

AC-Stark splitting of Auger spectra under intense x-ray radiation

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Overview

Neon under intense 908 eV radiation

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Density matrix equations for the double continuum



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Results on Auger kinetic energy spectrum and ionization yields



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Density matrix equations for the double continuum

Results on Auger kinetic energy spectrum and ionization yields

The experimental aspect



Ionization scheme

Some history

Rabi flopping of the Auger spectra has been studied in $\text{Ne}(1s^{-1} - 3p)$ excitation (Resonant Auger State)

'Resonant Auger effect at high x-ray intensity',

Nina Rohringer and Robin Santra (PRA 77, 053404, 2008)



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Auger kinetic spectra exhibited modifications depending on the x-ray intensity (pulse length 2 fs)



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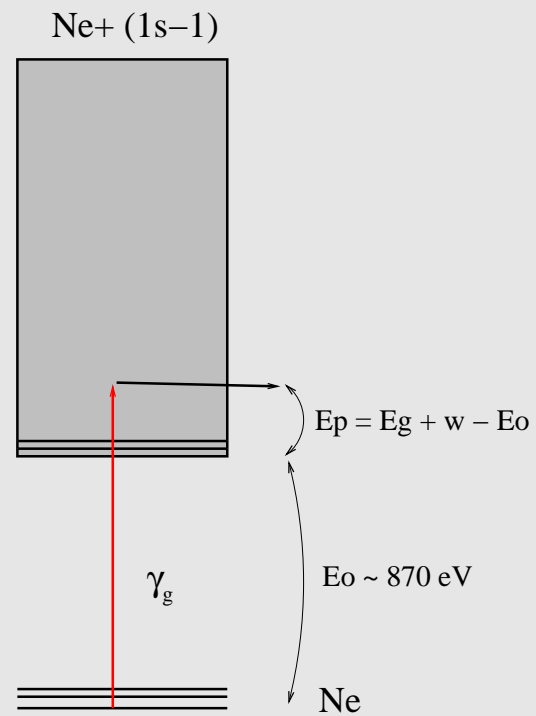
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Can be done something similar to normal Auger line and how?



Neon under intense x-ray radiation

Photoionization step

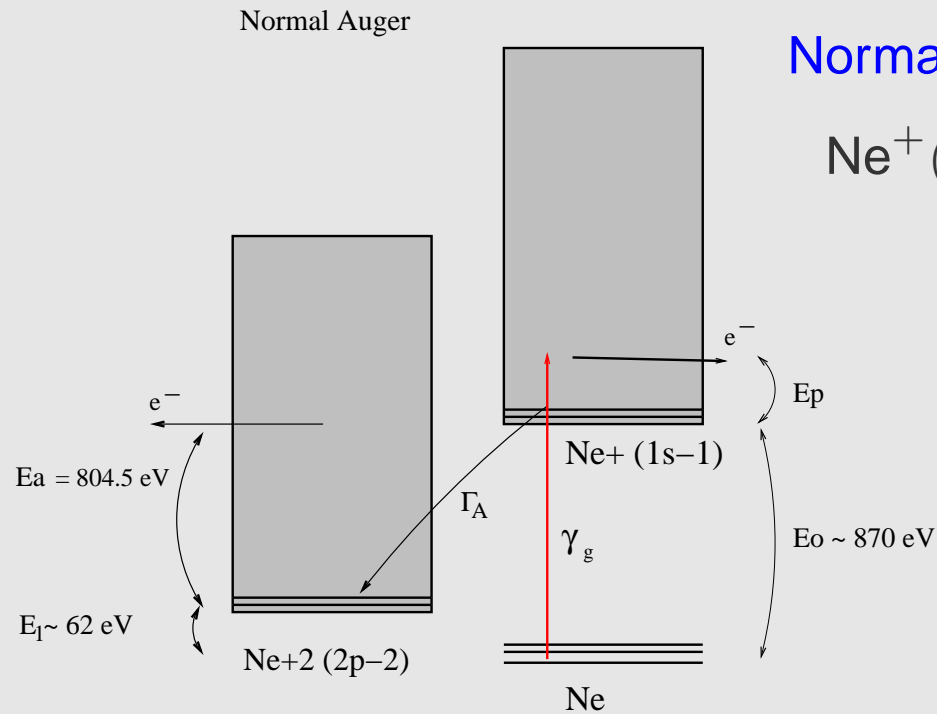


Neon under intense x-ray radiation

Photoionization step



Normal Auger transition ($\sim 0.27\text{eV} \sim 2.3\text{fs}$)



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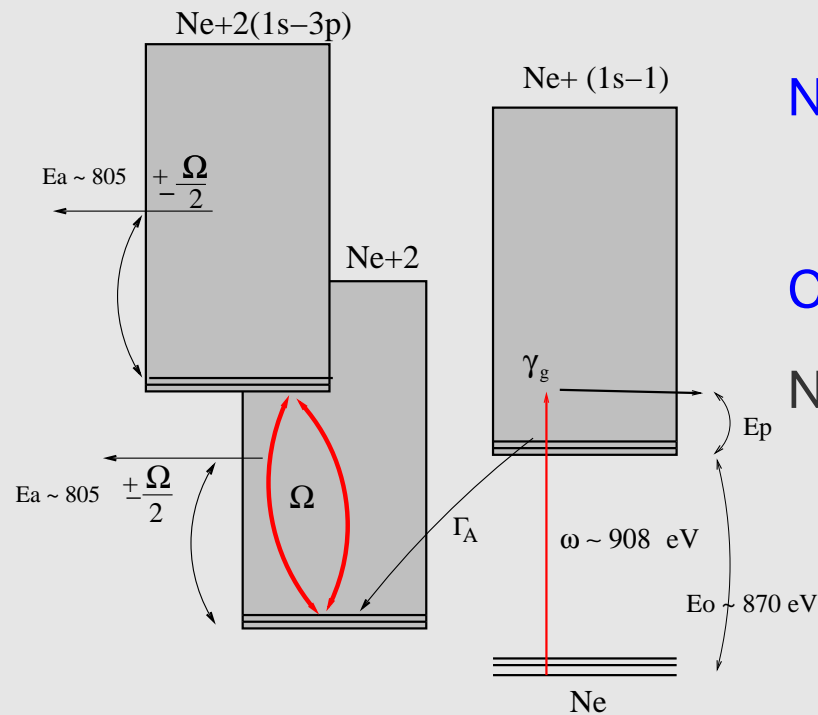
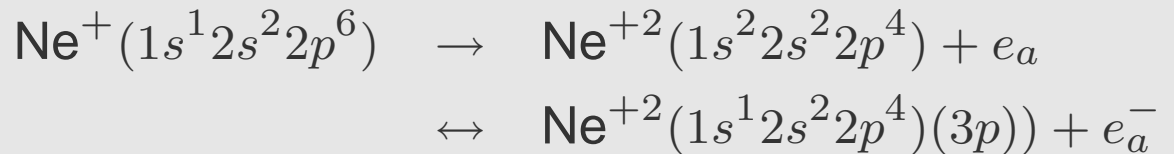
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Core-resonant Auger transition



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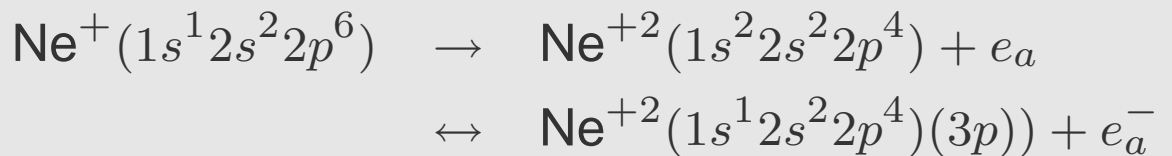
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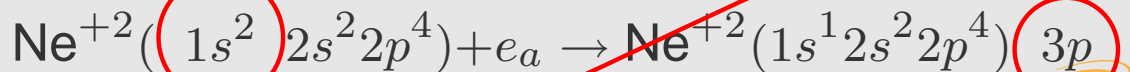
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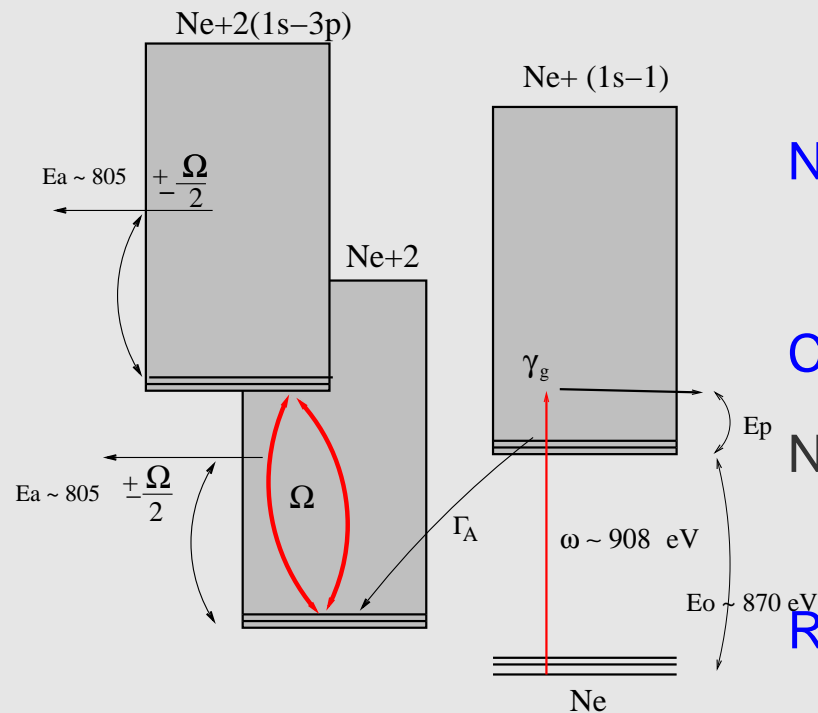
Core-resonant Auger transition



Rabi K-shell excitation 1s-3p



DCU



Excited $\text{Ne}^{+2}(1s^{-1} - 3p)$ states

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$ a'\rangle$	$E_{a'}$ (eV)	$\text{C}=\text{Ne}^{+2}(1s^1 2s^2 2p^4, ^2L)$
1	907.75	$[C]^2D(3p^1)^1P_1$
2	907.90	$[C]^2P(3p^1)^3P_1$
3	908.06	$[C]^2D(3p^1)^1F_3$
4	908.48	$[C]^2P(3p^1)^3D_3$
5	908.51	$[C]^2D(3p^1)^3D_2$
6	908.49	$[C]^2P(3p^1)^1D_2$
7	908.78	$[C]^2D(3p^1)^1D_2$

Excited $\text{Ne}^{+2}(1s^{-1} - 3p)$ states

$ a'\rangle$	$E_{a'} \text{ (eV)}$	$\text{Ne}^{+2}(1s^1 2s^2)$	$gf_{aa'} (\times 10^{-2})$
1	907.75	$(2p^4, ^1D)^2D(3p^1)^1P_1$	2.3338
2	907.90	$(2p^4, ^3P)^2P(3p^1)^3P_1$	0.20991
3	908.06	$(2p^4, ^1D)^2D(3p^1)^1F_3$	8.1881
4	908.48	$(2p^4, ^3P)^2P(3p^1)^3D_3$	0.13141
5	908.51	$(2p^4, ^1D)^2D(3p^1)^3D_2$	0.23322
6	908.49	$(2p^4, ^3P)^2P(3p^1)^1D_2$	4.4888
7	908.78	$(2p^4, ^1D)^2D(3p^1)^1D_2$	1.2714

