

VECTOR MESONS IN COLD NUCLEAR MATTER WITH THE GiBUU TRANSPORT MODEL

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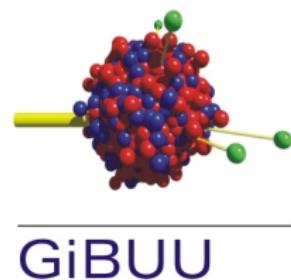
Institut für Theoretische Physik, JLU Giessen

Mini-Workshop on
Vector Mesons in Cold Nuclear Matter
GSI, Darmstadt, 18.04.2011



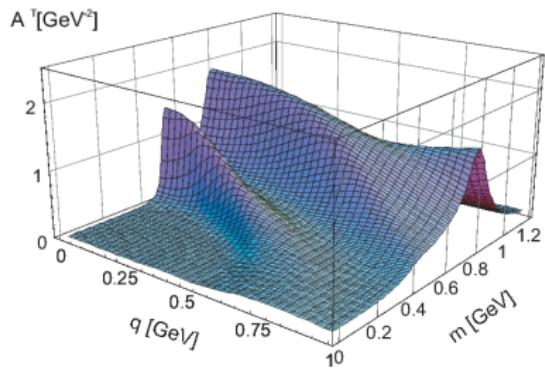
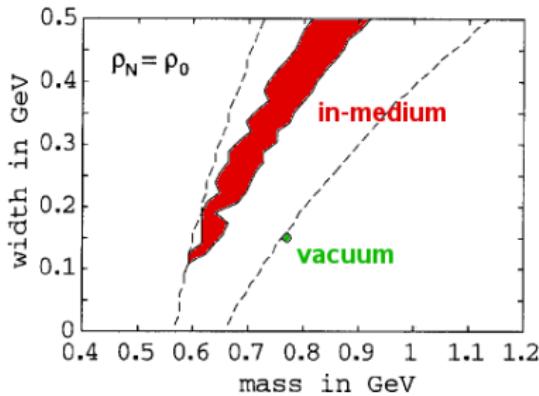
OUTLINE

- ① motivation: in-medium physics
- ② the GiBUU transport model
- ③ dileptons from HADES:
 - $p + p @ 1.25 \text{ GeV}$
 - $p + p @ 3.5 \text{ GeV}$
 - $p + \text{Nb} @ 3.5 \text{ GeV}$
- ④ conclusions



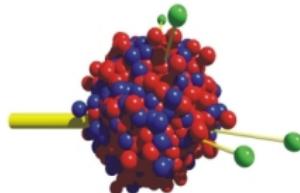
MOTIVATION: HADRONS IN MEDIUM

- how do vector mesons behave inside a hadronic medium?
- Hatsuda/Lee: mass shift
 $m_V^*(\rho)/m_V \approx 1 - \alpha(\rho/\rho_0)$,
 $\alpha \approx 0.16 \pm 0.06$
- collisional broadening (LDA):
 $\Gamma_{coll} = \rho < v_{rel} \sigma V N >$
- extended sum-rule analysis by Leupold/Peters/Mosel,
including finite width (NPA 628, 1998)
- coupling to resonances can introduce additional structures in the spectral function (Post, 2003)



THE GIBUU TRANSPORT MODEL

- BUU-type hadronic transport model
- unified framework for various types of reactions (pA , πA , γA , eA , νA , AA) and observables
- modular and well-documented Fortran code (F95/2003)
- collaborative effort, version control via Subversion
- publicly available releases (open source)
- <http://gibuu.physik.uni-giessen.de>



GiBUU

The Giessen Boltzmann-Uehling-Uhlenbeck Project

THE BUU EQUATION

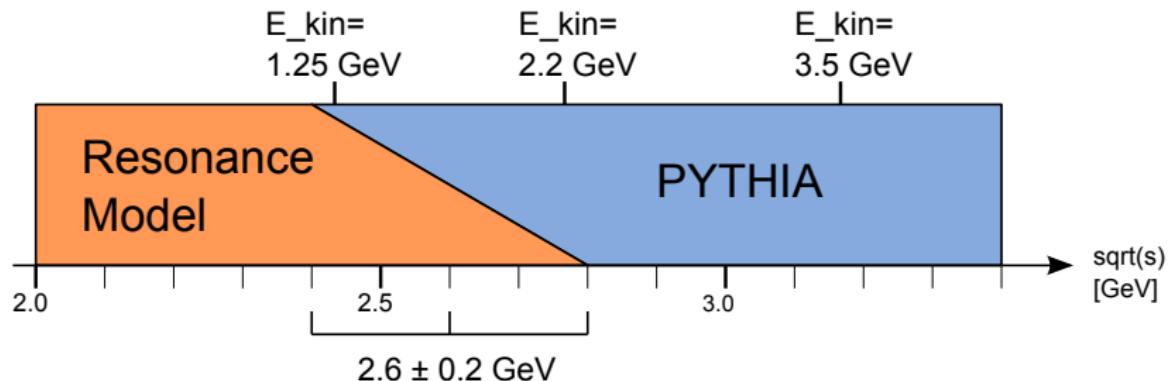
- BUU equation describes space-time evolution of phase space density $f_i(\vec{r}, t, \vec{p})$ for each particle species i ($i = N, \Delta, \pi, \rho, \dots$):

$$(\partial_t + (\nabla_{\vec{p}} H_i) \nabla_{\vec{r}} - (\nabla_{\vec{r}} H_i) \nabla_{\vec{p}}) f_i(\vec{r}, t, \vec{p}) = I_{coll}[f_i, f_j, \dots]$$

- Hamiltonian H_i :
 - hadronic mean fields, Coulomb, “off-shell potential”
- collision term I_{coll} :
 - decays and scattering processes (2- and 3-body)
 - depends on all $f_i \Rightarrow$ coupled-channel problem
 - low energy: resonance model energy: PYTHIA
- model includes 61 baryons and 21 mesons
- solve numerically via test-particle method:

$$f = \sum_i \delta(\vec{r} - \vec{r}_i) \delta(\vec{p} - \vec{p}_i)$$

GIBUU: COLLISION TERM



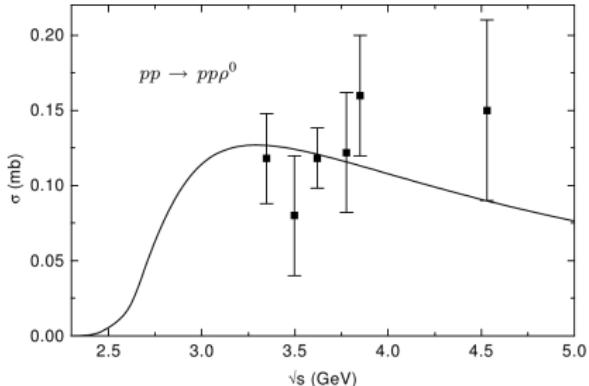
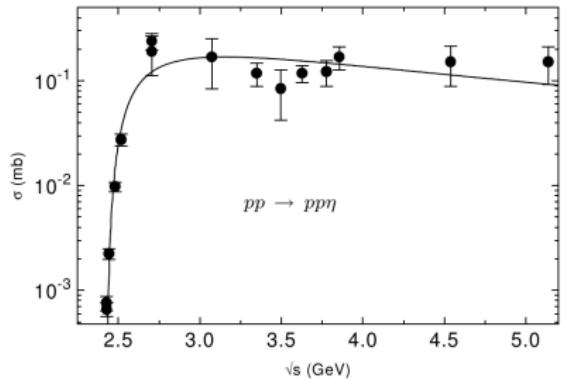
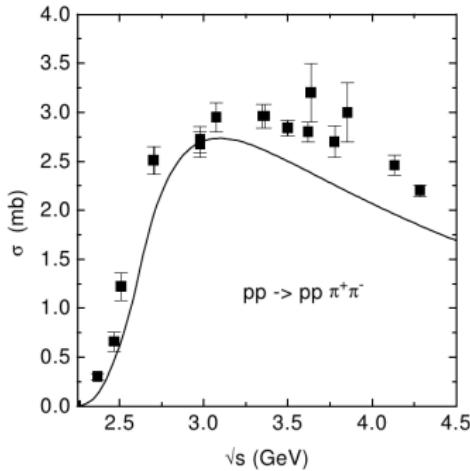
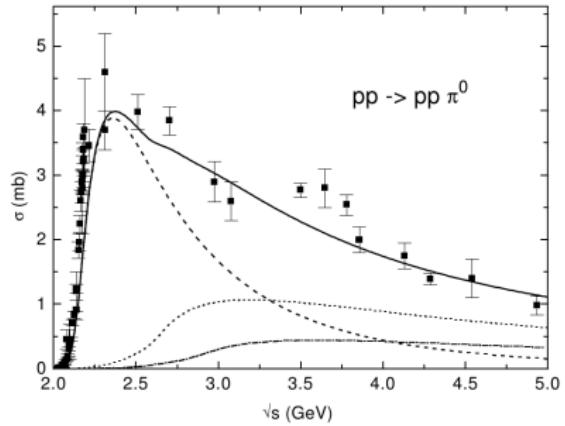
Resonance Model:

- Teis et al.
- all processes go via Res. prod.
- $NN \rightarrow NR$
- $R \rightarrow \pi N/2\pi N/\eta N/\rho N$

PYTHIA:

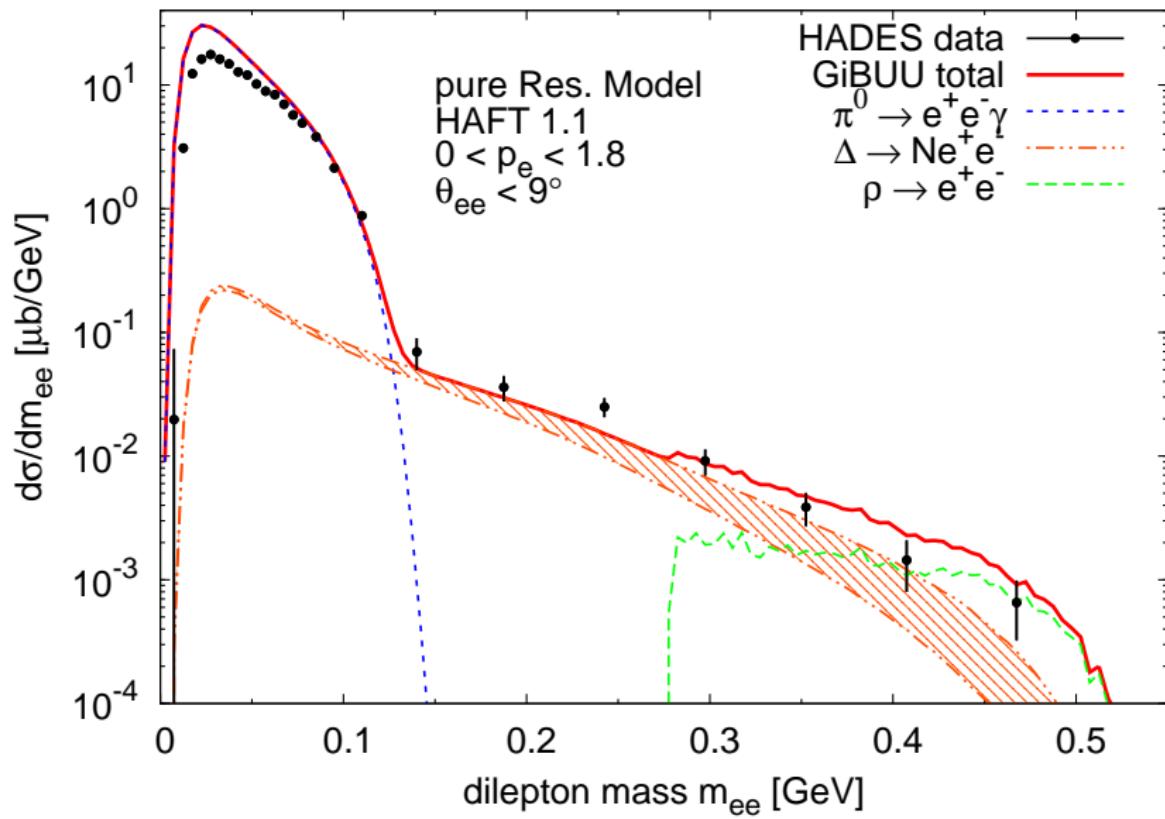
- Lund String Model
- high energy event generator
- few GeV up to TeV region
- only non-strange res.: Δ

RESONANCE MODEL (TEIS)

