

# Analysis of shashlyk-calorimeter signals on the way to feature extraction



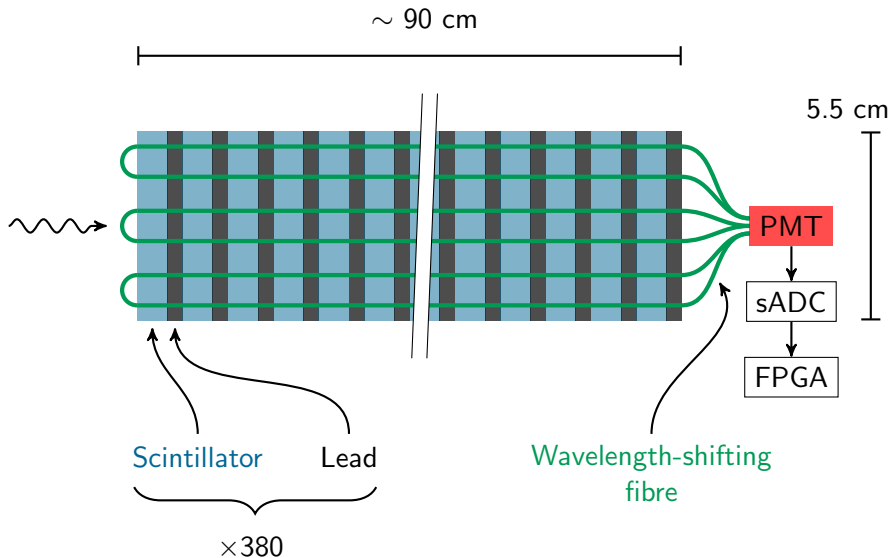
Markus Preston, Per-Erik Tegnér

Gratefully acknowledging the help from  
Stefan Diehl and the JLU Gießen group

PANDA Collaboration Meeting, GSI, 2019-06-26

# Detector structure

Side view of cell

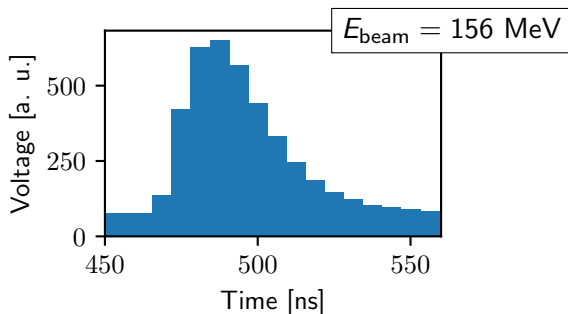


## 2014 testbeam @ MAMI

- ▶  $4 \times 4$  prototype placed in 50-350 MeV tagged-photon beam.
- ▶ Previously analysed and used to evaluate prototype.

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- ▶ Previously analysed and used to evaluate prototype.
- ▶ PMT signal digitised with commercial 12-bit, 160 MSPS sampling ADC:



# Aim of this work

- ▶ Want to optimise FPGA triggering/feature extraction algorithms with respect to:
  - ▶ Pulse identification (triggering)
  - ▶ Energy resolution
  - ▶ Time resolution
  - ▶ Pile-up identification/reconstruction

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- ▶ Want to optimise FPGA triggering/feature extraction algorithms with respect to:
  - ▶ Pulse identification (triggering)
  - ▶ Energy resolution
  - ▶ Time resolution
  - ▶ Pile-up identification/reconstruction
- ▶ To do this: develop Monte Carlo model of  $4 \times 4$  prototype (starting with Geant4). **This talk.**
- ▶ Enables generation of pulses with known underlying energy, time and pile-up information. Then: evaluate feature extraction.

