

# *New insights on $\Omega_c$ and $\Omega_b$ excited states from molecular picture.*

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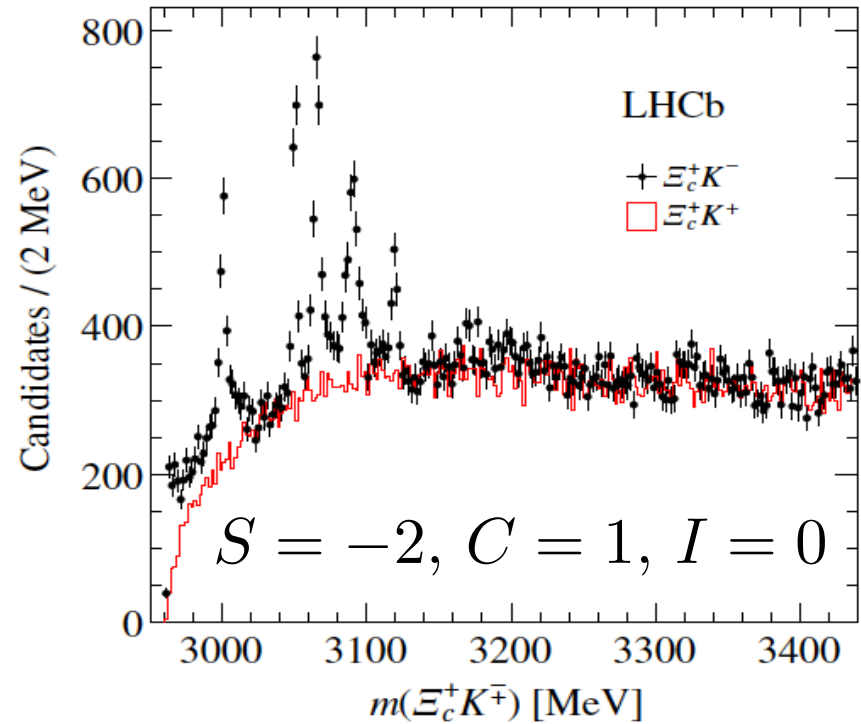
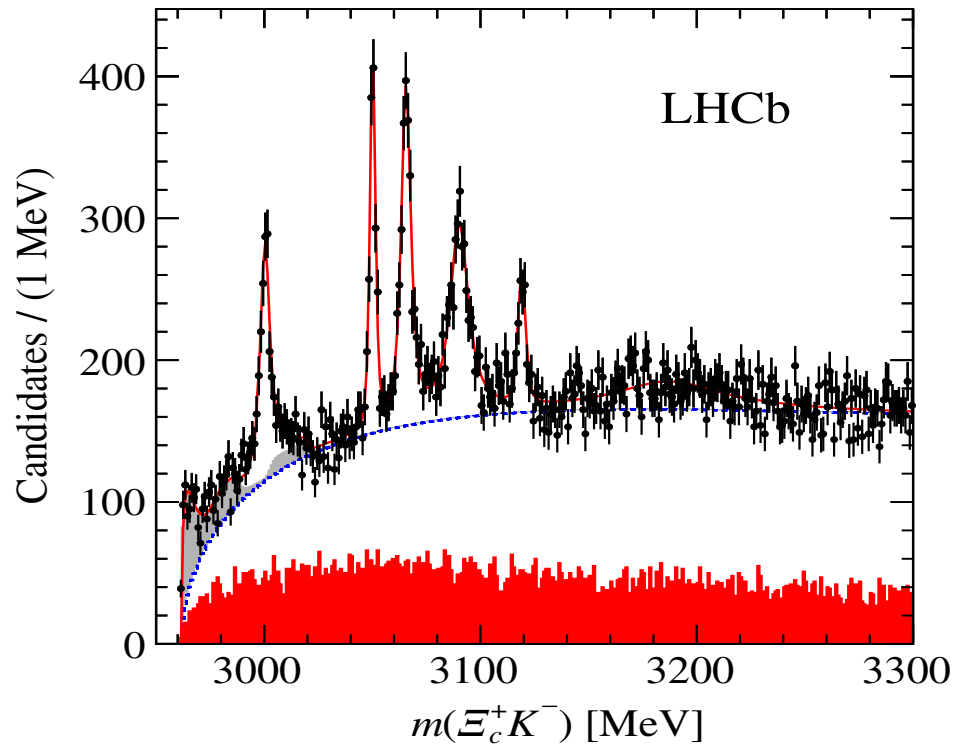
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February 24, 2021.



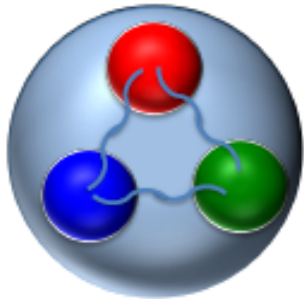
Introduction: Historical Background

## The new $\Omega'_c$ s observed at LHCb:

R. Aaij et al. (LHCb Collaboration), Phys. Rev. Lett. 118, 182001 (2017).



## Constituent Quark Models (CQMs) interpretation:



- Bound states consisting of 1 heavy quark (c) and a P-wave (ss) diquark. (System that gives 5 possible combinations)

$$S_c = \frac{1}{2}, S_{ss} = 1 + L_{ss} = 1 \rightarrow J^P = \frac{1}{2}^-, \frac{3}{2}^-, \frac{5}{2}^-$$

M. Karliner and J. L. Rosner, Phys. Rev. D 95, no.11, 114012 (2017).

W. Wang and R. L. Zhu, Phys. Rev. D 96, no.1, 014024 (2017).

Z.-G.-Wang, Eur. Phys. J. C 77, no.5, 325 (2017).

