

Measurement of Permanent Electric Dipole Moments of Proton, Deuteron and Light Nuclei in Storage Rings

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on behalf of the JEDI collaboration



SSP2012, Groningen June, 2012

Outline

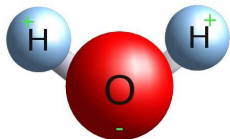
Electric Dipole Moments (EDMs)

- What is it?
- Why is it interesting?
- What do we know about it?
- How to measure it?

What is it?

Electric Dipole Moments: What is it?

- EDM: Permanent spatial separation of positive and negative charges
- Water molecule: $d = 2 \cdot 10^{-9} e \cdot \text{cm}$



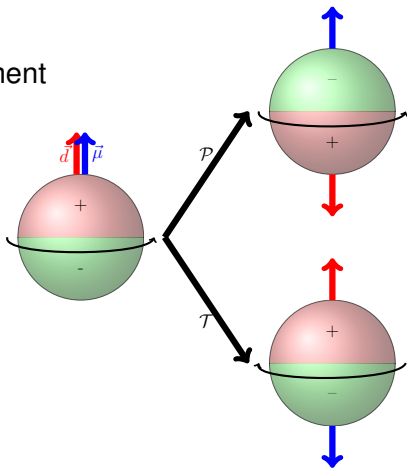
- Water molecule can have large dipole moment because ground state has two degenerate states of different parity
- This is not the case for proton.
Here the existence of a permanent EDM requires both \mathcal{T} and \mathcal{P} violation, i.e. assuming \mathcal{CPT} invariance this implies \mathcal{CP} violation:

That makes it interesting!

\mathcal{T} and \mathcal{P} violation of EDM

\vec{d} : EDM

$\vec{\mu}$: magnetic moment

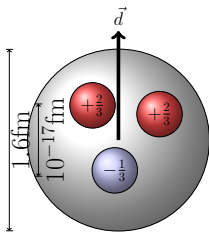


\mathcal{T} violation \xrightarrow{CPT} \mathcal{CP} violation

Why is it interesting?

Why is it interesting?

- \mathcal{CP} violation of Standard Model predicts Proton EDM $< 10^{-31} \text{ e}\cdot\text{cm}$
- This corresponds to a separation of two u -quarks from a d -quark by $\approx 10^{-30} \text{ cm}$, i.e 10^{-17} of the proton radius!



- Not reachable experimentally in foreseeable future
- Extensions of Standard Model predict EDM as large as $10^{-24} \text{ e}\cdot\text{cm}$
- Sources of \mathcal{CP} outside the realm of SM are needed to explain matter/anti-matter imbalance in universe

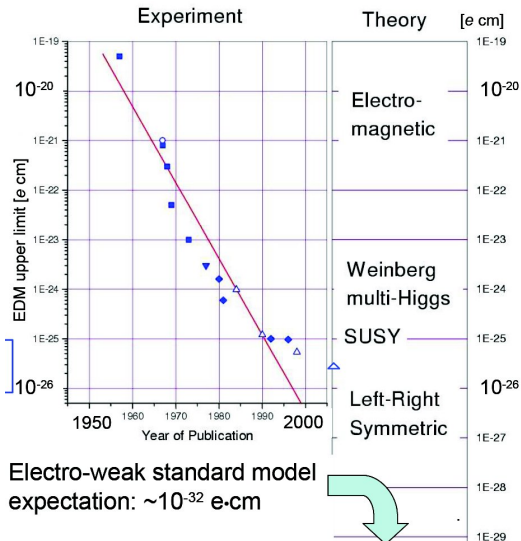
What do we know about
(hadron) EDMs?

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Particle/Atom	Current Limit/ $e\cdot\text{cm}$
Neutron	$< 3 \cdot 10^{-26}$
^{199}Hg	$< 3.1 \cdot 10^{-29}$
→ Proton	$< 7.9 \cdot 10^{-25}$
Deuteron	?
^3He	?

