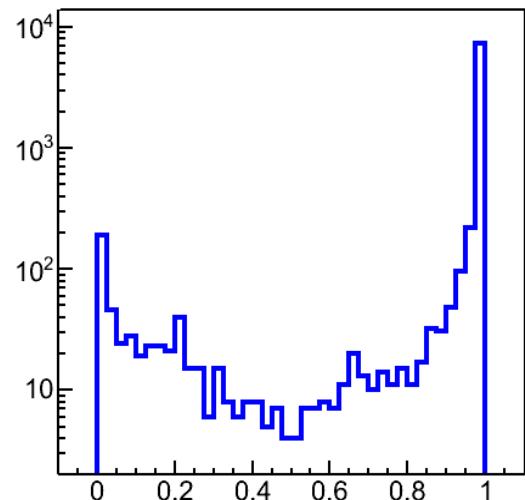


# Charge dependence

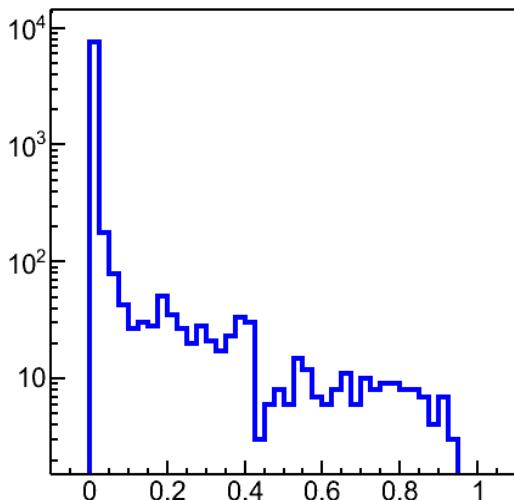


# Access to probabilities

proba elec



proba pion

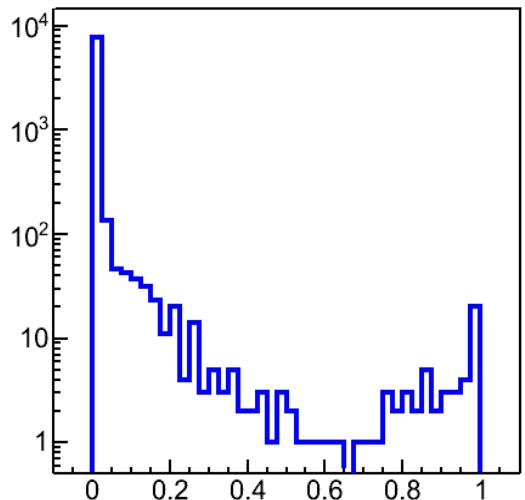


class  
PndPidProbability

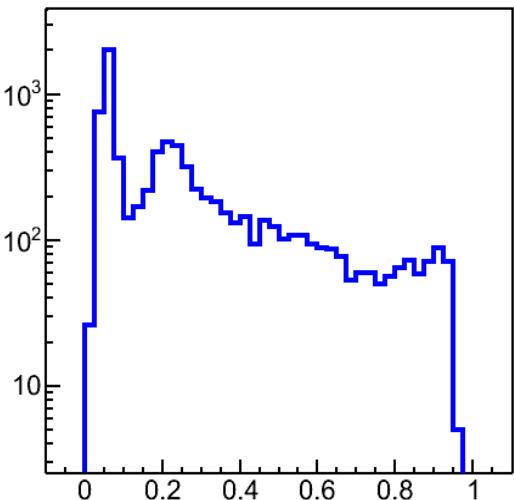
e+



proba elec



proba pion



$\pi^+$



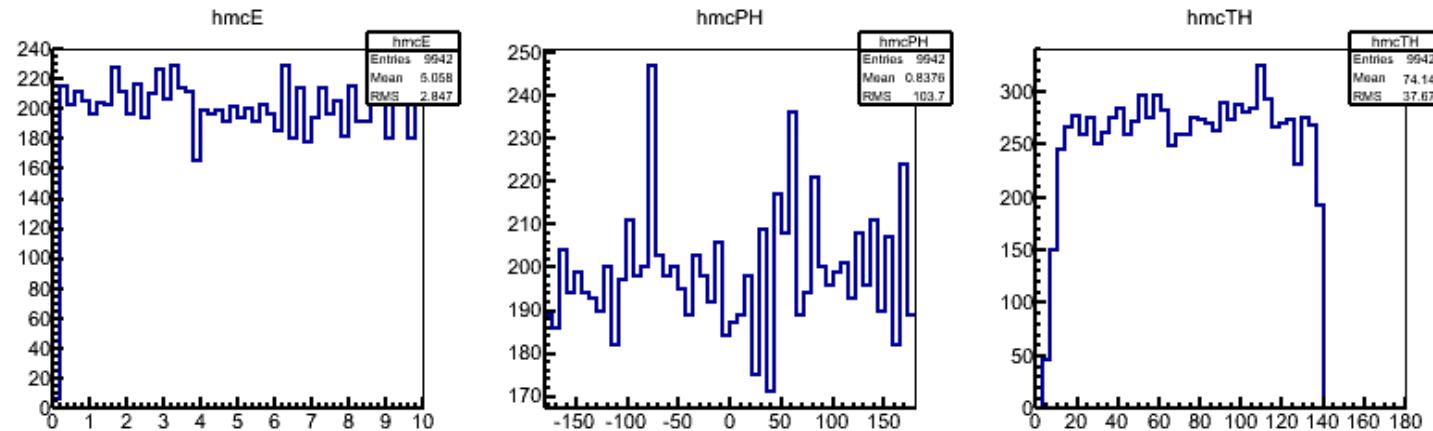
## Correlation MC $\pi^{\circ}$ - reconstructed $\pi^{\circ}$

Losses !

