

Kaonic Atoms and $\Lambda(1405)$

Sławomir Wycech

Sołtan Institute for Nuclear Studies, Warsaw

$\Lambda(1405)$ Qspires : ~ 400 entries

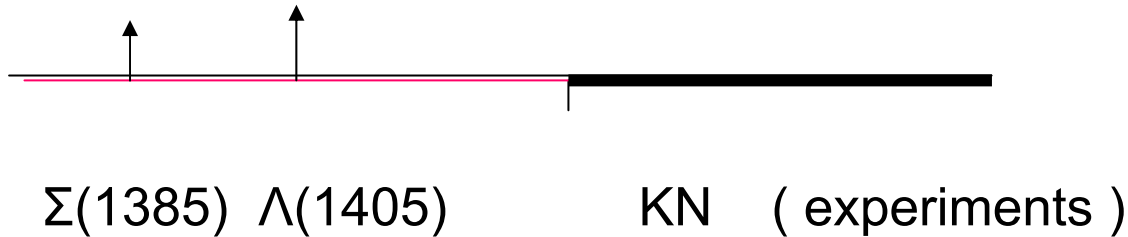
6 new experimental results in recent 3 years

- brief reminder of theories
- the profile of $\Lambda(1405)$ in $\Sigma \pi$ channels -new experiments
- the profile of $\Lambda(1405)$ in $\bar{K}$ channel - kaonic atoms and nuclei

The essential theoretical models are:

- (a) Quark model - problems with fine structure
- (b) Quasi-bound $I=0$ $\bar{K}N$ state decaying to $\Sigma \pi$.
- (c) a superposition of both

Essential problem : continuation from physical region to resonant region is parameter unstable



Look below threshold

Experiments : $\Sigma\pi$ - final state spectra
bound K-meson -K atoms, nuclear capture

Models : potentials, effective (chiral) approach,
selfconsistent dispersion relations

profile of $\Lambda(1405)$ in $\Sigma \pi$ channels

observed with the initial $K^- p$

$$T(K^- p \rightarrow \Sigma^+ \pi^-) = \frac{1}{\sqrt{6}} T_0 + \frac{1}{2} T_1$$

$$T(K^- p \rightarrow \Sigma^- \pi^+) = \frac{1}{\sqrt{6}} T_0 - \frac{1}{2} T_1$$

$$T(K^- p \rightarrow \Sigma^0 \pi^0) = \frac{1}{3} T_0$$

three separate maxima

observed with an initial $\Sigma \pi$

$$F(\Sigma^+ \pi^- \rightarrow \Sigma^+ \pi^-) = \frac{1}{3} F_0 + F_1 \frac{1}{2} + F_2 \frac{1}{6}$$

$$F(\Sigma^- \pi^+ \rightarrow \Sigma^- \pi^+) = \frac{1}{3} F_0 + F_1 \frac{1}{2} + F_2 \frac{1}{6}$$

$$F(\Sigma^0 \pi^0 \rightarrow \Sigma^0 \pi^0) = \frac{1}{3} F_0 + \frac{2}{3} F_2$$

two separate maxima

Recent experiments

TABLE I: Maxima in the $\Sigma\pi$ spectra, recent experiments

channel	$\gamma p \rightarrow K^+ \Sigma^- \pi$ CLAS	$pp \rightarrow p K^+ \Sigma^- \pi$ ANKE, HADES
	E_{max}	E_{max}
Σ^+, π^-	1420	1400
Σ^0, π^0	1415	1390
Σ^-, π^+	1410	1400

CLAS: K.Moriya R. Schumacher arXiv: 0911270v1

HADES: J.Siebenson arXiv: 1009.0946v1

ANKE: I. Zychor et al, Phys. Lett. B660(2008)167

TABLE II: Maxima in the $\Sigma\pi$ spectra

channel	$\gamma p \rightarrow K^+ \Sigma^- \pi$ CLAS	$pp \rightarrow K^+ \Sigma^- \pi p$ ANKE, HADES
	E_{max} $(coupling)^2$ to $K^*(892)$	E_{max}
Σ^+, π^-	1420 2/3	1400
Σ^0, π^0	1415 1/3	1390
Σ^-, π^+	1410 0	1400

