



中国科学技术大学  
University of Science and Technology of China

# Energy calibration for EMC

Dong Liu

On behalf of IHEP/USTC group

June 24, 2020

**PANDA Collaboration Meeting 20/2,  
online**

# Outline

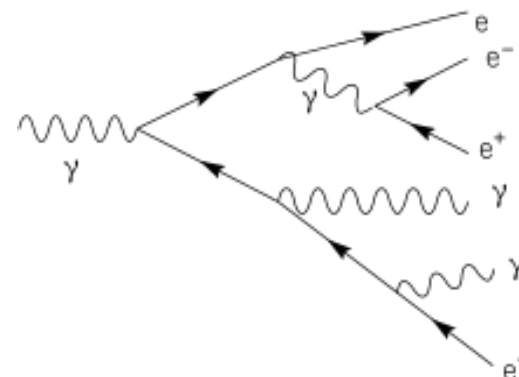


中国科学技术大学  
University of Science and Technology of China

- EMC
- Calibration algorithm
  - Sample preparation
  - Input and output
  - Fitting
  - Iteration
- Calibration Result
- Calibration with single cluster
- Summary



- Functionality
  - Energy measurement of  $\gamma$ ,  $e$  and part of hadrons
  - Separation of  $\gamma/e$  and hadrons
  - Position measurement
  - Shower shape measurement
- Calibration
  - Detection unit uniformity
  - Leakage
  - Preshower
  - Light yield non-uniformity
  - Energy response non-linearity
  - Electronics



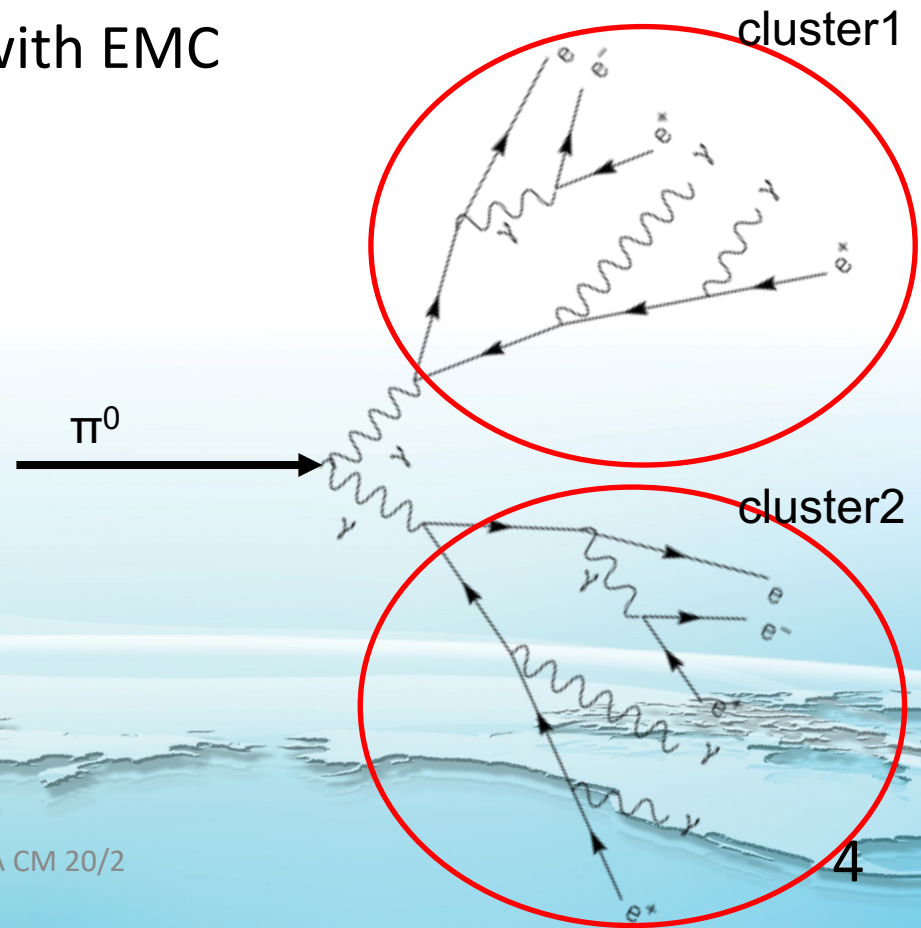


# Calibration



中国科学技术大学  
University of Science and Technology of China

- Calibration sample
  - Abundance
  - Accurate quantity as standard value
  - Well understand interaction with EMC
- $\pi^0 / \eta \rightarrow \gamma\gamma$ 
  - Abundantly produced
  - Known mass and small width
  - Energy coverage



