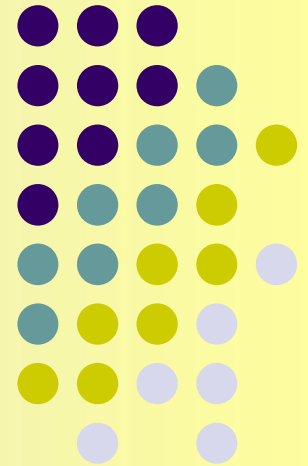


Updates for Background study of Drell-Yan process ($\mu^+\mu^-$ case)



A.N.Skachkova
(JINR, Dubna)





V.A. Matveev, R.M. Muradian, A.N. Tavkhelidze (MMT)

(V.A. Matveev, R.M. Muradian, A.N. Tavkhelidze, JINR-P2-4543, JINR, Dubna, 1969; SLAC-TRANS-0098)

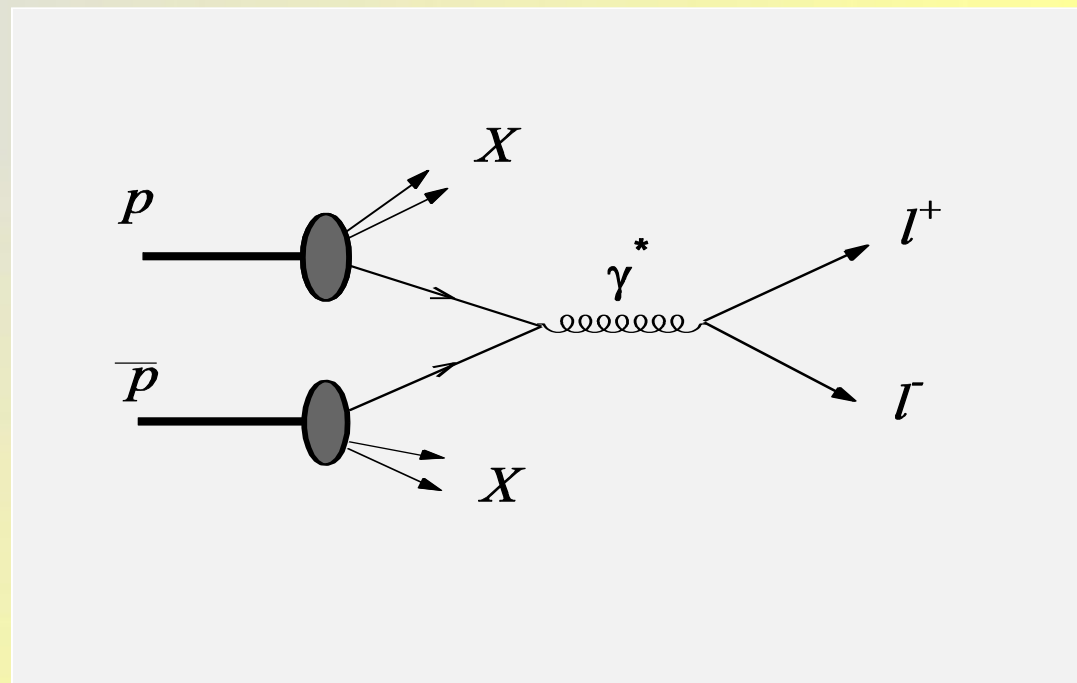
process, called also as Drell-Yan

(S.D. Drell, T.M. Yan, SLAC-PUB-0755, Jun 1970,12p.; Phys.Rev.Lett. 25(1970)316-320, 1970)

The dominant mechanism of the l^+l^- production is the perturbative QED/QCD partonic $2 \rightarrow 2$ process

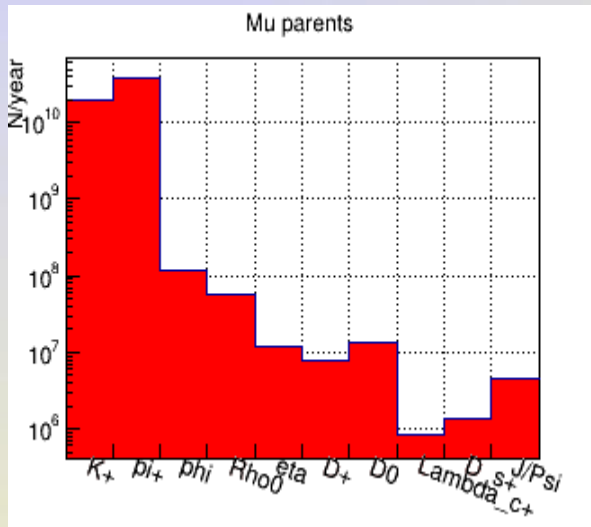
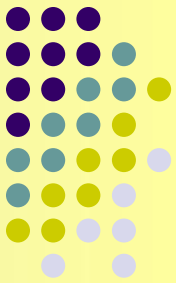
$$\bar{q}iq_i \rightarrow \gamma^* / Z^0 \rightarrow l^+l^-$$

$$\sigma = 4.6 * 10^3 \text{ pb}$$



PYTHIA 6.4 simulation for the $P_{\text{beam}} = 15 \text{ GeV}$ ($E_{\text{cms}} = 5.474 \text{ GeV}$)

For the Luminosity $L = 2 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$ with assumption of the 10^7 sec/year beam operation we expect up to 9.2×10^7 Drell-Yan events/year



Information from PYTHIA

The most probable parents of bkg muons - are charged π and K

The most probable grandparents of bkg muons - are «string» (Lund model),

$$\rho^0, \rho^+, K^0, K^{*0}, K^+, K^-, \eta'$$

Background cross sections : PYTHIA ≈ 37.4 mb
 DPM ≈ 44.23 mb \rightarrow initial S/B = 1.04×10^{-7}

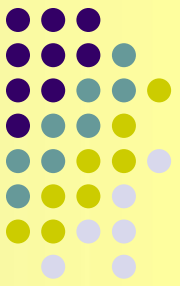
Thus for reduction of backgrounds the preselection cuts (filters) were chosen as:

Presence of at least 1 (K^+ or π^+) & (K^- or π^-) with $PT > 0.3$ GeV and $P > 1.5$ GeV

Now for Background calculations we have used DPM generator with PandaRoot version **PandaRoot oct19, FairRoot v18.2, FairSoft june19p1**



Muon identification



Initial number of background generated in DPM events – 1026444289
after precut – 90.000.000 ($9 \cdot 10^7$)

Used PID algorithm "PidAlgoMvd; PidAlgoStt; PidAlgoDrc; PidAlgoEmcBayes; PidAlgoDisc; PidAlgoMdtHardCuts "

(It was checked with BOX generator that these 6 algorithms allow to detect muons better in backward direction compared to stand alone PidAlgoMdtHardCuts)

Initial assumption of even **Tight muons ($P \geq 0.5$)** for signal DY events (200 000) give significant loss of muons/event:

$0\mu = 12,46\%$ $1\mu = 46.37\%$ **$2\mu = 35.31\%$** $3\mu = 5.19\%$ $4\mu = 0.59\%$ $5\mu = 0.06\%$ $6\mu < 0.01\%$