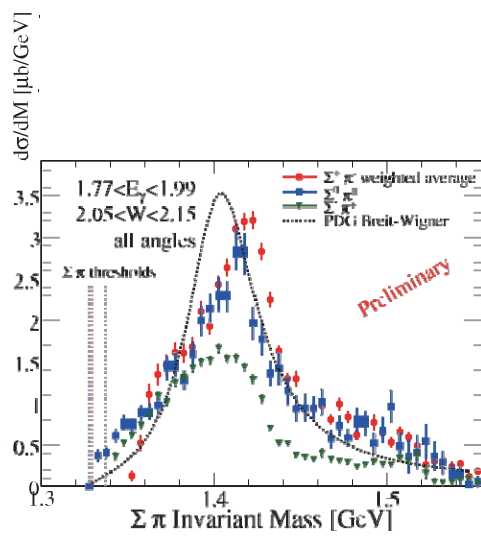
ELECTRO-PRODUCTION $ep \rightarrow K^+ \Sigma^- \pi^+$

CLAS: M. Lu, R. Schumacher et al arXiv: 1108.1809v1

Conclusion

Accessible final states contain 3 or more strongly interacting particles,
precise description is difficult.

It makes sense to look into alternative elastic KN interactions with bound N or bound K



photoproduction CLAS : Moriya, Schumacher , arXive 0911.2705v1

Extraction of absorptive KN amplitudes from atomic level widths

Ω = atomic –nuclear overlap is small

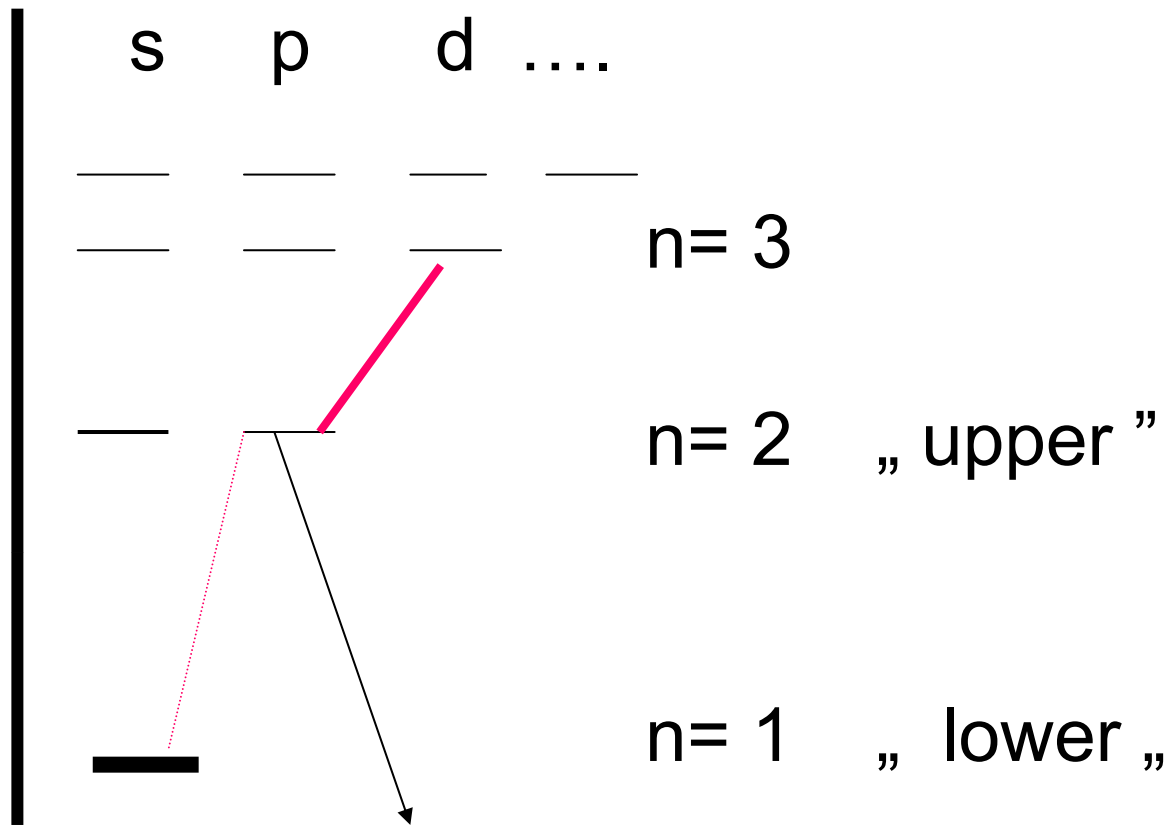
$$\Gamma = \text{Im} \sum_i a_{\text{KN}} (E_i = -\text{BINDING}_i - \text{RECOIL}) \Omega_i$$

