

# **$\beta$ -Decays of Isotones with N=126 and Nuclei nearby and R-Process Nucleosynthesis**

Toshio Suzuki  
Nihon University

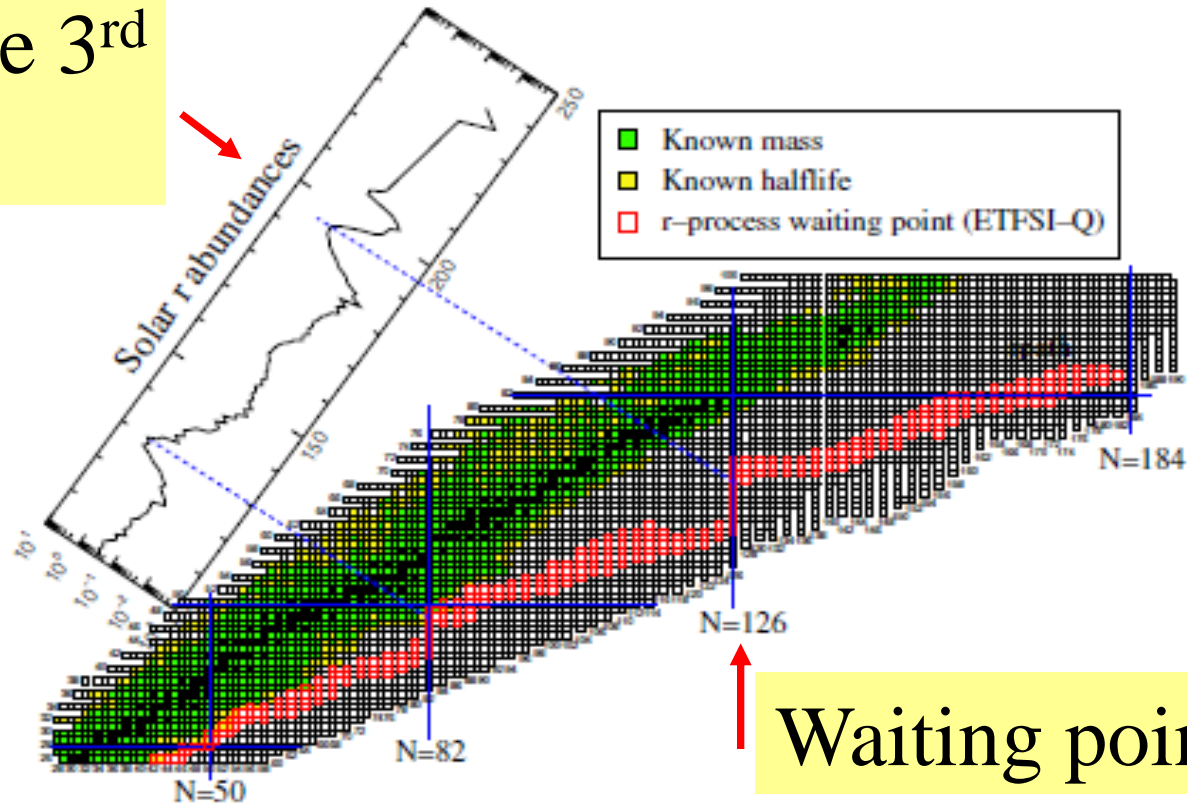


NIC XII Satellite workshop, Cairns  
Aug. 4, 2012

# R-Process Nucleosynthesis and Beta Decays of N=126 Isotones

H Grawe *et al*

Focus on the 3<sup>rd</sup>  
peak region



**Figure 18.** The figure shows the range of r-process paths, defined by their waiting point nuclei. After decay to stability the abundance of the r-process progenitors produce the observed solar r-process abundance distribution. The r-process paths run generally through neutron-rich nuclei with experimentally unknown masses and half lives. In this calculation a mass formula based on the ETFSI model and special treatment of shell quenching [79] has been adopted (courtesy of Kratz and Schatz).

# r-process

Mass formula  $\rightarrow$  waiting point nuclei

Beta decay rates at the waiting point nuclei, delayed n-emission probability

Other effects:

neutrino processes:  $n(\nu, e^-)p$ ,  $\alpha(\nu, e^-p)^3He \rightarrow$  less n

$\rightarrow Y_e$  increases  $\rightarrow$  suppression of the 3<sup>rd</sup> peak of the r-process (Meyer et al.)

reaction rates of  $\alpha$ -processes in light nuclei (Kajino et al.)

enhanced  $\rightarrow$  less n  $\rightarrow$  suppression of the 3<sup>rd</sup> peak

fission processes (Langanke-Pinedo)

## Beta decay half-lives:

Decay rates, Mass

- GT vs GT+FF(first-forbidden)
- SM, QRPA

# 1. Beta-decays of N=126 isotones

- Gamow-Teller (GT) + First-forbidden (FF) transitions
- Shell-model calculation
- Short half-lives of the isotones compared to the standard ones by Moller

# 2. Effects on the r-process nucleosynthesis

- Element abundances at 3<sup>rd</sup>-peak region

# 3. Dependence of half-lives on quenching factors

Results thus far: SM (GT), QRPA, CQRPA etc.

Theoretical half-lives prediction:  $N=126$  scattered

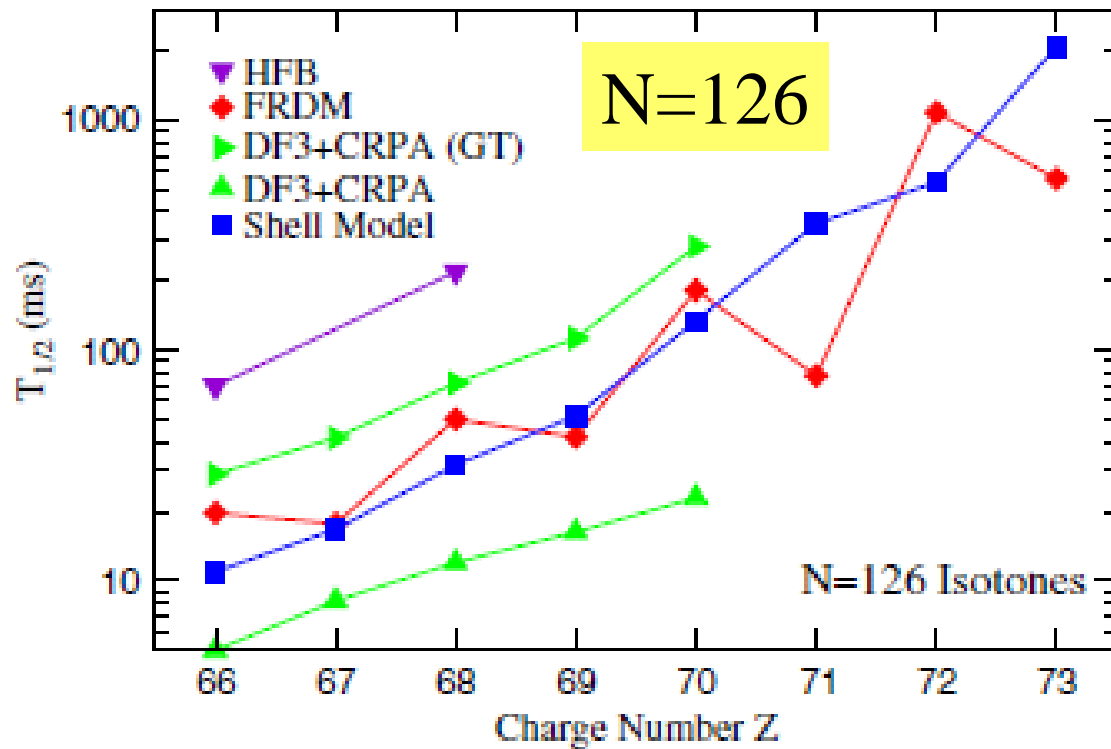


Figure 26. Theoretical half life predictions for  $N = 126$  isotones in the shell model [299], the HFB [76], FRDM [57] and the DF3+CQRPA [77] approaches.

$N=82$

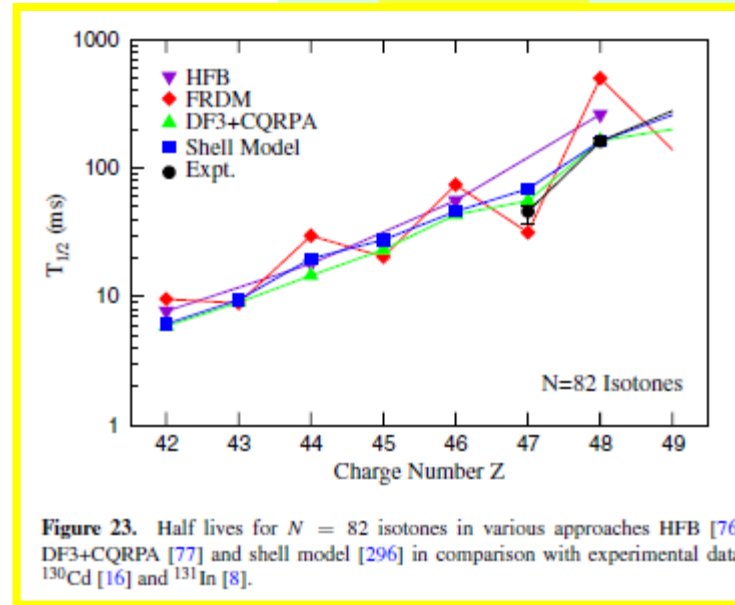


Figure 23. Half lives for  $N = 82$  isotones in various approaches HFB [76], DF3+CQRPA [77] and shell model [296] in comparison with experimental data  $^{130}\text{Cd}$  [16] and  $^{131}\text{In}$  [8].