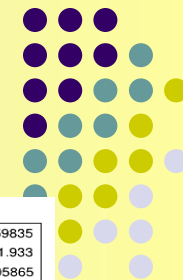
Finally were taken in consideration Muons **VeryTight** – required (**probability**) **$P \geq 0.9$**

And for DY events we have:

$0\mu = 18.92\%$ $1\mu = 51.46\%$ **$2\mu = 27.32\%$** $3\mu = 2.12\%$ $4\mu = 0.15\%$ $5\mu < 0.01\%$

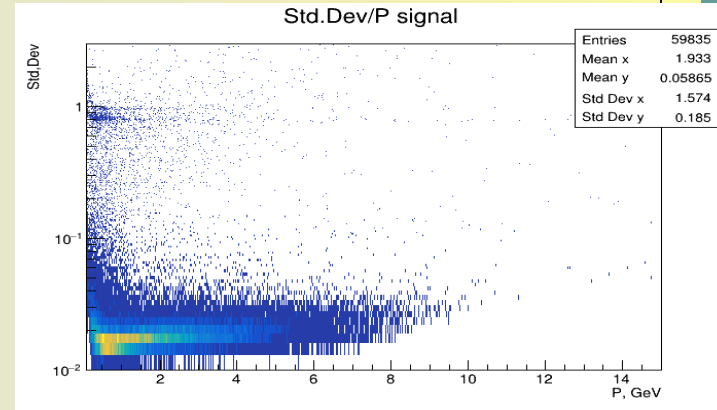
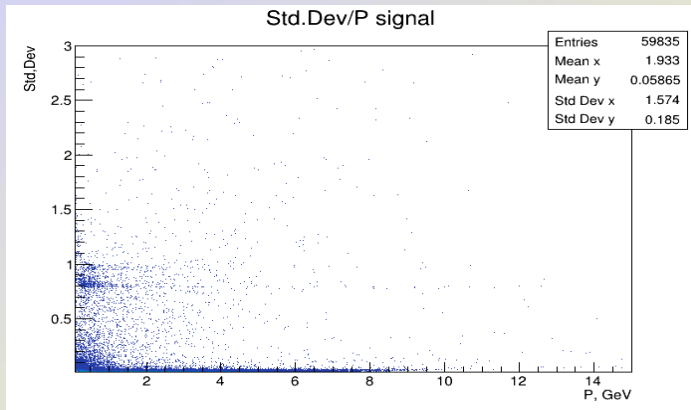
There were considered 2 cases :

1. All obtained data (without momenta selection) /*all following plots are made for this case/*
2. Only events with "well" measured momenta ($\Delta P/P < 3\%$)

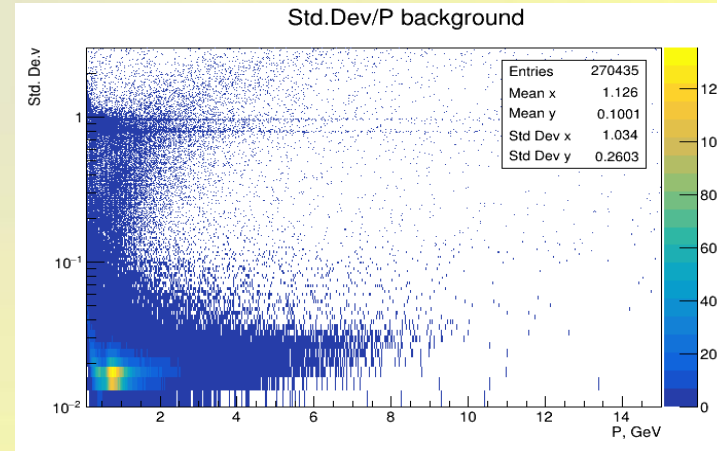
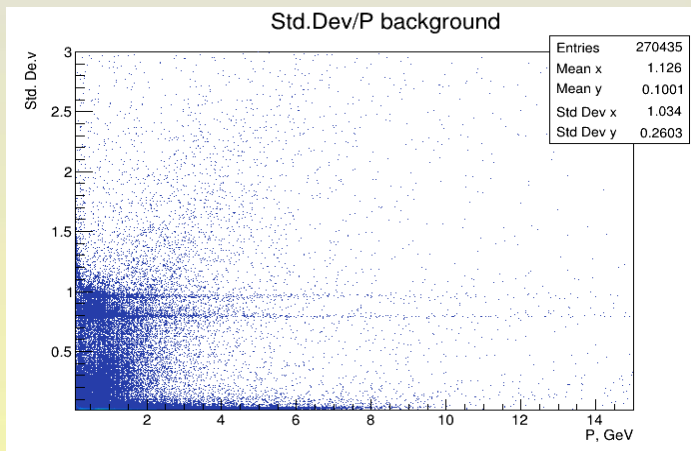


