

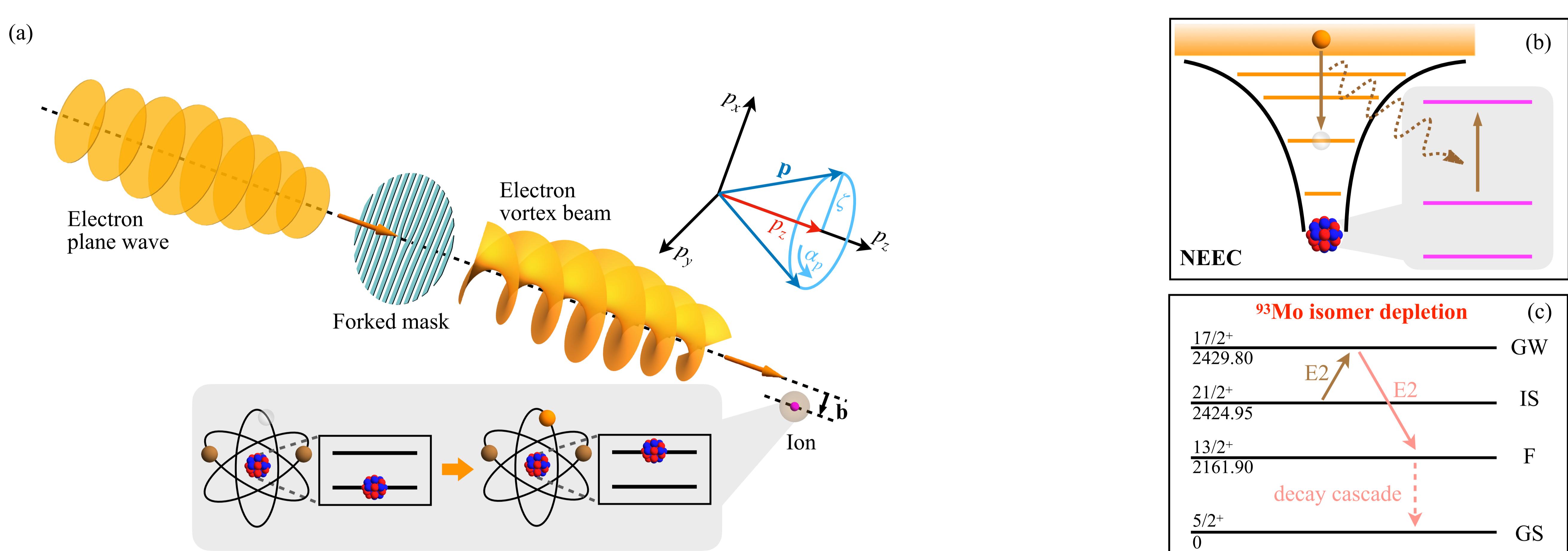
# Nuclear excitation by electron capture with electron vortex beams for isomer depletion

Yuanbin Wu<sup>1</sup>, Simone Gargiulo<sup>2</sup>, Fabrizio Carbone<sup>2</sup>, Christoph H. Keitel<sup>1</sup>, and Adriana Pálffy<sup>1,3</sup>

*1. Max-Planck-Institut für Kernphysik, Saupfercheckweg 1, D-69117 Heidelberg, Germany*

*2. Institute of Physics, Laboratory for Ultrafast Microscopy and Electron Scattering, École Polytechnique Fédérale de Lausanne, Station 6, Lausanne 1015, Switzerland*

*3. Department of Physics, Friedrich-Alexander-Universität Erlangen-Nürnberg, D-91058 Erlangen, Germany*



## NEEC — fundamental process at the nuclear-atomic interface

- First proposed theoretically in 1976  
Phys. Lett. B **62**, 393 (1976)
- First experimental observation claimed in 2018  
Nature **554**, 216 (2018)

- Population mechanisms of excited nuclear levels
- Atomic vacancy effects on nuclear lifetime
- Dense astrophysical plasmas
- Isomer depletion

## NEEC with electron vortex beams

- Key points for NEEC:
  - Vacancies of atomic levels
  - Free electrons
- Shaping electron wave functions to manipulate nuclei?