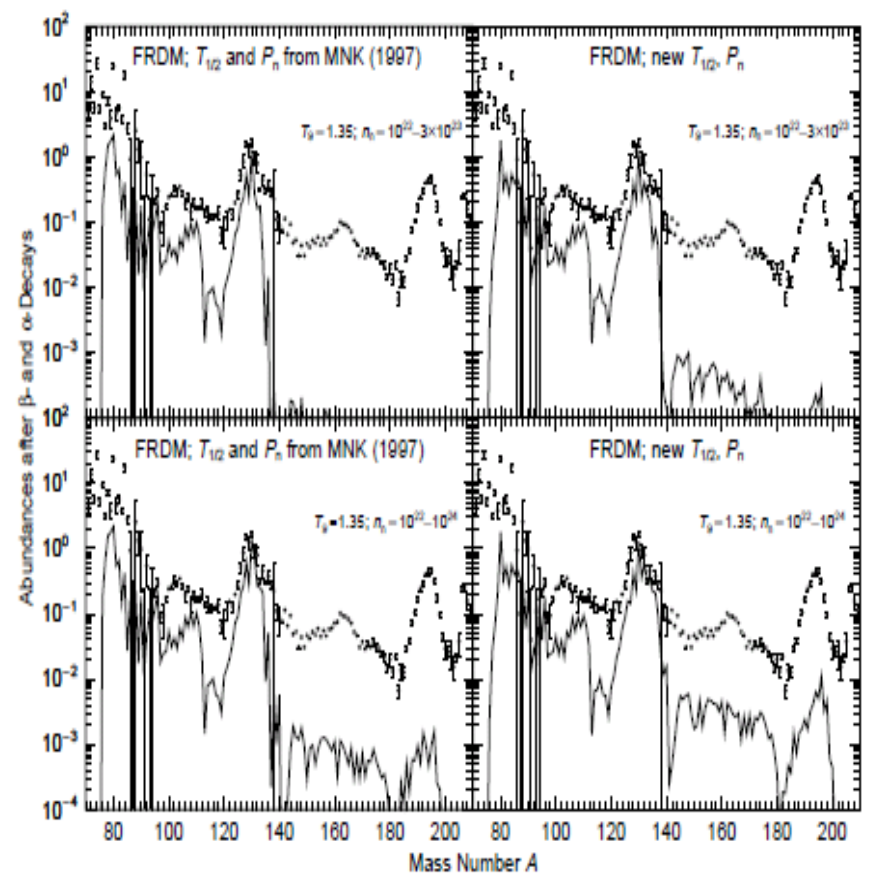
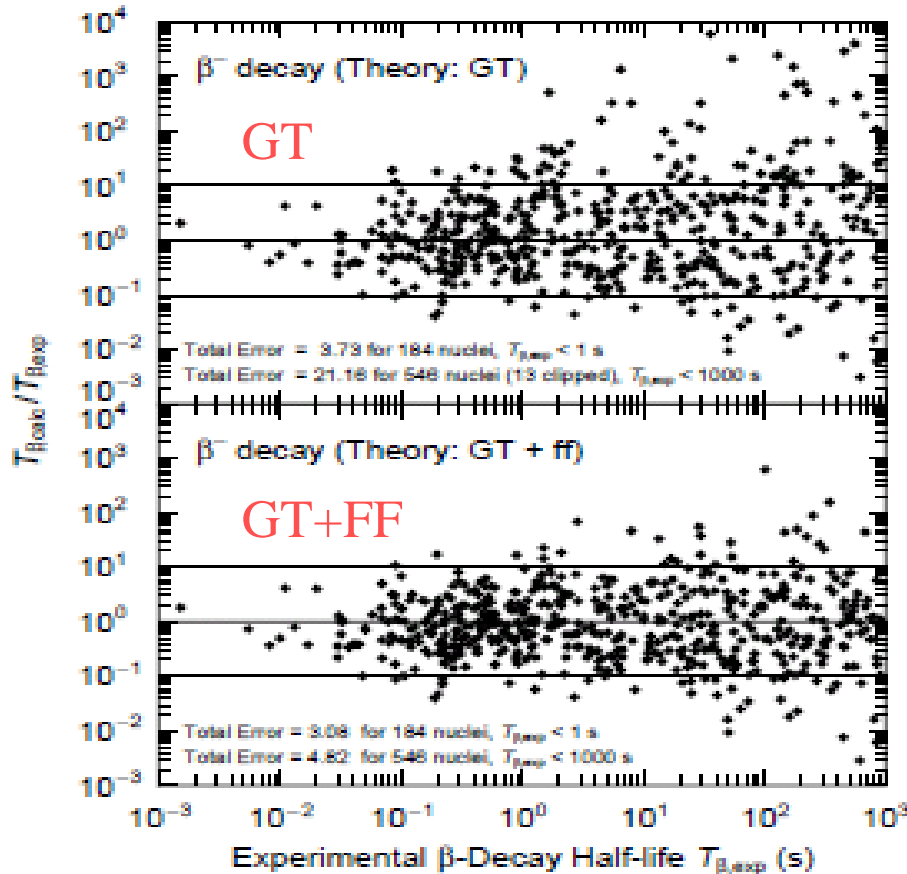
SM (GT): Langanke, Martinez-Pinedo, RMP 75, 819 (2003)  
 QRPA: Moller, Pfeiffer and Kratz, PR C67, 055802 (2003)  
 CQRPA: Borzov, PR C67, 025802 (2003)

Grawe, Langanke,  
 Martinez-Pinedo,  
 RPP 70, 1525 (2007)

# QRPA

GT

GT+FF



Moller, Pfeiffer, Kratz, PR C67, 055802 (2003)

# Beta Decays of N=126 Isotones

**Z=64-73 (A=190-199)**

• **Shell-model calculations:**

**Kuo-Herling G + mod. Steer et al., PR C78, 061302 (2008)**

**Ryndstrom et al., NP A512, 217 (1990)**

**Energy levels of Z=77-81 nuclei well described**

• **GT (1<sup>+</sup>) + FF (first-forbidden: 0<sup>-</sup>, 1<sup>-</sup>, 2<sup>-</sup>) transitions**

$$O(1^+) = g_A \sigma t_-$$

$$O(0^-) = g_A \left[ \frac{\sigma \cdot p}{m} + \frac{\alpha Z}{2R} i \sigma \cdot r \right] t_-$$

$$O(1^-) = \left[ g_V \frac{p}{m} - \frac{\alpha Z}{2R} (g_A \sigma \times r - i g_V r) \right] t_-$$

$$O(2^-) = i \frac{g_A}{\sqrt{3}} [\sigma \times r]_\mu^2 \sqrt{p_e^2 + q_\nu^2} t_-$$

$$\Lambda (s^{-1}) = \ln 2 / t = f / 8896 (s)$$

$$f = \int_1^{w_0} C(w) F(Z, w) p w (w_0 - w)^2 dw$$

$$C(w) = K_0 + K_1 w + K_{-1} / w + K_2 w^2$$

$$K_N : \quad \vec{r}, \quad [\vec{r} \times \vec{\sigma}]^\lambda \quad (\lambda = 0, 1, 2)$$

$$\gamma_5, \quad \vec{\alpha}$$

Warburton et al., Ann.Phys.  
187 (1988)

# Structure of N=126 Isotones

• Shell-model calculations of proton-hole states of  $^{208}\text{Pb}$   
Kuo-Herling G + mod.

proton hole config.:  $2s_{1/2}$ ,  $1d_{3/2}$ ,  $0h_{11/2}$ ,  $1d_{5/2}$ ,  $0g_{7/2}$

Energy levels of  $Z=77-81$  nuclei well described

PHYSICAL REVIEW C 78, 061302(R) (2008)

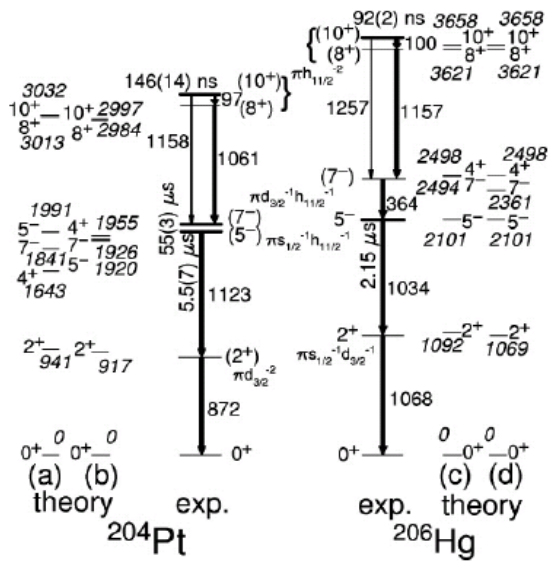


FIG. 3. Experimental and calculated partial level schemes of the  $N = 126$   $^{204}\text{Pt}$  and  $^{206}\text{Hg}$  [9] nuclei. Arrow widths denote relative intensities of parallel decay branches. The dominant state configurations are indicated. (a) and (d) are calculations using the Rysdström matrix elements, while (b) and (c) are with the modified ones, as described in the text.

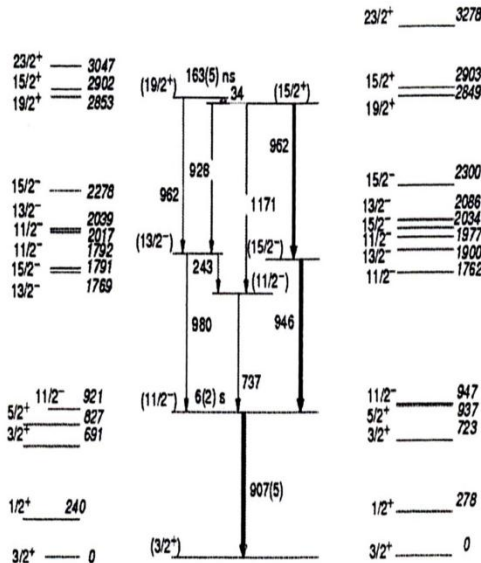


FIGURE 3. Experimental (middle) and calculated level schemes of  $^{205}\text{Au}$ . Calculations using Rysdström matrix elements are shown on the left, while calculations with the modified TBMEs are on the right hand side.

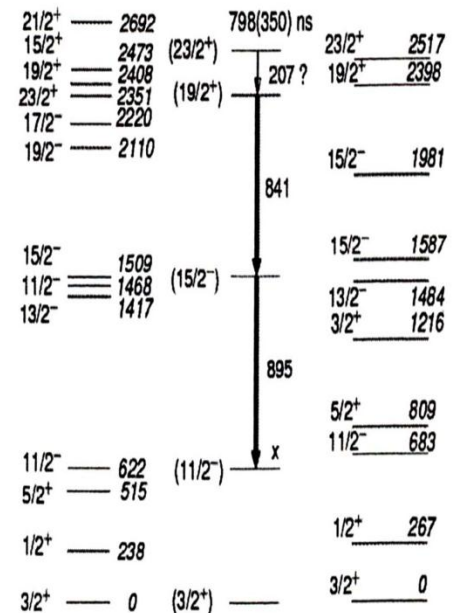


FIGURE 4. Same as figure 3, but for  $^{203}\text{Ir}$ . The experimental level scheme is preliminary



$$\Lambda(\text{s}^{-1}) = \ln 2 / t = f / 8896(\text{s})$$

$$f = \int_1^{w_0} C(w) F(Z, w) p w (w_0 - w)^2 dw$$

$$C(w) = K_0 + K_1 w + K_{-1} / w + K_2 w^2$$

$$K_N : \quad \vec{r}, \quad [\vec{r} \times \vec{\sigma}]^\lambda \quad (\lambda = 0, 1, 2)$$

$$\gamma_5, \quad \vec{\alpha}$$

Warburton et al., Ann.Phys.187 (1988)  
 Behrens and Buring, NP A162 (1971)  
 Schopper, (North-Holland, 1966)