almost correct

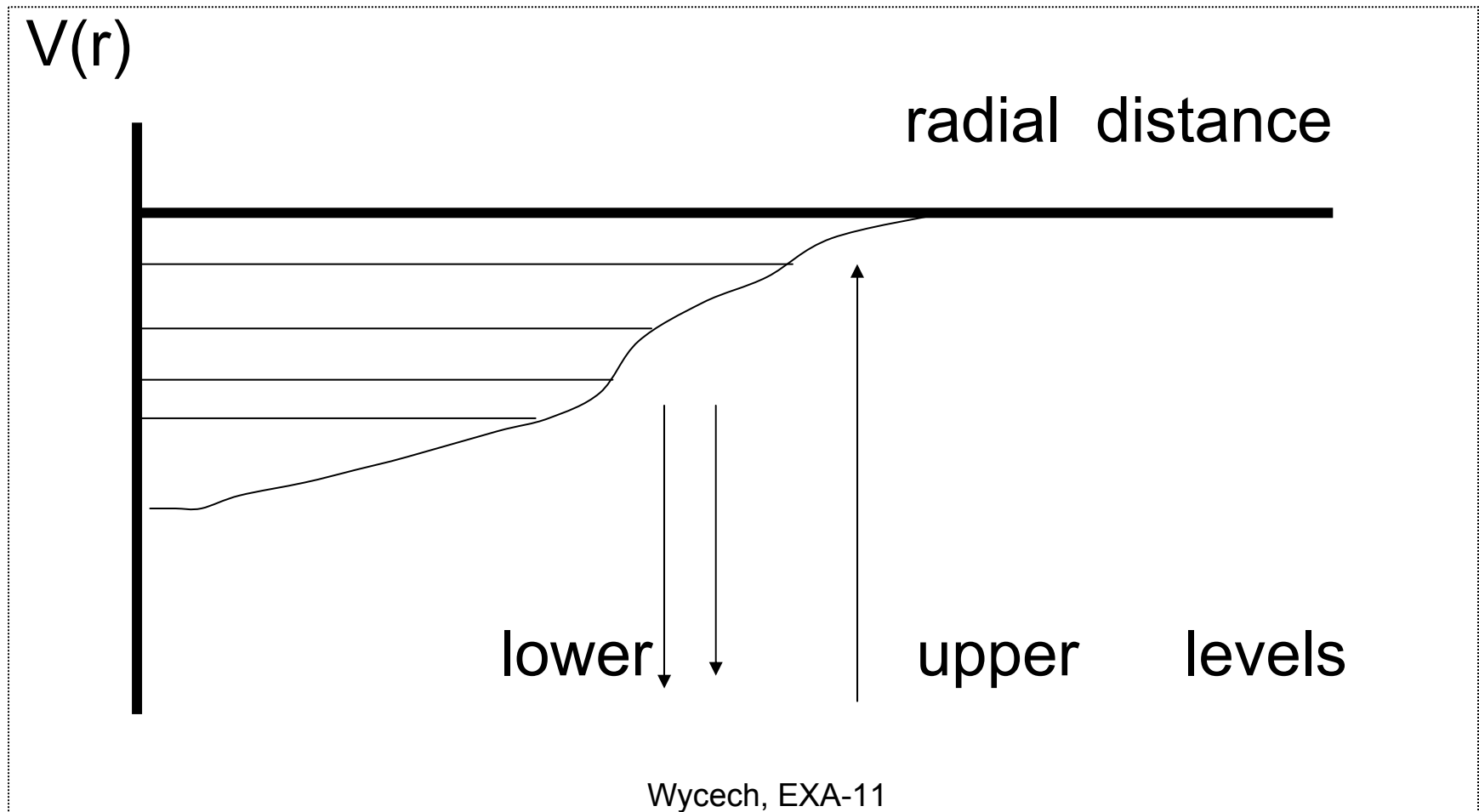
Involve subthreshold energies ($-40 - 0$) MeV