Sig & BKG in log scale

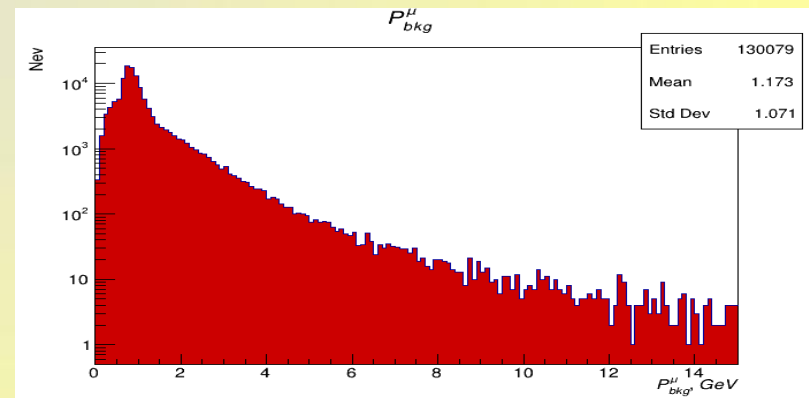
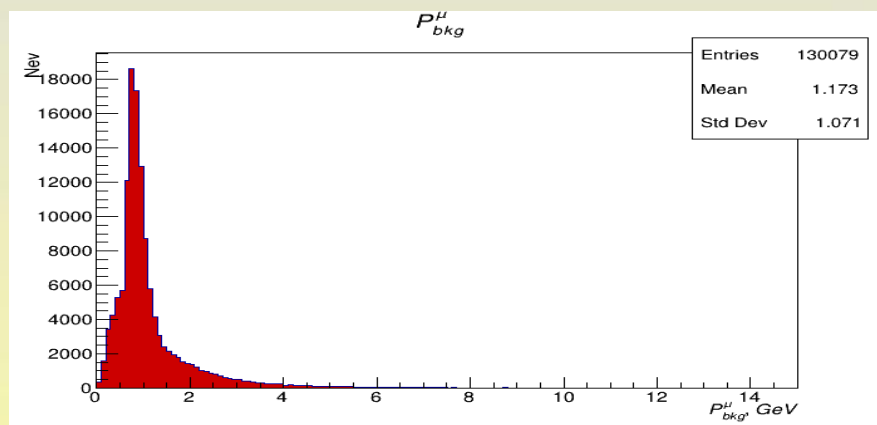
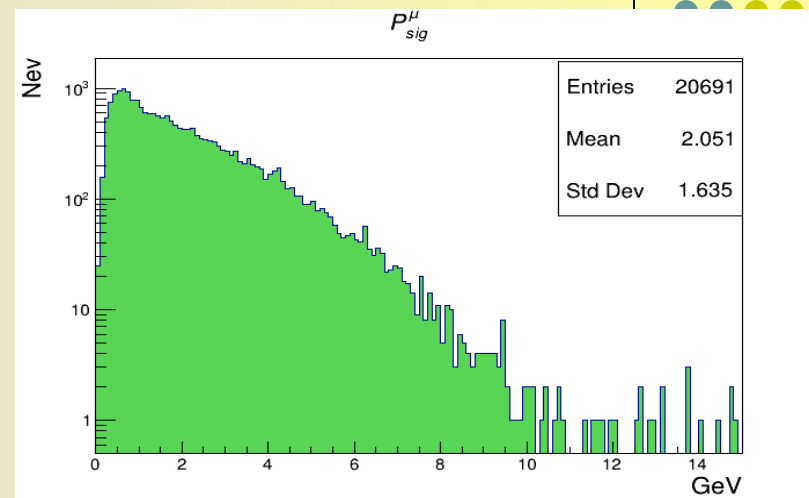
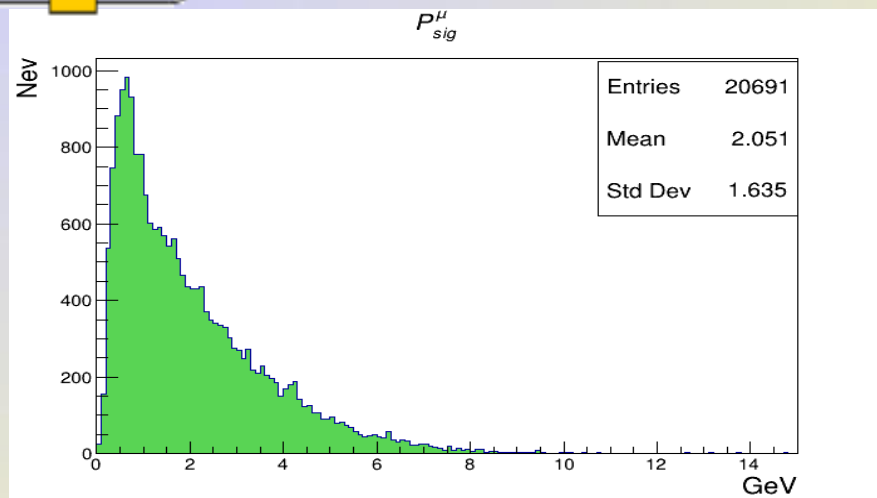
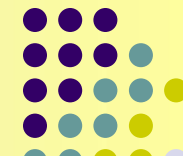
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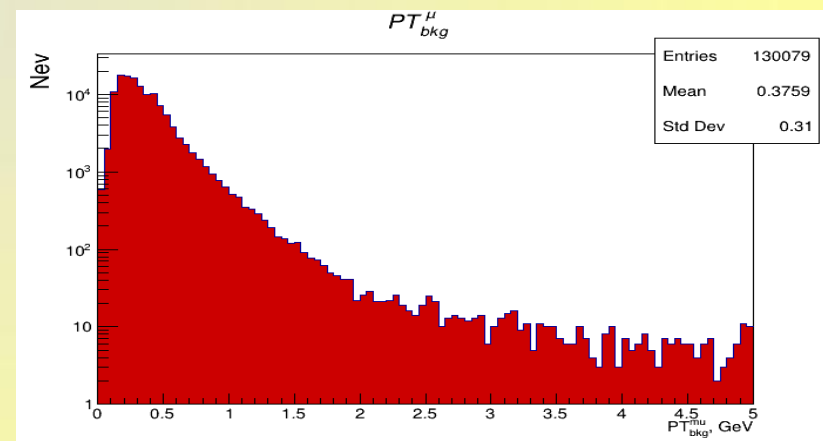
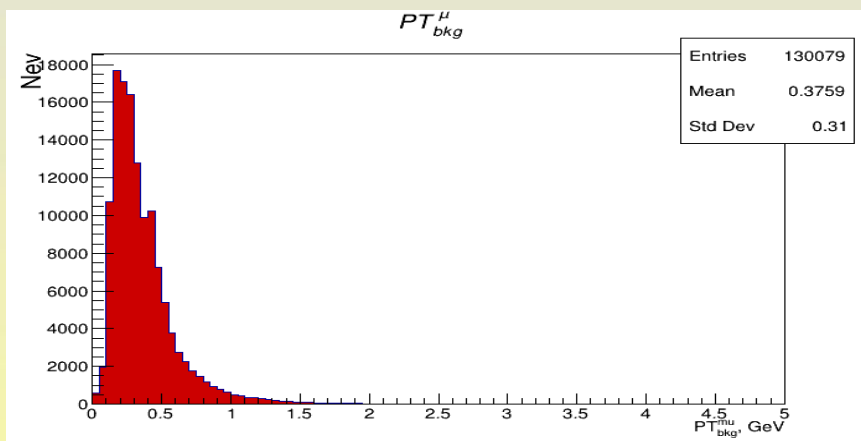
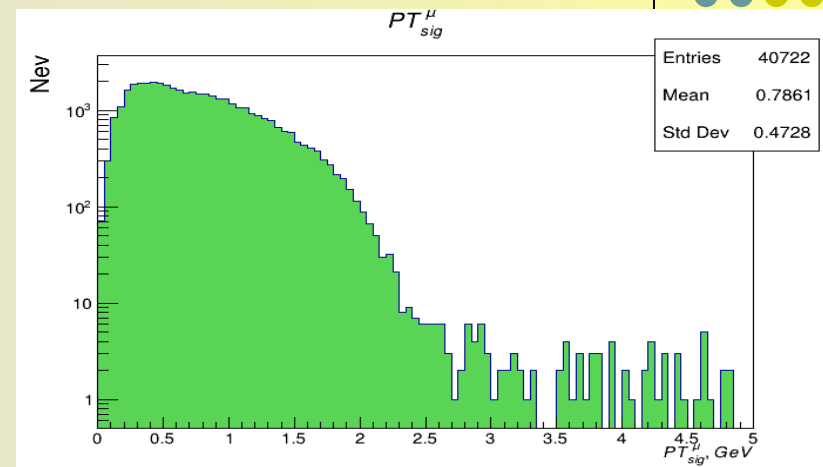
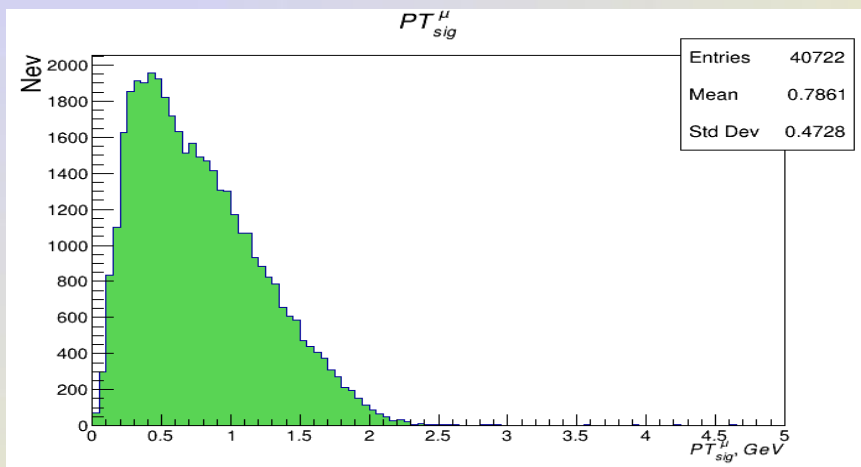
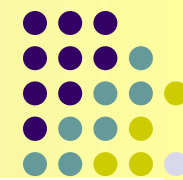