The density matrix equations for the double continuum

The atomic states involved

- Neon ground state

$$|G\rangle, \quad E^{(g)}$$

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- Coupled Ne^{+2} states (ground and excited)

$$|A\rangle = |a; \mathbf{k}_a, \mathbf{k}_{ia}\rangle, \quad E_a = E^{(a)} + \varepsilon_a + \varepsilon_{ia}$$

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- The (dissipative) environment for Ne^+

$$\text{Ne}^+ \longrightarrow |R\rangle = \text{Ne}^{+1}(1s^2 2s^2 2p^5) + \omega_r, \quad \textit{Fluorescence}$$



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- The dissipative environment for Ne^{+2}

$$\begin{aligned} \text{Ne}^{+2}(1s^{-1} - 3p) &\longrightarrow |F_1\rangle = \text{Ne}^{+3}(1s^2 2s^2 2p^3), && \textit{Auger decay} \\ &\longrightarrow |F_2\rangle = \text{Ne}^{+3}(1s^1 2s^2 2p^4) && \textit{photoionization} \end{aligned}$$



Full Density Matrix Equations (28)

$$\begin{aligned}
 \dot{\rho}_{gg}(t) &= 2Im \sum_I D_{GI} \rho_{IG}, \\
 \dot{\rho}_{ii}(\mathbf{k}_i, t) &= 2Im [D_{IG} \rho_{GI}] + 2Im \sum_A V_{IA} \rho_{AI} \\
 &+ 2Im \sum_R D_{IR} \rho_{RI} \\
 \dot{\rho}_{aa}(\mathbf{k}_a, \mathbf{k}_i, t) &= 2Im [V_{AI} \rho_{IA}] + 2Im [D_{AA'} \rho_{A'A}] \\
 \dot{\rho}_{a'a'}(\mathbf{k}_a, \mathbf{k}_i, t) &= -2Im [D_{AA'} \rho_{A'A}] + 2Im \sum_{F_1} V_{A'F_1} \rho_{F_1A'} \\
 &+ 2Im \sum_{F_2} D_{A'F_2} \rho_{F_2A'} \\
 i\dot{\rho}_{aa'}(\mathbf{k}_a, \mathbf{k}_i, t) &= E_{AA'} \rho_{AA'} + D_{AA'} (\rho_{A'A'} - \rho_{AA}) + V_{AI} \rho_{IA'} \\
 &- \sum_{F_1} \rho_{AF_1} V_{F_1A'} - \sum_{F_2} \rho_{AF_2} D_{F_2A'} \\
 i\dot{\rho}_{GI}(t) &= \dots \\
 \dots &\dots \dots
 \end{aligned}$$

Approximations and steps involved

- Integration over the angle variables of Auger and photoelectron (not an approximation)

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- Keeping terms up to the first order to the electric field (not restrictive)
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- Rotating wave approximation (RWA)
- Elimination of the continuum
- Keeping terms up to the first order to the electric field (not restrictive) ($I < 6 \times 10^{18} \text{ W/cm}^2$)
- no interaction between Auger and photo-electrons are allowed (far from ionization thresholds)

DME in terms of $\gamma_g(t), \gamma_{a'}(t), \Gamma_i, \Gamma_{a'}$ and Rabi $\Omega_{aa'}(t)$

$$\begin{aligned}
 \dot{\sigma}_{gg}(t) &= -\gamma_g \sigma_{gg}, \\
 \dot{\sigma}_{ii}(\varepsilon_i, t) &= -\Gamma_i \sigma_{ii} + \text{Im} [\Omega_{ig}^* \sigma_{gi}], \\
 \dot{\sigma}_{aa}(\varepsilon_i, \varepsilon_a, t) &= -\text{Im} [\Omega_{a'a}^* \sigma_{aa'}] + 2\text{Im} [V_{ai} \sigma_{ia}], \\
 \dot{\sigma}_{a'a'}(\varepsilon_i, \varepsilon_a, t) &= -\bar{\gamma}_{a'} \sigma_{a'a'} + \text{Im} [\Omega_{a'a}^* \sigma_{aa'}], \\
 i\dot{\sigma}_{aa'}(\varepsilon_i, \varepsilon_a, t) &= (E_{aa'} + \omega - i\frac{\bar{\gamma}_{a'}}{2})\sigma_{aa'} + \frac{\Omega_{aa'}}{2}(\sigma_{a'a'} - \sigma_{aa}) + V_{ai}\sigma_{ia'}, \\
 i\dot{\sigma}_{gi}(\varepsilon_i, t) &= (E_{gi} + \omega - i\frac{\gamma_g + \Gamma_i}{2})\sigma_{gi} - \frac{1}{2}\Omega_{gi} \sigma_{gg} \\
 i\dot{\sigma}_{ia}(\varepsilon_i, \varepsilon_a, t) &= (E_{ia} - i\frac{\Gamma_i}{2})\sigma_{ia} + \frac{1}{2}\Omega_{ig}^* \sigma_{ga} - \frac{1}{2}\Omega_{a'a}^* \sigma_{ia'} - V_{ia} \sigma_{ii} \\
 i\dot{\sigma}_{ia'}(\varepsilon_i, \varepsilon_a, t) &= (E_{ia'} + \omega - i\frac{\Gamma_i + \bar{\gamma}_{a'}}{2})\sigma_{ia'} + \frac{1}{2}\Omega_{ig}^* \sigma_{ga'} - \frac{1}{2}\Omega_{aa'} \sigma_{ia}, \\
 i\dot{\sigma}_{ga}(\varepsilon_i, \varepsilon_a, t) &= (E_{ga} + \omega - i\frac{\gamma_g}{2})\sigma_{ga} - \frac{1}{2}\Omega_{a'a}^* \sigma_{ga'} - V_{ia}\sigma_{gi}, \\
 i\dot{\sigma}_{ga'}(\varepsilon_i, \varepsilon_a, t) &= (E_{ga'} + 2\omega - i\frac{\gamma_g + \bar{\gamma}_{a'}}{2})\sigma_{ga'} - \frac{1}{2}\Omega_{aa'} \sigma_{ga}.
 \end{aligned}$$

DME in terms of $\gamma_g(t), \gamma_{a'}(t), \Gamma_i, \Gamma_{a'}$ and Rabi $\Omega_{aa'}(t)$

$$\begin{aligned}
 \dot{\sigma}_{gg}(t) &= -\gamma_g \sigma_{gg}, \\
 \dot{\sigma}_{ii}(\varepsilon_i, t) &= -\Gamma_i \sigma_{ii} + \text{Im} [\Omega_{ig}^* \sigma_{gi}], \\
 \dot{\sigma}_{aa}(\varepsilon_i, \varepsilon_a, t) &= -\text{Im} [\Omega_{a'a}^* \sigma_{aa'}] + 2\text{Im} [V_{ai} \sigma_{ia}], \\
 \dot{\sigma}_{a'a'}(\varepsilon_i, \varepsilon_a, t) &= -\bar{\gamma}_{a'} \sigma_{a'a'} + \text{Im} [\Omega_{a'a}^* \sigma_{aa'}], \\
 i\dot{\sigma}_{aa'}(\varepsilon_i, \varepsilon_a, t) &= (E_{aa'} + \omega - i\frac{\bar{\gamma}_{a'}}{2})\sigma_{aa'} + \frac{\Omega_{aa'}}{2}(\sigma_{a'a'} - \sigma_{aa}) + V_{ai}\sigma_{ia'}, \\
 i\dot{\sigma}_{gi}(\varepsilon_i, t) &= (E_{gi} + \omega - i\frac{\gamma_g + \Gamma_i}{2})\sigma_{gi} - \frac{1}{2}\Omega_{gi} \sigma_{gg} \\
 i\dot{\sigma}_{ia}(\varepsilon_i, \varepsilon_a, t) &= (E_{ia} - i\frac{\Gamma_i}{2})\sigma_{ia} + \frac{1}{2}\Omega_{ig}^* \sigma_{ga} - \frac{1}{2}\Omega_{a'a}^* \sigma_{ia'} - V_{ia} \sigma_{ii} \\
 i\dot{\sigma}_{ia'}(\varepsilon_i, \varepsilon_a, t) &= (E_{ia'} + \omega - i\frac{\Gamma_i + \bar{\gamma}_{a'}}{2})\sigma_{ia'} + \frac{1}{2}\Omega_{ig}^* \sigma_{ga'} - \frac{1}{2}\Omega_{aa'} \sigma_{ia}, \\
 i\dot{\sigma}_{ga}(\varepsilon_i, \varepsilon_a, t) &= (E_{ga} + \omega - i\frac{\gamma_g}{2})\sigma_{ga} - \frac{1}{2}\Omega_{a'a}^* \sigma_{ga'} - V_{ia} \sigma_{gi}, \\
 i\dot{\sigma}_{ga'}(\varepsilon_i, \varepsilon_a, t) &= (E_{ga'} + 2\omega - i\frac{\gamma_g + \bar{\gamma}_{a'}}{2})\sigma_{ga'} - \frac{1}{2}\Omega_{aa'} \sigma_{ga}.
 \end{aligned}$$

Coarse-grained DME for the Auger-electron

$$\begin{aligned}\dot{\sigma}_{gg} &= -\gamma_g \sigma_{gg}, \\ \dot{\sigma}_{ii}(\varepsilon_a, t) &= -\Gamma_i \sigma_{ii} + \gamma_g \sigma_{gg}, \\ \dot{\sigma}_{aa}(\varepsilon_a, t) &= -\text{Im} [\Omega_{a'}^* \sigma_{aa'}] + \text{Im} [\bar{\Delta}(\Omega_{a'}^+ - \Omega_{a'}^-)] \sigma_{ii}, \\ \dot{\sigma}_{a'a'}(\varepsilon_a, t) &= -\Gamma_{a'} \sigma_{a'a'} + \text{Im} [\Omega_{a'}^* \sigma_{aa'}], \\ i\dot{\sigma}_{aa'}(\varepsilon_a, t) &= \bar{\delta} \sigma_{aa'} - \frac{\Omega_{a'}}{2} (\sigma_{a'a'} - \sigma_{aa}) + \frac{\Omega_{a'}}{4} (\Omega_{a'}^+ - \Omega_{a'}^-) \sigma_{ii}.\end{aligned}$$

Integrated over the energies of the photoionized electron (\mathbf{k}_i).