Optimum : one valence nuclear shell
few MeV spread by recoil

„upper levels „



Nucleon levels „seen” in atoms



Upper levels „do not fit „

E. Friedman , A.Gal

$\text{Im } a = 0.37 \text{ fm}$ upper levels

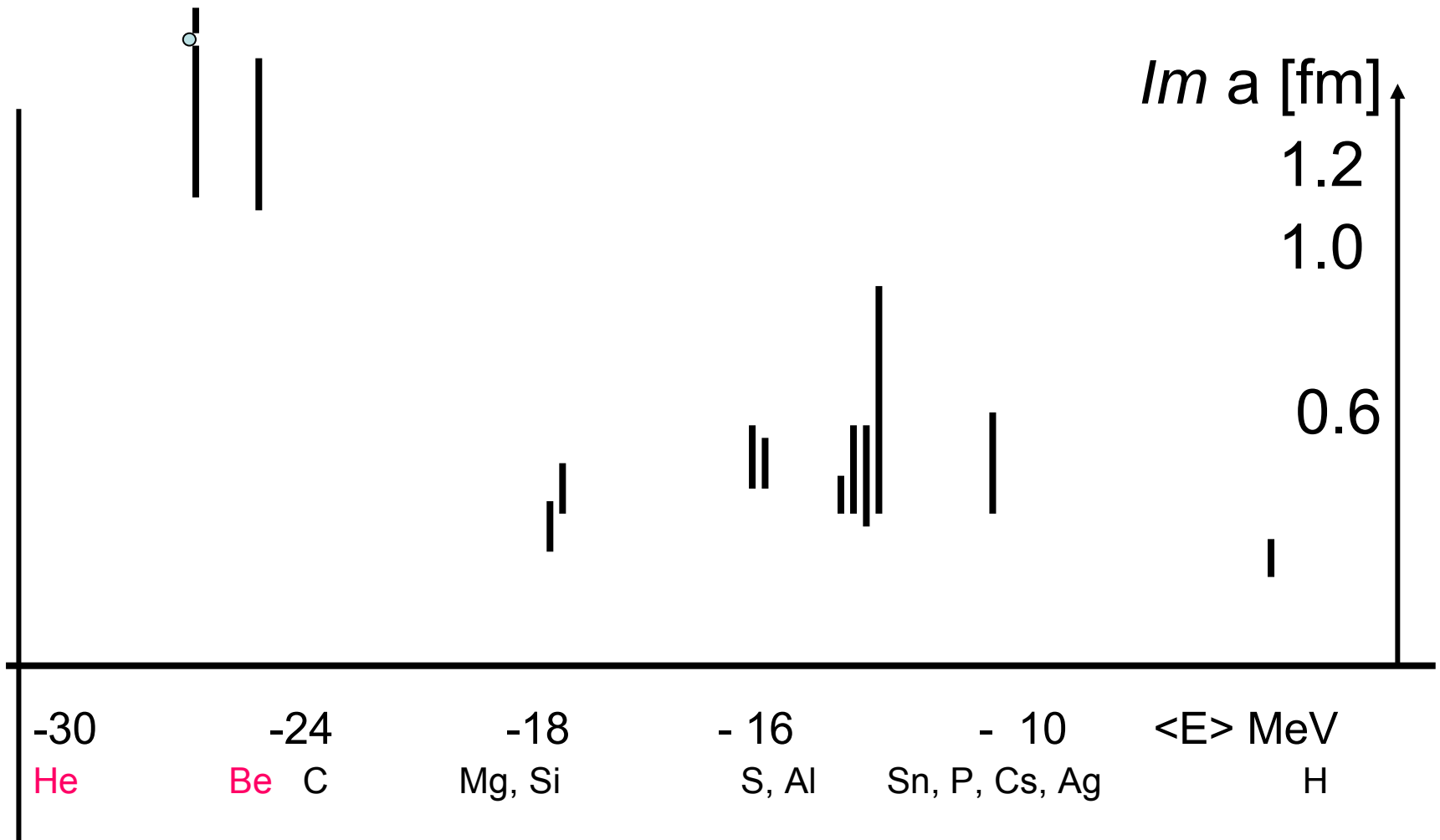
$\text{Im } a = 0.94 \text{ fm}$ lower levels