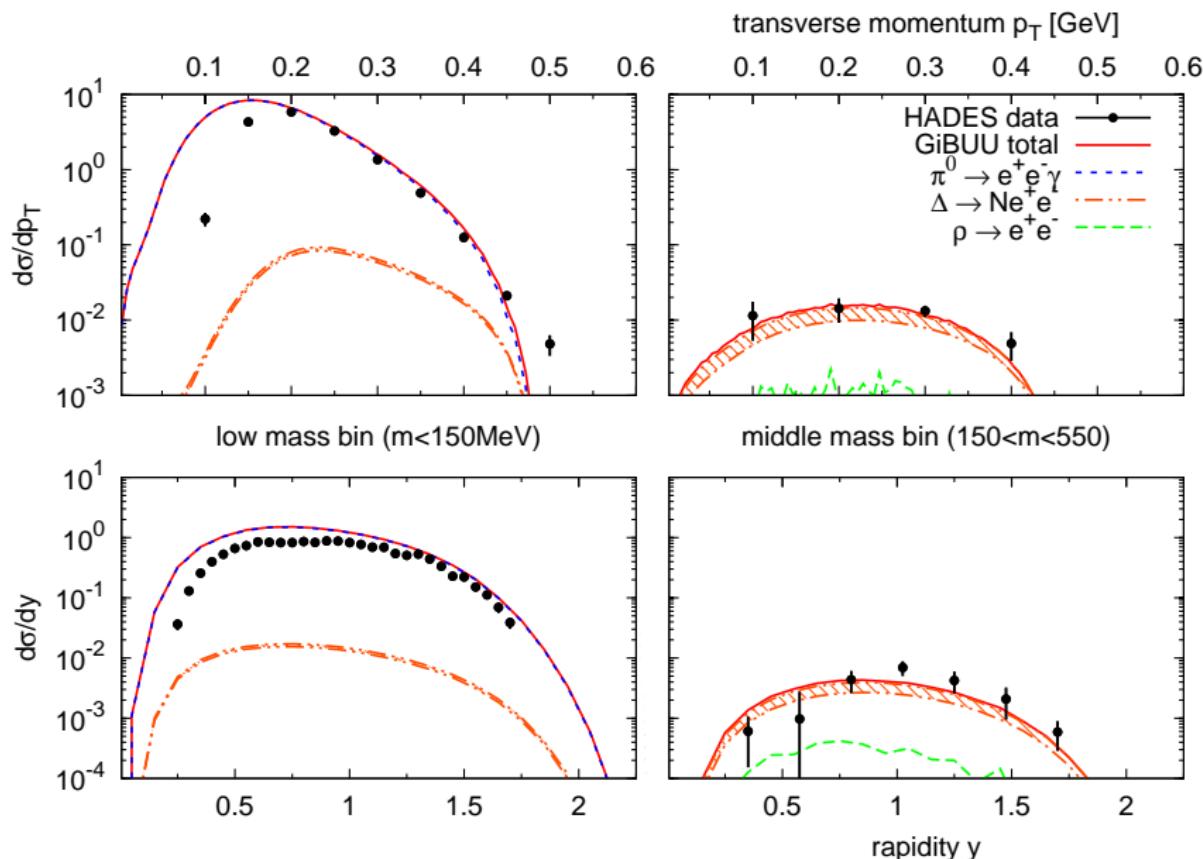


$p + p$ @ 1.25 GeV

P+P @ 1.25 GeV, MASS SPECTRUM

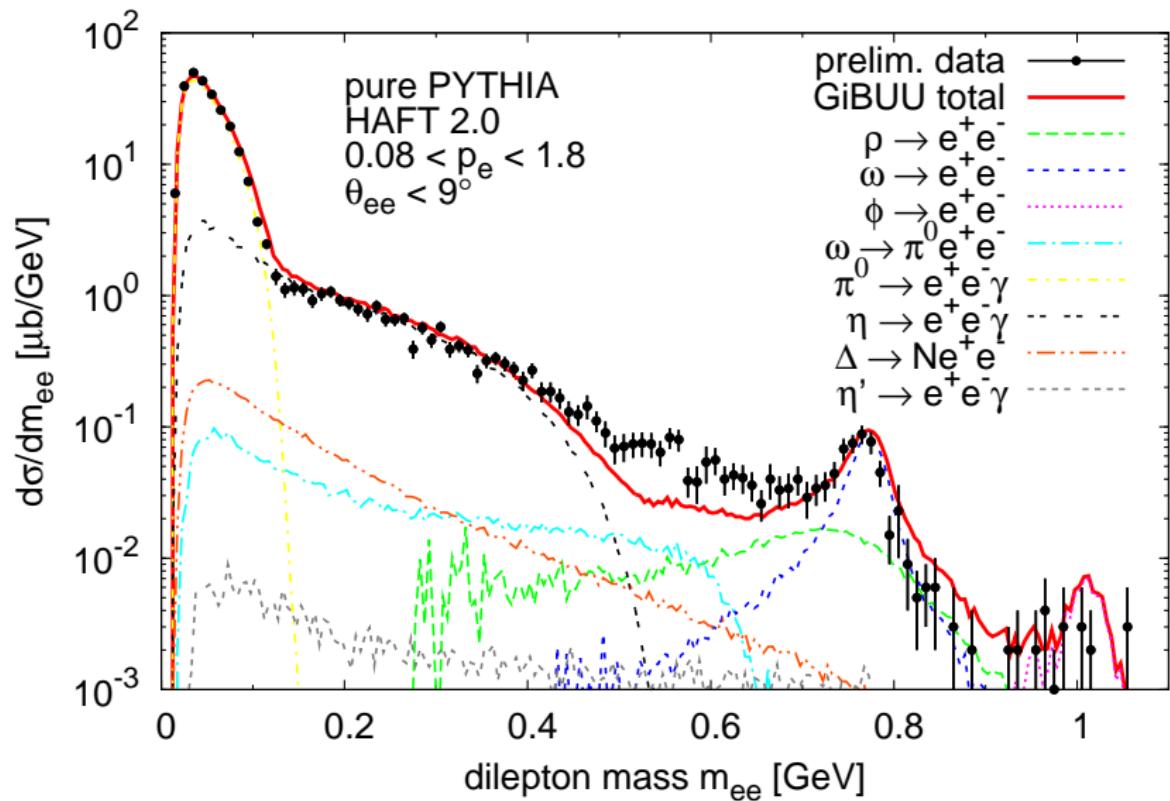


P+P @ 1.25 GeV, p_T AND RAP. SPECTRA

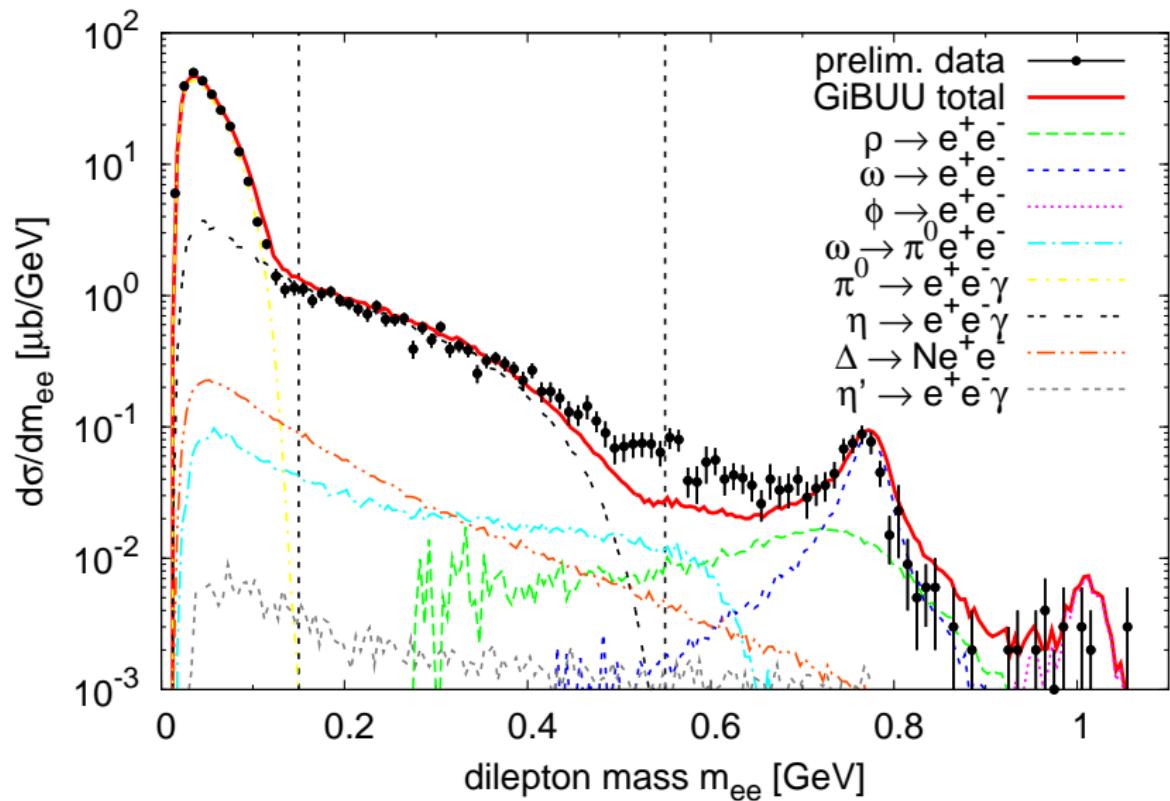


p + p @ 3.5 GeV

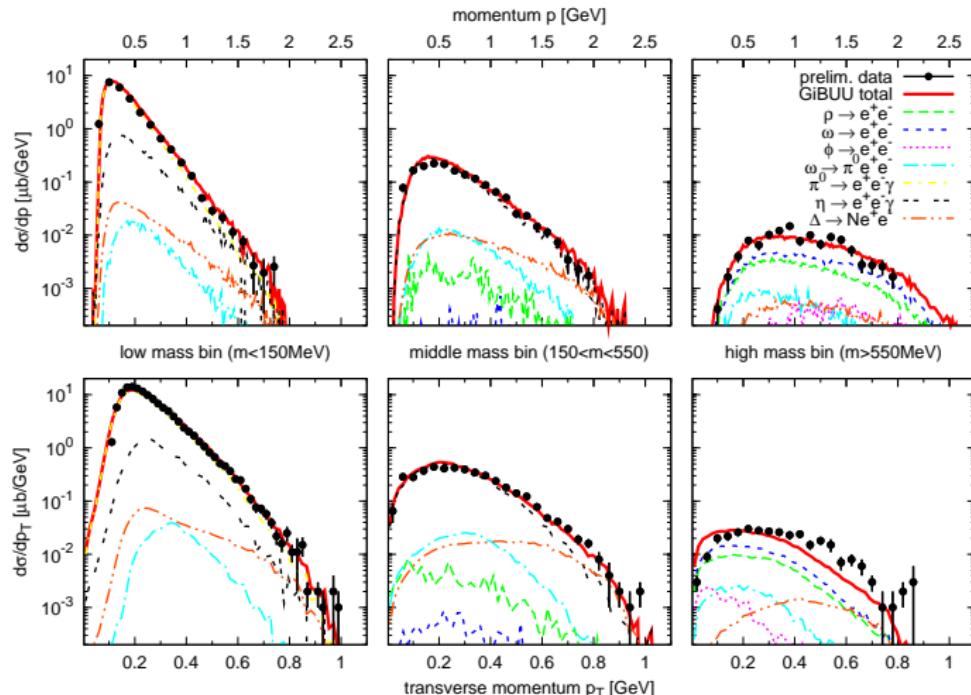
P+P @ 3.5 GeV, MASS SPECTRUM



P+P @ 3.5 GeV, MASS SPECTRUM

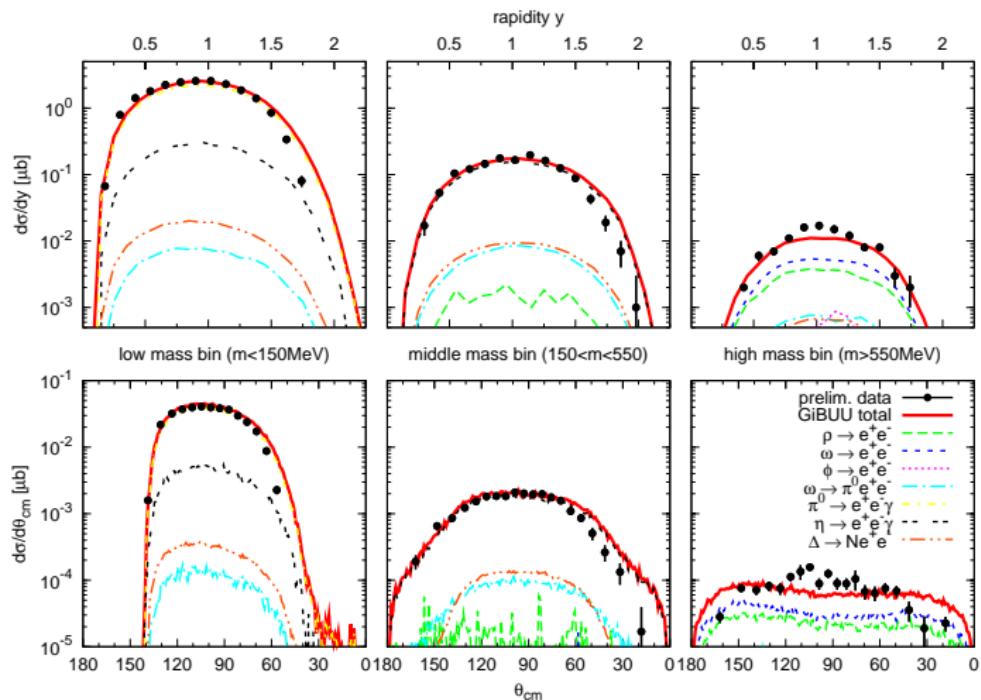


P+P @ 3.5 GeV, p AND p_T SPECTRA



- perfect agreement (with slight Pythia adjustment)
- problems only in high mass bin

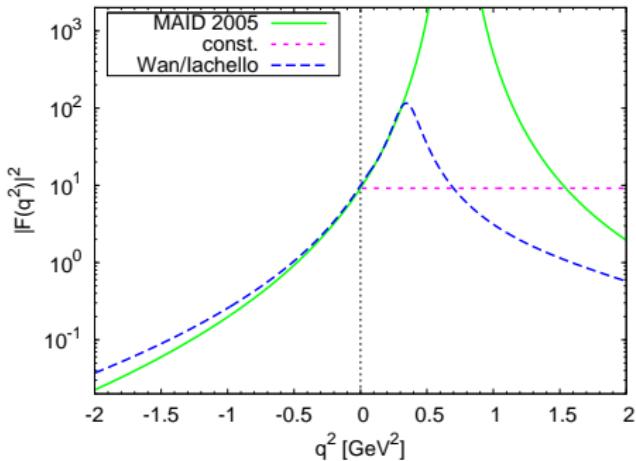
P+P @ 3.5 GeV, RAP. AND θ_{cm} SPECTRA



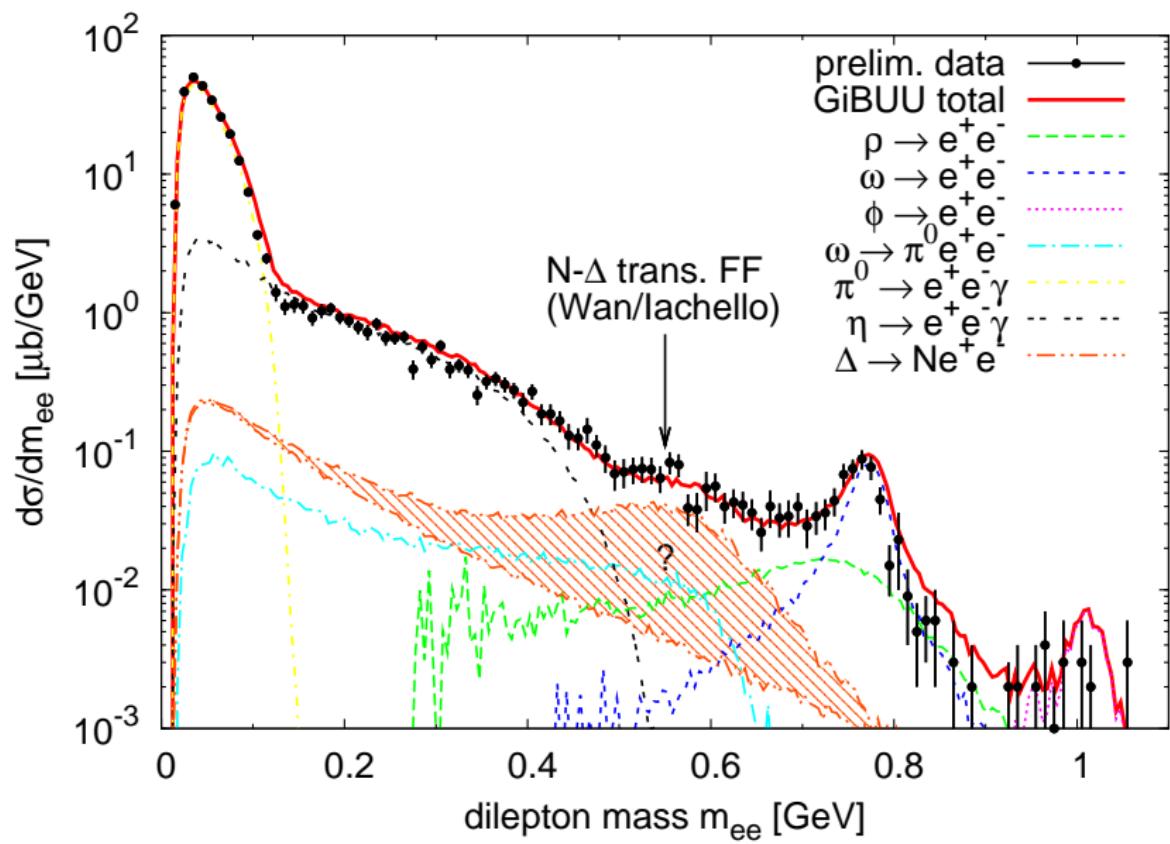
- discrepancy at forward angles
- filtering problem?!?