All derivatives of the coherences that include the photoelectron state were set to zero (adiabatic approximation) .

$$S(\varepsilon_a) = \int_{-\infty}^{+\infty} dt [\dot{\sigma}_{aa}(\varepsilon_a, t) + \dot{\sigma}_{a'a'}(\varepsilon_a, t)]$$

$$P_a(t) = \int d\varepsilon_a \sigma_{aa}(\varepsilon_a, t), \quad P_{a'}(t) = \int d\varepsilon \sigma_{a'a'}(\varepsilon_a, t),$$



Auger spectrum analytical formula

For long pulses

$$S(\varepsilon_a) = \frac{\Gamma_{ia}}{4\pi} \left[\frac{1 - \delta_{a'}/\bar{\Omega}_{a'}}{(\varepsilon_a - \varepsilon_a^{(0)} - \frac{\delta_{a'} - \bar{\Omega}_{a'}}{2})^2 + \frac{\Gamma_i^2}{4}} + \frac{1 + \delta_{a'}/\bar{\Omega}_{a'}}{(\varepsilon_a - \varepsilon_a^{(0)} - \frac{\delta_{a'} + \bar{\Omega}_{a'}}{2})^2 + \frac{\Gamma_i^2}{4}} \right].$$

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$\varepsilon_a^{(0)}$

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- As a rule of thumb, the following ratios matter:

$$\delta_{a'}/|\bar{\Omega}_{a'}|, \quad |\bar{\Omega}_{a'}|/\Gamma_i$$



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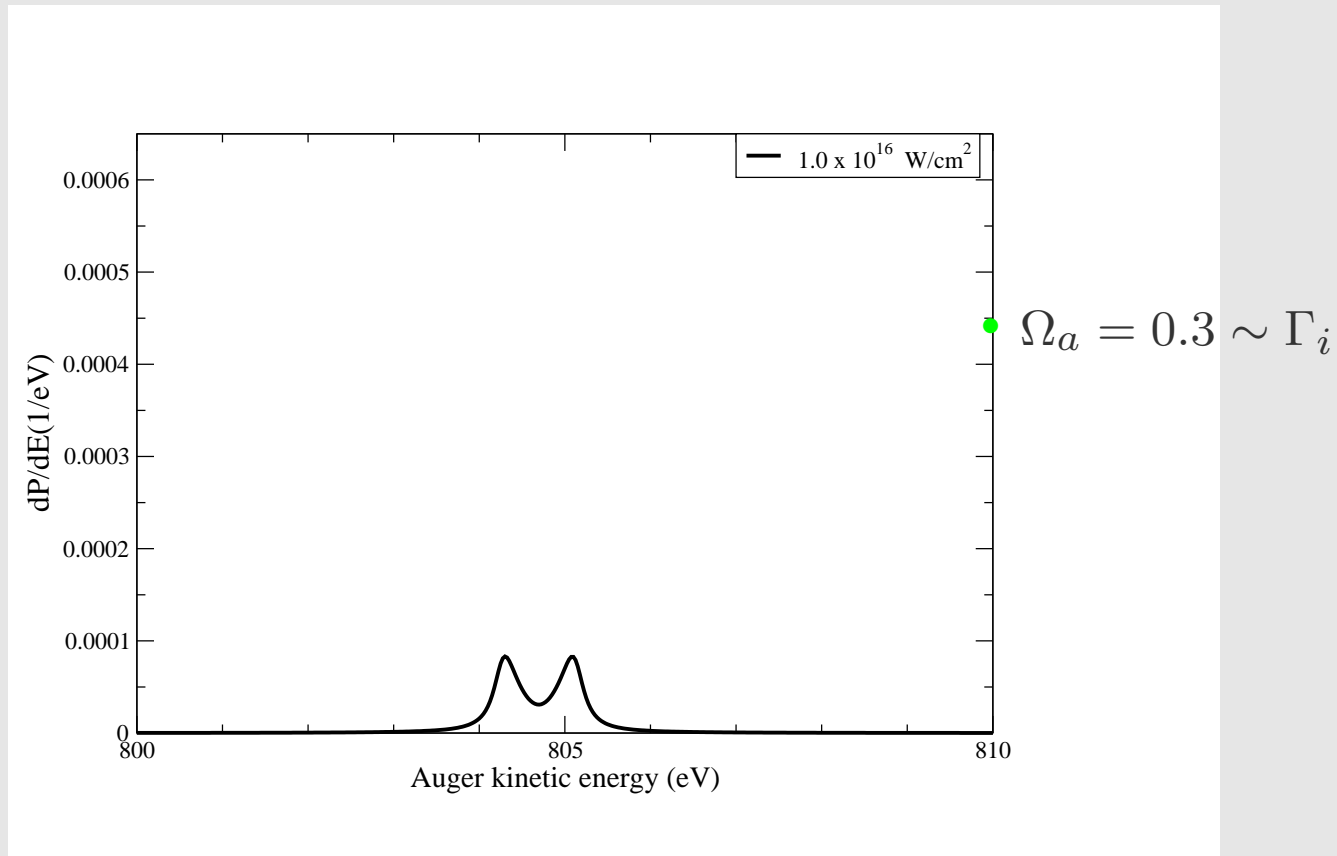
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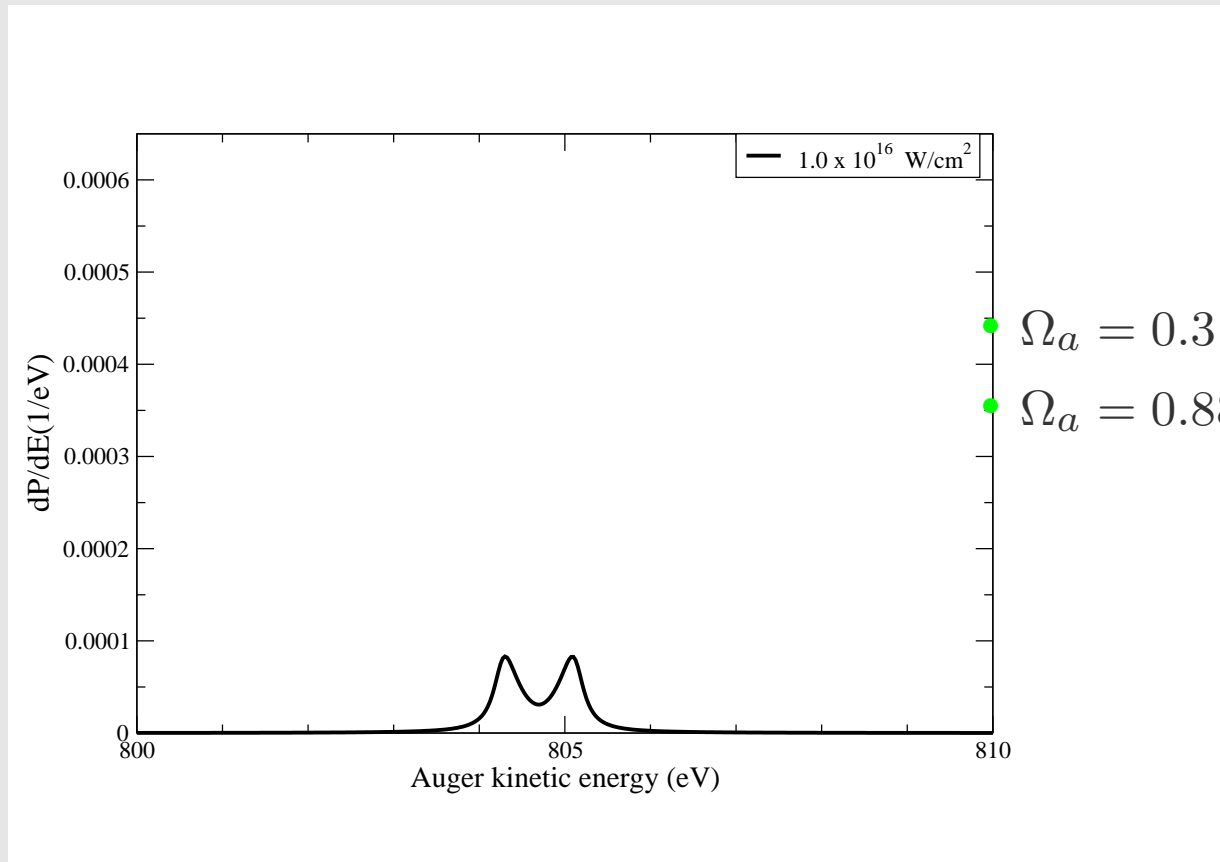