# Modelling the pulse shape

Geant4 model

Shower profile in detector

Shower development timing

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Literature

Scintillator time constants

Fibre time constant

Fibre attenuation

PMT response



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Free parameters

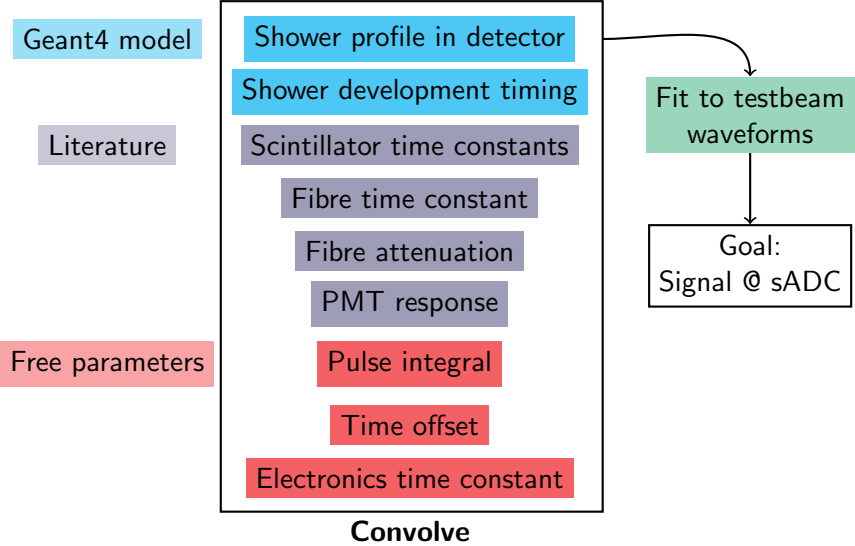
Pulse integral

Time offset

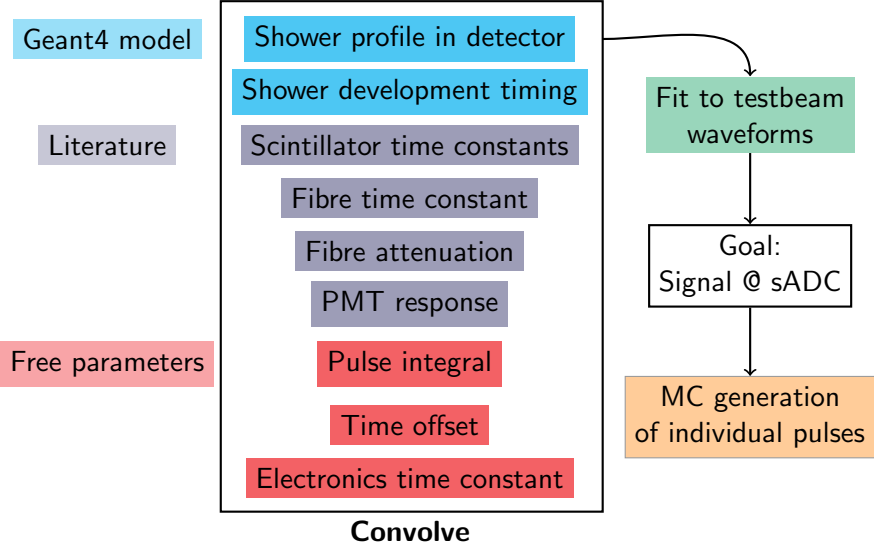
Electronics time constant

Goal:  
Signal @ sADC

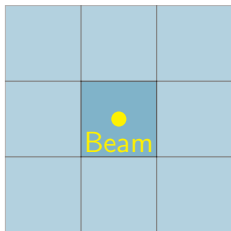
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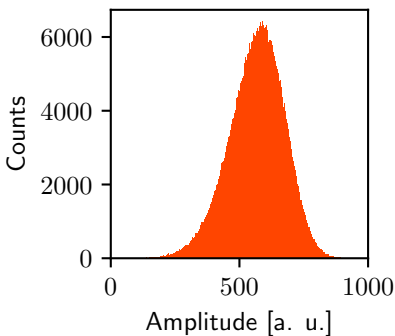


# Energy resolution



Analyse *single detector cell*.

