

The high-precision Penning trap mass spectrometer PENTATRAP

June 18th 2012

5th International Symposium on Symmetries in Subatomic Physics
Groningen, The Netherlands

Andreas Dörr^{1,2}

K. Blaum^{1,2}, Ch. Böhm^{1,2,3}, J. Crespo Lopez-Urrutia¹, S. Eliseev¹,
M. Goncharov^{1,2}, C. Hökel-Schmöger^{1,2}, Yu. N. Novikov^{3,4}, J.
Repp^{1,2}, C. Roux^{1,2}, S. Sturm¹, S. Ulmer^{1,5}

¹*Max-Planck-Institut für Kernphysik, Heidelberg, Germany*

²*Fakultät für Physik und Astronomie, Ruprecht-Karls-Universität, Heidelberg, Germany*

³*Extreme Matter Institute EMMI, Helmholtz Gemeinschaft, Darmstadt, Germany*

⁴*Petersburg Nuclear Physics Institute, Gatchina, Russia*

⁵*RIKEN Advanced Science Institute, Hirosawa, Wako, Saitama, Japan*



The physics program at PENTATRAP

Mass ratio measurements of single, highly charged, long-lived ions up to uranium with an accuracy of $<10^{-11}$

Q-values for neutrino physics.

For example:

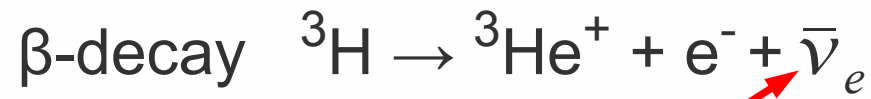
- $\bar{\nu}_e$ mass:
 $^{187}\text{Re} \rightarrow ^{187}\text{Os}$
(β -decay)
- ν_e mass:
 $^{163}\text{Ho} \rightarrow ^{163}\text{Dy}$
(EC)

test of the energy-mass-relation
 $E=mc^2$

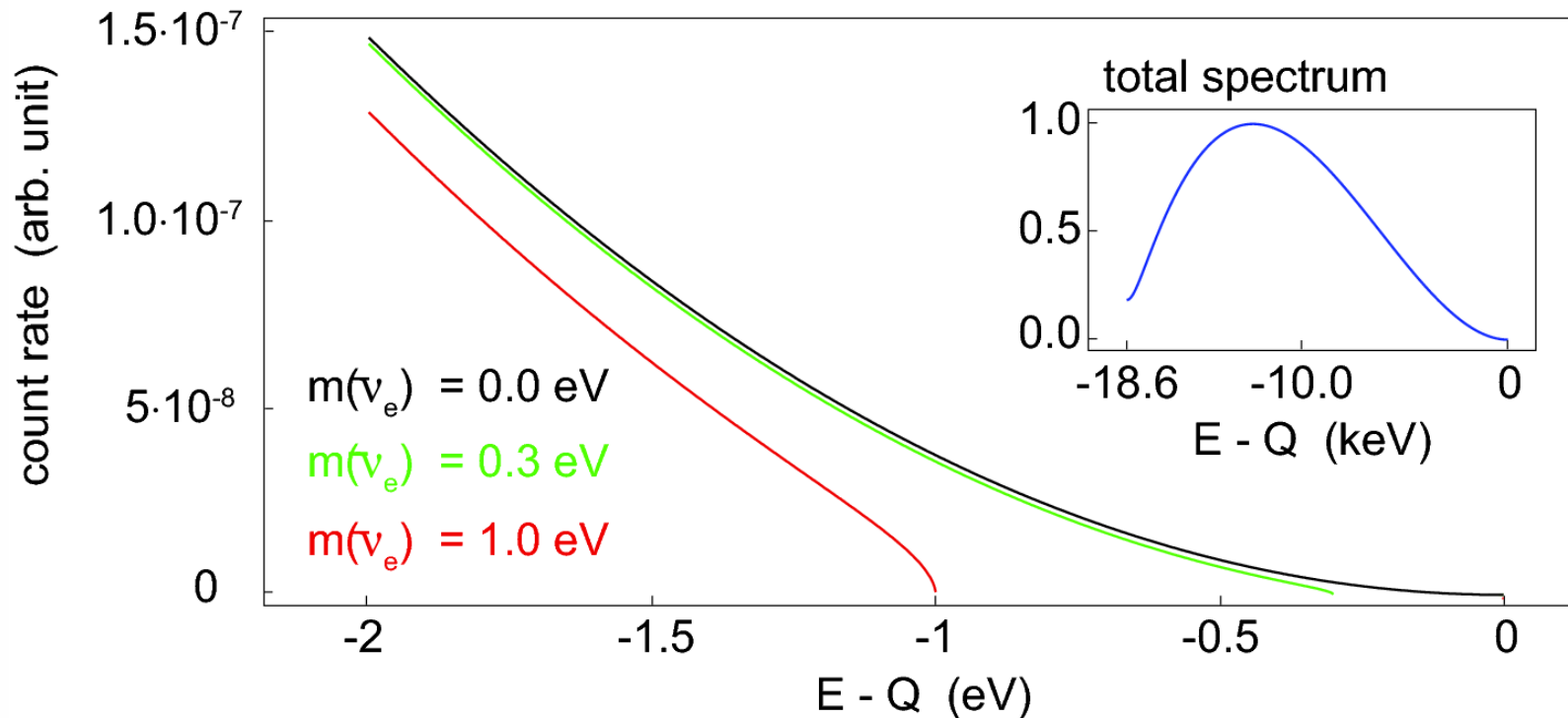
QED in strong electromagnetic field:

Binding energies of remaining electrons in highly charged ions.

Q-values for neutrino physics



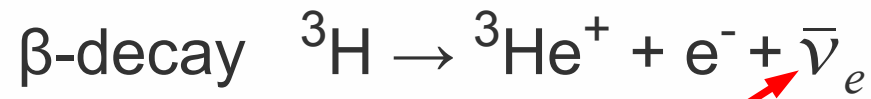
part of total decay energy Q required for neutrino mass



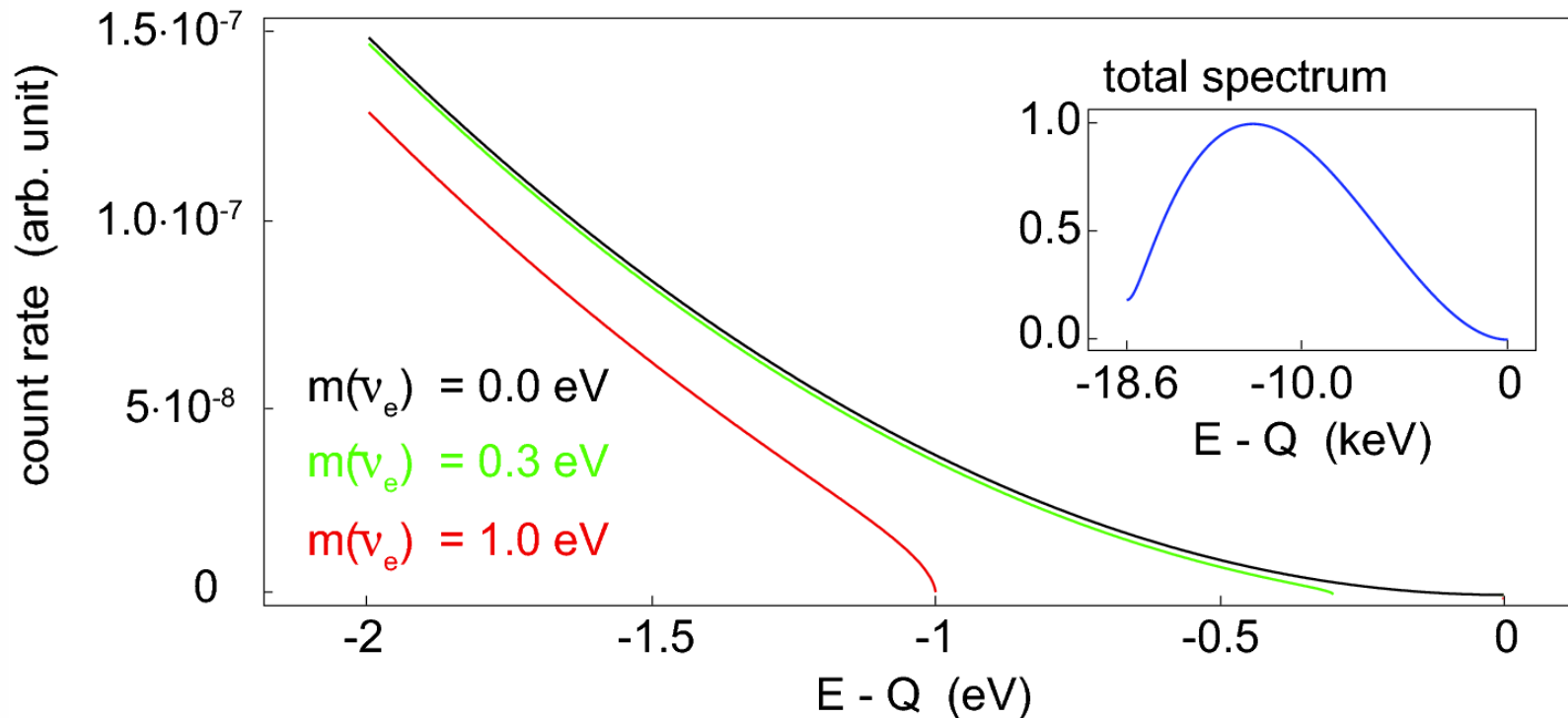
measure:

- e^- -spectrum: KATRIN
- Q-value (independently): THe-Trap

Q-values for neutrino physics



part of total decay energy Q required for neutrino mass



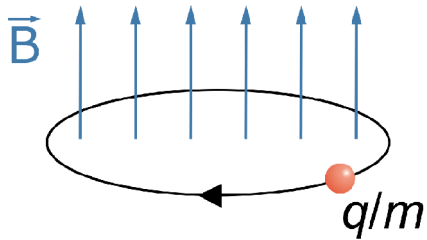
measure:

- spectrum: MARE
- Q-value (independently): PENTATRAP

Penning traps

Lorentz force

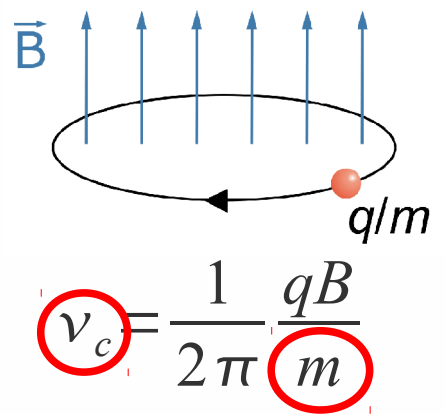
homogeneous
B-field



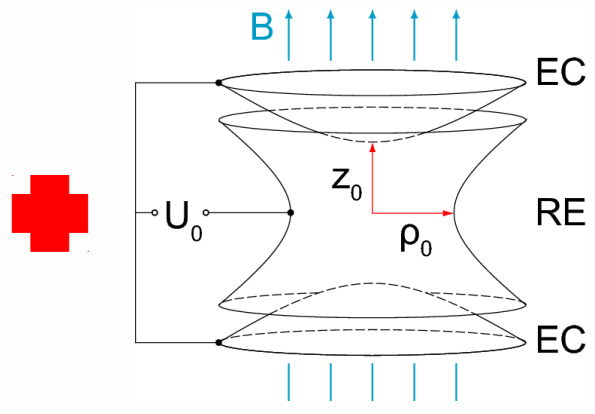
$$\nu_c = \frac{1}{2\pi} \frac{qB}{m}$$

Penning traps

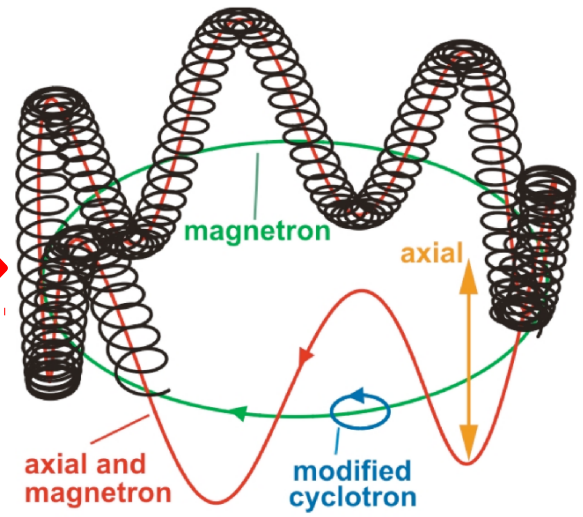
Lorentz force
homogeneous
B-field



Axial force
quadrupolar
electrostatic field



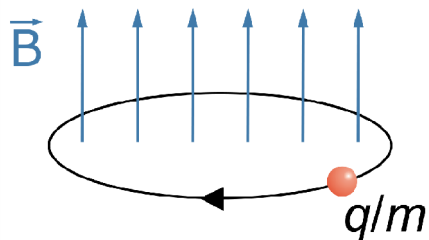
3D confinement



Penning traps

Lorentz force

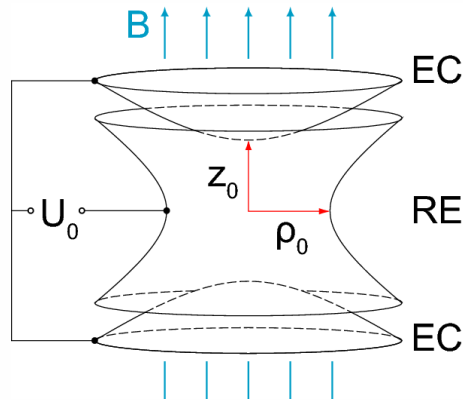
homogeneous
B-field



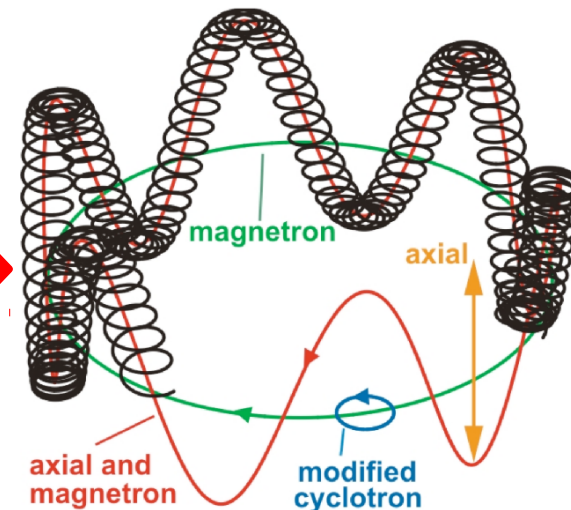
$$\nu_c = \frac{1}{2\pi} \frac{qB}{m}$$

Axial force

quadrupolar
electrostatic field



3D confinement



Trap frequencies

$$\nu_+ = \frac{\nu_c}{2} + \sqrt{\frac{\nu_c^2}{4} - \frac{\nu_z^2}{2}}$$

modified cyclotron

$$\nu_z = \frac{1}{2\pi} \sqrt{\frac{qU_0}{md^2}}$$

axial

$$d^2 = \frac{1}{2} \left(z_0^2 + \frac{\rho_0^2}{2} \right)$$

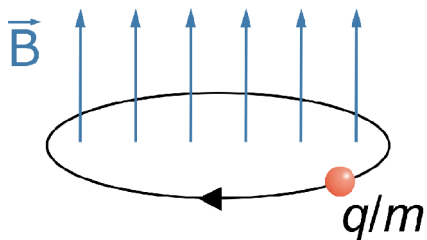
$$\nu_- = \frac{\nu_c}{2} - \sqrt{\frac{\nu_c^2}{4} - \frac{\nu_z^2}{2}}$$