Δ DALITZ DECAY

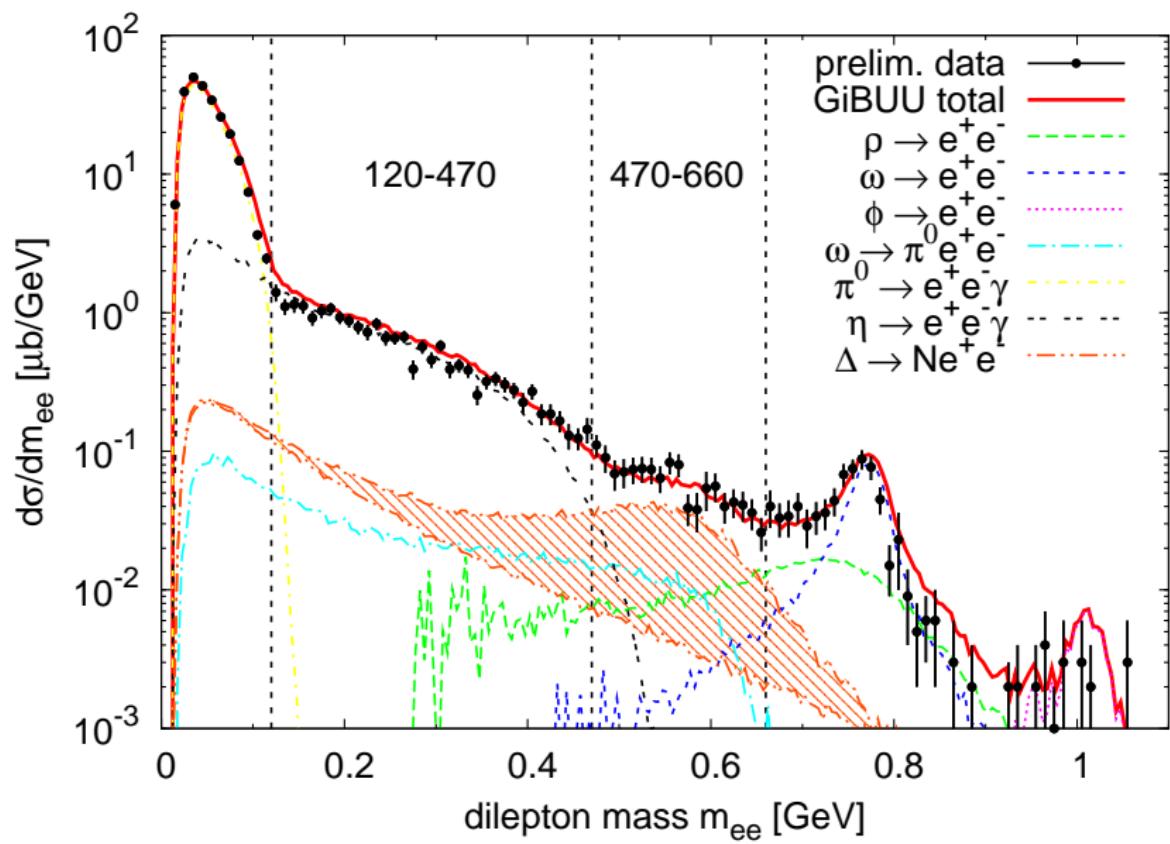
- transition form factor $\Delta \rightarrow N\gamma^*$
 - space-like region: data from electroproduction
 - basically unknown in time-like region (no data)
- best available guess for time-like region:
two-component quark model (Wan/lachello, IJMP A20, 2005)
 $F \sim (1 - \gamma e^{i\theta} q^2)^{-2} \cdot F_\rho(q^2)$