To save the most part of statistics we have chosen $\Delta P/P < 3\% \text{ GeV}$
 (Where ΔP is a square root of the sum of diagonal elements of 3x3 covariance matrix of momentum vector described in P3Cov() method of RhoCandidate)

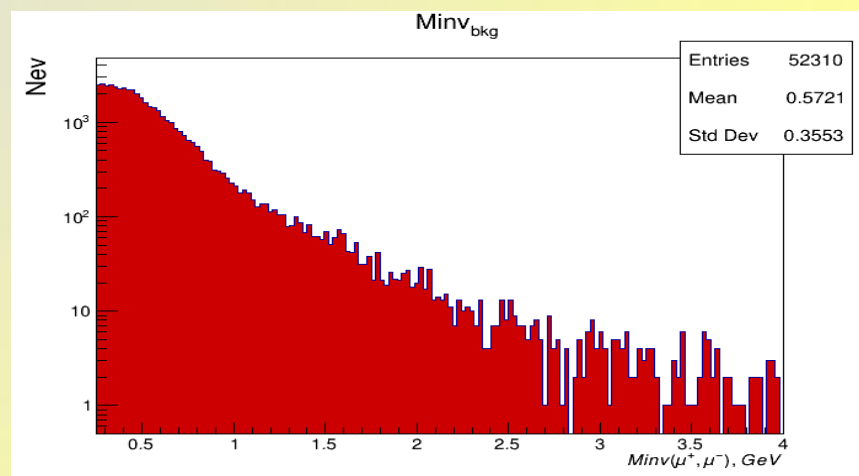
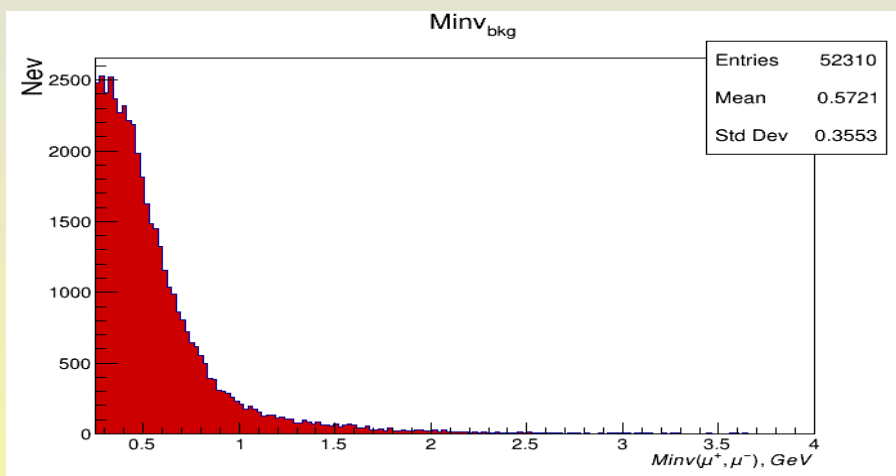
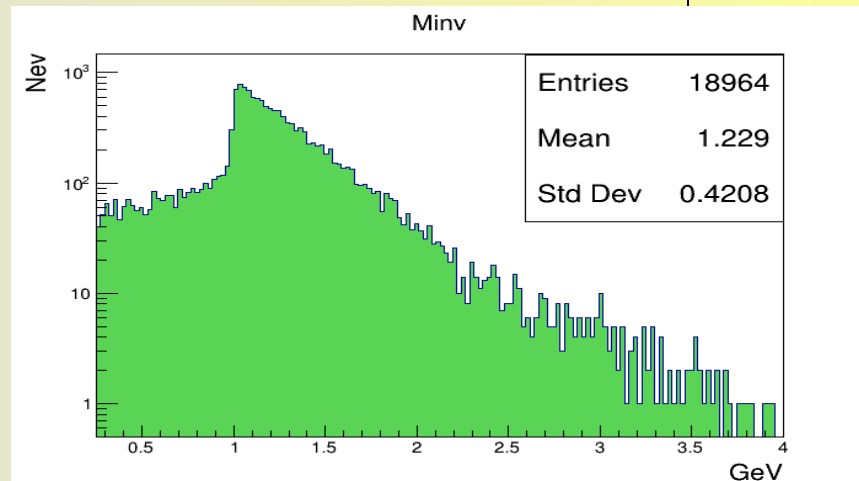
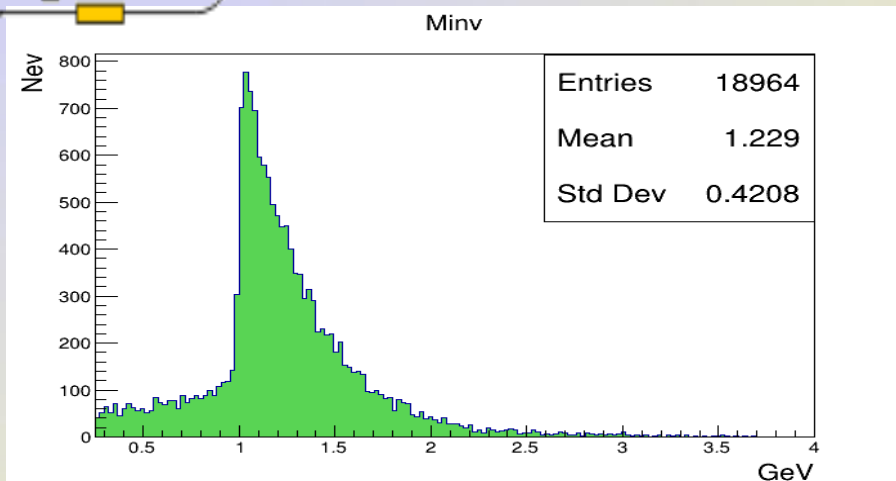
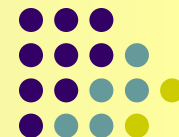


Effective cut off is $P^\mu > 1.0 \text{ GeV}$ (before $> 1.5 \text{ GeV}$)

First cuts — on PT^μ



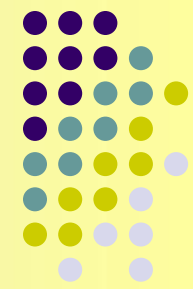
Effective cut off is $PT^\mu \sim 0.5 \text{ GeV}$