magnetron

Penning traps

Lorentz force

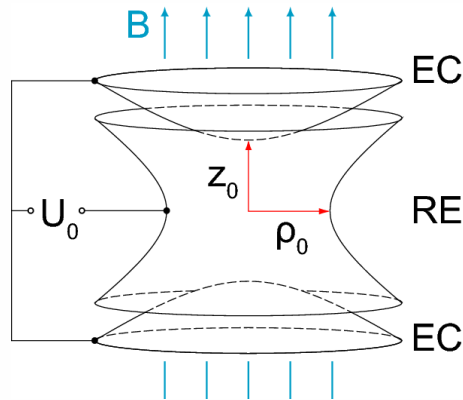
homogeneous
B-field



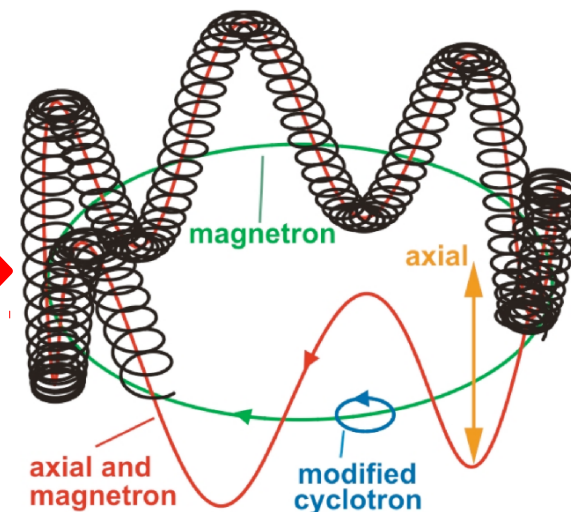
$$\nu_c = \frac{1}{2\pi} \frac{qB}{m}$$

Axial force

quadrupolar
electrostatic field



3D confinement



Trap frequencies

$$\nu_+ = \frac{\nu_c}{2} + \sqrt{\frac{\nu_c^2}{4} - \frac{\nu_z^2}{2}}$$

modified cyclotron

$$\nu_z = \frac{1}{2\pi} \sqrt{\frac{qU_0}{md^2}}$$

axial

$$\nu_- = \frac{\nu_c}{2} - \sqrt{\frac{\nu_c^2}{4} - \frac{\nu_z^2}{2}}$$

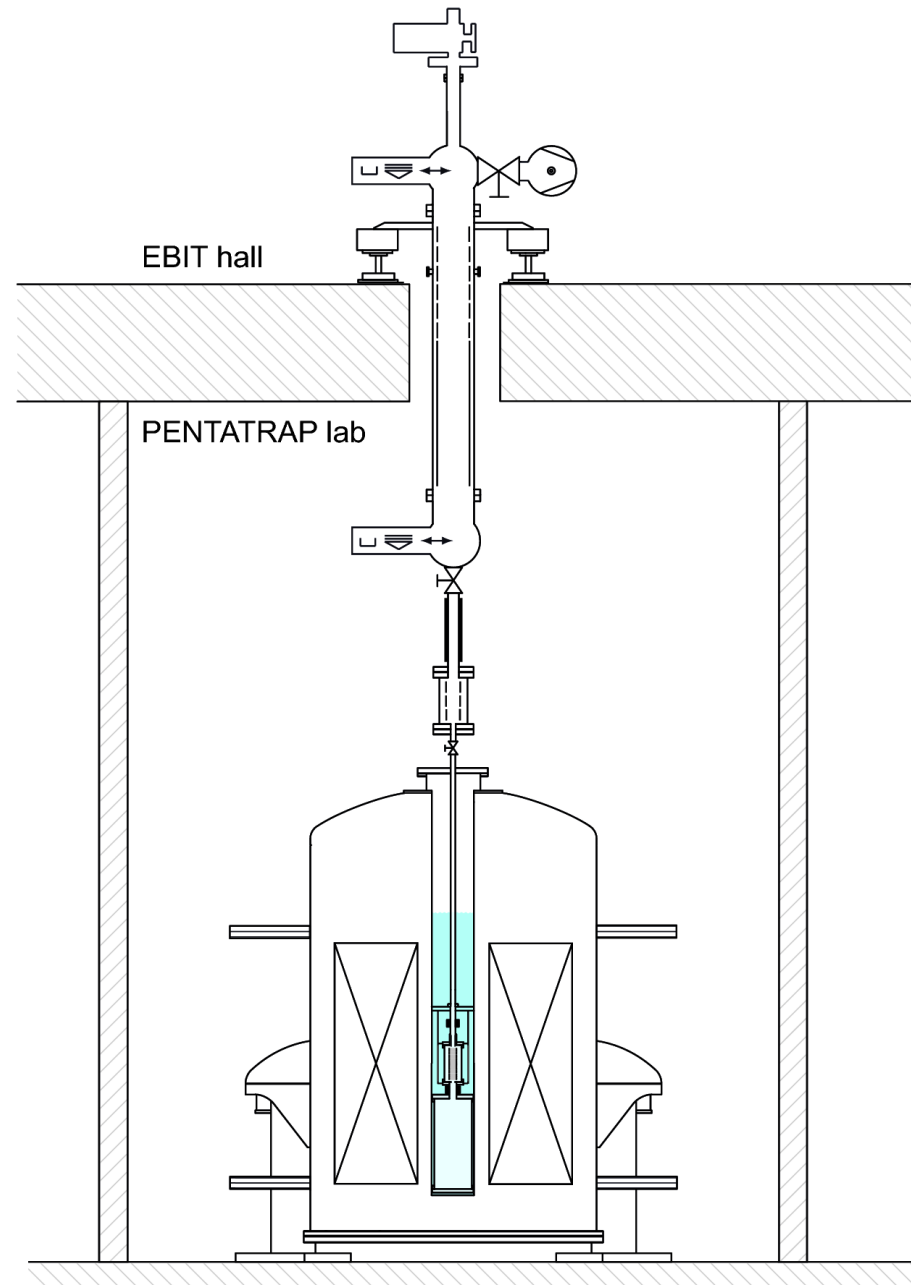
magnetron

Invariance theorem

$$\nu_c = \sqrt{\nu_+^2 + \nu_z^2 + \nu_-^2}$$

L. S. Brown, G. Gabrielse,
Phys. Rev. A 25, 2423 (1982)

PENTATRAP Overview



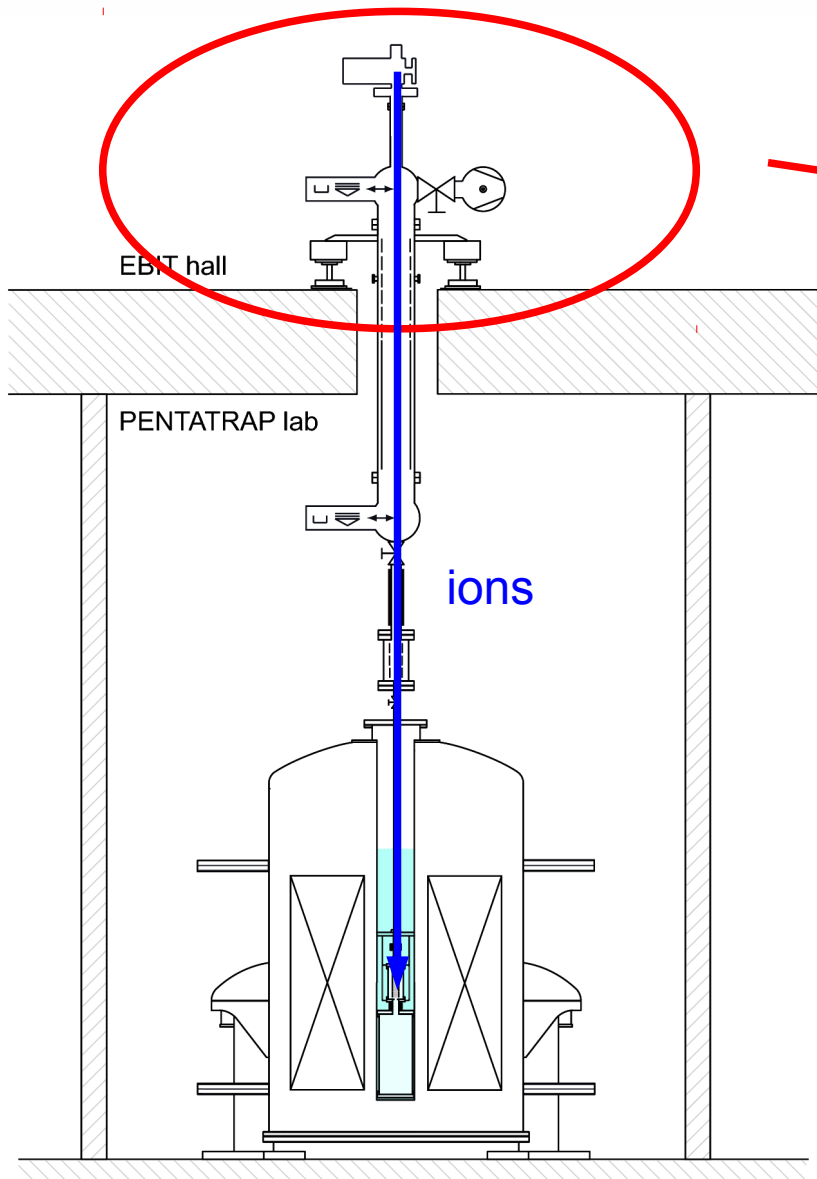
The magnet



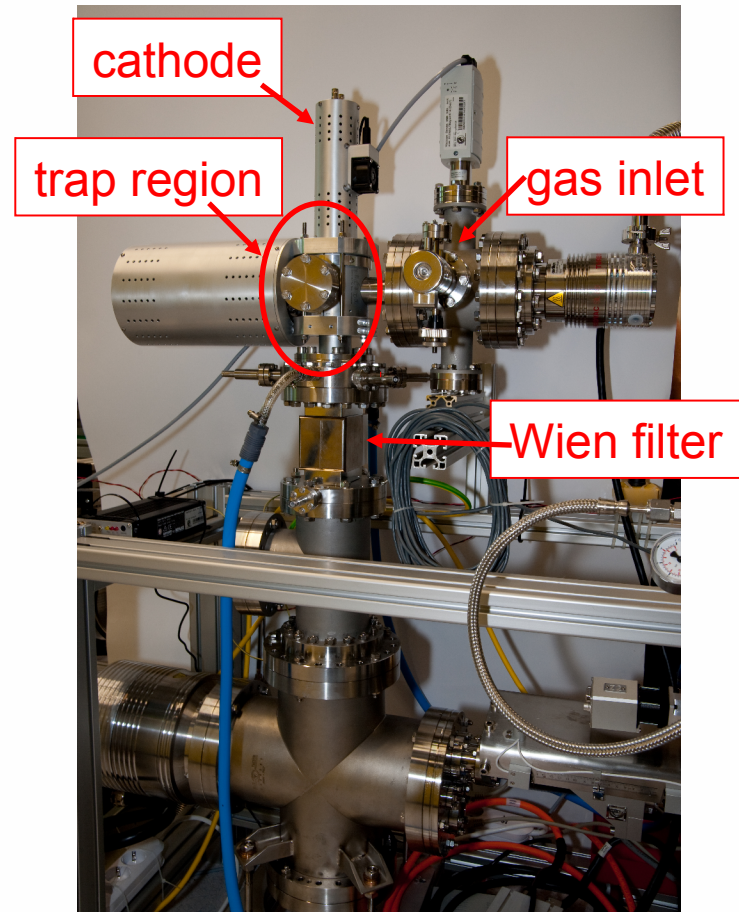
- superconducting 7 T magnet
- cold bore with 160mm diameter
- spacial homogeneity: 0.7 ppm in central cm³, 44 ppm in trap volume
- temporal stability: $<10^{-9}/h$
- pressure and He-level stabilization
- vibration damped
- earth field fluctuation correction with large Helmholtz coils and fluxgate sensor

Electron Beam Ion Trap (EBIT)