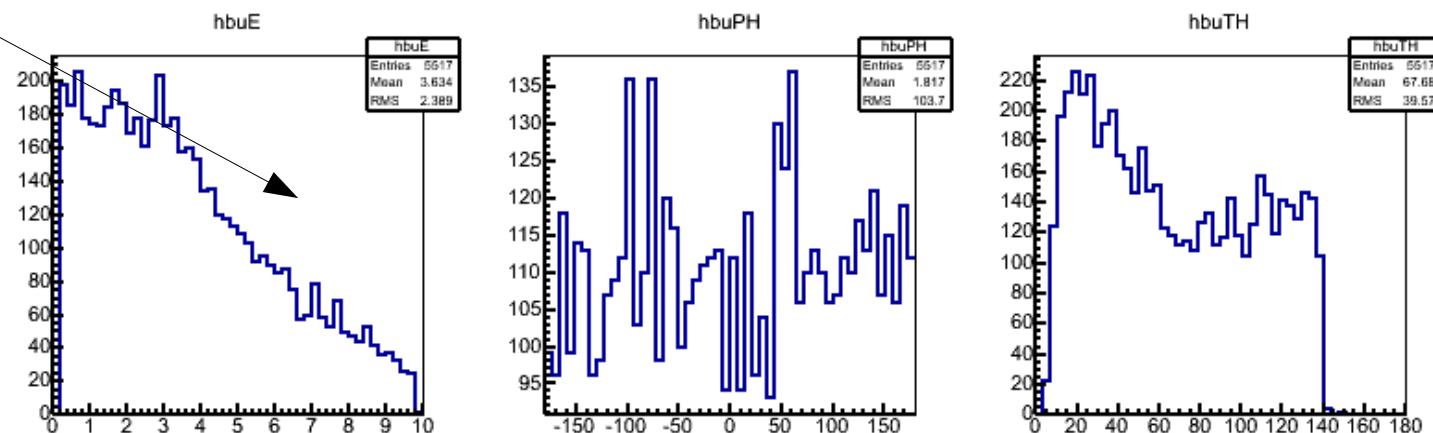
10K events

Using  
Bump  
energies

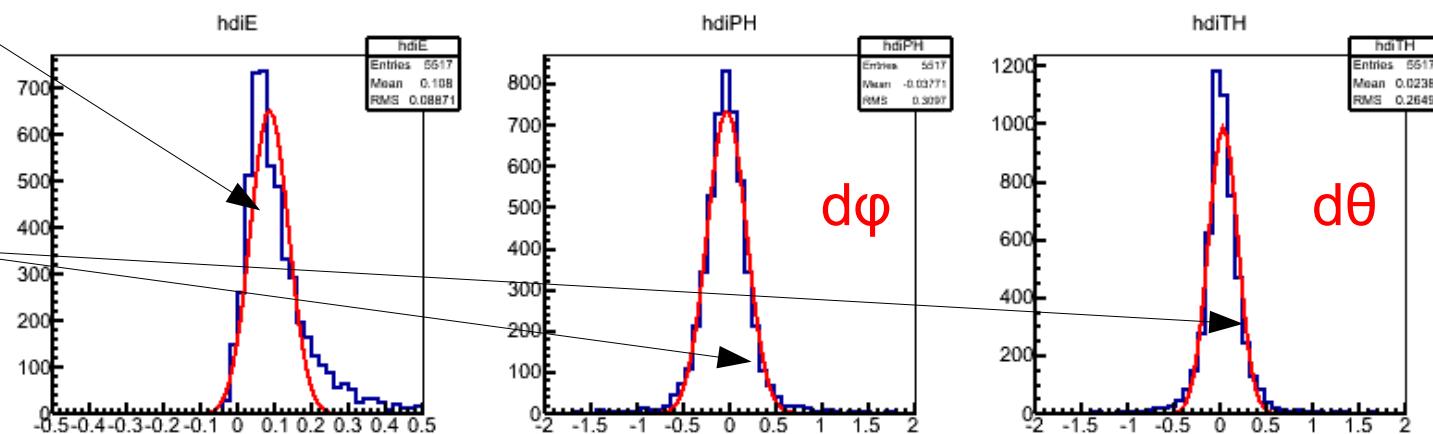
$$\chi^2 = d\theta^2 + d\varphi^2 < 5$$



MC



Reco