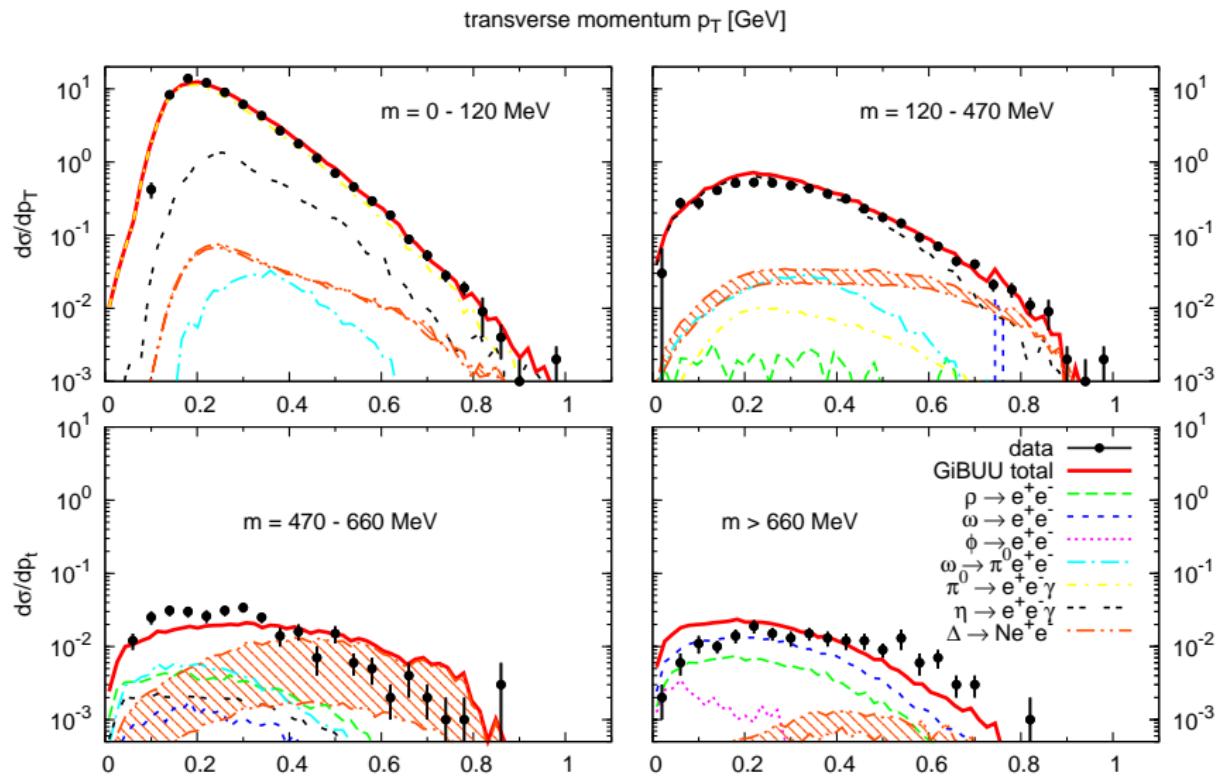
MASS SPECTRUM WITH Δ FORM FACTOR



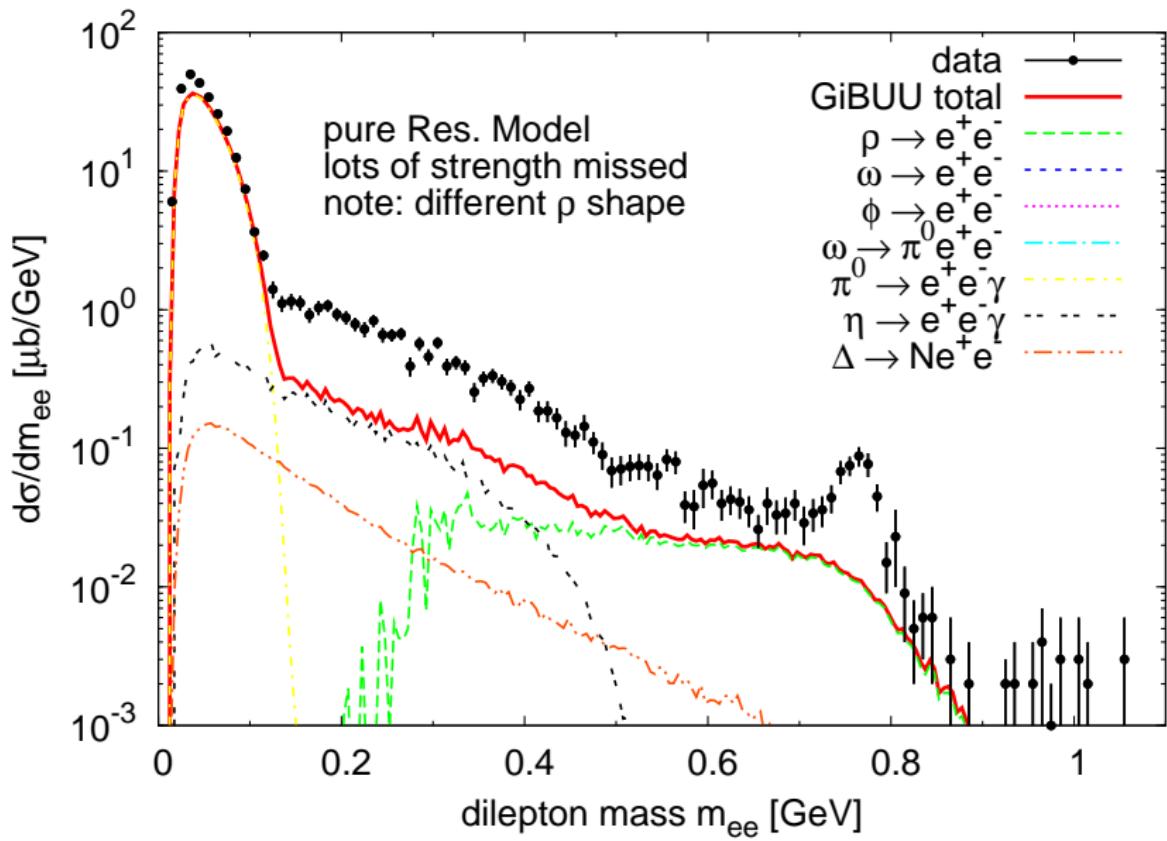
MASS SPECTRUM WITH Δ FORM FACTOR



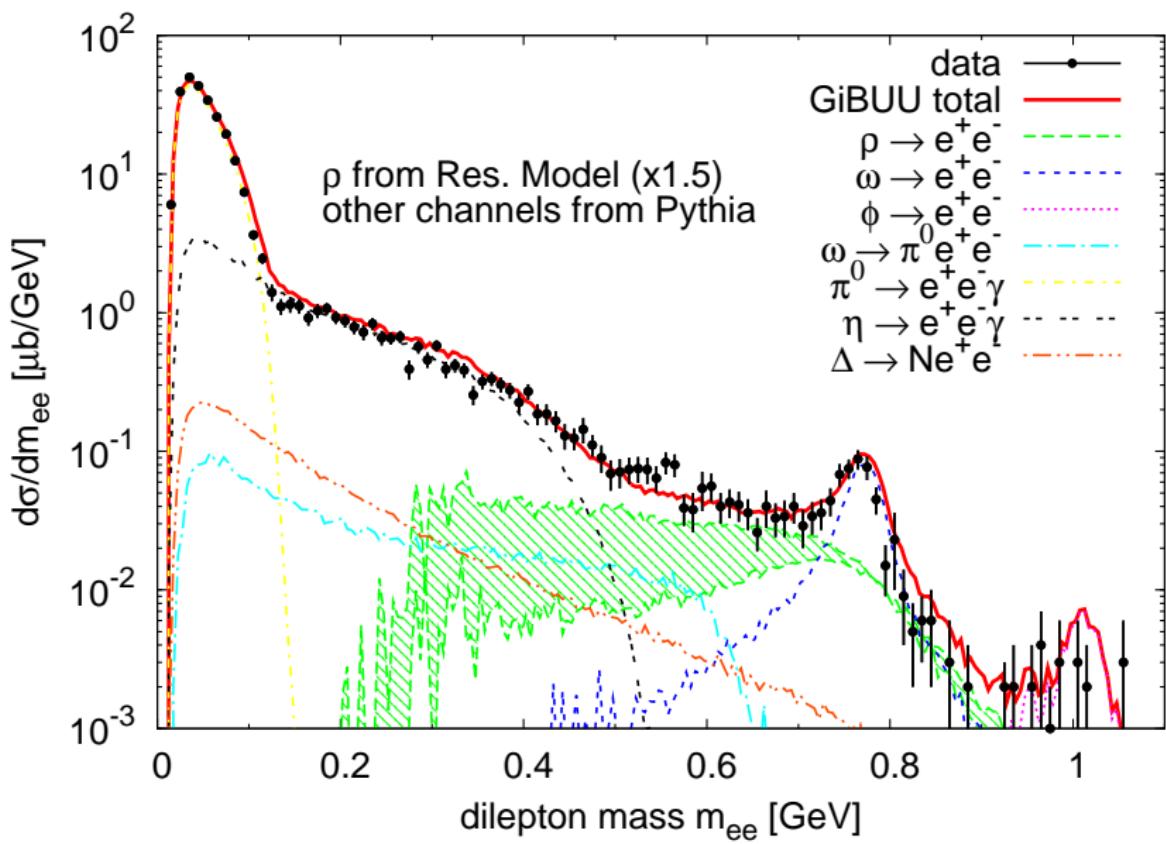
p_T SPECTRA WITH Δ FORM FACTOR



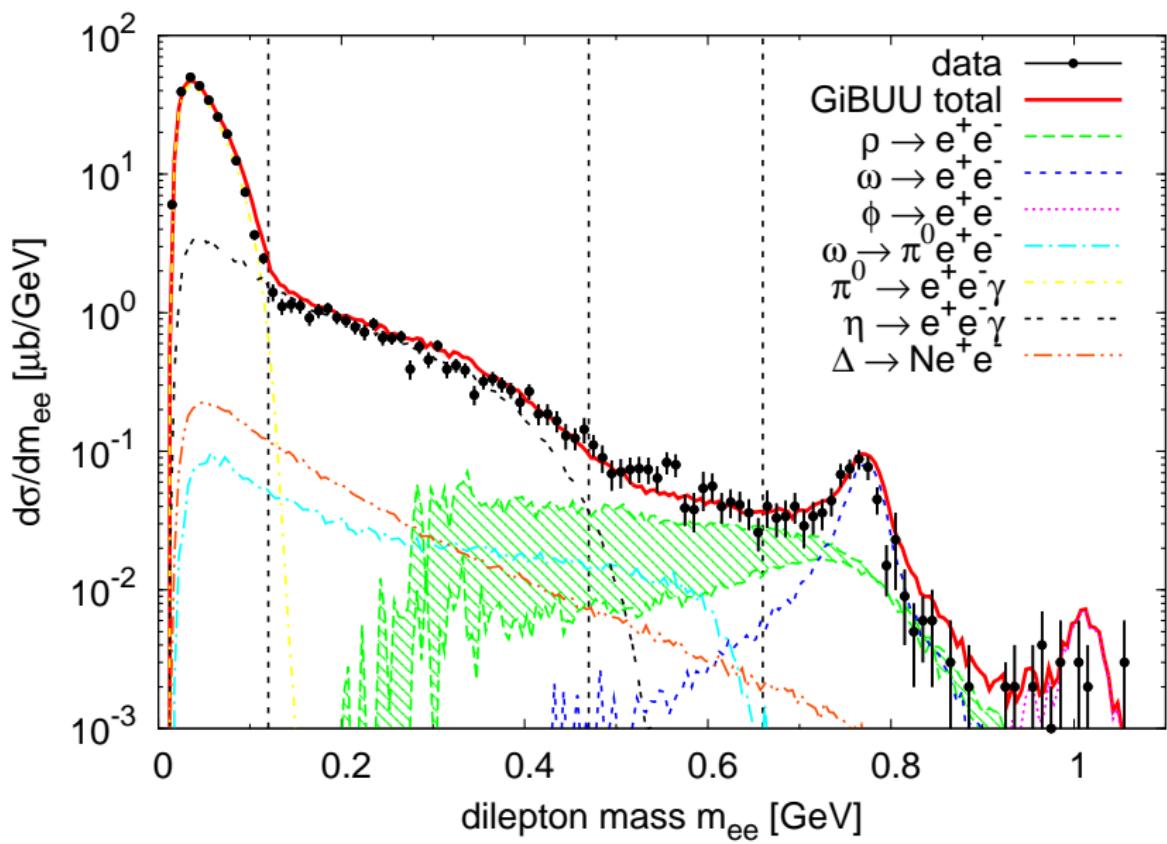
P + P @ 3.5 GeV VIA RES. MODEL



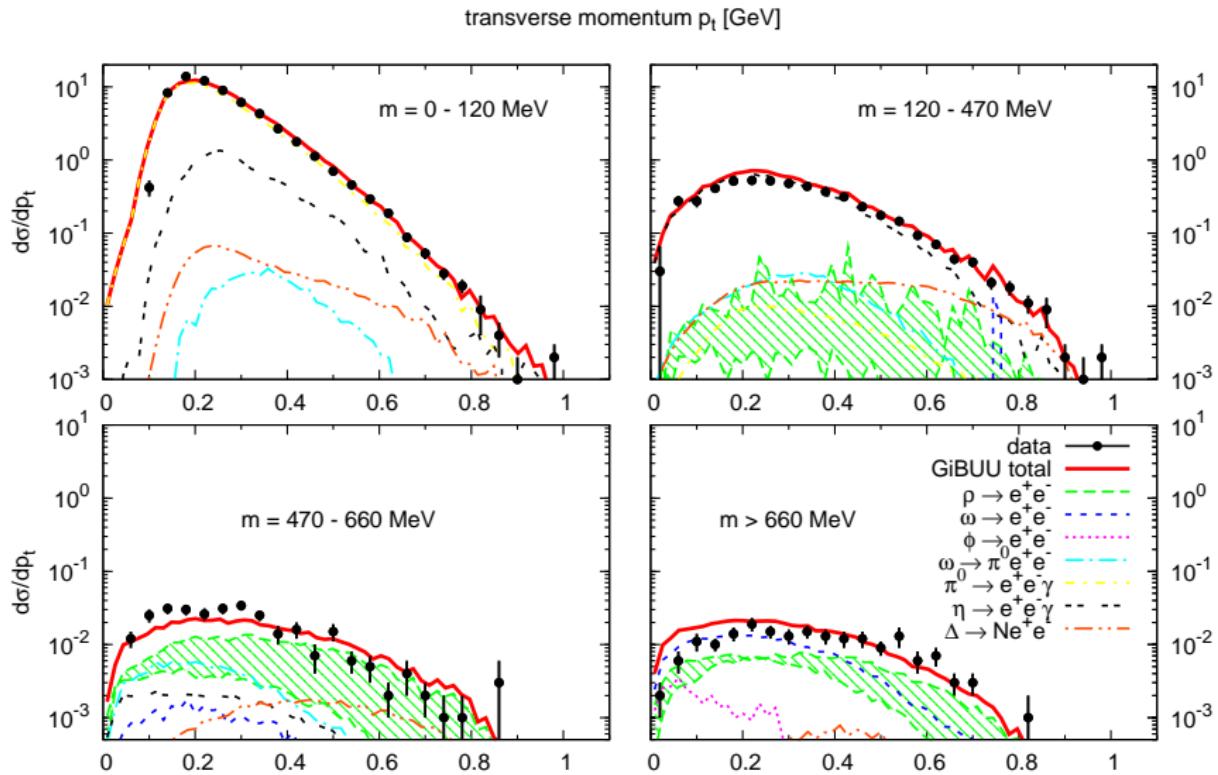
“MIXED SIGNALS”