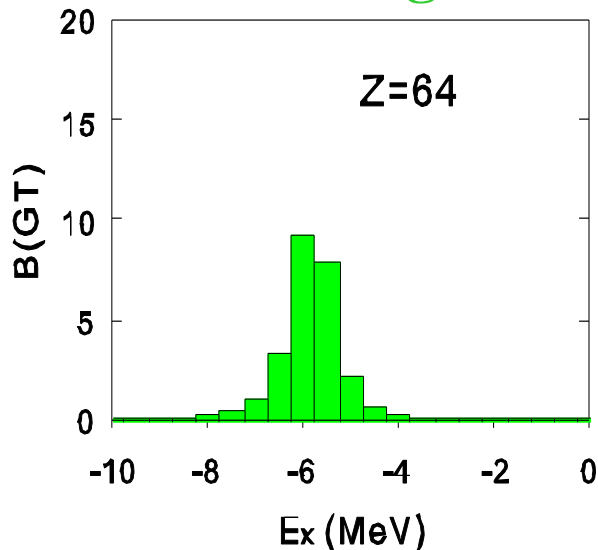
**•GT (1<sup>+</sup>)**

$$K_0 = \frac{1}{2J_i + 1} |\langle f \parallel g_A \sigma t_- \parallel i \rangle|^2$$

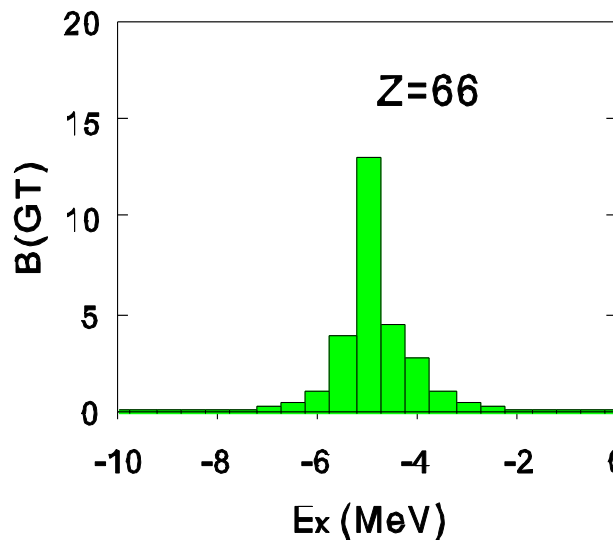
$$q = g_A^{\text{eff}} / g_A < 1$$

$$v_0 h_9 / 2 \rightarrow \pi_0 h_{11} / 2$$

# GT strengths



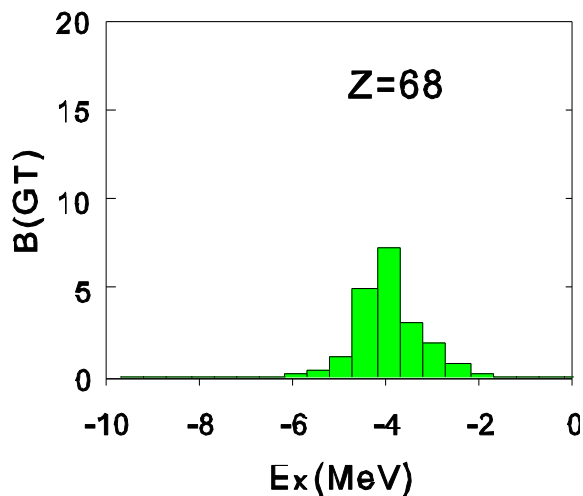
$$\sum B(\text{GT})=14.4$$



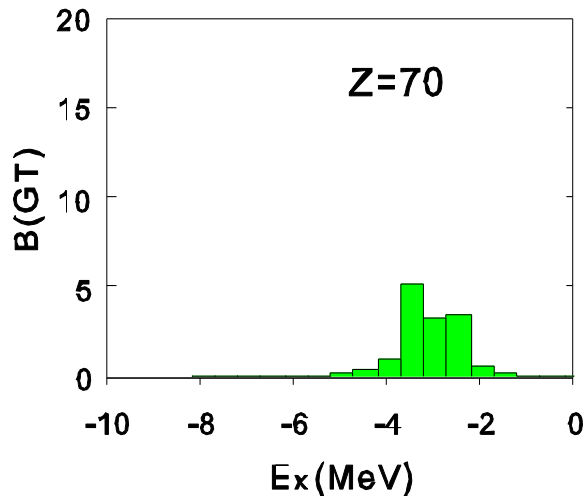
$$\sum B(\text{GT})=14.6$$

$$Q=g_A^{\text{eff}}/g_A=0.7$$

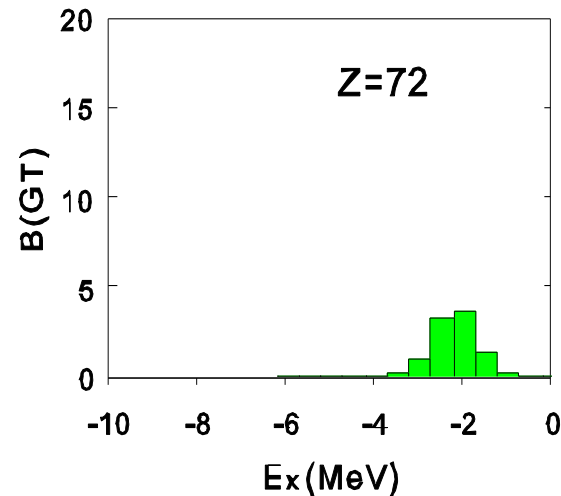
$E_x=0 \longleftrightarrow$  g.s. of the parent nuclei



$$\sum B(\text{GT})=11.7$$



$$\sum B(\text{GT})=8.5$$



$$\sum B(\text{GT})=5.6$$

**0-** Expansions in  $(p_e R)$ ,  $(WR)$ ,  $(\alpha Z)$ ,  $(q_v R)$ ,  $(m_e R)$ ,  $(P_N/M_N)$

$$\mathbf{M}_0^S = -g_A \sqrt{3} \langle \mathbf{J}_f \mathbf{T}_f \parallel \mathbf{i}[\mathbf{r} \cdot \boldsymbol{\sigma}]^0 \mathbf{t}_- \parallel \mathbf{J}_i \mathbf{T}_i \rangle \mathbf{C} \leftrightarrow g_A \mathbf{i} \boldsymbol{\sigma} \cdot \mathbf{r}$$

$$\mathbf{M}_0^T = -g_A \langle \mathbf{J}_f \mathbf{T}_f \parallel \gamma_5 \mathbf{t}_- \parallel \mathbf{J}_i \mathbf{T}_i \rangle \mathbf{C} \leftrightarrow g_A \frac{\boldsymbol{\sigma} \cdot \mathbf{p}}{m}$$

$$\mathbf{C} = 1/\hat{\mathbf{J}}_i$$

$$\varepsilon = \mathbf{g}_A^{\text{eff}} / \mathbf{g}_A = 1.5 - 2.0 \quad \text{in} \quad \mathbf{M}_0^T(\gamma_5): \quad \text{MEC}$$

Warburton, PR C44, 233 (1991), Warburton, Towner, Brown, PR C49, 824 (1994)

$$\mathbf{K}_0 = \zeta_0^2 + \frac{1}{9} (\mathbf{M}_0^S)^2$$

$$\mathbf{K}_{-1} = -\frac{2}{3} \mu_1 \gamma_1 \zeta_0 \mathbf{M}_0^S$$

$$\zeta_0 = \mathbf{V} + \frac{1}{3} \mathbf{M}_0^S \mathbf{W}_0,$$

$$\mathbf{V} = \mathbf{M}_0^T + \zeta \mathbf{M}_0^S,$$

: finite nuclear charge distribution effect

$$\zeta = \frac{\alpha Z}{2R}, \quad \gamma_1 = \sqrt{1 - (\alpha Z)^2}, \quad \mu_1 \approx 1 \quad (1.0 - 0.9)$$

(Calculations are done with all the  $\mathbf{K}_0$ ,  $\mathbf{K}_{-1}$  terms)

$$\mathbf{O}(0^-) = g_A \left[ \frac{\boldsymbol{\sigma} \cdot \mathbf{p}}{m} + \frac{\alpha Z}{2R} \mathbf{i} \boldsymbol{\sigma} \cdot \mathbf{r} \right] \mathbf{t}_-$$

-1-

$$\mathbf{x} = \langle \mathbf{J}_f \mathbf{T}_f \parallel \mathbf{i} \mathbf{r} \mathbf{t}_- \parallel \mathbf{J}_i \mathbf{T}_i \rangle \mathbf{C} \quad \leftrightarrow \quad \mathbf{g}_V \mathbf{i} \mathbf{r}$$

$$\mathbf{u} = -\mathbf{g}_A \sqrt{2} \langle \mathbf{J}_f \mathbf{T}_f \parallel \mathbf{i} [\mathbf{r} \mathbf{x} \sigma]^1 \mathbf{t}_- \parallel \mathbf{J}_i \mathbf{T}_i \rangle \mathbf{C} \quad \leftrightarrow \quad \mathbf{g}_A \mathbf{r} \mathbf{x} \sigma$$

$$\zeta' \mathbf{y} = - \langle \mathbf{J}_f \mathbf{T}_f \parallel \alpha \mathbf{t}_- \parallel \mathbf{J}_i \mathbf{T}_i \rangle \mathbf{C} \quad \leftrightarrow \quad \mathbf{g}_V \frac{\mathbf{p}}{\mathbf{m}}$$

$$\mathbf{q} = \mathbf{g}_A^{\text{eff}} / \mathbf{g}_A < 1$$

$$\mathbf{K}_0 = \zeta_1^2 + \frac{1}{9} (\mathbf{x} + \mathbf{u})^2 - \frac{4}{9} \mu_1 \gamma_1 \mathbf{u} (\mathbf{x} + \mathbf{u}) + \frac{1}{18} \mathbf{W}_0^2 (2\mathbf{x} + \mathbf{u})^2 - \frac{1}{18} \lambda_2 (2\mathbf{x} - \mathbf{u})^2$$

$$\mathbf{K}_1 = -\frac{4}{3} \mathbf{u} \mathbf{Y} - \frac{1}{9} \mathbf{W}_0 (4\mathbf{x}^2 + 5\mathbf{u}^2)$$

$$\mathbf{K}_{-1} = \frac{2}{3} \mu_1 \gamma_1 \zeta_1 (\mathbf{x} + \mathbf{u})$$

$$\mathbf{K}_2 = \frac{1}{18} (8\mathbf{u}^2 + (2\mathbf{x} + \mathbf{u})^2 + \lambda_2 (2\mathbf{x} - \mathbf{u})^2)$$

$$\zeta_1 = \mathbf{Y} + \frac{1}{3} (\mathbf{u} - \mathbf{x}) \mathbf{W}_0, \quad \mathbf{Y} = \zeta' \mathbf{y} - \zeta (\mathbf{u}' + \mathbf{x}')$$

$$\mathbf{O}(1^-) = \left[ \mathbf{g}_V \frac{\mathbf{p}}{\mathbf{m}} - \frac{\alpha \mathbf{Z}}{2\mathbf{R}} (\mathbf{g}_A \sigma \mathbf{x} \mathbf{r} - \mathbf{i} \mathbf{g}_V \mathbf{r}) \right] \mathbf{t}_-$$