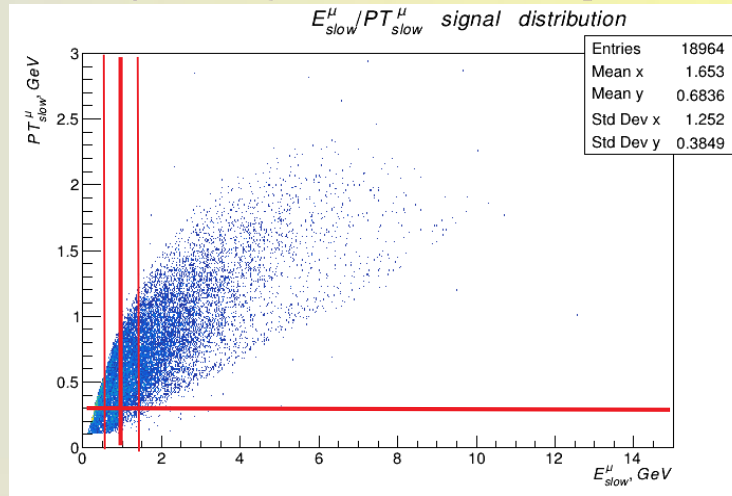
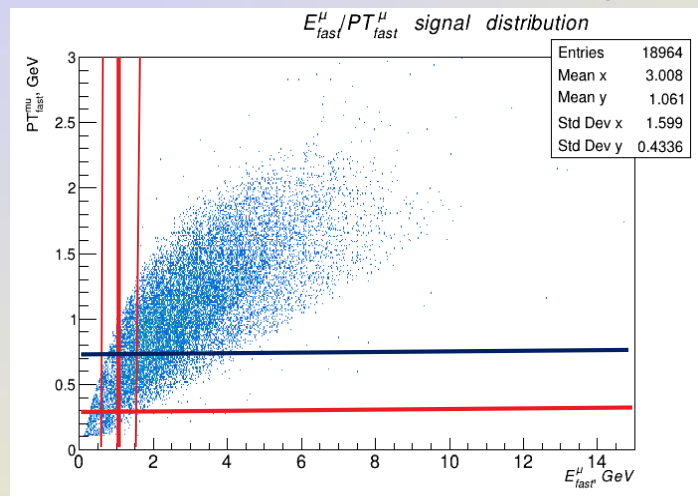
The most effective cut is in the region **Minv > 1 GeV**.
The peak at 1 GeV for DY is caused by some internal PYTHIA restrictions.



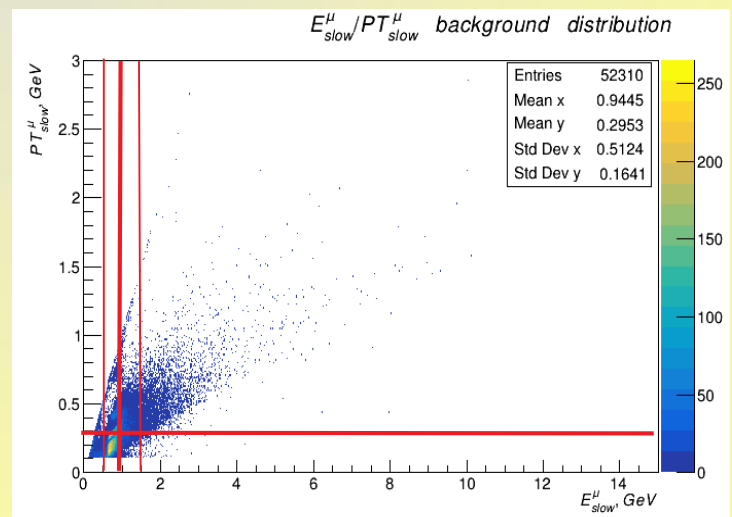
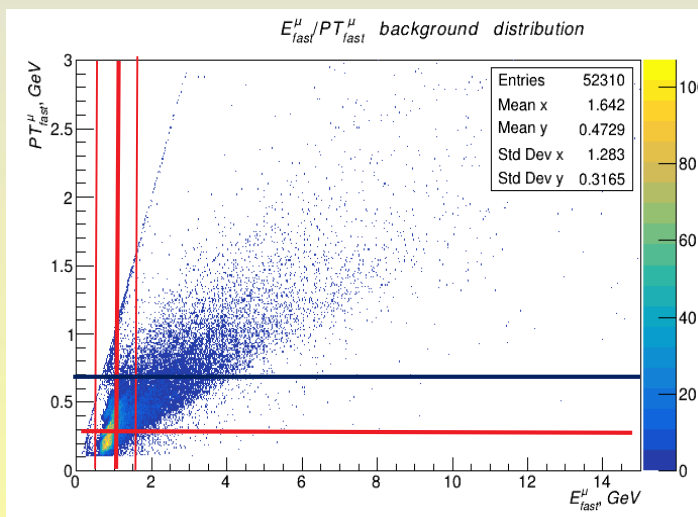
E/PT correlations for μ muons with $\max(\text{fast})/\min(\text{slow}) E$ in the pair



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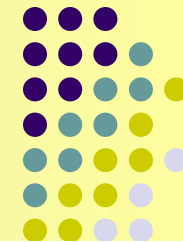


$PT_{E_{max}}^{\mu} > 0.7$
GeV
additionally
will be more
efficient

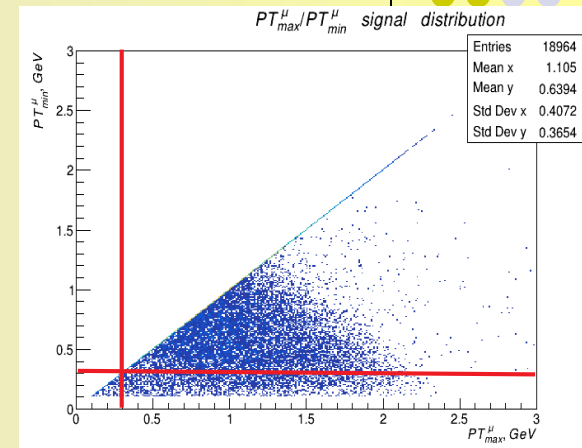
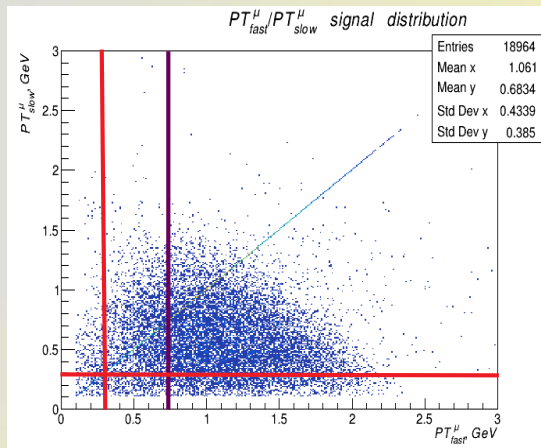
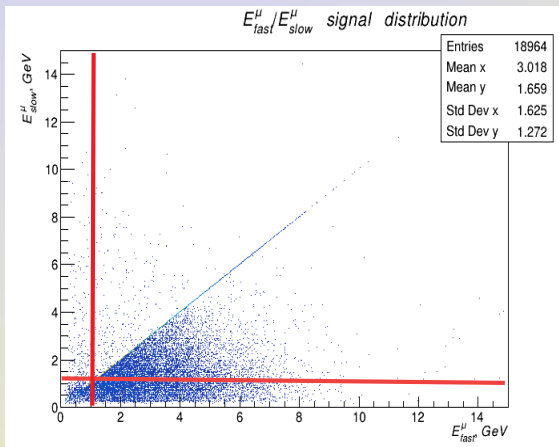
Cut on $PT_{\mu} > 0.3$ GeV and $E(P)_{\mu} > 1.0$ (0.5, 1.5) GeV