- direct measurement only for neutron
- proton deduced from atomic EDM limit
- no measurement for deuteron (or other nuclei)

History of Neutron EDM



50 years of effort

Extensions of SM allow for large EDMs

from K. Kirch

Sources of \mathcal{CP} violation

\mathcal{CP} can have different sources

- Weak Interaction (unobservably small)
- QCD θ term (limit set by neutron EDM measurement)
——— Part of Standard Model ———
- sources beyond SM

⇒ It is important to measure neutron **and** proton **and** deuteron **and** ... EDMs in order to disentangle various sources of \mathcal{CP} violation.

How to measure it?

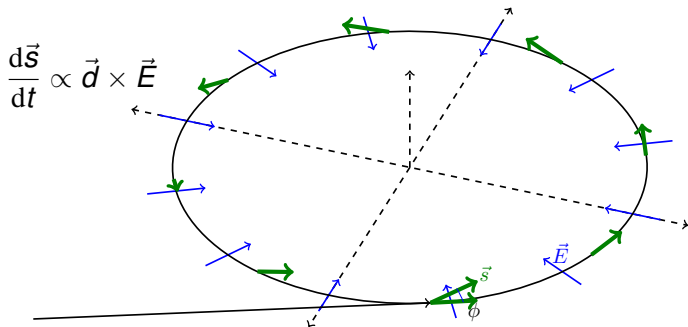
How to measure it?

General Idea:

For **all** edm experiments (neutron, proton, atom, ...):

Interaction of \vec{d} with electric field \vec{E}

For charged particles: apply electric field in a storage ring:



Wait for build-up of vertical polarization $\vec{s}_\perp \propto |\vec{d}|$, then determine \vec{s}_\perp using polarimeter

In general: $\frac{d\vec{s}}{dt} = \vec{\Omega} \times \vec{s}$

“Thomas-BMT” formula

$$\vec{\Omega} = \frac{e\hbar}{mc} \left[G\vec{B} + \left(G - \frac{1}{\gamma^2 - 1} \right) \vec{v} \times \vec{E} + \frac{1}{2}\eta(\vec{E} + \vec{v} \times \vec{B}) \right]$$

$$\vec{d} = \eta \frac{e\hbar}{2mc} \vec{S}, \quad \vec{\mu} = 2(G + 1) \frac{e\hbar}{2mc} \vec{S}$$

Several Options:

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1 **Pure electric ring**

with $\left(G - \frac{1}{\gamma^2 - 1}\right) = 0$, works only for $G > 0$

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$$G\vec{B} + \left(G - \frac{1}{\gamma^2 - 1}\right) \vec{v} \times \vec{E} = 0$$

3 **Pure magnetic ring**

Required field strength

	$G = \frac{g-2}{2}$	$p/\text{GeV}/c$	$E_R/\text{MV}/\text{m}$	B_V/T
proton	1.79	0.701	10	0
deuteron	-0.14	1.0	-4	0.16
^3He	-4.18	1.285	17	-0.05