→ production of highly charged ions



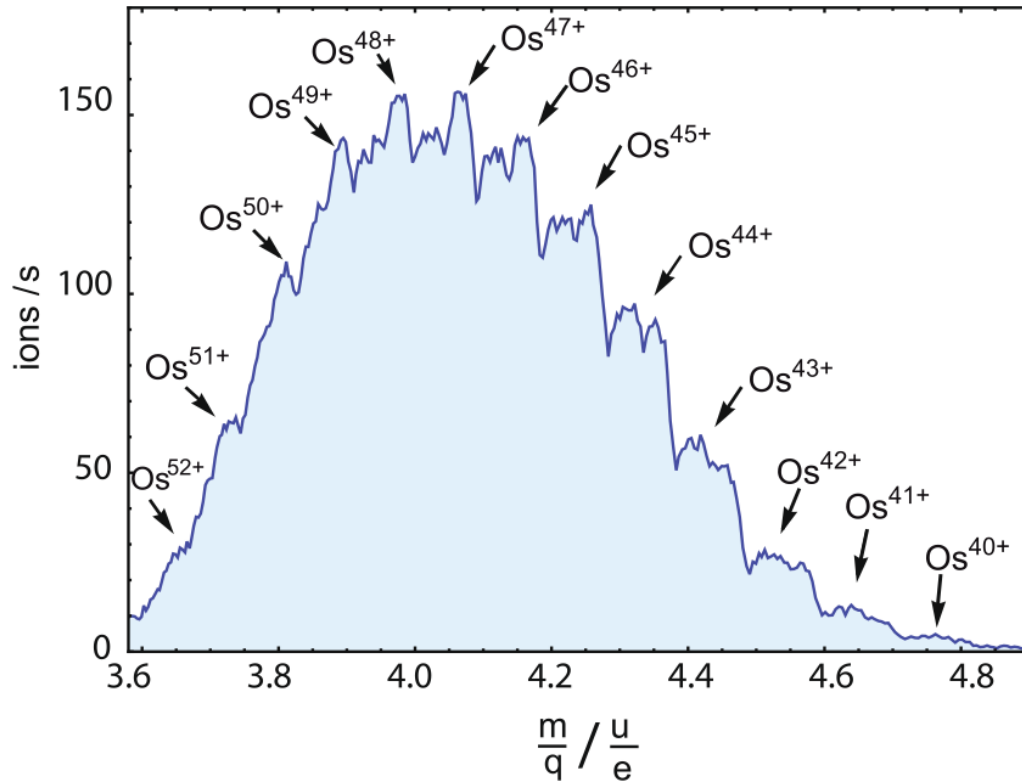
1st experimental phase:
commercial Dresden-EBIT3



J. Repp et al., Appl. Phys. B,
doi:10.1007/s00340-011-4823-6 (2012)

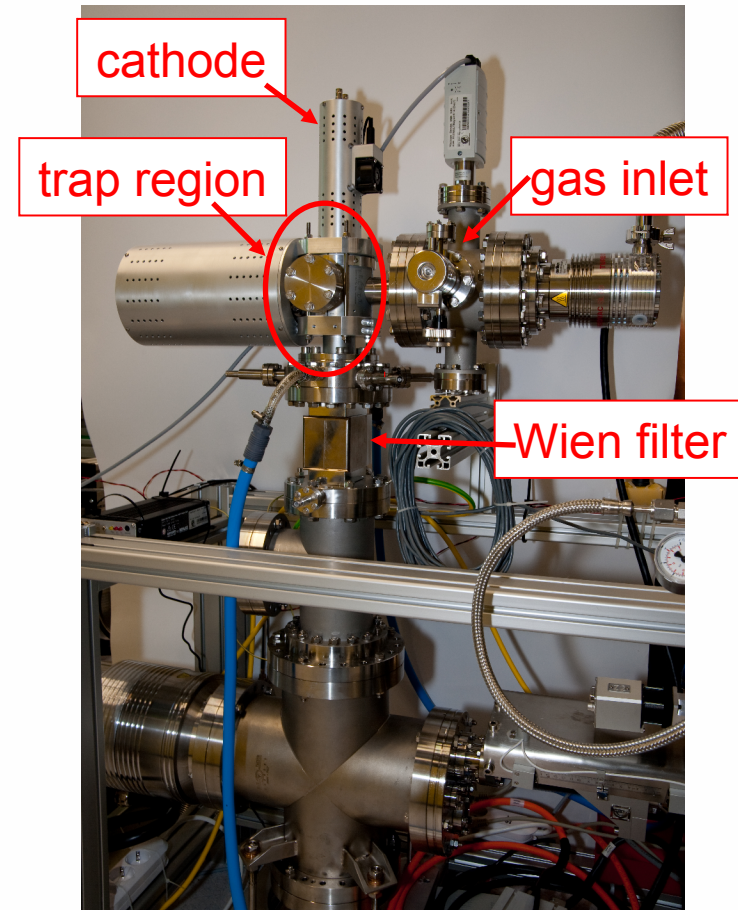
Electron Beam Ion Trap (EBIT)

example: production of highly-charged Osmium



- trapping time: 800ms
- electron current: 30 mA
- electron energy: 7.9 keV

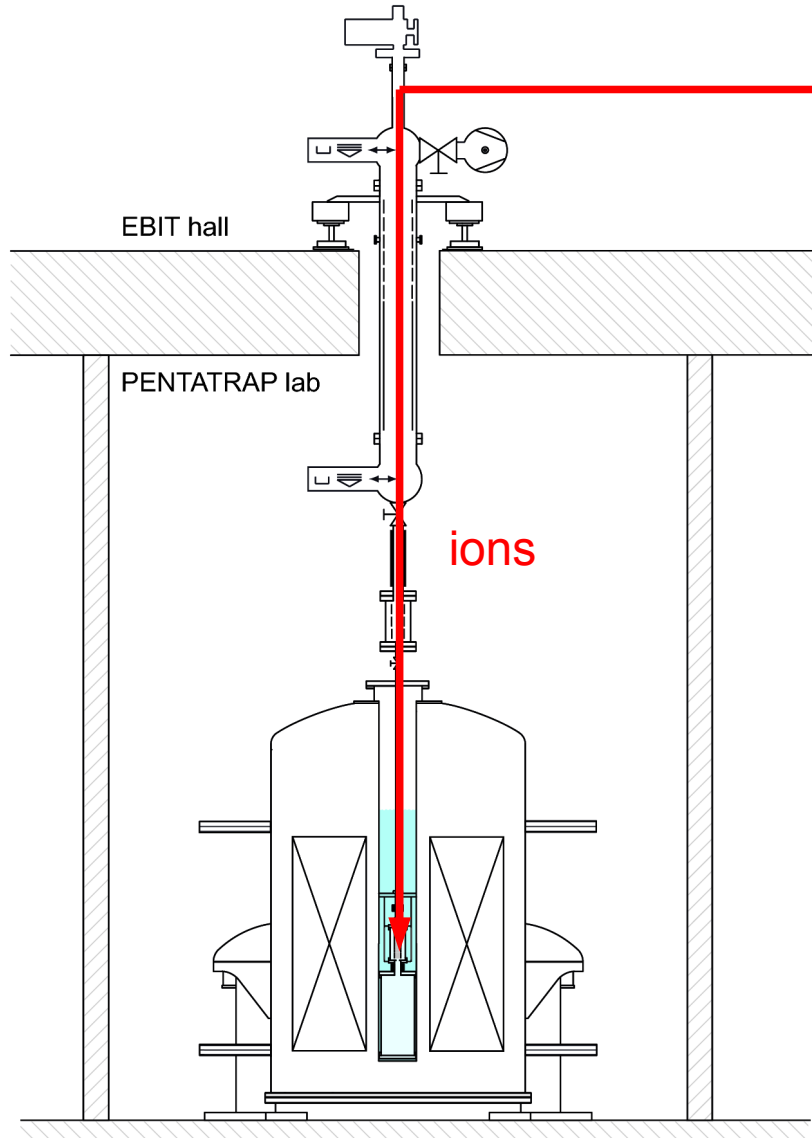
commercial Dresden-EBIT3



Electron Beam Ion Trap (EBIT)