# Calibration algorithm



中国科学技术大学  
University of Science and Technology of China

- Based on  $\pi^0$  mass

*From Bernhard Roth & Marc Pelizaeus, Ruhr University*

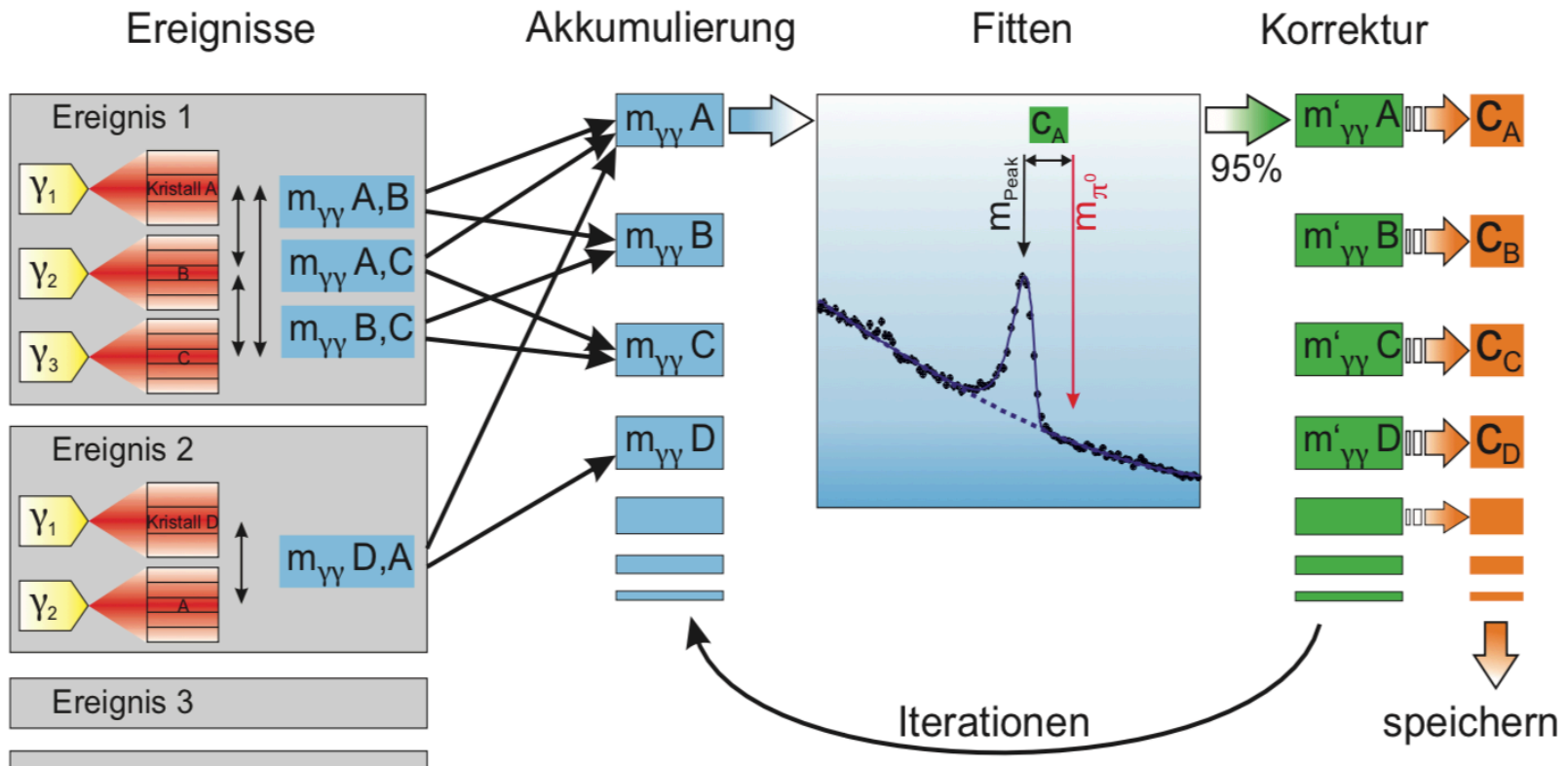


Abbildung 6.1: Schematische Darstellung des iterativen Verfahrens zur Kalibrierung des elektromagnetischen Kalorimeters.

# Calibration algorithm



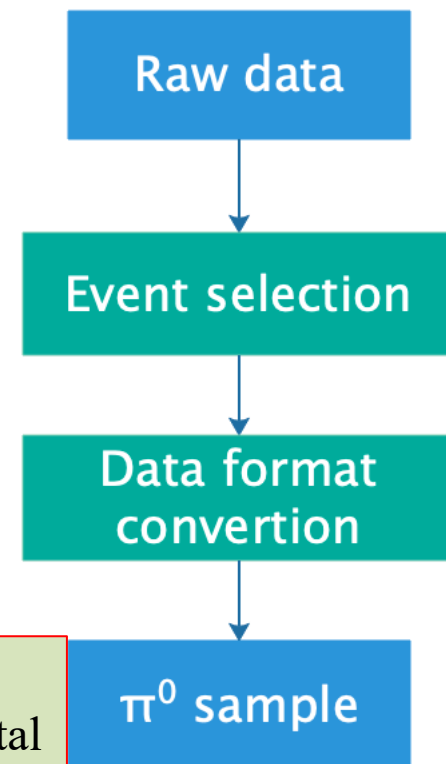
- Implementation
  - Sample preparation
    - Raw data from beam test, physical run or MC simulation
    - $\pi^0$  candidates are saved in root file in a specific format (**simplified data**)

$m_{\gamma\gamma A,B}$

```
class entry{ // pi0 candidate
  float m_gg; // invariant mass of two  $\gamma$ 
  int cprnr2;
  float fraction;
  float fraction2;
  float angle; // opening angle

  std::vector<hit> this_bump; // gamma
  std::vector<hit> associated_bump;
}
```