$$\Gamma \sim \text{Im } a_{\text{KN}}(E = -\text{BINDING} - \text{RECOIL})$$

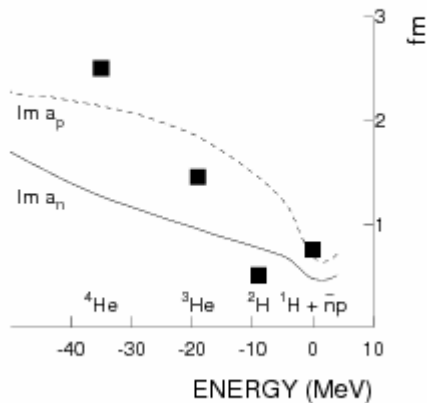
5 - 25 % accurate in upper levels

impulse approx. not valid
in lower levels

$Im \langle a_{KN} \rangle$ extracted from upper atomic levels



Im $a(E)$ extracted from light antiprotonic atoms - PS 207 data



Paris model

Im $a(KN)$ extracted from upper widths

nucleus	E_S	$\Gamma[eV]$	Im $a[fm]$	Im $a[fm]$	Im $a[fm]$	Im $a[fm]$
			impulse	Re $\alpha = 0$	Re $\alpha = -0.5$	Re $\alpha = -0.7$
4He	20	-	-	-	-	-
9Be	16.9	0.04(.02)	1.39(0.70)	-	-	-
^{12}C	15.9	0.98(.16)	1.23(0.25)	1.45	1.18	1.04
^{24}Mg	11.7	0.08(.03)	0.40(0.15)	-	-	-
^{28}Si	11.6	0.53(.06)	0.52(0.06)	-	-	-
^{32}S	8.6	3.10(.36)	0.74(0.08)	0.95	0.66	0.52
^{27}Al	8.3	0.30(.04)	0.62(0.08)	-	-	-
^{112}Sn	7.5	15.1(4.4)	0.52(0.15)	-	-	-
^{31}P	7.3	1.44(.41)	0.64(0.18)	0.79	0.52	0.35
^{37}Cl	6.4	5.7 (1.5)	0.60(0.23)	0.78	0.47	0.32
^{65}Cu	6.1	7.0(3.8)	0.850(0.45)	-	-	-
^{113}In	6.1	11.4(3.7)	0.51(0.33)	-	-	-
^{107}Ag	5.8	7.3(4.7)	0.61(0.39)	-	-	-
^{108}Cd	5.8	6.2(2.8)	0.32(0.14)	-	-	-