Second experimental phase

Heidelberg- EBIT

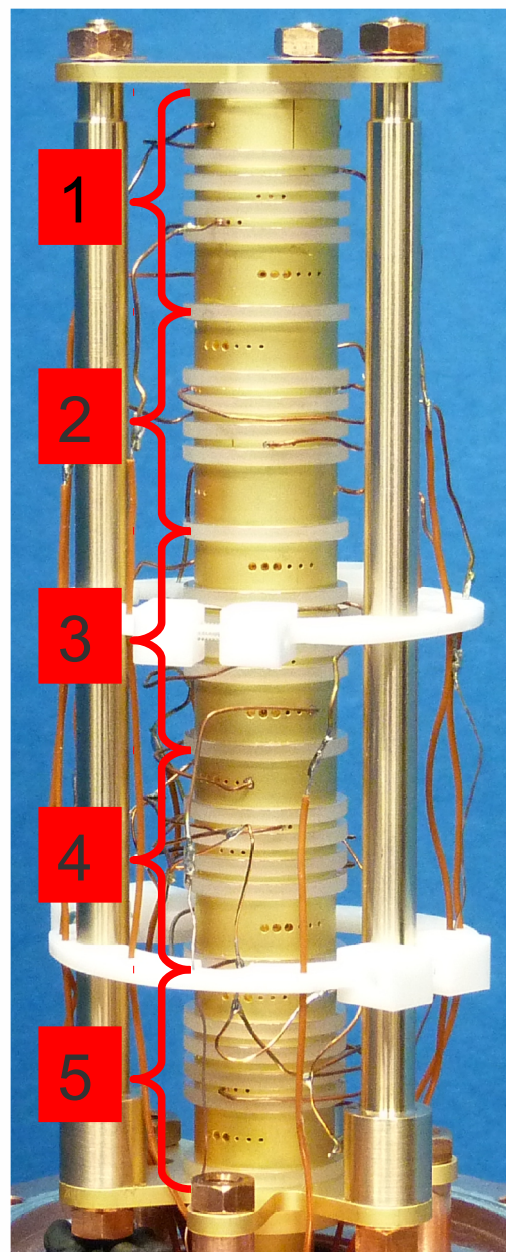
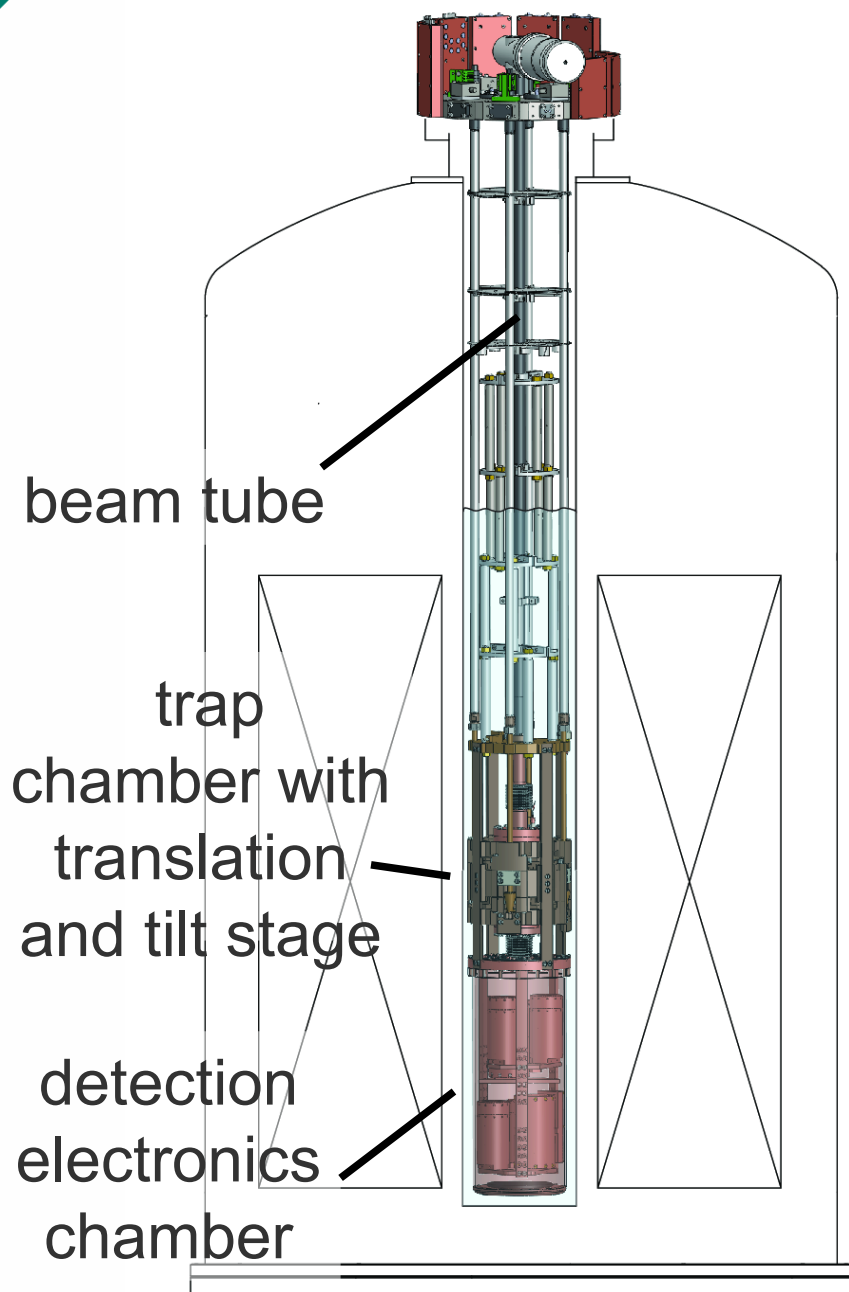


- collaboration with group of J. R. Crespo López-Urrutia
- He-like up to Bi ($q = 81+$)
- bare up to Ba ($q = 56+$)
- upgrade will give bare U (soon)

e.g.:

A. González Martínez et al.,
Phys. Rev. A 73, 052710 (2006)

Traps and cryogenic assembly



- 5 traps
- traps are compensated and orthogonal
- gold plated OFHC copper electrodes
- sapphire spacers
- 3 μm machining precision



ring electrode

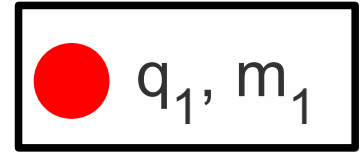
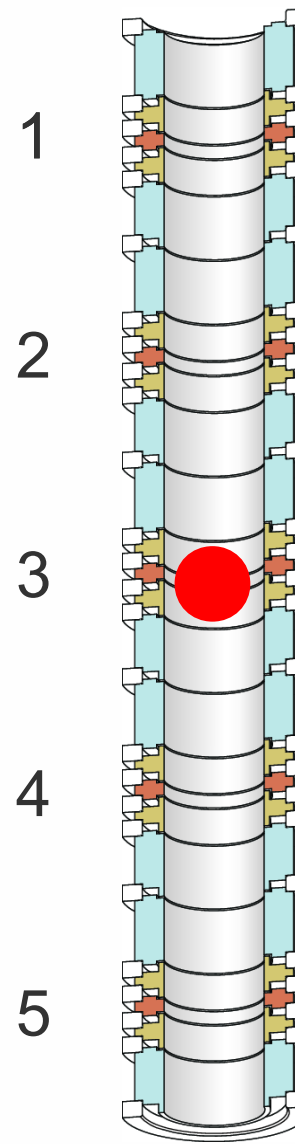


spacer

C.Roux et al., Appl. Phys. B,
doi:10.1007/s00340-011-4825-4 (2012)

Measurement scheme

→ cyclotron frequency $\nu_c = \frac{1}{2\pi} \frac{q_1 B}{m_1}$

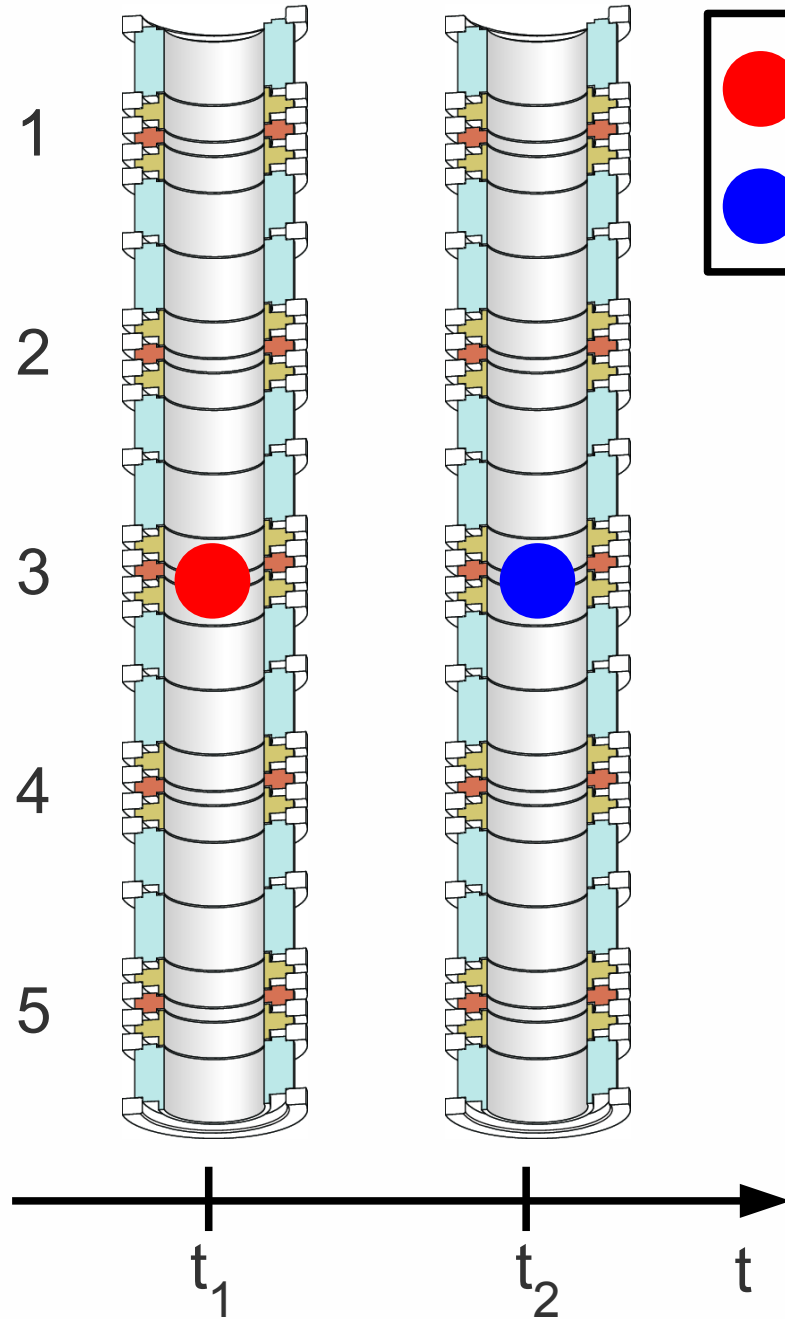


Measurement scheme

→ cyclotron frequency $\nu_c = \frac{1}{2\pi} \frac{q_1 B}{m_1}$

B not precisely known

→ take the ratio $\frac{\nu_{c,1}}{\nu_{c,2}} = \frac{m_2 B(t_1)}{m_1 B(t_2)}$



Measurement scheme

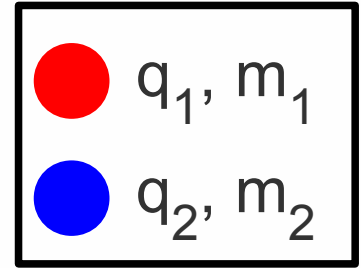
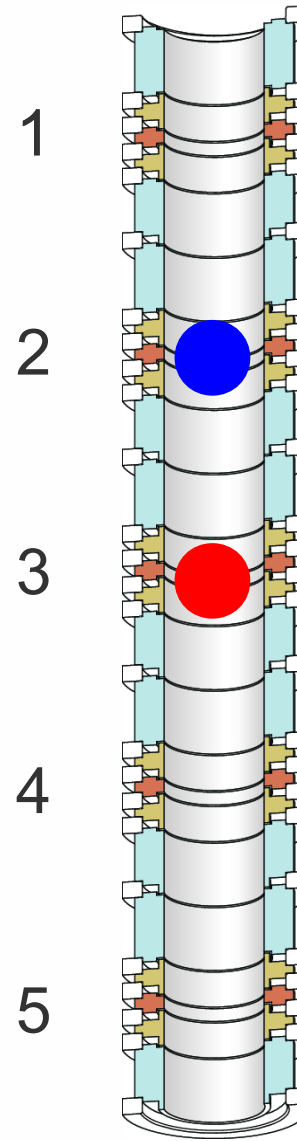
→ cyclotron frequency $\nu_c = \frac{1}{2\pi} \frac{q_1 B}{m_1}$