• :finite nuclear charge distribution effect

$$\lambda_2 \approx 0.7 - 1.0 \quad (\mathbf{p} > 0.5)$$

(Calculations are done with all the  $\mathbf{K}_0, \mathbf{K}_1, \mathbf{K}_{-1}, \mathbf{K}_2$  terms)

•2-

$$\mathbf{z} = 2\mathbf{g}_A \langle \mathbf{J}_f \mathbf{T}_f \parallel \mathbf{i}[\mathbf{rx}\sigma]^2 \mathbf{t}_- \parallel \mathbf{J}_i \mathbf{T}_i \rangle \mathbf{C} \quad \leftrightarrow \quad \mathbf{g}_A [\mathbf{rx}\sigma]^2$$

$$\mathbf{q} = \mathbf{g}_A^{\text{eff}} / \mathbf{g}_A < 1$$

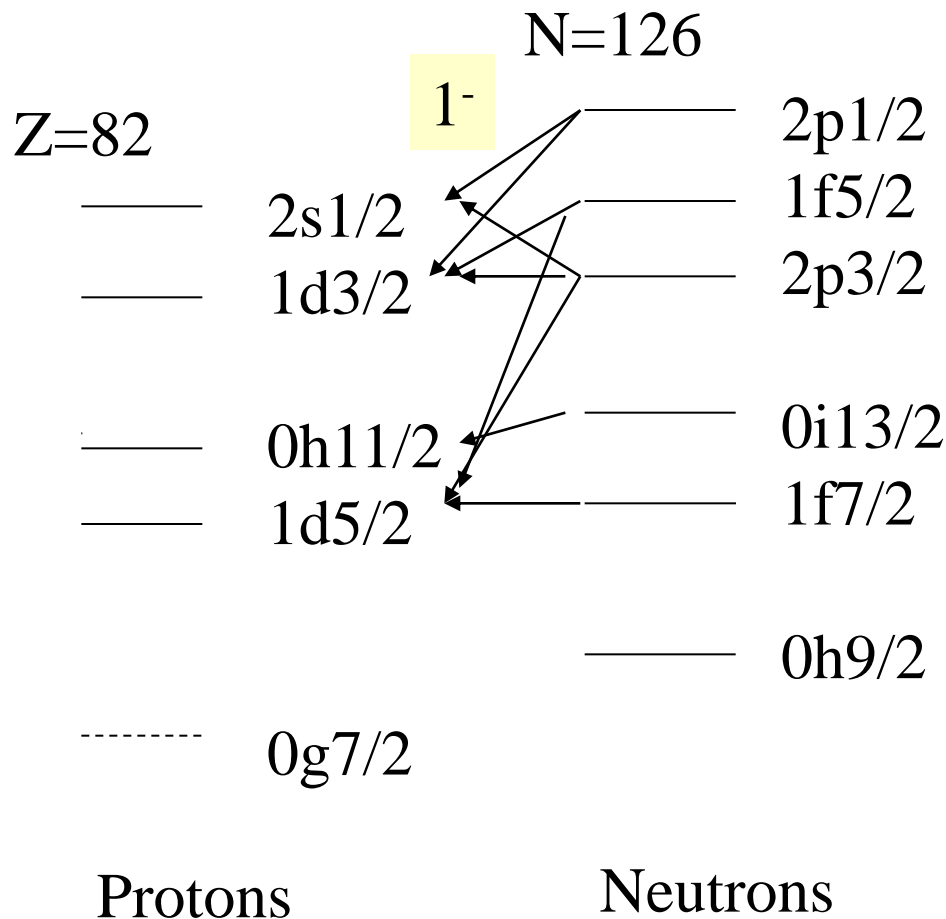
$$\mathbf{K}_0 = \frac{1}{12} \mathbf{z}^2 (\mathbf{W}_0^2 - \lambda_2)$$

$$\mathbf{K}_1 = -\frac{1}{6} \mathbf{z}^2 \mathbf{W}_0$$

$$\mathbf{K}_2 = \frac{1}{12} \mathbf{z}^2 (1 + \lambda_2)$$

$$\mathbf{O}(2^-) = \mathbf{i} \frac{\mathbf{g}_A}{\sqrt{3}} [\sigma \mathbf{x} \mathbf{r}]_{\mu}^2 \sqrt{\mathbf{p}_e^2 + \mathbf{q}_v^2} \mathbf{t}_-$$

(Calculations are done with all the  $\mathbf{K}_0, \mathbf{K}_1, \mathbf{K}_2$  terms)



e.g.

Z=64 (18 proton-holes)

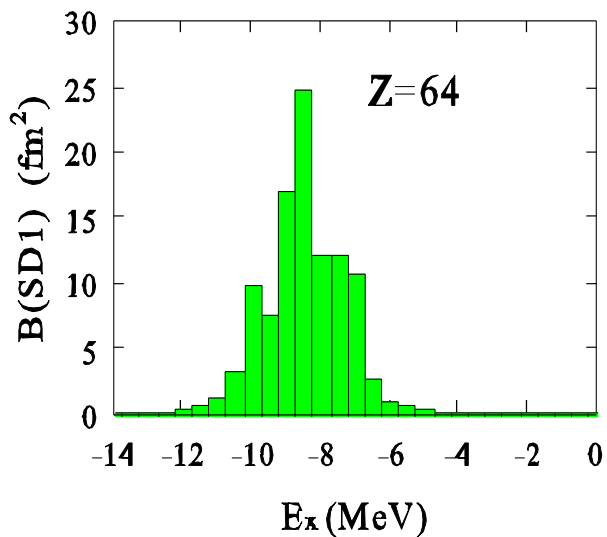
orbit	number of holes		
2s1/2	0-2	——	——
1d3/2	2-4	——	——
0h11/2	10-12	——	* * *
1d5/2	0-2	.....	⊖ ⊖
0g7/2	0		0p-0h+2p-2h
sum	18		

Z=68 (14 proton-holes)

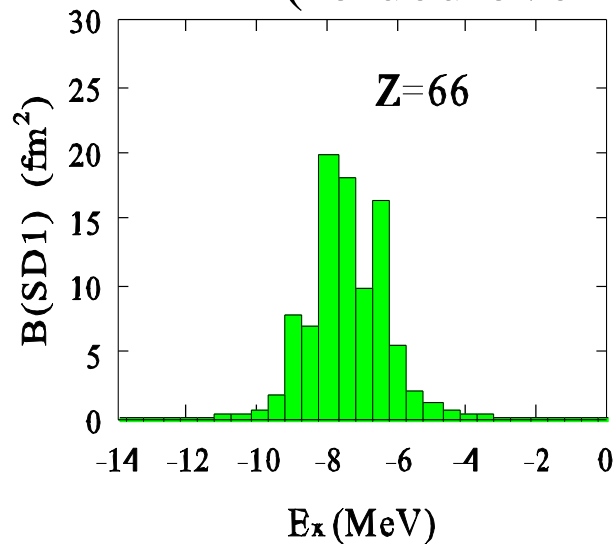
orbit	number of holes		
2s1/2	0-2	——	——
1d3/2	2-4	——	* * *
0h11/2	8-10	8 ⊖	10 ⊖
sum	14		0p-8h+2p-10h

# SD (1<sup>-</sup>) strengths

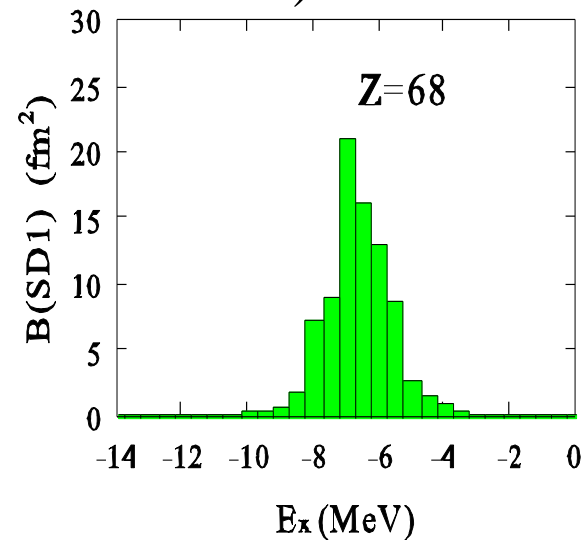
(folded over a Lorentzian)