Ring radius $\approx 40\text{m}$

Smaller ring size possible if $B_V \neq 0$ for proton

$$E = \frac{GBc\beta\gamma^2}{1 + G\beta^2\gamma^2}$$

1. Pure Electric Ring

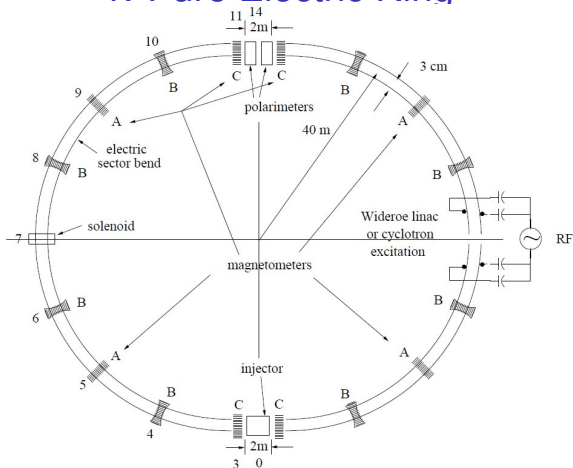


Figure 3: An all-electric storage ring lattice for measuring the electric dipole moment of the proton. Except for having longer straight sections and separated beam channels, the all-in-one lattice of Fig. 1 is patterned after this lattice. Quadrupole and sextupole families, and tunes and lattice functions of the all-in-one lattice of Fig. 1 will be quite close to those given for this lattice in reference[3]. The match will be even closer with magnetic field set to zero for proton operation.

2. Combined \vec{E}/\vec{B} ring

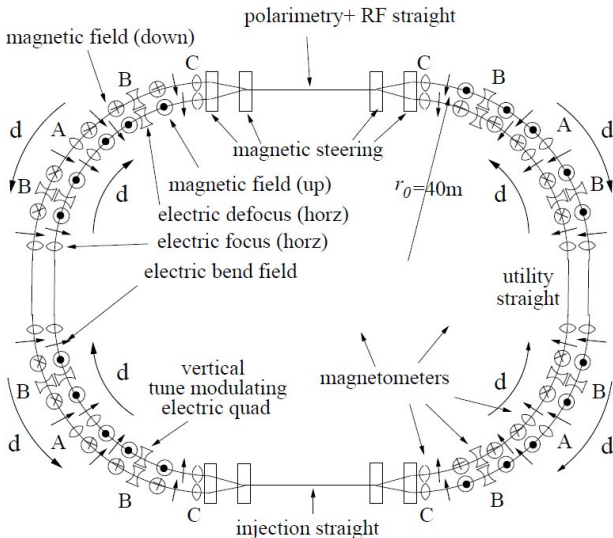


Figure 1: “All-In-One” lattice for measuring EDM’s of protons, deuterons, and helions.

3. Pure Magnetic Ring

Main advantage:

Experiment can be performed at the existing (upgraded) COSY (COoler SYnchrotron) in Jülich on a shorter time scale!



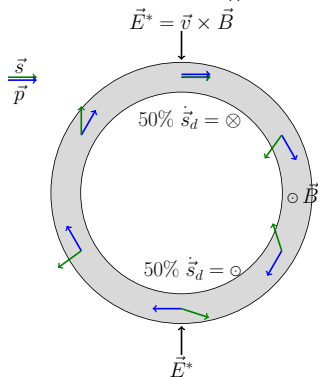
COSY provides (polarized) protons and deuterons with
 $p = 0.3 - 3.7 \text{ GeV}/c \Rightarrow$ **Ideal starting point**

3. Pure Magnetic Ring

$$\Omega = \frac{e\hbar}{mc} \left(G\vec{B} + \frac{1}{2}\eta\vec{v} \times \vec{B} \right)$$

Problem:

Due to precession caused by magnetic moment, 50% of time longitudinal polarization components is \parallel to momentum, 50% of the time it is anti- \parallel .

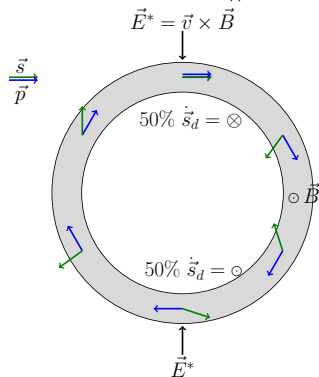


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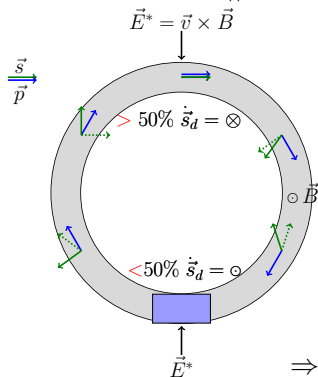
E^* field in the particle rest frame
tilts spin due to EDM up and down
 \Rightarrow **no net EDM effect**