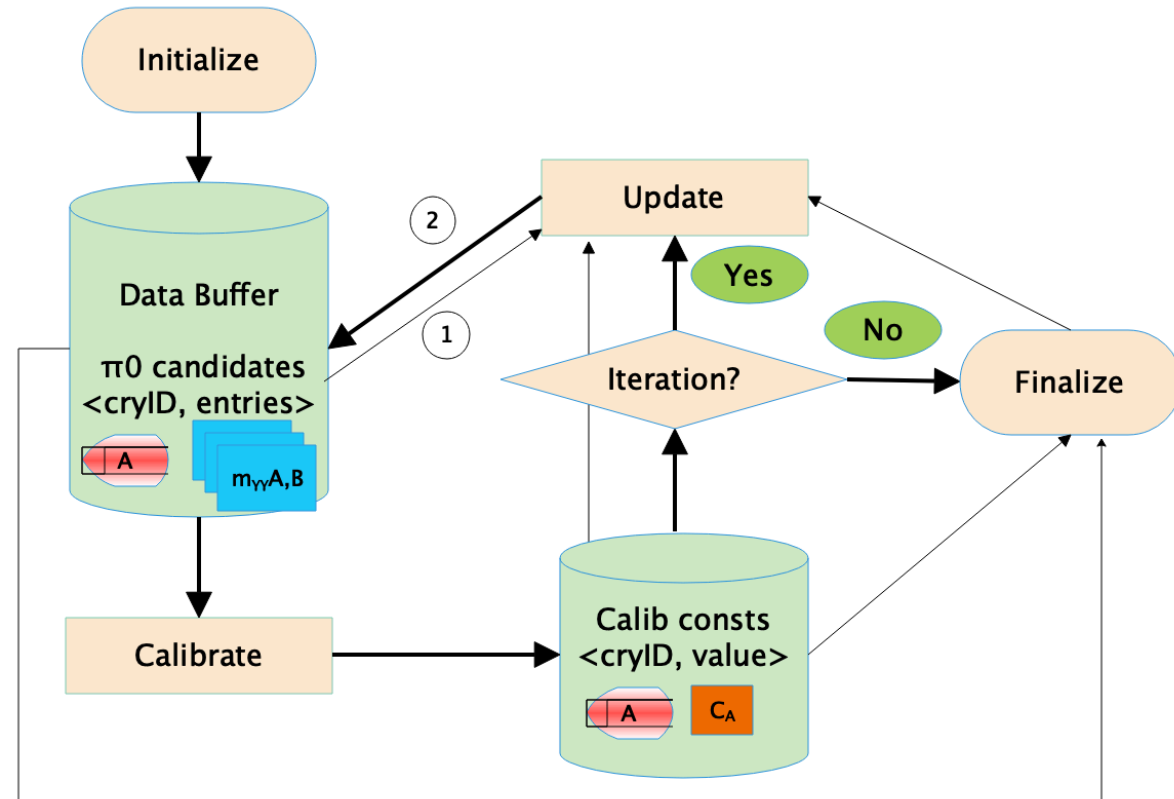
```
class hit{ // single crystal
  int cprnr; // index of a crystal
  float E_dep;
  float X;
  float Y;
  float Z;
}
```



# Calibration algorithm



- Implementation
  - Calibration
    - Initialize
    - Calibrate
    - Update
    - Iteration
    - Finalize

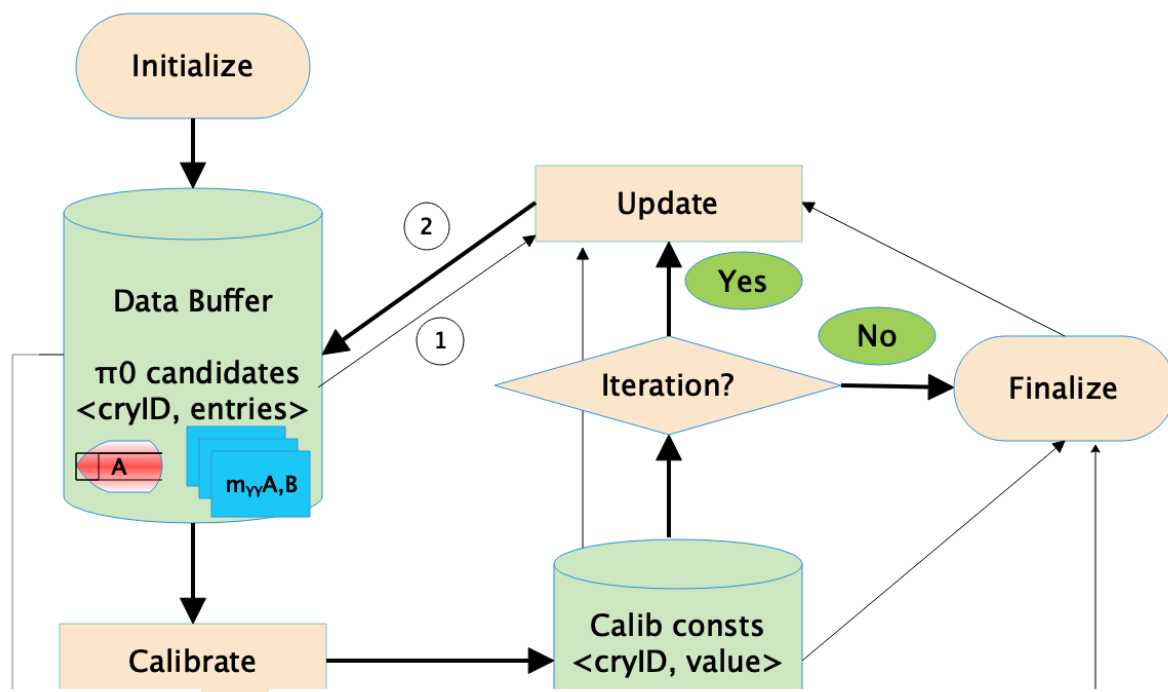




# Calibration algorithm



- Implementation
  - Calibration
    - Initialize
      - Set parameters
      - Load/Initialize calibration map
      - Load crystal map
      - Load  $\pi^0$  samples



## Load $\pi^0$ samples

- From root file
  - Readable format with ROOT
  - Ability to deal with large amounts of data
- Cache sample in memory
  - High performance for later usage
  - 5M  $\pi^0$  need ~1G memory

## Load $\pi^0$ samples (old strategy)

- From database
  - Multi-threaded design, locally or network connected threads
- Cache in database