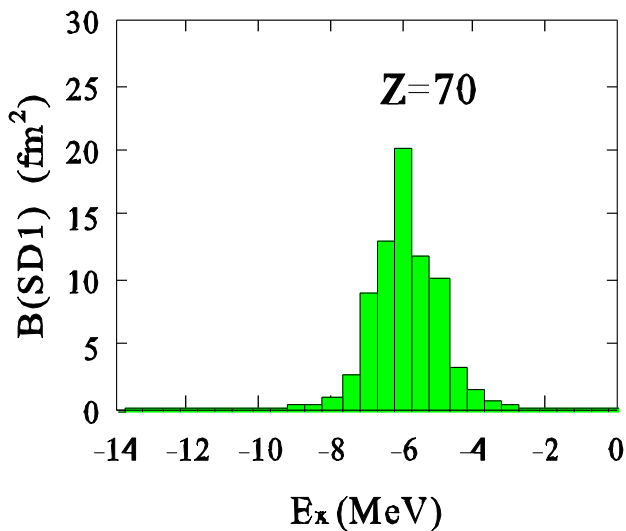
$\Sigma\text{SD1}=55.5 \text{ fm}^2$



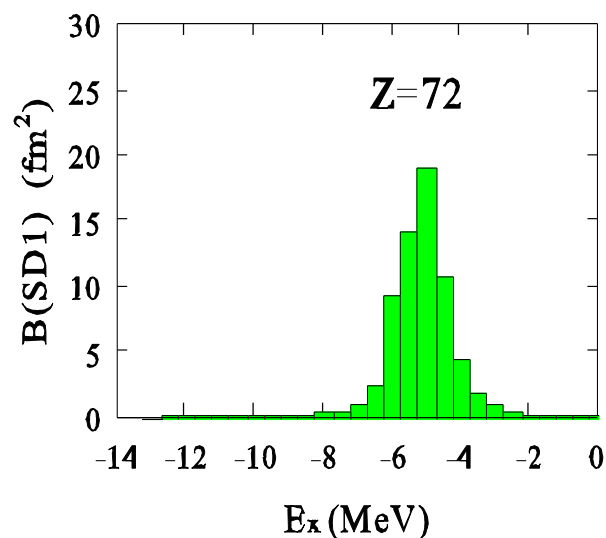
$\Sigma\text{SD1}=49.2 \text{ fm}^2$



$\Sigma\text{SD1}=43.9 \text{ fm}^2$



$\Sigma\text{SD1}=40.1 \text{ fm}^2$

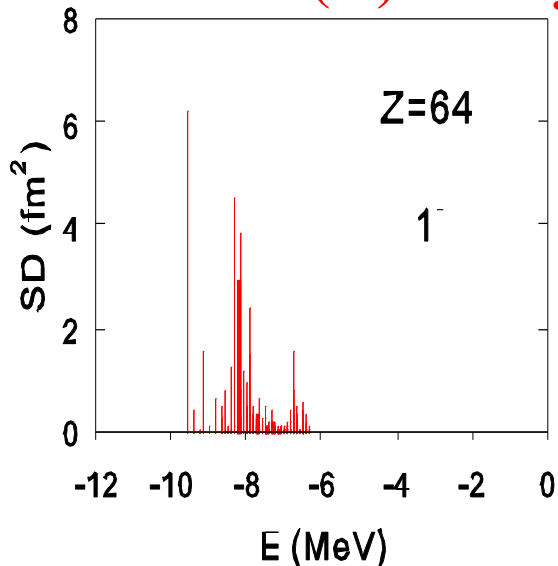


$\Sigma\text{SD1}=35.1 \text{ fm}^2$

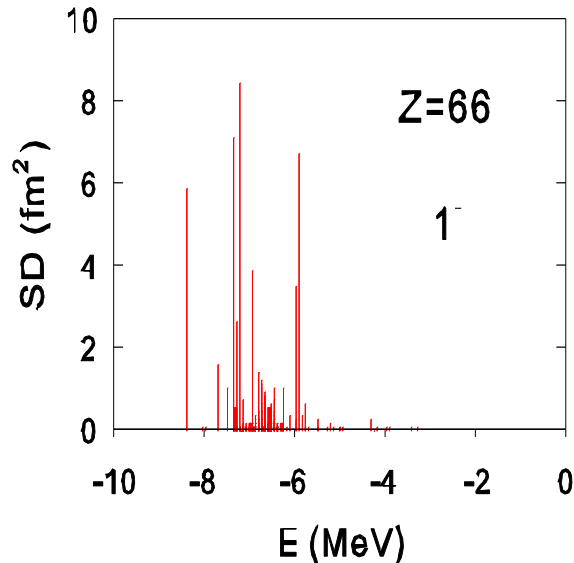
**SD 1<sup>-</sup>**  
 $O=r[Y_1 x \sigma]^1 t_-$

E=0: g.s. of  
the parent nuclei

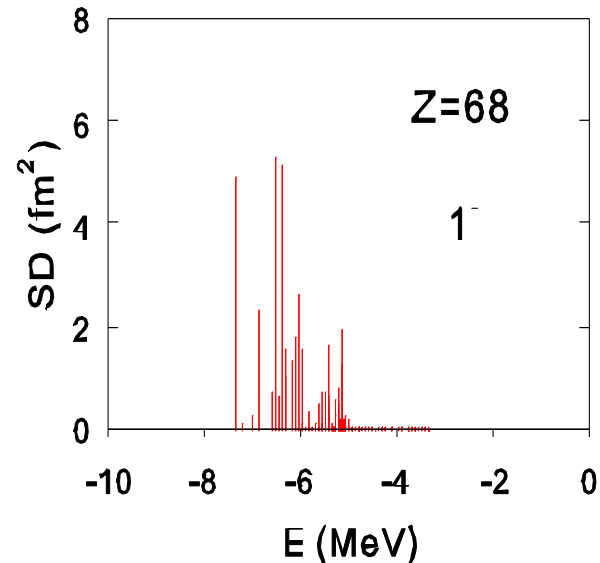
# SD (1<sup>-</sup>) strengths



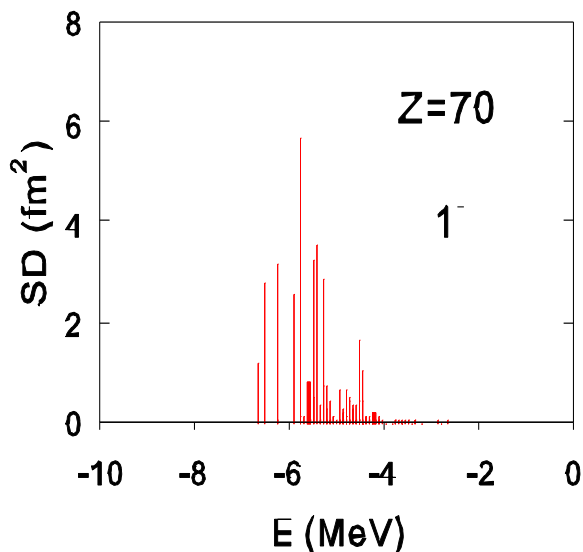
$$\Sigma\text{SD1}=55.5 \text{ fm}^2$$



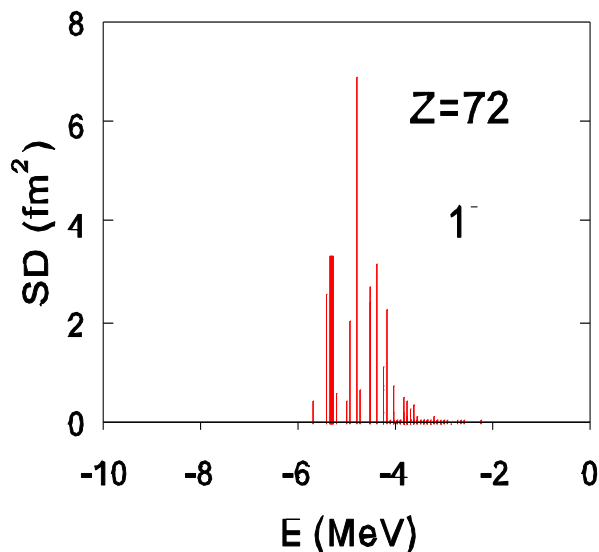
$$\Sigma\text{SD1}=49.2 \text{ fm}^2$$



$$\Sigma\text{SD1}=43.9 \text{ fm}^2$$



$$\Sigma\text{SD1}=40.1 \text{ fm}^2$$



$$\Sigma\text{SD1}=35.1 \text{ fm}^2$$

$$\text{SD } 1^- \\ r[Y_1 x \sigma]^1$$

E=0: g.s. of  
the parent nuclei



# SD+E1 (1<sup>-</sup>) strengths

 spin part only

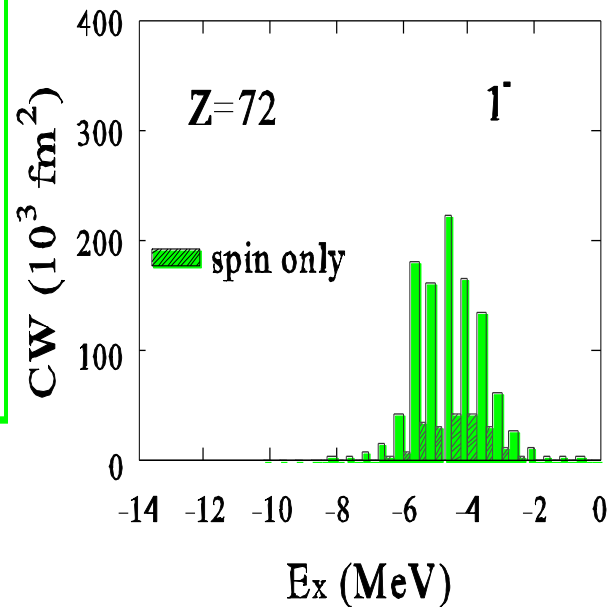
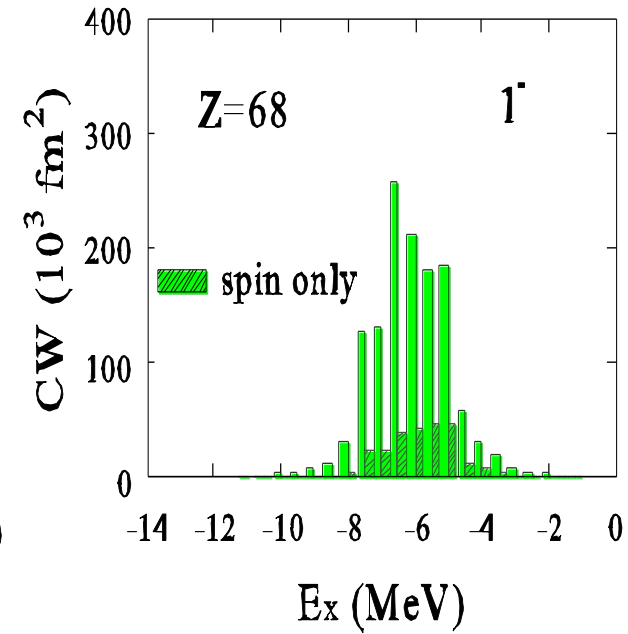
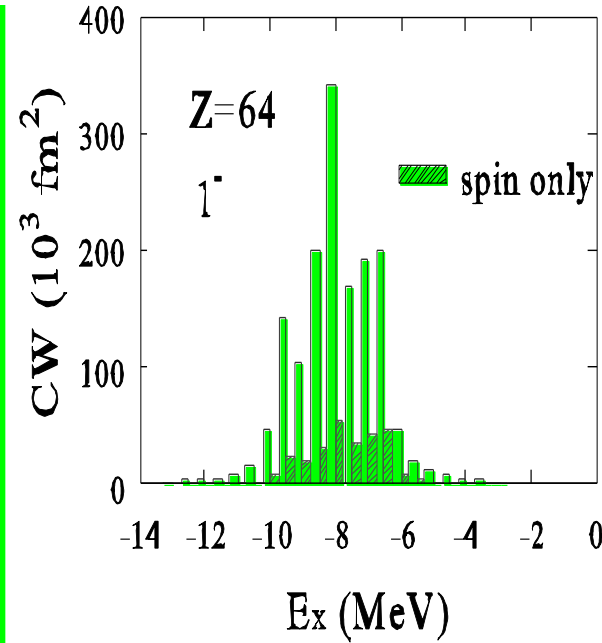
$$\overline{C(w)} = f/f_0$$