Favourite situation for studying Γ_{upper} one or few nucleon orbitals

perfect P,D,He,

good Li, Be, C, N,O,

reasonable in almost all atoms

2 parameters to extract

$\text{Im } a_{0 \wedge (1405)}(E)$, $\text{Im } a_{K, \text{neutron}}$

P wave from $\Sigma(1385)$ – known

corrected by central optical potential

K-neutron dominated widths

Upper widths due mostly to Kn , $S + P$ w

Pb $\rightarrow$ $Im\ a(K-n)$

U $\rightarrow$

^{208}Pb	8.0	4.1(2.0)	1.24(0.60)
^{238}U	7.6	15.1(4.4)	1.36(0.39)

Large part due to $\Sigma(1385)$

Another possibility to study sub-threshold elastic KN or K-nucleus amplitude

an old idea

K-hydrogen $\rightarrow \Lambda(1405) + \gamma$

Kaons lost in cascade

Kaonic Hydrogen $\sim 95\%$ lost

How many go to $\Lambda(1405) + \gamma$?

Old BNL experiment

$$K^- p \rightarrow \Sigma(1190) \gamma$$

Found on the level of 1/1000

D.A.Whitehouse ..PRL.63(89)1352; K.D.Larsen.. Phys.Rev D47(93)799

$$K^- p \rightarrow \Lambda(1405) \gamma$$

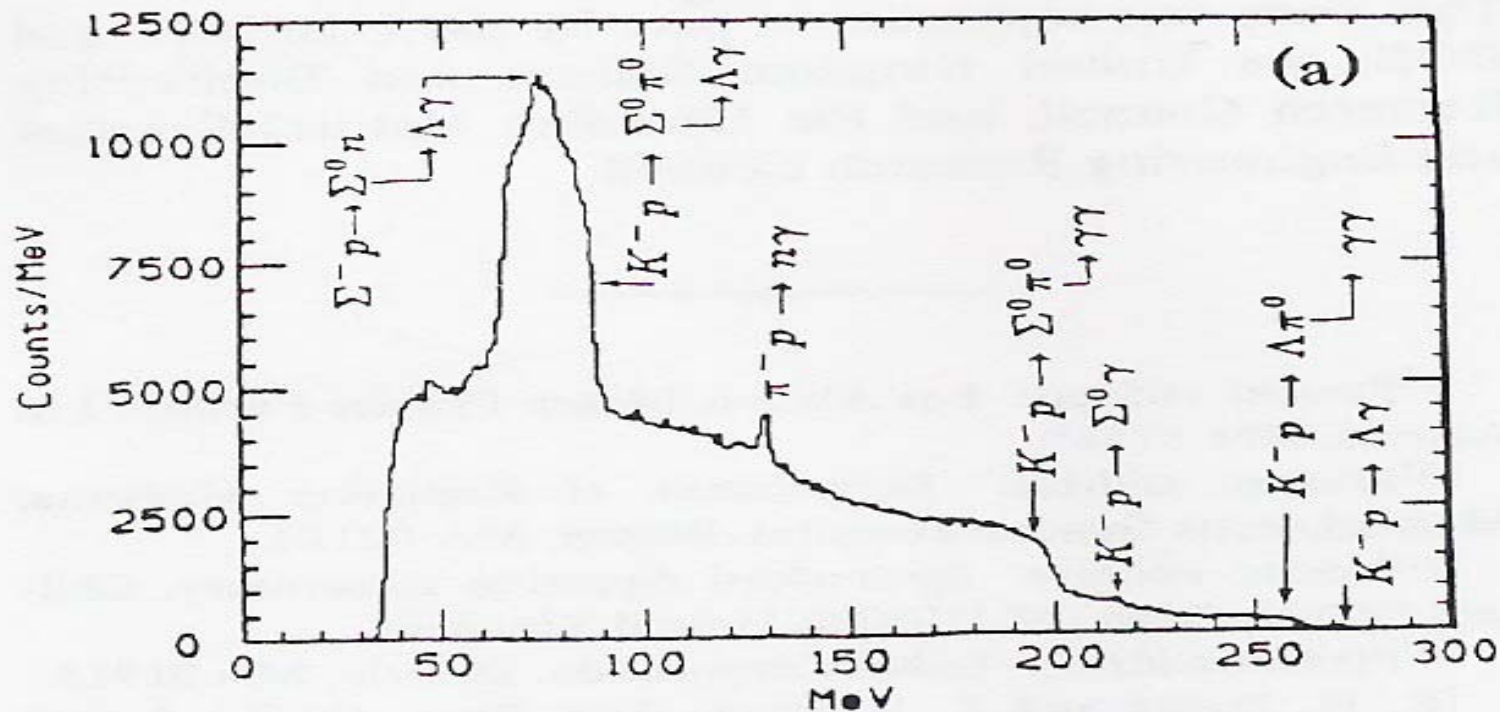
Is it feasible ?

