

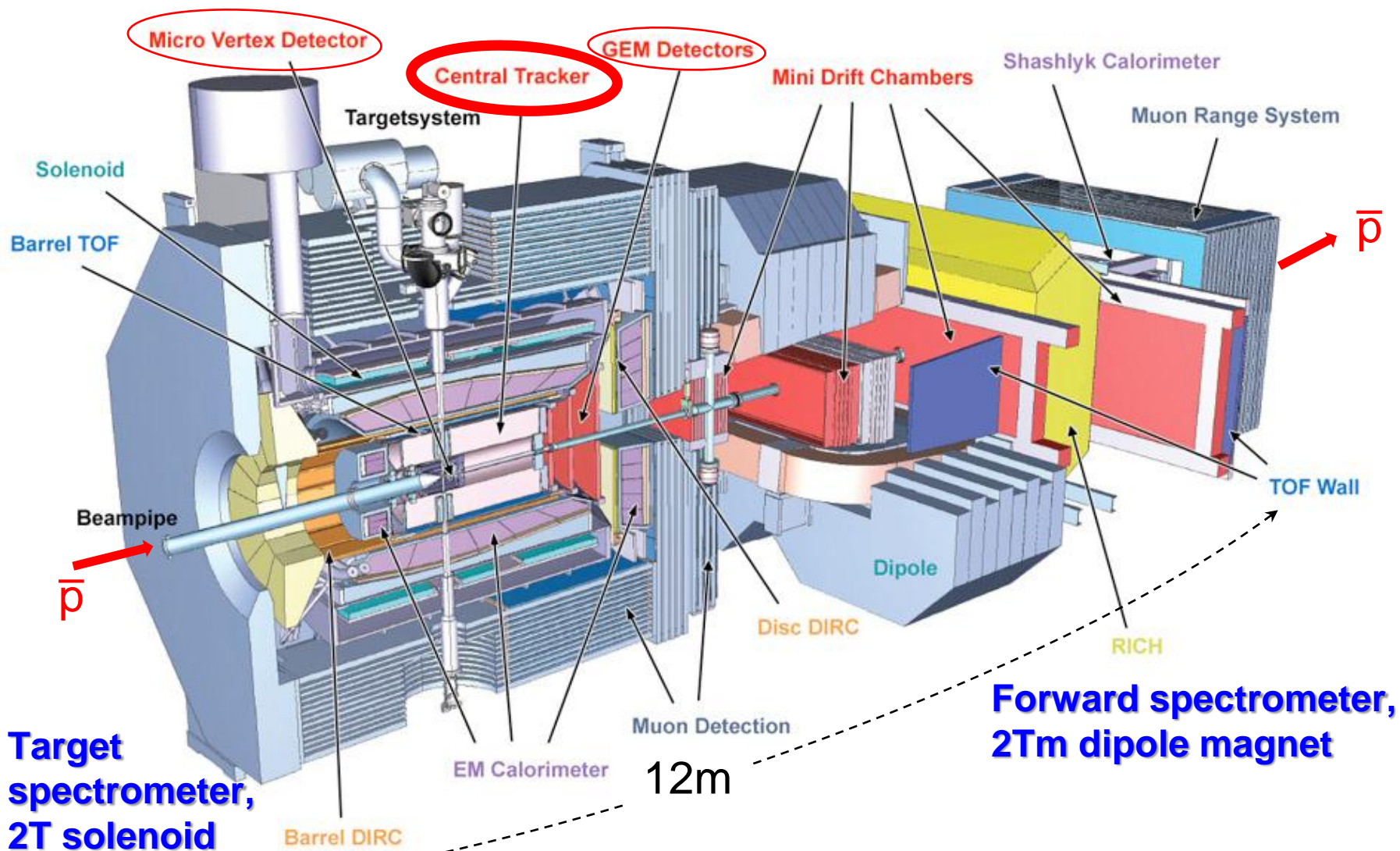


The Layout of the Straw Tube Tracker

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The PANDA Spectrometer



Target spectrometer, 2T solenoid

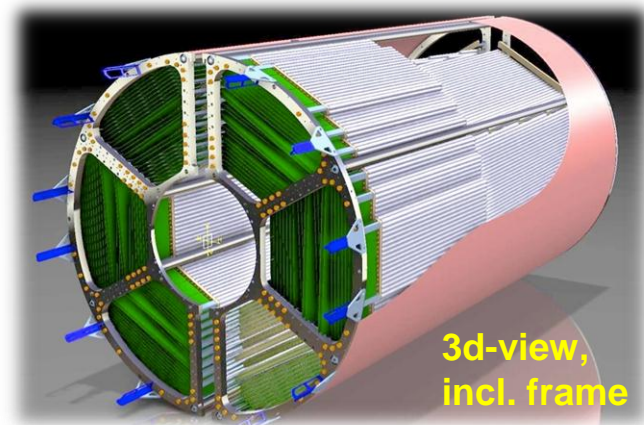
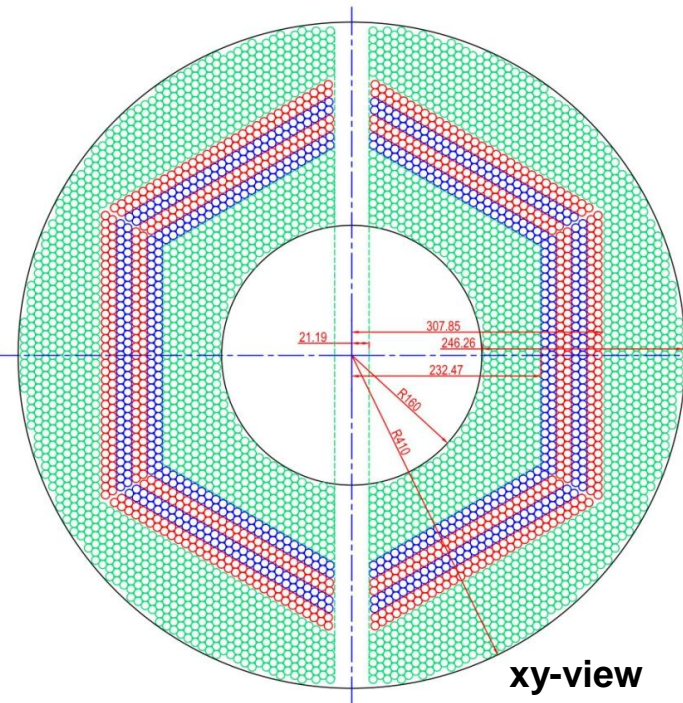
Forward spectrometer, 2Tm dipole magnet

12m

Central Straw Tube Tracker

- **4636 Straw tubes** in 2 semi-barrels
 - Al-Mylar film, $d=27\mu\text{m}$, $\varnothing=10\text{mm}$, $L=1500\text{mm}$
- **23-27 planar layers** in **6 hexagonal sectors**
 - 15-19 axial layers (green) in beam direction
 - 4 stereo double-layers, skew angle $\pm 3^\circ$ (blue/red)
- **Time readout** (isochrone radius)
- **Amplitude readout** (energy loss)
- $\sigma_{r\phi} < 150 \mu\text{m}$, $\sigma_z < 2.8 \text{ mm}$ (single hit)
- $\sigma_E / E < 8\%$ (p/K, π /K separation)
- $\sigma_p / p \sim 3\%$ (at B=2T, STT alone)
- $X/X_0 \sim 1.2\%$ ($2/3$ tube wall + $1/3$ gas)