$$f_0 = \int_1^{w_0} F(Z, w) p w (w_0 - w)^2 dw$$

$$f = \int_1^{w_0} C(w) F(Z, w) p w (w_0 - w)^2 dw$$

$$C(w) = K_0 + K_1 w + K_{-1}/w + K_2 w^2,$$

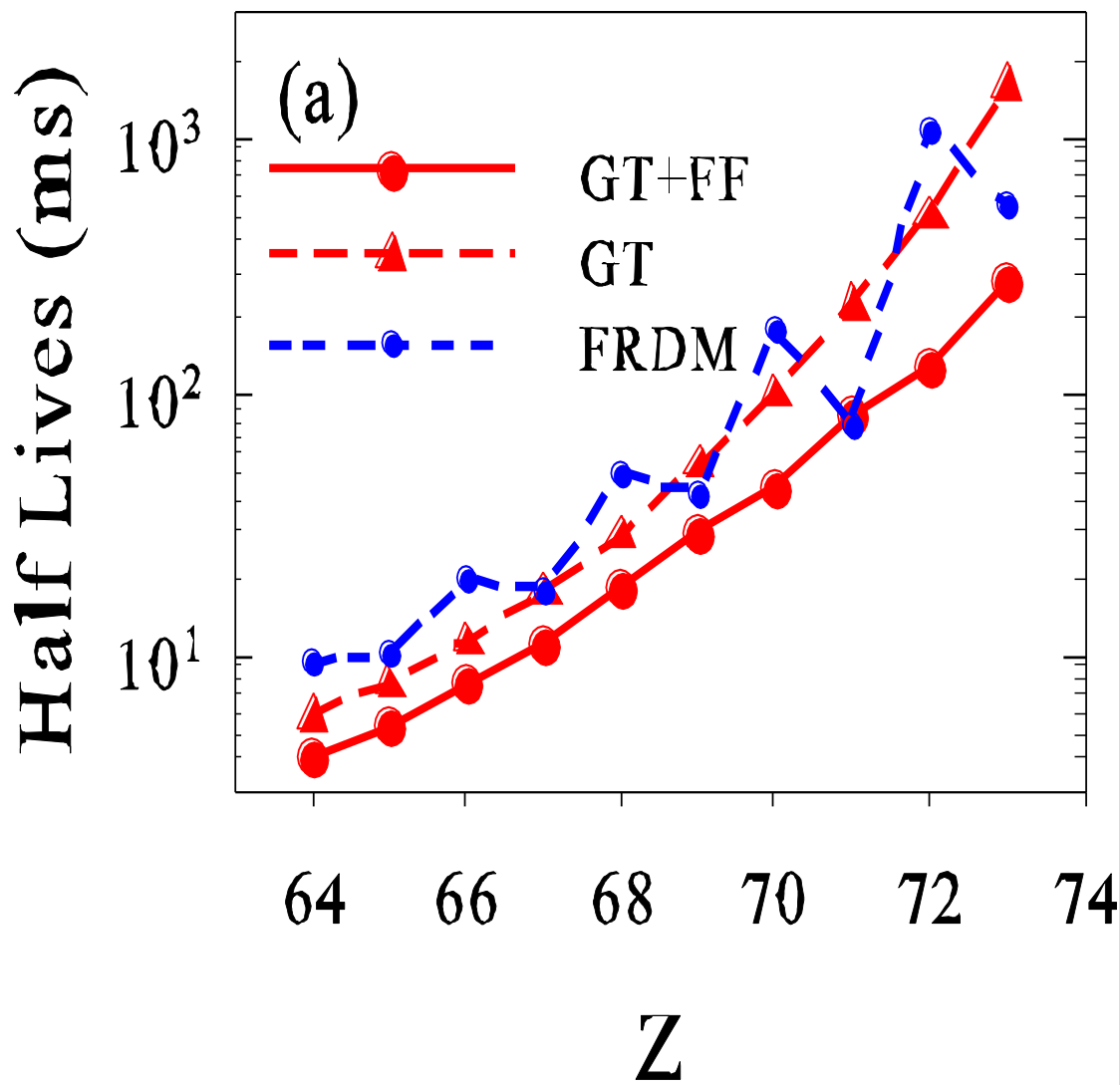
$$\overline{C(w)} = \frac{9195 \times 10^5}{f_0 t} \quad (\text{fm}^2).$$



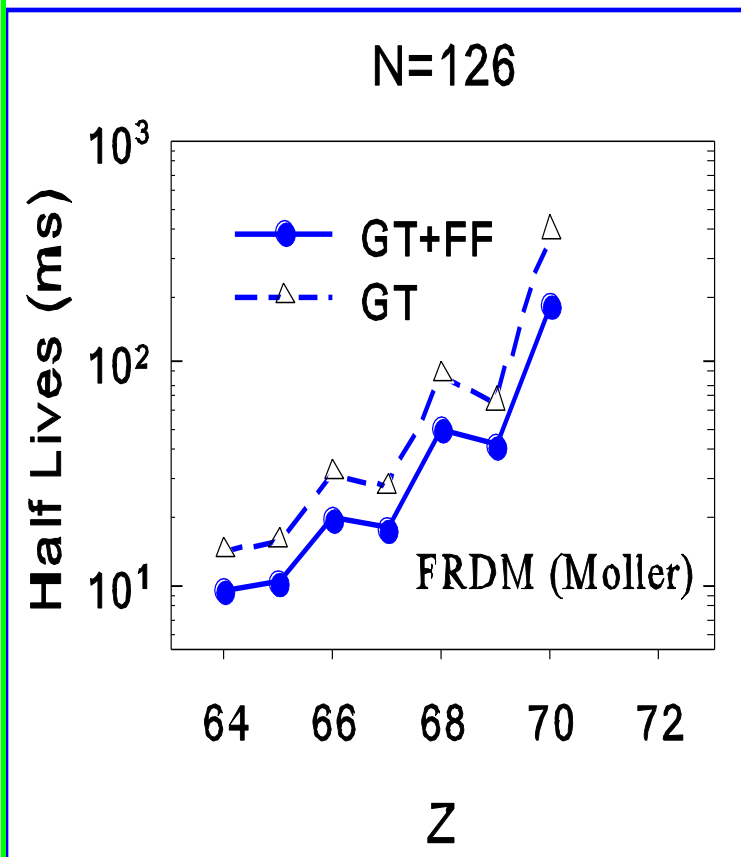
$$Q = g_A^{\text{eff}}/g_A = 0.7$$

E=0: g.s. of the parent nuclei

# Shell Model calculations



cf.



Moller, Pfeiffer, Kratz,  
PR C 67, 055802 (2003)

$$Q = g_A^{\text{eff}} / g_A = 0.7, \quad \varepsilon = 2.0 \quad (0^-)$$

Neumann-Cosel et al, PRL 82 (1999)  
 $Q = g_s^{\text{eff}} / g_s = 0.64$ : 2- in  $^{90}\text{Zr}$  (e-scatt.)

# r-process nucleosynthesis

Constant Entropy Wind Model

$$L_\nu = 0.5 \times 10^{51} \text{ erg/s}$$

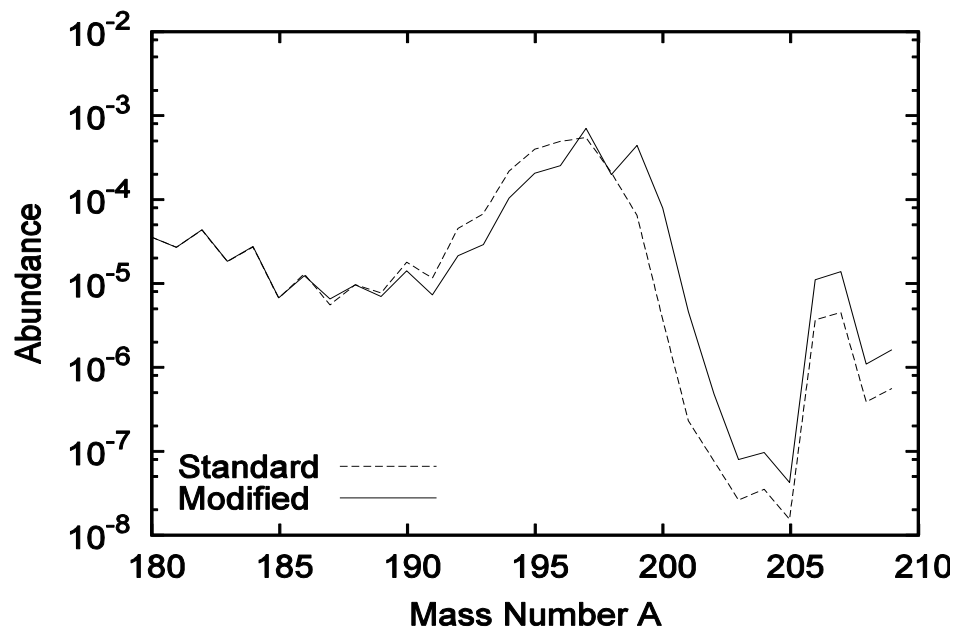
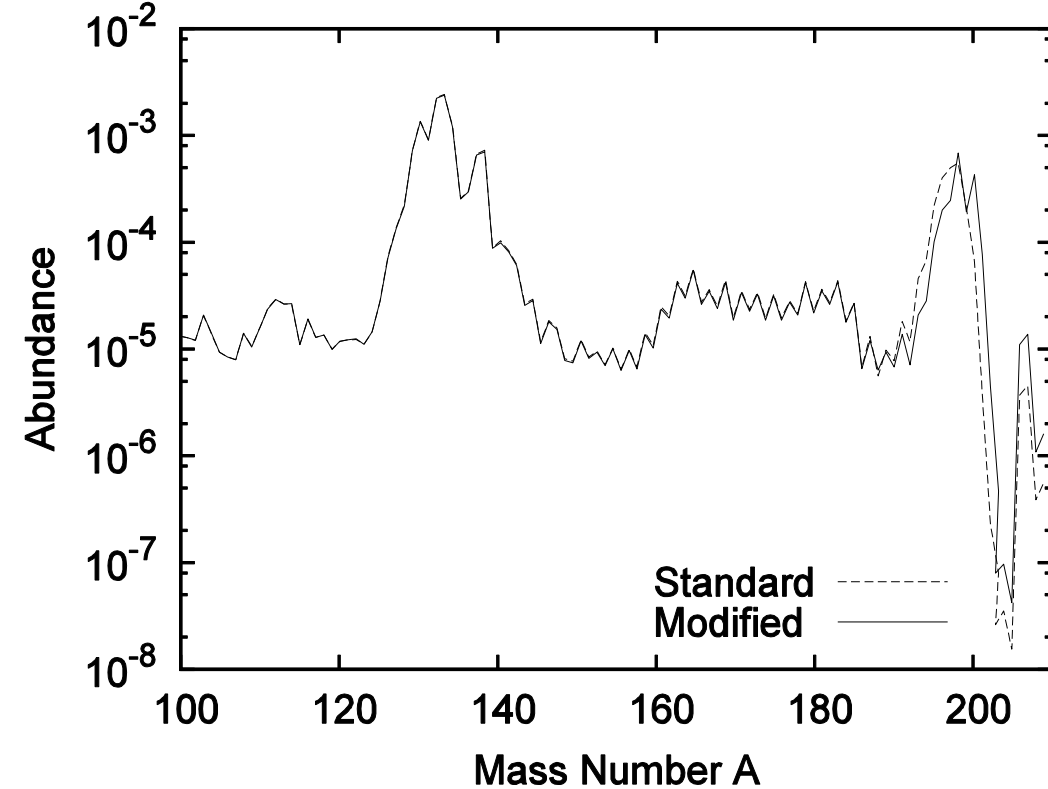
$$S = 133 k_B (\gamma, e^-, e^+)$$

$$dm/dt = 2.34 \times 10^{-6} M_{\text{sun}}$$

$$\tau = 5.60 \text{ ms for } T_9 = 5 \rightarrow T_9 = 2$$

$$T_{9f} = 0.8$$

Neutrino processes on n, p and  $^4\text{He}$  are included



Half-lives:  
--- Standard (Moller et al.)  
— Modified

# Large quenchings are favored in $A = 206$

$$(g_A^{\text{eff}}/g_A, g_V^{\text{eff}}/g_V) = (0.34, 0.67)$$

$$(0.51, 0.30)$$

$$(0.47, 0.64)$$

Warburton, PR C 44, 233 (1991)