B not precisely known

→ take the ratio $\frac{\nu_{c,1}}{\nu_{c,2}} = \frac{m_2 B(t_1)}{m_1 B(t_2)}$

temporal B-fluctuations

→ simultaneous $\frac{\nu_{c,1}}{\nu_{c,2}} = \frac{m_2 B_3}{m_1 B_2}$



Measurement scheme

→ cyclotron frequency $\nu_c = \frac{1}{2\pi} \frac{q_1 B}{m_1}$

B not precisely known

→ take the ratio $\frac{\nu_{c,1}}{\nu_{c,2}} = \frac{m_2 B(t_1)}{m_1 B(t_2)}$

temporal B-fluctuations

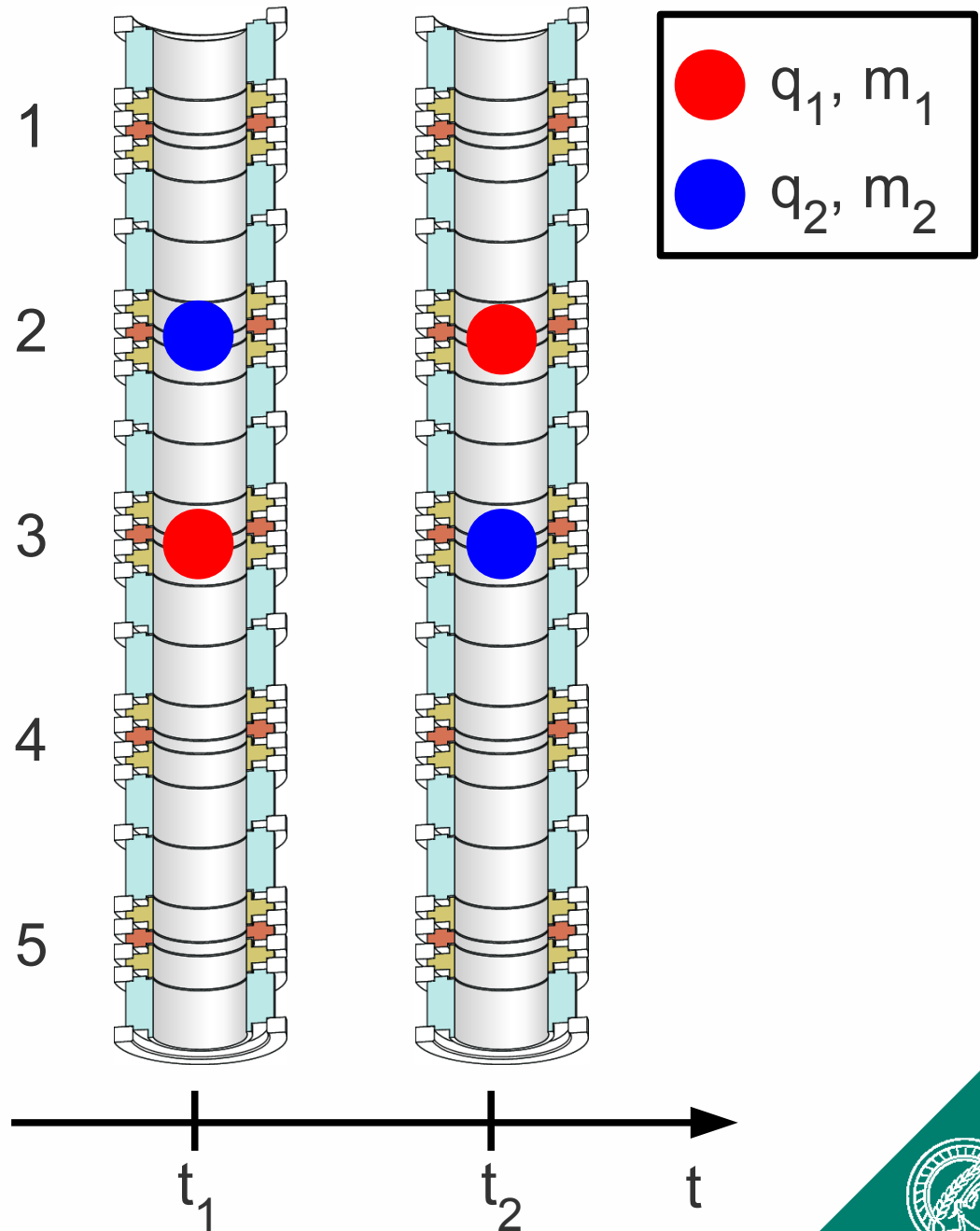
→ simultaneous $\frac{\nu_{c,1}}{\nu_{c,2}} = \frac{m_2 B_3}{m_1 B_2}$

spacial B-variation

→ exchange and repeat

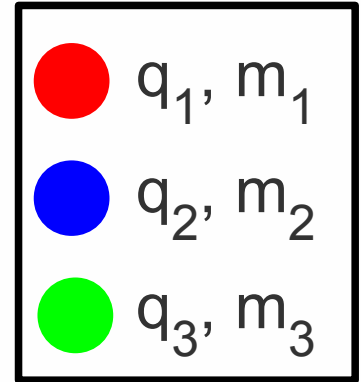
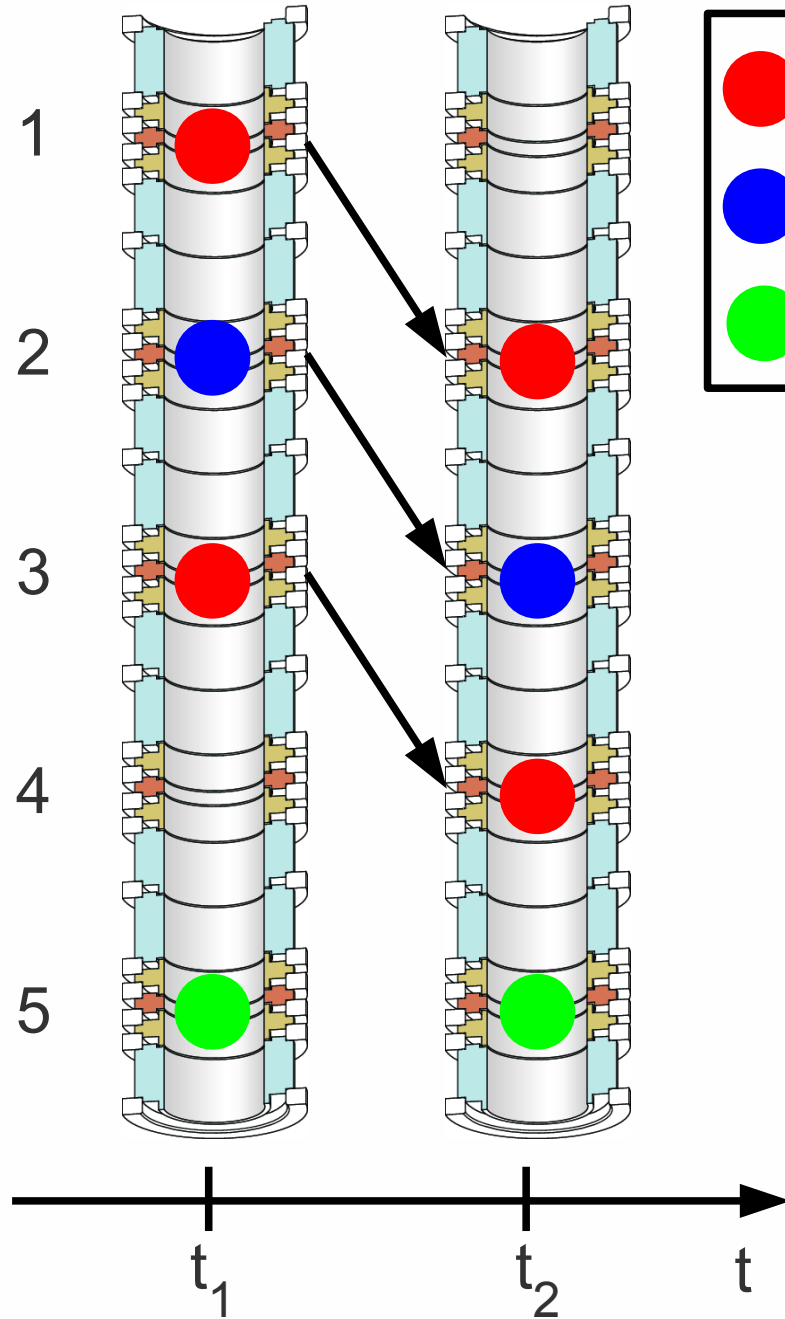
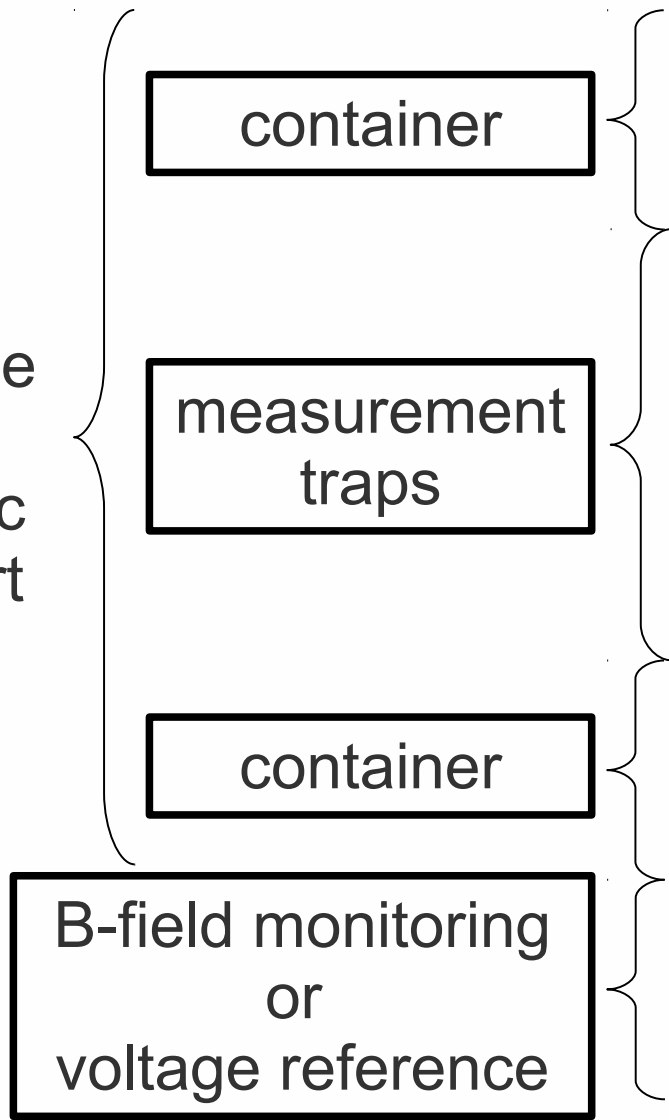
$$\sqrt{\frac{\nu_{c,1}(t_1) \cdot \nu_{c,1}(t_2)}{\nu_{c,2}(t_1) \cdot \nu_{c,2}(t_2)}} = \sqrt{\left(\frac{m_2}{m_1}\right)^2 \cdot \frac{B_3 \cdot B_2}{B_2 \cdot B_3}}$$