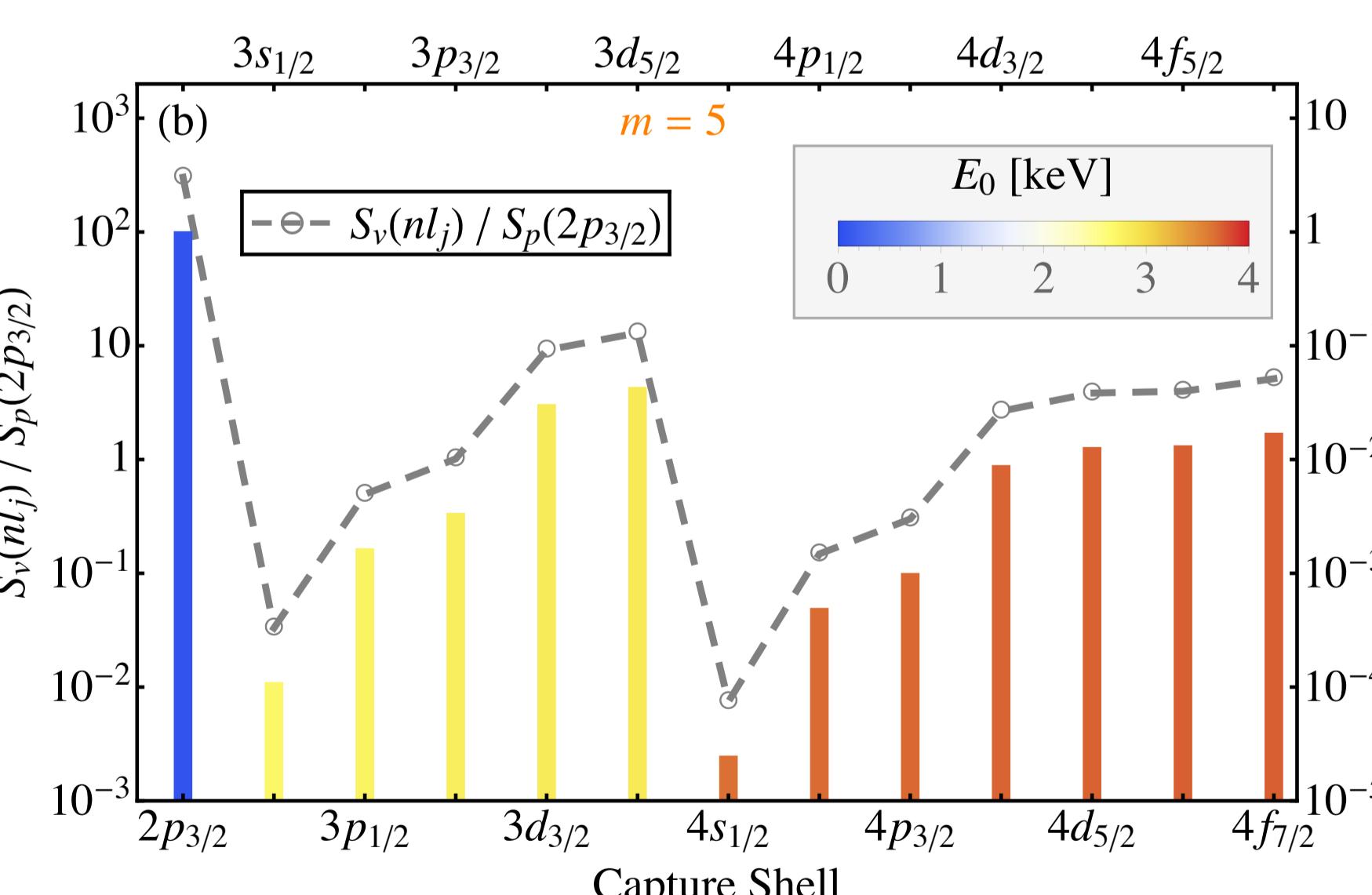
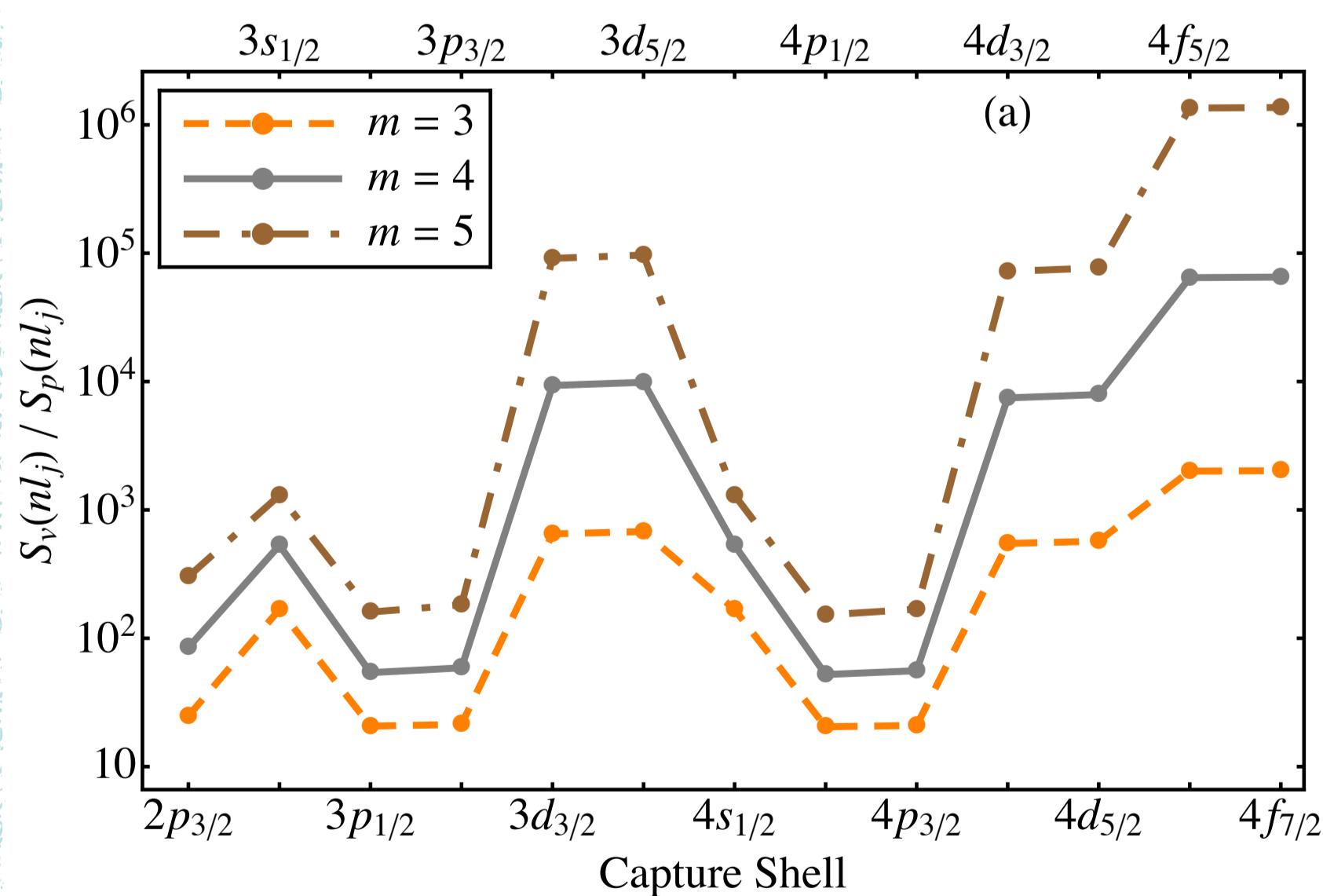
### Vortex beam