B.-Chen and X.-Liu, Phys. Rev. D 96, no.9, 094015 (2017).

- Alternative interpretation: some states (the 3 lightest ones) remain with (ss) diquark with 1P orbital excitation and the others with 2S radial excitations.

$$J^P = \frac{3}{2}^-, \frac{5}{2}^-, \frac{1}{2}^+, \frac{3}{2}^+$$

S. S. Agaev, K. Azizi and H. Sundu, EPL 118, no.6, 61001 (2017).

S. S. Agaev, K. Azizi and H. Sundu, Eur. Phys. J. C 77, no.6, 395 (2017).

H. Y. Cheng and C. W. Chiang, Phys. Rev. D 95, no.9, 094018 (2017).

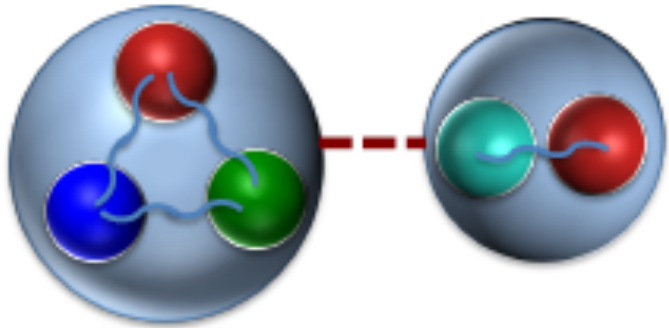
K. L. Wang, L. Y. Xiao, X. H. Zhong and Q. Zhao, Phys. Rev. D 95, no.11, 116010 (2017).



Introduction: Historical Background

## What about a molecular interpretation of these states?

R. Aaij et al. (LHCb Collaboration), Phys. Rev. Lett. 118, 182001 (2017).



Resonance	Mass (MeV)	$\Gamma$ (MeV)
$\Omega_c(3000)^0$	$3000.4 \pm 0.2 \pm 0.1^{+0.3}_{-0.5}$	$4.5 \pm 0.6 \pm 0.3$
$\Omega_c(3050)^0$	$3050.2 \pm 0.1 \pm 0.1^{+0.3}_{-0.5}$	$0.8 \pm 0.2 \pm 0.1$
		<1.2 MeV, 95% C.L.
$\Omega_c(3066)^0$	$3065.6 \pm 0.1 \pm 0.3^{+0.3}_{-0.5}$	$3.5 \pm 0.4 \pm 0.2$
$\Omega_c(3090)^0$	$3090.2 \pm 0.3 \pm 0.5^{+0.3}_{-0.5}$	$8.7 \pm 1.0 \pm 0.8$
$\Omega_c(3119)^0$	$3119.1 \pm 0.3 \pm 0.9^{+0.3}_{-0.5}$	$1.1 \pm 0.8 \pm 0.4$
		<2.6 MeV, 95% C.L.

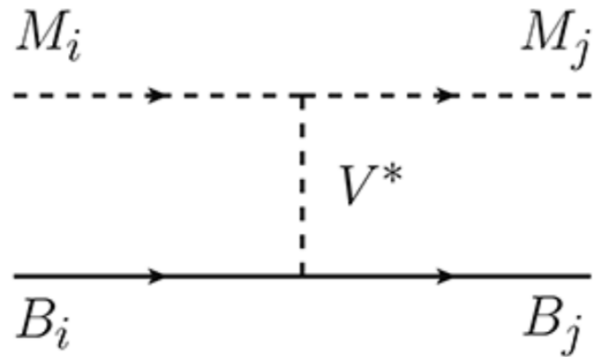
- The  $\bar{K}\Xi_c$  (2964 MeV) and  $\bar{K}\Xi'_c$  (3070 MeV) thresholds are very close or within the energy range where the physical  $\Omega_c$  states pop up!!!
- Prior to the experimental measurement, some theoretical works predicted some states in this sector :
  1. SU(8) spin-flavor sym. Model  $\rightarrow$  5 states much more bound than the LHCb ones. O. Romanets et al., Physical. Rev. D85,114032 (2012)
  2. SU(4) finite range Model  $\rightarrow$  3 states below 2953 MeV. J. Hofmann and M.F.M. Lutz, Nucl. Phys. A 763, 90-139 (2005)
  3. SU(4) finite range Model  $\rightarrow$  3  $\Omega_c$  states, one of them at 3117 MeV ( $\Gamma = 16$  MeV)!!! C. E. Jimenez-Tejero, A. Ramos and I. Vidaña, Phys. Rev. C 80, 055206 (2009)



Introduction: Historical Background

## Molecular-Picture Models revisited

G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)



$$\mathcal{L}_{VPP} = ig \langle [\partial_\mu \phi, \phi] V^\mu \rangle$$

$$\mathcal{L}_{VBB} = \frac{g}{2} \sum_{i,j,k,l=1}^4 \bar{B}_{ijk} \gamma^\mu \left( V_{\mu,l}^k B^{ijl} + 2V_{\mu,l}^j B^{ilk} \right)$$

- When  $t \ll m_V^2$  and projecting onto S-wave:

$$V_{ij}(\sqrt{s}) = -C_{ij} \frac{1}{4f^2} (2\sqrt{s} - M_i - M_j) \sqrt{\frac{E_i + M_i}{2M_i}} \sqrt{\frac{E_j + M_j}{2M_j}}$$



Introduction: Historical Background

## Molecular-Picture Models revisited

G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)

The basis considered in this sector consist of the following pseudoscalar-baryon channels:

$\bar{K}\Xi_c(2964)$ ,  $\bar{K}\Xi'_c(3070)$ ,  $D\Xi(3189)$ ,  $\eta\Omega_c(3246)$ ,  $\eta'\Omega_c(3656)$ ,  ~~$\bar{D}_s\Omega_{cc}(5528)$~~ ,  ~~$\eta_c\Omega_c(5678)$~~

$C_{ij}$	$\bar{K}\Xi_c$	$\bar{K}\Xi'_c$	$D\Xi$	$\eta\Omega_c^0$	$\eta'\Omega_c^0$
$\bar{K}\Xi_c$	1	0	$\sqrt{\frac{3}{2}}\kappa_c$	0	0
$\bar{K}\Xi'_c$		1	$\frac{1}{\sqrt{2}}\kappa_c$	$-\sqrt{6}$	0
$D\Xi$			2	$-\frac{1}{\sqrt{3}}\kappa_c$	$-\sqrt{\frac{2}{3}}\kappa_c$
$\eta\Omega_c^0$				0	0
$\eta'\Omega_c^0$					0

Strong attraction in the  $D\Xi$  channel

reduction factor accounting for the larger mass in heavy vector meson exchange



## Molecular-Picture Models revisited

G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)

Unitarized T-matrix from coupled-channel Bethe-Salpeter equation solved through On-shell factorization and regularized by means of Dim. Reg.:

$$T = (1 - VG)^{-1}V, G(a_l(\mu))$$

Subtraction constants present in the loops are set to coincide with cut-off loop ( $\Lambda = 800$  MeV)

$$a_l(\mu) = \frac{16\pi^2}{2M_l} (G_l^{\text{cut}}(\Lambda) - G_l(\mu, a_l = 0))$$

	$a_{\bar{K}\Xi_c}$	$a_{\bar{K}\Xi'_c}$	$a_{D\Xi}$	$a_{\eta\Omega_c}$	$a_{\eta'\Omega_c}$
Model 1	-2.19	-2.26	-1.90	-2.31	-2.26
$\Lambda$ (MeV)	800	800	800	800	800

Table 1: Values of the subtraction constants at a regularization scale  $\mu = 1$  GeV and the equivalent cut-off  $\Lambda$  for Model 1.



Introduction: Historical Background

## Molecular-Picture Models revisited

G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)

$\Omega_c$  states dynamically generated by the interaction between a pseudoscalar meson and a ground state baryon:

$0^- \oplus \frac{1}{2}^+$ interaction in the $(I, S, C) = (0, -2, 1)$ sector				
Model 1				
$M$ [MeV]	3051.6		3103.3	
$\Gamma$ [MeV]	0.45		17	
	$ g_i $	$-g_i^2 dG/dE$	$ g_i $	$-g_i^2 dG/dE$
$\bar{K}\Xi_c(2964)$	0.11	$0.00 + i 0.00$	0.58	$0.01 + i 0.03$
$\bar{K}\Xi'_c(3070)$	1.67	<b>0.54</b> $+ i 0.01$	0.30	$0.01 - i 0.01$
$D\Xi(3189)$	1.10	$0.05 - i 0.01$	4.08	<b>0.90</b> $- i 0.05$
$\eta\Omega_c(3246)$	2.08	<b>0.23</b> $+ i 0.00$	0.44	$0.01 + i 0.01$
$\eta'\Omega_c(3656)$	0.04	$0.00 + i 0.00$	0.28	$0.00 + i 0.00$

The state at 3051 MeV mainly composed by  $K\Xi'_c$  and  $\eta\Omega_c$

The state at 3103 MeV is basically a  $D\Xi$  bound state

→ 10 MeV too heavy and too wide...

Experimental states

$\Omega_c(3050)^0$  :  $M = 3050.2 \pm 0.1 \pm 0.1_{-0.5}^{+0.3}$  MeV,  
 $\Gamma = 0.8 \pm 0.2 \pm 0.1$  MeV,  
 $\Omega_c(3090)^0$  :  $M = 3090.2 \pm 0.3 \pm 0.5_{-0.5}^{+0.3}$  MeV,  
 $\Gamma = 8.7 \pm 1.0 \pm 0.8$  MeV

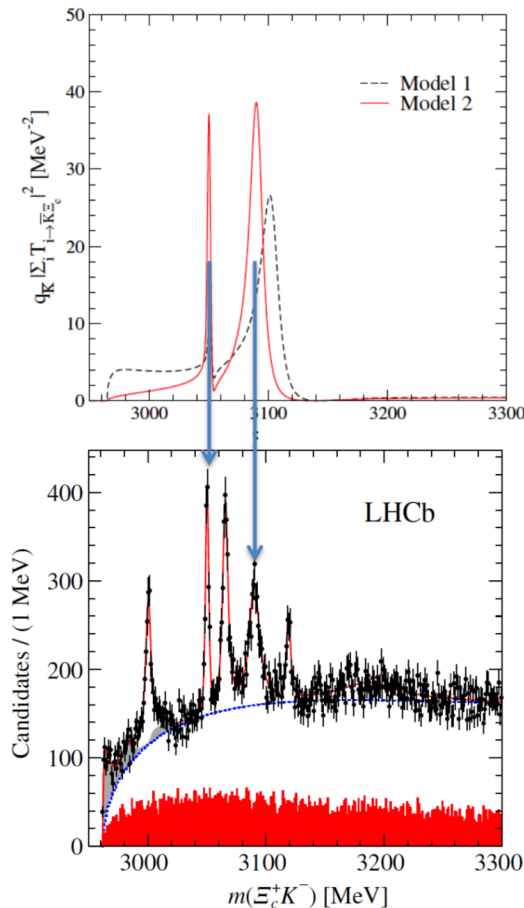




Introduction: Historical Background

## Molecular-Picture Models revisited

G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)



Quantity constructed to simulate the experimental spectrum:

$$q_{K^-} = \left| \sum_i T_{i \rightarrow \bar{K} \Xi_c} \right|^2$$

- The states at 3050 MeV and 3090 MeV (from Model 2) are in very good agreement with experiment.
- If the molecular nature of these states is assumed, their spin-parity can be predicted to be  $1/2^-$ .