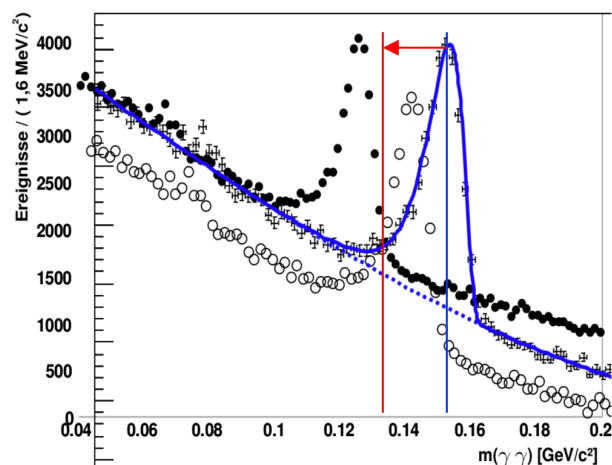
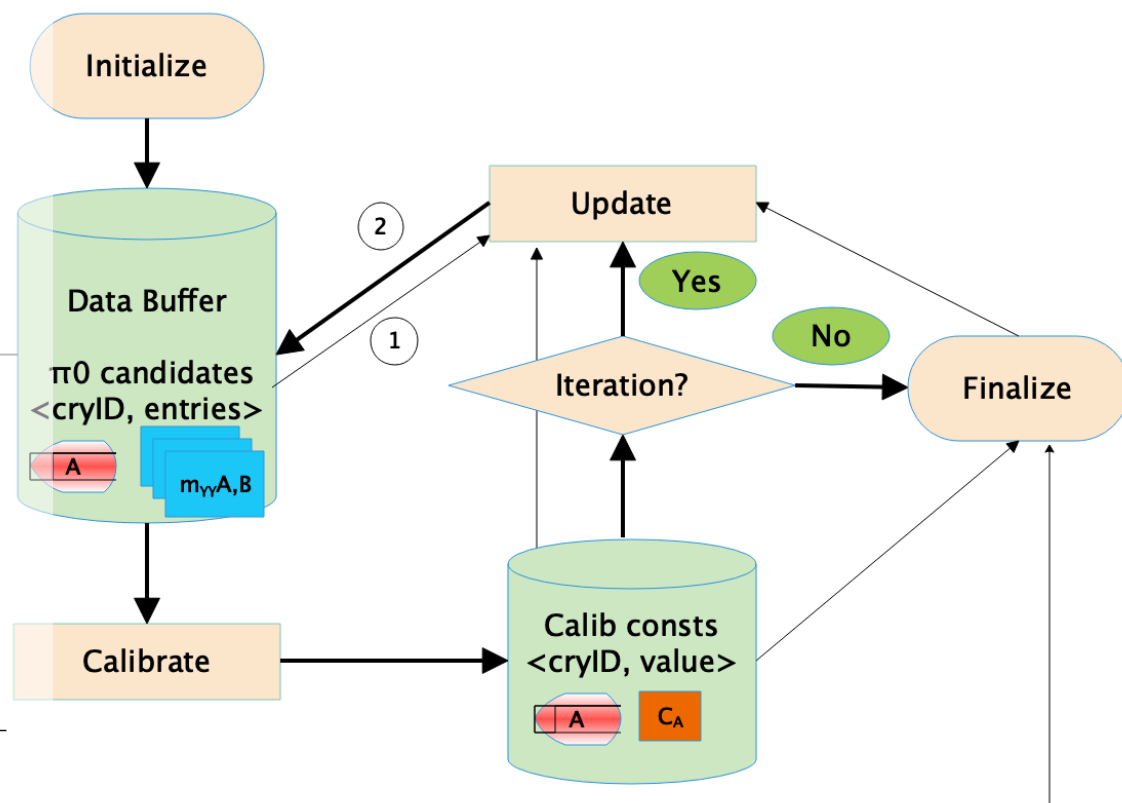
# Calibration algorithm



## • Implementation

### – Calibration

- Initialize
- Calibrate
  - Load sample from cache for each crystal
  - Fit to  $m_i(\gamma\gamma)$
  - Determine  $C_i$
  - Save in `calib_map`