$$= \frac{m_2}{m_1}$$



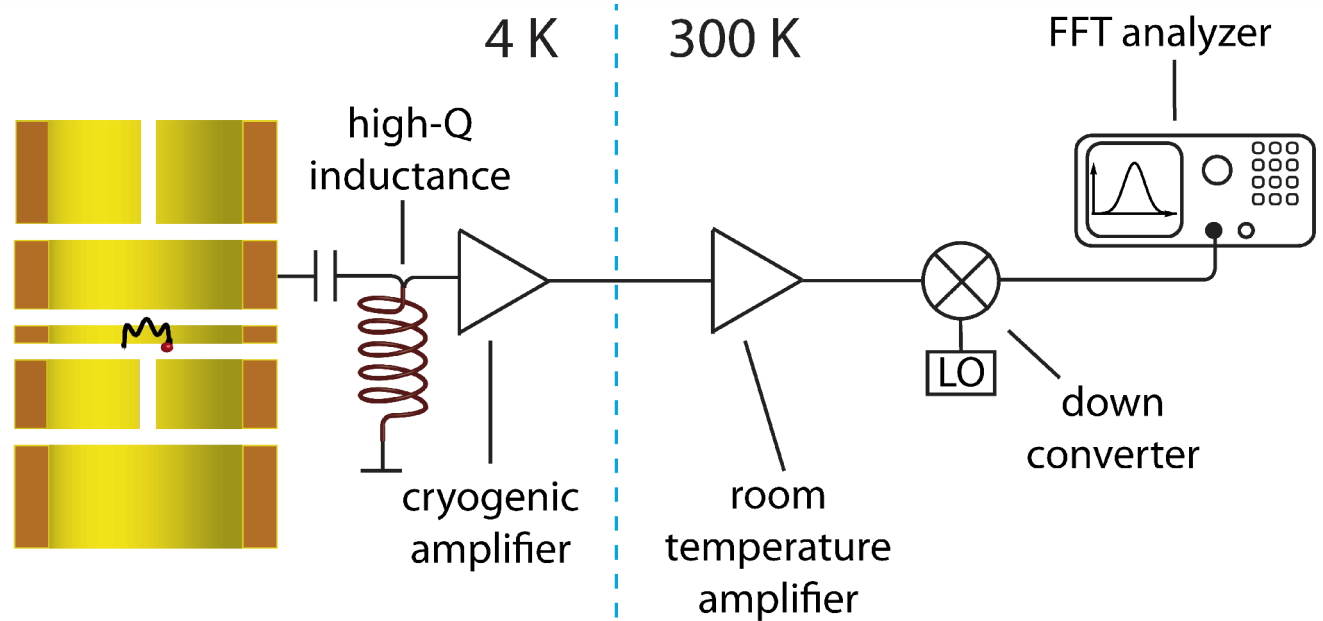
Measurement scheme

ion exchange with adiabatic transport

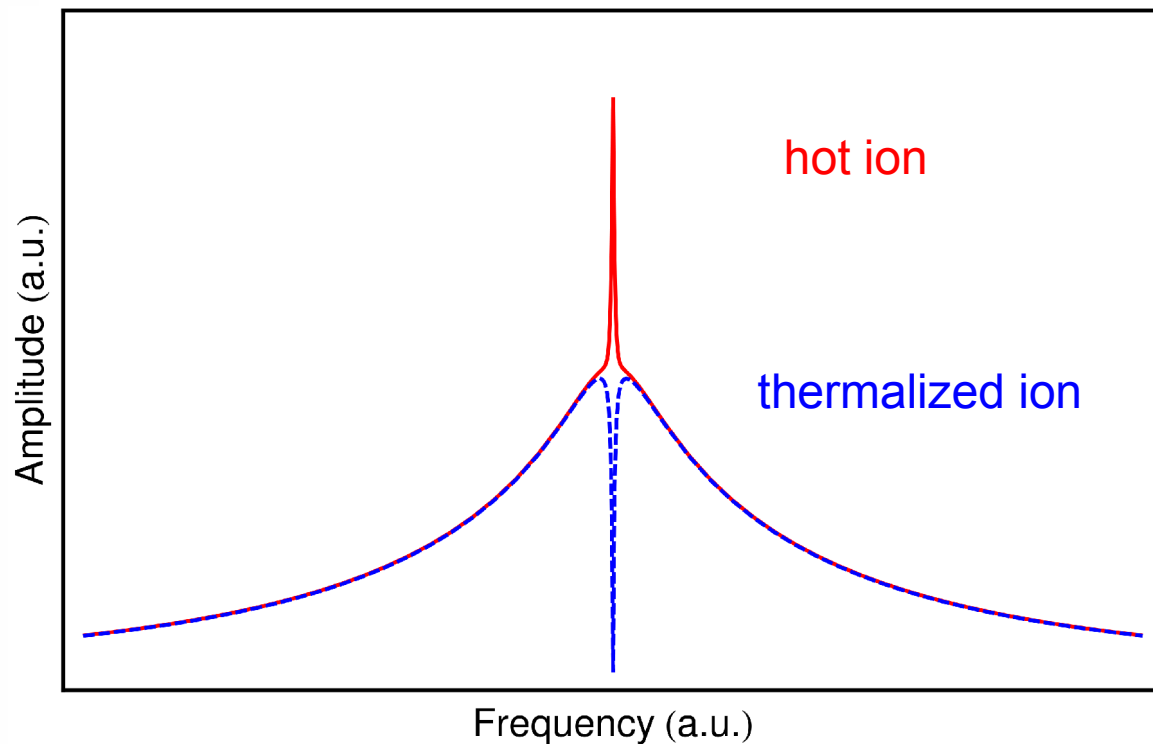


How to measure trap frequencies

Setup for detection of image currents of a single ion

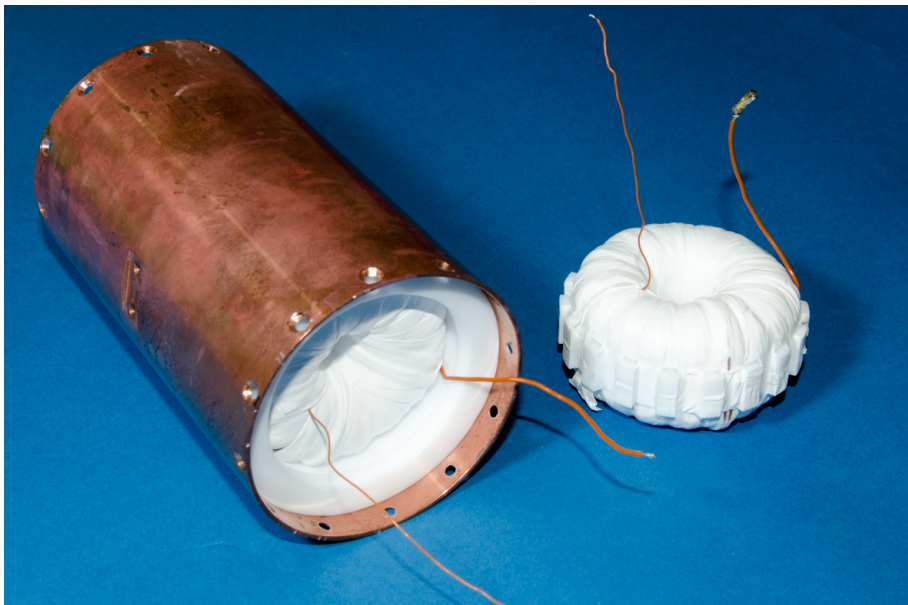


Detector signal (sketch)