Results for Neon under 48.8 fs pulse

Core resonant Auger kinetic spectra



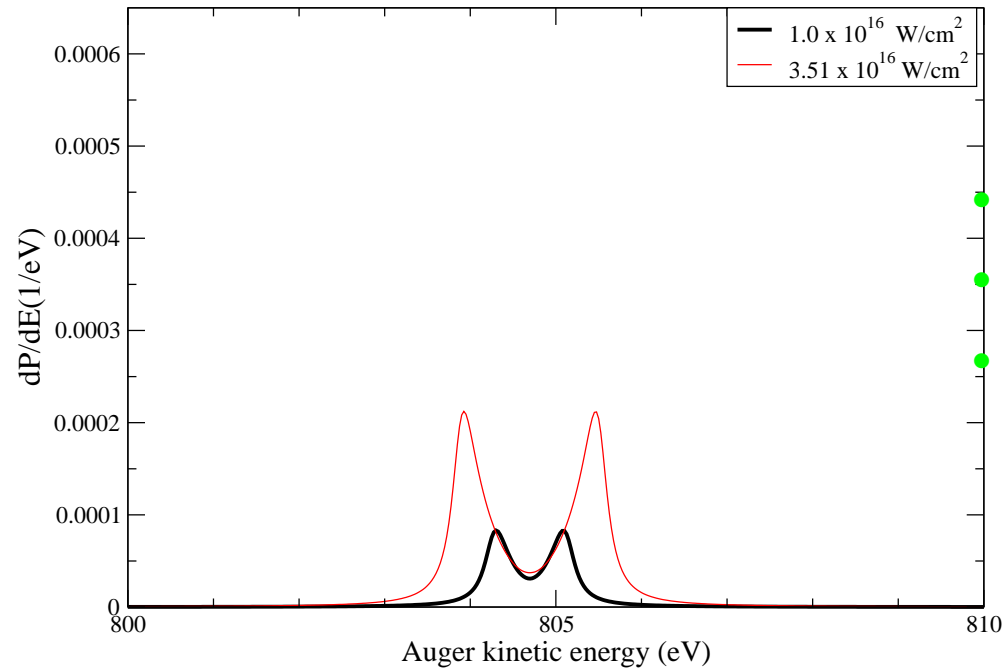
Core resonant Auger kinetic spectra



$\Omega_a = 0.3 \sim \Gamma_i$
 $\Omega_a = 0.88 \sim 3\Gamma_i \text{ eV}$



Core resonant Auger kinetic spectra

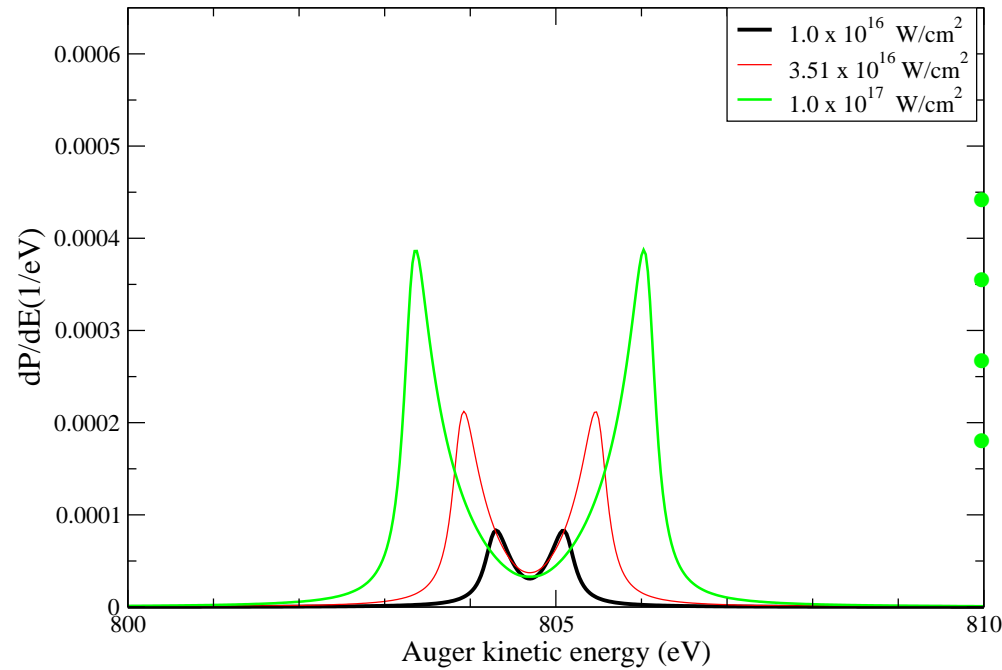


• $\Omega_a = 0.3 \sim \Gamma_i$

• $\Omega_a = 0.88 \sim 3\Gamma_i \text{ eV}$

• $\Omega_a = 1.66 \sim 6\Gamma_i \text{ eV}$

Core resonant Auger kinetic spectra



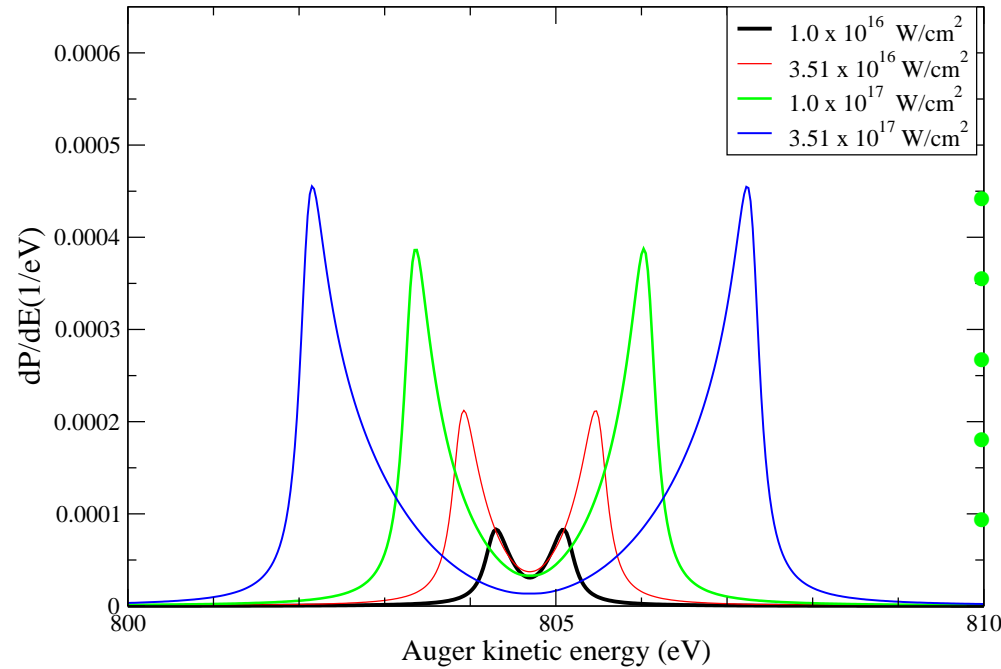
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● $\Omega_a = 2.79 \sim 10\Gamma_i$ eV

Core resonant Auger kinetic spectra



● $\Omega_a = 0.3 \sim \Gamma_i$

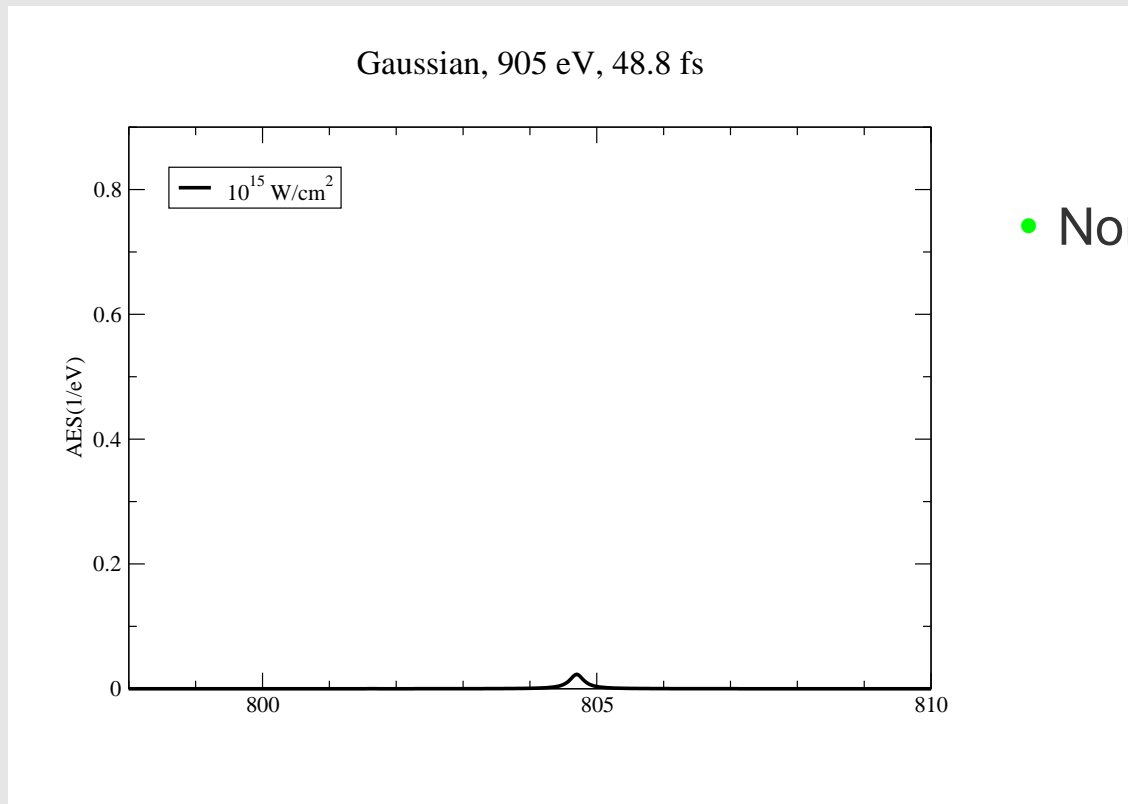
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● $\Omega_a = 1.66 \sim 6\Gamma_i$ eV

● $\Omega_a = 2.79 \sim 10\Gamma_i$ eV

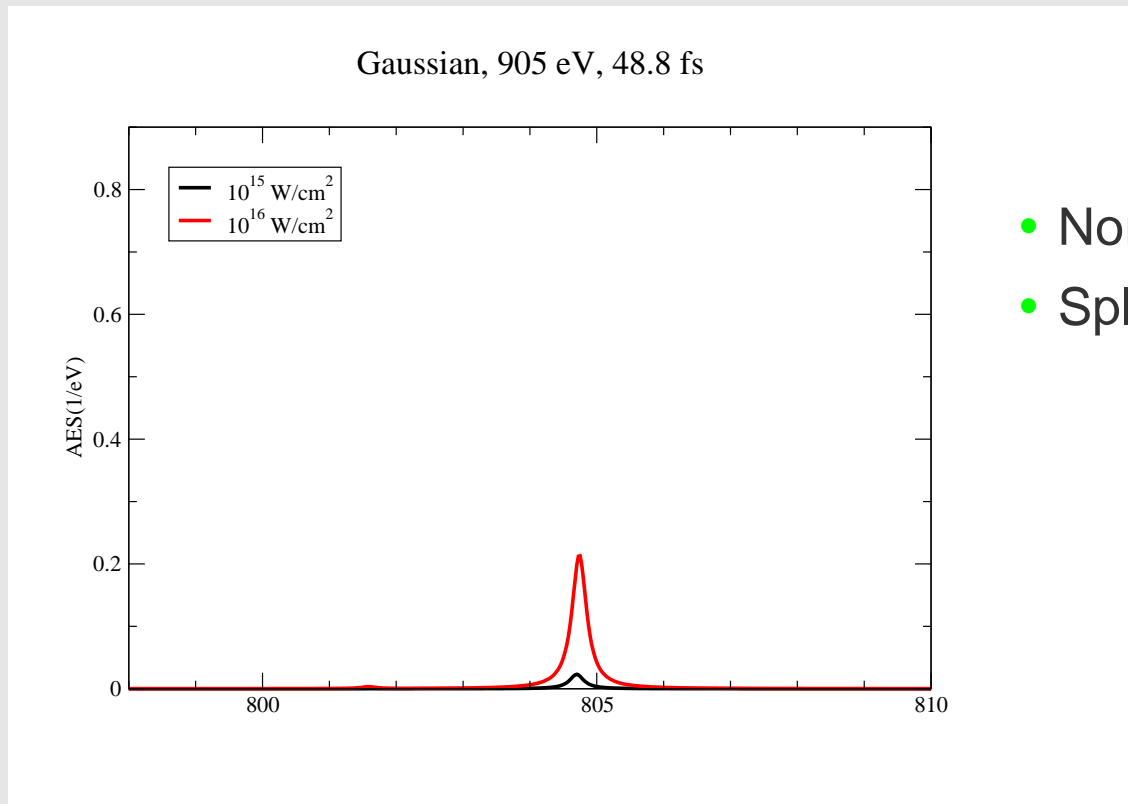
● $\Omega_a = 5.25 \sim 20\Gamma_i$ eV

Core-resonant Auger kinetic spectra 905 eV ($\delta_{a'} = 3$ eV)



- Normal Auger line

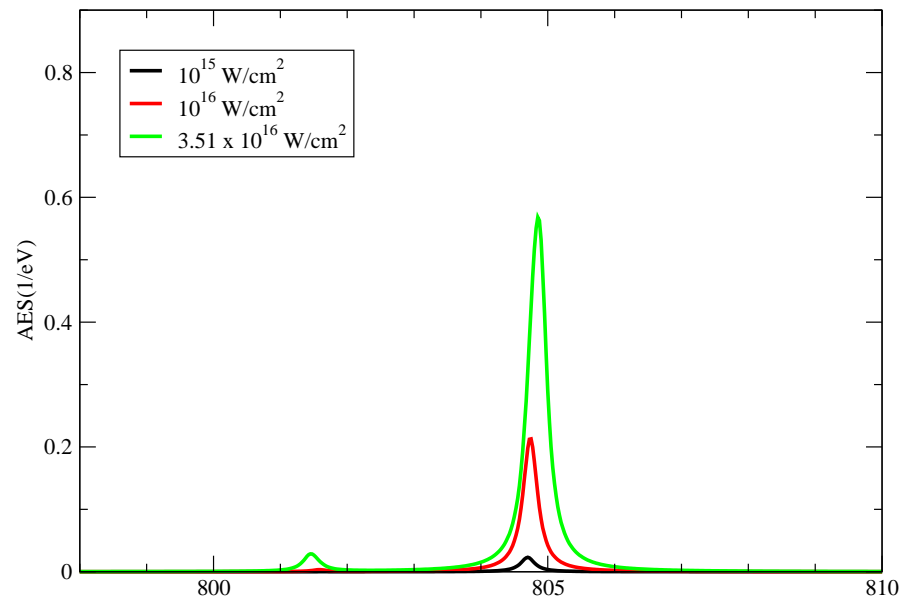
Core-resonant Auger kinetic spectra 905 eV ($\delta_{a'} = 3$ eV)