$$c_i = \frac{m_{\pi,PDG}^2}{\langle m_{\pi,i}^2 \rangle},$$

# Calibration algorithm



- Implementation

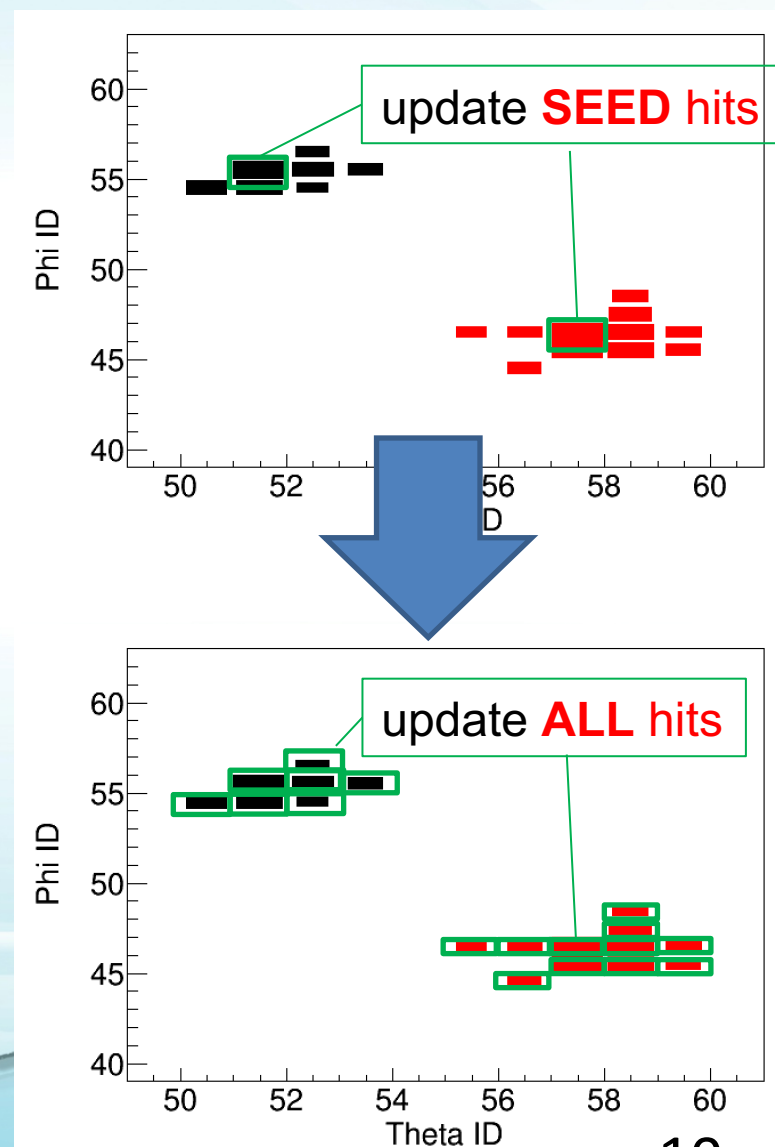
- Calibration

- Initialize
- Calibrate

- Update

- Load sample from cache for each crystal
- Update hit energy
- Update  $E_\gamma$ ,  $m(\gamma\gamma)$  for each candidate

$$E_{Cluster} = \sum_{i=1}^n c_i A_i$$



# Calibration algorithm



中国科学技术大学

- Implementation

- Calibration

- Initialize
    - Calibrate
    - Update
    - Iteration

- After iterations,

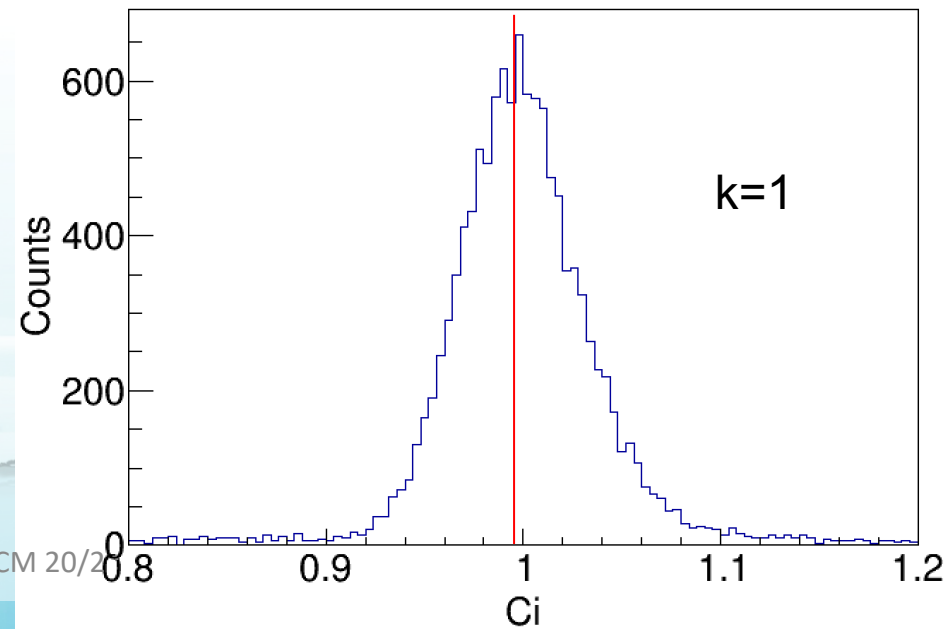
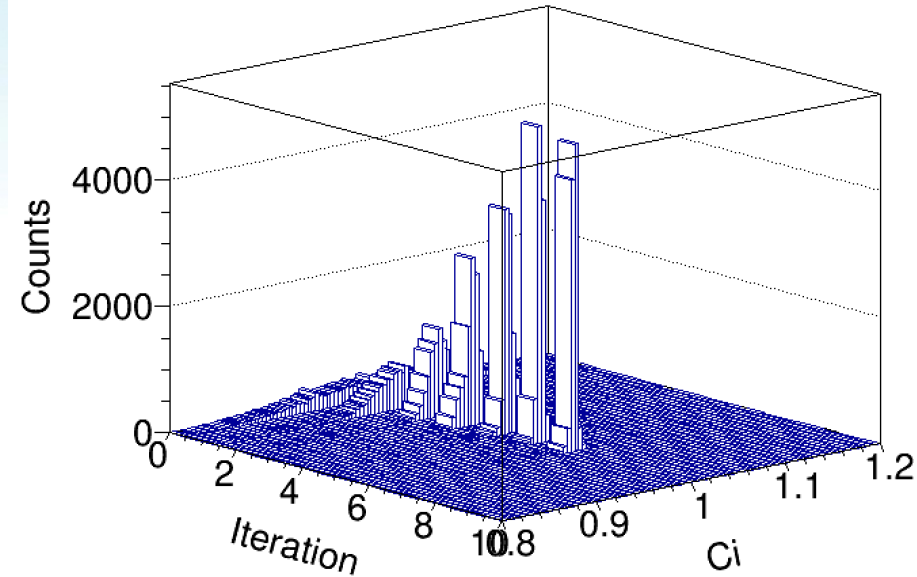
- $$\lim_{k \rightarrow \infty} C_{i,k} = 1$$