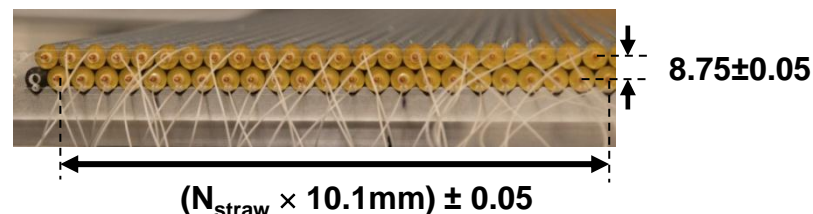
- **STT dimensions**
 - $R_{\text{in}}/R_{\text{out}} = 150/420 \text{ mm}$ (160/410mm active)
 - $L = 1650\text{mm}$ incl. backward FEE (150mm)



STT Geometry

Helix reconstruction

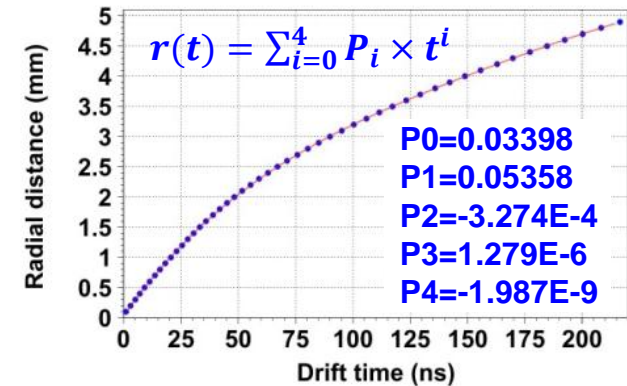
- **axial layers**
 - helix circle in $r\phi$ -plane, **up to 19 hits**
 - 1st step of track pattern recognition
 - sectors with close-packed planar layers, straw distance: $\Delta x=10.1\text{mm}$, $\Delta y=8.75\text{mm}$
- **stereo layers**
 - helix slope in sz -plane, **up to 8 hits**
 - skew angle $\pm 3^\circ$ relative to axial sector layers
 - 2nd step of PR: associate skewed hits to found circle in $r\phi$ -plane
- **low material budget** inside STT
 - $X/X_0 \sim 1.2\%$ in radial direction
 - neglect MS, ΔE for (online) tracking
- curling tracks
 - $p_{\text{tr}} \sim 50 \dots 130 \text{ MeV}/c$ with $2R \sim 16 \dots 42\text{cm}$ at $B=2\text{T}$