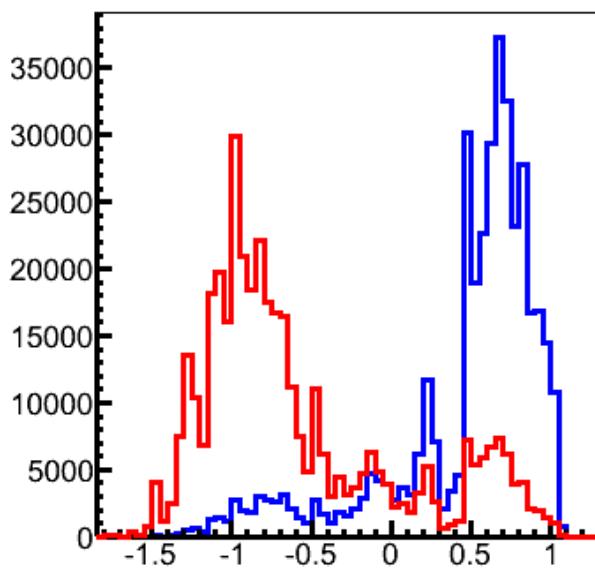
Residu

# Sixteen moments tested

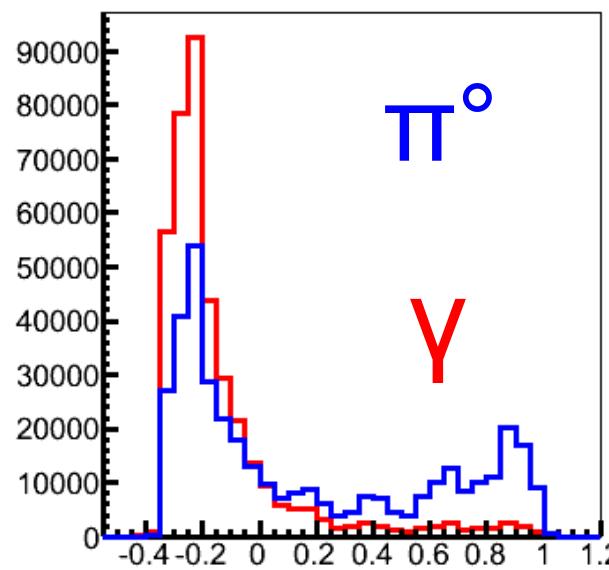
Z00	<b>Z20</b>	Z40	Z11
Z31	Z51	Z22	Z42
Z62	Z33	<b>Z53</b>	Z44
Z64	LatMom	ShowerMass	CorMax