- Iteration  $k < \text{maxIteration}$

- $C_i$  close enough to 1

- $C_i$  closer to 1 than last iteration

- Width of  $C_i$  narrower than last iteration



# Calibration algorithm

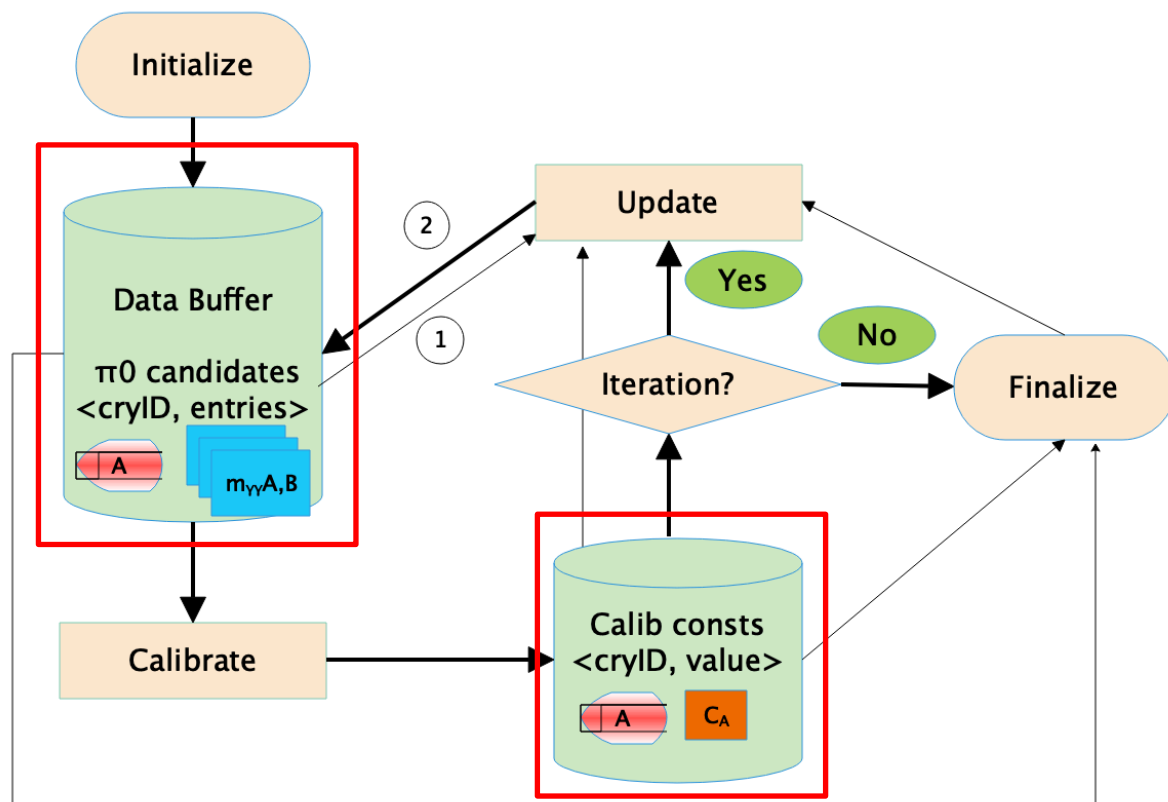


中国科学技术大学  
University of Science and Technology of China

- Implementation

- Calibration

- Initialize
    - Calibrate
    - Update
    - Iteration
    - Finalize
    - Save calibration constants
      - Save calibrated candidates



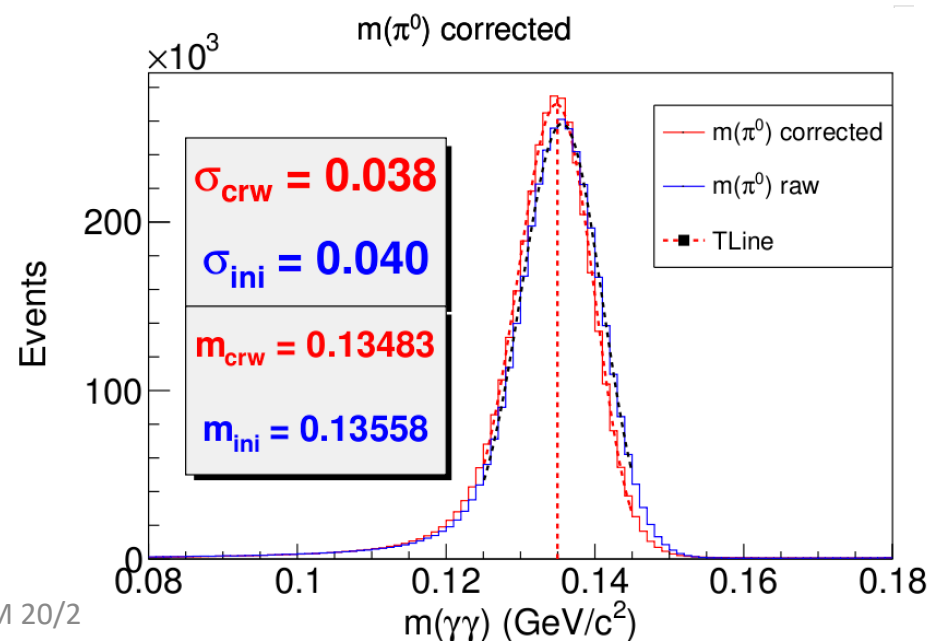
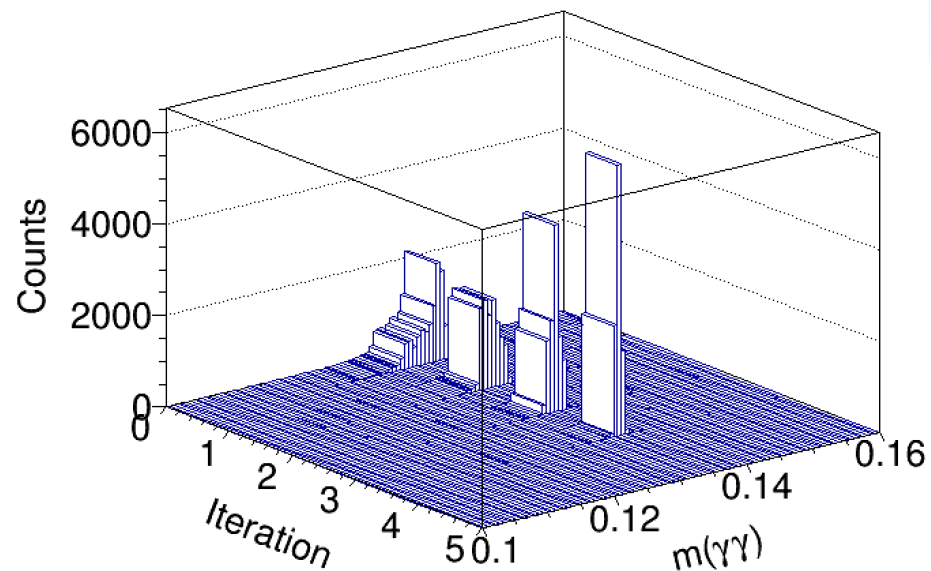