“MIXED SIGNALS”



“MIXED“ p_T SPECTRA

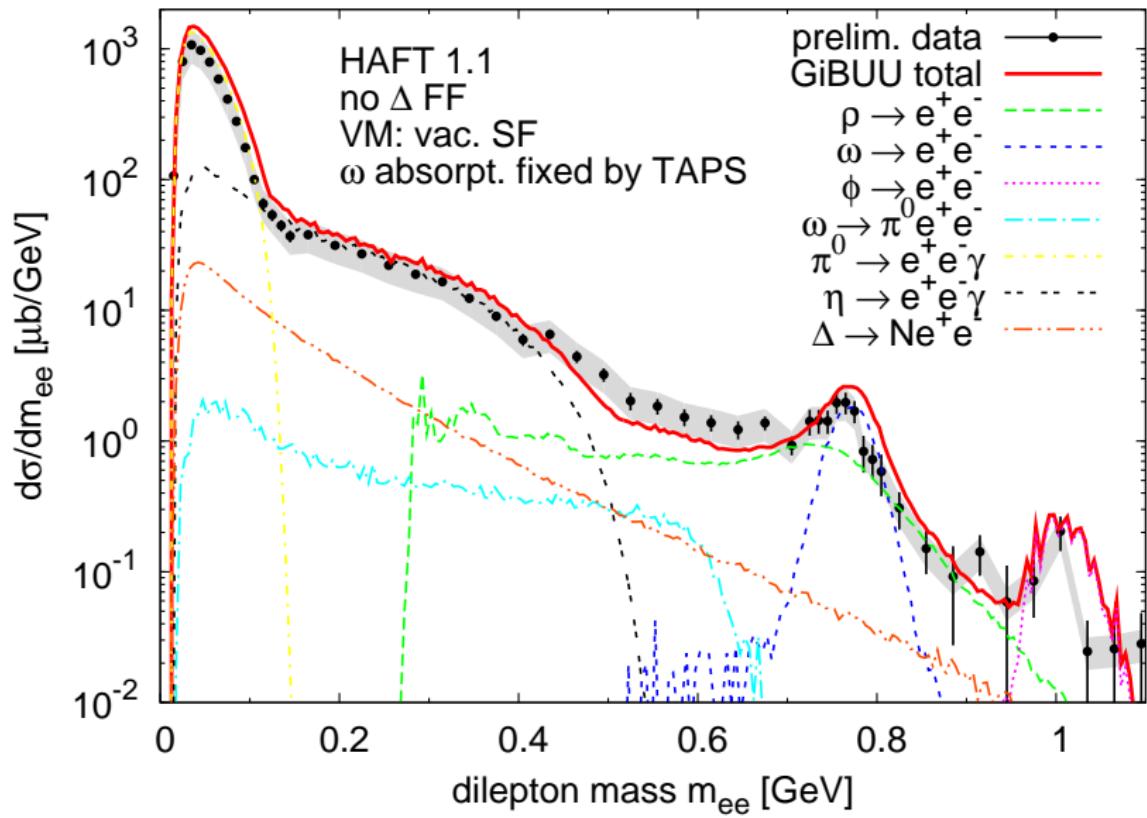


p + Nb @ 3.5 GeV

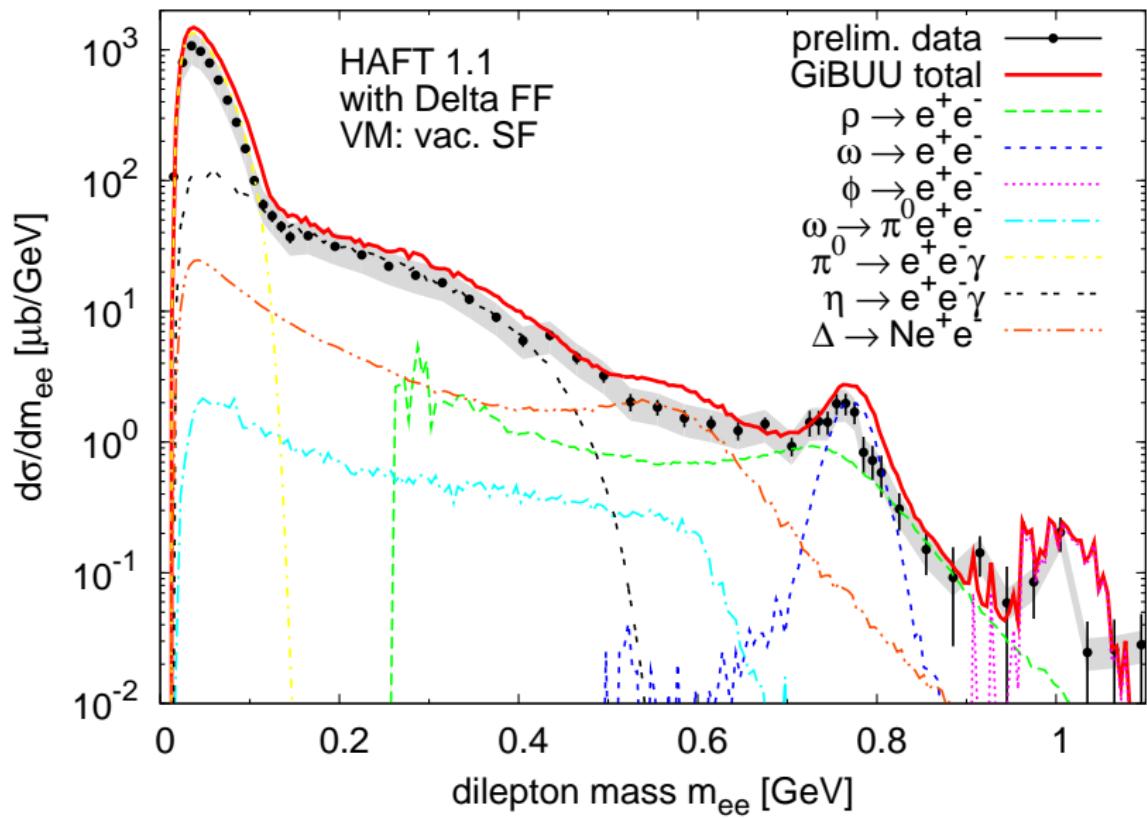
NEXT STEP: p+Nb@3.5 GeV

- cocktail composition basically fixed by p+p
(elementary cross sections, branching ratios, form factors, ...)
- use p+p as a base line for p+Nb
- additional medium effects:
 - 1) FSI, absorption, rescattering
 - 2) secondary production processes
 - 3) modified spectral functions
- vector mesons in medium:
 ρ : sensitive to direct modification of mass spectrum?
 ω/ϕ : transparency ratio / absorption
- unfortunately p+p still leaves us with some uncertainties ...

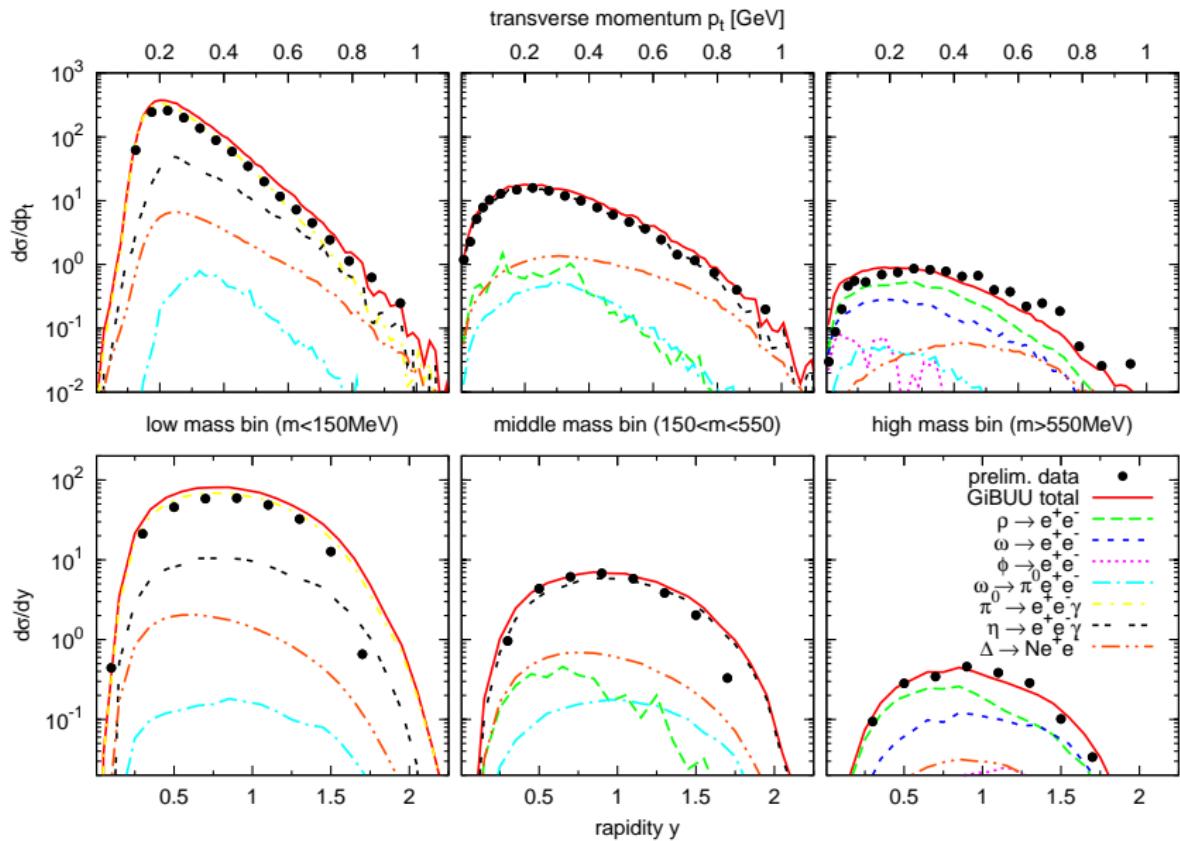
P+Nb@3.5 GeV, MASS SPECTRUM



P+Nb@3.5 GeV, MASS SPECTRUM



P+Nb@3.5 GeV, p_T AND RAP.