## Introduction: Historical Background

### Molecular-Picture Models revisited

V. R. Debastiani, J. M. Dias, W. H. Liang and E. Oset, Phys. Rev. D 97, no.9, 094035 (2018)

- Extension of the local hidden gauge approach with heavy-baryon states as a spectator c quark + sym. wave functions of the remaining light quarks
- Inclusion of pseudoscalar-decuplet baryon channels

→ Same 2 states with  $J^P = \frac{1}{2}^-$  and a new  $J^P = \frac{3}{2}^-$   $\Omega_c$  resonance which could be identified with the LHCb  $\Omega_c(3119)$

J. Nieves, R. Pavao and L. Tolos, Eur. Phys. J. C 78, no.2, 114 (2018)

- $SU(6)_{\text{sf}}$  xHQSS-extended WT meson-baryon interaction
- The symmetries automatically account for the additional presence of additional vector mesons and  $3/2^+$  baryons

→ 2 states with  $J^P = \frac{1}{2}^-$  and 1  $J^P = \frac{3}{2}^-$  state consistent with the experimental  $\Omega_c(3000)$ ,  $\Omega_c(3050)$  and  $\Omega_c(3119)$



## Born terms: Motivation

In heavy sectors, Born terms have been systematically ignored, assumed to play a very moderate role...  
How solid this assumption is?

- Evidences of their non-negligible function in  $\bar{K}N$  interaction:

J. A. Oller and U.-G. Meissner, *Phys. Lett. B* 500, 263 (2001)

Born contributions reach  $\sim 20\%$  of the dominant WT contribution just 65 MeV above  $\bar{K}N$  threshold (S-wave)  
→ Just the energy range where the LHCb  $\Omega_c$  states are located is 120 MeV wide

A. Feijoo, V. Magas and A. Ramos, *Phys. Rev. C* 99, no.3, 035211 (2019), *Nucl. Phys. A* 954, 58 (2016)

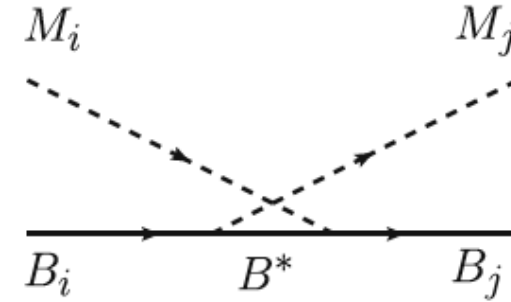
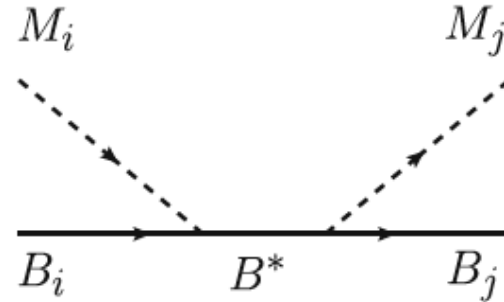
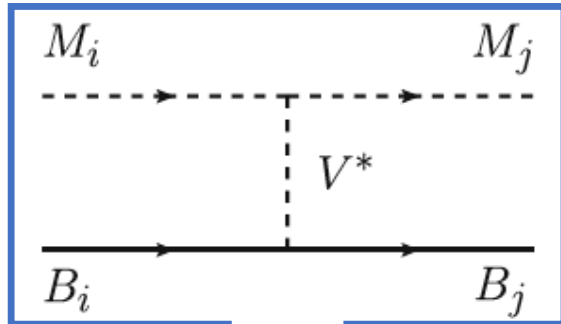
At slightly higher energies, the Born terms are essential to reproduce the experimental total cross section from  $\bar{K}N \rightarrow \eta\Lambda, \eta\Sigma, K\bar{E}$  processes ( $\eta$  channel thresholds are around 200 MeV above  $\bar{K}N$  threshold)

The incorporation of the s- and u-channel diagrams may have additional implications...

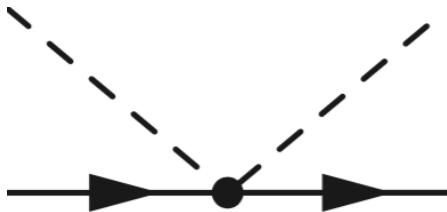
- Born terms contribute mainly to P-wave, one can consider the possibility of obtaining  $1/2+$  and  $3/2+$  states.
- the inclusion of new pieces in the interaction kernel can affect the interplay among the channels of the basis



Born terms: Formalism



Weinberg-Tomozawa term (WT)