# Test



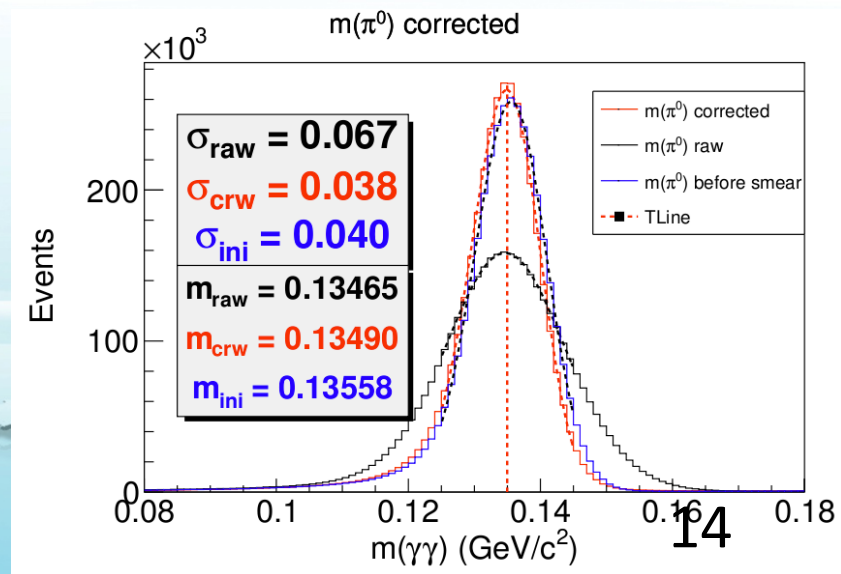
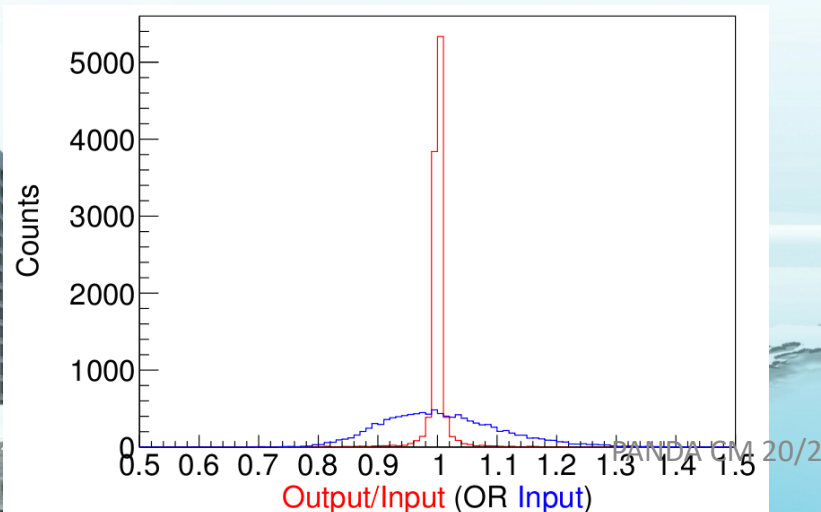
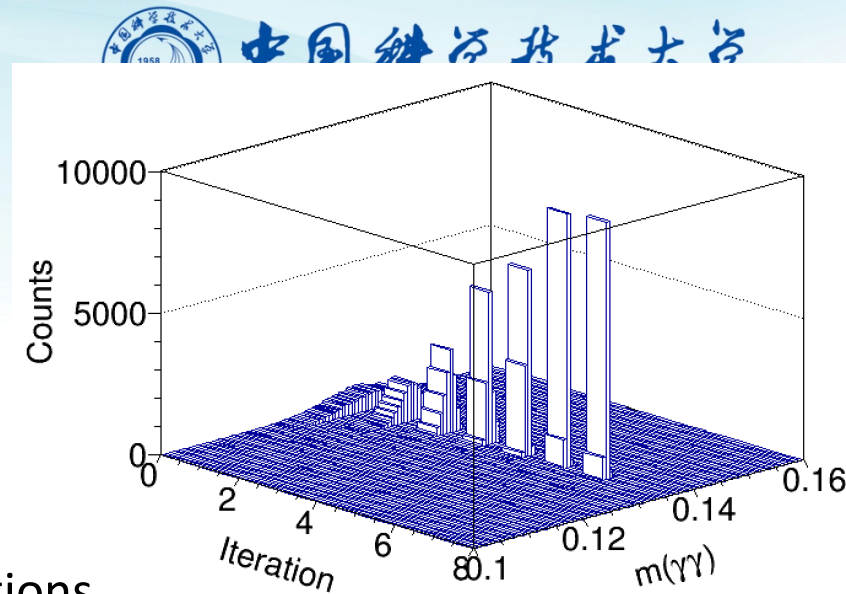
中国科学技术大学

- MC sample as input
  - 1 GeV  $\pi^0$ , 5 M,  $\sim 400/\text{crystal}$
  - Cover the barrel region
  - Uniform distribution
- Result check
  - Function
    - Novosibirsk function for  $\pi^0$
    - 3<sup>rd</sup> Chebyshev for bkg
  - Performance
    - Memory usage,  $\sim 1\text{G}$
    - Time usage,  $\sim 30\text{min/iteration}$