CONCLUSIONS

① p + p @ 1.25 GeV:

- reasonable agreement with data
- some trouble with filters/cuts?

② p + p @ 3.5 GeV:

- very good agreement with data
- only puzzle: intermediate mass gap
- Δ Dalitz form factor
- ρ production via resonances

③ p + Nb @ 3.5 GeV:

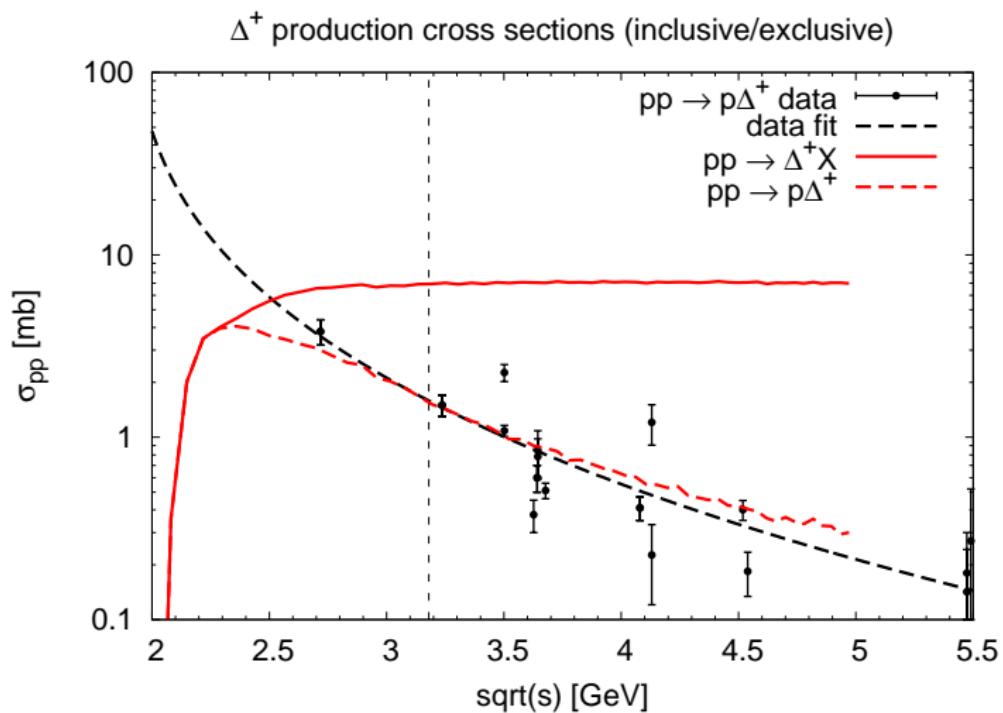
- discrepancy in pi0 channel
- normalization issue?
- check pion spectra!
- no conclusions on VN in medium yet

④ C + C / Ar + KCl:

- stay tuned!

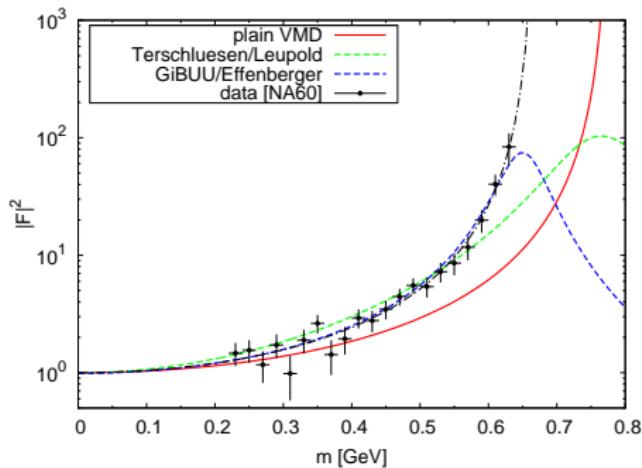
Back-Up Slides

DELTA CROSS SECTION



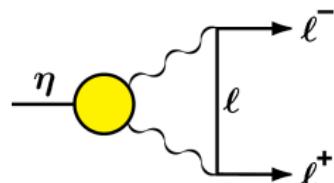
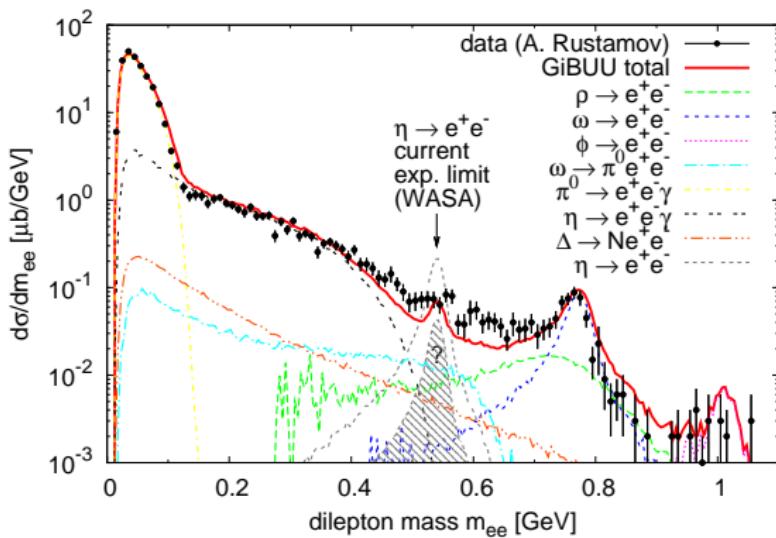
ω DALITZ DECAY: $\omega \rightarrow \pi^0 e^+ e^-$

- inclusive ω production cross section fixed by $\omega \rightarrow e^+ e^-$,
 $\text{BR}(\omega \rightarrow e^+ e^-)$ well known: $7.2 \cdot 10^{-5}$
- ω Dalitz branching also well known
- form factor fixed by NA60 data (Arnaldi et al., PLB 677)