- Not all moments are efficient classifiers
- Many are correlated between them

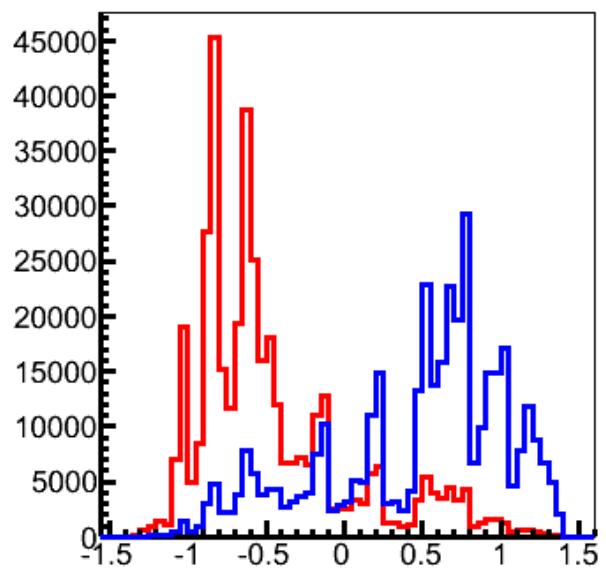
Z20



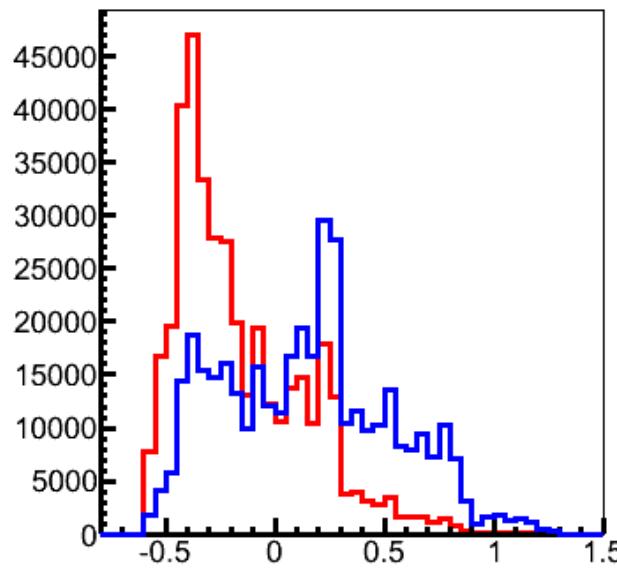
Z53



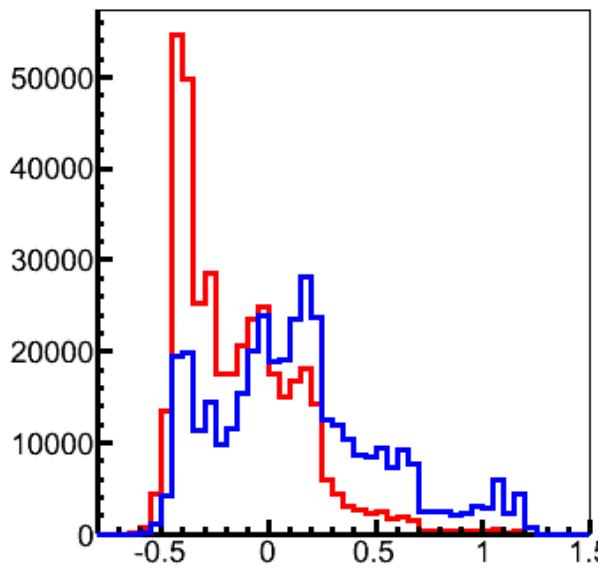
Lat



Mas



Cor



Separation  
power

# Access to probabilities

```
for (Int_t j=0; j< tree->GetEntriesFast(); j++){  
    tree->GetEntry(j);  
  
    cout << "processing event " << j << "\n";  
  
    for (Int_t ii=0; ii<cand_array->GetEntriesFast(); ii++) // Loop over pid candidates  
    {  
        PndPidCandidate *cand= (PndPidCandidate *) cand_array->At(ii);  
  
        PndPidProbability *emc = (PndPidProbability *) emc_array->At(ii);  
  
        ...  
    }  
}
```