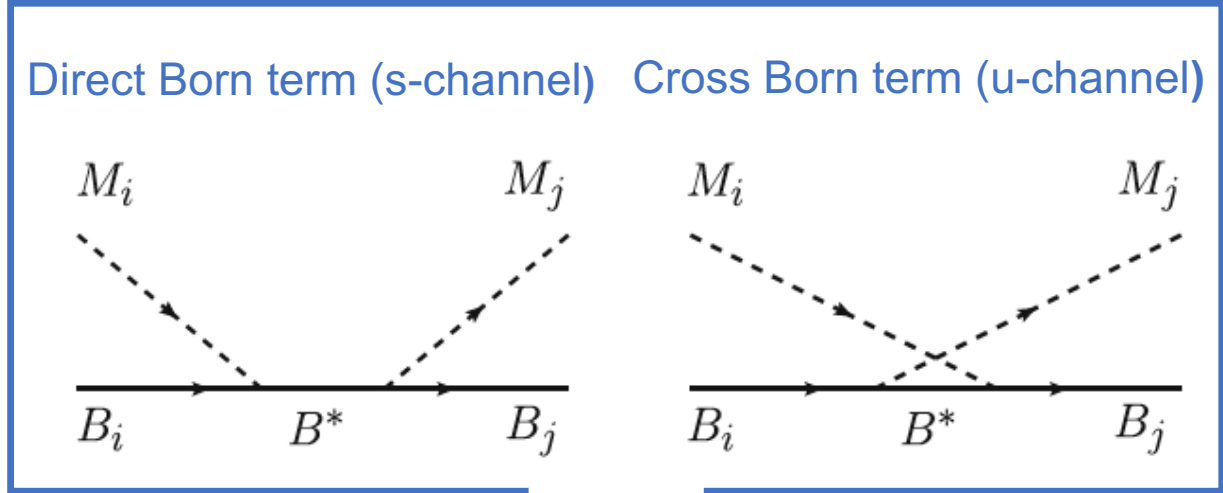
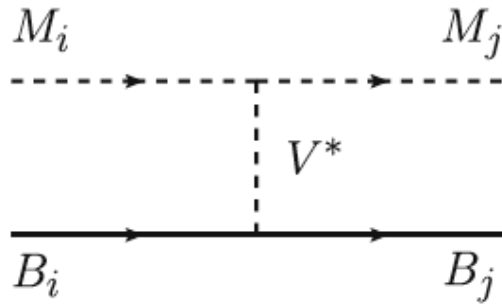


- Dominant contribution
- Interaction mediated, basically, by the constant  $f$  of the leptonic decay of the pseudoscalar meson

$$V_{ij}^{WT} = -\frac{N_i N_j}{4f^2} C_{ij} \left\{ (2\sqrt{s} - M_i - M_j) \chi_f^{\dagger s'} \chi_0^s + \frac{2\sqrt{s} + M_i + M_j}{(E_i + M_i)(E_j + M_j)} \chi_f^{\dagger s'} [\vec{q}_j \cdot \vec{q}_i + i(\vec{q}_j \times \vec{q}_i) \cdot \vec{\sigma}] \chi_0^s \right\}$$



Born terms: Formalism



$$g_A = D + F = 1.26$$

$$D = 0.8$$

$$F = 0.46$$

$$\mathcal{L}_{BBM} = \frac{\sqrt{2}}{4f} \sum_{i,j,k,l=1}^4 \bar{B}_{ijk} \gamma^5 \gamma^\mu [(D + F) \partial_\mu \Phi_{kl} B_{ijl} - 2(D - F) \partial_\mu \Phi_{jl} B_{ilk}]$$



## Born terms: Formalism

### 1. Direct diagram (s-channel Born term)

$$V_{ij}^D = \frac{N_i N_j}{12f^2} \sum_k \frac{C_{ii,k}^{(\text{Born})} C_{jj,k}^{(\text{Born})}}{s - M_k^2} \left\{ (\sqrt{s} - M_k)(s + M_i M_j - \sqrt{s}(M_i + M_j)) \chi_j^{\dagger s'} \chi_i^s \right. \\ \left. + \frac{(s + \sqrt{s}(M_i + M_j) + M_i M_j)(\sqrt{s} + M_k)}{(E_i + M_i)(E_j + M_j)} \chi_j^{\dagger s'} [\vec{q}_j \cdot \vec{q}_i + i(\vec{q}_j \times \vec{q}_i) \cdot \vec{\sigma}] \chi_i^s \right\}$$

### 2. Cross diagram (u-channel Born term)

$$V_{ij}^C = -\frac{N_i N_j}{12f^2} \sum_k \frac{C_{jk,i}^{(\text{Born})} C_{ik,j}^{(\text{Born})}}{u - M_k^2} \left\{ [u(\sqrt{s} + M_k) + \sqrt{s}(M_j(M_i + M_k) + M_i M_k) \right. \\ \left. - M_j(M_i + M_k)(M_i + M_j) - M_i^2 M_k] \chi_j^{\dagger s'} \chi_i^s + [u(\sqrt{s} - M_k) + \sqrt{s}(M_j(M_i + M_k) + M_i M_k) \right. \\ \left. + M_j(M_i + M_k)(M_i + M_j) + M_i^2 M_k] \chi_j^{\dagger s'} \frac{\vec{q}_j \cdot \vec{q}_i + i(\vec{q}_j \times \vec{q}_i) \cdot \vec{\sigma}}{(E_i + M_i)(E_j + M_j)} \chi_i^s \right\}$$



Born terms: Formalism

- The T-matrix in the CM system can be split into spin-nonflip and spin-flip parts:

$$T_{ij} = \chi_j^{\dagger s'} [f(\sqrt{s}, \theta) - i(\vec{\sigma} \cdot \hat{n})g(\sqrt{s}, \theta)] \chi_i^s$$

Where:

$$f(\sqrt{s}, \theta) = \sum_{l=0}^{\infty} f_l(\sqrt{s}) P_l(\cos\theta)$$
$$g(\sqrt{s}, \theta) = \sum_{l=1}^{\infty} g_l(\sqrt{s}) \sin\theta \frac{dP_l(\cos\theta)}{d(\cos\theta)}$$