# Validation

- Input/output check
  - Gain fluctuations are assigned to crystals,  $C_i=1 \rightarrow C_i = \text{Gaus}(1, 0.1)$
  - Hit energies are scaled with  $C_i$
  - Use scaled sample to do calibration
  - Output consistent with input gain fluctuations
  - The calibration algorithm can recover gain fluctuations



中国科学技术大学

# Single cluster calibration

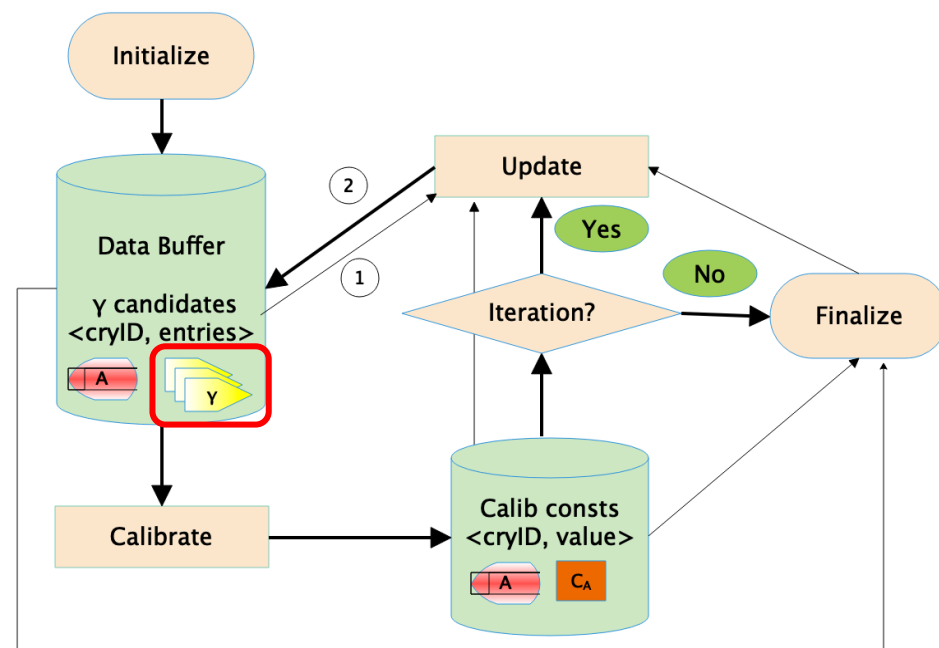


中国科学技术大学  
University of Science and Technology of China

- Single cluster mode
  - $\gamma$  or  $e$  with specific energy
  - One cluster per candidate

- Implementation

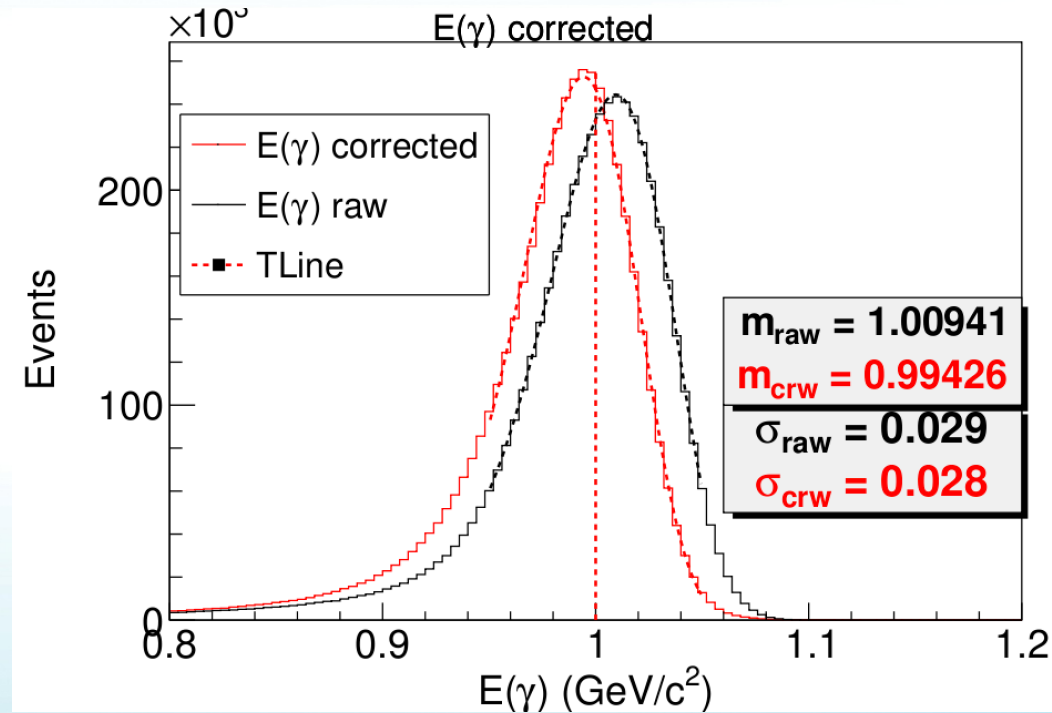
- Same data format, but only use one bump
- Add a flag to mark sample type
- Set the calibration goal from  $\pi^0$  mass to the specific energy
- Recalculate the energy of the cluster with constants



# Test



- Gamma sample
  - 5M, 1GeV  $\gamma$
  - Barrel region
- Result
  - Closer to 1 GeV
  - Slightly narrower
  - Works fine





# Summary



- Run and test the calibration algorithm
  - Calibration samples preparation
  - ROOT file as input, cached in memory
  - Calibrate
  - Update all hits
  - Validation
- Extend to single cluster case
  - Same data format
  - Change calibration goal
- Work to do
  - Optimize the algorithm
  - Test with MC closer to physics events
  - Multi-threads implementation and test
  - Database
  - PandaRoot