Generated data ( $E_{\text{beam}} = 156 \text{ MeV}$ ):

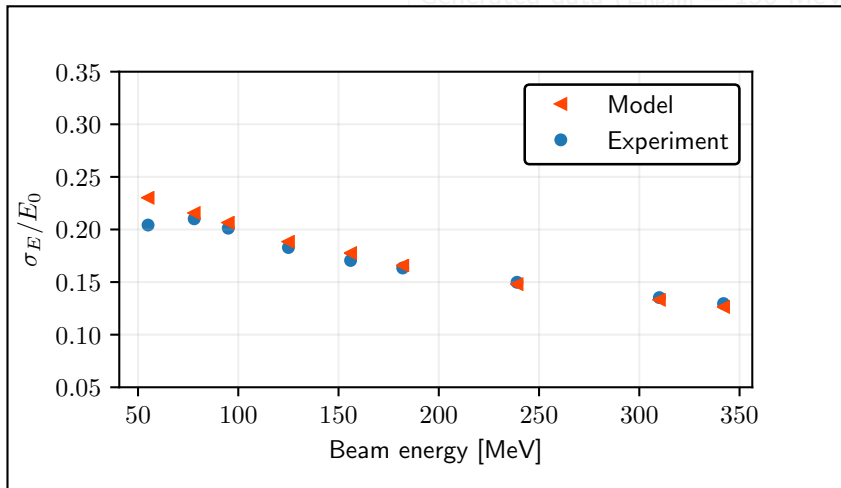


Fit Novosibirsk  $\rightarrow \sigma_E/E_0$

Same analysis as on  
experimental data.

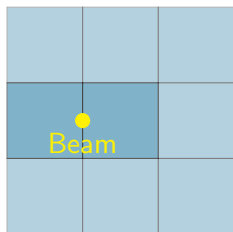
# Energy resolution

Generated data ( $E_{\text{beam}} = 156 \text{ MeV}$ ):

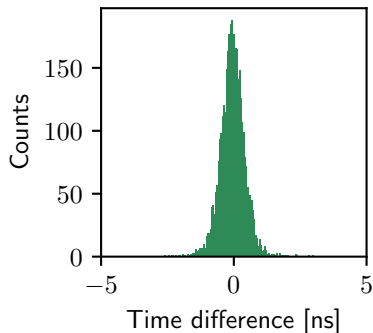


Experimental data:

# Time resolution



Generated data ( $E_{\text{dep}} = 100 \text{ MeV}$ ):



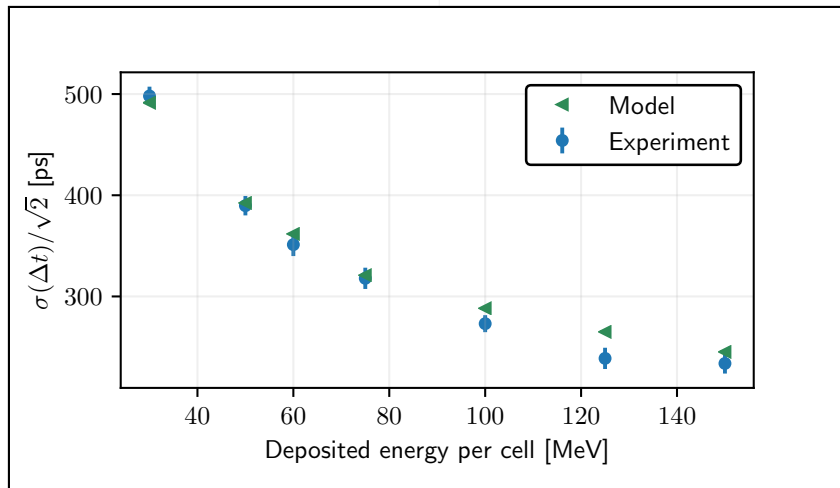
Experimental data  
analysed in Gießen:

- Require similar  $E_{\text{dep}}$  in cells.
- Constant Fraction timing
- Calculate  $\Delta t$
- Assume:  $\sigma_t = \sigma(\Delta t)/\sqrt{2}$

Fit Gaussian  $\rightarrow \sigma(\Delta t)$   
Same analysis as on  
experimental data.