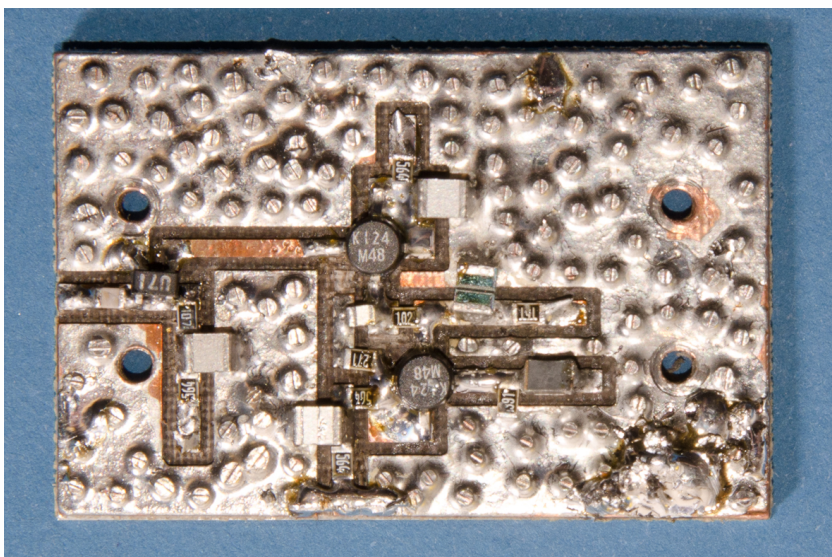


Example: Cryogenic axial detector

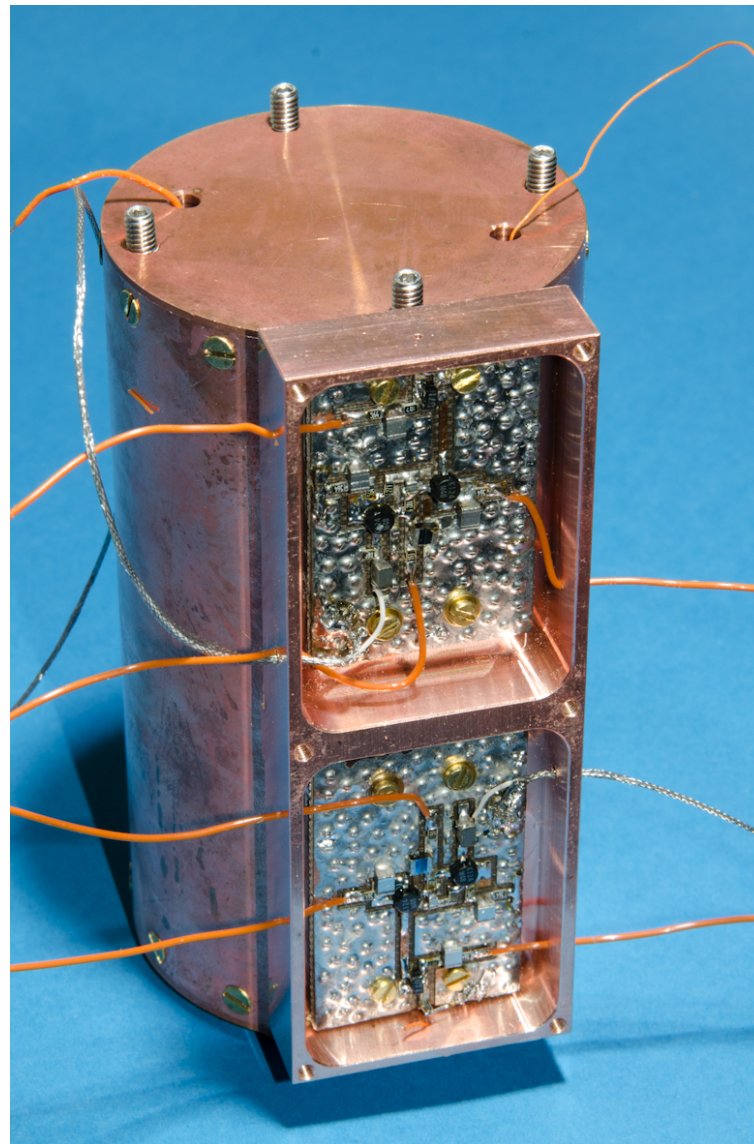
Superconducting toroidal coil



GaAs-FET based amplifier

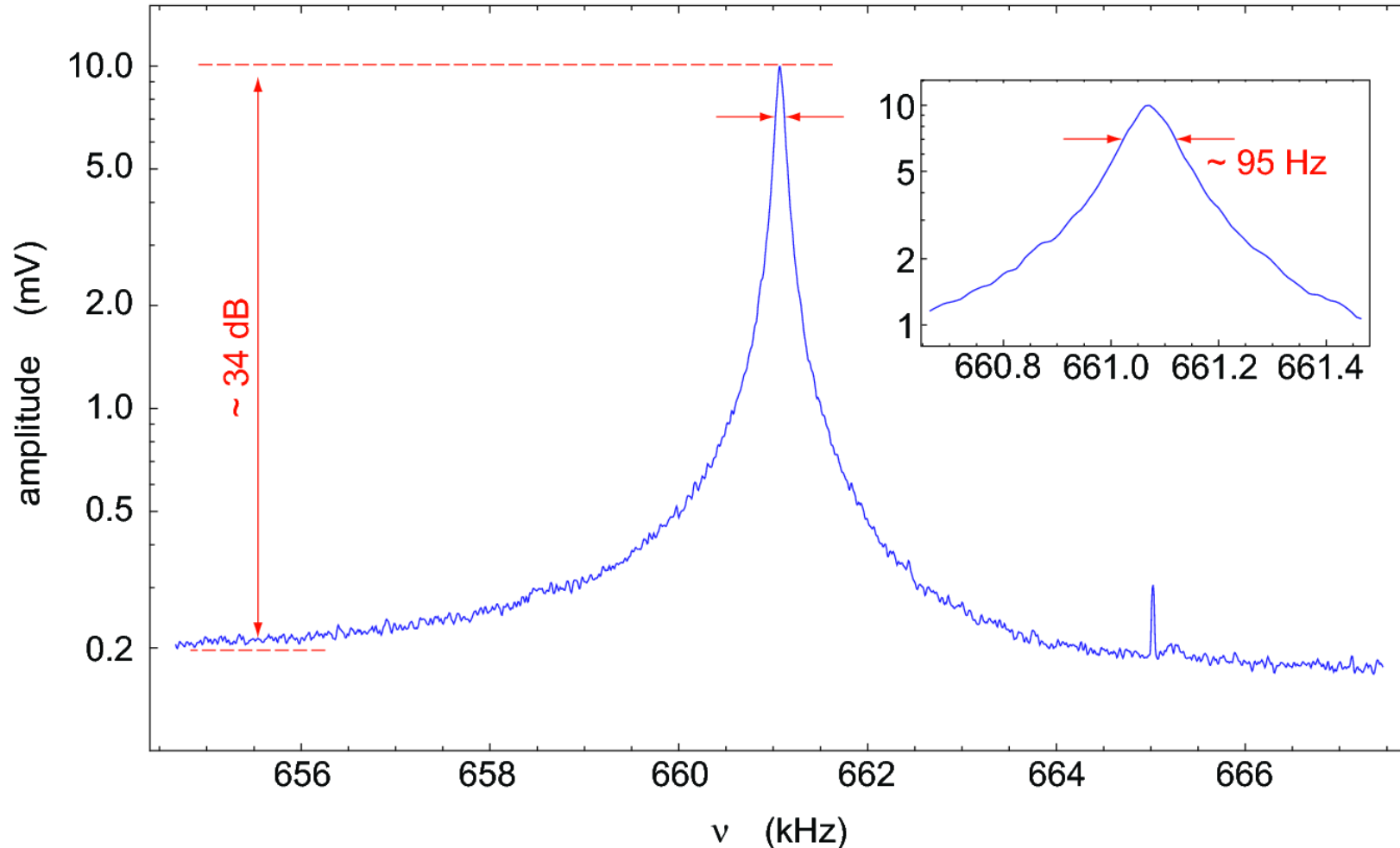


Two cryogenic axial detectors



Axial detector performance

Thermal noise resonance

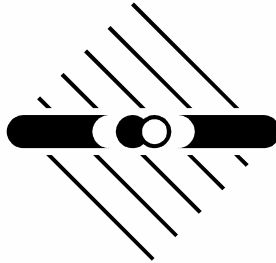


On resonance effective R_p of ~ 100 M Ω

- single ion dip detection possible
- fast cooling to detector temperature (4K)

Acknowledgements

- ***Stored and Cooled Ions Division***
Max-Planck-Institute for nuclear physics



MAX-PLANCK-INSTITUT FÜR KERNPHYSIK



MAX-PLANCK-GESELLSCHAFT

- ***Funding***



DFG BL981/2-1



adv. grant MEFUCO
(# 290870)



Helmholtz Alliance
(HA 216)

Thank you for your attention!