- Normal Auger line
- Splitting starts to appear

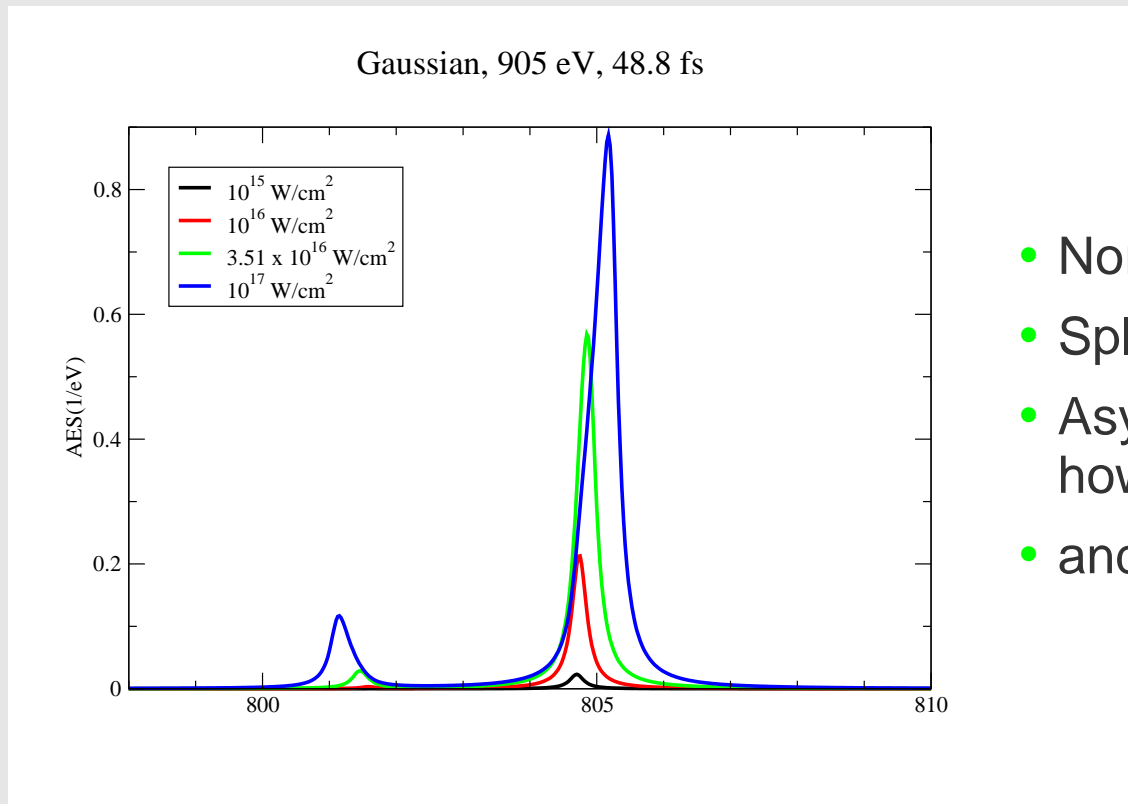
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Gaussian, 905 eV, 48.8 fs



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- Splitting starts to appear
- Asymmetric structure, however present

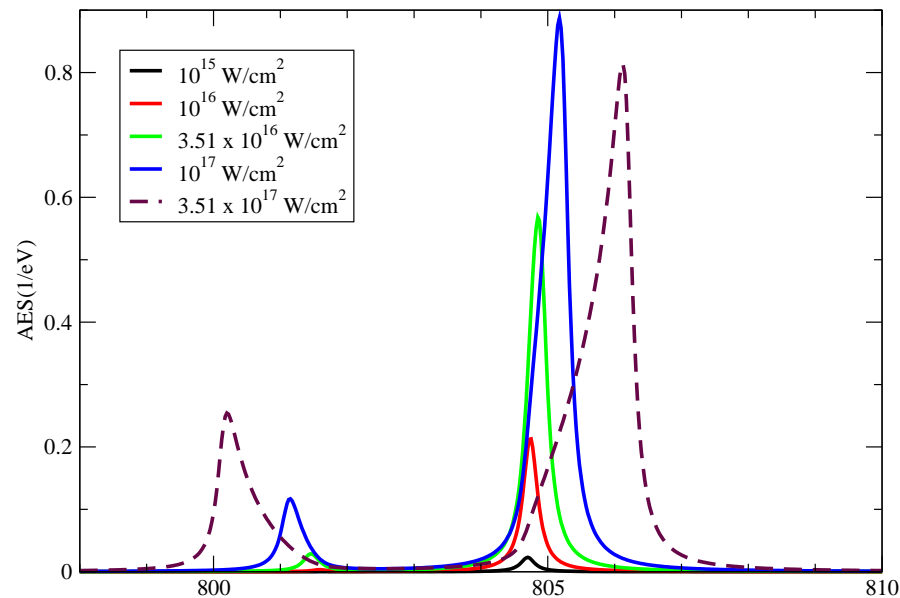
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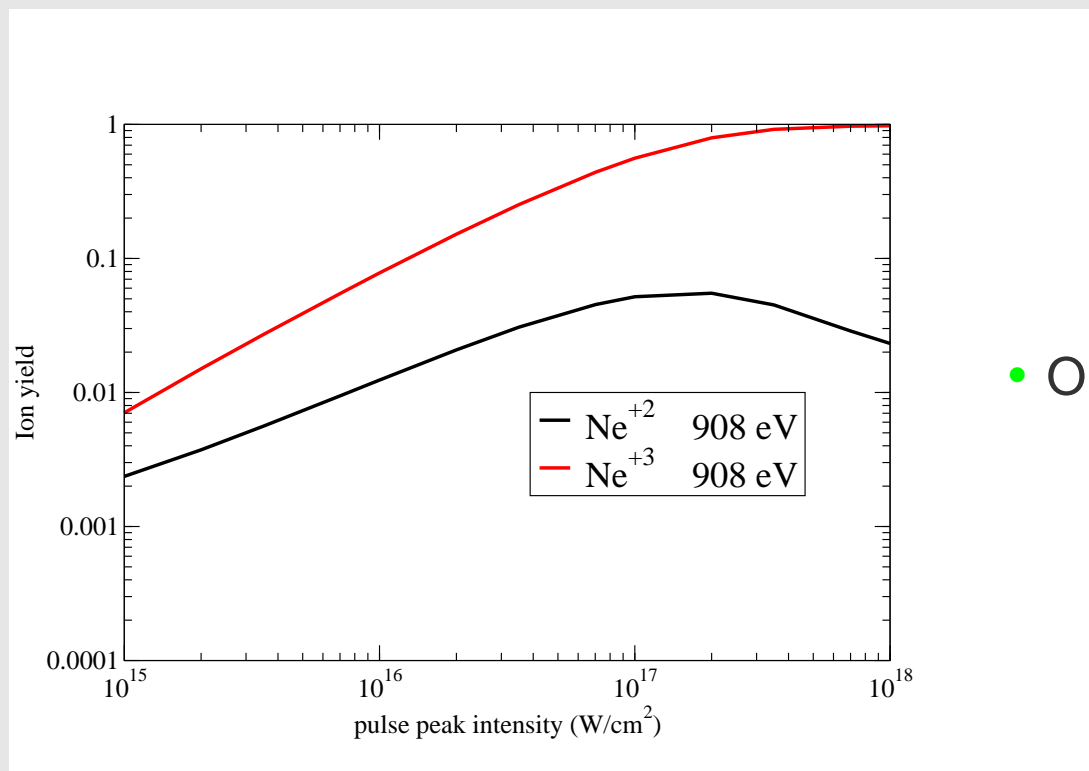
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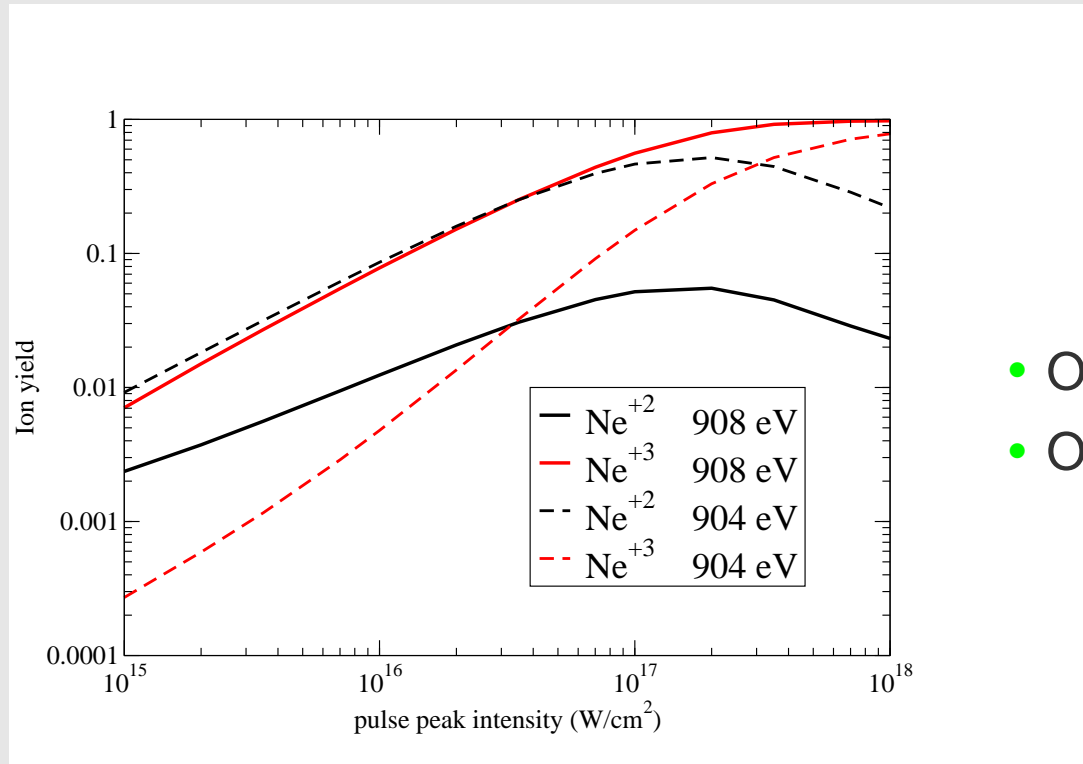
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Ionization yields