STT Readout Information

- Readout information:
 - **straw channel** number: i , $i = 0..4636$
 - **signal time**: t_{hit}
 - **signal amplitude (width)**: $A_{hit} (\Delta t_{hit})$

- **Signal times t_{hit}** for tracking
 - triggerless readout: $t_{hit} = t_0^{evt} + t_{drift} \quad (+t_{offs} + \Delta t_{\Delta L} + \Delta t_{tof})$
 - need drift times t_{drift} for isochrones: $r_{iso}(t_{dr})$
 - event time determination necessary: $t_{drift} = t_{hit} - t_0^{evt}$
 - **no data bursts** at event rate $\sim 2 \times 10^7 /s$
 - *event mixing $\langle \Delta t_0^{evt} \rangle \sim 50ns$ (average, but poissonian)*
 - *drift time range $t_{drift} = 0..200ns$*
 - *time frame: $\pm 200ns$ with ~ 8 events, ~ 30 complete/incomplete tracks*



Track Pattern Recognition

Two methods

1. STT alone

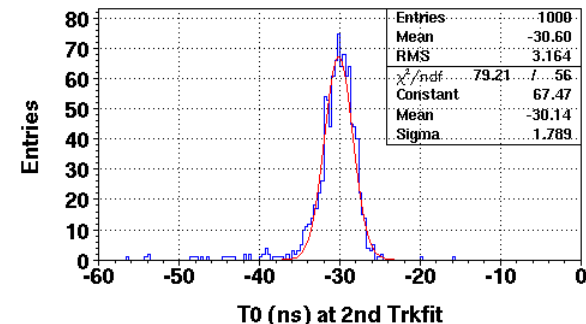
- define **start hit, time t_{hit}** in inner STT region
- find **hits within $t_{hit} \pm 200ns$** drift time window
- associate all hits belonging to one track (track road, ..)
- only coarse straw information: no isochrones, only wire positions, ~mm resol.
- **event time (t_0^{evt}) determination** from STT hits and/or assoc. SciTil hits
- isochrone information available for high resolution tracking

2. SciTil times as reference

- data burst (≥ 2 hits) in SciTil defines event occurrence and time (t^{evt})
- **match STT (outer) hits to SciTil hits**
- match STT hit times (const. time offset), drift times available
- pattern recognition can be based on isochrones

T0 Determination Method

- **STT standalone reconstruction** method (idea)
- **Pattern recognition** in $r\phi$ -plane using **straws as pads**
 - Find hit cluster in STT, identify all hits within $\pm 200\text{ns}$
 - Calculate track circle in $r\phi$ -plane based on
 - **$2 \times$ Midpoints of straw triplets: $(x_m, y_m) = 1/3 \times \sum (x_i, y_i)^{\text{wire}}$**
 - **IP point (0,0)**
 - Associate all hits belonging to one track road
- **Calculate time t_0 using the inverse isochrone relation: $t(r_{\text{iso}})$**
 - Compute expected drift times: $t_{\text{guess}}(r_{\text{iso}}) = \sum P_i \times r_{\text{iso}}^i$
 - Compare with hit times: **$t_0 = \sum (t_{\text{hit}} - t_{\text{guess}}) / N_{\text{hits}}$**
 - t_0 resolution of $\sim 5\text{ns}$ (σ) for 1000 simulated tracks
 - **Trackfit to isochrones with t_0 -corrected drift times: $t_{\text{drift}} = t_{\text{hit}} - t_0$**
 - Recalculate t_0
 - **t_0 resolution of 1.8ns (σ)** already for single tracks



Some Examples

Tracking without isochrones

- Straw **triplet-cluster hits**: $(x_m, y_m) = 1/3 \times \sum (x_i, y_i)^{wire}$
- black (small) circles, with \sim mm precision
- track circles in plots:
 - blue = true track
 - black = to triplet hits
 - red = fit to isochrones