PR C42, 2479 (1990)

Rydstrom, NP A512, 217 (1990)

Transitions		Values of $g_A$ and $g_V$		$\log f_{0t}$	$\overline{C(w)}$ (fm)
Initial	Final	$\epsilon$ for $0^-$	$(g_A/g_A^{\text{rec}}, g_V/g_V^{\text{rec}})$ for $1^-$		
$^{206}\text{Hg} (0^+)$	$^{206}\text{Tl} (0^- \text{ g.s.})$	2.0		5.199 (5.087)	76.3 (86.8)
		1.8		5.432 (5.320)	58.3 (66.3)
		Ref. [21]		5.173	78.6
		Expt. [28]		5.41	59.8
$^{206}\text{Hg} (0^+)$	$^{206}\text{Tl} (1^-, 0.3049 \text{ MeV})$		(a) (0.34, 0.67)	5.017 (4.929)	94.0 (104.1)
			(b) (0.51, 0.30)	5.157 (5.127)	80.0 (82.9)
			(c) (0.47, 0.64)	4.921 (4.832)	105.0 (116.4)
			(0.34, 0.40)	5.267 (5.178)	70.5 (78.2)
			Ref.[21]	5.181	77.9
Expt.[28]		5.24	72.7		

$$\overline{C(w)} = f/f_0$$

$$f_0 = \int_1^{w_0} F(Z, w) p w (w_0 - w)^2 dw$$

$$f = \int_1^{w_0} C(w) F(Z, w) p w (w_0 - w)^2 dw$$

$$C(w) = K_0 + K_1 w + K_{-1}/w + K_2 w^2,$$

$$\overline{C(w)} = \frac{9195 \times 10^5}{f_{0t}} \quad (\text{fm}^2).$$

A=205

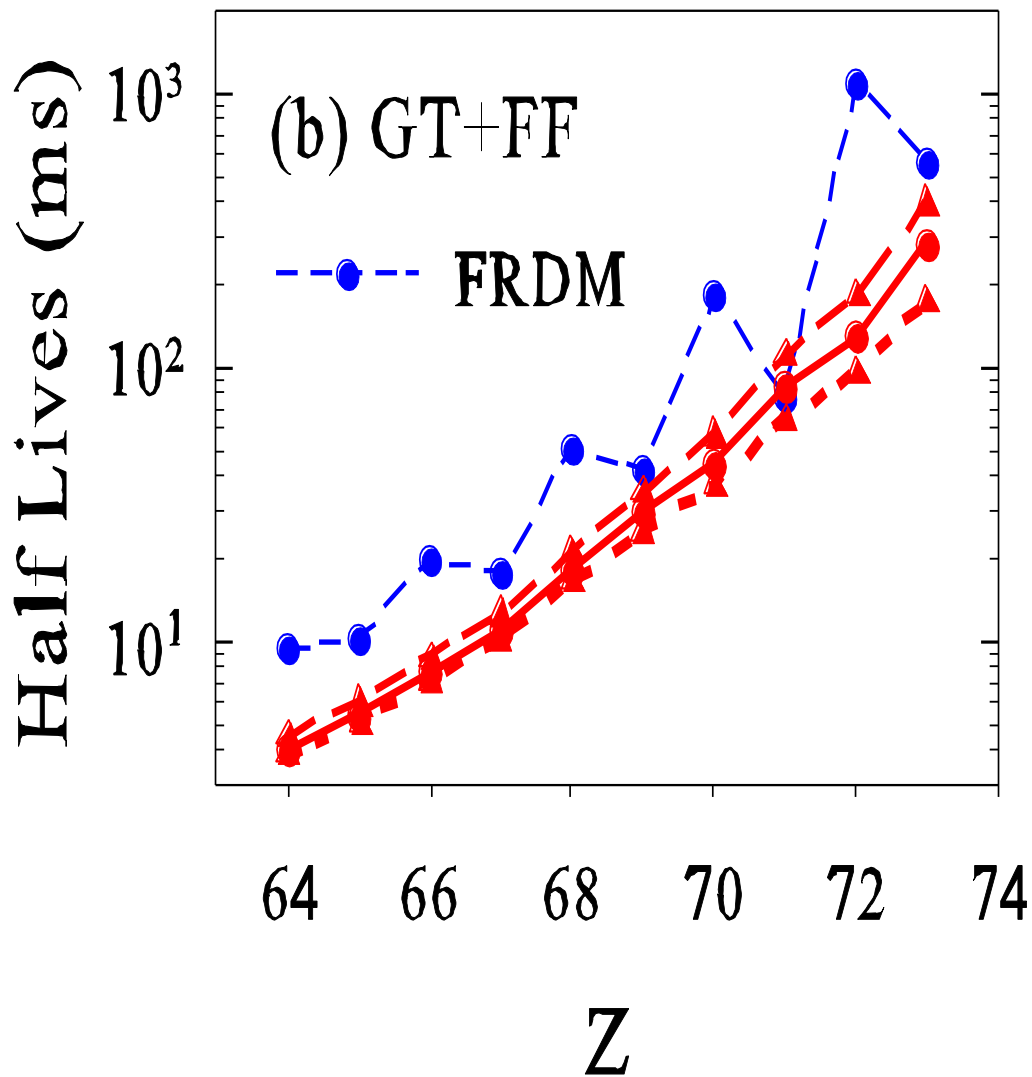
$^{205}\text{Au} (3/2^+)$	$^{205}\text{Hg} (1/2_1^-)$		(a) (0.34, 0.67)	6.197 (6.116)	24.2 (26.5)
			(b) (0.51, 0.30)	8.171 (7.834)	2.49 (3.67)
			(c) (0.47, 0.64)	6.412 (6.326)	18.9 (20.8)
			<u>(0.34, 0.94)</u>	<u>5.793 (5.726)</u>	<u>38.7 (41.6)</u>
	Expt.[28]			5.79	38.6
$^{205}\text{Au} (3/2^+)$	$^{205}\text{Hg} (3/2_1^-, 0.4675 \text{ MeV})$				
	$0^-$	2.0		5.674 (5.541)	44.1 (51.5)
		1.45		6.832 (6.699)	11.6 (13.6)
	$0^- + 1^-$	1.45	(a) (0.34, 0.67)	6.502 (6.247)	17.0 (22.8)
		1.45	(b) (0.51, 0.30)	6.000 (5.870)	30.3 (35.2)
		1.45	(c) (0.47, 0.64)	6.266 (6.073)	22.3 (27.9)
		1.45	<u>(0.34, 0.94)</u>	<u>6.425 (6.173)</u>	<u>18.6 (24.9)</u>
	Expt.[28]			6.43	18.5

A=204

Transitions		Values of $g_A$ and $g_V$		Half-life (s)
Initial	Final	$\epsilon$ for $0^-$	$(g_A/g_A^{\text{rcc}}, g_V/g_V^{\text{rcc}})$ for $1^-$	
$^{204}\text{Pt} (0^+)$	$^{204}\text{Au} (0^-)$	2.0		65.1 (62.0)
$^{204}\text{Pt} (0^+)$	$^{204}\text{Au} (0^- + 1^-)$	2.0	(a) (0.34, 0.67)	22.8 (18.6)
		2.0	(b) (0.51, 0.30)	31.8 (26.9)
		2.0	(c) (0.47, 0.64)	21.1 (17.1)
		2.0	<u>(0.7, 1.0)</u>	<u>10.9 (8.6)</u>
		2.0	(0.34, 1.0)	14.4 (11.3)
		2.0	(0.51, 1.0)	12.7 (10.0)
	Expt.[28]			10.3±1.4