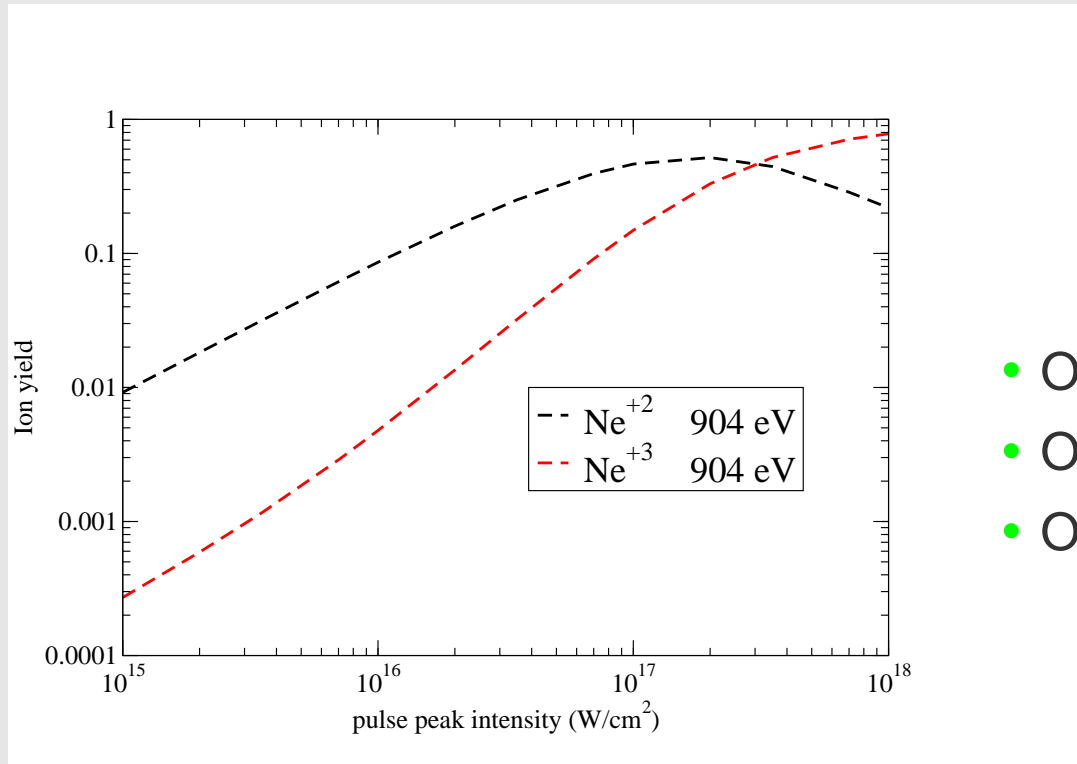
- On resonance,

Ionization yields



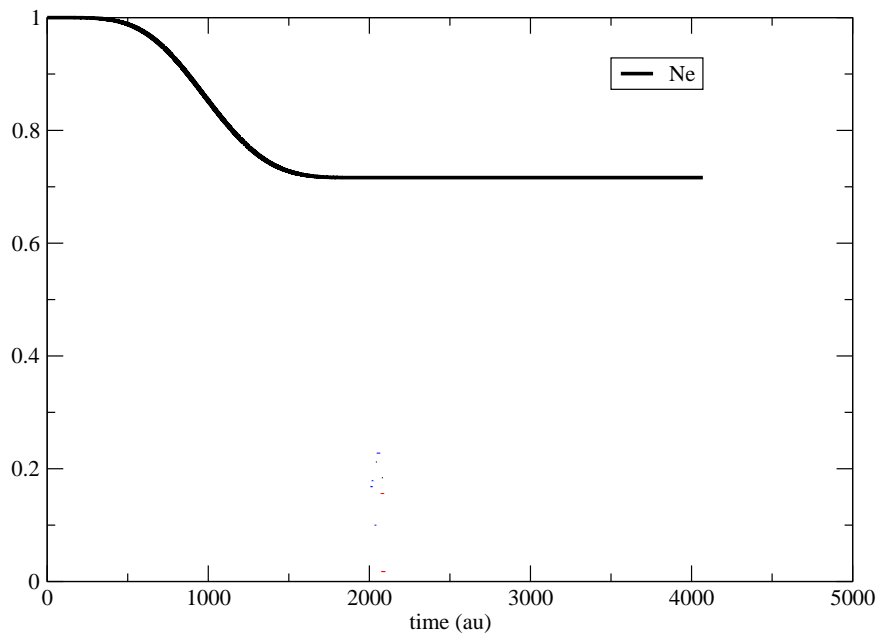
- On resonance,
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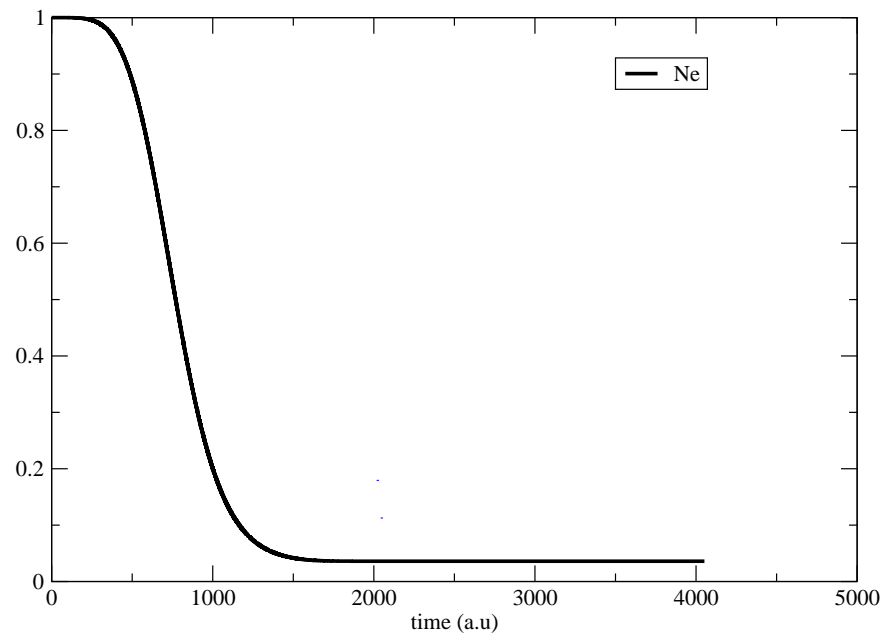


- On resonance,
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Time dependence of Ne, Ne⁺, Ne⁺², Ne⁺²(1s⁻¹ - 3p)

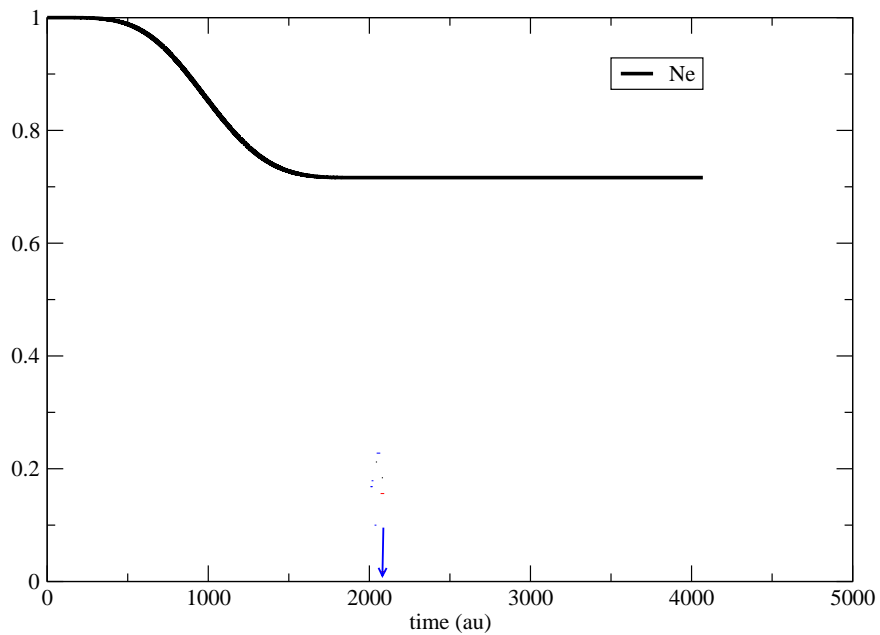


$$I_0 = 3.51 \times 10^{16} \text{ W/cm}^2$$



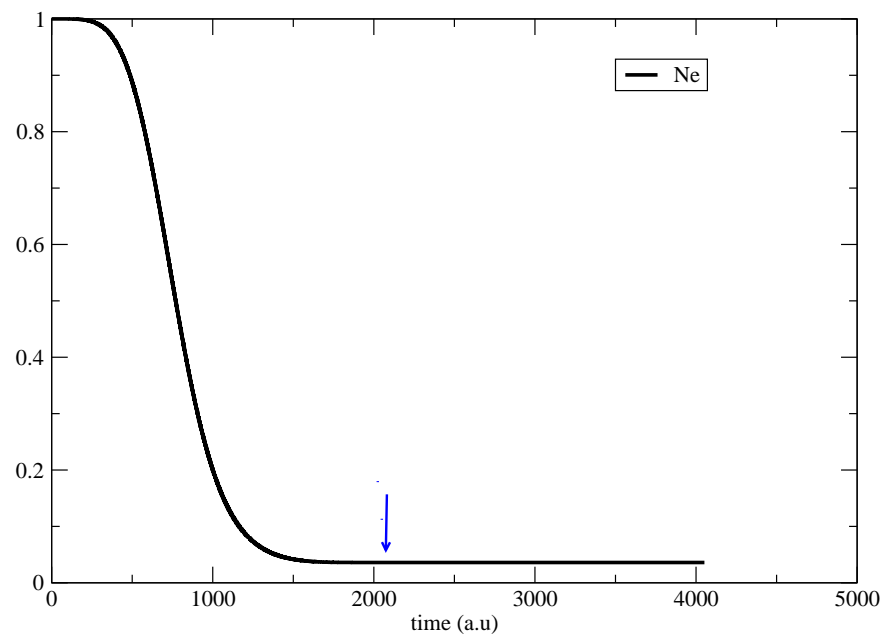
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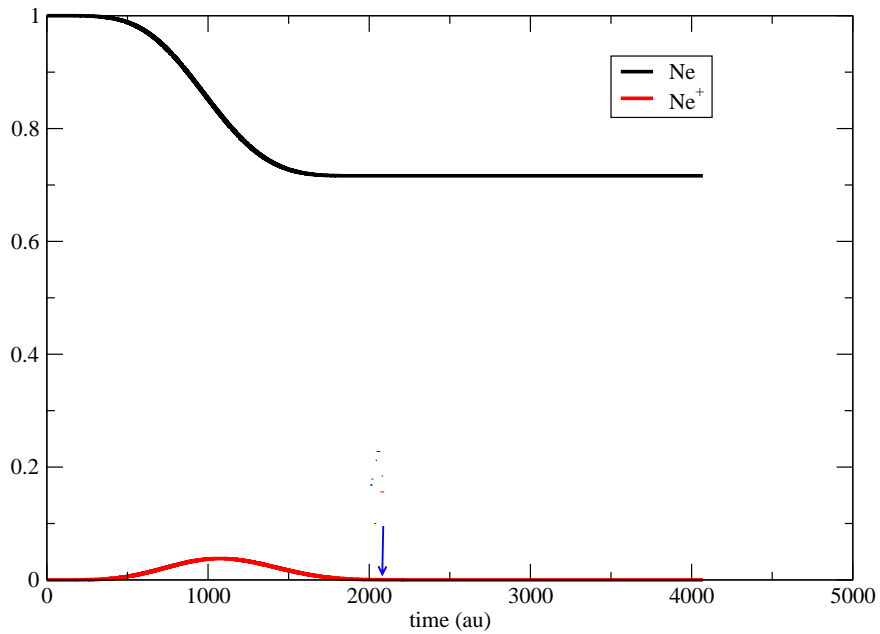
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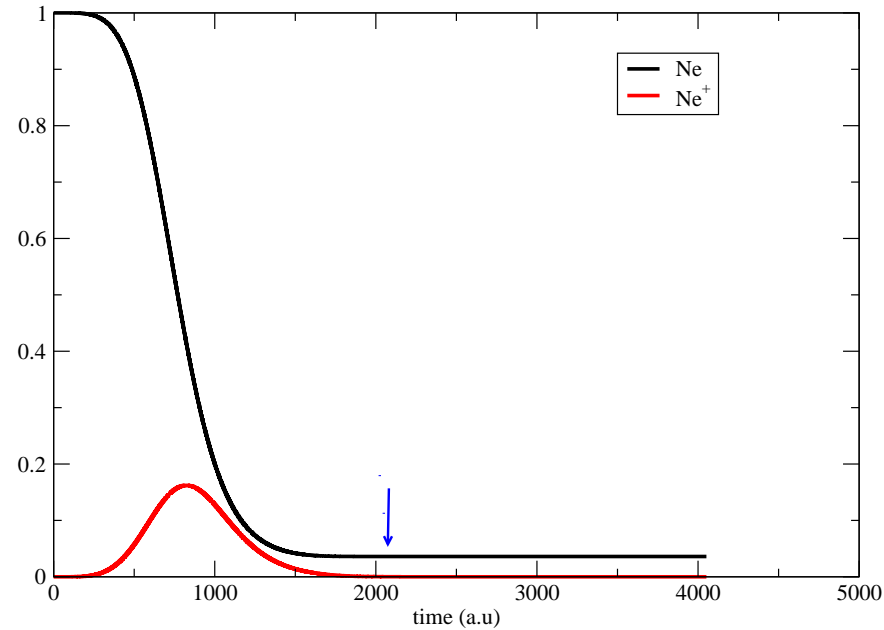
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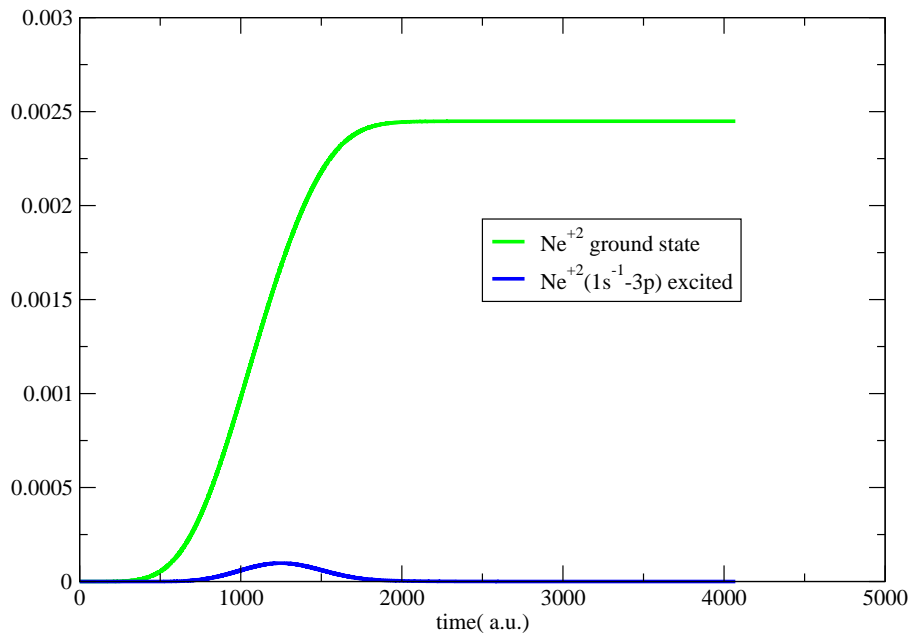
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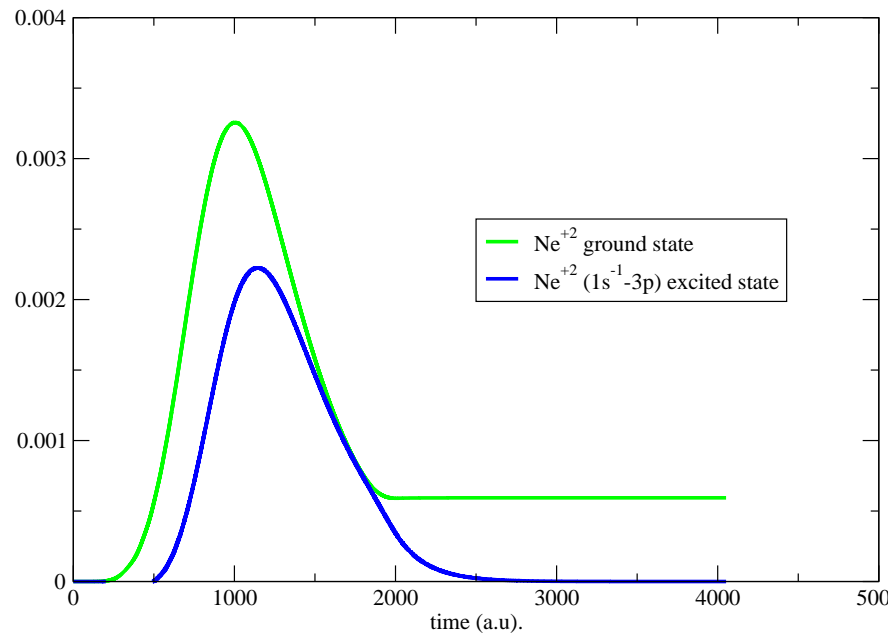