Expansion in Legendre polynomials

$$\hat{n} = \frac{\vec{q}_j \times \vec{q}_i}{|\vec{q}_j \times \vec{q}_i|}$$



## Born terms: Formalism

Unitarization: e.g. via the Bethe-Salpeter equation with on-shell amplitudes

- Amplitudes with well definite total angular momentum exhibit independent unitary conditions
- They should be separated in the **Bethe-Salpeter equation** and need to be redefined with a definite total angular momentum:

$$f_{l+}^{tree}(\sqrt{s}) = \frac{1}{2l+1} (f_l(\sqrt{s}) + l g_l(\sqrt{s})), \quad j = l + \frac{1}{2}$$

$$f_{l-}^{tree}(\sqrt{s}) = \frac{1}{2l+1} (f_l(\sqrt{s}) - (l+1) g_l(\sqrt{s})), \quad j = l - \frac{1}{2}$$

Finally, unitarized amplitudes ...

$$f_{l\pm} = [1 - f_{l\pm}^{tree} G]^{-1} f_{l\pm}^{tree}$$

- meson-baryon loop function (dimensional regularization)

$$G_l = \frac{2M_l}{(4\pi)^2} \left\{ a_l(\mu) + \ln \frac{M_l^2}{\mu^2} + \frac{m_l^2 - M_l^2 + s}{2s} \ln \frac{m_l^2}{M_l^2} + \frac{q_{cm}}{\sqrt{s}} \ln \left[ \frac{(s+2\sqrt{s}q_{cm})^2 - (M_l^2 - m_l^2)^2}{(s-2\sqrt{s}q_{cm})^2 - (M_l^2 - m_l^2)^2} \right] \right\}$$

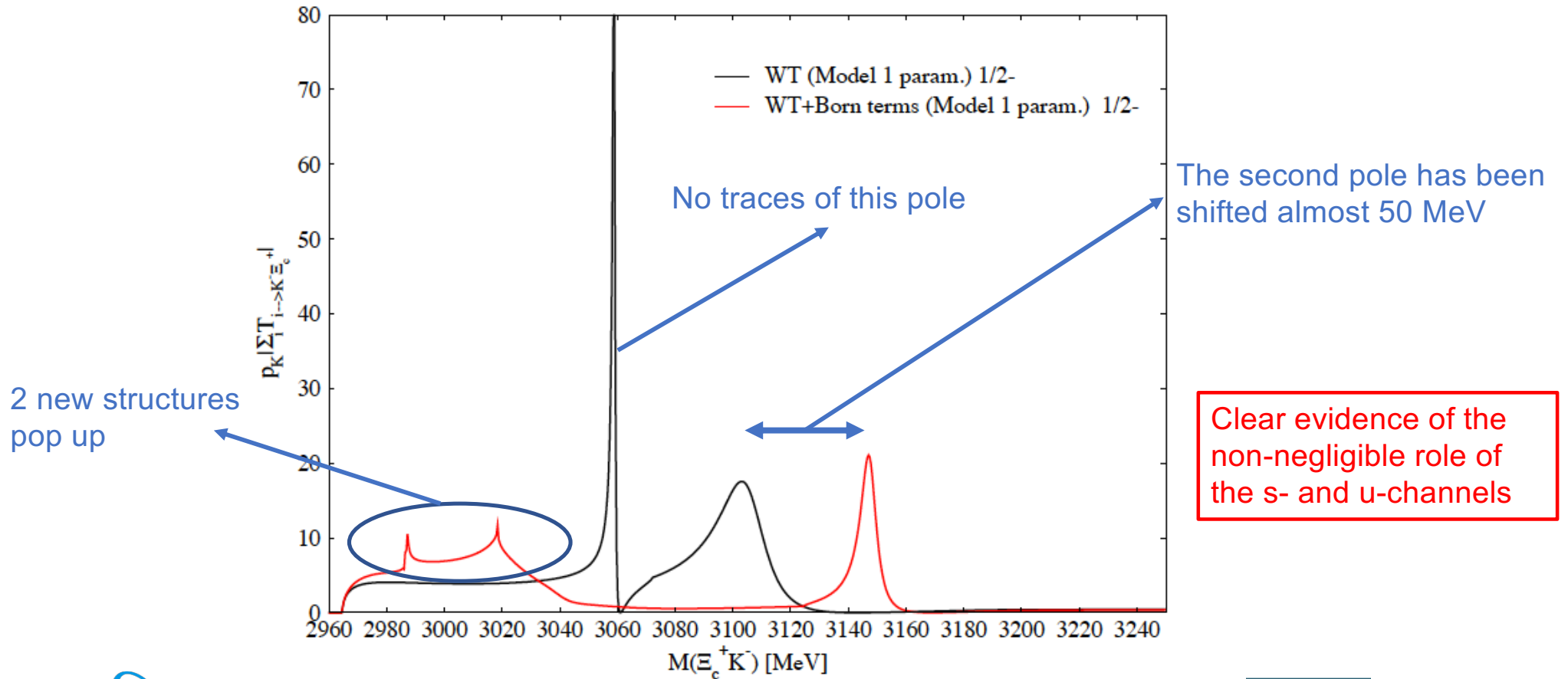
subtraction constants for the dimensional regularization scale  $\mu = 1\text{GeV}$  in all the k channels.