# Time resolution

Generated data ( $E_{\text{dep}} = 100 \text{ MeV}$ ):



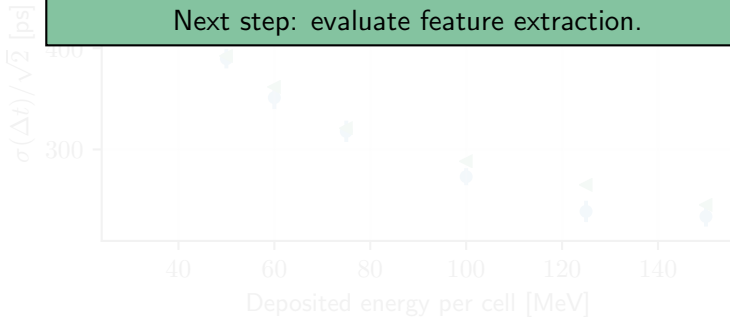
Constant fraction timing

- Calculate  $\Delta t$
- Assume:  $\sigma_t = \sigma(\Delta t)/\sqrt{2}$

# Time resolution

Generated data ( $E_{\text{dep}} = 100 \text{ MeV}$ ):

Amplitude and time properties of model-generated signals agree well with experiment.  
Next step: evaluate feature extraction.



- Constant fraction timing
- Calculate  $\Delta t$
- Assume:  $\sigma_t = \sigma(\Delta t)/\sqrt{2}$



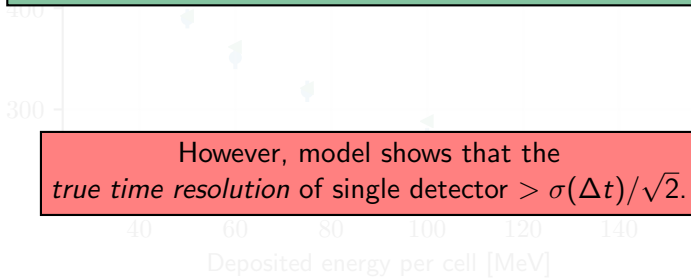
# Time resolution

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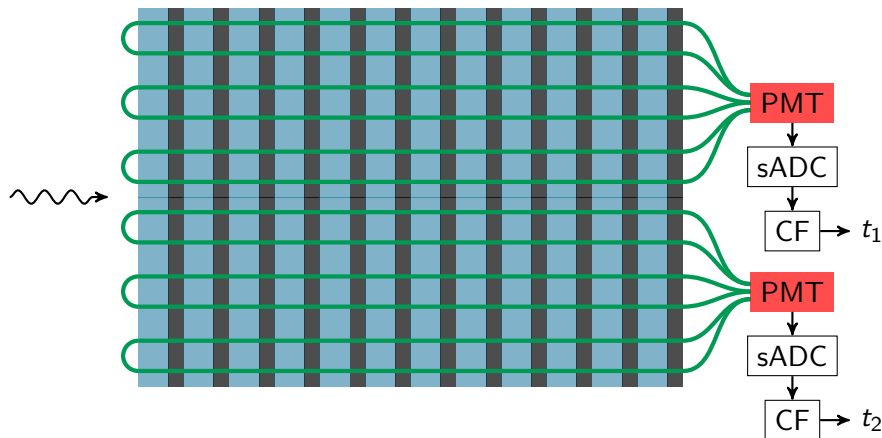
$\sigma(\Delta t)/\sqrt{2}$  [ps]



However, model shows that the *true time resolution* of single detector  $> \sigma(\Delta t)/\sqrt{2}$ .

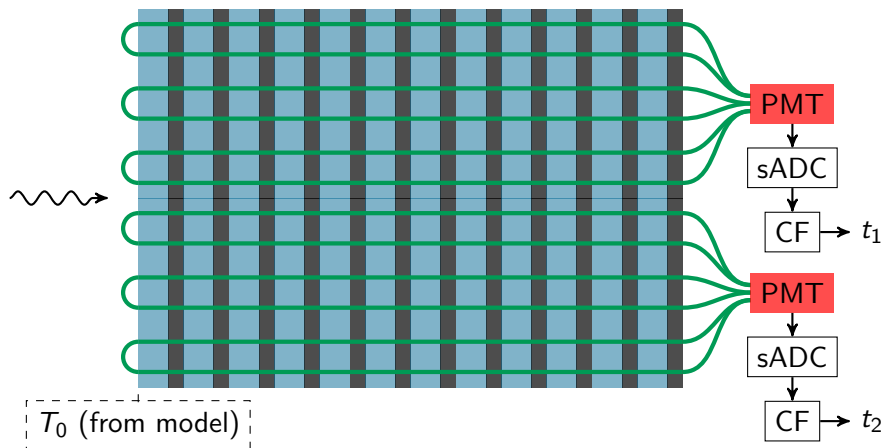
- Constant fraction timing
- Calculate  $\Delta t$
- Assume:  $\sigma_t = \sigma(\Delta t)/\sqrt{2}$

## Time resolution issue



In experiment:  $\Delta t = t_1 - t_2$  determined.