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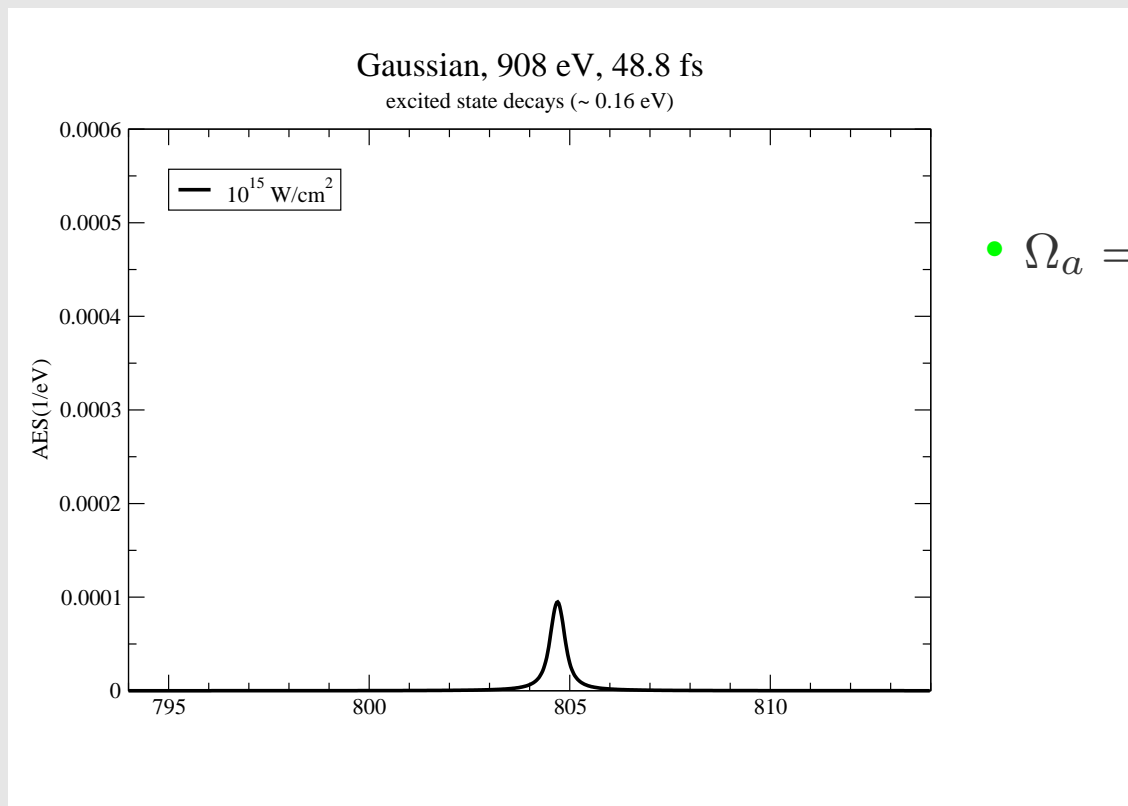


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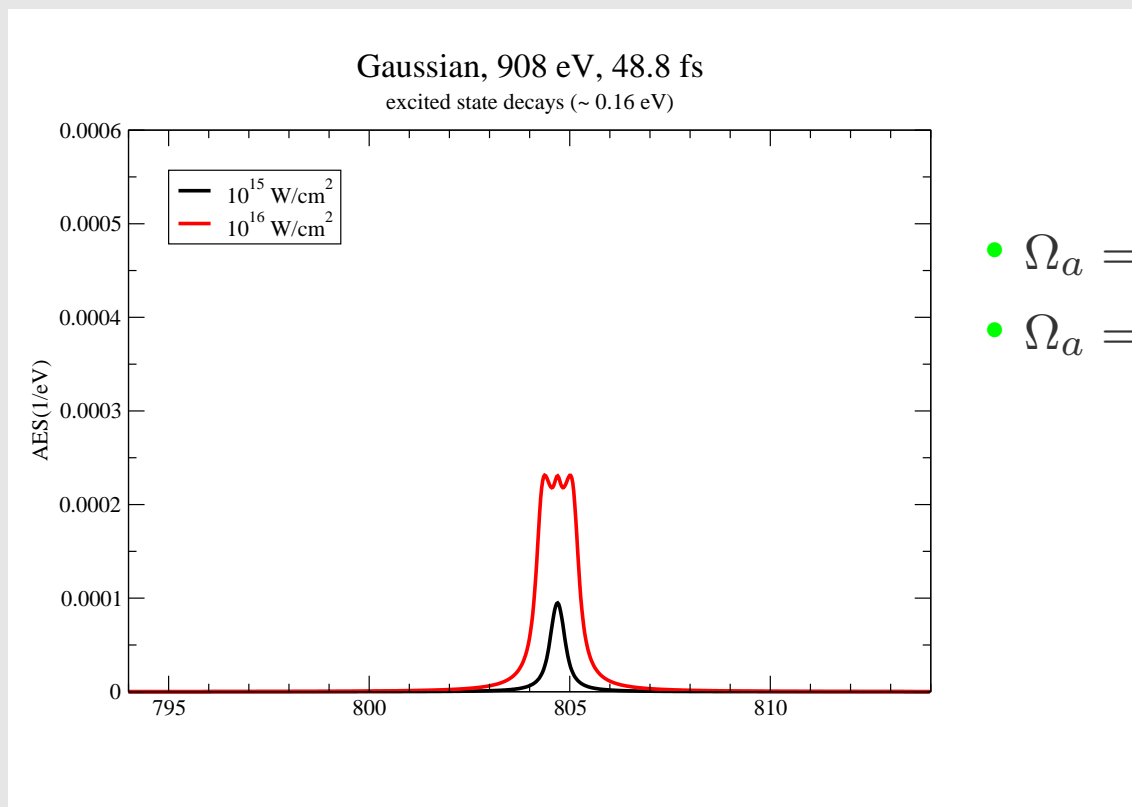
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Core-resonant Auger kinetic spectra 908 eV ($\Gamma_{a'} = 0.16$ eV)



