# Status report: Reconstruction of the hybrid candidate $\stackrel{\sim}{\eta}_{c1}$ with PandaRoot

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Optimization of parameters: Genetic algorithm  $_{\rm OOOOOOO}$ 

#### Introduction

- PANDA Phase 0 possibly with reduced EMC
- Which crystals are the least important?



Reconstruction of the channel 0000000

Optimization of parameters: Genetic algorithm



- Proposed measurement in the physics book (sec. 4.2.3.1)
- Predictions:  $m = 4.3 \text{ GeV}/\text{c}^2$ ,  $J^{PC} = 1^{-+}$ ,  $\sigma = 33 \text{ pb}$

#### Reconstruction

- Simulate 20k events, phase-space only (except  $J/\psi$ , here VLL) at  $\sqrt{s}=5.5\,{\rm GeV}$
- Reconstruction works in principle
  - Gamma energy threshold
  - Mass selections (window-cut) for all particles involved
  - Mass constraint fits on  $\pi^0$ ,  $J/\psi$ ,  $\chi_{c1}$ ,  $\eta$
  - 4 constraint fit on  $p\bar{p}$  with masses of fitted particles locked
  - $\bullet$  Select best candidate based on  $\chi^2$  of 4cf

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#### Reconstruction



- Number of reconstructed particles and peak shapes vary strongly with applied cuts
- Without best candidate selection: Huge multiplicity within one event

#### Neutral candidate multiplicity

• Origin of huge multiplicity: Number of reconstructed neutral candidates way higher than seven



#### Gamma multiplicity default threshold

#### Multiplicity of neutral candidates

- High multiplicity stems from split-off and conversion
- E.g. GEANT simulated conversion in DIRC: probability for no pair production  $0.8^7 = 21\%$



#### Multiplicity of neutral candidates

- Check the ID of the reconstructed neutral candidates (Monte Carlo numbering scheme)
  - $\rightarrow$  Electrons from conversion
  - $\rightarrow$  Muons falsely identified as gammas?



#### Multiplicity of neutral candidates

- Gamma multiplicity can be somewhat controlled by setting an energy threshold (default: 3 MeV)
- Loss in efficiency?



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# MC-truth matching

- Reconstruction efficiency hard to quantify since simple Monte-Carlo truth matching is not possible
- Reconstruction efficiency for a true muon pair: 44%
- 'Base efficiency' = exactly seven true gammas and at least one true muon pair: 1.6%

#### Optimization of parameters

- Possible parameters to change during analysis: Gamma energy threshold, mass selection (window-cuts),  $\chi^2$ -cut after fits, ...
- Aim is to maximize the statistical significance
- Rough estimator for signal s and background b:  $\frac{s}{\sqrt{s+b}}$
- Optimization problem: Maximize the significance which is a function of many parameters
  - $\rightarrow$  Genetic algorithm

#### Genetic algorithm

- Idea is to use evolution as analogy: Mutation and selection
- A certain generation G has a certain number of individuals I
- Each individual represents a set of parameters with corresponding fitness (here significance)
- New individuals are created by mixing parameters from individuals of the old generation
- Additionally establish a certain probability for a parameter to change (mutation)
- Best individuals survive, worst individuals are killed

 $\rightarrow$  Eventually the best set of parameters is found

Optimization of parameters: Genetic algorithm  $\circ 0 \bullet 0 \circ \circ \circ \circ$ 

#### Genetic algorithm

#### Advantages:

- No gradient needed
- Data type of parameters can be anything
- With extinction of the weakest not prone to run into local maxima

Disadvantages:

- Rather slow
- Performance depends on parameters of the algorithm itself

Optimization of parameters: Genetic algorithm  $\circ o \bullet \circ \circ \circ \circ \circ$ 

#### Genetic algorithm

• Use combinatorical background as toymodel: The first  $p\bar{p}$  is interpreted as signal, every additional one as background



#### Background channels

• Light hadronic background:

	$\Sigma = 1.5 \text{mb}$
$\pi^{+}\pi^{-}\pi^{0}\pi^{0}\pi^{0}\pi^{0}\pi^{0}\pi^{0}$	327 ub
$\pi^{+}\pi^{+}\pi^{-}\pi^{-}\pi^{0}\pi^{0}\pi^{0}\pi^{0}\pi^{0}\pi^{0}$	287 µ b
$\pi^{+}\pi^{+}\pi^{-}\pi^{-}\pi^{0}\pi^{0}\pi^{0}\pi^{0}$	880 µ b

- Reminder: Estimate of  $\sigma = 33 \text{ pb!}$
- Other channels with charm will follow (from physics book):  $\chi_{c0} \pi^0 \pi^0 \eta$ ,  $\chi_{c1} \pi^0 \eta \eta$ ,  $\chi_{c1} \pi^0 \pi^0 \pi^0 \eta$ ,  $J/\psi \pi^0 \pi^0 \pi^0 \eta$

# Outlook

- Currently: Collecting background data for the light hadronic channels
- Divide reconstruction into two distinct steps:
   1) Make the decision if the event was an η<sub>c1</sub> as good as possible with respect to α- and β-error
   2) Reconstruct proper peak shapes
- In parallel shower algorithm is being reworked by Áron Kripkó

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Thank you for your attention! Questions, comments, suggestions, ... ?

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#### Details genetic algorithm

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- One generation = 40 individuals
- Mutation rate: 1/3 in negative direction, 1/3 in positive direction, 1/3 no mutation
- Mutation change: According to  $\gamma\text{-distribution}$  with  $\alpha$  = 3.0,  $\beta$  = 3.0