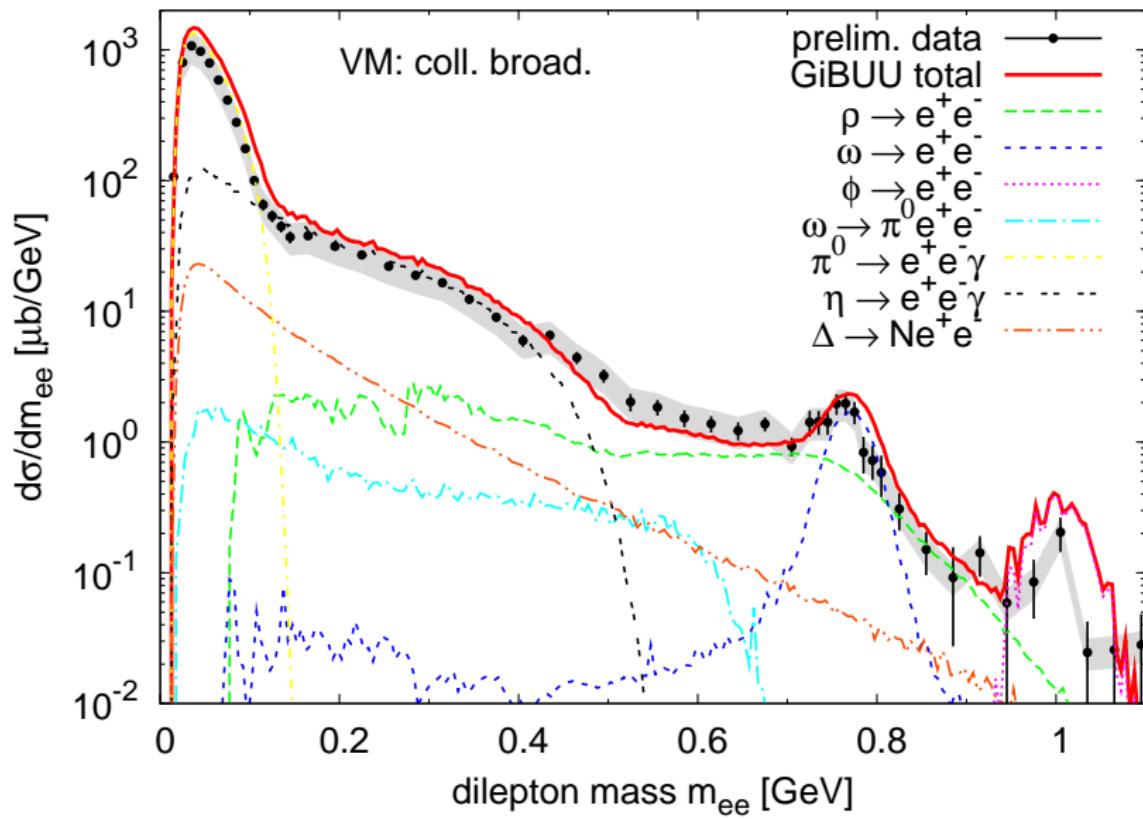


DIRECT η DECAY: $\eta \rightarrow e^+e^-$

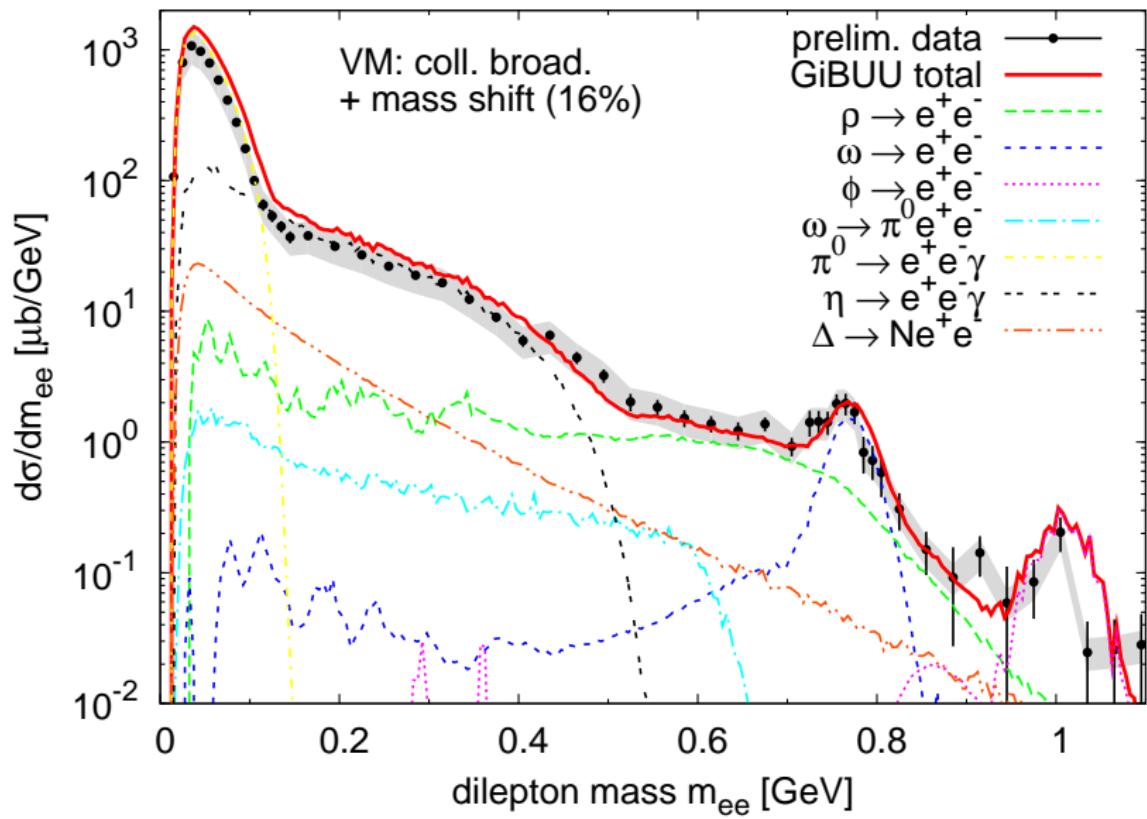
- exp. upper limit (WASA, Berlowski et al., PRD 77, 2008):
 $\text{BR}(\eta \rightarrow e^+e^-) < 2.7 \cdot 10^{-5}$
- HADES might be able to push down this limit ...
- theor. prediction (Browder et al., PRD 56, 1997):
 $\text{BR}(\eta \rightarrow e^+e^-) \approx 10^{-9}$



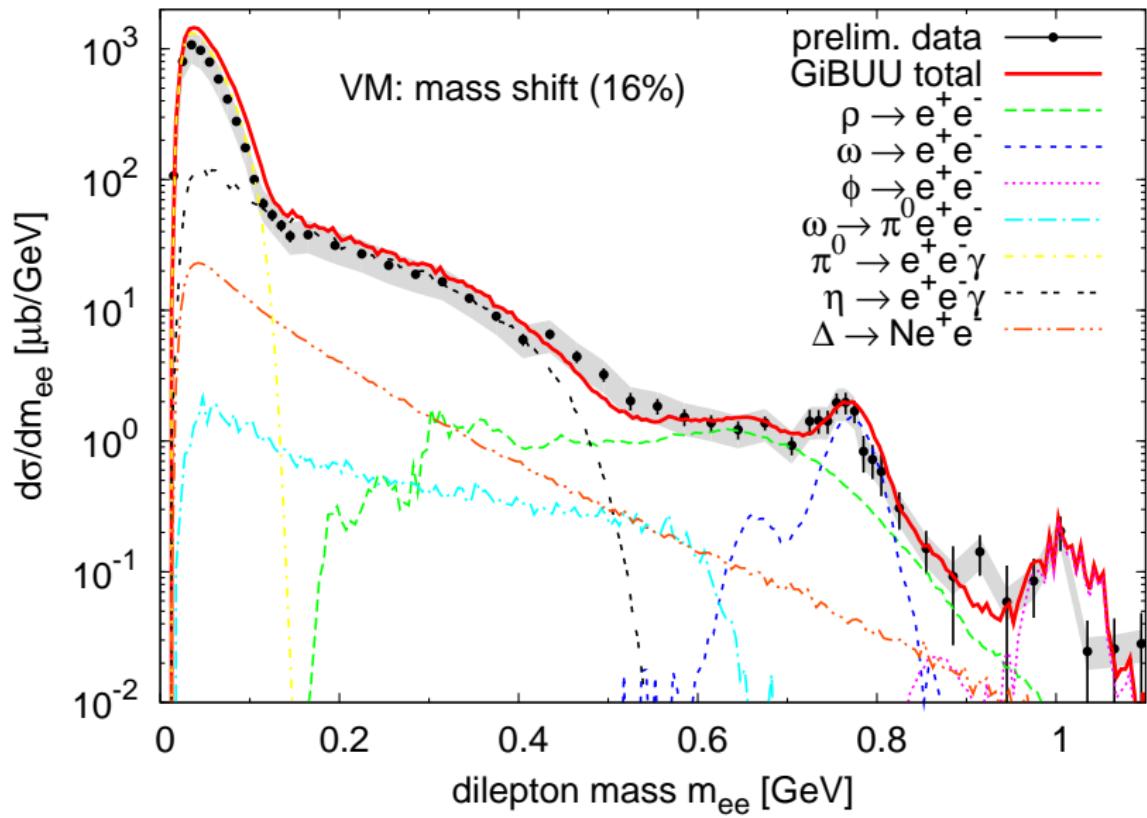
P+Nb@3.5 GeV, MASS SPECTRUM



P+Nb@3.5 GeV, MASS SPECTRUM

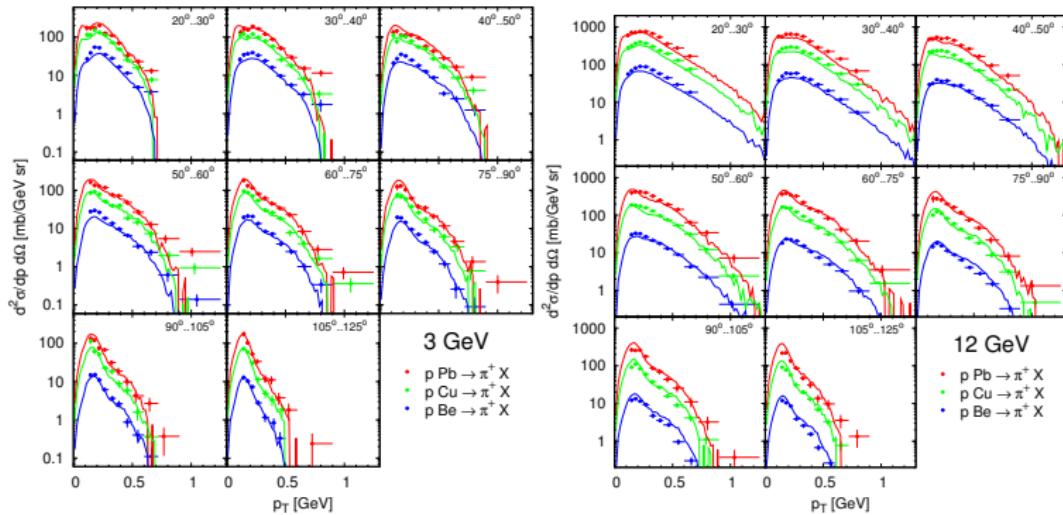


P+Nb@3.5 GeV, MASS SPECTRUM



PION OBSERVABLES

- pions are important for normalization
- can serve as a cross check for dilepton spectra
- GiBUU nicely describes inclusive pion data by HARP (Gallmeister, NPA 826, 2009)



OFF-SHELL TRANSPORT

- off-shell EOM for test particles

[Cassing/Juchem (NPA 665, 2000), Leupold (NPA 672, 2000)]:

$$\begin{aligned}\dot{\vec{r}}_i &= \frac{1}{1 - C_i} \frac{1}{2E_i} \left[2\vec{p}_i + \frac{\partial}{\partial \vec{p}_i} Re(\Sigma_i) + \chi_i \frac{\partial \Gamma_i}{\partial \vec{p}_i} \right], \\ \dot{\vec{p}}_i &= -\frac{1}{1 - C_i} \frac{1}{2E_i} \left[\frac{\partial}{\partial \vec{r}_i} Re(\Sigma_i) + \chi_i \frac{\partial \Gamma_i}{\partial \vec{r}_i} \right], \\ C_i &= \frac{1}{2E_i} \left[\frac{\partial}{\partial E_i} Re(\Sigma_i) + \chi_i \frac{\partial \Gamma_i}{\partial E_i} \right], \\ \chi_i &= \frac{m_i^2 - M^2}{\Gamma_i}, \quad \frac{d\chi_i}{dt} = 0\end{aligned}$$

- incorporate density-dependent self energies Σ_i , $\Gamma_i \sim Im(\Sigma_i)$