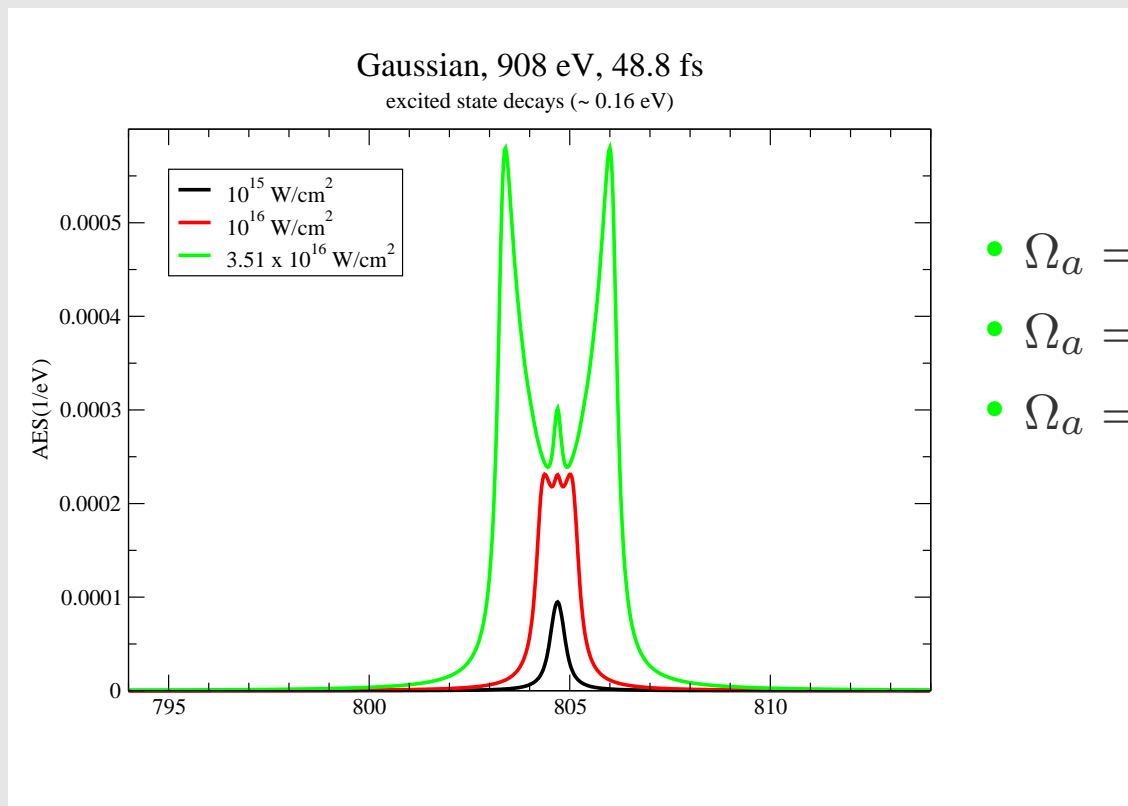
• $\Omega_a = 0.3$ eV

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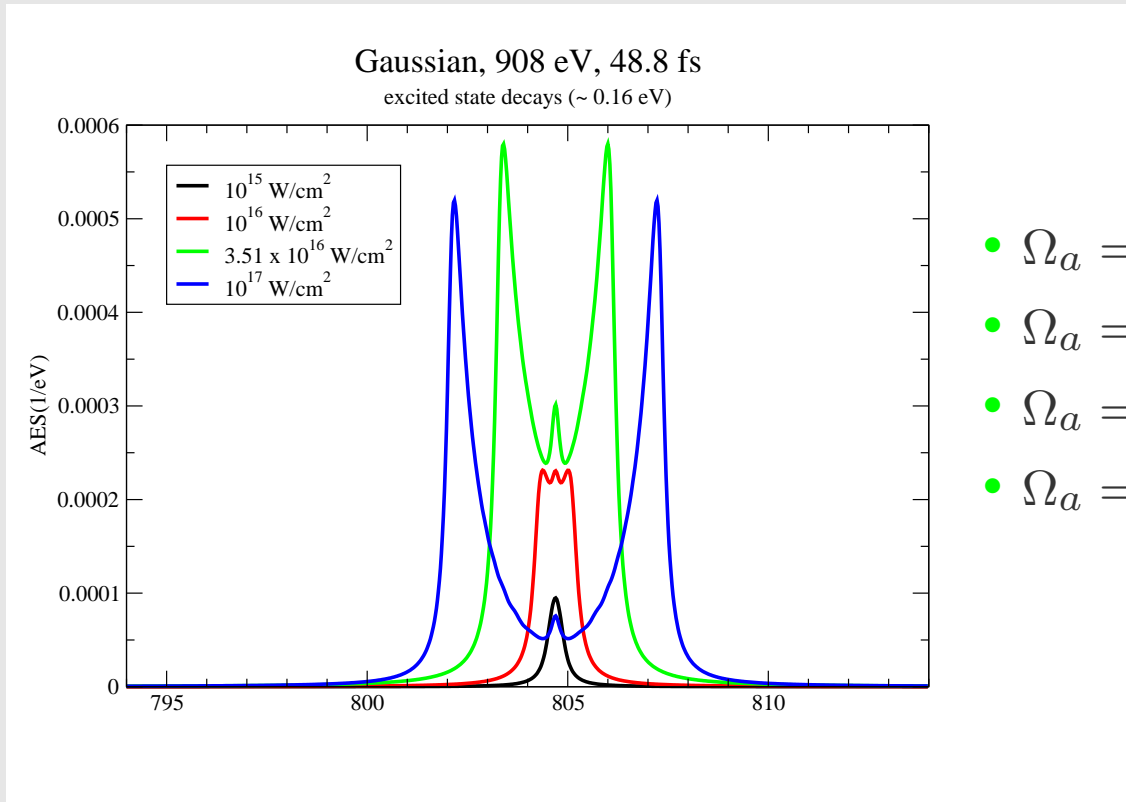
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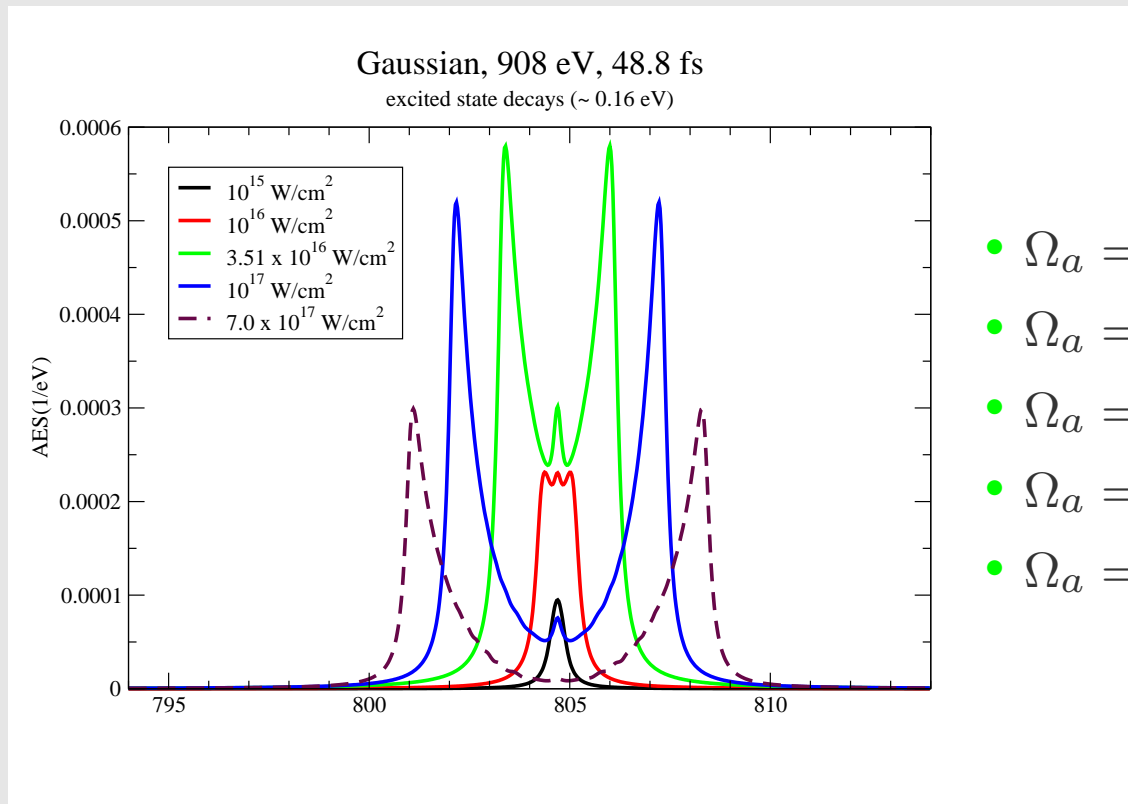
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- $\Omega_a = 0.88$ eV
- $\Omega_a = 1.66$ eV
- $\Omega_a = 2.79$ eV
- $\Omega_a = 5.25$ eV

Closer to experimental situation

DCU collaborators John Costello and Thomas (Mossy) Kelly are contributing on this part.



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Field undergoes fluctuations



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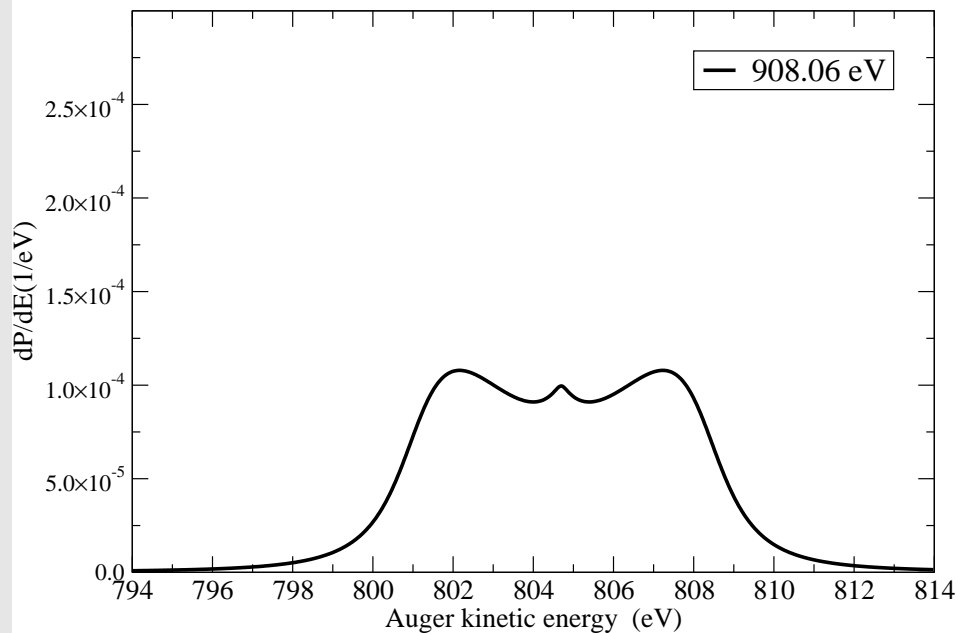
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Volume integration of the AES is needed

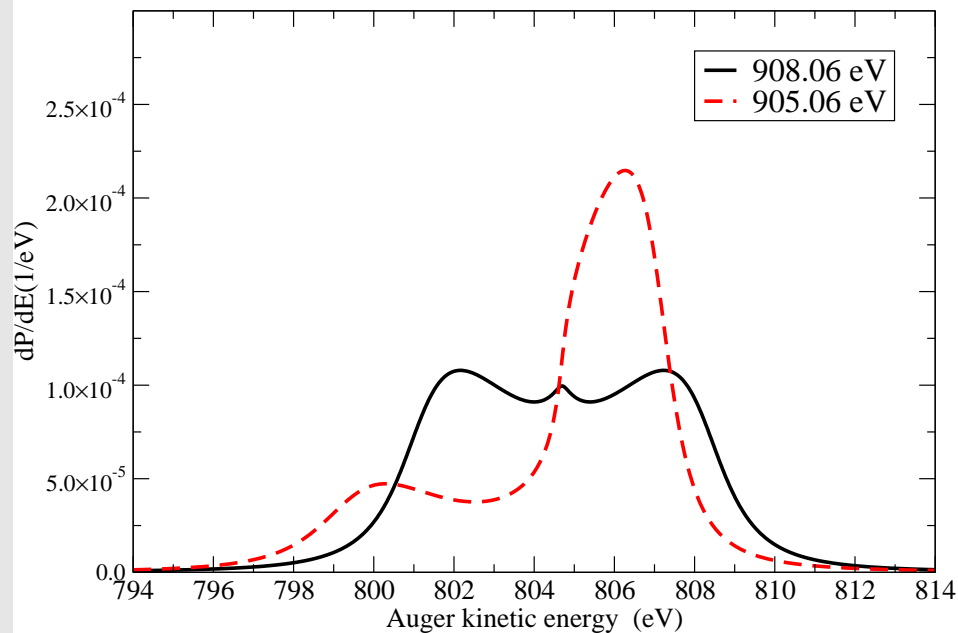


Stochastic Pulse for 48.8 fs, xfel bandwidth = 4 eV



- TDDM Equations have averaged over the field fluctuations

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