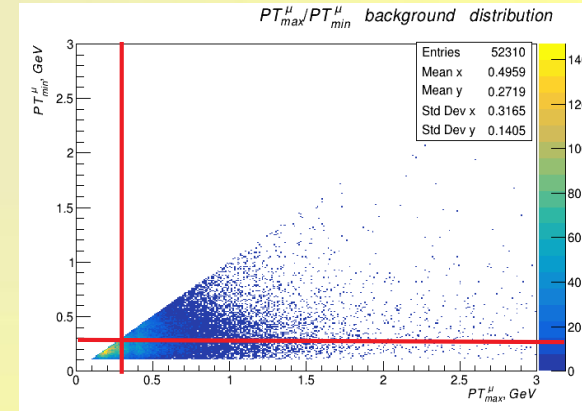
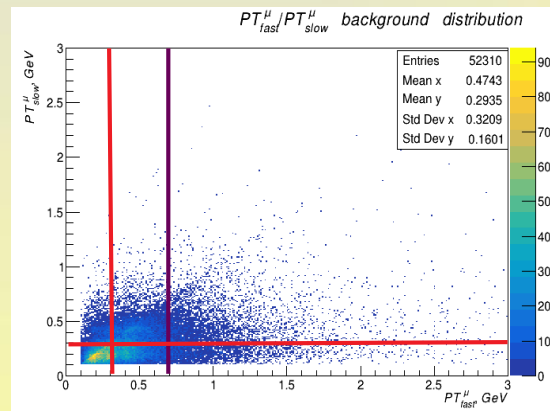
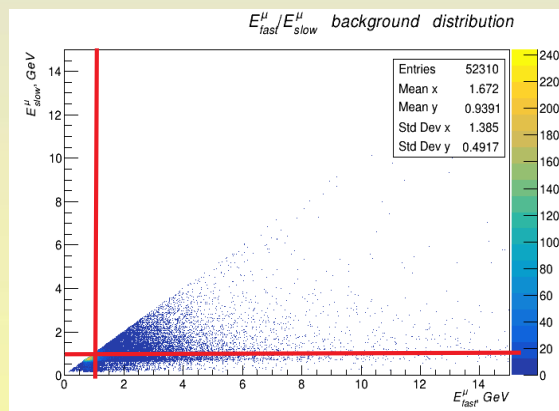
$E^\mu(\text{fast})/E^\mu(\text{slow})$, $PT^\mu(\text{fast})/PT^\mu(\text{slow})$, $PT^\mu_{\text{max}}/PT^\mu_{\text{min}}$ distributions



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$E(P) > 1.0 \text{ GeV}$

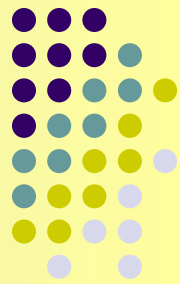
$PT > 0.3 \text{ GeV}$,
 $PT > 0.7 \text{ GeV}$

fast

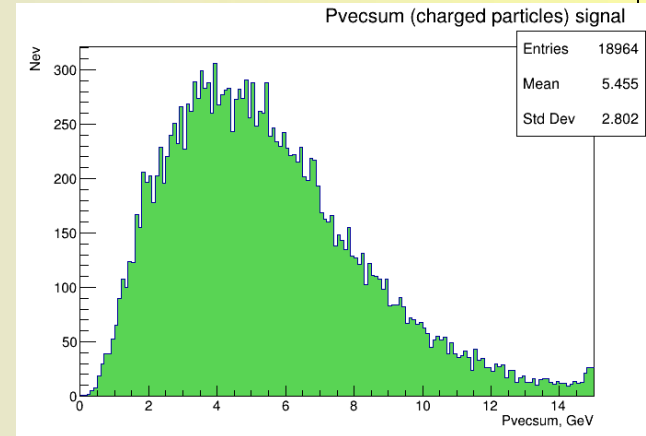
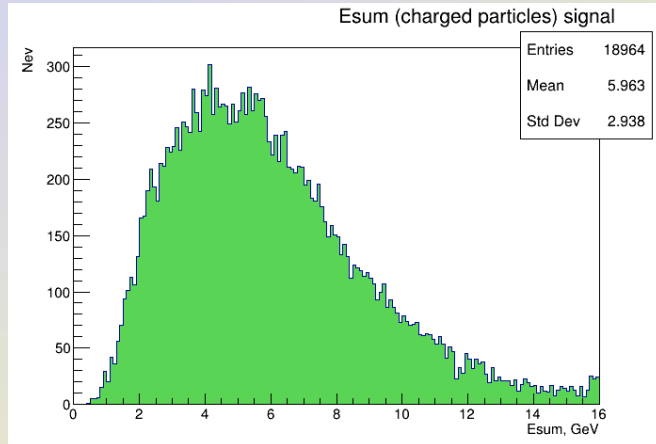
$PT > 0.3 \text{ GeV}$



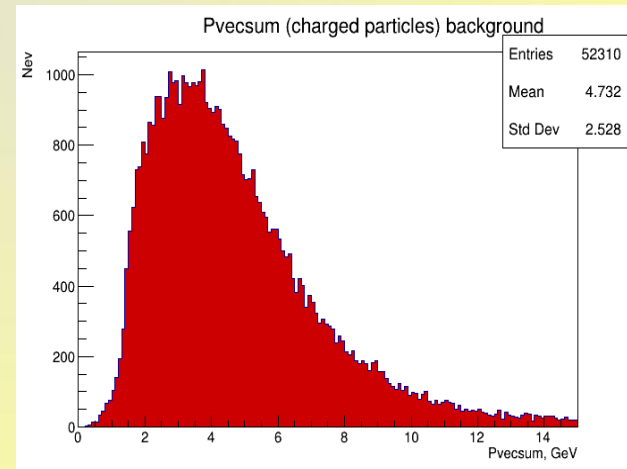
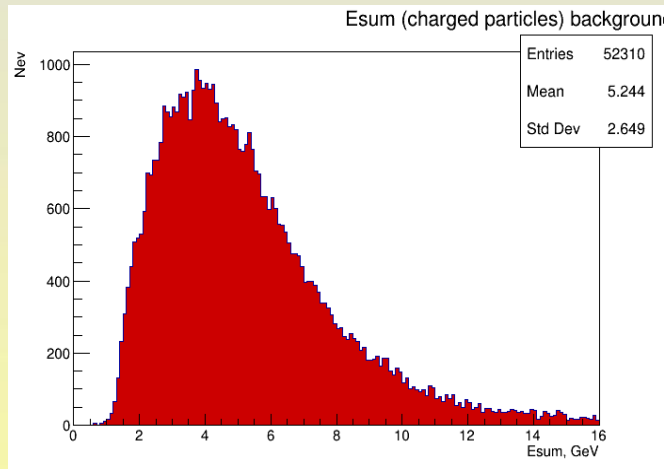
Cut on Esum - summarized energy of all charged particles in event and their vector sum of PT