$$\overline{C(w)} = \frac{9195 \times 10^5}{f_0 t} \quad (\text{fm}^2).$$

$$f_0 = \int_1^{w_0} F(Z, w) p w (w_0 - w)^2 dw$$

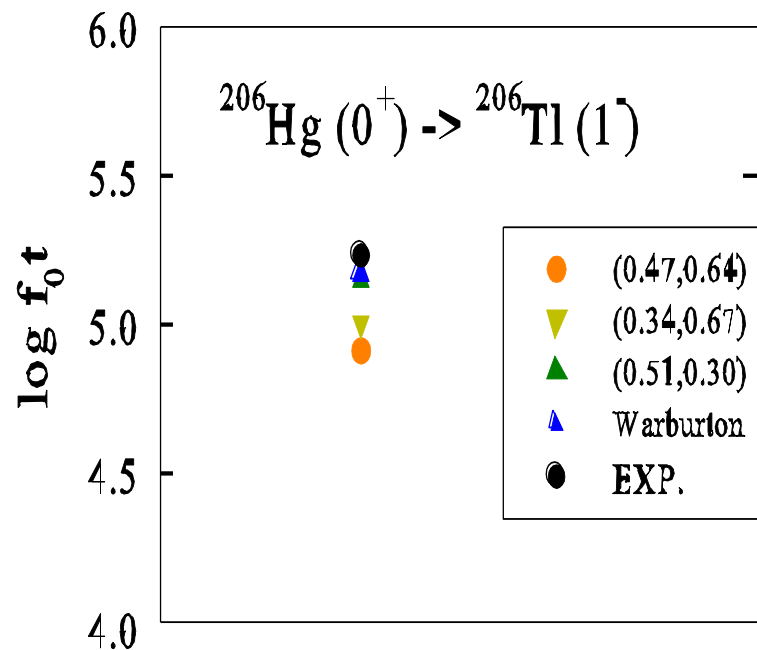


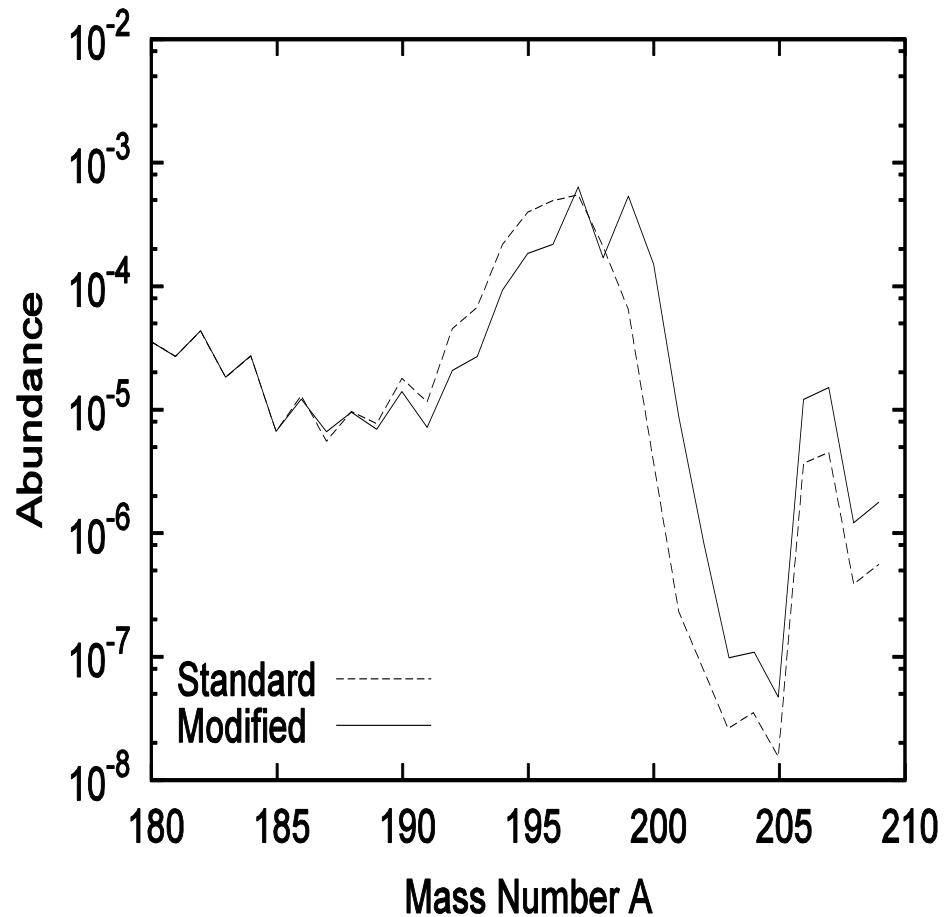
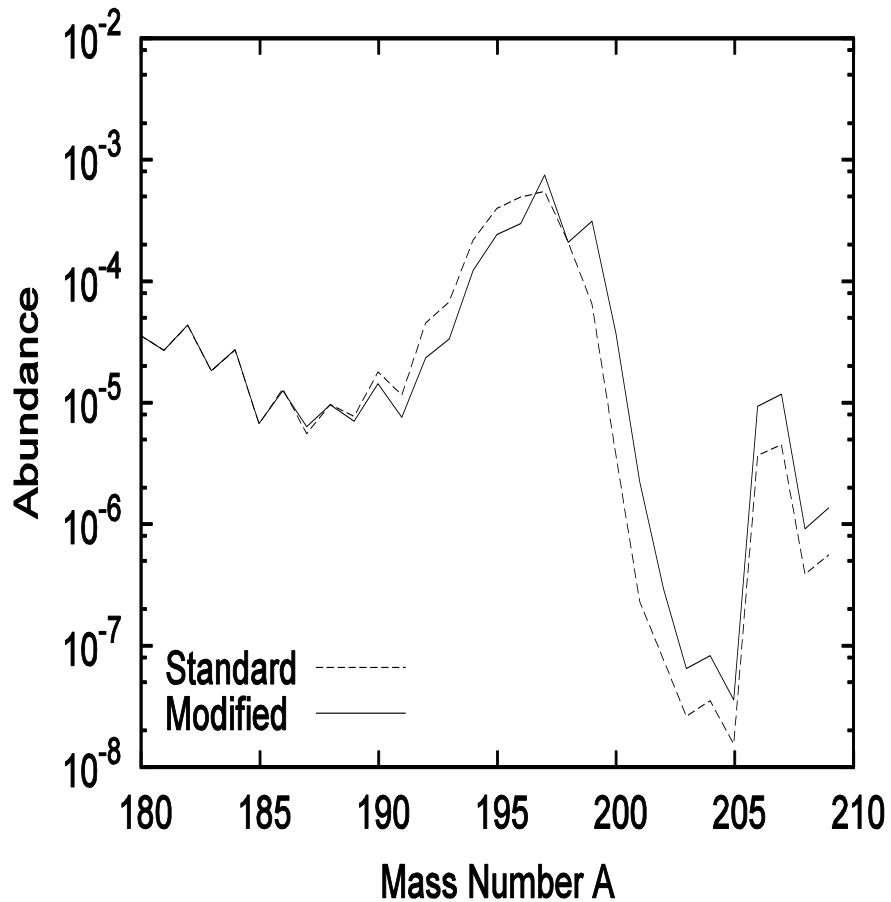
—  $g_A^{\text{eff}}/g_A = 0.34, g_V^{\text{eff}}/g_V = 0.67$

- - - +  $\Delta Q = 1.0$  MeV

Large quenchings are favored in  $A = 206$   
 $(g_A^{\text{eff}}/g_A, g_V^{\text{eff}}/g_V) = (0.34, 0.67),$   
 $(0.51, 0.30), (0.47, 0.64)$

Warburton, PR C 44, 233 (1991)  
 PR C42, 2479 (1990)  
 Rydstrom, NP A512, 217 (1990)





$$g_A^{\text{eff}}/g_A = 0.34, g_V^{\text{eff}}/g_V = 0.67$$

$$+ \Delta Q = 1.0 \text{ MeV}$$

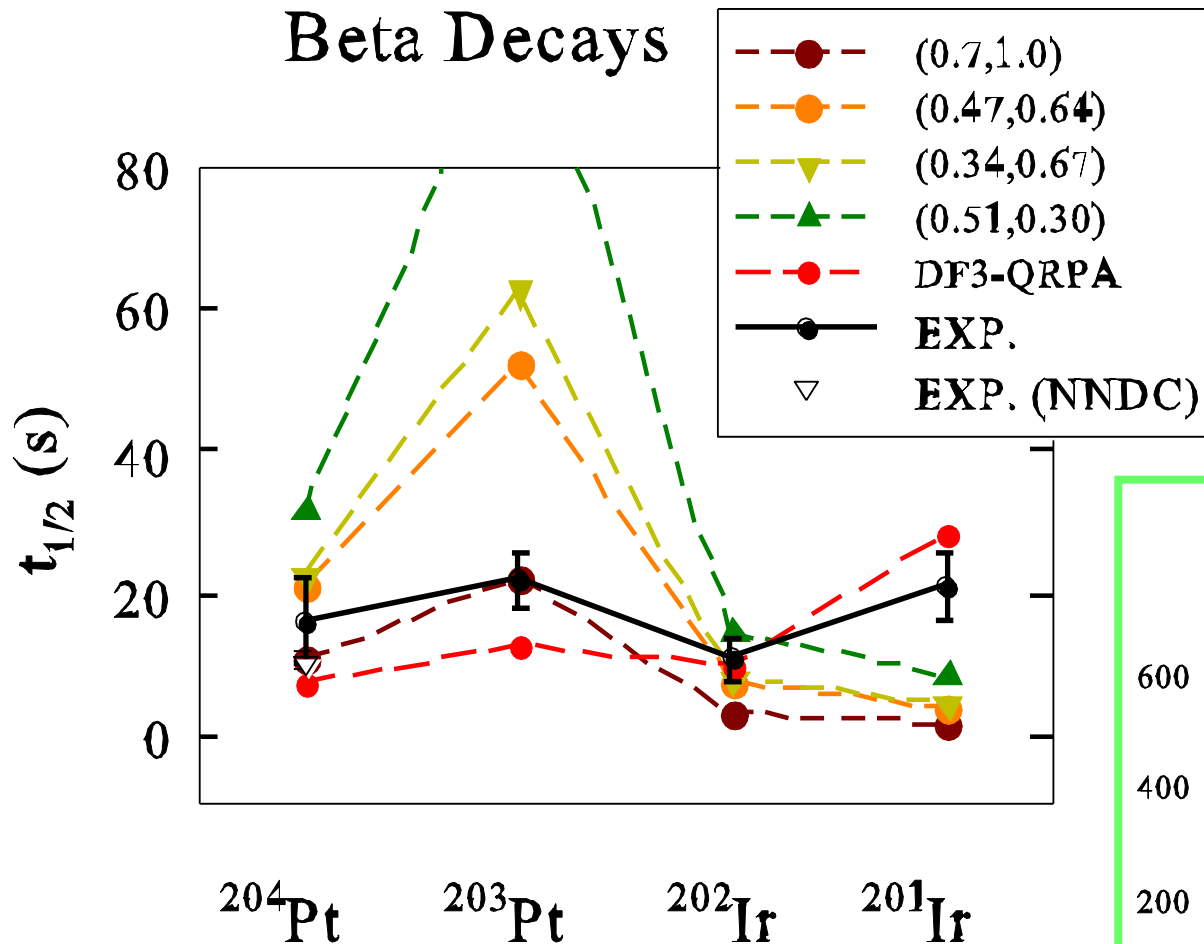
Half-lives:

--- Standard (Moller et al.)

— Modified

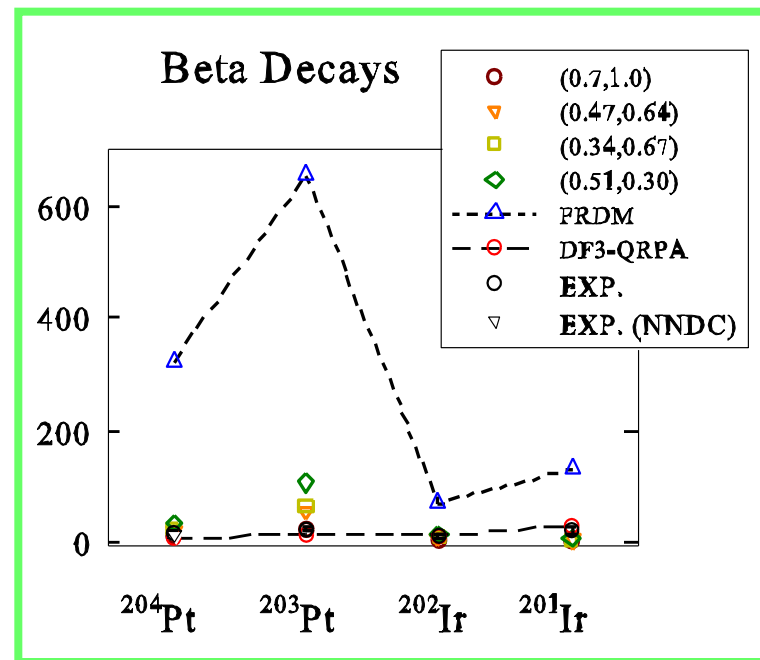
Dependence on  $(g_A^{\text{eff}}/g_A, g_V^{\text{eff}}/g_V)$

## Beta Decays



Exp: Benlliure et al.

## Beta Decays





# Summary

- **Shell model calculations for beta-decay half-lives including both GT and FF transitions**
  - **Short half-lives for beta decays of N=126 isotones (waiting point nuclei for the r-process) compared to a standard model (FRDM)**
  - **The 3<sup>rd</sup> peak of the r-process element abundances is shifted toward larger mass number region.**

**Quenchantings of  $g_{\Delta}$  and  $g_{\nu}$  in FF need further study**

## Collaborators

Takashi Yoshida (Univ. of Tokyo)

Toshitaka Kajino (NAO, Univ. of Tokyo)

Takaharu Otsuka (CNS, Univ. of Tokyo)

**Suzuki, Yoshida, Kajino, Otsuka, PR C85, 015802 (2012)**