$$\psi_s(\mathbf{r}) = \int \frac{d^2\mathbf{p}_\perp}{(2\pi)^2} a_{\zeta m}(\mathbf{p}_\perp) u_p e^{i\mathbf{p}\cdot\mathbf{r}}, \quad a_{\zeta m}(\mathbf{p}_\perp) = (-i)^m e^{im\alpha_p} \delta(|\mathbf{p}_\perp| - \zeta)/\zeta$$

## Theoretical formalism

$$\begin{aligned} \sigma_{neec}^{i \rightarrow g}(E) &= \frac{4\pi^2}{p_j z} Y_{neec}^{i \rightarrow g} \mathcal{L}(E - E_0), \quad Y_{neec}^{i \rightarrow g} \propto |\langle \Psi_g^N | \langle \Psi_g^e | H_N | \Psi_i^e, \psi_s \rangle | \Psi_i^N \rangle|^2 \\ Y_{neec}^{i \rightarrow g} &= \frac{b^2}{4\pi} \int_0^{2\pi} \int_0^{2\pi} \frac{d\alpha_p}{2\pi} \frac{d\alpha_k}{2\pi} e^{im(\alpha_p - \alpha_k)} \mathcal{Y}_{neec}^{i \rightarrow g}(\mathbf{p}, \mathbf{k})_0 F_1(2; u) \\ \mathcal{Y}_{neec}^{i \rightarrow g}(\mathbf{p}, \mathbf{k}) &= \frac{16\pi^3 (2J_g + 1)}{(2J_i + 1)(2L + 1)^2} \mathcal{B} \uparrow (\lambda L) \rho_i \sum_{k, m_l} \frac{\mathcal{Y}_b}{2l + 1} Y_{lm_l}^*(\theta_k, \varphi_k) Y_{lm_l}(\theta_p, \varphi_p) \end{aligned}$$

## 93mMo isomer depletion E2 transition



## 152mEu isomer depletion M1 transition

nlj	E_d [keV]	S_p [b eV]	S_v [b eV] m = 3	S_v [b eV] m = 5
2s1/2	5.20	$8.05 \times 10^{-4}$	$1.14 \times 10^{-3}$	$1.14 \times 10^{-3}$
2p1/2	5.19	$7.85 \times 10^{-5}$	$1.35 \times 10^{-3}$	$3.34 \times 10^{-3}$
2p3/2	6.02	$1.25 \times 10^{-5}$	$4.21 \times 10^{-4}$	$7.61 \times 10^{-3}$

- The choice of impact parameter  $\mathbf{b}$  is crucial

$$\zeta = p_z; \quad \zeta b = 1$$

- Introduce the theory for NEEC with an electron vortex beam
- 2 orders of magnitude enhancement for NEEC cross section for <sup>93m</sup>Mo isomer depletion

- 6 orders of magnitude enhancement for higher shells
- Control nuclear excitations by shaping electron wave functions

## Reference:

Y. Wu, S. Gargiulo, F. Carbone, C. H. Keitel, and A. Pálffy, *Phys. Rev. Lett.* **128**, 162501 (2022).