What is the line shape ?

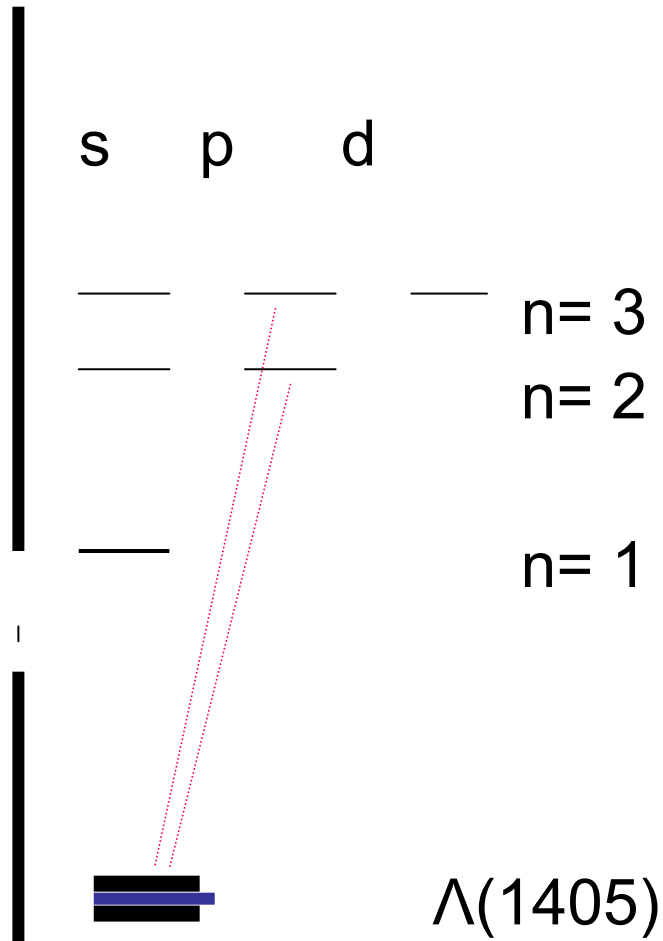
High energy photons from $K^- p$ atom

VOLUME 63, NUMBER 13

PHYSICAL REVIEW



Gamma rays to $\Lambda(1405)$ make $\sim 5 \cdot 10^{-3}$ of captures from (n P) levels