## Time resolution issue

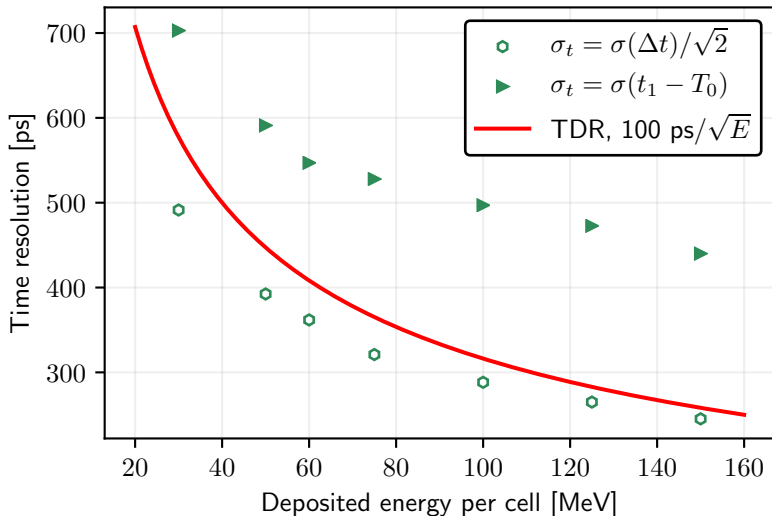


In experiment:  $\Delta t = t_1 - t_2$  determined.

Fundamental time resolutions come from  $(t_1 - T_0)$  and  $(t_2 - T_0)$ .

# Updated time resolution

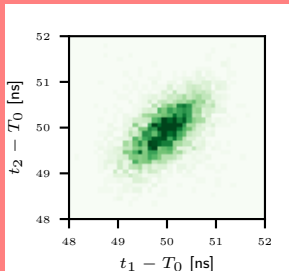
Beam directed between two cells



# Updated time resolution

Beam directed between two cells

**Reason:**  $(t_1 - T_0)$  and  $(t_2 - T_0)$  correlated.



Due to physics — shower development is correlated in adjacent cells.  
Affects time structure of signal.

**Consequence:**  $\sigma(\Delta t)/\sqrt{2}$  is a too optimistic estimate of  $\sigma_t$ .  
A more correct estimate is based on  $\sigma(t_1 - T_0)$  from model.

# Conclusions

- ▶ A Geant4-based model of the shashlyk calorimeter has been developed.
- ▶ Amplitude and time structures of generated pulses agree well with experiment.

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- ▶ A Geant4-based model of the shashlyk calorimeter has been developed.
- ▶ Amplitude and time structures of generated pulses agree well with experiment.
- ▶ Model reveals correlations in timing of signals in adjacent detectors. Affects present analysis of time resolution.

# Outlook

- ▶ Evaluate algorithms for triggering + feature extraction (suggestions welcome).



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- ▶ Questions to be addressed:
  - ▶ How much can the time resolution be improved? Time resolution depends on algorithm, but also on **sampling frequency** and **shaping time**.
  - ▶ What is required when it comes to pile-up events? Reconstruction, flagging event?

# Outlook

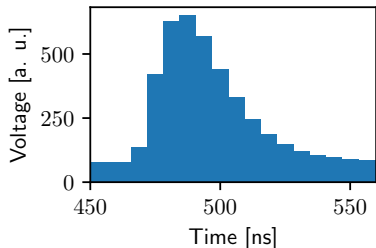
- ▶ Evaluate algorithms for triggering + feature extraction (suggestions welcome).
- ▶ Questions to be addressed:
  - ▶ How much can the time resolution be improved? Time resolution depends on algorithm, but also on **sampling frequency** and **shaping time**.
  - ▶ What is required when it comes to pile-up events? Reconstruction, flagging event?
- ▶ Implementation in FPGA. Has to be feasible for chosen algorithm.

Thank you for your attention!