Born terms: checking their effects on the spectrum

WT spectrum vs. WT+Born terms spectrum keeping the old Model 1 parametrization (s-wave):



Born terms: Fitting procedure

## Fitting parameters:

- Decay constant  $f$

Partially constrained:  $f_{\pi}^{exp}(= 92.4MeV) \leq f \leq 1.23 f_{\pi}^{exp}$

- 5 subtracting constants (isospin symmetry):

$$\left. \begin{array}{l} a_{\bar{K}\Xi_c} \\ a_{\bar{K}\Xi'_c} \\ a_{D\Xi} \\ a_{\eta\Omega_c} \\ a_{\eta'\Omega_c} \end{array} \right\} \sim -2.3, (\mu = 1000MeV) \xrightarrow{\text{they are allowed to vary within the range:}} [-1, -4]$$

(natural size)



## Born terms: Fitting procedure

- Generation of pseudo-random points in the parameter space by means of Latin hypercube (LH) space filling  
LH guarantees homogeneity of the points through the whole parameter volume  
 $10^7$  samples are generated
- An assumption should be made: How many and which states have molecular nature
- For each param.  $x$  (meson decay const, sub. const), we evaluate the generalized spectrum  $f_i(x)$  defined as:

$$q_{K^-} \left( \left| \sum_i T_{i \rightarrow \bar{K} \Xi_c}^{\frac{1}{2}^-} \right|^2 + 2 \left| \sum_i T_{i \rightarrow \bar{K} \Xi_c}^{\frac{1}{2}^+} \right|^2 + \left| \sum_i T_{i \rightarrow \bar{K} \Xi_c}^{\frac{3}{2}^+} \right|^2 \right)$$

- The algorithm looks for structures in the complex energy plane, once found it assigns  $E(f_i(x))$  (mass and width)
- The implausibility measure discriminates param. for a chosen experimental peak and a given  $s$  (number of accepted  $\sigma$ )

$$I_M^2(x) = \max_{i \in Z} I_i^2(x) \equiv \max_{i \in Z} \frac{|\mathbb{E}(f_i(x)) - z_i|^2}{\text{Var}_i(x)}, \quad I_M^2(x) \leq s^2$$

- Process iterated as many times as peaks assumed as molecular states we have
- The surviving parametrizations are reanalyzed to study the nature of their structures (ongoing work)



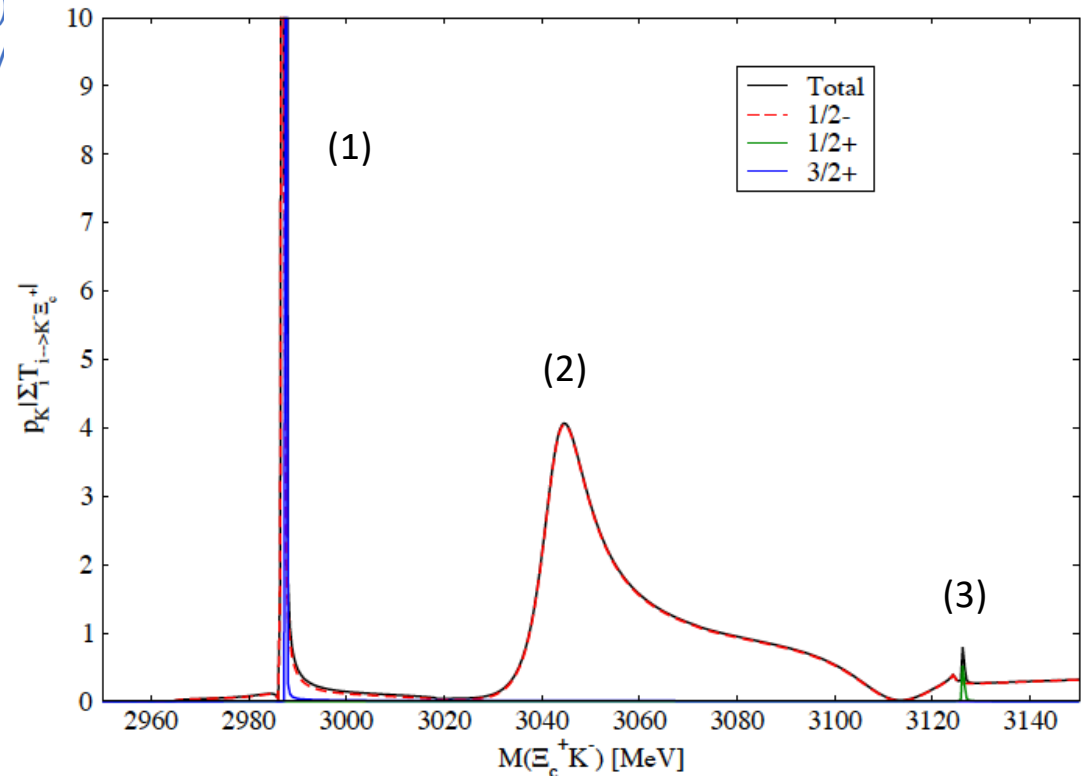
## Born terms: preliminary results

- Assumption:

The LHCb measured states  $\Omega_c(3000)$ ,  $\Omega_c(3050)$  and  $\Omega_c(3119)$  have molecular nature and they can be reproduced within  $5\sigma$  error.

- (1) Double pole structure: one at (M=2986.82,  $\Gamma=0.68$ ) MeV with spin-parity 1/2- and the other at (M=2987.64,  $\Gamma=0.08$ ) with 3/2+
- (2) Pole at (M=3042.01,  $\Gamma=0.86$ ) MeV with spin-parity 1/2-
- (3) Pole at (M=3126.32,  $\Gamma=0.10$ ) MeV with spin-parity 1/2+

	$a_{\bar{K}\Xi_c}$	$a_{\bar{K}\Xi'_c}$	$a_{D\Xi}$	$a_{\eta\Omega_c}$	$a_{\eta'\Omega_c}$
Daniel 5	-2.13	-3.59	-3.20	-2.07	-2.70
$\Lambda$ (MeV)	710	2570	2200	540	1290