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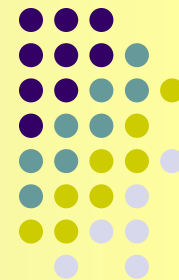


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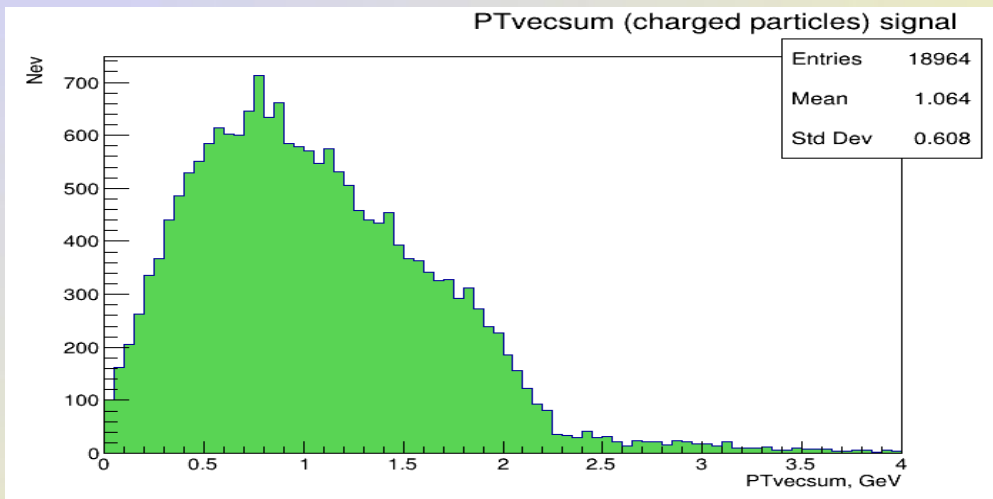


For only charged particles these variables obviously **do not work**

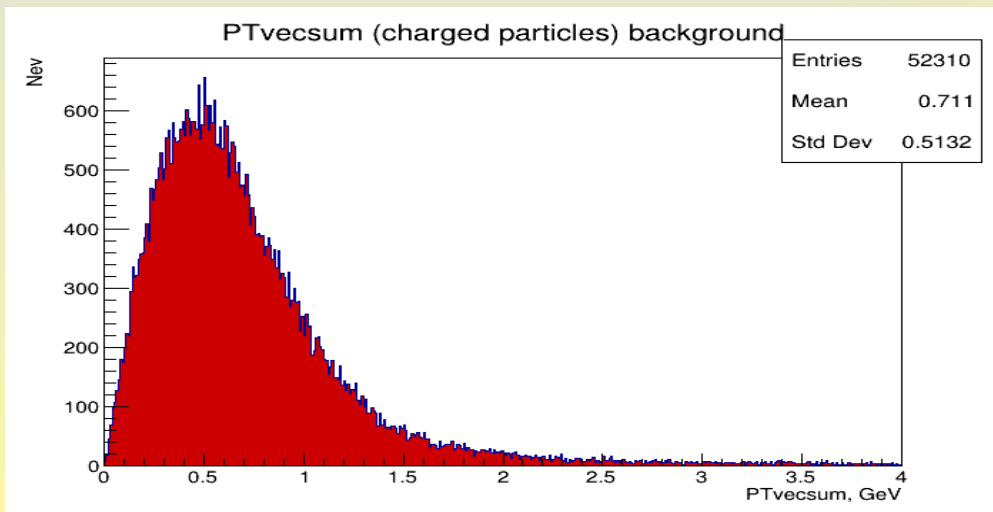
Cut on PT- vector summa of all charged particles transverse momenta in event



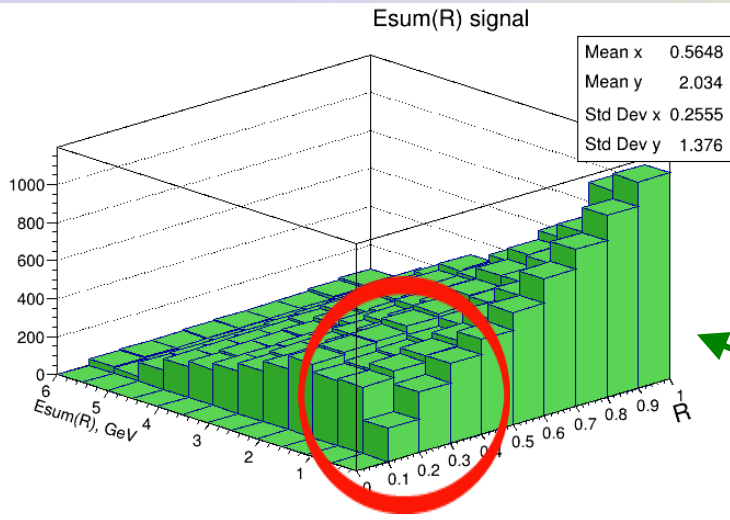
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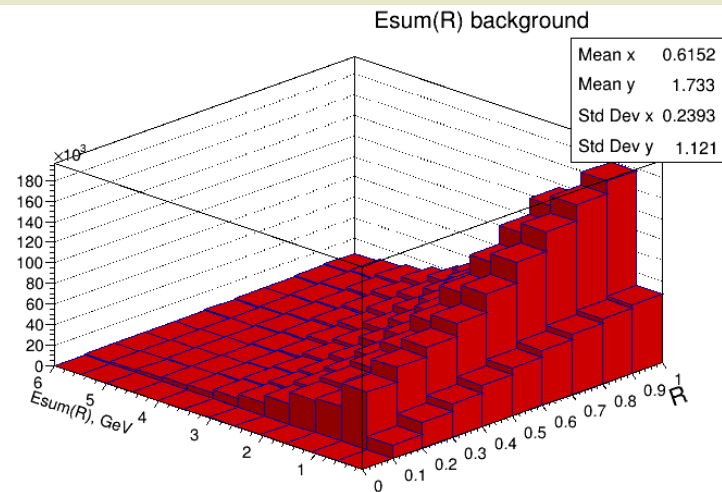


PT **> 0.7 GeV** can help to improve S/B ratio
vecsum



The plots show the distributions over **summarized energy** of the final state charged particles in the cones of radius $R_{\text{isolation}} = \sqrt{\Delta\eta^2 + \Delta\phi^2}$ respect to the (η — pseudorapidity, ϕ — azimuthal angle)

upper plot **signal events**

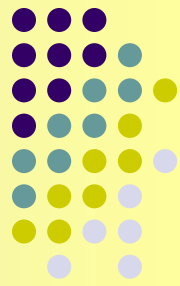


bottom plot **background**

Isolation criteria ($R_{\text{isolation}} = 0.2$)
 E (of particles) < 0.5 GeV

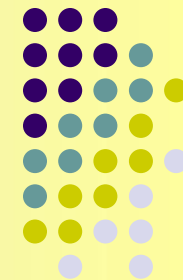
“Isolation criterion” in PandaRoot shows visibly worse results than in “pure” generators