Occupation and capture from all (n,P) states

estimated captures from n P states in gas targets
~ few % of stopped K mesons

Total chance for γ transition
~ 0.001-0.0001
per stopped kaon

Kaonic deuterium atom $\rightarrow$ KNN

Deep state ~ 100 MeV (FINUDA, DISTO)

Very small chance

Weakly bound or virtual state ~ 47 MeV

$P+\Sigma(1385)$

sw Phys. Rev C 79

Good chance

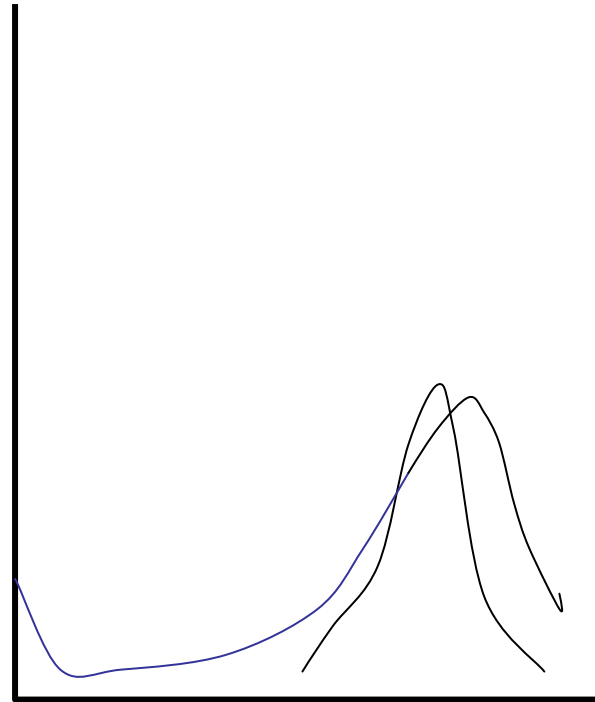
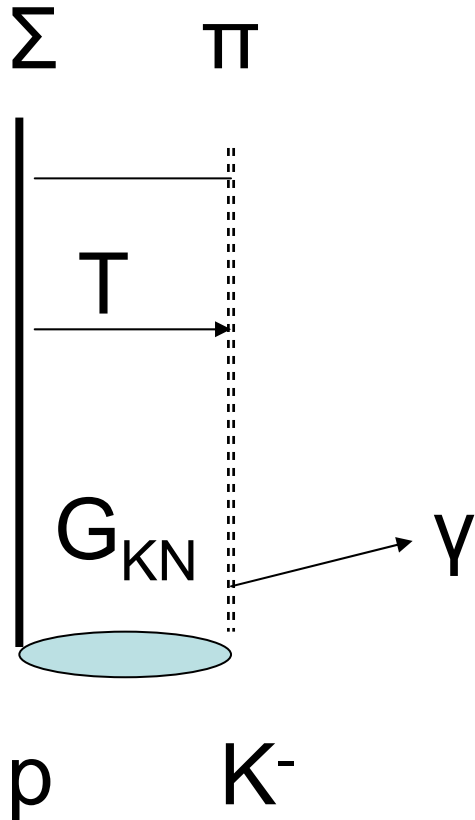
Line shape

$$\Gamma = \int dk \ S(k)$$

$$S(k) = \text{Im} \ T_{KN,KN} (E_o - k) \quad k \quad G_{KN}(k)$$

LINE SHAPE

resonance • propagator • phase space



Summary

- extraction of $\Lambda(1405)$ from $\Sigma\pi$ spectrum seems difficult
- Upper widths in K atoms allow to find $Im T_{KN,KN}(E)$ to -40 MeV down below threshold
- K-Atom $\rightarrow$ K-Nuclear + γ
in hydrogen may give elastic
 $Im T_{KN}(E)$
Experiments are difficult

Upper levels –suggestions

Interesting measurements

- He (2p)
- Be , C , repetition
- Sn 112,116,118,124 – different proton
 bindings

Pb 208

Kn parameters
in addition to D