## Born terms: $\Omega_b$ states

R. Aaij et al. [LHCb], Phys. Rev. Lett. 124, no.8, 082002 (2020)

	$\delta M_{\text{peak}}$ [MeV]	Mass [MeV]	Width [MeV]
$\Omega_b(6316)^-$	$523.74 \pm 0.31 \pm 0.07$	$6315.64 \pm 0.31 \pm 0.07 \pm 0.50$	$< 2.8$ (4.2)
$\Omega_b(6330)^-$	$538.40 \pm 0.28 \pm 0.07$	$6330.30 \pm 0.28 \pm 0.07 \pm 0.50$	$< 3.1$ (4.7)
$\Omega_b(6340)^-$	$547.81 \pm 0.26 \pm 0.05$	$6339.71 \pm 0.26 \pm 0.05 \pm 0.50$	$< 1.5$ (1.8)
$\Omega_b(6350)^-$	$557.98 \pm 0.35 \pm 0.05$	$6349.88 \pm 0.35 \pm 0.05 \pm 0.50$	$< 2.8$ (3.2) $1.4^{+1.0}_{-0.8} \pm 0.1$

## Predictions by Molecular-Picture Models:

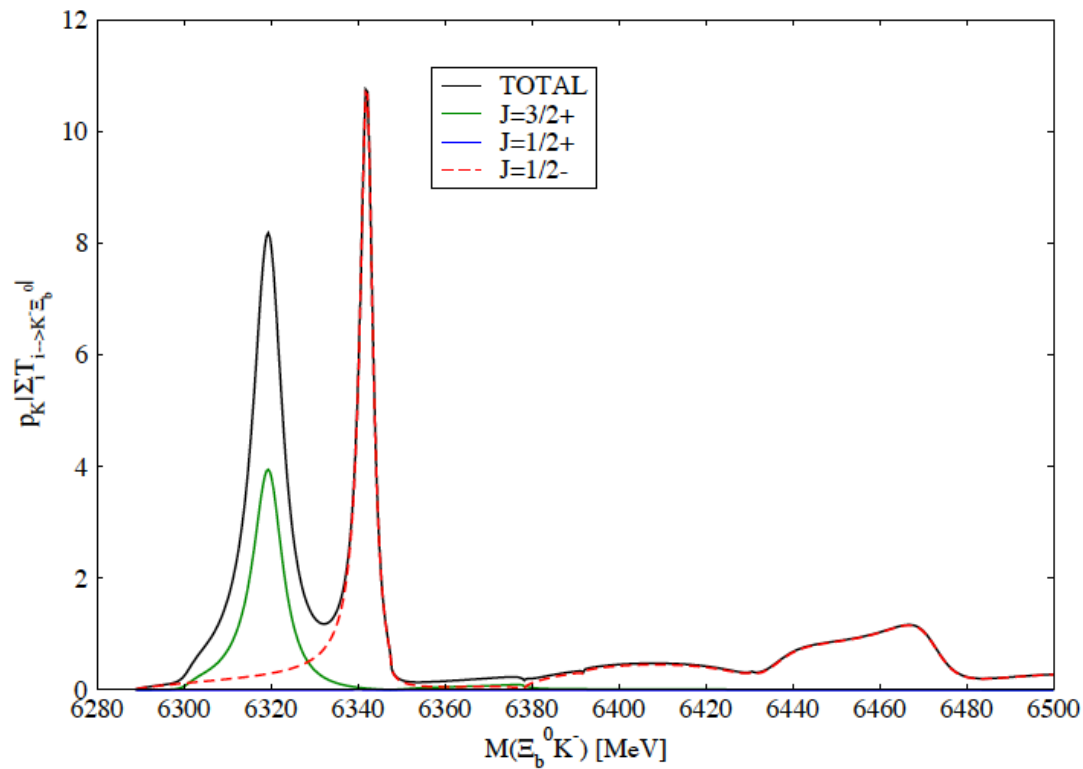
- W. H. Liang, J. M. Dias, V. R. Debastiani and E. Oset, Nucl. Phys. B 930, 524 (2018)  
7  $\Omega_b^-$  states were generated dynamically with 1/2- and 3/2- (lowest mass 50MeV above  $\Omega_b^-(6350)$ )
- W. H. Liang and E. Oset, Phys. Rev. D 101, no.5, 054033 (2020)  
Arguments against the molecular nature of these states, instead structures at higher energies should be analysed
- J. Nieves, R. Pavao and L. Tolos, Eur. Phys. J. C 80, 22 (2020)  
Prediction of a 1/2- state  $\Omega_b^-(6360)$  as member of a sextet jointly with  $\Xi_b(6227)$  and  $\Sigma_b(6227)$
- G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)  
2  $\Omega_b^-$  states were generated dynamically with 1/2- (lowest mass 70MeV above  $\Omega_b^-(6350)$ )



Born terms: illustrative output for  $\Omega_b$  states

G. Montaña, A. Feijoo and A. Ramos, Eur. Phys. J. A 54, no.4, 64 (2018)

$a_{\bar{K}\Xi_b}$	$a_{\bar{K}\Xi'_b}$	$a_{\eta\Omega_b}$	$a_{\bar{B}\Xi}$	$a_{\eta'\Omega_b}$
-3.57	-3.62	-3.63	-3.24	-3.53



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Far from being conclusive, these results demonstrate the need for a thorough investigation of all possible non-negligible terms of the meson-baryon interaction that may influence the generation of dynamical poles, paying a special attention to the dependence of the results on the assumed symmetries and on the free parameters of the theory.

A. Ramos, A. Feijoo, Q. Llorens and G. Montaña, *Few Body Syst.* 61, no.4, 34 (2020)



Thank you for your attention!



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