Backup slides

# Example of a Monte-Carlo generated signal

Testbeam signal:  
 $E_{\text{beam}} = 156 \text{ MeV}$

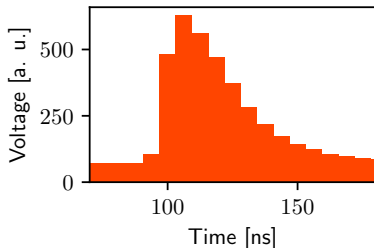


MC generated signal:

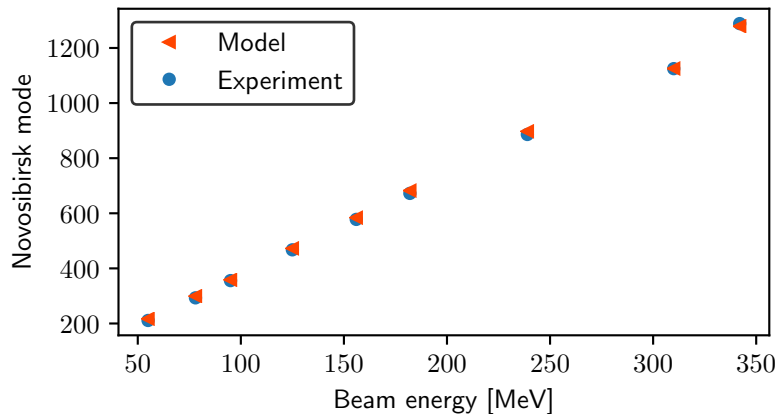
$$T_0 = 70.7 \text{ ns}$$

$$E_{\text{beam}} = 156 \text{ MeV}$$

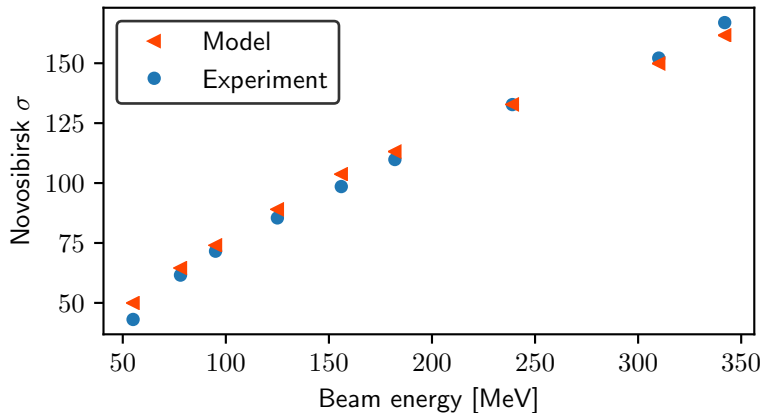
$$E_{\text{dep}} = 67.6 \text{ MeV}$$



## Mode of amplitude distribution — experiment and model

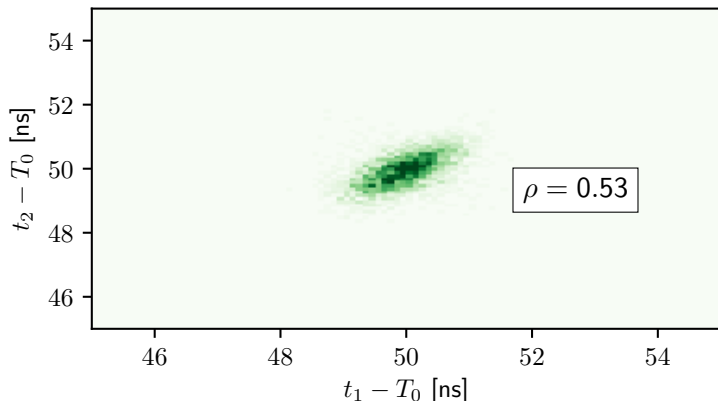


# $\sigma$ of amplitude distribution — experiment and model



## Time correlation

Previous assumption:  $\sigma(\Delta t) = \sqrt{2\sigma_t^2} \Rightarrow \sigma_t = \sigma(\Delta t)/\sqrt{2}$



$$\sigma(\Delta t) = \sqrt{\sigma(t_1 - T_0)^2 + \sigma(t_2 - T_0)^2 - 2\rho\sigma(t_1 - T_0)\sigma(t_2 - T_0)}$$