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Use resonant “magic Wien-Filter” in ring ($\vec{E} + \vec{v} \times \vec{B} = 0$):

$E^* = 0 \rightarrow$ part. trajectory is not affected but

$B^* \neq 0 \rightarrow$ mag. mom. is influenced

\Rightarrow **net EDM effect can be observed!**

Summary of different options



1.) pure electric ring (BNL)	no \vec{B} field needed	works only for p
2.) combined ring (Jülich)	works for $p, d, {}^3\text{He}, \dots$	both \vec{E} and \vec{B} required
3.) pure magnetic ring (Jülich)	existing (upgraded) COSY ring can be used , shorter time scale	lower sensitivity

Statistical Sensitivity

$$\sigma \approx \frac{\hbar}{\sqrt{NfT\tau_p}PEA}$$

P	beam polarization	0.8
τ_p	Spin coherence time/s	1000
E	Electric field/MV/m	10
A	Analyzing Power	0.6
N	nb. of stored particles/cycle	4×10^7
f	detection efficiency	0.005
T	running time per year/s	10^7

$\Rightarrow \sigma \approx 10^{-29}$ e.cm/year (for magnetic ring $\approx 10^{-24}$ e.cm/year)

Expected signal ≈ 3 rad/s (for $d = 10^{-29}$ e.cm)

(BNL proposal)

Systematics

One major source:

Radial B field mimics an EDM effect:

- Difficulty: even small radial magnetic field, B_r can mimic EDM effect if $:\mu B_r \approx dE_r$
- Suppose $d = 10^{-29} \text{ e}\cdot\text{cm}$ in a field of $E = 10 \text{ MV/m}$
- This corresponds to a magnetic field:

$$B_r = \frac{dE_r}{\mu_N} = \frac{10^{-22} \text{ eV}}{3.1 \cdot 10^{-8} \text{ eV/T}} \approx 3 \cdot 10^{-17} \text{ T}$$

Solution: Use two beams running clockwise and counter clockwise, Separation of the two beams is sensitive to B_r

Main Challenges

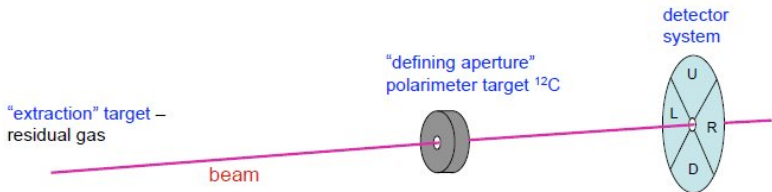
- Spin Coherence Time (SCT) $\approx 1000\text{s}$
- Beam positioning $\approx 10\text{nm}$ (relative between CW-CCW)
- Polarimetry on 1 ppm level
- Field Gradients $\approx 10\text{MV/m}$

Polarimeter

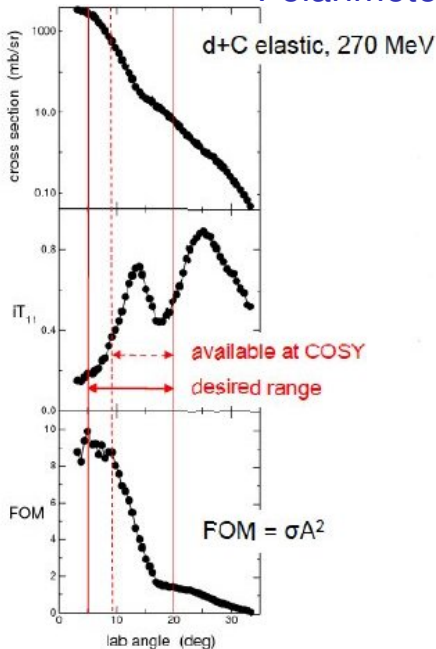
Principle: Particles hit a target:

Left/Right asymmetry gives information on EDM

Up/Down asymmetry gives information on g-2



Polarimeter

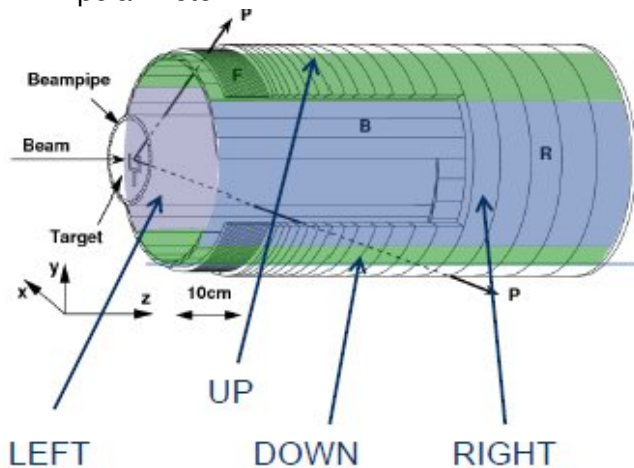


Y. Safou, PL B 549, 307 (2002)

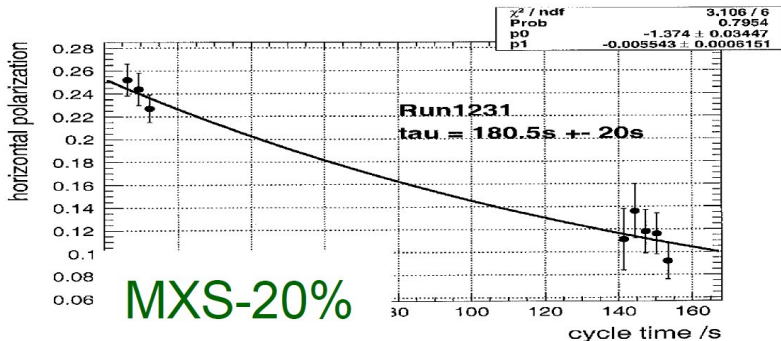
Cross Section &
Analyzing Power
for deuterons

Polarimeter

Available at COSY for tests:
EDDA polarimeter



Results on Spin Coherence Time (SCT)



Spins decohere during storage time
very preliminary results from Cosy run May 2012 using
correction sextupole

⇒ SCT of $\approx 200\text{s}$ already reached

(Ed. Stephenson)

pEDM at Brookhaven

Time-lines:

2013-2014	R&D preparation
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2014	final ring design
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2015-2017	ring/beam-line construction
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2017-2018	Installation
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Stepwise approach of JEDI project in Jülich

JEDI = Jülich Electric Dipole Moment Investigation

(Collaboration since March 2012, \approx 70 members, still growing)

1	Spin coherence time studies Systematic Error studies	COSY
2	COSY upgrade first direct measurement at 10^{-24} e. cm	COSY COSY
3	Build dedicated ring for p, d and ^3He	
4	EDM measurement at 10^{-29} e. cm	Dedicated ring

Time scales: Steps 1 and 2 <5 years

Steps 3 and 4 >5 years

Storage Ring EDM Efforts

Common R&D work

- Spin Coherence Time
- BPMs
- Spin Tracking
- Polarimetry
- ...

BNL

- all electric ring (p)



Jülich

- first direct measurement with upgraded COSY
- all-in-one ring (p,d, ^3He)



Summary

- EDM of (charged) hadrons are of high interest to disentangle various sources of CP violation searched for to explain matter - antimatter asymmetry in the Universe
- Measurements of p, d and ${}^3\text{He}$ needed in addition to neutron
- efforts at Brookhaven and Jülich to perform such measurements

EDM Searches at Storage Rings

October 1-5, 2012

<http://www.ectstar.eu>

Organizers:

Frank Rathmann (Jülich)

Hans Ströher (Jülich)

Andreas Wirzba (Jülich)

Mei Bai (BNL)

William Marciano (BNL)

Yannis Semertzidis (BNL)