Proposed cuts



1. Events with only 2 muons with
 $PT_\ell > 0.3 \text{ GeV}$, $E(P)_\ell > 1.0 \text{ GeV}$
2. Muons are of the opposite sign
3. $Min_\mu v(I^+, I^-) > 1.0 \text{ GeV}$
4. $PT_{\text{fast}} > 0.7 \text{ GeV}$
5. Vector sum of charged particles $PT_{\text{sum}} > 0.7 \text{ GeV}$
6. Isolation criterion $E_{\text{sum}}^{(R \text{ isolation} = 0.2)} < 0.5 \text{ GeV}$

Cuts separate and summarized & their efficiencies for DPM background events (all)

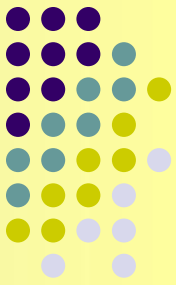


$$\text{Efficiency } \text{Eff}(K,N) = \text{Nev}(\text{cut}N) / \text{Nev}(\text{cut}K)$$

N of cuts	S/B ratio	Efficiency for BKG	Rest of BKG	Efficiency for SIG	Rest of SIG
1 <i>Exactly</i> 2μ with $PT_1 > 0.3$ GeV, $P_{\perp} > 1.0$ GeV	$2.13 * 10^{-5}$	Eff (1,init) = 4907.2	2.03×10^{-2} %	24.2	4.14 %
+1 2 2μ are of the opposite sign	$3.11 * 10^{-5}$	Eff (2,1) = 1.69	1.20×10^{-2} %	1.15	3.59 %
+2+1 3 $M_{inv}(\mu^+, \mu^-) > 1.0$ GeV	$1.92 * 10^{-4}$	Eff (3,2) = 6.69	1.80×10^{-3} %	1.07	3.33 %
+3+2+1 4 $PT^{\mu} > 0.7$ GeV	$2.41 * 10^{-4}$	Eff (4,3) = 1.42	1.27×10^{-3} %	1.13	2.94 %
+3+2+1 5 $PT^{affmax} > 0.7$ GeV	$3.01 * 10^{-4}$	Eff (5,3) = 2.09	$8,61 \times 10^{-4}$ %	1.33	2.49%
+3+2+1 6 <i>Isolation criterion</i>	<u>$7.48 * 10^{-4}$</u>	Eff (6,3) = 1.29	1.39×10^{-3} %	1.11	3.00 %
+4+3+2+1 5 <i>all</i> $PT > 0.7$ GeV	$4.00 * 10^{-4}$	Eff (5,4) = 1.29	6.63×10^{-4} %	1.11	2.55 %
+4+3+2+1 6 <i>Isolation criterion</i>	$2.84 * 10^{-4}$	Eff (6,4) = 1.31	9.68×10^{-4} %	1.12	2.65 %
+5+4+3+2+1 6 <i>Isolation criterion</i>	$3.84 * 10^{-4}$	Eff (6,5) = 1.86	4.61×10^{-4} %	1,24	2.01 %

Cuts separate and summarized & their efficiencies for DPM background events

(“Good” P)

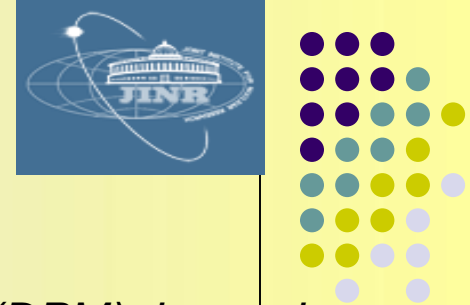


N of cuts	S/B ratio	Efficiency for BKG	Rest of BKG	Efficiency for SIG	Rest of SIG
1 <i>Exactly</i> 2μ with $PT_1 > 0.3$ GeV, $P_{\perp} > 1.0$ GeV	$3.90 * 10^{-5}$	Eff (1,init) = 12011.8	8.32×10^{-3} %	32.05	3.12 %
+1 2 2μ are of the opposite sign	$5.11 * 10^{-5}$	Eff (2,1) = 1.45	5.74×10^{-3} %	1.10	2.82 %
+2+1 3 $M_{inv}(\mu^+, \mu^-) > 1.0$ GeV	$8.91 * 10^{-5}$	Eff (3,2) = 7.45	7.70×10^{-4} %	1.06	2.66 %
+3+2+1 4 $PT^{\mu} > 0.7$ GeV	$4.56 * 10^{-4}$	Eff (4,3) = 1.44	5.36×10^{-4} %	1.13	2.35 %
+3+2+1 5 $PT^{affmax} > 0.7$ GeV	$8.47 * 10^{-4}$	Eff (5,3) = 3.11	2.48×10^{-4} %	1.32	2.02 %
+3+2+1 6 <i>Isolation criterion</i> (vecsum)	$3.65 * 10^{-4}$	Eff (6,3) = 1.09	7.03×10^{-4} %	1.08	2.47 %
+4+3+2+1 5 <i>all</i> $PT > 0.7$ GeV	<u>$1.03 * 10^{-3}$</u>	Eff (5,4) = 1.33	1.85×10^{-4} %	1.10	1.82 %
+4+3+2+1 6 <i>Isolation criterion</i> (vecsum)	$4.62 * 10^{-4}$	Eff (6,4) = 1.09	4.90×10^{-4} %	1.08	2.18 %
+5+4+3+2+1 6 <i>Isolation criterion</i>	<u>$1.01 * 10^{-3}$</u>	Eff (6,5) = 1.44	1.72×10^{-4} %	1.20	1.68 %

So, finally, “Isolation criterion” doesn’t bring additional background suppression



Conclusion



So final Full generation of Signal (PYTHIA6) and Background (DPM) have shown ~4 orders of magnitude worse S/B separation results that were predicted by Fast generation.

The best achieved **S/B ratio = 1/1000**

That can be caused by:

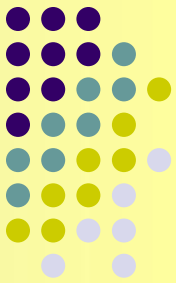
1. Not good enough current particle identification (only ~30% of signal is fully determined) **{could give factor x3}**.
2. Errors in momenta determination (even within Std.Dev. account) **{could be factor x3, in comparison with Fast simulation}**
/finally ~10 times less signal events after the 1st cut/
3. Not yet calculated contribution of cuts on variables of E_{sum} (P, PT vector sum) of **all particles** **{that all together could at most give a factor x~50}**

That all together with some adjustments of kinematical parameters (using neural networks) in the very best case could give total a factor ~x500.

But!!! That will not allow to improve S/B to any acceptable level.



Conclusion



Drell-Yan process study at PANDA should
be considered as a **hopeless**
and **excluded from the PANDA physics**
program